A test beam for the cluster counting technique

F.Cuna for the all team



10th Beam Telescopes and Test Beams
Workshop 2022

Outline

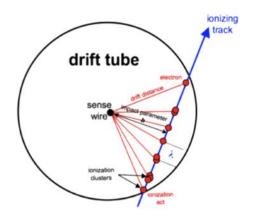
- The cluster counting technique: a promising method for the particle identification
- The simulations results with Garfield++ and Geant4: first hint of great results
- A test beam for the validation of the great expectations
- Preliminary results: the algorithms to count clusters

The cluster counting technique

Using the information about energy deposit by a track in a gaseous detector, particle identification can be performed. The large and intrinsic uncertainties in the total energy deposition represent a limit to the particle separation capabilities.

Cluster counting technique can improve the particle separation capabilities!!!

The method consists in singling out, in ever recorded detector signal, the isolated structures related to the arrival on the anode wire of the electrons belonging to a single ionization act (dN/dx).

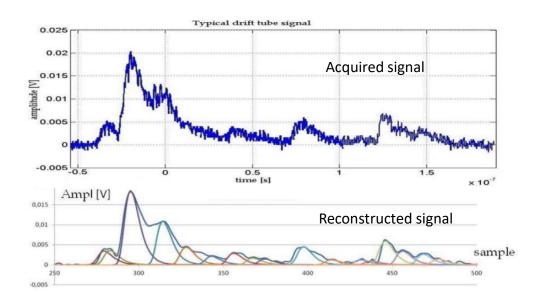




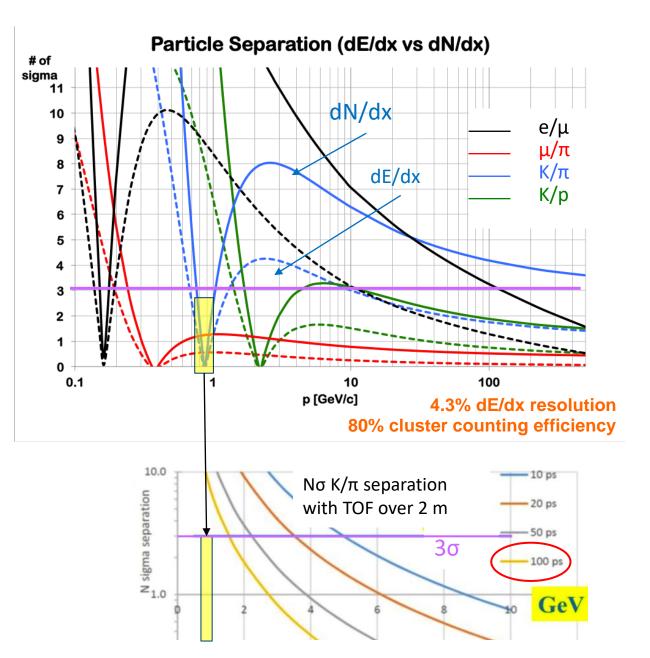
Truncated mean cut (70-80%) reduces the amount of collected information $n \approx 100$ and a 2m track at 1 atm give $\sigma \approx 4.3\%$

dN_{cl}/dx

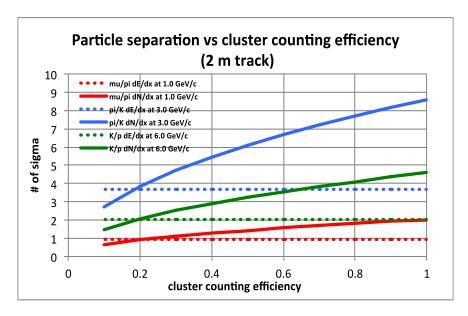
 δ_{cl} = 12.5/cm for He/iC₄H₁₀=90/10 and a 2m track give $\sigma \approx 2.0\%$



The cluster counting technique: expected performances



- 80% cluster counting efficiency.
- Expected excellent K/π separation over the entire range except 0.85<p<1.05 GeV (blue lines)
- Could recover with timing layer



Analytic evaluation, prof F.Grancagnolo
To be checked with simulations and experimental
data

Cluster counting for particle identification: simulation results

A simulation of the ionization process in 1 cm long side cell of 90% He and 10% iC_4H_{10}

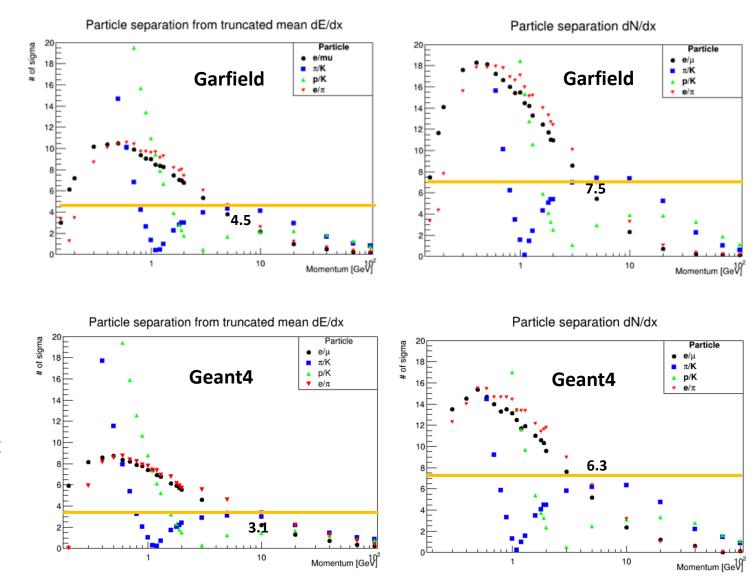
has been performed in Garfield++ and Geant4.

Geant4 software can simulate in details a full-scale detector, but the fundamental properties and the performances of the sensible elements have to be parameterized or an "ad hoc" physics model has to be implemented.

Three different algorithms have been implemented to simulate in Geant4, in a fast and convenient way, the number of clusters and clusters size distributions, using the energy deposit provided by Geant4.

The simulations confirm the prediction!

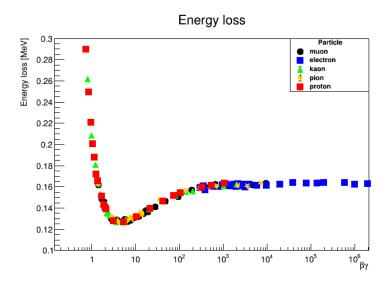
But...

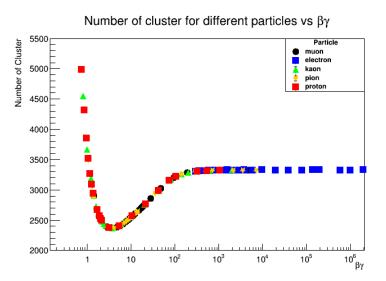


We are assuming a cluster counting efficiency of 100%.

Motivations for a beam test

- Lack of experimental data on cluster density and cluster population for He based gas, particularly in the relativistic rise region to compare predictions.
- Despite the fact that the Heed model in GEANT4 reproduces reasonably well the Garfield predictions, why particle separation, both with dE/dx and with dNcl/dx, in GEANT4 is considerably worse than in Garfield?
- Despite a higher value of the dNcl/dx Fermi plateau with respect to dE/dx, why this is reached at lower values of βγ with a steeper slope?





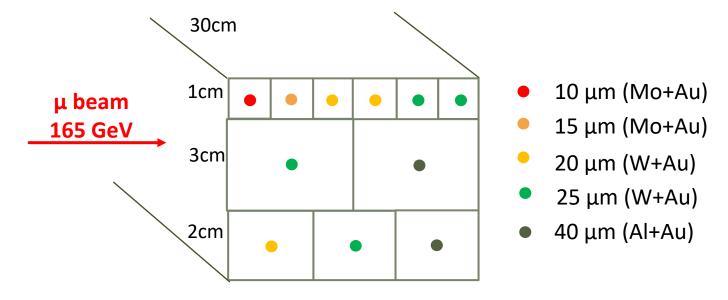
These questions are crucial for establishing the particle identification performance at FCCee, CEPC.

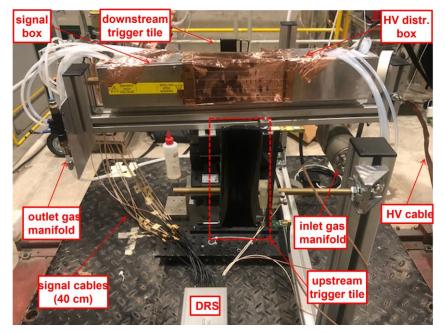
The only way to solve these issues is an experimental measurement!

Experimental set up

Keep it simple!

11 drift tubes with different cell size and different material wires and diameter wires, to test different configurations.

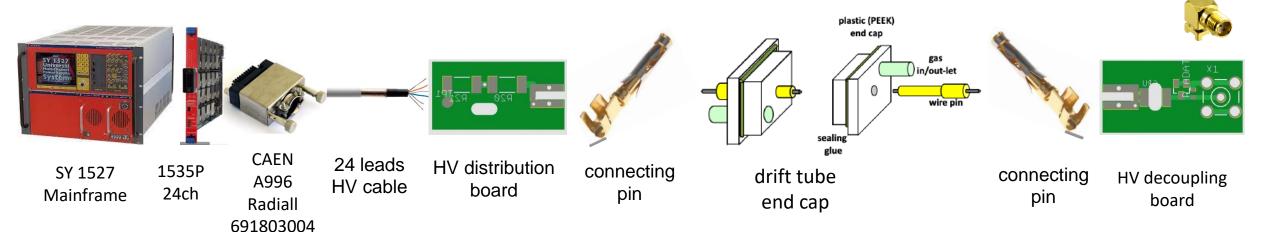




The set up consists of:

- 6 drift tubes 1 cm × 1 cm × 30 cm
 - \circ 1 with 10 μm sense wire, 1 with 15, 2 with 20 μm, 2 with 25 μm
- 3 drift tubes 2 cm × 2 cm × 30 cm
 - \circ 1 with 20 μm sense wire, 1 with 25 μm, 1 with 40 μm
- 2 drift tubes 3 cm × 3 cm × 30 cm
 - 1 with 20 μm sense wire, 1 with 40 μm
- DRS for data acquisition
- Gas mixing, control and distribution (only He and iC₄H₁₀)
- 2 trigger scintillators

The connecting scheme



Trigger scintillator

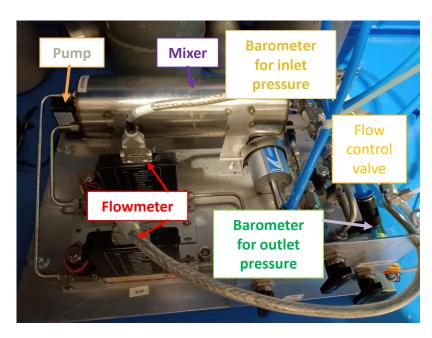


Two scintillator tiles (12 cm x 4 cm), placed upstream and downstream of the drift tubes pack, instrumented with SiPM.

The gas system:

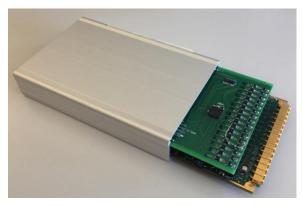
- sets the needed gas mixture
- checks the gas pressure at the entrance and at the exit of the tubes
- maintains constant the gas
 pressure inside the tubes, by using
 a proportional valve and a pump.

Portable gas system

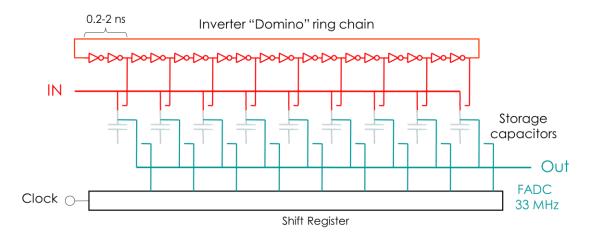


The DAQ system: WDB wave dream board

16 channels data acquisition board designed and used by the MEG2 experiment at PSI ($\mu \rightarrow e + \gamma$)







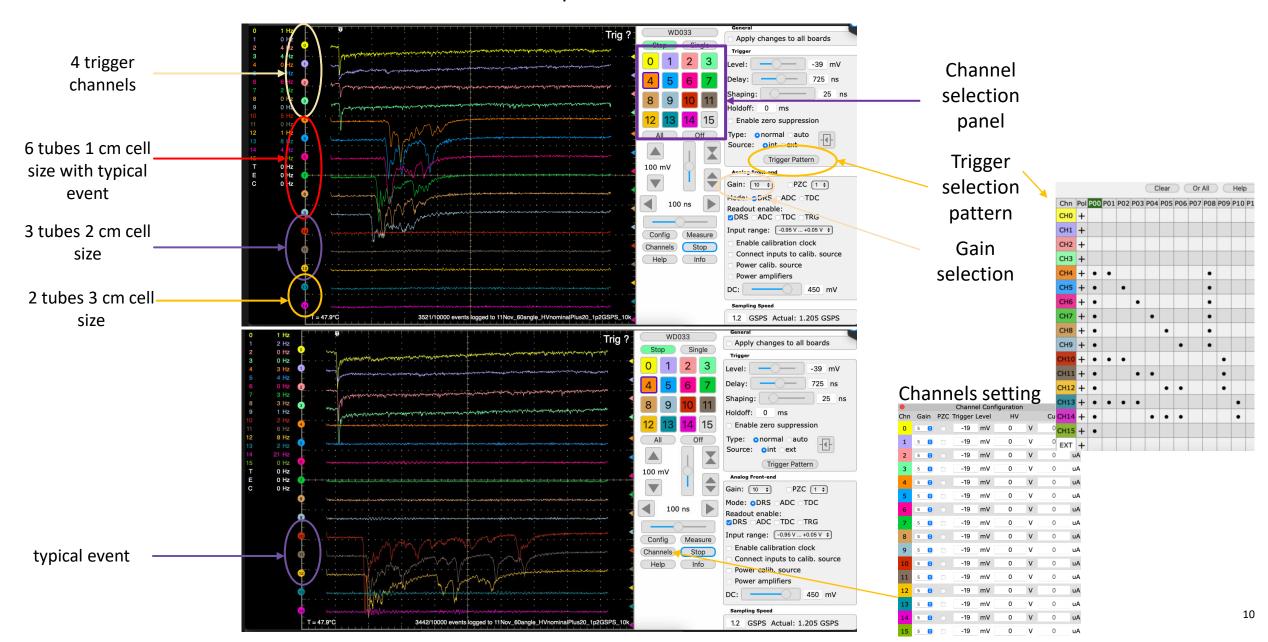
- Analog switched capacitor array: analog memory with a depth of 1024 sampling cells, perform a "sliding window" sampling.
- **500MSPS** ↔ **5GSPS** sampling speed with 11.5 bit signal-noise ratio
 - 8 analog channels + 1 clock-dedicated channel for sub 50ps time alignment
- Pile-up rejection O(~10 ns)
- Time measurement O(10 ps)
- Charge measurement O(0.1%)

Details at: Application of the DRS chip for fast waveform digitizing, Stefan Ritt, Roberto Dinapoli, Ueli Hartmann

Nuclear Instruments and Methods in Physics Research A 623 (2010) 486–488

The DAQ system: an oscilloscope interface

WDB interface is similar to the interface of an oscilloscope with 16 channels



The DAQ system: binary format file

Header relating to the board consisting of the words:

DRS8

TIME

B#XXX (XXX represents the card number and changes according to the WDB, in this case 033)

Calibration information

Header EVENT

Serial. Number

Time information

Channel Information

The data files have been converted in root format to accomplish the data analysis. Data at different configuration have been collected:

- 90%He-10%iC₄H₁₀
- 80%He-20%iC₄H₁₀
- HV nominal (+10,+20,+30,-10,-20,-30)
- Angle 0° ,30°,45°,60°

Word	Byte 0	Byte 1	Byte 2	Byte 3	Contents
	-		-	-	File header.
0	,D,	'R'	'S'	'8'	Byte 3 = version
1	'T'	T	'M'	E,	Time Header
2	'B'	·#'	Board number		Board serial number
3	,C,	,0,	'0'	'0'	Channel 0 header
4	Time Bin Width #0				Effective time bin width in ns channel 0 encoded in 4-Byte floating point format
5	Time Bin Width #1				
1027	Time Bin Width #1023				
1028	,C,	'0'	'0'	'1'	Channel 1 header
1029	Time Bin Width #0			Effective time bin width in ns channel 1 encoded in 4-Byte floating point format	
1030	Time Bin Width #1				
2052	Time Bin Width #1023				
2053	'E'	'H'	'D'	'R'	Event Header
2054	Event Seria	l Number			Serial number starting with 1
2055	Year		Month		Event date/time 16-bit values
2056	Day		Hour		
2057	Minute		Second		
2058	Millisecond		Range		Range center (RC) in mV
2059	'B'	'# '	Board number		Board serial number
2060	,C,	'0'	'0'	'0'	Channel 0 header
2061	Scaler #1			Scaler for channel 0 in Hz	
2062	'T' '#' Trigger cell		Channel 0 first readout cell		
2063	Voltage Bin #0		Voltage Bin #1		Channel 0 waveform data encoded in 2-Byte integers. 0=RC-0.5V and 65535=RC+0.5V. RC see header.
2064	Voltage Bin #2		Voltage Bin #3		
2574	Voltage Bin #1022		Voltage Bin #1023		
2575	,C,	'0'	,0,	'1'	Channel 1 header
2576	Scaler #2				Scaler for channel 1 in Hz
2077	'T'	'# '	Trigger cell		Channel 1 first readout cell
2578	Voltage Bin #0		Voltage Bin #1		Channel 1 waveform data encoded in 2-Byte integers. 0=RC-0.5V and 65535=RC+0.5V. RC see header.
2579	Voltage Bin #2		Voltage Bin #3		
3089	Voltage Bin #1022		Voltage Bin #1023		
3090	'E'	'H'	'D'	'R'	Next Event Header
0000					

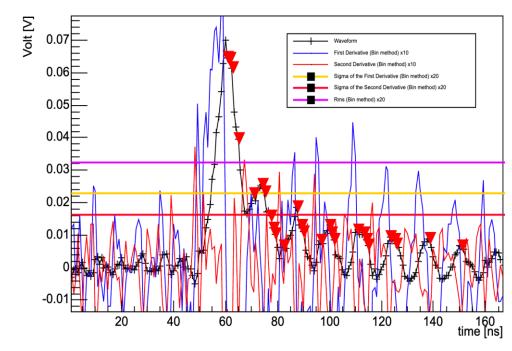
Preliminary results: an efficient algorithm to count electrons

The first and second derivative algorithm (DERIV)

Requirements for a good peak candidate in the bin position [ip]:

- 1. Amplitude constraint:
 - Amplitude[ip]>4*rms
 - Amplitude[ip]- Amplitude[ip-1]>rms || Amplitude[ip+1]-Amplitude[ip-1]>rms
- 2. First derivative constraint:
 - Fderiv[ip]< $\sigma_{der1}/2$
 - Fderiv[ip-1]> σ_{der1} | Fderiv[ip+1]<- σ_{der1}
- 3. Second derivative constraint:
 - Sderiv[ip]<0

0°, nominal HV+20, 90%He-10%iC $_4$ H $_{10}$ Tube with 1 cm cell size and 20 μ m diameter

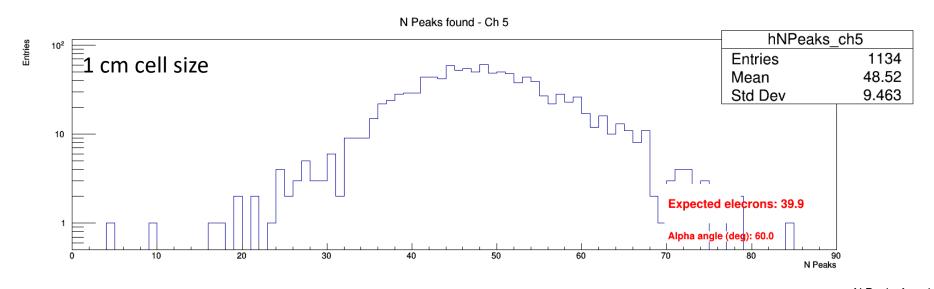


Expected number of electrons peaks:

Npeak= δ cluster/cm(M.I.P.)*drift tube size[cm]*1.3(relativistic rise)*1.6 electron/cluster*1/cos(α)

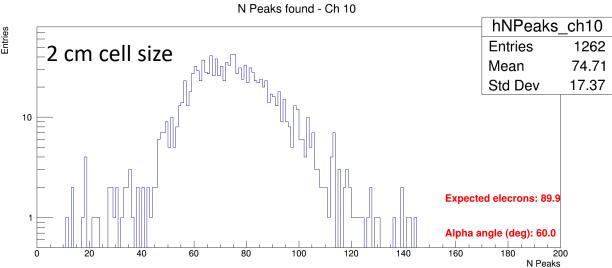
- δcluster/cm(M.I.P.) changes from 12 to 18 respectively for 90%He and 80%iC₄H₁₀
- Drift tube size changes from 0.8 to 1.8 respectively for 1 cm and 2 cm cell size tube.
- α is the angle of the muon tracks to the detector

The first and second derivative algorithm: results



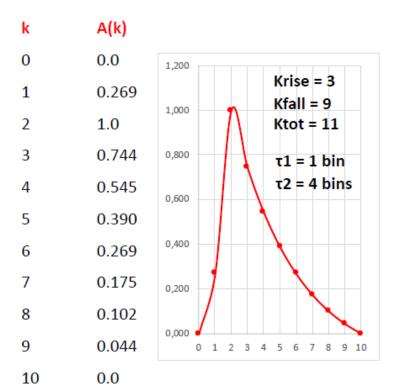
90%He-10%iC₄H₁₀ 60° nominal HV+20

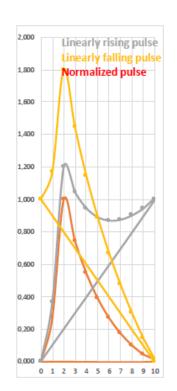
The mean values are almost compatible with the ones expected!



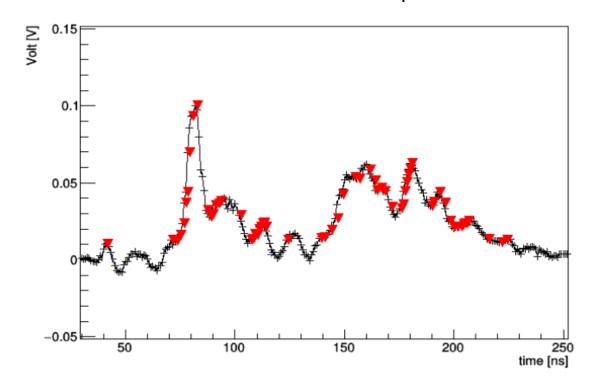
The running template algorithm (RTA)

- Define an electron pulse template based on experimental data.
- Raising and falling exponential over a fixed number of bins (Ktot).
- Digitize it (A(k)) according to the data sampling rate.
- Run over Ktot bins by comparing it to the subtracted and normalized data (build a sort of χ 2).
- Define a cut on χ 2.
- Subtract the found peak to the signal spectrum.
- Iterate the search.
- Stop when no new peak is found.

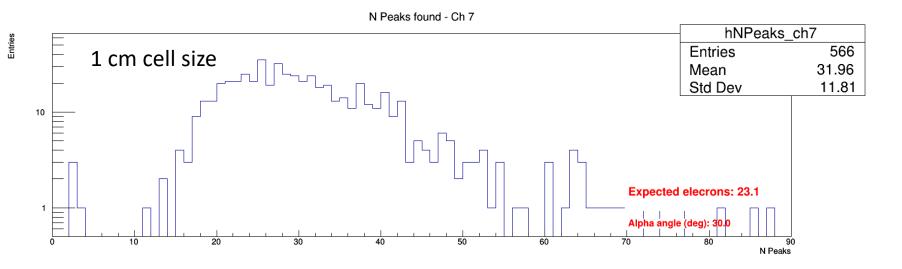




30°, nominal HV+20, 90%He-10%iC₄H₁₀ Tube with 1 cm cell size and 20 μ m diameter

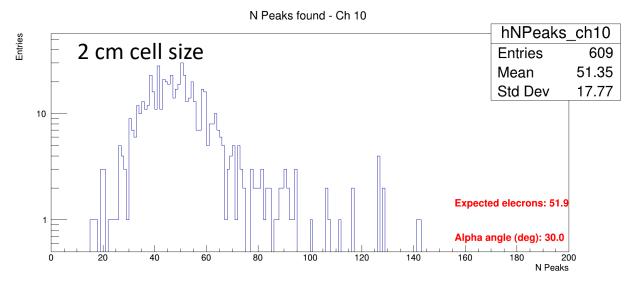


The running template algorithm (RTA): results



90%He-10%iC₄H₁₀ 30° nominal HV+20

The mean values are almost compatible with the ones expected!



A single clusterization algorithm

Once find the electron peaks, clusterization of the electron peaks into ionization clusters has been implemented:

- 1) Association of electron peaks consisting in consecutive bins (difference in time == 1 bin) electrons to a single electron in order to eliminate fake electrons.
- 2) Contiguous electrons peaks which are compatible with the electrons diffusion time (2.5 ns or 3 bins) must be considered belonging to the same ionization cluster.
- 3) Position of the clusters is taken as the position of the last electron in the cluster.

DERIV

Clusters

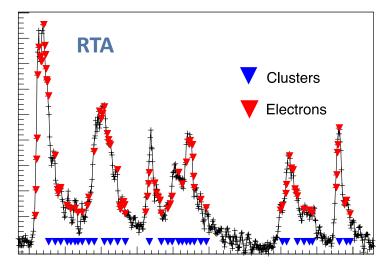
Electrons

■ Clusters

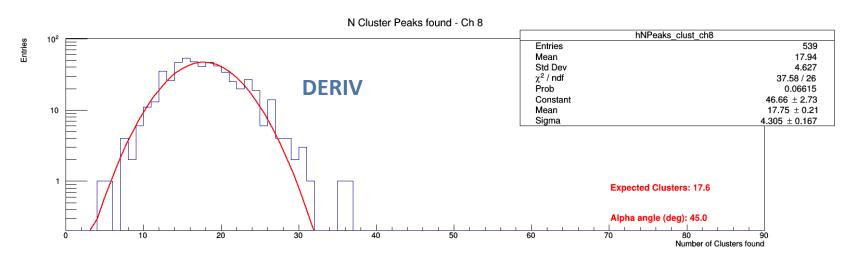
Clusters

Electrons

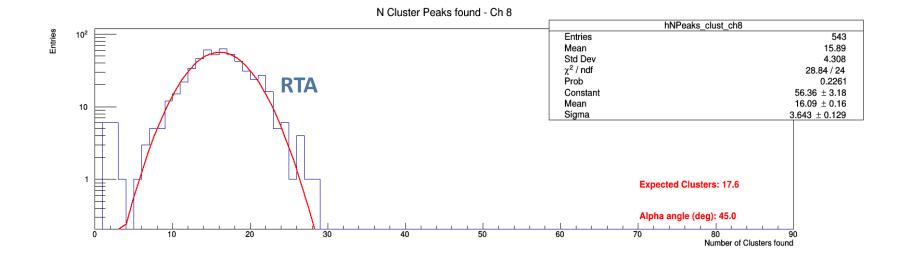




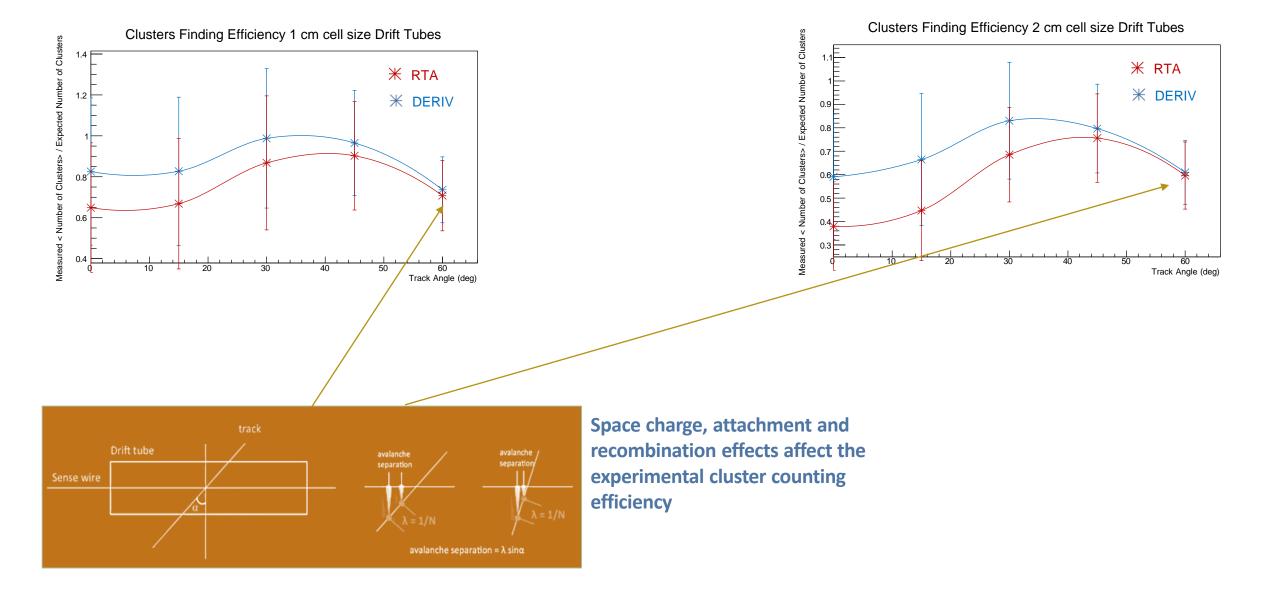
Comparison between the two algorithms



POISSONIAN DISTRIBUTION!



Comparison between the two algorithms



Conclusion

Cluster counting technique is a promising method to improve particle separation capabilities.

Analytical results and simulations results prove the expectations, and the test beam plays a key role in this scenario to fine tune the predictions on the performance of cluster counting for flavor physics and for jet flavor tagging.

Another test beam will be performed from 6th to 13th July.

The aim is to measure the relativistic rise as a function of $\beta\gamma$, both in dE /dx and in dNcl /dx, by scanning the muon momentum from the lowest to the highest value (from a few GeV/c to about 250 GeV/c at CERN/H8).

THANK YOU!

The test beam crew

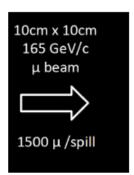
C. Caputo¹, G. Chiarello², A. Corvaglia³, F. Cuna^{3,4}, B. D'Anzi^{5,6}, N. De Filippis^{6,7}, F. De Santis^{3,4}, W. Elmetenawee⁶, E. Gorini³, F. Grancagnolo³, M. Greco^{3,4}, S. Gribanov, K. Johnson⁸, A. Miccoli³, M. Panareo³, A. Popov, M. Primavera³, A. Taliercio¹, G. F. Tassielli³, A. Ventura³, S. Xin⁹

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 ²Istituto Nazionale di Fisica Nucleare, Pisa, Italy
 ³Istituto Nazionale di Fisica Nucleare, Lecce, Italy
 ⁴Università del Salento, Italy
 ⁵Università degli Studi di Bari »Aldo Moro», Italy

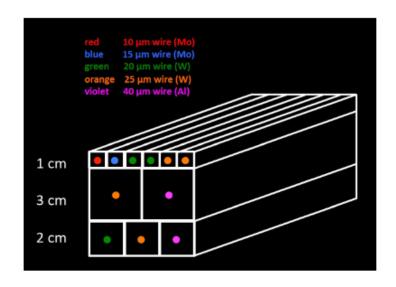
Back-up

Context

- □ Offline analysis on November test beam data taken with 165 GeV/c muons beams from 11st November
- □ Dealing with 11 drift tubes having cell sizes of 1-cm,2-cm and 3-cm:
- ➤ Channels 0,1,2,3 are Trigger Counters



- Channels 4,5,6,7,8,9 are the 6 Drift Tubes of 1 cm cell size respectively:
 - Channel 4 with a wire diameter of 10 micrometer
 - Channel 5 with a wire diameter of 15 micrometer
 - Channel 6 and 7 with a wire diameter of 20 micrometer
 - Channel 8 and 9 with a wire diameter of 25 micrometer.
- ➤ Channels 10,11,12 are the 3 Drift Tubes of 2 cm cell size respectively:
 - Channel 10 with a wire diameter of 20 micrometer
 - Channel 11 with a wire diameter of 25 micrometer
 - Channel 12 with a wire diameter of 40 micrometer
- ➤ Channels 13,14 are the 2 Drift Tubes of 3 cm cell size respectively:
 - Channel 13 with a wire diameter of 25 micrometer
 - Channel 14 with a wire diameter of 40 micrometer



Signal acquisition window is out of the signal range

NOTE:

```
fderiv[ip] = (Waves_normalized.Y[ip+1]-Waves_normalized[ip-1])/2
sderiv[ip] = (fderiv[ip+1]-fderiv[ip-1])/2
sigd1 = rms/sqrt(2)
sigd2 = rms/2
```

NOTE: r.m.s. has been defined over the first 30 bins as the $r.m.s. = \sqrt{\frac{\sum_{i=0}^{30} (Wave_normalized[channel].Y - bsln)^2}{30}}$

$$\frac{\sigma_{dE/dx}}{\left(dE/dx\right)} = 0.41 \cdot n^{-0.43} \cdot \left(L_{track}[m] \cdot P[atm]\right)^{-0.32}$$

from Walenta parameterization (1980)

$$\frac{\sigma_{dN_{cl}/dx}}{\left(dN_{cl}/dx\right)} = \left(\delta_{cl} \cdot L_{track}\right)^{-1/2}$$

from Poisson distribution

$$L_{track} = 0.6 m$$

 $P = 1 atm$
 $n = 64$

$$L_{track} = 0.6 m$$

 $\delta_{cl} = 12.5/cm$

$$\frac{S_{dE/dx}}{(dE/dx)} = 8.1\%$$

$$\frac{S_{dN_{cl}/dx}}{(dN_{cl}/dx)} = 3.6\%$$

A new Switch capacitors array(SCA), called the Domino Ring Sampler(DRS) The recent version, DRS4, is capable of digitizing 9 differential input channels at sampling rates of up to 6 Giga-samples per second(GSPS) with an analogue bandwidth of 950MHz(3 dB).

The channel depth can be configured between 1024 and 8192 cells, and the signal-to-noise ratio allows a resolution equivalent to more than 11 bits.

The high bandwidth, low power consumption and short readout time make this chip attractive for many experiments, replacing traditional ADCs and TDCs.