Tumblers

A Novel Collider Signature for Long-Lived Particles

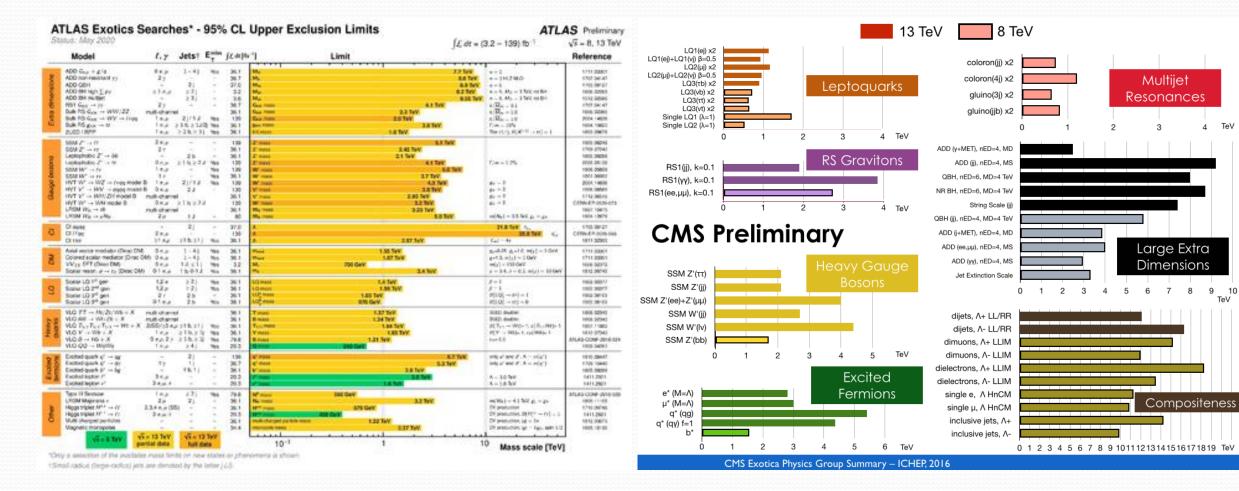


Physics & Astronomy

Doojin Kim (<u>doojin.kim@tamu.edu</u>) LLPX Workshop, November 11th, 2021

In collaboration with Keith Dienes, Tara Leininger, and Brooks Thomas, arXiv:2108.02204

BSM Search Efforts at Colliders: No Conclusive Evidence!



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Why Long-Lived Particles (LLPs)?

BSM beyond the reach of LHC

 \Rightarrow Go with future colliders

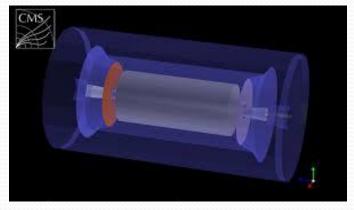


BSM hidden in the parameter space to which the existing searches are less sensitive ⇒ Explore channels/ways receiving less attention

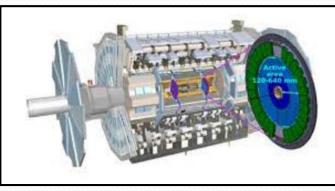
Searching for Long-Lived Particles

- □ LLPs arising in many extensions of the SM, e.g., RPV SUSY
- Macroscopically displaced vertices (DVs) at colliders by
 LLPs with lifetimes
- Relatively low SM backgrounds in the search channels involving DVs
- Additional apparatus installed in both the ATLAS and CMS detectors during the HL-LHC upgrade which enhances their physics performance with regard to DVs [Liu, Liu, Wang, 1805.05957; Liu, Liu,

Wang, Wang, 2005.10836; Flowers, Meier, Rogan, Kang, Park, 1903.05825]

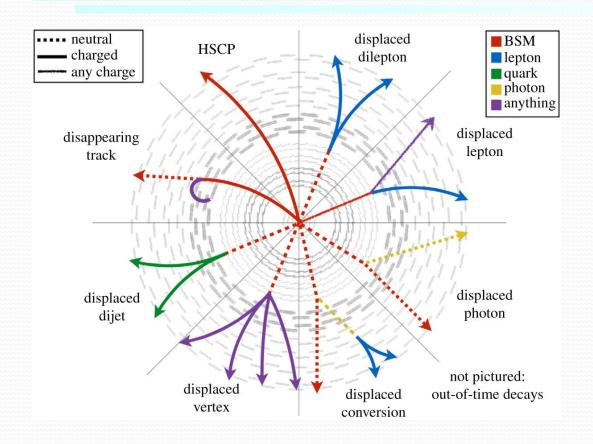


[CMS: Barrel timing layer, high-granularity calorimeters]

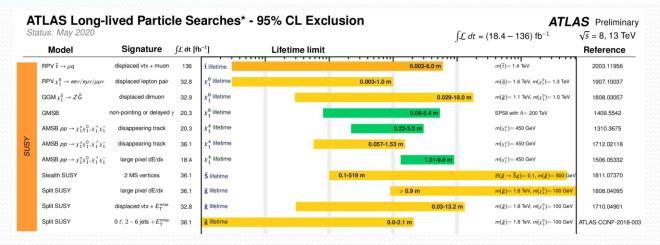


[ATLAS: Endcap timing detectors, highgranularity calorimeters]

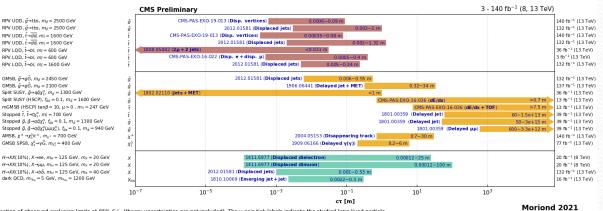
Existing LLP Searches at the LHC



Other possibilities?



Overview of CMS long-lived particle searches

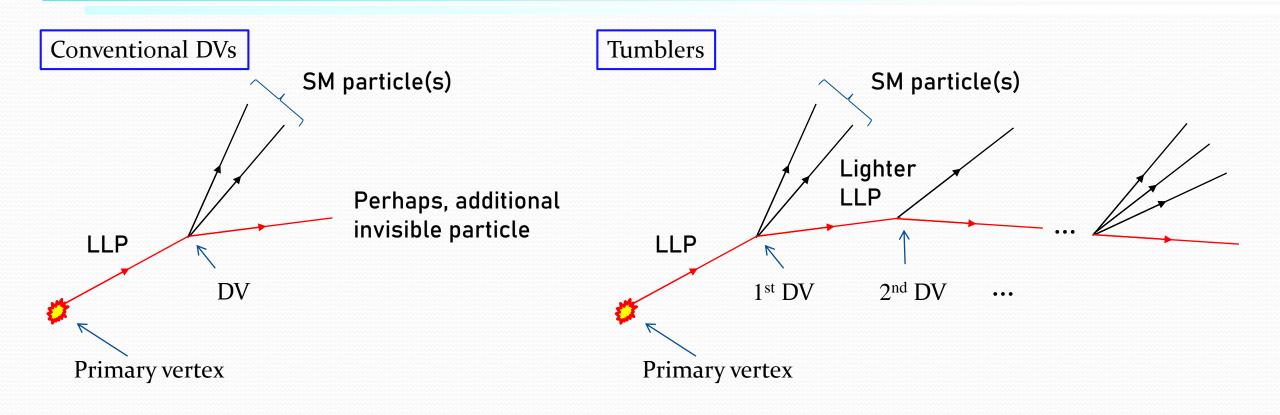


Selection of observed exclusion limits at 95% C.L. (theory uncertainties are not included). The y-axis tick labels indicate the studied long-lived particle.

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Tumblers

Tumblers: A New Collider Signature for LLPs



"Tumbler": A sequence of DVs which result from

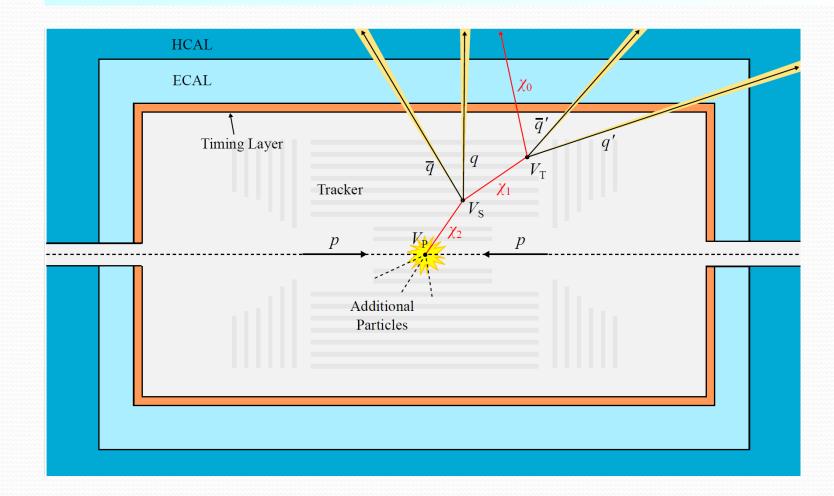
successive decays of LLPs within the same decay chain

What Models Give Rise to Tumblers?

- □ New physics models/scenarios with multiple LLPs
- **D** Example scenarios
 - Compressed SUSY [Martin, hep-ph/0703097]
 - Models involving large numbers of additional degrees of freedom with disorder in their mass matrix [D'Agnolo, Low, 1902.05535]
 - Extended dark-sector scenarios with mediator-induced decay

Chains [Dienes, DK, Song, Su, Thomas, Yaylali, 1910.01129]

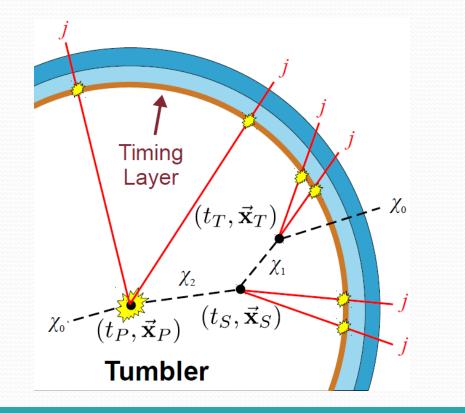
Tumblers: An Example



- Simplest tumbler signal: two
 sequential DVs for purposes
 of illustration.
- Each decay produces SM particles, here a qq pair which manifests as a pair of hadronic jets.

Resonance Mass Reconstruction

□ Timing information together with momentum information allows us to reconstruct the masses of the three resonances event-by-event. (see also [Bae, Park, Zhang, 2001.02142] for the event-by-event mass reconstruction in the DV events involving ISR.)



$$\vec{\boldsymbol{\beta}}_1 \equiv (\vec{\mathbf{x}}_T - \vec{\mathbf{x}}_S)/(t_T - t_S) \text{ and } \vec{\boldsymbol{\beta}}_2 \equiv (\vec{\mathbf{x}}_S - \vec{\mathbf{x}}_P)/(t_S - t_P)$$

$$m_{2} = \frac{\left|\vec{\mathbf{p}}_{q} + \vec{\mathbf{p}}_{\bar{q}} - \vec{\beta}_{1}(|\vec{\mathbf{p}}_{q}| + |\vec{\mathbf{p}}_{\bar{q}}|)\right|}{\gamma_{2}|\vec{\beta}_{1} - \vec{\beta}_{2}|}$$

$$m_{1} = \frac{\left|\vec{\mathbf{p}}_{q} + \vec{\mathbf{p}}_{\bar{q}} - \vec{\beta}_{2}(|\vec{\mathbf{p}}_{q}| + |\vec{\mathbf{p}}_{\bar{q}}|)\right|}{\gamma_{1}|\vec{\beta}_{1} - \vec{\beta}_{2}|}$$

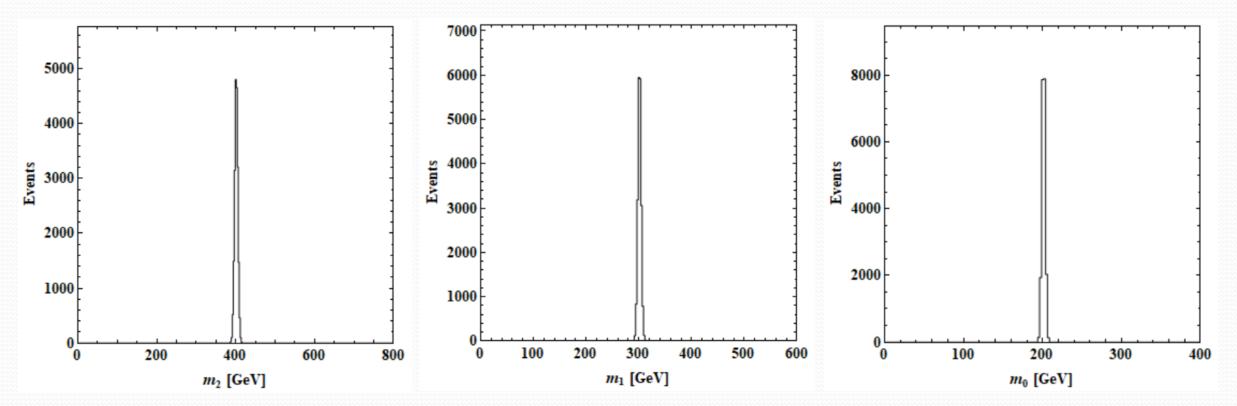
$$m_{0}^{2} = m_{1}^{2} - 2\gamma_{1}m_{1}\left[|\vec{\mathbf{p}}_{q'}| + |\vec{\mathbf{p}}_{\bar{q}'}| - \vec{\beta}_{1} \cdot (\vec{\mathbf{p}}_{q'} + \vec{\mathbf{p}}_{\bar{q}'})\right]$$

$$+2\left(|\vec{\mathbf{p}}_{q'}||\vec{\mathbf{p}}_{\bar{q}'}| - \vec{\mathbf{p}}_{q'} \cdot \vec{\mathbf{p}}_{\bar{q}'}\right).$$

Reconstructed Mass Distributions

□ Distributions of reconstructed mass values with a 1% mass resolution

□ Input mass: $\{m_2, m_1, m_0\} = \{400, 300, 200\}$ GeV



Tumblers in an Example Model

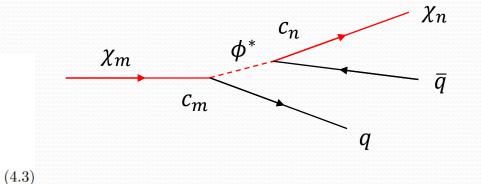
A Concrete Model for Tumblers

- Triplet under the approximate U(3) flavor symmetry to suppress the flavor-changing effects
- ϕ and quarks sharing a common mass eigenbasis
- For simplicity, $m_{\phi} \equiv m_{\phi_u} \ll m_{\phi_c}, m_{\phi_t}$

Mass eigenstates $\{\phi_u, \phi_c, \phi_t\}$ essentially each couple to a single flavor.

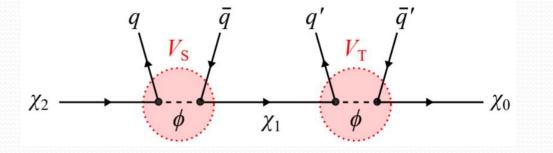
Decays and Displaced Vertices

 \Box χ_2 , χ_1 are unstable and decay to lighter states via a virtual ϕ .

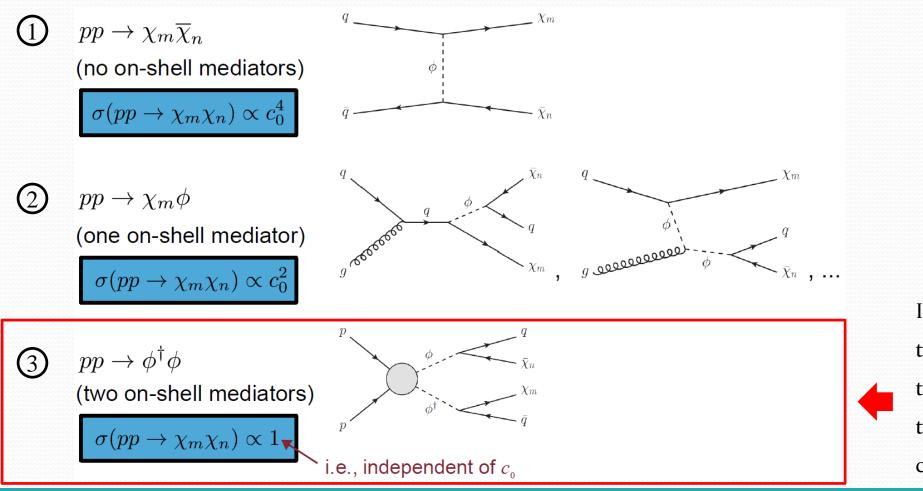


□ Tumblers arise when χ_2 is produced at the primary vertex and decays to χ_1 which subsequently decays to χ_0 .

□ Partial decay widths scale like $\Gamma_{mn} \propto c_m^2 c_n^2$. If $c_n \ll 1$, both χ_2, χ_1 can be long-lived and hence yield DVs. (cf. $\Gamma_{\phi n} \propto c_n^2$, so ϕ decay is typically prompt in this coupling regime.)

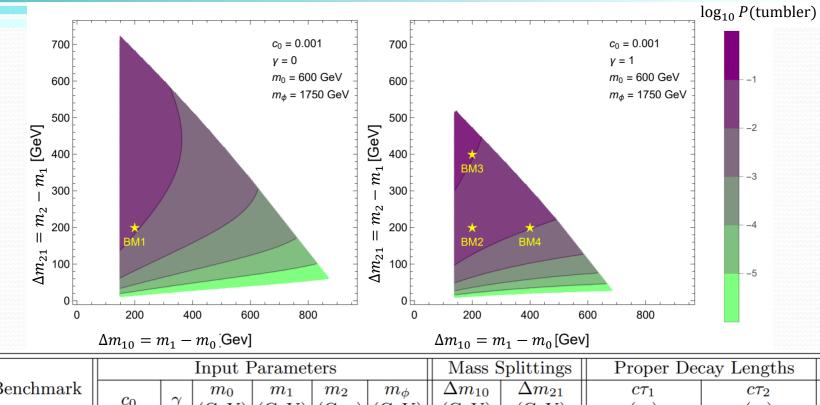


Production Channels



In the regime where $c_n \ll 1$, this process vastly dominates the production rate. We therefore focus on this contribution.

Benchmark Points

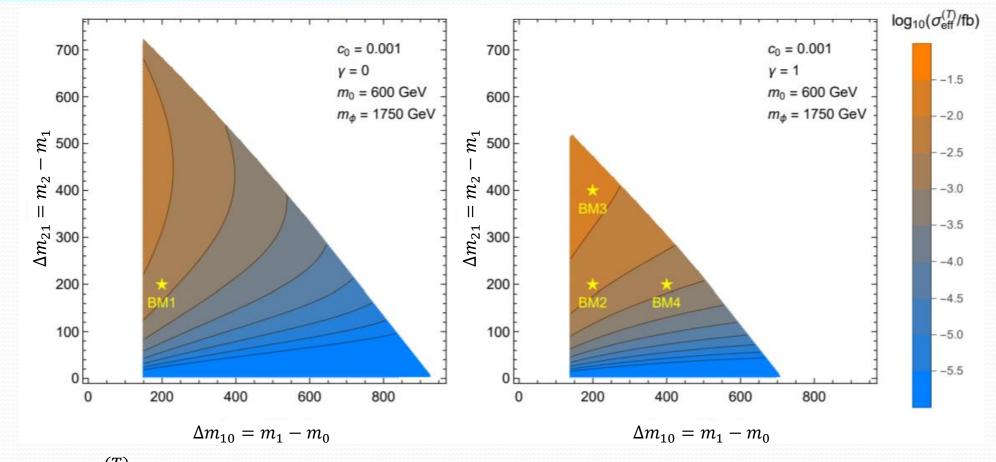


Benchmark		2	m_0	m_1	m_2	m_{ϕ}	Δm_{10}	Δm_{21}	$c au_1$	$c au_2$
	c_0	ſγ	(GeV)	(GeV)	(Gev)	(GeV)	(GeV)	(GeV)	(m)	(m)
BM1	0.001	0	600	800	1000	1750	200	200	2.42	8.33×10^{-2}
BM2	0.001	1	600	800	1000	1750	200	200	1.36	2.89×10^{-2}
BM3	0.001	1	600	800	1200	1750	200	400	1.36	2.14×10^{-3}
BM4	0.001	1	600	1000	1200	1750	400	200	3.15×10^{-2}	2.89×10^{-3}

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Effective Tumbler Cross-Sections



 $\sigma_{\rm eff}^{(T)}$ is large enough to provide a significant number of events at the HL-LHC!

Results

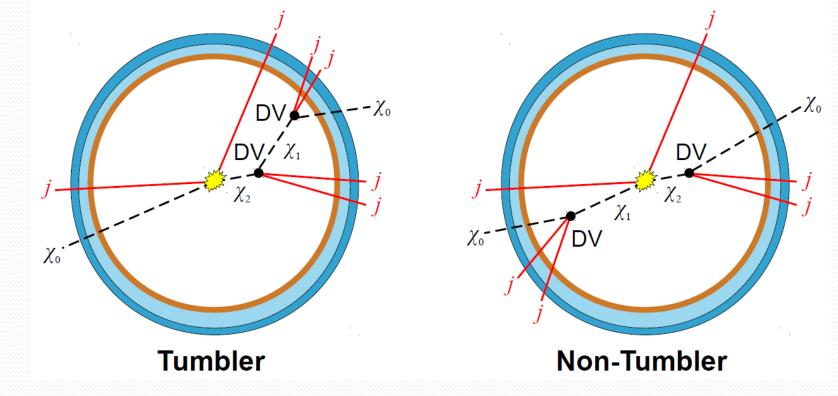
Benchmark		$\sigma_{\rm eff}^{(\alpha)}$ (fb))	Tumbler Events				
Deneminark	Tumblers	DV	Multi-Jet $+ \not\!\!\!E_T$	LHC Run 2 (137 fb ^{-1})	HL-LHC (3000 fb^{-1})			
BM1	1.5×10^{-3}	5.3×10^{-2}		0.4	9.2			
BM2	1	6.1×10^{-2}	I I	1.1	25.6			
BM3	1			3.7	76.1			
BM4	1.4×10^{-3}	6.1×10^{-2}	$3.9 imes 10^{-3}$	0.4	8.1			
[We find that $\sigma_{\rm eff}^{(1j)}$ is always subleading.]								
	$\sigma_{\rm eff}^{(DV)}$	$\gg \sigma_{\rm eff}^{(T)}$	Consistent with Good detection current bounds prospects					

- Despite stringent limits, there is still potential for mediator-induced decay chains to manifest themselves at colliders in the displaced-vertex search channels.
- Nevertheless, tumbler events could be buried in non-tumbler (i.e., mere DVs) events.

Tumblers vs. Non-Tumblers

Tumblers vs. Non-Tumblers

□ The model under consideration can give rise to not only tumbler events but non-tumbler events.



A method for distinguishing them is needed to claim a discovery of tumblers!

Monte Carlo Simulation Scheme

 \Box $pp \rightarrow \phi \phi^{\dagger}$ simulation with MG5 and ϕ decay cascades with our own simulation code

□ A few crucial detector effects are parameterized/simulated.

- Timing uncertainty, *σ_t*: smear the time at which each jet hits the timing layer by a Gaussian with uncertainty *σ_t*
- Jet-energy uncertainty, σ_E : smear the energy E_j of each jet by a Gaussian with an energydependent uncertainty $\sigma_E(E_j)$ modeled after the CMS-detector response (cf. uncertainty in jet direction is subleading)
- Vertex-location uncertainty, σ_r : shift the position of each vertex by a random vector whose magnitude is distributed according to a Gaussian with uncertainty $\sigma_r = 30 \ \mu m$

Event Selection through Mass Reconstruction

Recall the mass reconstruction formulae

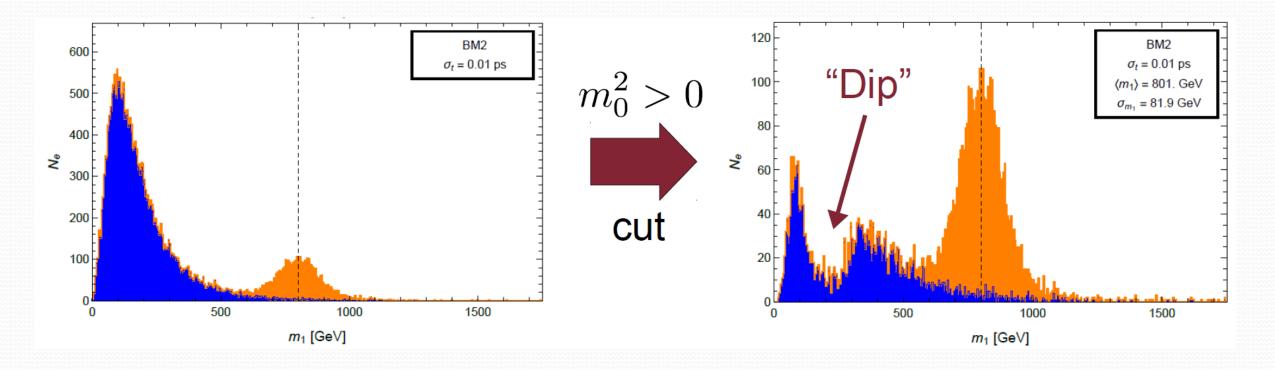
$$\begin{split} m_{2} &= \frac{\left|\vec{\mathbf{p}}_{q} + \vec{\mathbf{p}}_{\bar{q}} - \vec{\beta}_{1}\left(|\vec{\mathbf{p}}_{q}| + |\vec{\mathbf{p}}_{\bar{q}}|\right)\right|}{\gamma_{2}|\vec{\beta}_{1} - \vec{\beta}_{2}|} \\ m_{1} &= \frac{\left|\vec{\mathbf{p}}_{q} + \vec{\mathbf{p}}_{\bar{q}} - \vec{\beta}_{2}\left(|\vec{\mathbf{p}}_{q}| + |\vec{\mathbf{p}}_{\bar{q}}|\right)\right|}{\gamma_{1}|\vec{\beta}_{1} - \vec{\beta}_{2}|} \\ m_{0}^{2} &= m_{1}^{2} - 2\gamma_{1}m_{1}\left[|\vec{\mathbf{p}}_{q'}| + |\vec{\mathbf{p}}_{\bar{q}'}| - \vec{\beta}_{1} \cdot (\vec{\mathbf{p}}_{q'} + \vec{\mathbf{p}}_{\bar{q}'})\right] \\ &+ 2\left(|\vec{\mathbf{p}}_{q'}||\vec{\mathbf{p}}_{\bar{q}'}| - \vec{\mathbf{p}}_{q'} \cdot \vec{\mathbf{p}}_{\bar{q}'}\right) \,. \end{split}$$

 If an event comes from the true decay topology, i.e., tumblers,

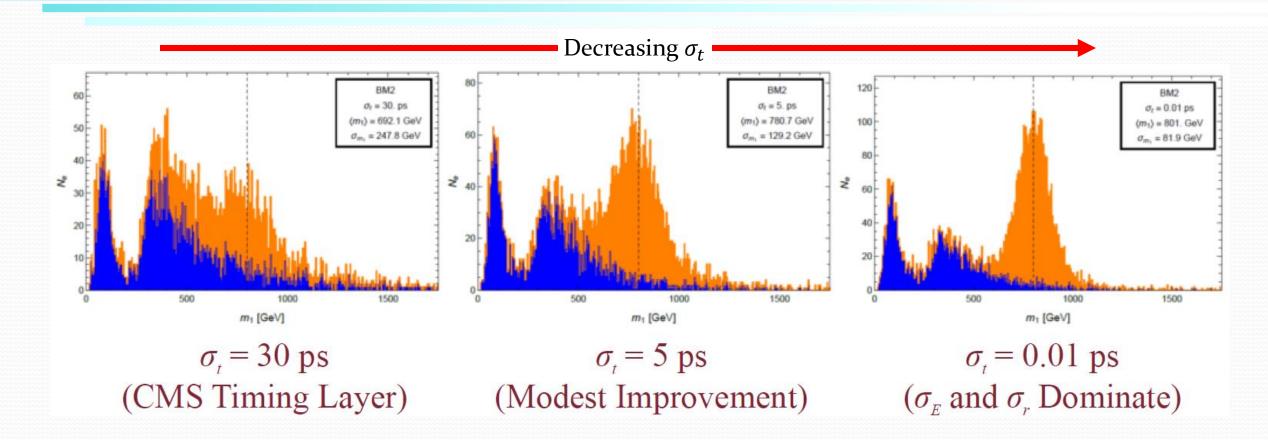
- m_1 and m_2 are real and positive,
- m_0^2 is real,
- $|\vec{p}_0|$ is real and positive,
- $0 < |\vec{\beta}_i| < 1$ for i = 1, 2,
- $m_2^2 > m_1^2 > m_0^2$
- Non-tumbler events may fail in satisfying some of the above criteria.

One Additional Cut

□ Finally, we impose one additional requirement: $m_0^2 > 0$. This cut reduces the background even further (by a factor of ~10 for all BMs) and also alters the **shapes** of the m_1 distributions.



The Impact of Timing Resolution



Even a moderate improvement in σ_t would significantly enhance the prospects for distinguishing tumblers at the LHC or at future colliders.

Conclusions

- Tumblers are a novel collider signature in which multiple DVs arise in the same event as a consequence of sequential decays along the same decay chain.
- Such signatures arise naturally in new-physics scenarios in which LLPs themselves decay into final states involving other LLPs.
- These mediators can give rise to extended decay chains at colliders involving large numbers of SM particles.
- Event-selection criteria based on the reconstruction of the LLP masses can efficiently discriminate between tumblers and other kinds of events involving multiple DVs.
- A moderate enhancement in timing resolution relative to the ~30 ps that will be provided by the CMS barrel timing layer could pay huge dividends in terms of our ability to distinguish between different event topologies involving multiple displaced vertices.

Thank you!



Parameter-Space Regions of Interest

□ Since $pp \rightarrow \phi \phi^{\dagger}$ production dominates, most tumbler decay chains begin with the (prompt) decay of ϕ .

$$P(\text{tumbler}) = BR(\phi \to \chi_2)BR(\chi_2 \to \chi_1)BR(\chi_1 \to \chi_0)$$
$$= BR(\phi \to \chi_2)BR(\chi_2 \to \chi_1)$$

□ We are generally interest in the regions of parameter space where *P*(tumbler) is large.

D Our parameter space is six-dimensional: $\{m_{\phi}, m_2, m_1, m_0, c_0, \gamma\}$



Constraints from LHC Searches

- $\square Multi-jet + E_T^{miss}$ [Syrunyan et al., 1908.04722, 1909.03560; Aad et al., 2010.14293]
 - \Rightarrow Constraints satisfied when $m_{\phi} \gtrsim 1250$ GeV and $m_n \gtrsim 500$ GeV.
- $\square \text{ Mono-jet } + E_T^{\text{miss}} \text{ [Aad et al., 2012.10874]}$
 - ⇒ Constraints within our parameter-space region of interest are subleading in comparison with multi-jet constraints.

Displaced-jet channel [Syrunyan et al., 1906.06441, 2012.01581, 2104.13474]

 \Rightarrow Bound is $\sigma_{\chi\chi} BR_j^2 \leq 0.05 - 0.5$ fb for 10^{-4} m $< c\tau_{\chi} < 10$ m.

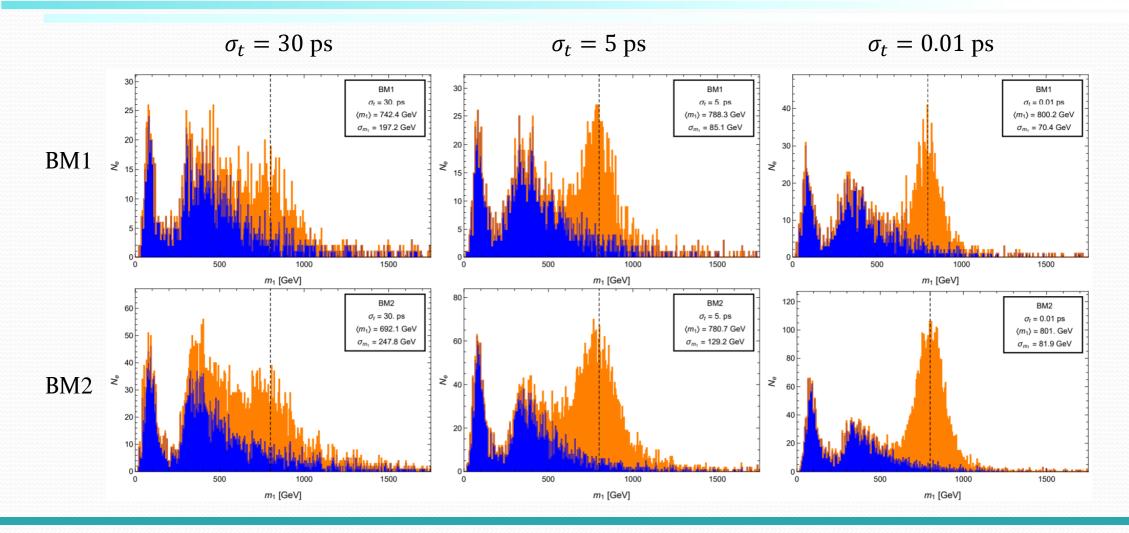
Effective Cross-Sections

We define a set of effective cross-sections $\sigma_{\rm eff}^{(\alpha)}$ which incorporate
contributions to the event rate for a particular class of processes that arise
in our model.

- Tumbler class, $\sigma_{eff}^{(T)}$: Processes involving at least one tumbler
- DV class, $\sigma_{\text{eff}}^{(DV)}$: Processes which yield at least one DV, whether or not it is part of a tumbler
- Multi-jet class, $\sigma_{\text{eff}}^{(Nj)}$: Processes which yield two or more hard jets, but no DV
- Mono-jet class, $\sigma_{eff}^{(1j)}$: Processes which involve one hard jet and no DV

First Chain	Second Chain	Tumblers	Displaced Vertices	Prompt Jets		
	From $pp \to \phi \phi$ Pro					
$\phi ightarrow \chi_2 ightarrow \chi_1 ightarrow \chi_0$	$\phi \rightarrow \chi_2 \rightarrow \chi_1 \rightarrow \chi_0$	2T		2j		
$\phi ightarrow \chi_2 ightarrow \chi_1 ightarrow \chi_0$	$\phi ightarrow \chi_2 ightarrow \chi_0$	Т	DV	2j		
$\phi ightarrow \chi_2 ightarrow \chi_1 ightarrow \chi_0$	$\phi ightarrow \chi_1 ightarrow \chi_0$	Т	DV	2j		
$\phi ightarrow \chi_2 ightarrow \chi_1 ightarrow \chi_0$	$\phi ightarrow \chi_0$	Т		2j		
$\phi ightarrow \chi_2 ightarrow \chi_0$	$\phi ightarrow \chi_2 ightarrow \chi_0$		2DV	2j		
$\phi ightarrow \chi_2 ightarrow \chi_0$	$\phi ightarrow \chi_1 ightarrow \chi_0$		2DV	2j		
$\phi ightarrow \chi_2 ightarrow \chi_0$	$\phi ightarrow \chi_0$		DV	2j		
$\phi ightarrow \chi_1 ightarrow \chi_0$	$\phi ightarrow \chi_2 ightarrow \chi_0$		2 DV	2j		
$\phi ightarrow \chi_1 ightarrow \chi_0$	$\phi ightarrow \chi_1 ightarrow \chi_0$		DV	2j		
$\phi ightarrow \chi_0$	$\phi ightarrow \chi_0$			2j		
	From $pp \to \phi \chi_n$ Pr					
$\phi ightarrow \chi_2 ightarrow \chi_1 ightarrow \chi_0$	$\chi_2 o \chi_1 o \chi_0$	2T		j		
$\phi ightarrow \chi_2 ightarrow \chi_1 ightarrow \chi_0$	$\chi_2 o \chi_0$	T	DV	j		
$\phi ightarrow \chi_2 ightarrow \chi_1 ightarrow \chi_0$	$\chi_1 o \chi_0$	Т	DV	j		
$\phi o \chi_2 o \chi_1 o \chi_0$	χ_0	T		j		
$\phi ightarrow \chi_2 ightarrow \chi_0$	$\chi_2 o \chi_1 o \chi_0$	Т	DV	j		
$\phi ightarrow \chi_2 ightarrow \chi_0$	$\chi_2 o \chi_0$		$2\mathrm{DV}$	j		
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$\phi ightarrow \chi_2 ightarrow \chi_0$	χ_0		DV	j		
$\phi ightarrow \chi_1 ightarrow \chi_0$	$\chi_2 o \chi_1 o \chi_0$	Т	DV	j		
$\phi ightarrow \chi_1 ightarrow \chi_0$	$\chi_2 o \chi_0$		$2\mathrm{DV}$	j		
$\phi ightarrow \chi_1 ightarrow \chi_0$	$\chi_1 o \chi_0$		$2\mathrm{DV}$	j		
$\phi ightarrow \chi_1 ightarrow \chi_0$	χ_0		DV	j		
$\phi ightarrow \chi_0$	$\chi_2 o \chi_1 o \chi_0$	Т		j		
$\phi ightarrow \chi_0$	$\chi_2 o \chi_0$		DV	j		
$\phi ightarrow \chi_0$	$\chi_1 o \chi_0$		DV	j		
$\phi o \chi_0$	χ_0			j		
From $pp \to \chi_m \chi_n$ Production						
$\chi_2 o \chi_1 o \chi_0$	$\chi_2 o \chi_1 o \chi_0$	2T				
$\chi_2 o \chi_1 o \chi_0$	$\chi_2 o \chi_0$	T	DV			
$\chi_2 o \chi_1 o \chi_0$	$\chi_1 o \chi_0$	Т	DV			
$\chi_2 o \chi_1 o \chi_0$	χ_0	Т	aDU			
$\chi_2 o \chi_0$	$\chi_2 o \chi_0$		2DV			
$\chi_2 o \chi_0$	$\chi_1 o \chi_0$		2DV			
$\chi_2 o \chi_0$	χ_0		DV			
$\chi_1 o \chi_0$	$\chi_1 o \chi_0$		2DV			
$\chi_1 o \chi_0$	χ_0		DV			
χ_0	χ_0					

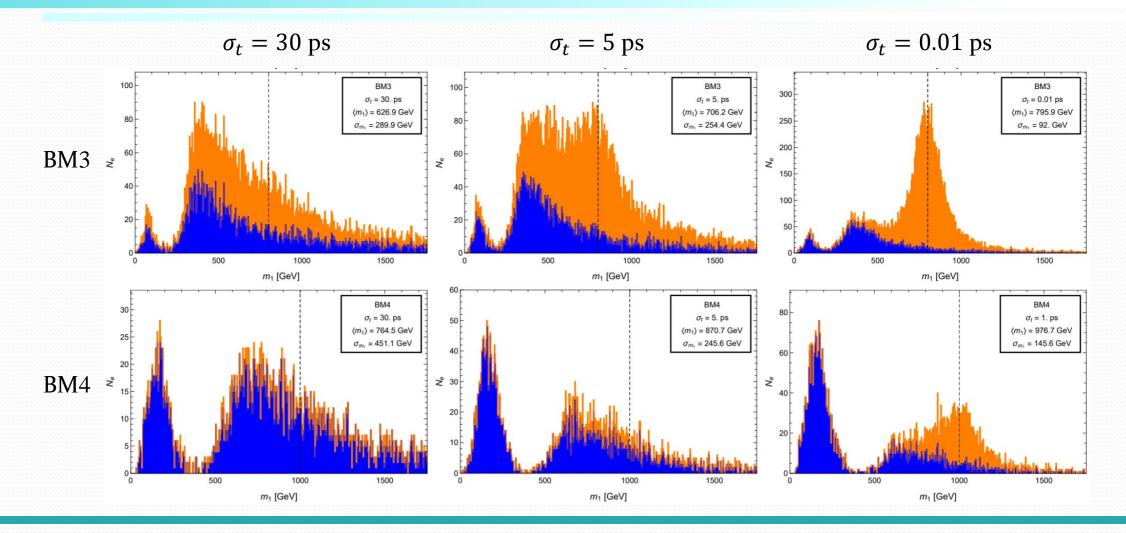
Other Benchmark Points



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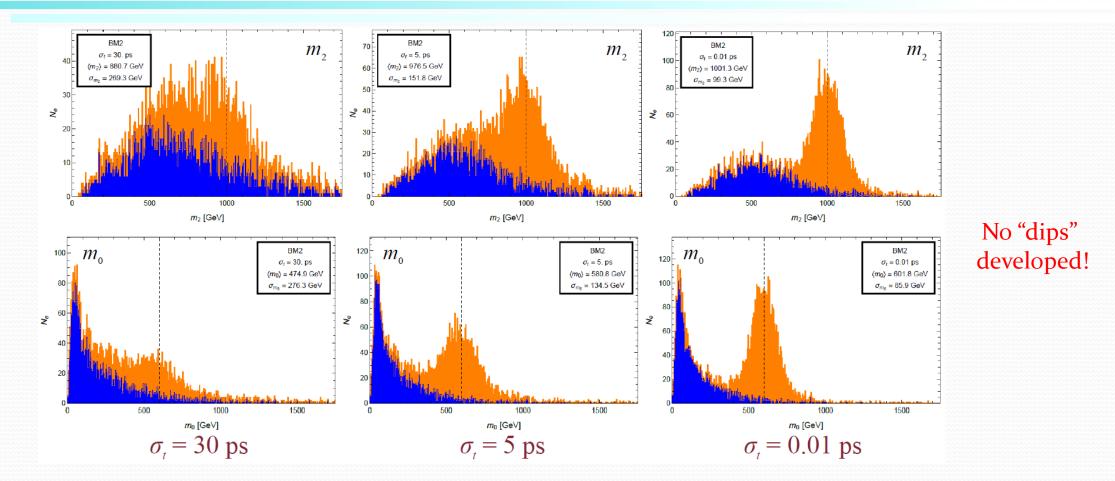
Other Benchmark Points



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Other Masses



Once again, even a moderate improvement in σ_t would have a huge impact!

Lifetime Reconstruction

□ We define the total number of events $N_i(t)$ (i = 1,2) which have a proper decay time t_i longer than t.

Proper decay times

$$t_1 = (t_T - t_S)/\gamma_1$$
 and $t_2 = (t_S - t_P)/\gamma_2$

