

# 3D Compton polarimeter

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On behalf of FCC-ee FS EPOL group

<https://indico.cern.ch/category/8678/>

# Introduction: Physics requirements

Observable	statistics	$\Delta\sqrt{s}_{\text{abs}}$ 100 keV	$\Delta\sqrt{s}_{\text{syst-ptp}}$ 40 keV	calib. stats. 200 keV/ $\sqrt{N^i}$	$\sigma_{\sqrt{s}}$ 85 ± 0.05 MeV
$m_Z$ (keV)	4	100	28	1	–
$\Gamma_Z$ (keV)	4	2.5	22	1	10
$\sin^2 \theta_W^{\text{eff}} \times 10^6$ from $A_{\text{FB}}^{\mu\mu}$	2	–	2.4	0.1	–
$\frac{\Delta\alpha_{\text{QED}}(m_Z^2)}{\alpha_{\text{QED}}(m_Z^2)} \times 10^5$	3	0.1	0.9	–	0.1

High reproducibility of measurements for various  $\sqrt{s}$  is critically needed



Extract as much information as possible from physics experiments themselves (crossing angle, luminosity,  $\sqrt{s}$  spread)



Beam-based measurements in real time, including beams energy with resonant depolarization

24/7 operable measurement of depolarization

# Resonant depolarization

Scan spin precession frequency with magnetic kicker

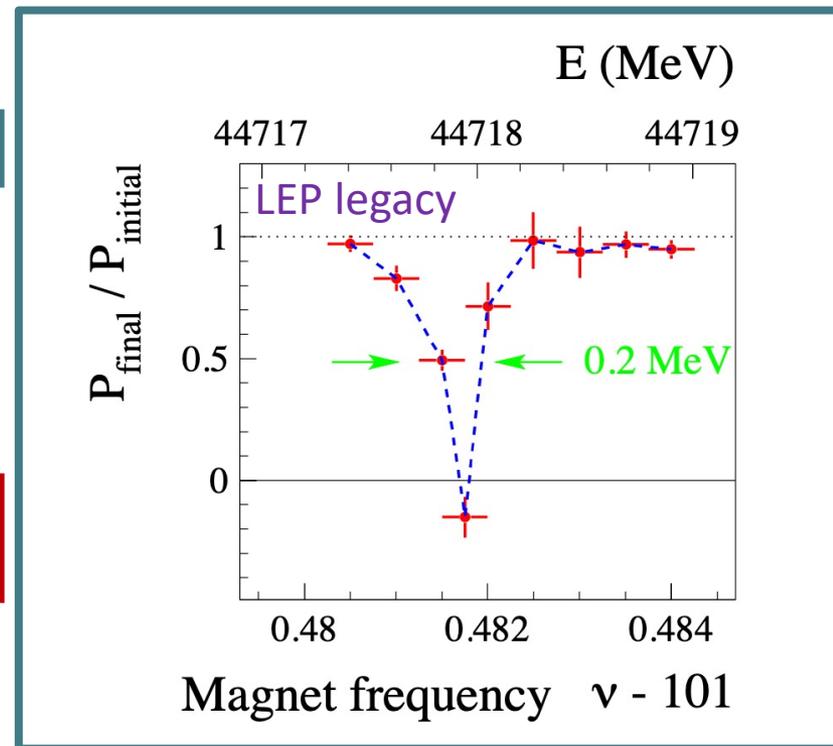


Detect beam depolarization at resonance

beam energy spread too large for colliding beams  
(smeared spin resonances)



Use pilot bunches instead



24/7 operable Compton polarimeter for pilot bunches

# Precision experiments and Pz

Precision EW physics is sensitive to longitudinal polarization (Pz)

few  $10^{-5}$  accuracy on EW asymmetries require that Pz is known at  $10^{-5}$  level !



High precision polarimetry in all directions AND accurate spin propagation desired for colliding bunches too

Can the same polarimeter be used for both colliding (accurate P measurement) and pilots bunches (accurate E measurement from P) ?

# The Compton process

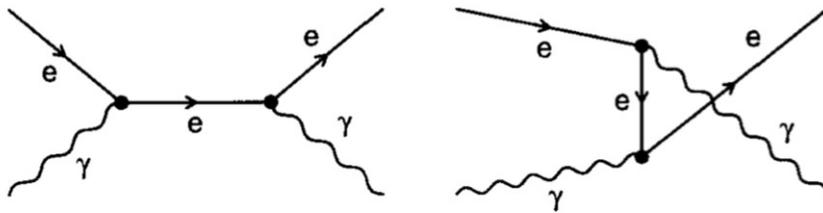
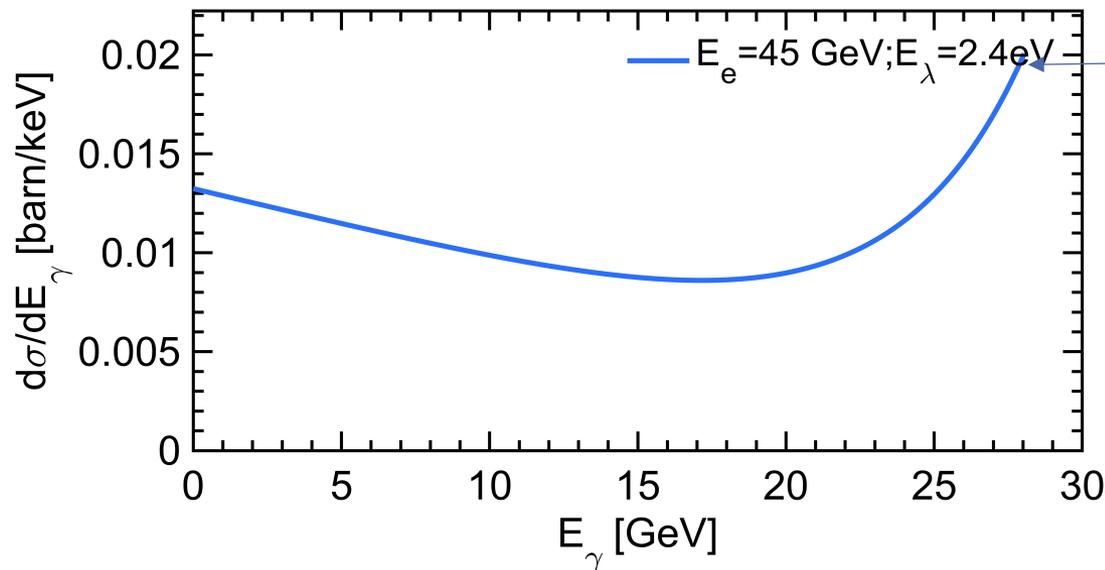
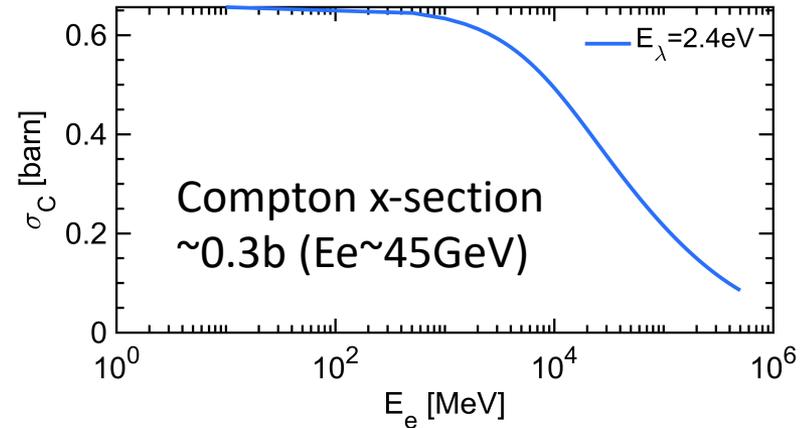
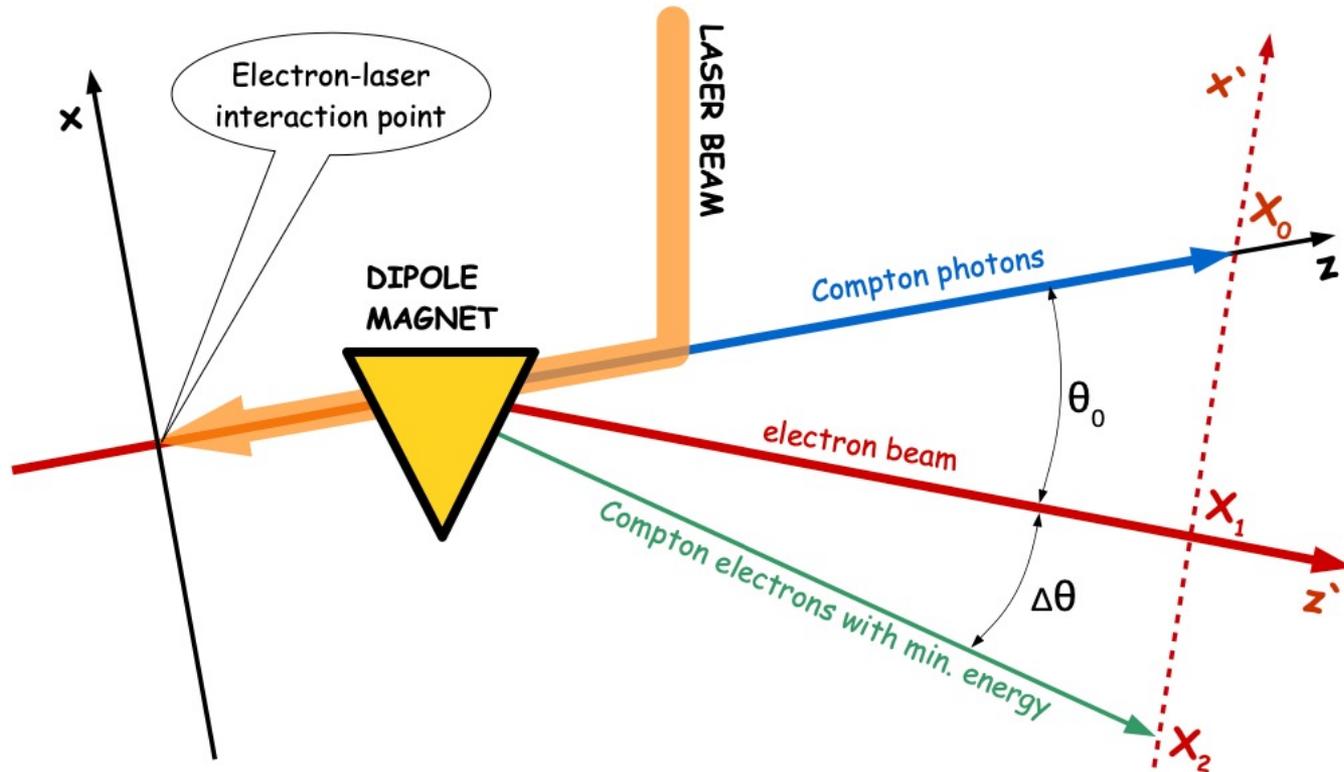


Fig. 1. Tree diagrams for  $e^- \gamma \rightarrow e^- \gamma$



Kinematic edge

# Compton polarimeter layout



**Figure 25.** Regular layout of ICS experiments realization.

**Redundancy: measure both electrons and photons**

# Compton cross-section

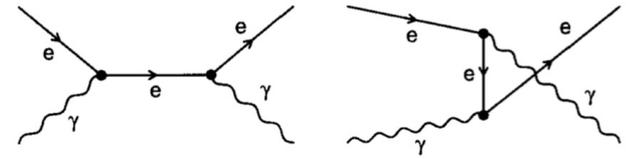


Fig. 1. Tree diagrams for  $e^- \gamma \rightarrow e^- \gamma$

$$x = \frac{2E_0 \omega_0}{m^2} (1 + \cos \alpha) \quad y = \frac{E_\gamma}{E_0}$$

The Compton cross-section averaged over scattered particles spins:

Differential cross-section

Transverse laser polarisation: nuisance parameter to minimize and keep under control

Transverse electron beam polarisation: intervenes as an asymmetry in the transverse plane

$$\frac{d\sigma}{dy d\varphi_{obs}}(x, y) = \frac{d\sigma_0}{dy}(x, y) + \frac{d\sigma_\perp}{dy}(x, y) \cos(2(\varphi_{obs} - \varphi_{las})) \mathcal{P}_\perp^{las} + \frac{d\sigma_\parallel}{dy}(x, y) \mathcal{P}_C^{las} (P_T f_T(x, y) \cos(\varphi_{obs} - \varphi_{elec}) + P_L f_L(x, y))$$

*Electron beam polarization independent*
*Electron beam polarization dependent*

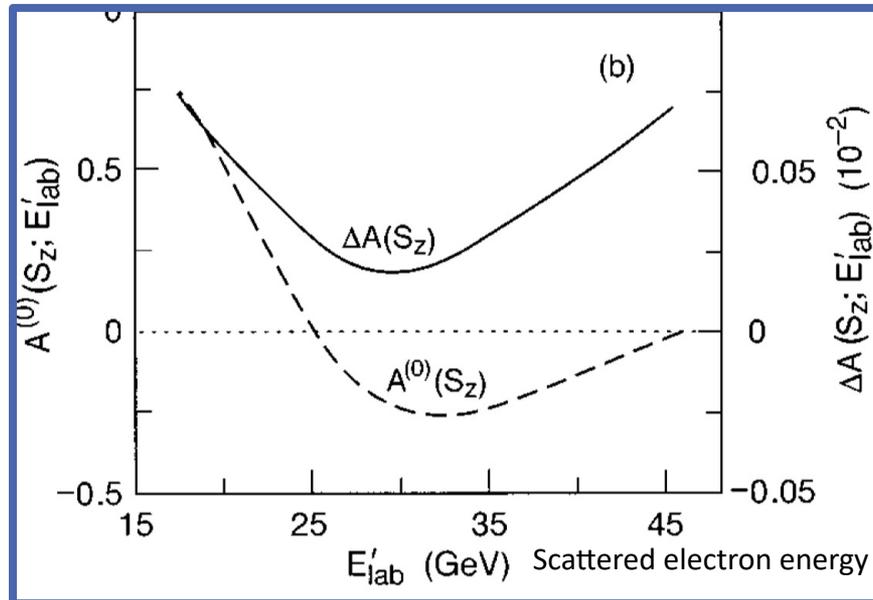
! But small opening angle of scattered particles:

- Electrons → spectrometer
- Photons → difficult to measure asymmetric distribution of a narrow spot → long lever arm needed

# QED corrections

$$\frac{d\sigma}{dE'}(E') \cong \frac{d\sigma_0}{dE'}(1 + \delta) [1 + \mathcal{P}_Z \mathcal{P}_{C,las}(A + \Delta A)]$$

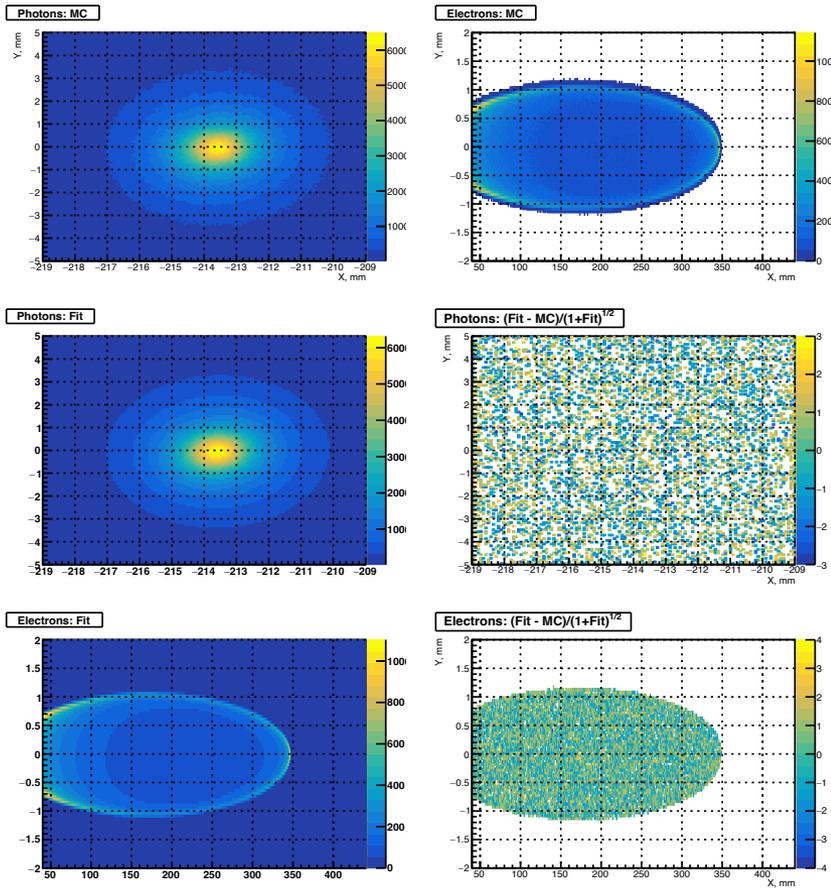
QED corrections < 0.001 @ 45 GeV



Need to be eventually included in simulations...

# Transverse distributions

Based on measurement of scattered particles transverse distributions (pixelized detectors)



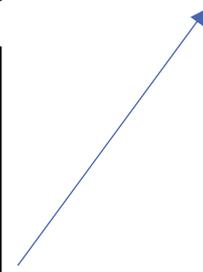
**Monte-Carlo Parameters:**  
 Electron  $E_0 = 45.600$  GeV  
 Laser  $\lambda_0 = 0.532$   $\mu\text{m}$   
 Electron  $\gamma = 89.240 \times 10^3$   
 Compton  $\kappa = 1.628$   
 Bend:  $\gamma\theta_0 = 190.441$   
 $(\xi_x, \xi_y, \xi_z) = (0.100, 0.100, 0.990)$   
 $(\zeta_x, \zeta_y, \zeta_z) = (0.200, 0.200, 0.200)$

Intel(R) Core(TM) i3-6100U CPU @ 2.30GHz  
 Photons fit: t = 75 s (CPU 74 s)  
 $\chi^2/\text{NDF} = 16476.5/16374$  | Prob = 0.2846  
 $X_0 = -213.543 \pm 0.002$  mm  
 $\xi_x = 0.107 \pm 0.002$   
 $\xi_y = 0.100 \pm 0.001$   
 $\xi_z = 0.184 \pm 0.007$   
 $\xi_x \zeta_x = 0.188 \pm 0.006$   
 $\xi_x \zeta_y = 0.202 \pm 0.002$   
 $\sigma_x = 235.0 \pm 4.0$   $\mu\text{m}$   
 $\sigma_y = 49.27 \pm 9.64$   $\mu\text{m}$

Intel(R) Core(TM) i3-6100U CPU @ 2.30GHz  
 Electrons fit: t = 1193 s (CPU 1260 s)  
 $\chi^2/\text{NDF} = 48942.0/49849$  | Prob = 0.9981  
 $X_1 = -000.025 \pm 0.015$  mm  
 $X_2 = 0347.562 \pm 0.003$  mm  
 $\xi_x = 0.102 \pm 0.001$   
 $\xi_x \zeta_x = 0.195 \pm 0.002$   
 $\xi_x \zeta_y = 0.196 \pm 0.001$   
 $\sigma_x = 274.3 \pm 3.3$   $\mu\text{m}$   
 $\sigma_y = 28.31 \pm 0.03$   $\mu\text{m}$   
 $E_{\text{beam}} = 45.5984 \pm 0.0051$  GeV.

All components extracted with  $\sim 0.001$  precision in few seconds

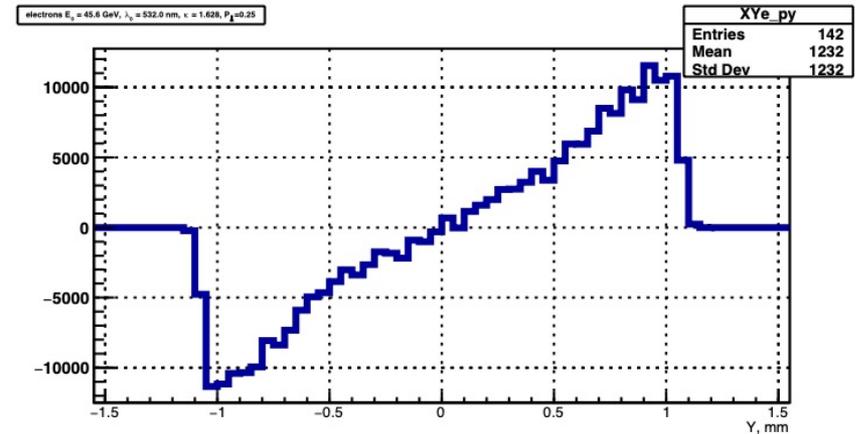
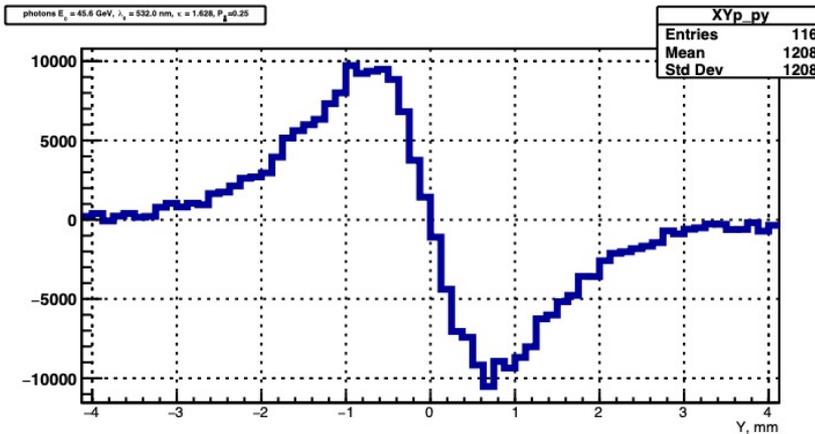
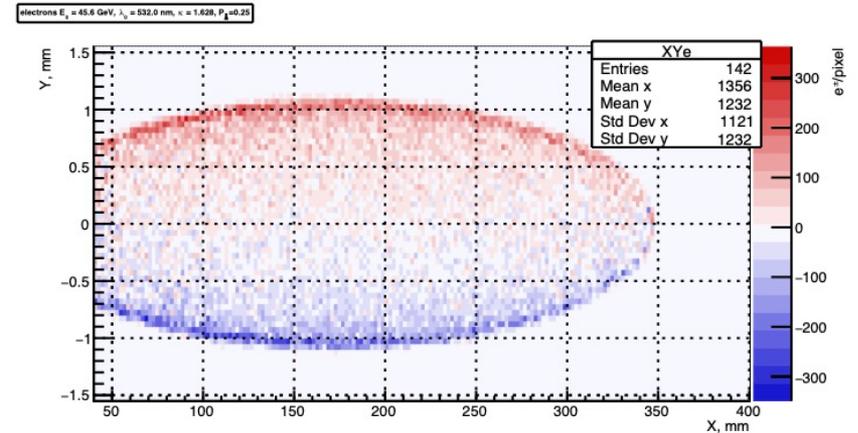
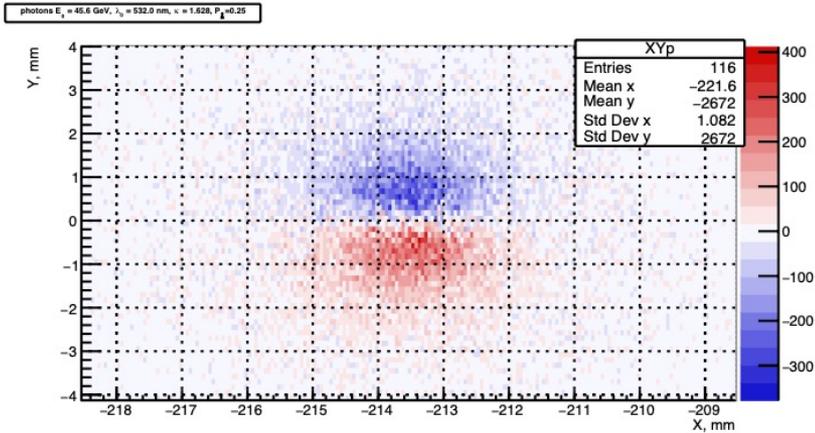
Beam energy may be extracted too!  $\rightarrow$  redundancy



Realistic detector specifications to be drawn

Open questions: detector spatial resolution, longitudinal sampling, rates, combined fits, laser polarization flips,...

# Laser helicity asymmetries

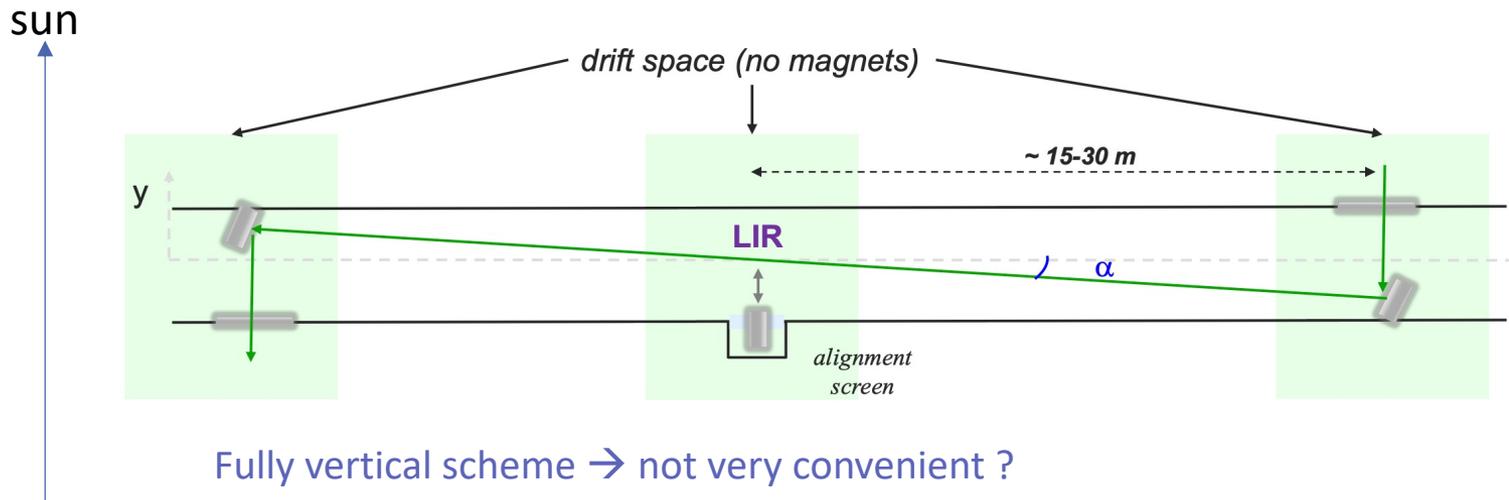


Reproducible and well known laser helicity flip is required

# Laser injection

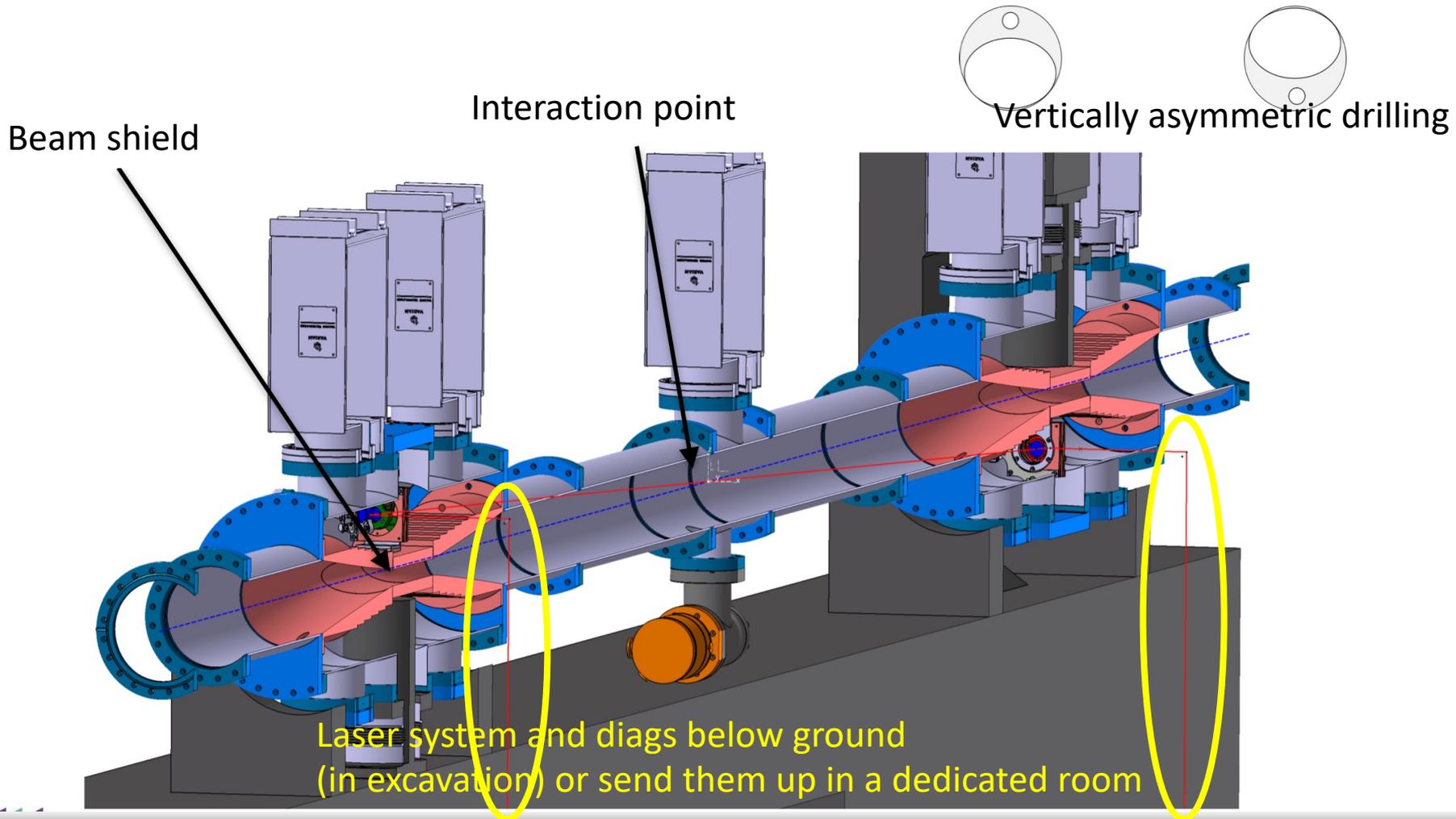
## Some constraints

- Small crossing angles are preferred (cross-section, beam jitters) few mrad typically
- Vertical crossing angle is preferred (space and synchrotron in horizontal plane)
- beam impedance
- beam induced currents in metallic parts
- mechanical stability
- ease of maintenance works



# Laser injection: some inspiration

Gamma Factory SPS proof of principle optical cavity mechanical design could be adapted ?

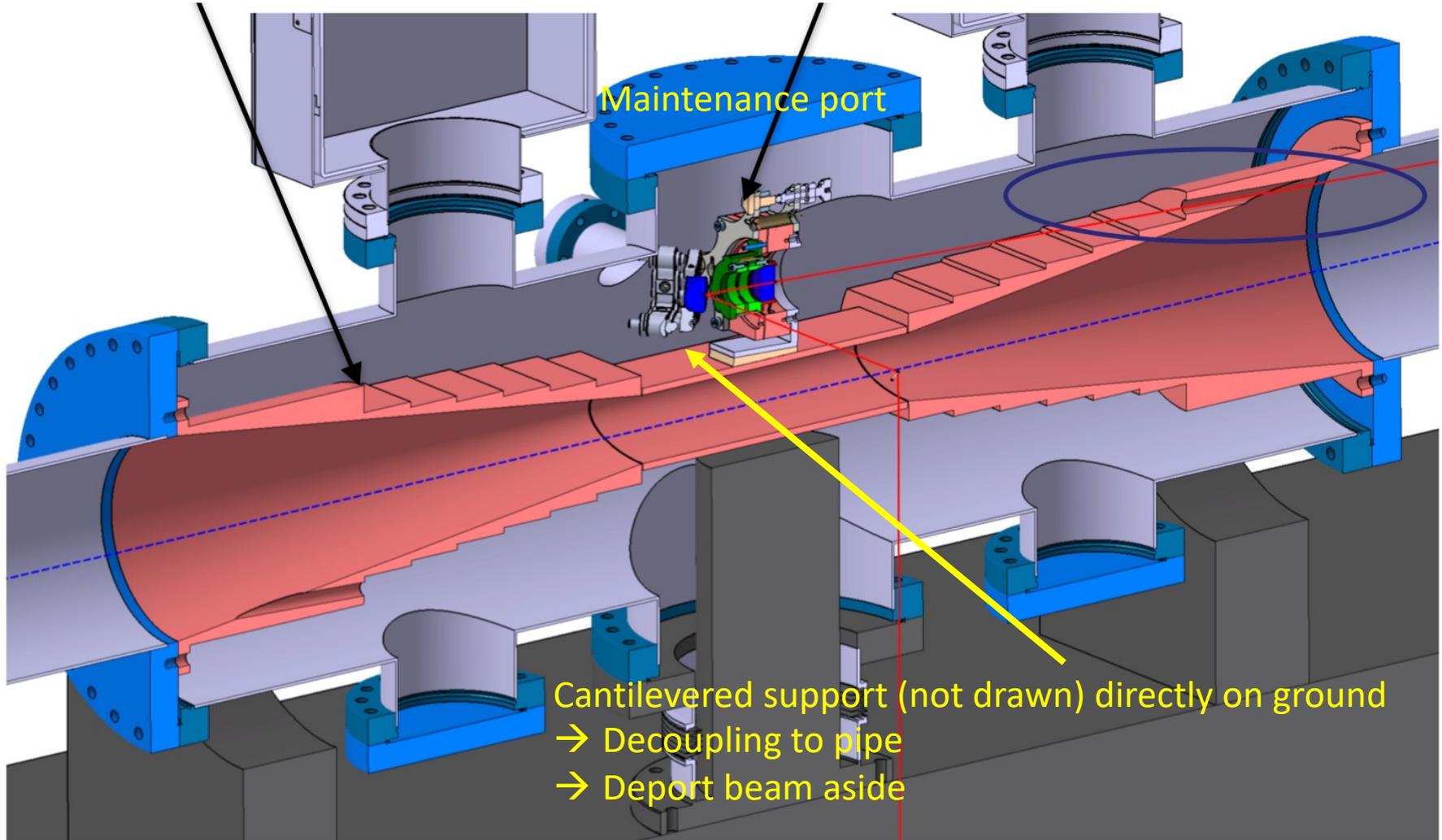


# Laser injection: some inspiration

Impedance and currents shield

To be removed in present case

Maintenance port

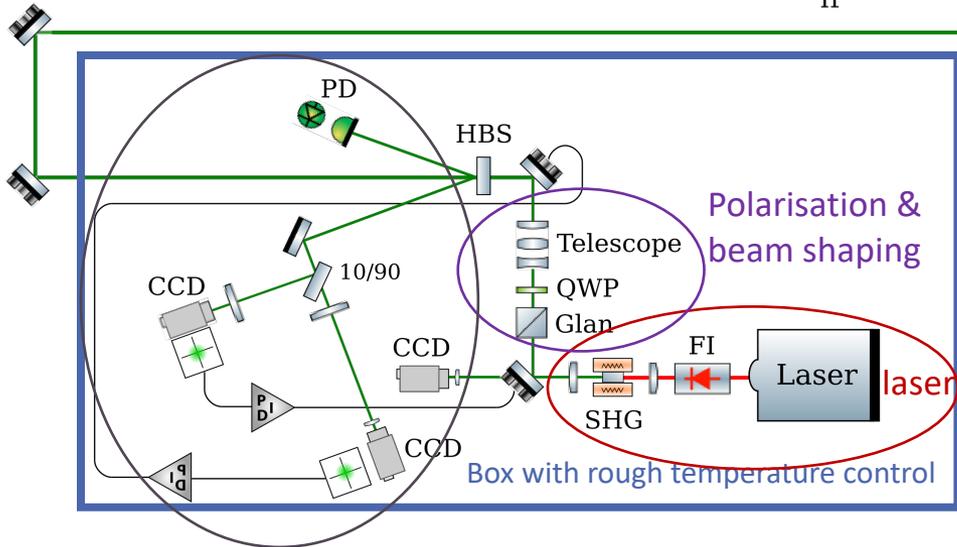


Cantilevered support (not drawn) directly on ground  
→ Decoupling to pipe  
→ Deport beam aside

# Schematic layout of laser system

Rough design based on past experience, similar to other polarimeters

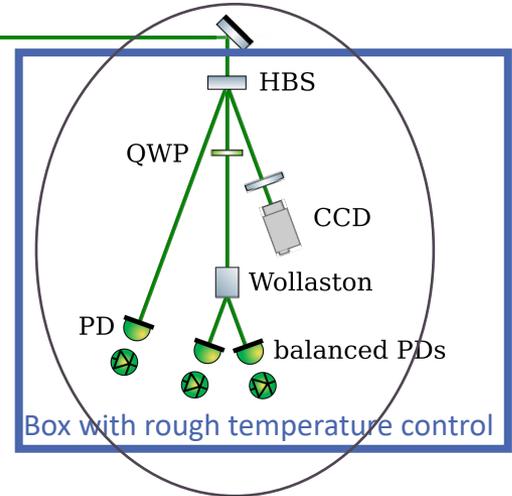
IP



Polarisation & beam shaping

Box with rough temperature control

- Position, pointing control and monitoring
- Polarisation independent intensity monitoring
- Optical spectrum monitoring possible



Box with rough temperature control

- Polarisation monitoring
- Duplicated at injection
- Add Position and pointing monitoring

**24/7 operable laser system, with full monitoring, remote control**

## Some comments

- usual scheme for polarization control and monitoring rely on DC measurements
- actual figures for beam size are constrained by integration related issues (inputs needed)
- Laser polarization flipping rate ?

R&D path: photo-elastic modulators allow to measure polarization with FFT or lock-in detection techniques (synergy with SuperKEKB upgrade)

# Scattered photon rate

Compton cross-section

Laser-beam single pulse energy

Electron bunch charge (25nC or 6nC) pilots

Geometrical factor

Transverse beam sizes:

Laser photon energy (2.4eV for 0.5μm wavelengths)

Photon rate  $n = \sigma_C \frac{\epsilon Q}{E_\lambda q} \frac{\mathcal{F}}{4\pi\sigma_y\sigma_x}$

- $\mathcal{F}^{-1} = \sqrt{1 + \left(\frac{\sigma_z}{\sigma_x} \tan \frac{\theta_0}{2}\right)^2}$
- $\theta_0 \sim 2\text{mrad}$

- $\sigma_{x,y,z} = \sqrt{\sigma_{x,y,z,laser}^2 + \sigma_{x,y,z,e-}^2}$
- $\sigma_{x,laser} = \sigma_{y,laser} = 300\mu\text{m}$
- $\sigma_{x,e-} = 200\mu\text{m}, \sigma_{y,e-} = 25\mu\text{m}, \sigma_{z,e-} \sim 10\text{mm}$

# Some possible laser systems

Nikolai's baseline

Laser param.	1 pilot	1 pilot v2	All colliding bunches (at Z)
Repetition rate	3 kHz	3 kHz	50 MHz
Pulse energy	1 mJ	1 mJ	100 nJ
Pulse duration	5 ns	5 ps (**)	5 ps (**)
Average power	3 W	3 W (***)	5 W (***)
Scattering rate	$4 \times 10^5/s$ (*)	$2 \times 10^6/s$ (****)	$2 \times 10^6/s$ (****)
Scattering rate per bunch	$4 \times 10^5/s$ (*)	$2 \times 10^6/s$	$1.7 \times 10^2/s$

Same oscillator may be used but two different amplification schemes

(\*) Large piwinski contribution, nearly scales as crossing angle, very dependent on laser beam size (was  $2 \times 10^6/s$  in ref. paper)

(\*\*) Short pulse duration → broader laser spectrum, energy measurement from threshold more difficult

(\*\*\*) Can be increased to typically  $\sim 100W$  (nowadays) but requires operational validation, management of thermal effects...

(\*\*\*\*) not limited by Piwinski contribution → significantly increases when decreasing laser beam size

# Conclusion

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High precision beams energy calibration

High precision beams polarimetry

24/7 operable Compton polarimeter for pilot and colliding bunches

24/7 operable laser system, with full monitoring, remote control

Seems technically achievable with present day technology

Statistical precision compatible with physics requirements

Design being prepared within FCC-FS

A lot of work ahead still (laser design and polarimeter detector design and performance)