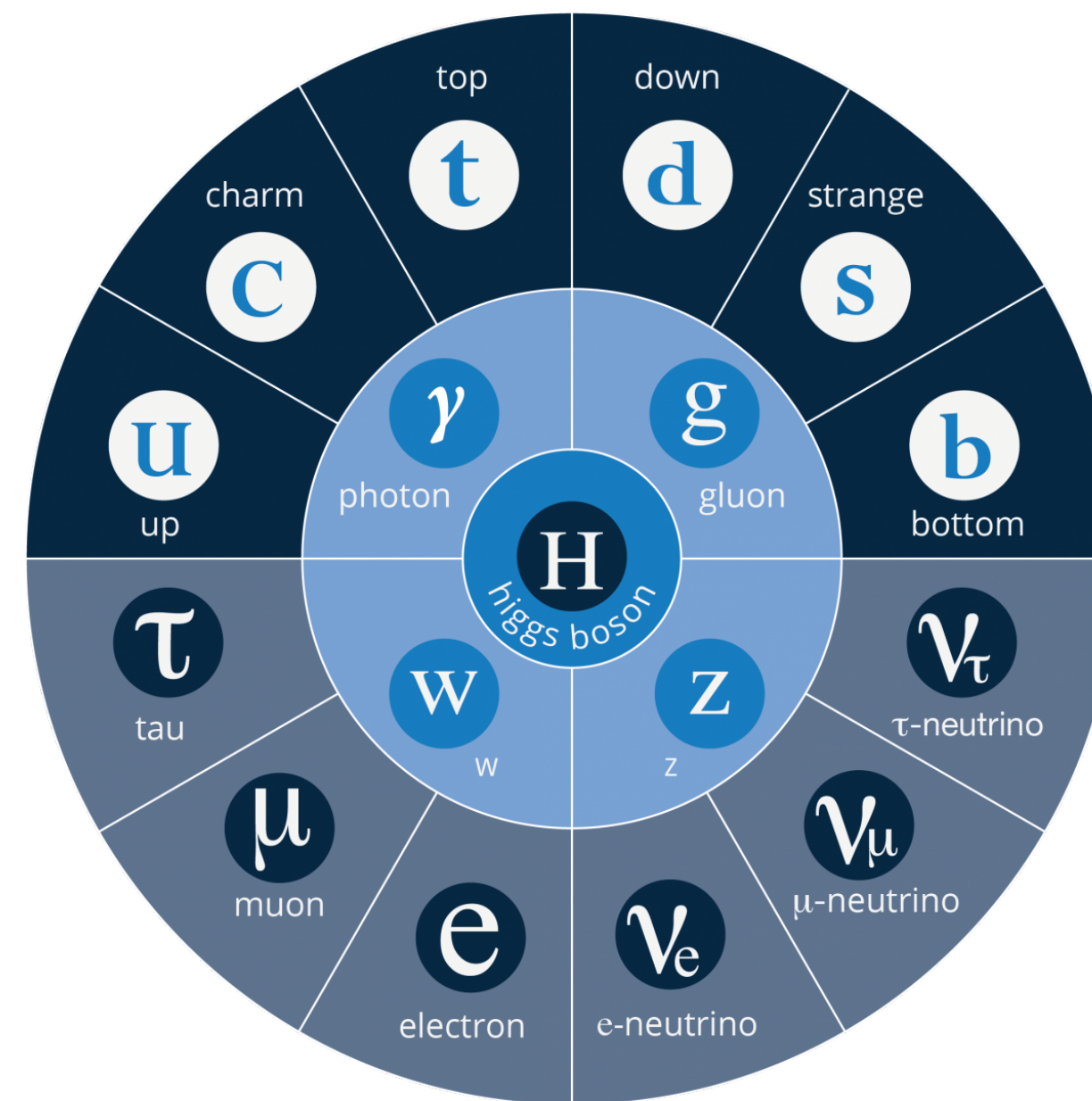


Charming Higgs bosons

Direct constraint on the Higgs-charm coupling with the ATLAS detector

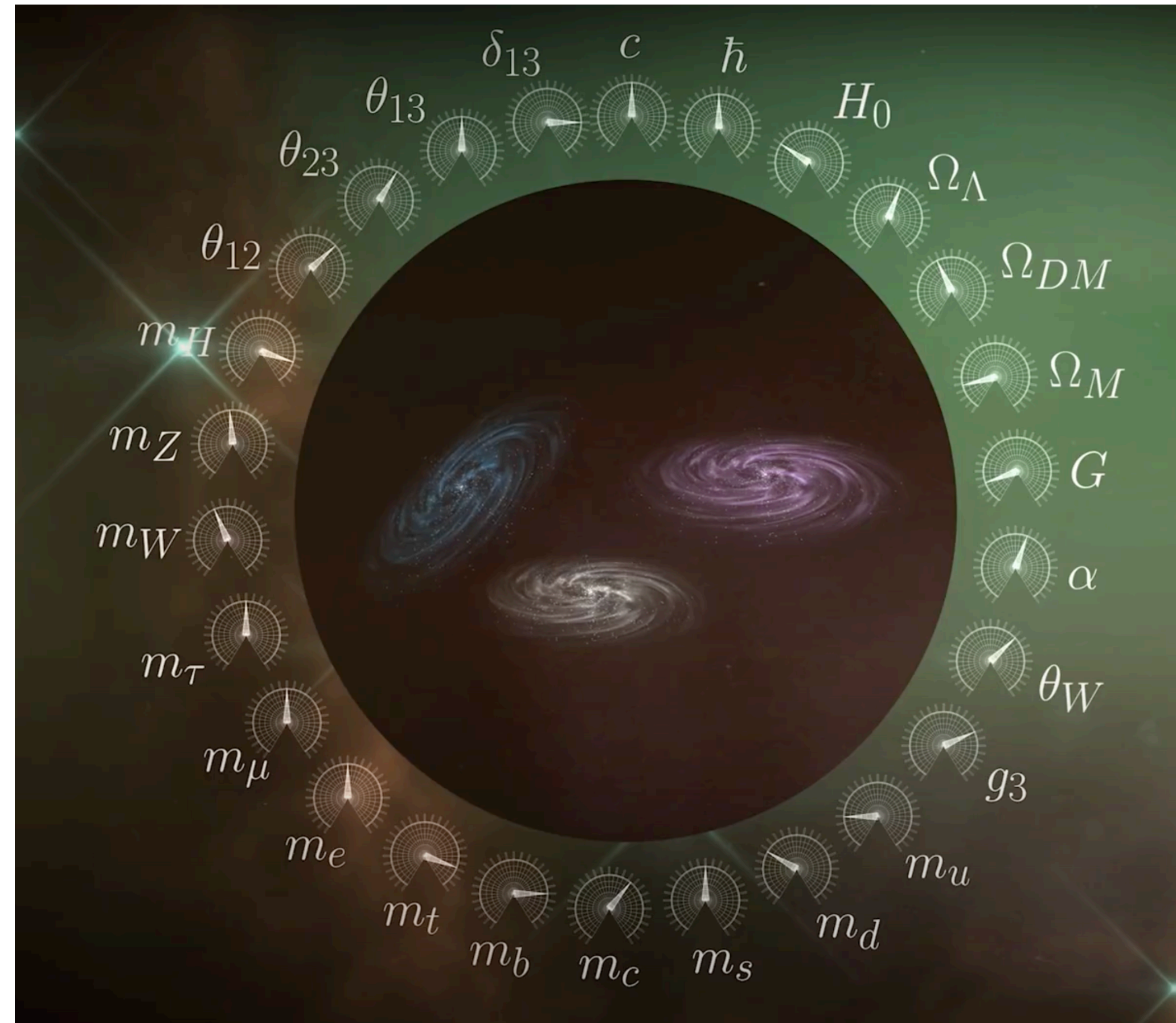


University of Zurich, 11.10.2021

Marko Stamenkovic

Fundamental constants of nature

Image credit: PBS space time

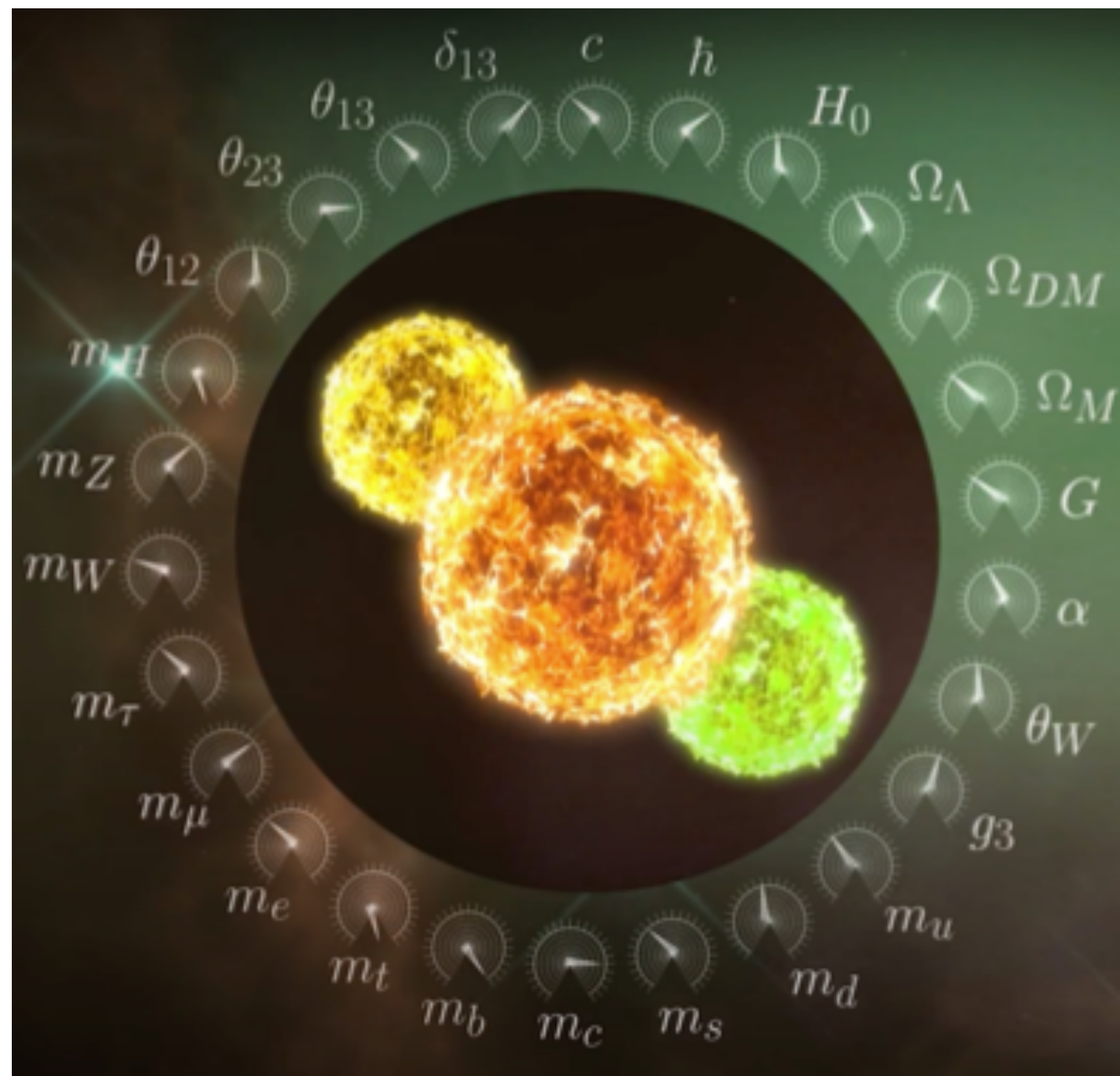


Standard Model and General Relativity = dynamical theories
→ Rely on free parameters measured experimentally!

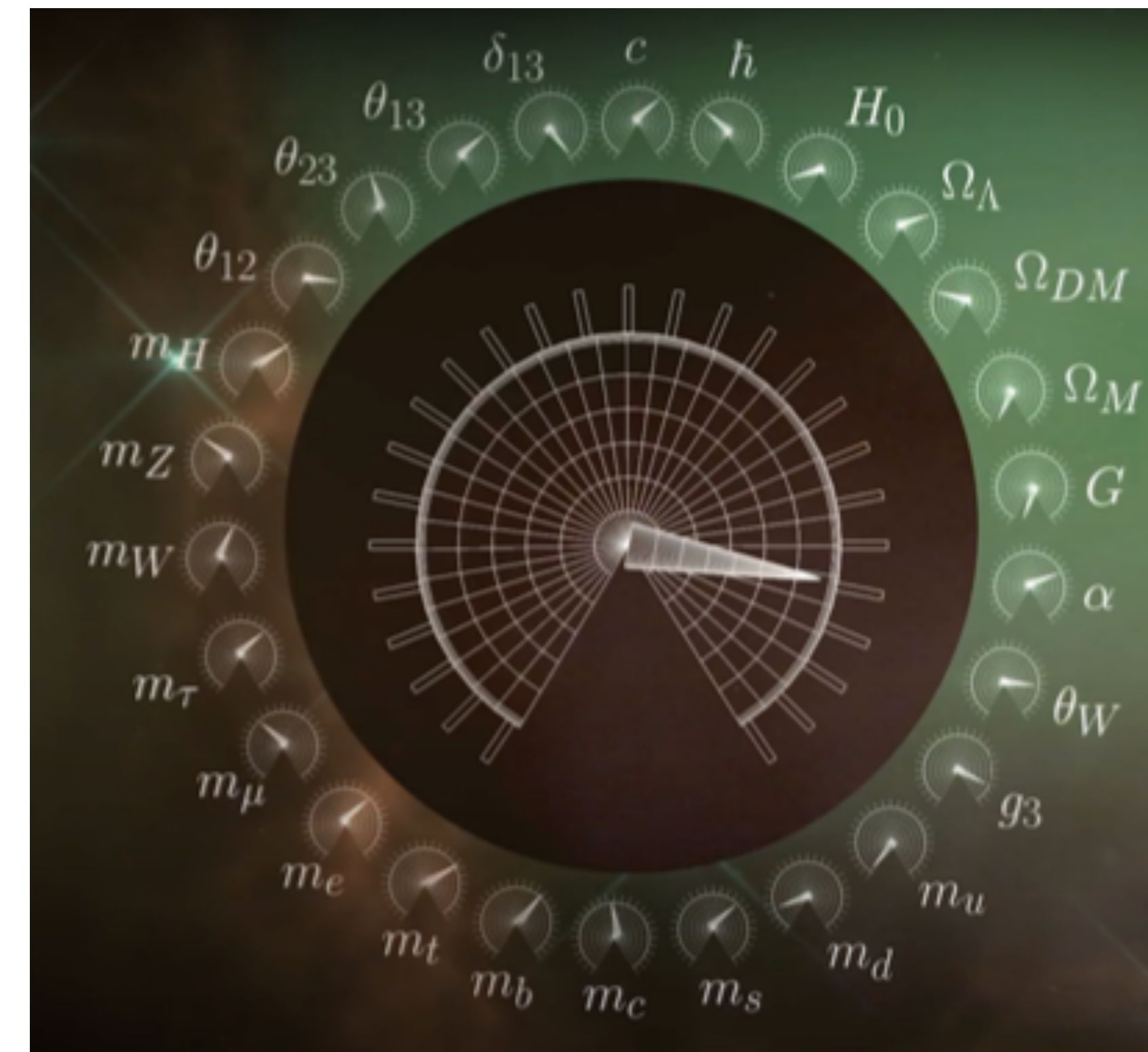
Fundamental constants of nature

Image credit: PBS space time

Random values?



Underlying theory?



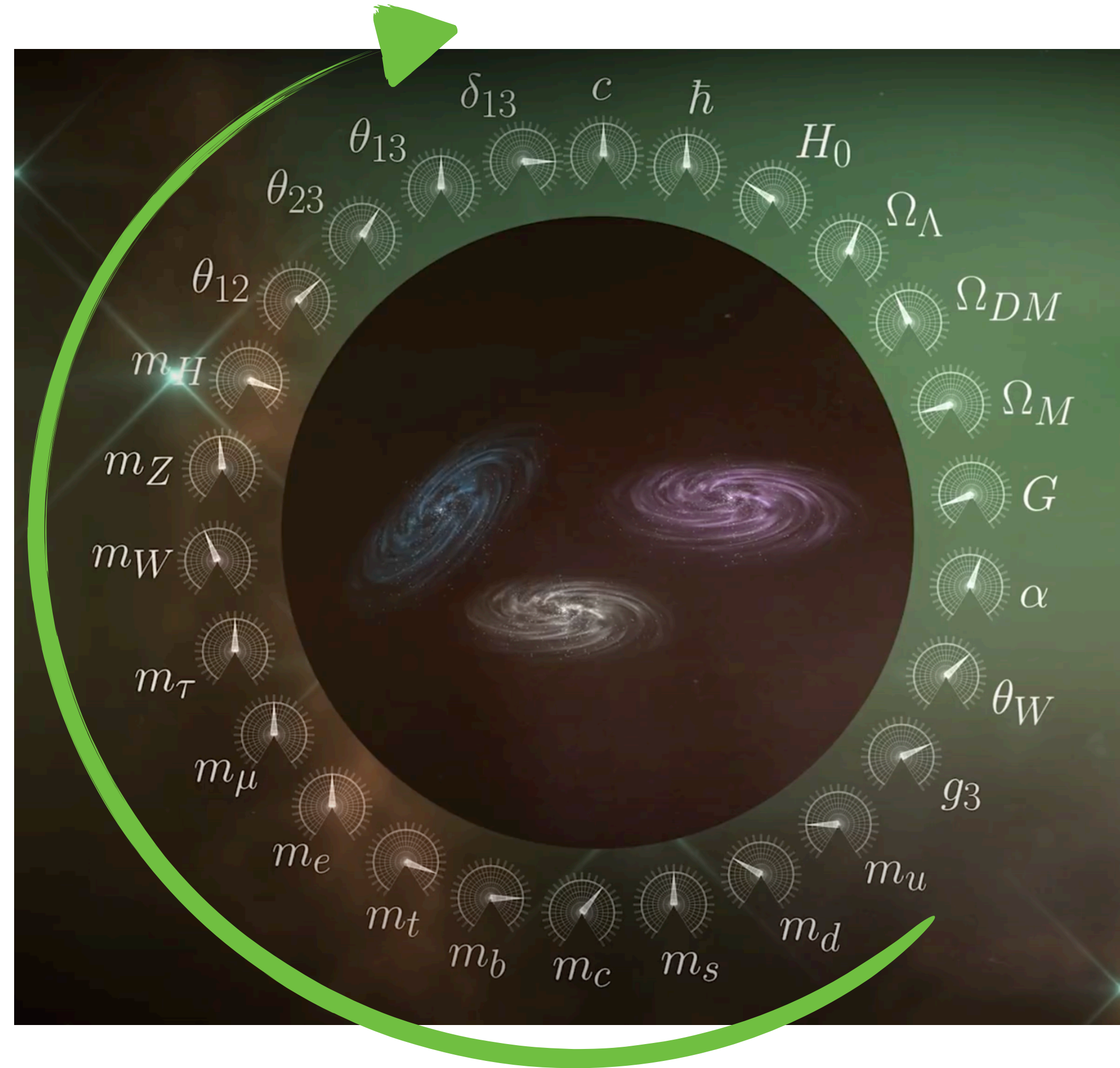
Increasingly clear that these free parameters have a *good* value

- Are the values randomly chosen?
- Is there an underlying unified theory to explain them?
→ Need to measure each parameters in many ways!

Fundamental constants of nature

Image credit: PBS space time

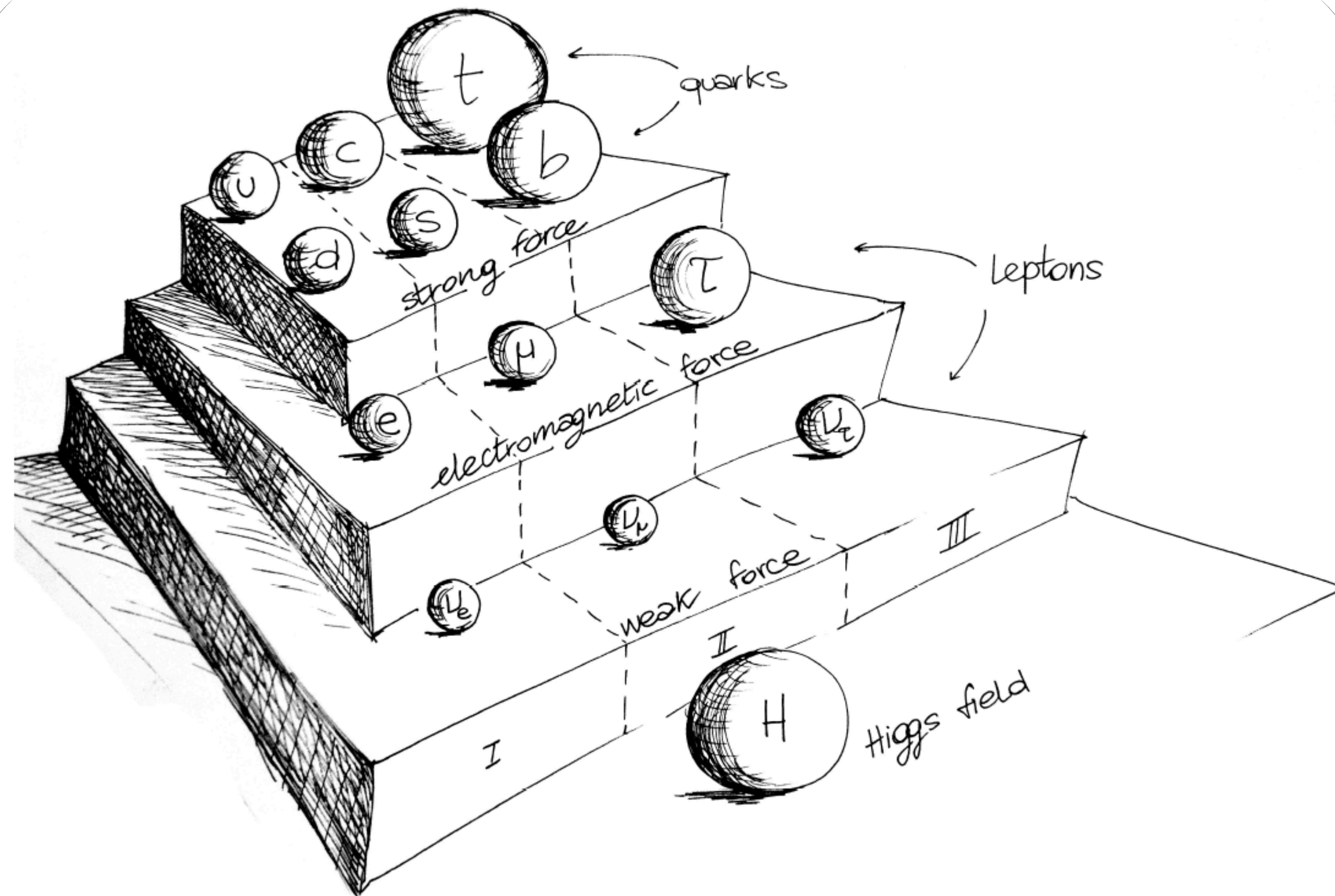
Depends on
Higgs mechanism



Most of the free parameters related to Higgs mechanism
→ Studied in details experimentally

Fermions mass pattern

Image credit: S. Oggiro

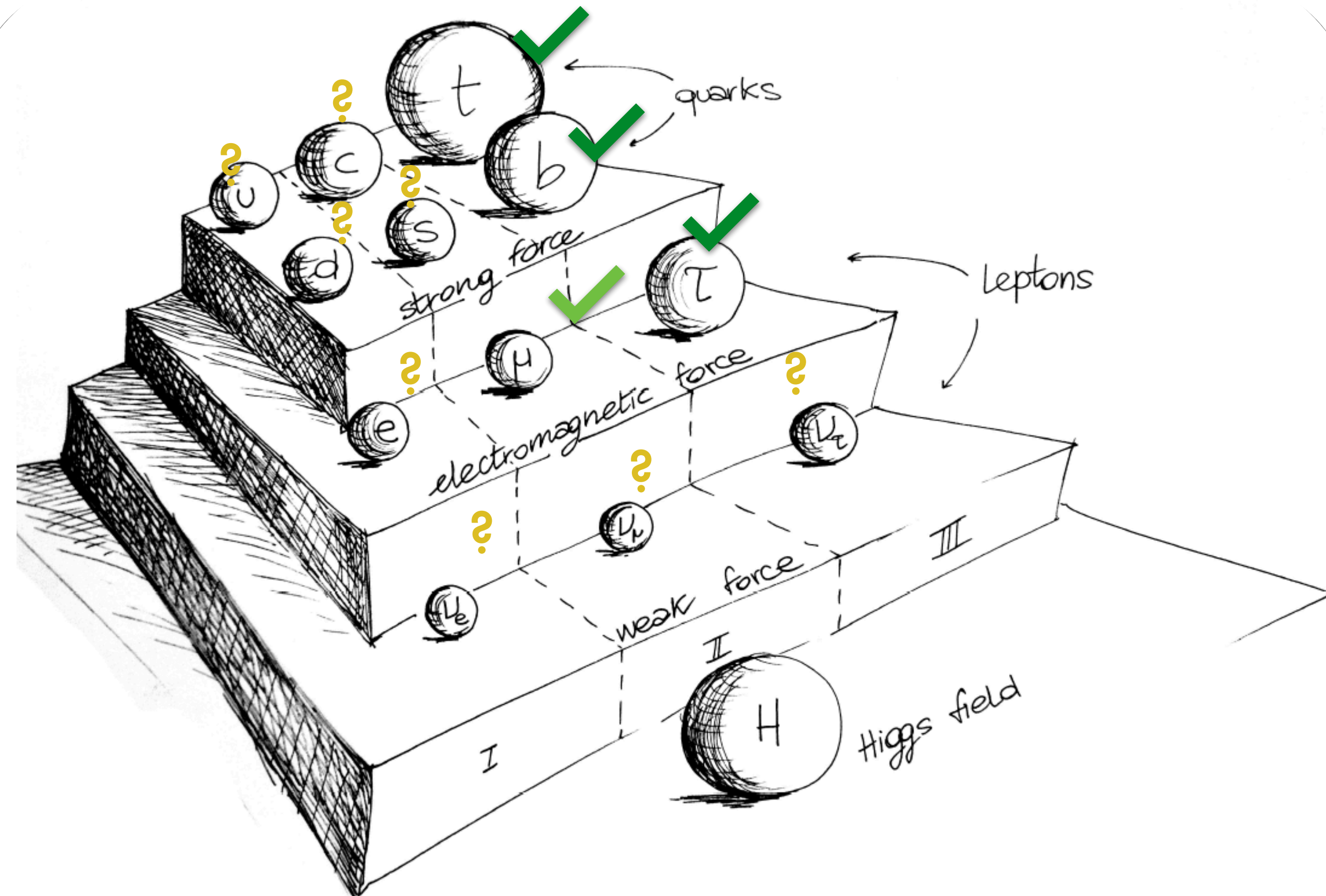


- 3 generations of fermions only distinguishable through their mass
- Theory: Higgs boson coupling proportional to mass of fermions

Do all particles get their mass from Higgs mechanism?

Fermions mass pattern

Image credit: S. Oggio



Experimental observations of **Higgs boson coupling to 3rd generation**

Evidences of **Higgs coupling to muons**

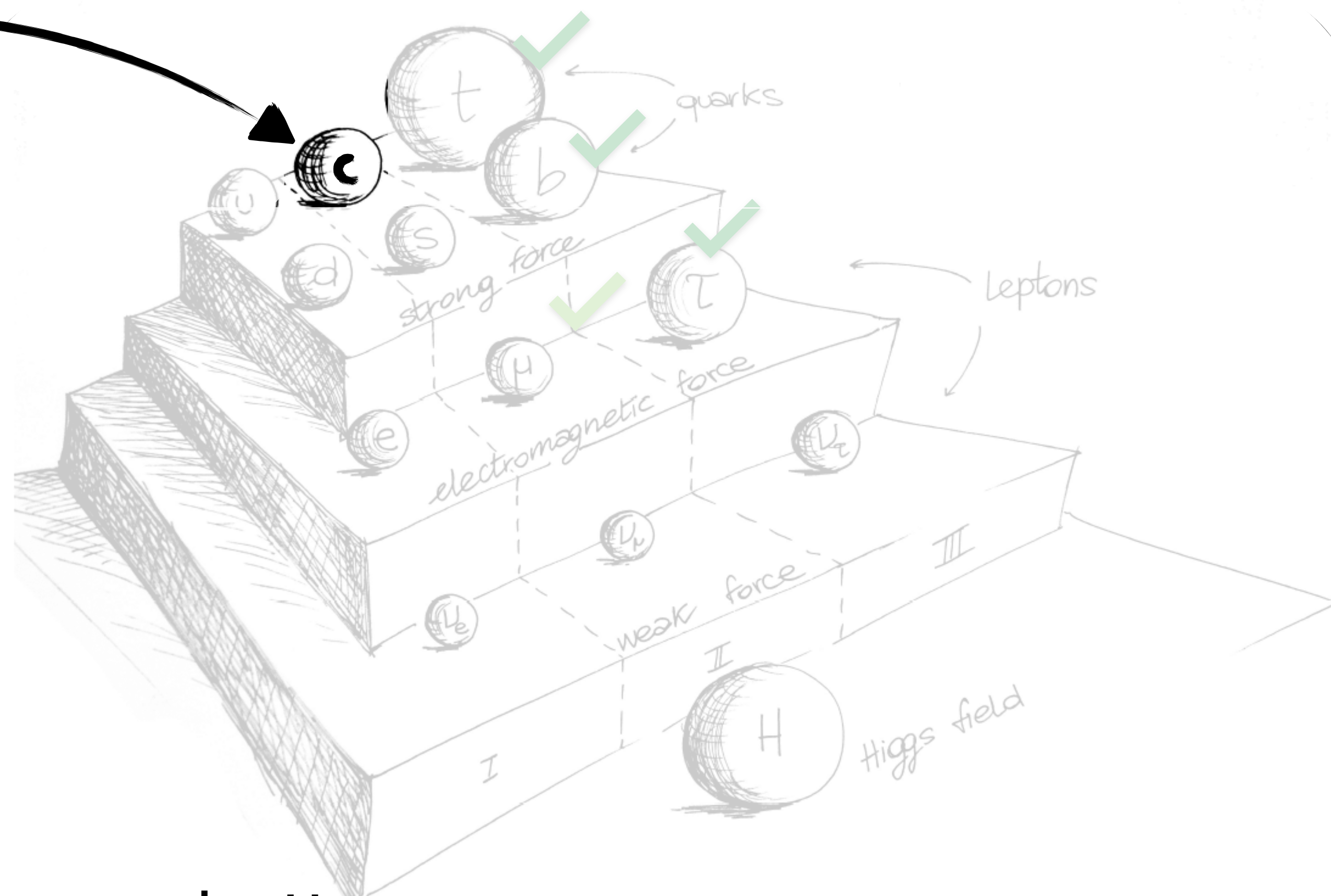
→ Compatible with the SM predictions

Currently no experimental proof that Higgs boson couples to other particles

Fermions mass pattern

Image credit: S. Oggio

$H \rightarrow cc$

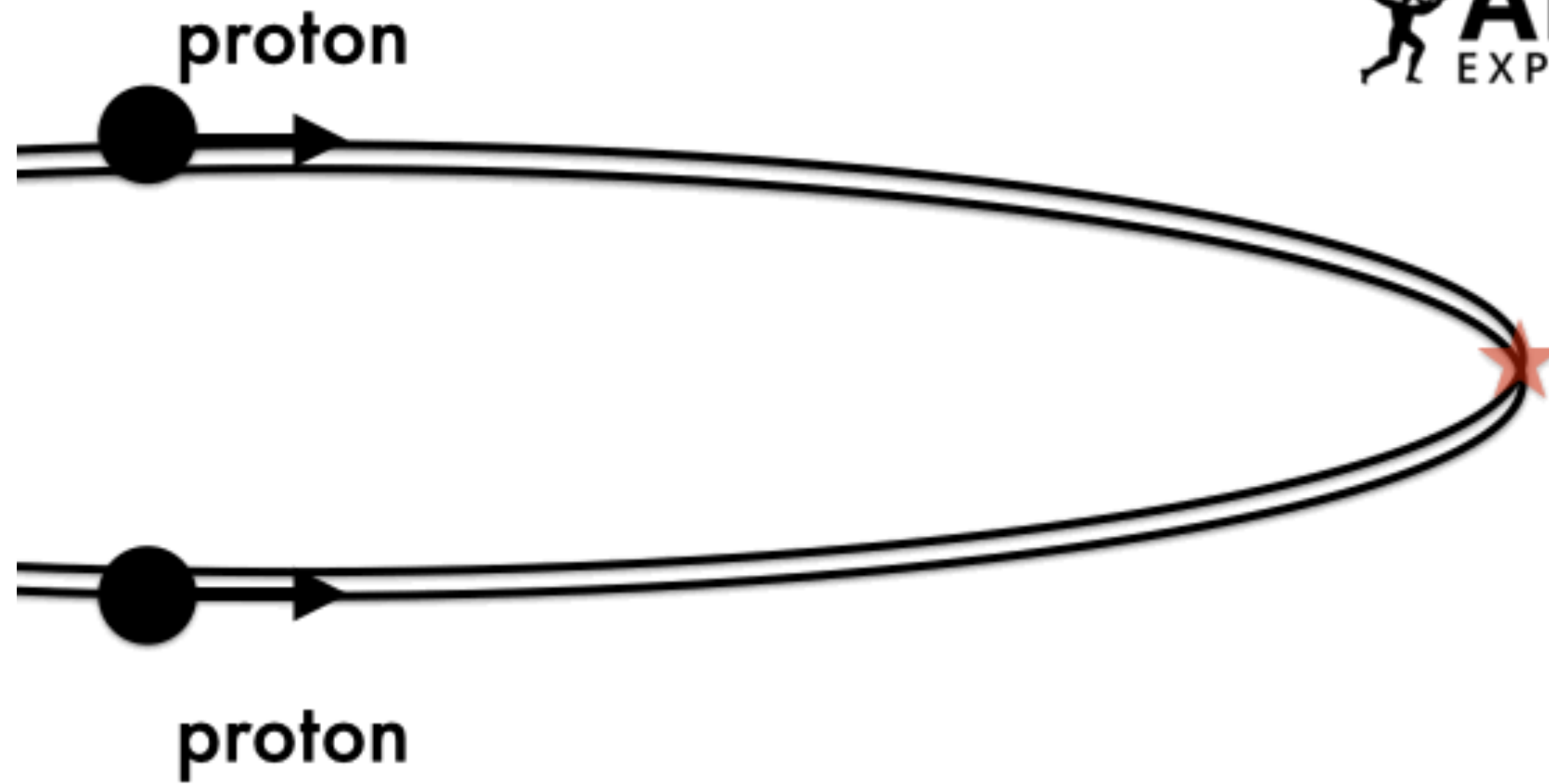


Higgs decay to charm quarks: $H \rightarrow cc$

- Probes Higgs coupling to 2nd generations of quarks
- Next heaviest fermion: $BR(H \rightarrow cc) \approx 3\%$
- Challenge: identification of c-quarks in the detector!
- Enhanced coupling to c-quarks \rightarrow sign of new physics

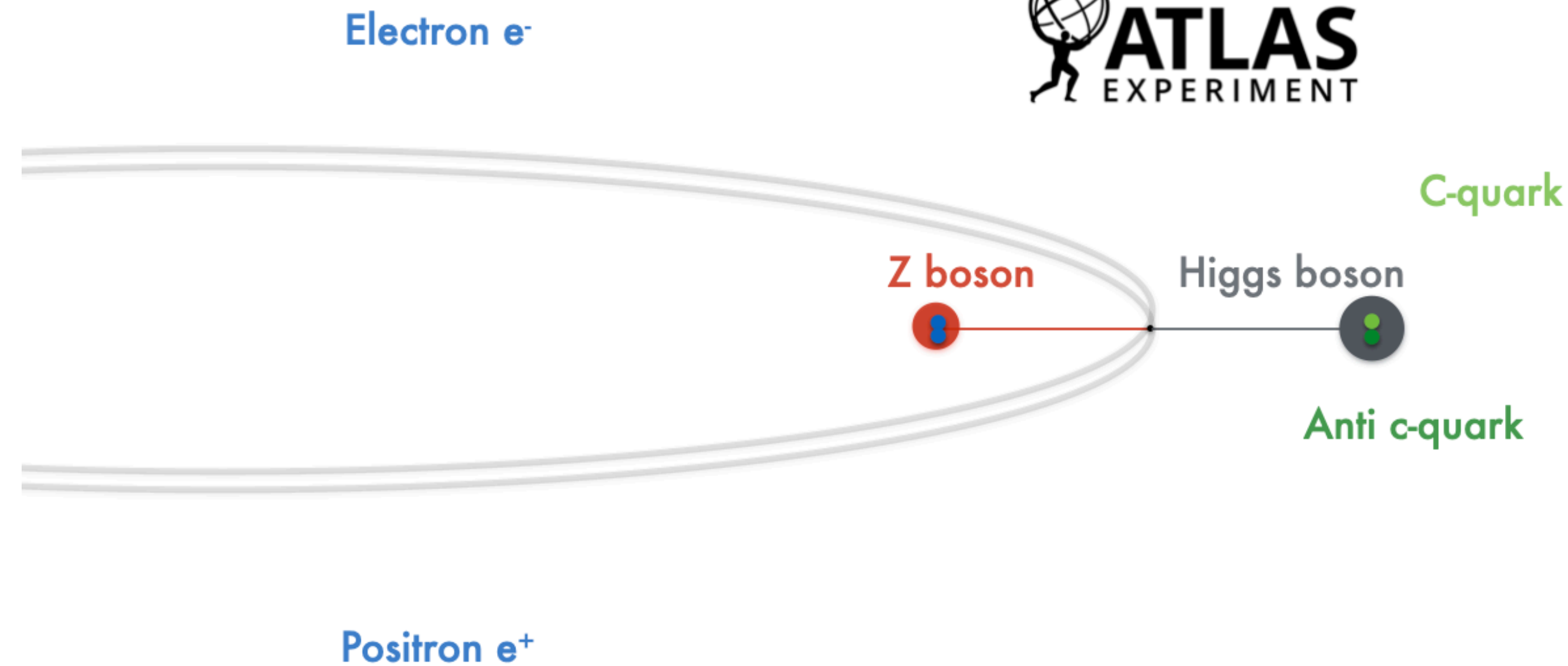
How to measure $H \rightarrow cc$

Large Hadron Collider



How to measure $H \rightarrow cc$

Large Hadron Collider



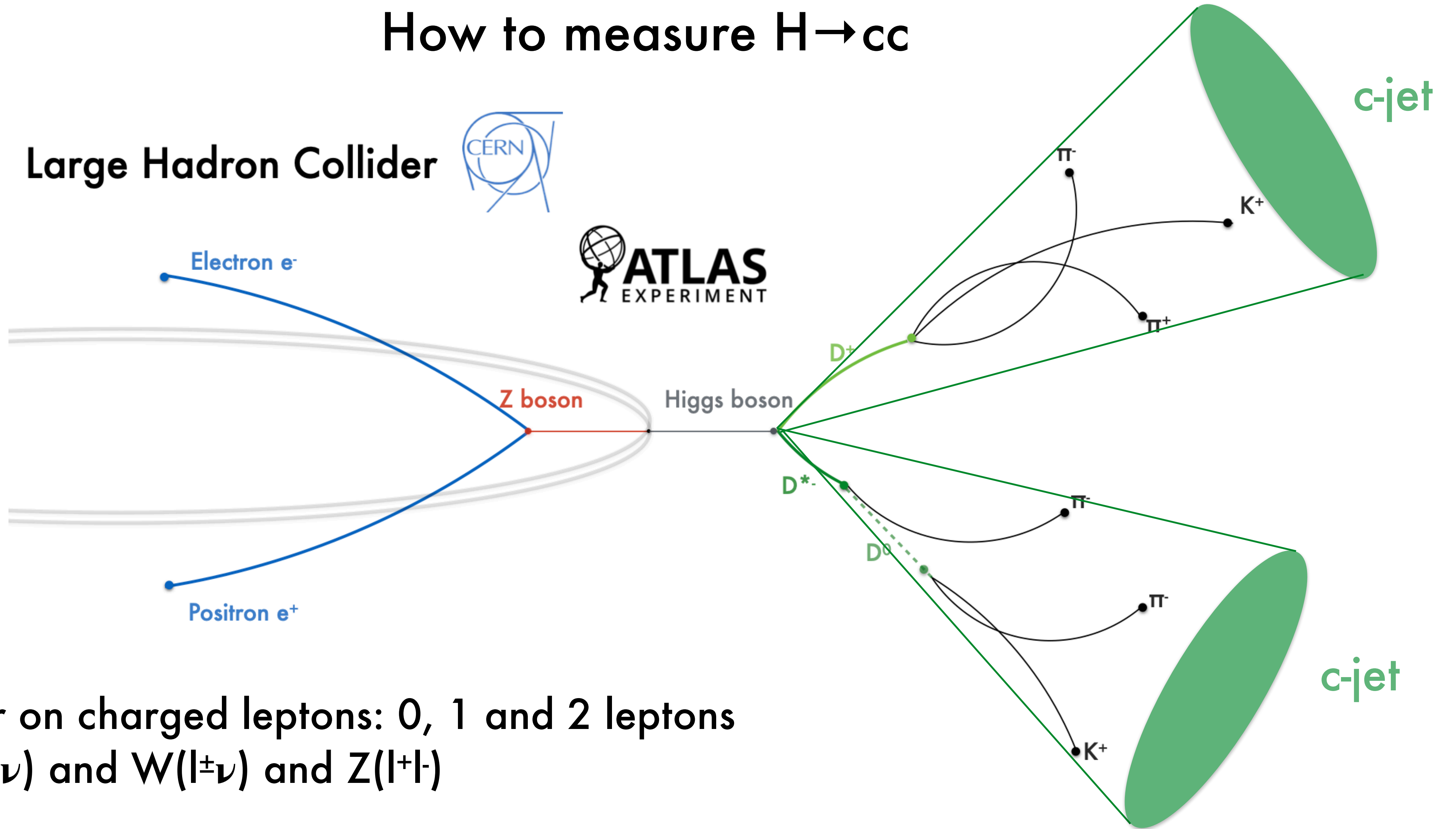
Production mode: Higgs associated with Z or W boson decay to leptons

- Trade-off: smaller production cross-section but cleaner signature to trigger

Quark hadronise when produced \rightarrow Measure decay products of hadrons

How to measure $H \rightarrow cc$

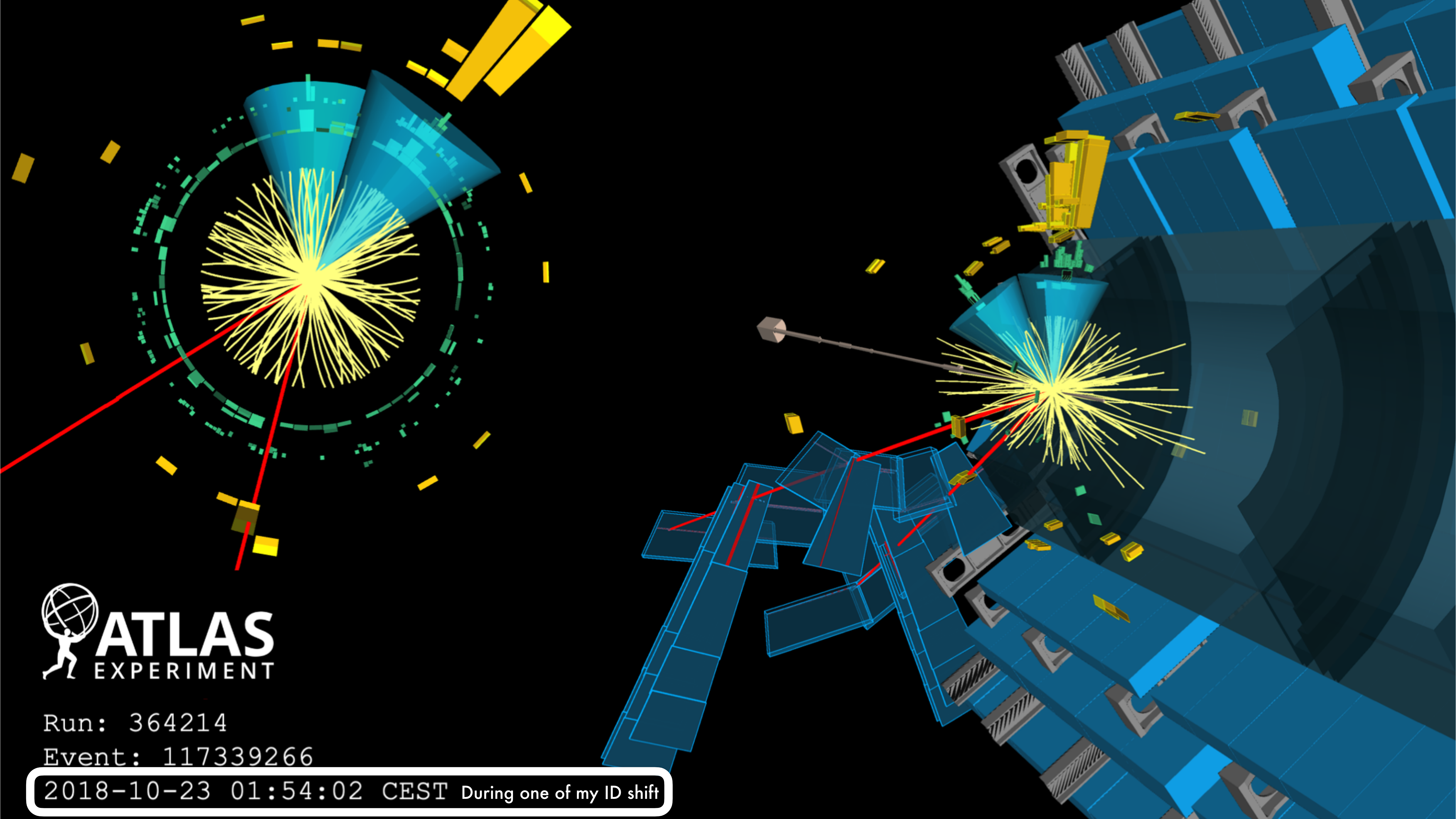
Large Hadron Collider



Trigger on charged leptons: 0, 1 and 2 leptons

- $Z(\nu\nu)$ and $W(l^\pm\nu)$ and $Z(l^+l^-)$

Reconstructed 2 or more jets from the Higgs boson decay

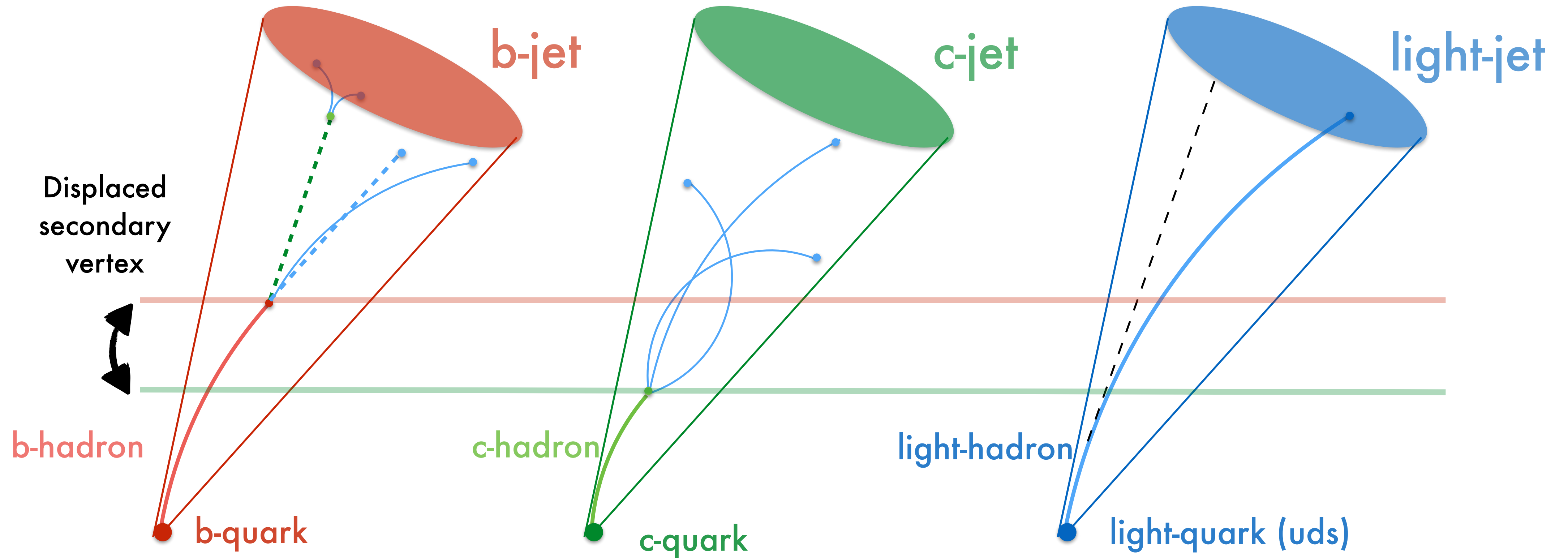


Run: 364214

Event: 117339266

2018-10-23 01:54:02 CEST During one of my ID shift

Charm tagging

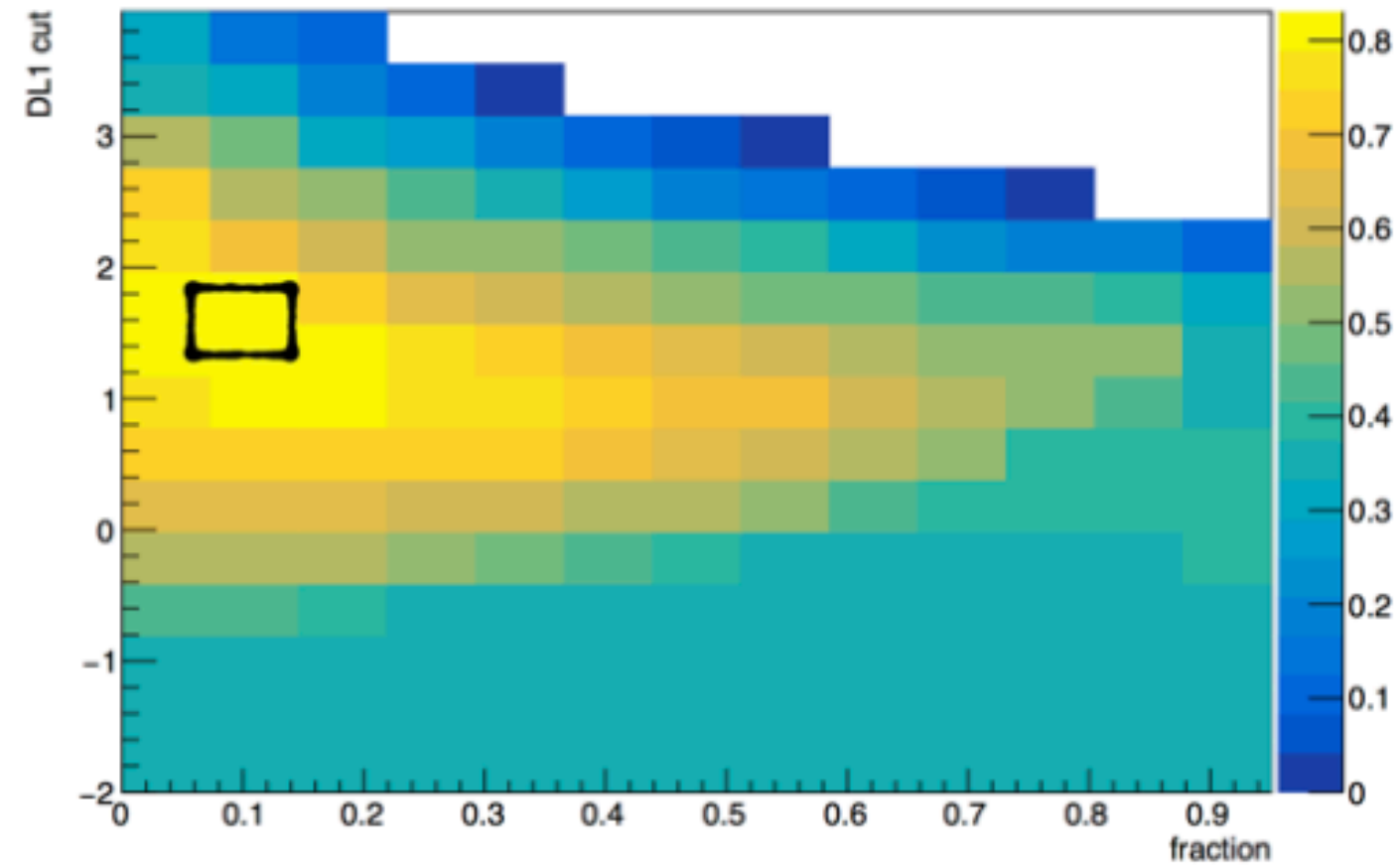


Charm tagging: identification of the flavour of the hadron inside the jet

- Exploit lifetime and mass properties of heavy hadrons
- Lifetime and mass of c-hadrons in between b-hadron and light hadrons measured in detector
- Use *Machine Learning* to distinguish signal = c-jets from background = b-jets and light-jets

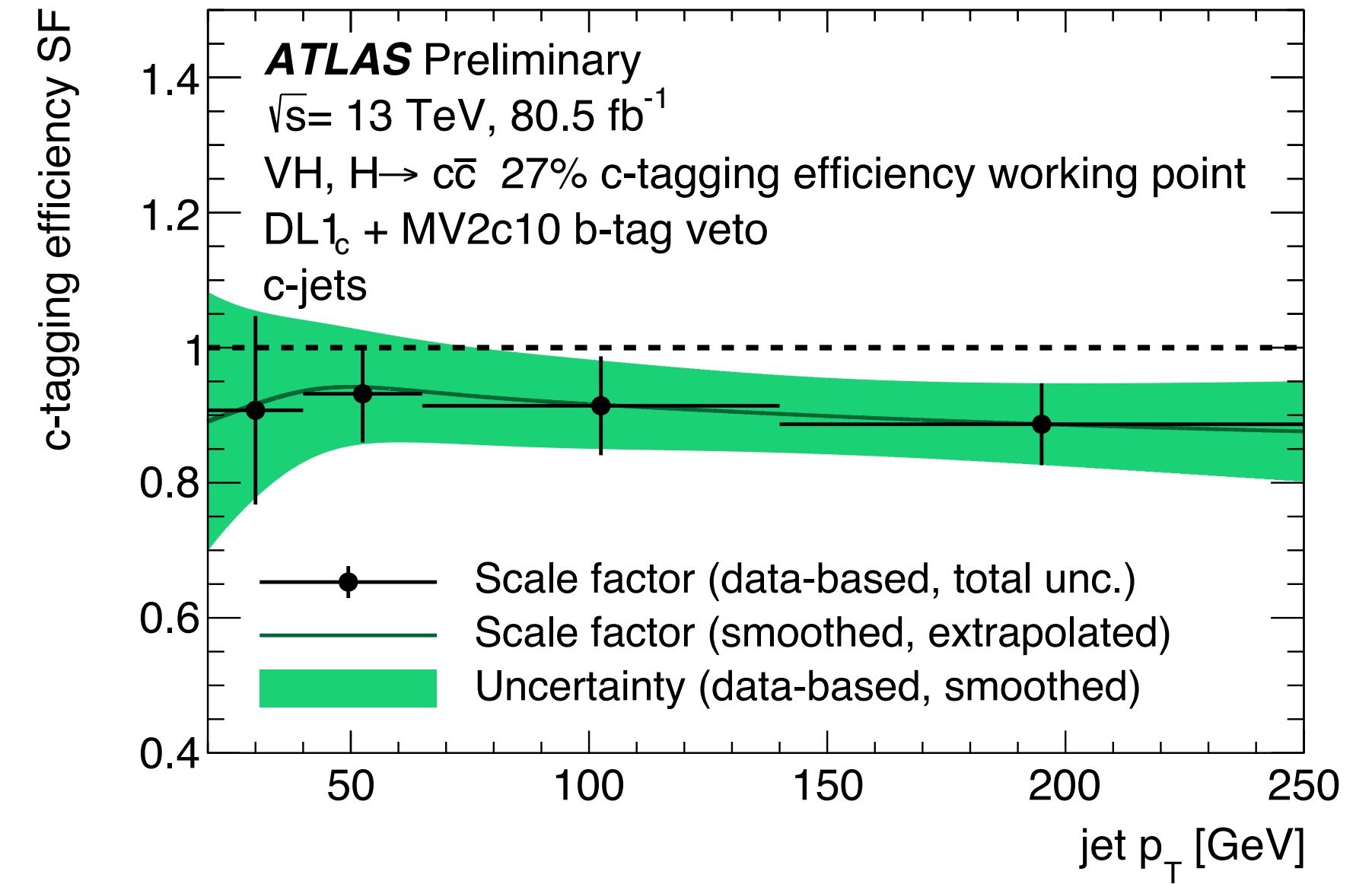
Charm tagging

Working point optimisation



$$DL1_{c\text{-tag}} = \frac{p(c)}{fp(b) + (1-f)p(l)} > c$$

Calibrations

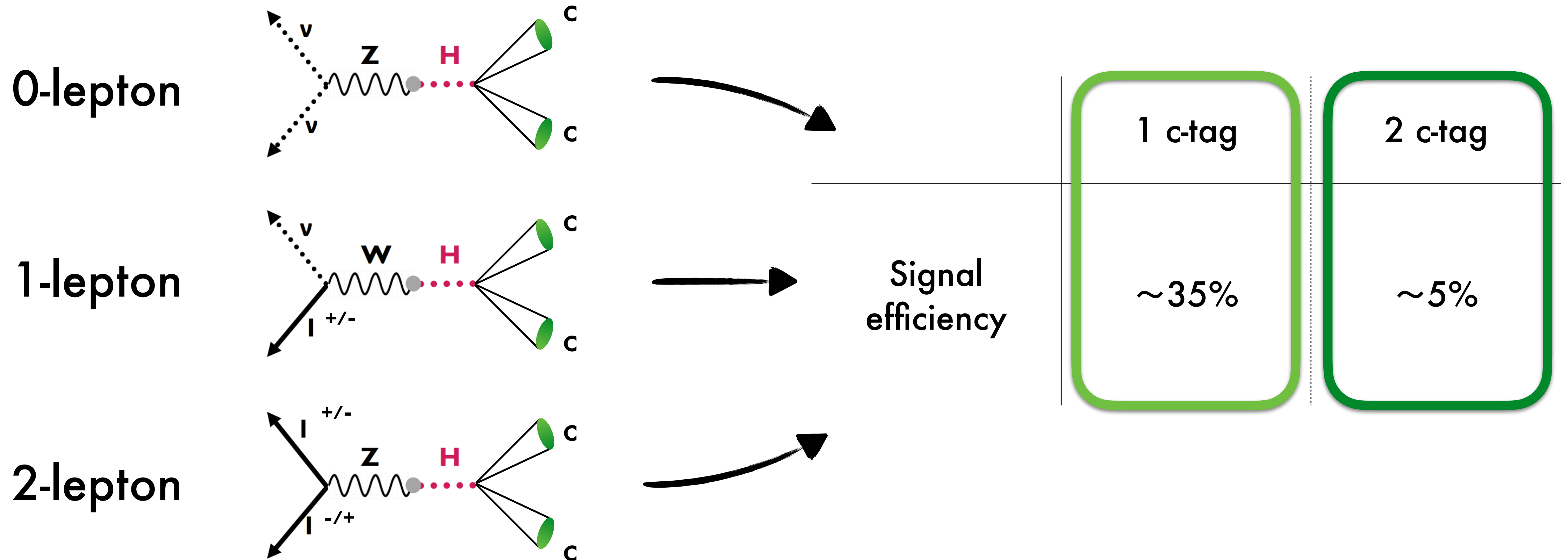


Charm-tagging performance: challenging but promising!

	b-tagger	c-tagger + b-tag veto
b-jets	70%	27%
c-jets	11%	8%
light-jets	0,2%	1,6%

Flavour tagging categorisation

Signal: $VH(cc)$

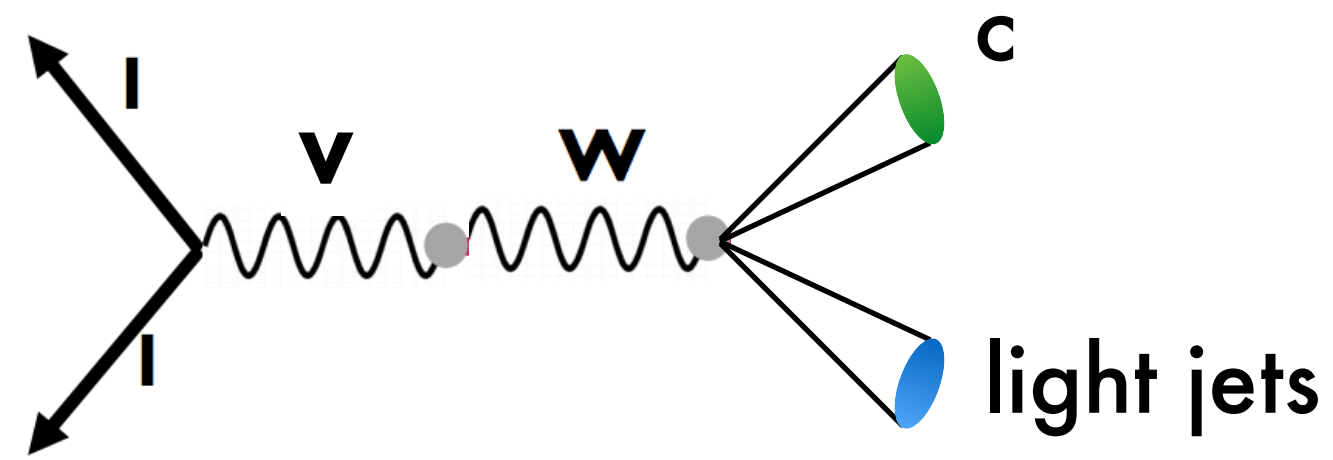


Flavour tagging categorisation

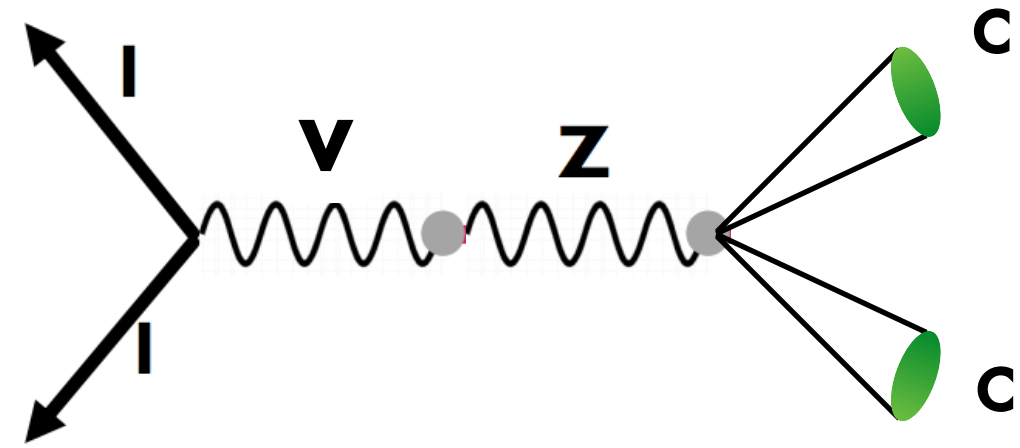
- 2 c-tag: high sensitivity and lower background contamination
- 1 c-tag: recover part of the sensitivity lost in 2 c-tag due to c-tagging performance

Validation processes

VW(cl) and VZ(cc)



1 c-tag



2 c-tag

Validation: measure 2 processes of the SM

- VW(cl): mostly sensitive in 1 c-tag
- VZ(cc): mostly sensitive in 2 c-tag

Problem due to flavour tagging performance

Background	1 c-tag	2 c-tag	Simulated events NOT used at the end
V+cc	~35%	~5%	~60%
V+cl	~53%	~0.4%	~46%

Low tagging efficiency on c-jets and b-jets / light-jets sizeable mis-tag rate

- Problem arising in simulation: most of the simulated events are **NOT** used
- Most problematic for background process already removed in event selection

→ Consequence: larger systematic uncertainty due to size of simulated sample (= MC statistics error)

Solution: truth tagging method

Truth tagging weights

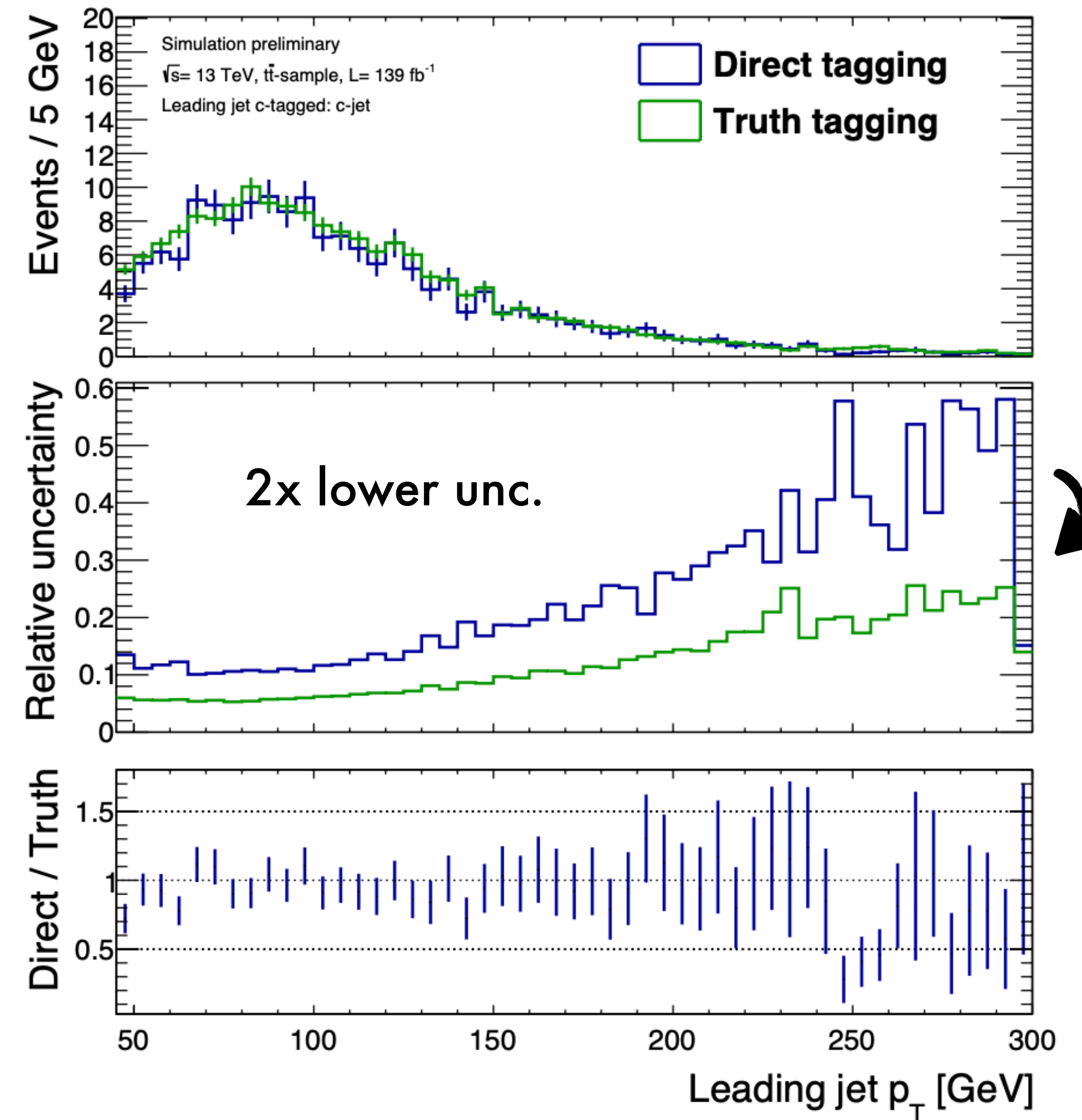
$$TT_{\text{weight}}^{2c\text{-tag}} = \epsilon_1 \times \epsilon_2,$$

$$TT_{\text{weight}}^{1c\text{-tag}} = \epsilon_1 \times (1 - \epsilon_2) + (1 - \epsilon_1) \times \epsilon_2,$$

Solution: truth tagging method

- Re-weight each event by probability to be in 2 c-tag, 1 c-tag, 0 c-tag
 - Calculate c-tagging efficiency per-jets on ttbar samples
 - Per jets: account for pT and eta dependence
 - Effectively use the whole simulated sample in the signal region
 - Apply to all samples except signal
- Preserve MC statistics available!

ttbar example



Main backgrounds

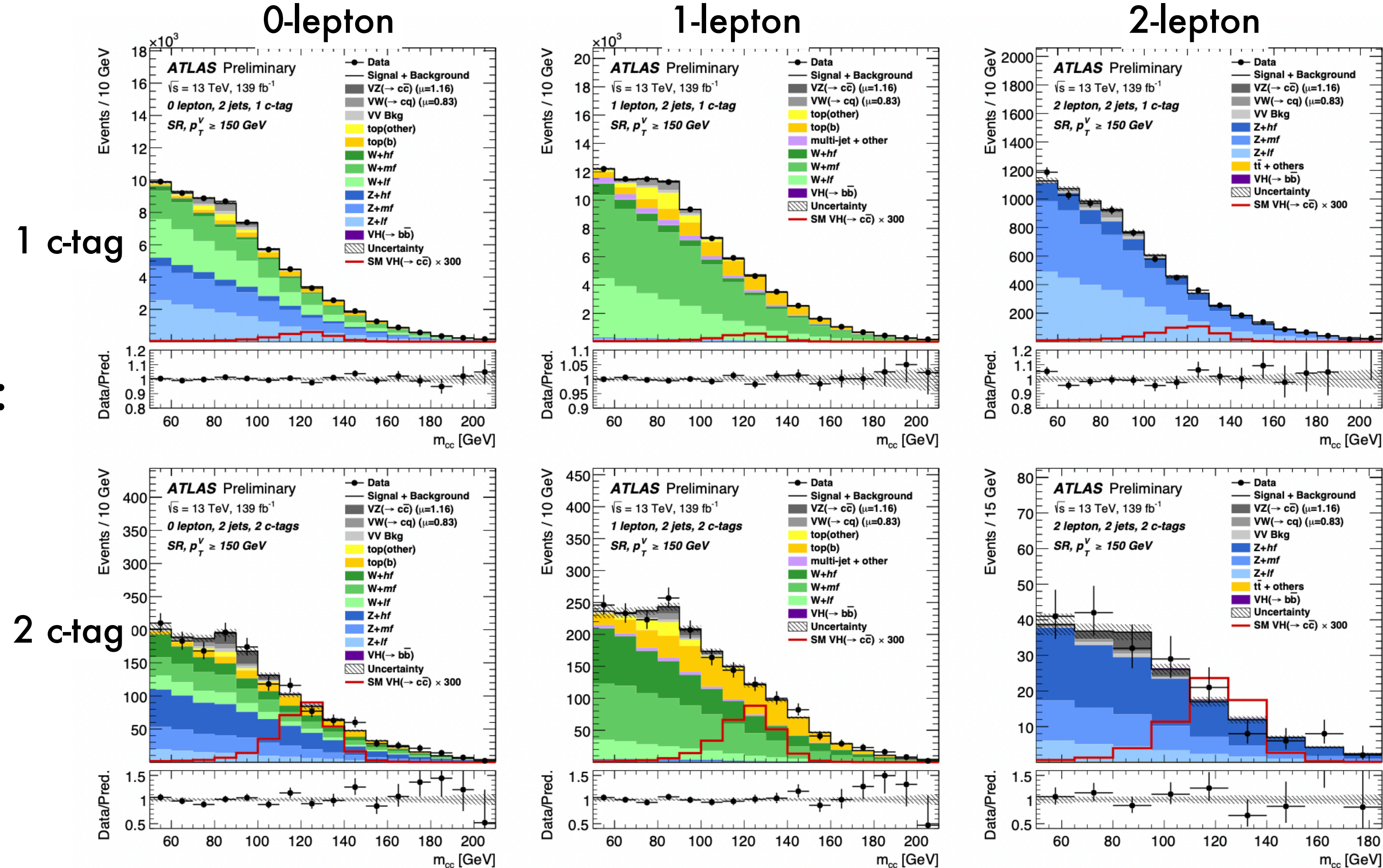
2 jet $p_T > 150$ GeV

Discriminant: $m(cc)$

Main backgrounds:
 Z +jets, W +jets and $t\bar{t}$

Subdominant backgrounds:
 $VH(bb)$, VV (non c-jets)

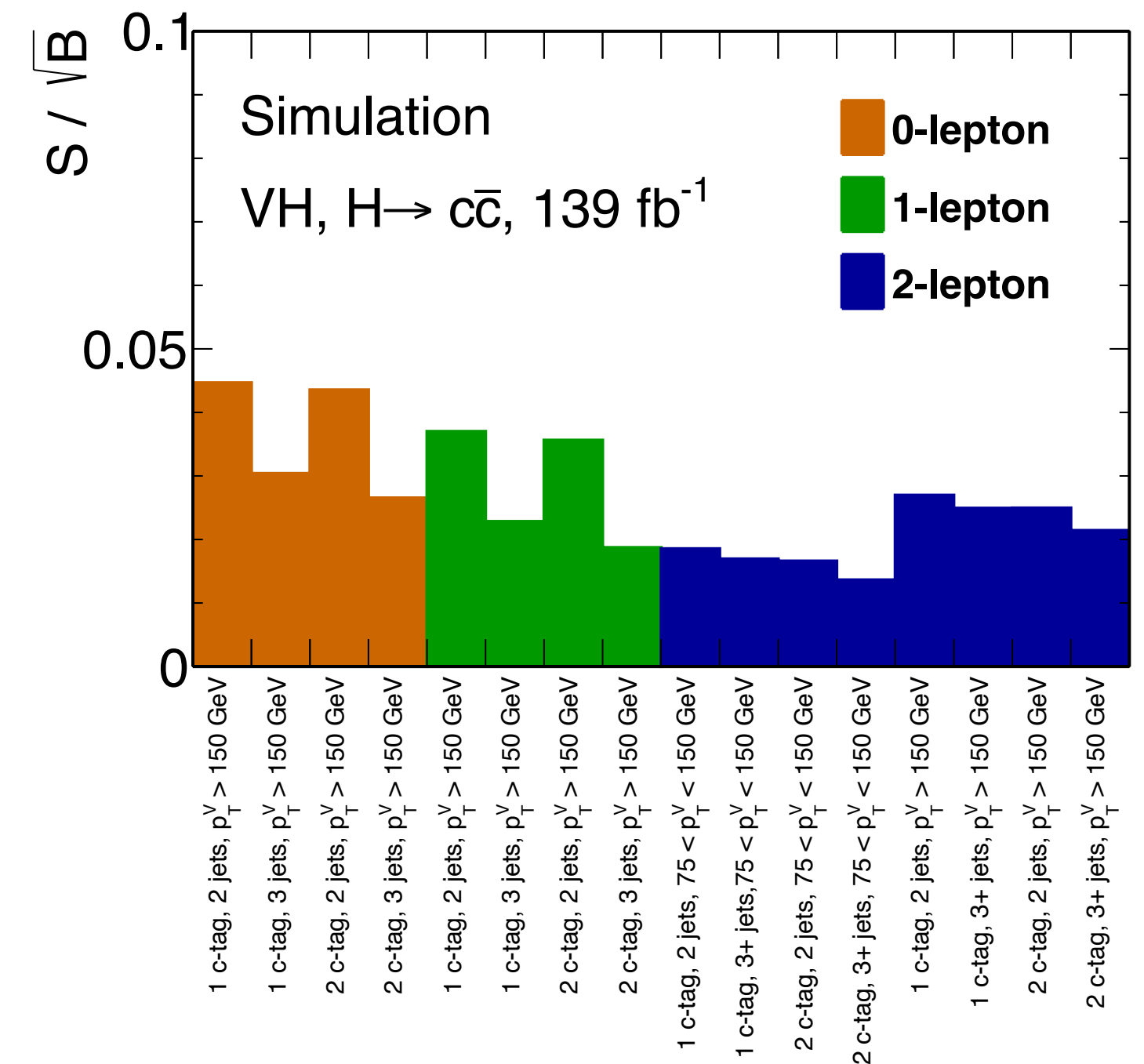
Signal:
 $VH(cc)$, $VZ(cc)$, $VW(cq)$



Event categorisation: SR

Channel	c-tag	Jets	pTV
0-lepton	1 and 2 c-tag	2 and 3 jets	pTV > 150 GeV
1-lepton			pTV > 150 GeV
2-lepton		2 and 3+ jets	75 < pTV < 150 GeV

= Total: 16 SRs



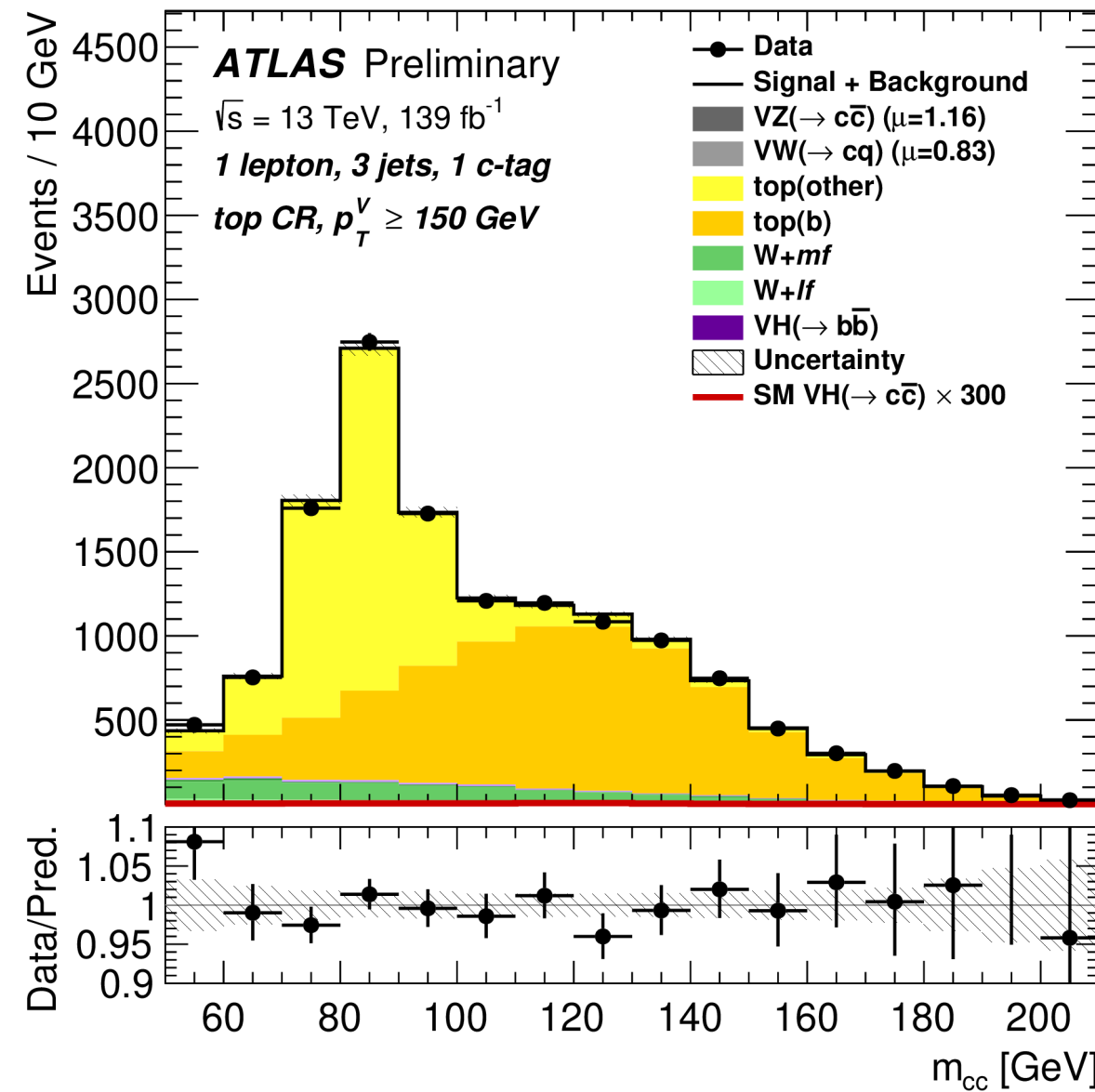
Event categorisation:

- Flavour tagging: 1 and 2 c-tag (similar sensitivity)
- Jet multiplicity: 2 and 3(+) jets (+3% total sensitivity stat-only w.r.t merged)
- pTV category: pTV > 150 GeV
 - 2-lepton only: 75 < pTV < 150 GeV (+5% total sensitivity stat-only)

Highest sensitivity ranking: 0-lepton, 2-lepton, 1-lepton (same outcome with full syst)

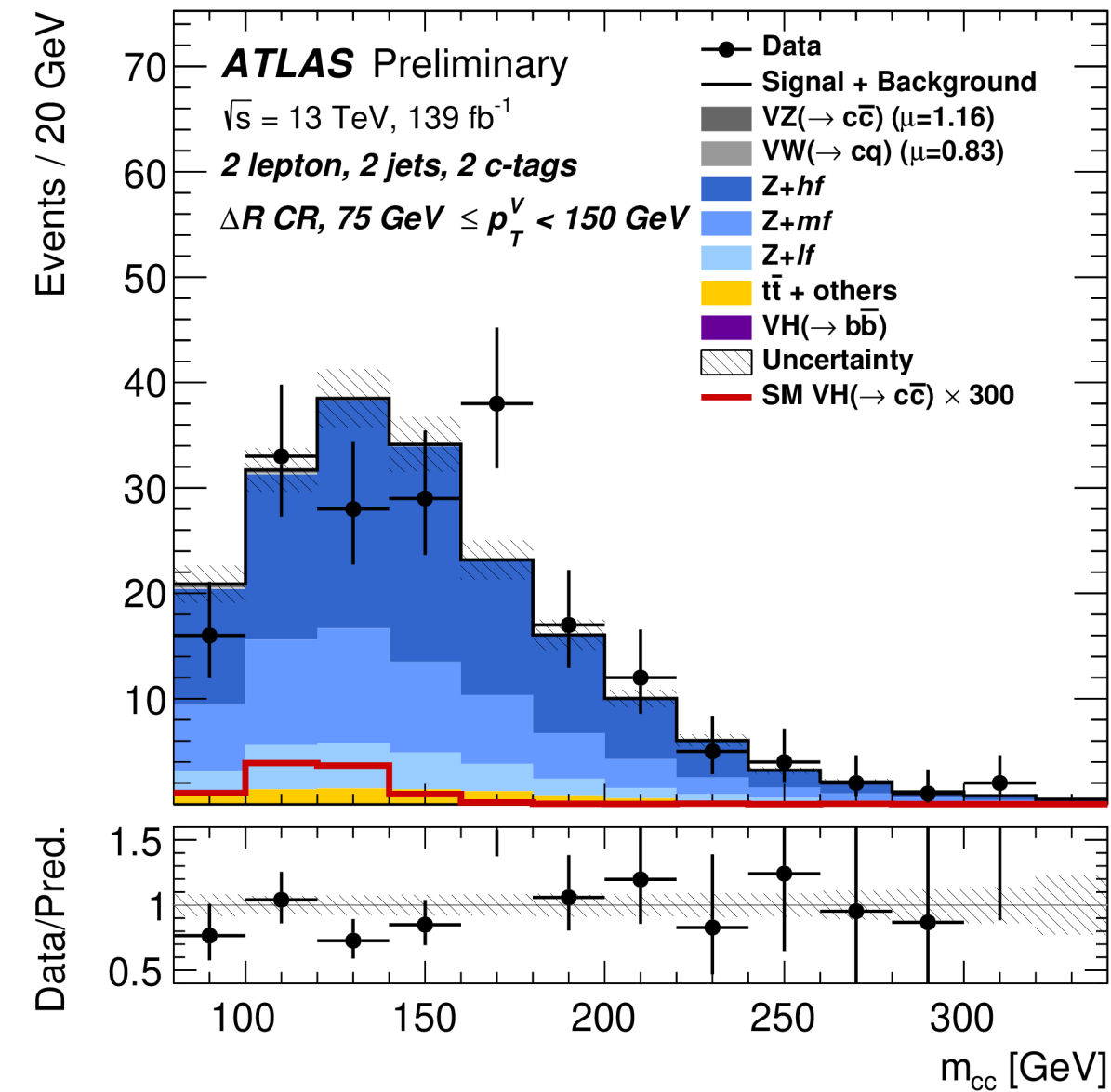
Control regions

Top CR



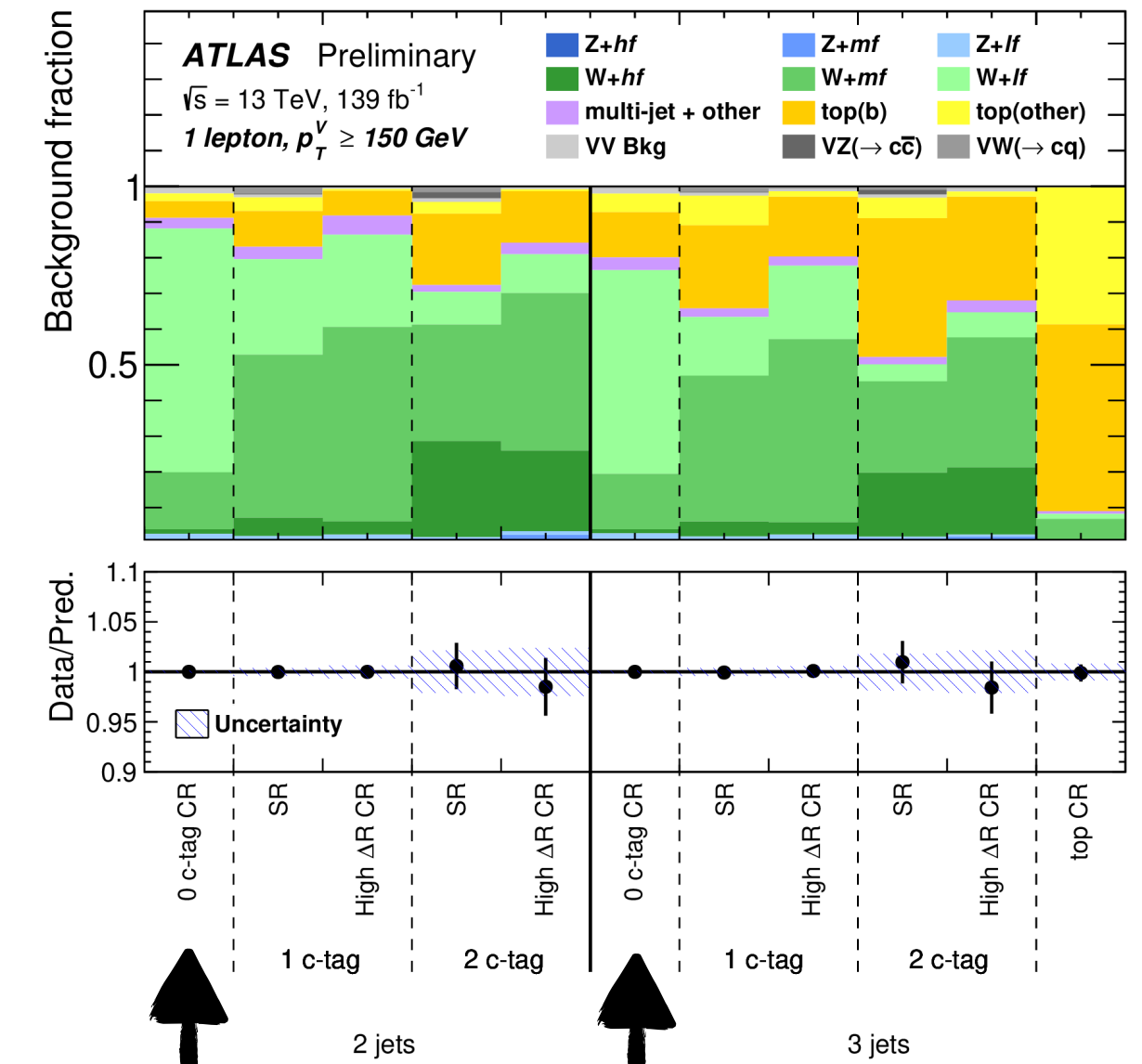
Constrain $t\bar{t}b$ and W decays from $t\bar{t}b$

High ΔR CR



Constrain Z+jets and W+jets

0 c-tag CR



Constrain Z+light jets and W+ light jets

Additional CRs to fix the main background from data:

→ Ensure that signal is properly estimated

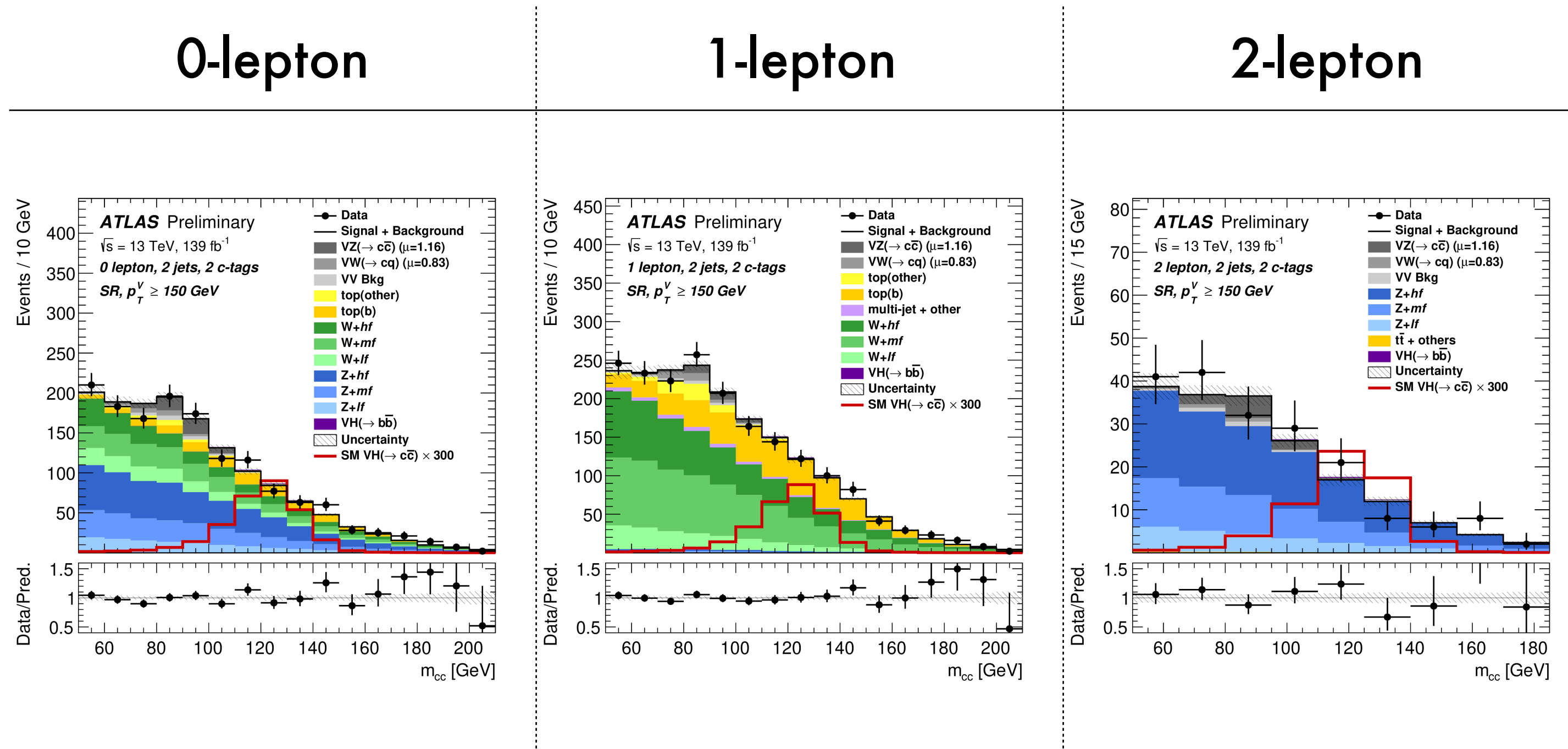
Signal and control regions

		$\Delta R_{cc} < \Delta R_{cc}$ selection			ΔR_{cc} selection < $\Delta R_{cc} < 2.5$		
		0 c-tag CR	SR	Top CR	ΔR_{cc} CR		
0L	pTV > 150 GeV		1 c-tag 2 jet	2 c-tag 2 jet		1 c-tag 2 jet	2 c-tag 2 jet
			1 c-tag 3 jet	2 c-tag 3 jet	1 c-tag 3 jet	1 c-tag 3 jet	2 c-tag 3 jet
1L	pTV > 150 GeV	0 c-tag 2 jet	1 c-tag 2 jet	2 c-tag 2 jet		1 c-tag 2 jet	2 c-tag 2 jet
		0 c-tag 3 jet	1 c-tag 3 jet	2 c-tag 3 jet	1 c-tag 3 jet	1 c-tag 3 jet	2 c-tag 3 jet
2L	75 < pTV < 150 GeV	0 c-tag 2 jet	1 c-tag 2 jet	2 c-tag 2 jet	1 c-tag 2 jet	1 c-tag 2 jet	2 c-tag 2 jet
		0 c-tag 3+ jet	1 c-tag 3+ jet	2 c-tag 3+ jet	1 c-tag 3+ jet	1 c-tag 3+ jet	2 c-tag 3+ jet
	pTV > 150 GeV	0 c-tag 2 jet	1 c-tag 2 jet	2 c-tag 2 jet	1 c-tag 2 jet	1 c-tag 2 jet	2 c-tag 2 jet
		0 c-tag 3+ jet	1 c-tag 3+ jet	2 c-tag 3+ jet	1 c-tag 3+ jet	1 c-tag 3+ jet	2 c-tag 3+ jet

Fit model: 16 SRs + 28 CRs

Fit to extract signal strength

2-lepton example



$$\mu_{VH(\rightarrow c\bar{c})} = \frac{\sigma_{VH}^{obs} \times BR^{obs}(H \rightarrow c\bar{c})}{\sigma_{VH}^{SM} \times BR^{SM}(H \rightarrow c\bar{c})}$$

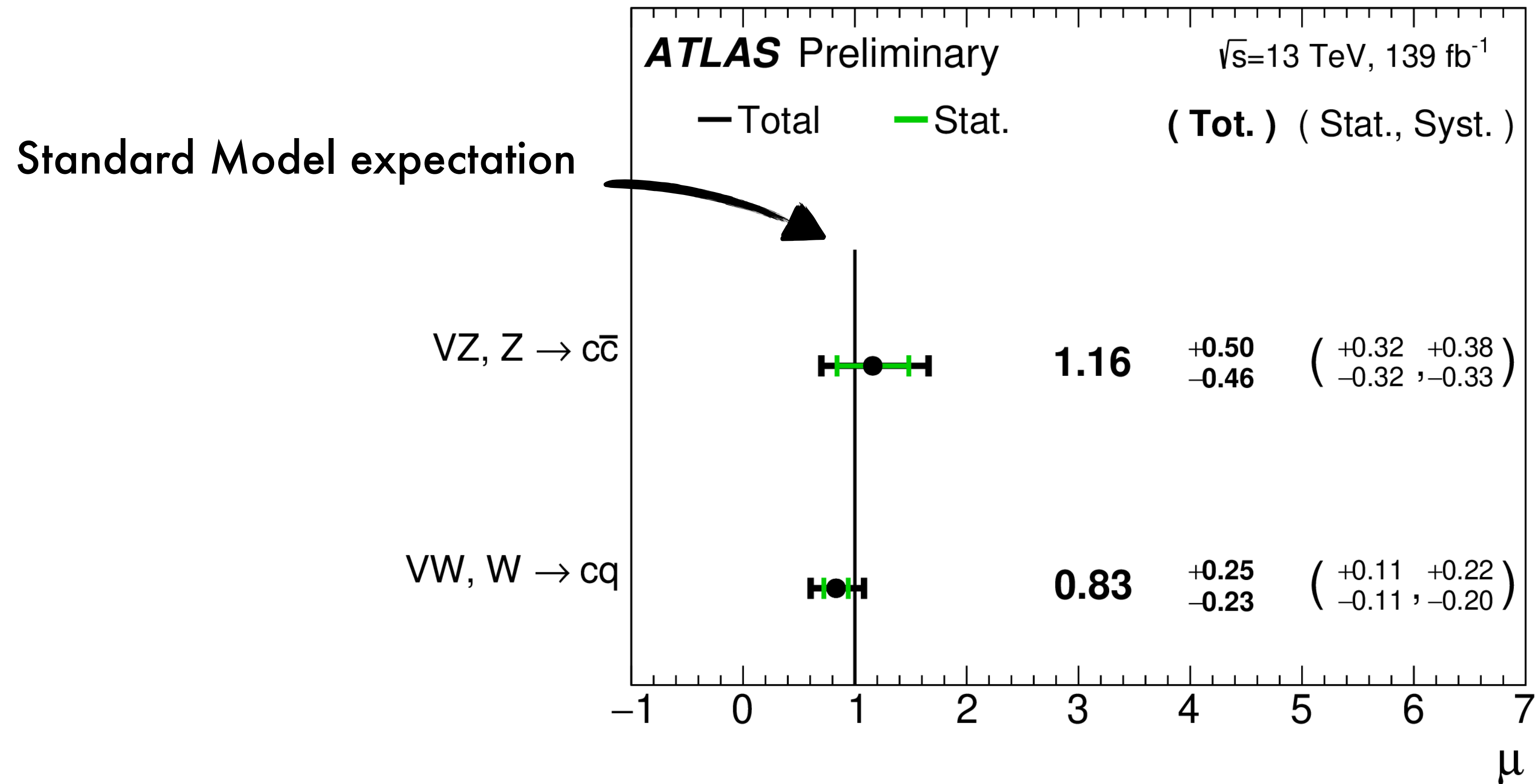
Fit to the data to extract **signal strength**: quantify data agreement with SM expectation

- All systematics included: detector, flavour tagging, modelling
- Floating normalisations for main backgrounds: **ttbar**, **Z+jets** and **W+jets**
- Perform fit with 3 parameters of interest (POIs): μ_{VWcl} , μ_{VZcc} , μ_{VHcc}

Goal of the analysis: measure the signal strength μ_{VHcc}

Results

Measurements of $VW(c)$ and $VZ(cc)$

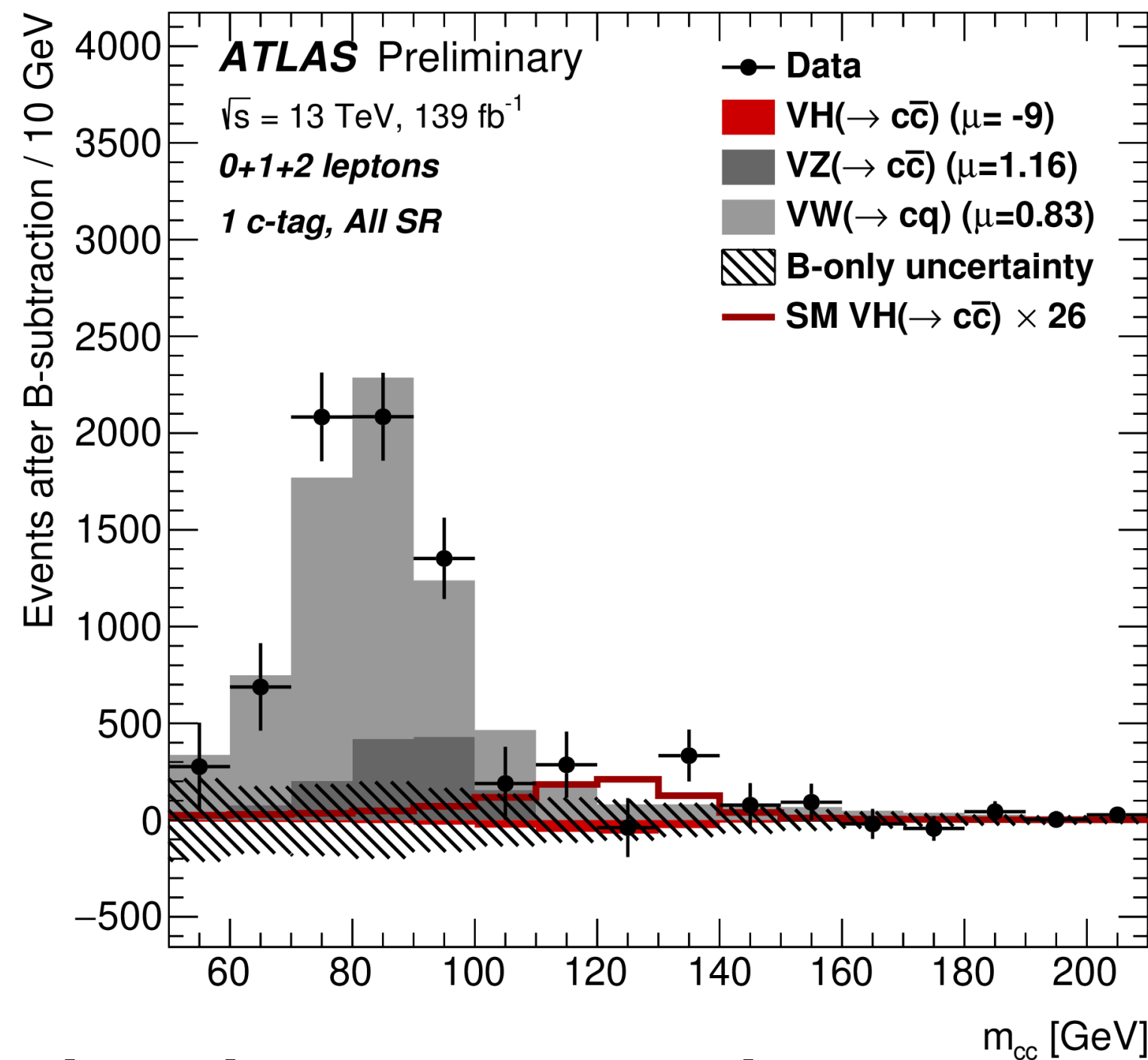


Measurement of validation process:

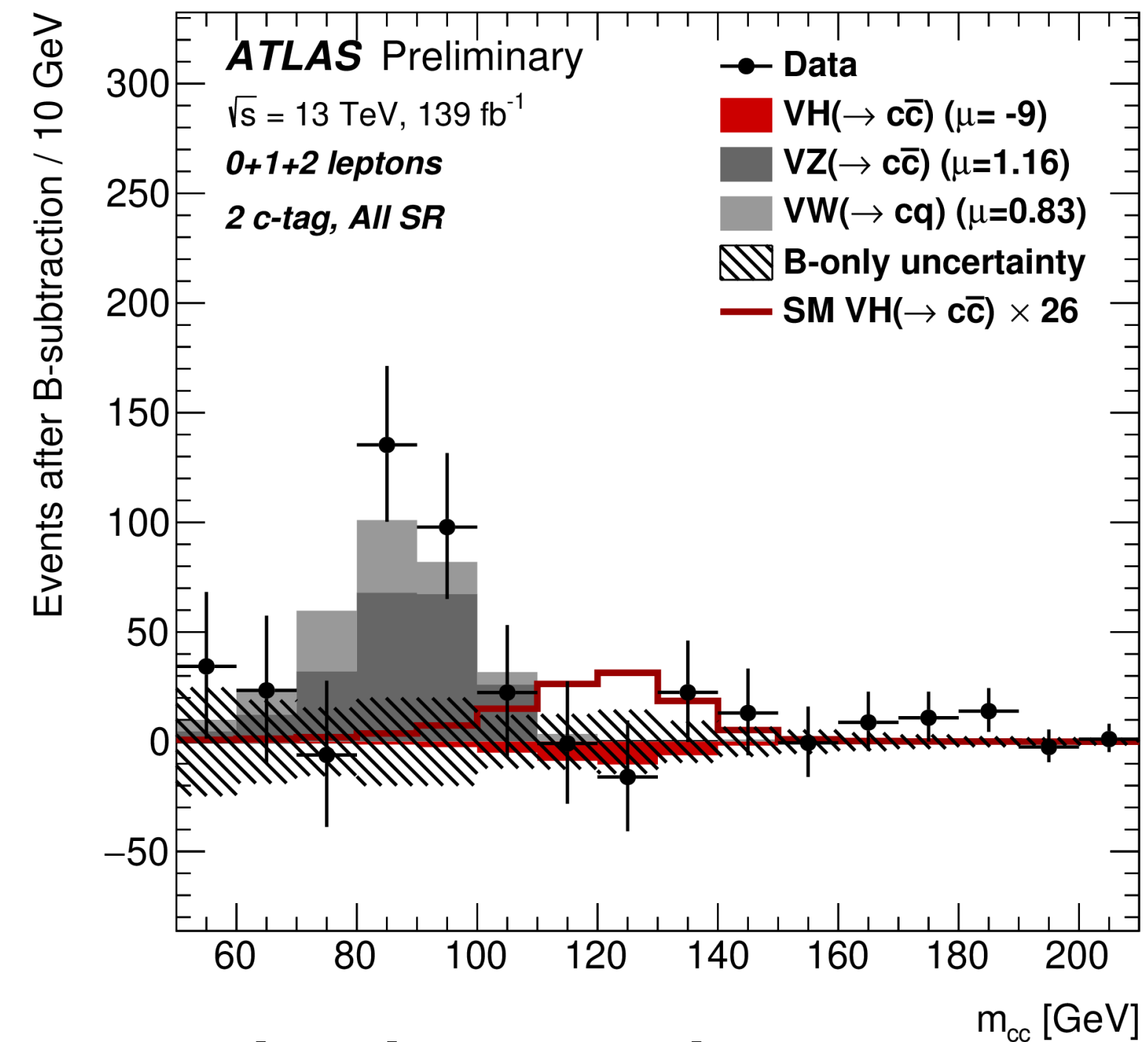
- $VW(c)$ and $VZ(cc)$ measurement in agreement with the SM
→ Validation of the 1 c-tag and 2 c-tag categories

Mass distributions

1 c-tag



2 c-tag



$M(cc)$ distribution: 1 and 2 c-tag with background subtracted

Diboson fit results: validation of the analysis

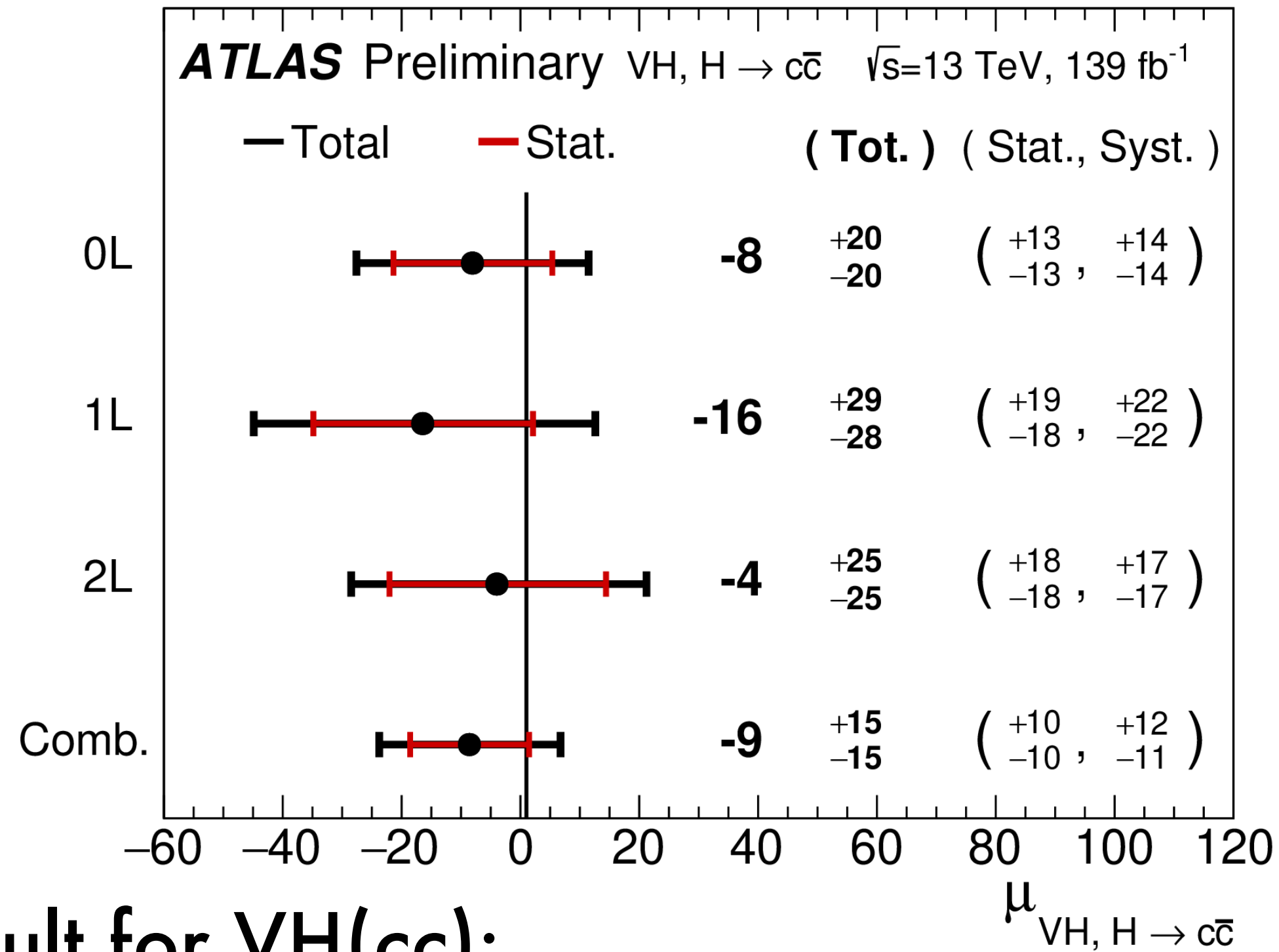
$VZ(cc)$: **2.6σ observed** (2.2 expected)

$VW(cc)$: **3.8σ observed** (4.6 expected)

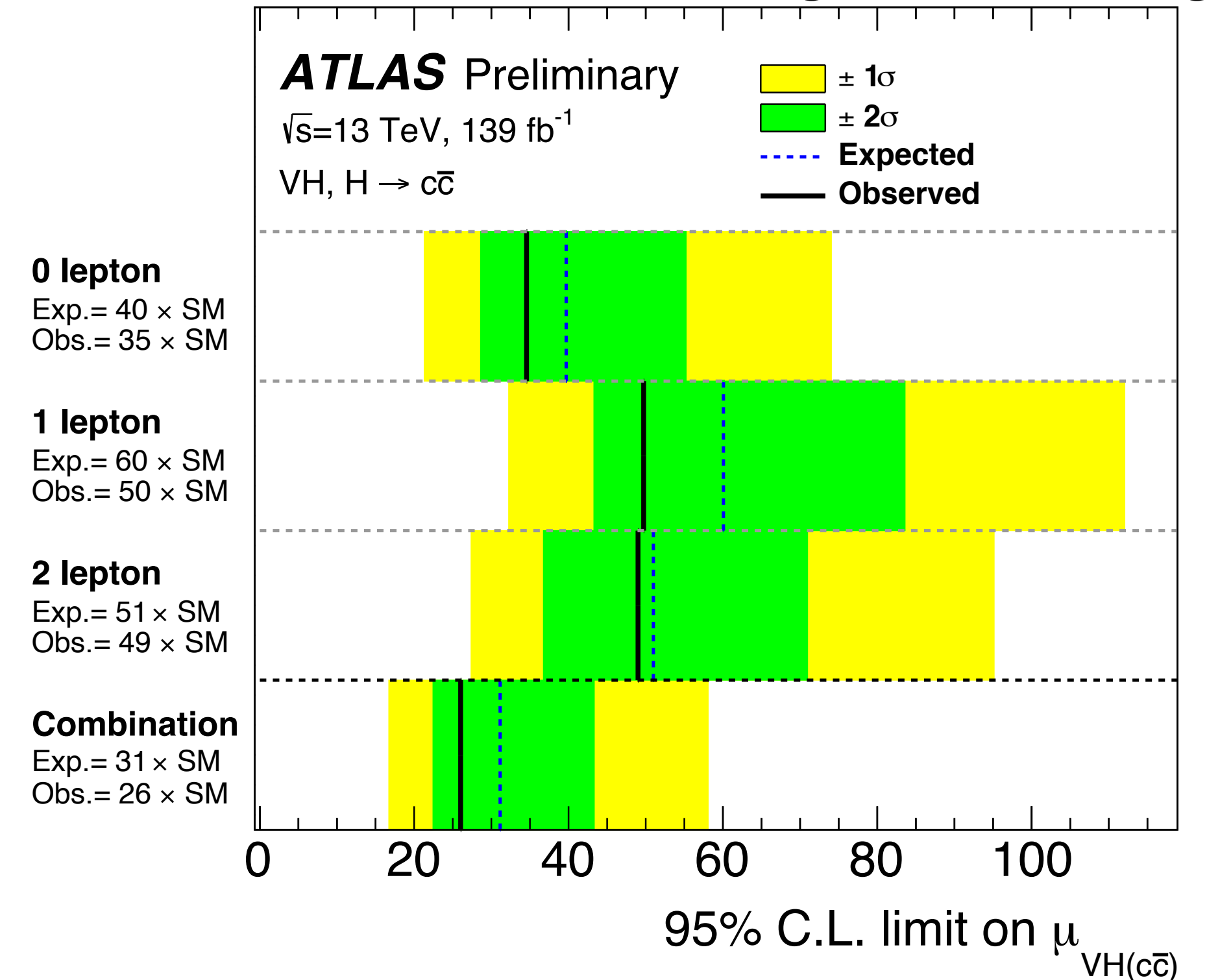
→ First measurement of $VZ(cc)$ and $VW(cc)$ using c-tagging!

Results: limit and signal strength

VHcc signal strength



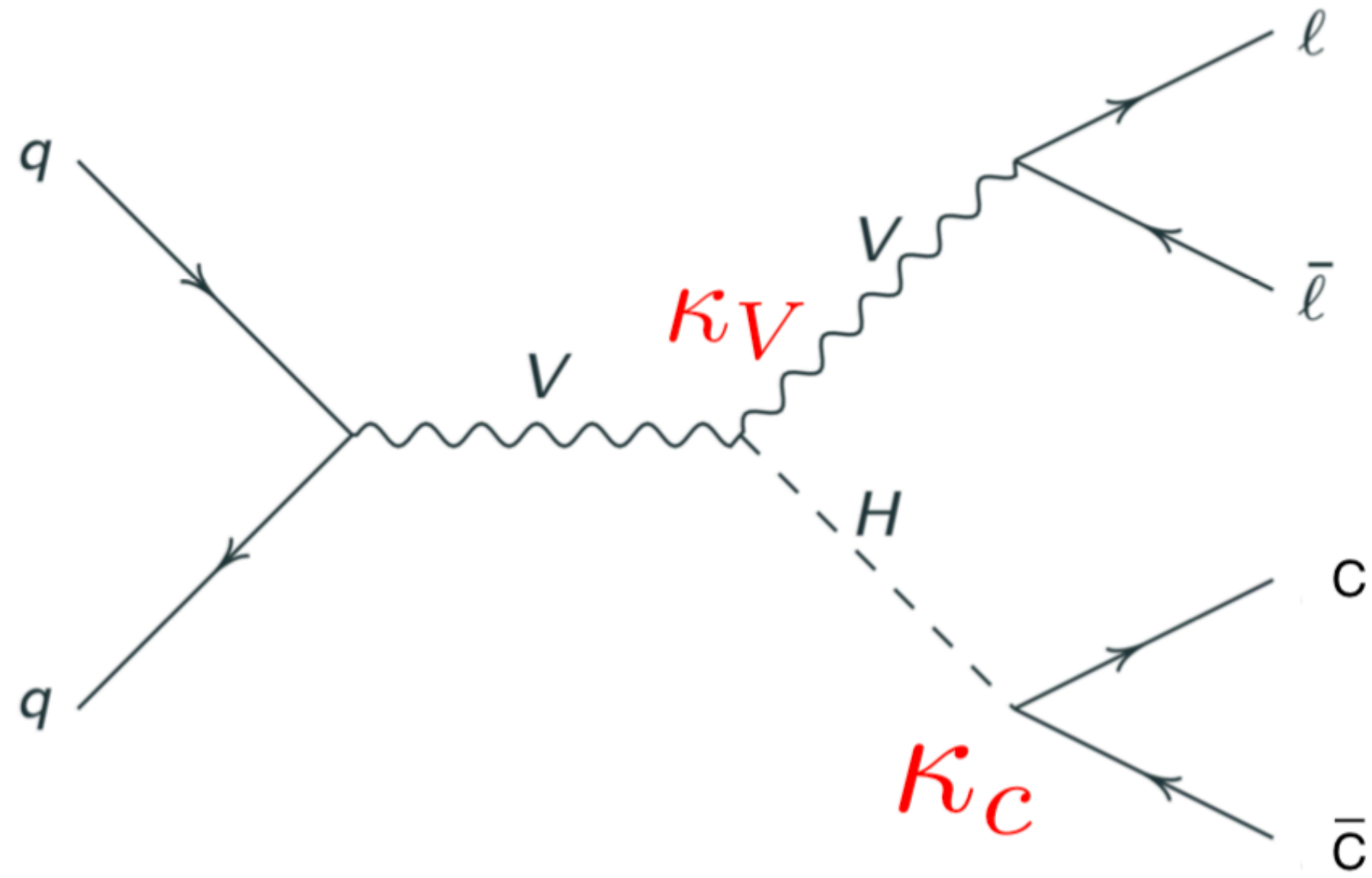
Limits on VH(cc) signal strength



Result for VH(cc):

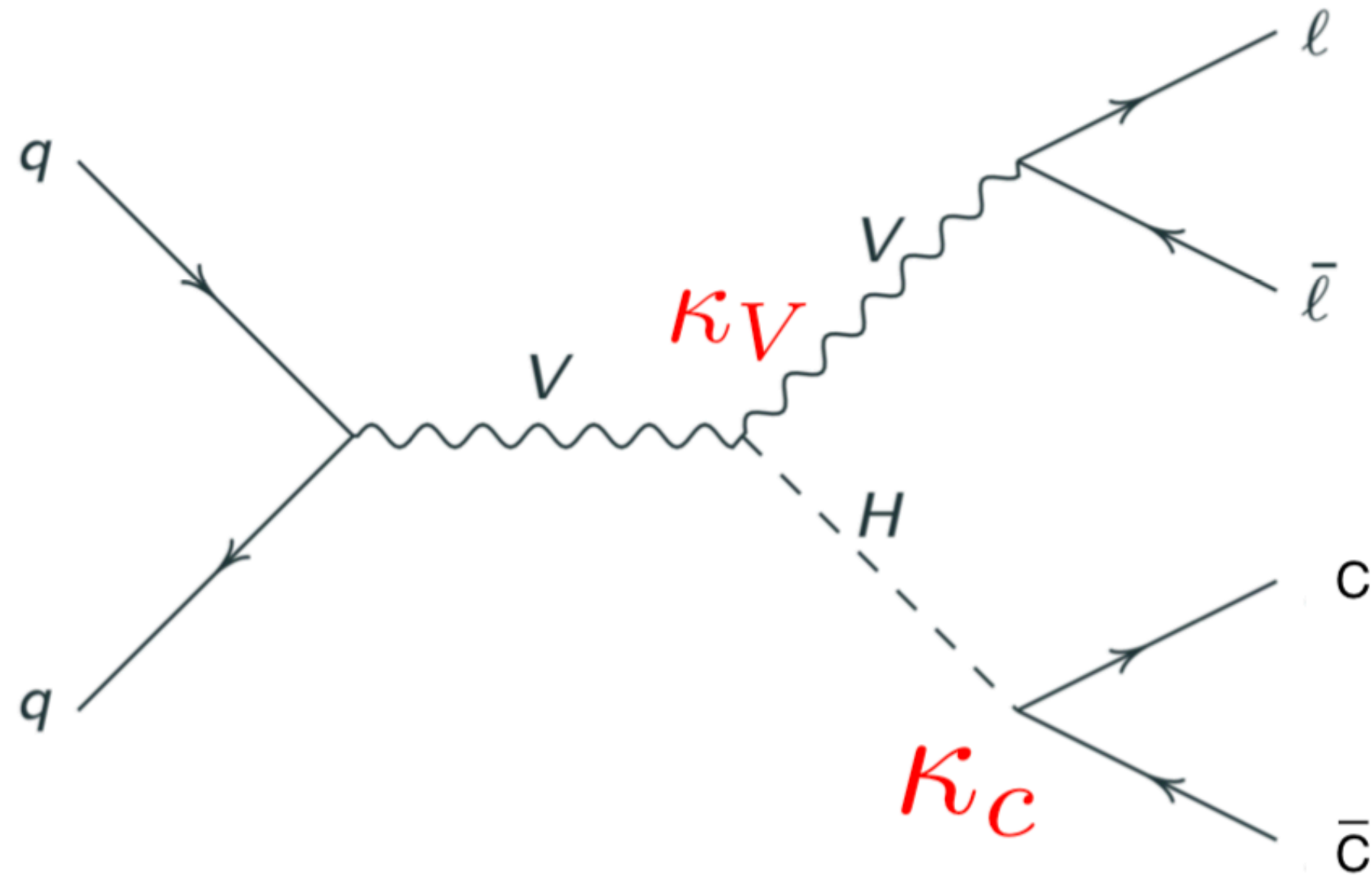
- VH(cc) signal strength: **-9 ± 10 (stat) ± 12 (syst)**
 - Similar size statistical and systematic uncertainties
 - Dominant uncertainties: $V+jets$ and top modelling
- Limit on signal strength: **$\mu_{H \rightarrow cc} < 26 \times SM$ @ 95% confidence level ($< 31 \times SM$ expected)**
 - Best limit on VH(cc) up to this day!

κ framework



$$g_i \rightarrow g_i \times \kappa_i$$

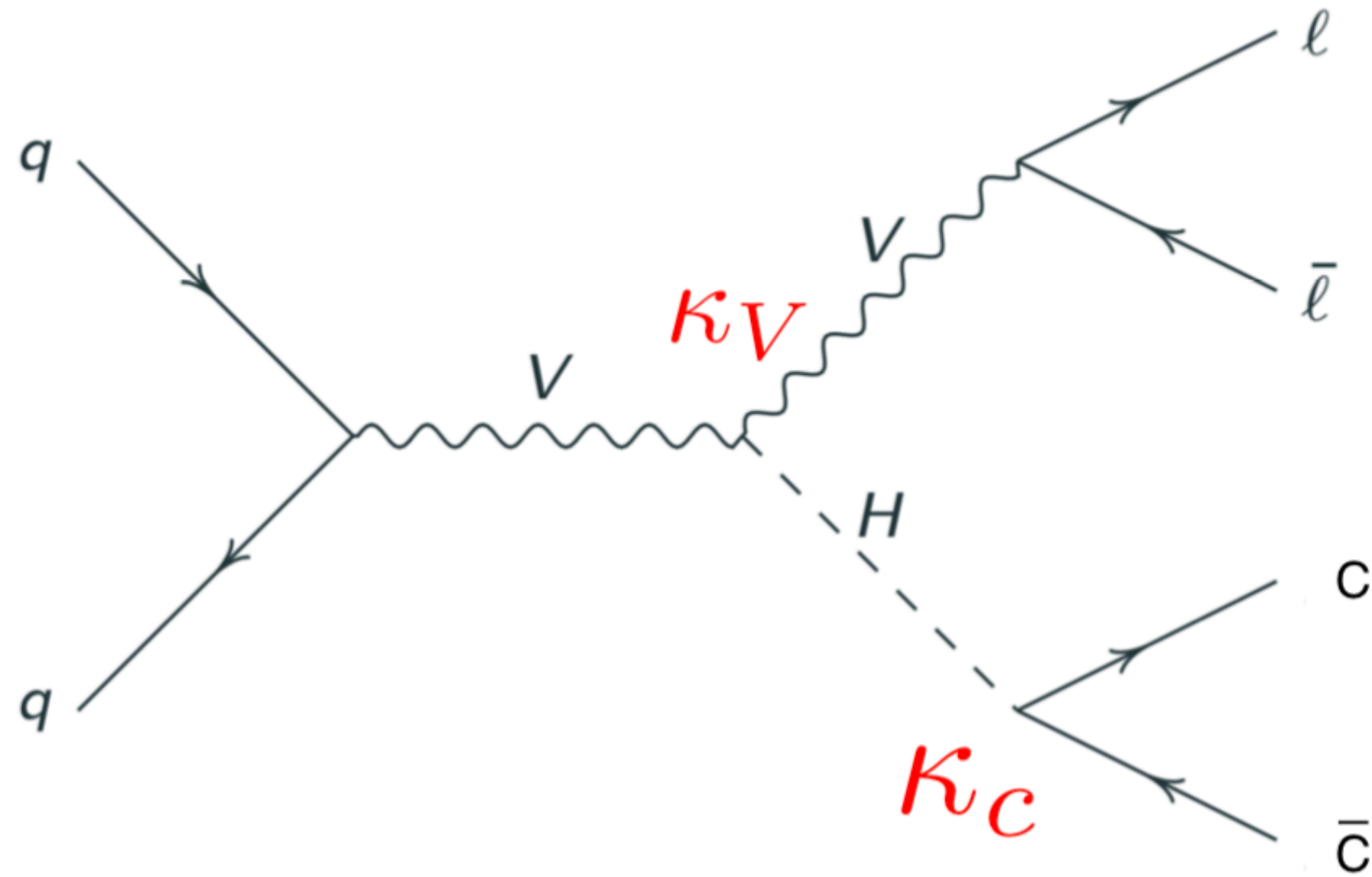
κ framework



$$g_i \rightarrow g_i \times \kappa_i$$

$$\sigma_{pp \rightarrow VH} \times BR_{H \rightarrow c\bar{c}} = \sigma_{pp \rightarrow VH}^{SM} \times BR_{H \rightarrow c\bar{c}}^{SM} \frac{\kappa_V^2 \kappa_c^2}{\kappa_H^2}$$

κ framework

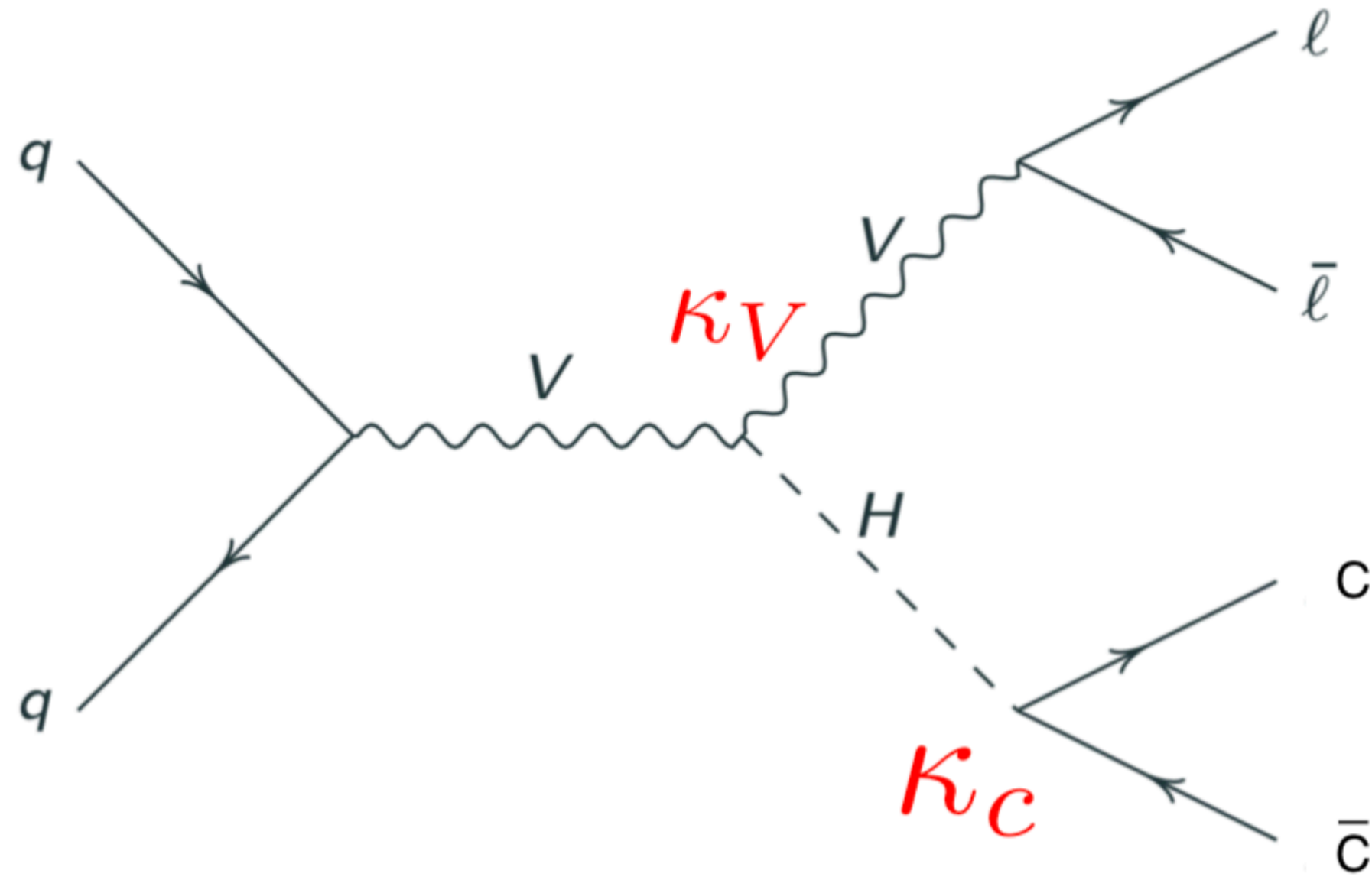


$$g_i \rightarrow g_i \times \kappa_i$$

$$\sigma_{pp \rightarrow VH} \times BR_{H \rightarrow c\bar{c}} = \sigma_{pp \rightarrow VH}^{SM} \times BR_{H \rightarrow c\bar{c}}^{SM} \frac{\kappa_V^2 \kappa_c^2}{\kappa_H^2}$$

$$\mu_{VHc\bar{c}} = \frac{\sigma_{pp \rightarrow VH} \times BR_{H \rightarrow c\bar{c}}}{\sigma_{pp \rightarrow VH}^{SM} \times BR_{H \rightarrow c\bar{c}}^{SM}} = \frac{\kappa_V^2 \kappa_c^2}{\kappa_H^2}$$

κ framework



$$g_i \rightarrow g_i \times \kappa_i$$

$$\sigma_{pp \rightarrow VH} \times BR_{H \rightarrow c\bar{c}} = \sigma_{pp \rightarrow VH}^{SM} \times BR_{H \rightarrow c\bar{c}}^{SM} \frac{\kappa_V^2 \kappa_c^2}{\kappa_H^2}$$

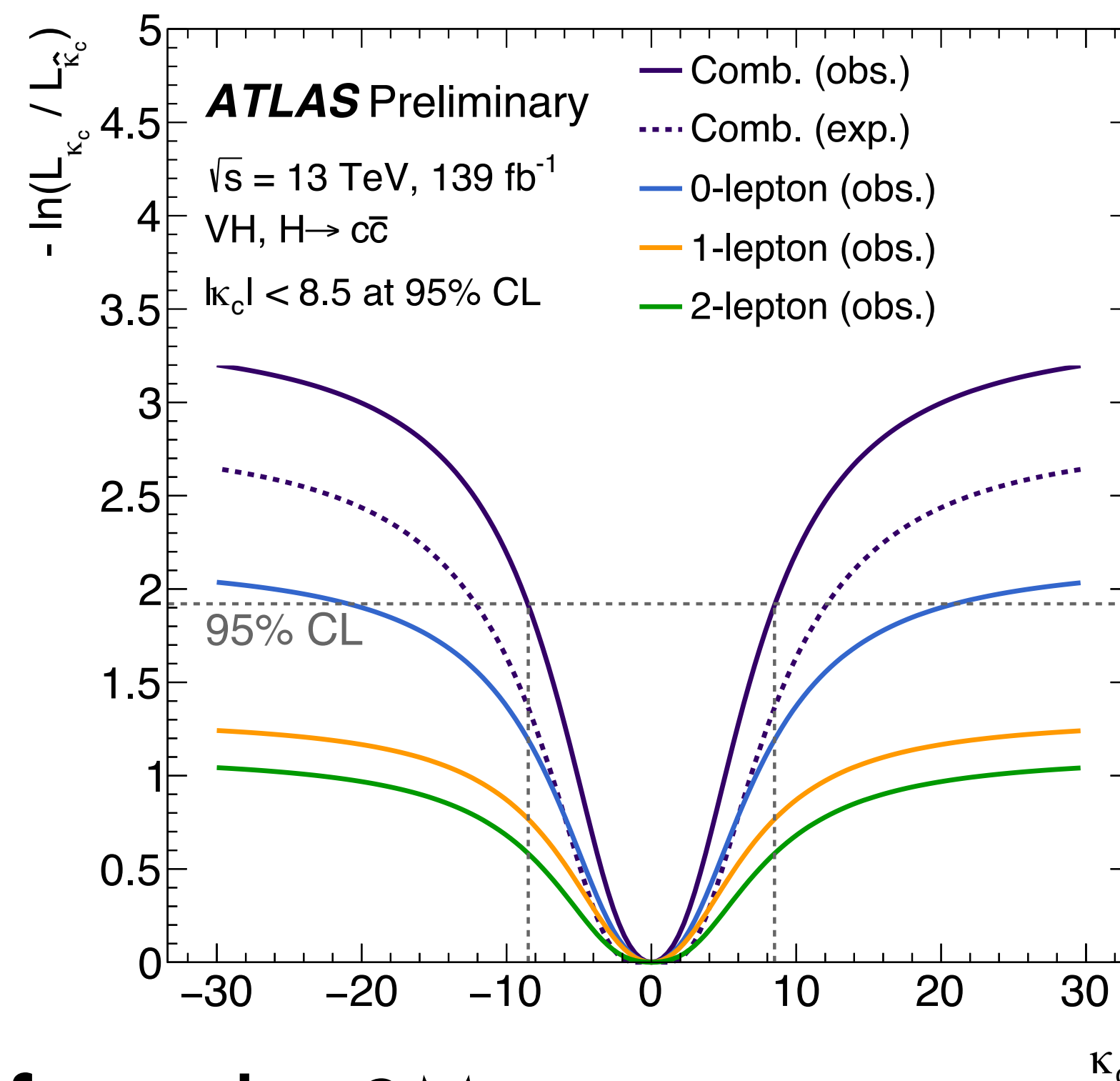
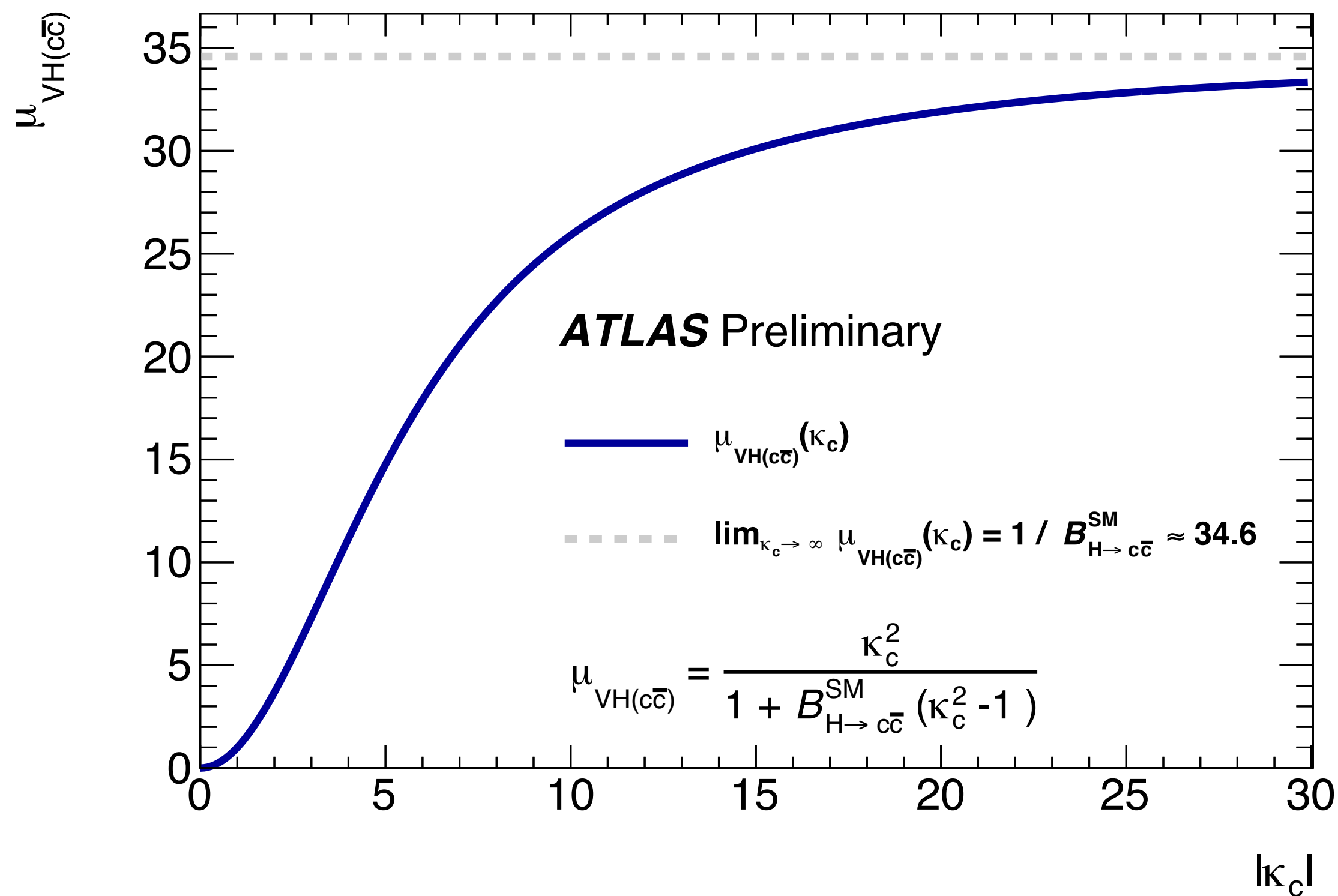
$$\mu_{VHcc} = \frac{\sigma_{pp \rightarrow VH} \times BR_{H \rightarrow c\bar{c}}}{\sigma_{pp \rightarrow VH}^{SM} \times BR_{H \rightarrow c\bar{c}}^{SM}} = \frac{\kappa_V^2 \kappa_c^2}{\kappa_H^2}$$

$$\mu_{VHcc} = \frac{\kappa_c^2}{1 - BR_{H \rightarrow c\bar{c}} + \kappa_c^2 BR_{H \rightarrow c\bar{c}}}, \forall \kappa_i = 1, i \neq c$$

κ framework: quantify possible deviations from the SM

- Effectively modifies the number of VH(cc) events
 - For example $\kappa_c = 0$ means Higgs boson doesn't couple to c-quarks

κ_c interpretations

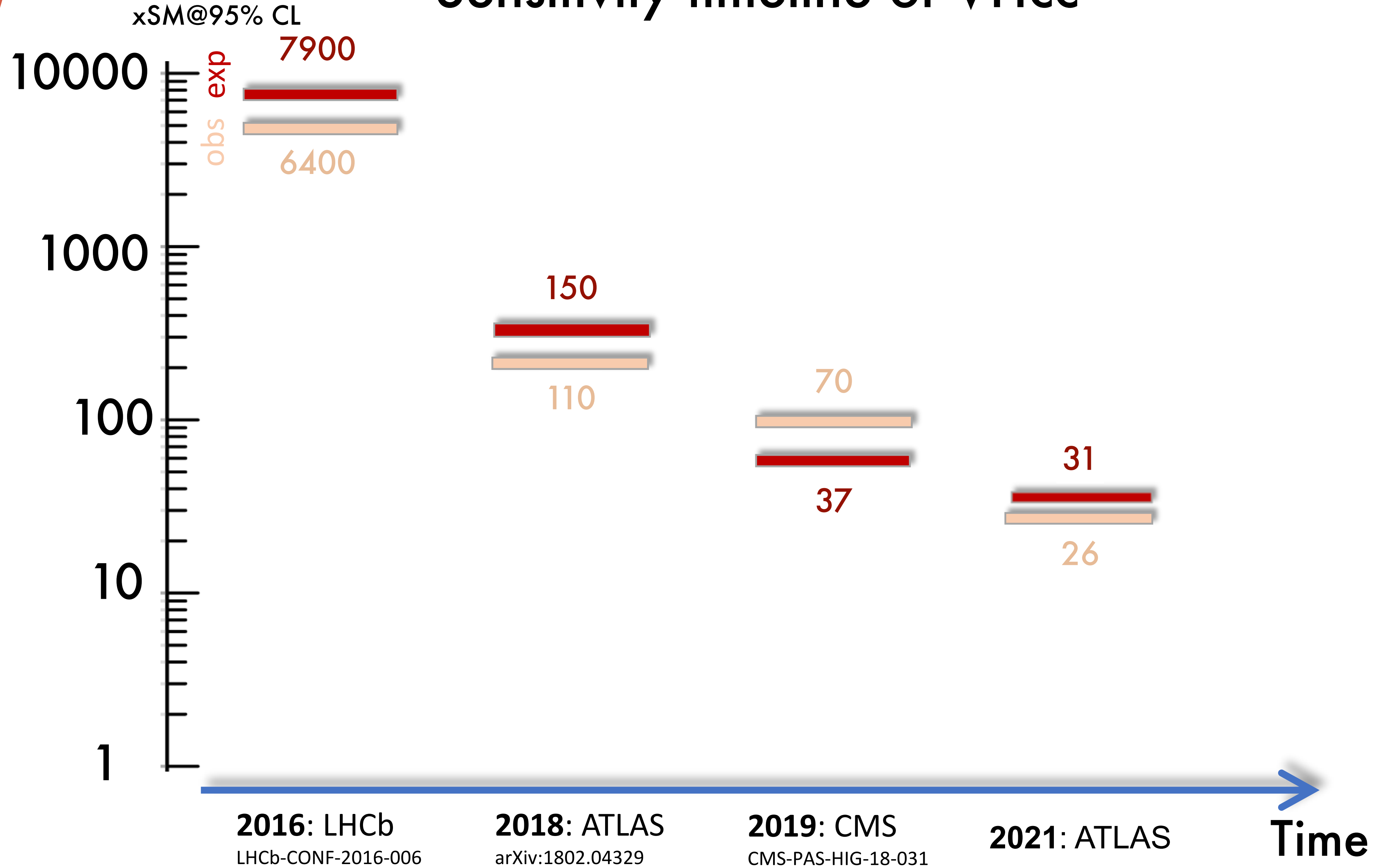


κ_c interpretation: quantify possible deviations from the SM

- Assume $\kappa_i = 1$ for other fermions and bosons and no BSM contributions to Higgs width
- Only sensitive to κ_c if $\mu < 35$ due to Higgs width in parametrisation
- Direct constraint: **$|\kappa_c| < 8.5 @ 95\% \text{ CL}$** ($< 12.4 @ 95\% \text{ CL}$ expected)

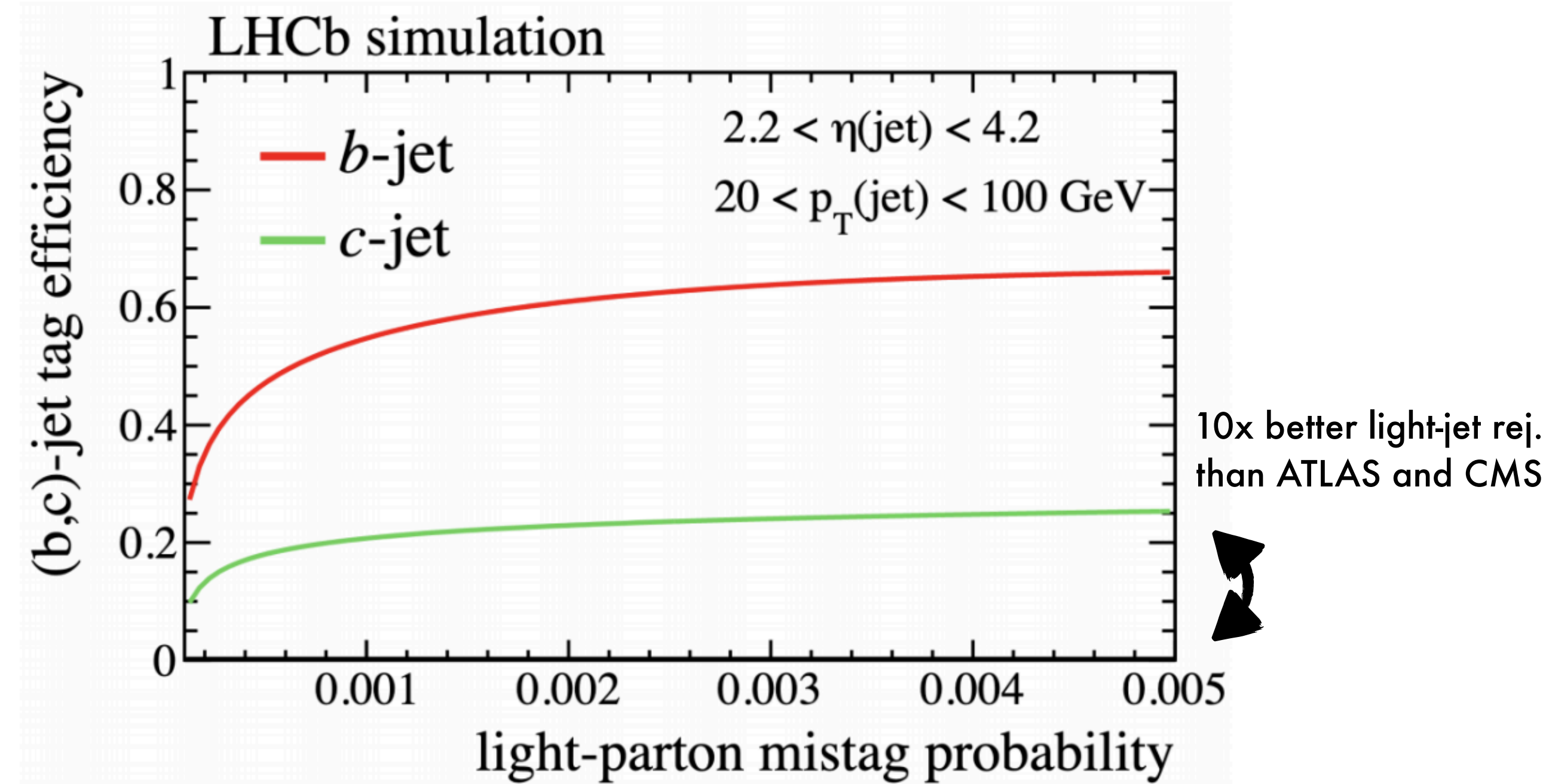
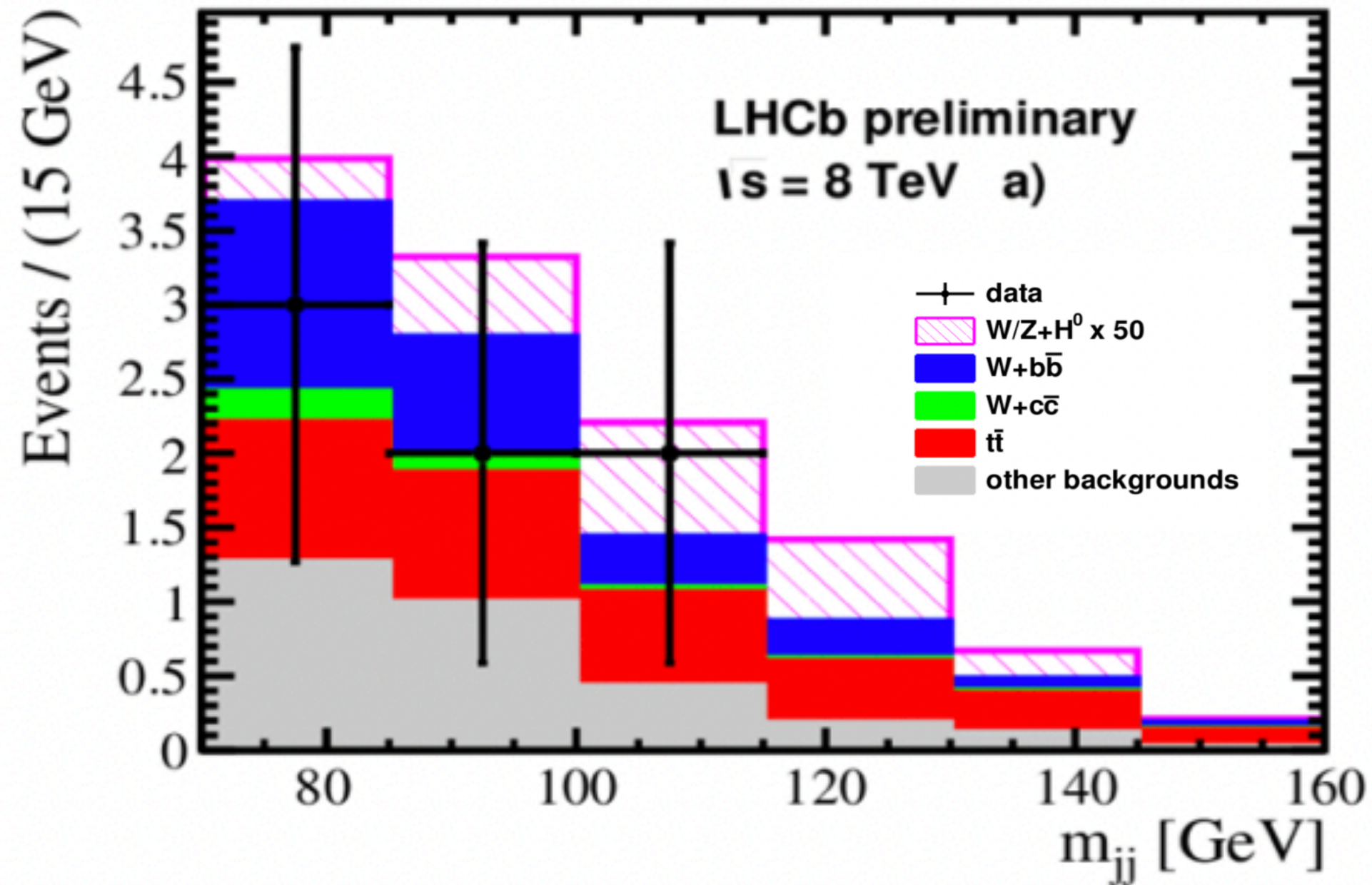
Comparison with other VHcc results?

Sensitivity timeline of $VHcc$



Higgs mass

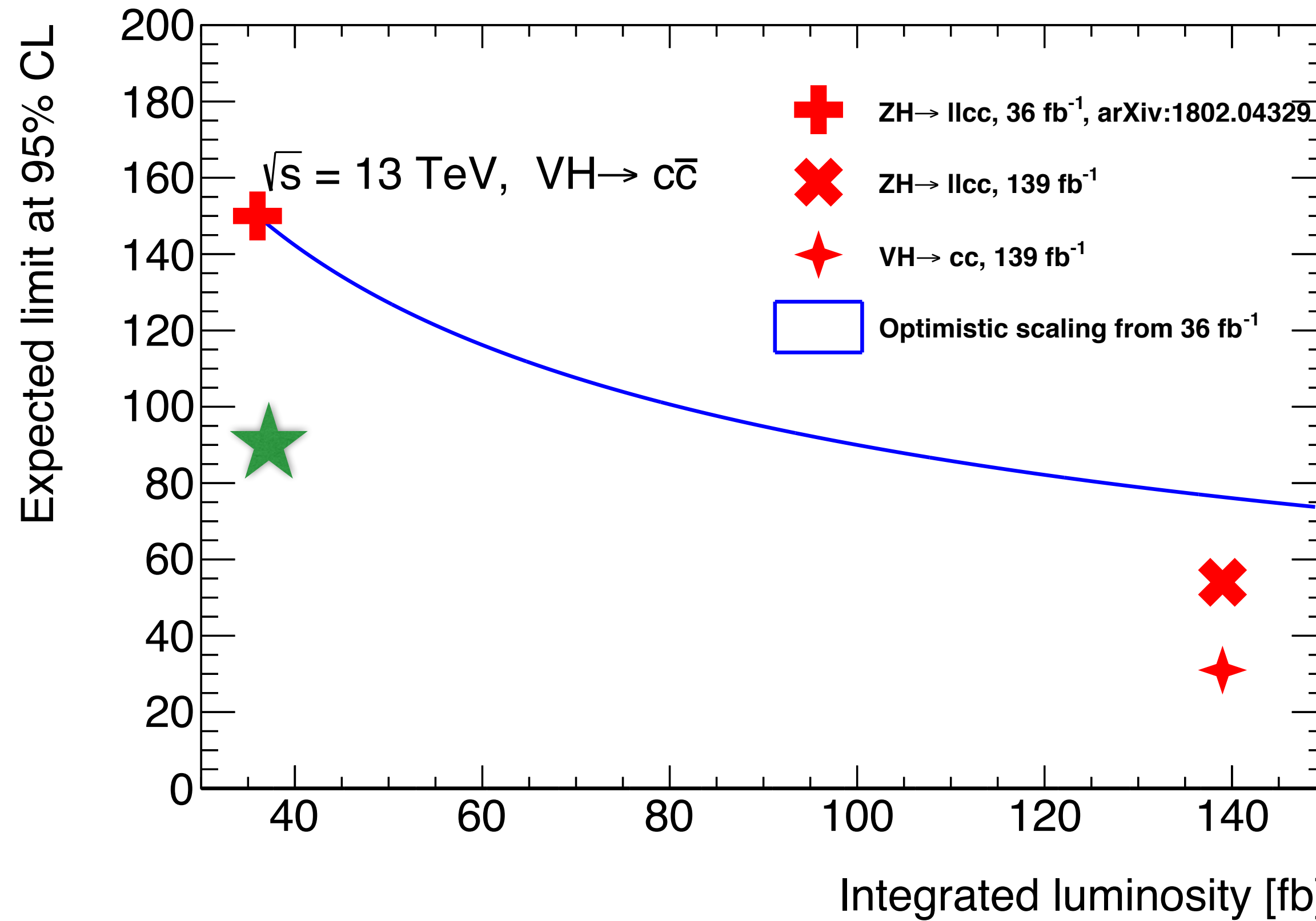
b-jet and c-jet tagging



Direct search for $VHbb/ VHcc$ at LHCb with Run 1 data (2/fb)

- Challenging measurement: focus with event with at least one lepton reconstructed
- Current sensitivity: $y^b < 7y_{SM}^b, y^c < 80y_{SM}^c \sim 6400x \text{ SM}$
- Flavour tagging performance:
 - b-tagging similar to ATLAS and CMS and c-tagging 10x better on light jet rejection
- Projection for HL-LHC with upgrades of LHCb detector: **4x SM**

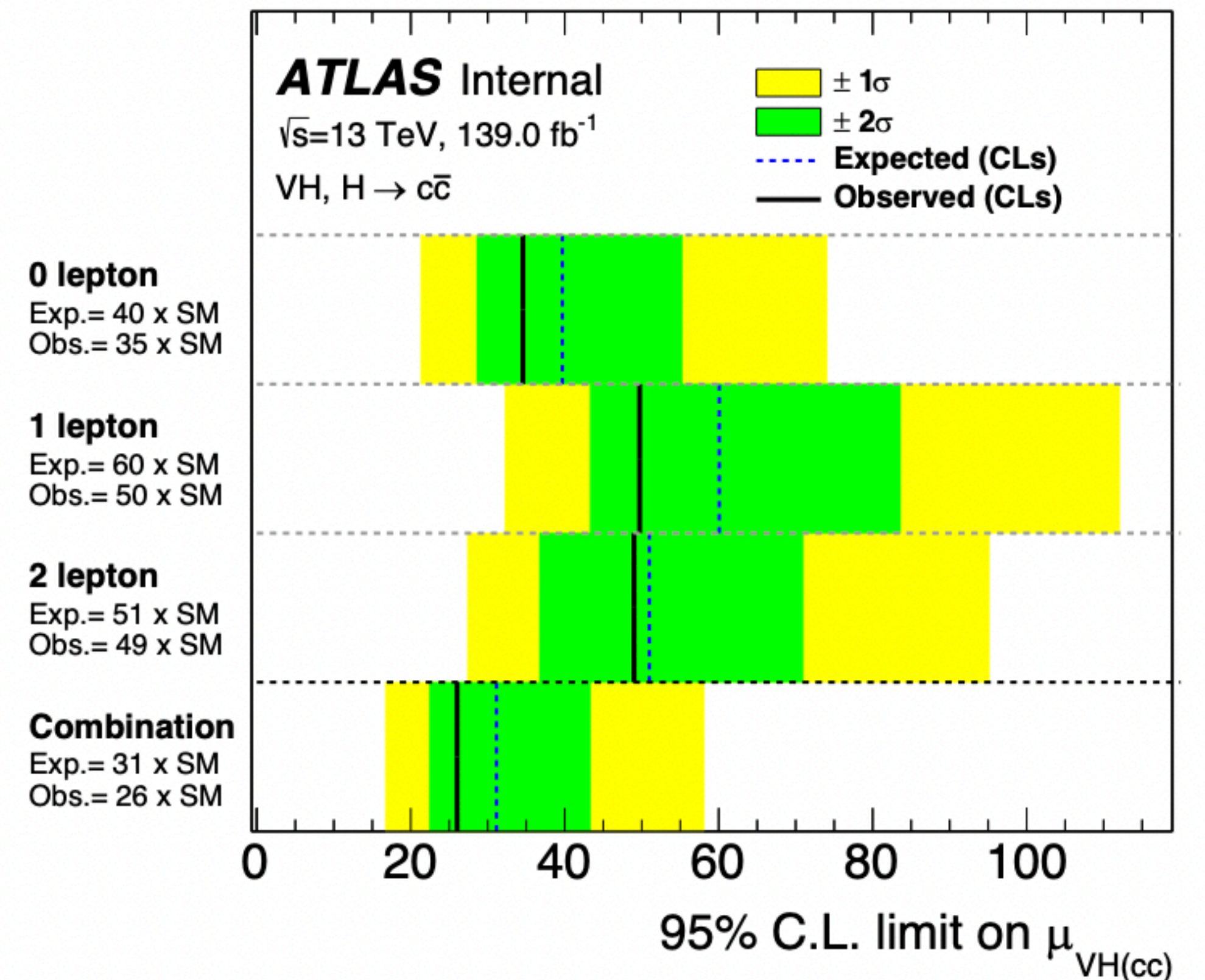
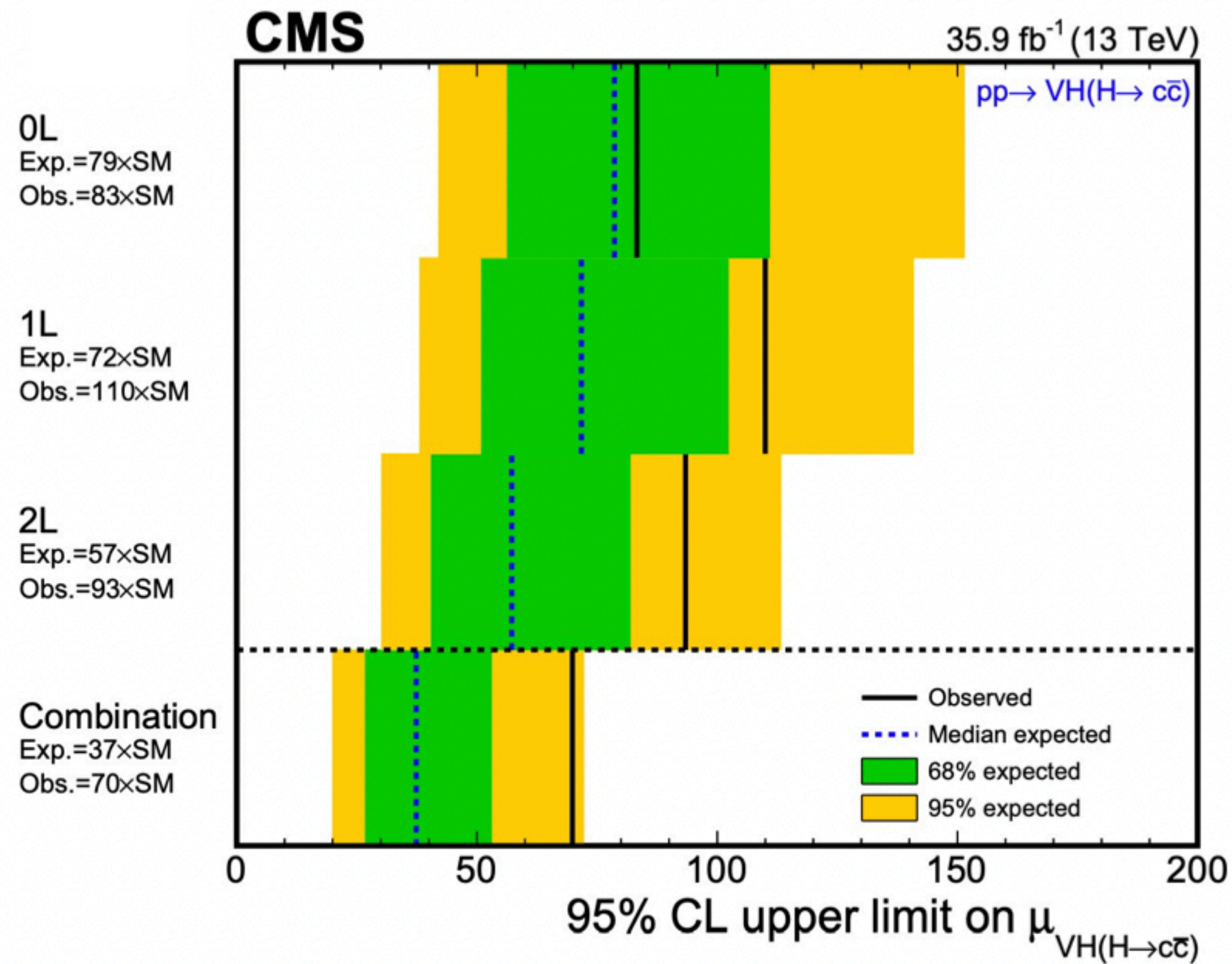
Sensitivity timeline of VHcc



Improvements with respect to Z(ll)H(cc) 36/fb ATLAS result:

- Comparison 2-lepton only with 36/fb: **+43% sensitivity** in latest analysis
- Better performance of flavour tagger + full Run 2 updated calibrations
- Additional control regions to constrain main backgrounds
- Outperforming optimistic scaling: assuming that both stat. and syst. scale with luminosity

Comparison ATLAS vs CMS



Comparison with CMS:

- CMS expected limit: **37xSM** with 36/fb
- ATLAS expected limit: **31x SM** with 139/fb
- ATLAS expected limit only **20%** better than CMS with 4x more data

Comparison ATLAS vs CMS

Main differences	ATLAS 139/fb	CMS 36/fb	Charm tagging	ATLAS 139/fb	CMS 36/fb
Categorisation	1 c-tag, 2 c-tag	2 c-tag	c-jets	27%	27%
Discriminant	m(cc)	MVA	b-jet	8%	17%
VH(bb) treatment	Orthogonal	Overlap	light-jets	1.6%	4%

Key differences between ATLAS and CMS:

- Flavour tagging categorisation: CMS uses 2 c-tag only
- CMS sensitivity optimised using a machine learning approach
- VH(bb) treatment: ATLAS analysis orthogonal to VH(bb)
- Charm tagging: ATLAS performance 2x higher in background rejection
 - Partly due to insertable b-layer in ATLAS tracker

Comparison ATLAS vs CMS: breakdown of uncertainties

	ATLAS	CMS
Total uncertainty	± 23.2	± 19.8
Data stat	± 17.1	± 17.2
Data stat-only	± 13.7	± 13.2
Floating norms.	± 7.7	± 10.2
Modelling	± 12.0	± 7.24
Signal	± 3.33	± 3.75
Background	± 11.5	± 4.10
Simulation modelling	–	± 4.65
MC stat	± 5.75	± 1.2

Comparison of uncertainties for ATLAS and CMS at 36/fb

- Statistical sensitivity: similar results between ATLAS and CMS
- CMS: lower uncertainty on theoretical prediction and size of simulated sample
 - Rely more on control regions for the backgrounds + larger size of simulated sample

HL-LHC slide

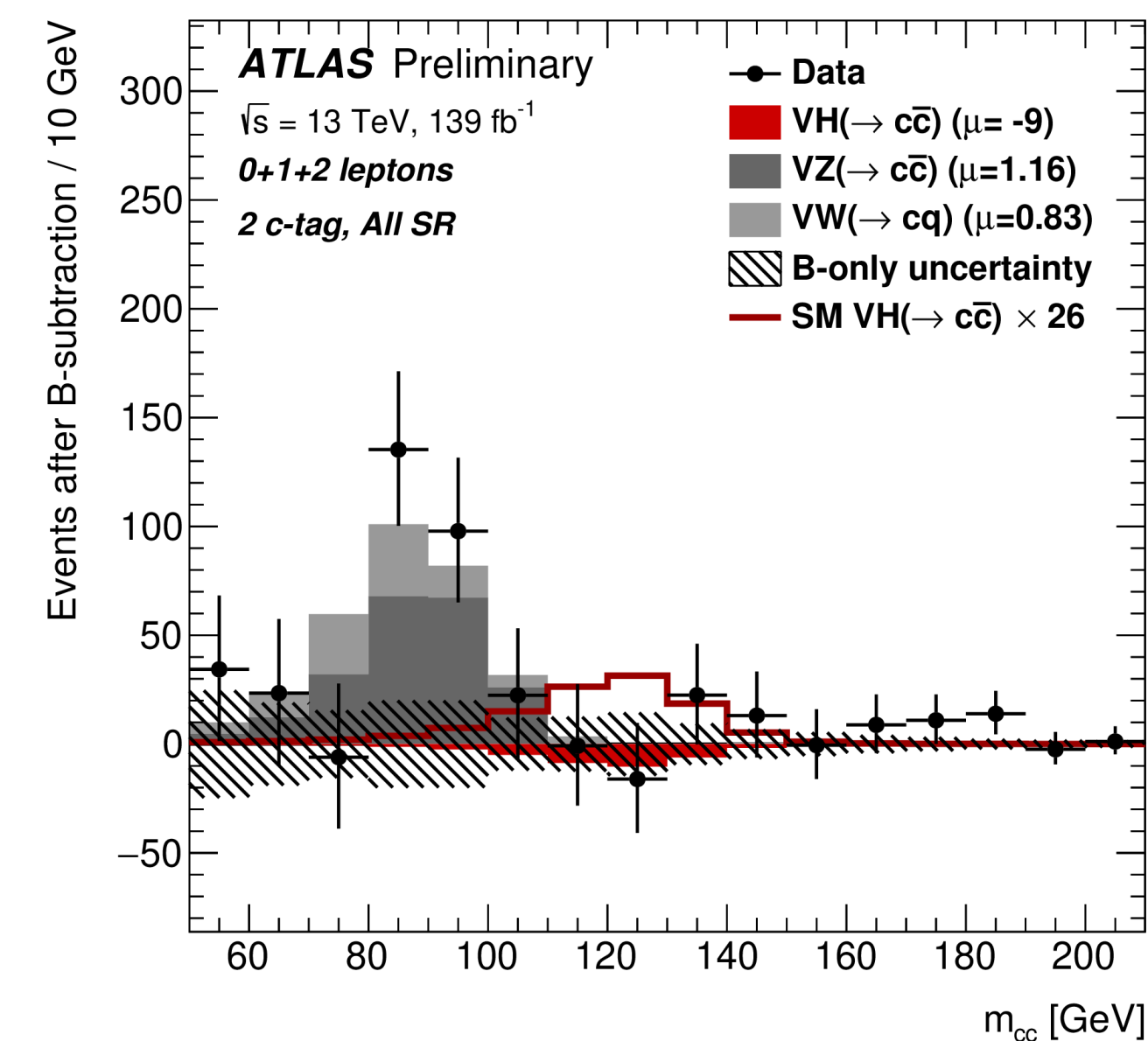
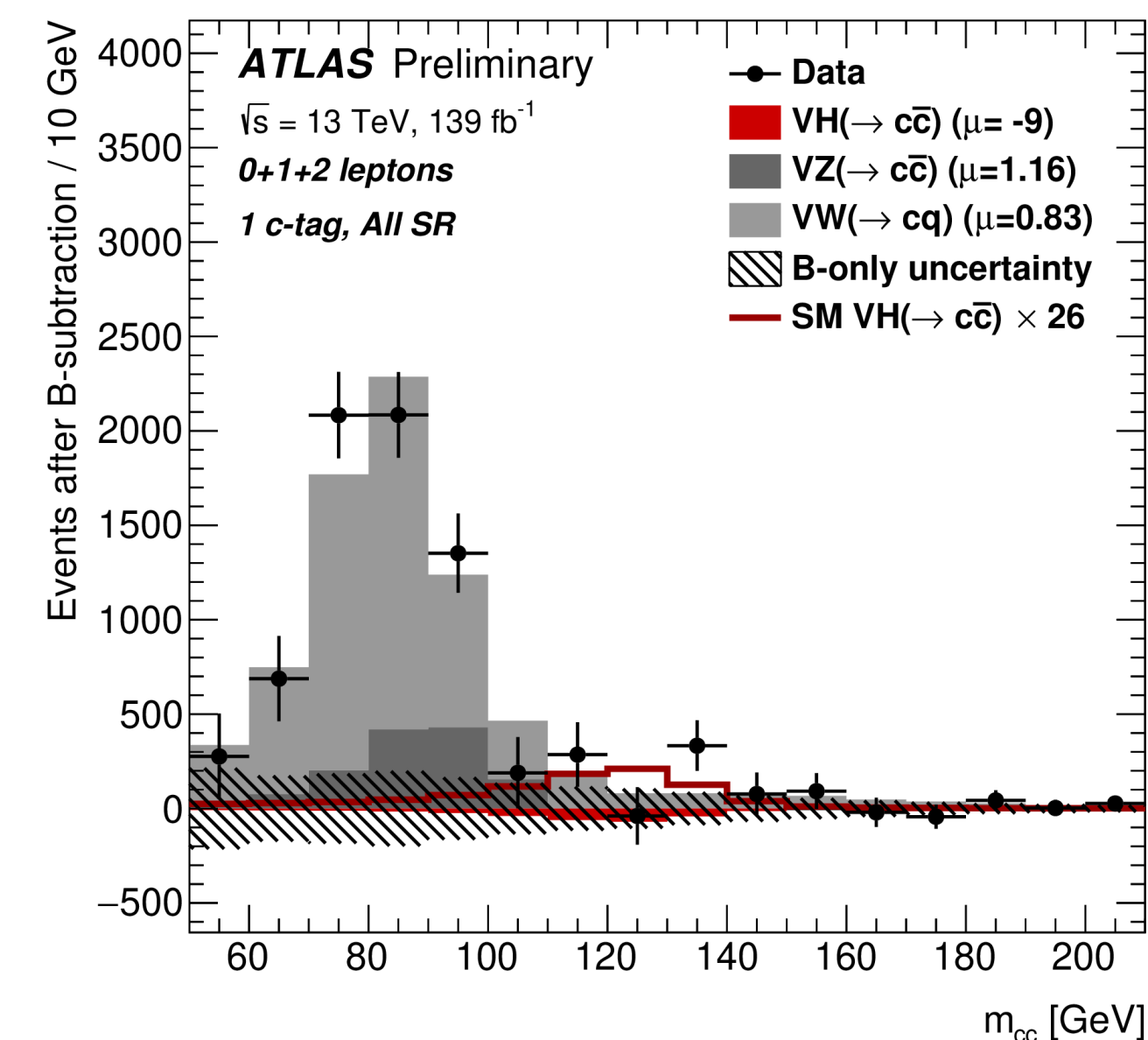
Conclusion

New result from the ATLAS on Higgs coupling to c-quarks

- Limit on the signal strength: $\ll 26 \times SM$ at 95% confidence level
- Direct constraint on $|K_c| \ll 8.5$ @ 95% CL
- Excess of $VZ(\rightarrow cc)$ events observed: 2.6σ
- Excess of $VW(\rightarrow cq)$ events observed: 3.8σ
- First measurement of $VZ(\rightarrow cc)$ and $VW(\rightarrow cq)$ using c-tagging!

Prospects for Higgs physics and c-tagging at LHC:

- More and more physics analyses using c-tagging
- ATLAS, CMS and LHCb working towards measuring Higgs coupling to charm
 - Evidence at the end of HL-LHC using a combination?



Back up

Combination with VH(bb)?

Combination of VH(bb) and VH(cc)

Stand-alone analysis

$$\mu_{VH(cc)} = \frac{\kappa_V^2 \kappa_c^2}{\kappa_H^2}$$

$$\mu_{VH(bb)} = \frac{\kappa_V^2 \kappa_b^2}{\kappa_H^2}$$



Combined measurement

$$\frac{\mu_{VH(cc)}}{\mu_{VH(bb)}} = \frac{\kappa_c^2}{\kappa_b^2}$$

Combination of VH(bb) and VH(cc):

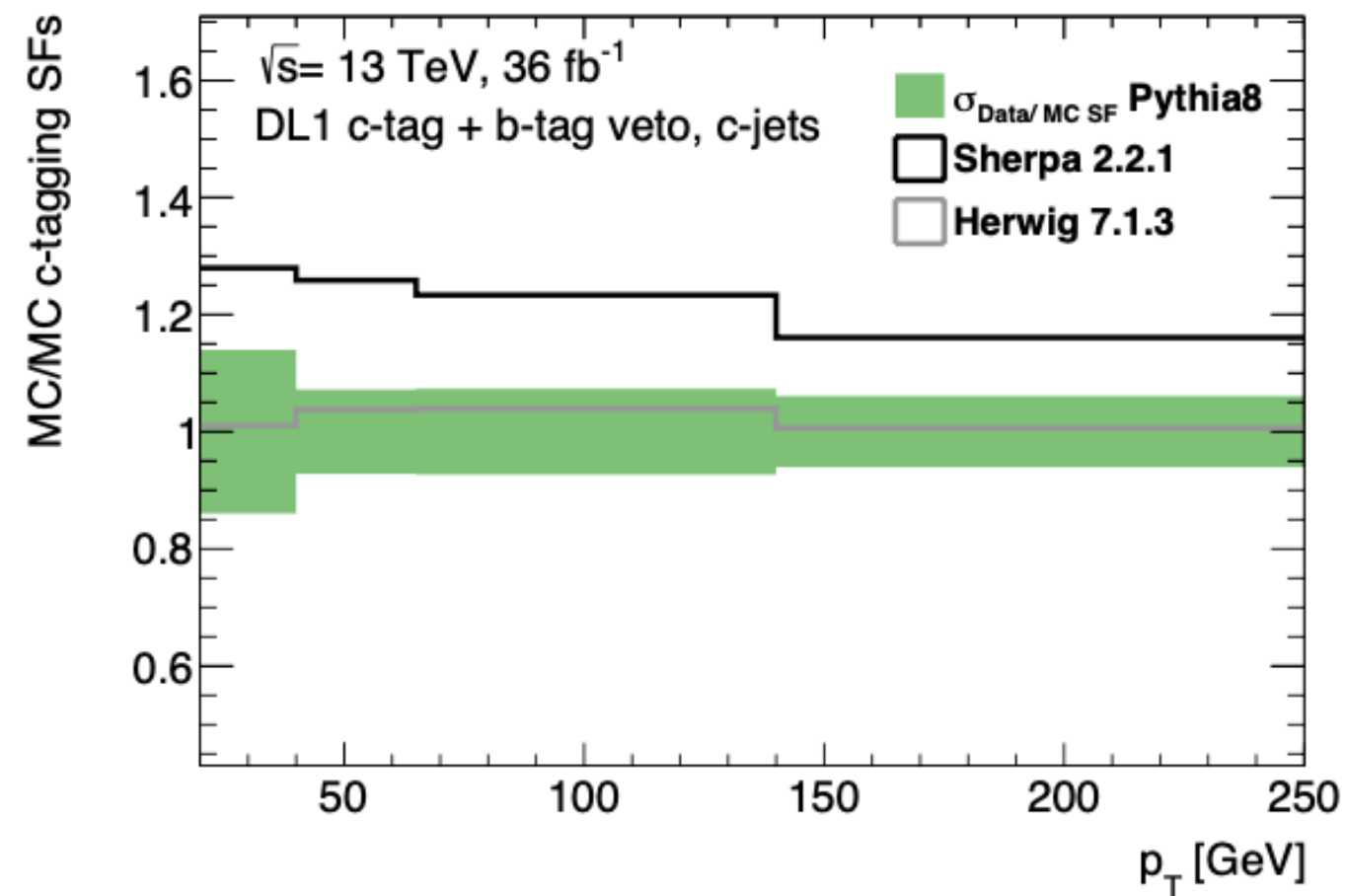
- Allows better interpretation of Higgs boson properties with minimal assumptions
- Not sensitive to contributions of new physics particles to the Higgs boson decay width
- Direct probe of the Higgs coupling to charm and bottom quarks only

Comparison ZHcc and CMS

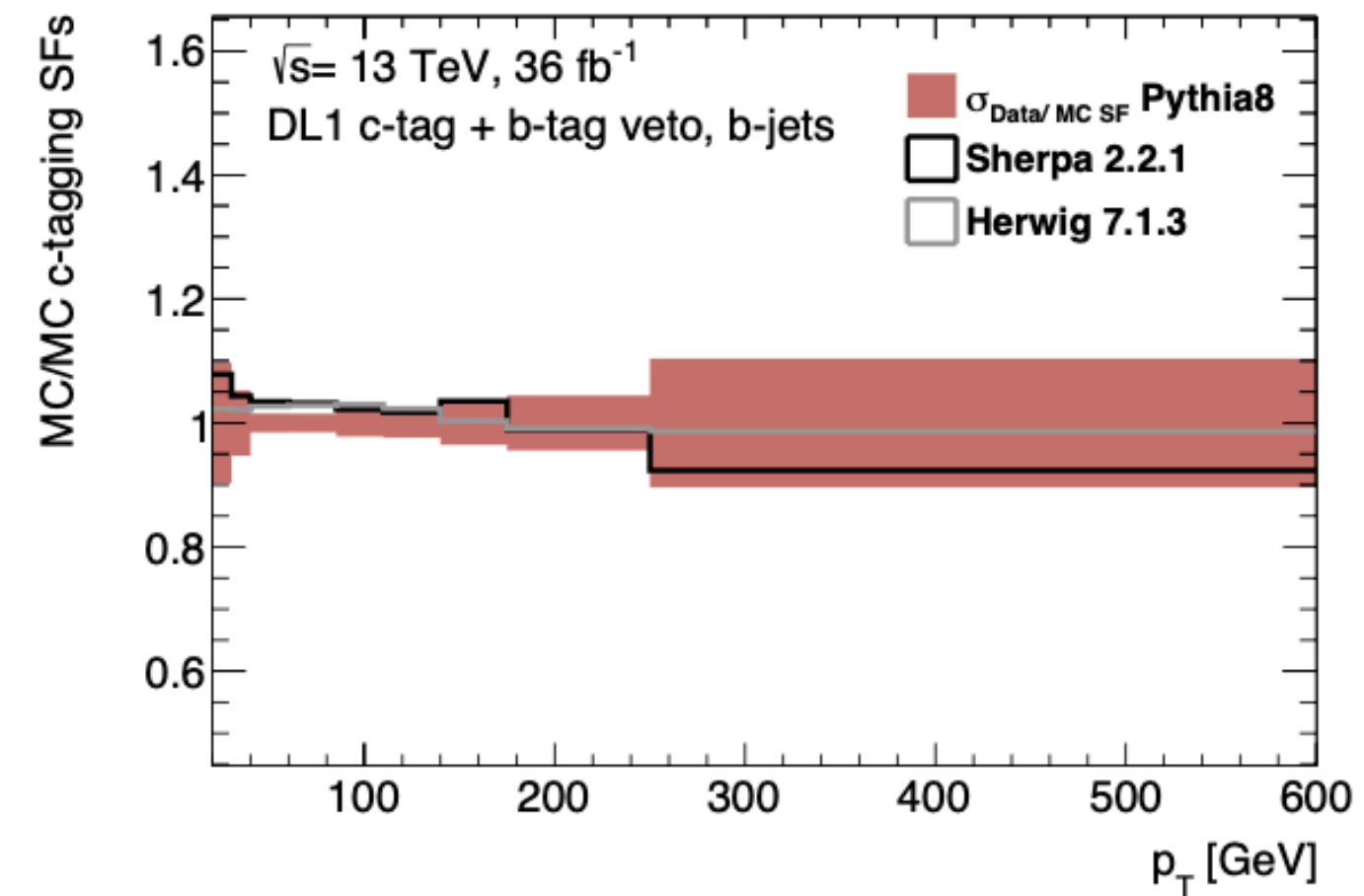
Comparison VHcc 139/fb vs ZHcc 36/fb

	<u>2015+2016 (36 /fb)</u>	<u>Full Run 2</u>
Flavour tagging	c-tagging (MV2 based)	c-tagging + b-tag veto (DL1 vs MV2 based)
Jets categories	2+jets	2 and 3+jets
pTV	Low and high pTV	Low and high pTV
SRs	1 c-tag and 2 c-tag	1 c-tag and 2 c-tag
CRs	Top emu	Top emu, High dR CR, 0 c-tag
VH(bb) treatment	SM bkg SR Overlap	SM bkg Orthogonality in SR
VH(bb) fraction in 2 c-tag	6%	0,7%
Truth tagging	$\Delta R(\text{jet1}, \text{jet2})$	Min $\Delta R(\text{tagged jet}, \text{closest jet2})$
FTAG calibrations	36/fb	140/fb, 80/fb for c-jets
Modelling	36/fb	140/fb

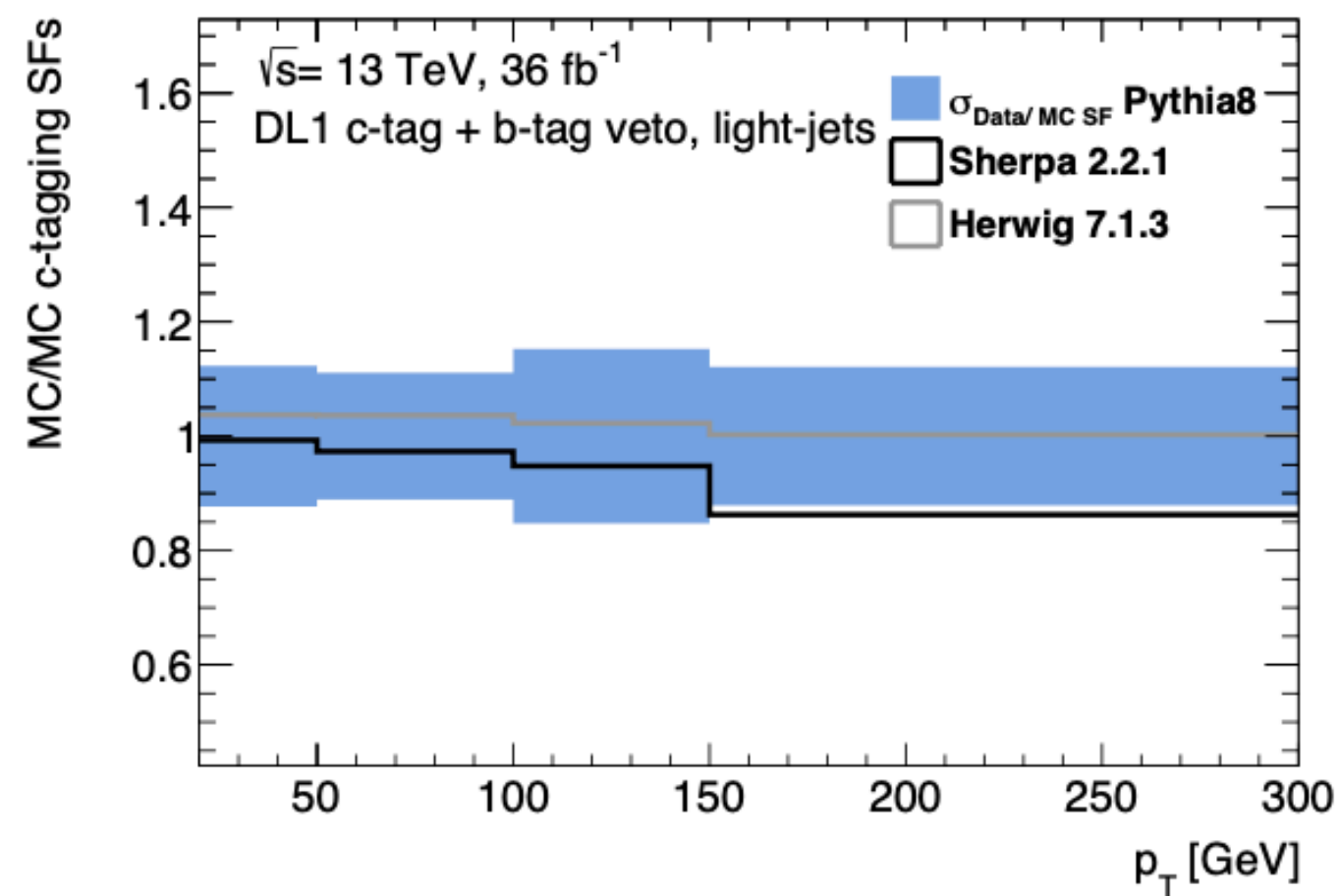
MC/MC



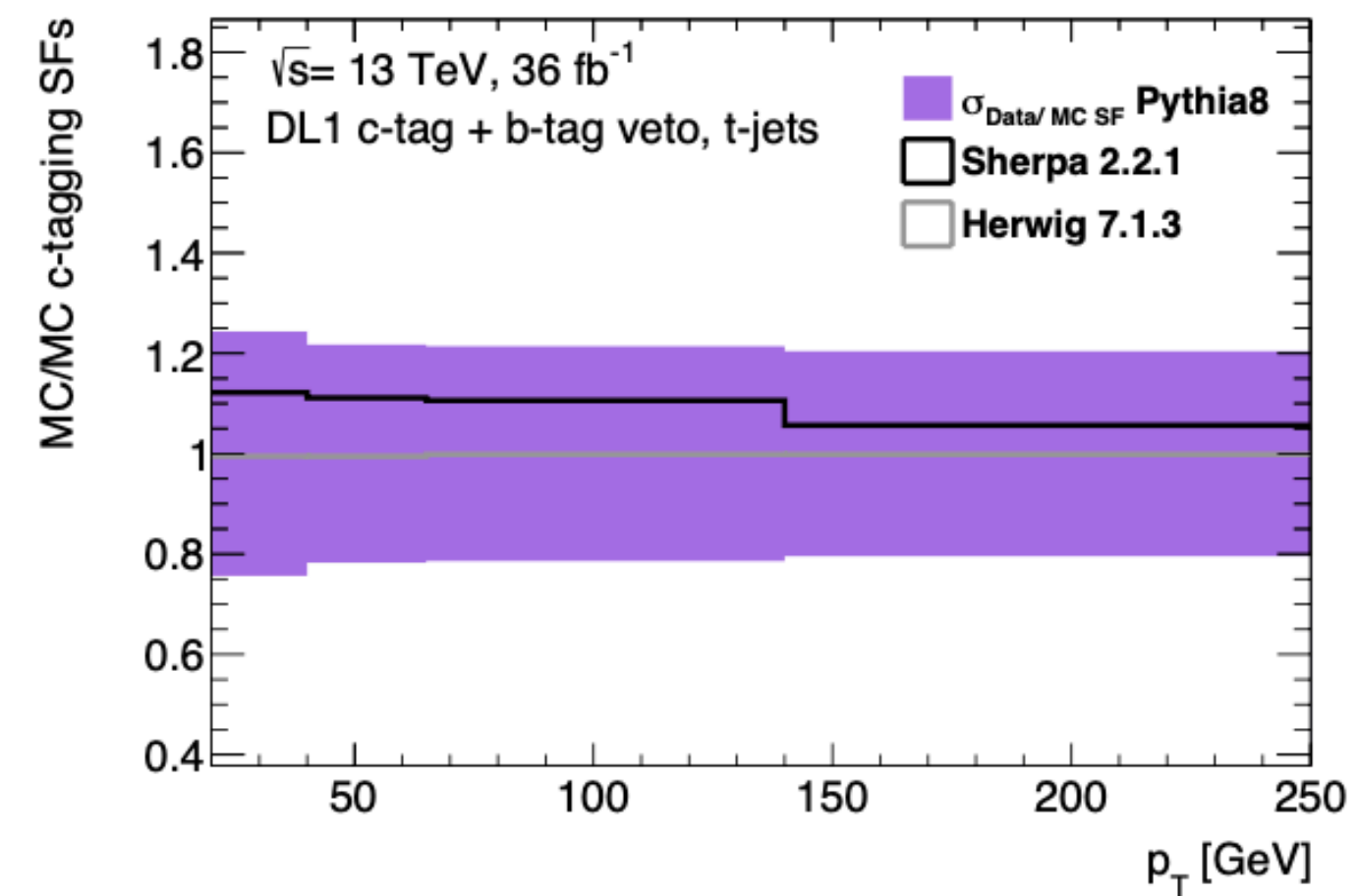
(a) MC/MC scale factor c-jets



(b) MC/MC scale factor b-jets



(c) MC/MC scale factor light-jets



(d) MC/MC scale factor τ -jets

Background modelling

Process	Nominal	Alternative
VH(cc), VH(bb)	Powheg+Pythia8	Powheg+Herwig7 QCD μ_R and μ_F scale variations
VV	Sherpa2.2.1 (qq) Sherpa 2.2.2 (gg)	Powheg+Pythia8 QCD μ_R and μ_F scale variations
Z+jets and W+jets	Sherpa2.2.1	MadGraph5+Pythia8 QCD μ_R and μ_F scale variations
t \bar{t} + single top	Powheg+Pythia8	MadGraph5+aMC@NLO+Pythia8 Powheg+Herwig7 ISR / FSR
Single top only		Diagram subtraction + removal

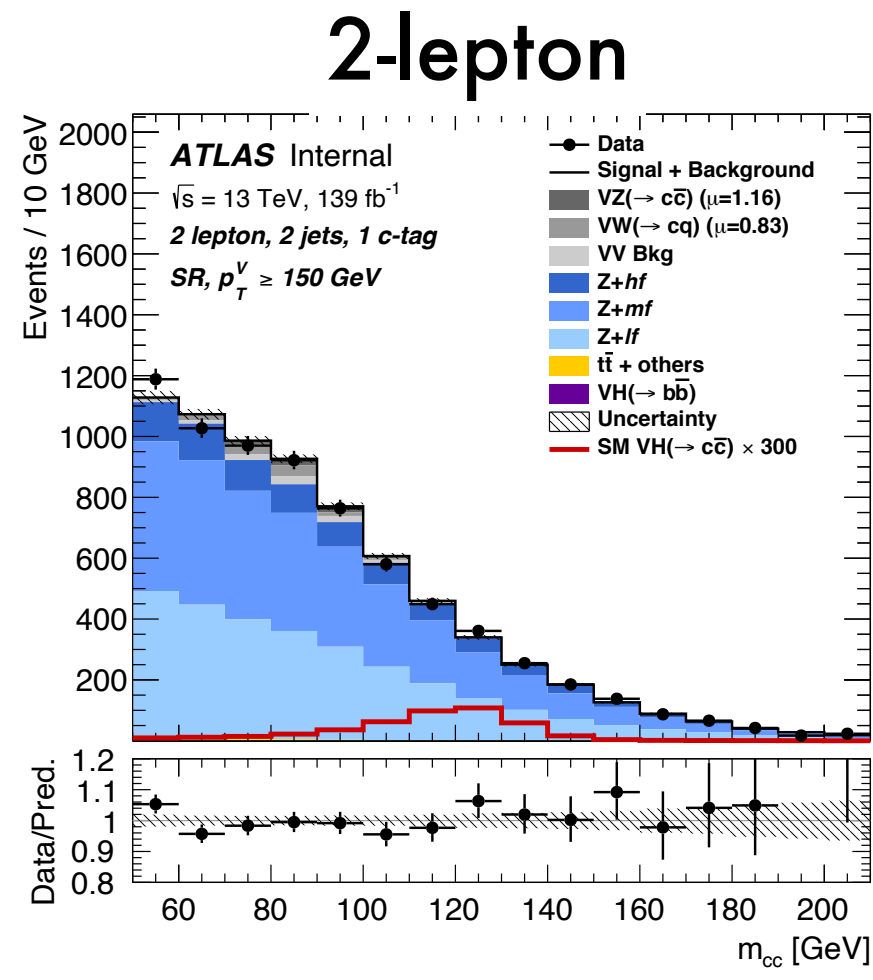
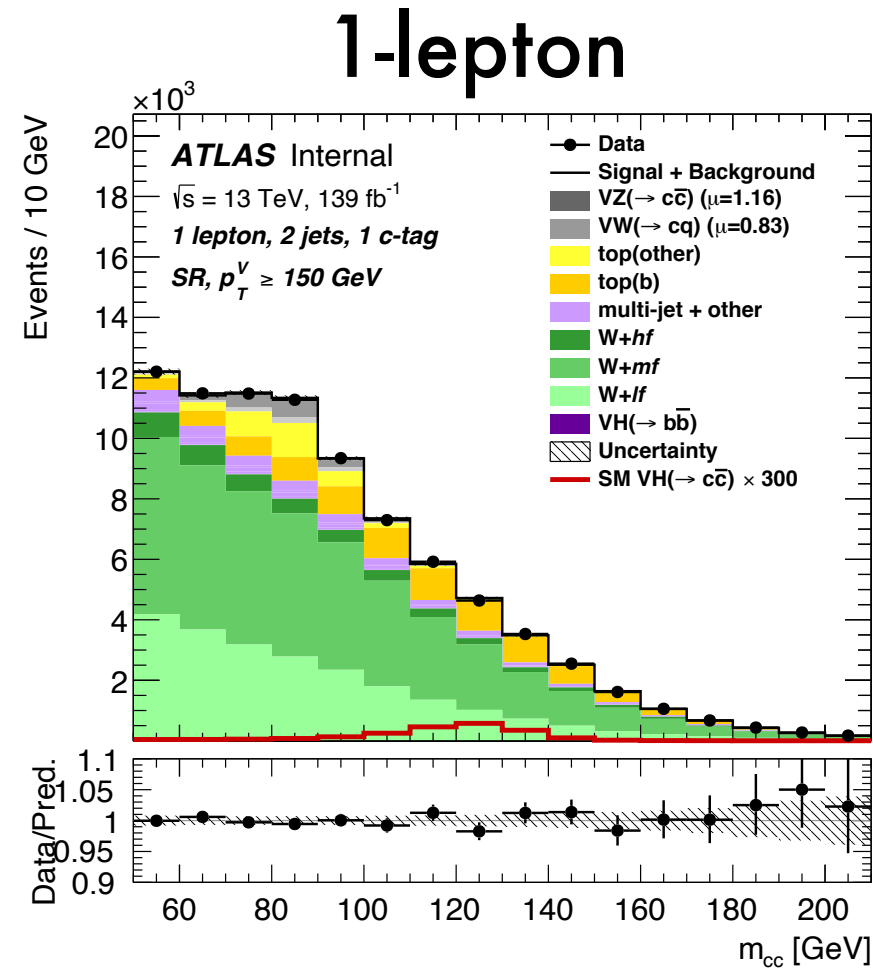
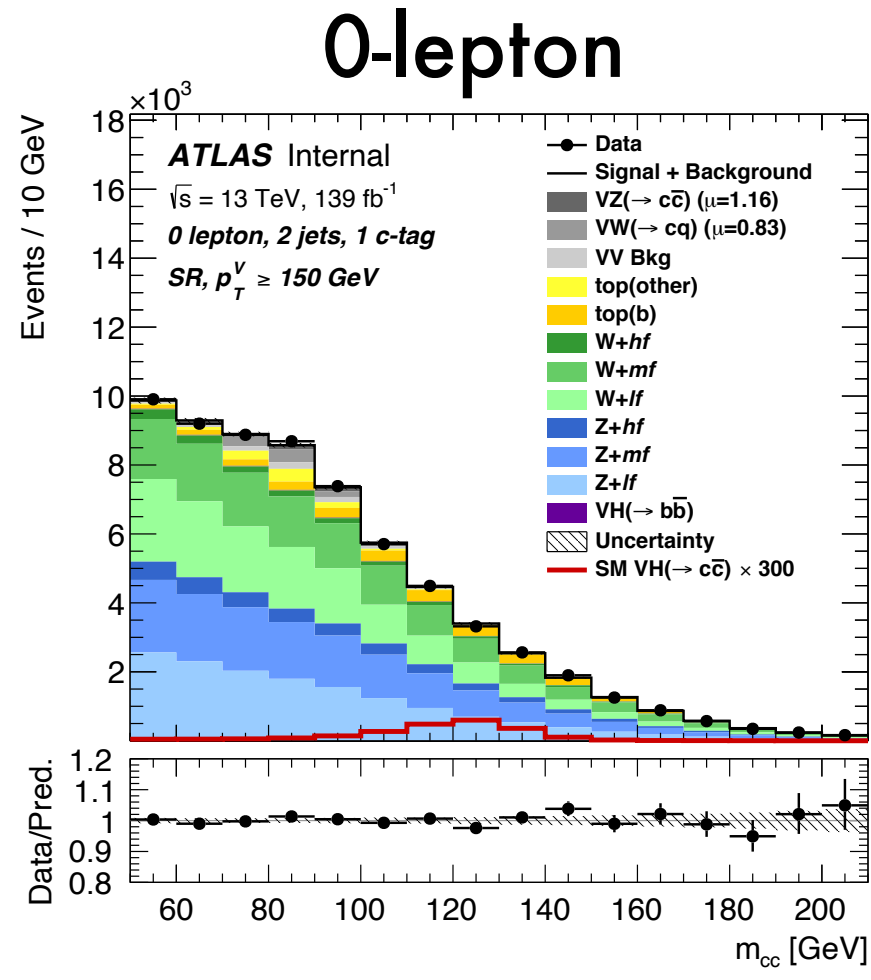
Difference between nominal and alternative MC generators taken as uncertainty:

- **Normalisation uncertainties:** relative difference on total yield predictions
 - Applied to subdominant processes (i.e. Diboson, VH): phase space acceptance
- **Acceptance ratios:** relative differences in predictions for categories
 - pTV and Njet
- **Flavour composition ratios:** different flavour / processes predictions per categories
- **Channel extrapolations:** different predictions per channel
- **SR / CR extrapolation:** different predictions per region
- **M(cc) Shape uncertainties:** account for differences in binned m(cc) distribution prediction
- In addition: theory uncertainties for cross-section and branching fraction for VH(cc)

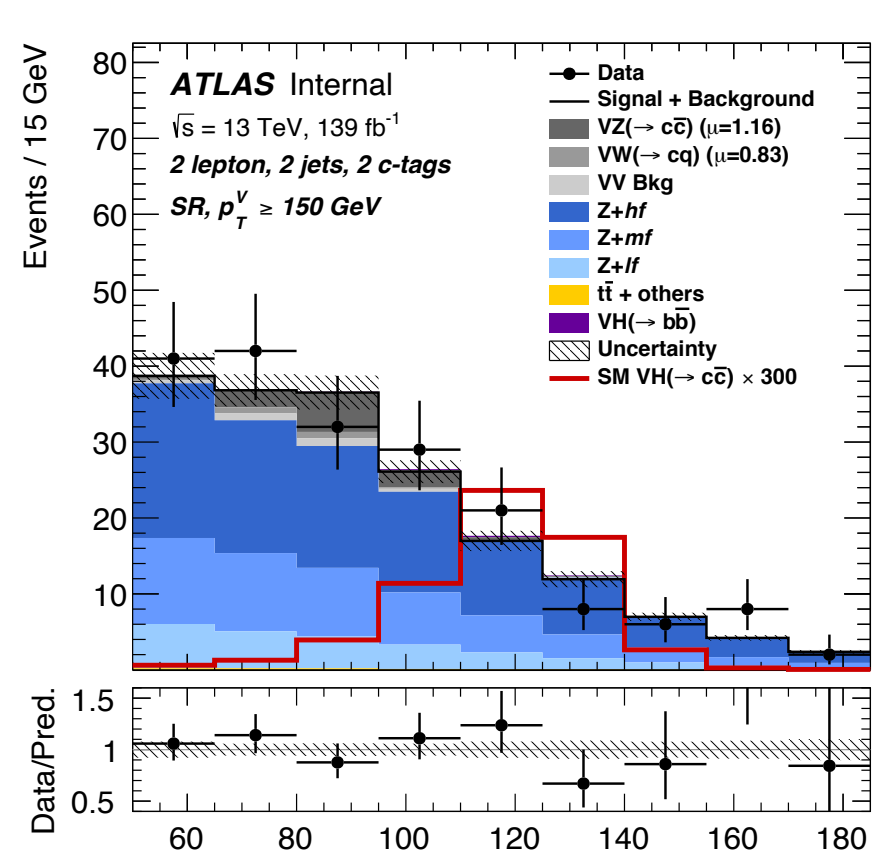
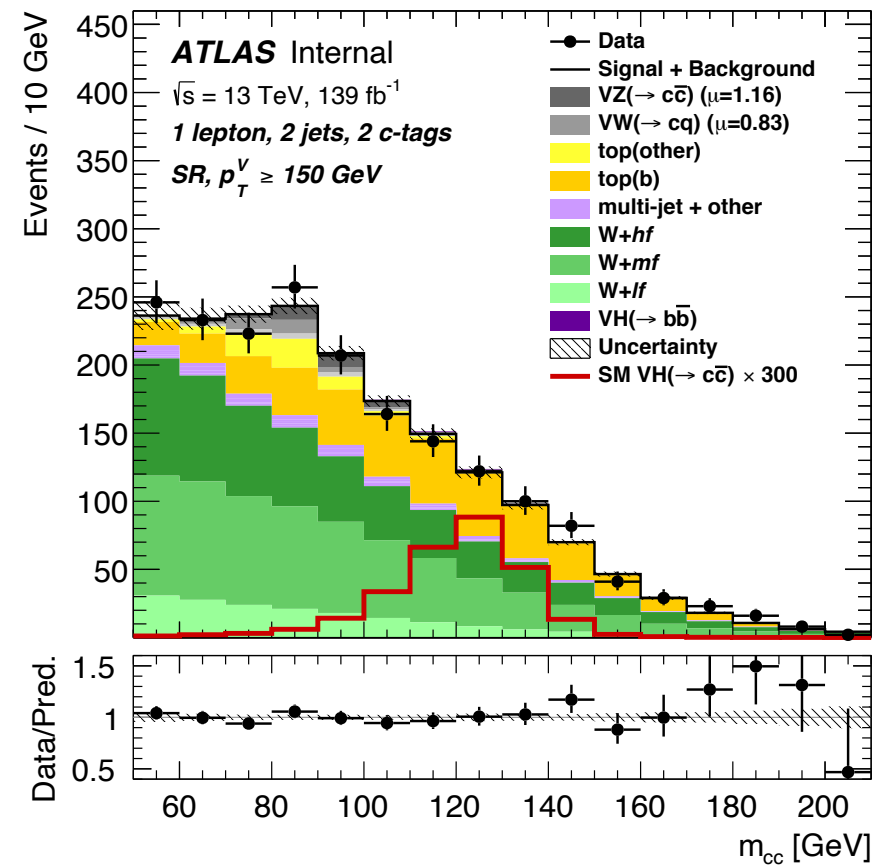
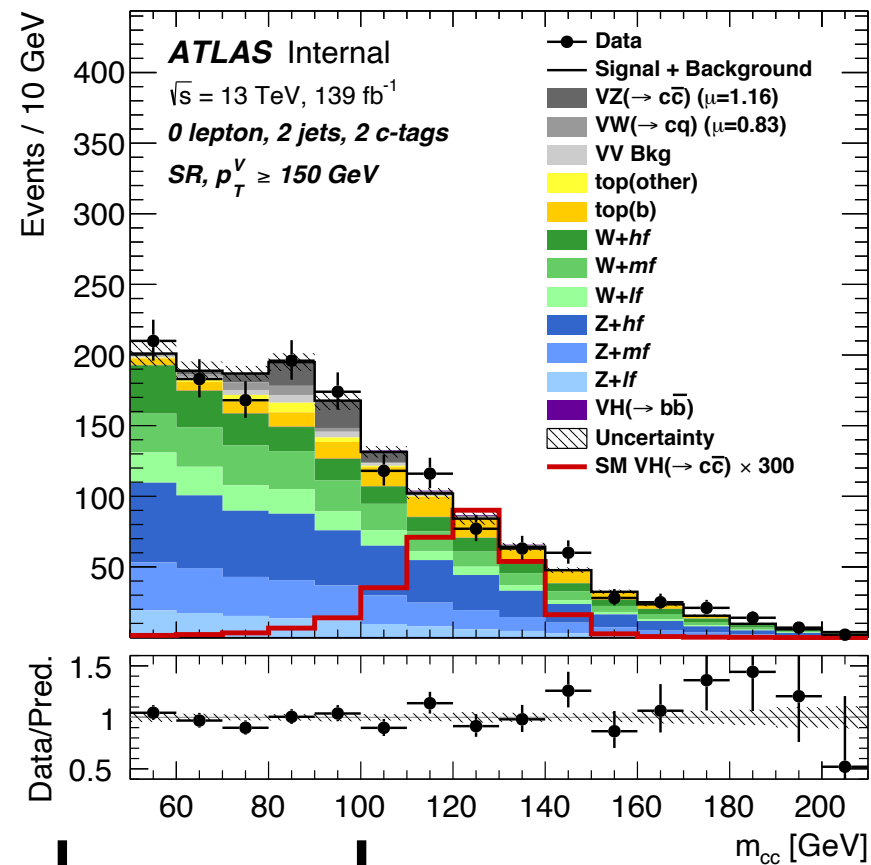
Signal region: example

2 jets, $p_{TV} > 150$ GeV

1 c-tag



2 c-tag



Process	Label	Description
Z+(bb,cc)	Z+hf	Heavy flavours
Z+(cl,bl,bc)	Z+mf	Mixed flavours
Z+(ll)	Z+lf	Light flavours
W+(bb,cc)	W+hf	Heavy flavours
W+(cl,bl,bc,bτ,cτ)	W+mf	Mixed flavours
W+(ll,lτ)	W+lf	Light flavours
t t-bar + Wt	top(b)	≥1 b-jet
	top(other)	0 b-jet

Main backgrounds

- 0-lepton: Z+hf, Z+mf, Z+lf, W+hf, W+mf, W+lf, top(b), top(other)
- 1-lepton: W+hf, W+mf, W+lf, top(b), top(other)
- 2-lepton: Z+hf, Z+mf, Z+l

Subdominant backgrounds: VH(bb), single top s+t, QCD multi-jets, diboson (non c-jets)

Signal: VH(cc), VW(cq) and VZ(cc)

Background modelling

Floating normalisations:

- Heavy flavour: Zhf and Whf
- Mixed flavour: Zmf and Wmf
- Light flavour: Zlf and Wlf
- top(b) and top(other) (0- and 1-lepton)
- ttbar (2-lepton)

Acceptance, flavour and channel ratios:

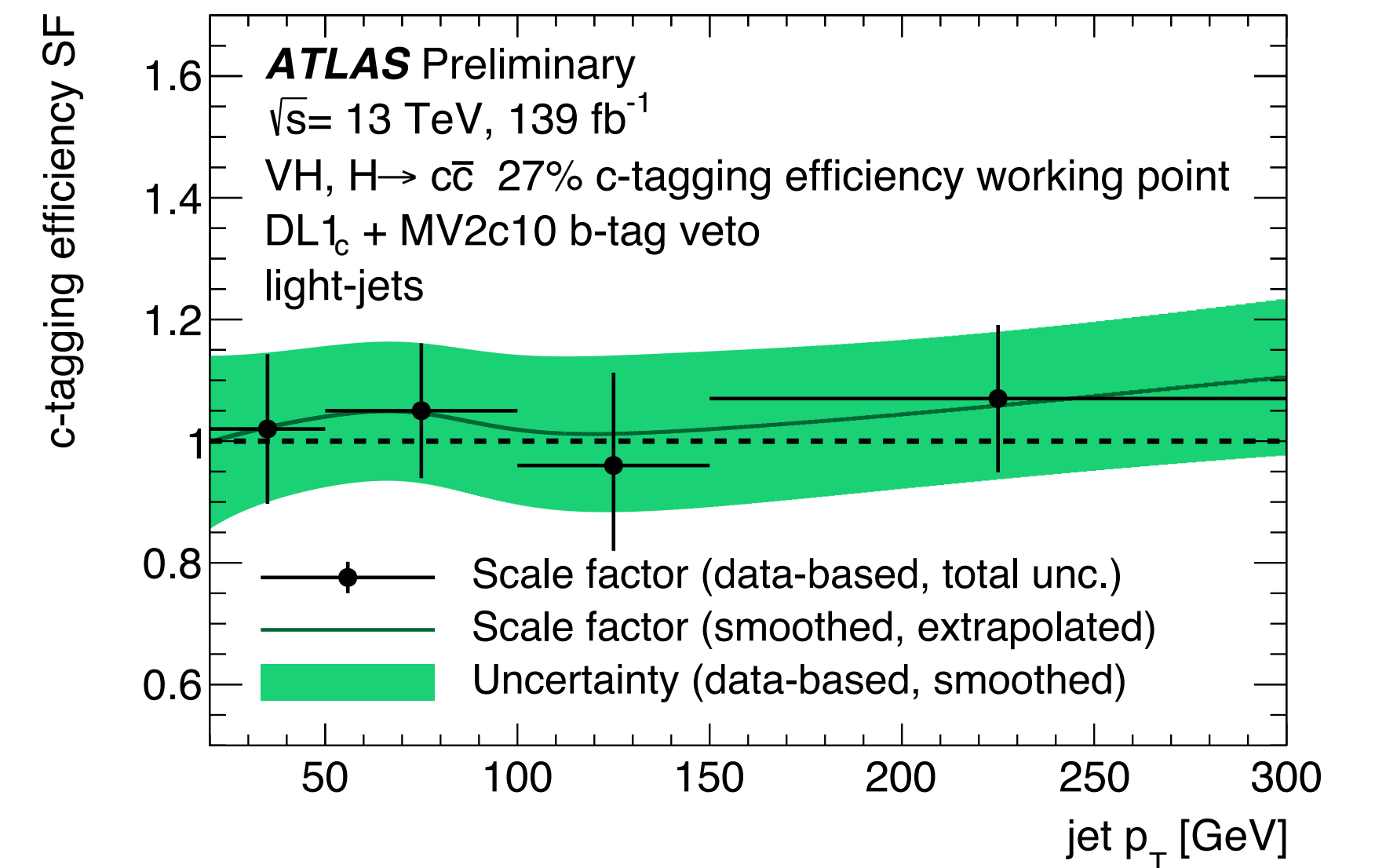
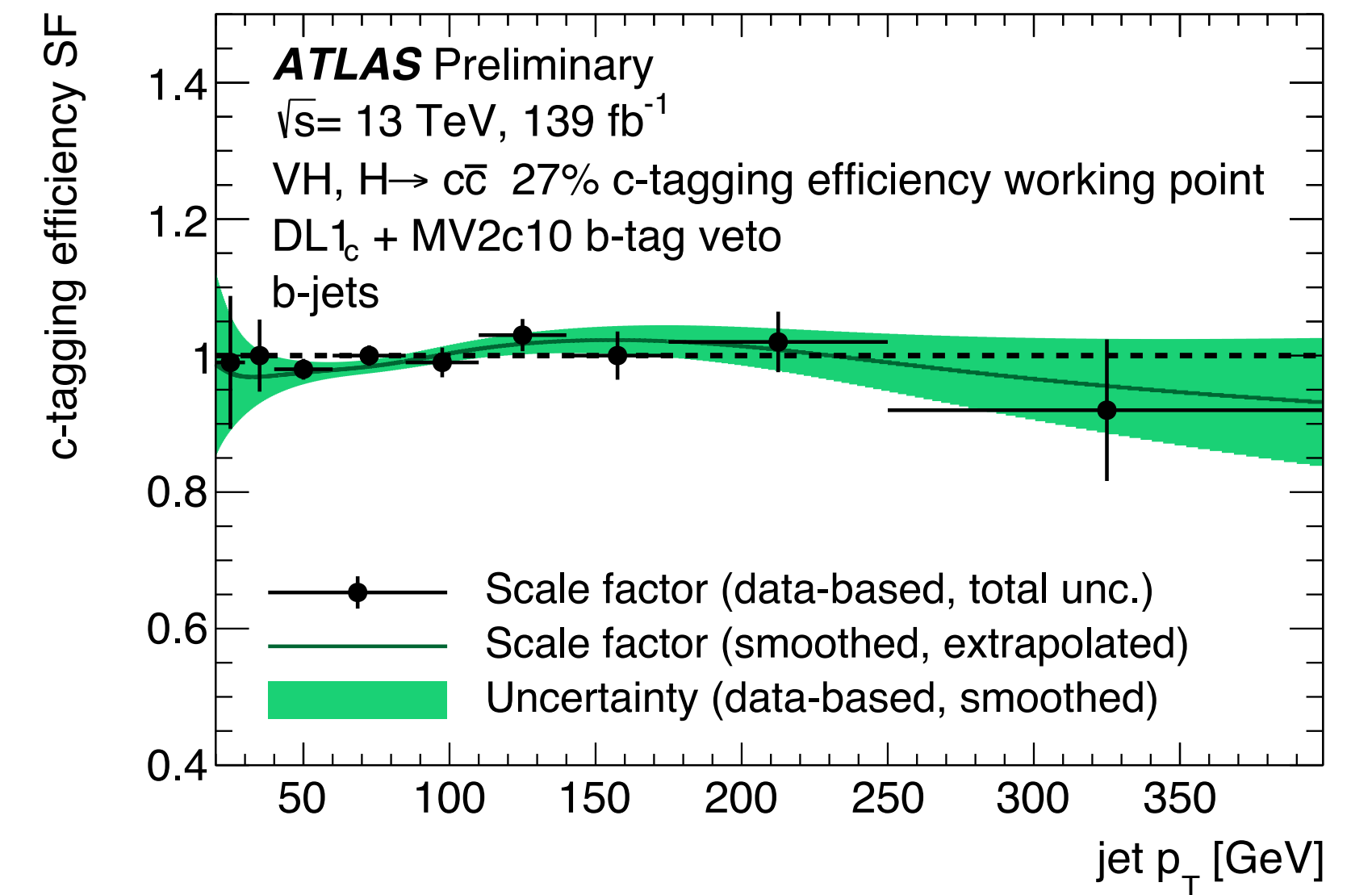
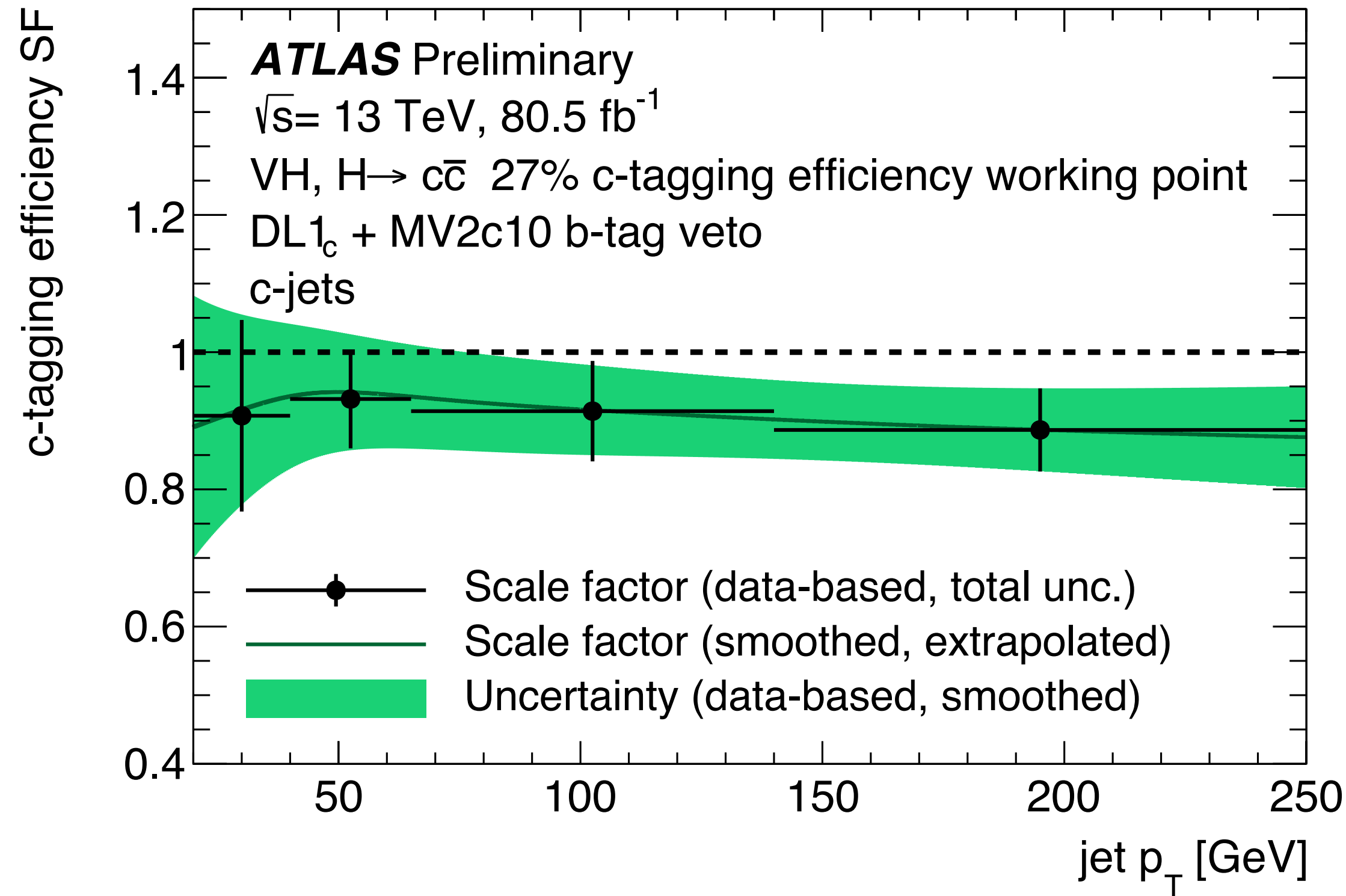
- pTV (2-lepton): high pTV / low pTV
- Njet: 3 jets / 2 jets for V+jets and 2 jets / 3 jets for ttbar
- Flavour composition:
 - bb / cc, bl / cl, bc / cl for W+jets and Z+jets
 - bτ / cl, cτ / cl, lτ / l for W+jets
 - Wt / ttbar for top(b)
 - SR / top CR, high ΔR CR / SR
 - Channel: 0-lepton / 1-lepton, 0-lepton / 2-lepton

Shape uncertainties: on m(cc) for each bkg subcomponent

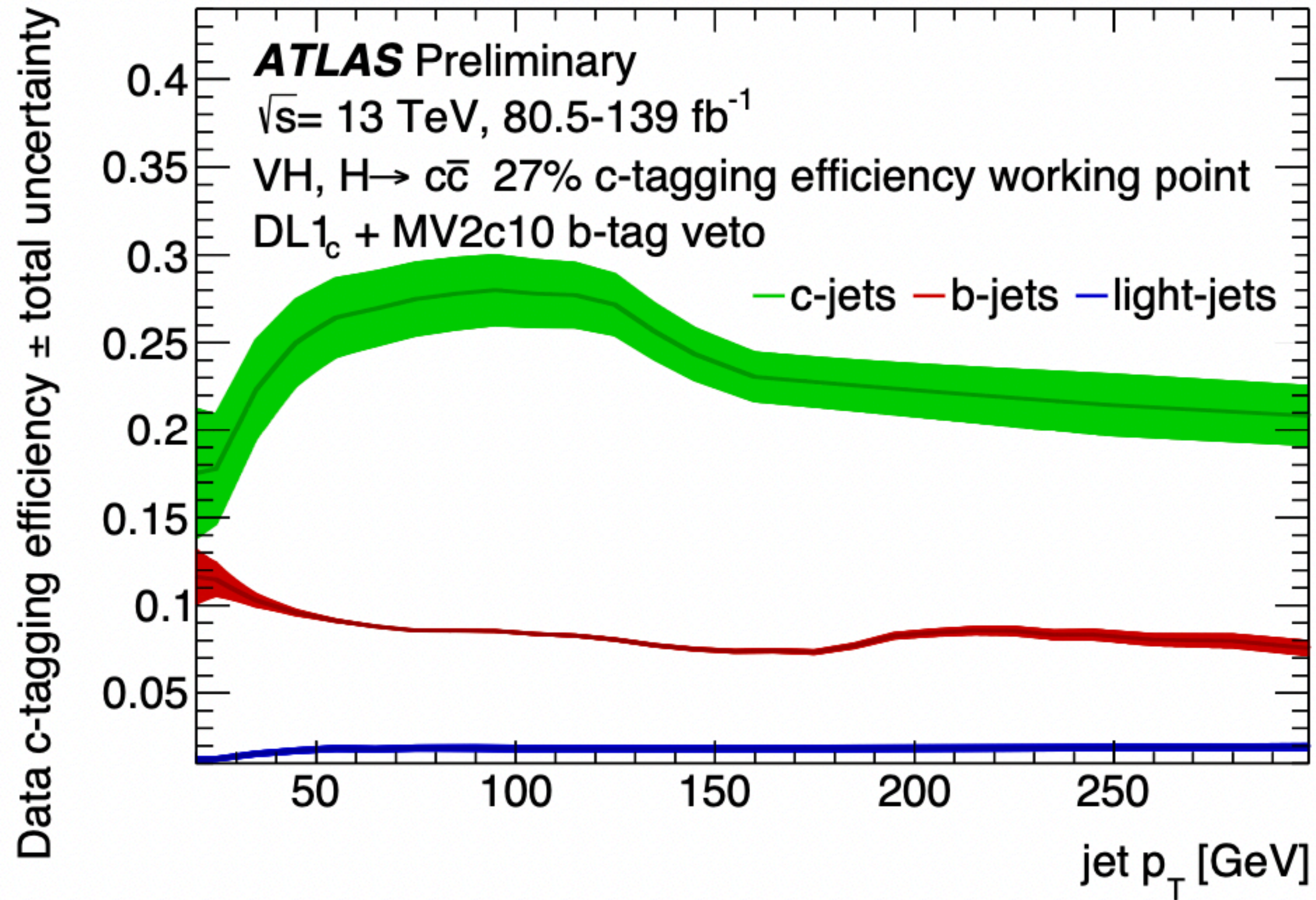
Data driven: QCD multi-jets in 1-lepton

VH(→ b\bar{b})	
WH(→ b \bar{b}) normalisation	27%
ZH(→ b \bar{b}) normalisation	25%
Diboson	
WW/ZZ/WZ acceptance	10/5/12%
p _T ^V acceptance	4%
N _{jet} acceptance	7 – 11%
Z+jets	
Z+hf normalisation	Floating
Z+mf normalisation	Floating
Z+lf normalisation	Floating
Z + bb to Z + cc ratio	20%
Z + bl to Z + cl ratio	18%
Z + bc to Z + cl ratio	6%
p _T ^V acceptance	1 – 8%
N _{jet} acceptance	10 – 37%
High ΔR CR to SR	12 – 37%
0- to 2-lepton ratio	4 – 5%
W+jets	
W+hf normalisation	Floating
W+mf normalisation	Floating
W+lf normalisation	Floating
W + bb to W + cc ratio	4 – 10 %
W + bl to W + cl ratio	31 – 32 %
W + bc to W + cl ratio	31 – 33 %
W → τν(+c) to W + cl ratio	11%
W → τν(+b) to W + cl ratio	27%
W → τν(+l) to W + l ratio	8%
N _{jet} acceptance	8 – 14%
High ΔR CR to SR	15 – 29%
W → τν SR to high ΔR CR ratio	5 – 18%
0- to 1-lepton ratio	1 – 6 %
Top quark (0- and 1-lepton)	
top(b) normalisation	Floating
top(other) normalisation	Floating
N _{jet} acceptance	7 – 9%
0- to 1-lepton ratio	4%
SR/top CR acceptance (t \bar{t})	9%
SR/top CR acceptance (Wt)	16%
Wt / t \bar{t} ratio	10%
Top quark (2-lepton)	
Normalisation	Floating
Multi-jet (1-lepton)	
Normalisation	20 – 100%

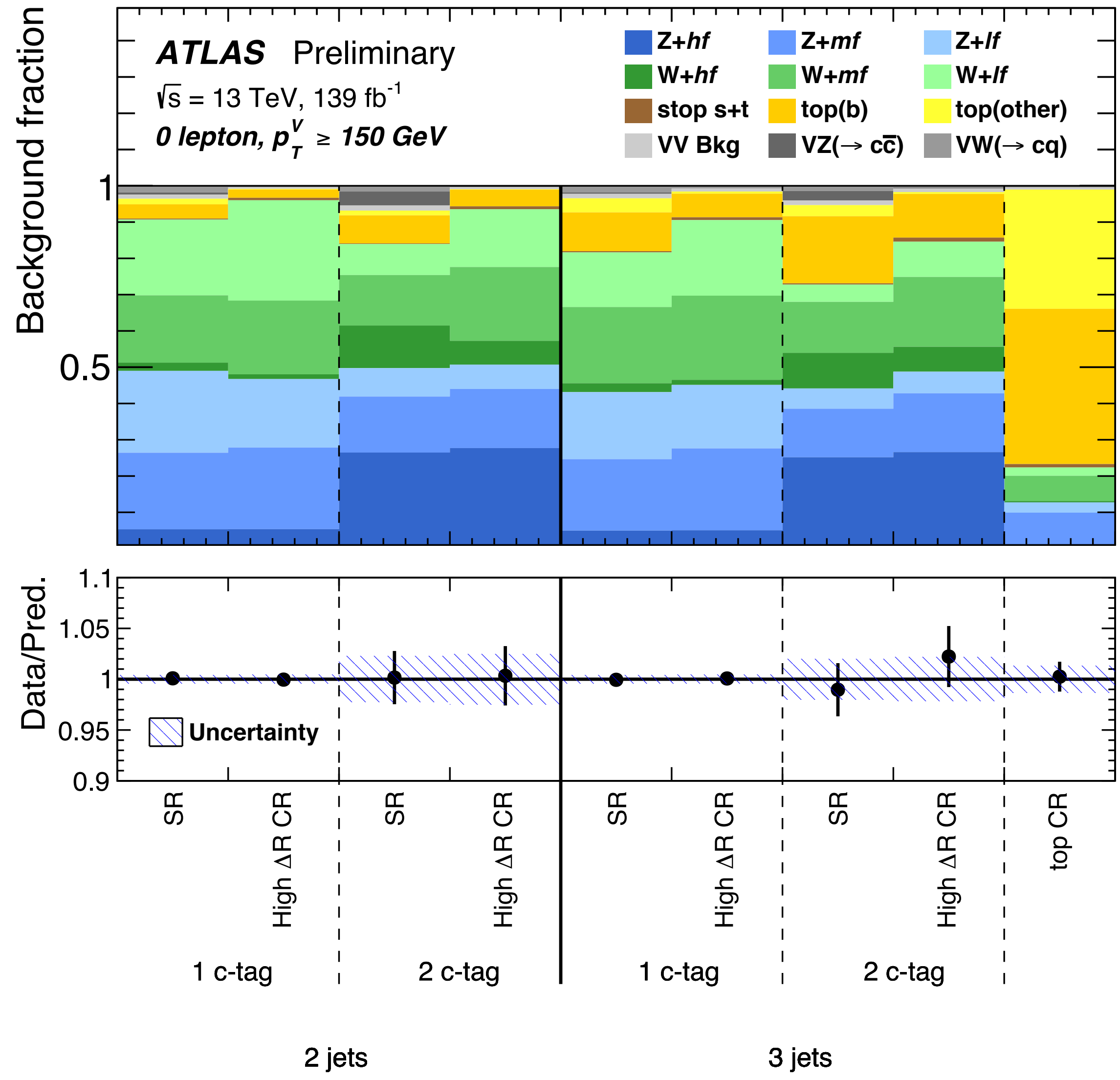
Charm tagging calibrations



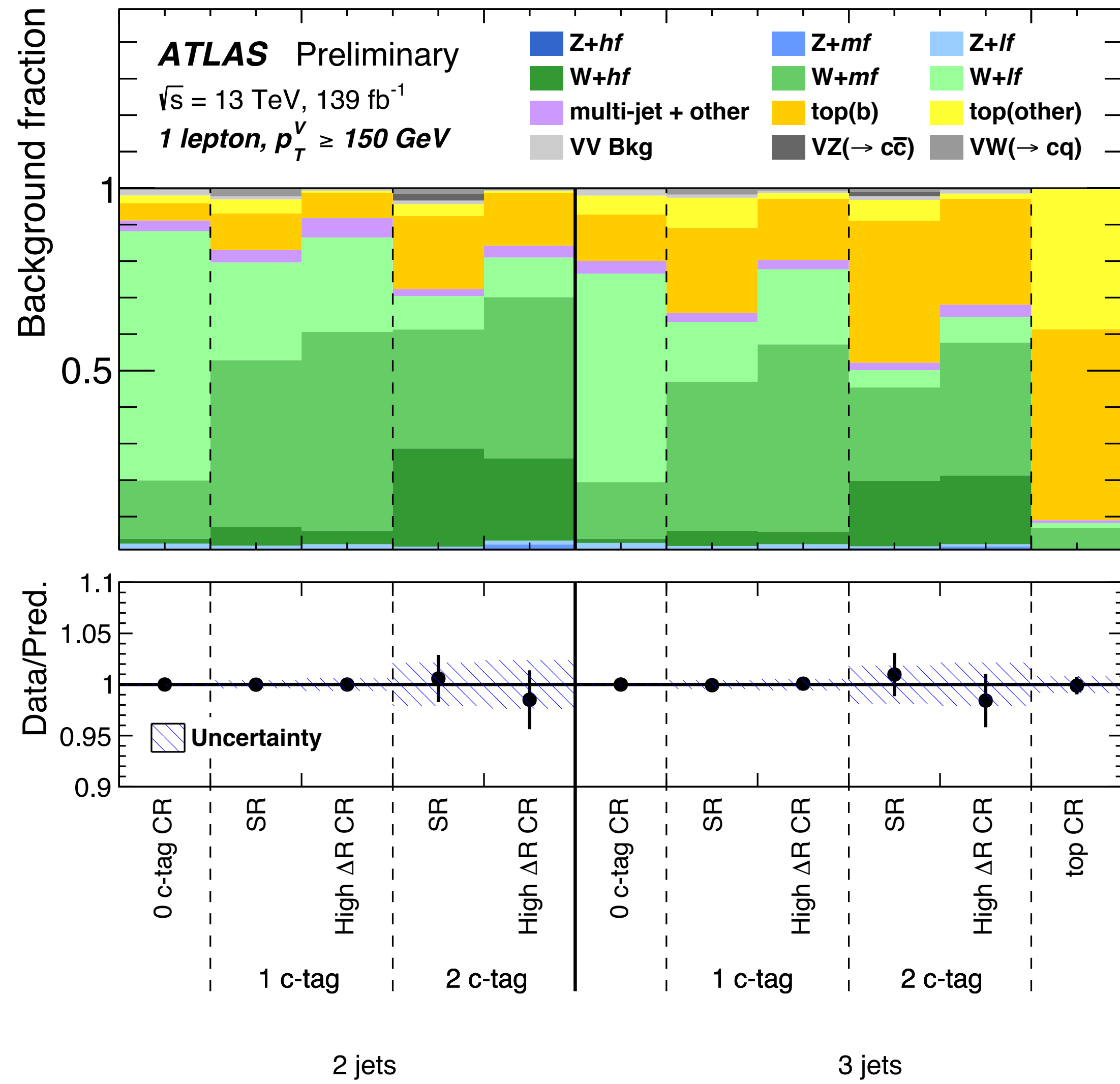
Charm tagging performance



Background composition plots: postfit 0-lepton



Background composition plots: postfit 1-lepton



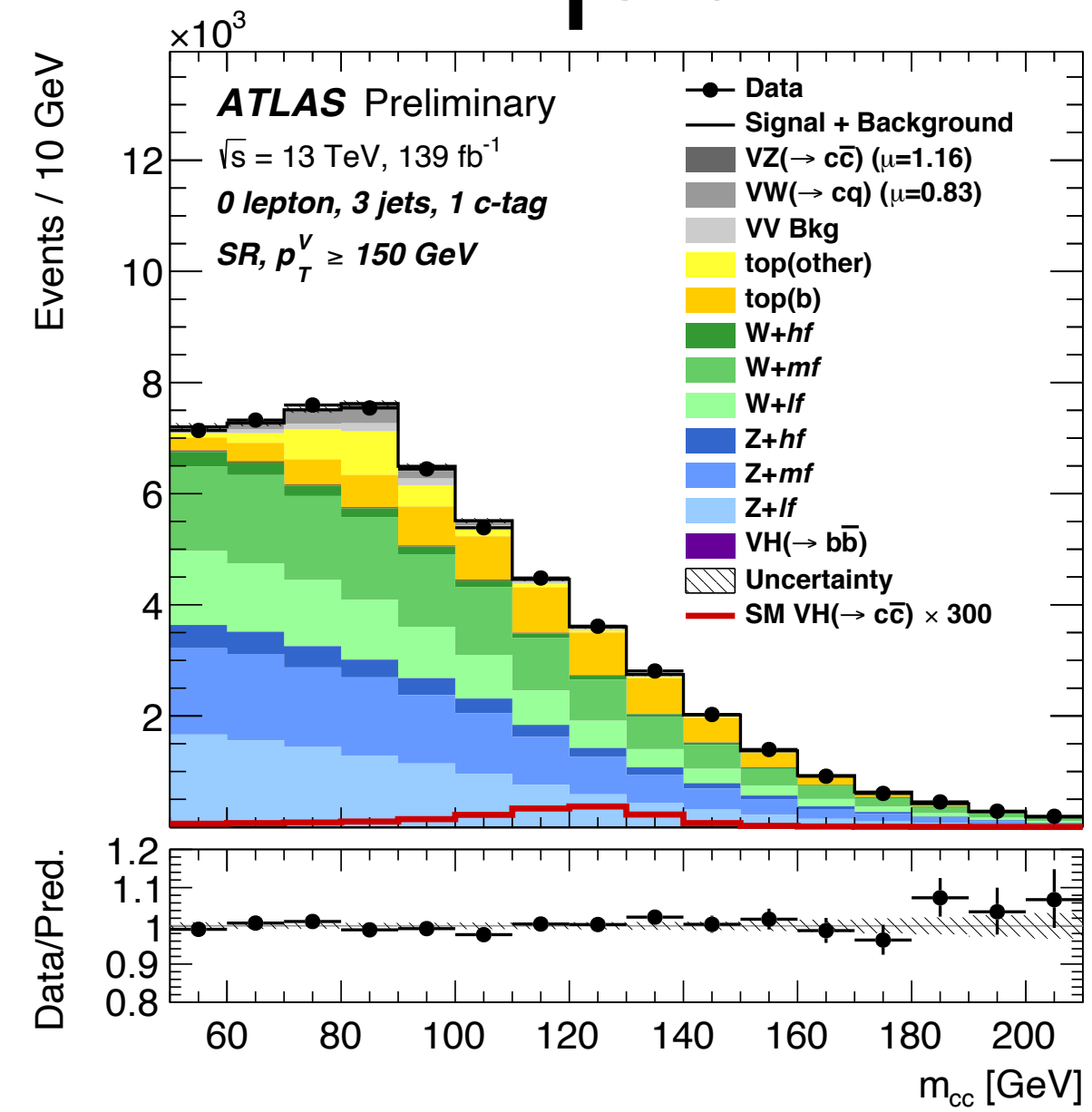
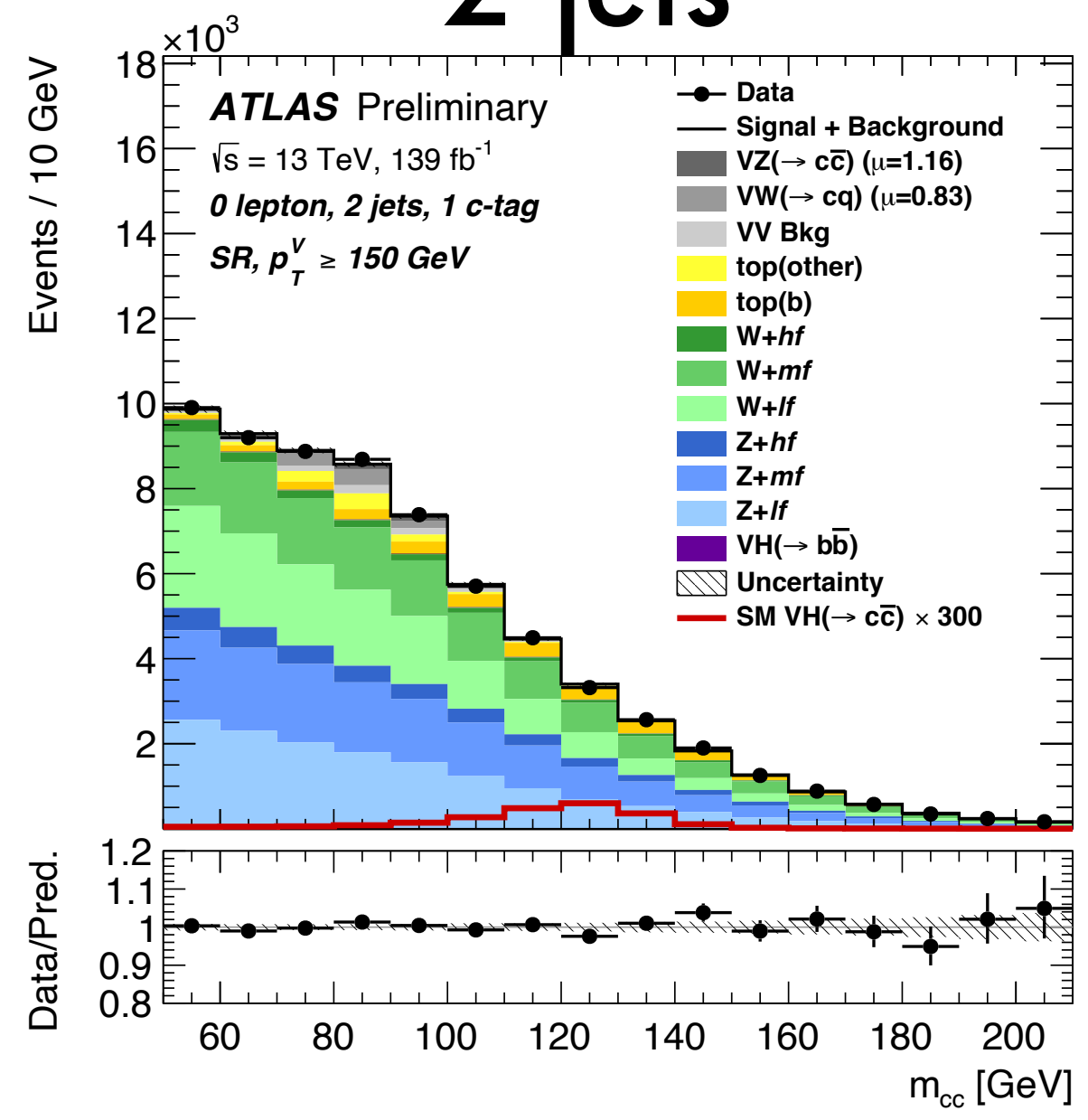
Postfit SR

Postfit distributions: 0-lepton

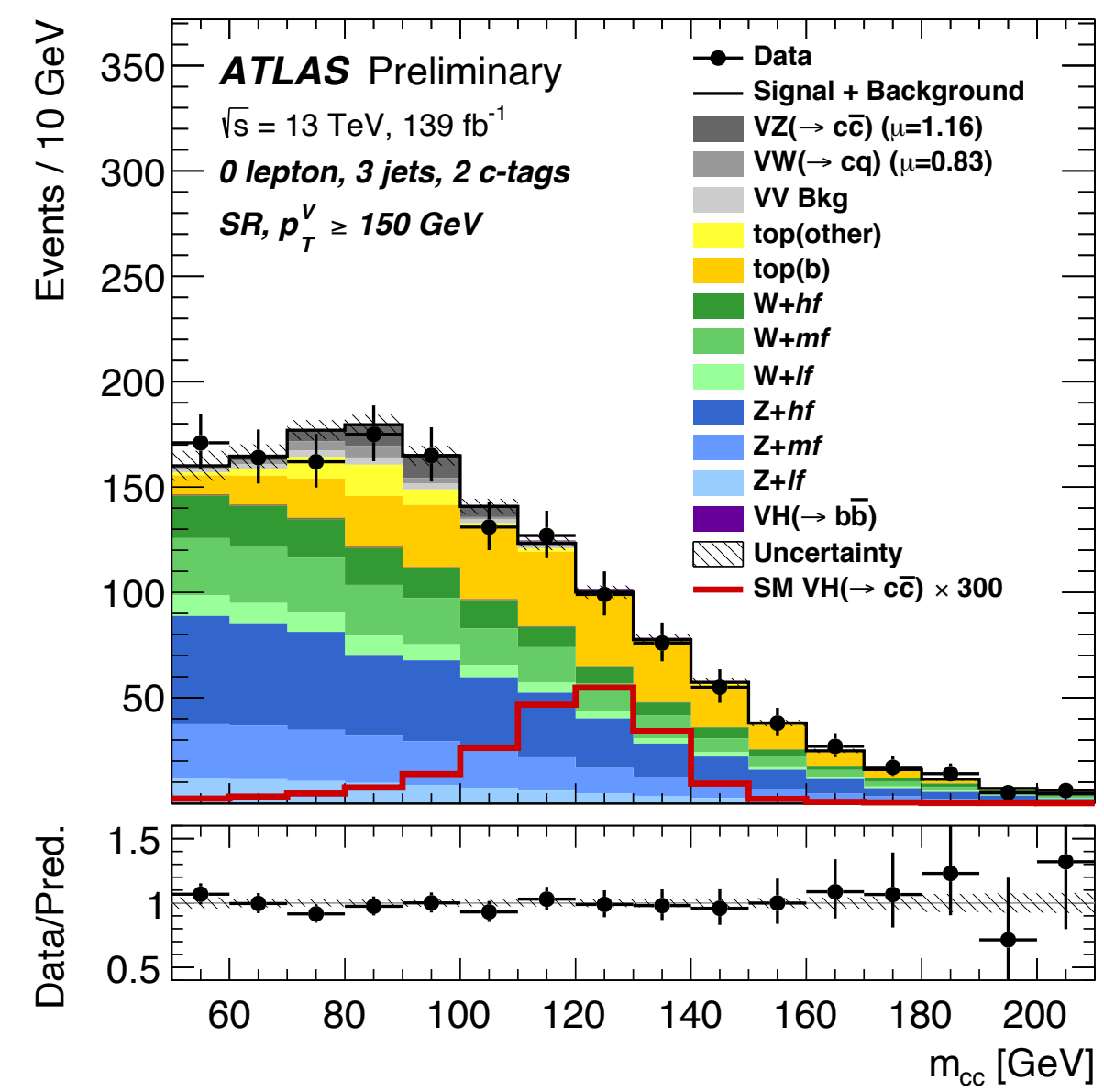
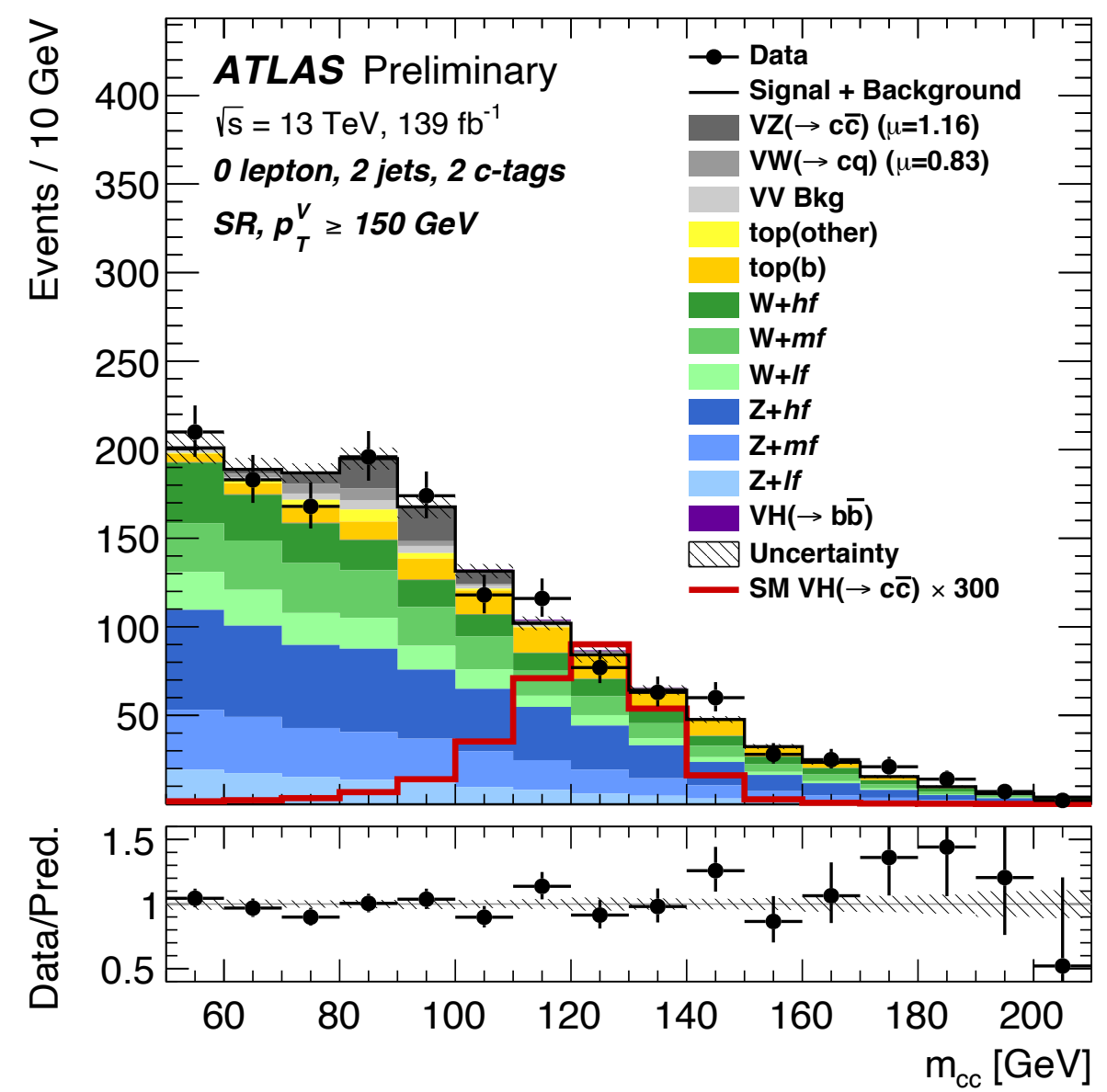
2 jets

3 jets

1 c-tag

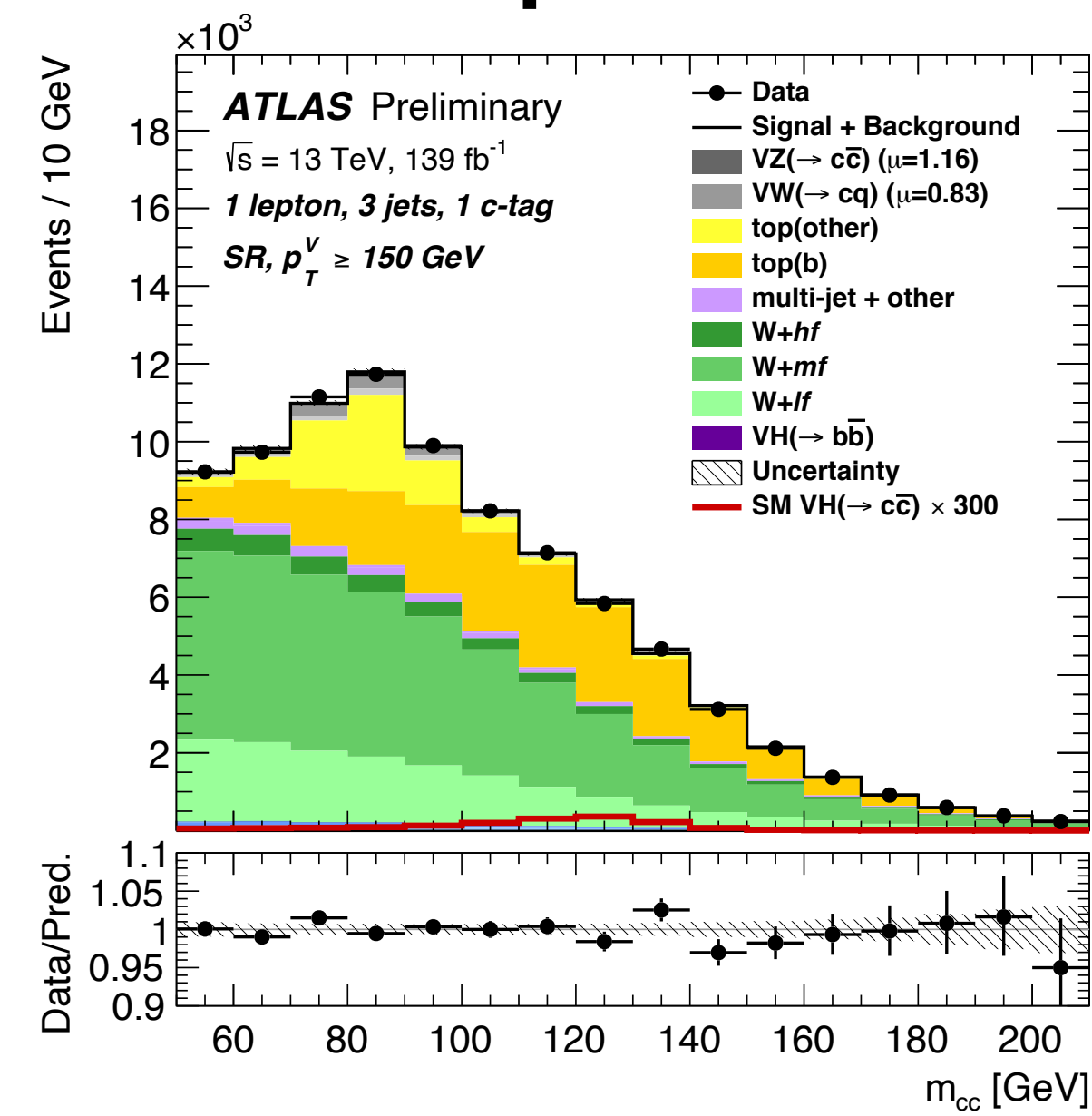
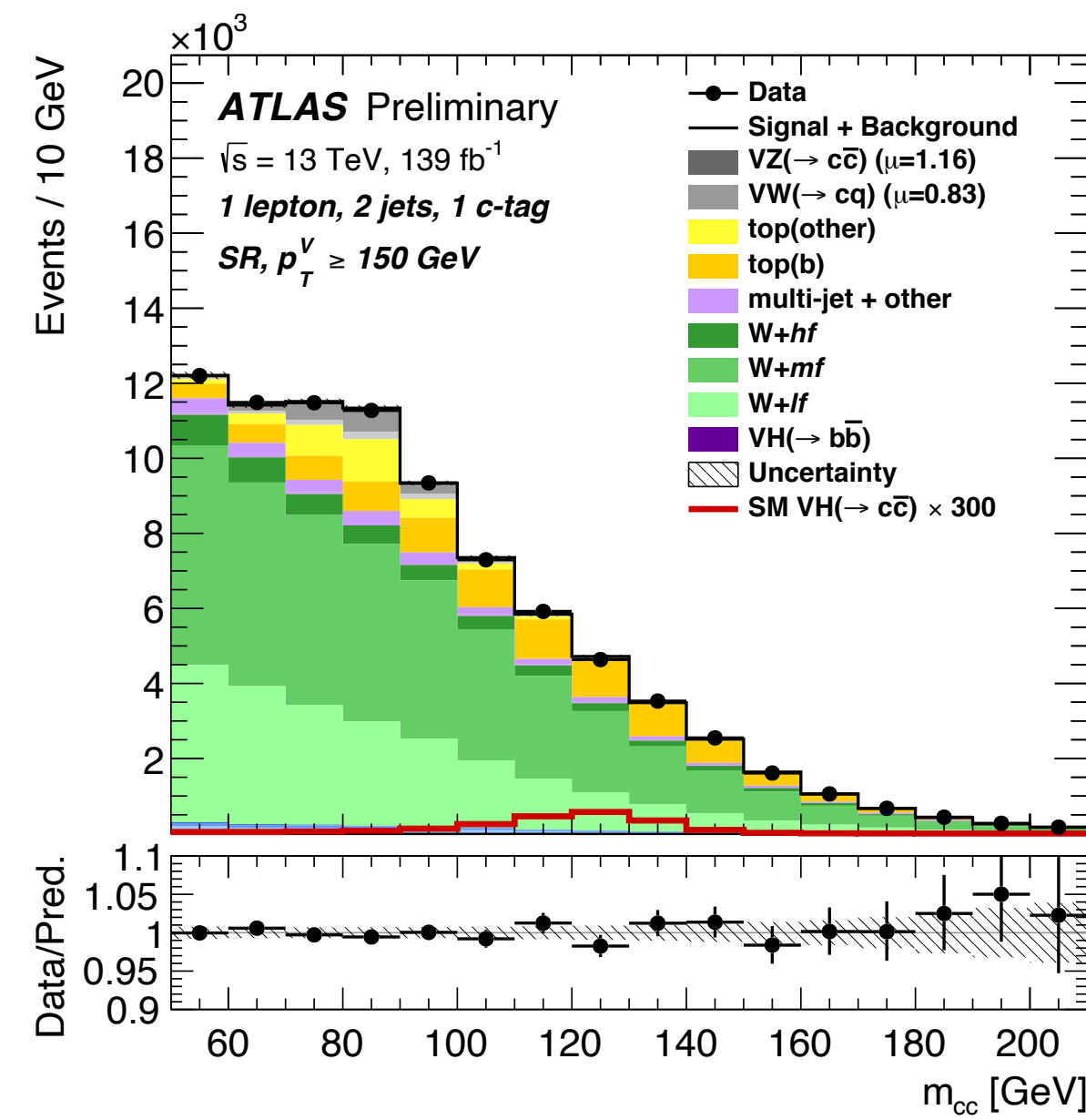


2 c-tag

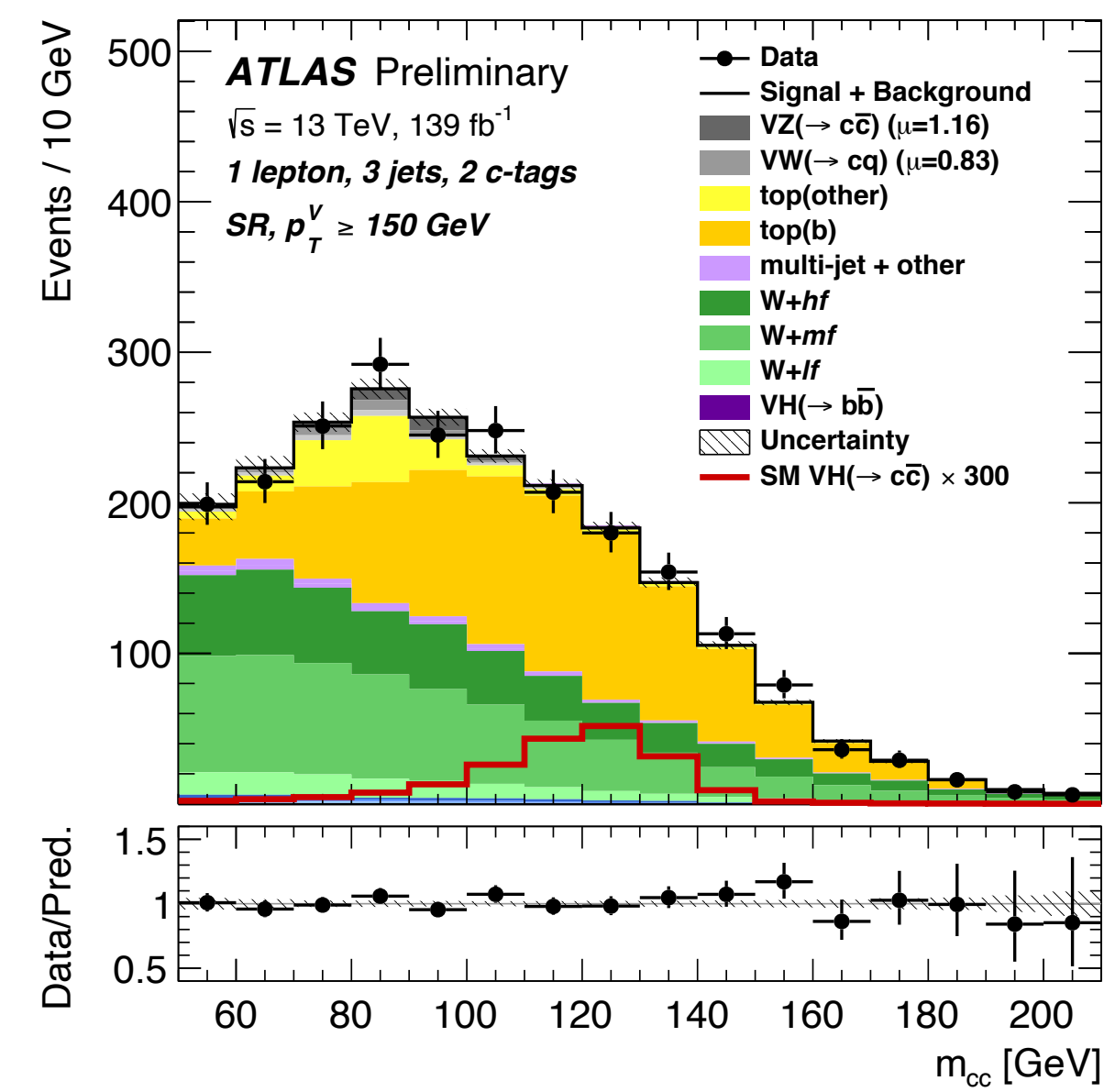
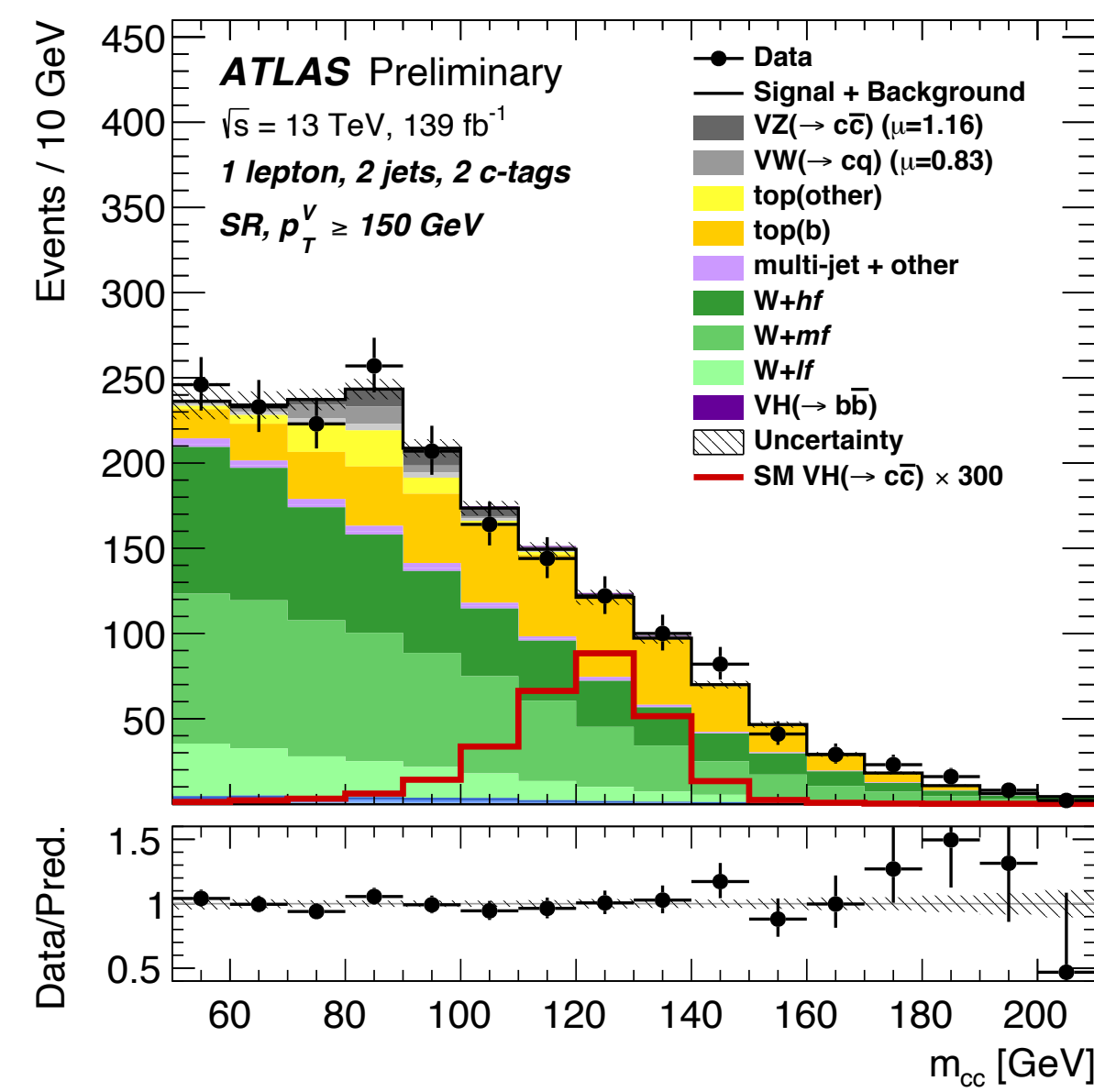


Postfit distributions: 1-lepton 2 jets 3 jets

1 c-tag



2 c-tag



Postfit distributions: 2-lepton

75 GeV < pTV < 150 GeV

2 jets

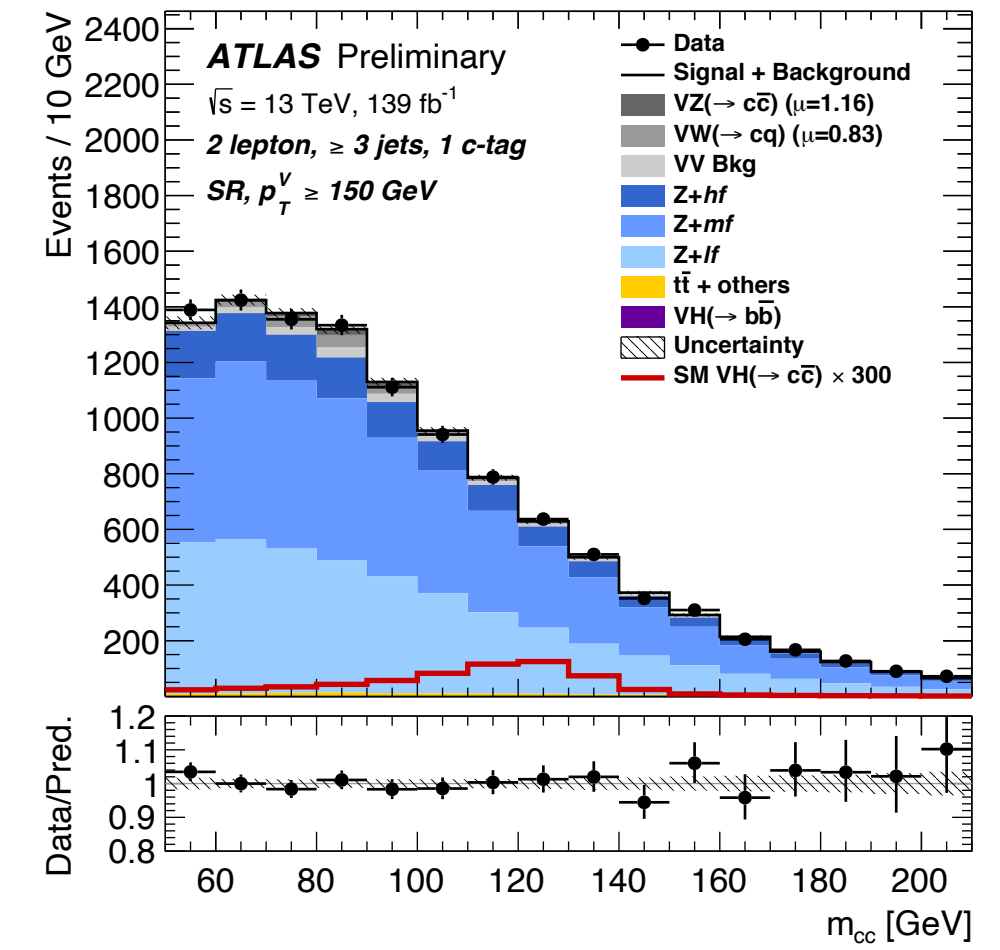
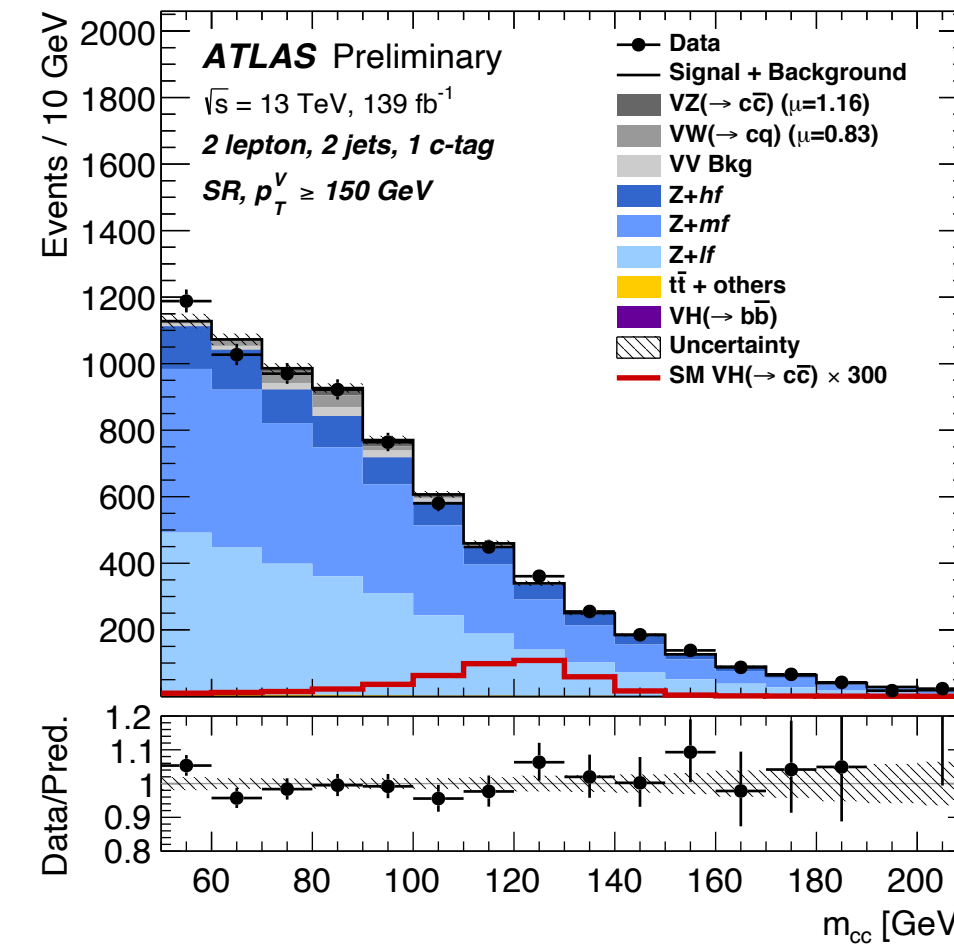
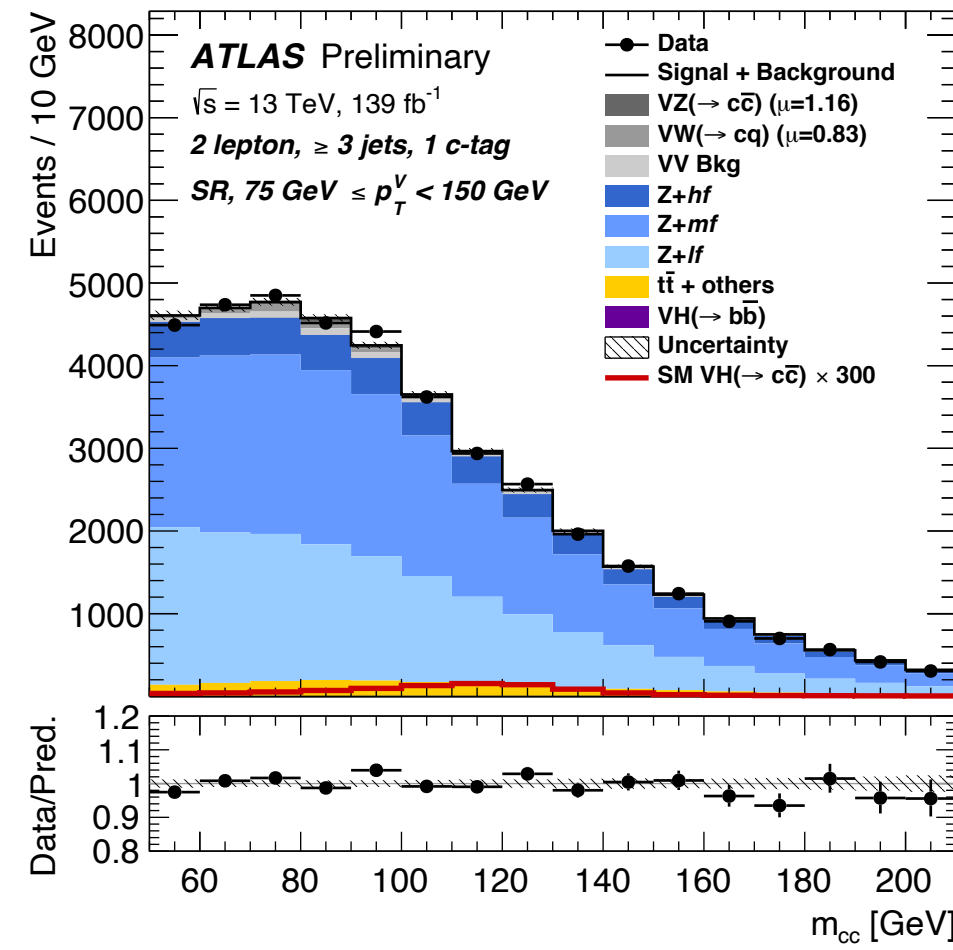
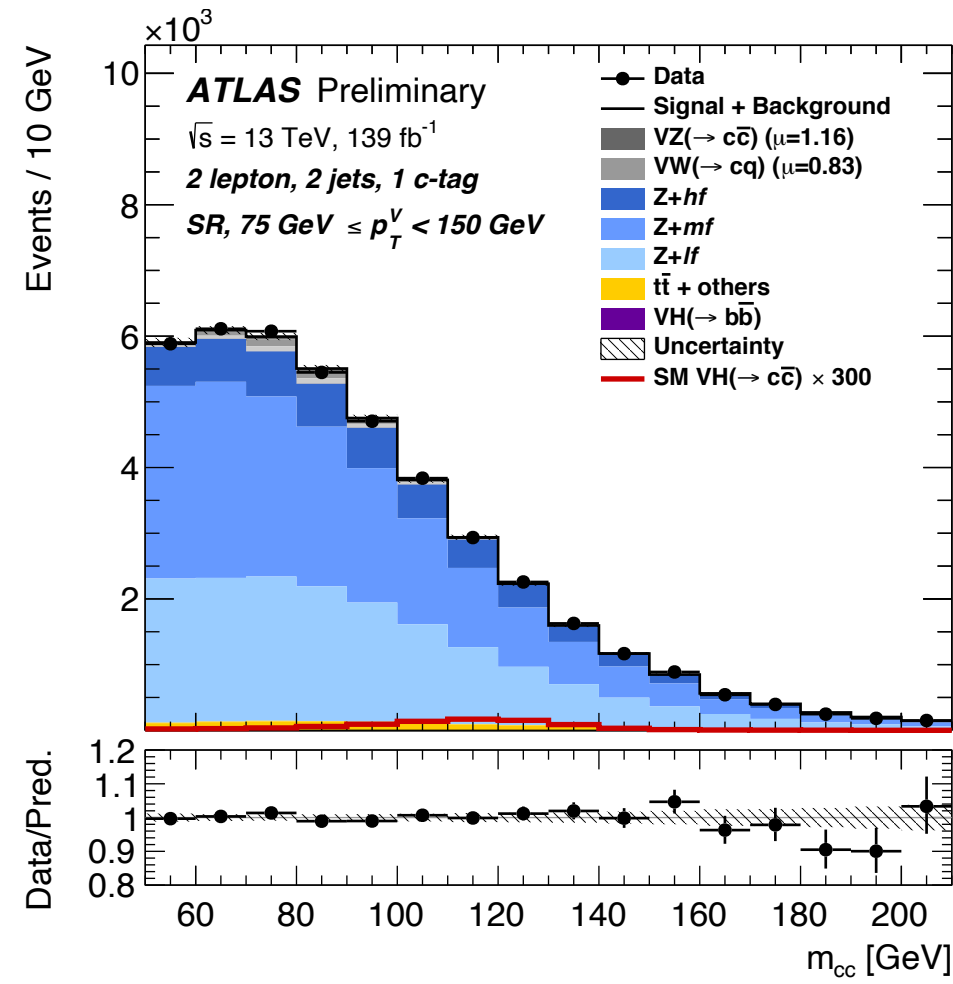
3+ jets

pTV > 150 GeV

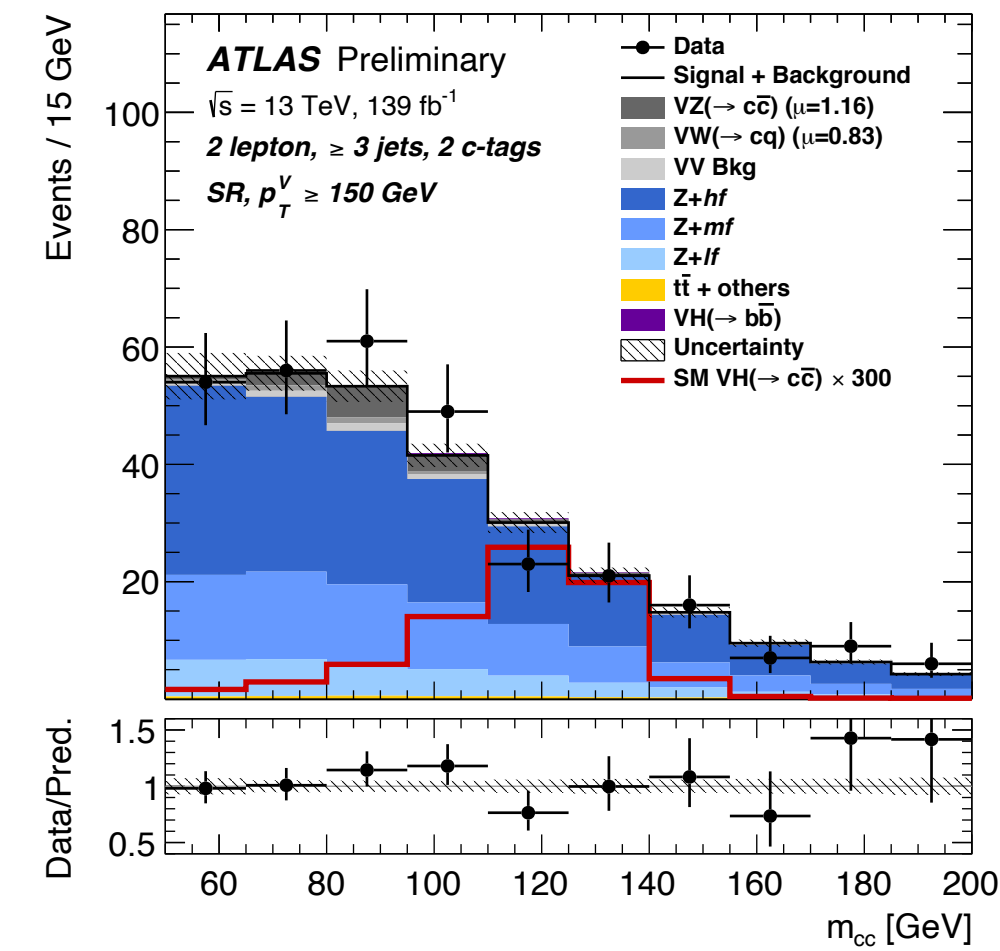
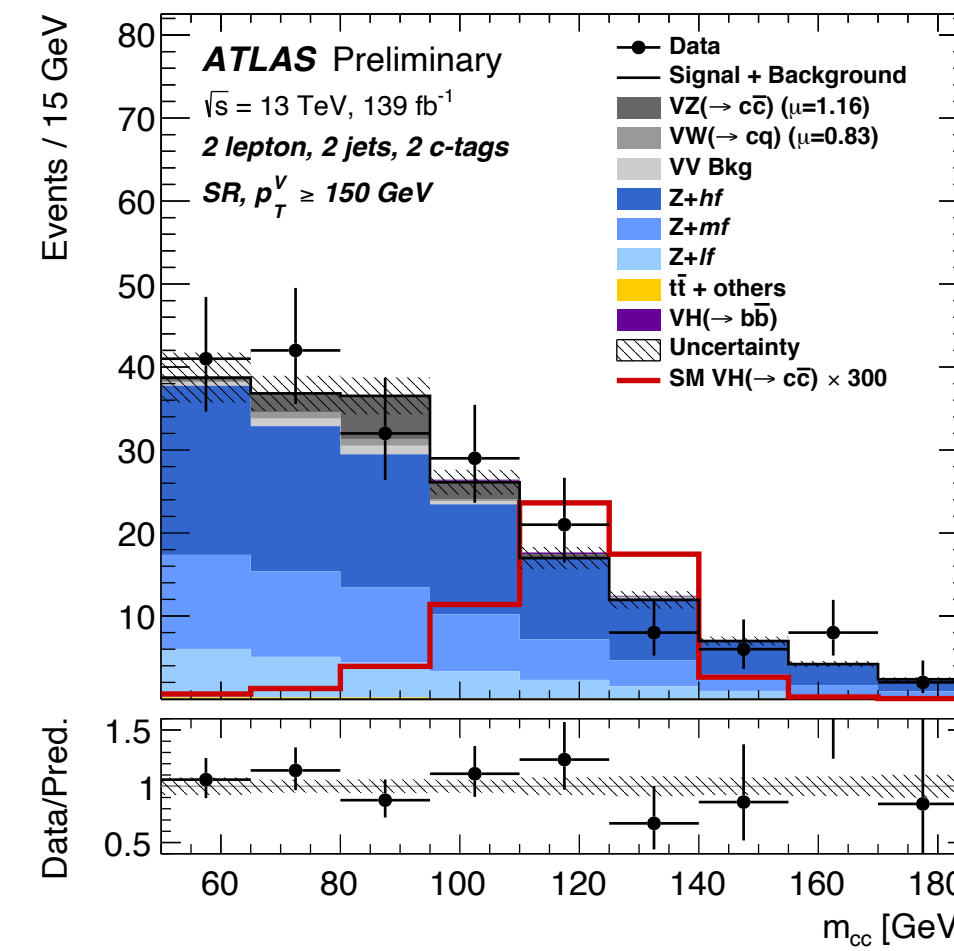
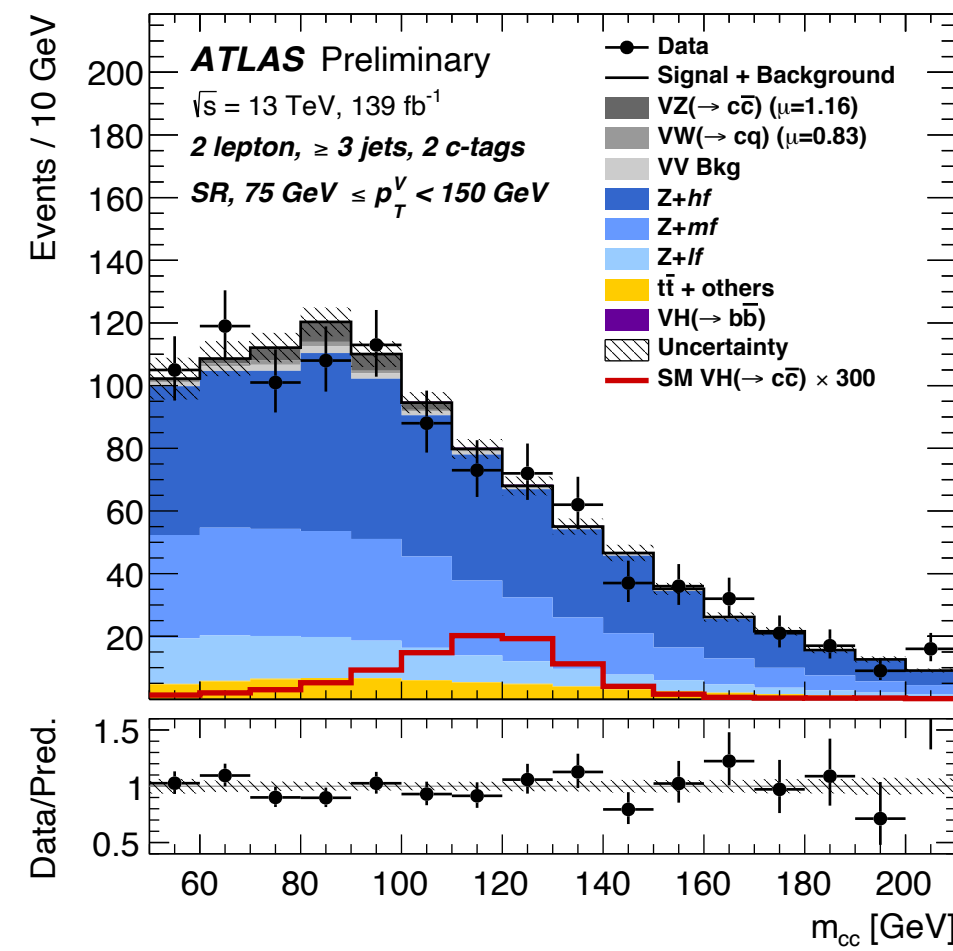
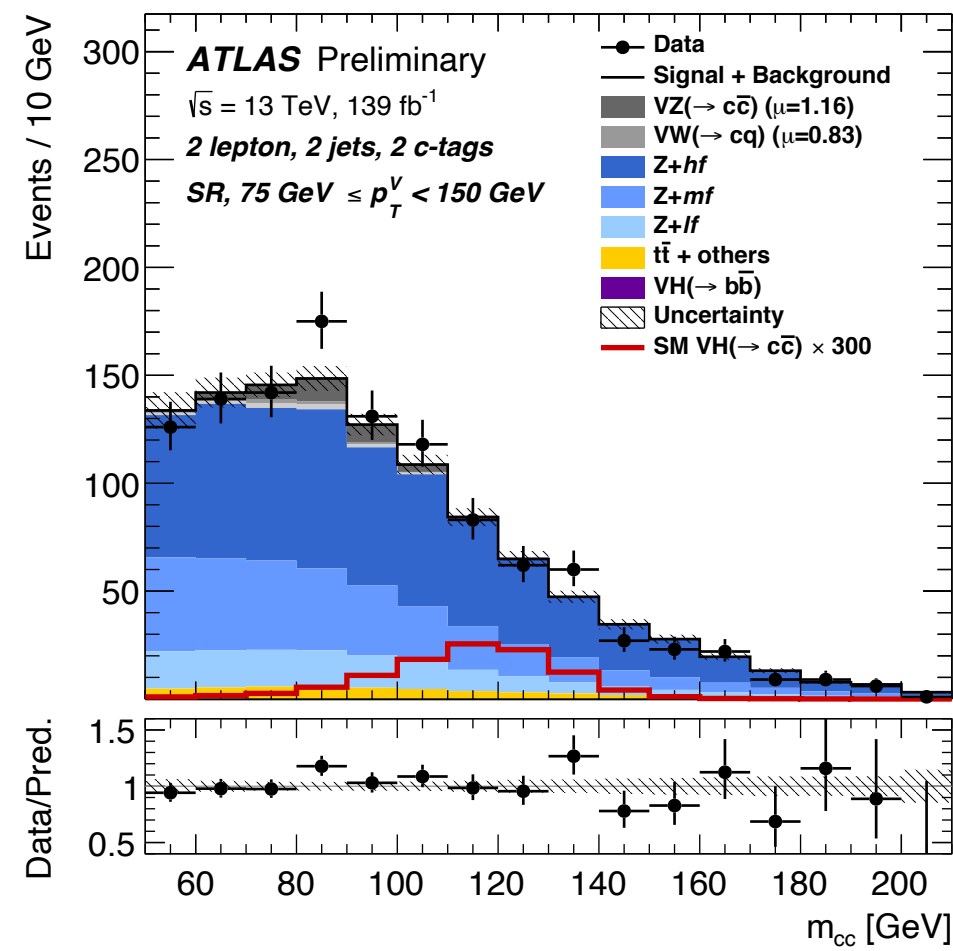
2 jets

3+ jets

1 c-tag



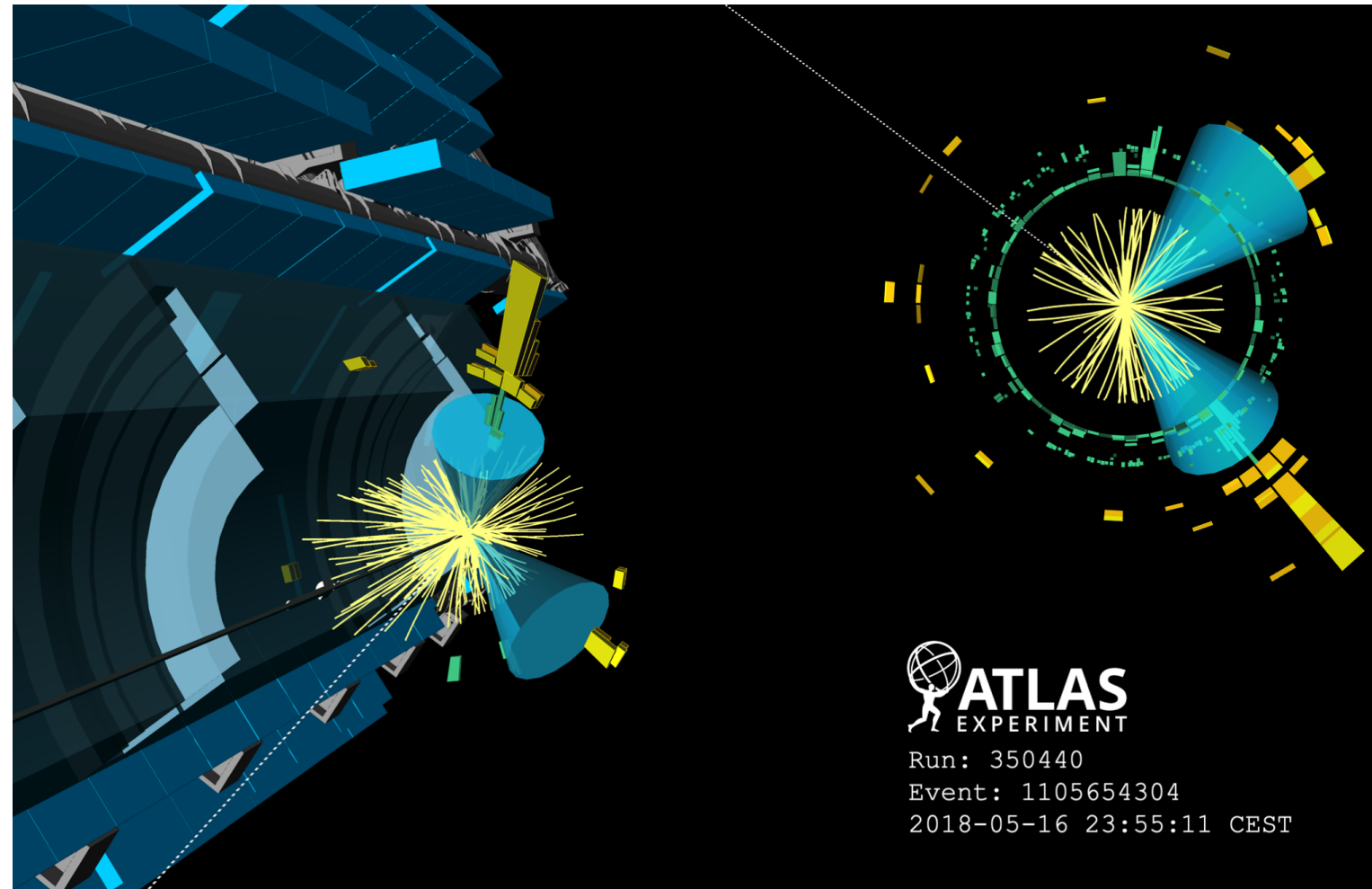
2 c-tag



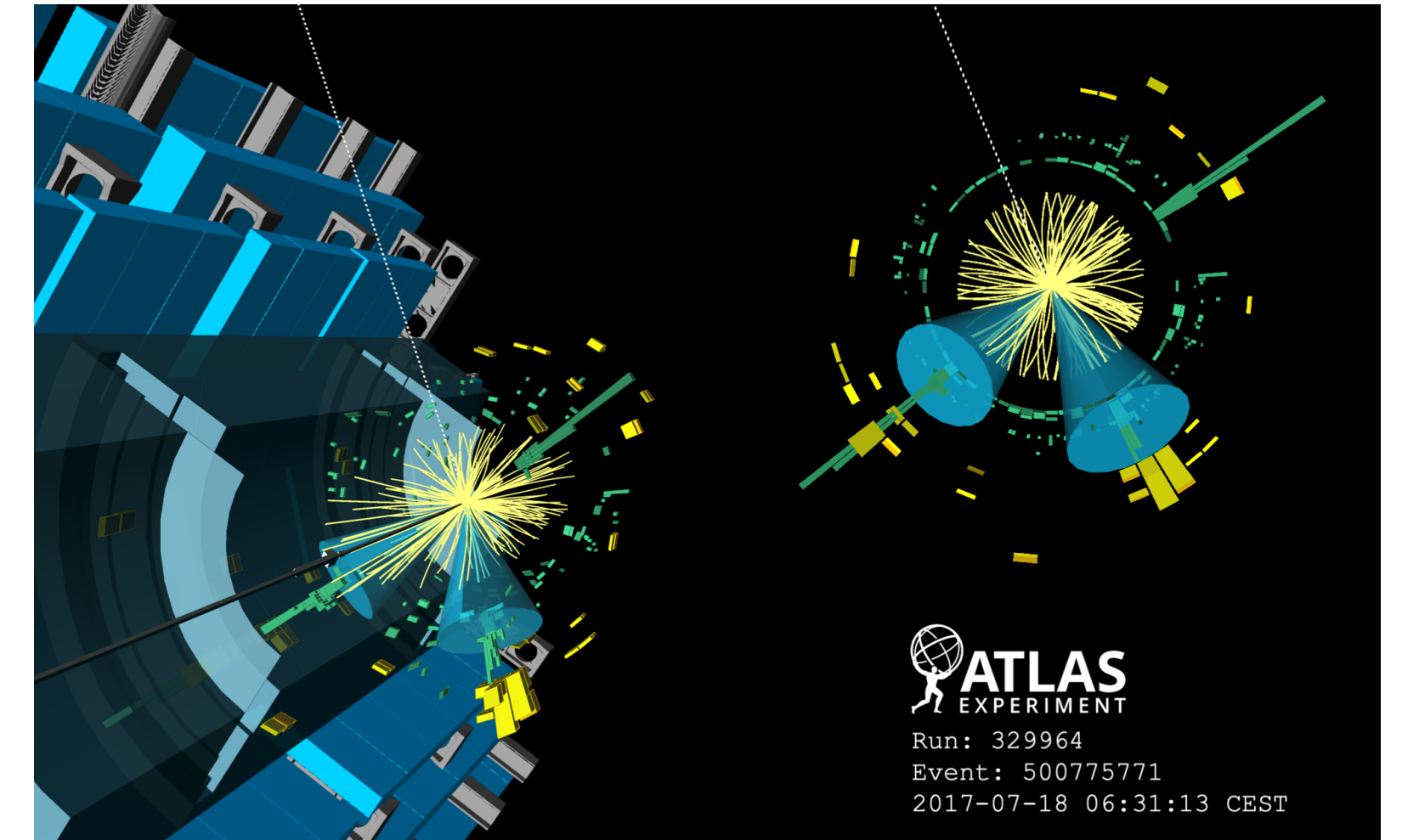
Event displays

Event displays

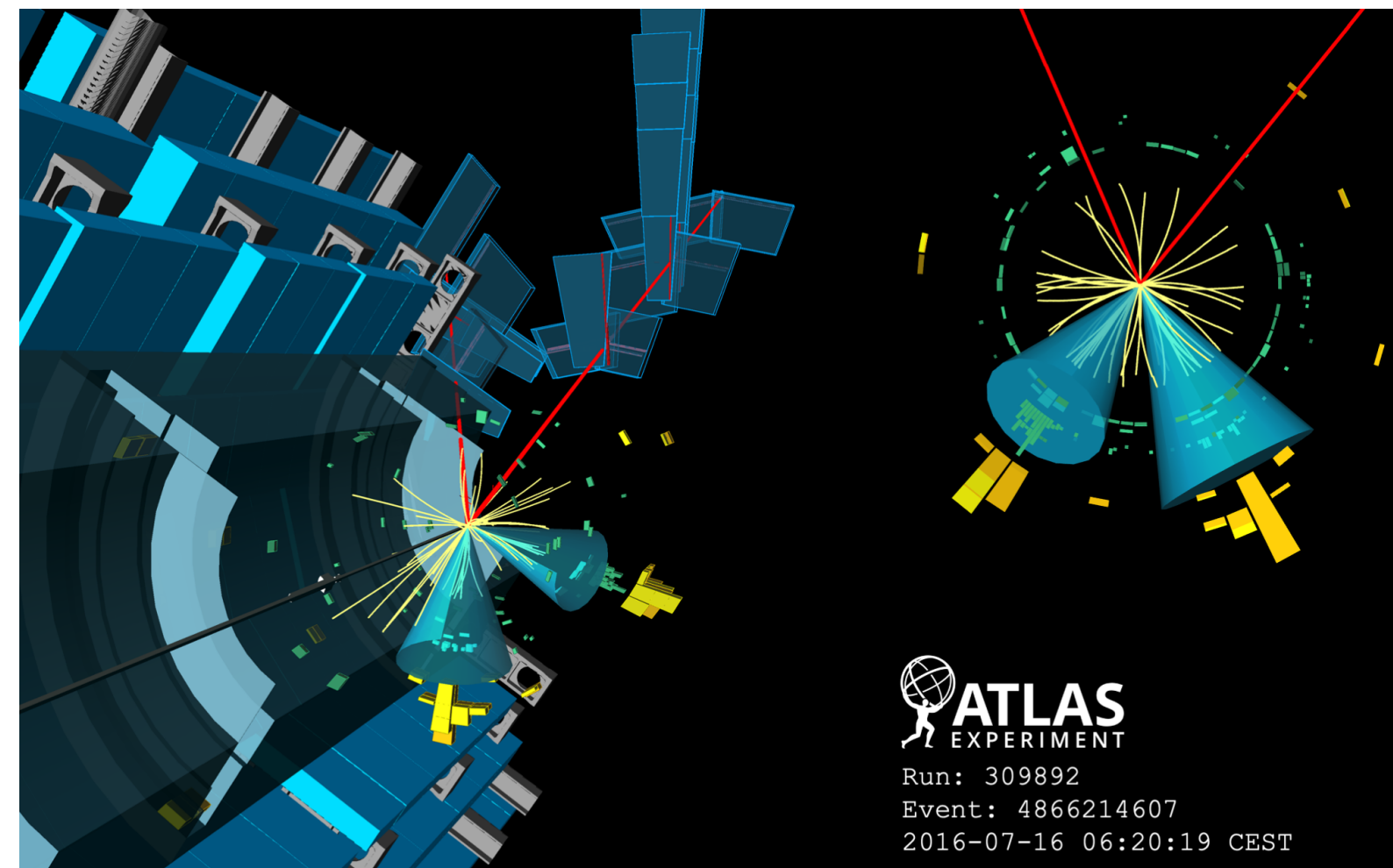
0-lepton



1-lepton



2-lepton



Fit strategy

$$\mathcal{L}(\mu, \vec{\theta}, \vec{\gamma}) = \prod_{i \in \text{bins}} \text{Pois}(N_i | \mu s_i(\vec{\theta}) + \gamma_i b_i(\vec{\theta})) \times \prod_{\theta \in \vec{\theta}} \frac{1}{\sqrt{2\pi}} e^{-\theta^2/2} \times \prod_{i \in \text{bins}} \text{Gauss}(\beta_i | \gamma_i \beta_i, \sqrt{\gamma_i \beta_i})$$

POI Poissonian likelihood Constraint on NPs Constraints on MC statistics

Binned profile likelihood fit on $m(cc)$ distribution simultaneously in all regions

3 parameters of interest (POIs):

- $\mu_{VH(cc)}$: signal strength of $VH(cc)$ signal
- $\mu_{VZ(cc)}$: signal strength of $VZ(cc)$ diboson → validation of 2 c-tag category
- $\mu_{VW(cq)}$: signal strength of $VW(cq)$ diboson → validation of 1 c-tag category

Background: floating normalisations of main backgrounds

Nuisance parameters (NPs)

- Full set of detector systematics: trigger, jets, leptons, c/b-tagging, pile-up, luminosity
- Full set of modelling uncertainties
- MC stat. uncertainty

Event selection / Uncertainties

Common Selections	
Central jets	≥ 2
Signal jet p_T	≥ 1 signal jet with $p_T > 45$ GeV
c -jets	1 or 2 c -tagged signal jets
b -jets	No b -tagged non-signal jets
Jets	2, 3 (0- and 1-lepton), 2, ≥ 3 (2-lepton)
p_T^V regions	75–150 GeV (2-lepton) > 150 GeV
$\Delta R(\text{jet 1, jet 2})$	$75 < p_T^V < 150$ GeV: $\Delta R \leq 2.3$ $150 < p_T^V < 250$ GeV: $\Delta R \leq 1.6$ $p_T^V > 250$ GeV: $\Delta R \leq 1.2$
0 Lepton	
Trigger	E_T^{miss}
Leptons	0 <i>loose</i> leptons
E_T^{miss}	> 150 GeV
p_T^{miss}	> 30 GeV
H_T	> 120 GeV (2 jets), > 150 GeV (3 jets)
$\min \Delta\phi(E_T^{\text{miss}}, \text{jet}) $	> 20° (2 jets), > 30° (3 jets)
$ \Delta\phi(E_T^{\text{miss}}, H) $	> 120°
$ \Delta\phi(\text{jet1, jet2}) $	< 140°
$ \Delta\phi(E_T^{\text{miss}}, p_T^{\text{miss}}) $	< 90°
1 Lepton	
Trigger	e sub-channel: single electron μ sub-channel: E_T^{miss}
Leptons	1 <i>tight</i> lepton and no additional <i>loose</i> leptons
E_T^{miss}	> 30 GeV (e sub-channel)
m_T^W	< 120 GeV
2 Lepton	
Trigger	single lepton
Leptons	2 <i>loose</i> leptons Same flavour, opposite-charge for $\mu\mu$
m_{ll}	$81 < m_{ll} < 101$ GeV

$VH(\rightarrow b\bar{b})$	
$WH(\rightarrow b\bar{b})$ normalisation	27%
$ZH(\rightarrow b\bar{b})$ normalisation	25%
Diboson	
$WW/ZZ/WZ$ acceptance	10/5/12%
p_T^V acceptance	4%
N_{jet} acceptance	7 – 11%
Z+jets	
$Z+hf$ normalisation	Floating
$Z+mf$ normalisation	Floating
$Z+lf$ normalisation	Floating
$Z+bb$ to $Z+cc$ ratio	20%
$Z+bl$ to $Z+cl$ ratio	18%
$Z+bc$ to $Z+cl$ ratio	6%
p_T^V acceptance	1 – 8%
N_{jet} acceptance	10 – 37%
High ΔR CR to SR	12 – 37%
0- to 2-lepton ratio	4 – 5%
W+jets	
$W+hf$ normalisation	Floating
$W+mf$ normalisation	Floating
$W+lf$ normalisation	Floating
$W+bb$ to $W+cc$ ratio	4 – 10 %
$W+bl$ to $W+cl$ ratio	31 – 32 %
$W+bc$ to $W+cl$ ratio	31 – 33 %
$W \rightarrow \tau\nu(+c)$ to $W+cl$ ratio	11%
$W \rightarrow \tau\nu(+b)$ to $W+cl$ ratio	27%
$W \rightarrow \tau\nu(+l)$ to $W+l$ ratio	8%
N_{jet} acceptance	8 – 14%
High ΔR CR to SR	15 – 29%
$W \rightarrow \tau\nu$ SR to high ΔR CR ratio	5 – 18%
0- to 1-lepton ratio	1 – 6 %
Top quark (0- and 1-lepton)	
top(b) normalisation	Floating
top(other) normalisation	Floating
N_{jet} acceptance	7 – 9%
0- to 1-lepton ratio	4%
SR/top CR acceptance ($t\bar{t}$)	9%
SR/top CR acceptance (Wt)	16%
$Wt / t\bar{t}$ ratio	10%
Top quark (2-lepton)	
Normalisation	Floating
Multi-jet (1-lepton)	
Normalisation	20 – 100%

Generators

Process	ME generator	ME PDF	PS and hadronisation	Tune	Cross-section order
$qq \rightarrow VH$ ($H \rightarrow c\bar{c}/b\bar{b}$)	POWHEG-BOX v2 + GoSAM + MiNLO	NNPDF3.0NLO	PYTHIA 8.212	AZNLO	NNLO(QCD) +NLO(EW)
$gg \rightarrow ZH$ ($H \rightarrow c\bar{c}/b\bar{b}$)	POWHEG-BOX v2	NNPDF3.0NLO	PYTHIA 8.212	AZNLO	NLO+NLL
$t\bar{t}$	POWHEG-BOX v2	NNPDF3.0NLO	PYTHIA 8.230	A14	NNLO +NNLL
t/s -channel single top	POWHEG-BOX v2	NNPDF3.0NLO	PYTHIA 8.230	A14	NLO
Wt -channel single top	POWHEG-BOX v2	NNPDF3.0NLO	PYTHIA 8.230	A14	Approx. NNLO
V +jets	SHERPA 2.2.1	NNPDF3.0NNLO	SHERPA 2.2.1	Default	NNLO
$qq \rightarrow VV$	SHERPA 2.2.1	NNPDF3.0NNLO	SHERPA 2.2.1	Default	NLO
$gg \rightarrow VV$	SHERPA 2.2.2	NNPDF3.0NNLO	SHERPA 2.2.2	Default	NLO

Breakdown of uncertainties

Breakdown of uncertainties

- Similar statistical and systematic uncertainties
- Dominant systematic uncertainties:
 - Background modelling: V +jets and $t\bar{t}$
 - Simulation statistics: MC stat

Will improve with latest generators and more simulated events!

Source of uncertainty	$\mu_{VH(c\bar{c})}$	$\mu_{VW(cq)}$	$\mu_{VZ(c\bar{c})}$	
Total	15.3	0.24	0.48	
Statistical	10.0	0.11	0.32	
Systematics	11.5	0.21	0.36	
Statistical uncertainties				
Data statistics only	7.8	0.05	0.23	
Floating normalisations	5.1	0.09	0.22	
Theoretical and modelling uncertainties				
$VH(\rightarrow c\bar{c})$	2.1	< 0.01	0.01	
Z +jets	7.0	0.05	0.17	
Top-quark	3.9	0.13	0.09	
W +jets	3.0	0.05	0.11	
Diboson	1.0	0.09	0.12	
$VH(\rightarrow b\bar{b})$	0.8	< 0.01	0.01	
Multi-Jet	1.0	0.03	0.02	
Simulation statistics	4.2	0.09	0.13	
Experimental uncertainties				
Jets	2.8	0.06	0.13	
Leptons	0.5	0.01	0.01	
E_T^{miss}	0.2	0.01	0.01	
Pile-up and luminosity	0.3	0.01	0.01	
Flavour tagging	c -jets	1.6	0.05	0.16
	b -jets	1.1	0.01	0.03
	light-jets	0.4	0.01	0.06
	τ -jets	0.3	0.01	0.04
Truth-flavour tagging	ΔR correction	3.3	0.03	0.10
	Residual non-closure	1.7	0.03	0.10

Theory motivation

2 Higgs doublet model

$$\phi = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v + h_1 \end{pmatrix}, \quad \phi' = \frac{1}{\sqrt{2}} \begin{pmatrix} H^+ \\ h_2 + ih_3 \end{pmatrix}$$

Theory motivation

2 Higgs doublet model

$$\phi = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v + h_1 \end{pmatrix}, \quad \phi' = \frac{1}{\sqrt{2}} \begin{pmatrix} H^+ \\ h_2 + ih_3 \end{pmatrix}$$

Physical bosons

$$h = \sin(\beta - \alpha)h_1 + \cos(\beta - \alpha)h_2,$$

$$H = -\cos(\beta - \alpha)h_1 + \sin(\beta - \alpha)h_2$$

Theory motivation

2 Higgs doublet model

$$\phi = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v + h_1 \end{pmatrix}, \quad \phi' = \frac{1}{\sqrt{2}} \begin{pmatrix} H^+ \\ h_2 + ih_3 \end{pmatrix}$$

Physical bosons

$$h = \sin(\beta - \alpha)h_1 + \cos(\beta - \alpha)h_2,$$

$$H = -\cos(\beta - \alpha)h_1 + \sin(\beta - \alpha)h_2$$

Affects Yukawa coupling of 125 GeV Higgs boson

$$\lambda_{q_u, \bar{q}_u}^h = y_{q_u}^{SM} \sin(\beta - \alpha) + y'_{q_u} \cos(\beta - \alpha)$$

$$\lambda_{q_d, \bar{q}_d}^h = y_{q_d}^{SM} (\sin(\beta - \alpha) + \xi \cos(\beta - \alpha))$$

Spontaneous flavour violation: [arXiv:1908:11376](https://arxiv.org/abs/1908.11376)

- FCNC avoided by keeping Yukawa matrices of second doublet diagonalisable with first doublet

Theory motivation

2 Higgs doublet model

$$\phi = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v + h_1 \end{pmatrix}, \quad \phi' = \frac{1}{\sqrt{2}} \begin{pmatrix} H^+ \\ h_2 + ih_3 \end{pmatrix}$$

Physical bosons

$$h = \sin(\beta - \alpha)h_1 + \cos(\beta - \alpha)h_2,$$

$$H = -\cos(\beta - \alpha)h_1 + \sin(\beta - \alpha)h_2$$

Affects Yukawa coupling of 125 GeV Higgs boson

$$\lambda_{q_u, \bar{q}_u}^h = y_{q_u}^{SM} \sin(\beta - \alpha) + y'_{q_u} \cos(\beta - \alpha)$$

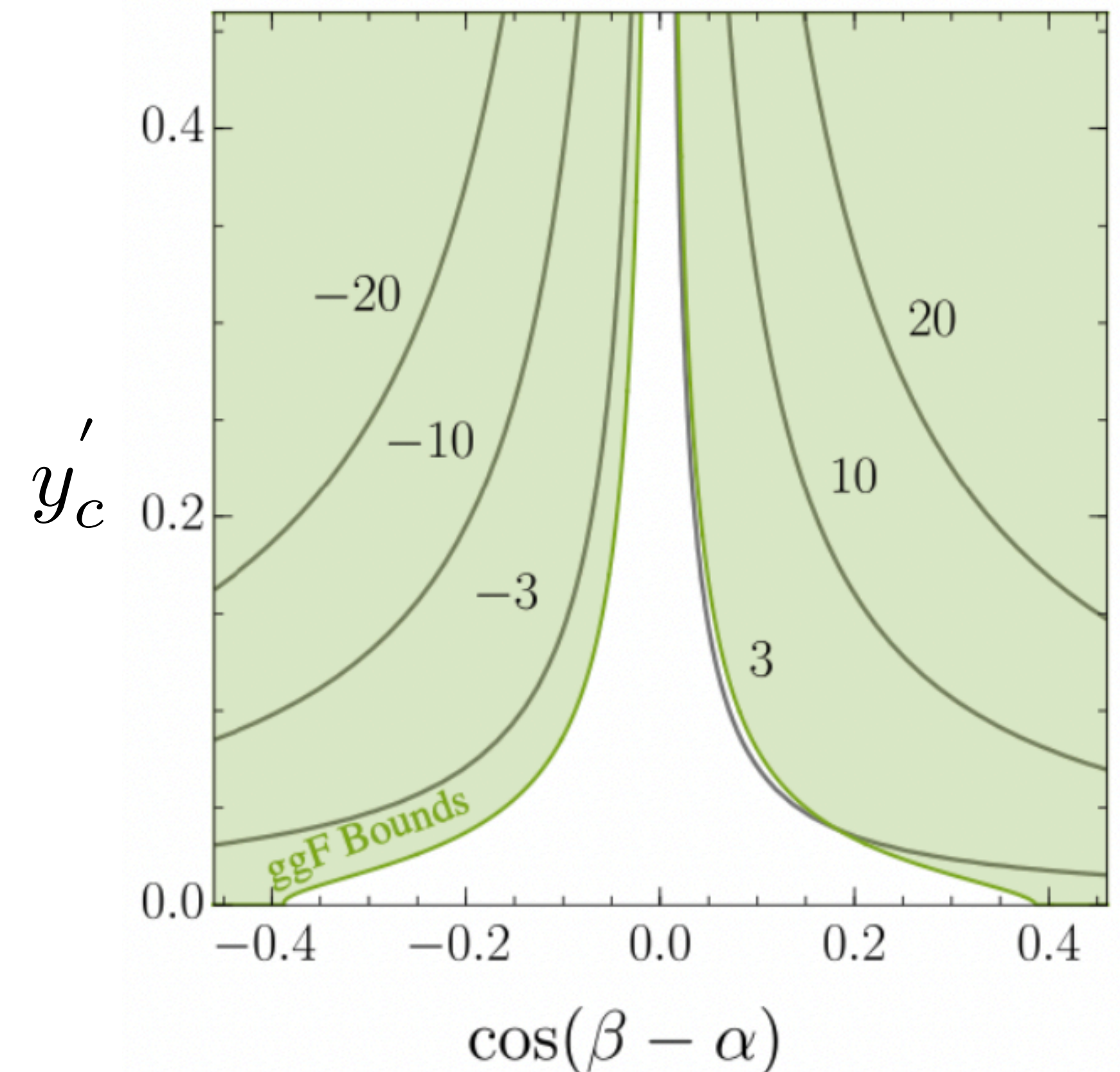
$$\lambda_{q_d, \bar{q}_d}^h = y_{q_d}^{SM} (\sin(\beta - \alpha) + \xi \cos(\beta - \alpha))$$

Spontaneous flavour violation: [arXiv:1908.11376](https://arxiv.org/abs/1908.11376)

- FCNC avoided by keeping Yukawa matrices of second doublet diagonalisable with first doublet
- Higgs boson coupling to charm quarks potentially enhanced by **factor 3!**

Alternative theories predict similar enhancements - up to b- and c-quark universality

$$\lambda_{c, \bar{c}}^h / \lambda_{c, \bar{c}}^{h, SM} = \kappa_c$$



Theory enhanced $H \rightarrow cc$ couplings

2HDM : [paper](#)

TeV scale new physics $\Lambda = 1.5 \text{ TeV}$: [paper](#)

Enhanced coupling 3-5x SM in c, s, d, u yukawa