

# Baryon Number Transport, Strangeness Conservation and $\Omega$ -hadron Correlations

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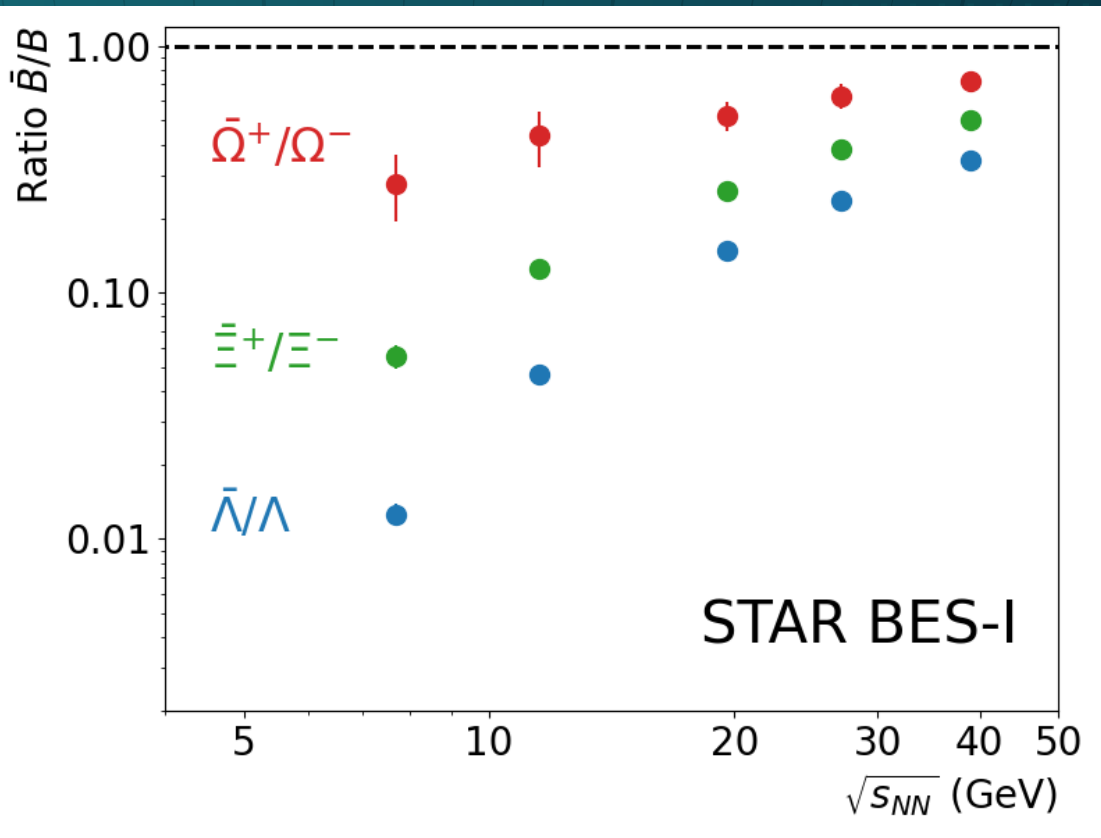
# → Outline

- ❑ Introduction
  - Strangeness Conservation in  $\Omega$  Production
  - Model and Energy Selection
- ❑ AMPT Data
  - Strange Quark Pair Counts
  - Strange Hadron Counts
- ❑ Hadron- $\Omega$  Correlation Function
- ❑ Difference in  $K^\pm - \Omega$  Correlations
- ❑ Difference in baryon- $\Omega$  Correlations
- ❑ Summary and Outlook

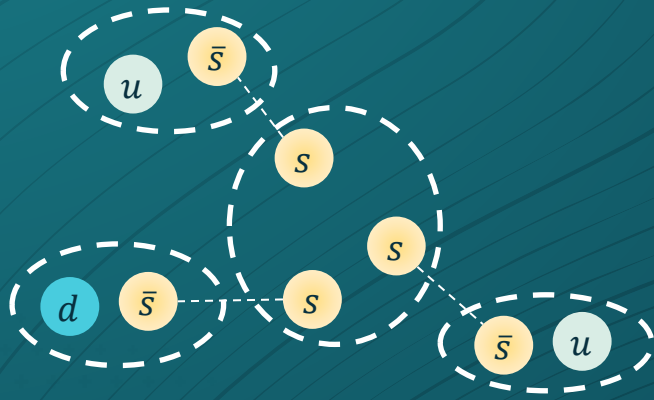
# Introduction

- At RHIC BES energies, below-unity  $\bar{B}/B$  ratios indicate net baryons transported from the colliding nuclei
  - $\Lambda$  and  $\Xi$  achieve this by carrying transported  $u/d$  quarks
  - For  $\Omega$ , strangeness conservation and baryon number conservation must interplay somehow

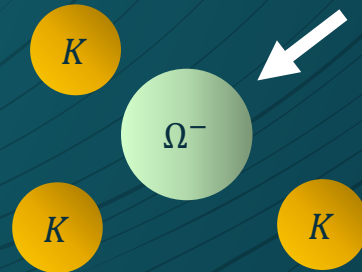
- How to probe quantitatively the underlying mechanism?**



# → Strangeness Conservation (scenario 1)

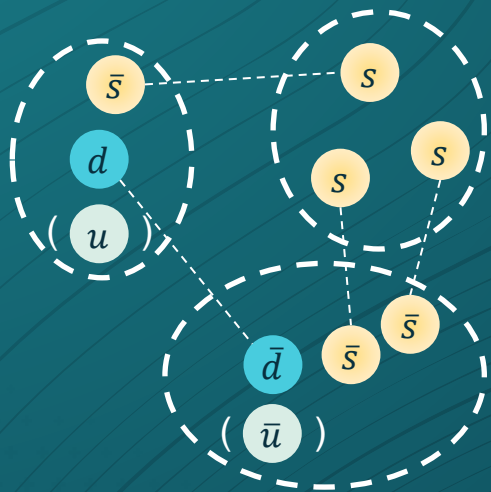


(some  $u$  and  $d$  quarks come from colliding nuclei)



Now carries (a fraction of) baryon number from colliding nuclei!

## Strangeness Conservation (scenario 2)



( $u\bar{u}$  or  $d\bar{d}$  from pair production)



Can replace  $\bar{\Xi}$  with  $\bar{\Lambda}$ ,  $\bar{\Sigma}$ ,  
or  $\bar{p}/\bar{n}$  with one or two  
extra  $K$ s

net baryon number = 0

# → Strangeness Conservation

Compare events with one  $\Omega$  with events without any (assuming all the other non- $\Omega$ -related processes are the same), the first-order toy model gives:

□ Scenario 1:

- $\Omega$  carries baryon number from colliding nuclei
- 3 extra  $K$
- No  $\bar{B}$  correlated with  $\Omega$

$$\rightarrow \Delta N_K = 3$$

$$\rightarrow \Delta N_{\bar{B}} = 0$$

$$\Delta(\dots) \equiv \langle \dots \rangle_{w.\Omega} - \langle \dots \rangle_{w.o.\Omega}$$

□ Scenario 2:

- $\Omega$  production not associated with net baryon number
- 1, 2 or 3 extra  $K$
- One anti-baryon correlated with  $\Omega$

$$\rightarrow \Delta N_K = 1(\bar{\Xi}), 2(\bar{\Lambda}, \bar{\Sigma}), 3(\bar{p}, \bar{n})$$

$$\rightarrow \Delta N_{\bar{B}} = 1$$

$\bar{B}$  refers to  $\bar{\Lambda}, \bar{\Sigma}, \bar{\Xi}, \bar{p},$  and  $\bar{n}$

**Experimental approach:**

**Measure  $K^\pm - \Omega$  and  $\bar{\Xi}^+(\bar{\Lambda}^0, \bar{p}) - \Omega$  correlation**

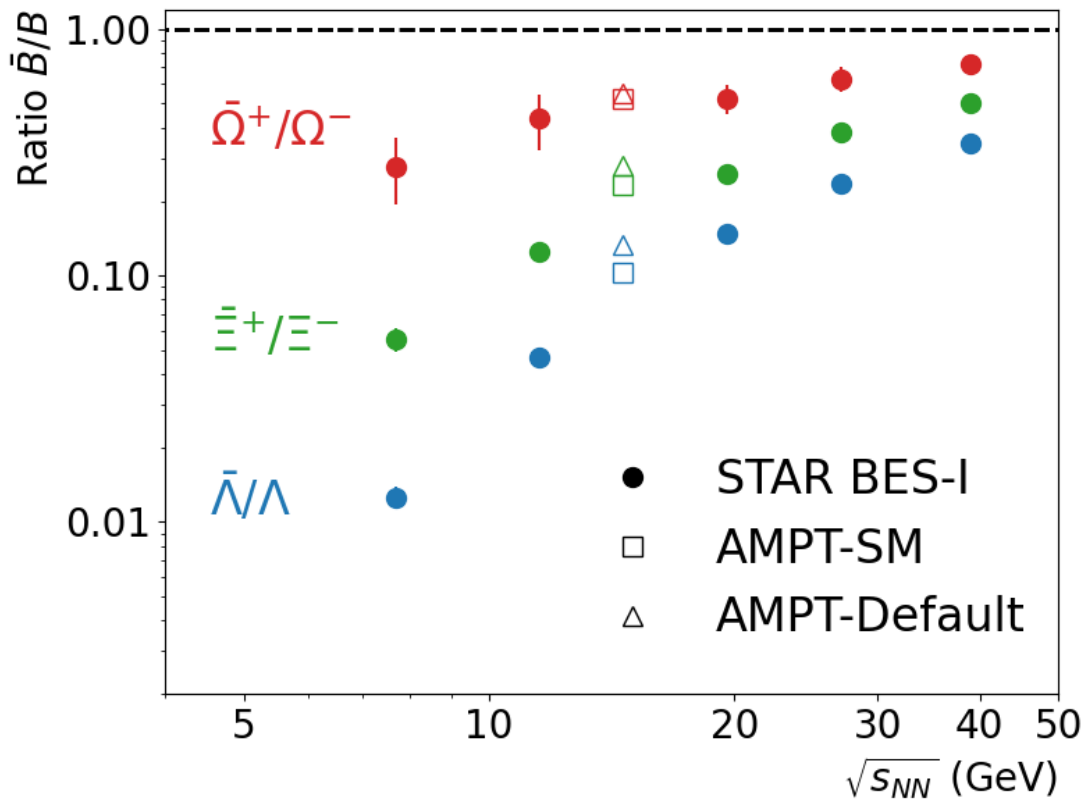


## → Model and Energy Selection

- $\Delta N_K$  and  $\Delta N_{\bar{B}}$  not all experimentally accessible (e.g.,  $K^0$ )
- But model simulation can precisely count them, thus establishing baselines for more realistic experimental observables
- Need strict strangeness and baryon number conservation
  - AMPT fits the criteria
- Restricting attention to lower RHIC BES energies (e.g., 14.6 GeV and 7.7 GeV)
  - More pronounced signatures of baryon number transport
  - Usually only one  $\Omega^- / \bar{\Omega}^+$  in events with  $\Omega$ , reducing dilution effects due to multiple hyperons

# AMPT Data

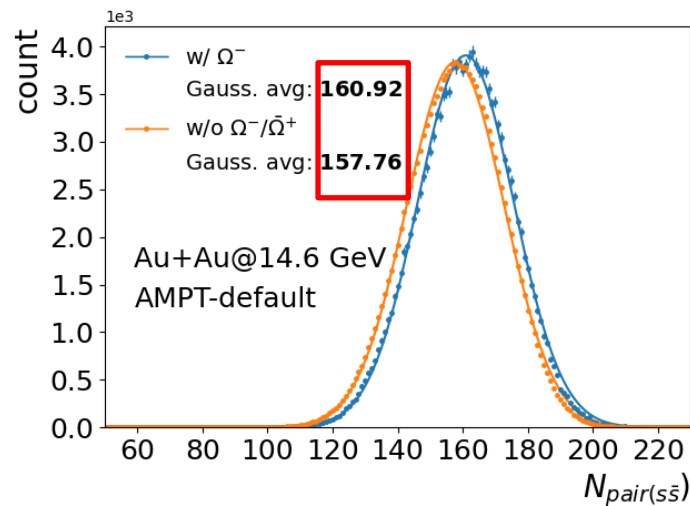
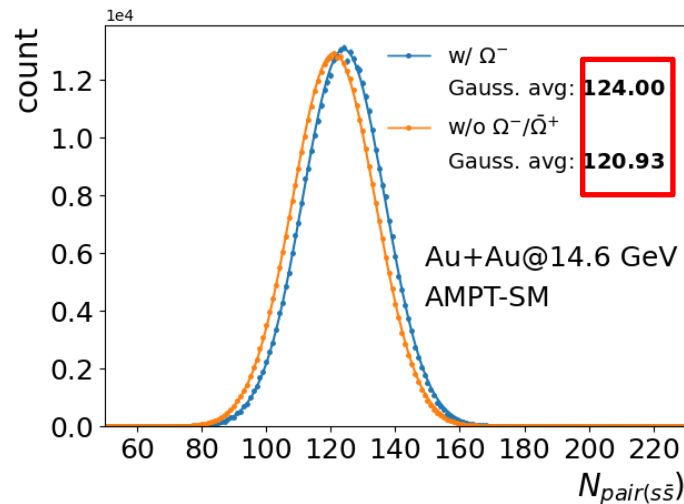
- ~100M AMPT-SM and ~50M AMPT-Default min-bias Au+Au events at 14.6 GeV
- $\bar{B}/B$  ratios in both versions agree reasonably well with BES-I results
- AMPT-Default shows higher ratios  
→ Less baryon number transported?





# Strange Quark Pair Counts

- Number of  $s\bar{s}$  pair difference between events with  $\Omega$  and events without any is close to 3 in both AMPT versions on average
  - Difference mostly due to  $\Omega$  and associated strange hadron production
- This suggests small difference in the non- $\Omega$  related processes between events with one  $\Omega$  and events without any
  - We can directly subtract one from another to get the  $\Delta N_K$  and  $\Delta N_{\bar{B}}$
- AMPT-Default produce about 20% more  $s\bar{s}$  pairs on average



# Strange Hadron Counts

## AMPT-SM:

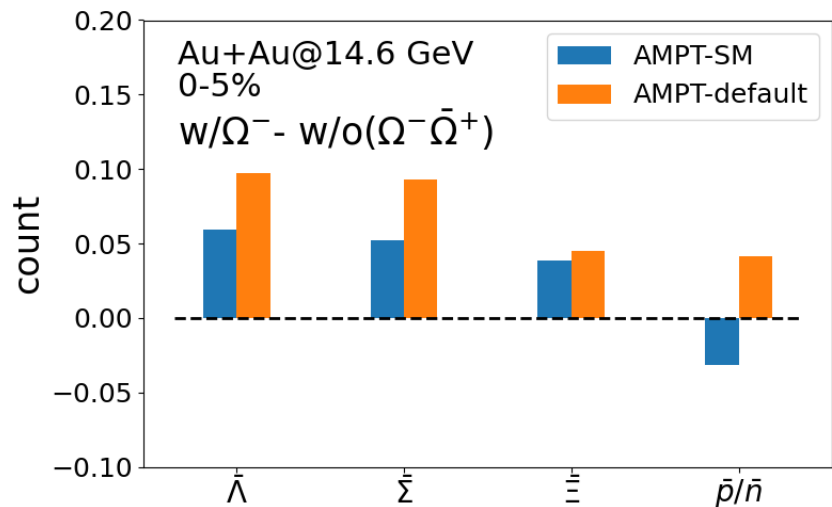
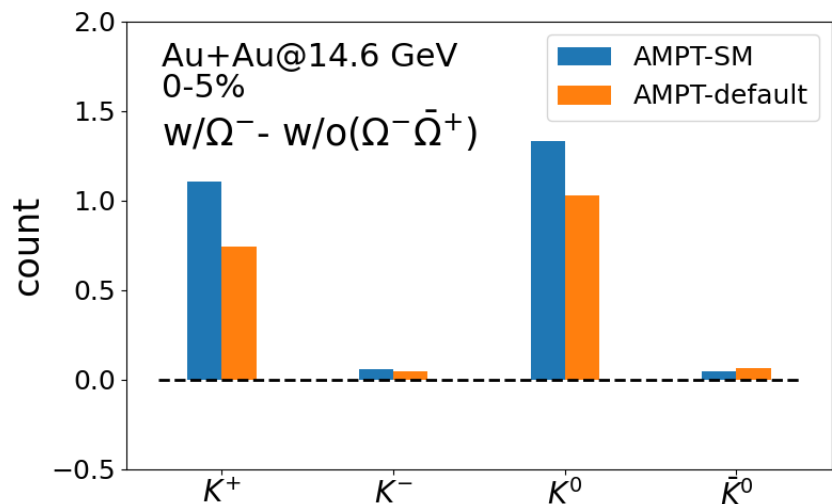
- $\Delta N_K \approx 2.44$  ( $\Delta N_{K^+} \approx 0.29$ )  
(3 for scenario 1)
- $\Delta N_{\bar{B}} \approx 0.12$  (0.04)  
(0 for scenario 1)

## AMPT-Default:

- $\Delta N_K \approx 1.76$  ( $\Delta N_{K^+} \approx 0.26$ )  
(1-3 for scenario 2)
- $\Delta N_{\bar{B}} \approx 0.28$  (0.14)  
(1 for scenario 2)

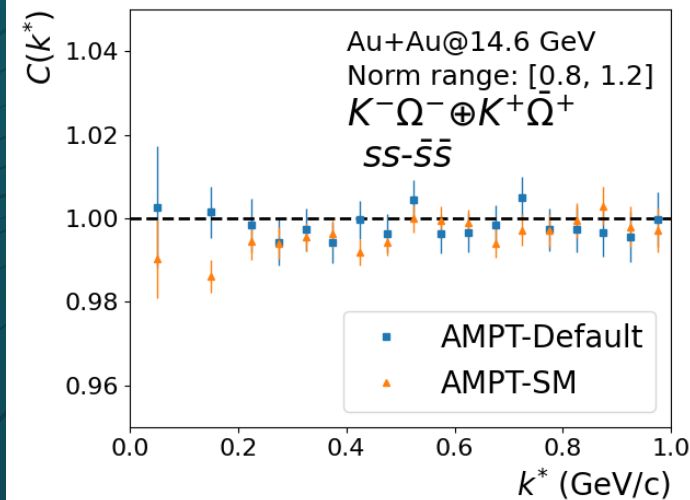
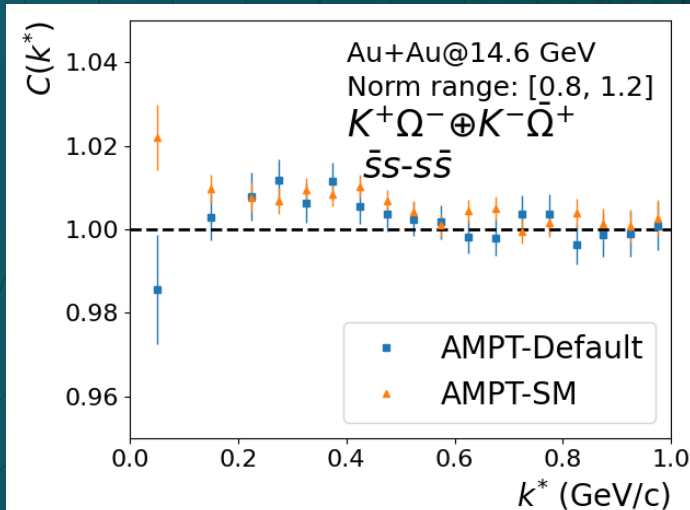
- Both models exhibit a mixture of the two scenarios but AMPT-SM favors scenario 1

In the white bracket:  
with STAR  $\eta$   
acceptance



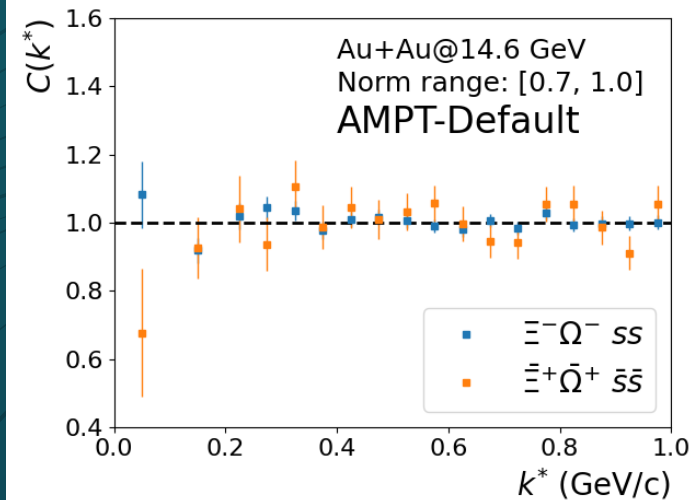
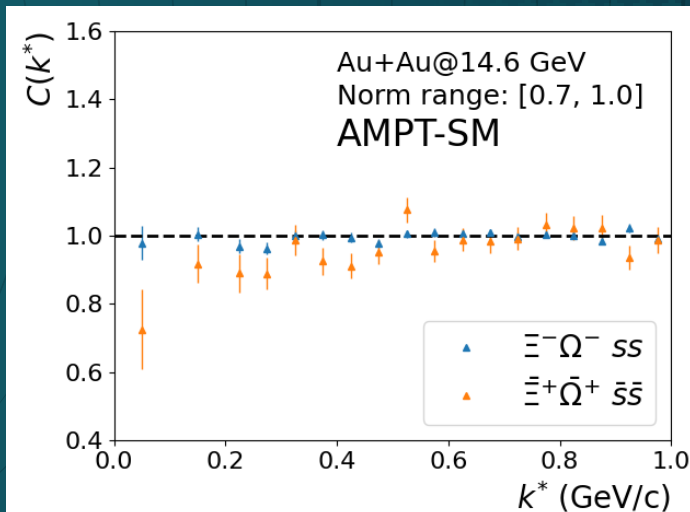
# Hadron- $\Omega$ Correlation

- $C(k^*) = A(k^*)/B(k^*)$ 
  - $A(k^*)$ : same-event distribution
  - $B(k^*)$ : mixed-event distribution
  - $k^* = |p_1^* - p_2^*|/2$
  - $p_{1,2}^*$ : pair-rest-frame momenta
- Event selection: 0-5% events w/ exactly one  $\Omega^-$  or  $\bar{\Omega}^+$
- Track cut:  $|\eta| < 1$
- Two “same-sign” combinations consistent with each other, also true for “opposite-sign”
- **Potential difference between models at low  $k^*$**



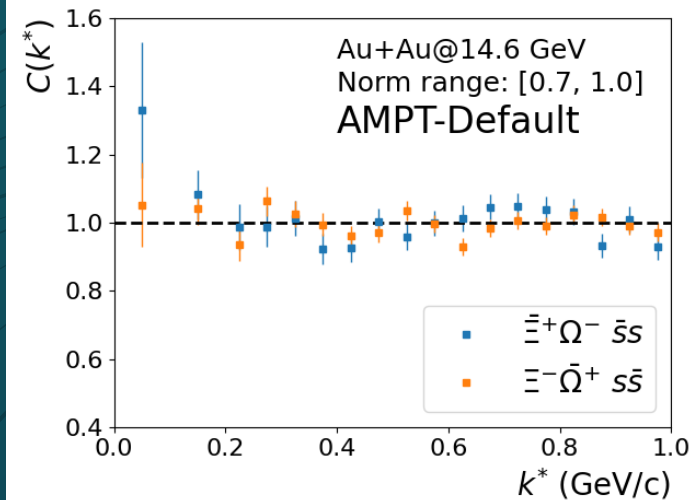
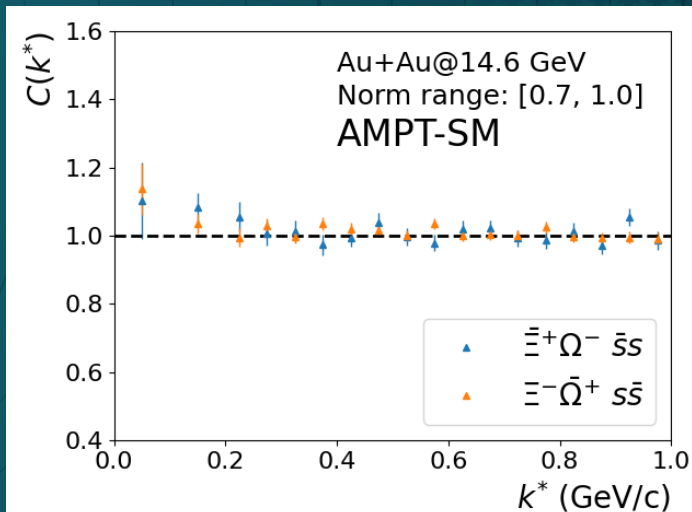
# Hadron- $\Omega$ Correlation

- $\Xi - \Omega$  correlation show some dependence on net-baryon number
- **Similar for the two AMPT versions in same-sign correlations**



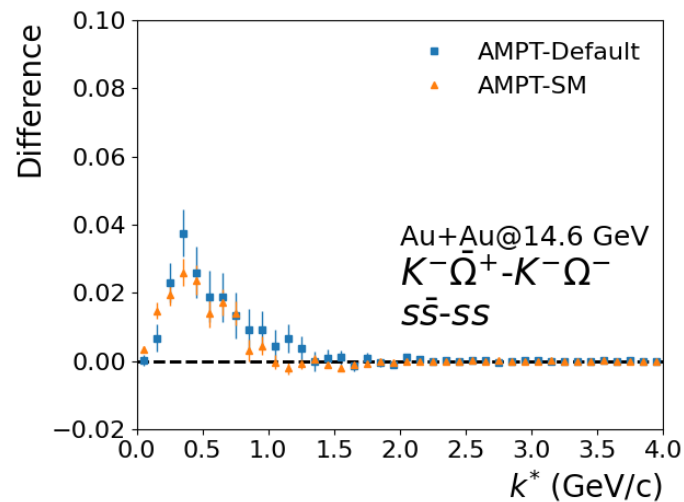
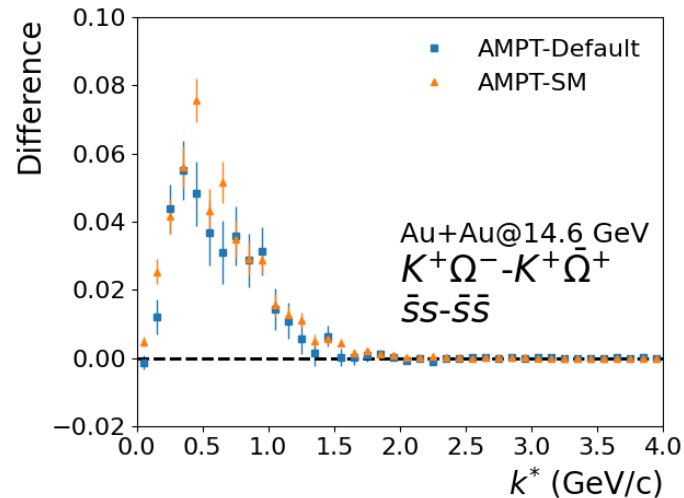
# Hadron- $\Omega$ Correlation

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- **Potential  $\Xi^+ - \Omega$  correlation due to scenario 2**



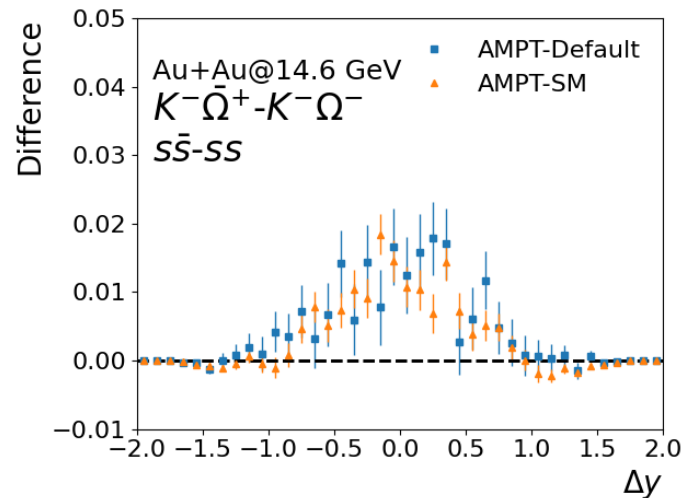
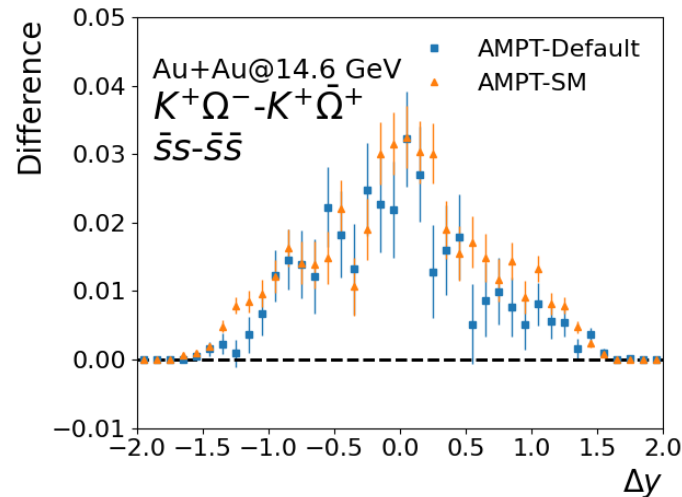
# Difference in $K^\pm - \Omega$ Correlation

- Idea: opposite sign minus same-sign,  $s\bar{s} - s(\bar{s})s(\bar{s})$ 
  - e.g.,  $K^+\Omega^- - K^+\bar{\Omega}^+$  and  $K^-\bar{\Omega}^+ - K^-\Omega^-$
  - Same event and track selection
  - Normalized by number of events, not by event-mixing
- **Shows effects of transported quarks**



# Difference in $K^\pm - \Omega$ Correlation

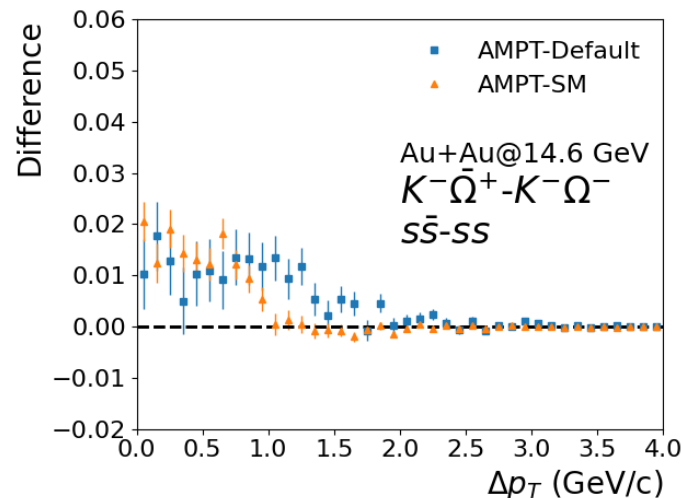
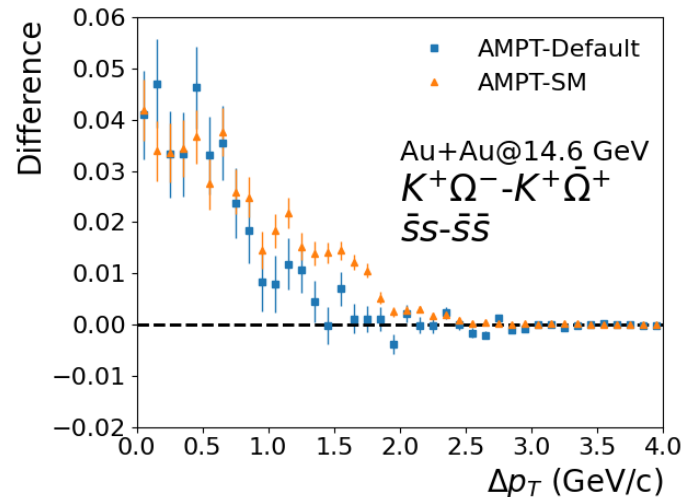
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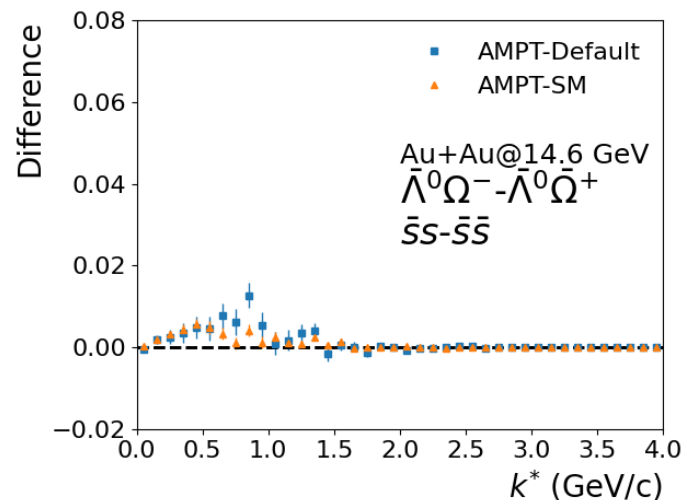
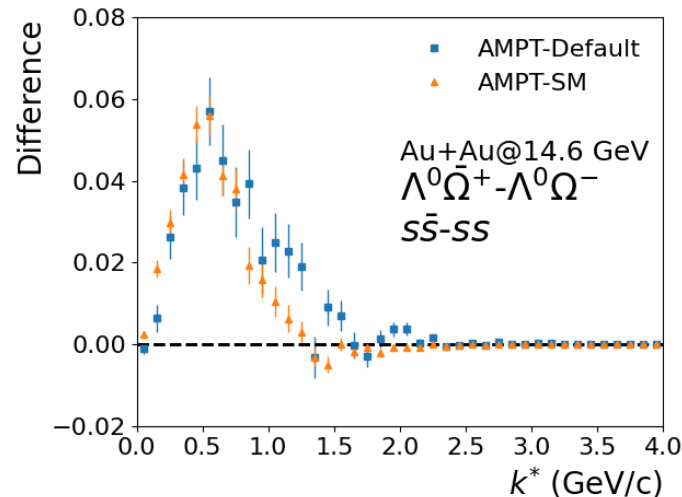
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  - Same event and track selection
  - Normalized by number of events, not by event-mixing
- Shows effects of transported quarks
- Two AMPT versions show no significant difference in the shape of the intrinsic  $s\bar{s}$  correlations
- But some difference in  $\Delta p_T$  correlation widths



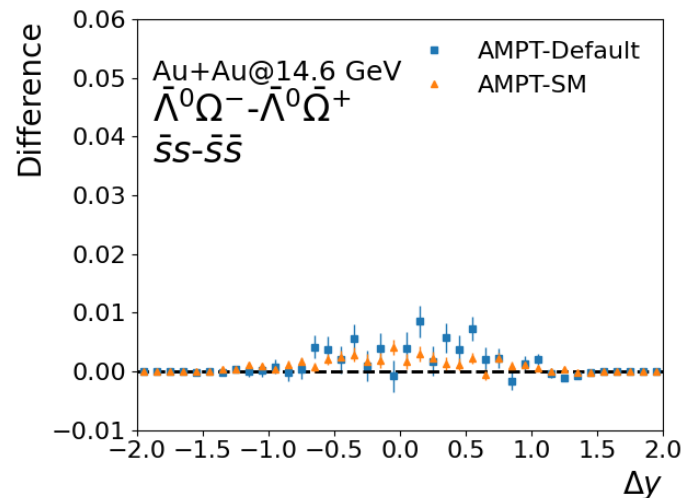
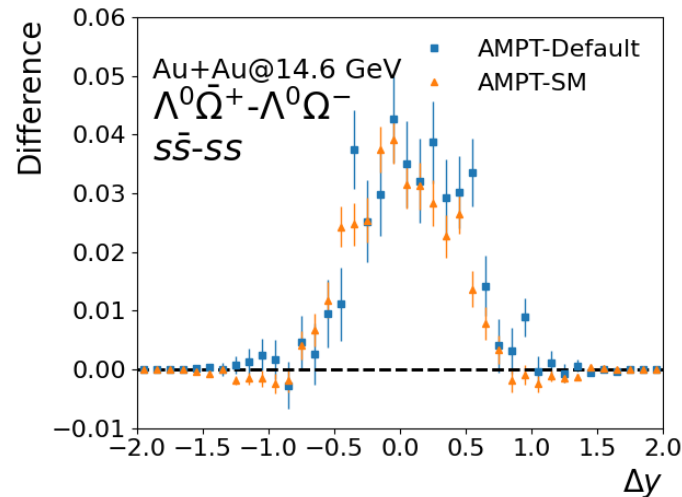
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  - e.g.,  $\bar{\Lambda}^0\Omega^- - \bar{\Lambda}^0\bar{\Omega}^+$  and  $\Lambda^0\bar{\Omega}^+ - \Lambda^0\Omega^-$
  - Same event and track selection
- **Two AMPT versions show noticeable difference in  $s\bar{s}$  correlation widths**
  - Does such difference relate to the two  $\Omega$  production scenarios?
- **Again shows effects of transported quarks**



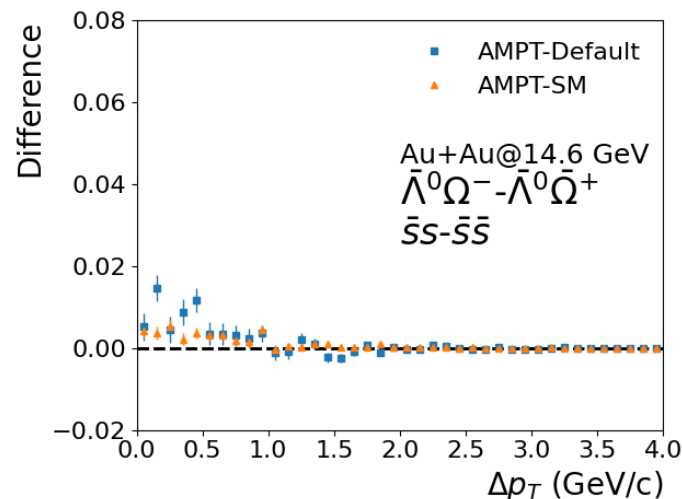
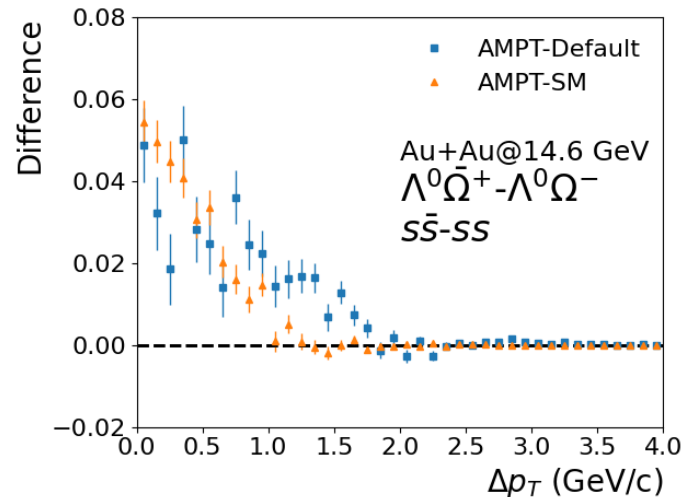
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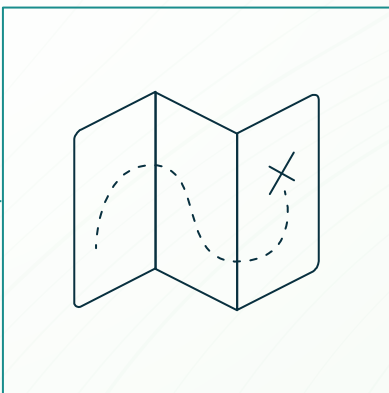
## Summary

- Two scenarios of  $\Omega$  production that conserve strangeness
- Kaon and anti-baryon counts suggest a mixture of scenarios for both AMPT versions; SM favors scenario 1 and Default favors scenario 2
- Two AMPT versions show potential difference in  $K^\pm - \Omega$ , with possible  $\bar{\Xi}^+ - \Omega$  peak
- In the correlation difference, two AMPT versions show similar intrinsic  $s\bar{s}$  correlation shape, with slight difference in correlation widths
- By looking at  $K - \Omega$  and hyperon- $\Omega$  correlations, we can probe the particle formation mechanisms and study the effects of strangeness conservation and baryon number transport at RHIC BES energies

# → Outlook

- Increase statistics
- Incorporate 7.7 GeV AMPT data with empirically higher hadronic degree of freedom
- Use new AMPT with an improved quark coalescence<sup>\*</sup>
- Move from simulation to real data analysis, considering correction for efficiency and acceptance

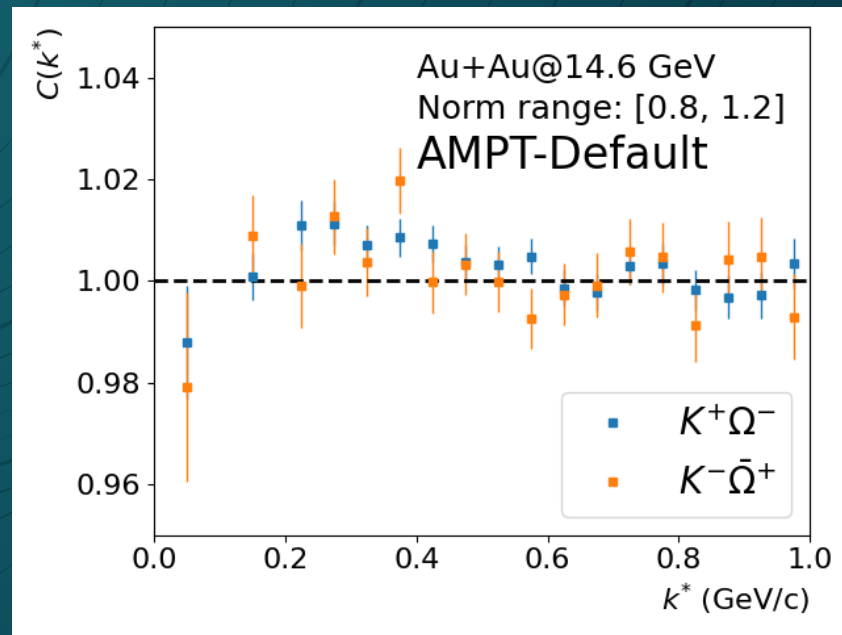
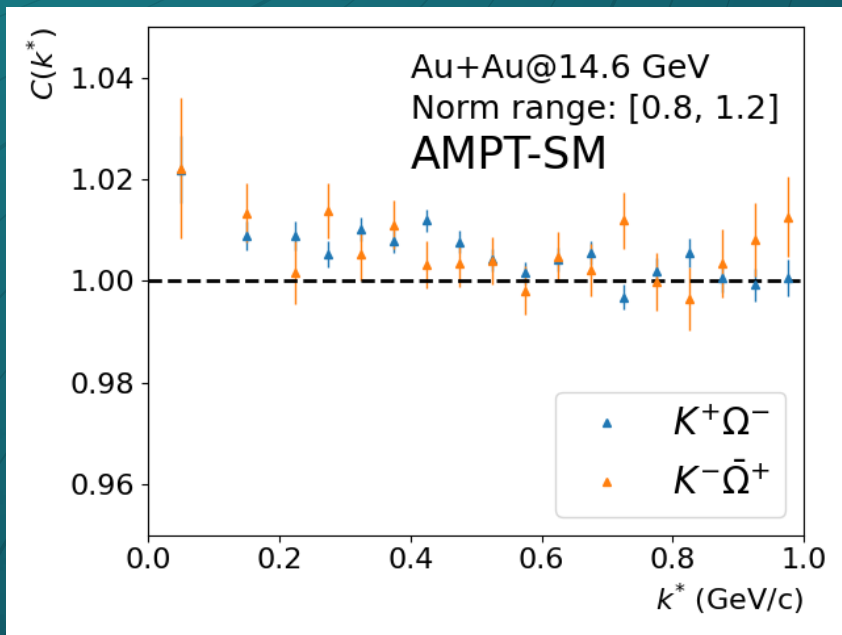
<sup>\*</sup> Y. He and Z. W. Lin, Phys. Rev C 96, 014910 (2017)



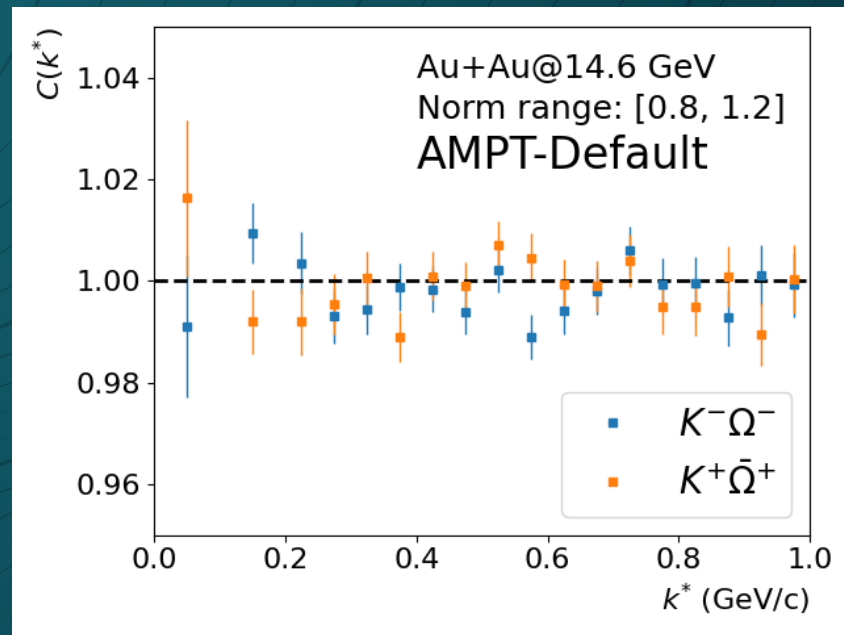
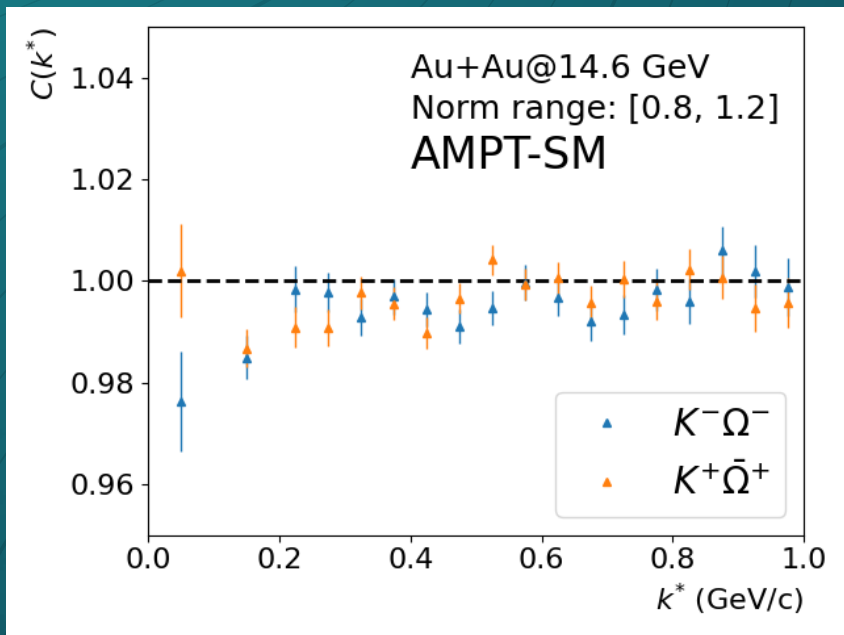
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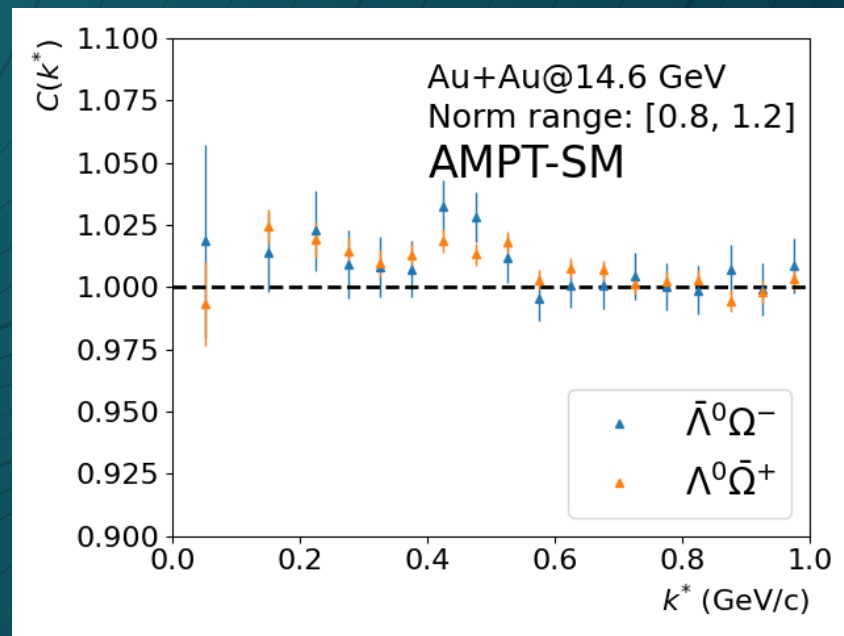
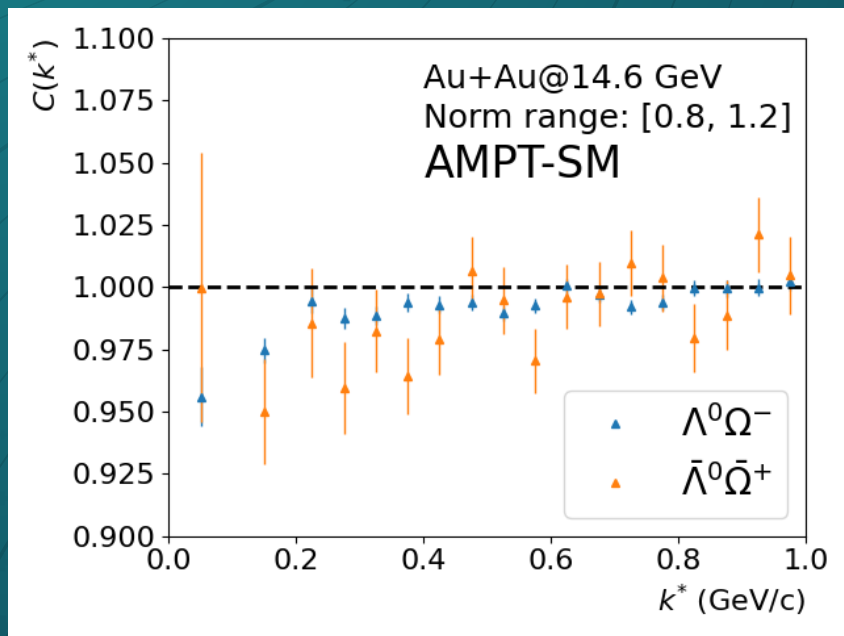
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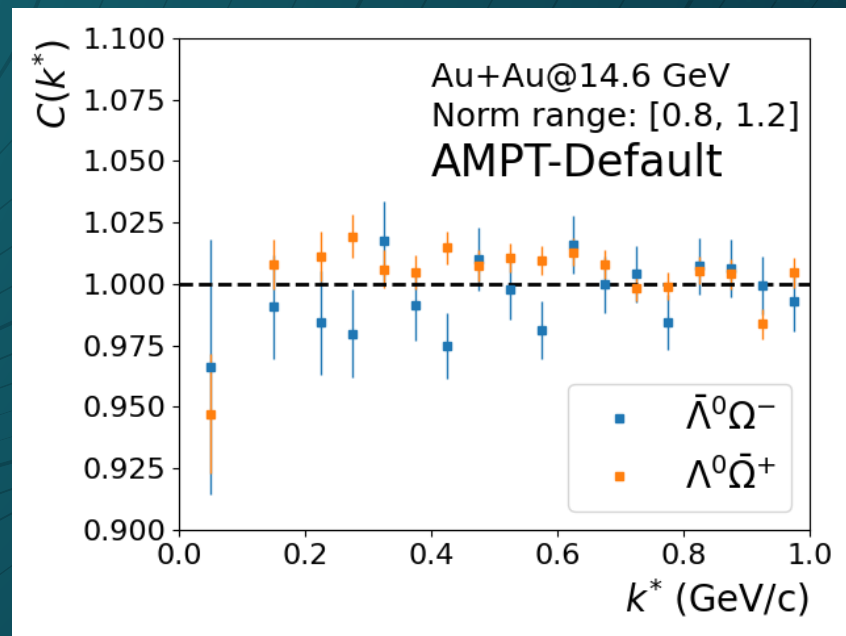
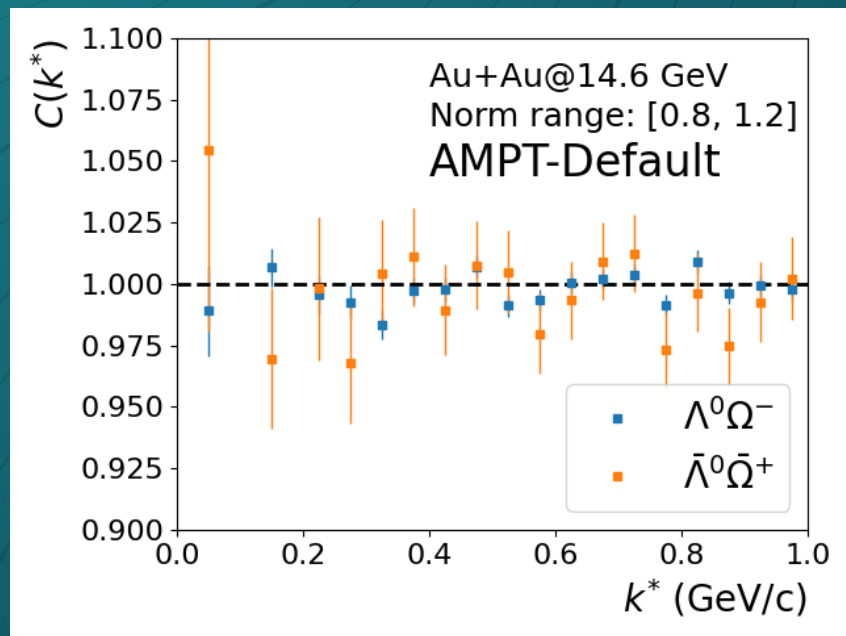
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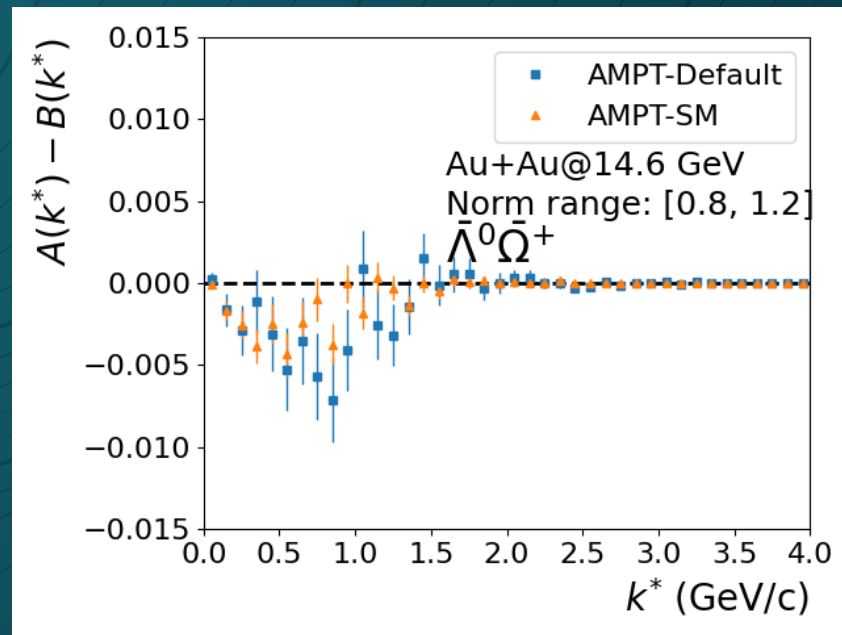
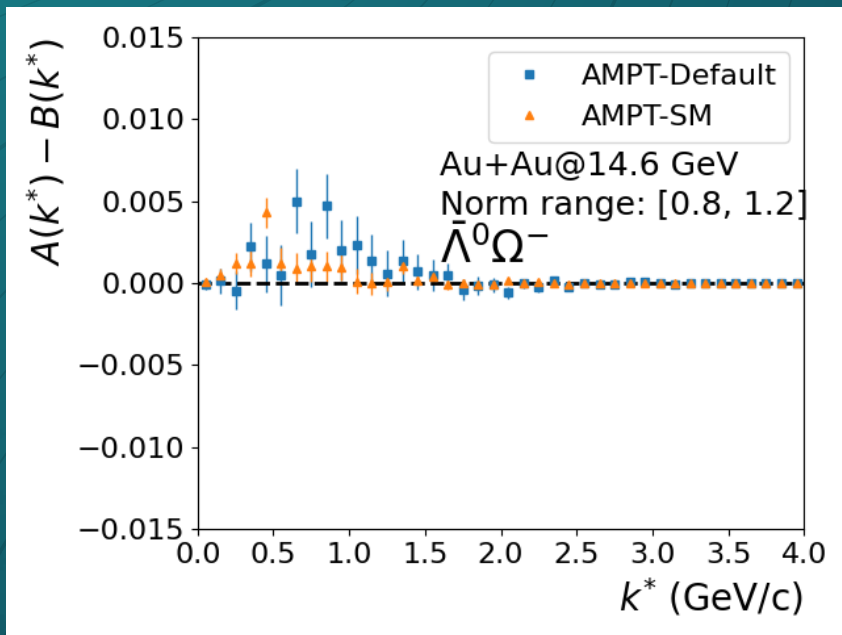
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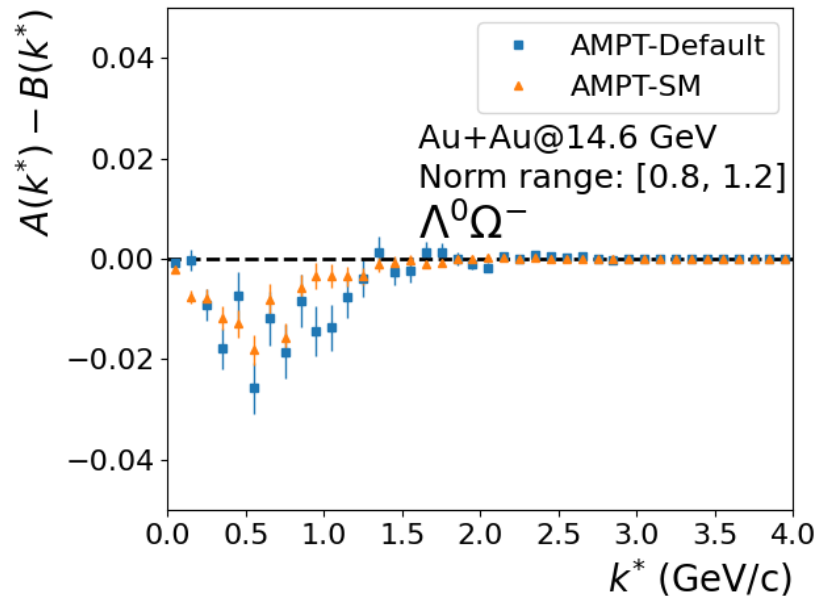
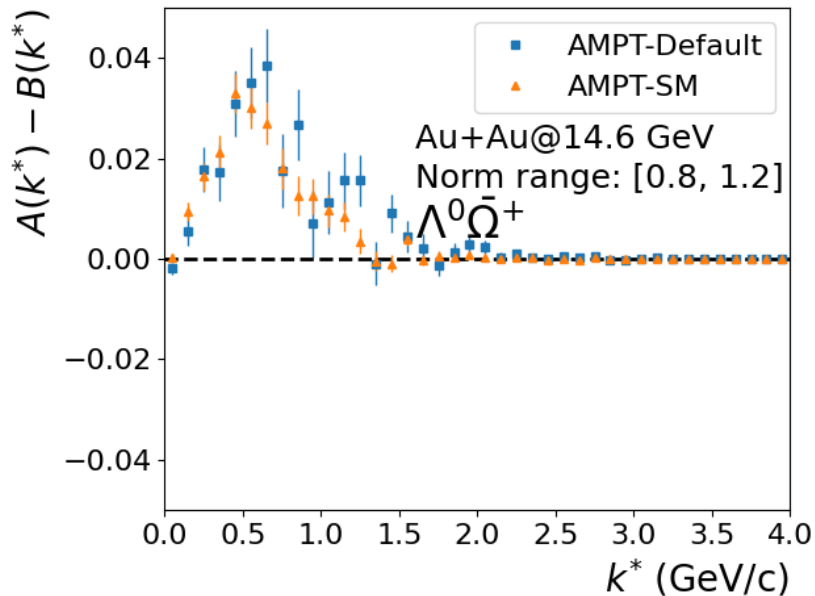
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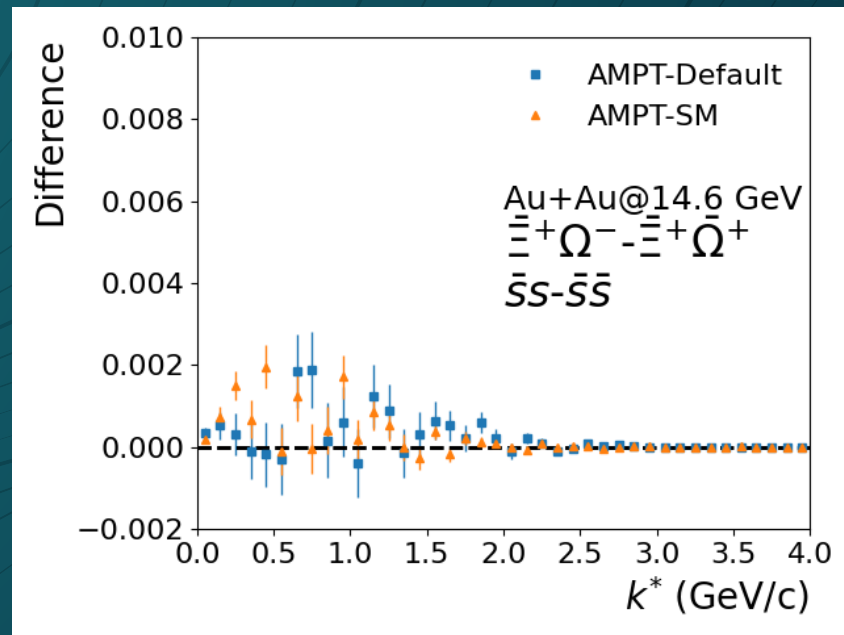
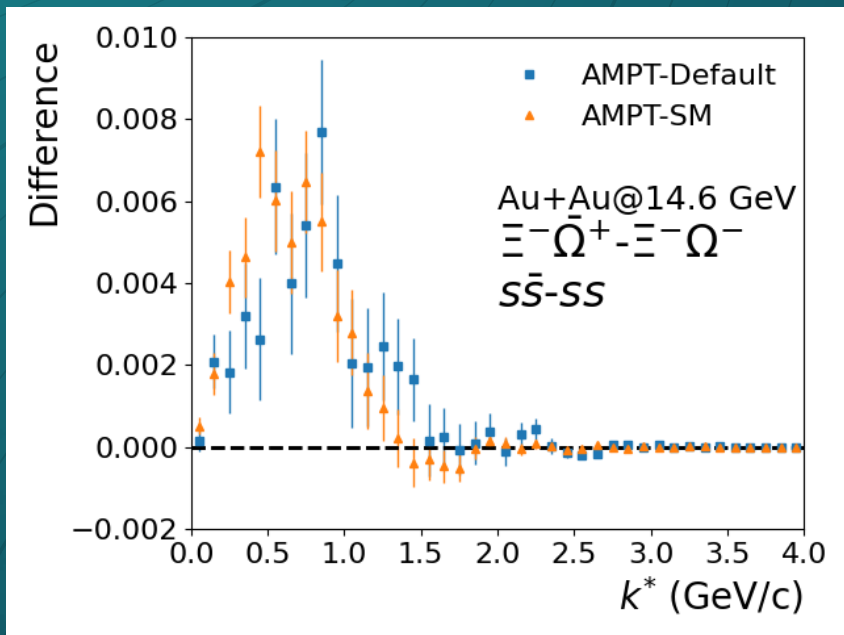
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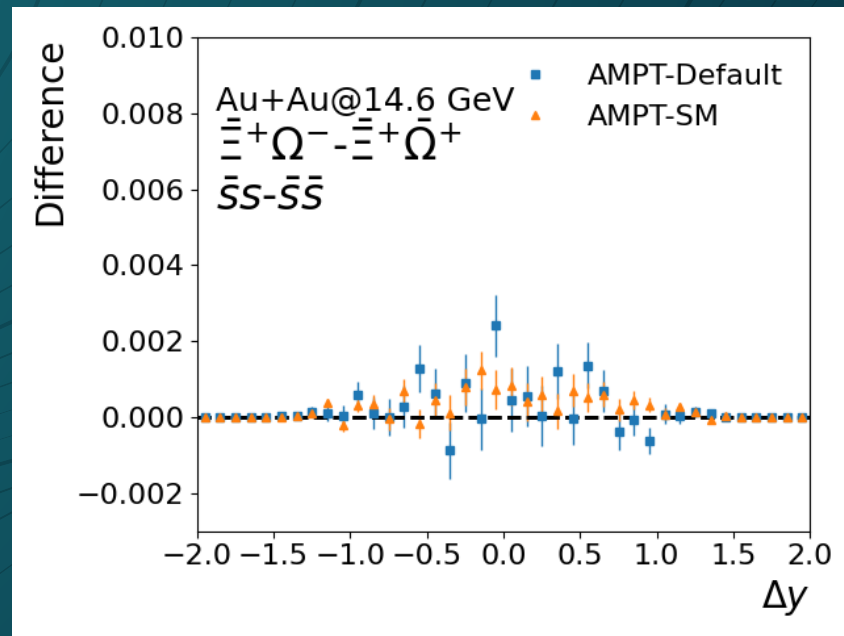
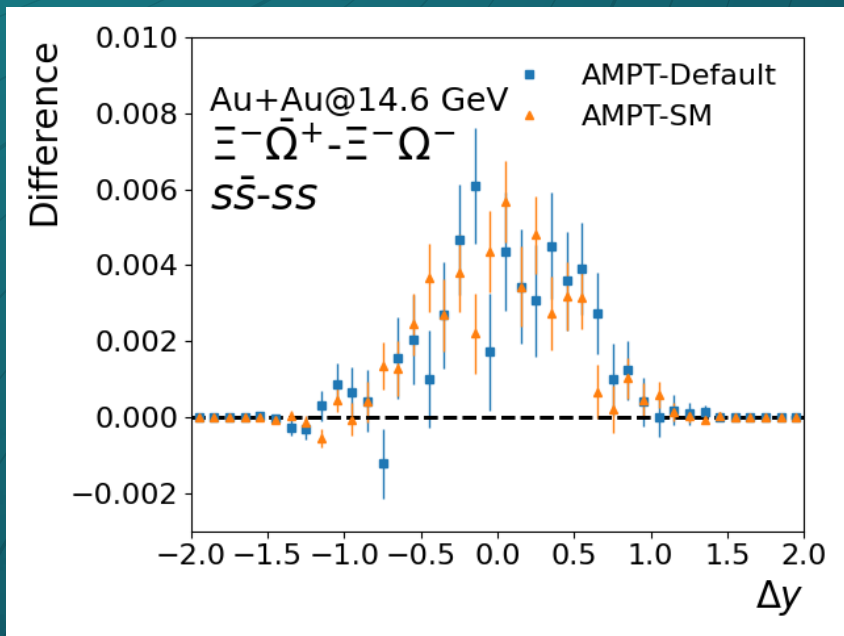


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