Constraining Neutrino Magnetic Moments at the FPF

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Based on

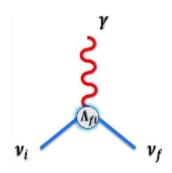
- arXiv:2109.05032, A. Ismail, S. Jana, and R. Mammen Abraham
- In preparation, S. Foroughi-Abari, Y.-D. Tsai, and R. Mammen Abraham



Neutrino Magnetic Moments

- Neutrino mixing parameters have been measured with incredible precision in recent years.
- Electromagnetic properties of neutrinos can also be used to probe new physics.
- SM predicts a very small value for the active neutrino transition magnetic moments for Majorana neutrinos, $\sim 10^{-23} \mu_B$.
- The minimally-extended SM with right-handed neutrinos can acquire a diagonal magnetic moment proportional to their mass, $\mu_{\nu}^{D} \sim 10^{-19} \left(\frac{m_{\nu}}{\text{lev}}\right) \mu_{B}$.
- These predictions are several orders of magnitude smaller than the present experimental and astrophysical upper bounds, motivating our study of NMM using LHC neutrinos.

Neutrino Magentic Moments - Experimental Signature



$$\mathcal{L}_{dipole} \sim \mu_{\nu}^{if} \bar{\nu}^i \sigma^{\mu\nu} \nu^f F_{\mu\nu}$$

A striking experimental signature of the magnetic moment operator is an electron recoiling. Incoming active neutrinos interact with the electrons in the target atom causing the electron to recoil. We consider two cases:

- Final state neutrino, ν_f is the same as the incoming active neutrino species, ν_i .
- ν_f is a Heavy Neutral Lepton (HNL) a.k.a sterile neutrino, N_R .

Neutrino Magnetic Moments - Cross-Section Expression

A characteristic feature of neutrino magnetic moment interaction is an enhancement in signal cross-section at low recoil energies, $d\sigma/dE_{rec} \sim 1/E_{rec}$

For the scattering $\nu_{\alpha}e^{-} \longrightarrow \nu_{\alpha}e^{-}$ we have,

$$\frac{d\sigma}{dE_{rec}} = \frac{\pi\alpha^2}{m_e^2} \left(\frac{1}{E_{rec}} - \frac{1}{E_{\nu}}\right) \left(\frac{\mu_{\nu_{\alpha}}}{\mu_{\rm B}}\right)^2$$

and for $\nu_{\alpha}e^{-} \longrightarrow N_{R}e^{-}$

$$\frac{d\sigma}{dE_{rec}} = \alpha \, (\mu_{\nu}^{\alpha})^2 \, \big[\frac{1}{E_{rec}} - \frac{1}{E_{\nu}} + M_N^2 \frac{E_{rec} - 2E_{\nu} - M_e}{4E_{\nu}^2 E_{rec} M_e} + M_N^4 \frac{E_{rec} - M_e}{8E_{\nu}^2 E_{rec}^2 M_e^2} \big] \; .$$

So if we have a **source of neutrinos and a detector with sufficiently low energy thresholds** then we can study neutrino magnetic moments. FPF!!!

Backgrounds

Before we study the prospects at FPF we have to reduce the backgrounds.

- Muon-induced backgrounds: Muons can emit photons through bremsstrahlung which subsequently undergo pair conversion. If one of the resulting e^{\pm} is missed, the event would mimic our neutrino-electron scattering process. With timing, however, these events could be associated with the accompanying muon and vetoed.
- ν -induce backgrounds: The dominant background is ν interactions where only an e recoils. This is both NC interactions for all flavors, and CC interaction for ν_e only. We use differences in kinematic distributions to reduce this background.

Detectors at FPF

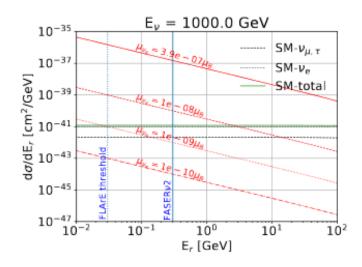
At the FPF we focus on the following detectors:

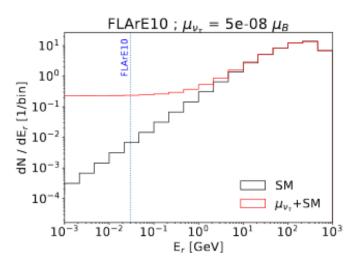
- FASER ν 2 : 0.5 m x 0.5 m x 2 m tungsten detector with a mass of 10 tonnes, and $E_{th} = 300 \text{MeV}$.
- FLArE: Liquid argon detector with $E_{th} = 30 \text{MeV}$ and dimensions
 - 1 m x 1 m x 7 m with a mass of 10 tonnes.
 - $1.6 \text{ m} \times 1.6 \text{ m} \times 30 \text{ m}$ with a mass of 100 tonnes.

With a lower energy threshold we expect FLArE to be more sensitive.

Active Neutrino Magnetic Moment

$$\nu_{\alpha}e^{-} \longrightarrow \nu_{\alpha}e^{-}$$





Left: The SM background has a flat distribution but the NMM contribution is enhanced at low recoil energies. **Right:** Expected number of SM and $\mu_{\nu_{\tau}}$ + SM events at FLArE10.

Active Neutrino Magnetic Moment

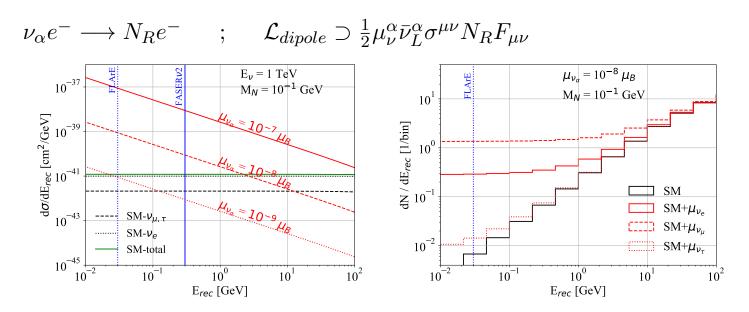
We employ a simple cut and count analysis with *cuts* corresponding to $E_{thresh} < E_{rec} < 1 \text{ GeV}.$

	SM backgrounds		$\mu_{\nu_e} = 5$	$\cdot 10^{-8} \mu_B$	$\mu_{\nu_{\mu}} = 5$	$\cdot 10^{-9} \mu_B$	$\mu_{\nu_{\tau}} = 5 \cdot 10^{-8} \mu_B$		
Detector	no cuts	cuts	no cuts	cuts	no cuts	cuts	no cuts	cuts	
FASER ν 2	86	0.1	142	11.5	9.5	0.8	3.8	0.3	
FLArE-10	51	0.1	97	24.1	7.3	1.9	4.0	1.0	
FLArE-100	332	1.0	704	177.4	56.4	15.0	39.1	9.8	

Bounds on $\mu_{\nu_{\alpha}}$:

Detector	$ \mu_{\nu_e} (10^{-8} \mu_B) $	$ \mu_{\nu_{\mu}} (10^{-9} \mu_B) $	$\mu_{\nu_{\tau}} (10^{-7} \mu_B)$
$FASER\nu 2$	2.2	8.4	1.3
FLArE-10	1.5	5.5	0.75
FLArE-100	0.62	2.1	0.26

DONUT bounds are at $\mu_{\nu_{\tau}} < 3.9 \times 10^{-7} \mu_B$. FLArE-100 can do an order of magnitude better.



Qualitatively it is the same as before so we can employ a similar cut and count analysis. But **sterile neutrinos can undergo decays**.

The decay length of N_R in the lab frame is given by $l_{decay} = \frac{16\pi}{\mu_{\nu}^2 M_N^4} \sqrt{E_N^2 - M_N^2}$, where $E_N = \text{energy of the outgoing } N_R$.

 l_{prompt} = minimum decay length for the decay vertex to appear displaced, and hence distinguishable from the production vertex.

- $l_{decay} > l_{detector}$: N_R decays outside the detector and the decay vertex is not observable.
- $l_{prompt} < l_{decay} < l_{detector}$: The decay vertex is sufficiently displaced from the production vertex and results in "double-bang" events.
- $l_{decay} < l_{prompt}$: The decay occurs promptly, leading to an electron and photon appearing to be produced at the same point.

Of the possible signatures above, we focus on those with a single electron track emerging from the production vertex, with no other nearby activity in the detector.

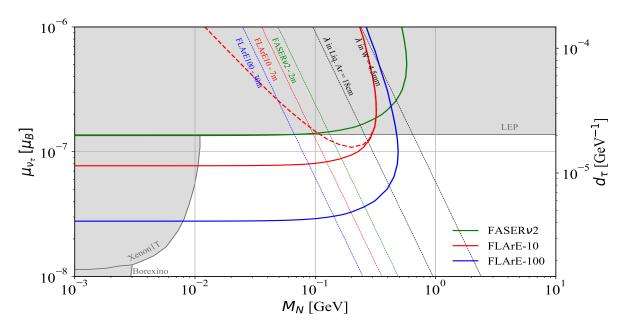
We discard events where the N_R decays promptly, which could have different backgrounds than the ones we consider.

We take l_{prompt} to be the mean free path λ for pair production by the photon in the detector material: $\lambda = 4.5 \text{ mm } (18 \text{ cm}) \text{ for FASER}\nu 2$ (FLArE).

Loose (strong) cuts correspond to $E_{thresh} < E_{rec} < 10$ (1) GeV.

	SM backgrounds		$\mu_{\nu_e} = 10^{-7} \mu_B$		$\mu_{\nu_{\mu}} = 10^{-8} \mu_B$			$\mu_{\nu_{\tau}} = 10^{-7} \mu_B$				
Detector	no cuts	loose	strong	no cuts	loose	strong	no cuts	loose	strong	no cuts	loose	strong
$FASER\nu2$	86	2.5	0.1	480	134.1	39	30	8.6	2.5	12.7	3.6	1.0
FLArE-10	51	2	0.1	320.5	144	79.6	22.3	10.4	5.9	13.1	5.9	3.3
FLArE-100	332	15	1.0	2285	1037	575.7	165.1	78.2	44.6	126.1	57.2	31.8

$$l_{decay} \sim \frac{1}{\mu_{\nu}^2 M_N^4}$$



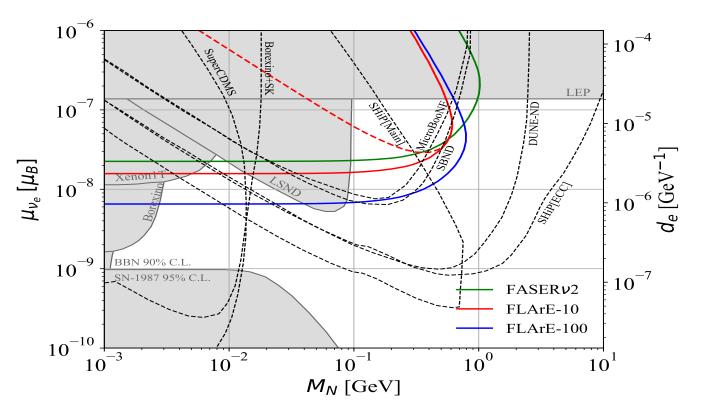
The colored dotted lines show $l_{deacy} = l_{detector}$ for various detectors assuming $E_N = 100$ GeV, and the black dotted lines show $l_{decay} = \lambda$ in various detector materials. The red dashed line is from considering only double bang events at FLArE-10.

Summary

- The existence of nonzero neutrino magnetic moments is implied by neutrino masses.
- It is important to search for magnetic moments that could be larger than the typical expectation given by the neutrino mass scale.
- The intense beam of ν 's, and detectors with low energy thresholds and timing capabilities make FPF suited for such searches.
- FASER ν 2, FLArE-10 can constrain active tau neutrino magnetic moment to $\sim 10^{-7}\mu_B$, and FLArE-100 to $\sim 10^{-8}\mu_B$, an order of magnitude better than DONUT.
- Highly competitive bounds on active to sterile neutrino transition moments are also obtained at FPF.

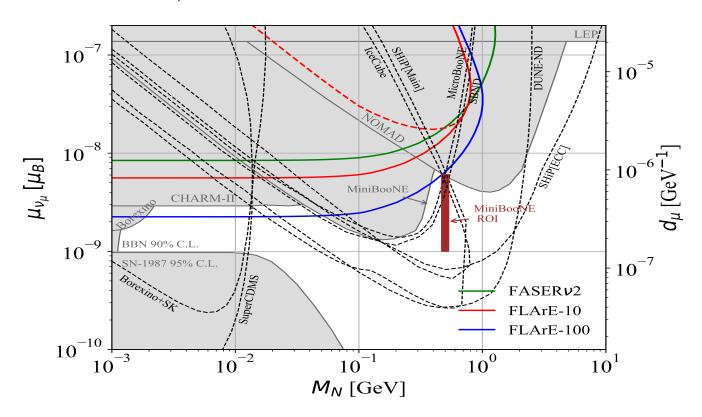
Backup slides

Global picture: μ_{ν_e}



Backup slides

Global picture: $\mu_{\nu_{\mu}}$



Backup slides

Global picture: $\mu_{\nu_{\tau}}$

