

# Jet Timing

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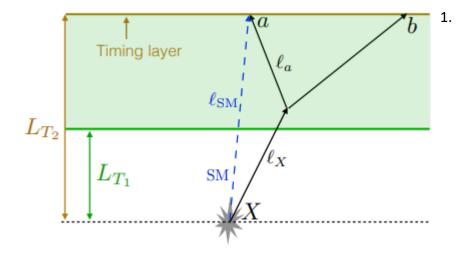
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Based on arXiv:2109.01682

# Why timing matters?

- LLPs always have a delay in arrival time:
  - 1. Longer path
  - 2. Massive parent particle

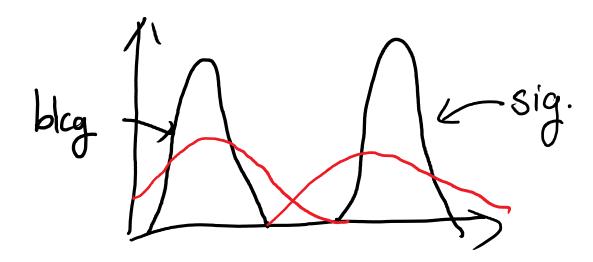


# Timing a jet

- Possible definitions: A jet is a set of particles,  $\{i\}$ 
  - Random: Set  $t_I$  to be a random element from the set  $\{t_i\}$
  - Median: Set  $t_I$  to be the median from the set  $\{t_i\}$
  - Hardest: Label the particle with the highest  $p_T$  with the index  $i_h$ . Set  $t_I = t_{i_h}$
  - Average: Set  $t_I$  to be the arithmetic mean of the set  $\{t_i\}$
  - $p_T$ -weighted: Set  $t_I$  to be the following:

$$t_J^{p_T} = \frac{1}{H_{T,J}} \sum_i p_{T,i} t_i$$
,  $H_{T,J} = \sum_i p_{T,i}$ 

# Why study multiple definitions?



# Evaluating performance

- Reference time: Treat the jet J as a massless particle with threemomentum  $\vec{p}_J$  and known production vertex and calculate the crossing time.
  - For prompt jets, in a cylindrical detector with radius  $r_T$ ,

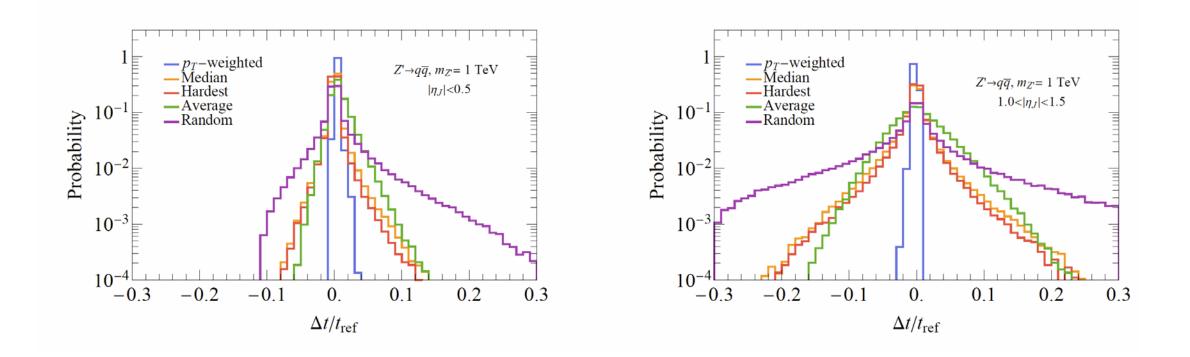
$$t_{\rm ref} = \frac{r_T}{c} \frac{|\vec{p}_J|}{p_{T,J}} = \frac{r_T}{c} \cosh \eta_J$$

• Metric:

$$\frac{\Delta t}{t_{\rm ref}} \equiv \frac{t_J - t_{\rm ref}}{t_{\rm ref}}$$

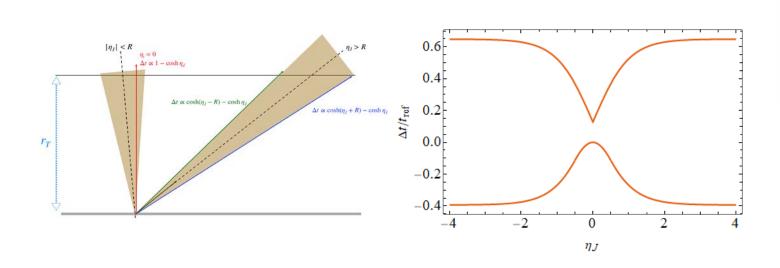
• Narrower distribution  $\Rightarrow$  More stable definition

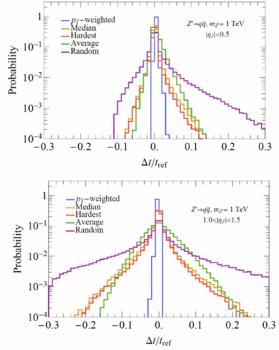
## Timing distribution (prompt jets)



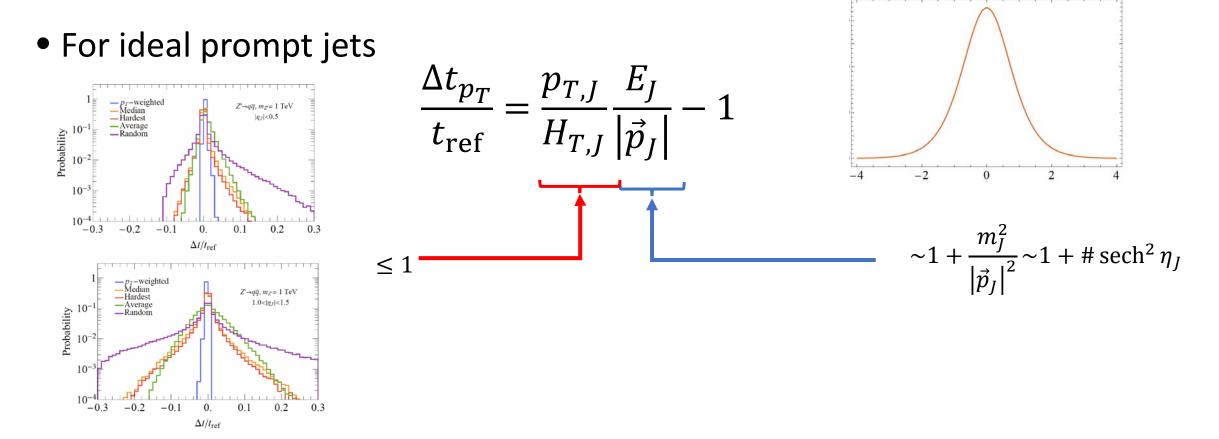
## Analytic behavior of prompt jets

- Model detector as cylinder with radius:  $r_T$
- Imagine a jet as object with hard boundaries at  $\eta_J \pm R$ . For any massless, prompt particle in the jet, we have



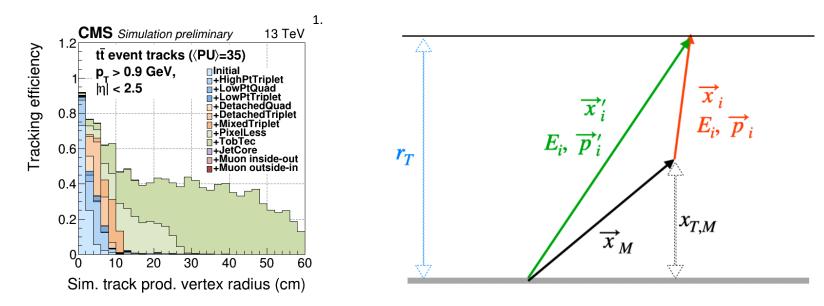


## Analytic behavior of prompt jets (cont.)



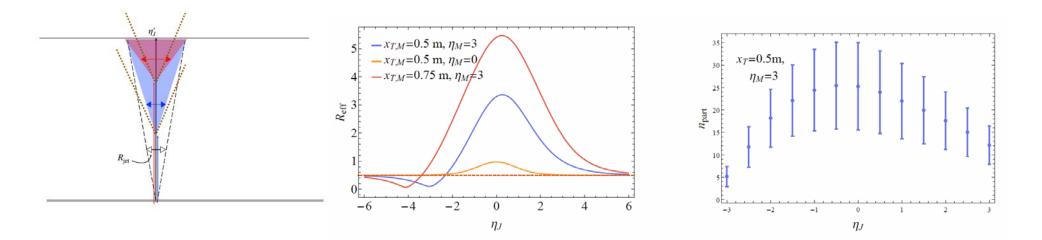
# Analytic behavior of delayed jets

- Tracking performance for large  $x_{T,M}$  is poor
- Kinematics reconstructed from IP not DV
- Broadens  $p_T$ -weighted time and biases hardest time



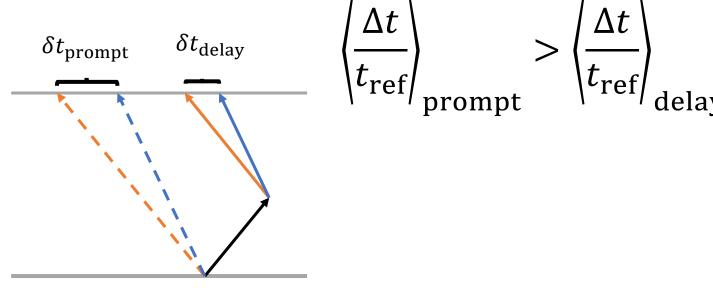
# Analytic behavior of delayed jets (cont.)

- Jets clustered with  $\eta'$  rather than  $\eta$
- Effective cone size using  $\eta$  can be different from  $R_{jet}$
- Two effects:
  - 1.  $n_{\text{part}}$  increases with  $R_{\text{eff}}$
  - 2. Spread in absolute time increases with  $R_{eff}$

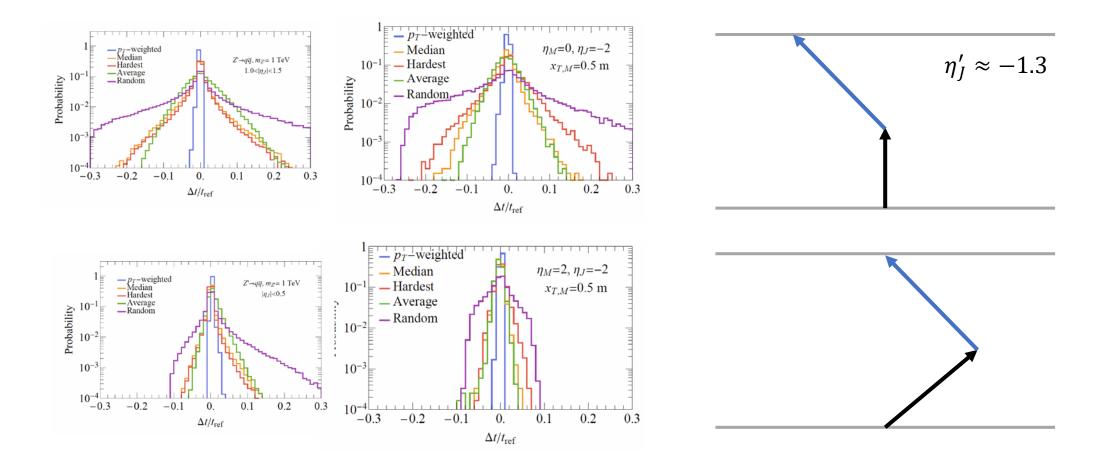


# Analytic behavior of delayed jets (cont.)

- On average, particles travel a shorter distance from production vertex  $\Rightarrow \langle \delta t_{\text{prompt}} \rangle > \langle \delta t_{\text{delay}} \rangle$
- Final arrival time is always larger vs prompt



#### Timing distribution (Delayed jets)



# Summary

- A good timing definition is important for background separation
- $p_T$ -weighted time is very robust for ideal prompt jets
- Geometric effects important for displaced jet.
- In many displaced scenarios,  $p_T$ -weighted still performs very well

# Backup/details

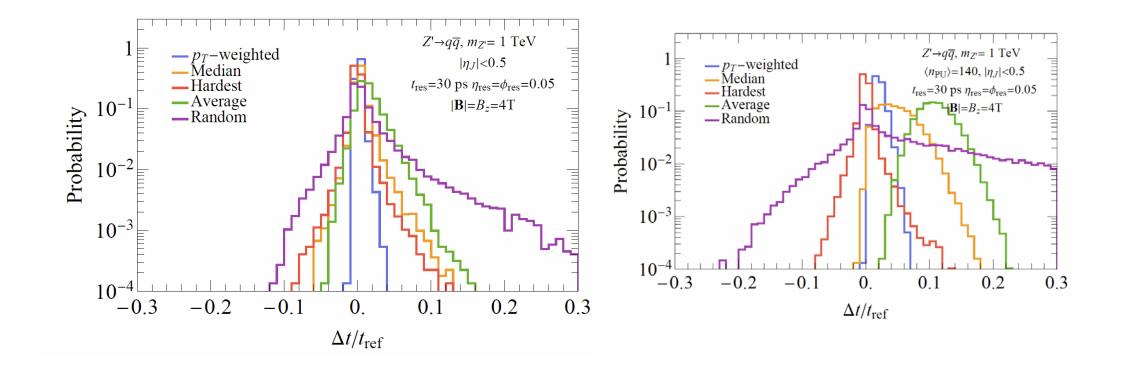
# Simulation details of prompt jets

- Generate  $Z' \rightarrow q \bar{q}$  in Pythia 8.240 with  $m_{Z'} = 1 \text{ TeV}$
- MPI, ISR, and hadronization<sup>1</sup> switched off
- FSR switched on
- $r_T = 1 \text{ m}$
- Final state particles produced inside detector with  $p_T > 0.5$  GeV and  $|\eta| < 4.0$  were clustered into R = 0.5 anti- $k_T$  jets using FastJet v3.3.2
- Stored the jet times of the hardest jet

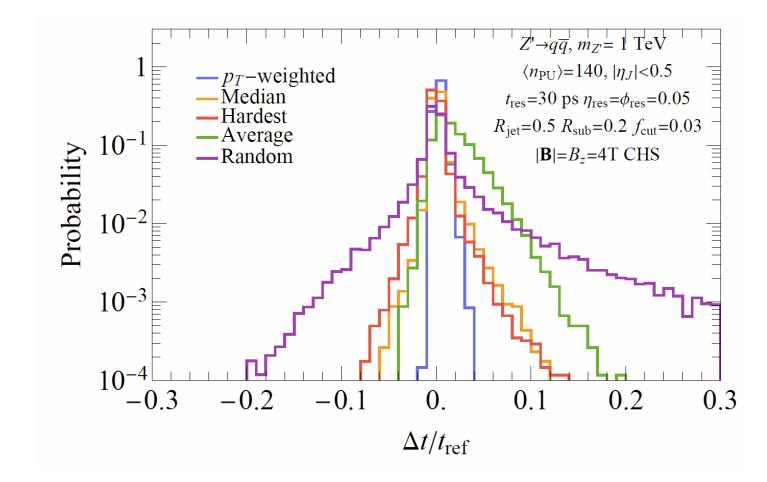
# Simulation details (delayed jets)

- Used MG5 to generate  $pp \to \tilde{g}\tilde{g} \to gg\tilde{G}_0\tilde{G}_0$  events
- Adjusted the kinematics of the LHE file to fix the following:  $x_{T,M}, \eta_M, \eta_D, \beta_M, \Delta \phi$
- Events showered in Pythia8 with ISR, MPI, and hadronization disabled
- Final state particles produced inside detector with  $p'_T > 0.5$  GeV and  $|\eta'| < 4.0$  were clustered into R = 0.5 anti- $k_T$  jets using FastJet v3.3.2

### Additional prompt effects



#### Additional prompt effects



## Timing distribution (delayed jets)

