

# APIC a study case for discrete detector electronics

RD51 Topical workshop on Front End electronics for gas detectors Tue 15<sup>th</sup> June – Thu 17<sup>th</sup> June 2021

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# Detector phase space $\Leftrightarrow$ electronics

Detector capacity (  $C_{\text{det}}$ , ENC noise )

→ routing and signal transmission, low noise amplifiers, order-N noise filters

Source impedance ( Q, V )

→ preamp types and termination, over-Volt chip protection, AC –Dc coupling

feature extraction primary signal (  $x_0$ ,  $t_0$ , Q, V )

→ shaping, pole-Z matching, threshold vs. peak, linearity & dyn range,

EM-properties (electrons vs. ions, induced signals, fast and slow, polarities )

→ preamp type and polarity, adaptive baselines, sampling

Rates and recovery, pileup

→ electronics-pileup & deadtime minimization, Fast OR & trigger generation

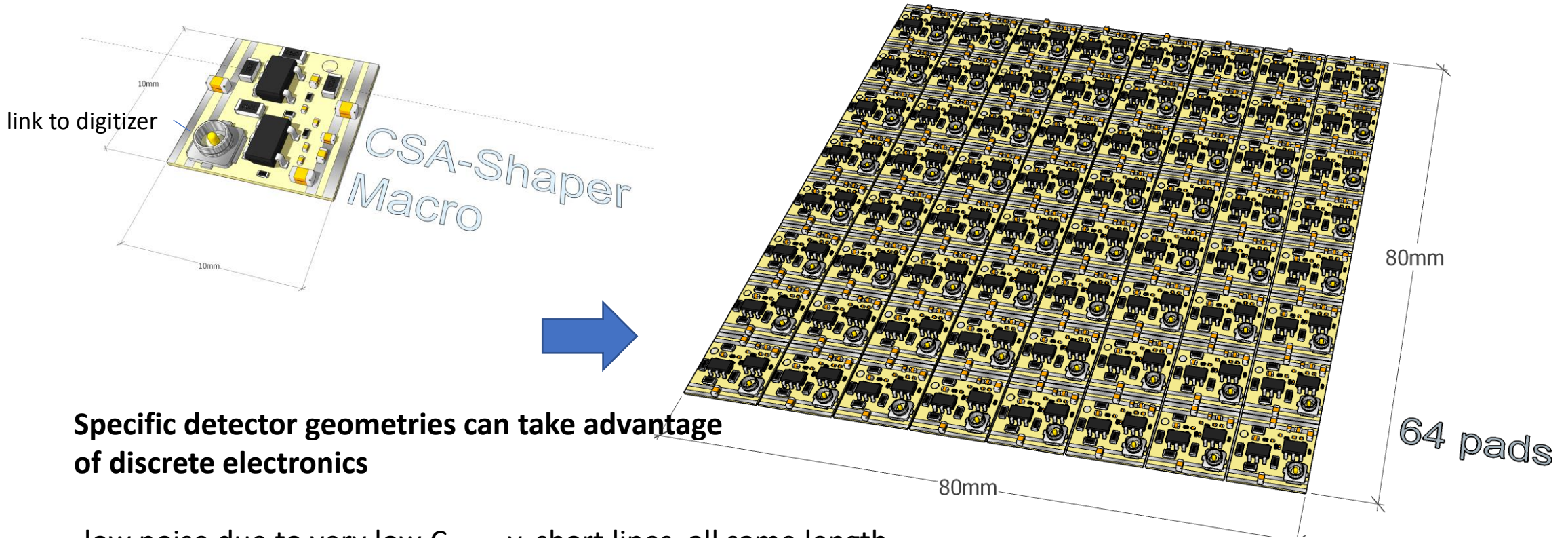
Signal confinement (x,y)

→ uniformity calibration , S/N thresholds, cluster detection

# Very good reasons for discrete logic

- **electronic design and test with state-of-art industry components**
  - > high GBP, low noise OP-Amps, lumped LRC's, fast digitizers
- **degrees of freedom beyond integrated solutions**
  - > large precision capacitors, current and HV resistors, inductances
- **dynamic ranges**
  - > higher supply Voltages, factor 10 times larger dyn. range
- **quasi-safe spark protection schemes**
  - > ESD diodes, metal film series resistors
- **integrated electronics: at least 1 mismatch**
  - > quick and cheap adaptation or upgrade
- **lacking features of integrated electronics**
  - > low budget, low timescale feature additions
- **no probing / optimization possible on integrated electronics**
  - > Oscilloscope probing on all levels

# Discrete is sometimes an asset

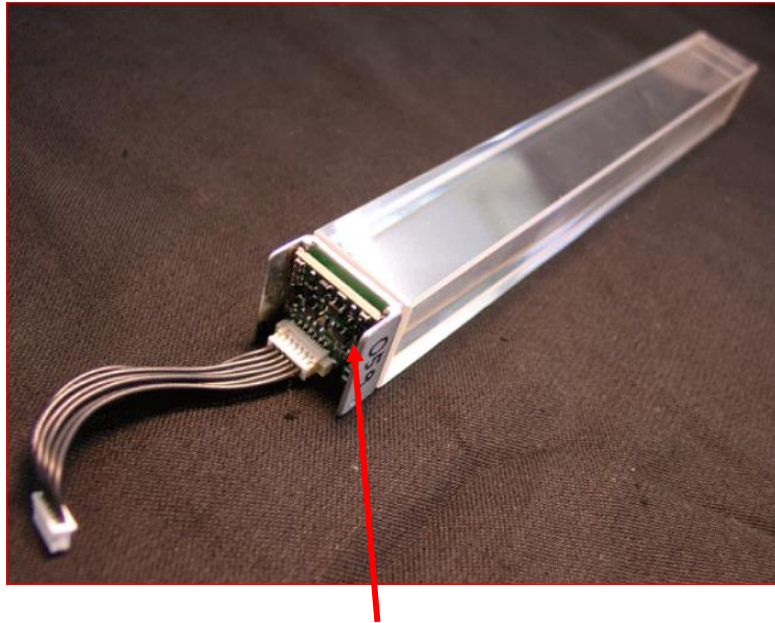


**Specific detector geometries can take advantage of discrete electronics**

- low noise due to very low  $C_{\text{det}}$  – v. short lines, all same length
- lower temperature for preamps, low noise
- higher dynamic range up 16 bit



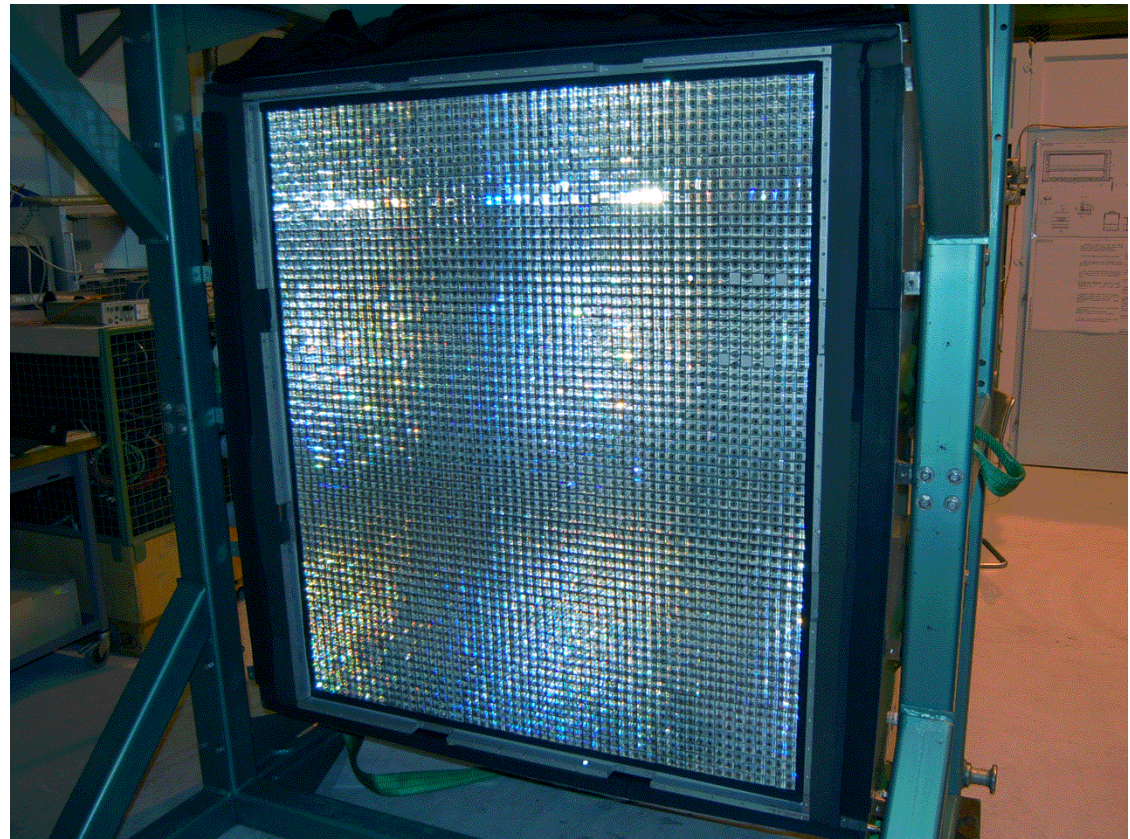
# Example: LHC detector with discrete electronics FE



ALICE Calorimeters, PHOS, EMCal

PWO crystals with APD and discrete CSA preamp  
14 bit dyn. Range, ENC 400e<sup>-</sup> @100pF ! @ -18 C

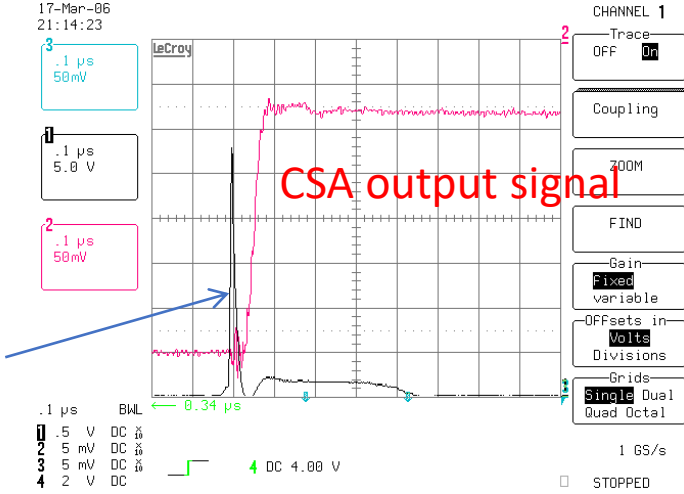
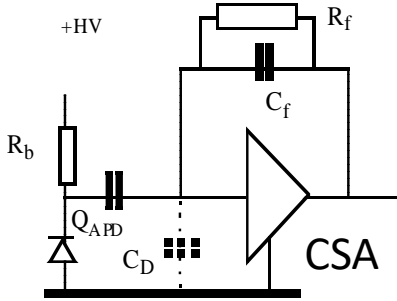
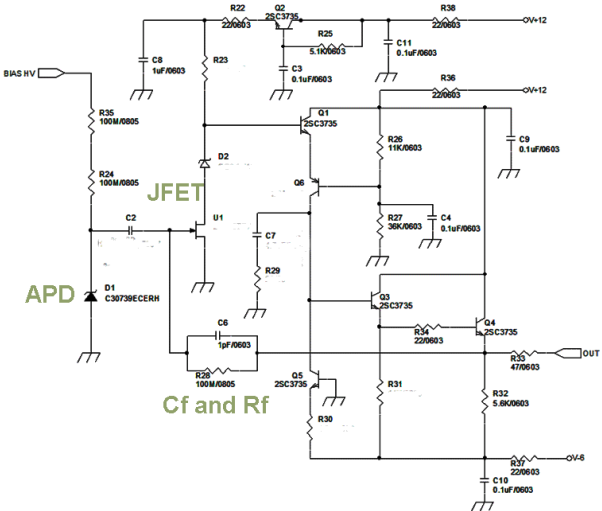
Details: [Phos User manual](#)



1 of 5 PHOS modules: 3584 crystals with discrete preamps

# Discrete CSA's in Alice Calorimeters

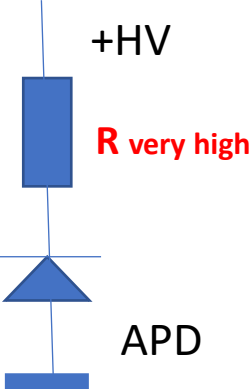
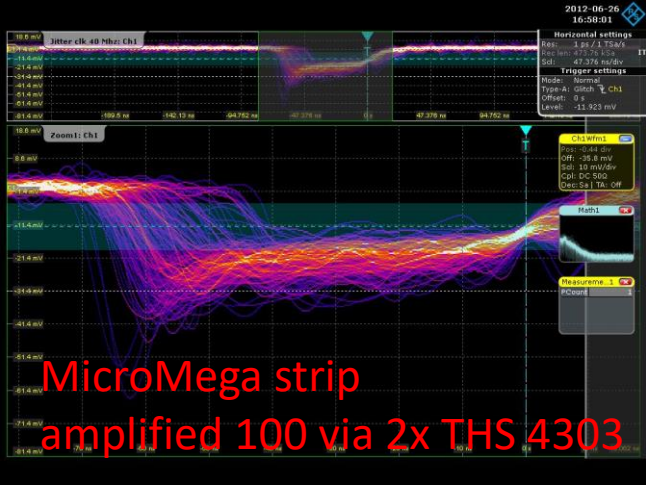
- charge /voltage gain: 1mV/fC
- dynamic range : 14 bit = 1/16000 ( > 20 V full range )
- JFETs low noise, low leakage



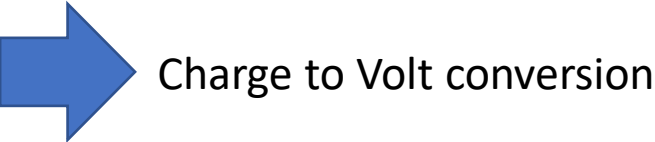
Personal note: designing the APIC for MPGD's was inspired from experience building electronics for ALICE Calorimeter

# Detector signals

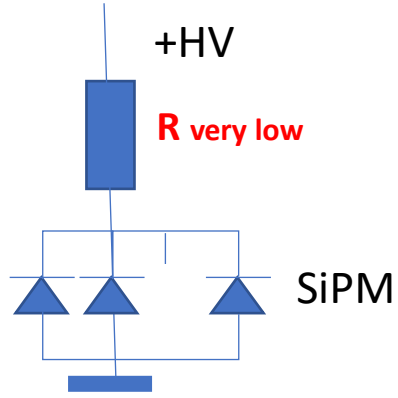
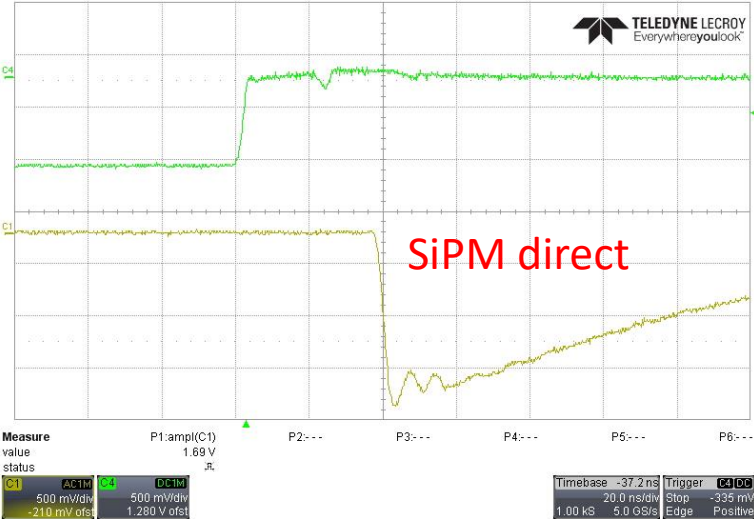
Primary ionization  $< O(1pC) \Rightarrow$  charge over C



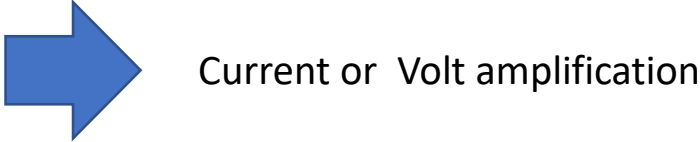
current source, high impedance  
PMs, GEMs, MicroMegas, Photodiodes, APDs



Primary ionization  $> O(1pC) \Rightarrow$  current ( Volt over R)



voltage source , low impedance  
SiPMs, MWPC, RPC's

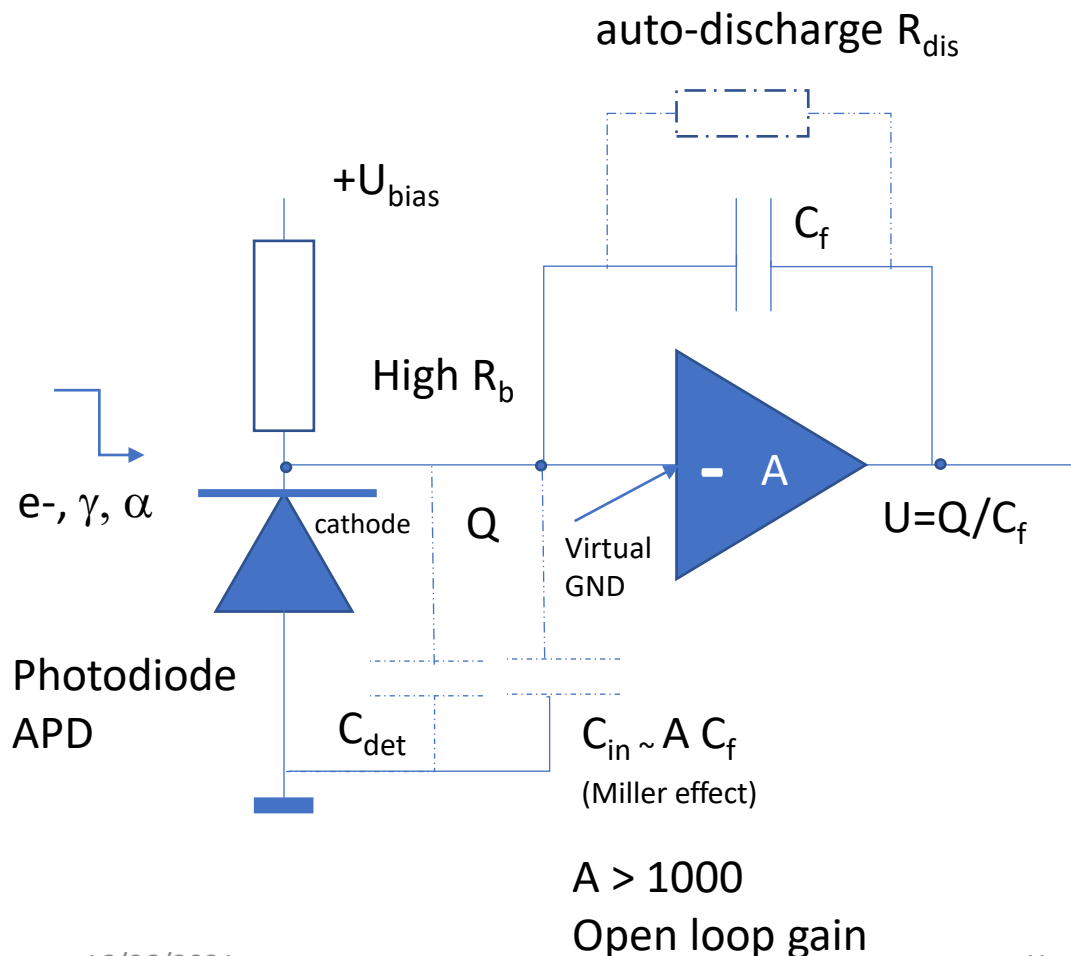




# CSA amplifiers

unipolar charge integrator, high gain up 32 mV/fC

Low input impedance down to 25Ω, high input capacitance O(nF) -> high input immunity against spark charge



$R_b$  very high (  $M\Omega$  ); only provides field for Diode depletion layer

⇒ Very high source impedance

$e^-, \gamma, \alpha$  entering diode depletion layer generate  $e^+/e^-$  pairs

⇒  $e^-$  unipolar charge  $Q$  collection on cathode =  $C_{det}$

⇒  $C_{det}$  effectively in parallel with  $C_{in}$  of preamp

⇒  $C_{in}$  effectively  $C_f$  multiplied by very high gain  $A$  ->  $O(nF)$

⇒  $Q$  shared in proportion of  $C_{in}$  and  $C_{det}$

⇒ Normally  $C_{in} \gg C_{det}$  hence in good approx. > 98% on  $C_f$

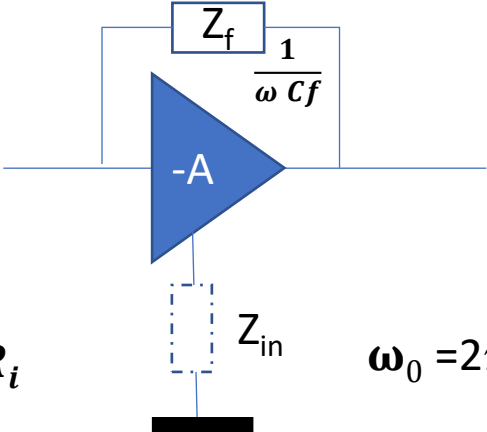
⇒ Output Voltage  $U = Q/C_f = (1/C_f) * Q$

⇒ Charge gain =  $1/C_f$  [ $C_f = 1 \text{ pF} = 1 \text{ mV/fC}$ ]



# Input impedance CSA

Theoretical  $Z_i = Z_f / A$



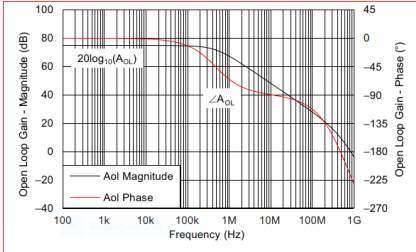
$$Z_i \text{ (CSA)*} = \frac{1}{\omega_0 C_f} = R_i \quad \omega_0 = 2\pi \text{ GBP}$$

Zi becomes a real number  $R_i$  at  $\omega_0$  which is the frequency where the amplifier gain A drops to 1  
 for OPA657 chip this is 1.6 GHz = GBP =>  $\omega_0 \text{ (OPA657)} = 2\pi * 1.6 = 10 \text{ GHz}$

$C_f = 1\text{pF} \Rightarrow R_i = 99.5 \Omega$  [ CSA gain 1mV/fC ]  
 $C_f = 1.6\text{pF} \Rightarrow R_i = 62.5 \Omega$  [ CSA gain 0.625 mV/fC ]

**Special note on spark protection:**

Spark voltages low over low input impedance and high input capacitance.  
 However only when the amplifier is also powered .  
 Always switch off frontend electronics after HV



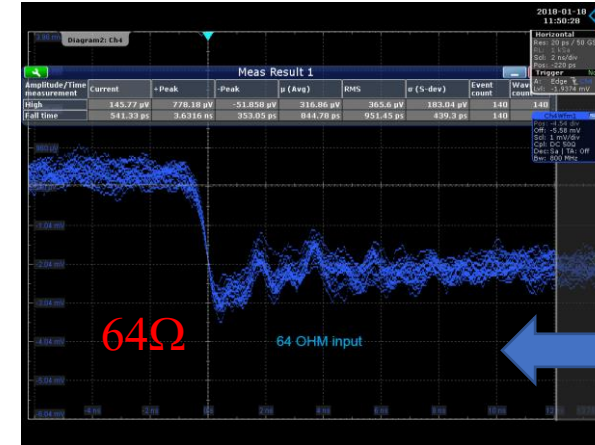
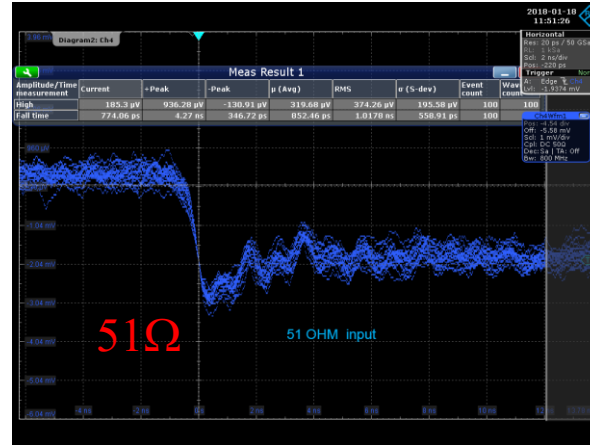
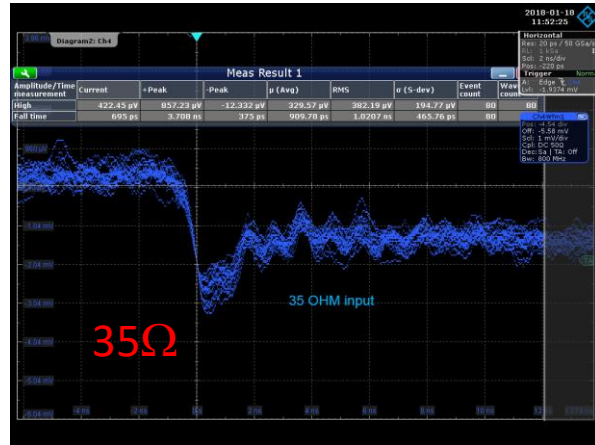
OPA657 chip  
 GBP=1.7GHz

- Input impedance proportional to charge gain
- can/should match signal~ input impedances via gain

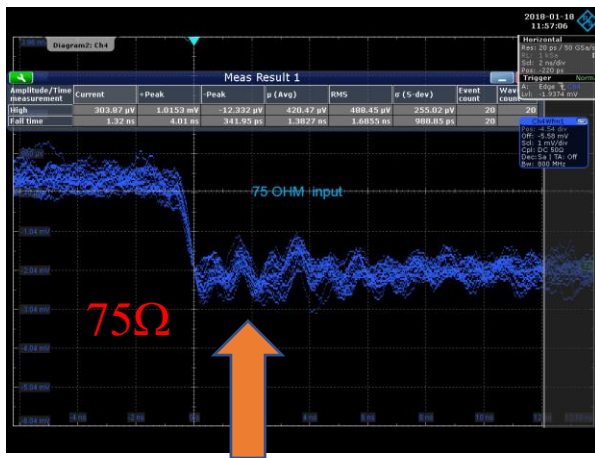
\* [tutorials H. Spieler](#) on Electronics 1

# Measurement input Impedance CSA on APIC

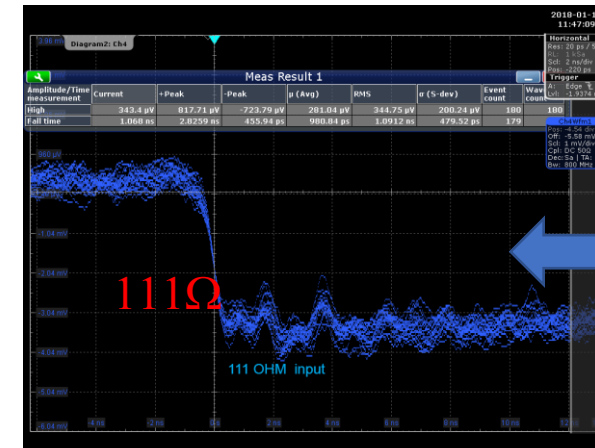
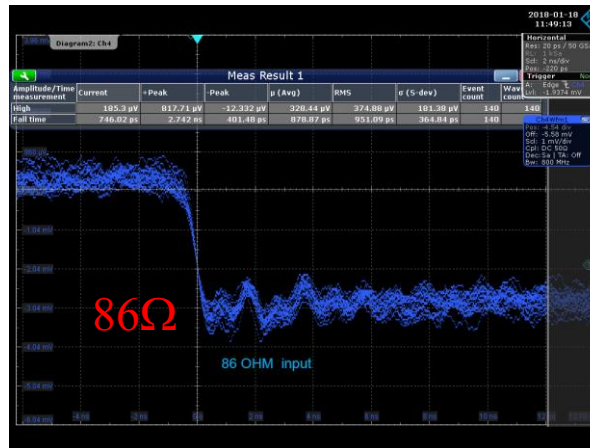
vary source impedance of pulse generator and monitor the reflections on the CSA output. Result for OPA657 with  $C_f = 1.6\text{pF}$  and  $10\Omega$  input series protection:  $\sim 75\Omega$  ( corresponding calculation !)



negative reflections  
superimposed:  
signal tail smaller than peak  
( $R < Z_{in}$ )



**75 OHM:** peak equal to tail , minimum reflections



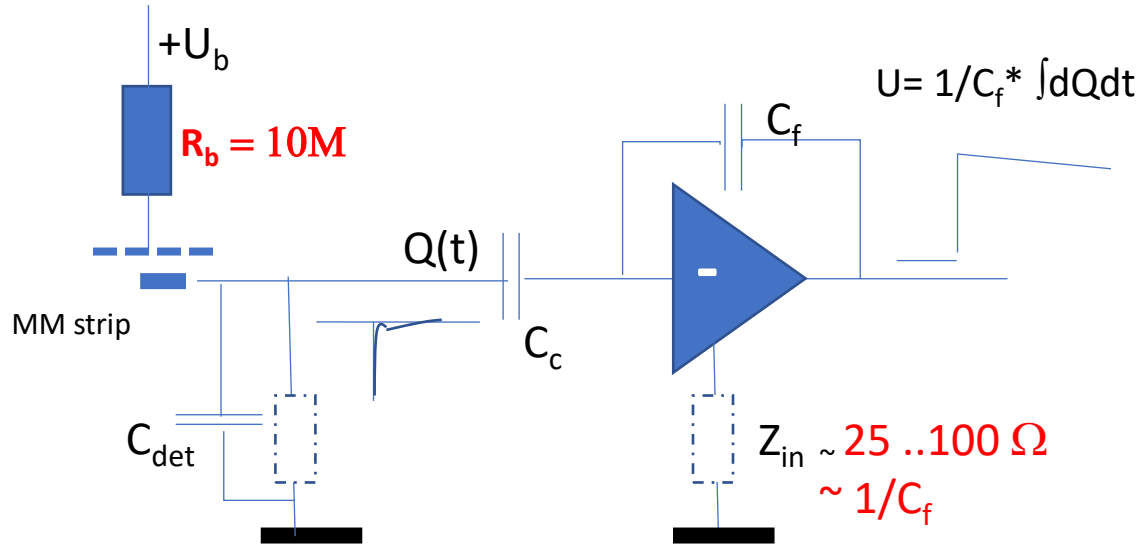
positive Reflections  
Superimposed:  
signal tail bigger than peak  
( $R > Z_{in}$ )

# Input impedance matters

- low  $R_i$**  : fast charge transfer from  $C_{det}$  to preamp input
- : fast risetime
- : low transfer of charge to neighboring channels
- : low risk of input overvoltage / spark damage

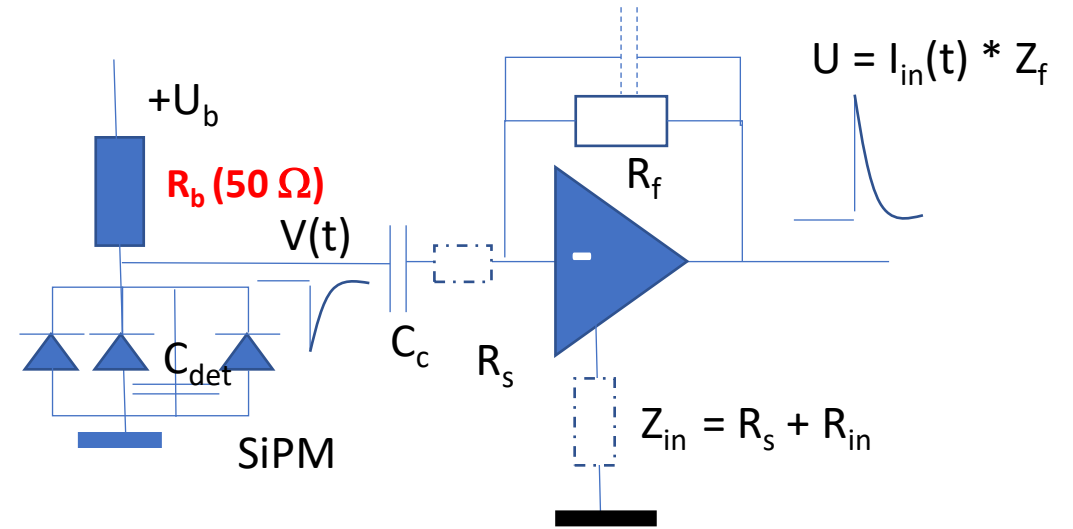
## High impedance source detectors ( low Q )

charge integration via CSA preamplifier  
 high  $C_{in}$ , high spark immunity  
 choose low  $R_i$  via  $C_f$  (gain)

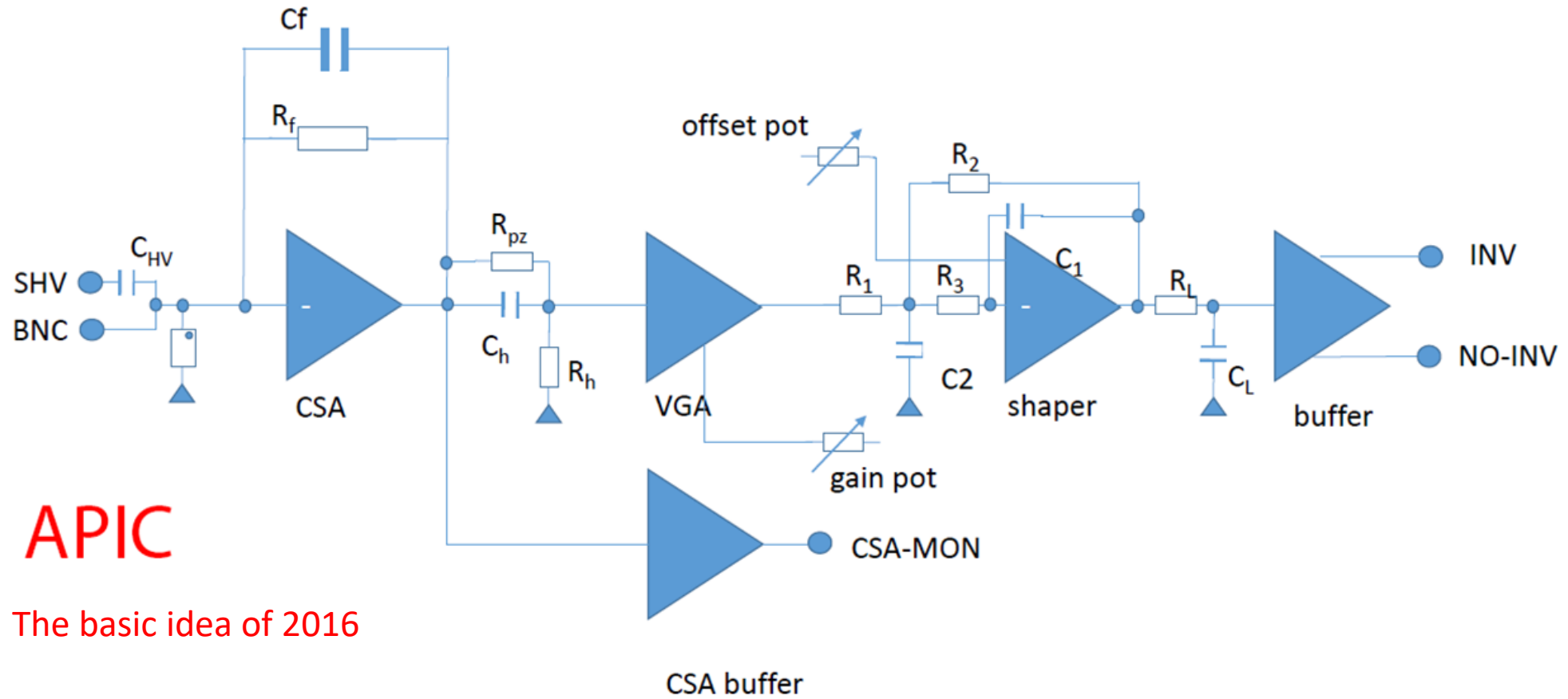


## Low impedance source detectors ( high Q )

U,I source signal reproduction on TIA or current amplifier  
 low  $C_{in}$ , low spark immunity  
 Choose  $R_i$  low and match  $R_i = R_B$  for minimal signal reflections



# APIC preamplifier- shaper (2016)



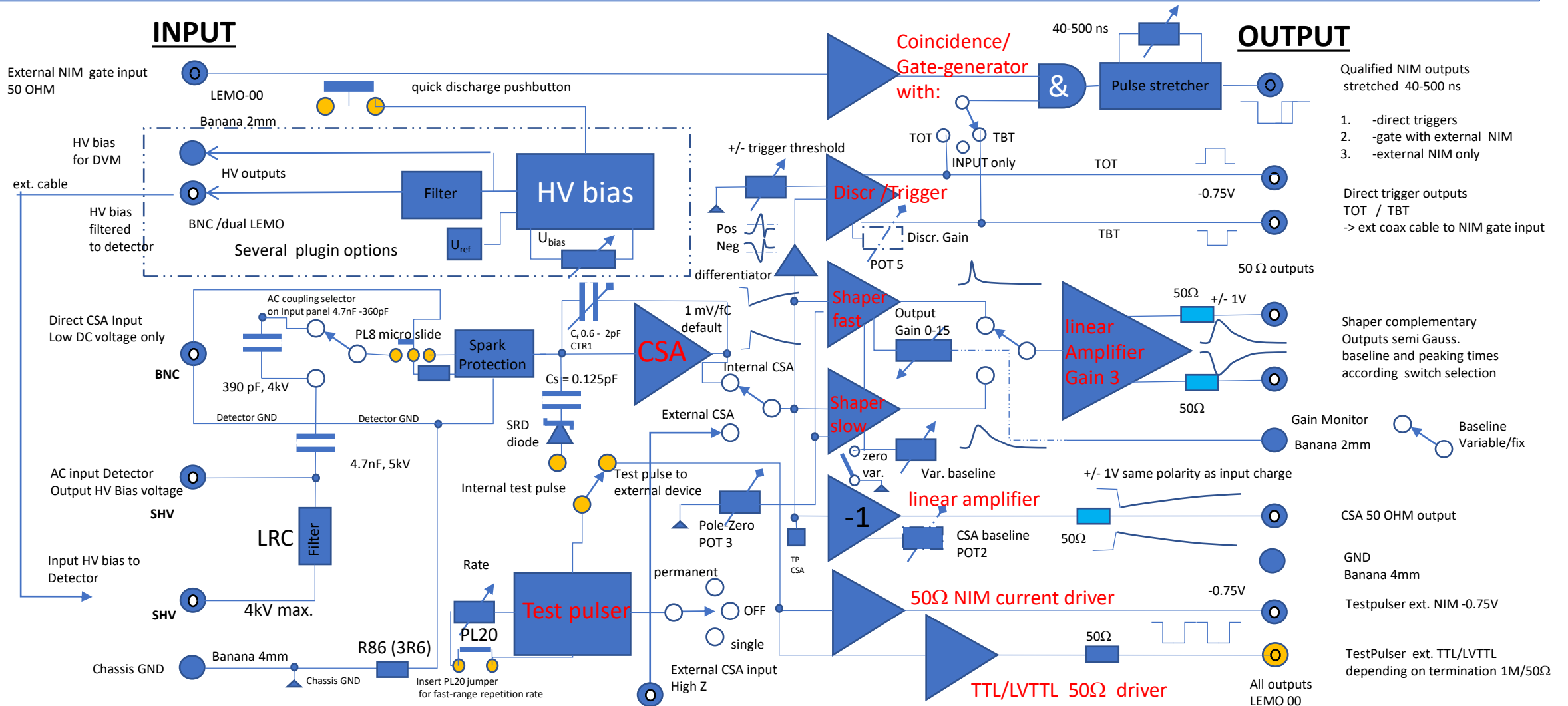
APIC

The basic idea of 2016

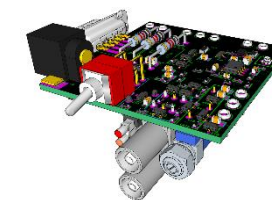
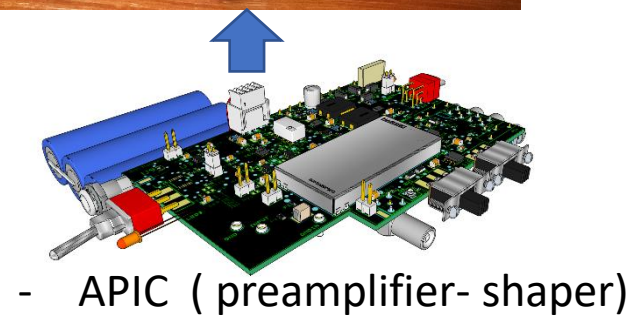




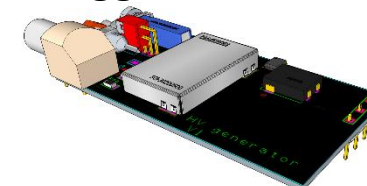
# APIC V4 2020... many added features on user request



# APIC V3

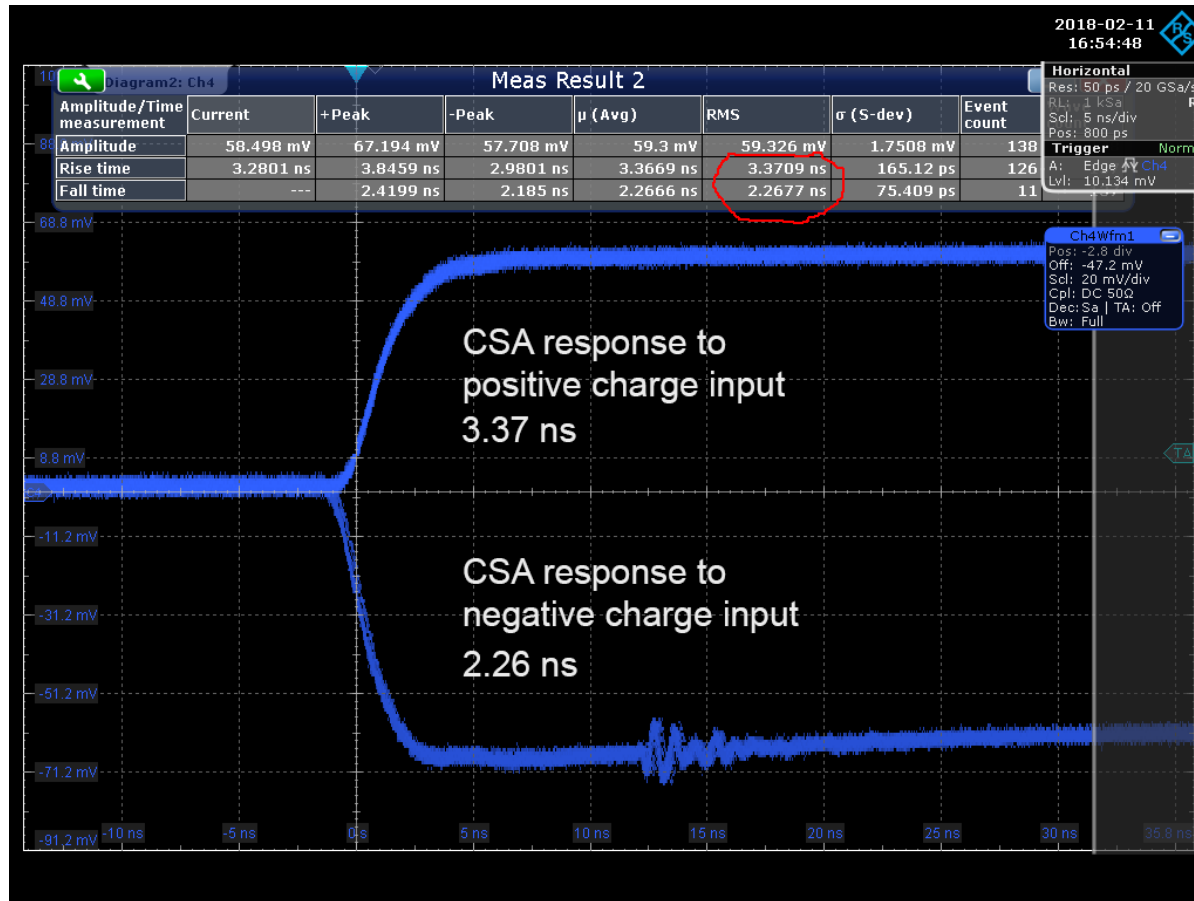


- Trigger and AUX power Unit

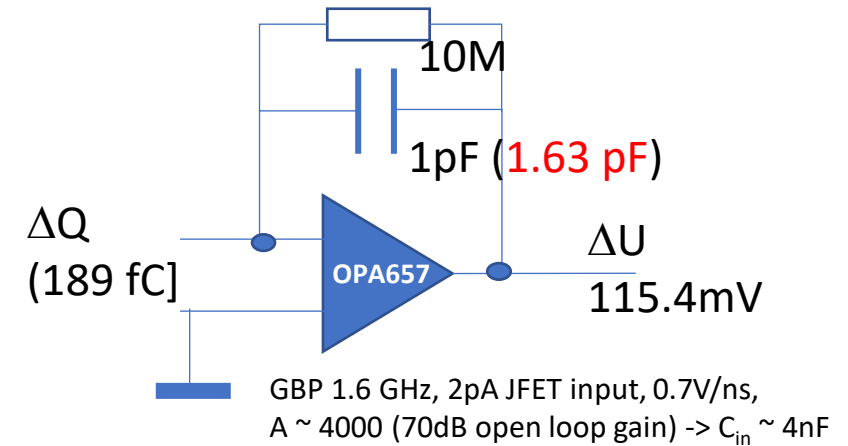


- HV Bias Unit (Option)

# CSA gain calibration



stray capacitance matters for discrete



neg. test input charge  $t_r$  200 ps ,  $\Delta Q = 189$  fC

$\Delta U$ : 115.4 mV\*, O(2.2ns) CSA rise/falltime

charge gain :  $115.4 / 189 = 0.61$  mV/fC

$\Rightarrow C_f$  effective =  $1/0.61 = 1.63$  pF

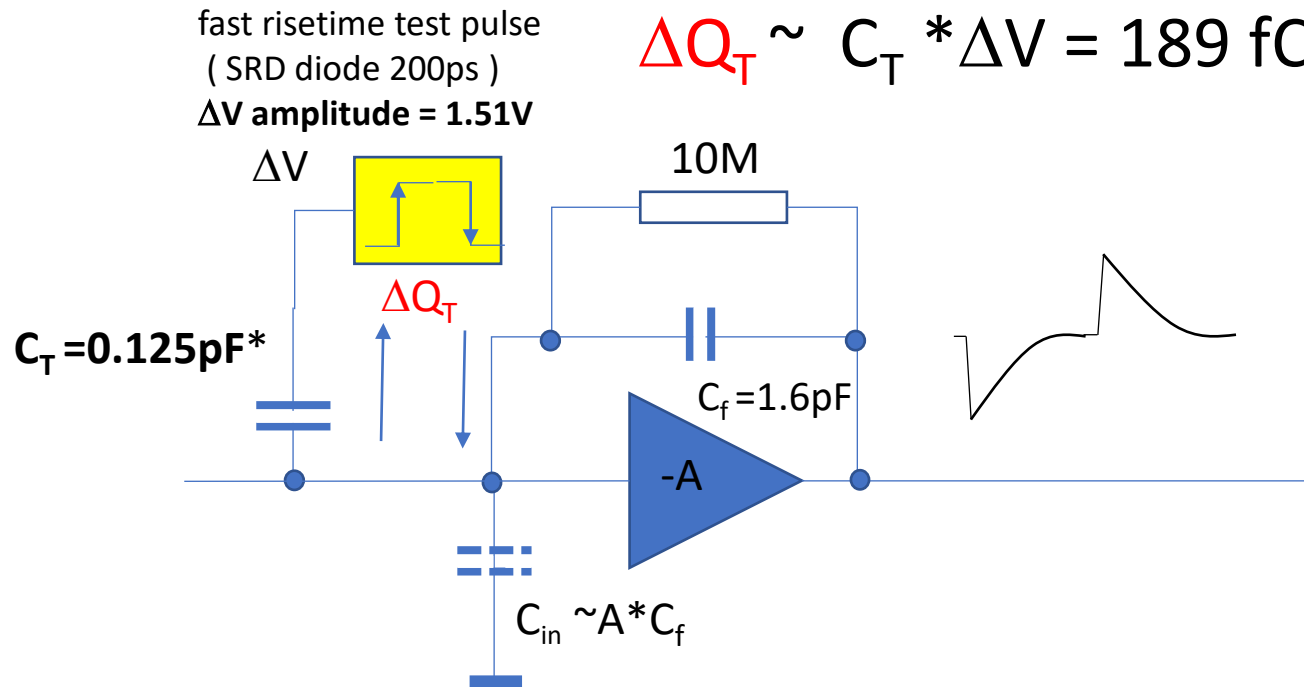
\* 57.7mV x 2 due to 50 $\Omega$  + 50 $\Omega$  output divider(  $\frac{1}{2}$  )



# calibration charge $Q_T$

See appendix for preferred test pulse shape

use fast Voltage pulse transition to couple a unipolar charge to the preamp



Input test charge  $Q_T$ :

$$\Delta Q_T = \frac{C_T}{1 + \frac{C_T}{C_{in}}} \Delta V \sim C_T \left[ 1 - \frac{C_T}{C_{in}} \right] \Delta V$$

$$\frac{C_T}{C_{in}} \ll 1 \quad C_T = 0.125 \text{ pF}$$

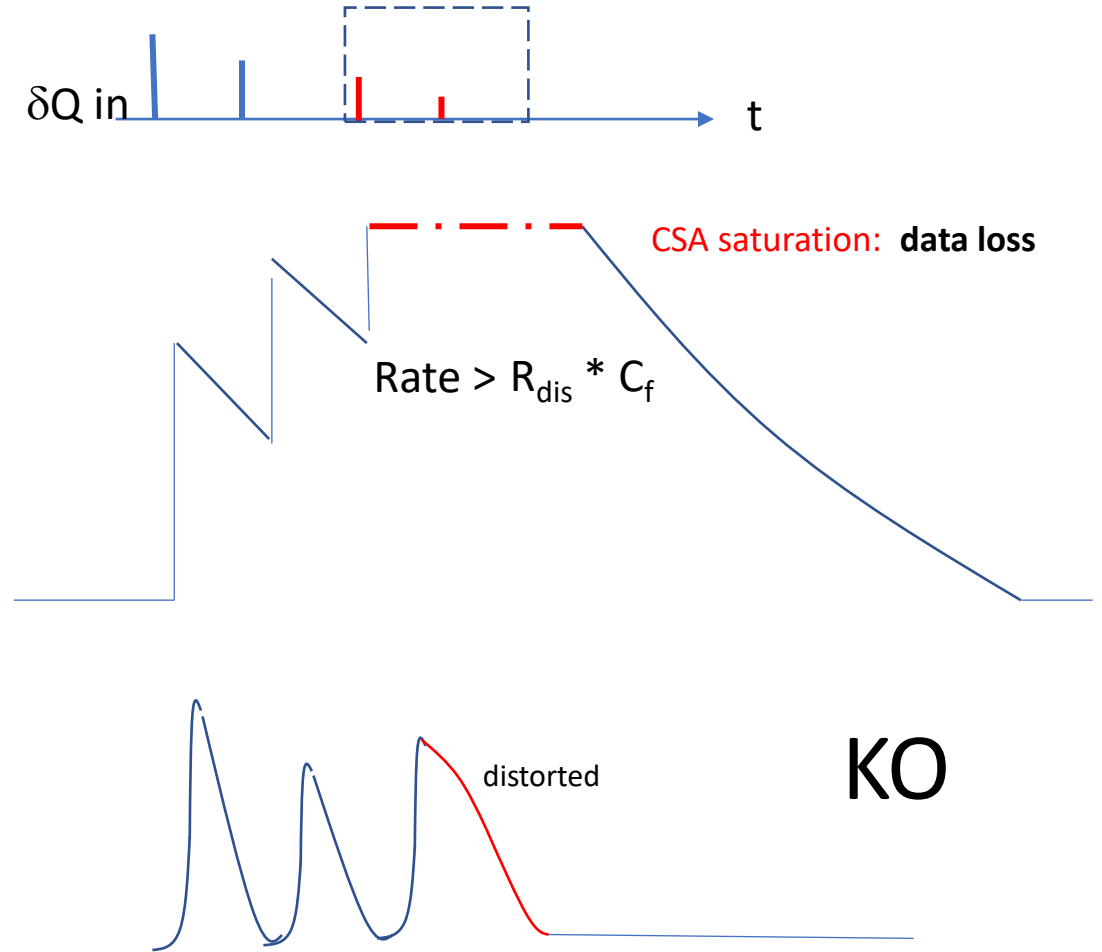
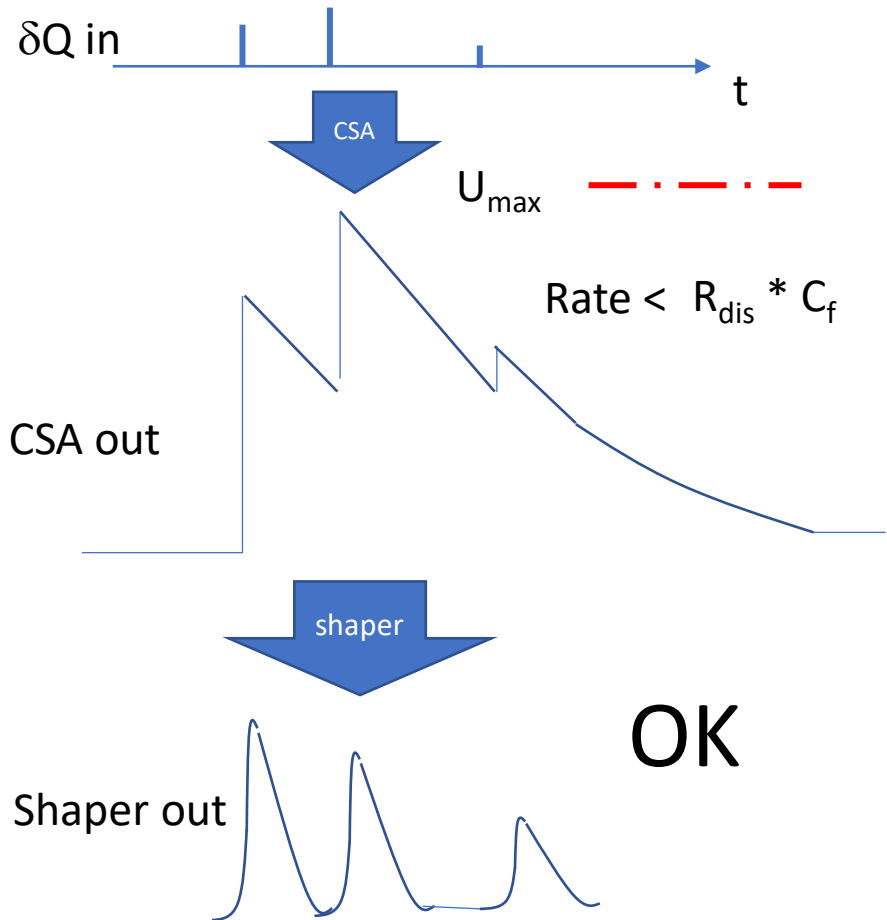
$$C_{in} = 0(4\text{nF})$$

$$\Delta Q_T \sim C_T * \Delta V$$

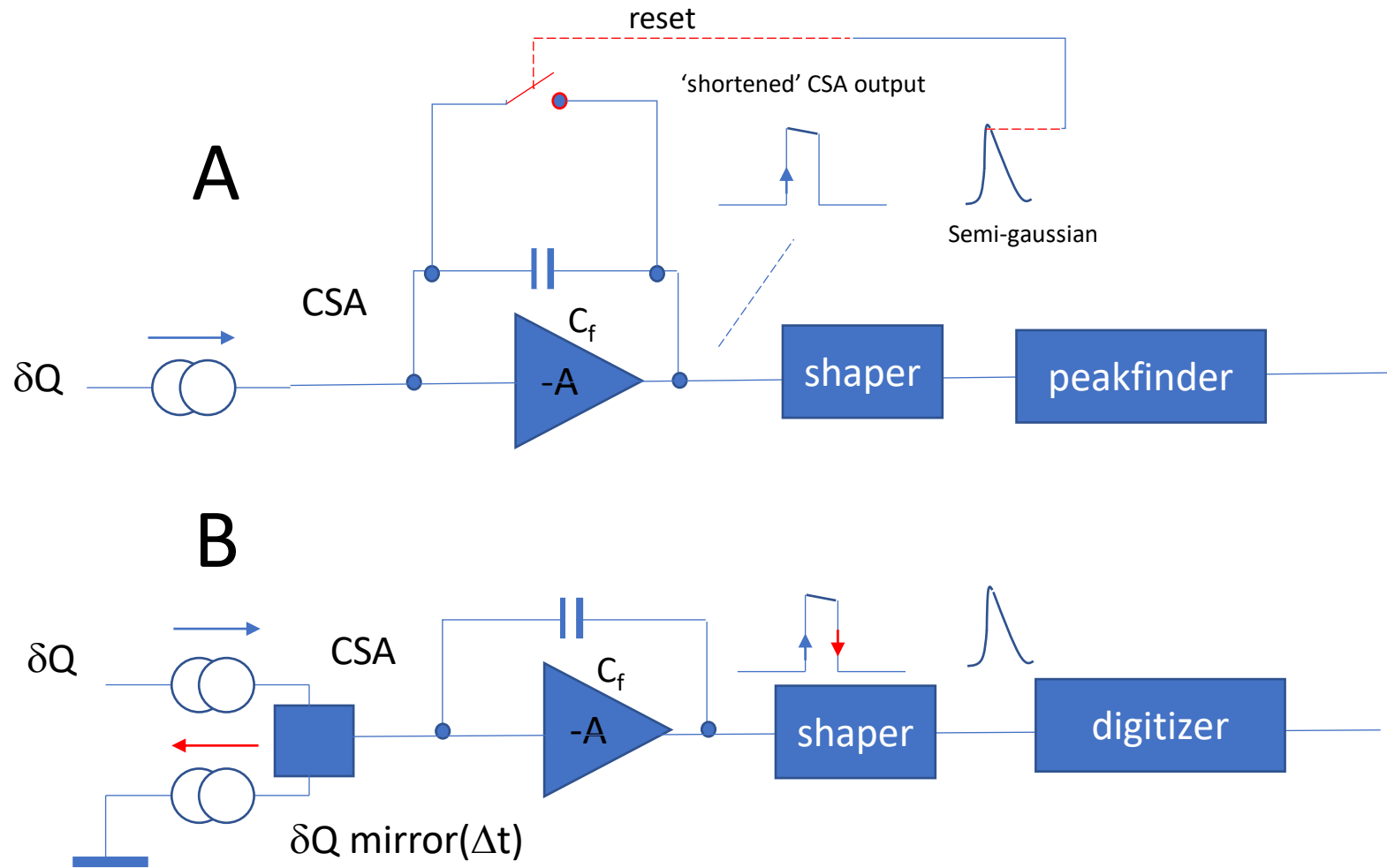
\*3x 0.5pF in series  $\frac{1}{C} = \frac{1}{C1} + \frac{1}{C2} + \frac{1}{C3}$



# High-rate problem with autodischarge



# High-rate preamps



The falling CSA slope is not required for signal feature extraction ( charge, time)

-method A: using a peakfinder: reset the CSA when shaper signal peak detected ( see VMM3a )

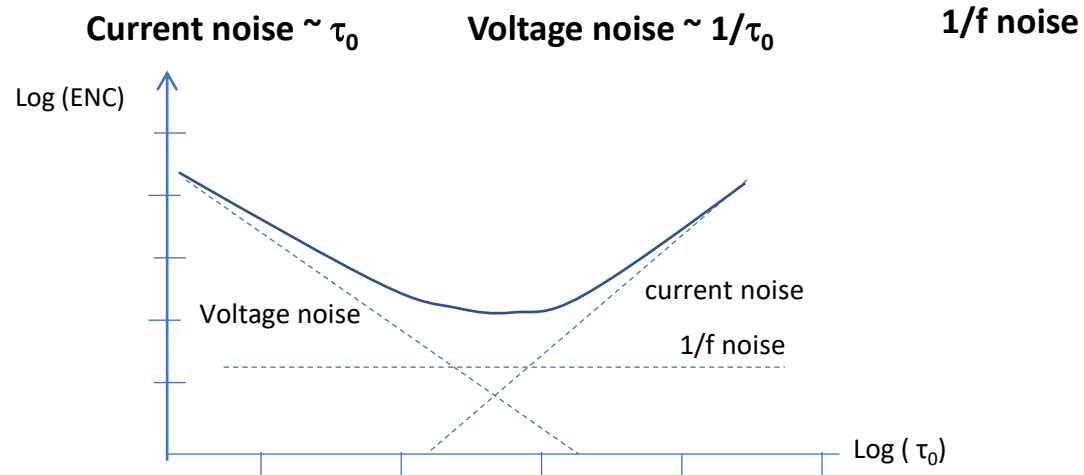
-method B: time-reverse input charge flow use digitizer for sampling the full shaper waveform ( some R&D on APIC preamp with SiPMs)



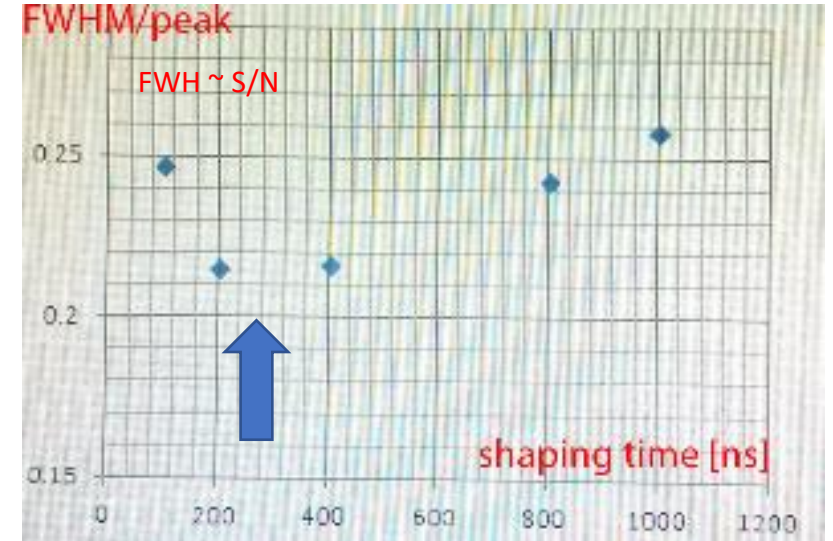
# Shaping matters

## ENC noise dependence on shaping time $\tau_0$

$$ENC^2 = \frac{4kT}{q^2 \cdot R_b} \cdot F_p \cdot \tau + \frac{4kT}{q^2} \cdot \frac{2}{3} \cdot \frac{1}{g_m} \cdot F_s \cdot \frac{C_d^2}{\tau} + C_d^2 \cdot \text{const}$$



Summers student 2016 result with GEM



APIC shaping time vs Energy Resolution on 10x10 GEM

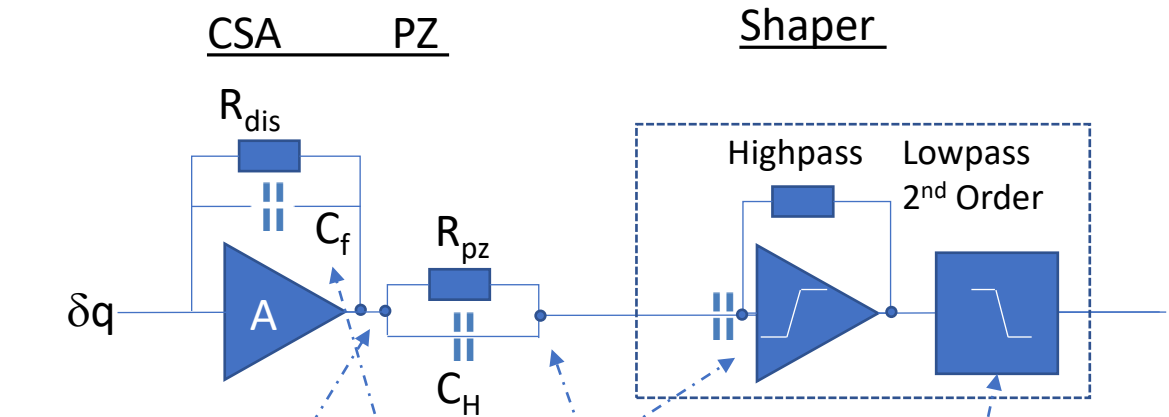
### Strategies to minimize ENC:

....after removing GND loops, RF noise, HV bias crosstalk etc .....

- Optimize shaping time  $\tau_0$
- + minimize  $C_D$  detector capacitance
- + reduce preamp temperature T
- + choose best technology

- ➡ Measure ENC noise dependence of shaping time ( $^{55}\text{Fe}$  spectra)
- ➡ Avoid long traces, Coax cables add 1 pF/cm
- ➡ Cool CSA's if possible
- ➡ Low noise OPAMPs , thin-film resistors

# 'semigaussian' shaper implementation on APIC



Laplace operator method for the full chain

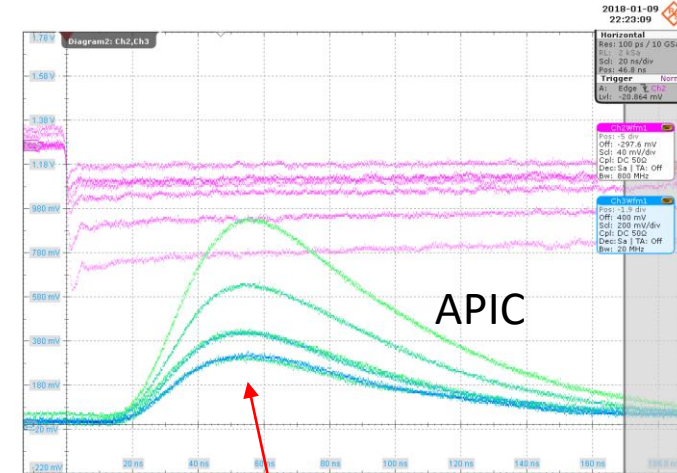
$$H_{\text{shaper}}(s) = \frac{1}{s} \left[ \frac{s\tau_0}{1+s\tau_0} \right] \times \left[ \frac{q/C_f}{1+1/(R_{\text{dis}} \cdot C_f)} \right] \left[ \frac{A}{1+s\tau_0} \right]^n$$

↑ step function   
 ↑ differentiator   
 ↑ CSPdischarge   
 ↑ pole-zero   
 ↑ RC integrator n-th order

pole-zero cancellation       $\tau_0 = \text{shaping time}$

$$H_{\text{shaper}}(s) = \frac{Q}{C_f} \left[ \frac{\tau_0}{1+s\tau_0} \right] \left[ \frac{A}{1+s\tau_0} \right]^n$$

Re-conversion Laplace to time domain



$$V(t) = \frac{2Q \cdot A^2}{C_f} \cdot \left[ \frac{1}{\tau_0} \right]^2 \cdot e^{-2\frac{t}{\tau_0}}$$

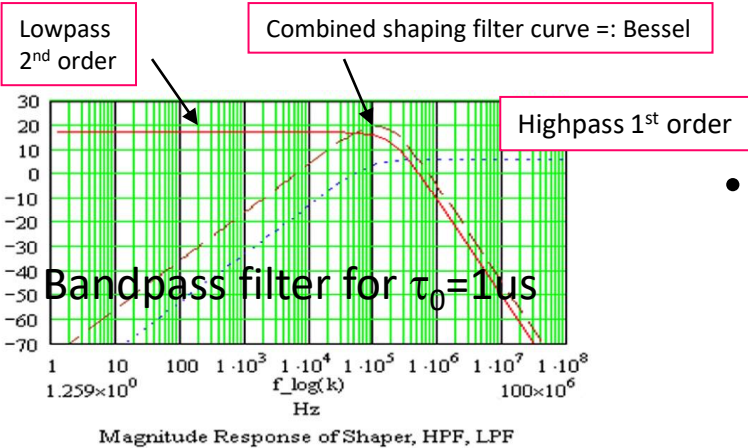
↑ n=2

$$V(t) = \frac{n^n Q \cdot A^n}{n! C_f} \cdot \left[ \frac{1}{\tau_0} \right]^n \cdot e^{-n\frac{t}{\tau_0}}$$

A: CSA Amplifier open loop gain  
 Cf: CSA feedback capacitor  
 Q: total input charge  
 $\tau_0$ : shaping time  
 n: order of  $H_{lp}$  filter

# Bandpass filter and shaping time

- CRnRC band-pass filters of order n: the low-pass slope is n \* 20 dB / octave whilst for the single RC high pass it is -20 dB/octave. The -3dB cutoff frequency fc is given by



$$f_c = 1/(2\pi \tau_0)^* \quad * \tau_0 = \tau_p/2 \text{ is shaping time}$$

- The time response function (shaped output) produced by CR-nRC bandpass filters closely resembles a semi-gaussian shape, properly implemented the analytic form is a  $\Gamma_n(t)$  function of order n

$$V_{out}(t) = \left[ \frac{n^n Q \cdot A^n}{C_f} \right] \cdot \left[ \frac{t}{\tau_p} \right]^n \cdot e^{-\frac{n t}{\tau_p}} \quad \text{With: } \tau_p = n * \tau_0$$

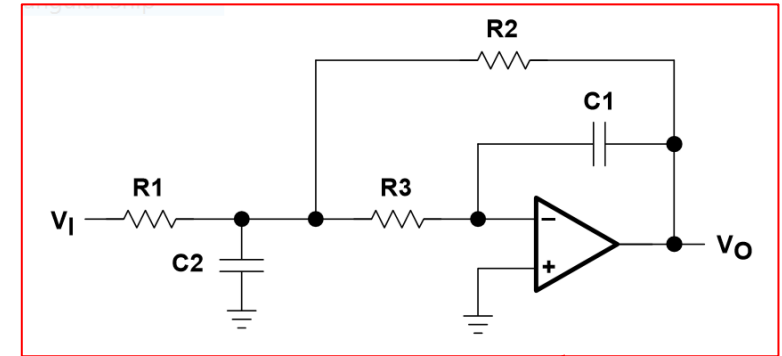
APIC: 2x shaping times  
 $\tau_p = 12.5 \text{ ns}, \tau_p = 25 \text{ ns}, f_c = 12.7 \text{ MHz}$   
 $\tau_p = 200 \text{ ns}, \tau_p = 100 \text{ ns}, f_c = 800 \text{ kHz}$

$$V_{max} = \frac{Q \cdot A^n \cdot n^n}{C_f \cdot n! \cdot e^n} \quad \underline{\text{peak amplitude measures charge Q}}$$

# APIC: discrete Lowpass implementation 2<sup>nd</sup> Order Bessel Filter

$$H(s) = \frac{K}{1 + as + bs^2}$$

APIC: Implement 2 shapers with 1 single OPAMP



2<sup>nd</sup> Order Bessel Filter circuit ( APIC )  
linear, high BW OP-AMP

Choose constants a,b,K for Bessel filter characteristics

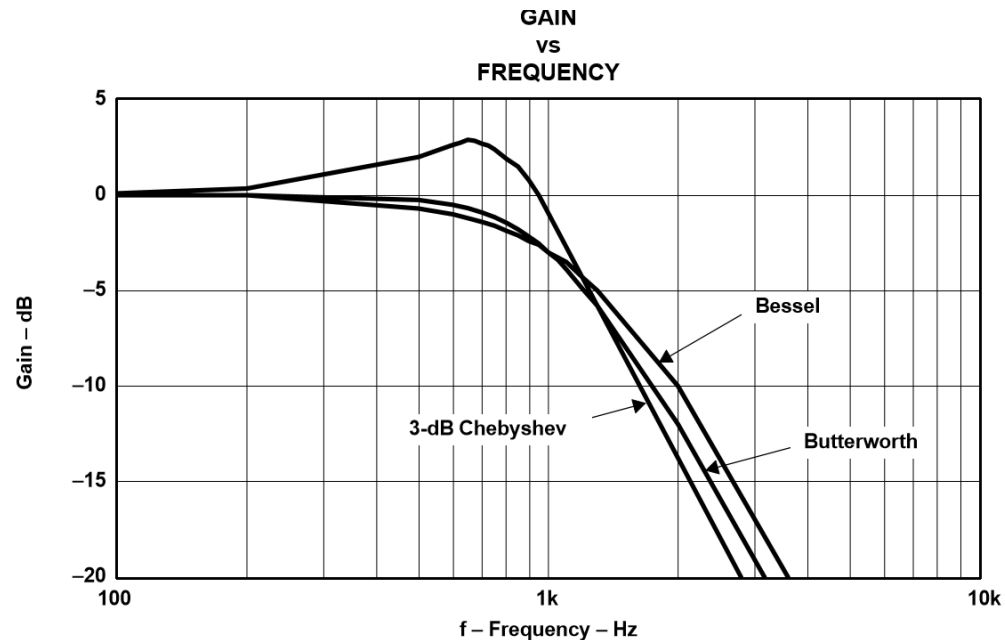


Figure 10. Second-Order Butterworth, Bessel, and 3-dB Chebyshev Filter Frequency Response

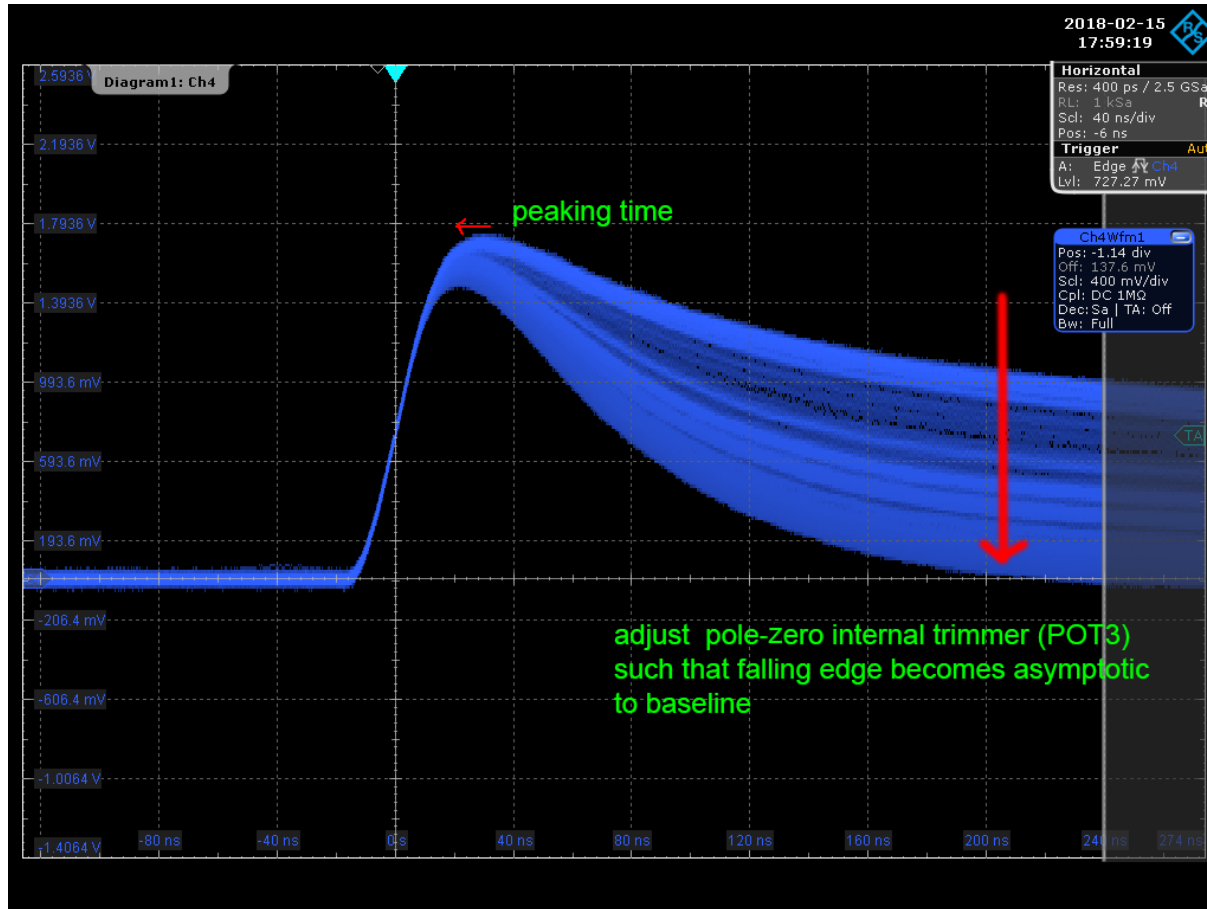


Photo: real estate of  
2<sup>nd</sup> Order Bessel Filter  
 $\tau_s=12.5\text{ns}$  &  $200\text{ns}$  on APIC



# Pole-zero fine adjustment

asymptotic return to zero baseline



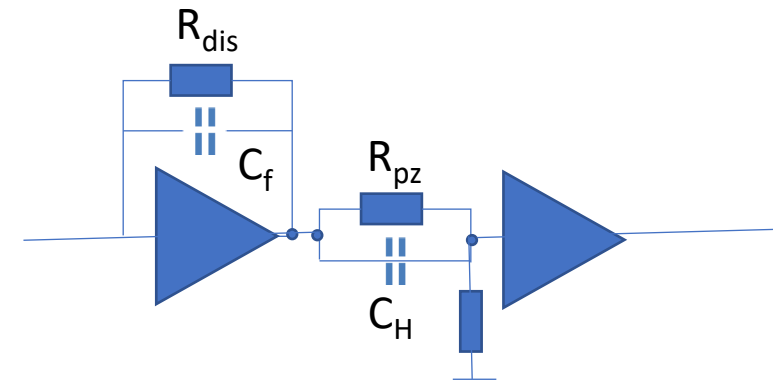
Make these 2 terms cancel

$$H_{\text{shaper}}(s) = \frac{1}{s} \left[ \frac{s\tau_0}{1+s\tau_0} \right] \times \left[ \frac{q/C_f}{1+1/(R_{\text{dis}} \cdot C_f)} \right] \left[ \frac{1}{1+1/(R_{\text{dis}} \cdot C_f)} \right] \left[ \frac{A}{1+s\tau_0} \right]^n$$

Annotations:   
 -  $\frac{1}{s}$ : step function   
 -  $\frac{s\tau_0}{1+s\tau_0}$ : differentiator   
 -  $\frac{q/C_f}{1+1/(R_{\text{dis}} \cdot C_f)}$ : CSPdischarge   
 -  $\frac{1}{1+1/(R_{\text{dis}} \cdot C_f)}$ : pole-zero   
 -  $\left[ \frac{A}{1+s\tau_0} \right]^n$ : RC integrator n-th order

make equal:

$$R_{\text{dis}} * C_f = R_{\text{pz}} * C_H$$



**Component tolerances:**

In discrete logic, the exact  $R_{\text{pz}}$  value can be determined by using a trimmer

# peaking time invariance $\tau_p$

$$V_n(t) = \frac{n^n Q \cdot A^n}{n! C_f} \cdot \left[\frac{1}{\tau_0}\right]^n \cdot e^{-n \frac{t}{\tau_0}}$$

Set 1<sup>st</sup> derivative  $V(t) = 0$

choose filter order

i.e.  $n=2$  for APIC

$$\tau_p = n \cdot \tau_0 = 2 \tau_0$$

➔ peaking time \* 2x shaping time

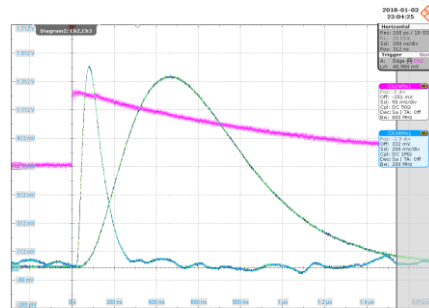
➔ peak invariance of amplitude (!)

## APIC:

2<sup>nd</sup> order Filter,  $n=2$

$$\tau_{p1} = 25 \text{ ns}$$

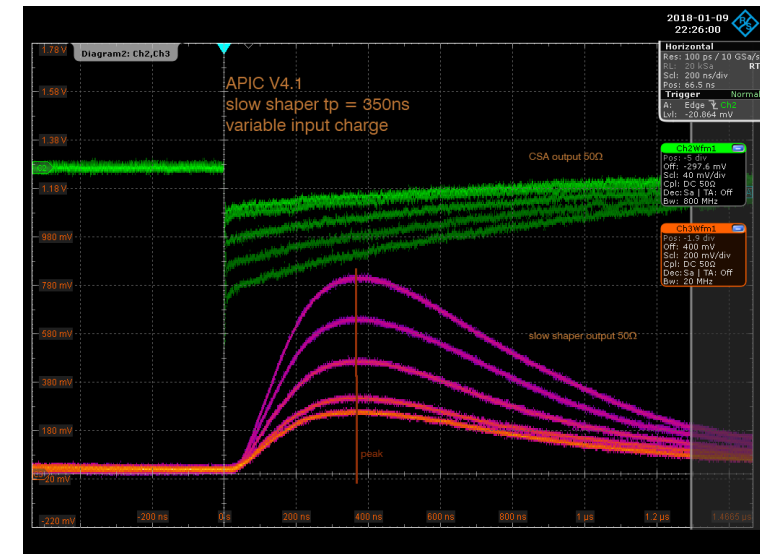
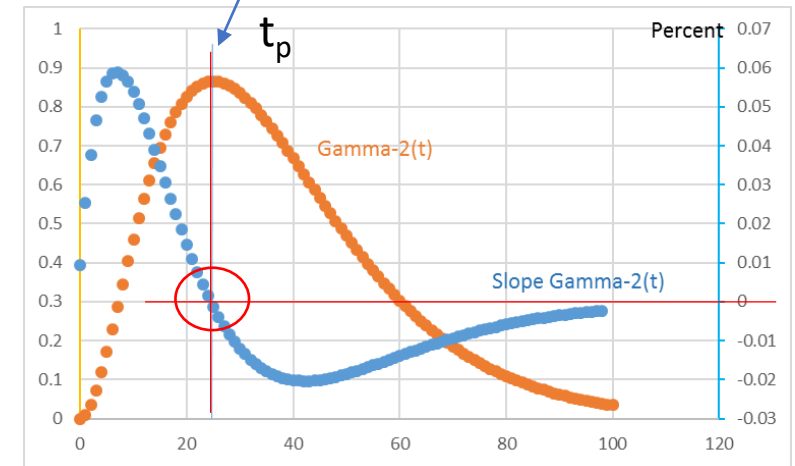
$$\tau_{p2} = 400 \text{ ns}$$



$$V(t) = \frac{2Q \cdot A^2}{C_f} \cdot \left[\frac{1}{\tau_0}\right]^2 \cdot e^{-2 \frac{t}{\tau_0}}$$

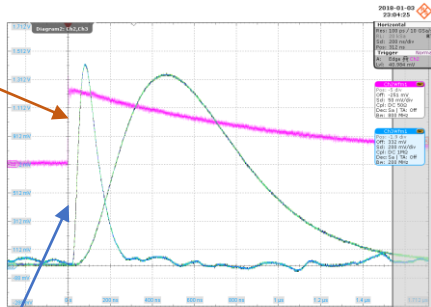
APIC output signal  
( for VCA gain :=1 )

peak amplitude-independent



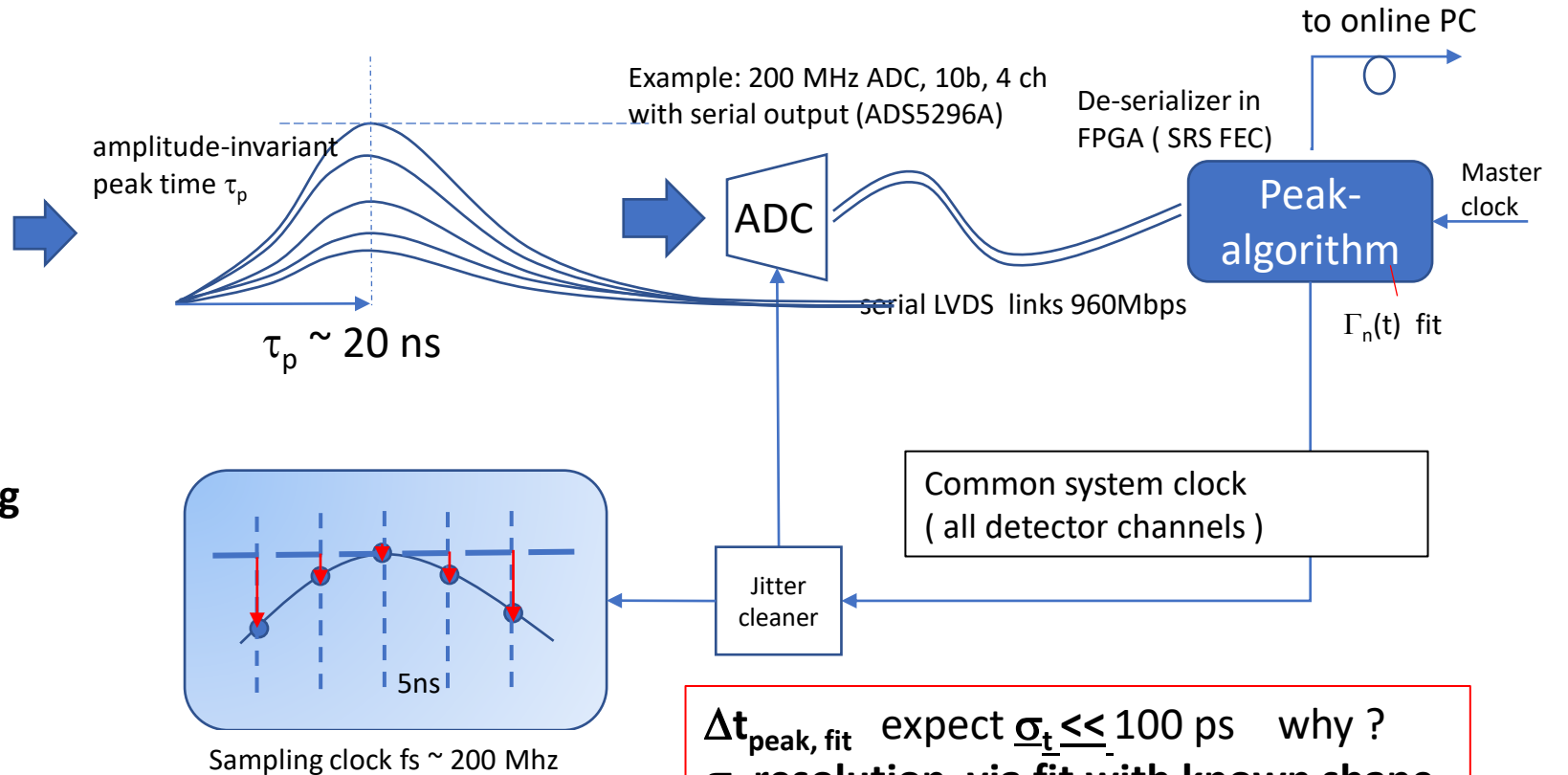
# $\Gamma_n(t)$ shaper sampling for ps time resolution ( project proposal )

CSA:  
 $t_r \sim O(1\text{ns})$



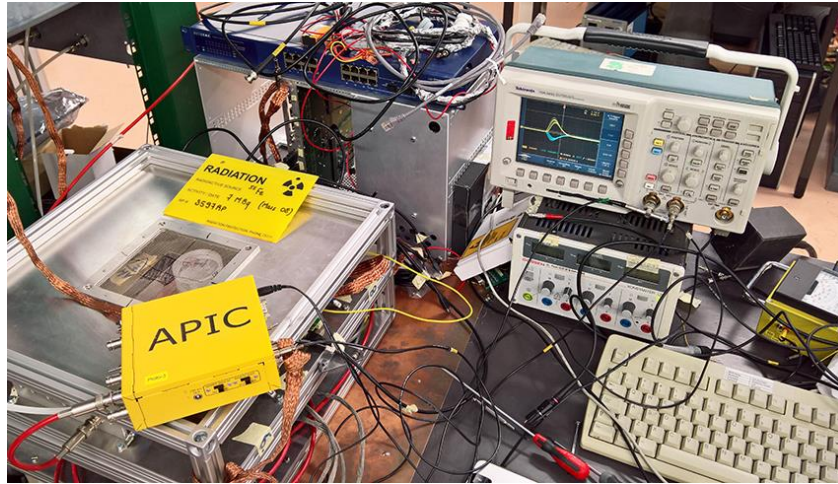
## Time resolution via peak-sampling

$\Gamma_2(t)$  shaper peaking time  $\sim 25$  ns  
 signal envelope  $\sim 75$  ns  
 $\sim 25$  samples @ 200 MHz

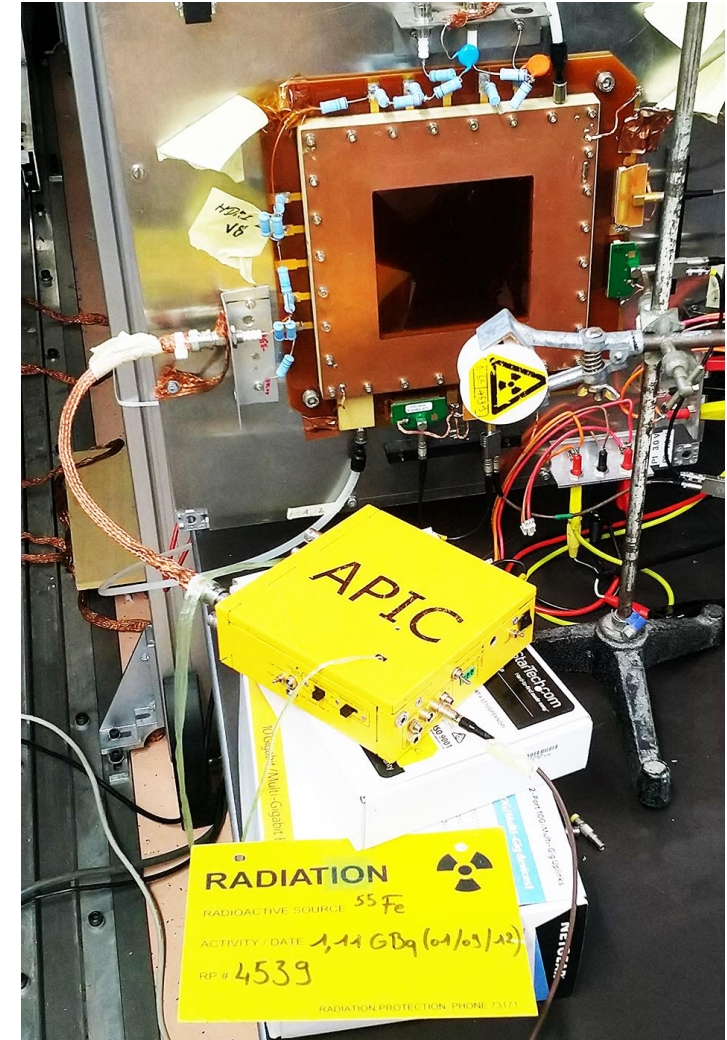
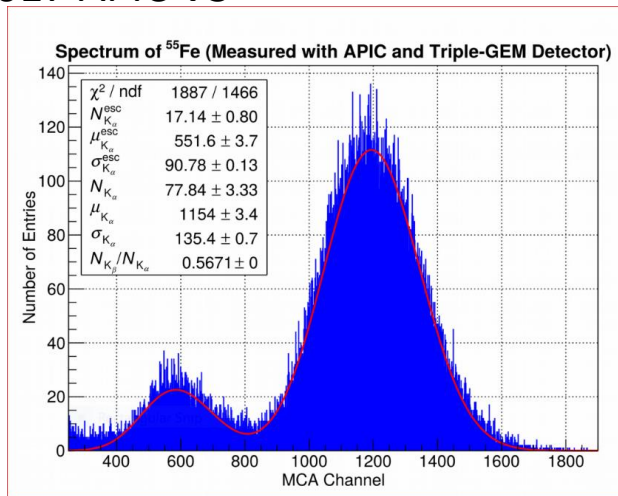


$\Delta t_{\text{peak, fit}}$  expect  $\sigma_t \ll 100$  ps why?  
 $\sigma_t$  resolution via fit with known shape  
 -multipoint sampling (25)  $\Gamma_n(t)$   
 -amplitude independence of peak :  $\sigma_{\text{timewalk}} \sim 0$   
 -referenced to common system clock,  $\sigma_{\text{clockjitter}} \sim 0$

# APIC in GDD lab, GEM tests



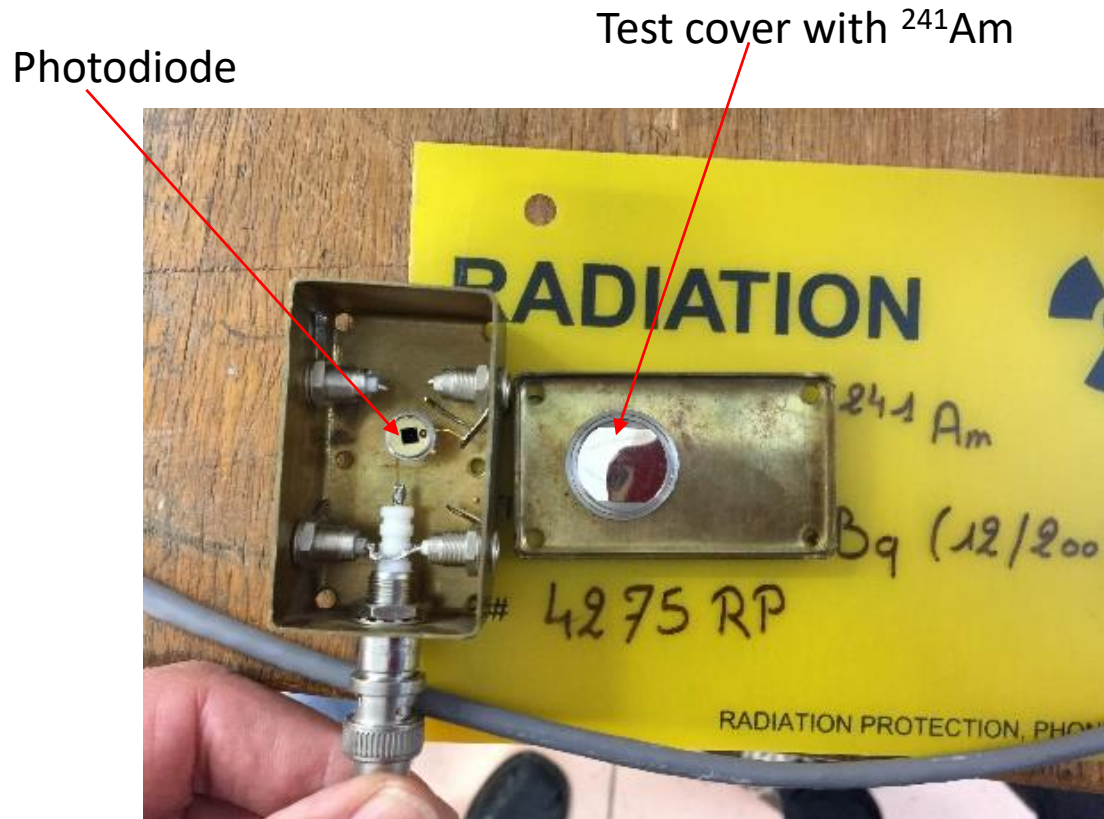
2017 APIC V3



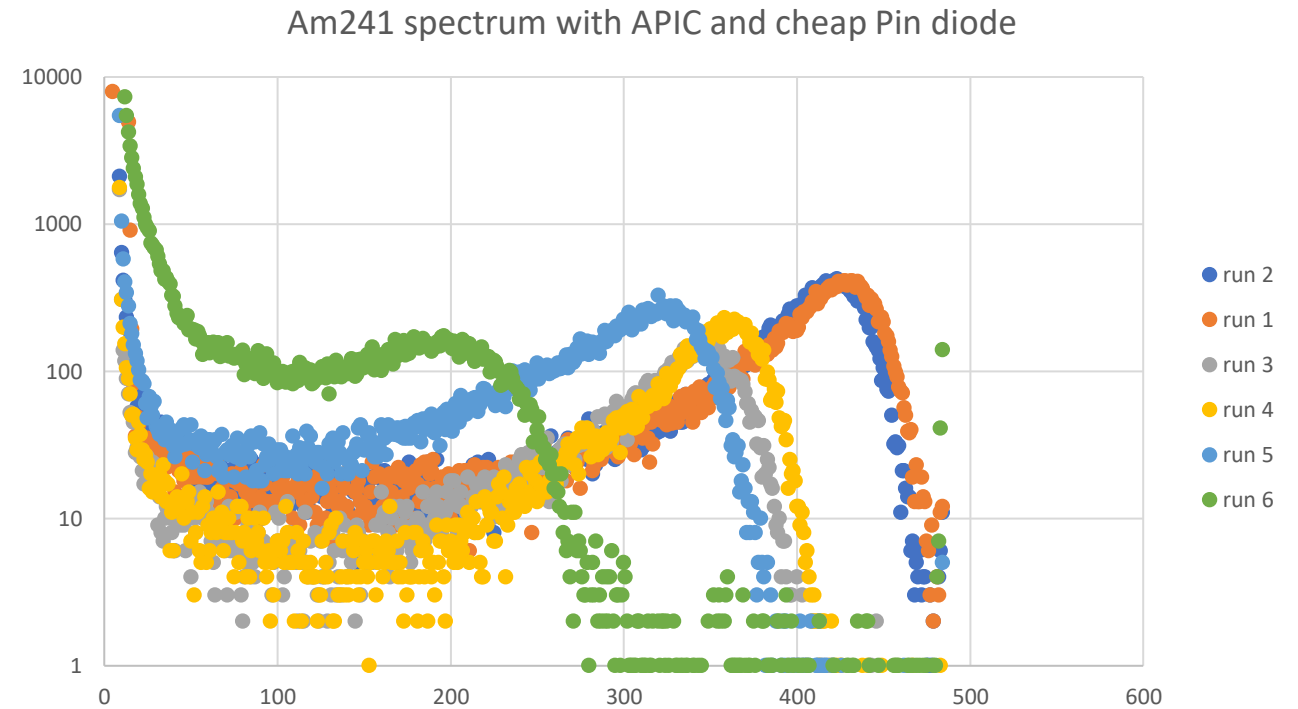
2021 APIC V4  
preparation for high-rate  
testbeam telescope



# Alpha spectra with APIC and Pin photodiode



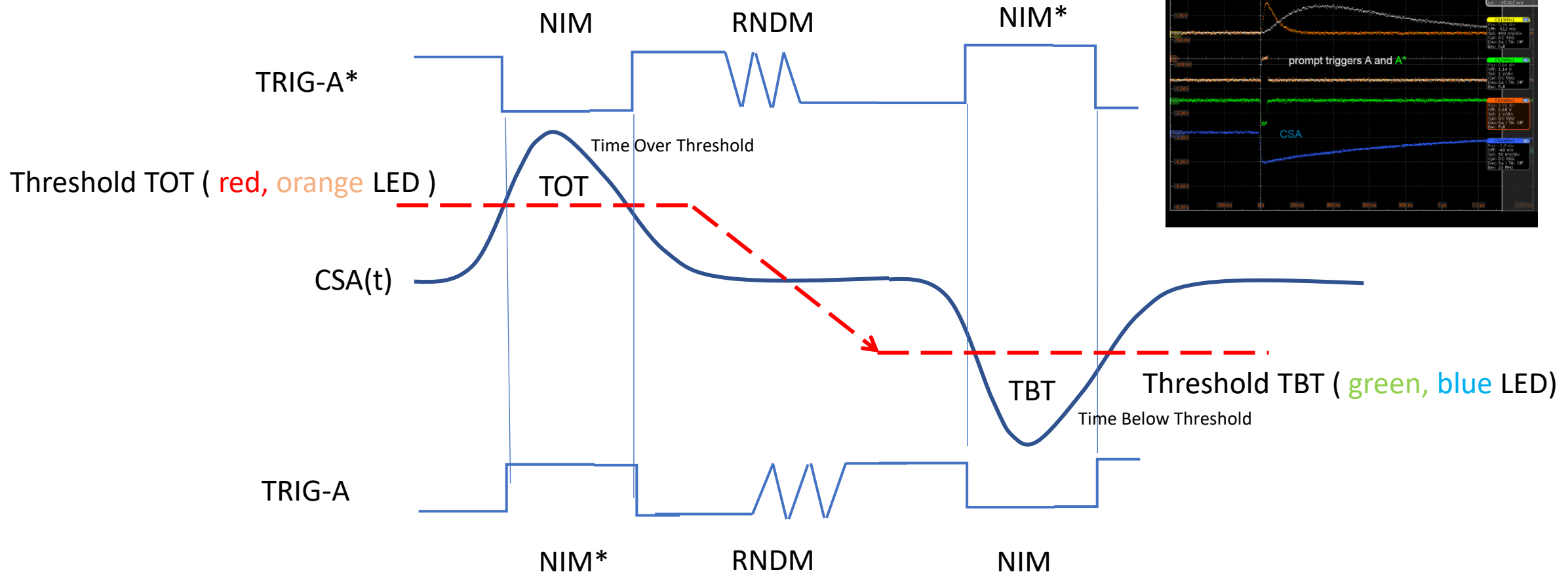
A cheap commercial photodiode was biased at variable APIC generated bias voltages and the APIC shaper output connected to an MCA



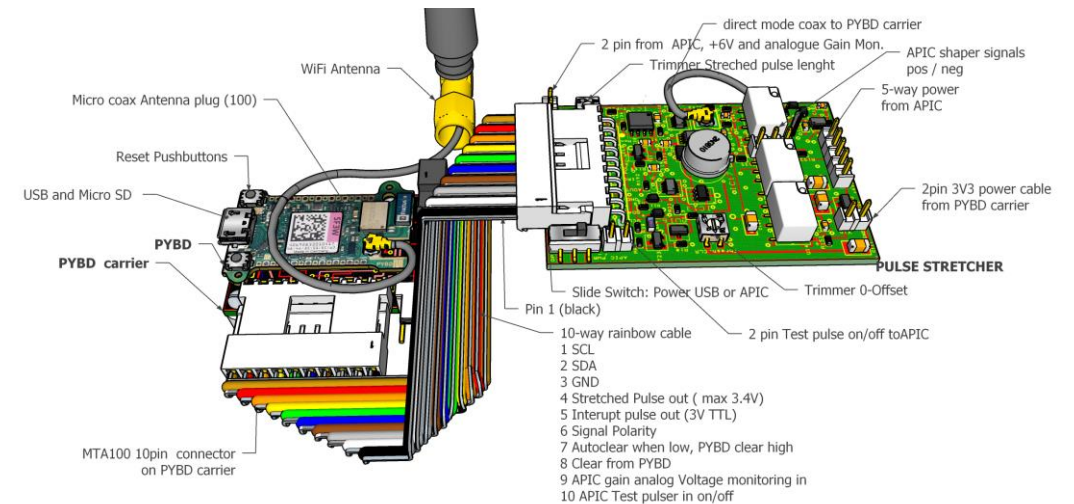
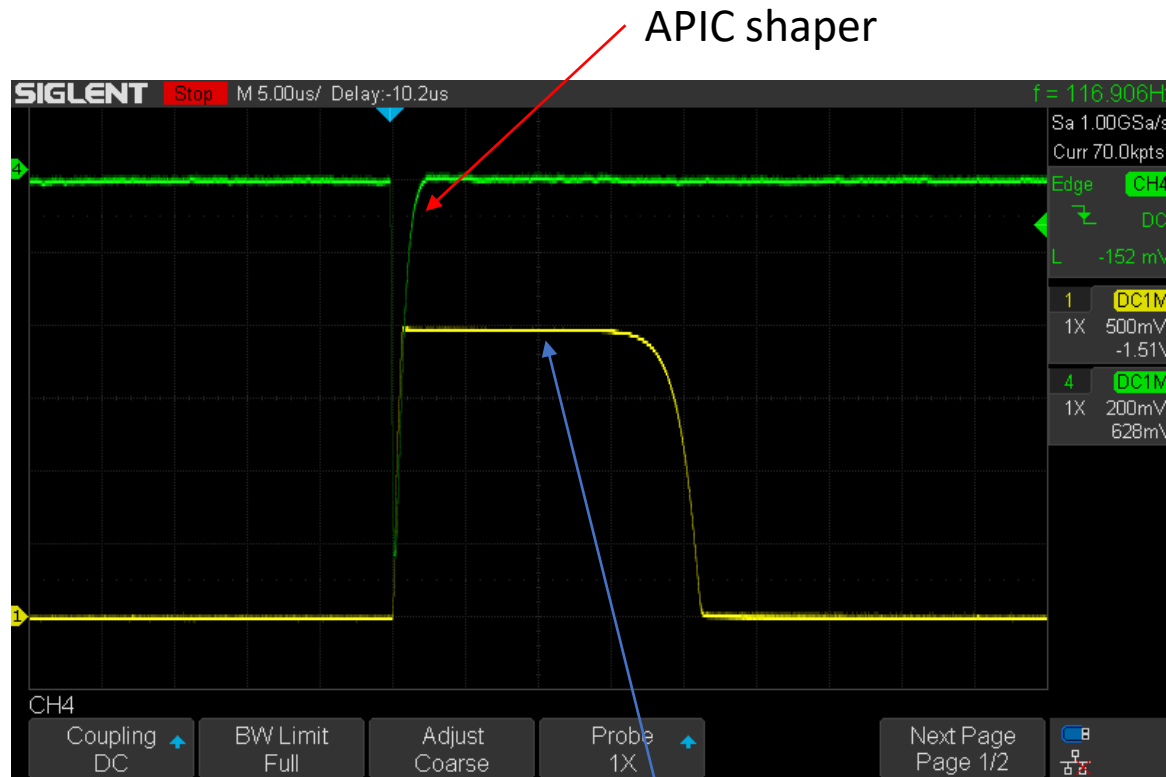
Run 1 with APIC internal Bias Voltage 20V , light shield around test box  
 Run 2 with 9V Battery Bias ( ~ noiseless crosscheck), light shield around test box  
 Run 3 and 4 like Run 1 with 4 and 5 mm wider separation, light shield around test box  
 Run 6 like Run 1 but lightshield replaced by 1 thin Alu foil 5uAlu+100u Mylar  
 Run 6 like Run 4 but 2 x Alu foil



# TOT and TBT trigger (APIC)



# APIC<sub>2019</sub> peak finder-stretcher: for use with 2.4 MS/s ADCs in SoC card for data conversion



Peakfinder Controls via flat-cable from uPython SoC card

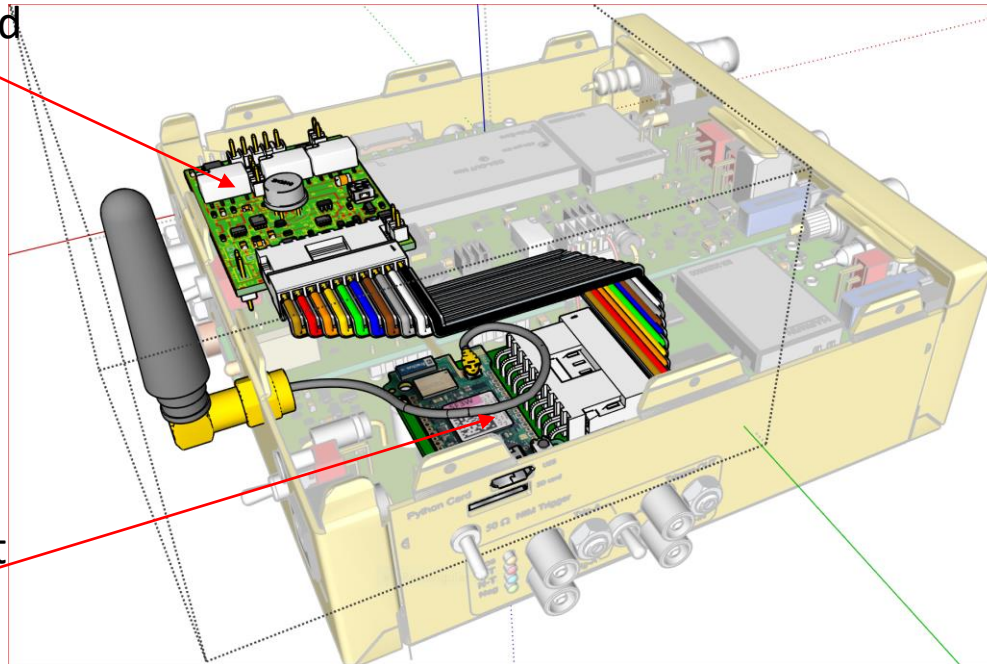
APIC pulse stretcher (15 us) => ADC

# MAPIC 2019

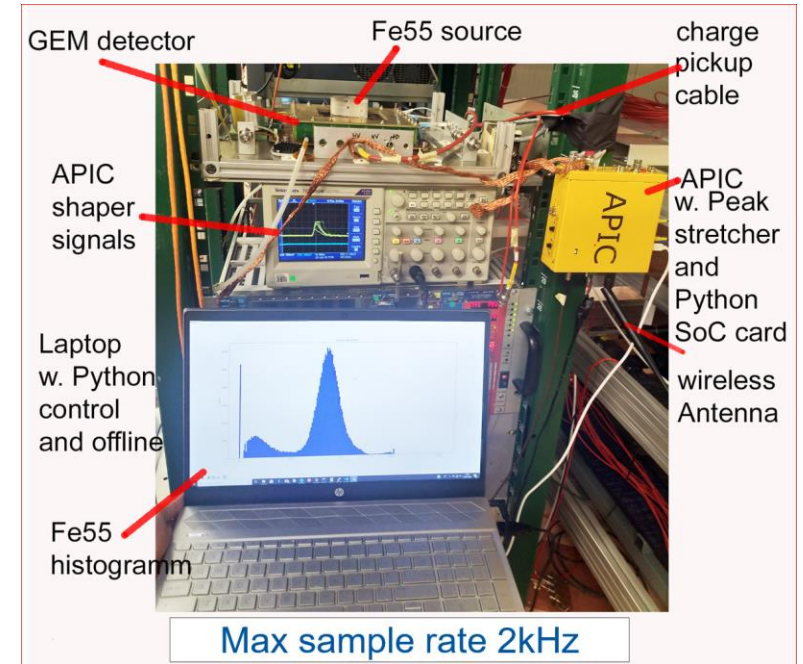
## APIC with embedded, networked MCA

2019 summer student project

added peakfinder card



added SoC with 12 bit  
1MHz ADCs  
includes:  
uPython controls ( I2C )  
USB & wireless



Networked DAQ GUI-based

# Summary

- discrete electronics matters
  - R&D of concepts (before implementation in ASICs)
  - verification / updates on real detectors
  - training of students
  - feature addition on user request
- Detectors with discrete frontends exist for good reasons
  - lowest  $C_d$  , very high dyn. ranges, low noise ..
- Preamp technology keeps evolving
  - high rate preamps
  - matched impedance, fast risetime
- 0-timewalk shapers possible ( at least in discrete )
  - ps time resolution via peak fit
- APIC and MAPIC exist !
  - updates planned: new preamp, 3day-autonomy, embedded MCA, networked DAQ and Ctrl

Thank you !

Les grandes choses sont  
souvent plus faciles qu'on ne  
pense

\*François Marie Arouet, dit Voltaire

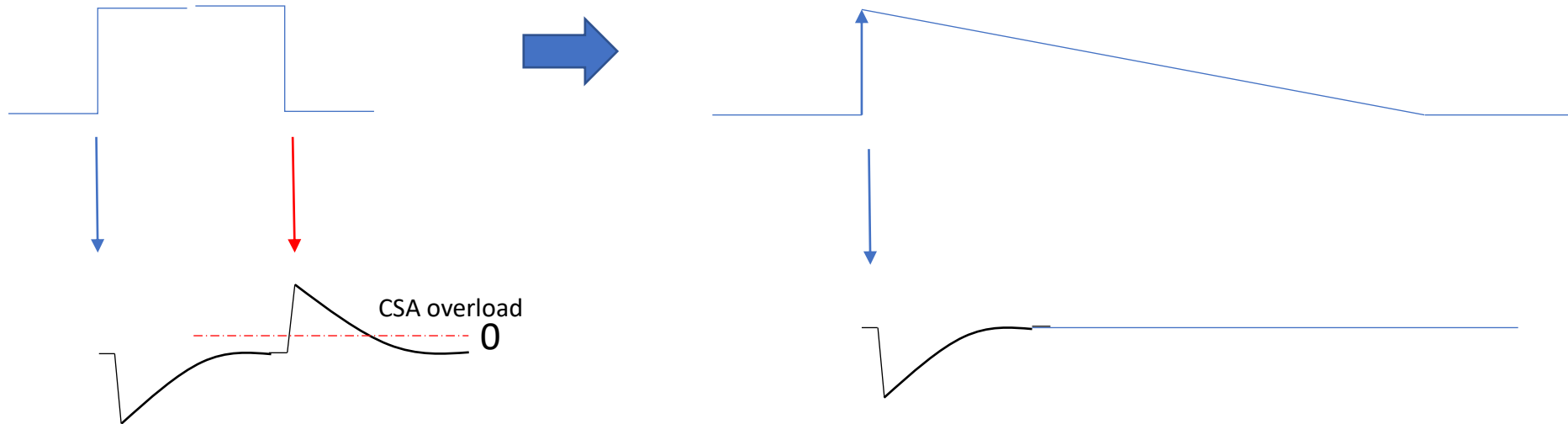
# Backups



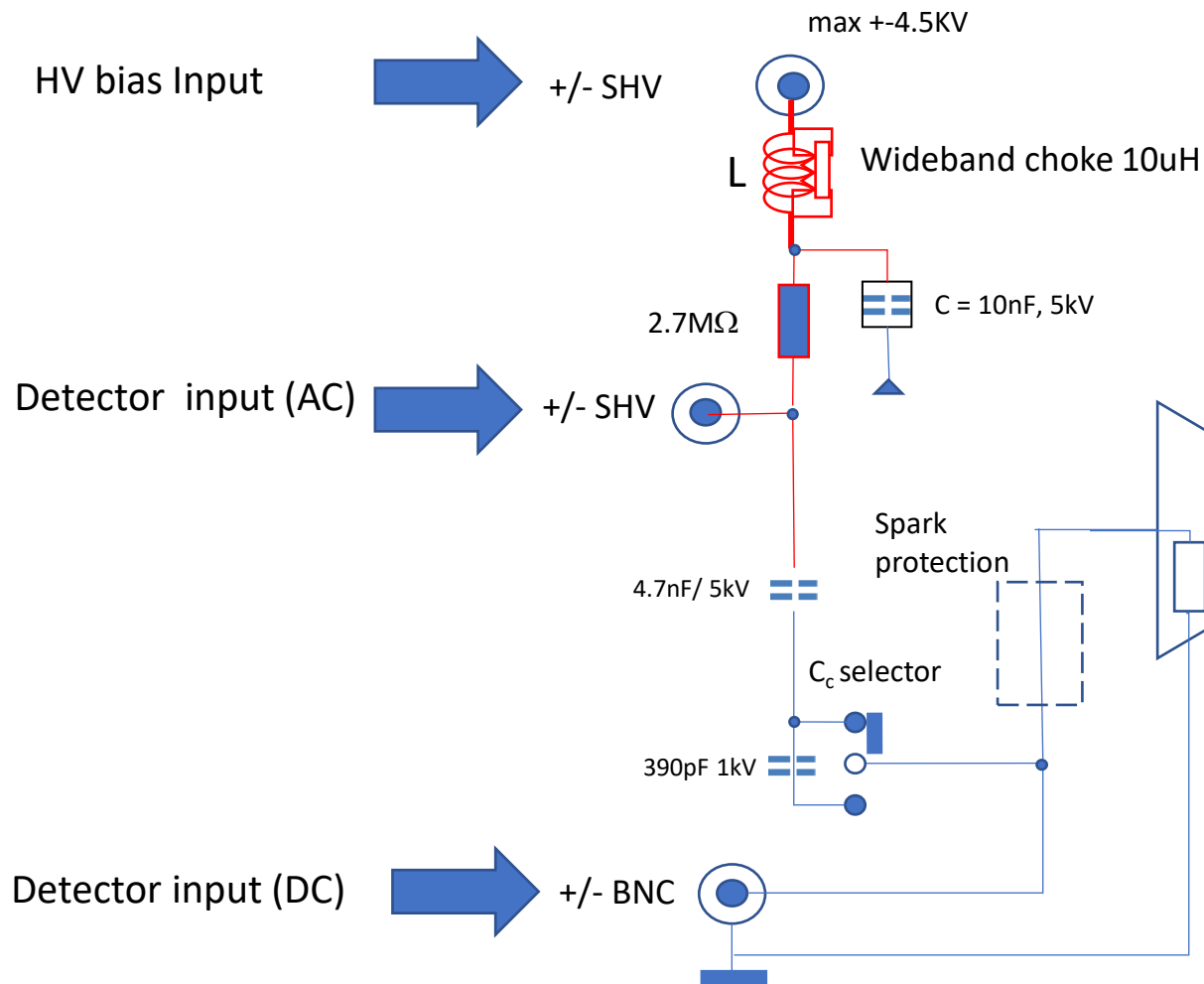
# Test pulse shape

A rectangular pulse entails production of the opposite charge which can overload the CSA, at least temporarily

Saw-tooth test pulse shape avoids opposite polarity



# HV bias and AC coupling (MPGD, APDs)



Noise from HV bias directly coupled to CSA input

⇒ wideband filtering LRC

⇒ Lowpass filter  $L * C$  to reject noise

$$f_0 = 2\pi / \text{SQRT}(LC)$$

10uH , 10nF ~ 500 kHz

⇒ High-ohm bias resistor (metal film , 5kV )

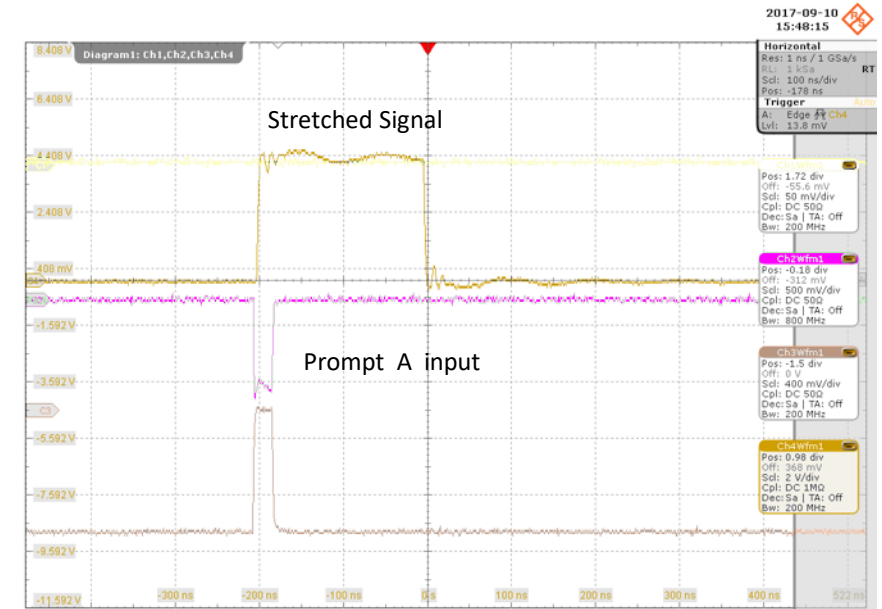
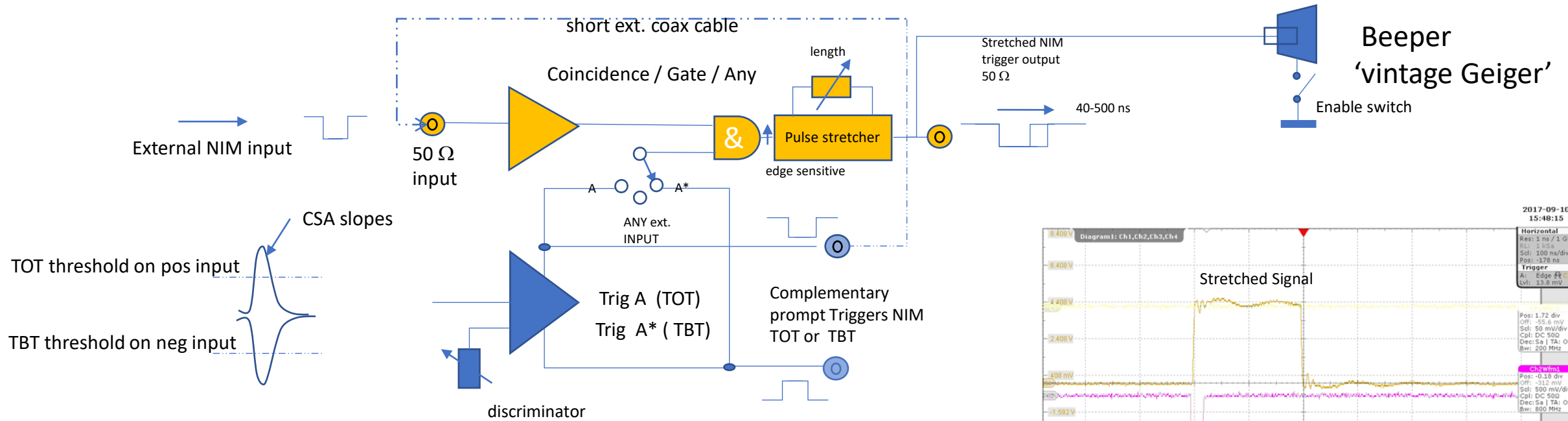
⇒ Capacitive coupling to separate HV-DC from AC

⇒ highpass filter  $C_c * Z_{in}$  [ $Z_{in} \sim 75 \Omega$ ]

passes signals above  $f_0 = 1 / (2\pi R_{in} C_c)$

( 390 pf ~ 5 MHz, 4.7nF ~ 0.4 MHz )

# Stretcher & coincidence unit



## Stretcher Unit Modes:

1. Coincidence (ext. NIM signal ) with direct triggers A or A\*
2. Unconditional stretch for any external NIM signal
3. Stretched TOT or TBT trigger ( coax cable to ext. NIM input)

# spark protection APIC

## triple spark protection scheme:

$$\Delta U_{in} \gg 50V : 1 \text{ ns} \rightarrow \Delta U_{out \text{ max}} = 3V$$

