

p_T spectra as a function of Multiplicity and Transverse Spherocity in pp collisions using a Bayesian Unfolding

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Change in Multiplicity Estimation

- So far we have use the COMBTPCITS 08 estimator, wich uses global tracklets from both detectors to obtain the measured probability.
- In order to obtain better results al low multiplicity, we substitute them by just the number of tracks counted in the acceptance in our kinematical cut ($p_T > 0.15$ GeV/c).

	mult08	tracks
N_{acc}	COMBTPCITS08 estimator	$p_T > 0.15$ GeV/c
N_{ch}	$p_T \geq 0$ GeV/c	$p_T > 0.15$ GeV/c



ALICE

Invariant Yield Closure Test Comparison

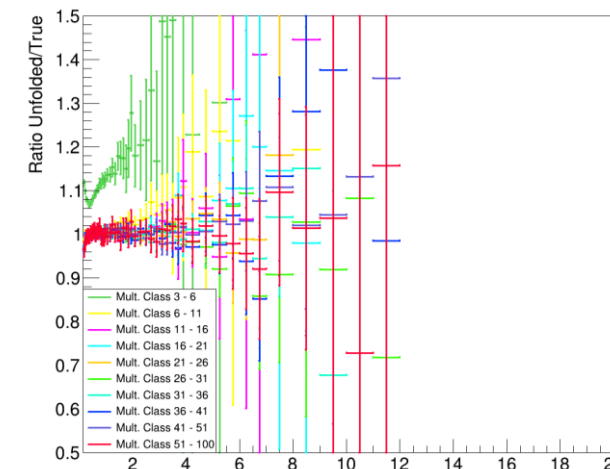
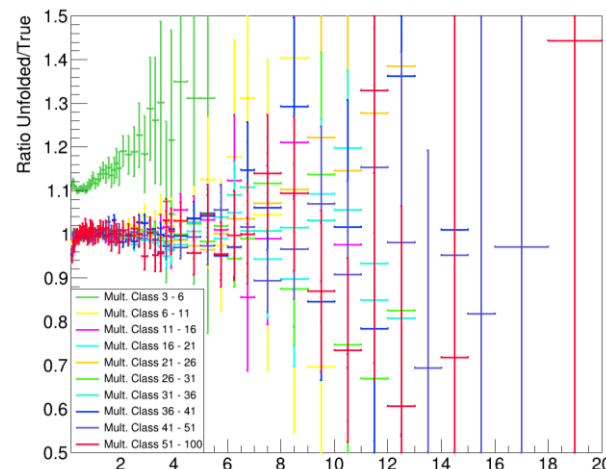
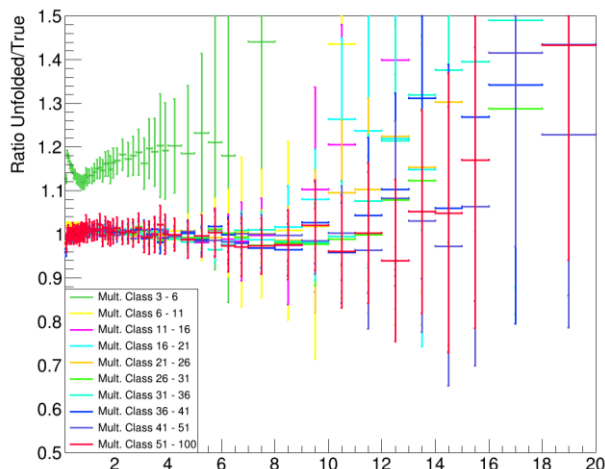


1° Sphericity Class

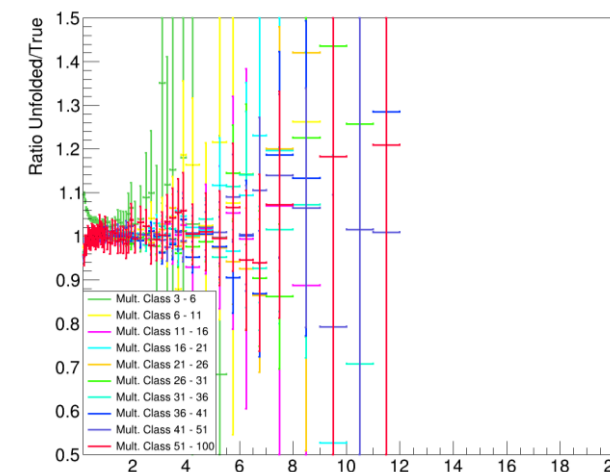
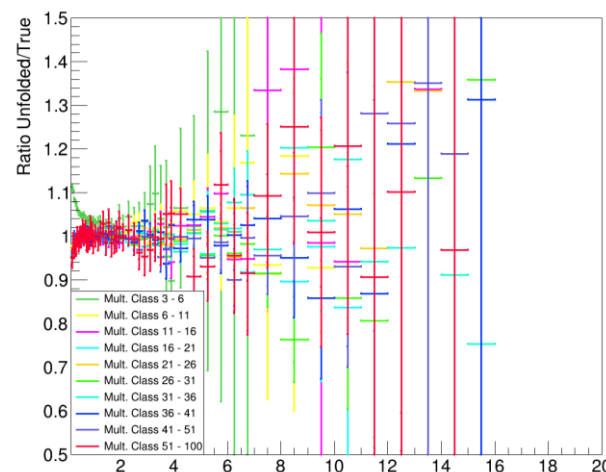
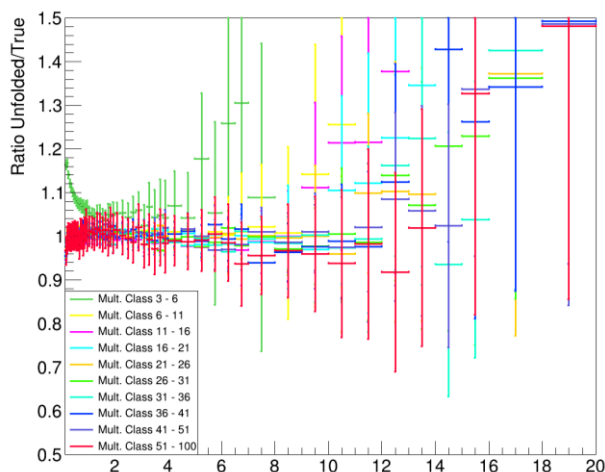
6° Sphericity Class

10° Sphericity Class

mult08

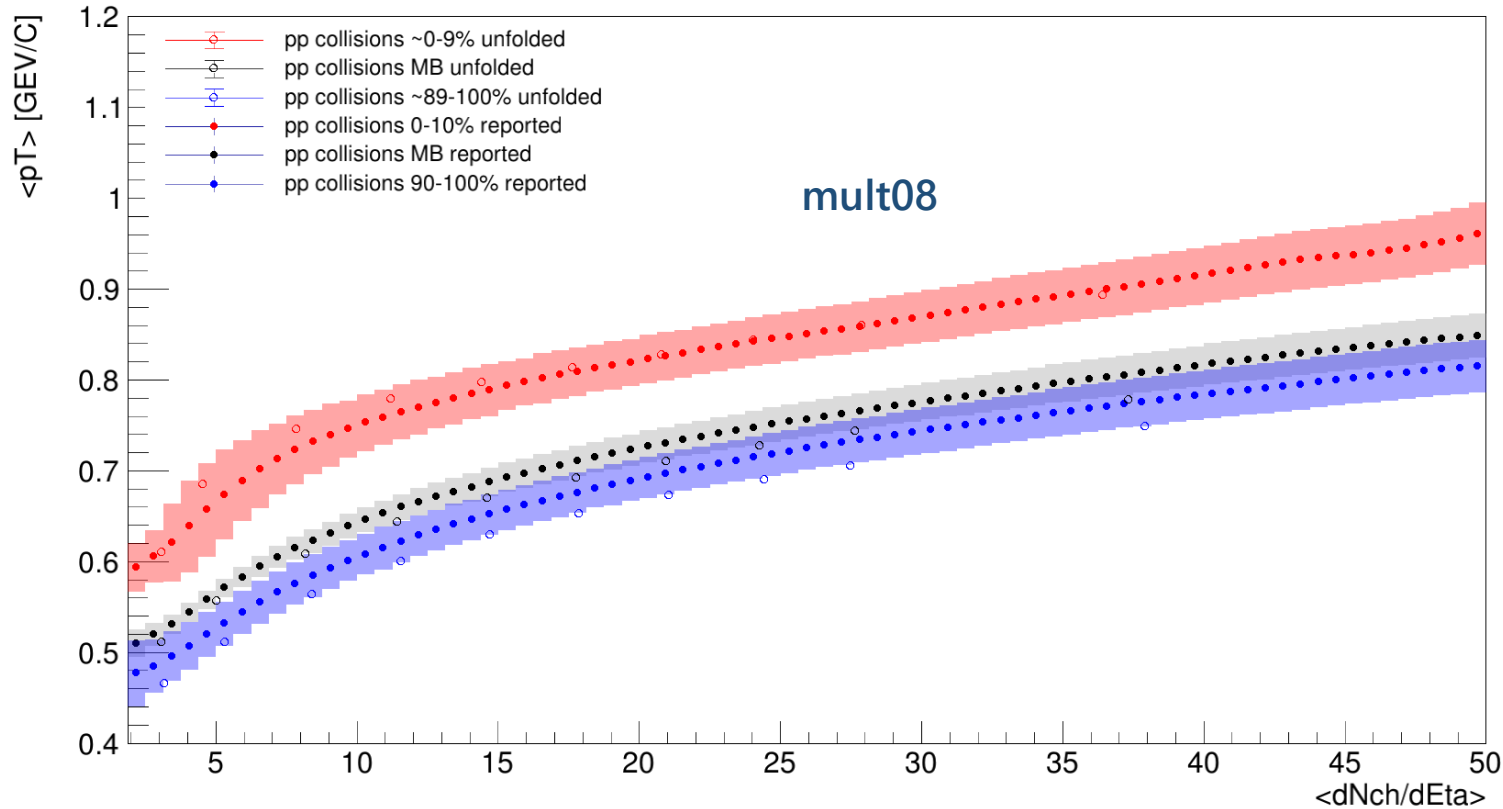


tracks



Mean pT as a function of Multiplicity Density

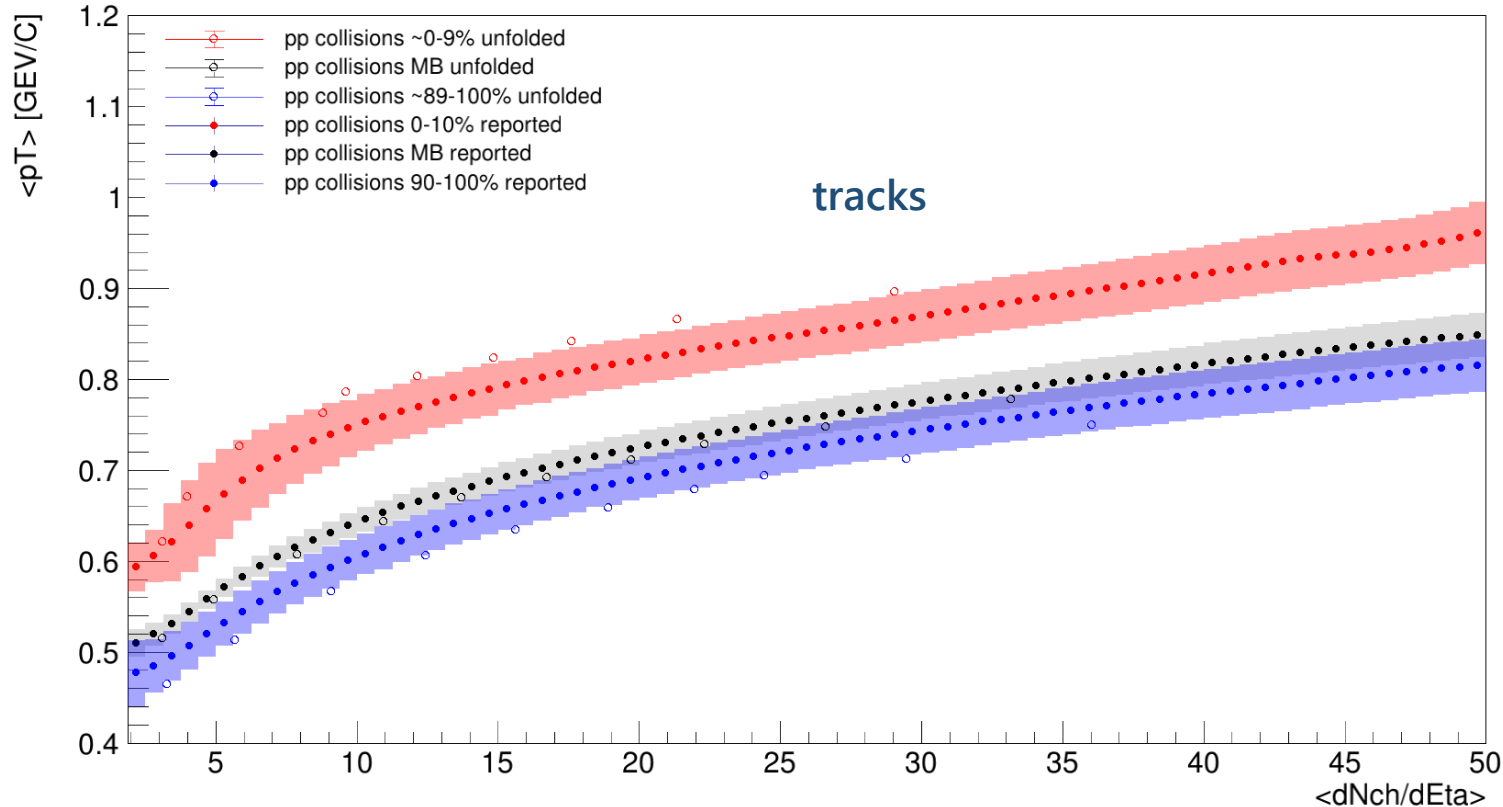
Mean p_T as a function of Multiplicity Density by Sphericity Class



■ Mean p_T analysis was (mostly) successfully rewritten, with the most important change in the particle density computing.

Mean pT as a function of Multiplicity Density

Mean p_T as a function of Multiplicity Density by Sphericity Class



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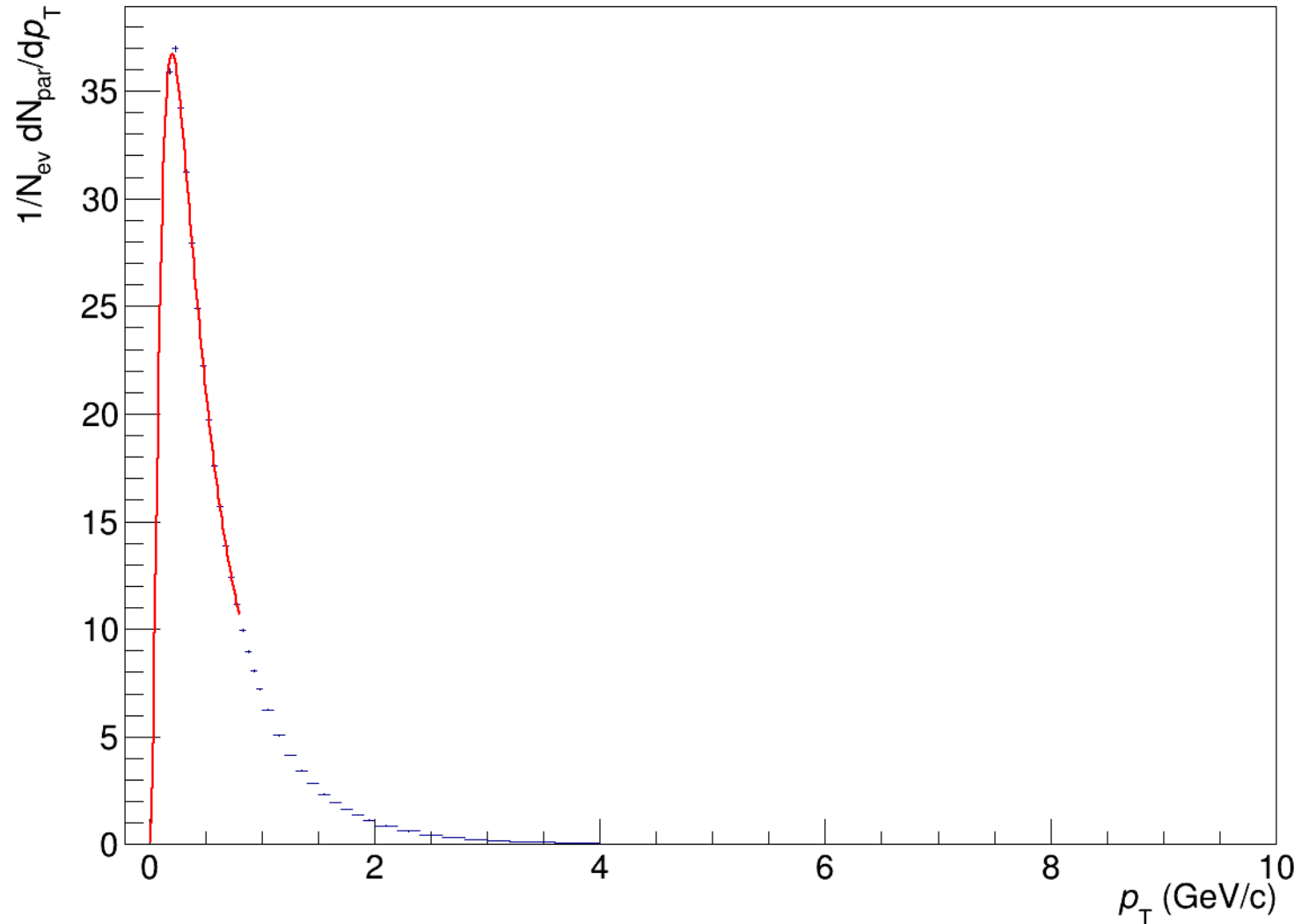
■ Something is missing is the uncertainties.

■ Now both cases are inside the range of error bar.

Extrapolation Contribution of $\langle dN/d\eta \rangle$

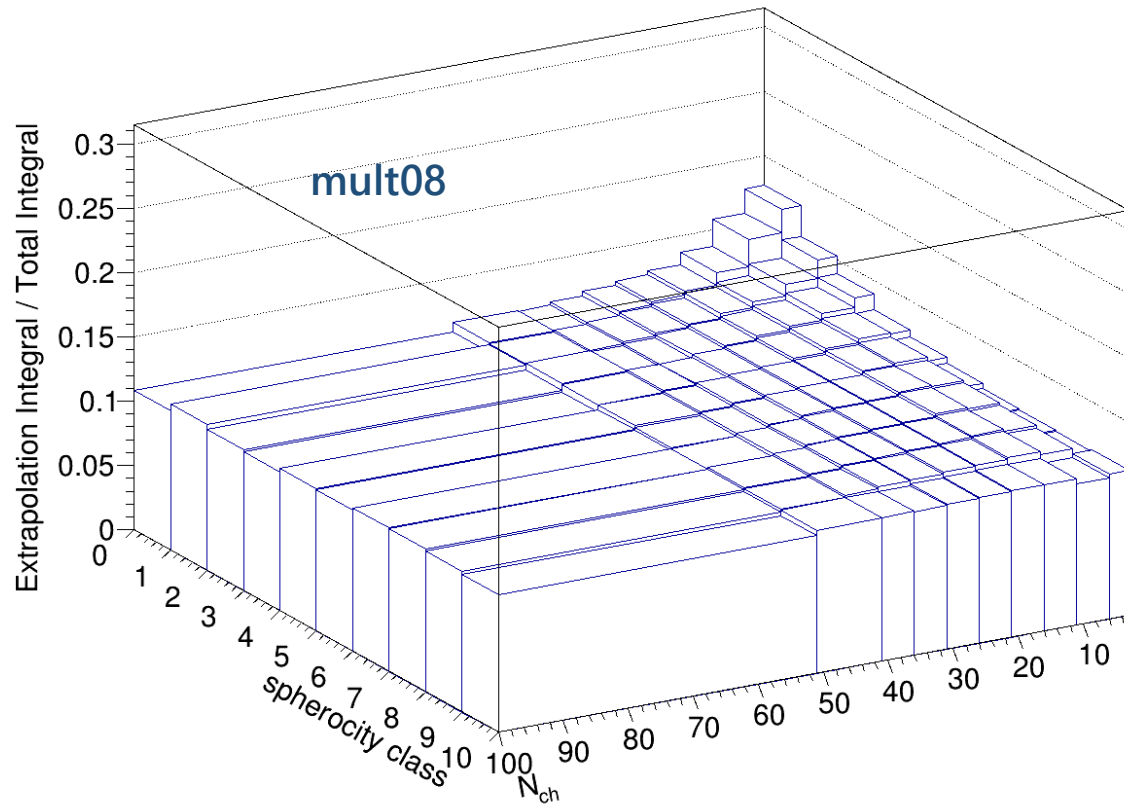
p_T Spectra fitted between 0.15 - 0.8 GeV and integrated between 0 - 10 GeV

- Low p_T using the Extrapolation integral (0 – 0.15 GeV).
- High p_T using the Unfolded Result Sum (0.15 – 10 GeV).
- Divide by pseudorapidity range (1.6 units)



Extrapolation Contribution

Extrapolation Integral Contributions as per Percentages

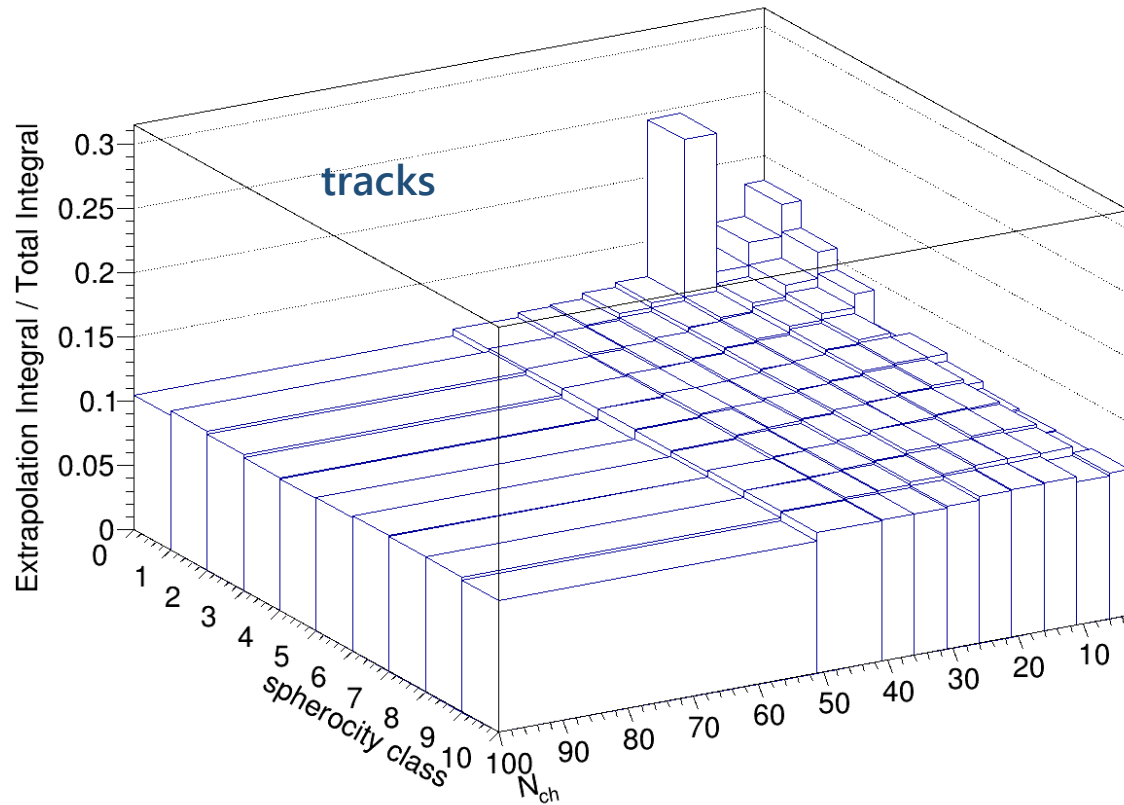


$N_{ch} \setminus S_0$ class	1	4	7	10
3 – 6	17.6934%	12.7306%	11.3416%	11.2662%
16 – 21	12.7208%	12.2275%	11.9474%	11.3725%
31 – 36	11.6941%	11.6308%	11.5872%	11.1615%
51 – 100	10.8154%	10.8013%	11.1603%	10.6876%

[(3, 6), 11, (16, 21), 26, (31, 36), 41, (51, 100)]

Extrapolation Contribution

Extrapolation Integral Contributions as per Percentages



$N_{ch} \setminus S_0$ class	1	4	7	10
3 – 6	18.0636%	11.7158%	11.3298%	11.3555%
16 – 21	24.4895%	12.0212%	11.9175%	11.4824%
31 – 36	11.5111%	11.3234%	11.2783%	10.9479%
51 – 100	10.4627%	10.3509%	10.5584%	10.9479%

[(3, 6), 11, (16, 21), 26, (31, 36), 41, (51, 100)]

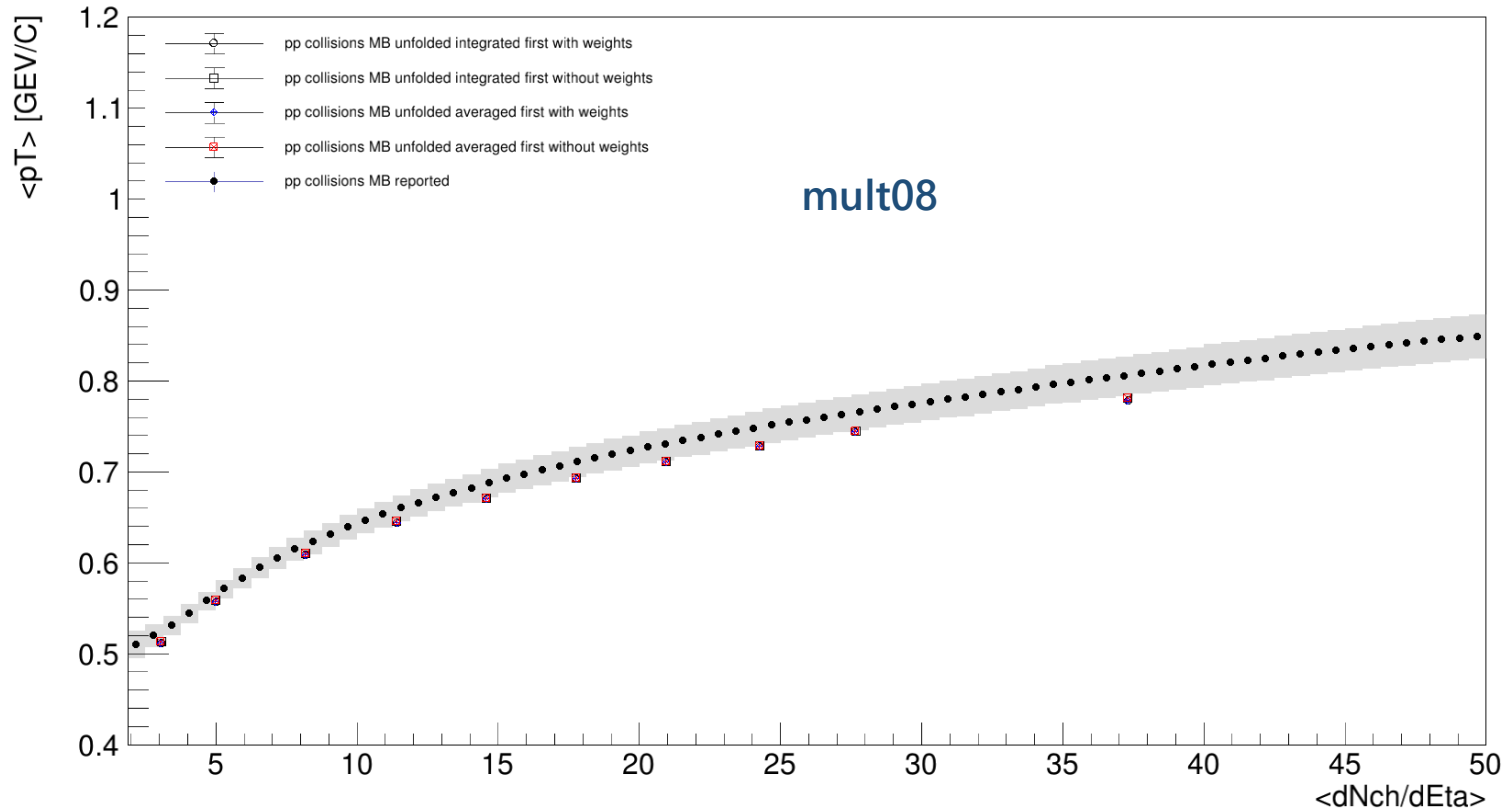
Conclusions

- The new way of estimate the mean multiplicity density gives results in the range of the error bars.
- The error bars of my graphs in the mean p_T axis (straightforward) and in the mean multiplicity density axis (probably changing the fit function) are next objective.

Back-up

Mean p_T as a function of Multiplicity Density (Minimum Bias Cross-check)

Mean p_T as a function of Multiplicity Density by Sphericity Class



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