Physics at high parton densities

Anna Stasto (Penn State & RIKEN BNL & Krakow INP)

on behalf of the conveners of the working group on *Physics at high parton densities (ep and eA)*

Nestor Armesto(Santiago de Compostela), Brian Cole(Columbia Univ.), Paul Newman(Birmingham Univ.),

3rd CERN-ECFA-NuPECC Workshop On The LHeC, November 13, 2010, Chavannes-de-Bogis

Contents of the chapter

I. Physics at small x:

- I.I Unitarity and QCD.
- 1.2 Status following HERA data.
- 1.3 Low-x physics at the LHC.
- I.4 Nuclear targets.

2. Prospects at the LHeC:

- 2.1 Strategy: decreasing x and increasing A.
- 2.2 Inclusive measurements (ep and eA).
- 2.3 Exclusive production.
- 2.4 Exclusive vector meson production.
- 2.5 DVCS and GPDs.
- 2.6 Inclusive diffraction.
- 2.7 Jet and multi-jet observables, parton dynamics and fragmentation.
- 2.8 Photoproduction physics.
- 2.9 Implications for the ultra-high energy neutrino interactions.

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Introduction

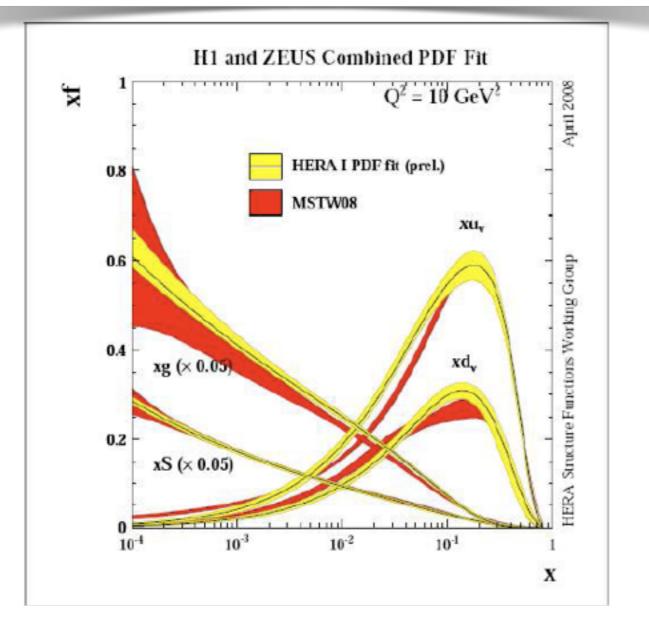


Why small x is so interesting?

Deep inelastic scattering is a classic scattering process in which one probes the structure of the hadron most precisely.

Important lesson from HERA : Observation of large scaling violations of the structure function F2.

Gluon density dominates at small x!



HERA established strong growth of the gluon density towards small x.

On the theoretical side: there is a divergence of the parton densities/cross sections at high energies/small x.

Increasing number of partonic fluctuations in the hadron wave function. Many body system.

New phenomena expected: dense parton regime, possibly new emergent phenomena, different effective degrees of freedom...

Unitarity must be preserved, how it is realized in microscopic terms?

New regime at small x: high parton density

•At small x the linear evolution gives strongly rising gluon density.

•Parton evolution needs to be modified to include the gluon recombination effects (in the dipole language it corresponds to multiple scatterings).

•Dynamically generated scale:

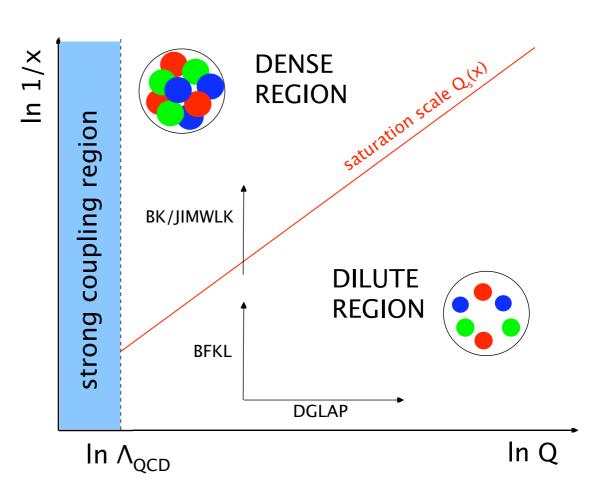
•Characterizes the boundary between the non-linear and linear regime.

Saturation scale: $Q_s^2(x)$

•Increases with energy or with decreasing x.

The boundary between the two regimes needs to be determined experimentally.

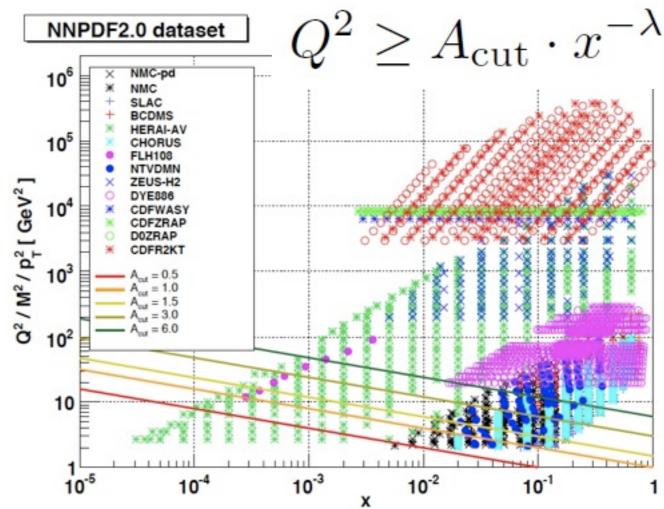
Unique feature of the LHeC: can access the dense regime at fixed, semihard scales Q, while decreasing x.



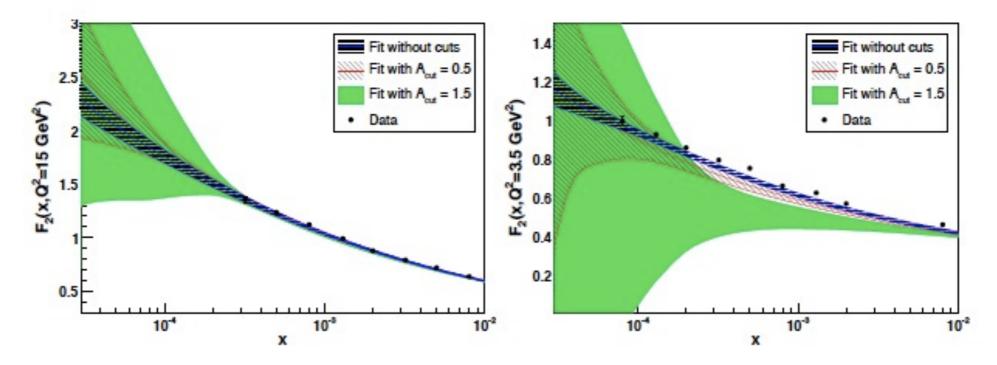
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Hints from HERA

- Tension in data at small x and Q^2 when introduced in a global fit (NNPDF2.0).
- Deviation incompatible with NNLO \rightarrow resummation or non-linear effects.







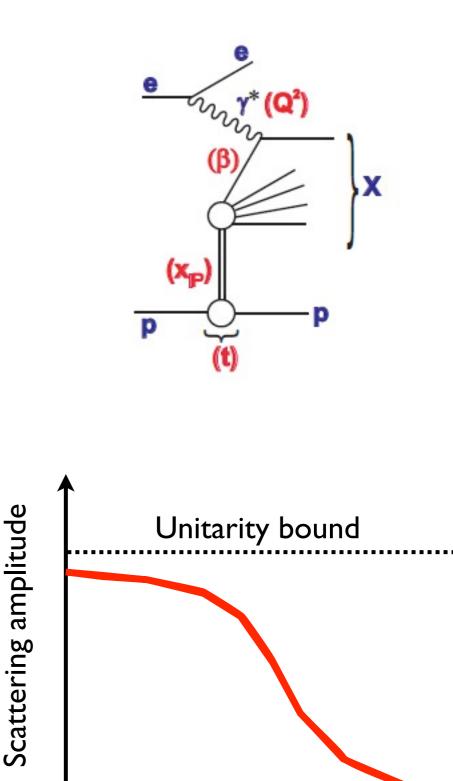
The importance of diffraction

• Diffraction i.e. events with a rapidity gap due to the exchange of a color neutral object, are ~ 10 % of the total cross section at HERA.

• Diffraction is characterized by softer scales than inclusive measurements: additional possibility to check saturation ideas at same Q.

•Diffraction is a collective phenomenon; explore relation with saturation.

• A scanning in momentum transfer t provides an impact parameter $(t \propto I/b)$ scan of the hadron: unitarity and saturation effects expected to be larger in the center of the hadron (density effect).

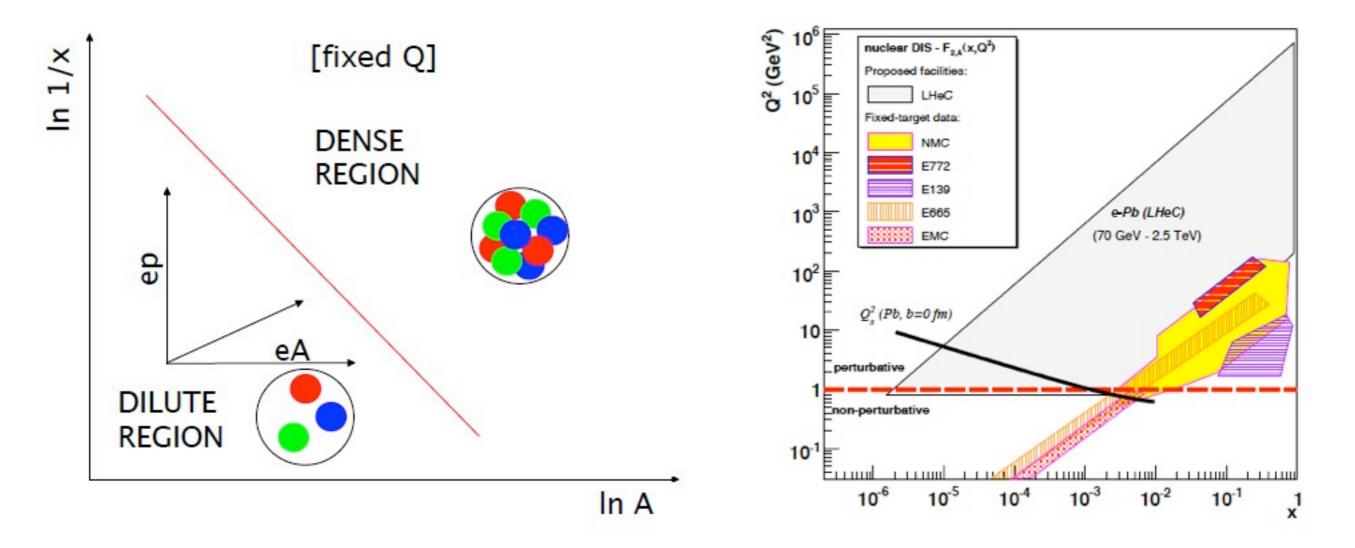


The importance of nuclei

With non-linear phenomena (saturation) being a density effect, the nuclear size offers the possibility of testing it.

$$\frac{A \times xg(x,Q_s^2)}{\pi A^{2/3}} \times \frac{\alpha_s(Q_s^2)}{Q_s^2} \sim 1 \implies Q_s^2 \sim A^{1/3}Q_0^2 \left(\frac{1}{x}\right)^{\lambda}$$

Exploration of the partonic structure of nuclei at high energies.



Contents:

I. Physics at small x:

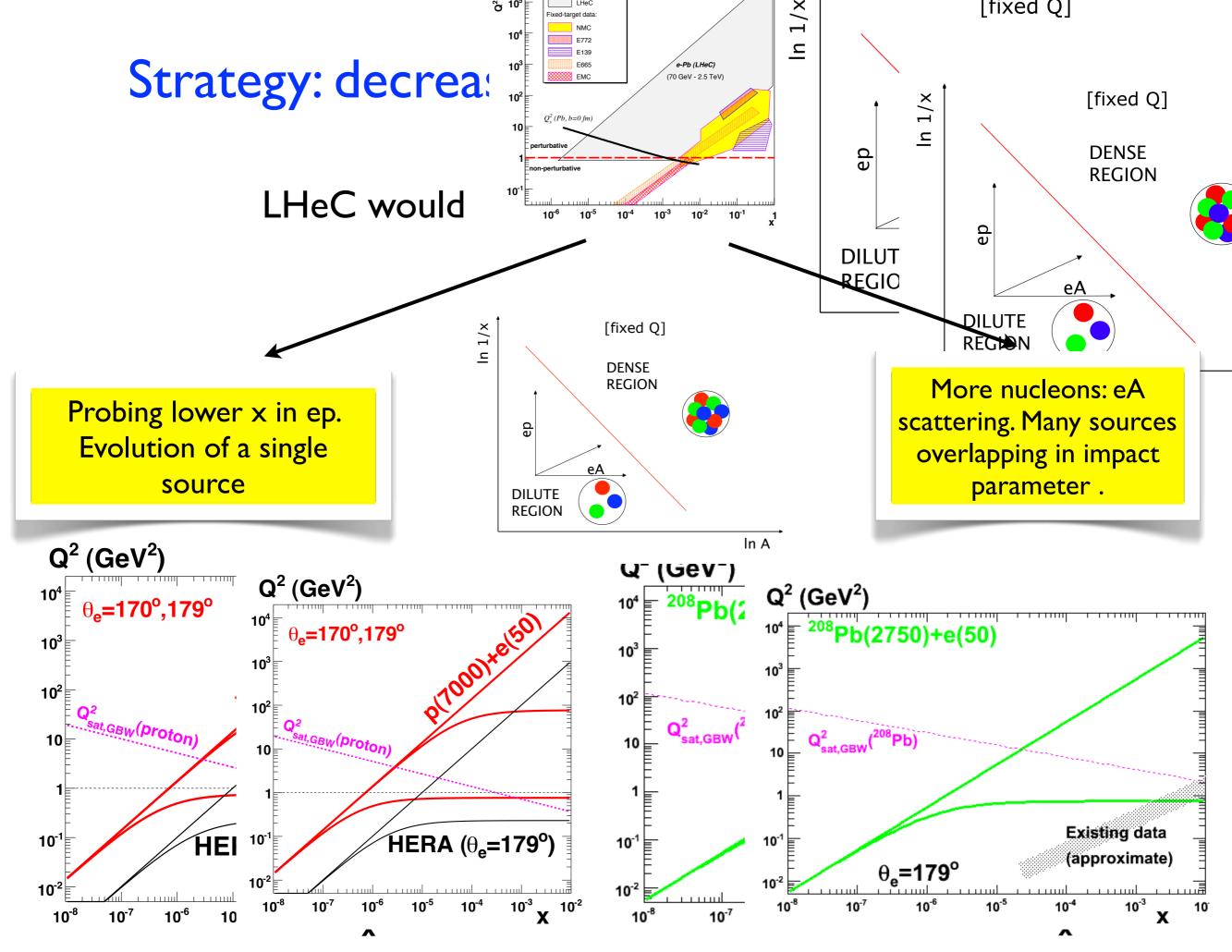
- I.I Unitarity and QCD. ok
- 1.2 Status following HERA data. ok
- I.3 Low-x physics at the LHC. work in progress
- I.4 Nuclear targets. work in progress

2. Prospects at the LHeC:

- 2.1 Strategy: decreasing x and increasing A. work in progress
- 2.2 Inclusive measurements (ep and eA). ok
- 2.3 Exclusive production. ok
- 2.4 Exclusive vector meson production. work in progress
- 2.5 DVCS and GPDs. ok
- 2.6 Inclusive diffraction. work in progress

2.7 Jet and multi-jet observables, parton dynamics and fragmentation. work in progress

- 2.8 Photoproduction physics. ok
- 2.9 Implications for the ultra-high energy neutrino interactions. ok

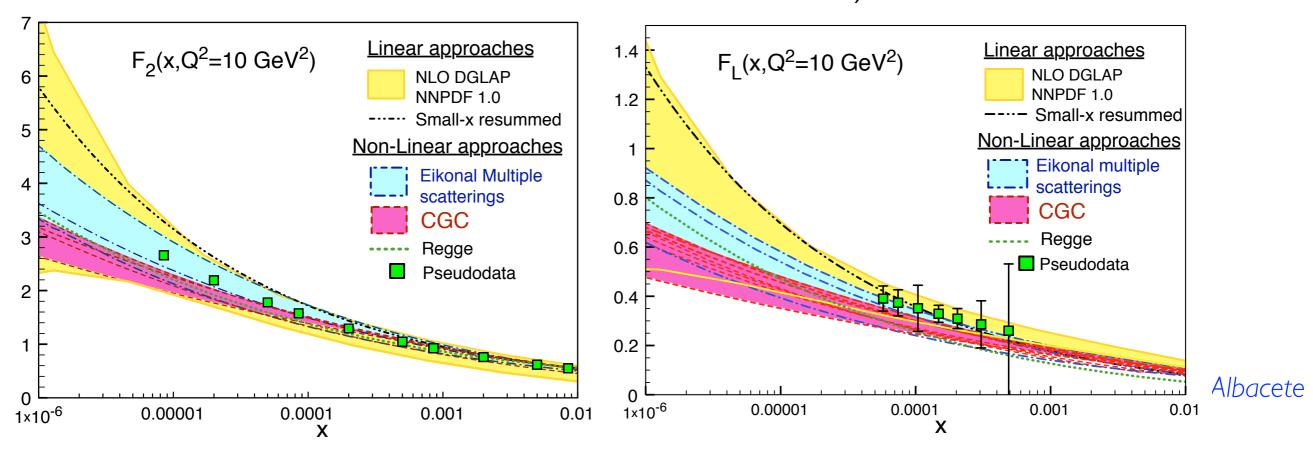


Inclusive measurements

- Predictions for the proton. ok
- •Testing non-linear dynamics. ok
- Predictions for nuclei: impact on nuclear DGLAP analyses. ok

Predictions for the proton

DGLAP approaches have large uncertainties at low x and even at moderate Q (larger uncertainties as Q is decreased)



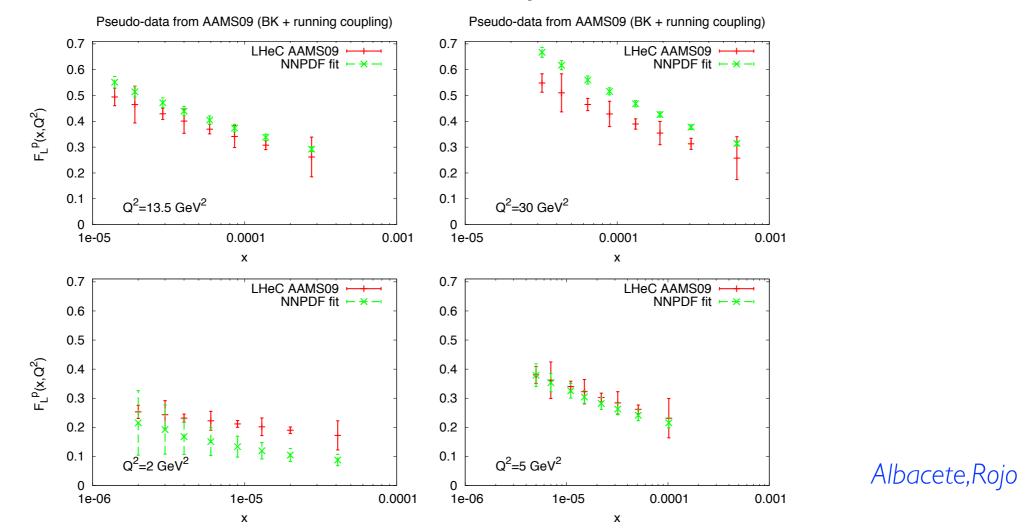
Interestingly, rather small band of uncertainties for models based on saturation as compared with the calculations based on the linear evolution. Possible cause: the nonlinear evolution washes out any uncertainties due to the initial conditions, or too constrained parametrization used within the similar framework.

approx. 2% error on the F2 pseudodata, and 8% on the FL pseudodata , should be able to rule out many of the scenarios.

Testing nonlinear dynamics in ep

Simulated LHeC data using the nonlinear evolution which leads to the parton saturation at low x.

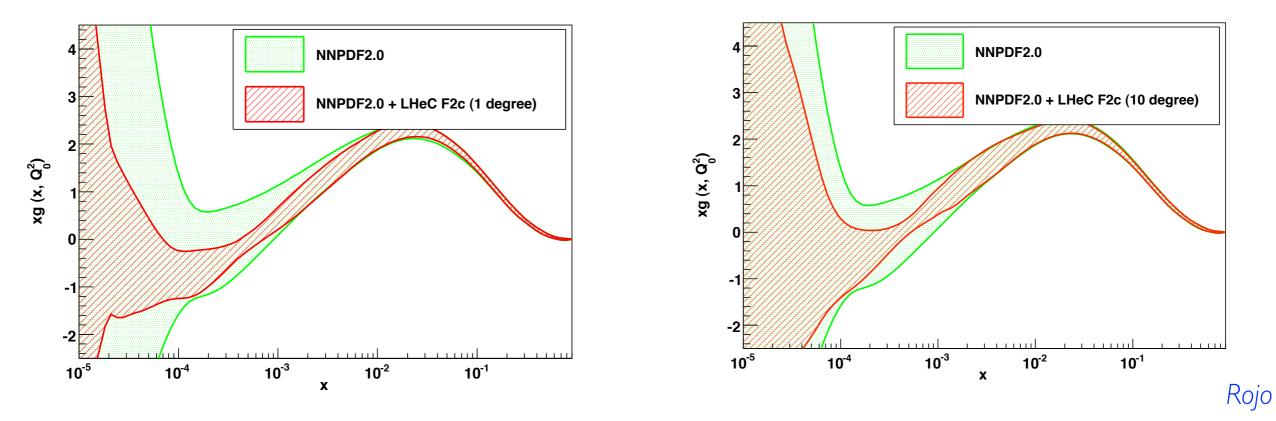
DGLAP fits (using the NNPDF) cannot accommodate the nonlinear effects if F2 and FL are simultaneously fitted.



FL provides important constraint on the gluon density at low x.

Testing nonlinear dynamics in ep

Longitudinal structure function difficult to measure. Possibility of using charm structure function to constrain the gluon distribution function.

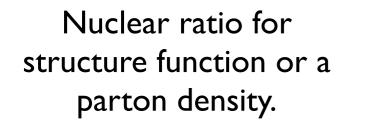


Charm structure function F2c can be used in addition to F2 to constrain the gluon density (red band corresponds to the analysis with the LHeC data on F2charm).

The advantage of I degree scenario is also illustrated.

Conclusion: for a better discrimination between models, especially involving nonlinear dynamics, two observables are necessary.

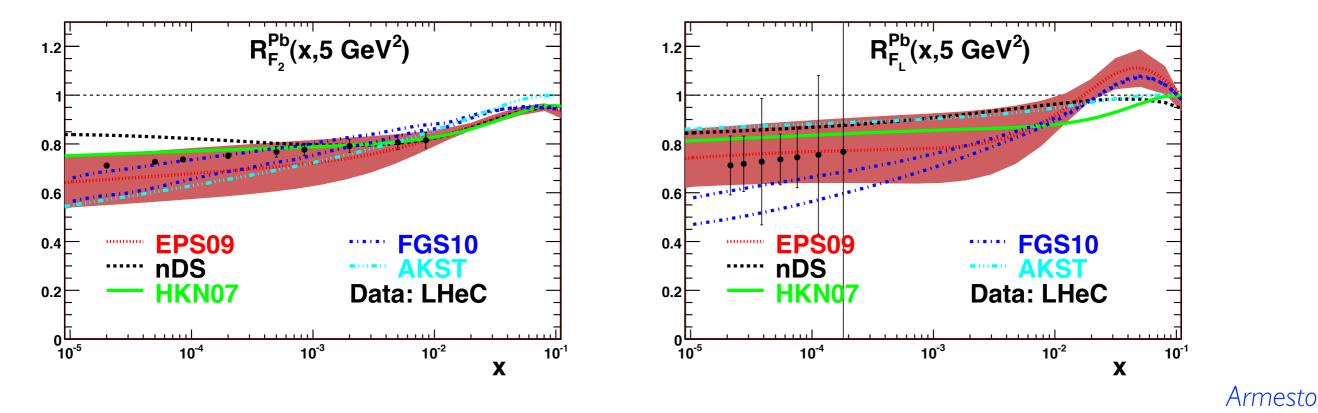
Impact of LHeC on nuclear structure functions



$$R_f^A(x,Q^2) = \frac{f^A(x,Q^2)}{A \times f^N(x,Q^2)}$$

Nuclear effects $R^A
eq 1$

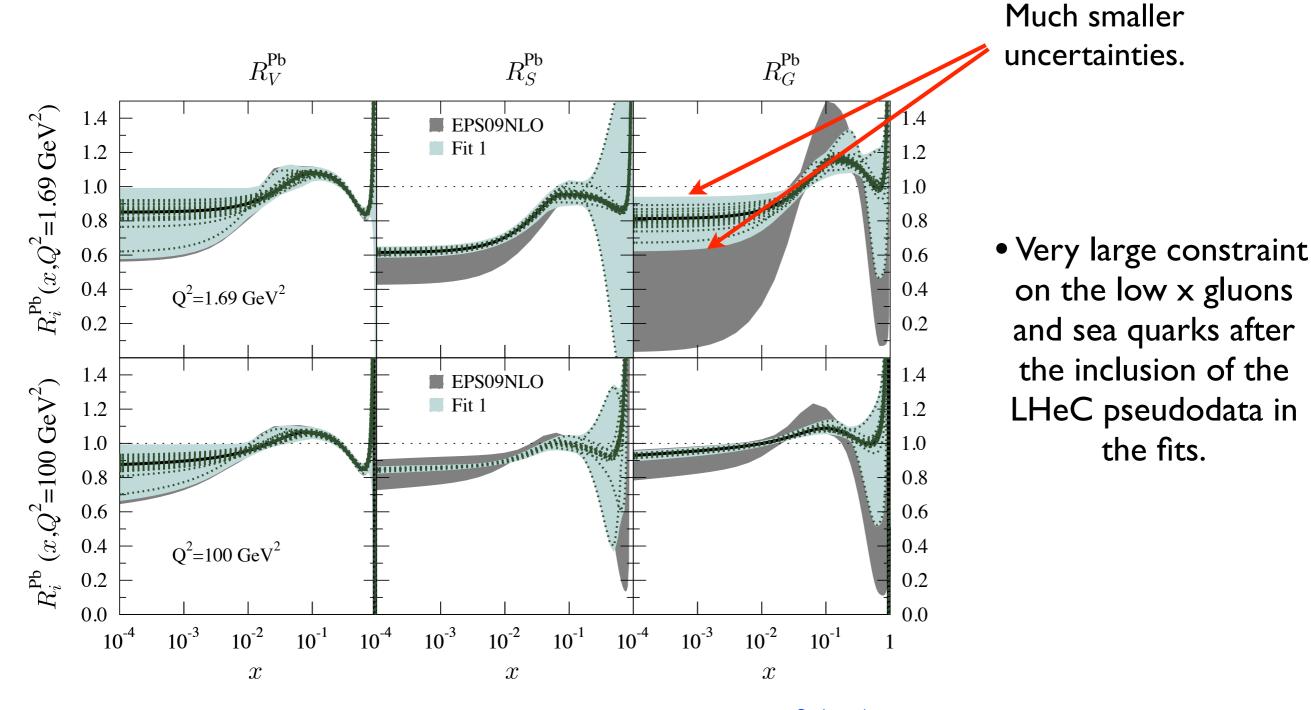
LHeC potential: precisely measure partonic structure of the nuclei at small x.



Nuclear structure functions measured with very high accuracy.

Impact of LHeC on nuclear parton distributions

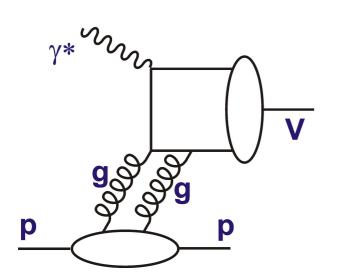
Global NLO fit with the LHeC pseudodata included



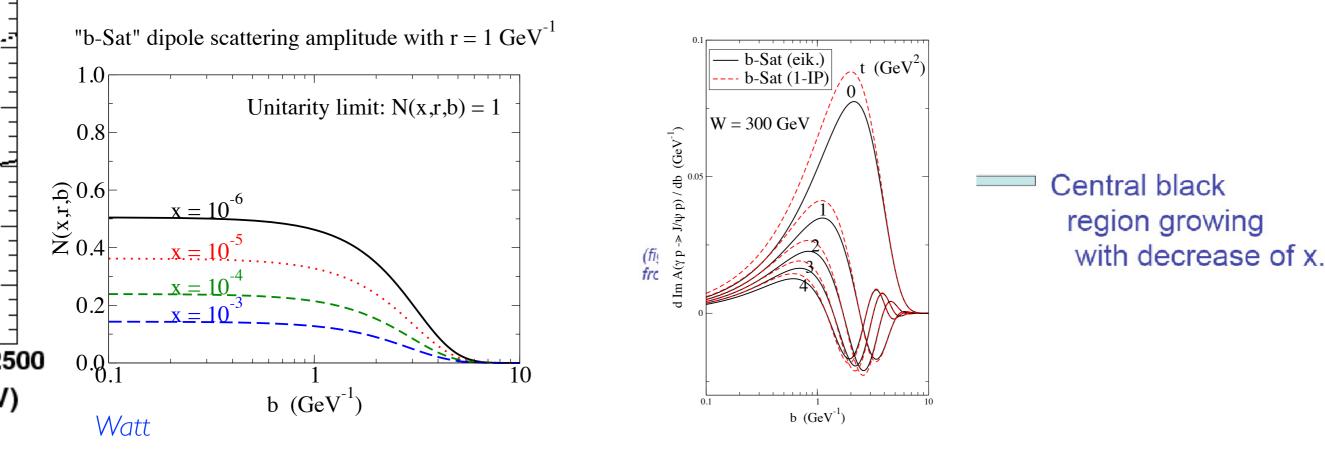
Exclusive production

- Exclusive Vector Meson production.
 - Introduction. ok
 - $\sigma(W)$ for protons. ok
 - Momentum transfer t dependence. ok
 - Diffractive VM production from nuclei. work in progress
- Deeply Virtual Compton Scattering and Generalized Parton Distributions
 - Current DVCS perspectives. ok
 - DVCS simulation at the LHeC. ok

Exclusive diffraction



- Exclusive diffractive production of VM is an excellent process for extracting the dipole amplitude
- Suitable process for estimating the 'blackness' of the interaction.
- t-dependence provides an information about the impace parameter profile of the amplitude.

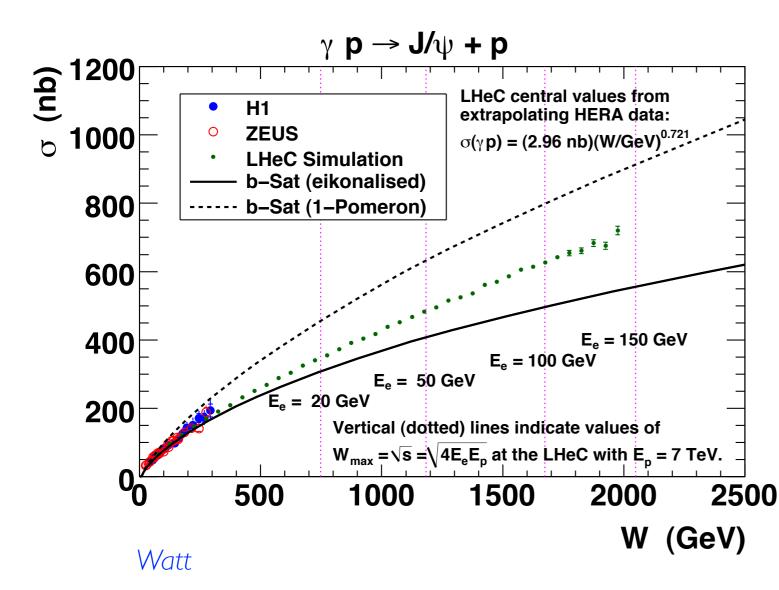


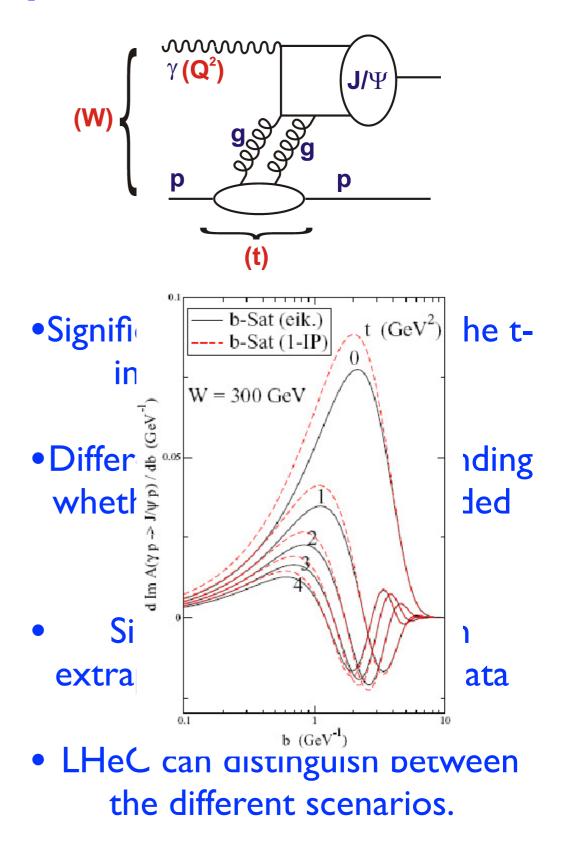
Large momentum transfer t probes small impact parameter where the density of interaction region is most dense.

Exclusive diffraction: predictions

 $\sigma^{\gamma p \to J/\Psi + p}(W)$

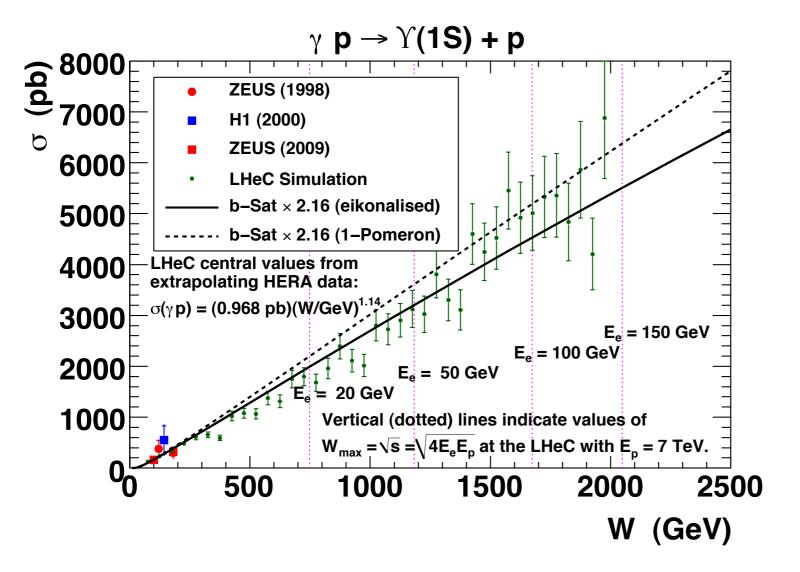
- b-Sat dipole model (Golec-Biernat, Wuesthoff, Bartels, Motyka, Kowalski, Watt)
- eikonalised: with saturation
- I-Pomeron: no saturation





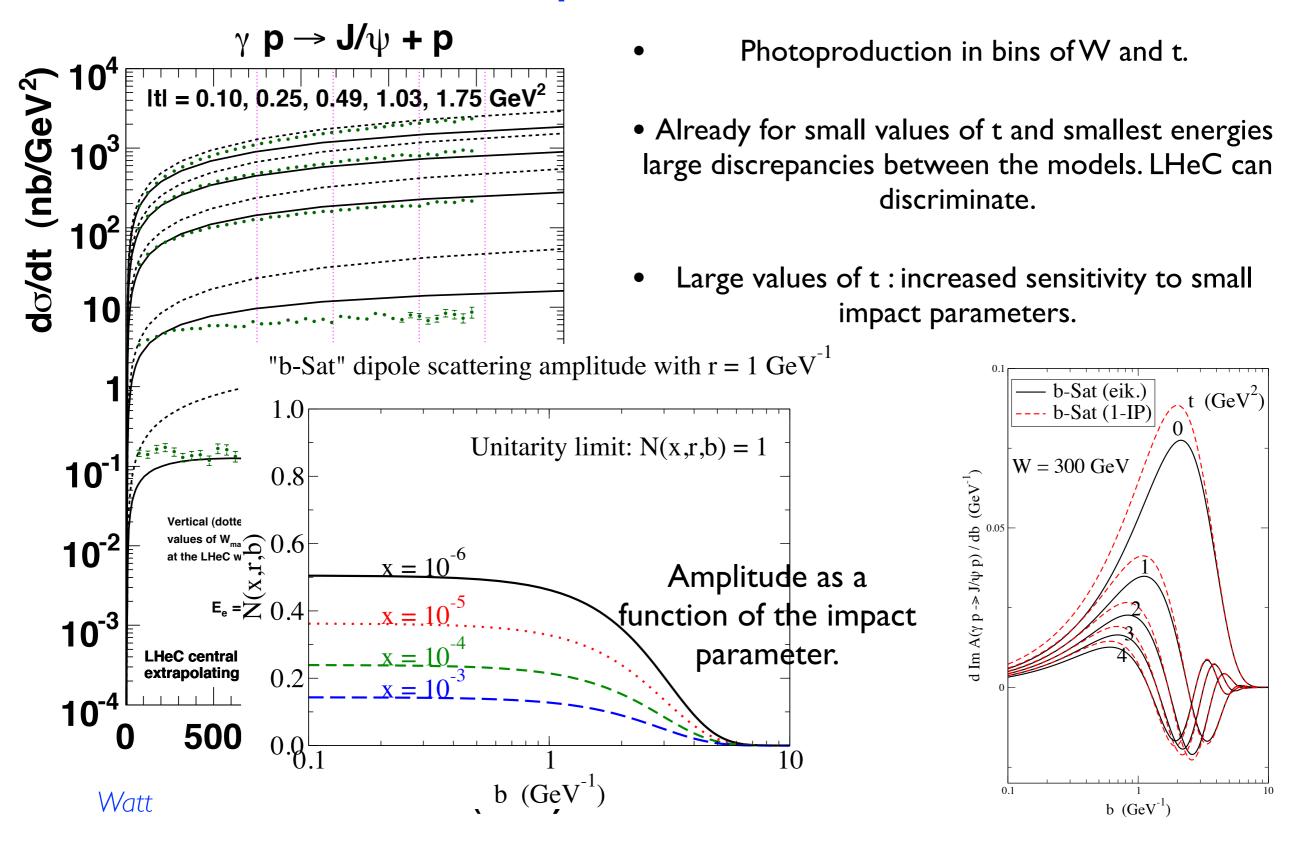
Exclusive diffraction: predictions

 $\sigma^{\gamma p \to \Upsilon + p}(W)$



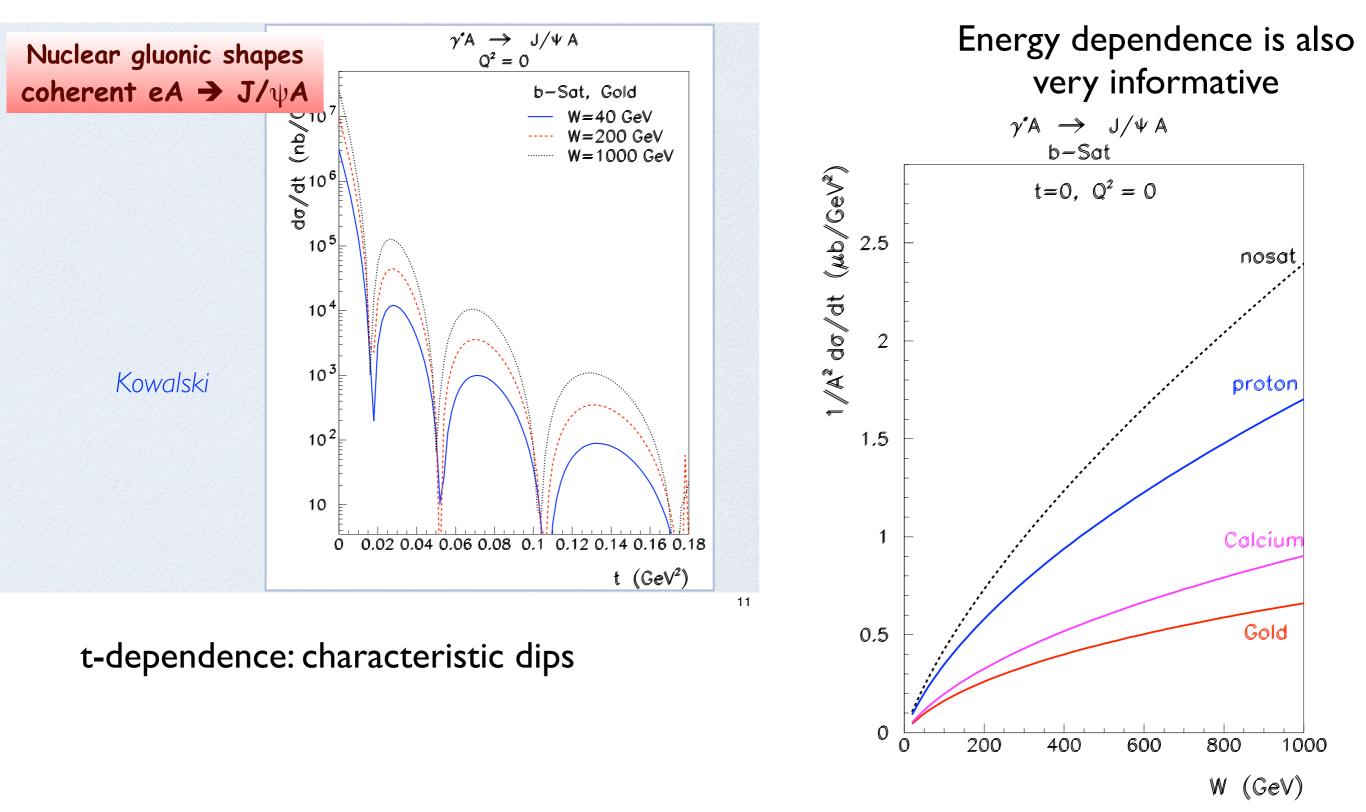
- Similar analysis for heavier states.
- Smaller sensitivity to the saturation effects. But models do have large uncertainty.
 Normalization needs to be adjusted to fit the current HERA data.
- Precise measurements possible in the regime well beyond HERA kinematics.

Exclusive diffraction: momentum transfer dependence



Exclusive diffraction: nuclear case

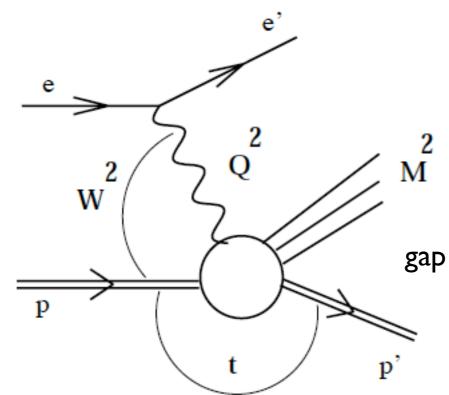
Possibility of using the same principle to learn about the gluon distribution in the nucleus. Challenges: need to distinguish between coherent and incoherent diffraction. Possible nuclear resonances at small t?



Inclusive diffraction:

- Diffractive Deep Inelastic Scattering. ok
- Diffractive Parton Densities. ok
- Diffractive DIS, Dipole Models and Sensitivity to Non-linear Effects . ok
- Predicting nuclear shadowing from inclusive diffraction in ep. ok
- Predictions for inclusive diffraction on nuclear targets. work in progress

Inclusive diffraction



$$e+p \rightarrow e'+p'+X$$

 $x_{I\!\!P} = \frac{Q^2 + M^2 - t}{Q^2 + W^2}$

 $\beta = \frac{Q^2}{Q^2 + M^2 - t}$

Proton stays intact and separated by a rapidity gap

momentum fraction of the Pomeron with respect to the hadron

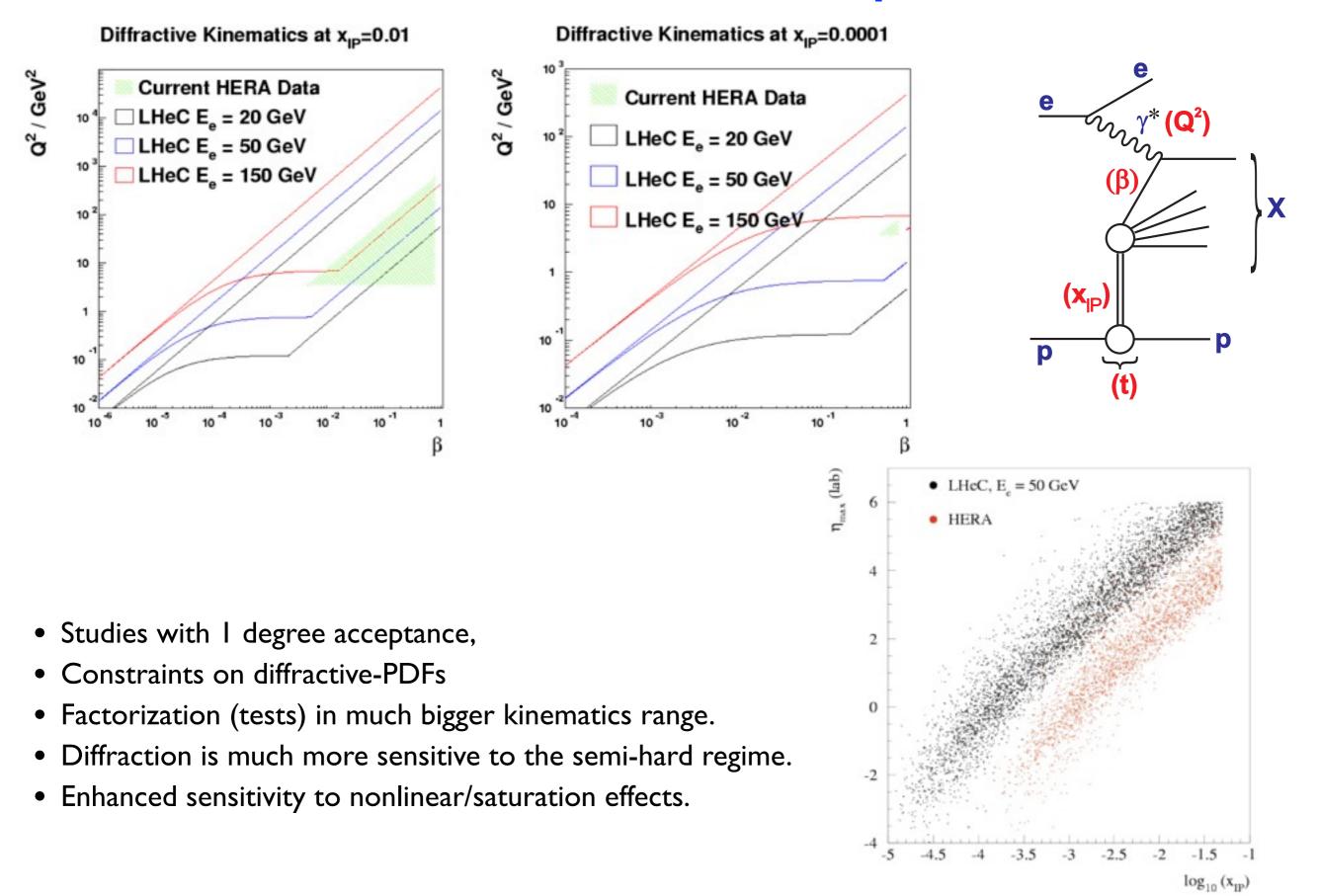
momentum fraction of the struck parton with respect to the Pomeron

 $\Delta \eta = \ln 1/x_{I\!P}$ Rapidity gap

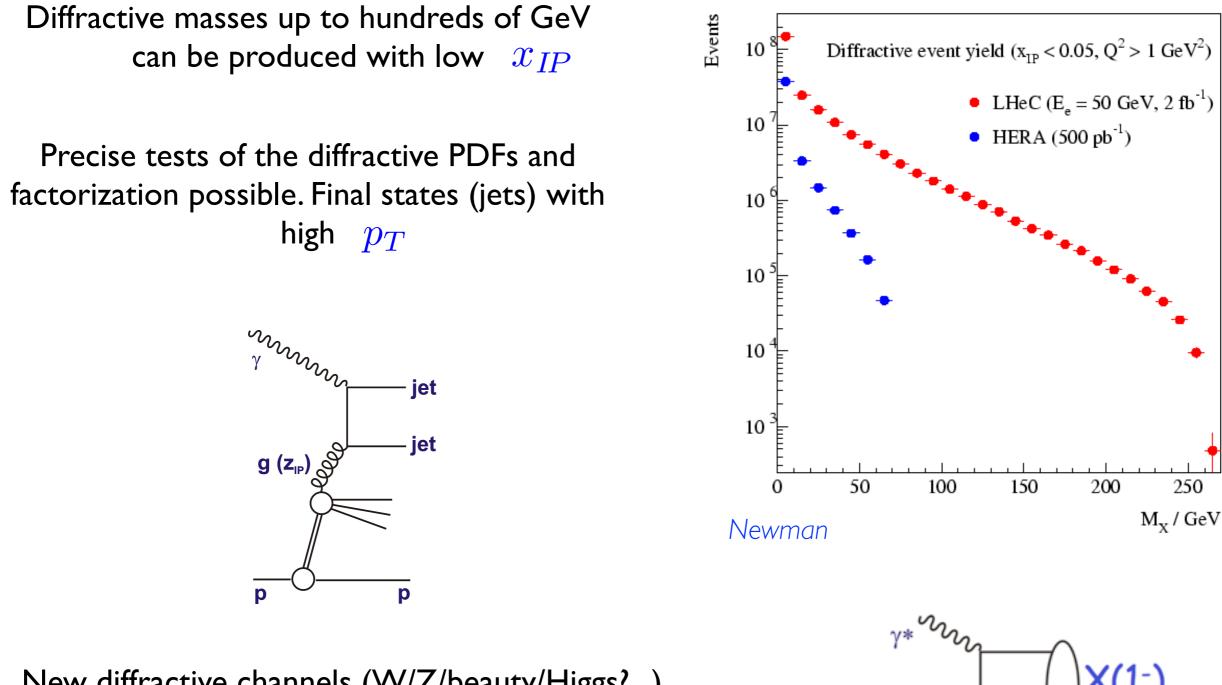
LHeC :

- Enhanced sensitivity to semi-hard regime
- Explore relation with saturation at unprecedented low x
- Test factorization (or lack of it)
- Gap survival issues
- Additional momentum transfer dependence allows access to measure the impact parameter profile of the interaction region

Inclusive diffraction: new possibilities



Inclusive diffraction: final states



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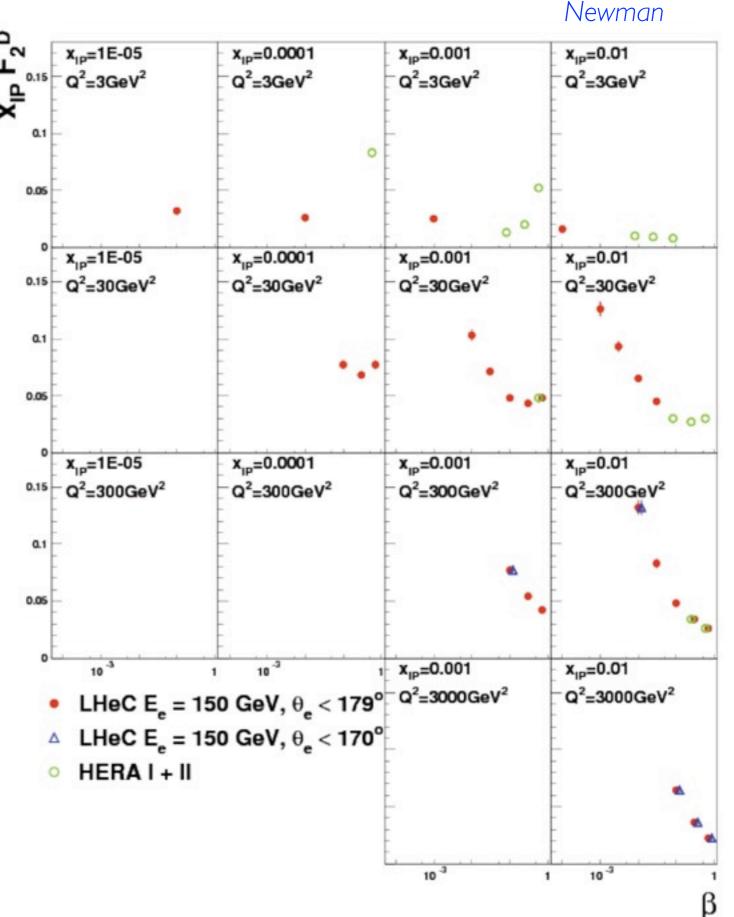
New diffractive channels (W/Z/beauty/Higgs?...)

Unfold quantum numbers precisely, measure new $1^$ exclusive final states

Inclusive diffraction

• The diffractive structure function can be described in theory using factorization framework and parton distribution functions.

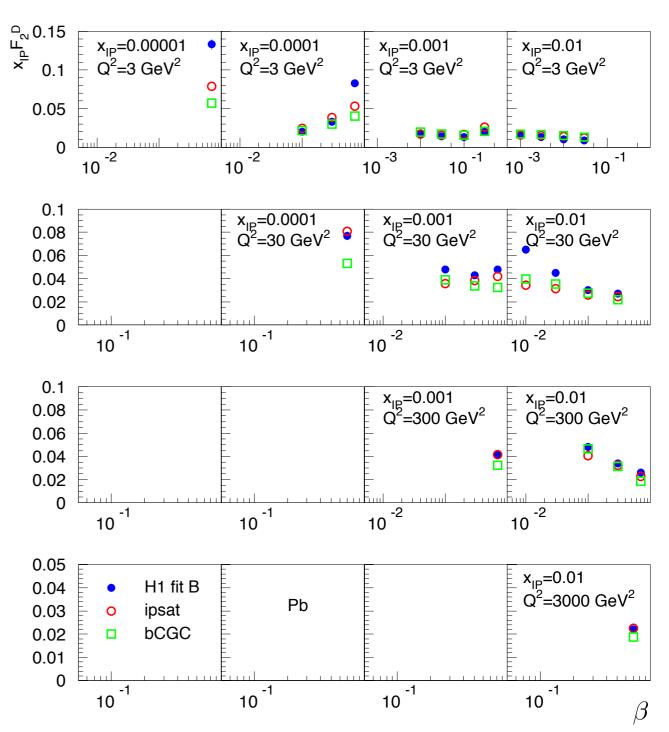
- •LHeC: precise characterization of dpdf's, much wider range than HERA.
- Benchmark for factorization breaking in hard diffraction in hadron colliders (gap survival).



Inclusive diffraction in ePb

Lappi

- In the nuclear case two scenarios possible: coherent (nucleus stays intact) and incoherent diffraction (nuclear breakup into nucleons).
- Diffractive structure functions in electronlead collisions. Dipole model predictions compared with the HI fit B extrapolation. Predictions for the coherent case.
- Detailed Monte Carlo simulations of the nuclear breakup necessary.



Jet and multi-jet observables, parton dynamics and fragmentation:

Forward jets, dijets, angular decorrelation. work in progress

Unintegrated PDFs: theoretical introduction. ok

Perturbative and non-perturbative aspects of final state radiation and hadronization. work in progress

Photoproduction physics:

The total photoproduction cross section. ok

Jet photoproduction. ok

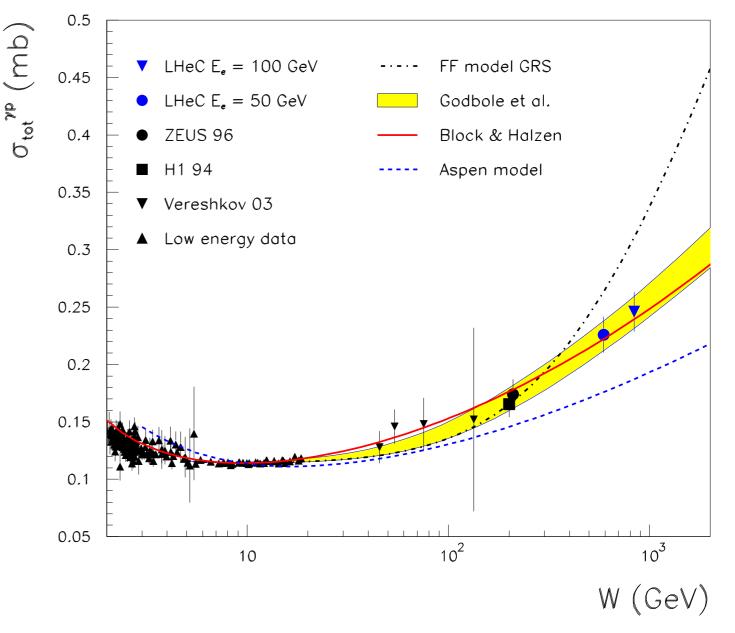
Photon Structure : probably covered in QCD/EW chapter - to discuss.

Photoproduction cross section

- •Photoproduction cross section.
- •Explore dual nature of the photon: pointlike interactions or hadronic behavior.
- •Testing universality of hadronic cross sections, unitarity, transition between perturbative and nonperturbative regimes.
- •Large divergence of the theoretical predictions beyond HERA measurements.
- •Dedicated detectors for small angle scattered electrons at 62m from the interaction point.

•Events with $y \sim 0.3$ could be detected

$$Q^{2} \sim 0.01$$



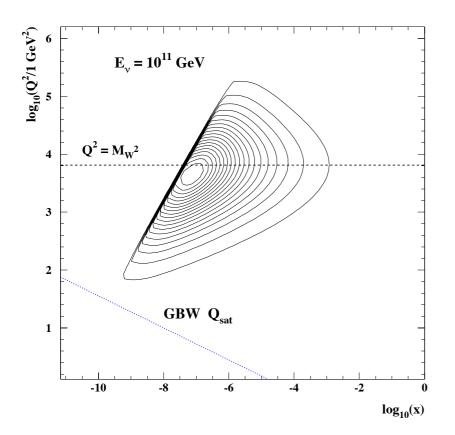
Systematics is the limiting factor here. Assumed 7% for the simulated data as in H1 and ZEUS.

Relevance of LHeC for neutrino interactions

 $\frac{d^2 \sigma^{\nu N}}{dx dQ^2}$

Contours enclose $5\%, 10\%, 15\%, \ldots$

contribution to the differential cross section

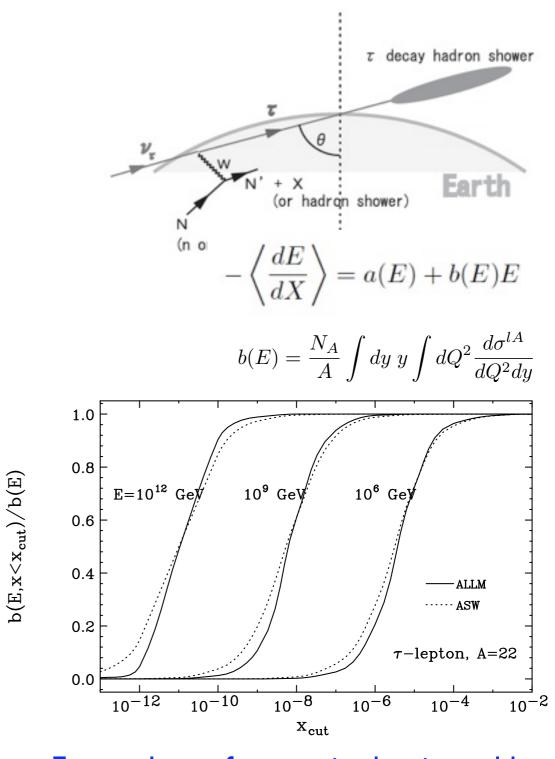


High energy neutrino interactions probe extremely small values of x

 $x \sim 10^{-7}$

Cross section dominated by large Q

 $Q^2 \sim M_W^2$



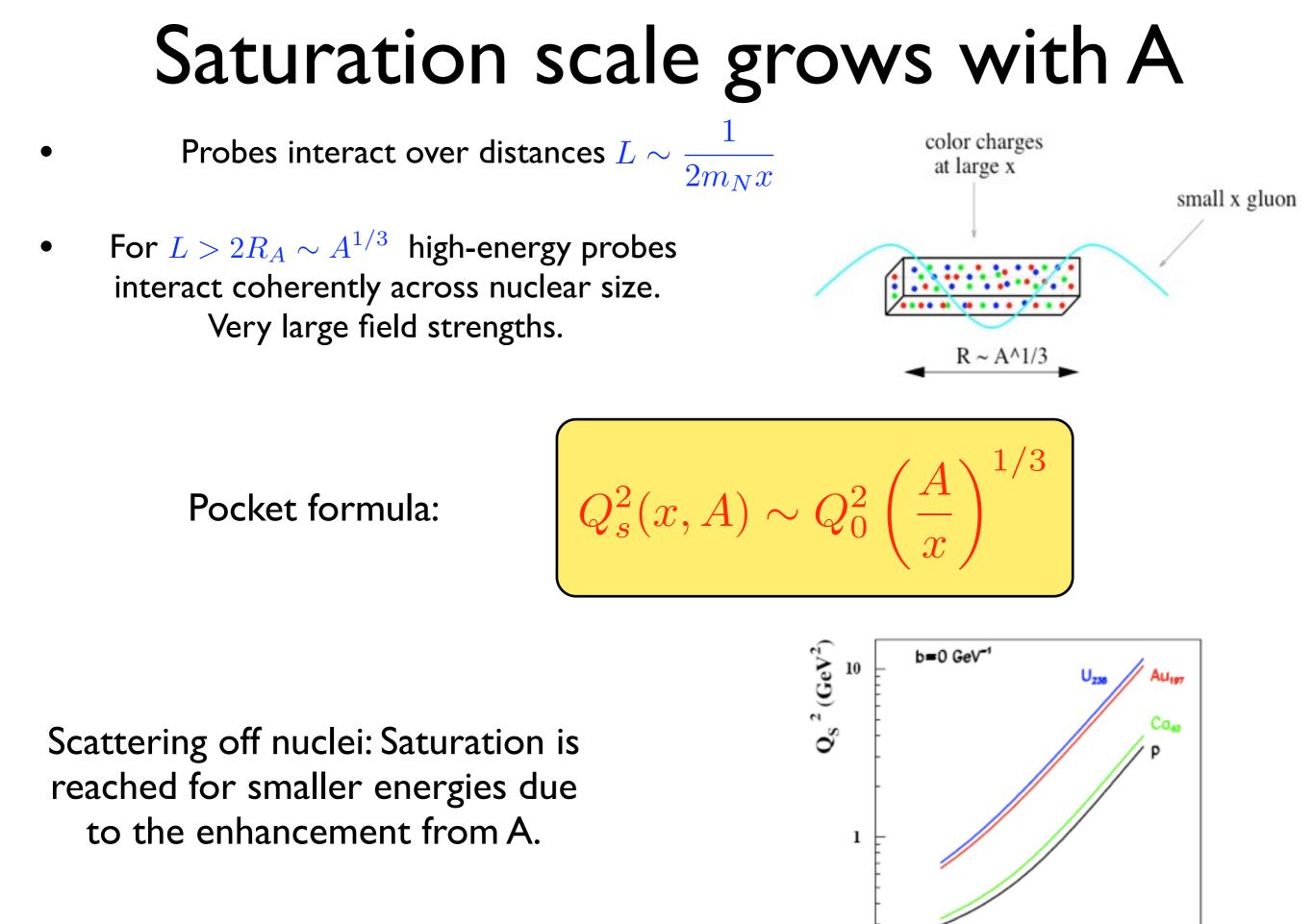
Energy loss of tau again dominated by small x region.

Search for Earth skimming tau neutrinos

Summary of activities and plans

- Currently 50 pages submitted on the svn with 160 references.
 Almost a first complete draft of the chapter.
- Contributions from about 25 people.
- The complete chapter will be about 60 pages.
- Needs still a lot of editing work.
- <u>Plans</u>:
 - Continue on weekly EVO meetings.
 - Meeting of the conveners, around December or January.
 - Comments/remarks/critique welcome, please contact one of the conveners.

Backup



Kowalski, Teaney

102

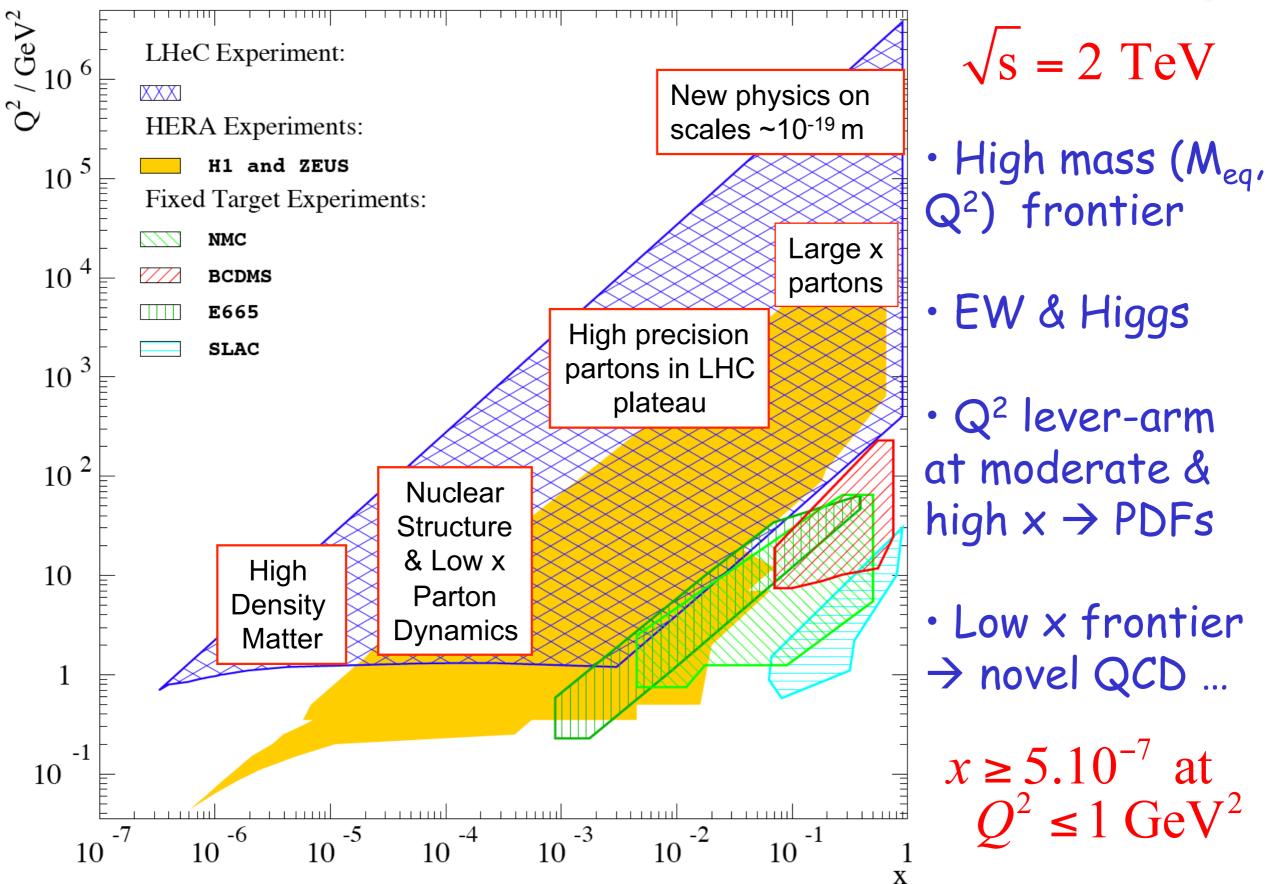
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 10^{4}

10⁶

105

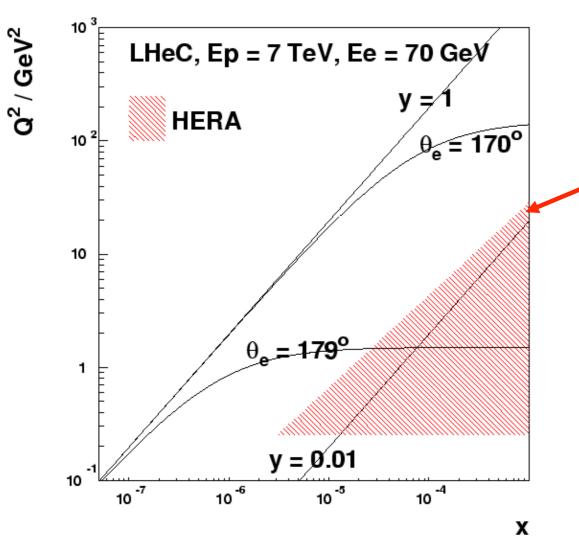
Kinematics & Motivation (140 GeV x 7 TeV)

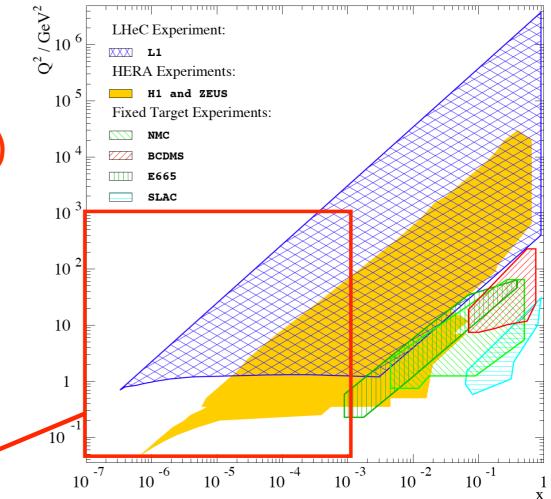


Basic Inclusive Kinematics / Acceptance

Access to Q²=1 GeV² in ep mode for all x > 5 x 10⁻⁷ IF we have acceptance to 179° (and @ low E_e')

Nothing fundamentally new in LHeC low x physics with θ <170°





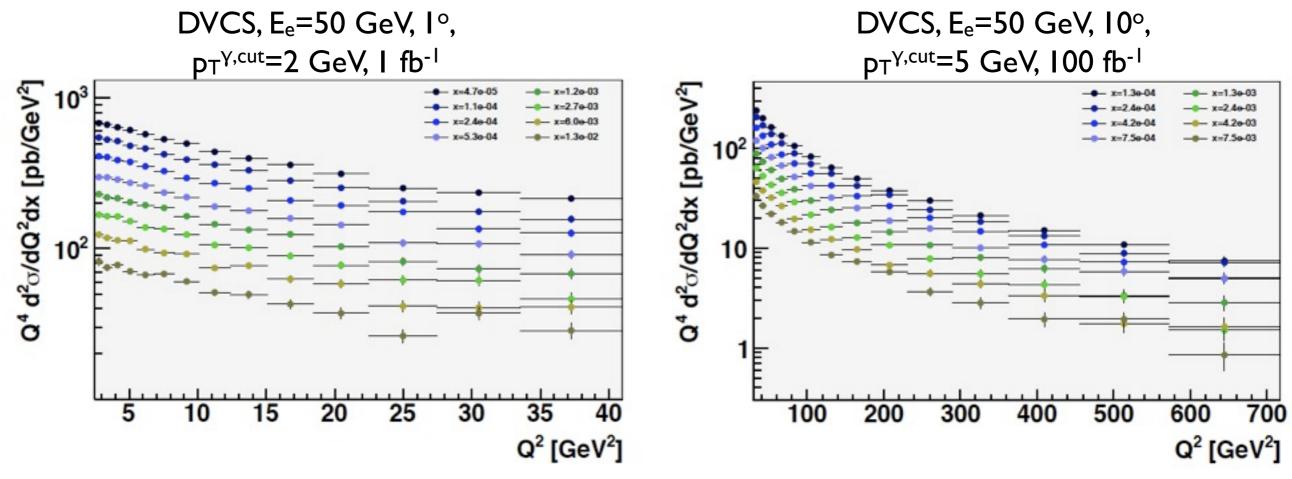
... low x cross sections are large!

... luminosity in all realistic scenarios ample for most low x measurements

2.5 DVCS and GPDs:

• Exclusive processes like $\gamma^{*+h} \rightarrow (\rho, \phi, \gamma)$ +h give information of GPDs, whose Fourier transform gives a transverse scanning of the hadron: key importance for both non-perturbative and perturbative aspects, like the possibility of non-linear dynamics.

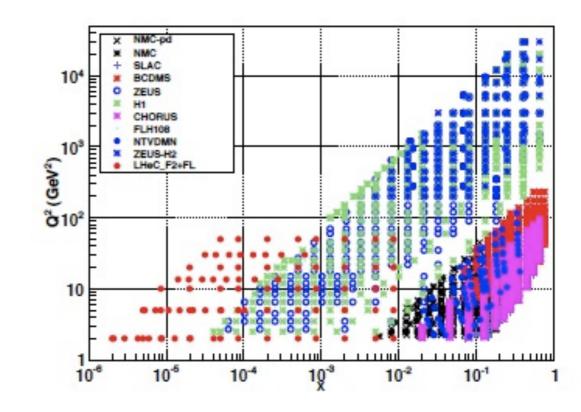
• Only small-x case where higher luminosity really helps!!! (even lepton polarization and charge asymmetries).

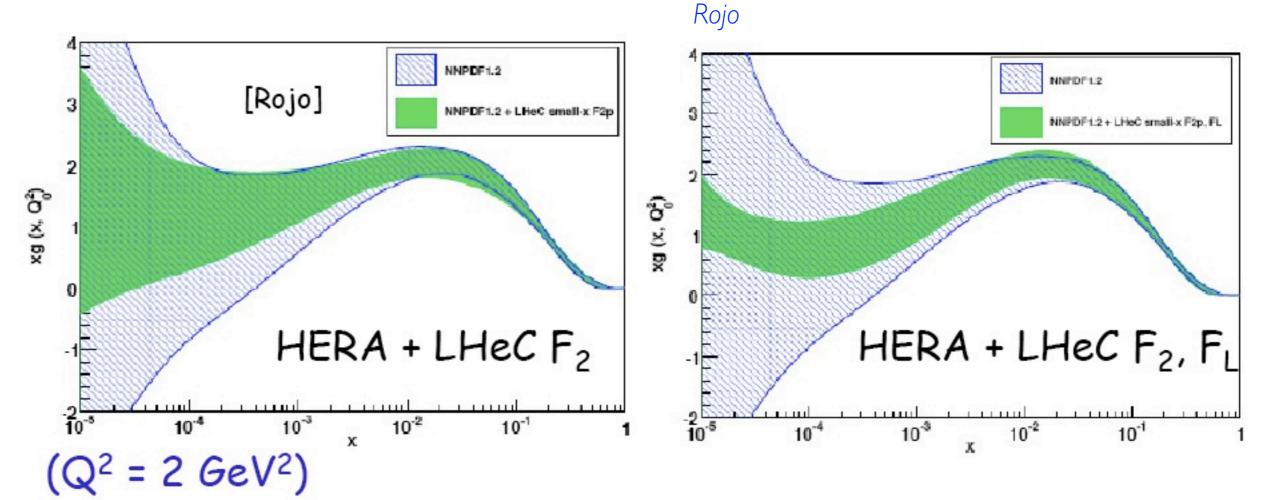


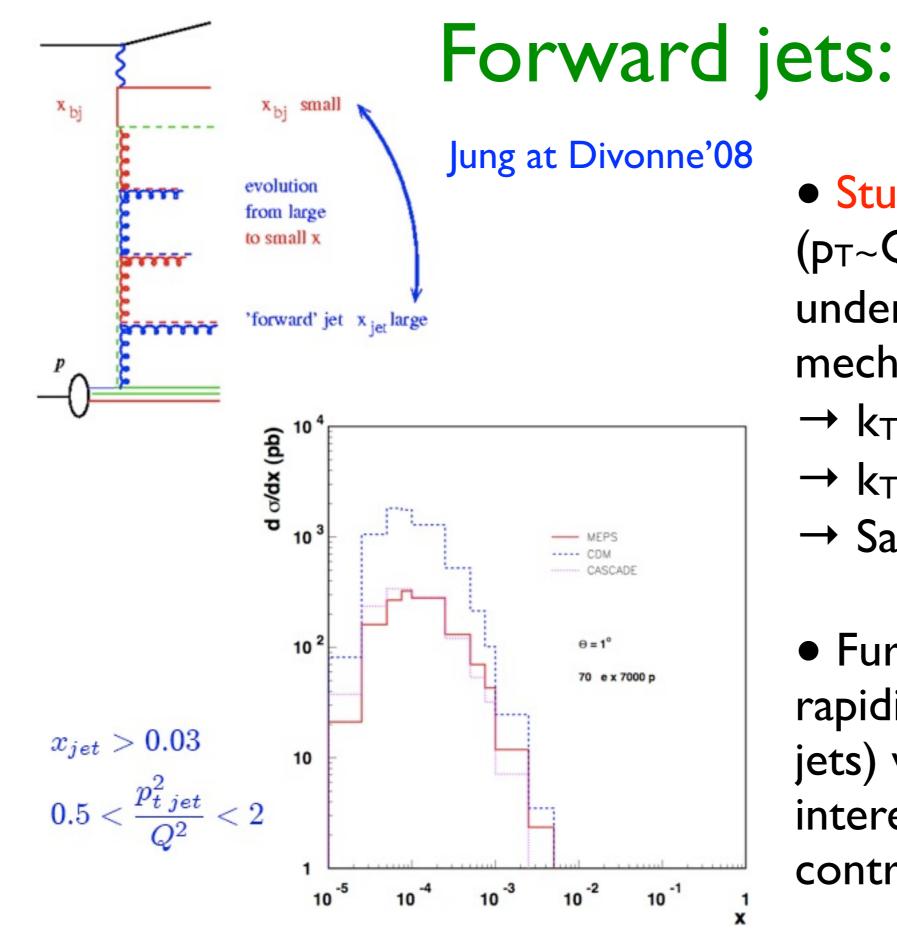
Overview of the HPD chapter: 2. Prospects at the LHeC.

Impact on DGLAP for p: F₂, F_L

Inclusion of LHeC pseudodata for F₂,
 F_L in DGLAP fits improves the determination of the glue at small x.







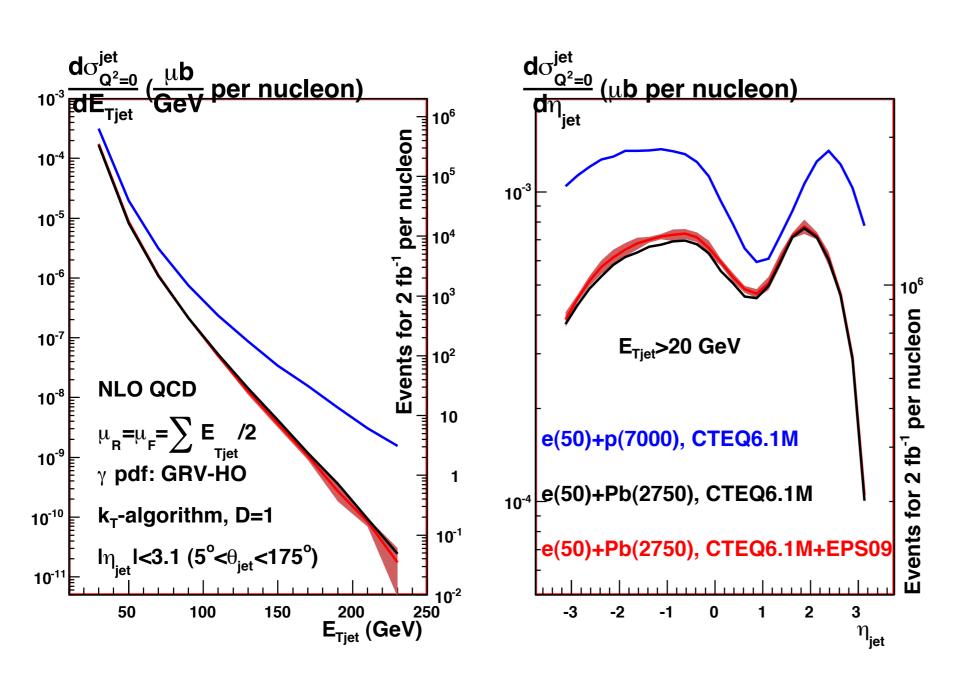
• Studying forward jets ($p_T \sim Q$) would allow to understand the mechanism of radiation: $\rightarrow k_T$ -ordered: DGLAP. $\rightarrow k_T$ -disordered: BFKL.

→ Saturation?

• Further imposing a rapidity gap (diffractive jets) would be most interesting: perturbatively controllable observable.

Overview of the HPD chapter: 2.7 Jet and multi-jet observables,...

Jet photoproduction:



Overview of the HPD chapter: 2.8 Photoproduction Physics.

- Jets: large E_T even in eA.
- Useful for studies of parton dynamics in nuclei (hard probes), and for photon structure.
- Background
 subtraction,
 detailed
 reconstruction
 pending.

$$\sigma_{L} = \sum_{\pi} \sum_{f} e_{f}^{2} \int d^{2}\mathbf{r} \int_{0} dz \ 4 \ Q^{2} \ z^{2}(1-z)^{2} \ K_{0}^{2}(Qr)$$

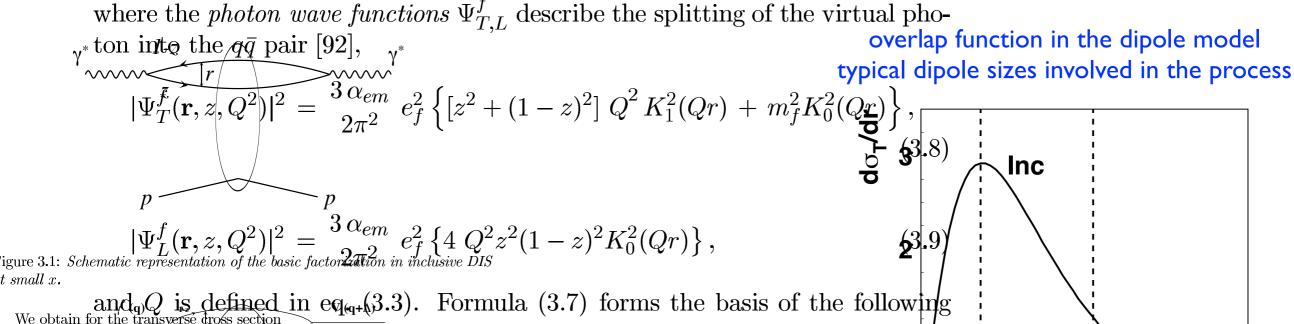
$$Diffrac{}{}_{4}fr_{s} a, \underline{Q}, \underline{U} i \underline{O}_{i} h, (1 a h) d saturation$$

Dipole model at high energy: photon fluctuates into gabar pair and undergoes written in the following anninterfaction, with the starget ically in Fig. 3.1,

$$\sigma_{T,L}(x,Q^2) = \int d^2 \mathbf{r} \int_0^1 dz \, \sum_f \, |\Psi_{T,L}^f(\mathbf{r},z,Q^2)|^2 \, \hat{\sigma}(x,\mathbf{r}) \,. \tag{3.7}$$

Chapter 3. Inclusive DIS at small x

where the photon wave functions $\Psi_{T,L}^{f}$ describe the splitting of the virtual pho-



$$\begin{aligned}
\pi_T &= \frac{\alpha_{em}}{\pi} \sum_{f} e_f^2 \int d^2 \mathbf{r} \int_0^{-1} dz \left\{ [z^2 + (1-z)^2] Q^2 K_1^2(Qr) + m_f^2 K_0^2(Qr) \right\} \\
&\times \int \frac{d^2 \mathbf{l}}{l^4} \alpha_s f(x, l^2) \left(1 - e^{-i\mathbf{l}\cdot\mathbf{r}} \right) \left(1 - e^{i\mathbf{l}\cdot\mathbf{r}} \right), \quad (3.5)
\end{aligned}$$

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\sigma_L &= \frac{\alpha_{em}}{\pi} \sum_{f} e_f^2 \int d^2 \mathbf{r} \int_0^{-1} \frac{d^2 \mathbf{r}}{dz} \left\{ Q^2 z^2 (1-z)^2 K_0^2(Qr) \right\}
\end{aligned}$$

$$\times \int \frac{d^2 \mathbf{l}}{l^4} \alpha_s f(x, l^2) \left(1 - e^{-i\mathbf{l}\cdot\mathbf{r}}\right) \left(1 - e^{i\mathbf{l}\cdot\mathbf{r}}\right), \qquad (3.6)$$

vere $K_{0,1}$ are the Bessel-Mc Donald functions. Both cross sections can be ritten in the following compact form [90, 36], shown schematically in Fig. 3.1,

$$\sigma_{T,L}(x,Q^2) = \int d^2 \mathbf{r} \int_0^1 dz \, \sum_f \, |\Psi_{T,L}^f(\mathbf{r},z,Q^2)|^2 \, \hat{\sigma}(x,\mathbf{r}) \,. \tag{3.7}$$

where the photon wave functions Ψ_{TL}^{f} describe the splitting of the virtual phoon into the $q\bar{q}$ pair [92],

DD

†0.5

2/Q

1.5

r [2R₀]

1

1

$$\sigma_{L} = \sum_{\pi} \sum_{f} e_{f}^{2} \int d^{2}\mathbf{r} \int_{0} dz \, 4 \, Q^{2} \, z^{2}(1-z)^{2} \, K_{0}^{2}(Qr)$$

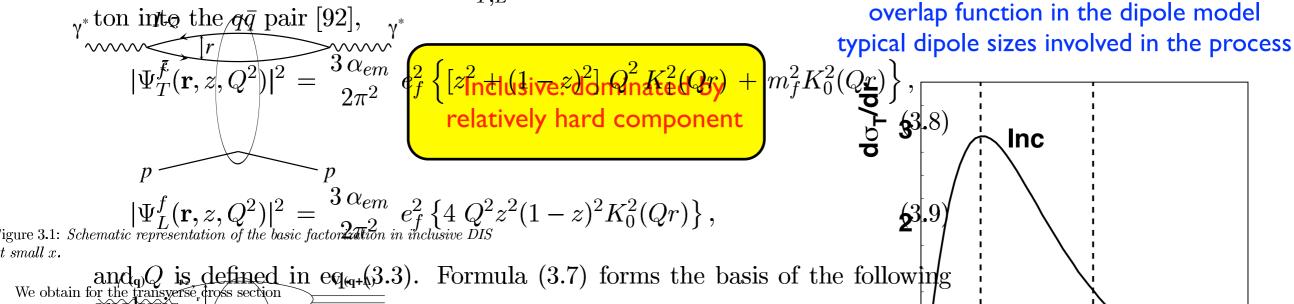
$$Diffrac(D) \int df frac(D) \int dz \, dz \, Q^{2} \, z^{2}(1-z)^{2} \, K_{0}^{2}(Qr)$$

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Chapter 3. Inclusive DIS at small x

where the photon wave functions $\Psi_{T,L}^{f}$ describe the splitting of the virtual pho-



$$\begin{aligned}
\mathbf{r}_{T} &= \frac{\alpha_{em}}{\pi} \sum_{f}^{2} e_{f}^{2} \int d^{2}\mathbf{r} \int_{0}^{2} dz \left\{ \begin{bmatrix} z^{2} + (1-z)^{2} \end{bmatrix} Q^{2} K_{1}^{2}(Qr) + m_{f}^{2} K_{0}^{2}(Qr) \right\} \\
&\times \int \frac{d^{2}\mathbf{l}}{l^{4}} \alpha_{s} f(x, l^{2}) \left(1 - e^{-i\mathbf{l}\cdot\mathbf{r}}\right) \left(1 - e^{i\mathbf{l}\cdot\mathbf{r}}\right), \quad (3.5)
\end{aligned}$$
and similarly for the longitudinal cross section
$$\sigma_{L} &= \frac{\alpha_{em}}{\pi} \sum_{f} e_{f}^{2} \int d^{2}\mathbf{r} \int_{0}^{2} dz \, 4 \, Q^{2} \, z^{2}(1-z)^{2} \, K_{0}^{2}(Qr)
\end{aligned}$$

$$\times \int \frac{d^2 \mathbf{l}}{l^4} \alpha_s f(x, l^2) \left(1 - e^{-i\mathbf{l}\cdot\mathbf{r}}\right) \left(1 - e^{i\mathbf{l}\cdot\mathbf{r}}\right), \qquad (3.6)$$

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where the *photon wave functions* $\Psi_{T,L}^{f}$ describe the splitting of the virtual phophon into the $q\bar{q}$ pair [92], DD

†0.5

2/Q

1.5

r [2R₀]

1

1

$$\sigma_{L} = \sum_{\pi} \sum_{f} e_{f}^{2} \int d^{2}\mathbf{r} \int_{0} dz \ 4 \ Q^{2} \ z^{2}(1-z)^{2} \ K_{0}^{2}(Qr)$$

$$D_{iff}(f_{s}, q, q) tio_{i} f_{j}(q, q) tio_{$$

Dipole model at high severage: photon fluctuates into gabar pair and undergoes written in the following an interfaction, withhe starget ically in Fig. 3.1,

$$\sigma_{T,L}(x,Q^2) = \int d^2 \mathbf{r} \int_0^1 dz \sum_f |\Psi_{T,L}^f(\mathbf{r},z,Q^2)|^2 \,\hat{\sigma}(x,\mathbf{r}) \,. \tag{3.7}$$

Chapter 3. Inclusive DIS at small x

where the photon wave functions $\Psi_{T,L}^{f}$ describe the splitting of the virtual pho-

Ω

↑0.5

2/Q

1.5

r [2R₀]

1

(3.5emi-hard momenta

 $\times \int \frac{d^2 \mathbf{l}}{l^4} \alpha_s f(x, l^2) \left(1 - e^{-i\mathbf{l}\cdot\mathbf{r}}\right) \left(1 - e^{i\mathbf{l}\cdot\mathbf{r}}\right),$ and similarly for the longitudinal cross section $\mathbf{p} \left(\mathbf{P} \cdot \Delta\right)$

6

$$\sigma_{L} = \frac{\alpha_{em}}{\pi} \sum_{f} e_{f}^{2} \int d^{2}\mathbf{r} \int_{0}^{\mathbf{t}} dz \, 4 \, Q^{2} \, z^{2}(1-z)^{2} \, K_{0}^{2}(Qr)$$

$$\times \int \frac{d^{2}\mathbf{l}}{l^{4}} \, \alpha_{s}f(x,l^{2}) \, (1-e^{-i\mathbf{l}\cdot\mathbf{r}}) \, (1-e^{i\mathbf{l}\cdot\mathbf{r}}) \,, \qquad (3.6)$$

where $K_{0,1}$ are the Bessel-Mc Donald functions. Both cross sections can be written in the following compact form [90, 36], shown schematically in Fig. 3.1,

$$\sigma_{T,L}(x,Q^2) = \int d^2 \mathbf{r} \int_0^1 dz \, \sum_f \, |\Psi_{T,L}^f(\mathbf{r},z,Q^2)|^2 \, \hat{\sigma}(x,\mathbf{r}) \,. \tag{3.7}$$

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$$\sigma_{L} = \sum_{f} e_{f}^{2} \int d^{2}\mathbf{r} \int_{0} dz \ 4 \ Q^{2} \ z^{2}(1-z)^{2} \ K_{0}^{2}(Qr)$$

$$D_{iff}(x, q, q) tio_{i}(q, q) dx \ 4 \ Q^{2} \ z^{2}(1-z)^{2} \ K_{0}^{2}(Qr)$$

Dipole model at high energy: photon fluctuates into gabar pair and undergoes written in the following annipte faction, with the starget ically in Fig. 3.1,

$$\sigma_{T,L}(x,Q^2) = \int d^2 \mathbf{r} \int_0^1 dz \, \sum_f \, |\Psi_{T,L}^f(\mathbf{r},z,Q^2)|^2 \, \hat{\sigma}(x,\mathbf{r}) \,. \tag{3.7}$$

Chapter 3. Inclusive DIS at small x

where the photon wave functions $\Psi_{T,L}^{f}$ describe the splitting of the virtual pho-

$$\begin{array}{c} \gamma^{*} \text{ ton into the } q\bar{q} \text{ pair } [92], \qquad \gamma^{*} \\ |\Psi_{T}^{f}(\mathbf{r}, z, Q^{2})|^{2} = \frac{3 \alpha_{em}}{2\pi^{2}} \\ |\Psi_{T}^{f}(\mathbf{r}, z, Q^{2})|^{2} = \frac{3 \alpha_{em}}{2\pi^{2}} \\ |\Psi_{L}^{f}(\mathbf{r}, z, Q^{2})|^{2} \\ |\Psi_{L}$$

We obtain for the transverse cross section $\frac{\alpha_{em}}{\sum a^2 \int d^2r} \int da \sqrt{[a^2 + (1 - a)^2]} O^2 K^2(\Omega_r) + m^2 K^2(\Omega_r)$

6

t small

nd

$$= \int_{\pi}^{\pi} \sum_{f} e_{f}^{2} \int d^{2}\mathbf{r} \int_{0}^{1} dz \{ [z^{2} + (1+z)^{2}] Q K_{1}^{2}(Qr) + \int_{0}^{m_{f}^{2}K_{0}^{2}(Qr) \}} Diffractive: dominated by the (3.5) emi-hard momenta (3.5) emi-hard (3$$

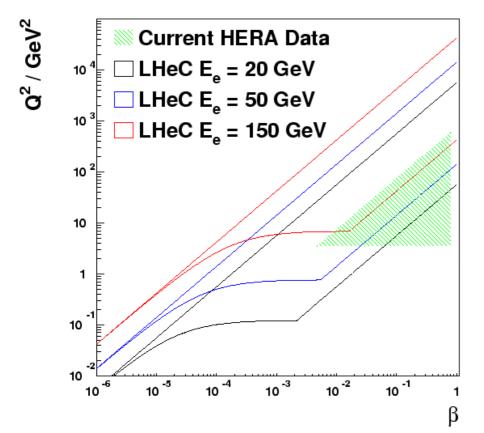
 $\times \int_{l^4}^{d^2l} \alpha_s f(x,l^2) (1-e^{-i\mathbf{l}\cdot\mathbf{r}}) (1-e^{i\mathbf{l}\cdot\mathbf{r}}), \qquad (3.6)$ where $K_{0,1}$ are the Bessel-Mc Donal function for the product form $[f_{10}, g_{11}]$, shown and catalog F_{13} and F_{13} an

$$\sigma_{T,L}(x,Q^2) = \int d^2 \mathbf{r} \int_0^1 dz \sum_f |\Psi_{T,I}^f \mathbf{E} \mathbf{X} \mathbf{P}^{(3.7)} \mathbf{r} \mathbf{e}^{(3.7)} \mathbf{r} \mathbf{e}$$
 ation with saturation.

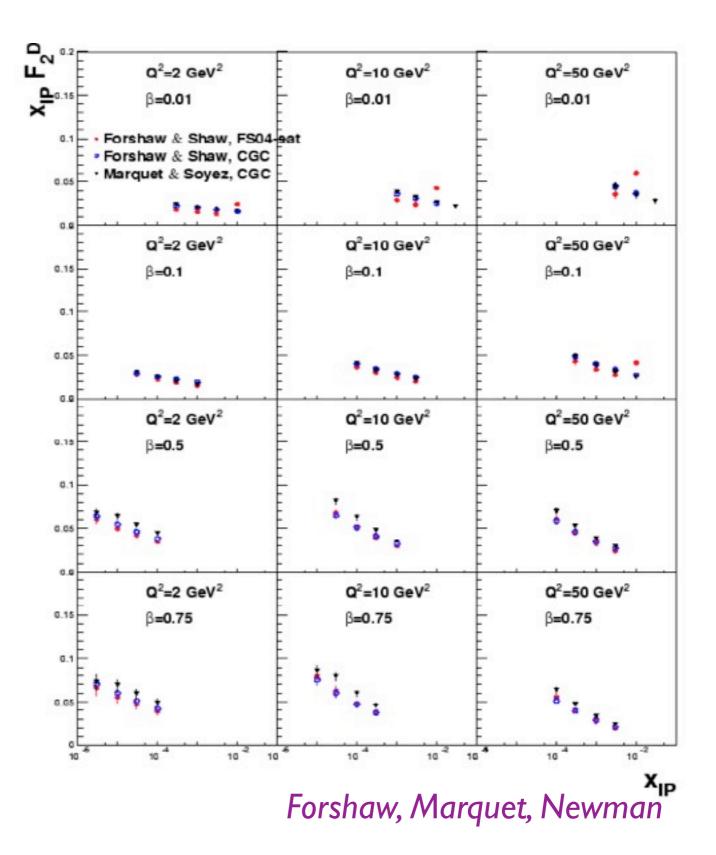
here the photon wave functions Ψ_{TL}^{f} describe the splitting of the virtual phoon into the $q\bar{q}$ pair [92],

Diffraction at LHeC: new possibilities

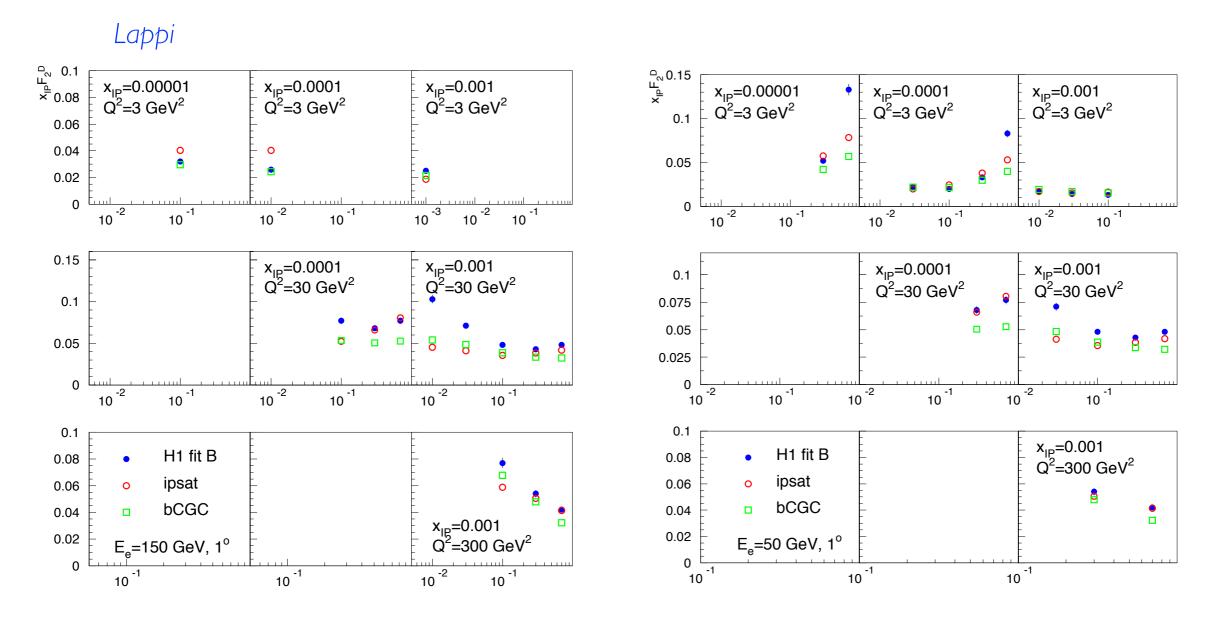
Diffractive Kinematics at x_{IP}=0.01



- Studies with I degree acceptance,
- Diffractive-PDFs
- Factorization (tests) in much bigger range $M_X \sim 100 {
 m GeV}$
- Diffractive masses $x_{I\!P} = 0.01$ with
- X can include W,Z,b



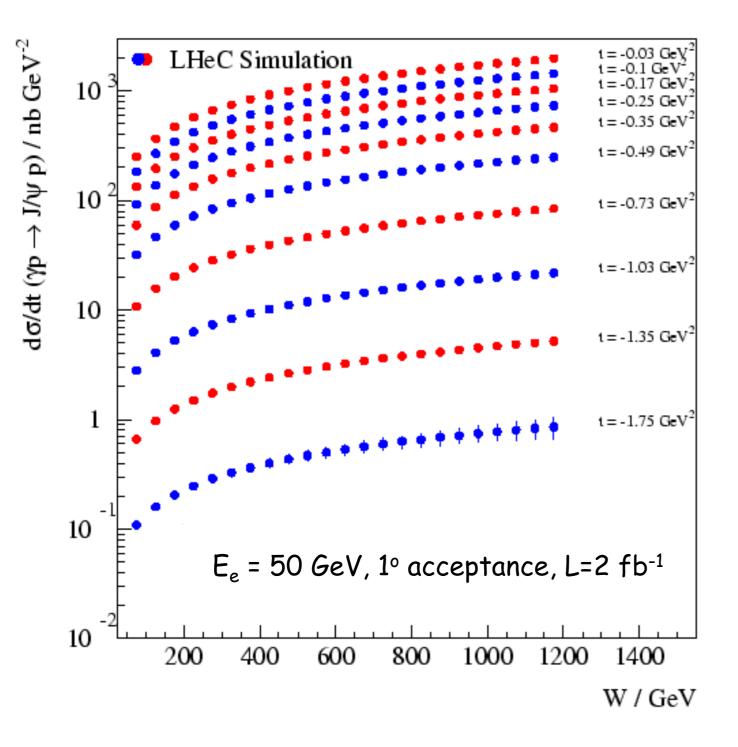
Inclusive diffraction



Dipole models with parton saturation effects as compared with the H1 fit extrapolations.

Exclusive diffraction in dipole model

differential cross section in bins of t

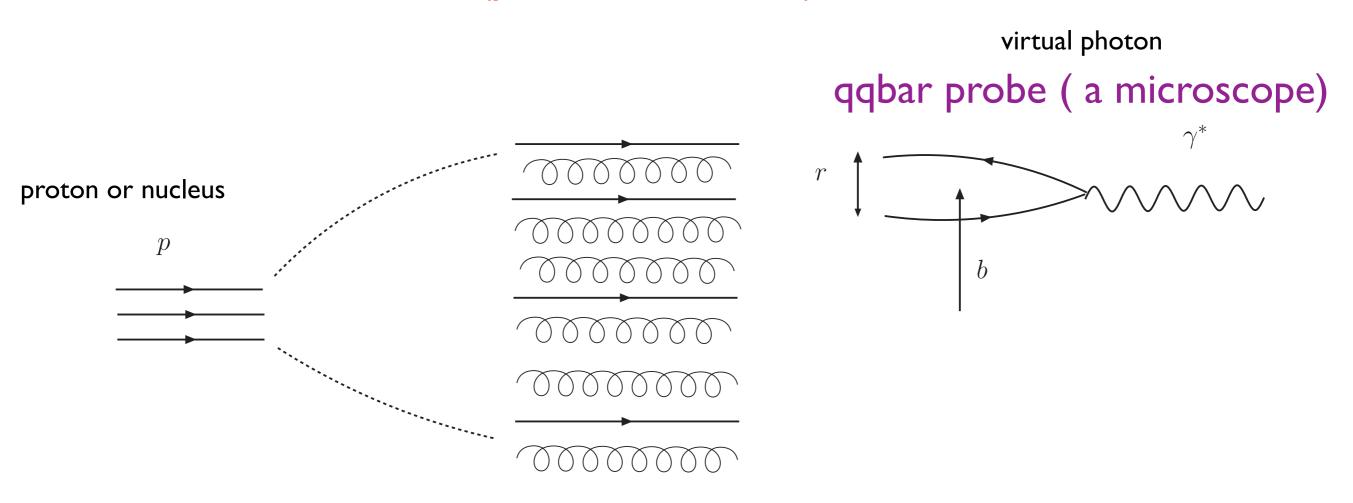


- •photoproduction cross section double differential in W and t
- small x of the gluon probed
- precise t-dependence can help us map the impact parameter profile

 possible also in DIS for several Q bins and other states like
 Upsilon and for DVCS process.

DIS in a different frame

DIS at small x can be viewed as an interaction of the qqbar dipole (photon fluctuation) with the small x partons of the evolved target (proton or nucleus)

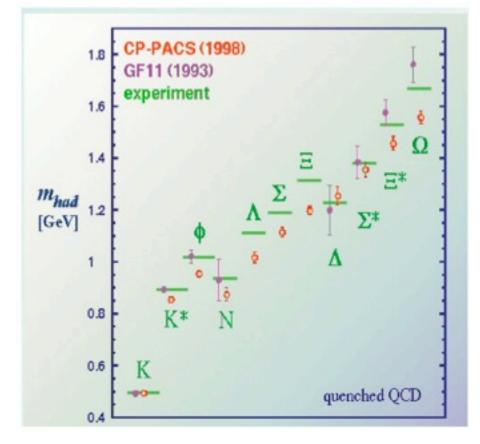


Small x components of the proton

- *b* impact parameter
- *r* dipole size

QCD: theory of strong interactions

- Strong interactions responsible for about 99% percent of the visible mass in the universe.
- Rich and very complicated structure due to non-linear interactions of gluons.
- Emergent phenomena: confinement, Regge trajectories, hadron spectrum.
- Complex dynamics at high energies or small x.



Lattice QCD reproduces hadron spectrum

Understanding of the dynamics of the gluon fields is of fundamental importance.