

# The Total Mass of Dark Matter Haloes

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# Structure Formation

- The structure of the Universe is driven by dark matter density fluctuations (Lecture by Julien Lesgourgues).
- Fraction of collapsed objects of mass  $M$  is described by the mass function:

$$n(M, t)dM = \frac{\bar{\rho}}{M^2} \sqrt{\frac{2}{\pi}} \nu \exp\left(-\frac{\nu^2}{2}\right) \frac{d \log \nu}{d \log M} dM \quad \left(\nu \equiv \frac{\delta}{\sigma(M)}\right)$$

- Most simple form given by the Press&Schechter formalism (1974)

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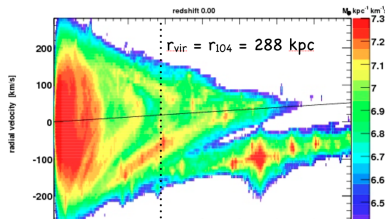
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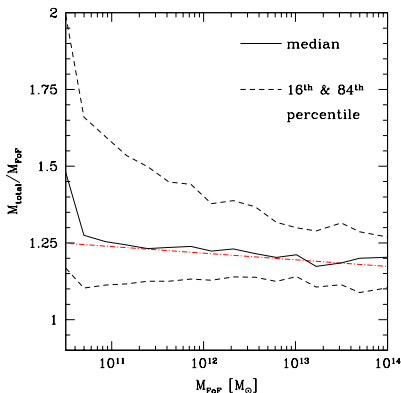
# The Mass Problem



- Dark matter halo mass is essential, but how is it defined???
  - spherical / non-spherical?
  - overdensity criterion?
  - $M_{\text{FoF}}$ ,  $M_{200}$ ,  $M_{\text{vir}}$ , ...
- All those mass definitions are heuristic, and do not cover the total collapsed mass in the sense of PS!

# Results

## Median Correction

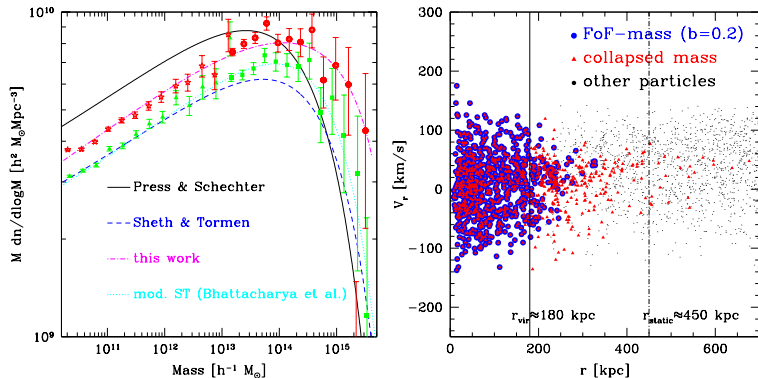


The median mass correction is very weakly dependent on mass and is well described by the linear fit:

$$\frac{M_{total}}{M_{FoF}} = 1.25 - 9 \times 10^{-3} \log \left( \frac{M_{FoF}}{3.16 \times 10^{10} M_{\odot}} \right)$$

# Results

## Mass Function & Phase-space distribution of a galaxy sized halo



$$f_{\text{CMF}}(\sigma(M), z=0) = 2.825(\sigma^{0.138} - 0.883) \exp\left(-\frac{0.154}{\sigma^2}\right)$$

# Conclusions & Outlook

## Conclusions:

- We present a group finding algorithm which identifies the total collapsed mass in the sense of the PS theory.
- Mass increase of order 25% for galaxy-sized objects and of order 20% for clusters.
- Still a gap between our corrected mass function and PS: initial conditions might not be that trivial!

## Outlook:

- Universality of CMF?
- Connection to secondary infall model?
- Increase in mass also changes the kinematics: new binding criteria for satellites on extreme orbits?



# Mass Function

Accurate mass functions are important!

- studies of galaxy formation
- normalisation of the power spectrum
- statistics of initial density field
- determination of cosmological parameters