

# Electronics, Trigger and Data Acquisition. 1/3

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## Credits:

SSLP ETD lecture series by R.Ferrari (2019) and earlier ones

EM: lectures on DAQ/Trigger at U.Padua 2018-2020

ISOTDAQ: International School of Trigger and DAQ

<https://indico.cern.ch/event/928767/>

Material from various papers and books (bibliography at the end)

- Trigger and DAQ system concepts
- From signal to physics through examples
- Timing
- Data transport, links, buses
- Queues and Event building
- On-line data processing

# A quick tour – menu

- Introduction:
  - Sensors, detectors, experiments, historical perspective
  - Acquiring data from sensors
- Basics of analog signal processing
- From analog to digital
- Measuring time
- Trigger
- Role of CPU and data buses
- Event building

Examples taken from nuclear and (mostly) particle physics

Feel free to bring your own example/problems from other areas for discussion in the Q&A

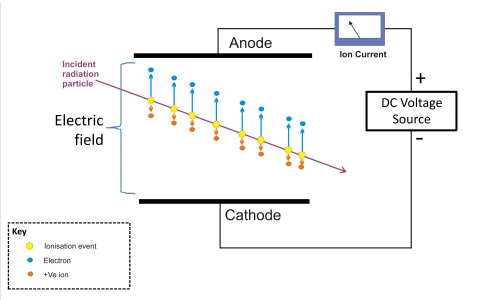
# Sensors

- In modern parlance, “a device, module, machine, or subsystem whose purpose is to detect events or changes in its environment and send the information to other electronics”
- In practice, any device that **detects or measures a physical event or quantity** and transforms this event or quantity into another that is “**easier**” to perceive and/or measure – sensors and transducers can be often exchanged/confused
- In most cases today, the final quantity is an electrical signal (either steady or transient)
- In what follows, we will be dealing mostly with transducers that produce an electrical signal, in most cases a **pulse**

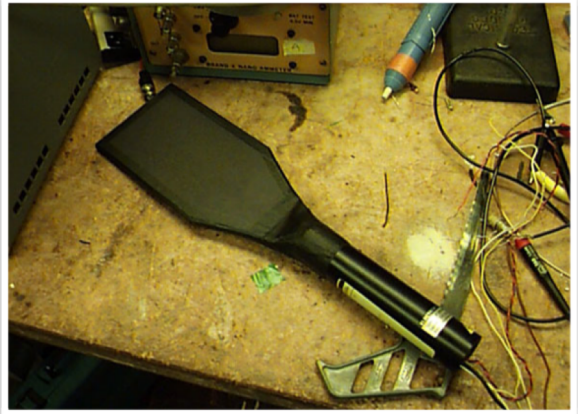
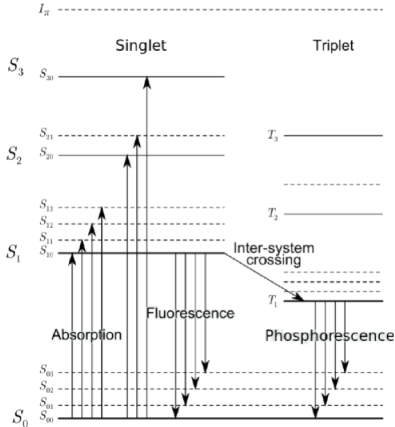
# Detectors

In real life, we often deal with a complex of (one or more) sensors or transducers, not necessarily homogeneous. We refer to this complex as a “detector” and this often includes the electronics used to read out and process the information about the physical quantity or event. In NP and HEP, when we say “detector”, we almost always mean “ionizing particle detector”

Sometimes we mean a whole experiment (“the CMS detector”)



$$-\left\langle \frac{dE}{dx} \right\rangle = \frac{4\pi}{m_e c^2} \cdot \frac{nz^2}{\beta^2} \cdot \left( \frac{e^2}{4\pi\epsilon_0} \right)^2 \cdot \left[ \ln \left( \frac{2m_e c^2 \beta^2}{I \cdot (1 - \beta^2)} \right) - \beta^2 \right]$$



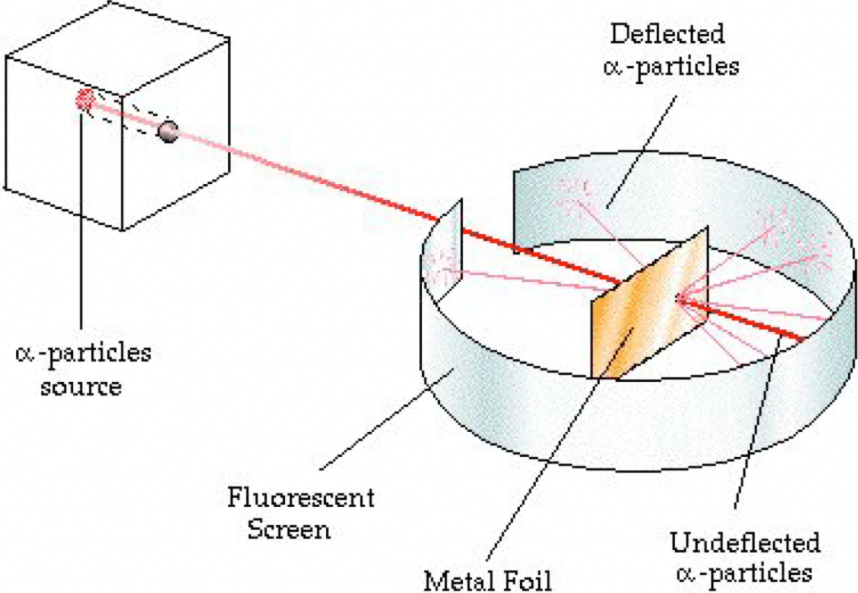
# Detectors and Signals

- Sometimes, somewhere, something happens → in some short time, several **particles interact within our detector**
- Even a single particle interaction is composed of many different **probabilistic (quantum-mechanics) processes** → fluctuations are built-in
- Practically all modern detectors, at the end, generate “electrical” signals at their output terminals. This signals:
  - a) have different characteristics (**size, arrival time, duration, ...**)
  - b) carry different (normally independent) **information**
  - c) require some **electronics** in order to become “usable“ to measure a physical quantity

# A bit of history...

- Experiments of the past often used analog (or sensorial) means to measure/register a phenomenon
  - Visual or aural observation
    - Often involving counting the occurrences of some phenomenon
    - ...and taking note (recording)
  - (analog) photography was often used for more complex observations (emulsion experiments, bubble chambers)
- Counting and recording information are all things a computer does better **once the information is in digital form**

# Rutherford Scattering



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# Role of Electronics, Trigger and DAQ

Process the signals generated in a detector and save (only) the interesting information on a permanent storage medium

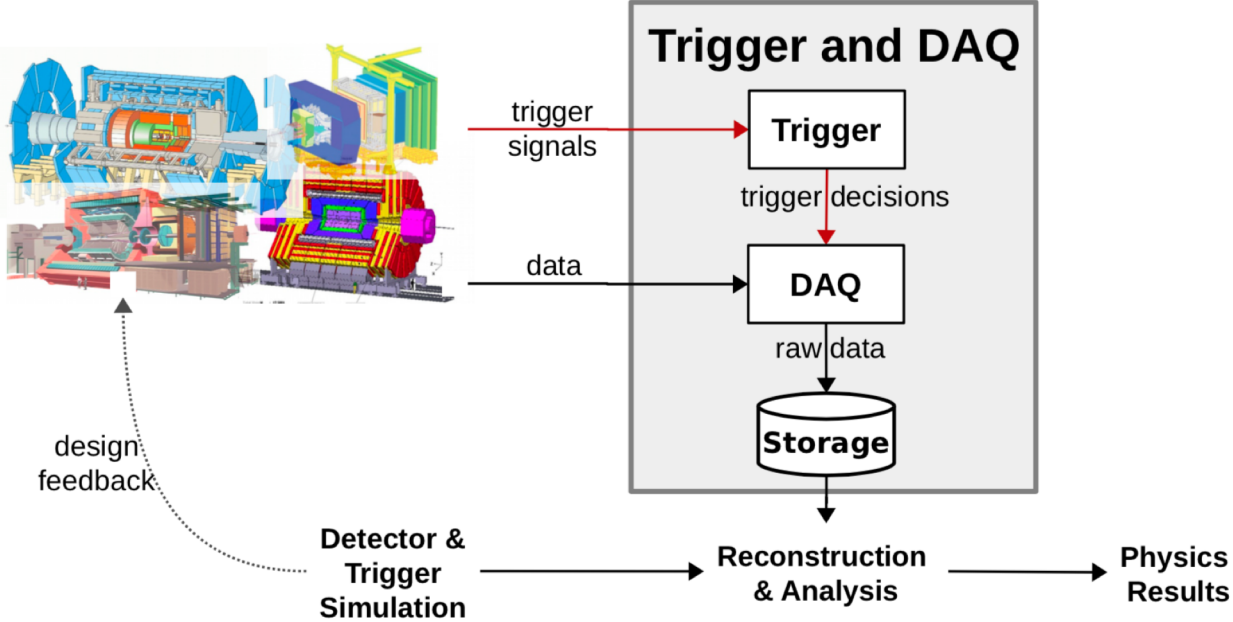
**Modern DAQ is all about digital information**

However, physics is not digital...sensors produce analog signals that **must be treated and interpreted** before being **digitized**

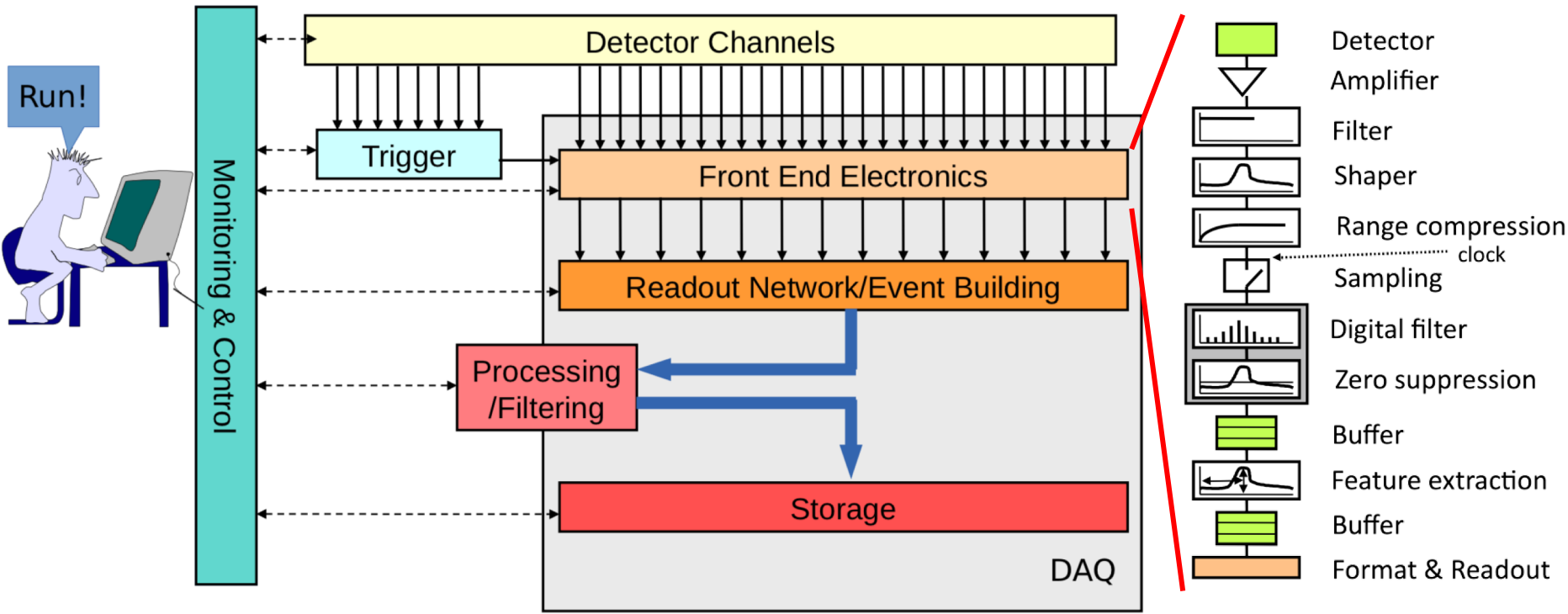
Most of the “real” physics analysis (the one that gets you the Nobel prize) happens “offline”

(what “offline” means has changed over time) however:

→ There is a lot of physics (and math, and technology) that you only learn in DAQ and trigger←



# A modern Trigger/DAQ looks like this



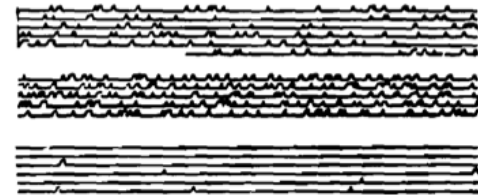
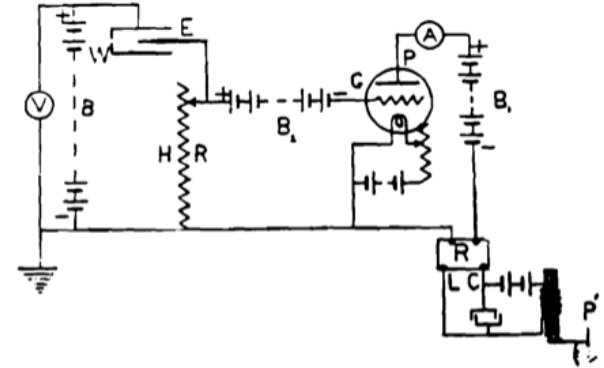
# (Probably) the first DAQ

All the main components constituting an experiment, its acquisition **and trigger** are there.

Can you recognize them ?

The detector (E) is connected to a programmable trigger (HR) and analog front-end electronics (G) is acquired (R) and recorded on “digital” media by means of (P')

## ON THE AUTOMATIC REGISTRATION OF $\alpha$ -PARTICLES, $\beta$ -PARTICLES AND $\gamma$ -RAY AND X-RAY PULSES



# Coincidence (trigger)

- Bruno Rossi (Nature, 1930):
- "Method of Registering Multiple Simultaneous Impulses of Several Geiger Counters"
- → online coincidence of 3 signals!

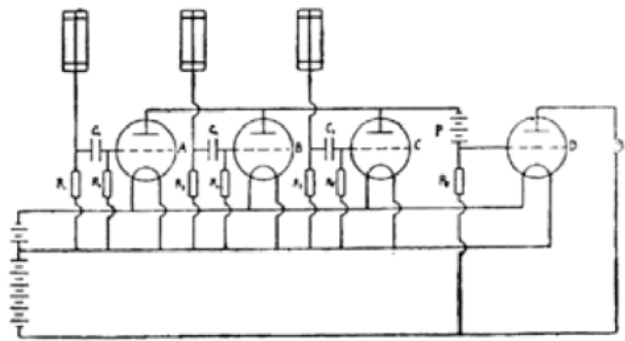


Fig. 17 – Il circuito di Rossi per rivelare coincidenze di raggi cosmici che arrivano sui contatori Geiger (i rettangoli in alto dello schema)<sup>19</sup>.

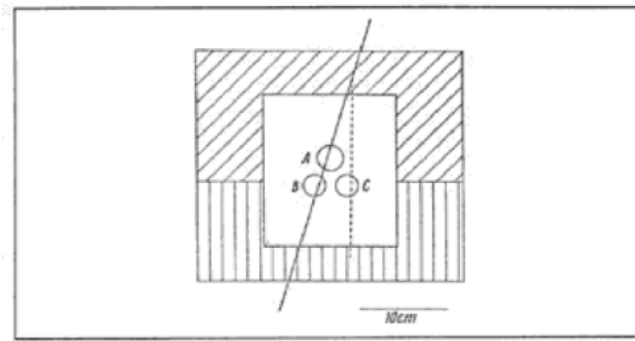


Fig. 18 – L'uso del circuito di Rossi per rivelare una coincidenza tripla che, nella disposizione in figura dei tre contatori, mostra la produzione di una radiazione secondaria (linea tratteggiata) da parte della radiazione primaria (linea continua)<sup>20</sup>.

# A recent one

## L1-Trigger/HLT/DAQ

- hTracks in L1-Trigger at 40 MHz
- PFlow-like selection 750 kHz output
- HLT output 7.5 kHz

## Calorimeter Endcap

- 3D showers and precise timing
- Si, Scint+SiPM in Pb/W-SS

## Tracker

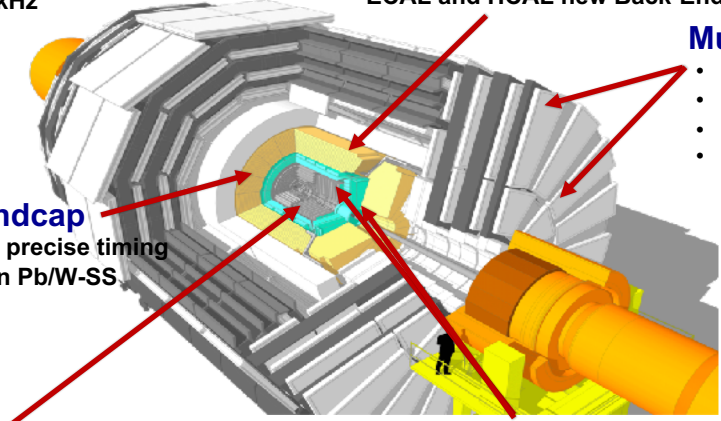
- Si-Strip and Pixels increased granularity
- Design for tracking in L1-Trigger
- Extended coverage to  $\eta \approx 3.8$

## Barrel Calorimeters

- ECAL crystal granularity readout at 40 MHz with precise timing for e/ $\gamma$  at 30 GeV
- ECAL and HCAL new Back-End boards

## Muon systems

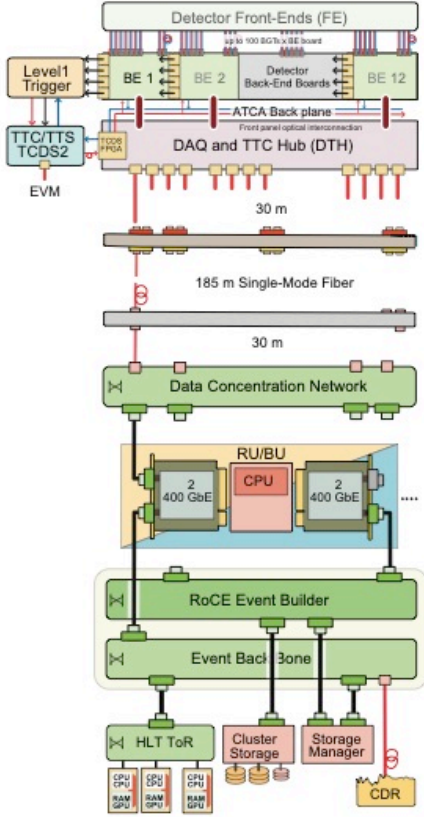
- DT & CSC new FE/BE readout
- RPC back-end electronics
- New GEM/RPC  $1.6 < \eta < 2.4$
- Extended coverage to  $\eta \approx 3$



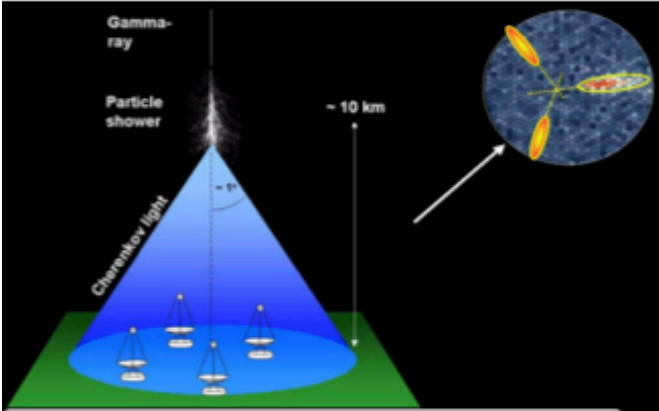
## Beam Radiation Instr. and Luminosity, and Common Systems and Infrastructure

## MIP Timing Detector

- Precision timing with:
- Barrel layer: Crystals + SiPMs
  - Endcap layer: Low Gain Avalanche Diode

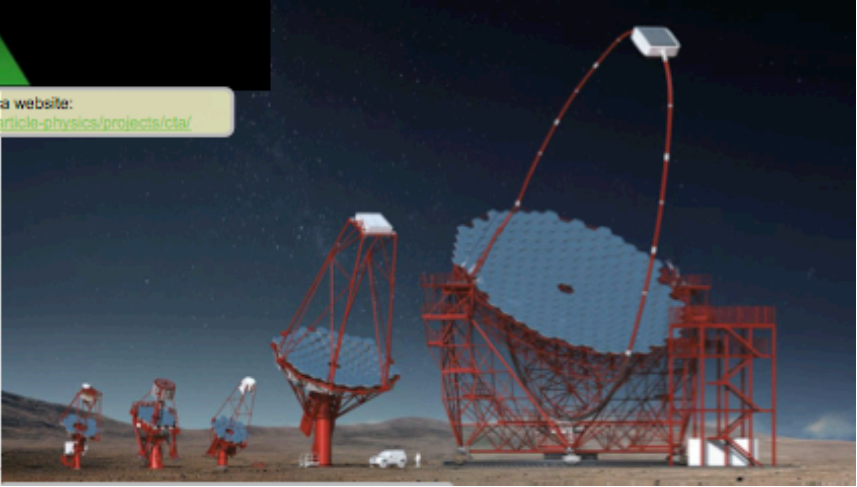


# Not only for colliders...



Picture University of Nova Gorica website:  
<http://www.unng.si/en/research/laboratory-for-astroparticle-physics/projects/cta/>

- Very high energy  $\gamma$ -ray observatory
- Two arrays of 100 and 20 telescopes





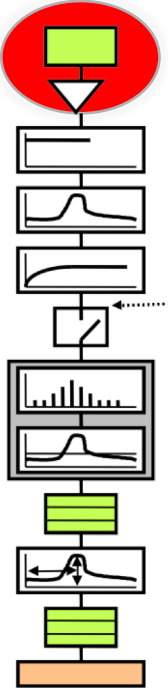
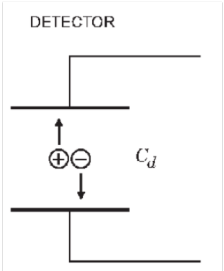
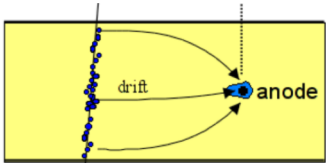
Picture SKA website: <https://www.skatelescope.org/>



# A quick tour of the DAQ/Trigger Chain



# Signals from a detector: amplification



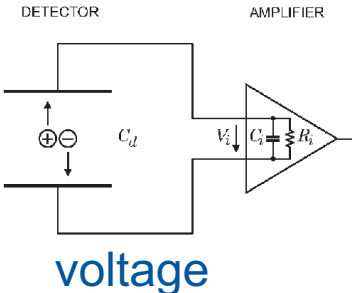
Detectors may be electrically represented as a capacitor  $C_d$  (more realistic schemes will include other contributions)

Interactions of passing particle  $\rightarrow$  energy release  $E$   
 $\rightarrow$  short current pulse  $i_s$

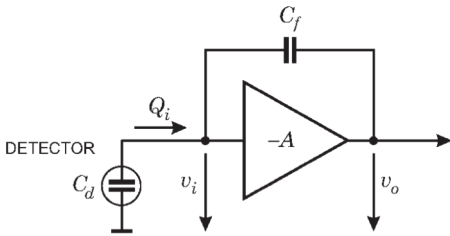
Weak signals require amplification:

- adapts it to next stages
- avoids Signal-to-Noise-Ratio (SNR) degradation

$$E \propto Q_s = \int i_s(t) dt$$



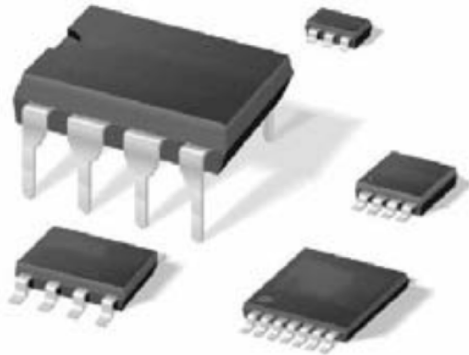
voltage



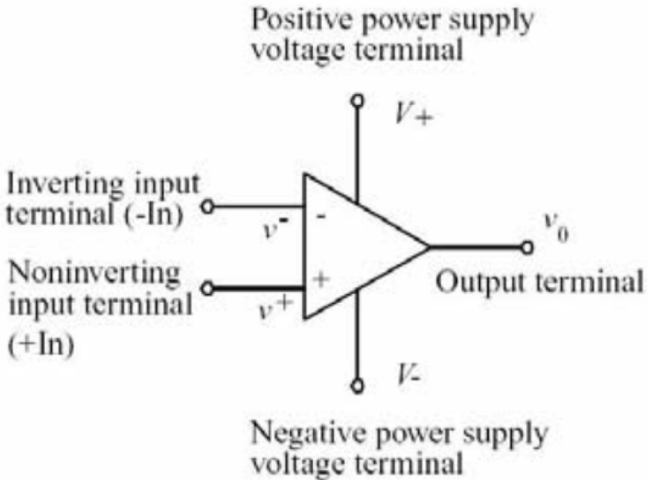
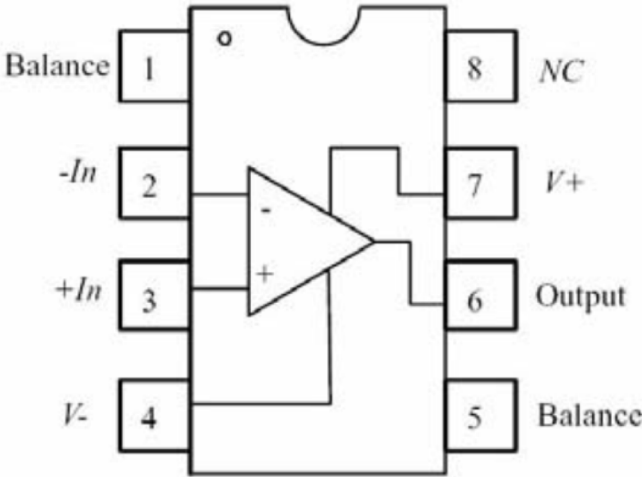
current

A current-sensitive amplifier provides a signal That **does not depend on  $C_d$**  – more on this later if time

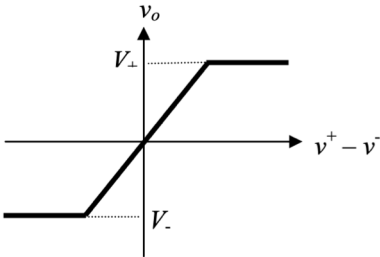
# Op-amp



(a)

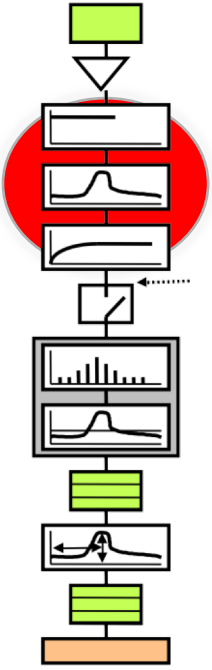


(c)



The gain of an op-amp ( $K$ ) ranges from  $10^4$  to  $10^7$  with a typical value of  $10^5$ . To amplify the difference between the input signals, the op-amp draws power from an electrical power supply. If  $V_+$  and  $V_-$  denote the positive and negative voltages provided by the power supply, the output of the op-amp cannot exceed these limits and therefore saturates at these levels, as shown in the figure on the left.

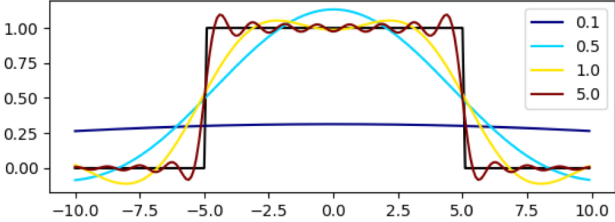
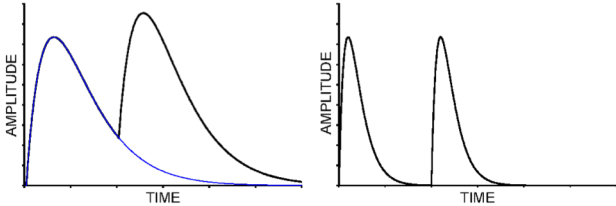
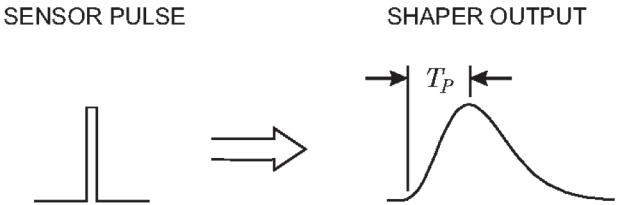
# Signals from a detector: shaping



Reduce signal bandwidth (low-pass filter)  
→ improve SNR

fast rising signals have large bandwidth  
shaper broadens signals

Limit pulse width (high-pass filter) → avoid overlap of successive pulses  
increase maximum signal rate **at the cost of more noise**

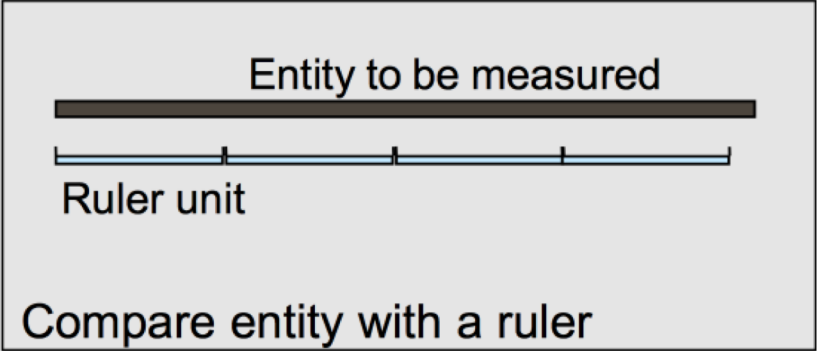
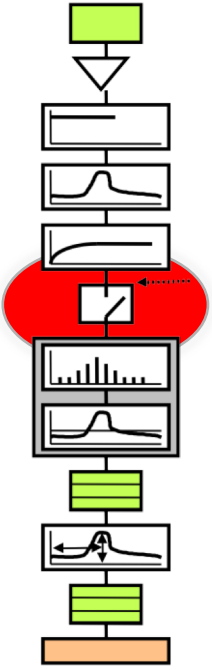


# Analog signal treatment

- Many other aspects
  - Real-life amplifiers
  - Charge-sensitive amplifiers, integration
  - Gate generation, delay
  - Signal transmission: reflection, impedance matching
  - Response function of an apparatus
- Many good textbooks to go in depth
- We will now move on to digital
  - We will start with analog-to-digital conversion

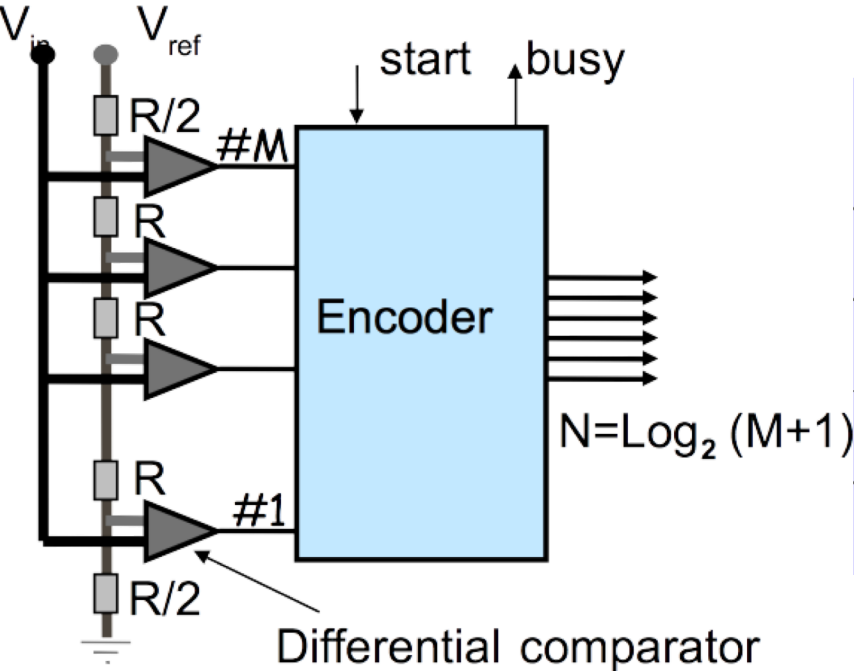
# Analog to digital conversion (sampling)

Reminder: we need an Analog to Digital Converter (**ADC**) to turn our voltage pulse into a binary number for processing and storage



In its simplest form, an ADC compares the signal with M fractions of a reference voltage (the unit ticks on the ruler)  
In a nutshell, this is the working principle of the **FlashADC**

# Digitizing a voltage pulse: flash ADC



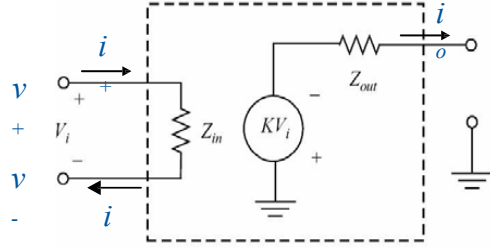
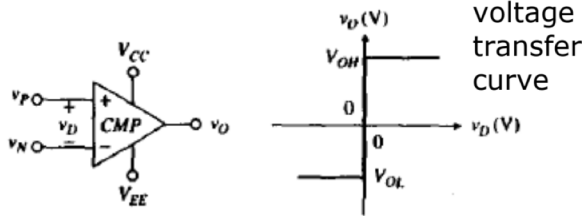
binary code  
↓

$V_{in}/V_{ref}$	Comparison results	Encoded form
$<1/6$	000	00
$1/6 \leq <3/6$	001	01
$3/6 \leq <5/6$	011	10
$5/6 \leq$	111	11

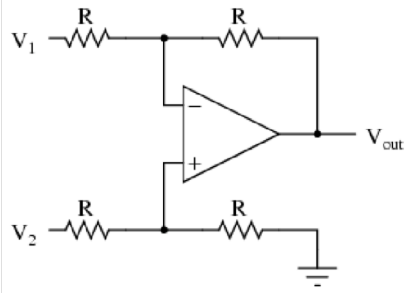
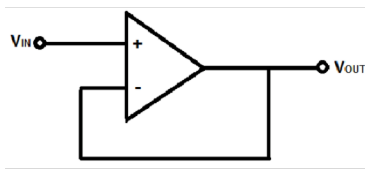
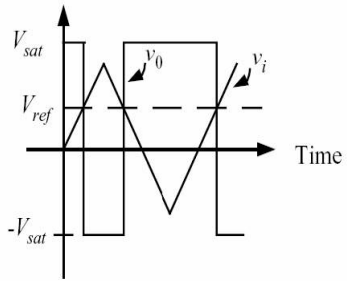
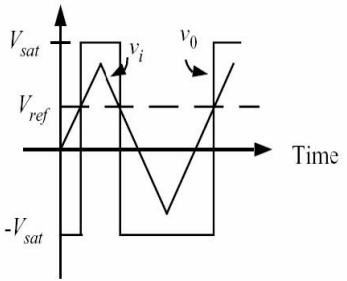
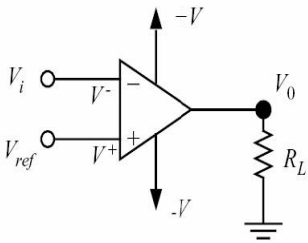
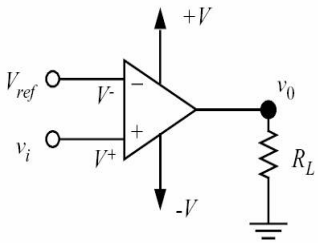
↑  
Thermometer code

# Voltage comparator, op amps

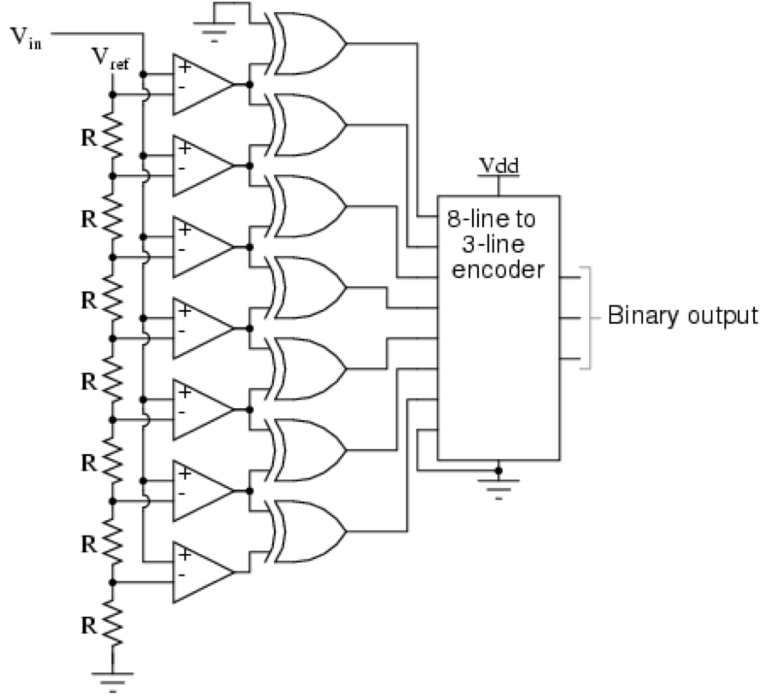
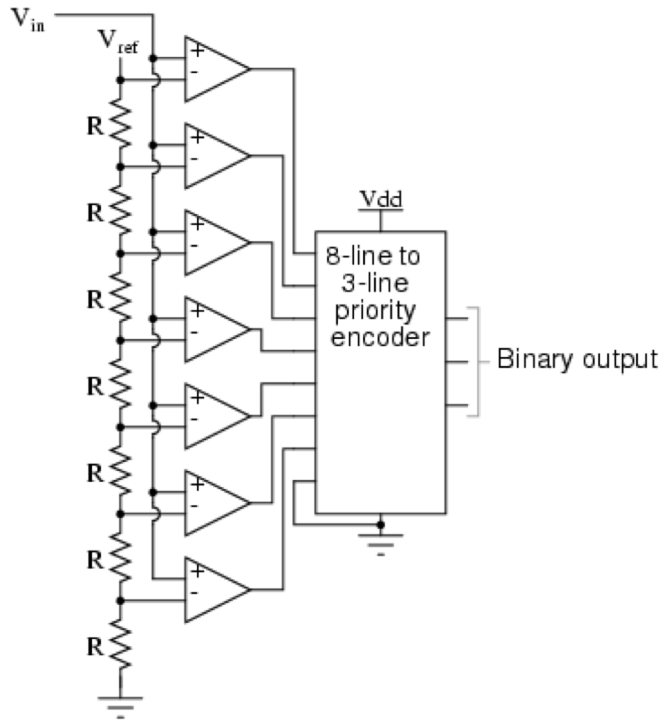
$v_O = V_{OL}$  for  $v_P < v_N$   
 $v_O = V_{OH}$  for  $v_P > v_N$



**Voltage amplifiers with:** a) 2 (differential) inputs b) high gain ( $A_+ = A_- = \infty$ ) c) high input impedance ( $Z_{in} = \infty$ ) d) low output impedance ( $Z_{out} = 0$ )



# Thermometer or one-hot





# Thermometer to binary: priority encoder

Digital Inputs								Binary Output		
D <sub>7</sub>	D <sub>6</sub>	D <sub>5</sub>	D <sub>4</sub>	D <sub>3</sub>	D <sub>2</sub>	D <sub>1</sub>	D <sub>0</sub>	Q <sub>2</sub>	Q <sub>1</sub>	Q <sub>0</sub>
0	0	0	0	0	0	0	1	0	0	0
0	0	0	0	0	0	1	X	0	0	1
0	0	0	0	0	1	X	X	0	1	0
0	0	0	0	1	X	X	X	0	1	1
0	0	0	1	X	X	X	X	1	0	0
0	0	1	X	X	X	X	X	1	0	1
0	1	X	X	X	X	X	X	1	1	0
1	X	X	X	X	X	X	X	1	1	1

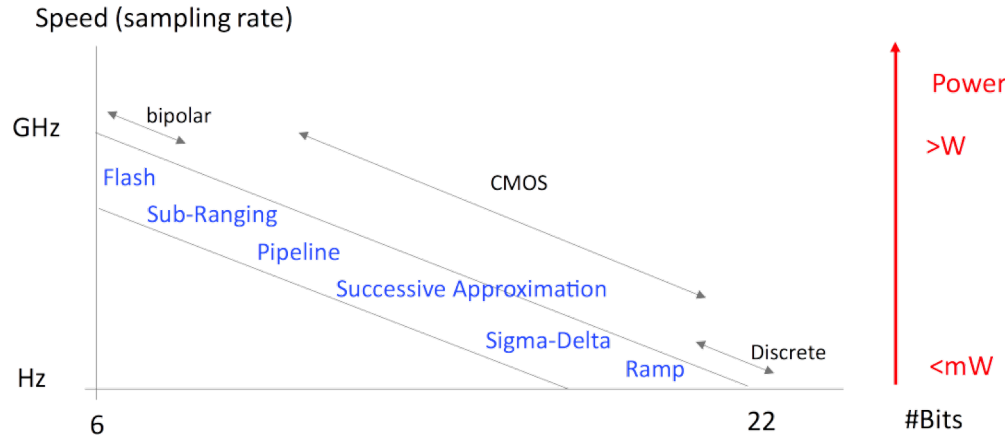
Exercise: use the truth table to design the 8 to 3 priority encoder

How do things change for the one-hot case ?

Do you see any advantages/disadvantages in one or the other ?

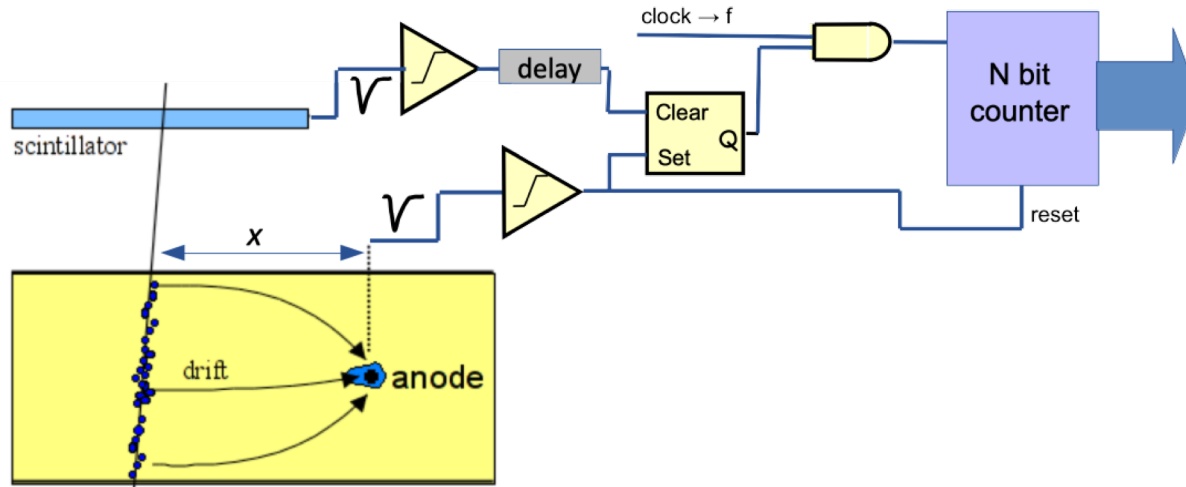
# Flash ADC: the simplest (and fastest)

- **Resolution** (Least Significant Bit), the ruler unit:
  - $V_{\max} / 2N$
  - E.g. 8bit, 1V  $\rightarrow$  LSB=3.9mV
- Quantization error
  - because of finite size of the ruler unit:  $\pm \text{LSB}/2$
- Dynamic range:  $V_{\max} / \text{LSB}$ 
  - $N$  for linear (flash) ADC
  - $>N$  for non-linear ADC
- Flash ADC has constant relative resolution on the valid input range



# Measuring Time

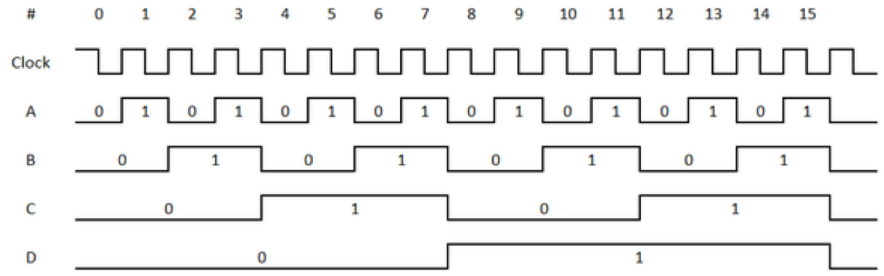
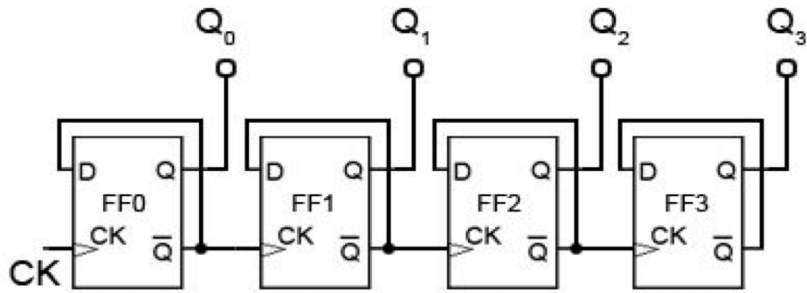
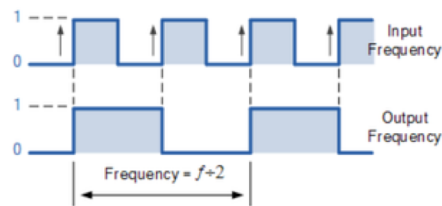
# Time-to-digital Converter



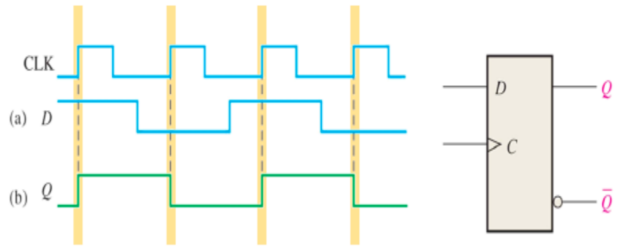
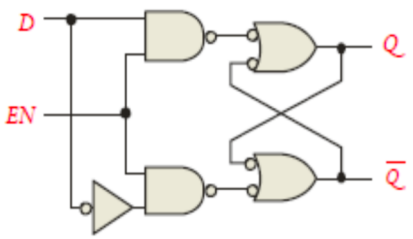
- TDC principle is quite simple: count regular pulses from a start to a stop signal
- Resolution:  $1/f$
- Dynamic range: N
- Single hit TDC

e.g. a noise spike comes just before the signal → measure is lost

# Counter

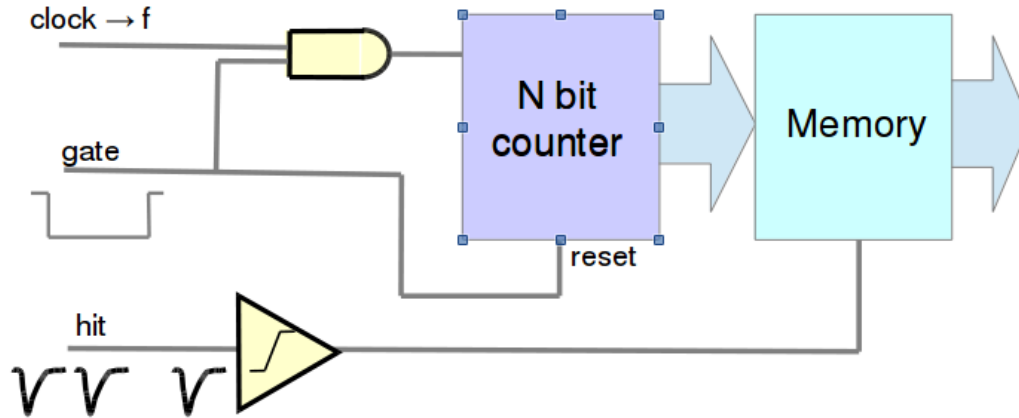


Q follows D on the rising edge of the clock



## D-latch and D-type FF

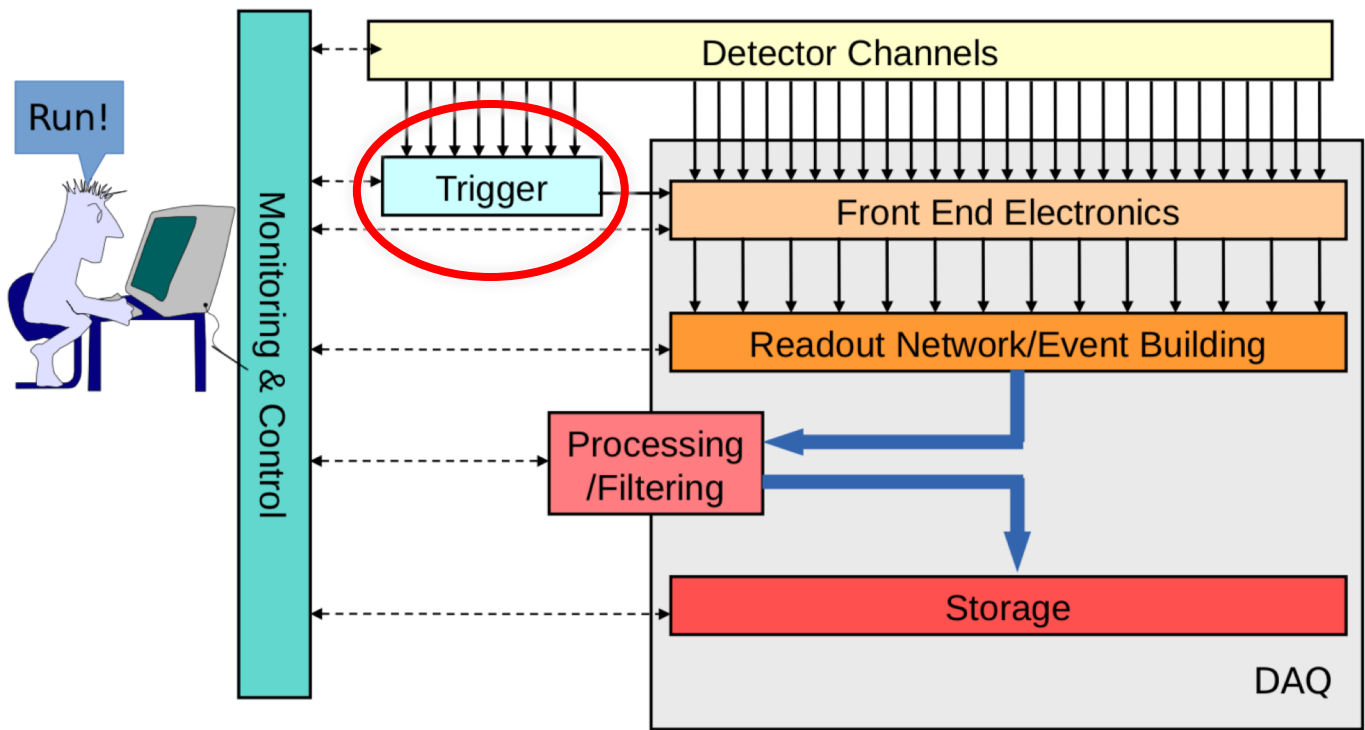
# Multi-hit TDC



- Gate resets and starts the counter. It also provides the measurement period. It must be smaller than  $2^N/f$
- Each “hit” (i.e. signal) forces the FIFO to load the current value of the counter, that is the delay after the gate start
  - In order to distinguish between hits belonging to different gates, some additional logic is needed to tag the data
- Common-start configuration
- This is e.g. a typical configuration FOR A COLLIDER EXPERIMENT:

Trigger

# Trigger

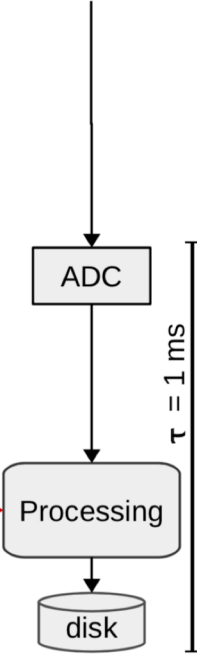
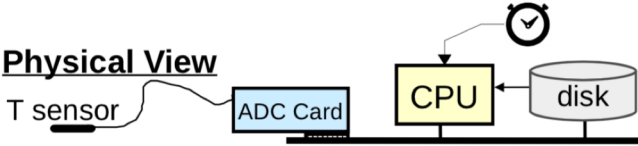




# Sampling with a periodic clock

- Es: measure temperature at a fixed frequency
  - ADC performs analog to digital conversion, **digitization** (our front-end electronics)
  - CPU does readout and processing
- System clearly limited by the time  $\tau$  to process an “event”

Questions for later:  
How are data stored ?  
What does it mean that “CPU does the readout” ?



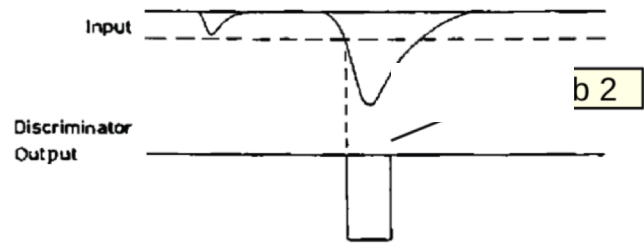
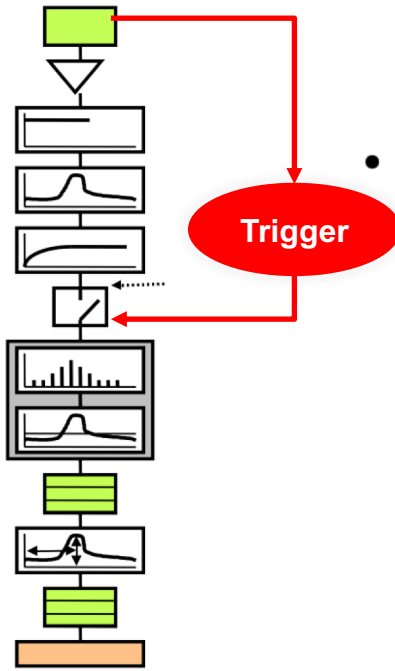
Fully sequential system

System limited by single-event processing time

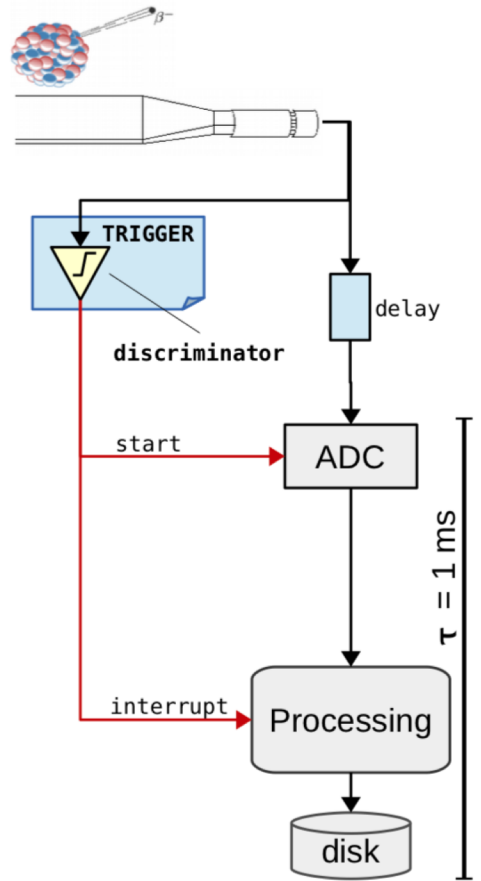
If  $\tau \sim 1 \text{ ms}$  for **ADC conversion + CPU processing + storage**  
→ can sustain up to  $\sim 1 \text{ kHz}$  of **periodic (synchronous) trigger rate**

# What if...

- Events asynchronous and unpredictable
  - E.g.: beta decay studies
- A physics trigger is needed
  - **Discriminator**: generates an output signal only if amplitude of input pulse is greater than a given threshold

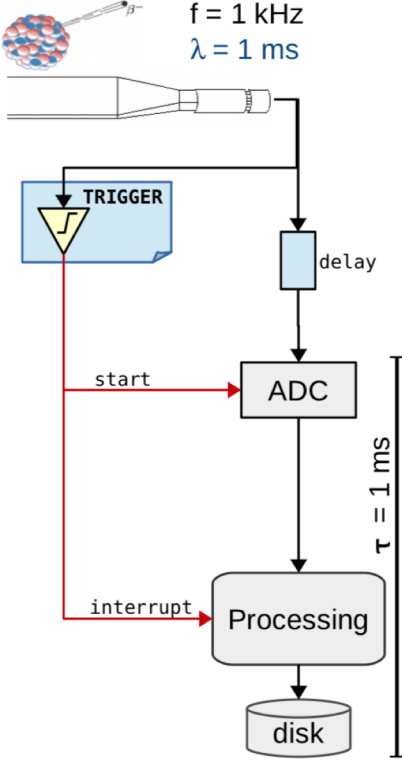
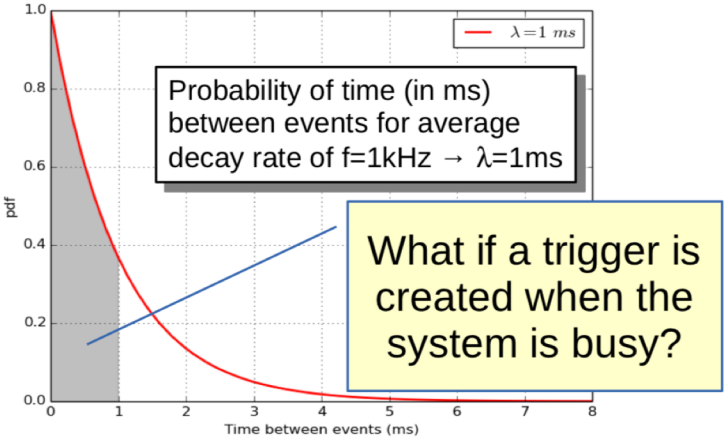


- delay introduced to compensate for the **trigger latency**



# Sampling a physics process

- Stochastic process
  - Fluctuations in time between events
- Let's assume for example
  - A physics rate  $f = 1 \text{ kHz}$ , i.e.  $\lambda = 1 \text{ ms}$
  - and, as before,  $\tau = 1 \text{ ms}$



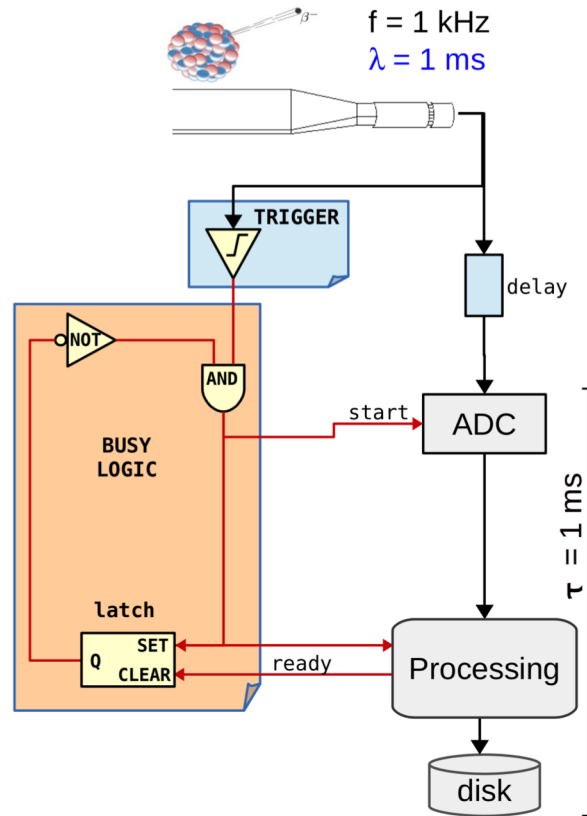
What happens if New trigger arrives while system is busy ?

a) Each new trigger is accepted and "restarts" the process  
-> **paralysable**

b) No new trigger is accepted until the process is complete  
-> **non-paralysable**

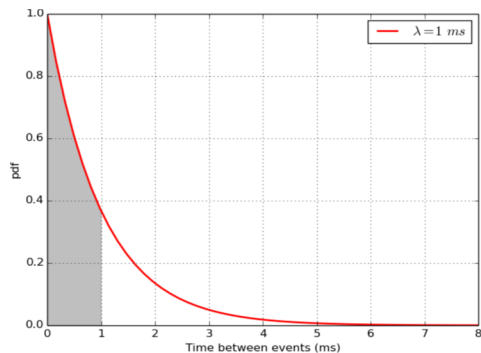
# DAQ and Trigger with busy logic

- **Busy logic** avoids triggers while the system is busy in processing
  - E.g.: AND port and a latch
- Latch (**flip-flop**):
  - a bistable circuit that changes state (Q) by signals applied to the control inputs (SET, CLEAR)



# Deadtime

- Which (average) DAQ rate can we achieve now?
  - Reminder: w/ a clock trigger and  $\tau = 1 \text{ ms}$  the limit is 1 kHz



- Definitions

- **f**: average rate of physics phenomenon (input)
- **v**: average rate of DAQ (output)
- **$\tau$ : deadtime**, the time the system requires to process an event, without being able to handle other triggers
- probabilities:  $P[\text{busy}] = v \tau$ ;  $P[\text{free}] = 1 - v \tau$

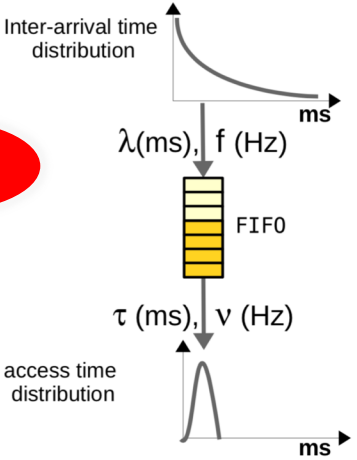
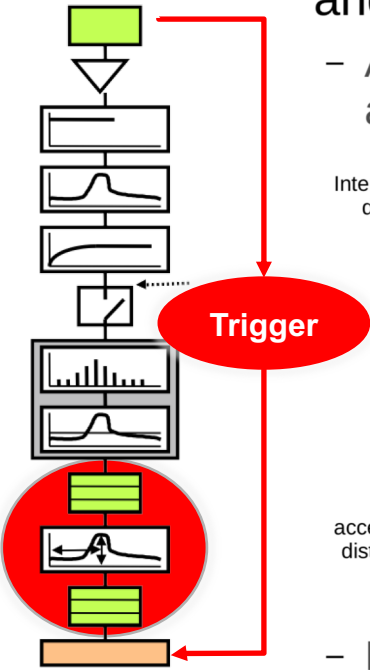
- Therefore:

$$v = f P[\text{free}] \Rightarrow v = f (1 - v \tau) \Rightarrow v = \frac{f}{1 + f \tau}$$

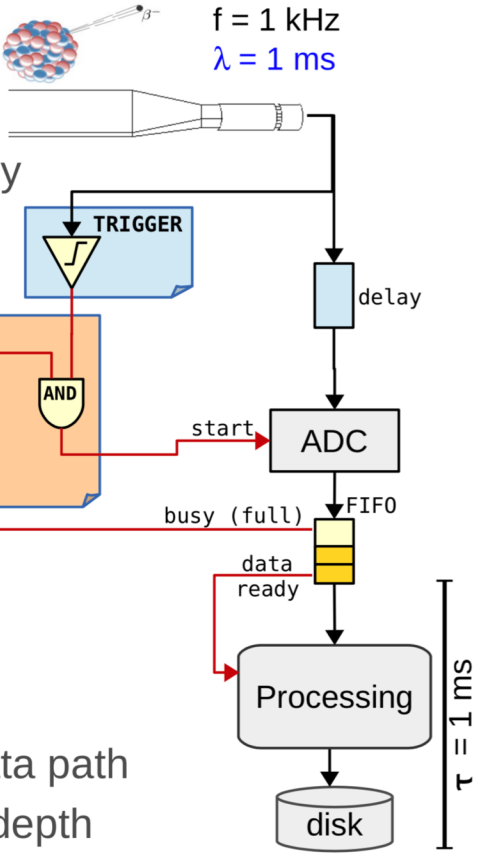
# Derandomization

- Input fluctuations can be absorbed and smoothed by a queue

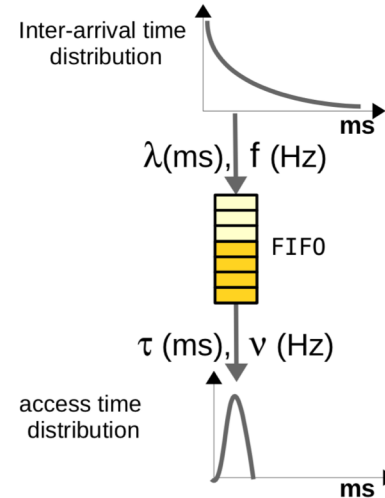
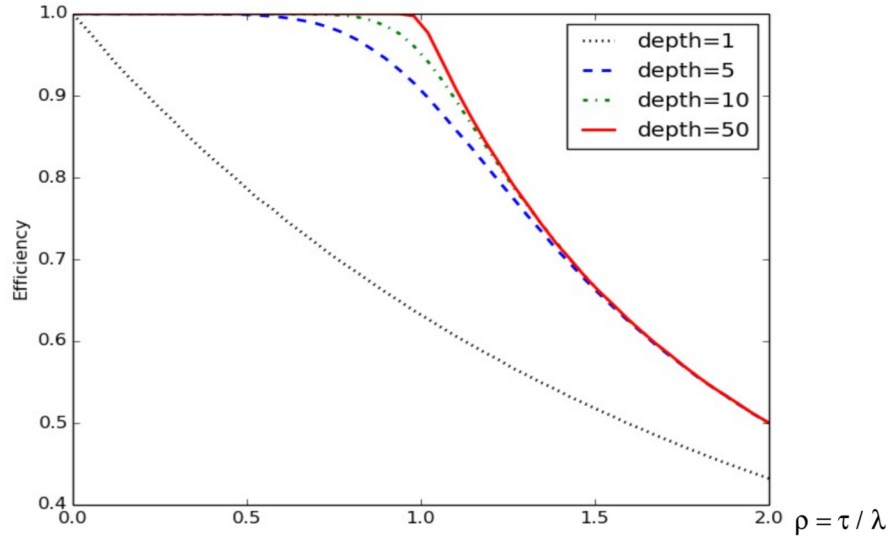
- A First In First Out can provide a ~steady and **de-randomized** output rate



- It introduces additional latency to the data path
- The effect of the queue depends on its depth



# A bit of queueing theory



- Efficiency vs traffic intensity ( $\rho = \tau / \lambda$ ) for different queue depths
  - $\rho > 1$ : the system is overloaded ( $\tau > \lambda$ )
  - $\rho \ll 1$ : the output is over-designed ( $\tau \ll \lambda$ )
  - $\rho \sim 1$ : using a queue, high efficiency obtained even w/ moderate depth

# CPU's and data buses

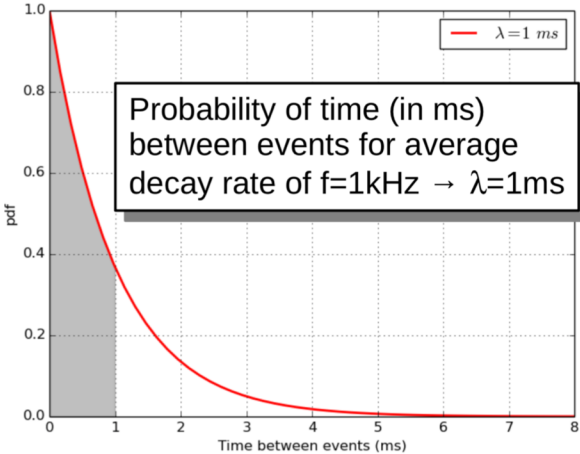


# Deadtime and Efficiency

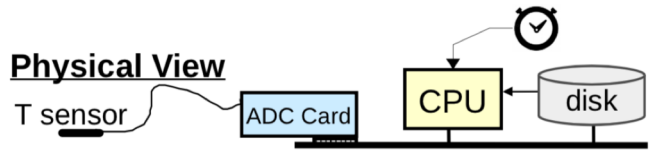
- Due to stochastic fluctuations
  - DAQ rate always < physics rate  $\nu = \frac{f}{1+f\tau} < f$
  - Efficiency always < 100%  $\epsilon = \frac{N_{\text{saved}}}{N_{\text{tot}}} = \frac{1}{1+f\tau} < 100\%$

- So, in our specific example

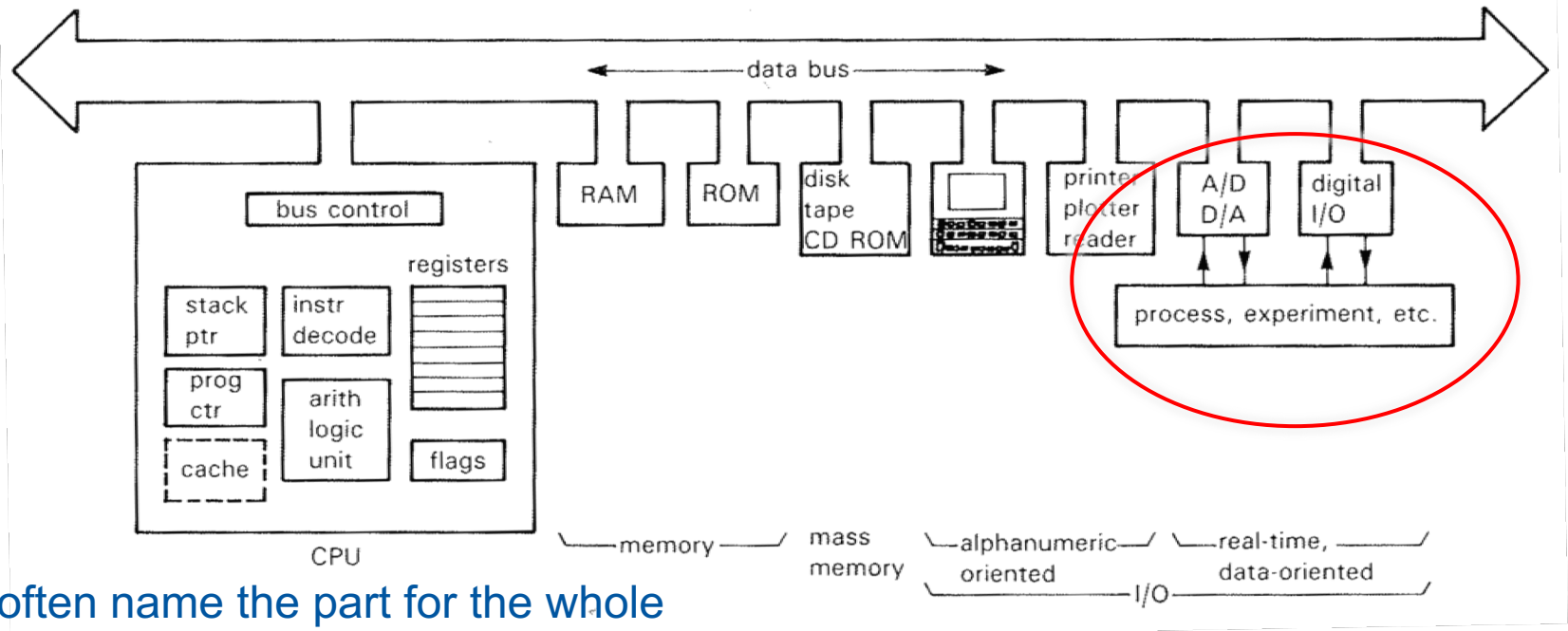
$$\left| \begin{array}{l} f = 1 \text{ kHz} \\ \tau = 1 \text{ ms} \end{array} \right. \rightarrow \left| \begin{array}{l} \nu = 500 \text{ Hz} \\ \epsilon = 50\% \end{array} \right.$$



# The CPU does the rest...



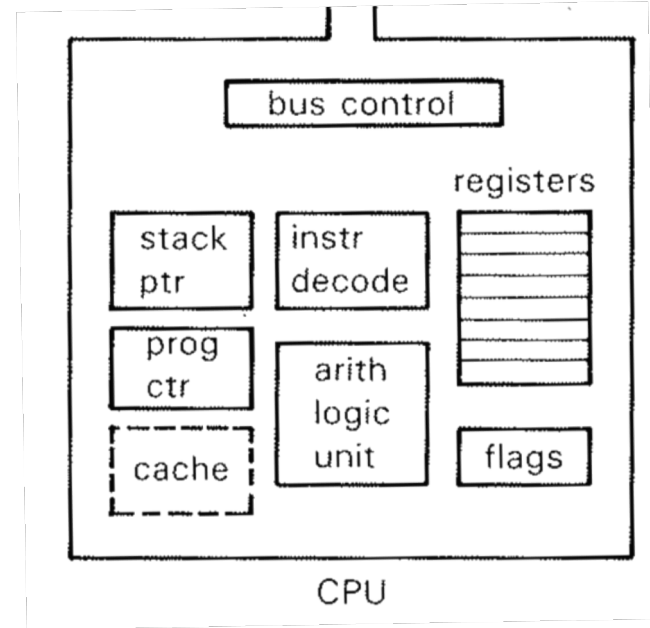
## Microprocessor architecture



We often name the part for the whole

# CPU (a simplified view)

- Does computation on **words**
  - Sequences of bits (32,64,128...)
- Fetches **instructions** from **memory** (the “program”)
- Instructions are bit codes corresponding to an operation (part of an “instruction set”)
  - They are first decoded and then fed to an **Arithmetic and Logical Unit** (ALU) that performs the operation on **data** contained in **registers** (e.g. add, complement, compare, shift, move...)
  - A **program counter** keeps track of the current location in the program being executed
- Data (as instructions) are fetched (usually) from **memory** over a **bus**
  - A **bus controller** handles the communication with memory and other I/O peripherals (such as a DAQ board, for example)

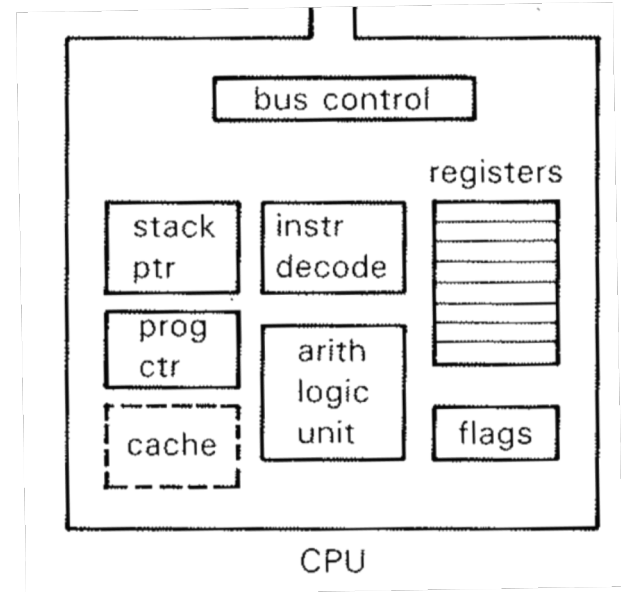


# CPU (a simplified view)

- Modern CPUs have a more or less large “**cache**” – fast memory that contains recently or frequently accessed data for quick retrieval (not requiring access to the memory bus)

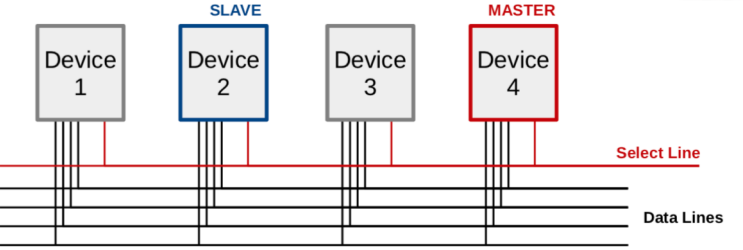
The **stack** is a portion of memory that works like a LIFO: there are two fundamental instructions PUSH and POP to move data to and from the stack, and a **stack pointer** always pointing at the top – more on this (maybe) later

This simplified view is common (give or take few parts) to many different architectures, **including those specific to DAQ** and trigger (the CPU could be just an “intelligent bus master”)

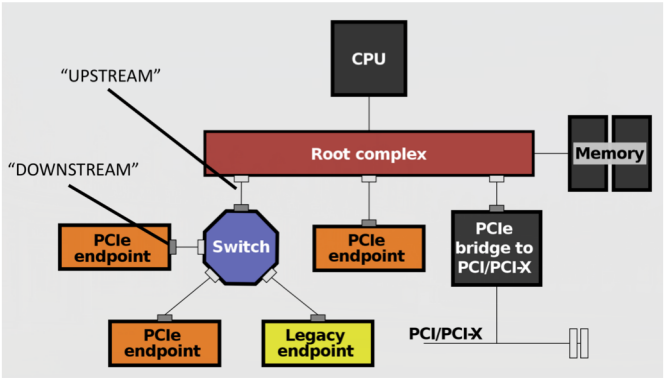


# Back to DAQ

- In complex experiments, many channels are received by multiple electronic boards interconnected by a data **bus** – a computer may not be the most convenient form factor for this, we use **modular electronics**
  - In an architecture **similar to the one** discussed before – at least one particular element on the BUS is a CPU
  - It is common to **use the bus** (e.g. VME) to collect **data from multiple boards** in a single portion of memory



Parallel (e.g. VME)  
Shared lines



Serial (e.g. PCIe)  
Point-to-point connections

# A note about parallel vs. serial

**Parallel Buses Are Dead!** (RT magazine, 2006)

What is wrong about “**parallel**”?

- You need lots of pins on the chips and wires on the PCBs
- The skew between lines limits the maximum speed

What is wrong about “**bus**”?

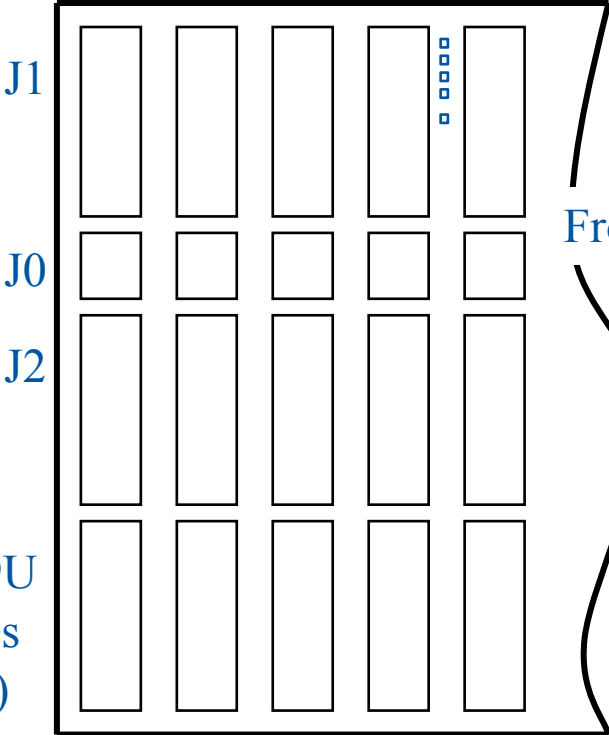
- Speed is a function of the length (impedance) of the lines
- Communication is limited to one master/slave pair at a time (no scalability)
- The handshake may slow down the maximum speed
- 

**All parallel buses are dead. All? No!**

- There is lots of legacy equipment
- VMEbus is still used heavily  
(military / research)

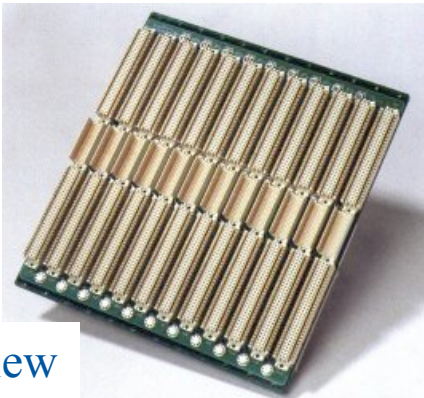


# Parallel: VMEbus



Slot 1

An example of **parallel bus**  
 Besides modular electronics, it was the base of Sun-2 computer arch. in the 80s



Automatic 6U VME64x backplane



VME64x P1 Connector					
Pin	Signal Name	Signal Name	Signal Name	Signal Name	Signal Name
	Row z	Row A	Row B	Row C	Row d
1	MPR	D00	BBSY*	D08	VPC
2	GND	D01	BCLR*	D09	GND
3	MCLK	D02	ACFAIL*	D10	+1V
4	GND	D03	BGOIN*	D11	+V2
5	MSD	D04	BG0OUT*	D12	RsvU
6	GND	D05	BG1IN*	D13	-V1
7	MMD	D06	BG1OUT*	D14	-V2
8	GND	D07	BG2IN*	D15	RsvU
9	MCTL	GND	BG2OUT*	GND	GAP*
10	GND	SYSCLK	BG3IN*	SYSFAIL*	GA0
11	RESP*	GND	BG3OUT*	BERR*	GA1
12	GND	DS1*	BR0*	SYSREST*	+3.3v
13	RsvBus	DS0*	BR1*	LWORD*	GA2*
14	GND	WRITE*	BR2*	AM5	+3.3V
15	RsvBus	GND	BR3*	A23	GA3*
16	GND	DTACK*	AM0	A22	+3.3V
17	RsvBus	GND	AM1	A21	GA4*
18	GND	AS*	AM2	A20	+3.3V
19	RsvBus	GND	AM3	A19	RsvBus
20	GND	IACK*	GND	A18	+3.3V
21	RsvBus	IACKIN*	SERCLK	A17	RsvBus
22	GND	IACKOUT*	SERDAT*	A16	+3.3V
23	RsvBus	AM4	GND	A15	RsvBus
24	GND	A07	IRQ7*	A14	+3.3V
25	RsvBus	A06	IRQ6*	A13	RsvBus
26	GND	A05	IRQ5*	A12	+3.3V
27	RsvBus	A04	IRQ4*	A11	LIA*
28	GND	A03	IRQ3*	A10	+3.3V
29	RsvBus	A02	IRQ2*	A09	LIO*
30	GND	A01	IRQ1*	A08	+3.3V
31	RsvBus	-12V	+5V Standby	+12V	GND
32	GND	+5V	+5v	+5V	VPC

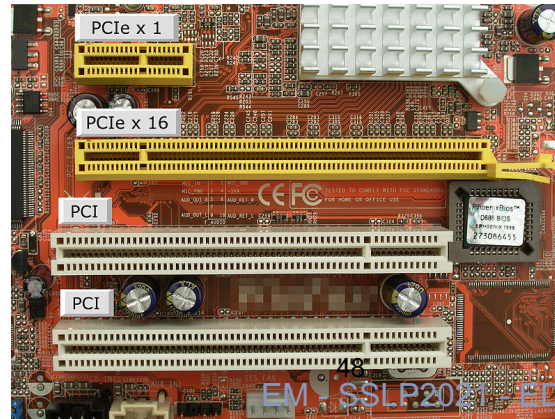
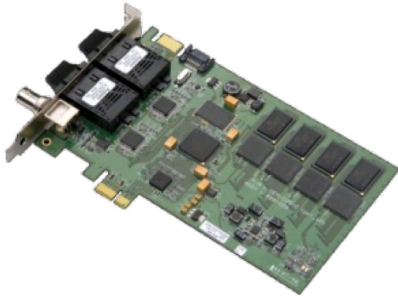
www.interfacebus.com

L. Davis



# Serial: PCIe (aka PCI Express)

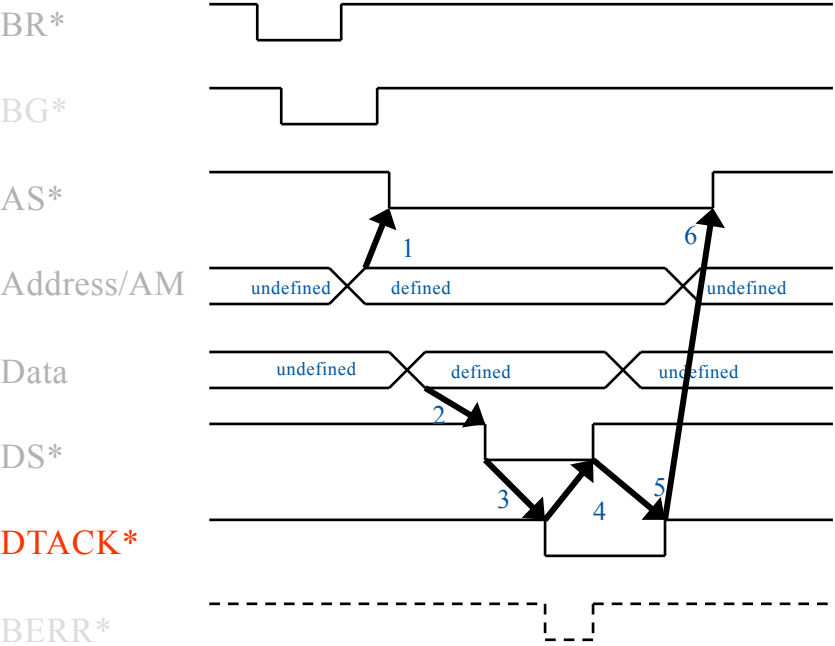
- Not a bus any more but a point-to-point link
- Data not transferred on parallel **lines** but on one or several serial **lanes**
  - **Lane**: One pair of LVDS lines per direction
  - Clock rate: 2.5 GHz (PCIe2.0: 5 GHz, PCIe 3.0: 8 GHz, PCIe 4.0: 16 GHz)
  - 8b/10b encoding (from PCIe3.0: 128/130b encoding)
  - 250 MB/s (PCIe 1.0) raw transfer rate per lane
  - Devices can support up to 32 lanes





# Example: VME write

Example: (Simplified) write cycle



Arbitration

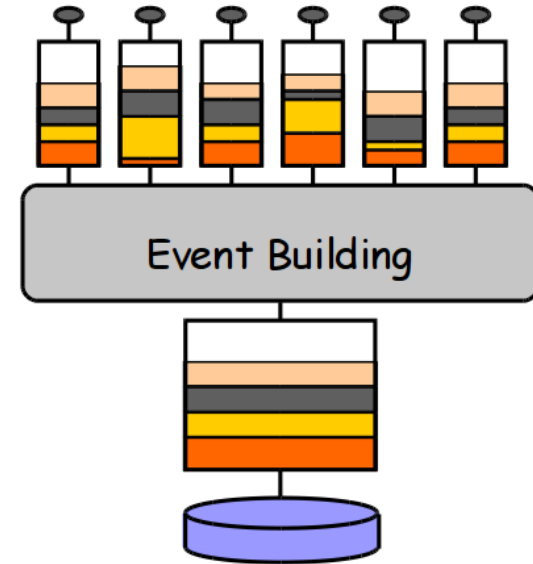
- 1: Master drives address and AM code. Then it asserts AS
- 2: Master puts data on the bus. Then it asserts DS
- 3: Slave latches data and drives DTACK
- 4: Master removes DS
- 5: Slave removes DTACK
- 6: Master releases Address, AM and data lines. Then it releases AS

Color code: Master - Slave - Arbitrer



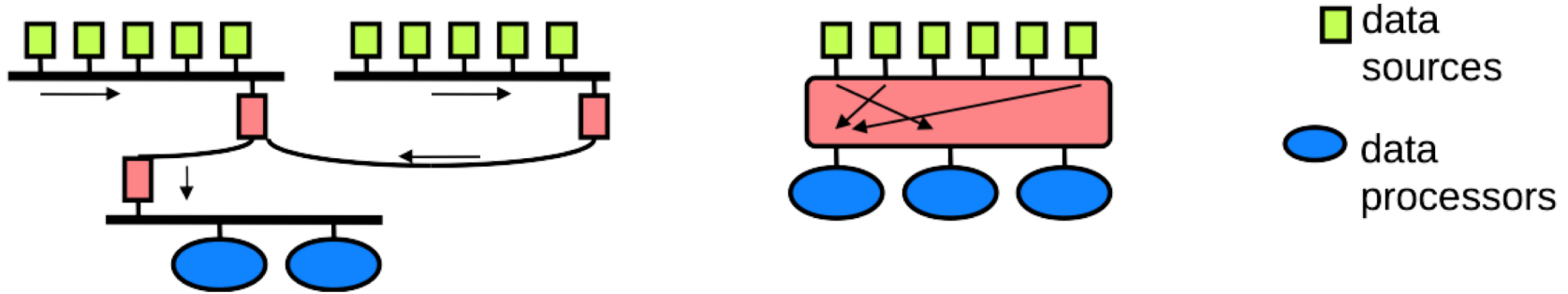
# Event Building

- In large experiments consisting of many different sub-detectors, read out is performed by different boards and by multiple CPUs (for example in multiple VME crates)
  - We want to combine all the portions corresponding to the same “event” in the memory of a single CPU for processing and eventually storage
- Need a mechanism to associate all data corresponding to the same event (e.g. a bunch crossing in a collider, a gamma ray shower in a telescope array...)
  - This process is called **event building**



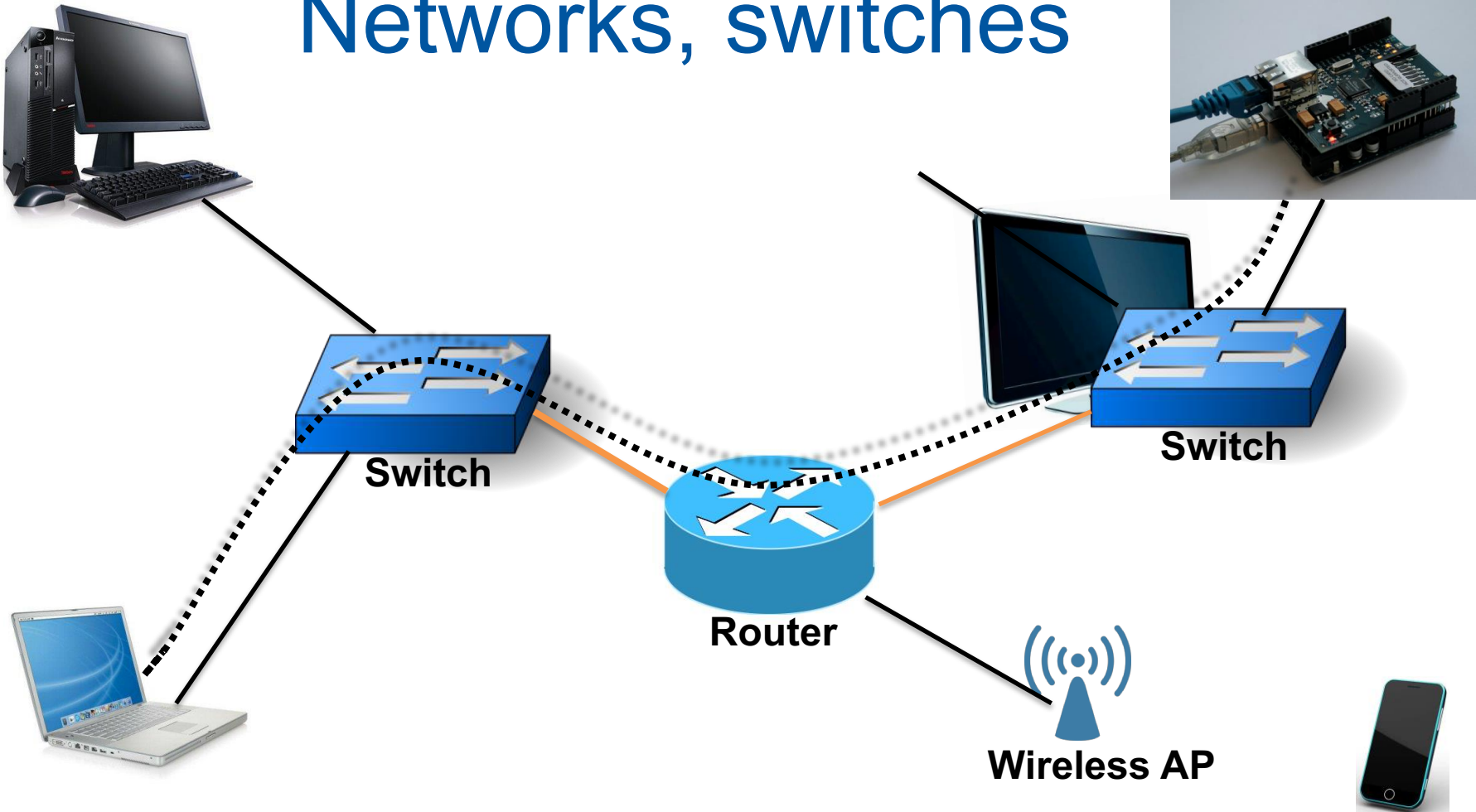
# Event Building

- Event Building used to be performed on the bus itself



- But the bus forces the process to be sequential (only one board can “speak” at a time)
- It is also not infinitely extendible (does not “scale”)
- In all LHC experiments event building is performed by distributed processes through a **switched network**

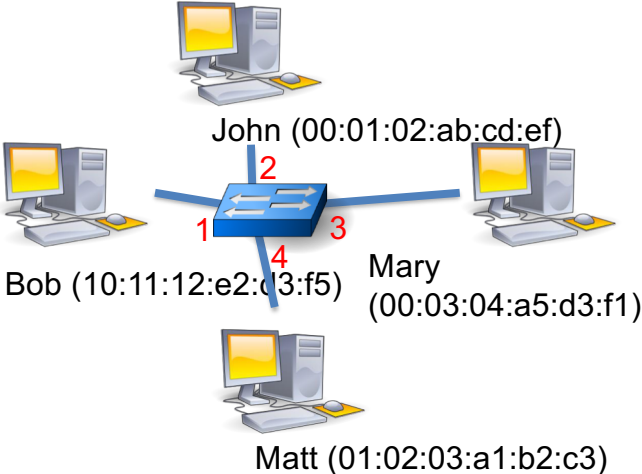
# Networks, switches



# Ethernet switch

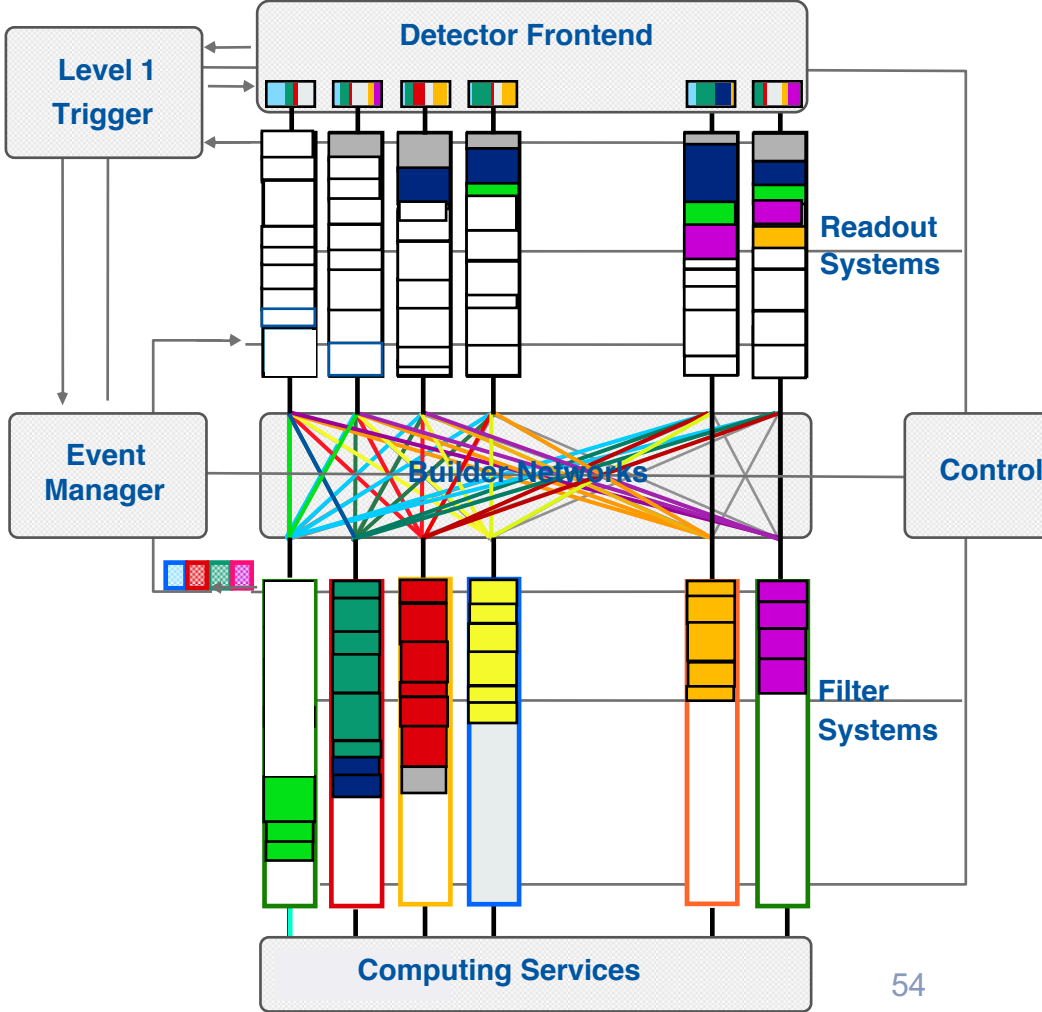
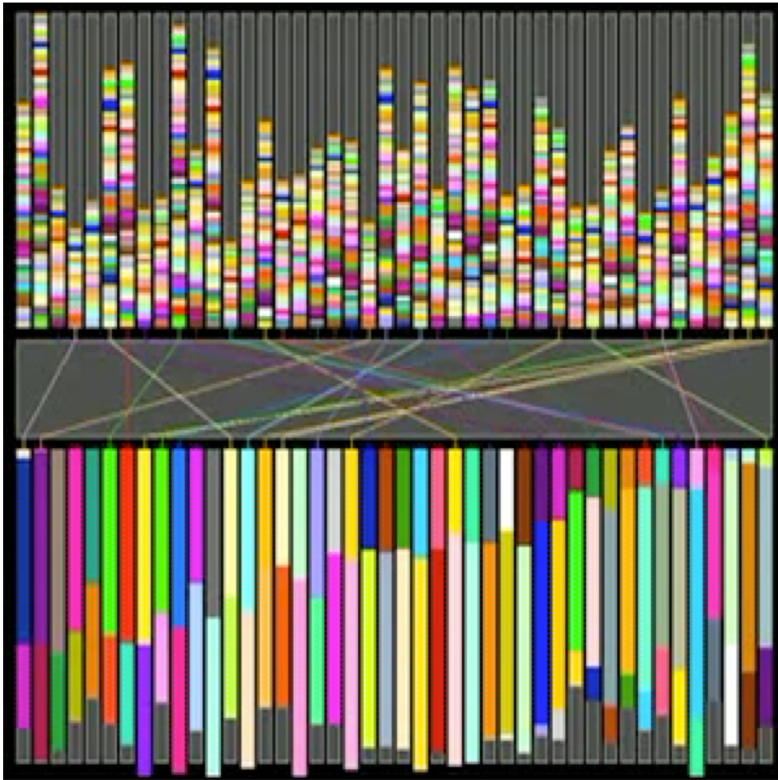
Layer-2 device

- Switches frames to their destination using the MAC address
- Learns the address associated to each port and stores it in a table



Port	MAC Address
2	00:01:02:ab:cd:ef(John)
4	01:02:03:a1:b2:c3(Matt)
....	....

# Event Building



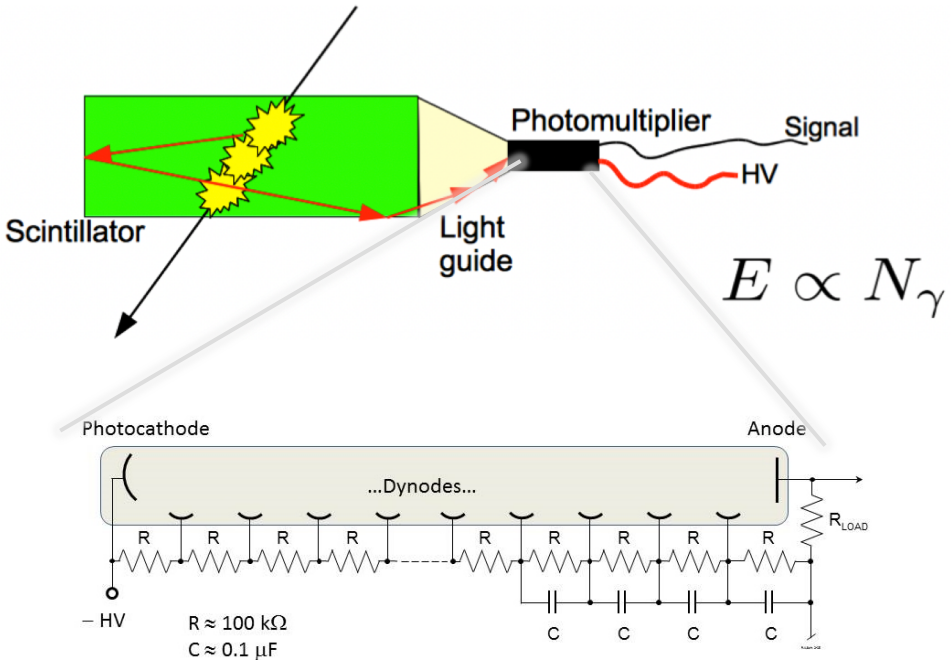
Questions?

# Additional topics



DAQ-with-a-scope

# Real-life example: measuring energy



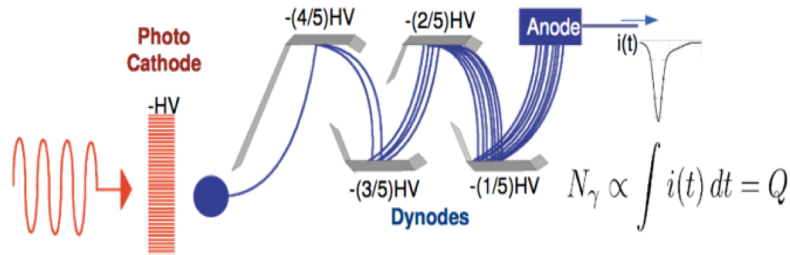
Measure the energy deposited by a particle traversing a (special) medium

The (detector) medium is a scintillator → The molecules, excited by the passing particle, relax emitting light

The amount of light is proportional to the deposited energy

The light is then collected, using dedicated optical means (light guide), and fed into a photo-detector → photomultiplier

# Photomultiplier Tube (PMT)

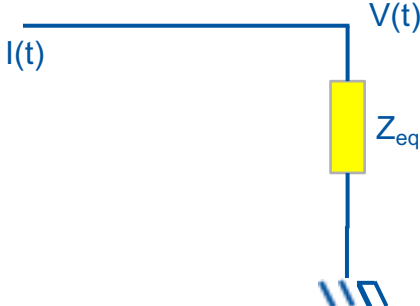
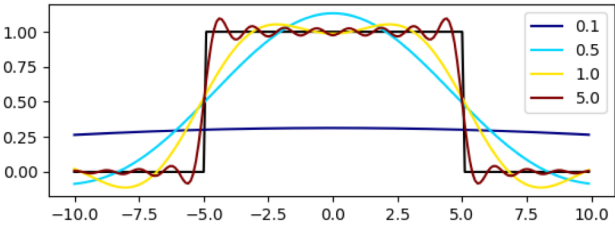
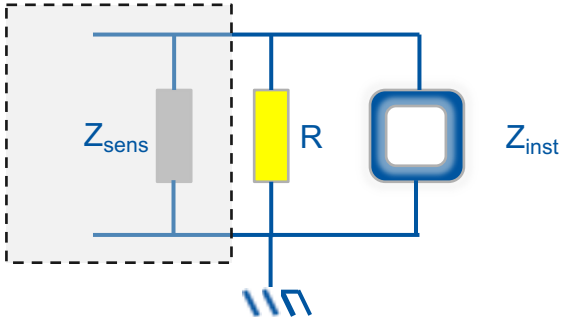
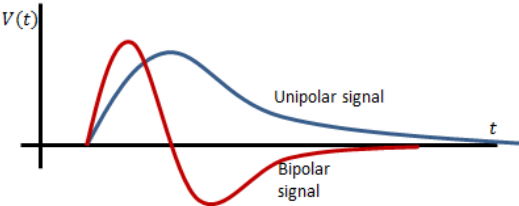
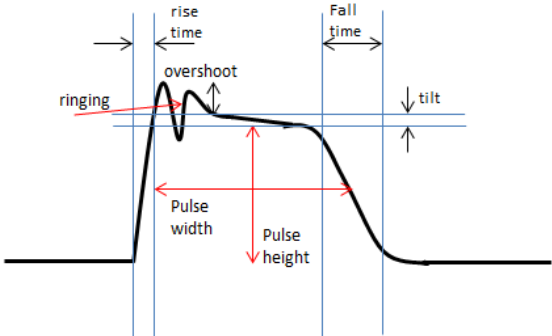


*Photo cathode*: photon to electron conversion via photo-electric effect  
Typical quantum efficiency  $\approx 1-10\%$   
(depends on material and wavelength)  
*Dynodes*: electrodes that amplify the number of electrons thanks to secondary emission  
Typical overall gain  $\approx 10^6$   
*Dark current*: current flowing in the PMT without light  $\rightarrow$  noise

# Pulse signals

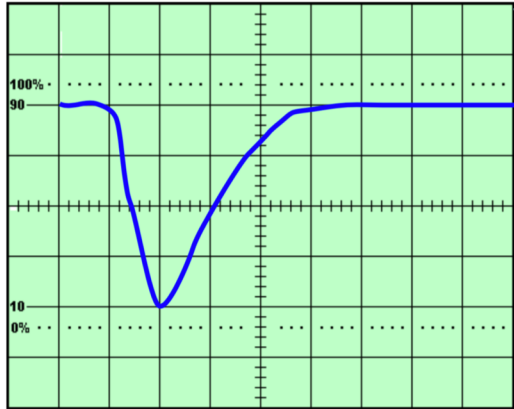
- Sensors and signals – the analog way
- **Acquiring data from sensors**
- Practical introduction with real life example
  - Historical Perspective
  - Examples taken from nuclear and (mostly) particle physics
    - Feel free to bring your own example/problems for discussion
- From analog to digital: introductory notions

Since most sensor produce an electrical pulse in response to the phenomenon they measure, it is important to define and understand a certain number of concepts concerning a pulse signal

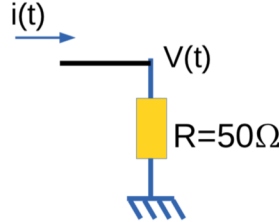
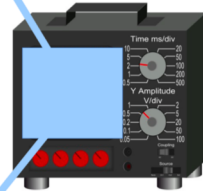


# Measuring with a scope

- Approximate Q measurement using oscilloscope
  - Linear approximation of a exponential decay



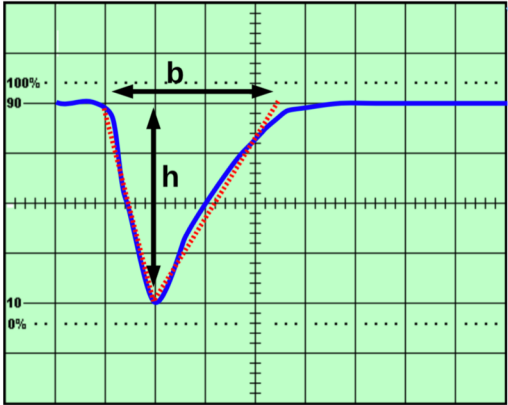
CH1: V/div 100mV Title:  
 CH2: V/div  
 Time/div: 20ns



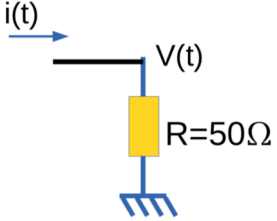
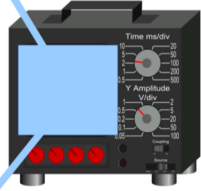
$$Q = \int i(t) dt = \frac{1}{R} \int V(t) dt$$

# Measuring with a scope

- Approximate Q measurement using oscilloscope
  - Linear approximation of a exponential decay



CH1: V/div 100mV Title:  
 CH2: V/div  
 Time/div: 20ns

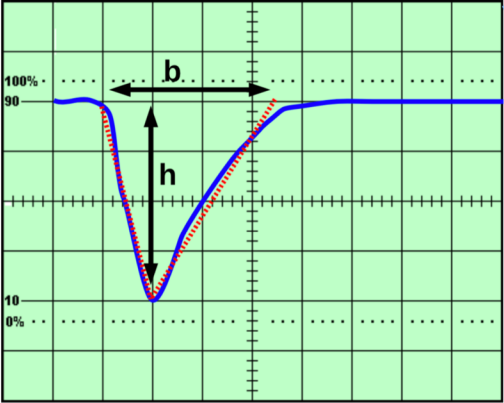


$$Q = \int i(t) dt = \frac{1}{R} \int V(t) dt$$

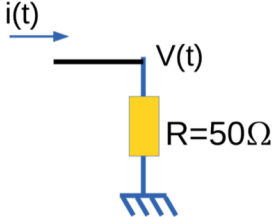
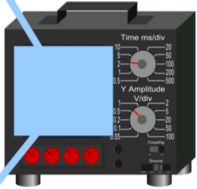
$$Q \approx \frac{1}{R} \frac{bh}{2} = \frac{1}{50\Omega} \frac{(3.5 \cdot (20\text{ns}))(4 \cdot (100\text{mV}))}{2} = 280\text{pC}$$

# Measuring with a scope

- Approximate Q measurement using oscilloscope
  - Linear approximation of a exponential decay



CH1: V/div 100mV Title:  
 CH2: V/div  
 Time/div: 20ns



$$Q = \int i(t) dt = \frac{1}{R} \int V(t) dt$$

$$Q \approx \frac{1}{R} \frac{bh}{2} = \frac{1}{50\Omega} \frac{(3.5 \cdot (20ns))(4 \cdot (100mV))}{2} = 280pC$$

# Measuring with a scope

## Approximate Q measurement using oscilloscope

Linear approximation of an exponential decay

Easy, but...

Deadtime 5 min,  $\sim 3 \cdot 10^{-3}$  measurements per second (if you are good)  
Necessary to encode data into some sort of electronic format by hand

**It would be much more convenient to have a direct electronic measurement: a data acquisition system**

Save data in some digital format, fill a histogram on-line, etc ...

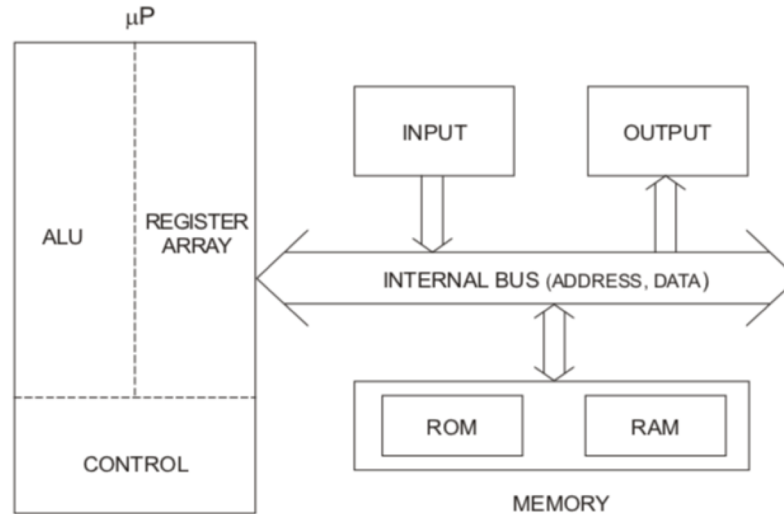
**N.B.:** the oscilloscope method is still fundamental

it allows for the **validation** of your DAQ yes, you should never trust it a priori!  
Always remember the oscilloscope also has limitations – we will discuss them later



# Memory

# Memory access



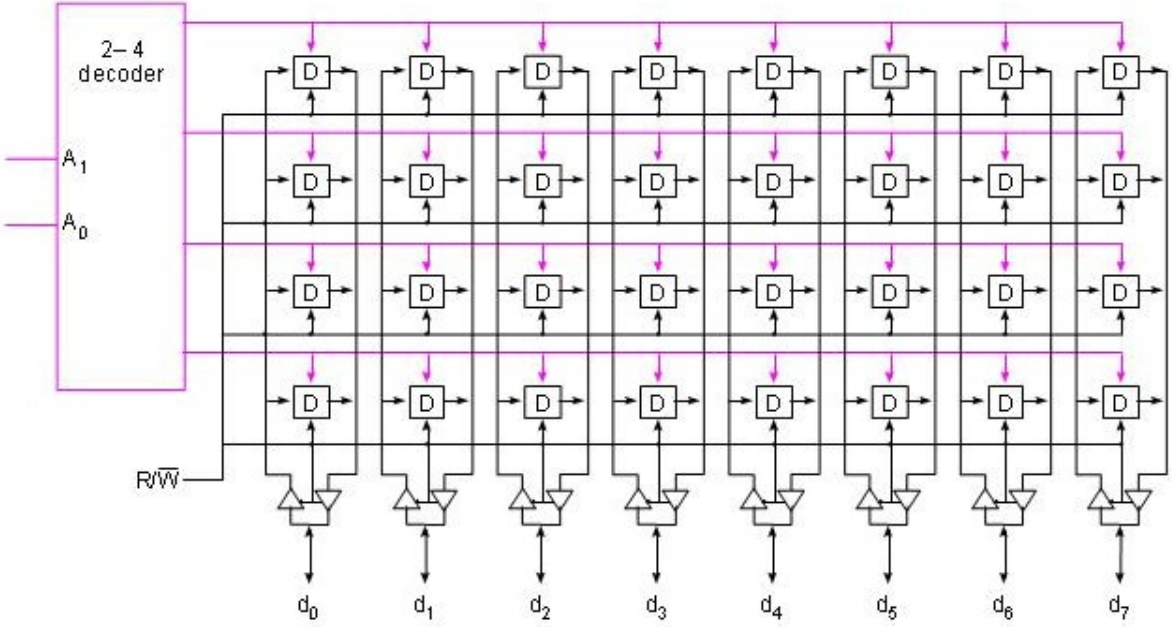
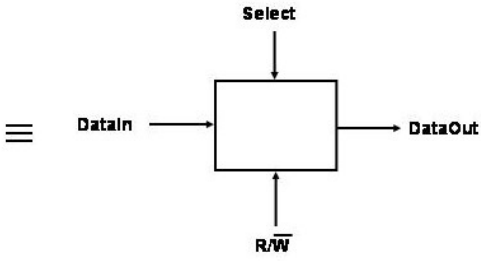
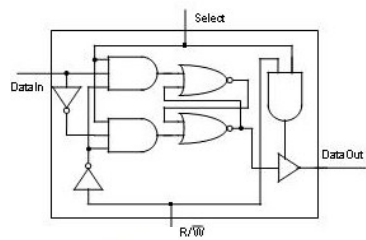
## Programmed data transfer

A software routine residing in memory requests the peripheral device for data transfer. Programmed data transfers are generally used when a small amount of data is transferred with relatively slow I/O devices.

## Direct Memory Access (DMA) or “block” transfer

In this mode, the data transfer is controlled by the peripheral device. DMA transfer is used when a large block of data is to be transferred.

# Addressing memory (simplified view)



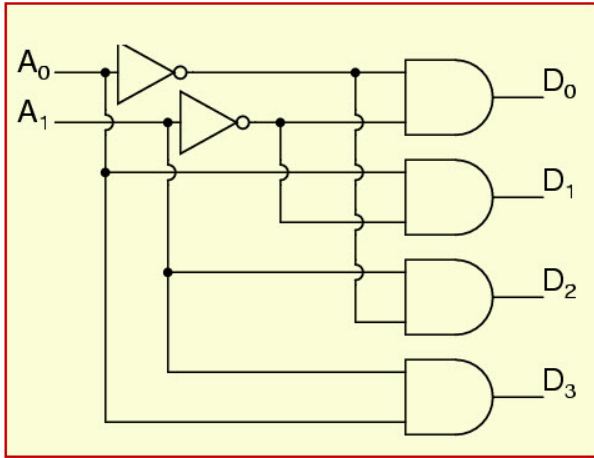
Source: Heuring – Jordan: Computer Systems Architecture and Design

The address space is the total number of unique addresses available to the CPU. Different addressable devices are “mapped” to different unique address ranges for access over the bus

Source: Heuring – Jordan: Computer Systems Architecture and Design



# Decoding addresses

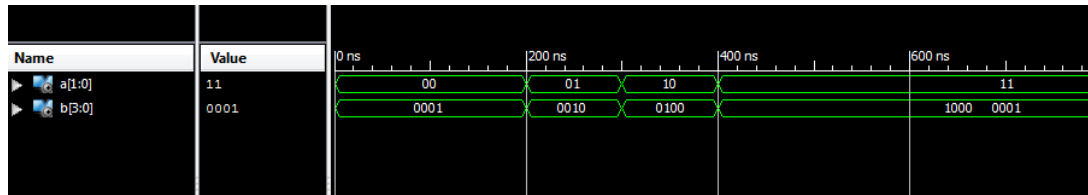


```
library IEEE;  
use IEEE.STD_LOGIC_1164.all;
```

```
entity decoder is  
  port(  
    a : in STD_LOGIC_VECTOR(1 downto 0);  
    b : out STD_LOGIC_VECTOR(3 downto 0)  
  );  
end decoder;  
architecture bhv of decoder is  
begin
```

```
  process(a)  
  begin  
    case a is  
      when "00" => b <= "0001";  
      when "01" => b <= "0010";  
      when "10" => b <= "0100";  
      when "11" => b <= "1000";  
    end case;  
  end process;
```

```
end bhv;
```



# Mapping addresses: example

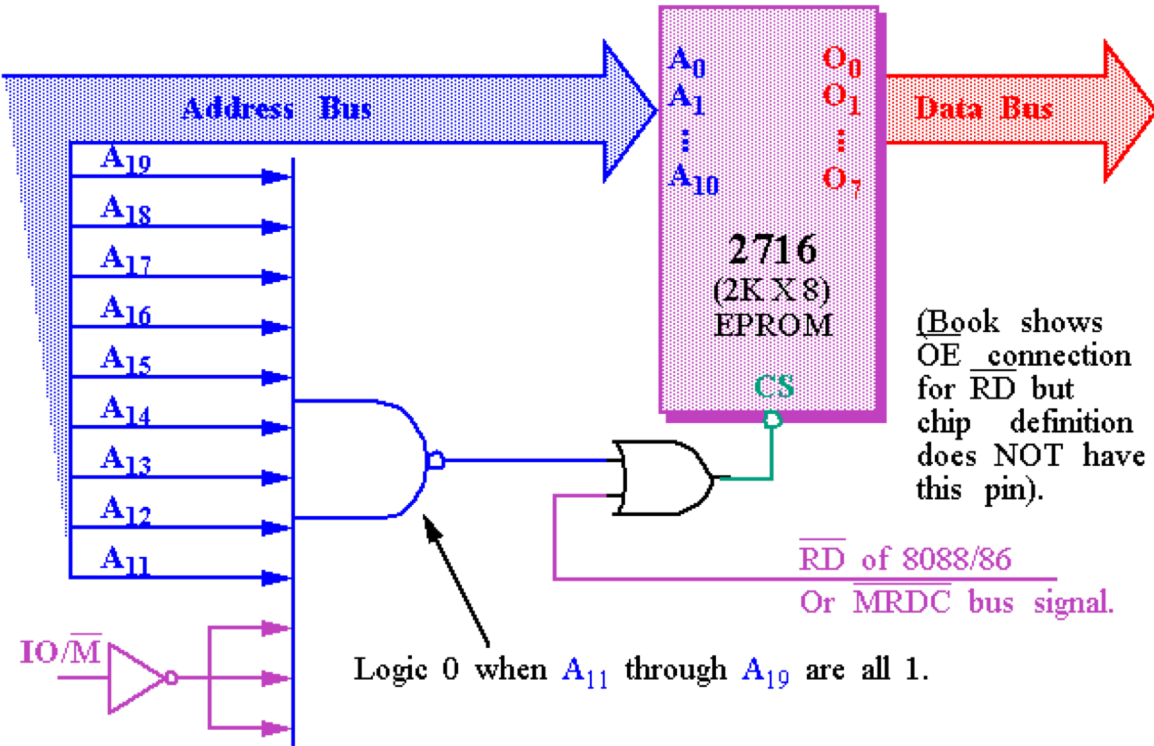
The processor can usually address a memory space that is much larger than the memory space covered by an individual device or memory chip.

In order to splice a device into the address space of the processor, decoding is necessary.

For example, the Intel 8088 had 20-bit addresses for a total of 1MB of memory address space.

However, the BIOS on a 2716 EPROM had only 2KB of memory and 11 address pins

A decoder was used to decode the additional 9 address pins and allow the EPROM to be placed in any 2KB section of the 1MB address space

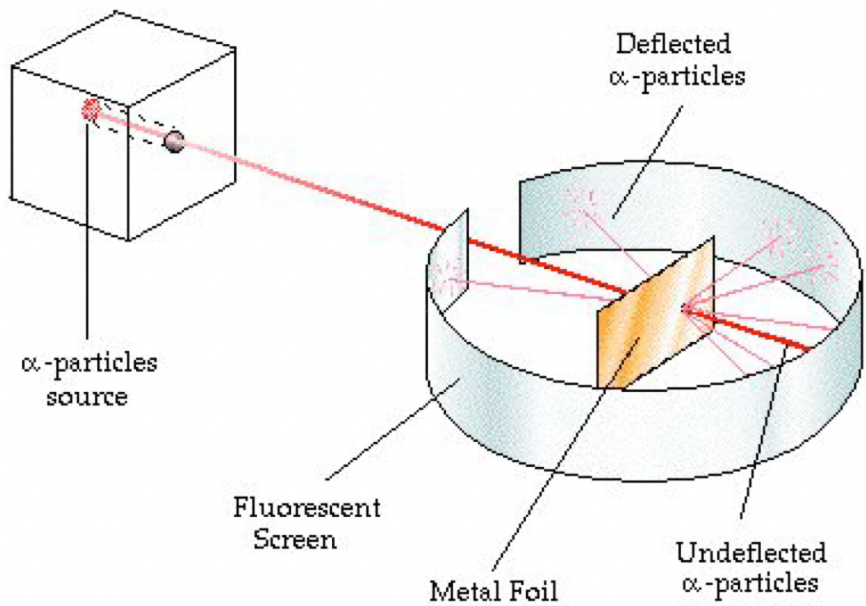


(Book shows OE connection for RD but chip definition does NOT have this pin).

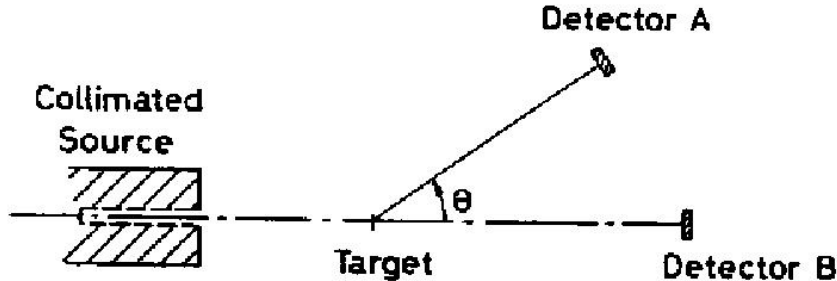
$\overline{RD}$  of 8088/86  
Or  $\overline{MRDC}$  bus signal.

Logic 0 when A<sub>11</sub> through A<sub>19</sub> are all 1.

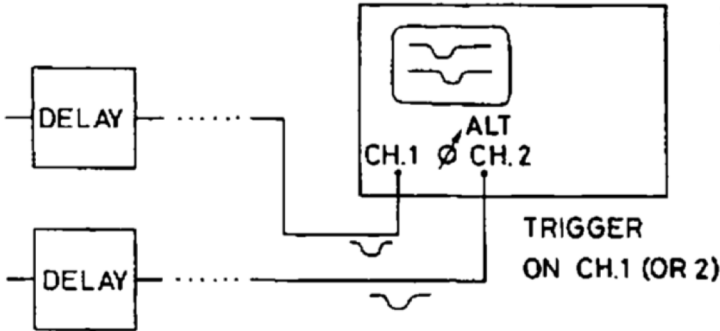
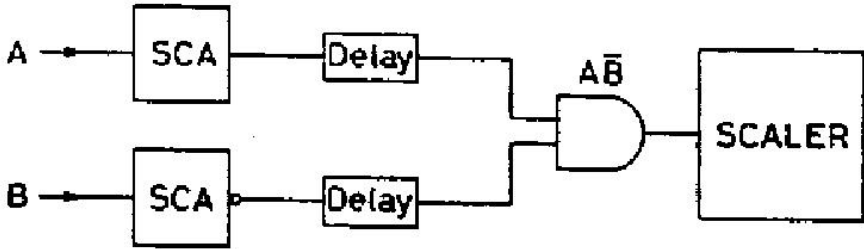
# Modernized Geiger-Marsden Experiment



# Modernized Geiger-Marsden Experiment



- Can you identify the elements in the diagram ?
- Scaler in nuclear instrumentation is another word for “counter”
- Counting pulses over some threshold (or in a certain window of amplitude) is a common need
- We will discuss counters in the context of digital logics
- The anticoincidence A not B is a form of trigger



# Counting pulses: discriminator

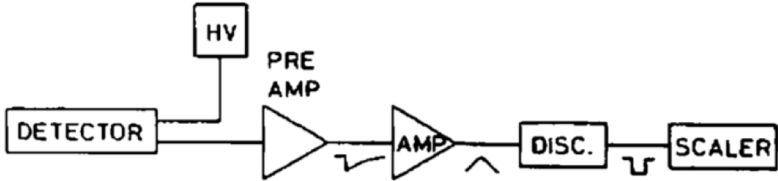
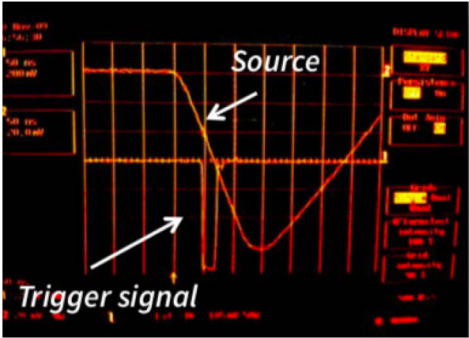
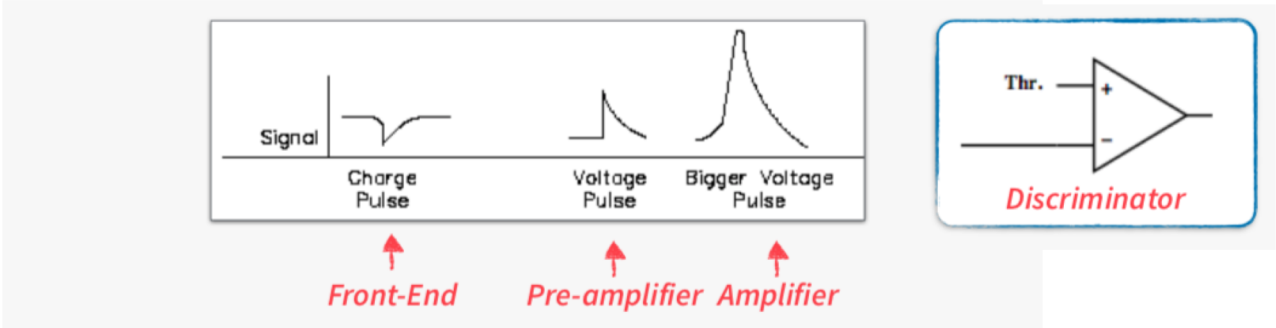


Fig. 15.1. A simple counting system

Combining signals from multiple discriminators may require compensating for the different length of the signal paths



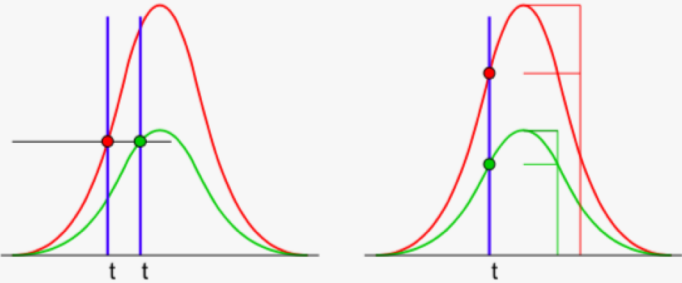
# Important aspects of discriminators

### Pulse width

- ▶ Limits the effective hit rate
- ▶ Must be adapted to the desired trigger rate

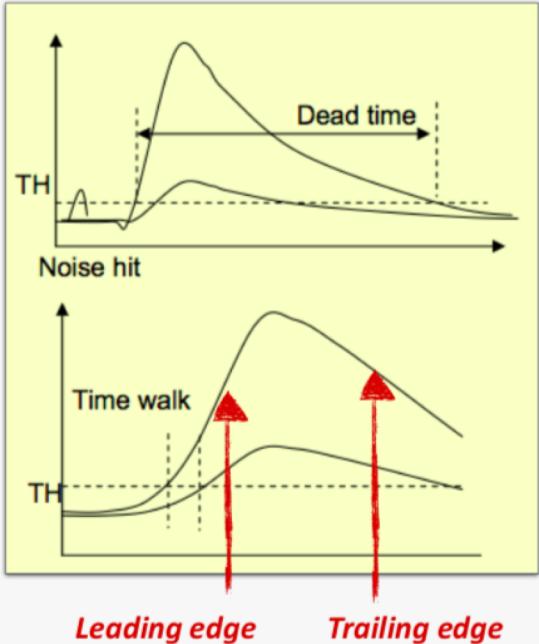
### Time walk

- ▶ The threshold-crossing time depends on the signal amplitude
- ▶ Must be **minimal** good trigger systems



Time walk can be suppressed by triggering on **total signal fraction**

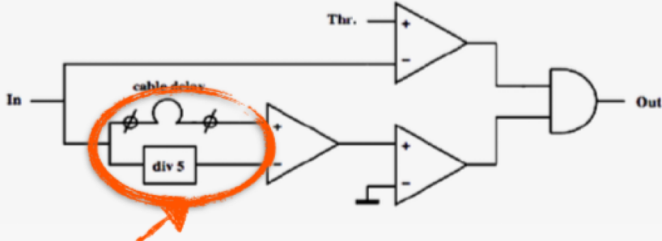
- ▶ Applicable on same-shape input signals with different amplitude
  - Scintillator detectors and photomultipliers



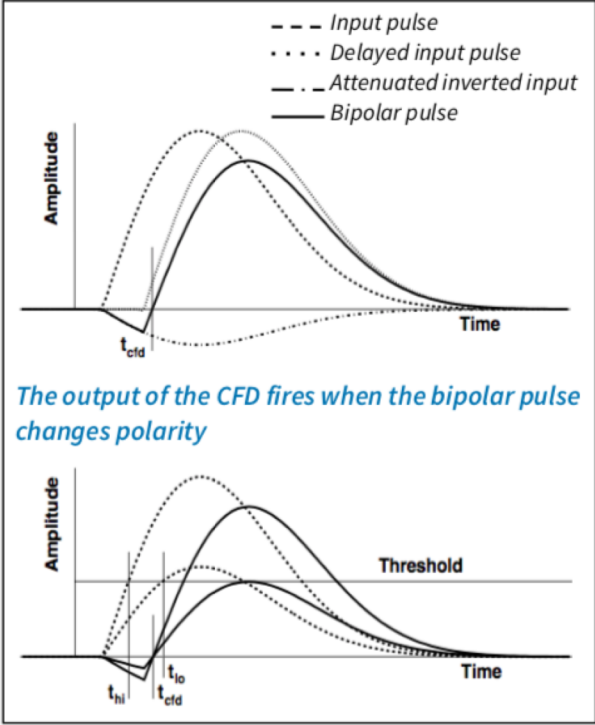
# Constant fraction discriminator

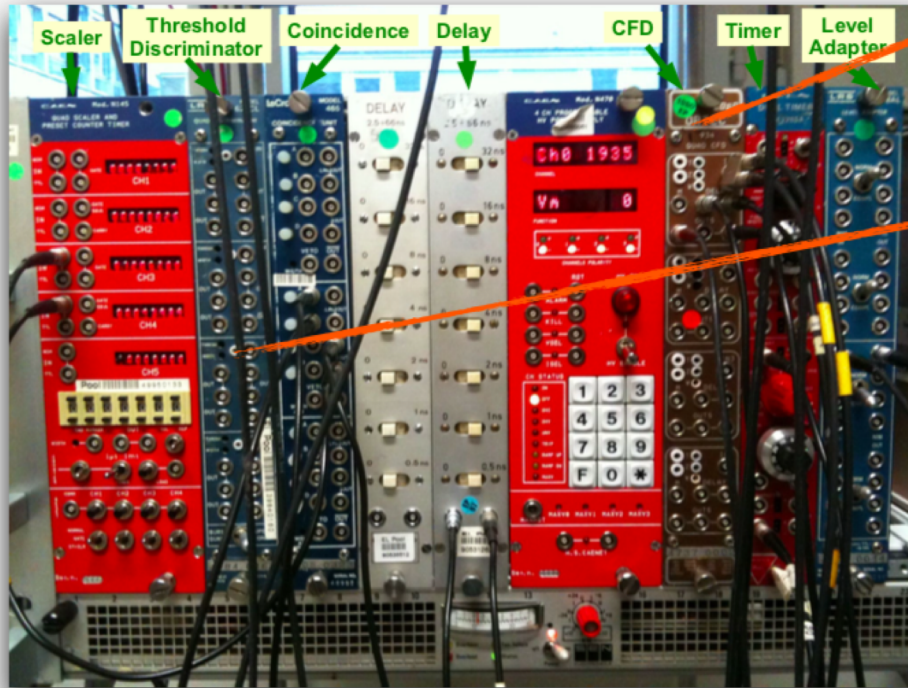
Signals with the same rising time, at a fraction  $f$

$$\Delta t_f = t(f \cdot A_0) - t(A_0) = \text{const.}$$

$$A(t)/f - \cdot A(t - \Delta t) = 0 \text{ at } t = t_{CDF}$$


- ▶ **Attenuation + configurable delay**
  - applied before the discrimination determines  $t_{CDF}$
- ▶ If delay too short, the unit works as a normal discriminator
  - the output of the normal discriminator fires later than the CFD part





► Threshold levels configurable via screwdriver adjust

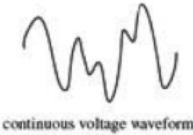
ORTEC CFD

LeCroy  
discriminator

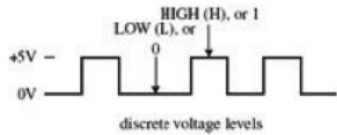
Possibly useful information

# Analog and digital: basic concepts

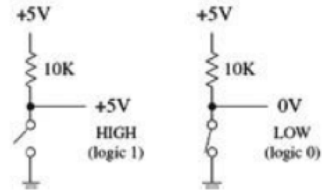
Analog Signal



Digital Signal



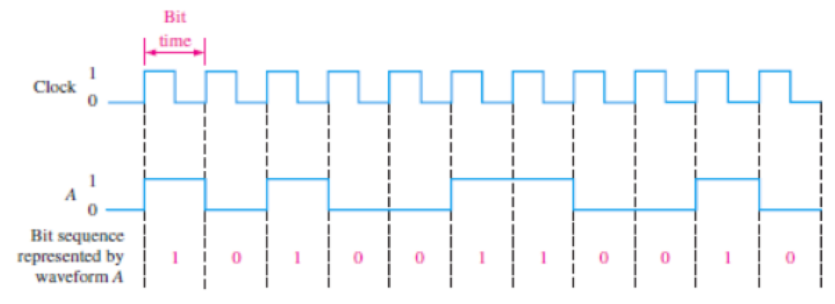
Using a switch to demonstrate logic states



$T_1$     $T_2$     $T_3$   
 Period =  $T_1 = T_2 = T_3 = \dots = T_n$   
 Frequency =  $\frac{1}{T}$

(a) Periodic (square wave)

(b) Nonperiodic



## Binary-to-Decimal Conversion

$109_{10}$  to binary

$109/2 = 54$  w/ remainder 1 (LSB)  
 $54/2 = 27$  w/ remainder 0  
 $27/2 = 13$  w/ remainder 1  
 $13/2 = 6$  w/ remainder 1  
 $6/2 = 3$  w/ remainder 0  
 $3/2 = 1$  w/ remainder 1  
 $1/2 = 0$  w/ remainder 1 (MSB)

Answer: 1101101

8-bit answer: 01101101

Take decimal number and keep dividing by 2, while keeping the remainders. The first remainder becomes the LSB, while the last one becomes the MSB.

## Decimal-to-Binary Conversion

10100100 to decimal

$2^7$   $2^6$   $2^5$   $2^4$   $2^3$   $2^2$   $2^1$   $2^0$   
 (MSB) 1 0 1 0 0 1 0 0 (LSB)

$0 \times 2^0 = 0$   
 $0 \times 2^1 = 0$   
 $1 \times 2^2 = 4$   
 $0 \times 2^3 = 0$   
 $0 \times 2^4 = 0$   
 $1 \times 2^5 = 32$   
 $0 \times 2^6 = 0$   
 $1 \times 2^7 = 128$

Expand the binary number as shown and add up the terms. The result will be in decimal form.

Answer:  $164_{10}$

## Octal to Binary

$537_8$  to binary

$5$     $3$     $7$   
 $101$   $011$   $111$

Answer:  $101011111_2$

## Binary to Octal

$111\ 001\ 100_2$  to octal

$111$   $001$   $100$   
 $7$     $1$     $4$

Answer:  $714_8$

A 3-digit binary number is replaced for each octal digit, and vice versa. The 3-digit terms are then grouped (or octal terms are grouped).

## Hex to Binary

$3E9_{16}$  to binary

$3$     $E$     $9$   
 $0011$   $1110$   $1001$

Answer:  $0011\ 1110\ 1001_2$

## Binary to Hex

$1001\ 1111\ 1010\ 0111_2$  to octal

$1001$   $1111$   $1010$   $0111$   
 $9$     $F$     $A$     $7$

Answer:  $9FA7_{16}$

A 4-digit binary number is replaced for each hex digit, and vice versa. The 4-digit terms are then grouped (or hex terms are grouped).

# Negative integers

In 2's complement representation a negative number is represented by a binary which results in zero when added to its corresponding positive

## Decimal to 2's complement

+4<sub>10</sub> to 2's complement

true binary = 0010 1001

2's comp = 0010 1001

-4<sub>10</sub> to 2's complement

true binary = 0010 1001

1's comp = 1101 0110

Add 1 = +1

2's comp = 1101 0111

DECIMAL	SIGN-MAGNITUDE	2'S COMPLEMENT
+7	0000 0111	0000 0111
+6	0000 0110	0000 0110
+5	0000 0101	0000 0101
+4	0000 0100	0000 0100
+3	0000 0011	0000 0011
+2	0000 0010	0000 0010
+1	0000 0001	0000 0001
0	0000 0000	0000 0000
-1	1000 0001	1111 1111
-2	1000 0010	1111 1110
-3	1000 0011	1111 1101
-4	1000 0100	1111 1100
-5	1000 0101	1111 1011
-6	1000 0110	1111 1010
-7	1000 0111	1111 1001
-8	1000 1000	1111 1000

In 2's complement representation the procedures for adding and subtracting positive and negative numbers are the same

## Subtracting

$$\begin{array}{r}
 4_{10} \\
 - 1_{10} \\
 \hline
 3_{10}
 \end{array}$$

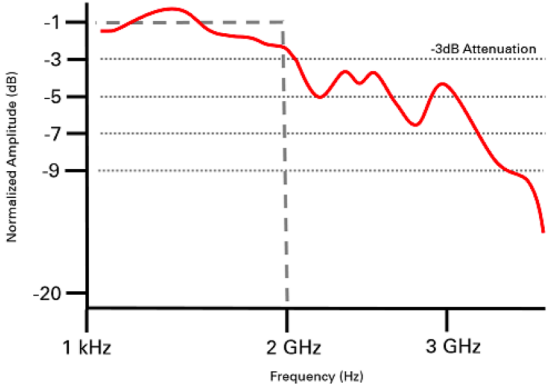
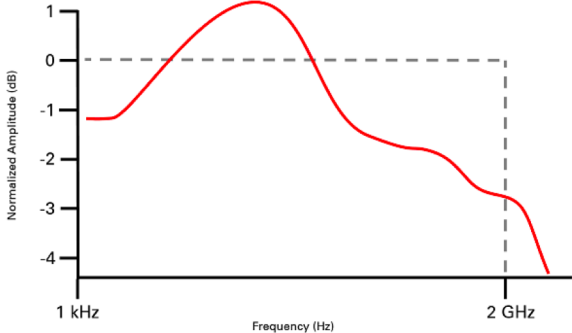
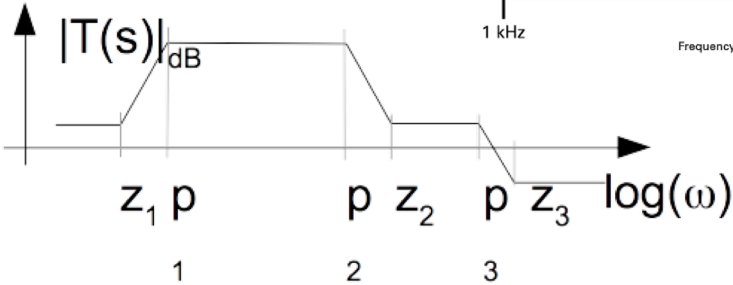
$$\begin{array}{r}
 +19_{10} = 00010011 \\
 -7_{10} = 11111001 \\
 \hline
 \text{Sum} = 00001100
 \end{array}$$

the long way

# More on response, power spectra, Bode diagram

- When discussing the response of any kind of circuit or device, the range of frequencies delimited by the points at which the response falls by 3 dB is defined as the bandwidth and represents the range of accepted frequencies.
- When referring to measurements of power quantities, a ratio can be expressed as a level in decibels by evaluating ten times the base-10 logarithm of the ratio of the measured quantity to the reference value. Thus, the ratio of  $P$  (measured power) to  $P_0$  (reference power) is represented by  $LP$ , that ratio expressed in decibels: the base-10 logarithm of the ratio of the measured quantity to the reference value.

## Bode plots Compensation



Sticking to the scope example, measurements are affected by signals that occur in the extended operating frequencies of the oscilloscope. They can appear in the region of interest through aliasing. For any circuit dealing with fast pulses one may consider: anti-aliasing filters for your particular region of interest sharper filter roll-off, typically about -20 dB

