



Cosmic ray transport near particle accelerators

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Introduction



Cosmic-ray transport proceeds by diffusion and by advection

Advection: determined by gas flow, modified by cosmic-ray pressure gradient

Diffusion: determined by plasma turbulence, driven by the cosmic rays



Introduction



Cosmic-ray transport equation
with diffusion coefficient D_r
and flow speed u

$$\frac{\partial N}{\partial t} = \nabla(D_r \nabla N - \mathbf{u}N) - \frac{\partial}{\partial p} \left((N\dot{p}) - \frac{\nabla \cdot \mathbf{u}}{3} Np \right) + Q$$

Far from sources and shocks, the system approaches an equilibrium

In the Galaxy ($u=0$): $N \propto (H - z)$

Upstream of a shock (in shock frame): $N \propto \exp \left(- \int_{x_{sh}}^x dr \frac{v_{sh}}{D_r} \right)$



Introduction



Driving of turbulence with growth rate Γ

Resonant: $\Gamma \propto D_r \frac{dN_{CR}}{dx} = D_r \frac{N_{CR,mean}}{H}$ on galactic scale



Nonresonant: $\Gamma \propto N_{CR} v_{sh} = N_{CR,sh} v_{sh}$ near shock

Driving is balanced by damping and nonlinear interactions



Local gradients

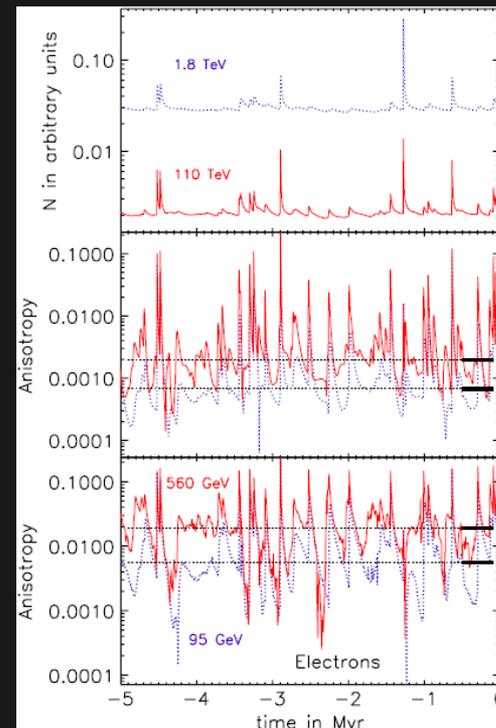


Cosmic ray distribution for random localized sources
(MP & Eichler 2013)

Local gradients are much stronger than global gradients

Wave driving is local, and so is wave damping

The diffusion coefficient will strongly vary with location





Introduction



Solar-system constraints measure „average“ cosmic-ray transport

Reality is a patchwork of strongly variable conditions in space and time

How can we physically model cosmic-ray transport?

Driving on large scales and cascades → Don't work well (Hopkins et al. 2021)

Self-confinement of cosmic rays → Tend to flip-flop behavior (Brose et al. 2016)



Geminga halo



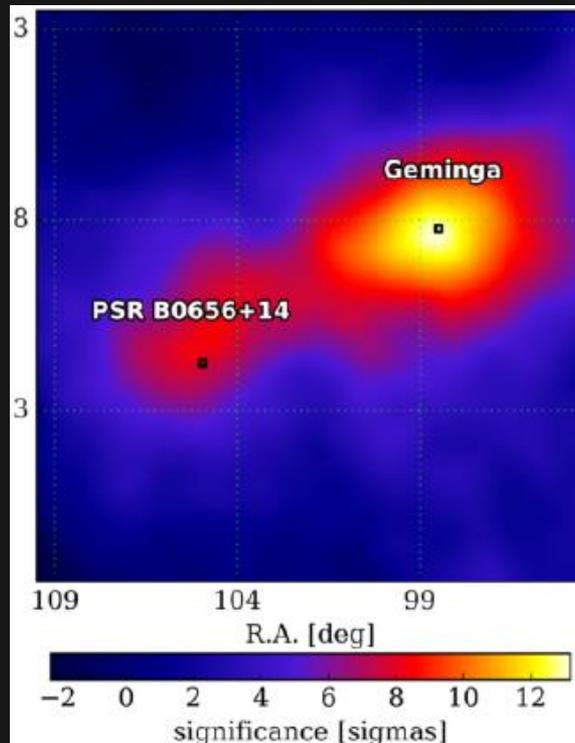
TeV halo around Geminga (HAWC coll. 2017)

Diffusion coefficient only 0.1% of Galactic mean

Electron energy density 0.01 eV/cc

Only 30x mean CR energy density at same energy

Is that enough? We have that around each SNR.





Issues



What is the effect of cosmic-ray pressure?

Do PWNs also release hadrons that drive turbulence?

Is the turbulence really fully due to cosmic-ray streaming?

Shouldn't there be bright haloes around each SNR?

Can I really model the situation without modeling the accelerator?



Issues



What is the effect of cosmic-ray pressure?

Negligible, if that is only 0.01 eV/cc

Do PWNs also release hadrons that drive turbulence?

That might provide significant pressure

Is the turbulence really fully due to cosmic-ray streaming?

Shouldn't there be bright haloes around each SNR?

Can I really model the situation without modeling the accelerator?



Issues



What is the effect of cosmic-ray pressure?

Do PWNs also release hadrons that drive turbulence?

Is the turbulence really fully due to cosmic-ray streaming?

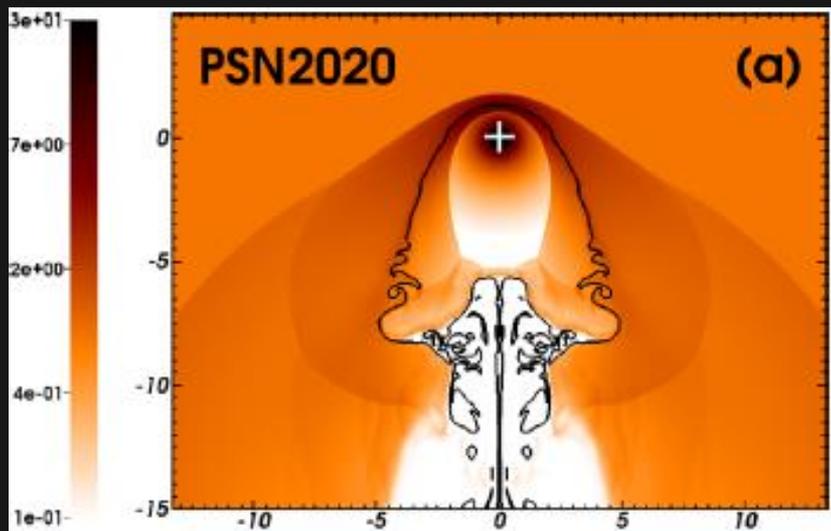
Remember the wind bubble ...

Shouldn't there be bright haloes around each SNR?

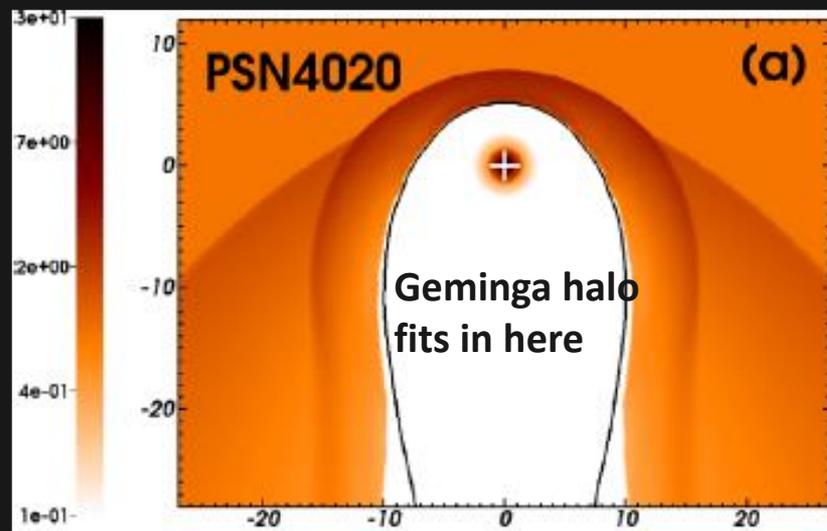
Can I really model the situation without modeling the accelerator?

Halo around SNRs

Wind bubble size depends on the progenitor mass



$20 M_{\text{sol}}$ at 20 km/s



$40 M_{\text{sol}}$ at 20 km/s

Density maps
Meyer et al. 2015



Issues



What is the effect of cosmic-ray pressure?

Do PWNs also release hadrons that drive turbulence?

Is the turbulence really fully due to cosmic-ray streaming?

Shouldn't there be bright haloes around each SNR?

Likely yes

Can I really model the situation without modeling the accelerator?

Probably not



SNR modeling



Modeling cosmic rays, turbulence, and hydrodynamics in parallel

$$\frac{\partial}{\partial t} \begin{pmatrix} \rho \\ \mathbf{m} \\ E \end{pmatrix} + \nabla \cdot \begin{pmatrix} \rho \mathbf{v} \\ \mathbf{m} \mathbf{v} + P \mathbf{I} \\ (E + p) \mathbf{v} \end{pmatrix}^T = \begin{pmatrix} 0 \\ 0 \\ L \end{pmatrix}$$
$$\frac{\rho v^2}{2} + \frac{P}{\gamma - 1} = E,$$

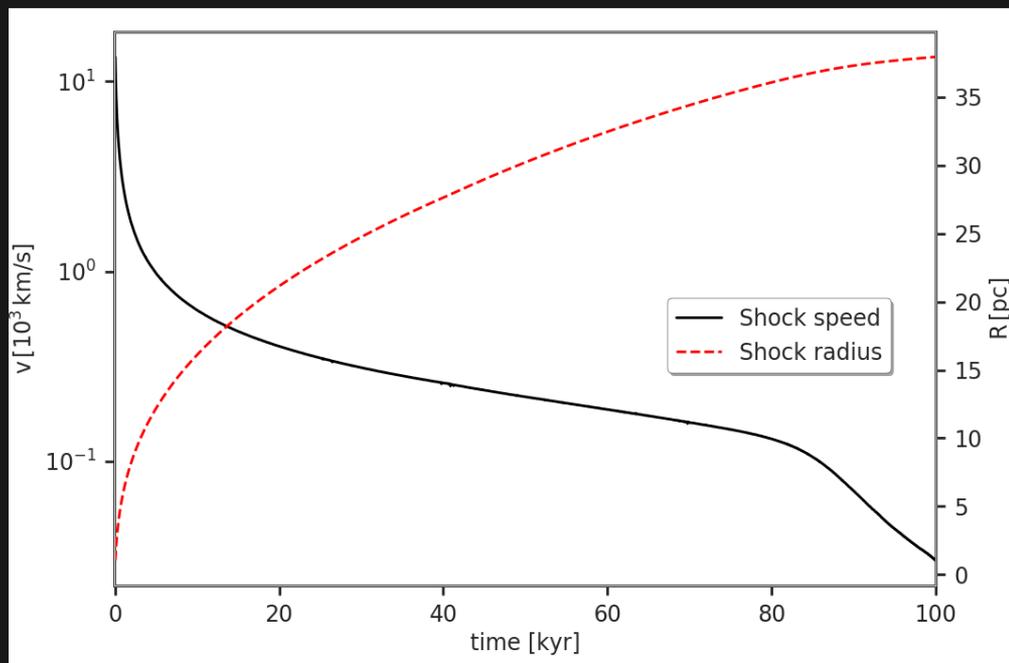
$$\frac{\partial N}{\partial t} = \nabla \cdot (D_r \nabla N - \mathbf{u} N)$$
$$- \frac{\partial}{\partial p} \left((N \dot{p}) - \frac{\nabla \cdot \mathbf{u}}{3} N p \right) + Q$$

$$\frac{\partial E_w}{\partial t} + \nabla \cdot (\mathbf{u} E_w) + k \frac{\partial}{\partial k} \left(k^2 D_k \frac{\partial E_w}{\partial k} \frac{1}{k^3} \right)$$
$$= 2(\Gamma_g - \Gamma_d) E_w.$$

Today: Type-Ia only (Brose et al. 2020, 2021)



SNR modeling



**Geminga halo is
deeply inside late SNR**

**What is left of the
SNR-produced turbulence?**

**Geminga halo likely not
entirely due to e^+ streaming**



SNR modeling



Models decisively depend on the injection efficiency

Its scaling behavior is unknown

Initially: Bohm-like diffusion and efficient acceleration

Later: Larger diffusion coefficients and inefficient acceleration

Cosmic rays tend to be dynamically important only late in the evolution



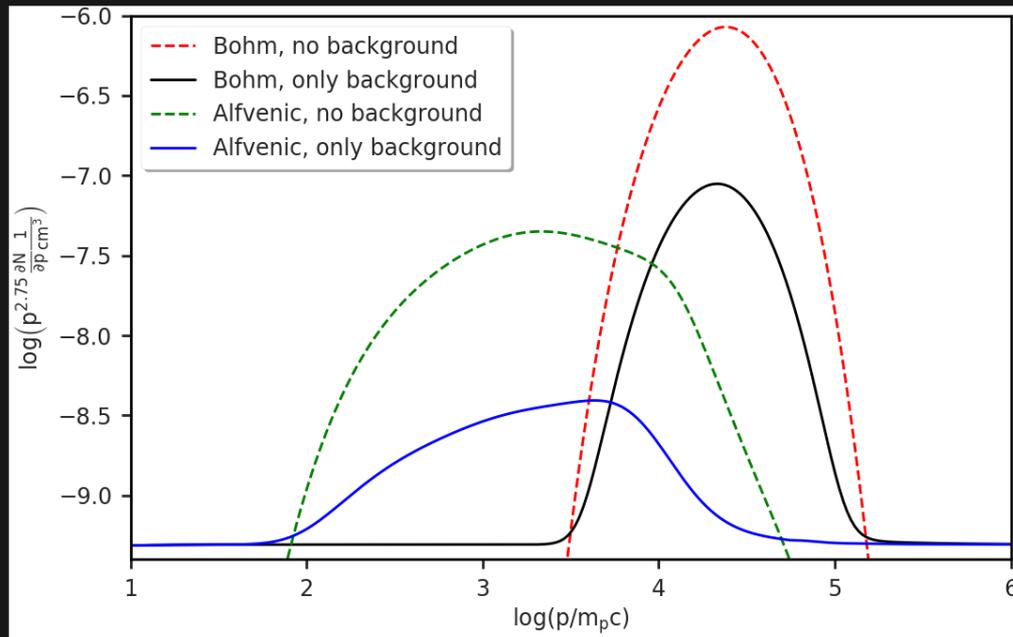
Halo around SNRs



Spectra 7.5pc ahead of the forward shock after 37 kyr.

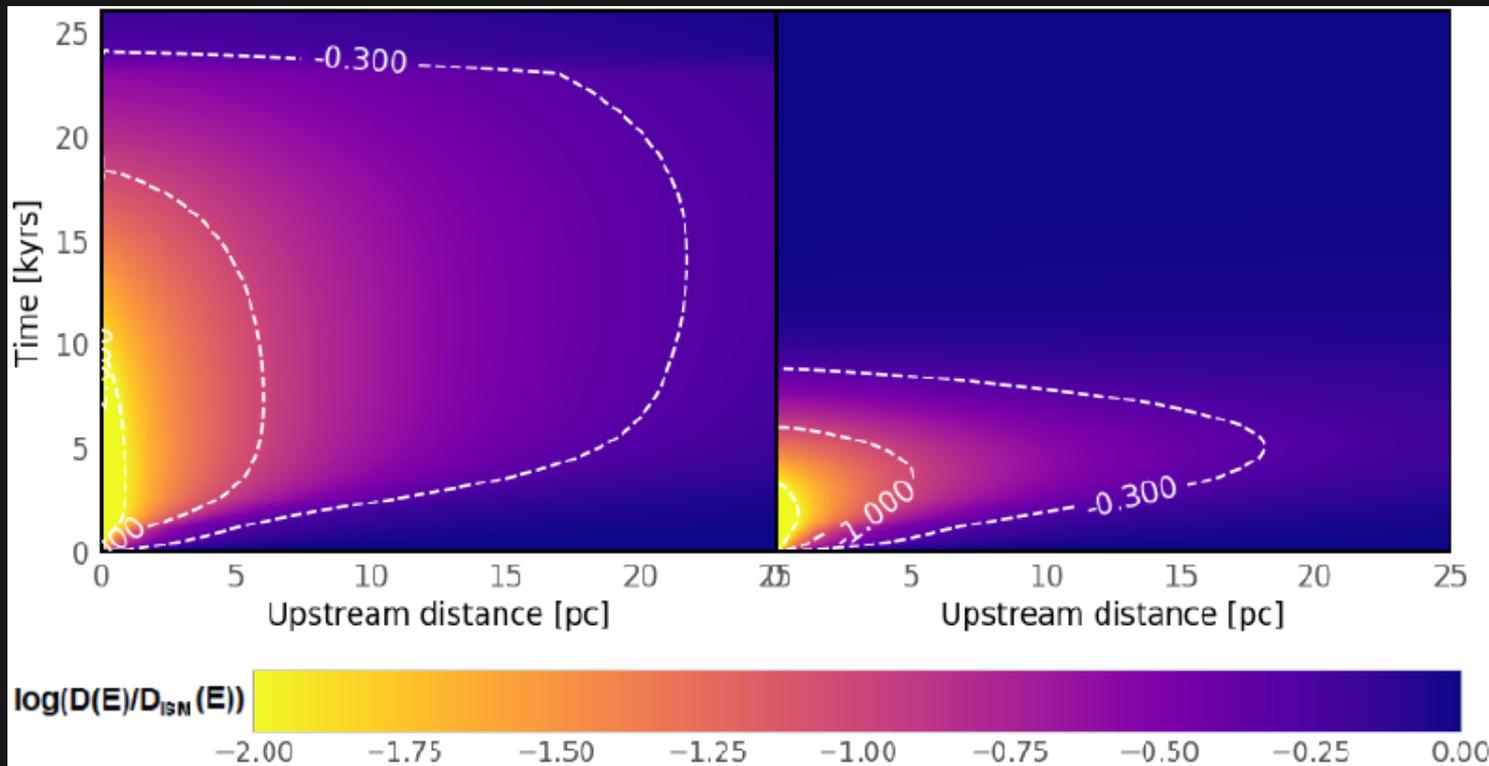
Turbulence modeling shapes cosmic rays that drive the waves

Halo cannot be modeled without considering the accelerator



Diffusion

100 GeV



3 TeV

Intensity around SNRs

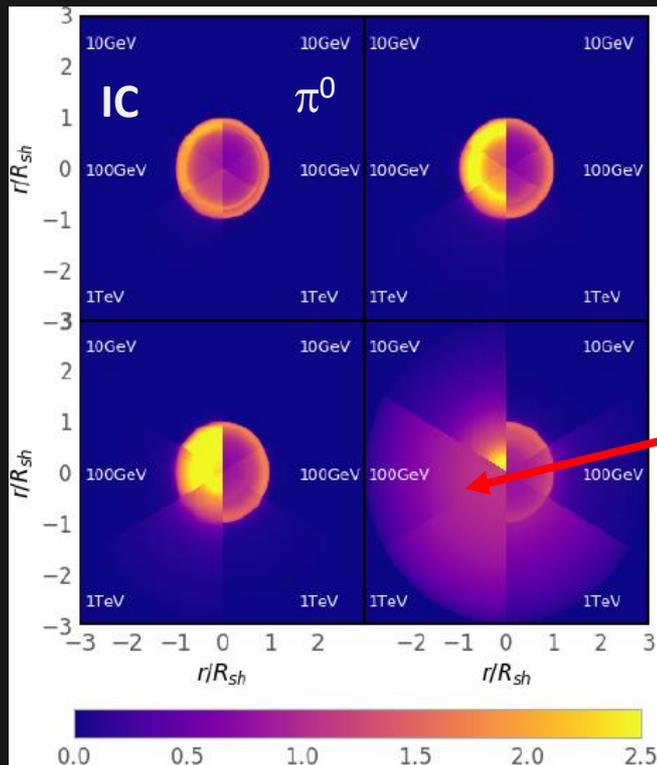
300 yrs

2000 yrs

1000 yrs

10,000 yrs

Haloes evident
after 10,000 yrs



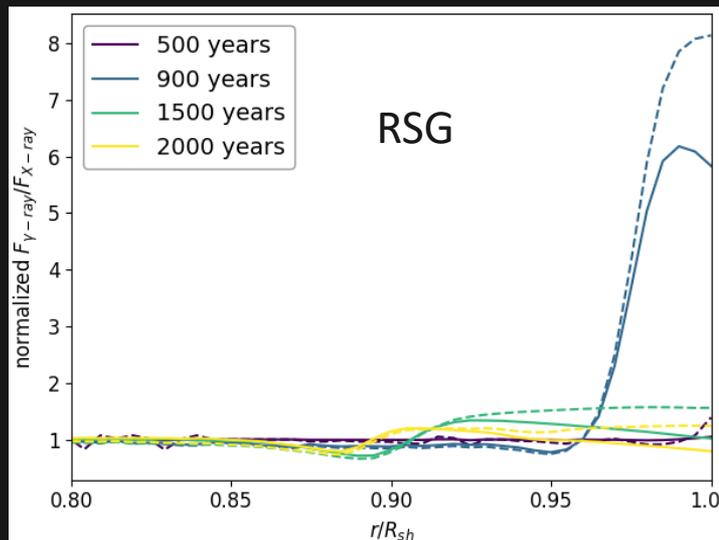
Always a thin shell in X rays



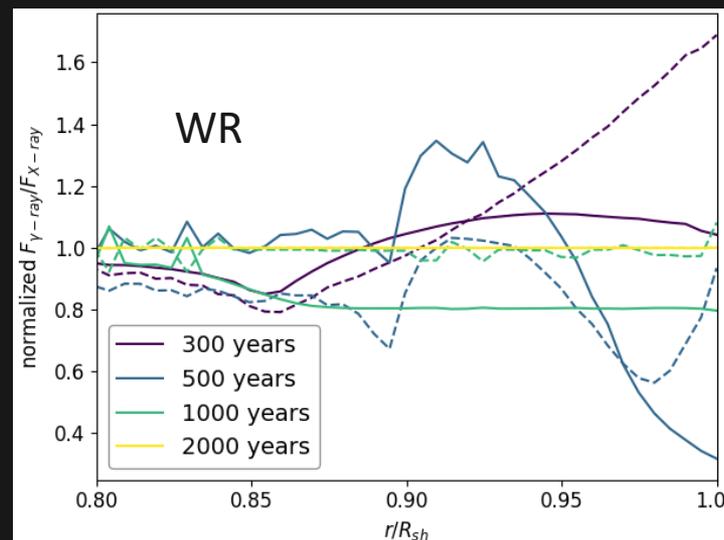
Young type-II SNRs



Do not assume a spatial correlation between X-ray and IC γ -ray intensity



Sushch et al.
2111.06946





Conclusions



- **Haloes around cosmic-ray accelerator are a natural feature**
- **Proper modeling requires simultaneous accounting for the accelerator**
- **Reduced diffusivity results from cosmic-ray streaming**
- **Diffusion coefficients are strongly variable in time and space**
- **At least for SNRs, the source is brighter than the halo**
- **Modeling of type-II SNRs and PWNs inside SNRs is still to be done**