

Experimental Status of the Chiral Magnetic Effect

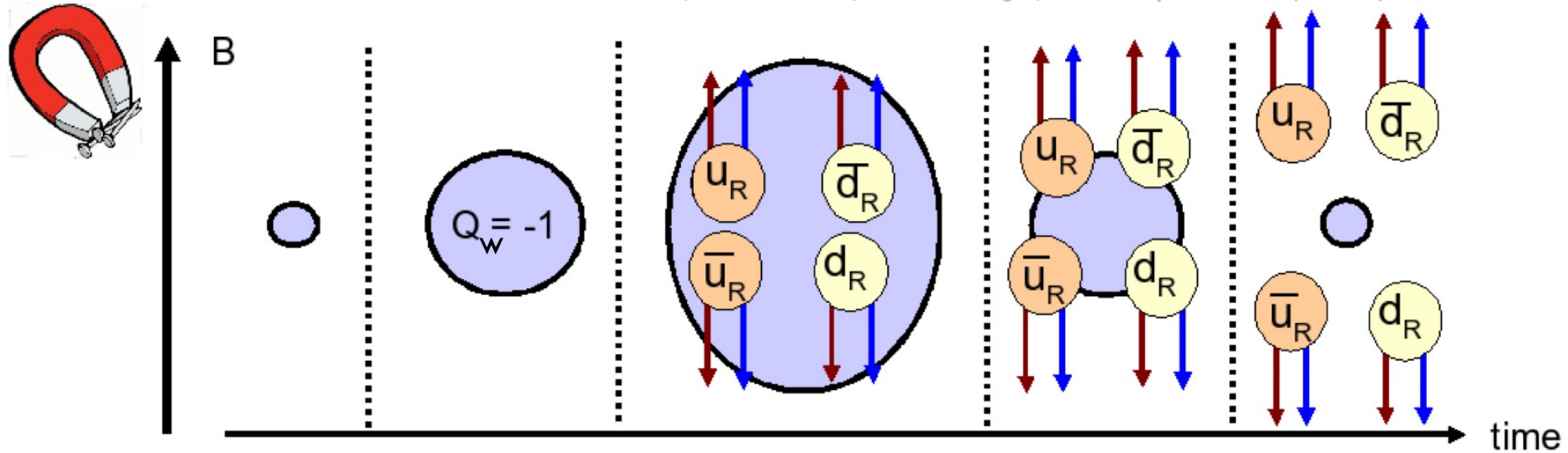
Evan Finch

Southern Connecticut State University



Chiral Magnetic Effect

D Kharzeev, L McLerran, H Warringa, Nucl Phys A 803 (2008)



- 1) Chirality imbalance among all light quark flavor from topological fluctuations of gluon fields $(N_L^f - N_R^f) = 2Q_w$ i.e. “Local Parity Violation”

D Kharzeev, R Pisarski, M Tytgat, PRL 81, 512 (1998)

- 2) Large magnetic field, generated mostly by spectator protons

Combine to give the CME: net electric charge flow along (or opposite to, depending on sign of Q_w in this event) the magnetic field direction



CME Experimental “History”, 2009~2020

Initial CME measurements at RHIC, LHC

Significant signal in $\Delta\gamma$, goes away at lowest RHIC energies

STAR: PRL **103**, 251601 (2009), PRL **113**, 052302 (2014)

ALICE: PRL **110**, 012301 (2013)

Event shape engineering

ALICE: PLB777(2018)151

CMS: PRC97(2018)044912

Small systems

CMS: PRL 118 (2017) 122301

STAR: PLB 798 (2019) 134975

Higher harmonics comparisons

CMS: PRC 97 (2018) 044912

Theory work on “flowing clusters”

Local charge conservation backgrounds, models can reproduce signal reasonably well

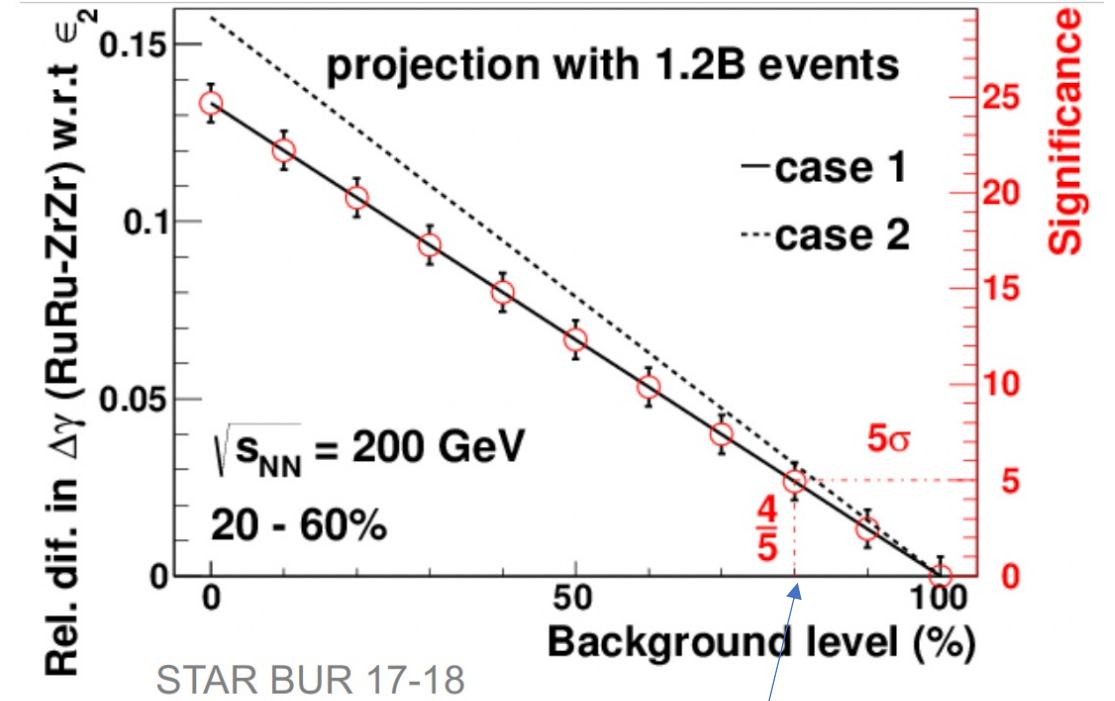
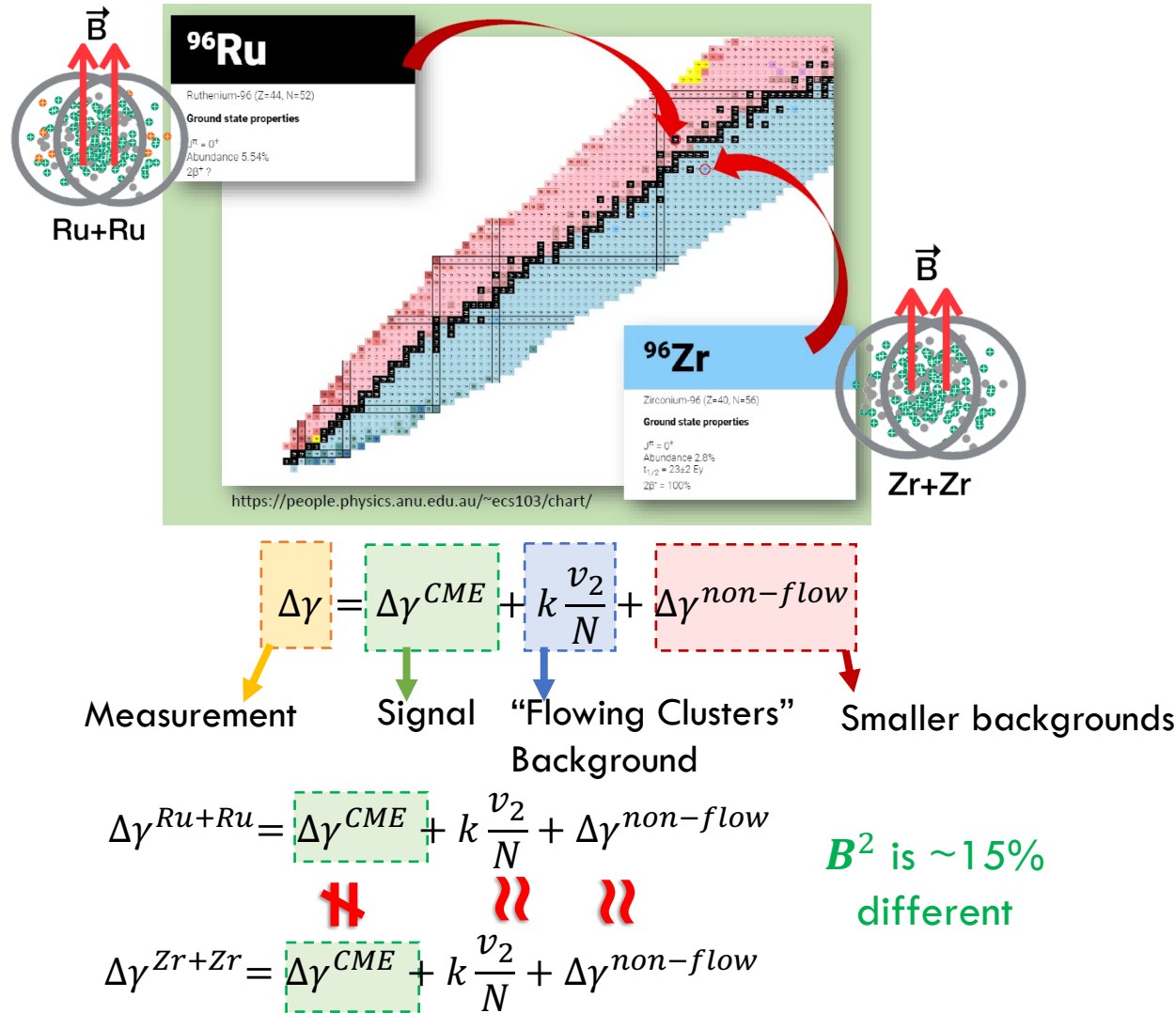
S. Pratt, S. Schlichting and S. Gavin, PRC 84, 024909 (2011)

A. Bzdak, V. Koch and J. Liao, PRC 83, 014905 (2011)

In Mid-central Heavy Ions: $\Delta\gamma$ signal is dominated by “flowing clusters” background, at least at $\sim 80\%$ level

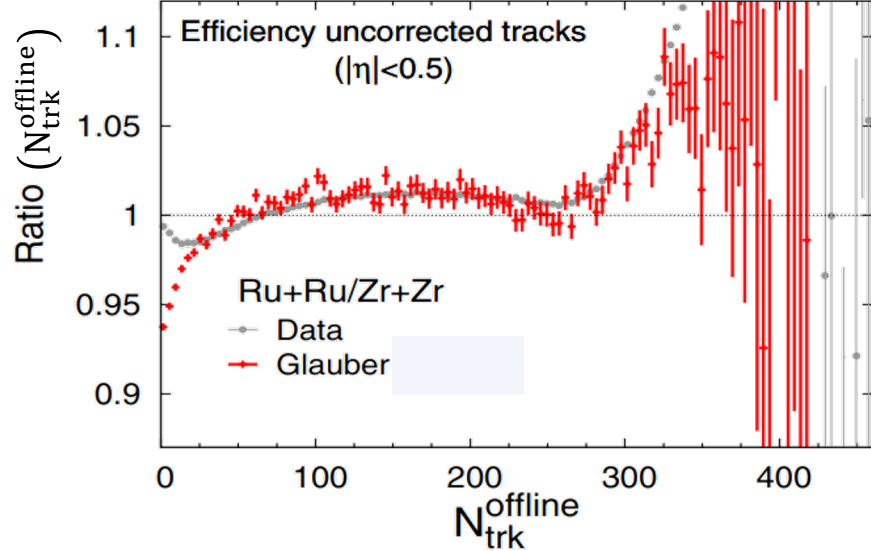


Experimental Search With Isobar Collisions

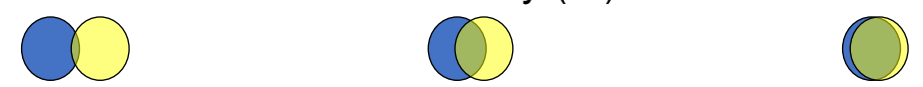
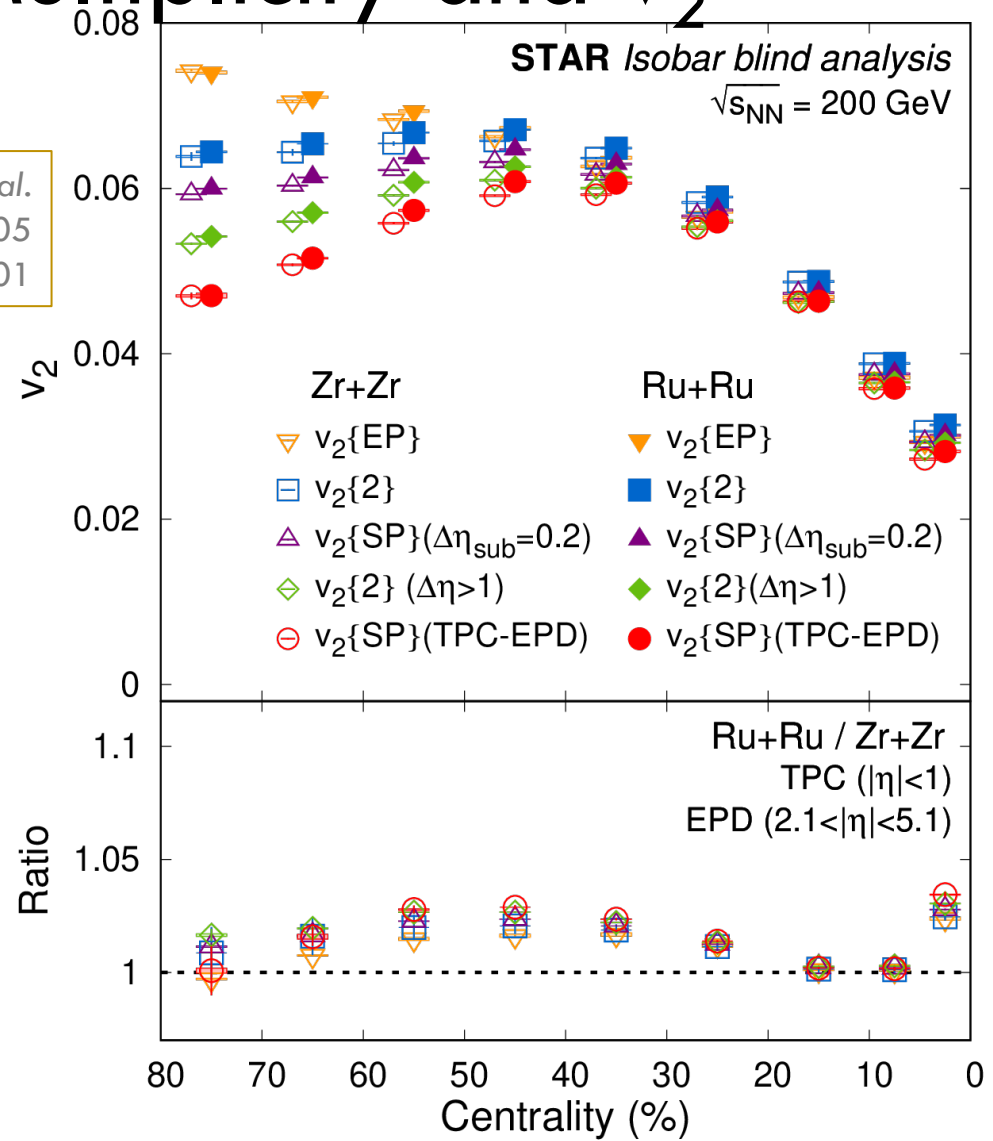
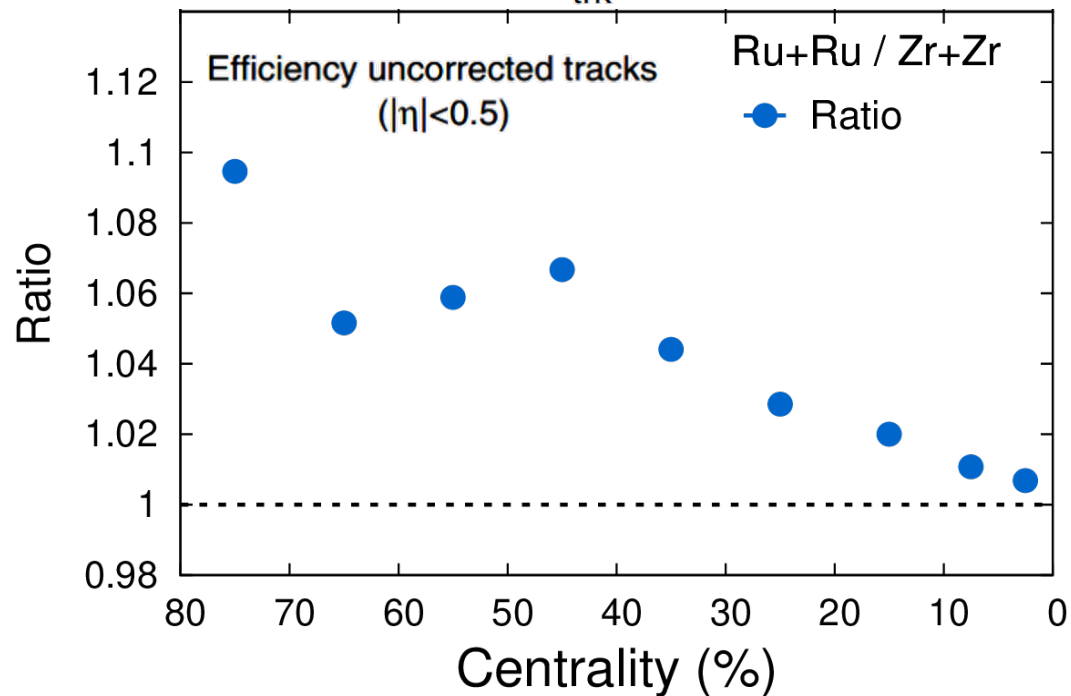


STAR Isobar measurements: Multiplicity and v_2

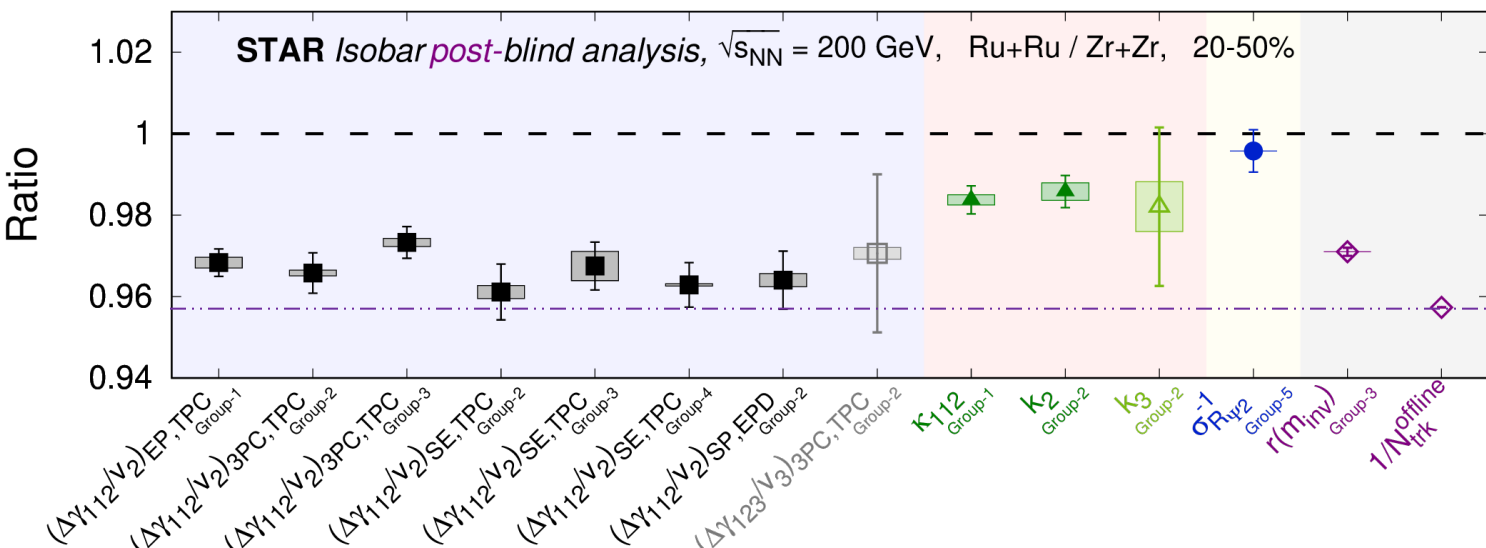
STAR Isobar blind analysis, $\sqrt{s_{NN}} = 200$ GeV



M. S. Abdallah et al.
(STAR) PRC, 105
(2022) 014901



STAR Isobar **Blind** Analysis Results:



From the **blind** analysis

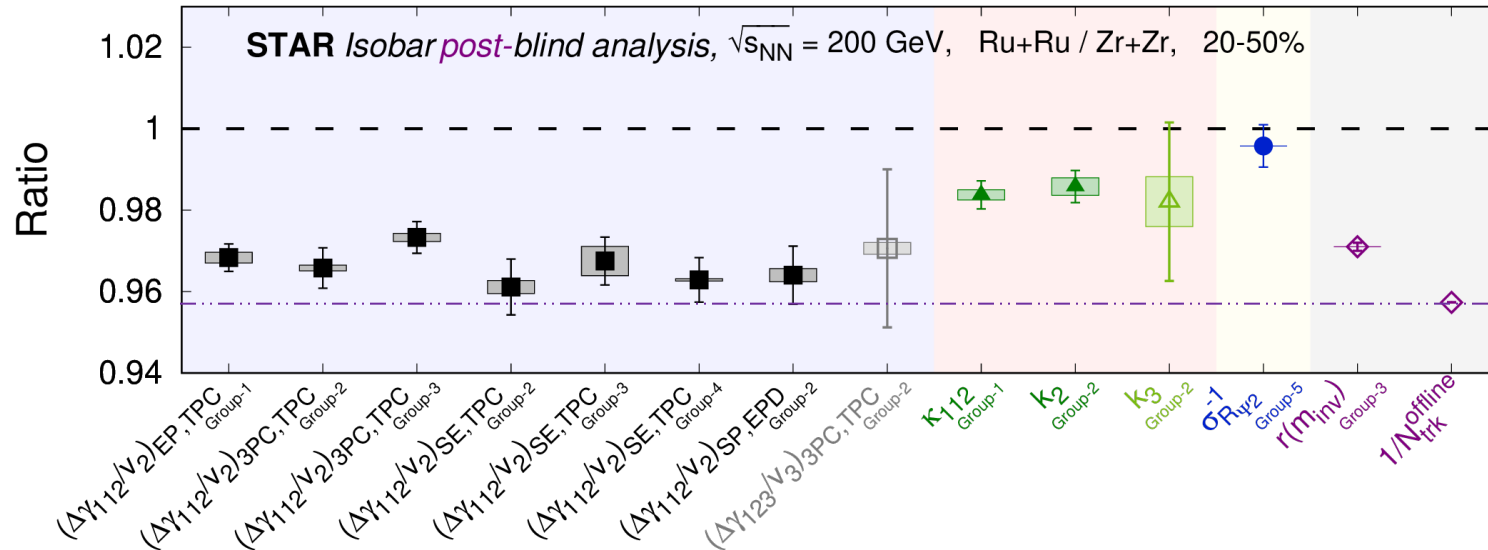
- STAR pre-defined criteria for CME observation: $(\Delta\gamma/v_2)_{Ru} > (\Delta\gamma/v_2)_{Zr}$ in mid-central collisions
 - NOT OBSERVED (nor were any other pre-defined criteria.)
- $\Delta\gamma/v_2$ ratios are below unity - mainly driven by the multiplicity difference between the two isobars

$$\Delta\gamma = \Delta\gamma^{CME} + k \frac{v_2}{N} + \Delta\gamma^{non-flow}$$

Implies the criteria (to 1st order) would instead be: $\frac{(\Delta\gamma/v_2)_{Ru}}{(\Delta\gamma/v_2)_{Zr}} > \frac{(1/N)_{Ru}}{(1/N)_{Zr}}$

See also:
 D Kharzeev, J Liao, S Shi arXiv:2205.00120
 J Jia, G Wang, C Zhang - arXiv:2203.12654

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STAR Additional Correction: (PRELIMINARY)

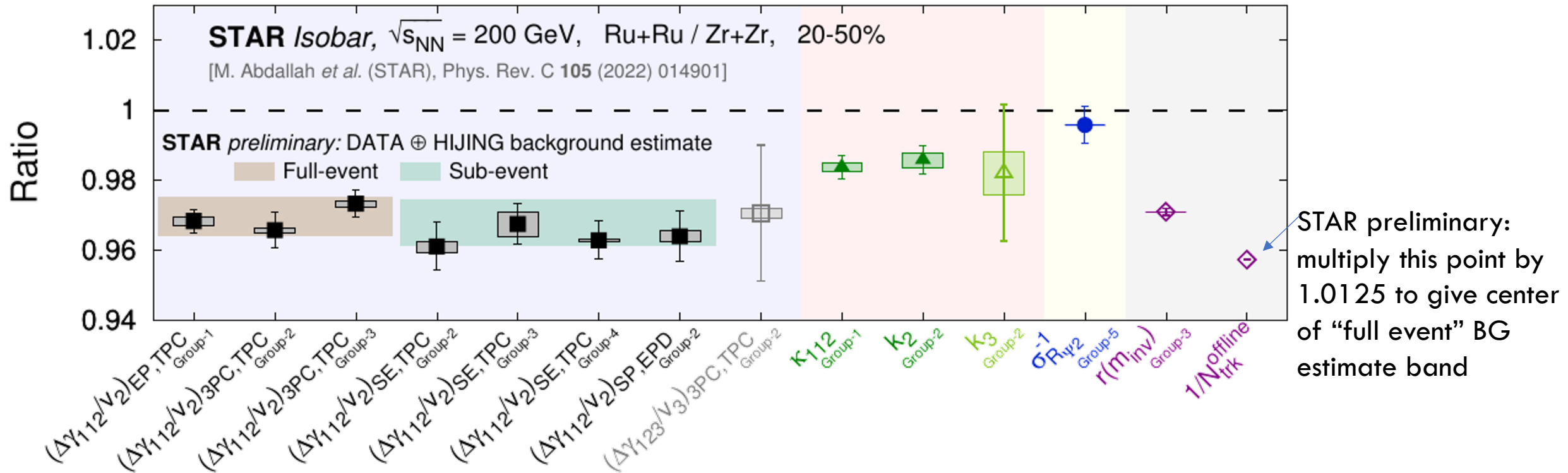
$$\frac{(N\Delta\gamma/v_2^*)_{Ru}}{(N\Delta\gamma/v_2^*)_{Zr}} \approx 1 + \frac{\Delta\epsilon_2}{\epsilon_2} - \frac{\Delta\epsilon_{nf}}{1 + \epsilon_{nf}} + \frac{\epsilon_3/\epsilon_2/(Nv_2^2)}{1 + \epsilon_3/\epsilon_2/(Nv_2^2)} \left(\frac{\Delta\epsilon_3}{\epsilon_3} - \frac{\Delta\epsilon_2}{\epsilon_2} - \frac{\Delta N}{N} - \frac{\Delta v_2^2}{v_2^2} \right) = 1.012 \pm .003 \pm .005$$

$\epsilon_2 = \langle \cos(\phi_a + \phi_b - 2\phi_{cluster}) \rangle \frac{N_{2p} v_{2,2p}}{N v_2}$
 Flowing cluster background scales with N_{2p}/N^2
 Estimated by measuring directly in data
 $\frac{\Delta\epsilon_2}{\epsilon_2} = (1.45 \pm .08)\%$

$\epsilon_{nf} = v_{2,nf}^2/v_{2,true}^2$
 Estimation by 2-D decomposition of 2-particle correlations gives
 $\frac{-\Delta\epsilon_{nf}}{1 + \epsilon_{nf}} = (0.65 \pm 0.11 \pm 0.22)\%$

Contribution of direct 3-particle correlations.
 Estimation from HIJING gives $-(0.85 \pm 0.26 \pm 0.44)\%$

STAR Preliminary Isobar Background Estimate (Post-Blinding)



STAR preliminary background estimate:

$$\frac{(N\Delta\gamma/v_2^*)_{Ru}}{(N\Delta\gamma/v_2^*)_{Zr}} \approx 1.0125 \pm .003 \pm .005$$

$\Delta\gamma$ results consistent with STAR preliminary background estimate within current uncertainty.

Crucial to nail down this background estimate to make full use of isobar precision!



200 GeV Au-Au Data, Using Participant and Spectator Planes

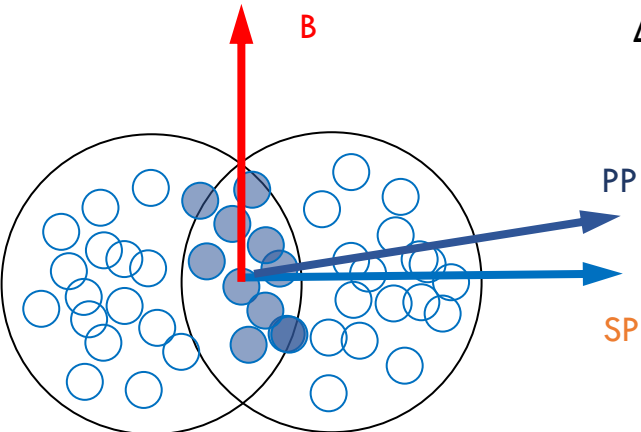
M. S. Abdallah et al. (STAR) Phys. Rev. Lett, 128 (2022) 092301

$$\Delta\gamma\{\text{PP}\} = \Delta\gamma_{\text{CME}}\{\text{PP}\} + \Delta\gamma_{\text{BKG}}\{\text{PP}\}$$

$$\Delta\gamma\{\text{SP}\} = \Delta\gamma_{\text{CME}}\{\text{PP}\}/a + \Delta\gamma_{\text{BKG}}\{\text{PP}\}a$$

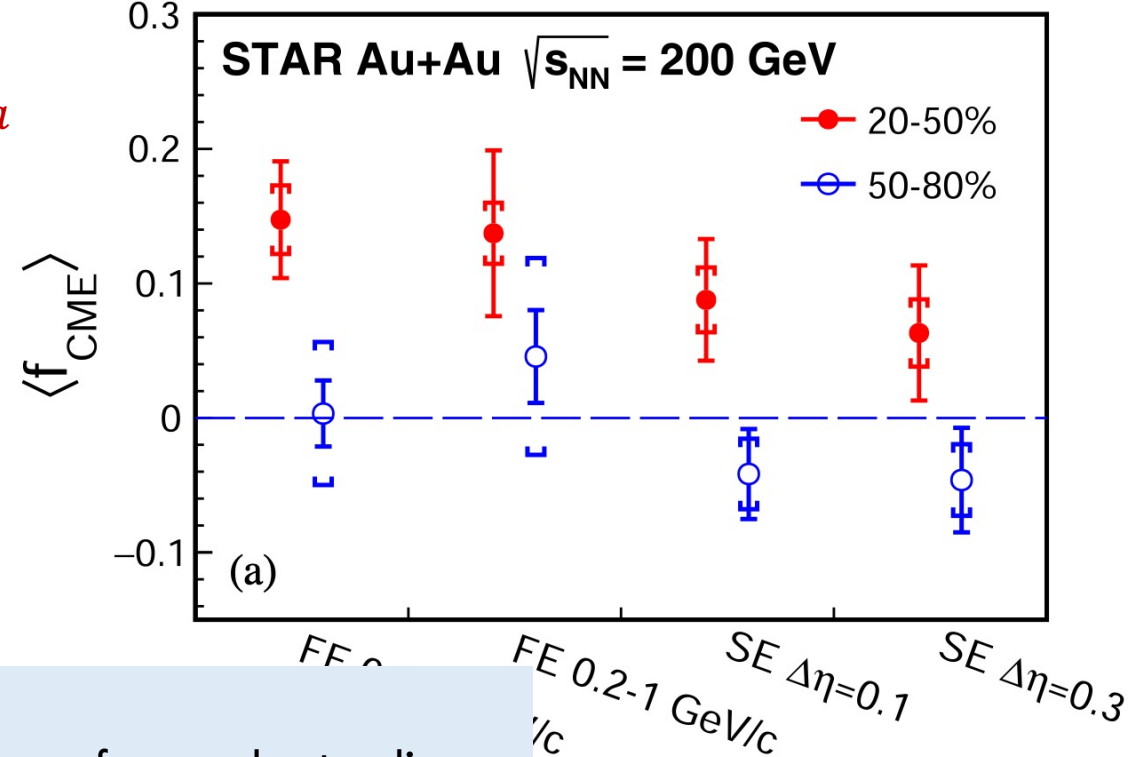
$$a = \langle \cos 2(\Psi_{\text{PP}} - \Psi_{\text{SP}}) \rangle$$

$$f_{\text{CME}}^{\text{PP}} = \frac{\frac{\Delta\gamma\{\text{SP}\}}{\Delta\gamma\{\text{PP}\}}/a - 1}{1/a^2 - 1}$$



PP(TPC) : maximum background
 SP(ZDC-SMD) : maximum signal

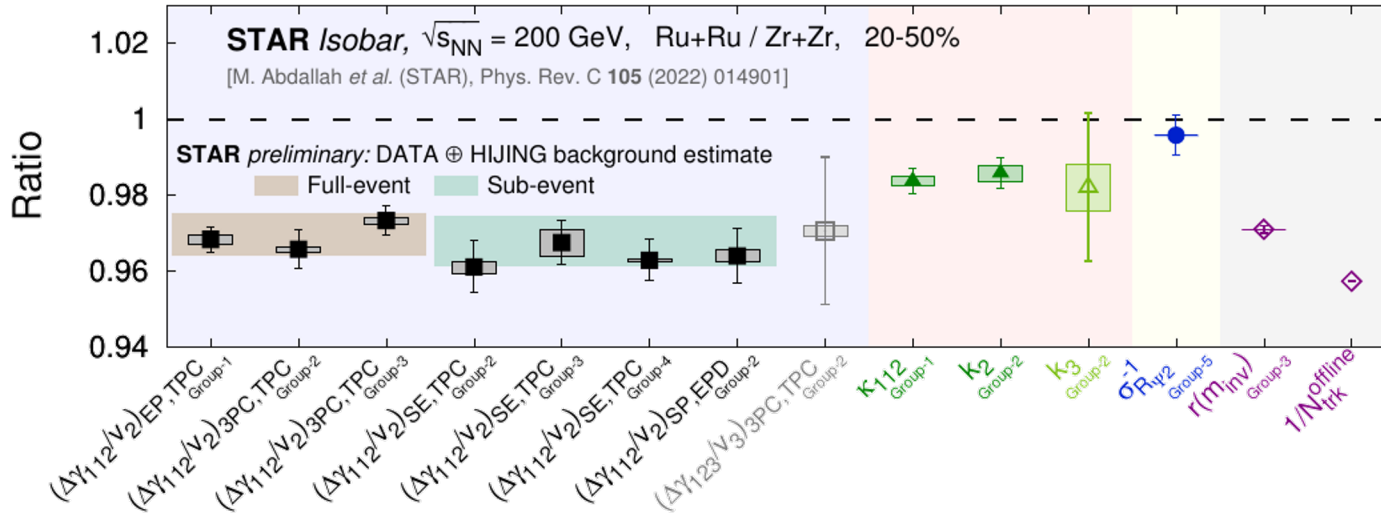
H-J. Xu, et al, CPC 42 (2018) 084103; S. A. Voloshin, Phys. Rev. C 98 (2018) 054911



- As with isobar result, we're at the level where quantitative progress comes from understanding non-flow background.
- If we takes this as $f_{\text{CME}} \approx 10\%$ can we reconcile this f_{CME} in Au-Au with isobar results? In isobar system, smaller B-field ($\sim A^{1/3}$), larger $\Delta\gamma$ "flowing clusters" background ($\sim 1/A$), would argue for a smaller f_{CME} in isobar compared to Au-Au. Y. Feng et. al., Phys. Lett. B820 (2021) 136549
- This method is an important target for future high-statistics AuAu RHIC runs.



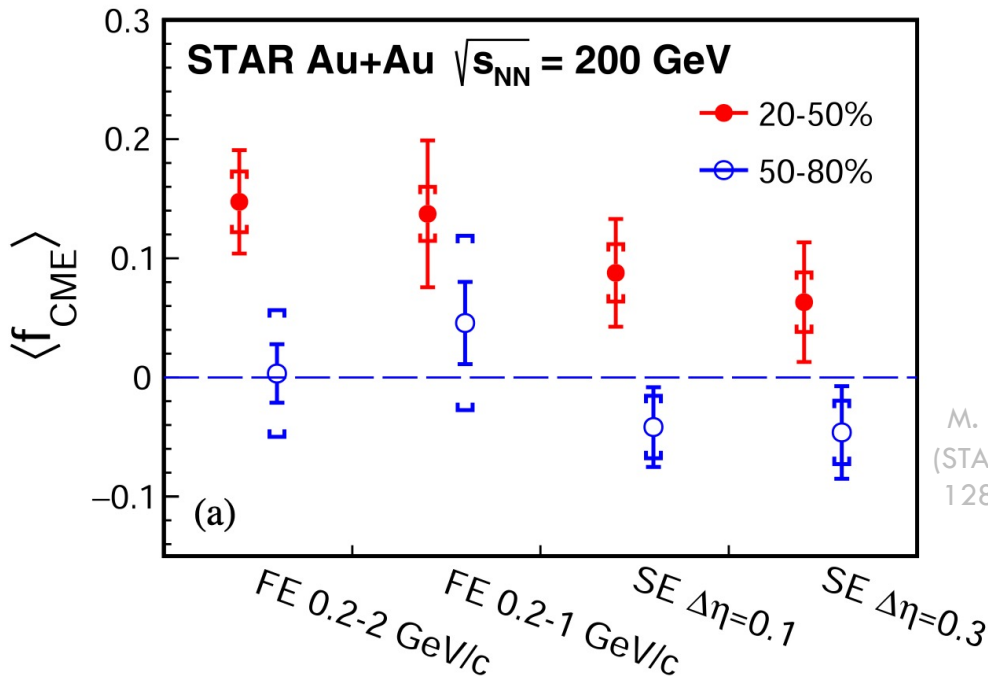
Mid-Talk Summary: Current Experimental Status of CME



Isobar post-blinding: $\Delta\gamma$ results consistent with STAR preliminary background estimate within current uncertainty.

In 200GeV Au+Au data, spectator versus participant plane analysis shows signal 1-3 σ above zero, $f_{CME} \approx 10\%$

In both of these cases, crucial to understand non-flow effects.



M. S. Abdallah et al. (STAR) Phys. Rev. Lett, 128 (2022) 092301

Ideas for further analysis of isobars:
 D Kharzeev, J Liao, S Shi arXiv:2205.00120

J Jia, G Wang, C Zhang - arXiv:2203.12654



R_{ψ_2} correlator

N. Magdy *et al.* Phys. Rev. C, 97 (2018) 061901

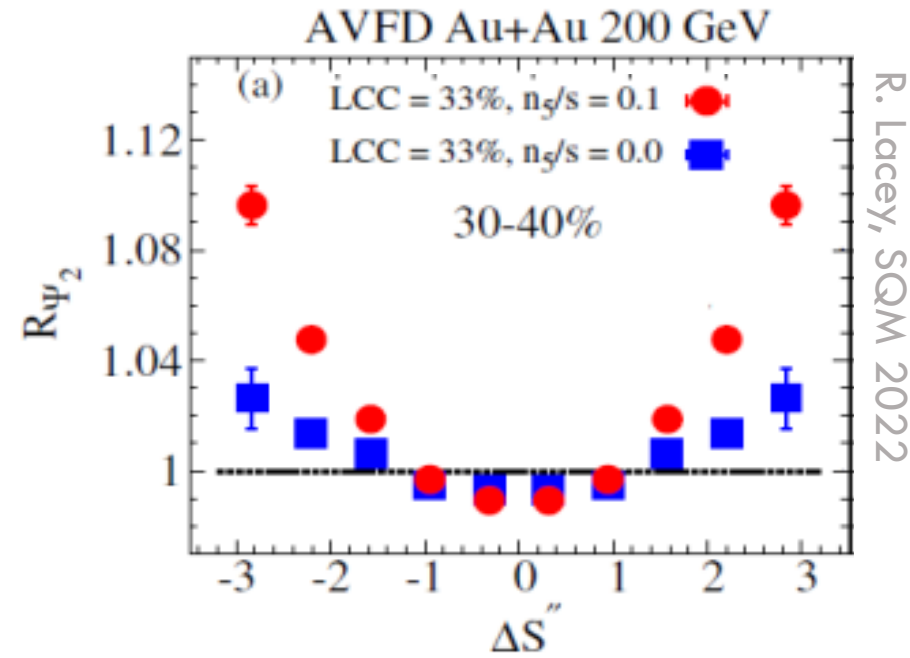
$$R_{\psi_2}(\Delta S) = C_{\psi_2}(\Delta S) / C_{\psi_2}^{\perp}(\Delta S)$$

$$C_{\psi_2} = \frac{N_{\text{real}}(\Delta S)}{N_{\text{shuffled}}(\Delta S)}$$

$$\Delta S = \left\{ \frac{\sum_{i=1}^{n^+} w_i^+ \sin(\phi_i - \psi_2)}{\sum_{i=1}^{n^+} w_i^+} - \frac{\sum_{i=1}^{n^-} w_i^- \sin(\phi_i - \psi_2)}{\sum_{i=1}^{n^-} w_i^-} \right\}$$

σ_{ψ_2} is the Gaussian width of the respective $R(\Delta S'')$

Measurement of the in-plane and out-of-plane distributions of the dipole separation event-by-event



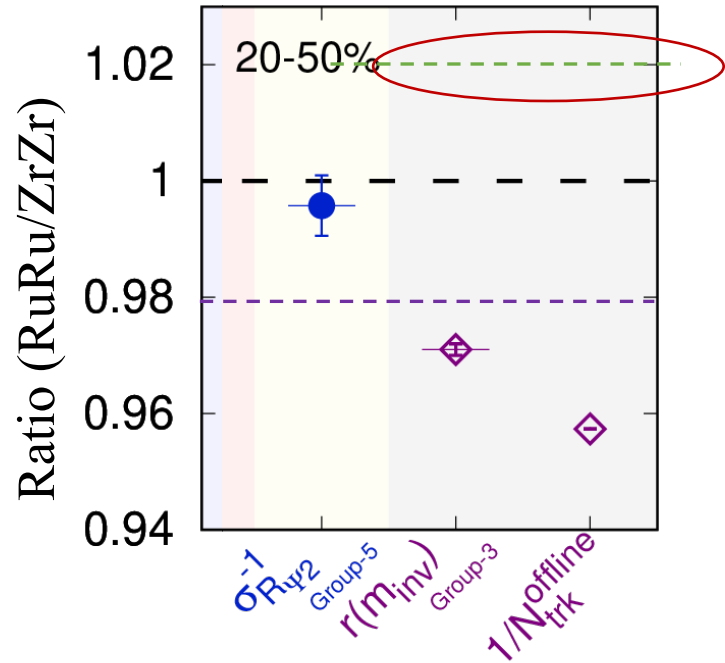
In studies with STAR frozen code for blind analysis, R_{ψ_2} and $\Delta\gamma$ have similar sensitivities to CME signal and background.

Also determined algebraically: $1/\sigma_{R_{\psi_2}}^2 \approx N\Delta\gamma$

S. Choudhury *et al.* Chin. Phys. C, 46 (2022) 014101



STAR: R_{ψ_2} isobar measurement, how to interpret?



Pre-defined CME criterion in blind analysis:

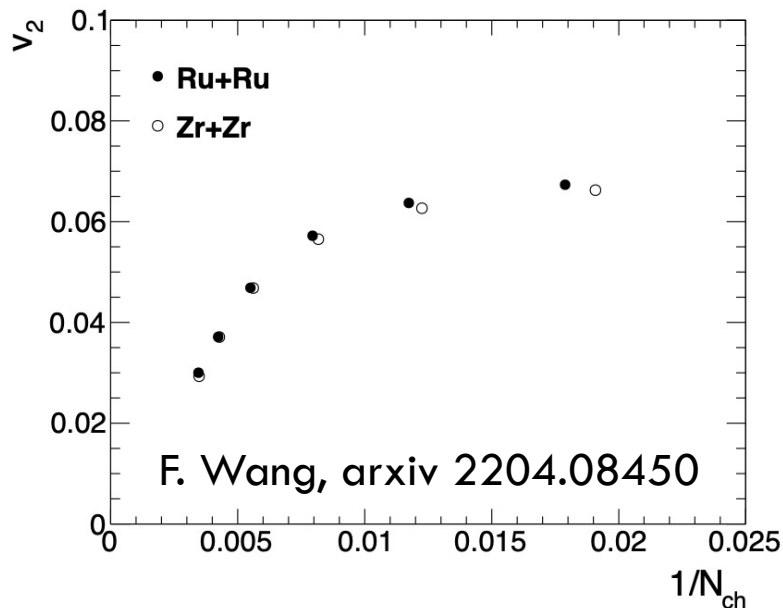
$$1/\sigma_{\psi_2}^{\text{Ru+Ru}} > 1/\sigma_{\psi_2}^{\text{Zr+Zr}} \quad \text{Not observed}$$

1st order correction to background estimate for trivial v_2 and N dependence ?

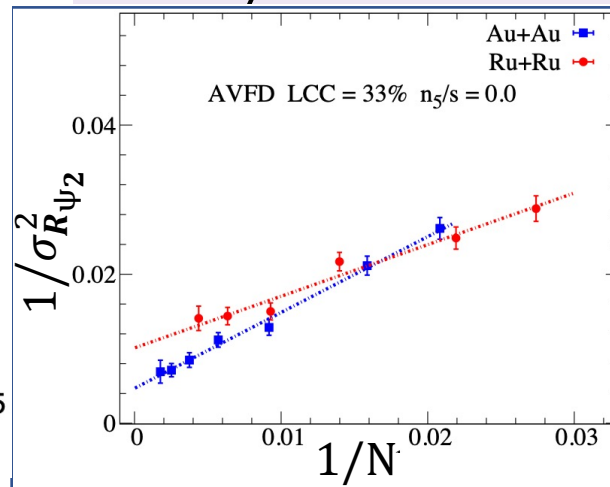
S. Choudhury et al. Chin. Phys. C, 46 (2022) 014101:

$$1/\sigma_{R\psi_2}^2 \approx N\Delta\gamma \longrightarrow 1/\sigma_{R\psi_2}^2 \propto v_2 \longrightarrow \text{"background level"} = 1.02$$

"Correct" 1st-order background estimate. Can we determine non-flow contribution?



R. Lacey et. al. arXiv:2203.10029 :



$$1/\sigma_{R\psi_2}^2 \propto 1/N \longrightarrow \text{"background level"} = 0.98$$



STAR Isobar: κ_{112} and γ_{123}

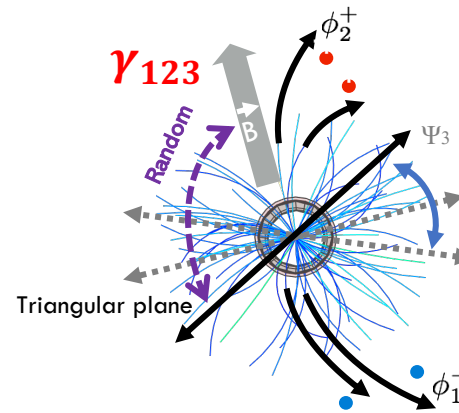
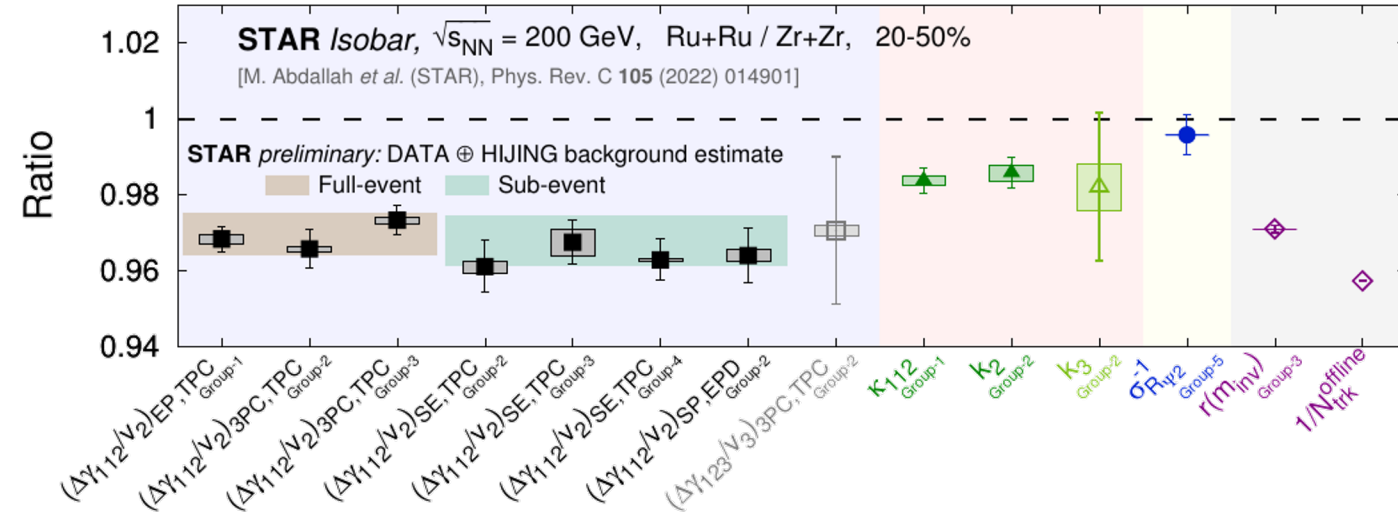
Pre-defined CME criteria:

$$\frac{(\Delta\gamma_{112}/v_2)^{\text{Ru+Ru}}}{(\Delta\gamma_{112}/v_2)^{\text{Zr+Zr}}} > \frac{(\Delta\delta)^{\text{Ru+Ru}}}{(\Delta\delta)^{\text{Zr+Zr}}}$$

$$\kappa_{112} \equiv \frac{\Delta\gamma_{112}}{v_2\Delta\delta}$$

Pre-defined CME criterion:

$$\frac{(\kappa_{112})^{\text{Ru+Ru}}}{(\kappa_{112})^{\text{Zr+Zr}}} > 1$$



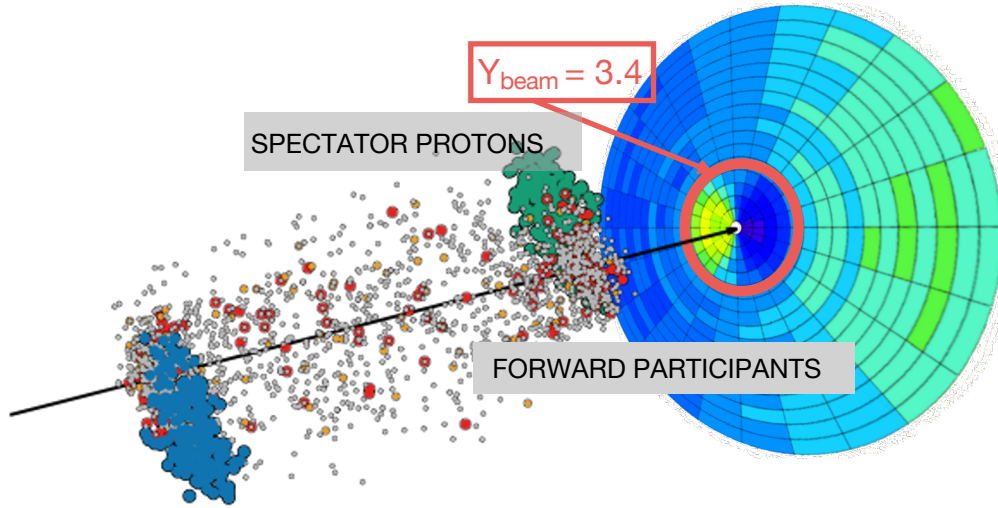
Pre-defined CME criterion:

$$\frac{(\Delta\gamma_{112}/v_2)^{\text{Ru+Ru}}}{(\Delta\gamma_{112}/v_2)^{\text{Zr+Zr}}} > \frac{(\Delta\gamma_{123}/v_3)^{\text{Ru+Ru}}}{(\Delta\gamma_{123}/v_3)^{\text{Zr+Zr}}}$$

IN both cases: Data not compatible with pre-defined CME criterion
 No 1st-order corrections for multiplicity difference



New Work: Measurement with STAR EPD @ 27 GeV



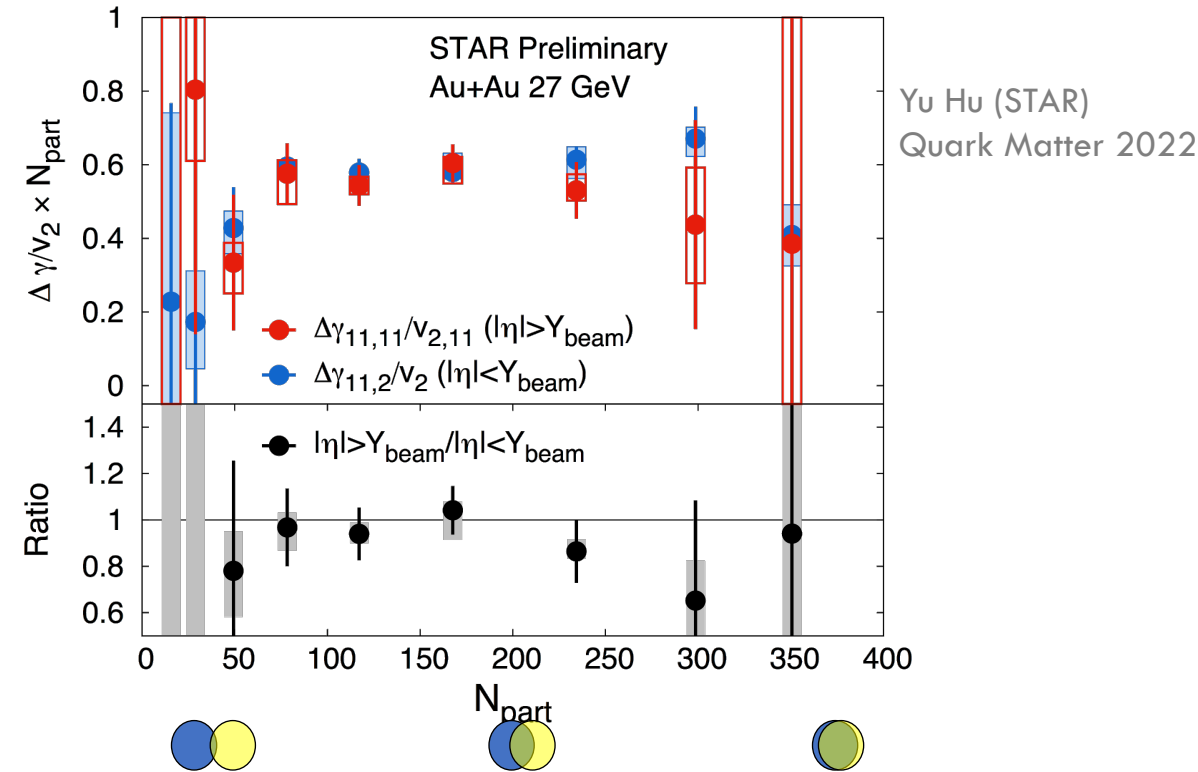
We measure the elliptic flow and the charge separation, using $\Delta\gamma$ w.r.t. **EPD-inner first harmonic plane** and the **EPD-outer second harmonic plane**.

$$\Delta\gamma = \Delta\gamma^{BG} + \Delta\gamma^{CME}$$

If $\Delta\gamma^{BG} = b v_2$

$$\left(\frac{\Delta\gamma}{v_2}\right) = \frac{\langle \cos(\alpha + \beta - 2\Psi) \rangle}{\langle \cos(2\alpha - 2\Psi) \rangle} \quad RP, PP, SP\dots$$

Under a 'pure background' scenario, all these ratios are equal. If different measurements yield different ratios, this would indicate a CME signal.



The ratio of $\Delta\gamma/v_2$ between spectator-proton rich EPD Ψ_1 plane and participant-dominated Ψ_2 plane. CME-driven correlations will make this ratio > 1 .



New Work: Correlations with Other Parity-Odd Signals (Λ helicity)

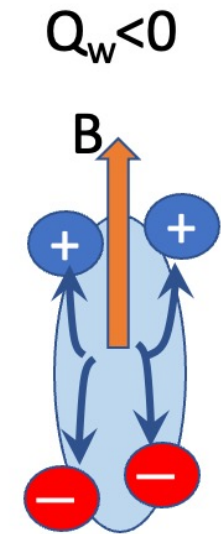
Another observable sensitive to Local Parity Violation is net helicity of Λ s in each event.

F. Becattini *et al.* Phys.Lett.B 822 (2021) 136706

F. Du *et al.* Phys.Rev.C 78 (2008) 044908

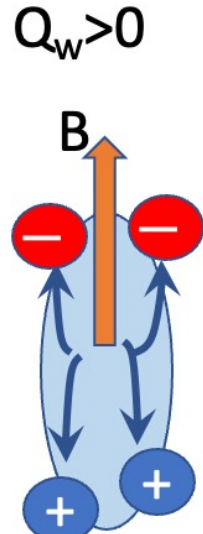
In each event, sign of charge separation dipole and net helicity are **both determined by same Q_w** ! $(N_L^f - N_R^f) = 2Q_w$

→ In events where positive charges flow in B-field direction, expect $N_L^\Lambda - N_R^\Lambda > 0$



$$N_L^\Lambda > N_R^\Lambda$$

$$N_L^{\bar{\Lambda}} > N_R^{\bar{\Lambda}}$$



$$N_R^\Lambda > N_L^\Lambda$$

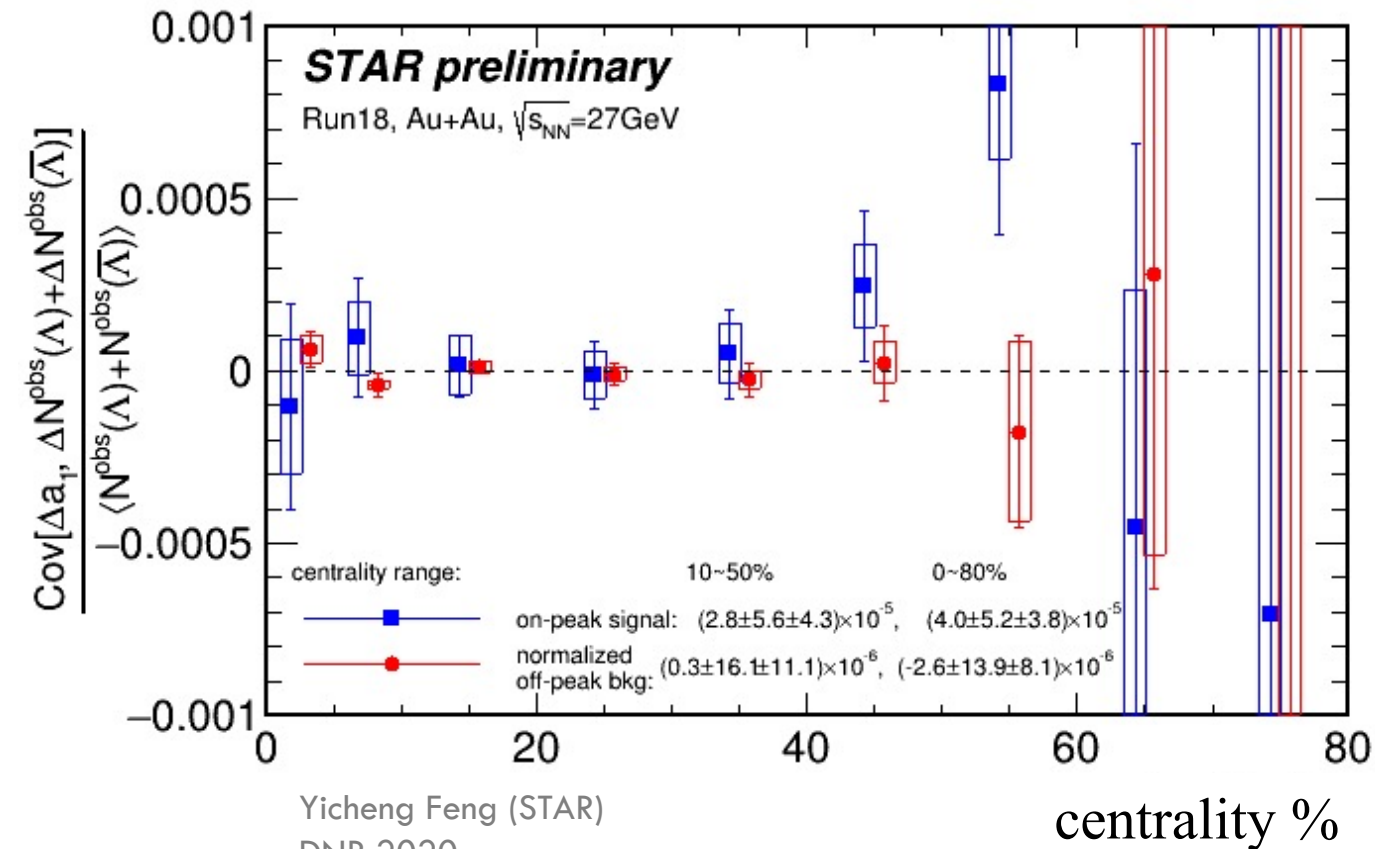
$$N_R^{\bar{\Lambda}} > N_L^{\bar{\Lambda}}$$

Can look for a correlation between sign of CME in each event and net handedness of Λ in that event. Two parity-odd observables with very different background sources (can also observe $\bar{\Lambda}$ as further systematics check and/or to increase statistical power)

Need 1st order event plane (STAR EPD or ZDC/SMD)



New Work: Correlations with Other Parity-Odd Signals (Λ helicity)



In 27GeV Au+Au data, we use EPD for ψ_1

Measure covariance between

$$a_1^+ - a_1^- \quad \text{and} \quad N_L^\Lambda > N_R^\Lambda$$

“positive charge flow along B-field”

“Excess of left-helicity Λ ”

Positive covariance (blue points above zero, 20-60% centrality) would indicate presence of two parity-odd effects tied to local parity violation

In 27GeV run 18 data, signal consistent with zero within uncertainty

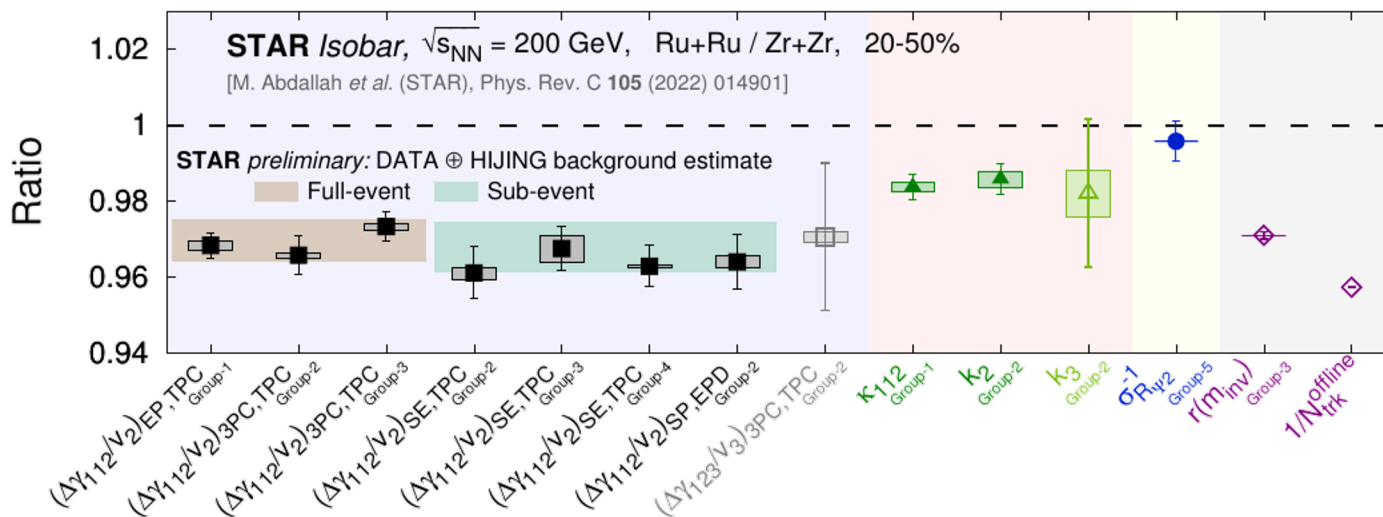
2022 STAR BUR: This method will be target for future high-statistics Au-Au runs.

$$a_1^\pm = \langle \sin(\phi_\pm - \Psi_{RP}) \rangle \quad \Delta N = N_L^\Lambda > N_R^\Lambda$$

$$\Delta a_1 = \frac{N_+}{N_+ + N_-} a_1^+ - \frac{N_-}{N_+ + N_-} a_1^-$$



Summary: Current Experimental Status of CME



Isobar post-blinding: $\Delta\gamma$ results consistent with preliminary background estimate within current uncertainty.

In 200GeV Au+Au data, spectator versus participant plane analysis shows signal 1-3 σ above zero, $f_{CME} \approx 10\%$

In both of these cases, crucial to continue working on non-flow effects.

New methods in progress, including correlations with other local parity violation signals (net hyperon helicity)

