

# MAGNETIC RECONNECTION IN RELATIVISTIC JETS

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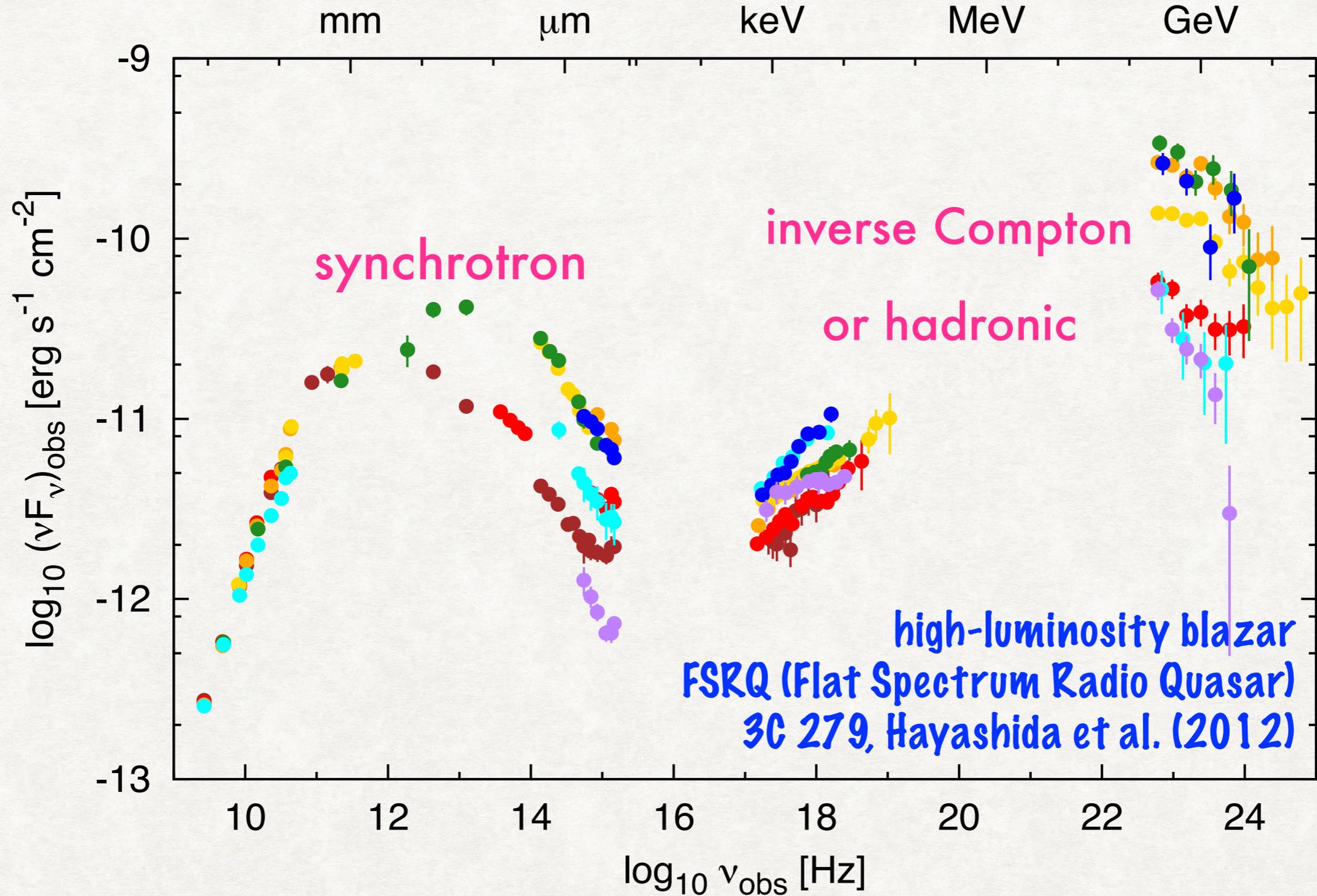
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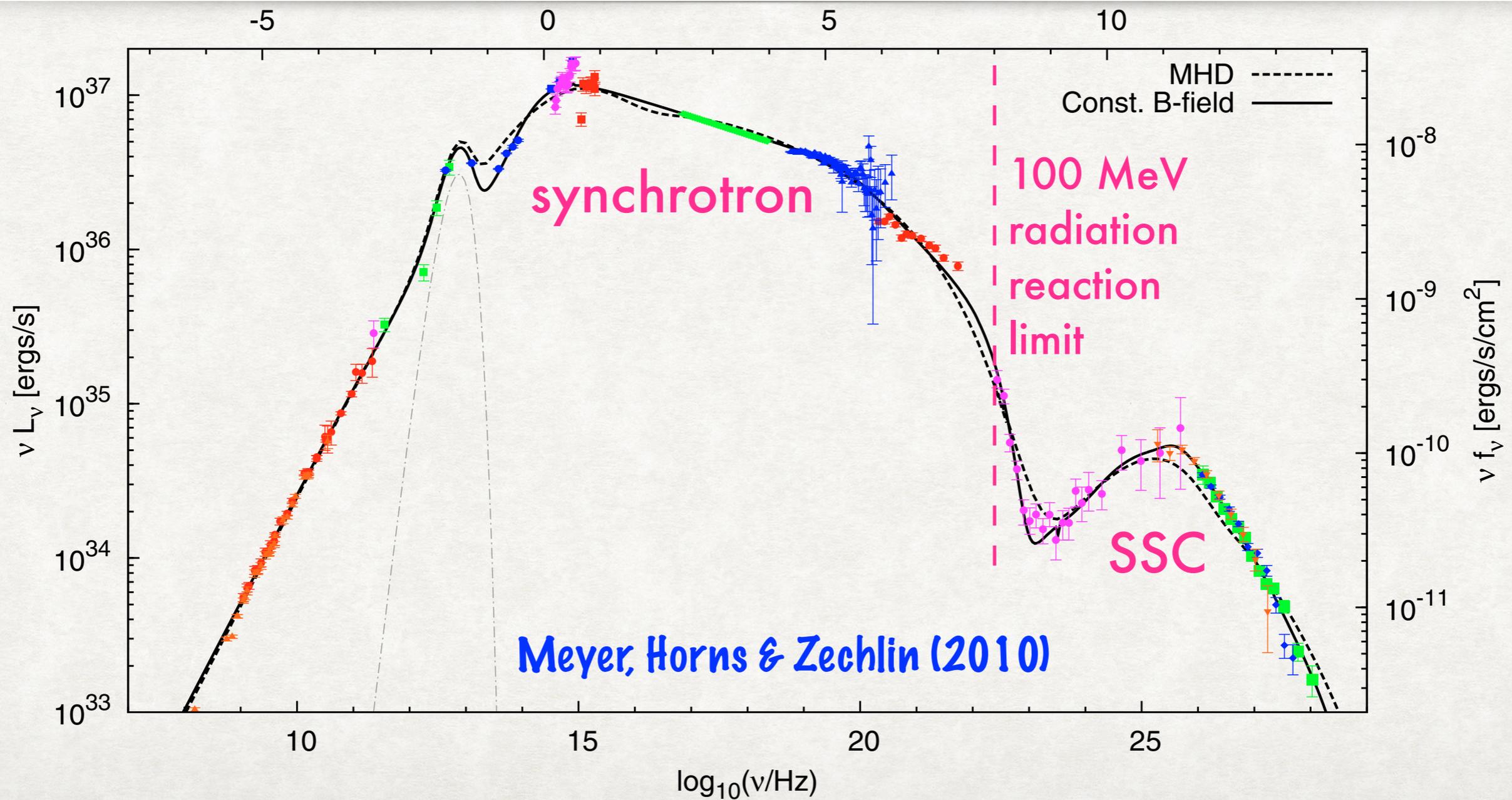
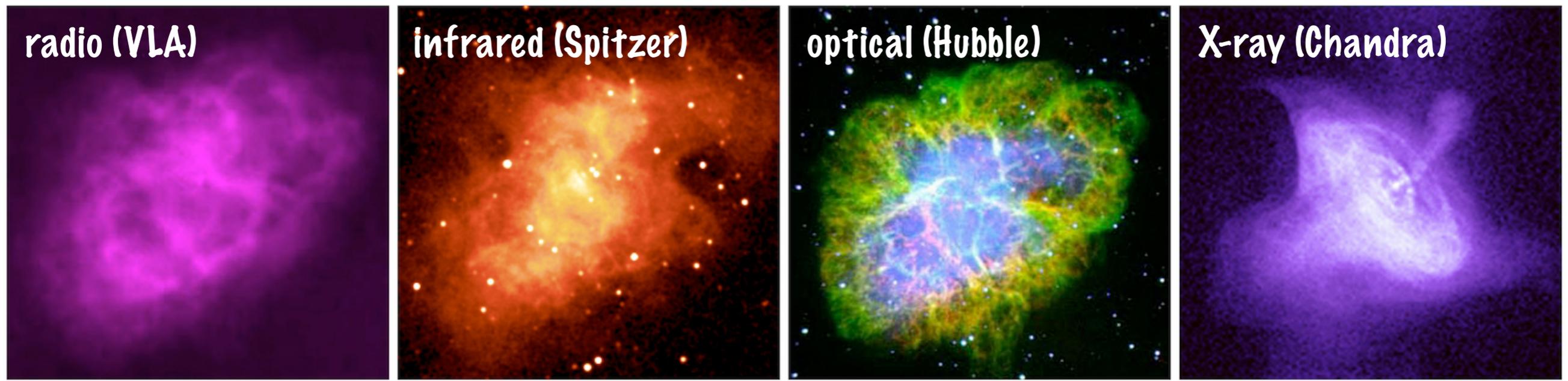
EPIPHANY CONFERENCE, IFJ PAN, 12TH JAN 2022



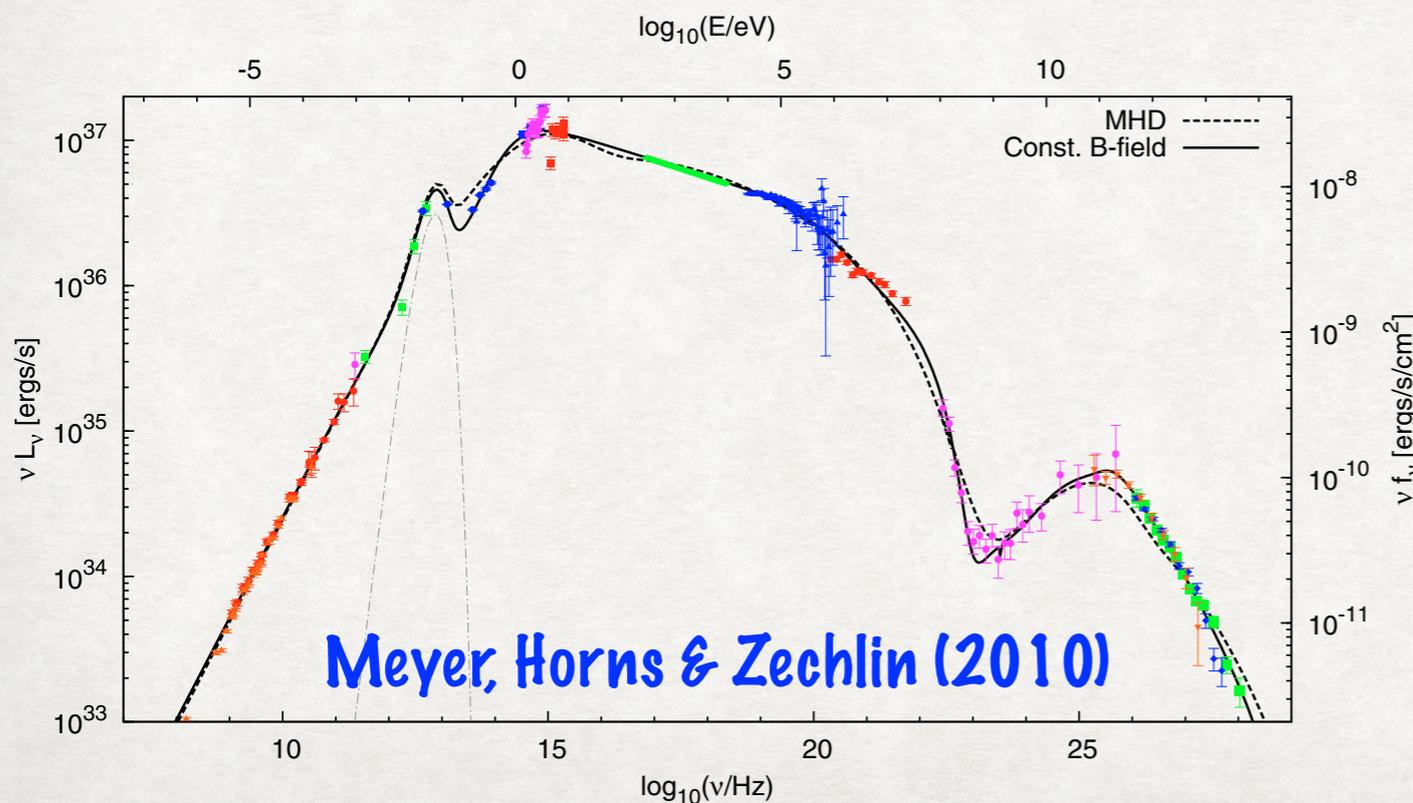
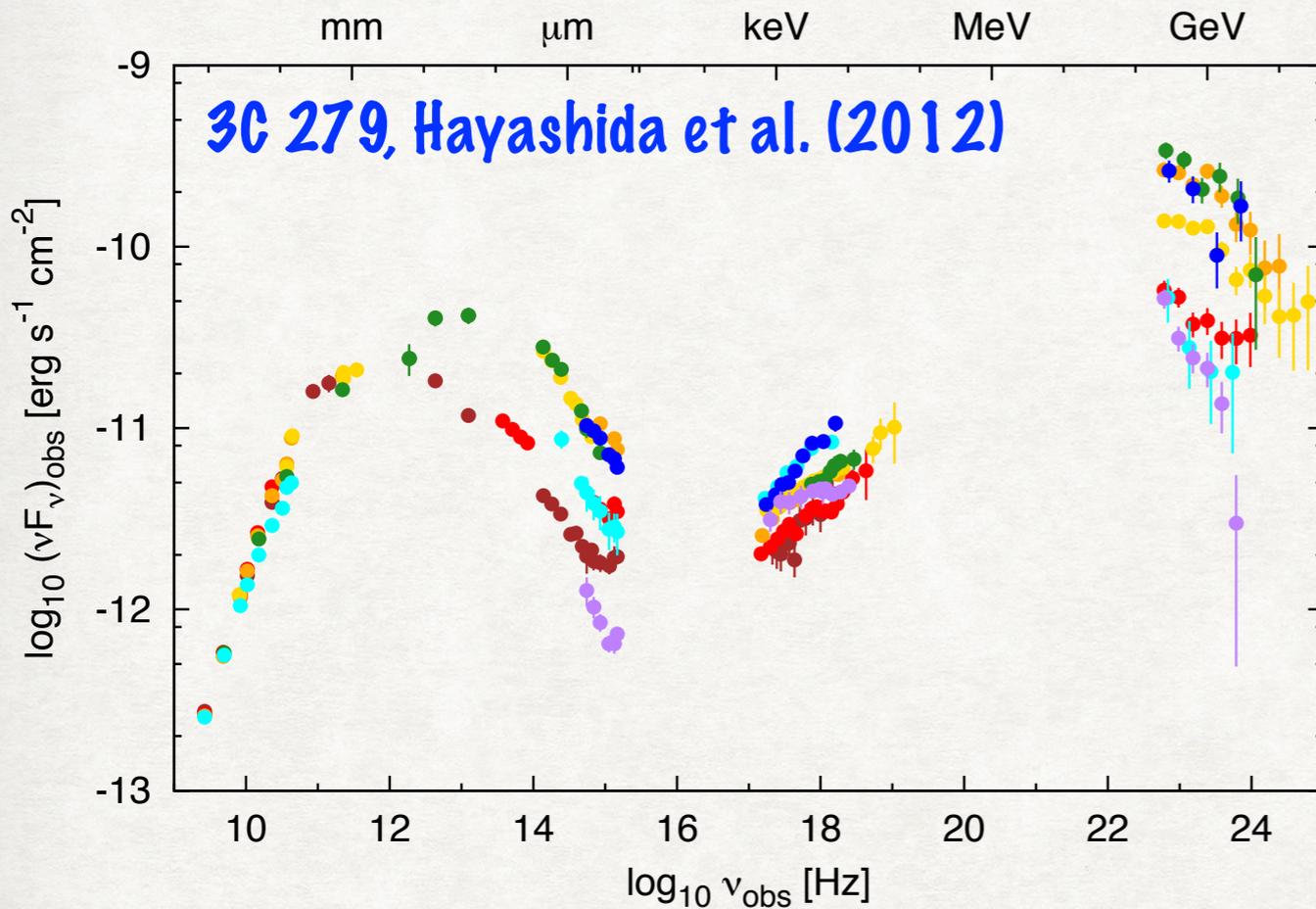
# SPECTRAL ENERGY DISTRIBUTIONS OF BLAZARS



- despite strong variability, the SED is stable, electron distribution is robust



# WHY ARE BLAZAR SEDS NOT CRAB-LIKE?



- synchrotron SED of the Crab extends to 100 MeV
- synchrotron SED of FSRQs extends to 10 eV / Doppler
- what determines  $\gamma_{\max} \sim 10^3$  in FSRQs?
- a radiative cooling limit implies  $\xi = \lambda_{mfp}/R_L \sim 10^7$  for shocks (Inoue & Takahara 1996) or  $\beta_{\text{rec}} = E/B \sim 10^{-9}$  for reconnection (KN 2016)

# HARD PARTICLE SPECTRA IN RELATIVISTIC RECONNECTION

- reconnection produces power-law distributions that are hardening with increasing sigma

$$dN/d\gamma \propto \gamma^{-p} \text{ with } p \rightarrow 1 \text{ for } \sigma \gg 1$$

**(Sironi & Spitkovsky 2014, Guo et al. 2014, Werner et al. 2016)**

- high-energy cut-off is exponential with  $\gamma_{\max} \sim \mathcal{O}(\sigma)$

**Zhang,  
Sironi  
& Giannios  
(2021)**

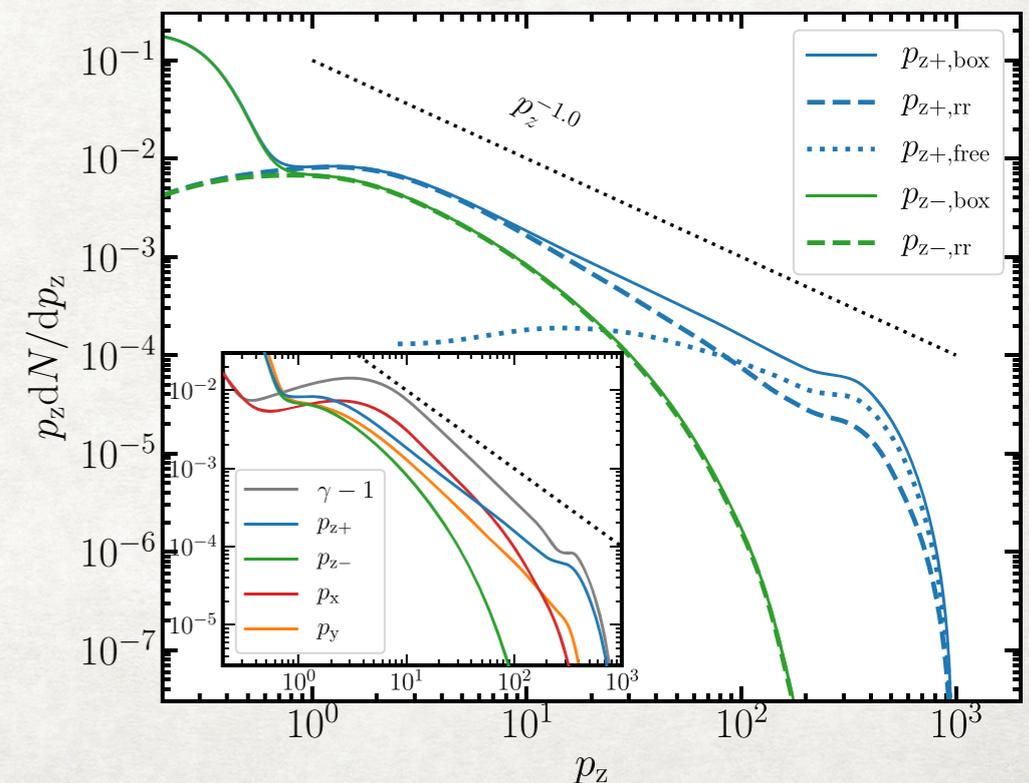
- $p \rightarrow 2$  in very large plasmoids in 2D

**(Petropoulou & Sironi 2018)**

- 3D relativistic reconnection produces hard particle spectra

$$f(\gamma) \propto \gamma^{-p} \text{ with } p \sim 1.5$$

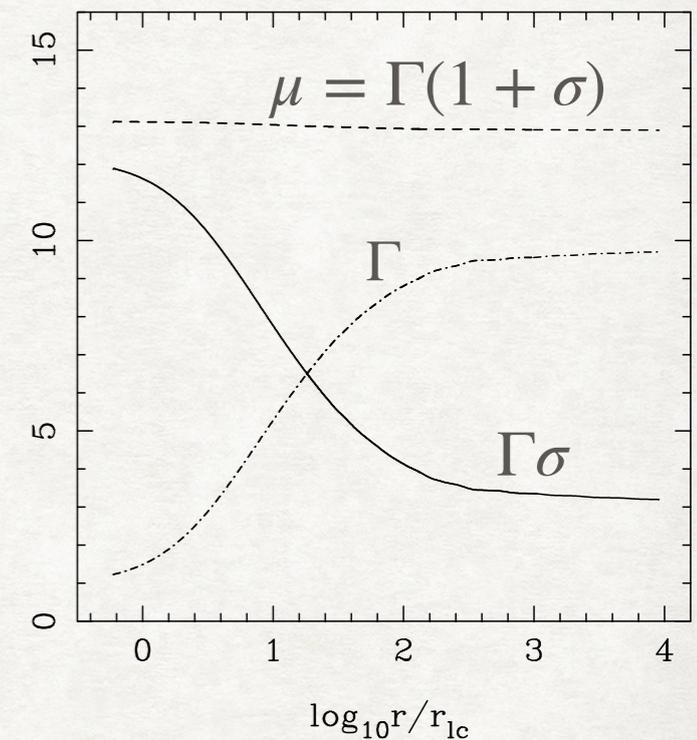
**(Zhang, Sironi & Giannios 2021)**



# EXTREME LOCAL MAGNETIZATIONS IN JETS?

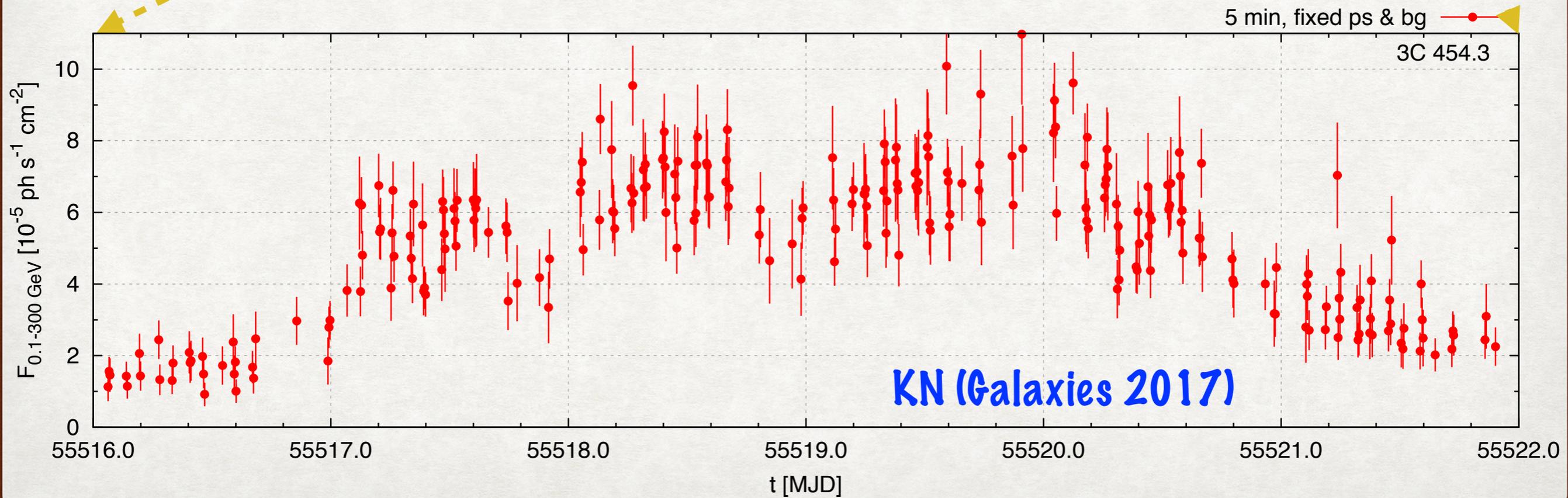
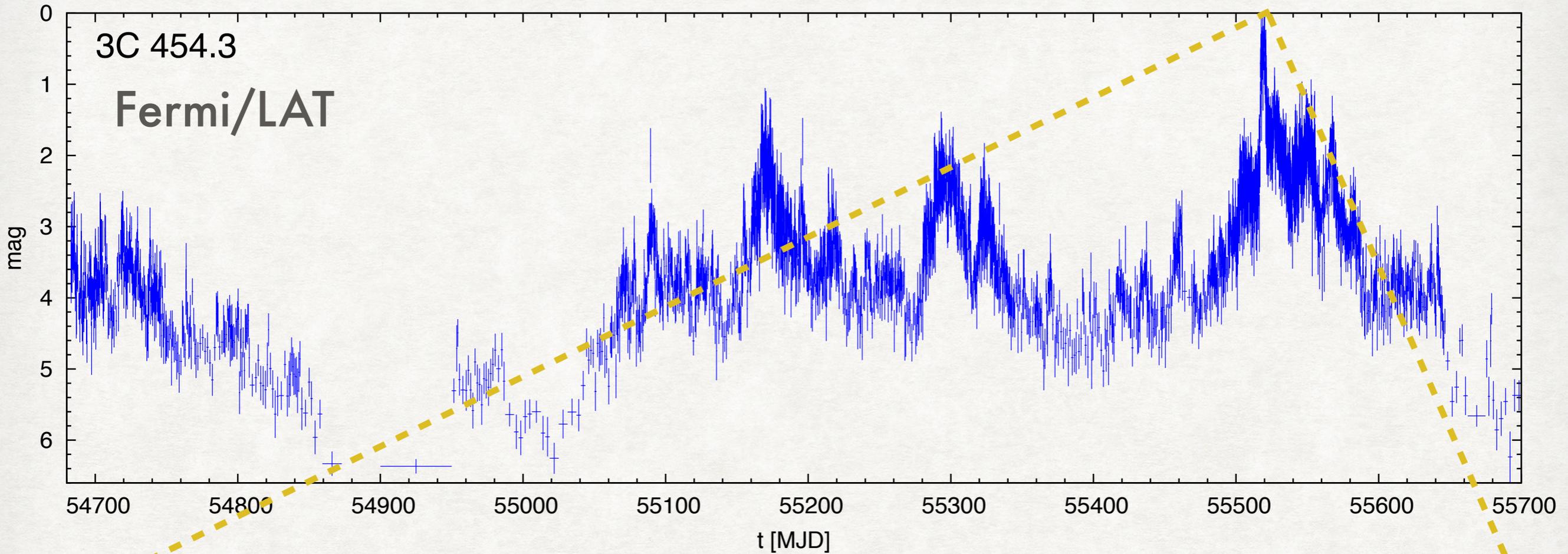
- maximum electron energy limited by maximum local electron magnetization  $\gamma_{e,\max} \sim \sigma_{e,\max} \sim 10^6$  for BL Lacs ( $10^3$  for FSRQs) **(KN 2016, Sobacchi & Lyubarsky 2020)**
- mean initial total magnetization for bulk jet acceleration  $\langle \sigma_{\text{tot,ini}} \rangle \sim \Gamma_{\text{jet}} \sim 20$
- caveat 1: whether shocks or reconnection, emitting regions close to equipartition, can be very different from the background **(Sironi, Petropoulou & Giannios 2015)**
- caveat 2: distinguish electron and proton magnetizations  

$$\sigma_e / \sigma_p \sim (m_p / m_e) ( \langle \gamma_e \rangle / \langle \gamma_p \rangle )^{-1} (n_e / n_p)^{-1} \gg 1$$
- the magnetization of jets may be highly inhomogeneous, e.g., due to filamentary proton loading **(KN 2016)**

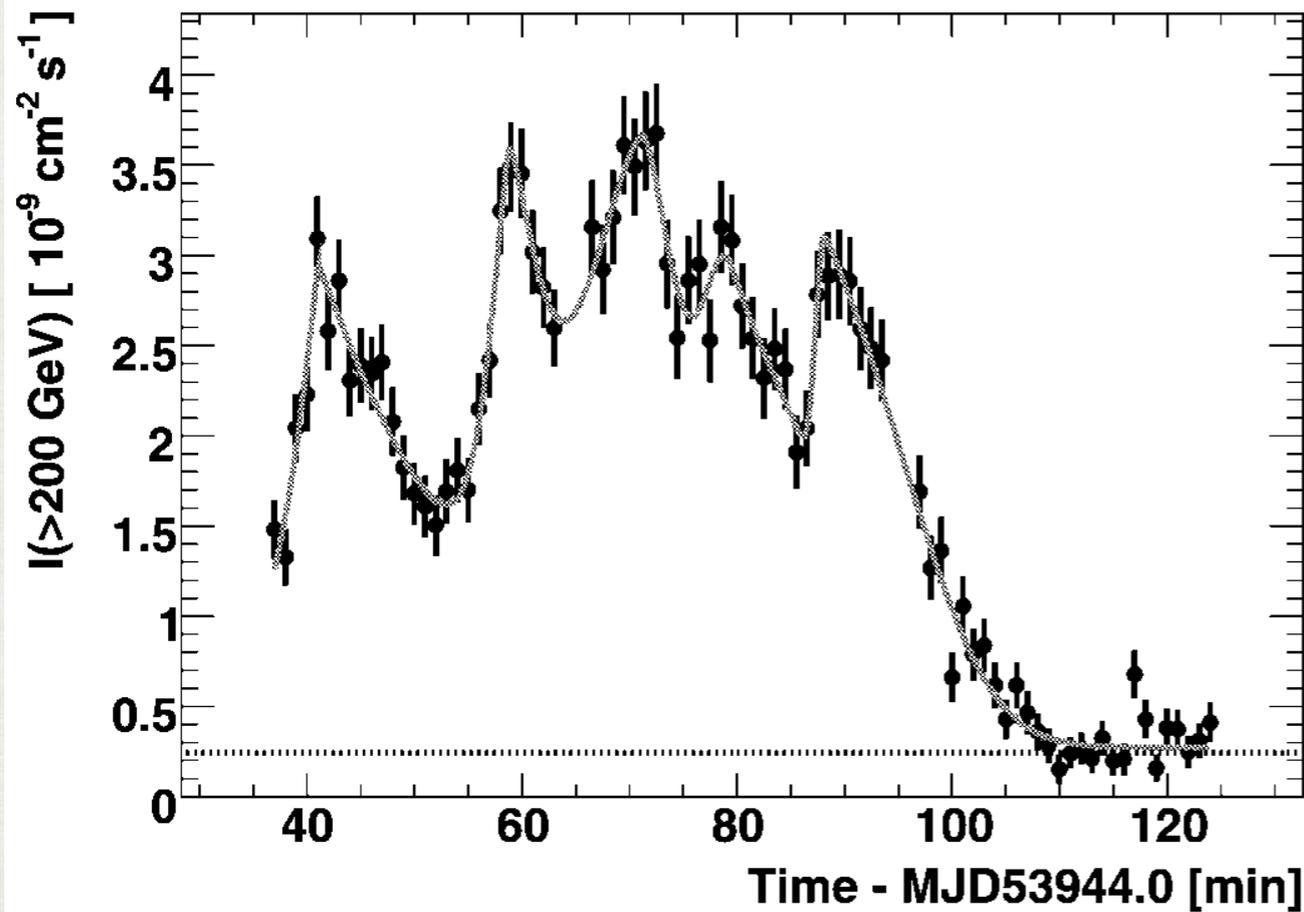


**Komissarov  
et al.  
(2007)**

# GAMMA-RAY VARIABILITY OF BLAZARS

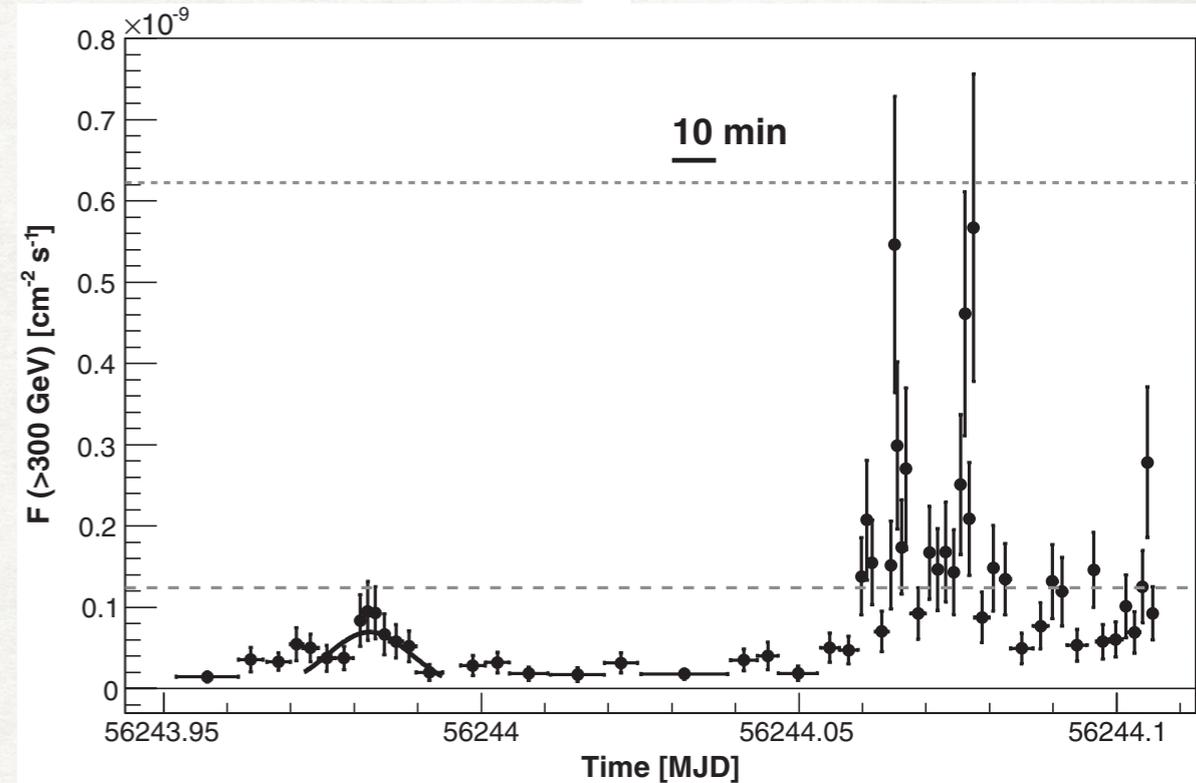


# RAPID TEV VARIABILITY



**PKS 2155-304**

**H.E.S.S. Collaboration (2007)**



**Fig. 4.** Light curve of IC 310 observed with the MAGIC telescopes on the night of 12/13 November 2012, above 300 GeV. As a flux reference, the two gray lines indicate levels of 1 and 5 times the flux level of the Crab Nebula, respectively. The precursor flare (MJD 56243.972-56243.994) has been fitted with a Gaussian distribution. Vertical error bars show 1 SD statistical uncertainty. Horizontal error bars show the bin widths.

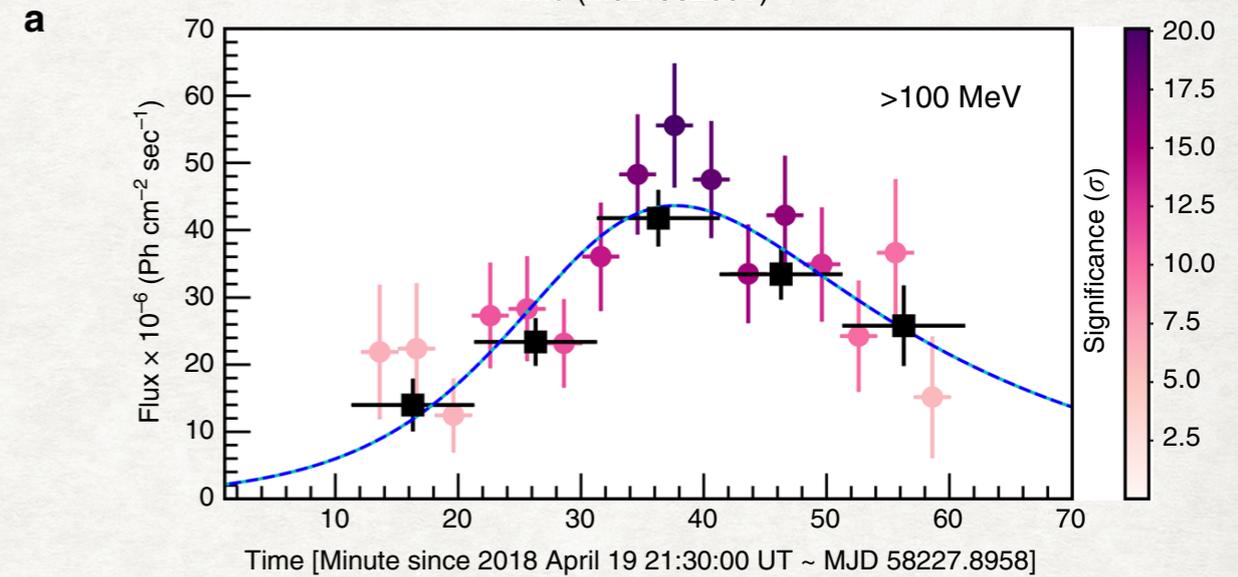
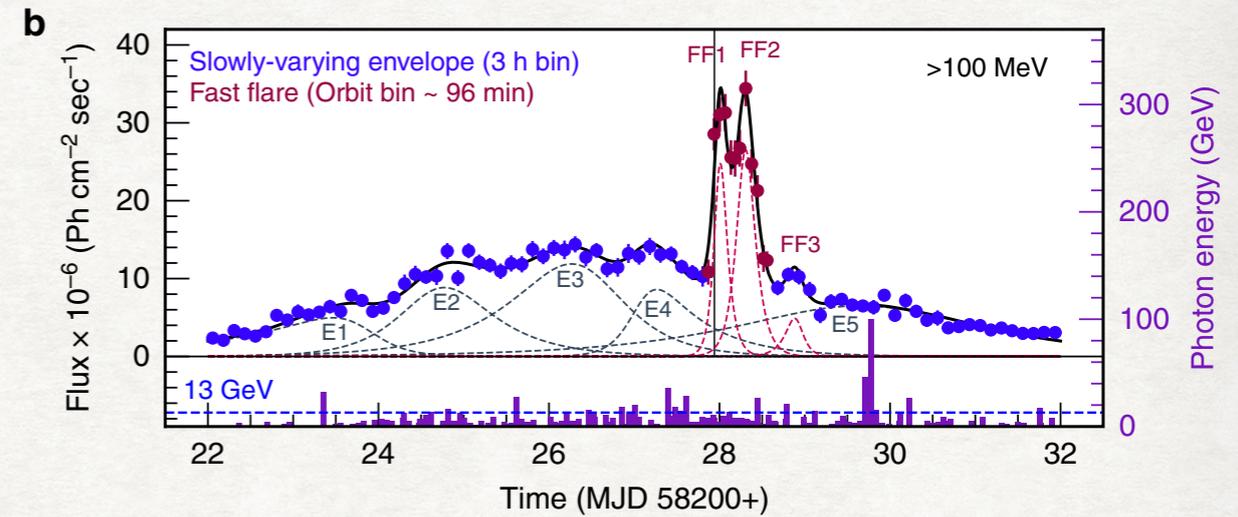
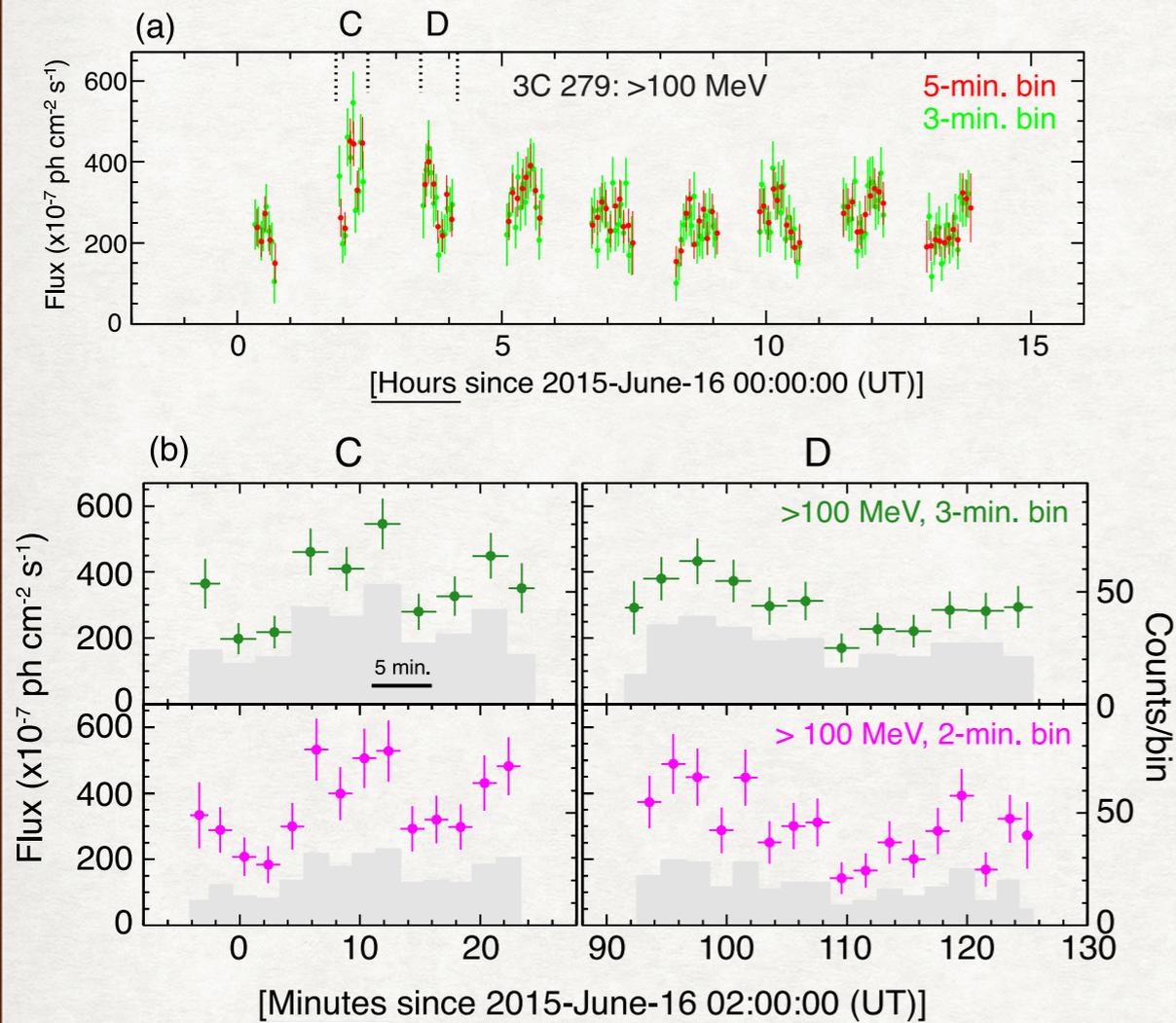
**IC 310**

**MAGIC Collaboration (2014)**

- low-power BL Lacs / FR Is: gamma-ray emission could be produced very close ( $\sim 10^{1-2} R_g$ ) to the SMBH

# RAPID GEV VARIABILITY

MINUTE-TIMESCALE  $\gamma$ -RAY VARIABILITY OF QUASAR 3C 279 IN 2015 JUNE



Fermi-LAT Collaboration  
(Ackermann et al. 2016)

see also Meyer, Scargle & Blandford (2019)

Shukla & Mannheim  
(Nature Comm. 2020)

- high-power FSRQs: gamma-rays would be absorbed if produced too close ( $\lesssim 10^{4-5} R_g$ ) to the SMBH
- energy density challenge: how to put a large fraction of jet power through a tiny cross section? (KN et al. 2012)

# MULTIWAVELENGTH VARIABILITY

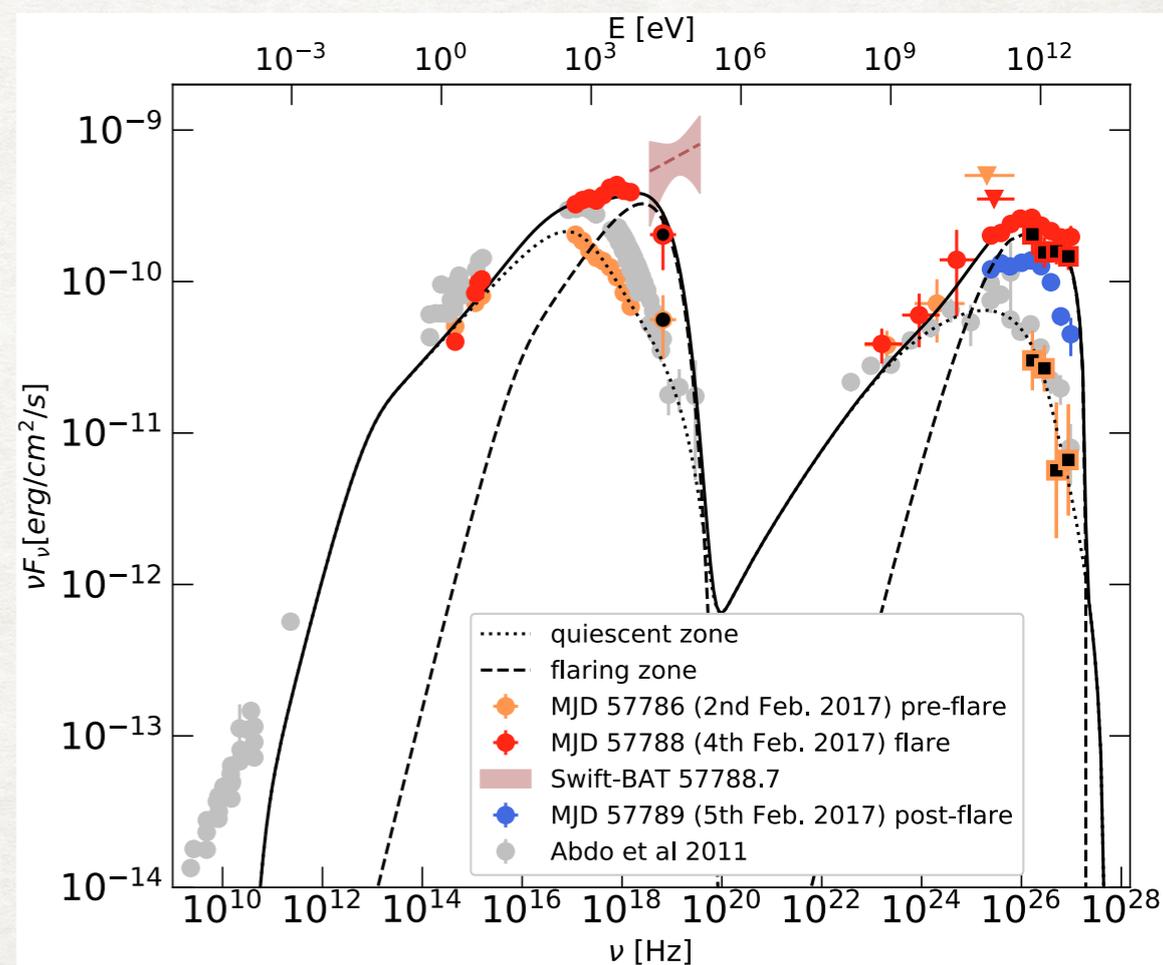
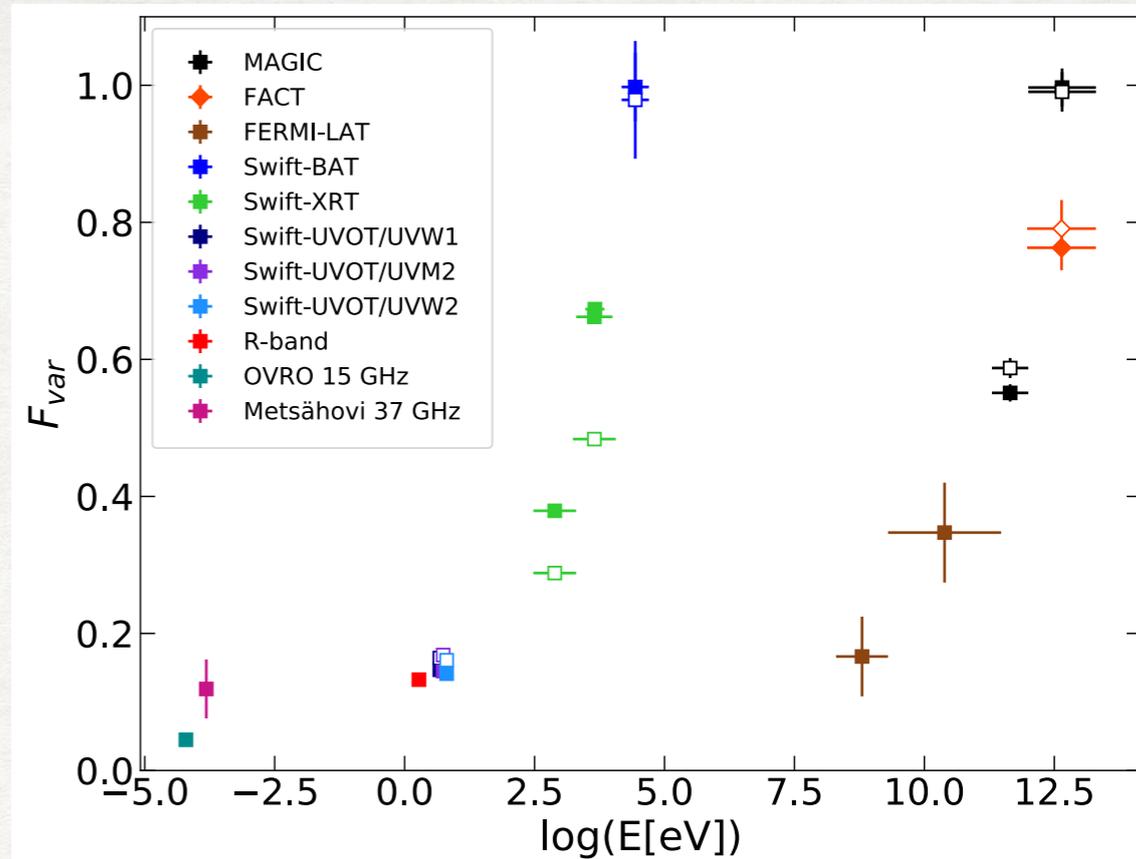
- fractional variability

$$F_{\text{var}} = \sqrt{\frac{S^2 - \langle \sigma_{\text{err}}^2 \rangle}{\langle x \rangle^2}}$$

- variability is the strongest for synchrotron and IC signals produced by electrons with

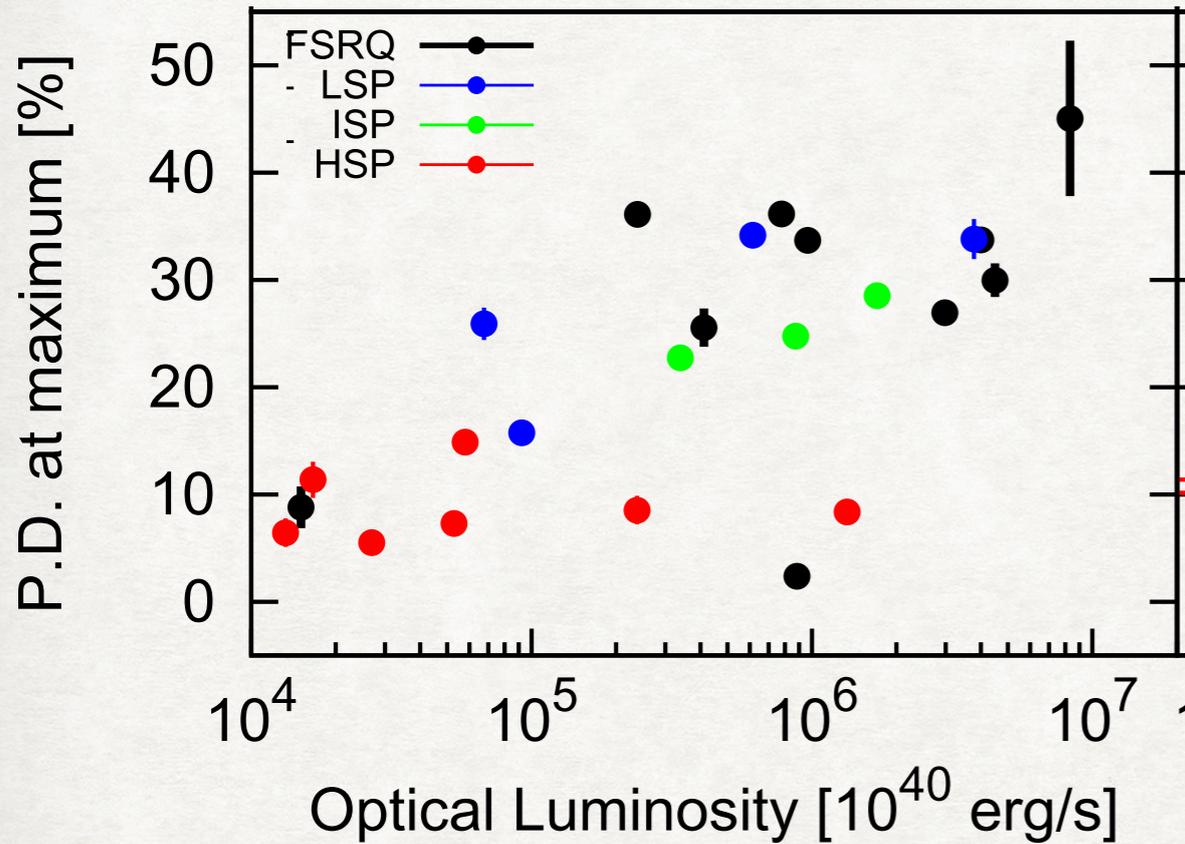
$$\gamma \sim \gamma_{\text{max}}$$

Mrk 421 (Acciari et al. 2021)

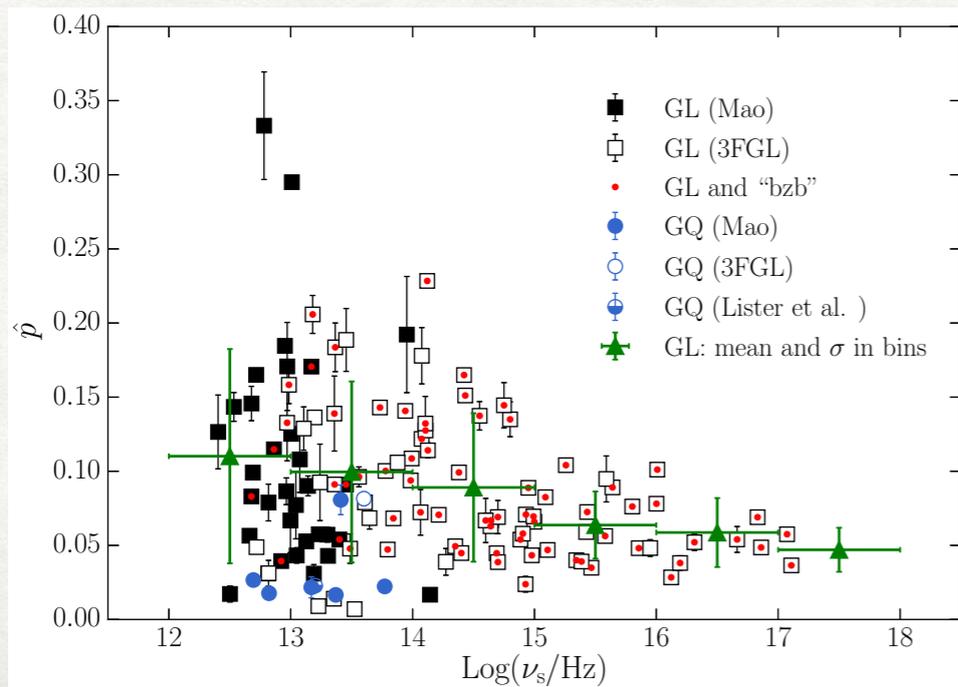


# OPTICAL POLARIZATION OF BLAZARS

Itoh et al. (2016)

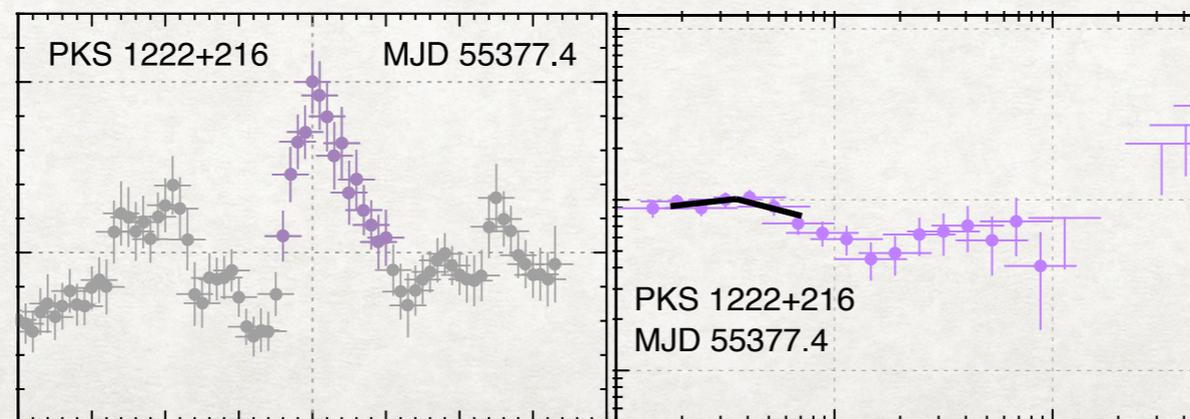
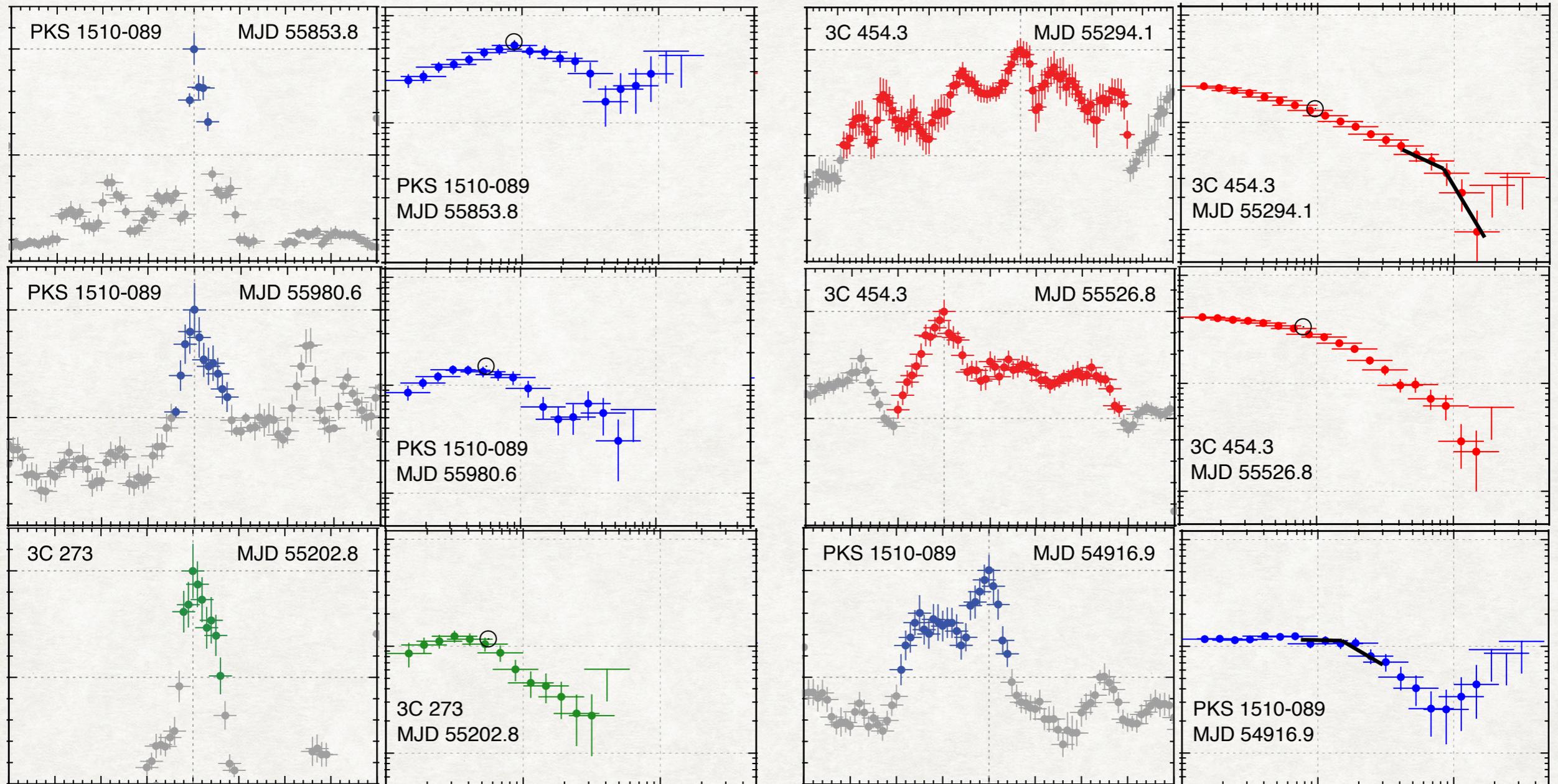


Angelakis et al. (2016)



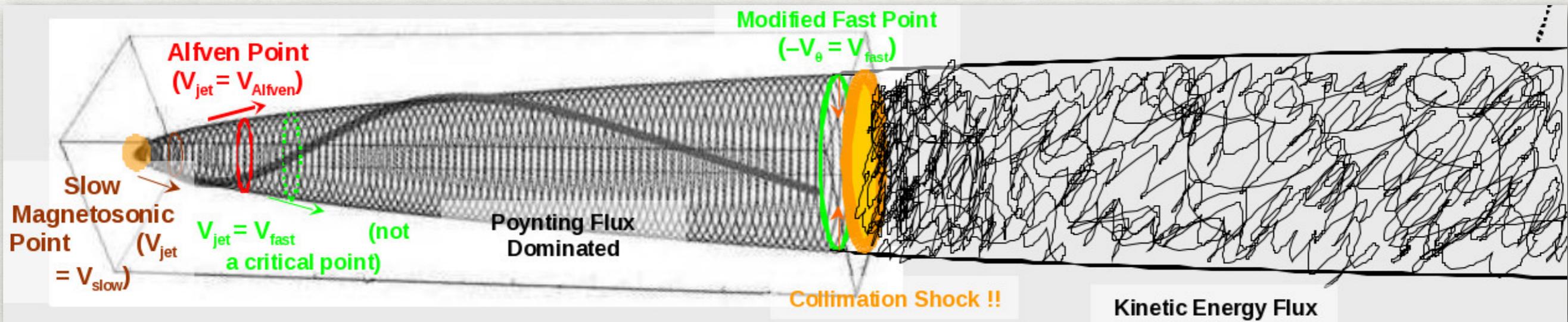
- FSRQs show systematically higher optical polarization and variability than BL Lacs
- synchrotron SED of FSRQs extend to optical, of BL Lacs to X-rays
- optical emission of FSRQs produced by  $\gamma \sim \gamma_{\max}$  electrons, of BL Lacs by  $\gamma \ll \gamma_{\max}$  electrons
- BL Lacs depolarized due to larger number of emitting regions (turbulent eddies?)
- prediction for IXPE: HBLs should be highly polarized  $\Pi \sim 40\%$ !

# SIMPLE VS COMPLEX BLAZAR FLARES

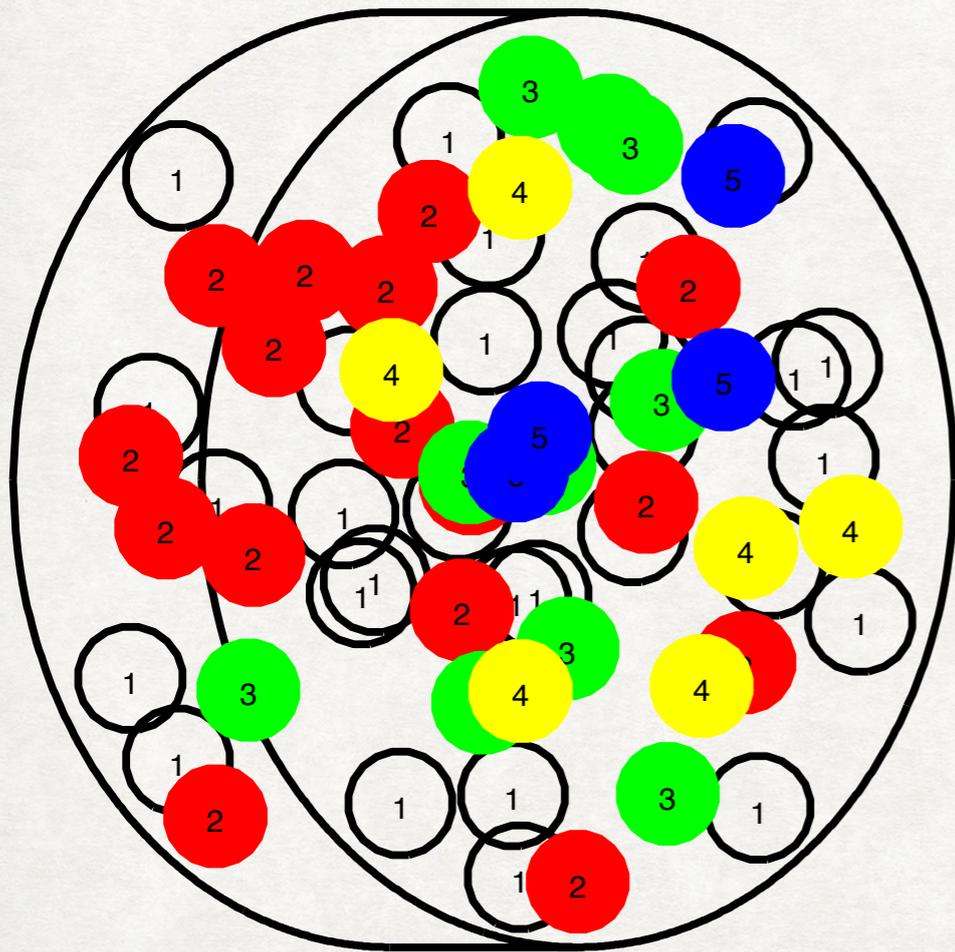


KN (2013)  
Kohler & KN (2015)

# ARE RELATIVISTIC JETS TURBULENT?



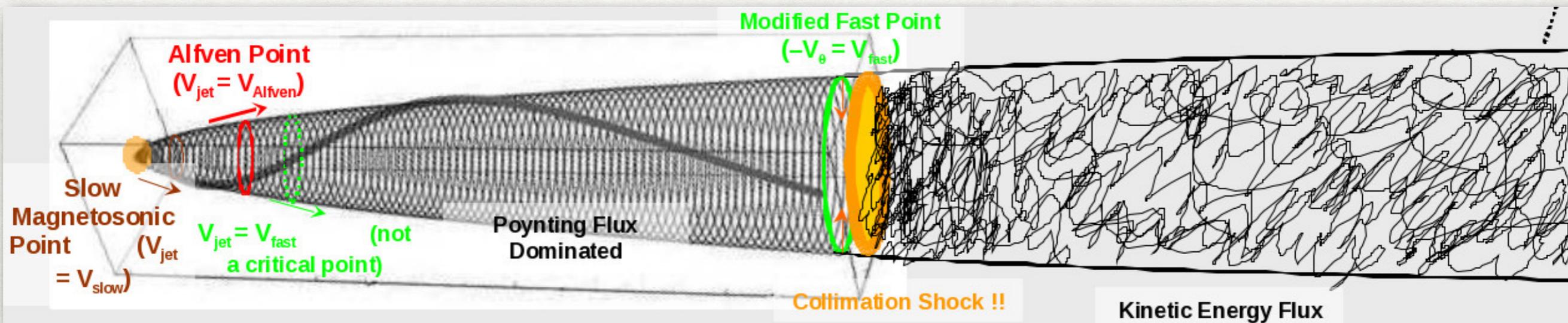
D. Meier



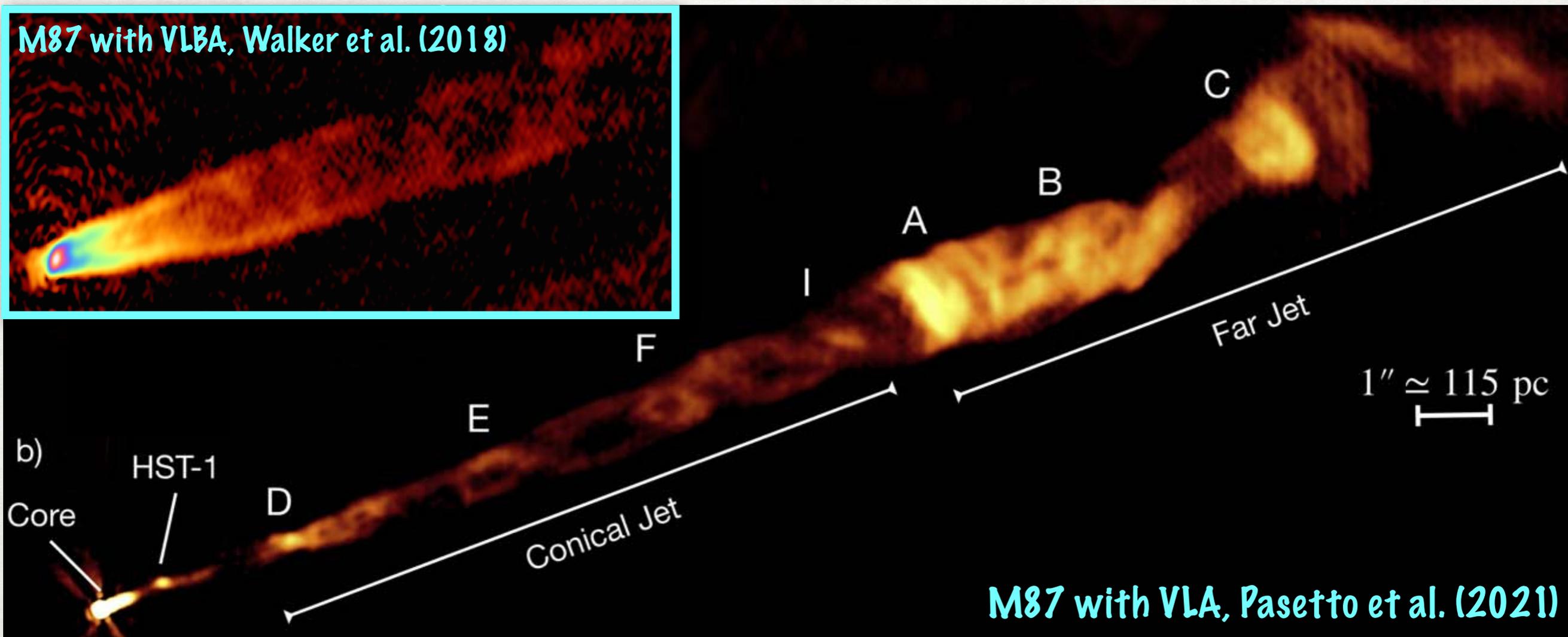
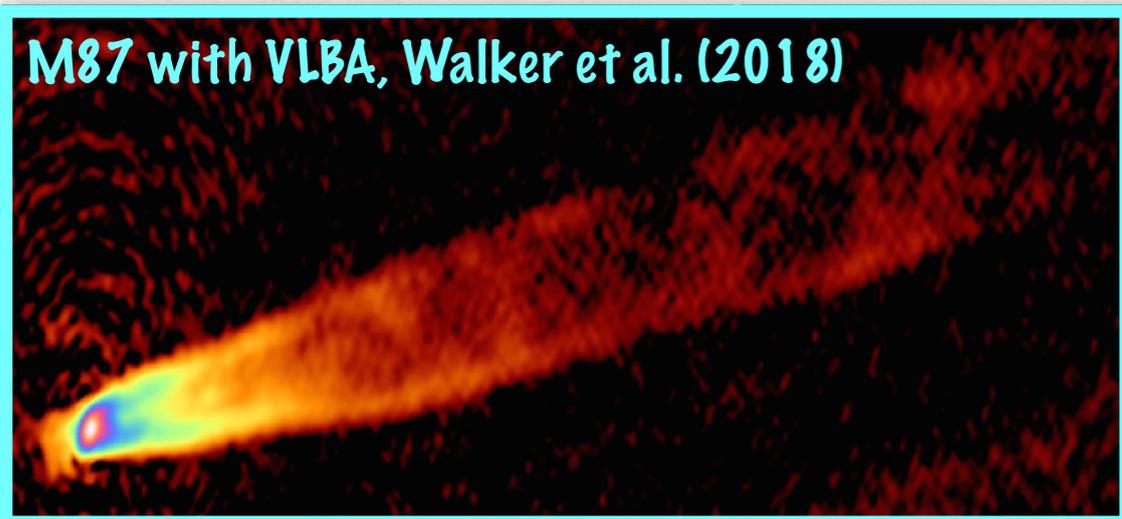
Marscher & Jorstad (2010)

- individual turbulent eddies may produce electron distributions with different  $\gamma_{\text{max}}$  and random polarization angles
- distribution of  $\gamma_{\text{max}}$  values would explain fractional variabilities  $F_{\text{var}}(\nu_{\text{obs}})$  and polarization degrees  $\Pi(\nu_{\text{obs}})$

# IS THERE A TRANSITION FROM ORDER TO TURBULENCE?

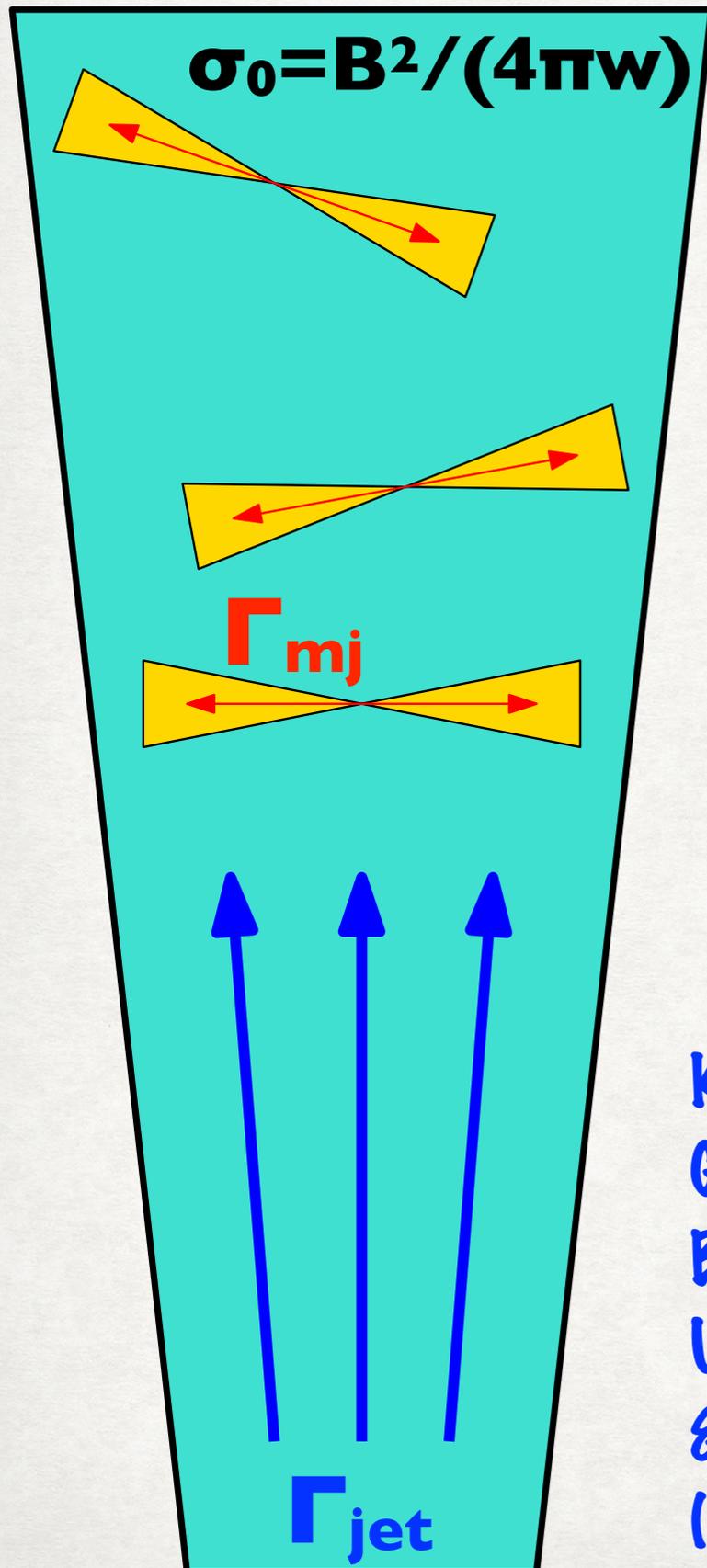


M87 with VLBA, Walker et al. (2018)



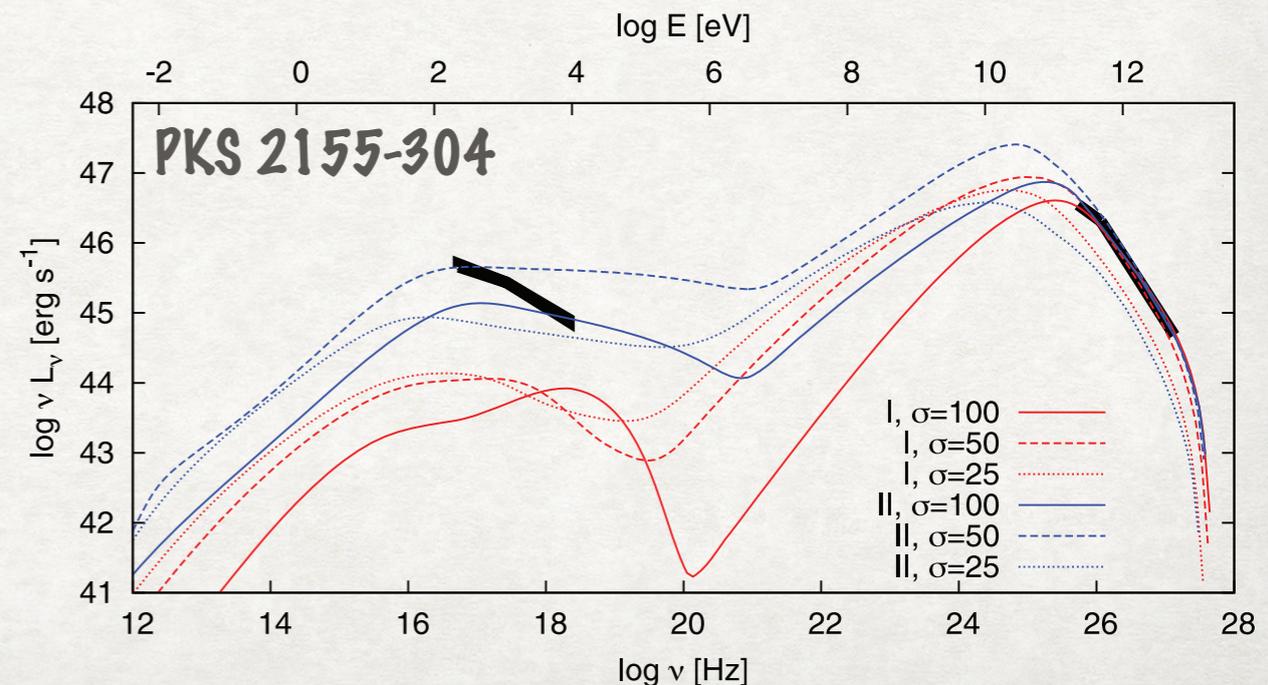
M87 with VLA, Pasetto et al. (2021)

# MINIJETS MODEL

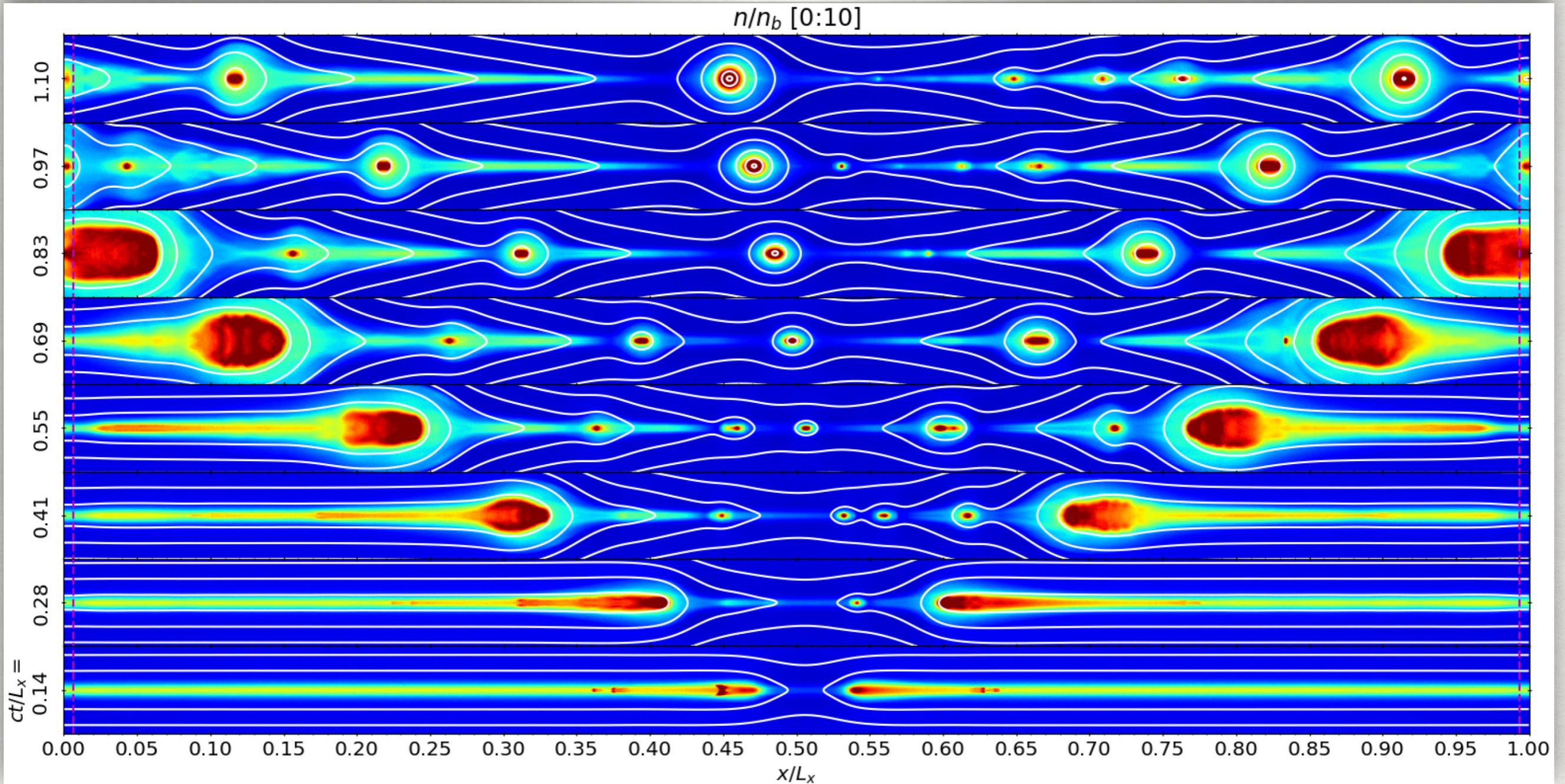


- reconnection produces localized relativistic outflows (minijets) with  $\Gamma_{mj}$  within a larger relativistic jet
- explains additional relativistic Lorentz boost ( $\Gamma_{fl} \sim \Gamma_{jet} \Gamma_{mj}$ ) and local dissipation
- based on relativistic Petschek reconnection model (Lyubarsky 2005)
- depends on the scaling of minijet Lorentz factor with jet magnetization  $\Gamma_{mj} \propto \sigma_0^{1/2}$  in relativistic regime (Giannios, Uzdensky & Begelman 2009)

KN,  
Giannios,  
Begelman,  
Uzdensky  
& Sikora  
(MNRAS 2011)



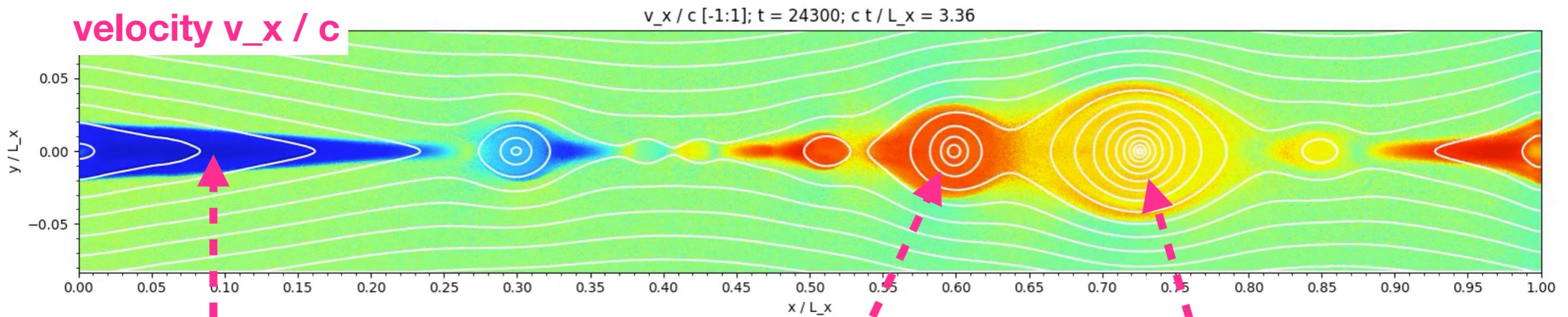
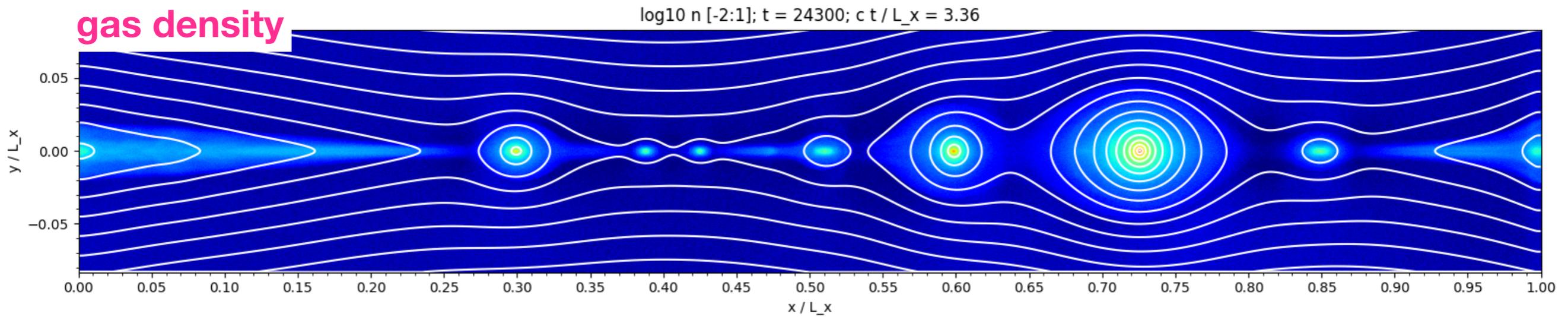
# PLASMOID RECONNECTION WITH OPEN BOUNDARIES



J. Ortuño-Macías & KN (2020)

see also  
Daughton et al. (2006)  
Sironi et al. (2016)

# PARTICLE-IN-CELL SIMULATION OF RELATIVISTIC RECONNECTION WITH OPEN BOUNDARIES



minijet

small/fast  
plasmoid

large/slow  
plasmoid

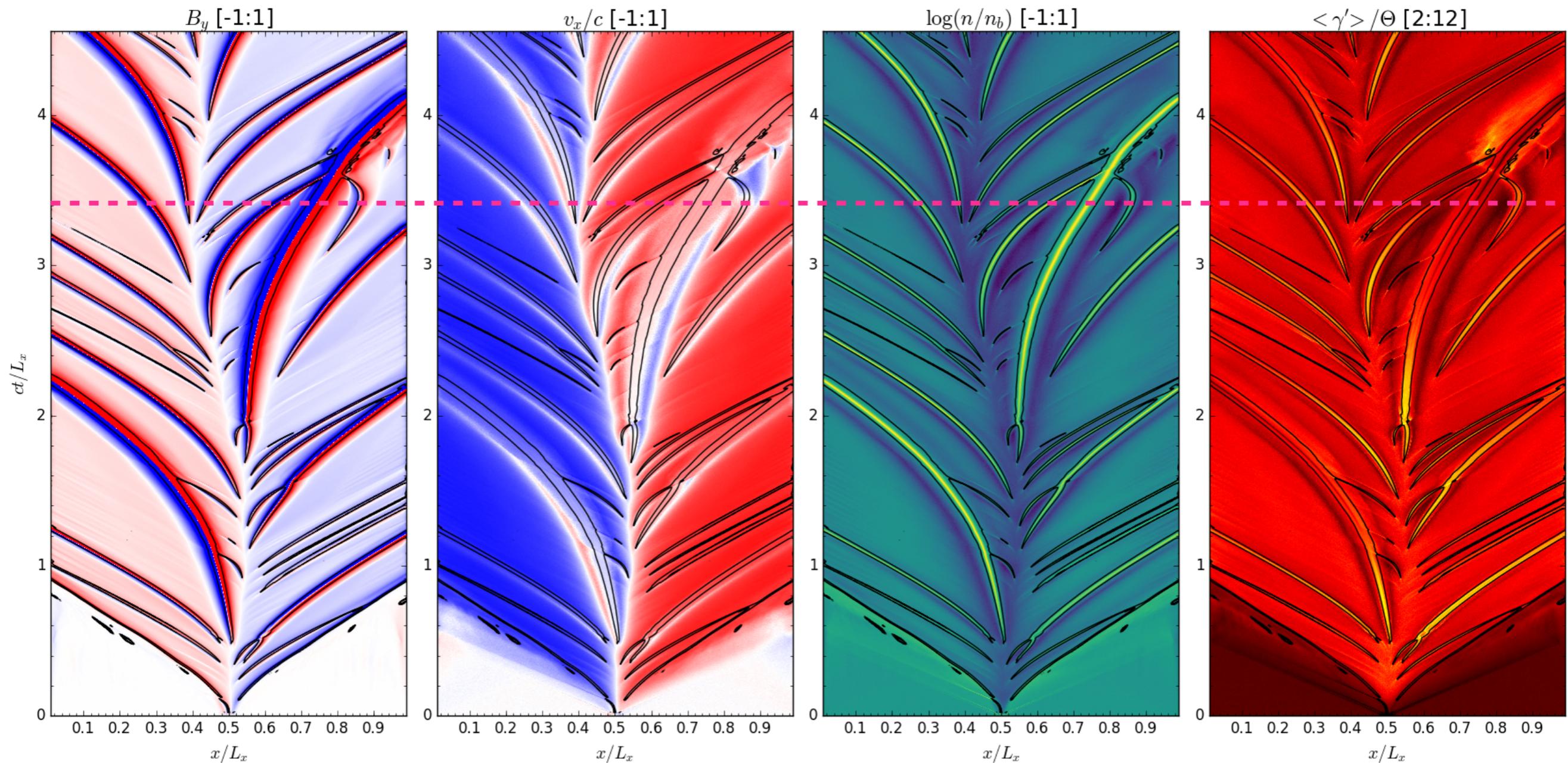
# RECONNECTION WITH OPEN BOUNDARIES: SPACETIME DIAGRAMS

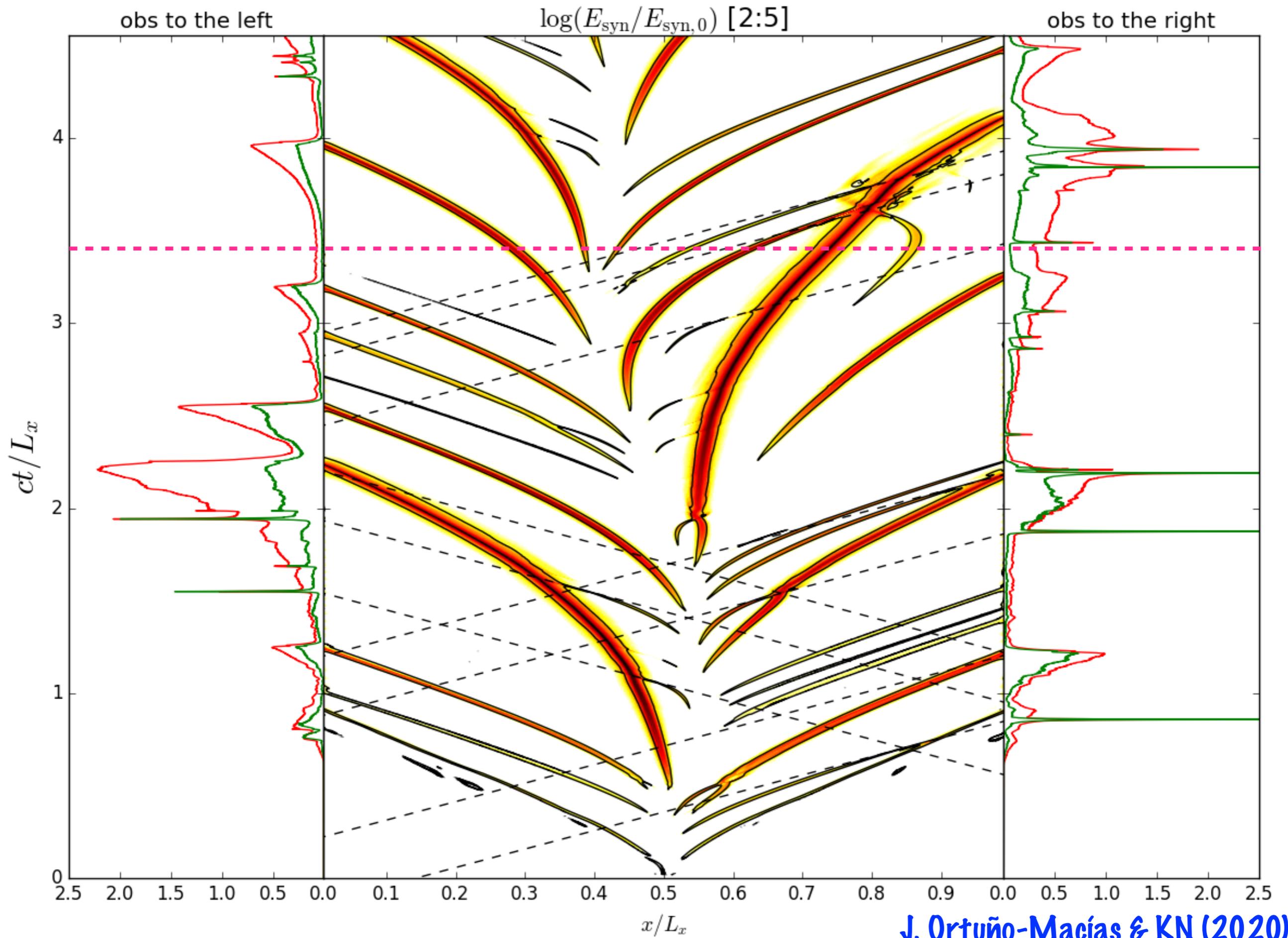
magnetic field  $B_y$

velocity  $v_x$

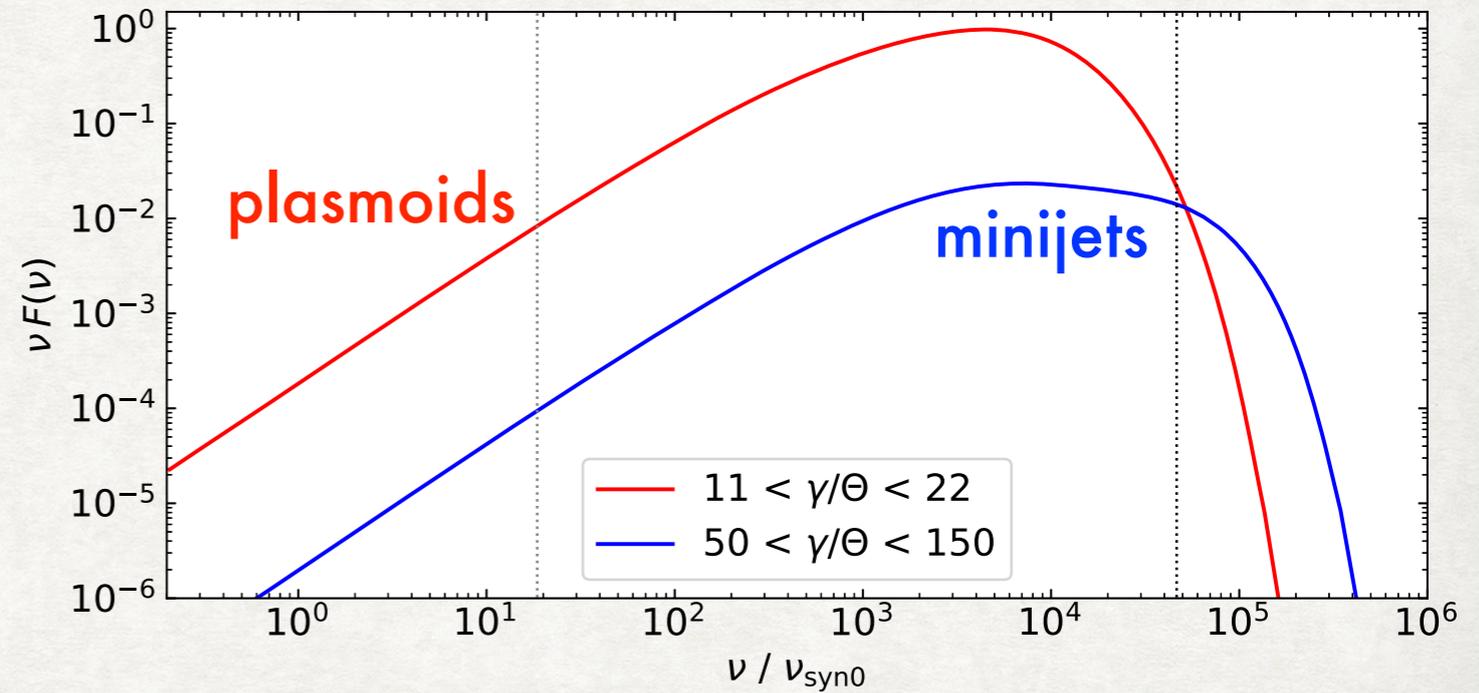
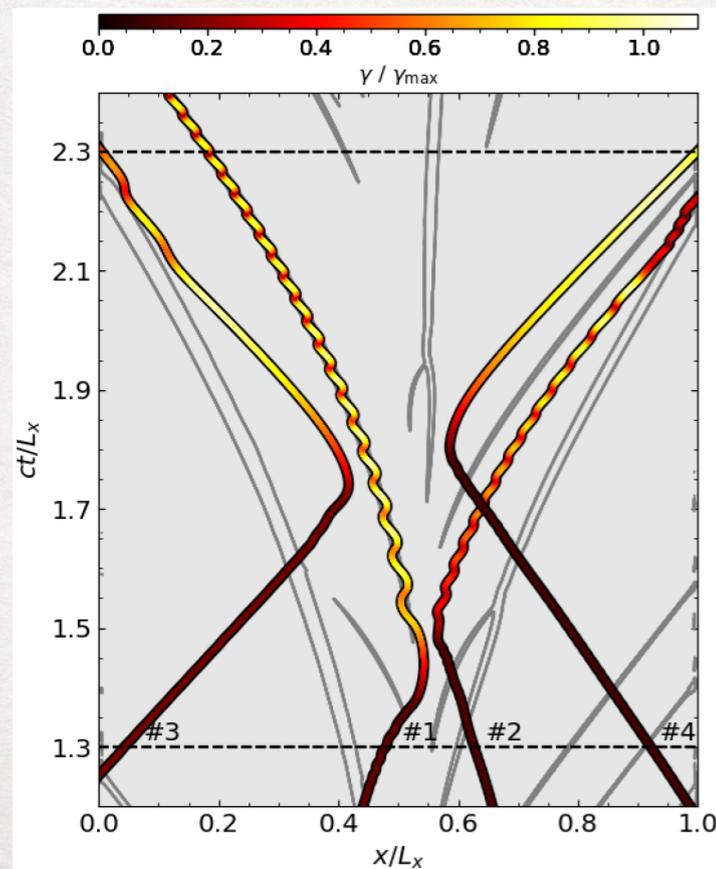
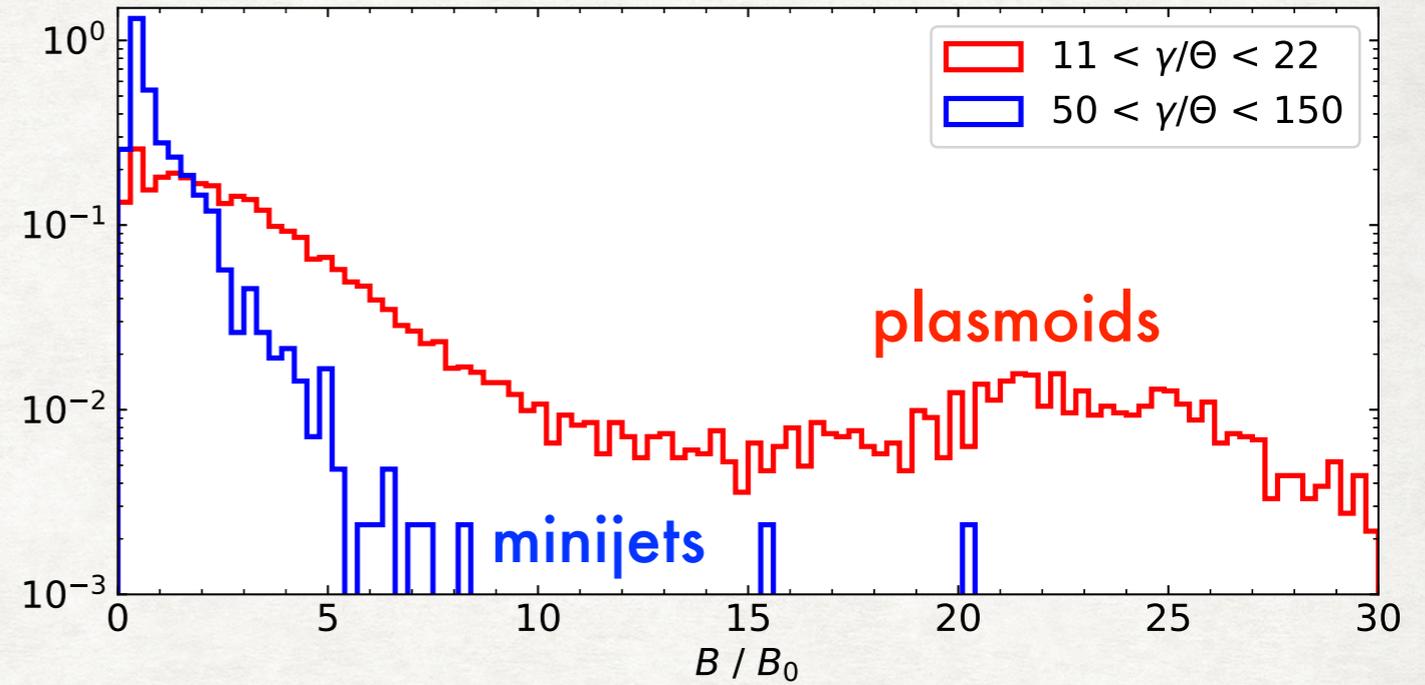
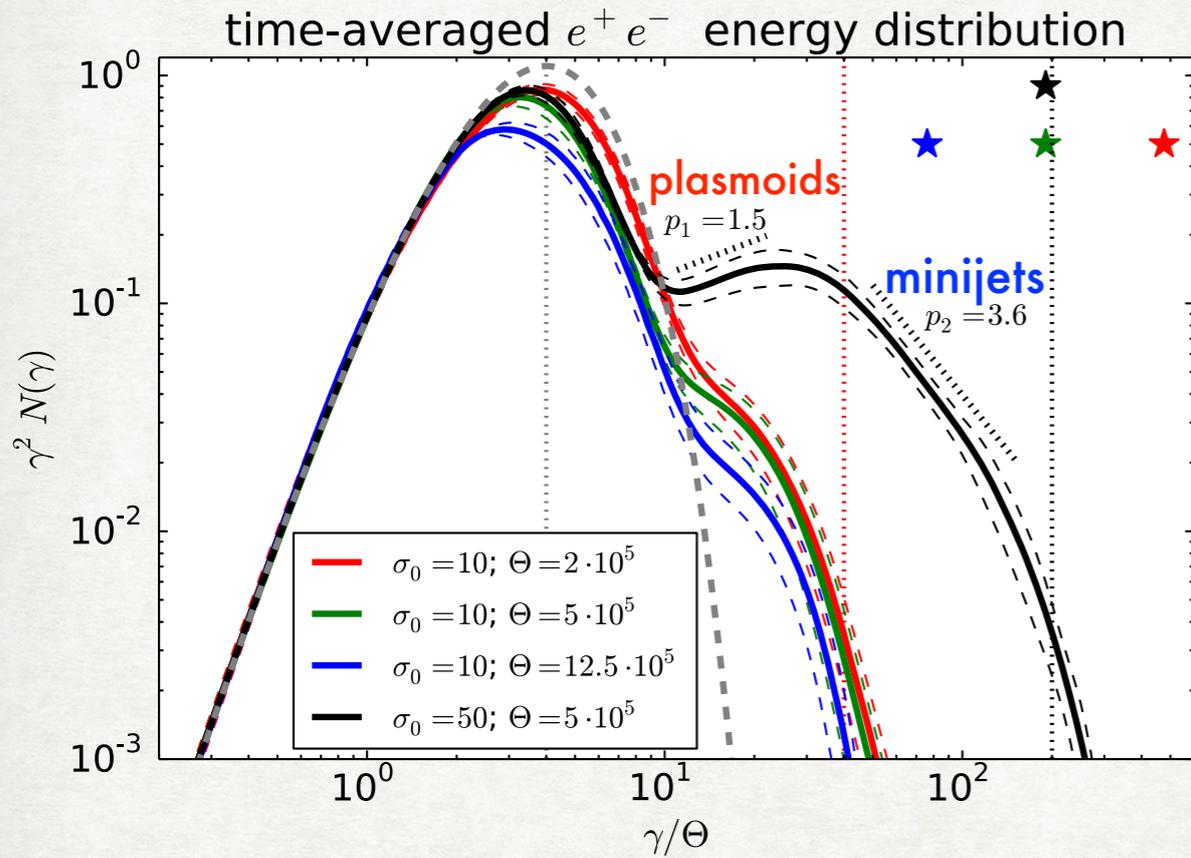
gas density

mean particle energy  
in co-moving frame



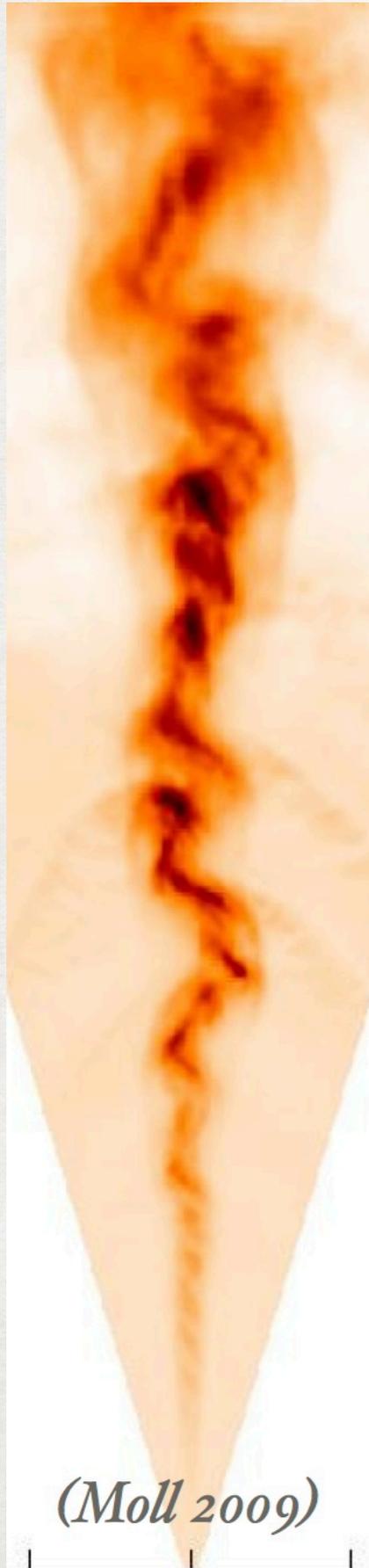


# PARTICLE ACCELERATION: PLASMOIDS VS MINIJETS

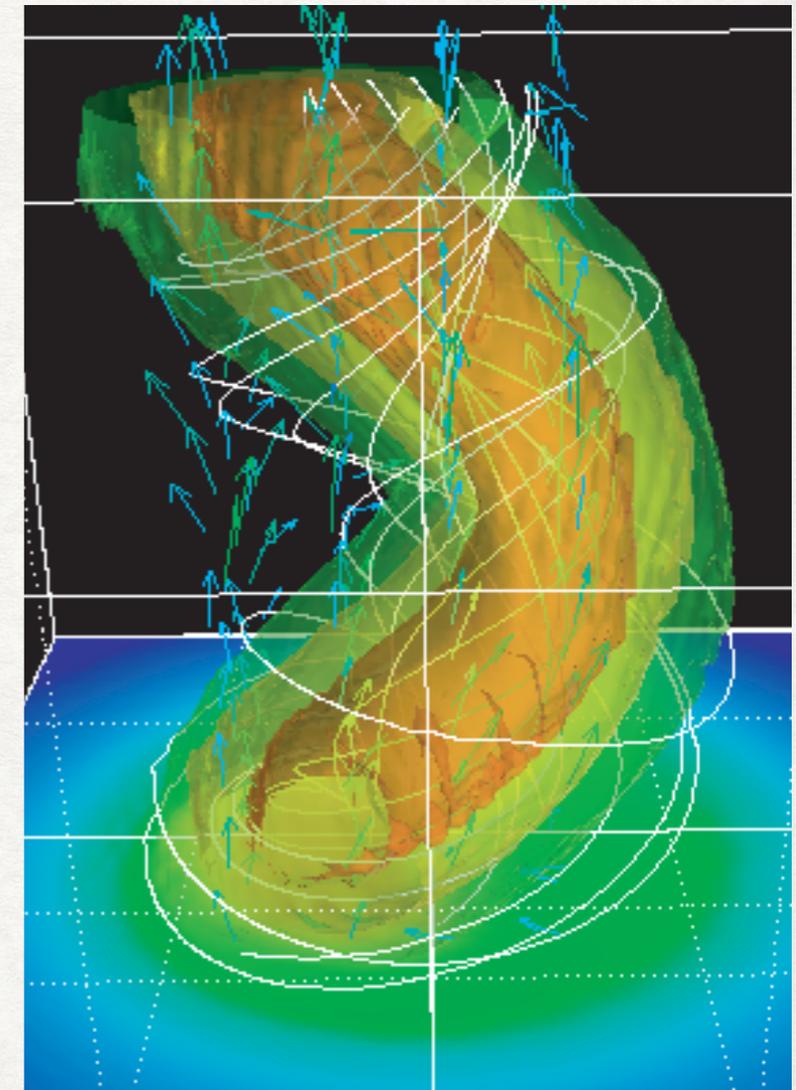


# INSTABILITIES OF JETS WITH TOROIDAL MAGNETIC FIELDS

- toroidal magnetic field supported by gas pressure is unstable  
**(Kruskal & Schwarzschild 1954)**
- magnetic fields in expanding jets become increasingly toroidal  
 $B_\phi \propto R^{-1}$ ,  $B_p \propto R^{-2}$
- jets may need to dissipate their magnetic fields via magnetic reconnection  
**(Giannios & Spruit 2006)**



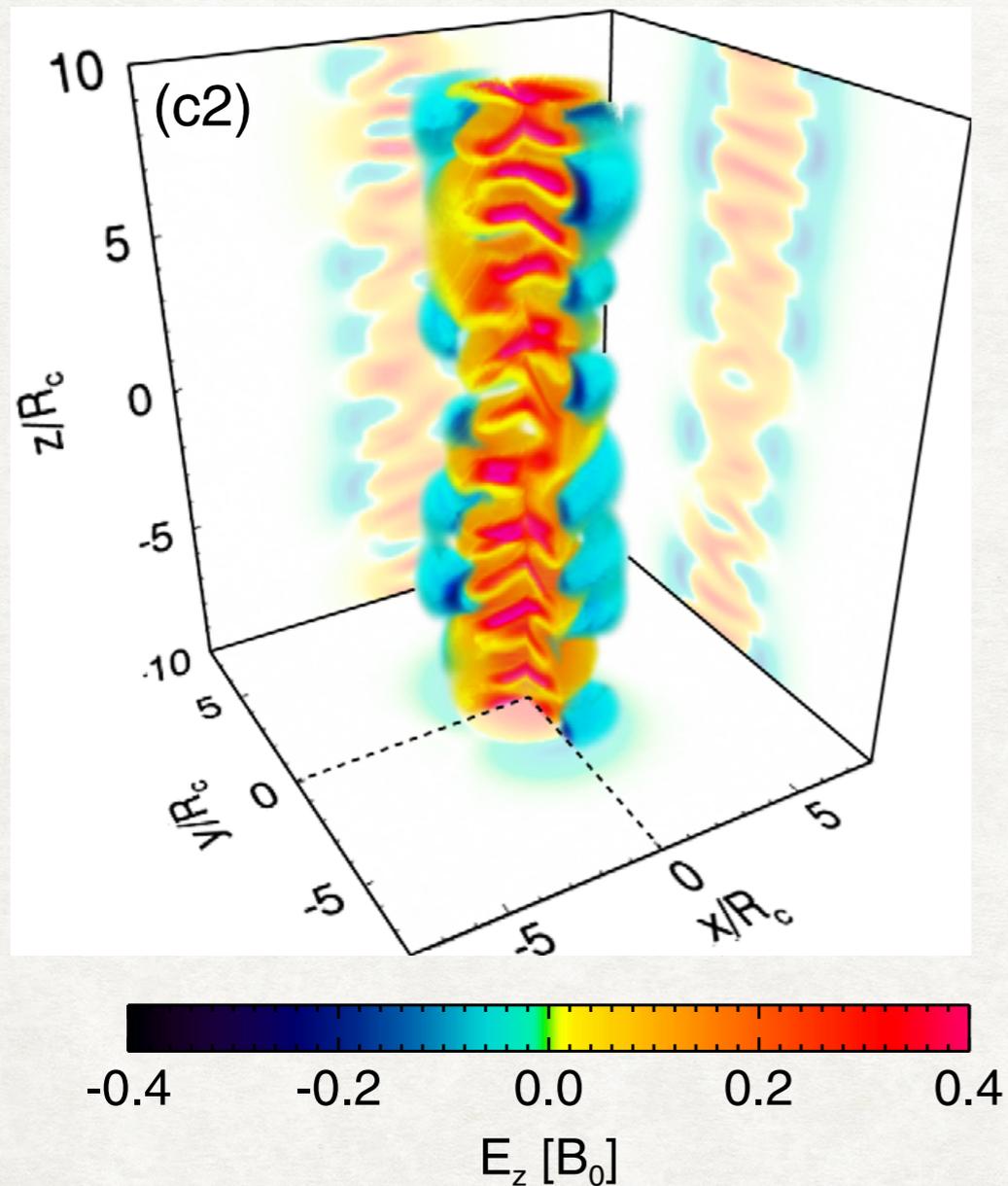
*(Moll 2009)*



**Mizuno et al. (2011)**

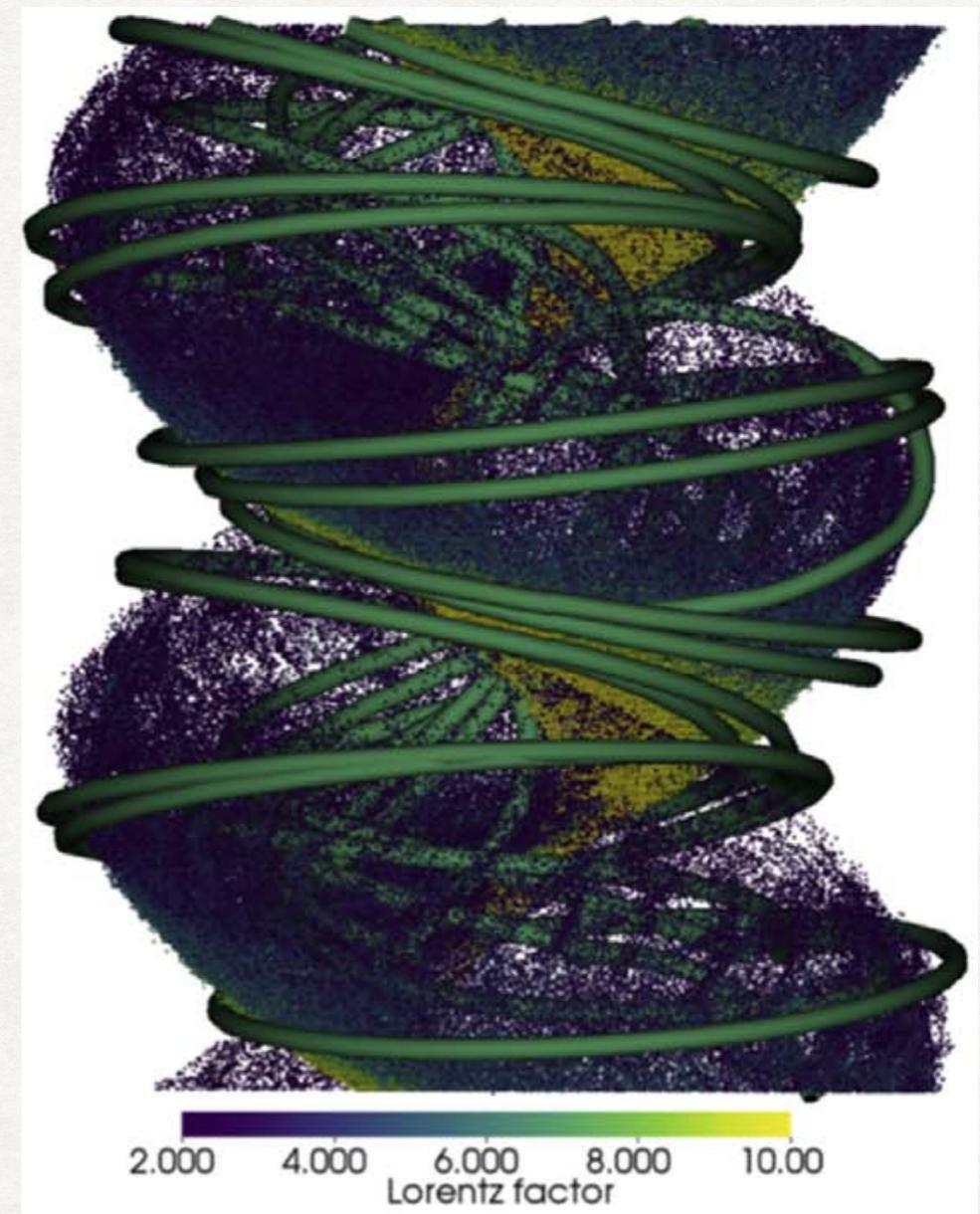
# KINETIC SIMULATIONS OF INSTABILITIES IN CYLINDRICAL JETS WITH TOROIDAL MAGNETIC FIELDS

gas pressure balanced  
(Z-pinch)



Alves, Zrake & Fiuza (2018)

axial magnetic field balanced  
(force-free screw-pinch)

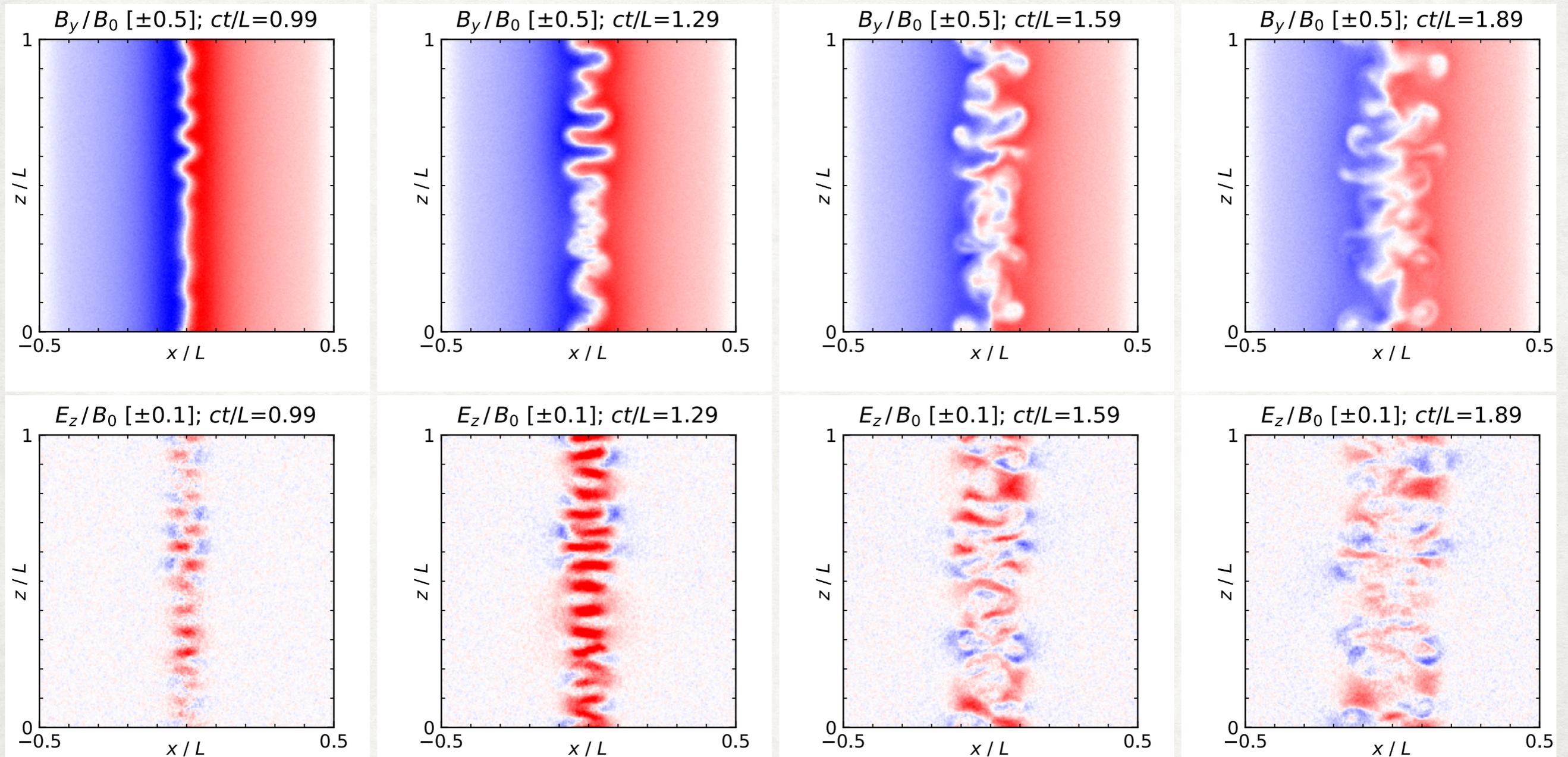


Davelaar, Philippov, Bromberg & Singh (2020)

efficient particle acceleration found in both cases

# KINETIC SIMULATIONS OF INSTABILITIES IN CYLINDRICAL JETS WITH TOROIDAL MAGNETIC FIELDS

3D, periodic boundaries, static equilibrium, pair plasma  
moderately relativistic magnetization, highly relativistic temperature



José Ortuño-Macías, KN, D. Uzdensky, M. Begelman, G. Werner, A. Chen, B. Mishra (in prep.)

# MIXED PRESSURE BALANCE

- radial force balance:

$$\frac{B_\phi}{4\pi r} \frac{d(rB_\phi)}{dr} + \frac{1}{8\pi} \frac{dB_z^2}{dr} + \frac{dP_{rr}}{dr} = 0$$

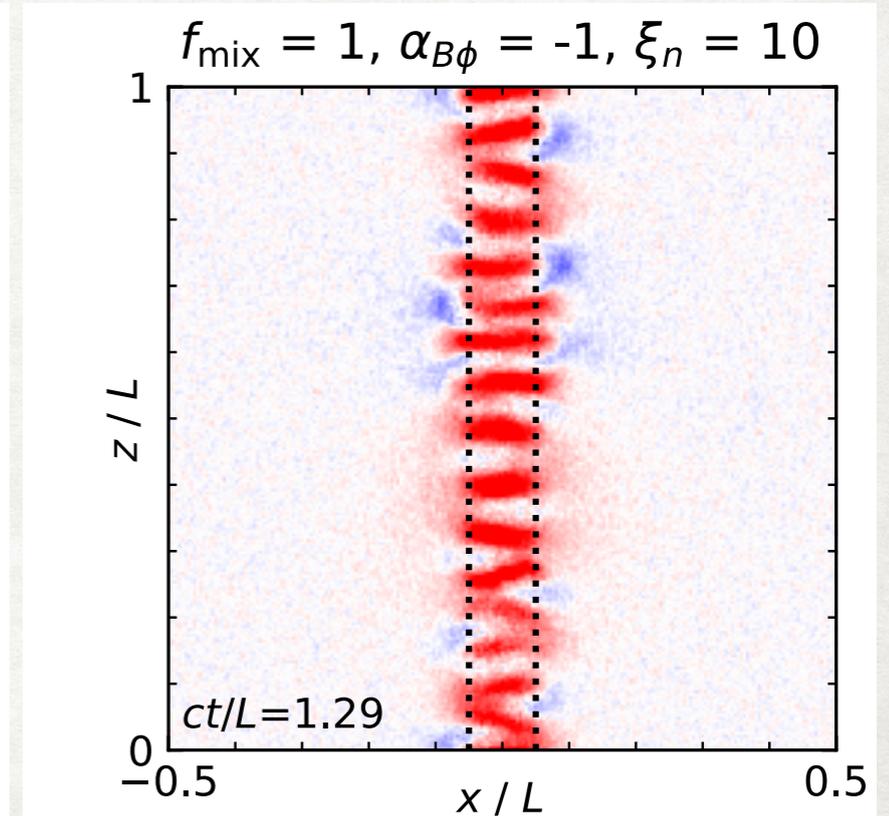
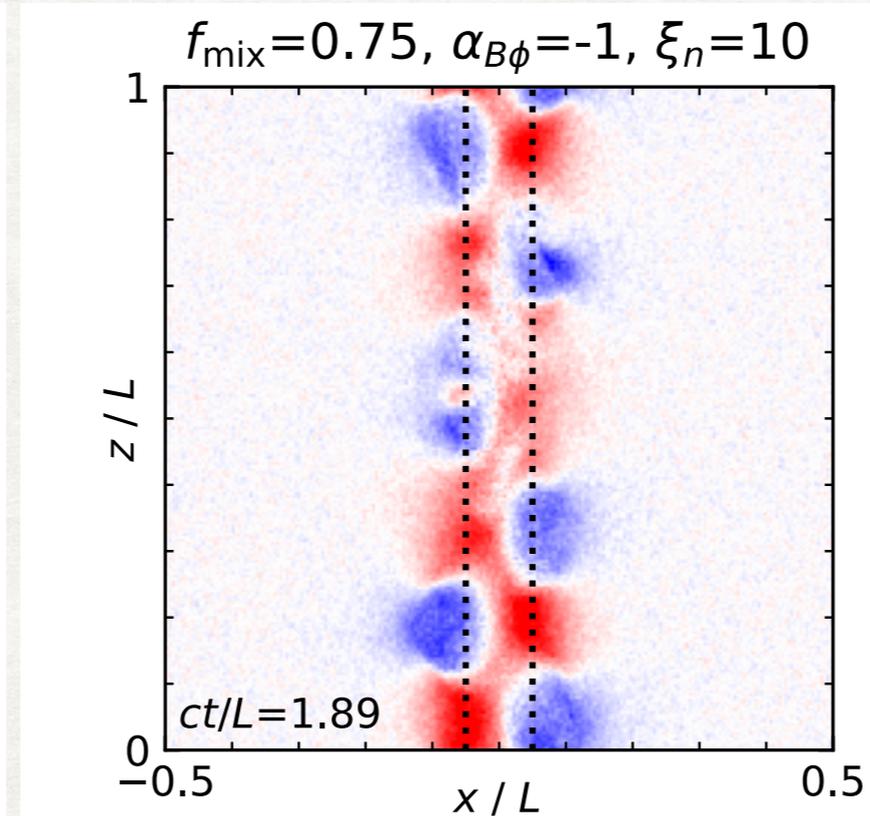
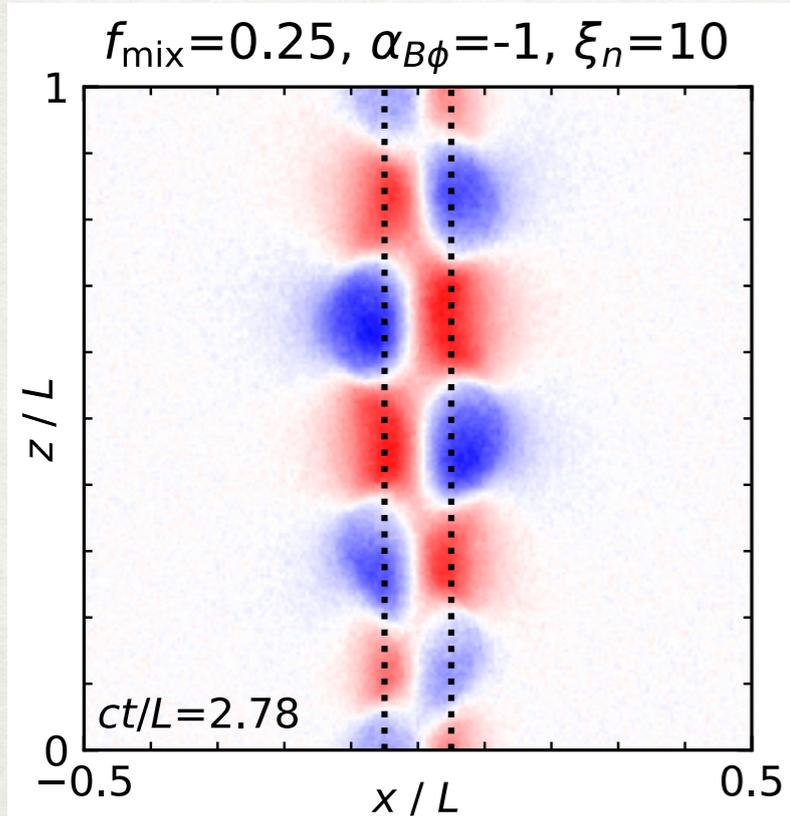
- introducing the pressure mixing parameter  $f_{\text{mix}}$ :

$$\frac{dP_{rr}}{dr} = -f_{\text{mix}} \frac{B_\phi}{4\pi r} \frac{d(rB_\phi)}{dr}$$

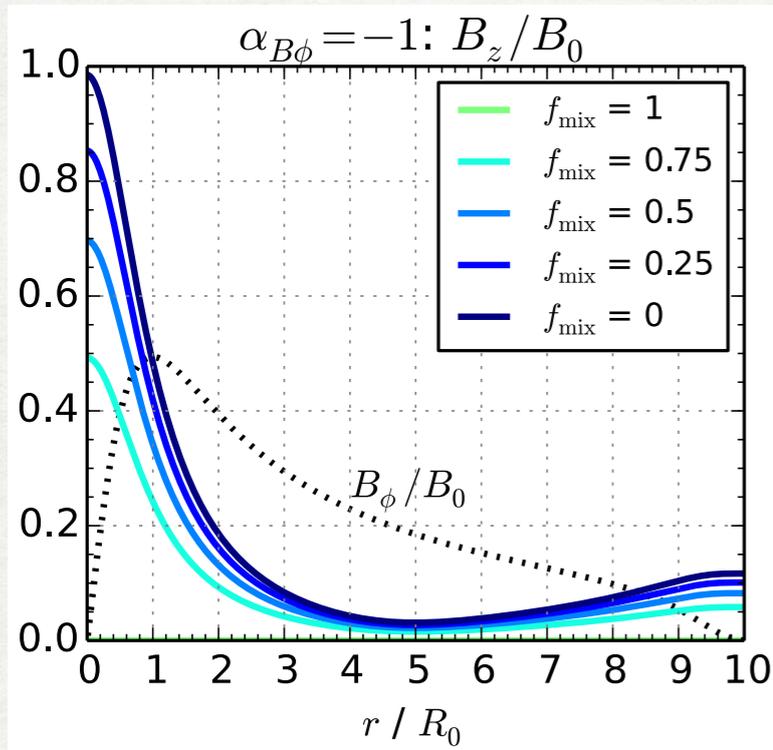
$$\frac{dB_z^2}{dr} = -(1 - f_{\text{mix}}) \frac{2B_\phi}{r} \frac{d(rB_\phi)}{dr}$$

- $f_{\text{mix}} = 0$  means  $dP_{rr}/dr = 0$   
 $B_\phi$  balanced by  $B_z$   
 force-free limit

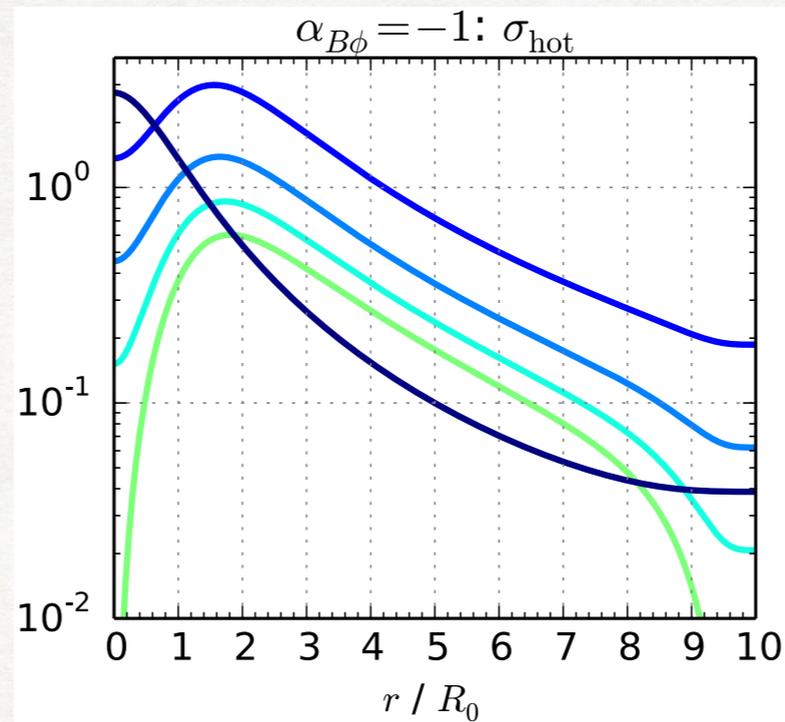
- $f_{\text{mix}} = 1$  means  $B_z = 0$   
 $B_\phi$  balanced by  $P_{rr}$   
 Z-pinch limit



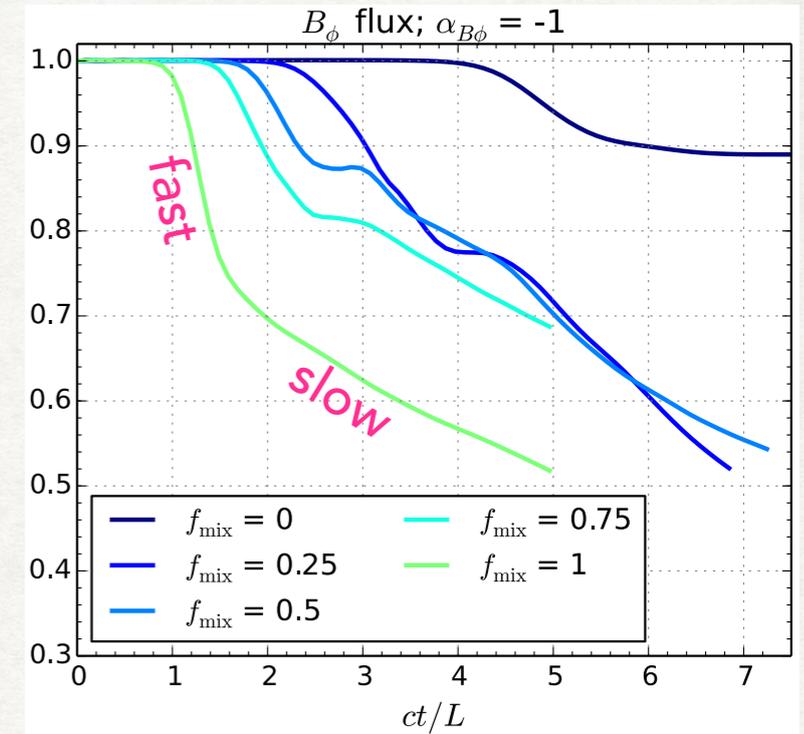
## initial B-field profiles



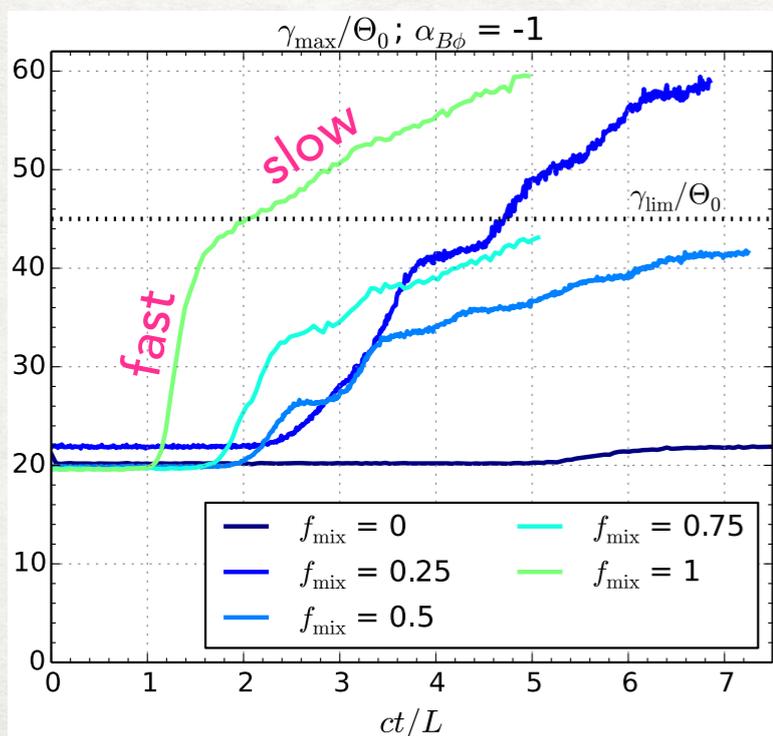
## initial magnetization



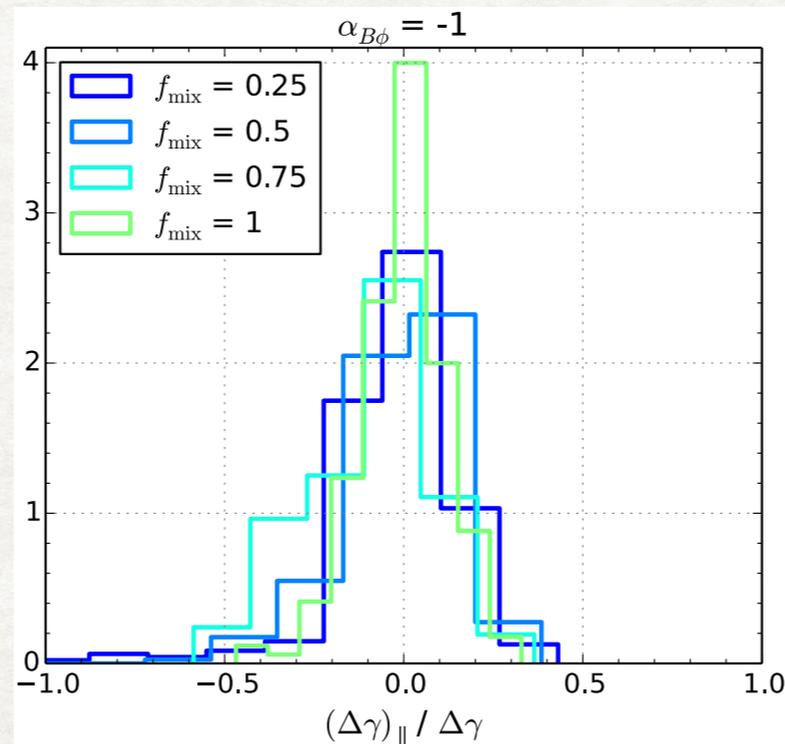
## $B_\phi$ flux dissipation



## particle acceleration



## acceleration by $E_{\parallel}$



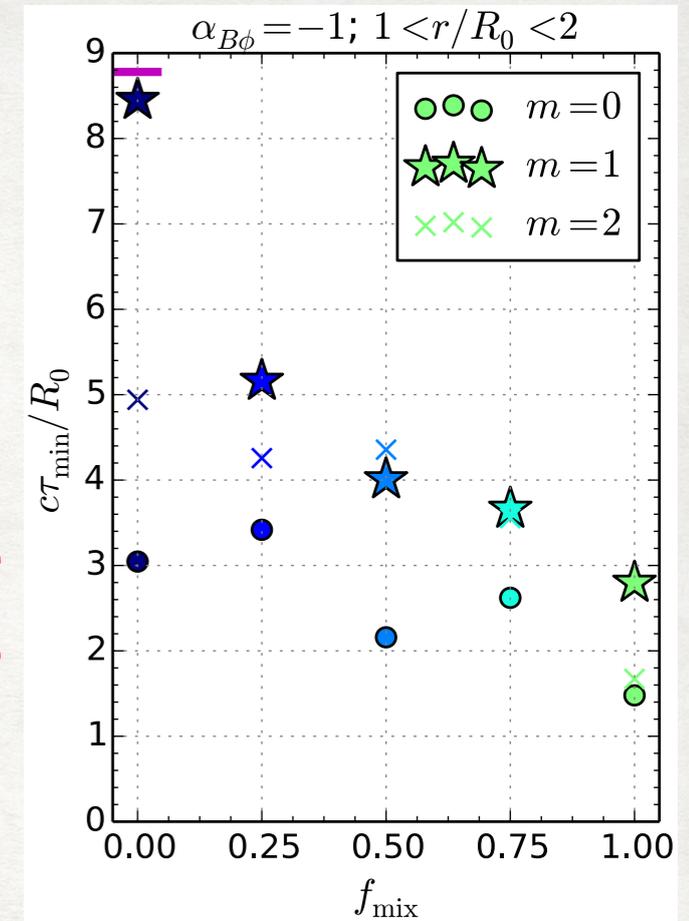
- fast magnetic dissipation and particle acceleration by  $\vec{E} \perp \vec{B}$  until the (Alves et al. 2018) confinement limit

$$\gamma_{\text{lim}} = eB_0R_0/mc^2$$

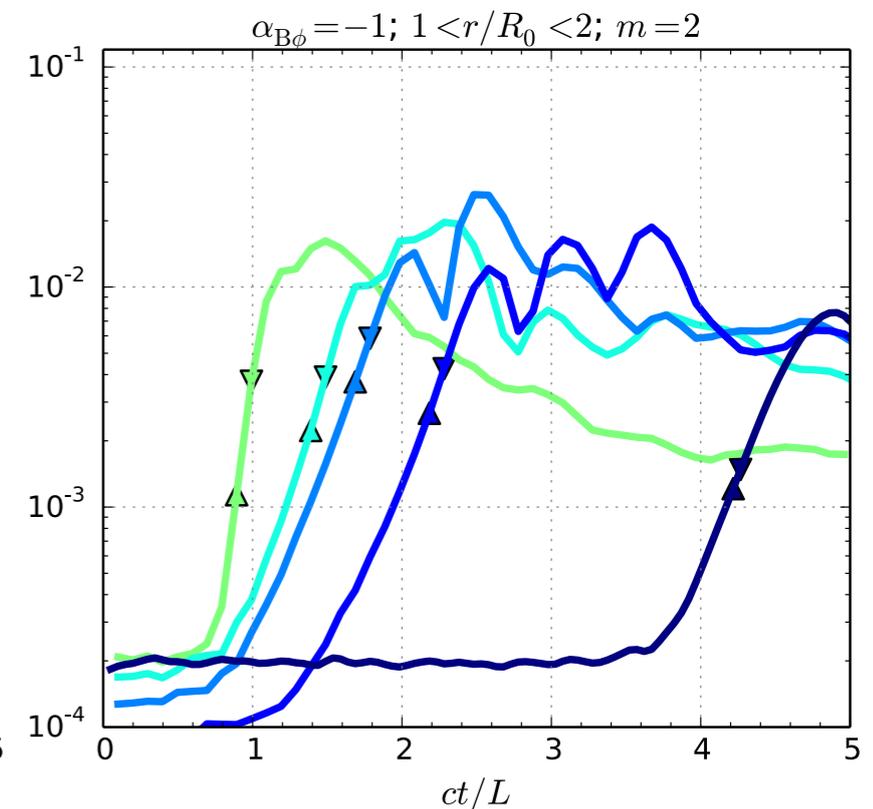
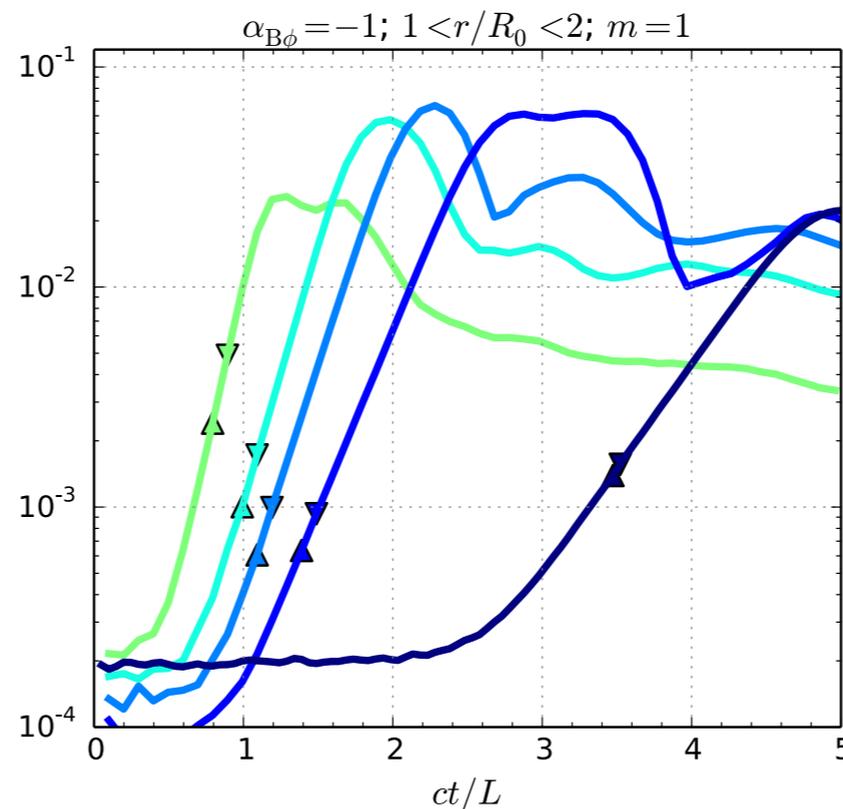
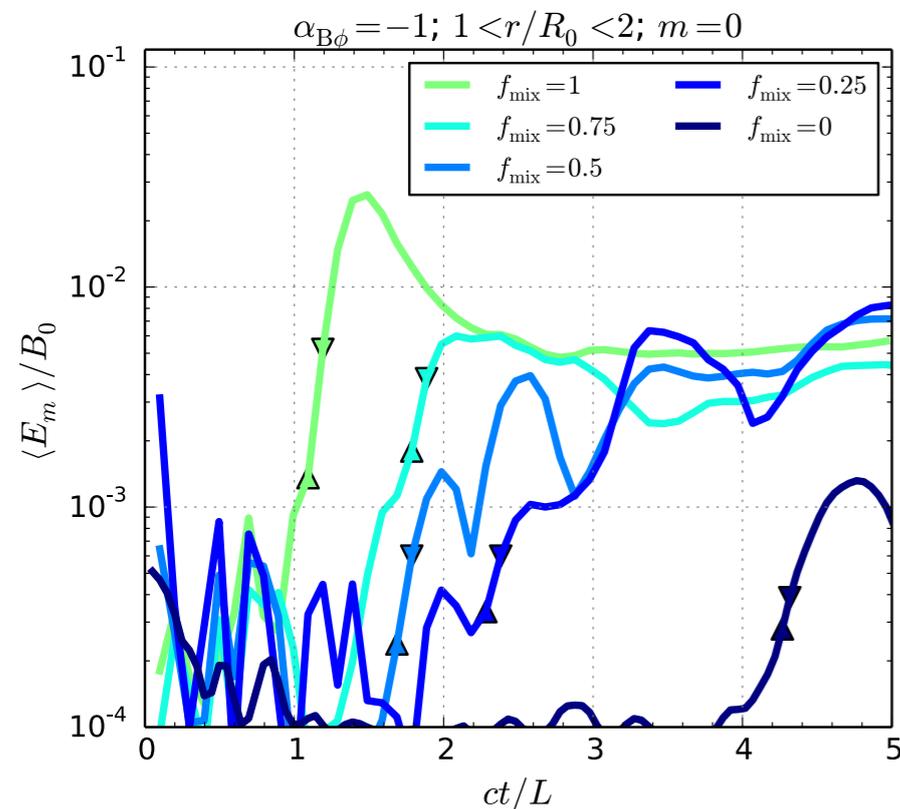
# PINCH VS. KINK MODES

- pressure-driven modes ( $f_{\text{mix}} \rightarrow 1$ ) grow faster
- $m = 1$  kink modes dominate for  $f_{\text{mix}} < 1$ , comparable to  $m = 0$  pinch modes for  $f_{\text{mix}} = 1$

minimum  
growth  
time  
scales



$E_z$  amplitudes in time



# SUMMARY

- Relativistic AGN jets manifest robust particle acceleration through luminous highly variable non-thermal emission observed in blazars.
- The maximum electron energy  $\gamma_{\max}$  attains characteristic values for main blazar types (FSRQs and BL Lacs), but what determines them?
- The scenario involving relativistic magnetic reconnection requires an extreme contrast of magnetization values **(KN 2016)**.
- Relativistic jets are likely turbulent with a large number of emitting regions with stochastic parameter values.
- Magnetic reconnection can be triggered in relativistic jets by global magnetic field reversals or instabilities of toroidal magnetic field.
- The minijets scenario has been revisited, they co-exist with plasmoids, accelerating particles to higher energies, but less luminous due to low particle density **(J. Ortuño-Macías & KN 2020)**.
- Instabilities of cylindrical jets investigated by kinetic simulations: gas pressure balanced Z-pinches grow faster with comparable kink and pinch modes **(J. Ortuño-Macías et al., in prep.)**.