

Towards defining an optimal detector for Higgs hadronic final states

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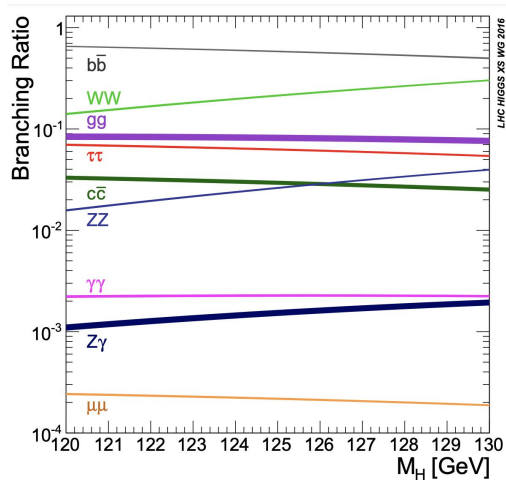
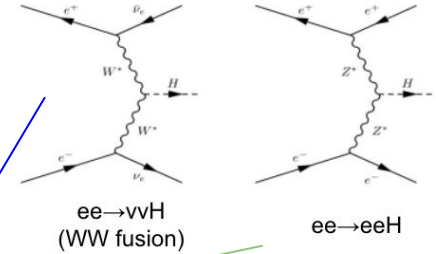
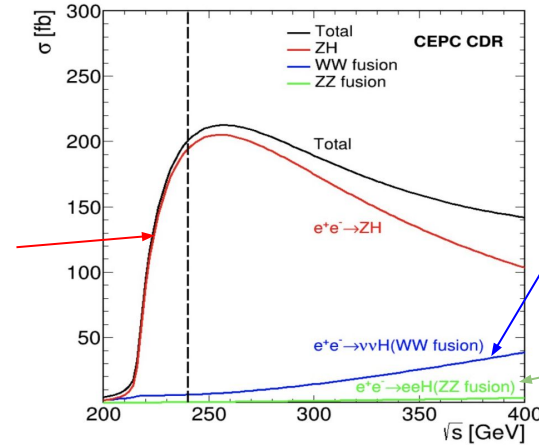
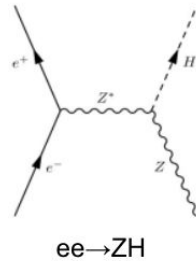
Credits: Reham Aly, Valentina Cairo, Jan Eysermans, Giovanni Marchiori, Andrew Mehta, Nikolaos Rompotis

Outline

- Higgs (hadronic) measurements at the ZH pole
- Detector design optimisation
- Hadronic object identification
 - $H \rightarrow bb, cc, gg, ss$
- Higgs \rightarrow hadron visible mass, energy resolution
 - $Z \rightarrow$ Hadrons, $H \rightarrow$ Invisible

Introduction

- **ZH production mode dominant**
- **$\nu\nu H$, eeH sub-dominant**
- **$ee \rightarrow H$**



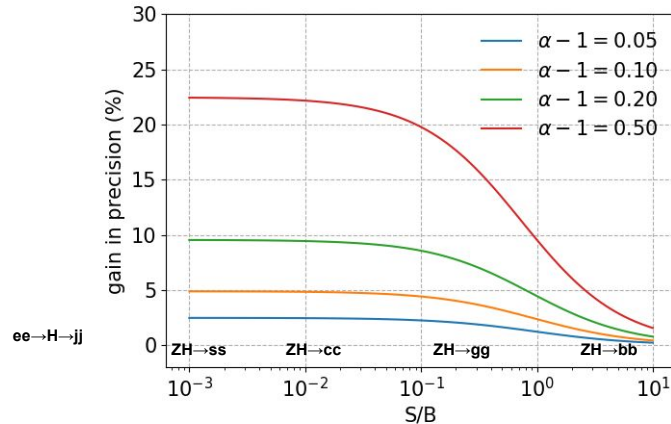
Large hadronic branching fractions:

- $BR(H \rightarrow \text{hadrons}) > 0.80$
 - $BR(H \rightarrow bb + cc + gg) \sim 0.70$
- $BR(Z \rightarrow jj) \sim 0.70$

Achieving **optimal performance** on hadronic final states is crucial to the FCC-ee physics programme

Goal

- which **detector design maximises** expected precision for $H \rightarrow gg, bb, cc, ss$ final states ?
 - final state object flavour jet tagging
 - b,c - tagging vertexing detector
 - strange: PID (ToF, dNdx, Rich)
 - visible energy (mass) reconstruction:
 - **resolution** is crucial, in particular for **rare channels**
 - If $S \ll B$, improve resolution by $\alpha \rightarrow$ improve precision by $\sqrt{\alpha}$
 - e.g. $H \rightarrow ss$
 - If $S \sim B$, improve resolution by $\alpha \rightarrow$ precision by $\sqrt{(2\alpha / (\alpha+1))}$
 - e.g. $H \rightarrow bb$



Hadronic resolution

Energy/Mass resolution in ideal particle flow

Consider $ee \rightarrow ZH \rightarrow \nu\nu jj$ → visible energy/mass

$$\sigma^2(E_{\text{vis}}) = \sum_{i \in \text{tr}} \sigma_{\text{tr}}^2(E_{\text{tr}}^{(i)}) + \sum_{i \in \gamma} \sigma_{\text{ecal}}^2(E_{\gamma}^{(i)}) + \sum_{i \in \text{nh}} \sigma_{\text{hcal}}^2(E_{\text{nh}}^{(i)})$$

65% 25% 10%

Neglect track resolution, and assume only stochastic calo contribution:

$$\sigma^2(E_{\text{vis}}) = S_{\text{ecal}}^2 \sum_{i \in \gamma} E_{\gamma}^{(i)} + S_{\text{hcal}}^2 \sum_{i \in \text{nh}} E_{\text{nh}}^{(i)}$$

25%

10%

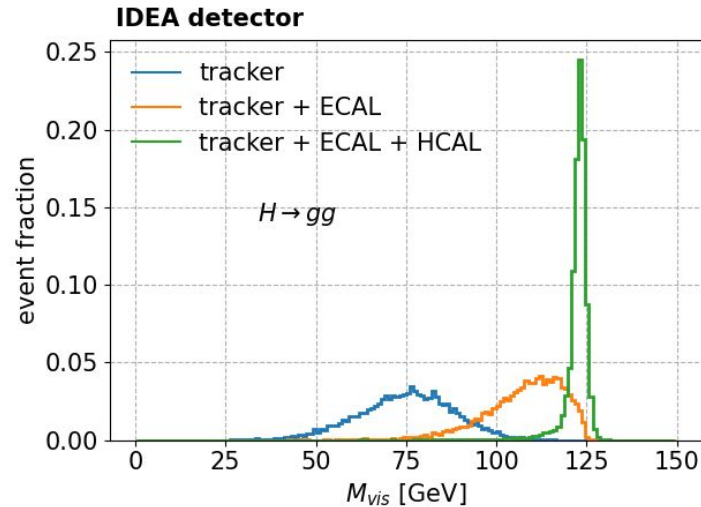
$$\sigma^2(E_{\text{vis}}) = (f_{\gamma} S_{\text{ecal}}^2 + f_{\text{nh}} S_{\text{hcal}}^2) E_{\text{vis}}$$



$$\sigma(E_{\text{vis}}) = \sqrt{\sigma_{\text{ecal}}^2 + \sigma_{\text{hcal}}^2}$$

$$\sigma_{\text{ecal}} = S_{\text{ecal}} \sqrt{f_{\gamma} E_{\text{vis}}}$$

$$\sigma_{\text{hcal}} = S_{\text{hcal}} \sqrt{f_{\text{nh}} E_{\text{vis}}}$$



Ideal Particle Flow

Energy/Mass resolution

$$\sigma(E_{\text{vis}}) = \sqrt{\sigma_{\text{ecal}}^2 + \sigma_{\text{hcal}}^2}$$

$$\sigma_{\text{ecal}} = S_{\text{ecal}} \sqrt{f_{\gamma} E_{\text{vis}}}$$

$$\sigma_{\text{hcal}} = S_{\text{hcal}} \sqrt{f_{\text{nh}} E_{\text{vis}}}$$

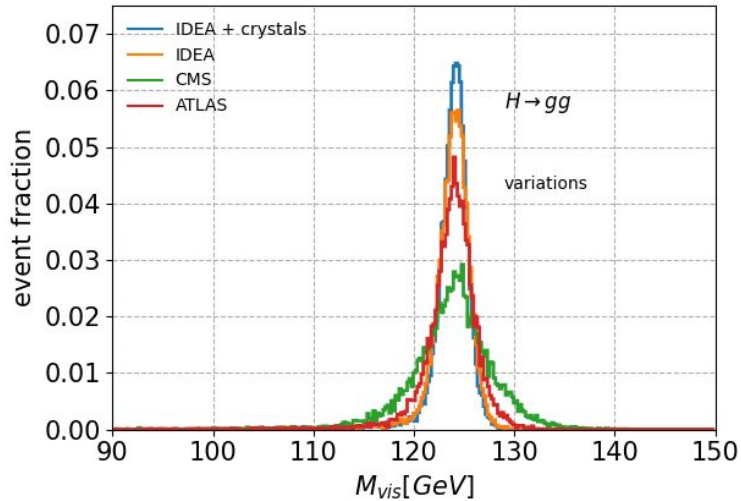
Resolution [GeV]	Crystal Cu/Brass (CMS)	LAr TileCal (ATLAS)	Dual Readout	Dual Readout +Crystal
S_{ECAL}	5%	10%	10%	5%
S_{HCAL}	100%	50%	30%	30%
σ_{ECAL}	0.3 GeV	0.6 GeV	0.6 GeV	0.3 GeV
σ_{HCAL}	3.7 GeV	1.8 GeV	1.1 GeV	1.1 GeV
σ	3.7 GeV	1.9 GeV	1.2 GeV	1.1 GeV

- Assuming an ideal Particle Flow, HCAL dominates the hadronic resolution
- Assumes:
 - all available energy is reconstructed
 - no particle overlap

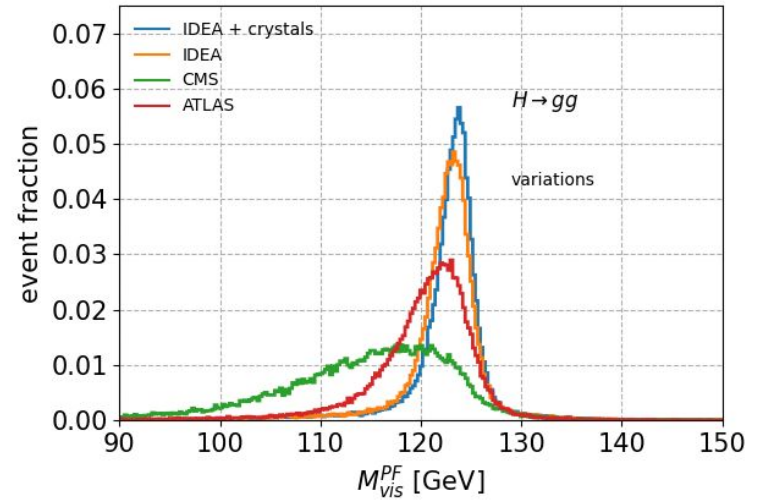
Ideal PF → “realistic” PF

note: no jet clustering

Ideal Particle Flow



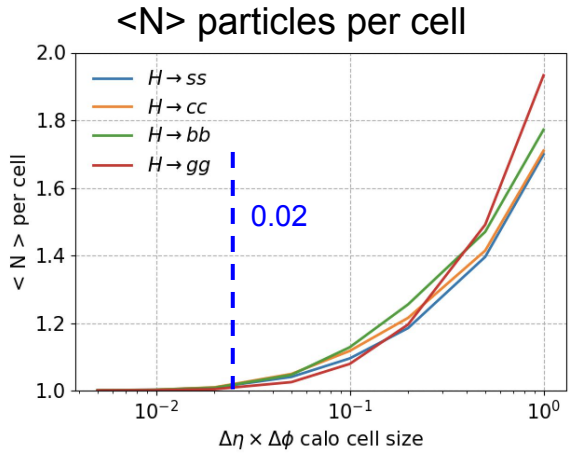
Delphes Particle-flow



- **inefficient tracks** reconstructed as neutral hadrons
- low momentum **photons / neutral hadrons inefficiencies**
- **fake neutral hadrons / photons** from particle flow
- **overlapping photons/neutral hadrons** reconstructed as neutral hadrons

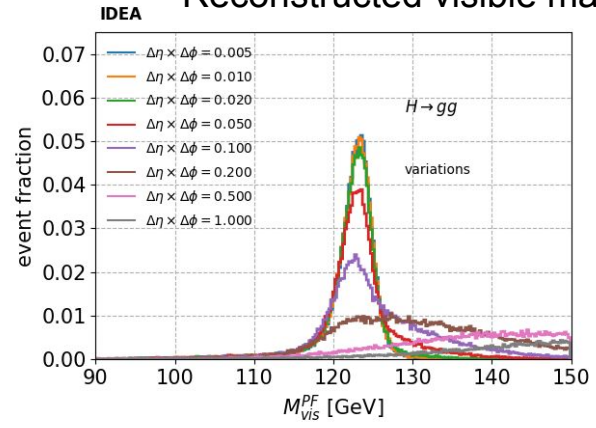
Resolution [GeV]	Crystal Cu/Brass (CMS)	LAr TileCal (ATLAS)	Dual Readout	Dual Readout +Crystal
$\sigma(\text{IDEAL})$	3.7 GeV	1.9 GeV	1.2 GeV	1.1 GeV
$\sigma(\text{DELPHES})$	6.9 GeV	3.5 GeV	2.2 GeV	2.1 GeV

Granularity

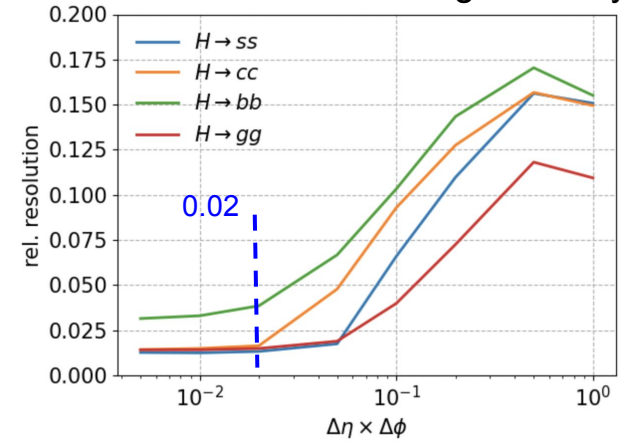


- As expected granularity impacts mass resolution considerably (loss in angular resolution)
- $\Theta \sim 0.02$ angular resolution seems sufficient
 - caveats:
 - assuming the same scale for a transverse shower size
 - particle-flow not re-tuned for coarser granularities

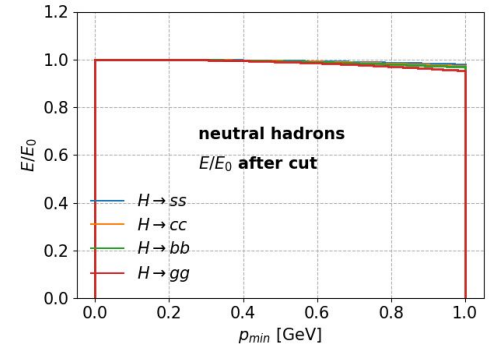
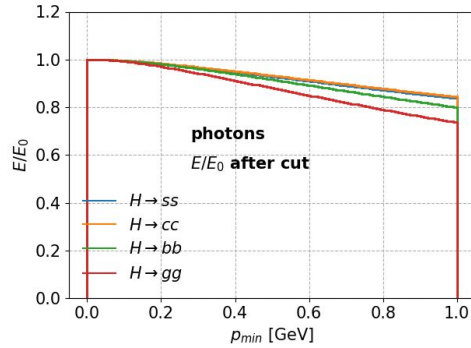
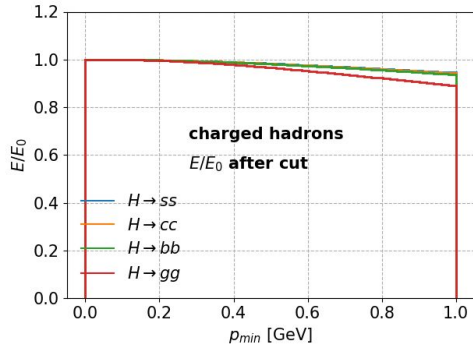
Reconstructed visible mass



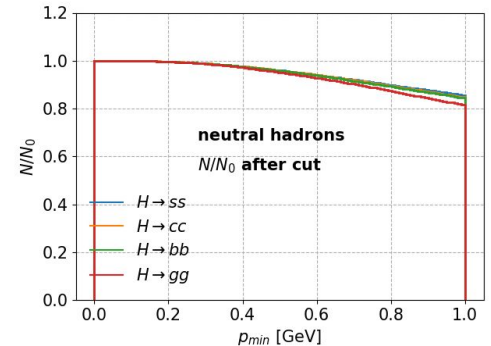
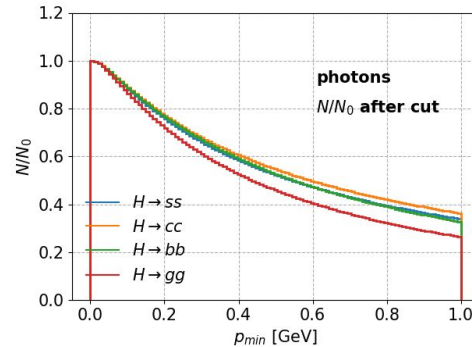
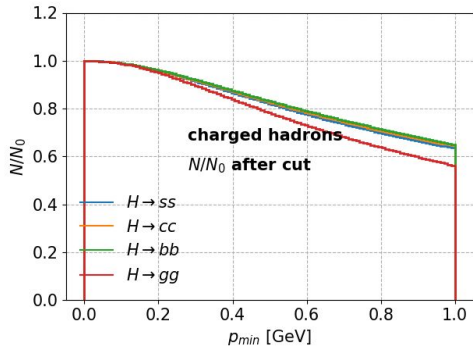
mass resolution vs granularity



Higgs hadronic decays component spectra

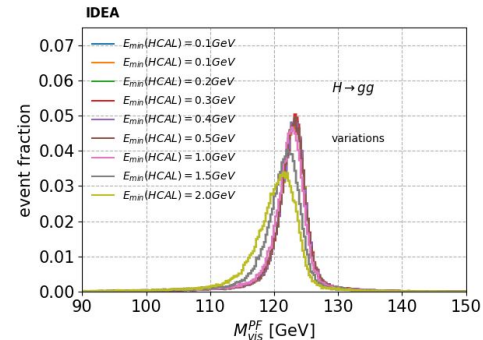
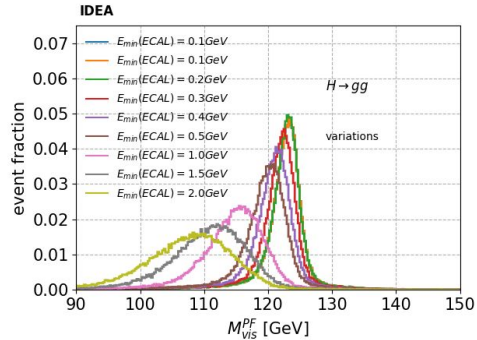
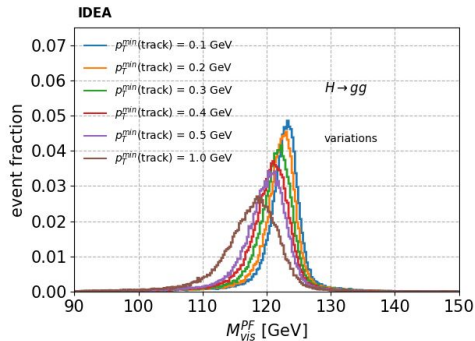


How much visible energy/multiplicity at low momenta ?

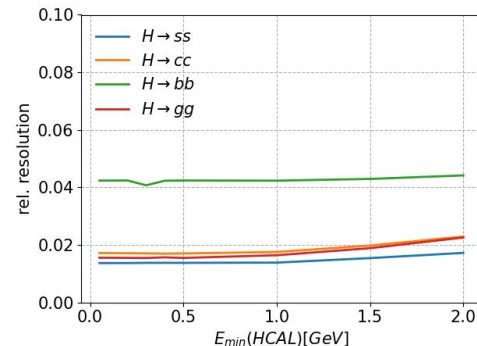
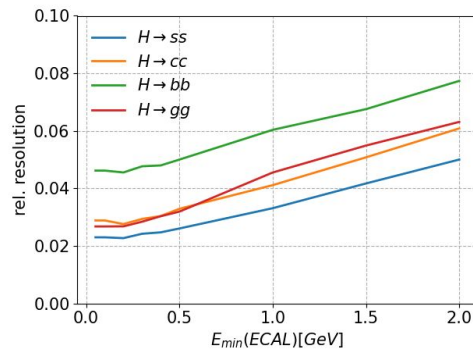
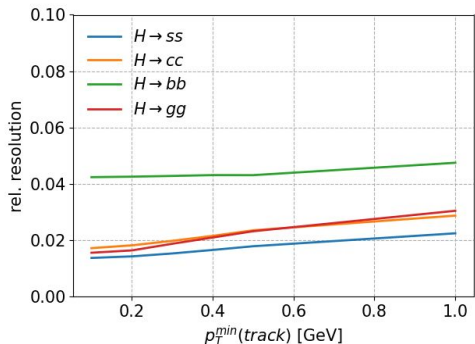


- Neutral Hadrons are harder: HCAL mass resolution should not suffer from low threshold
- Photons are the softest (in particular in $H \rightarrow gg$), mass resolution should degrade substantially if $p < 200$ MeV not reconstructed

Higgs hadronic decays component spectra

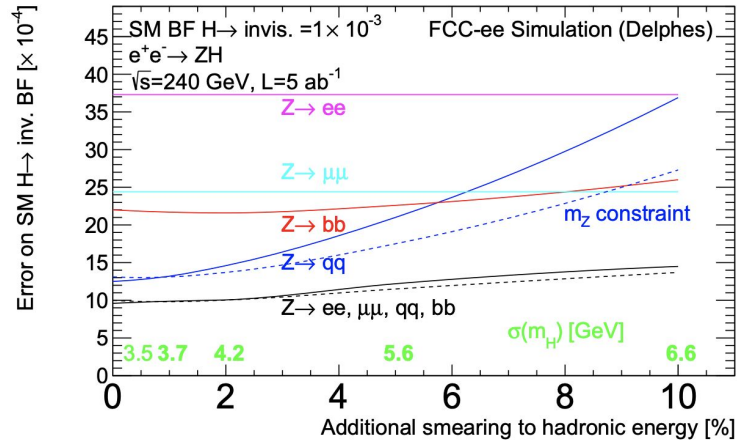
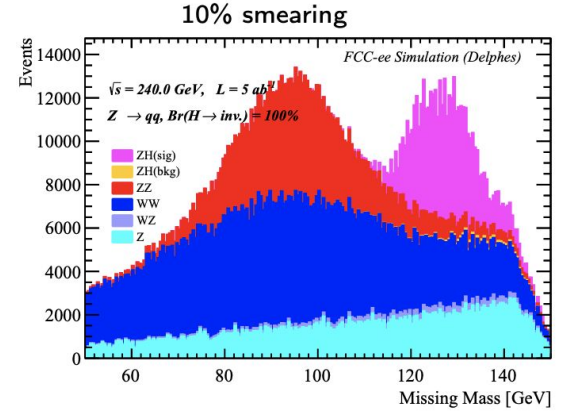
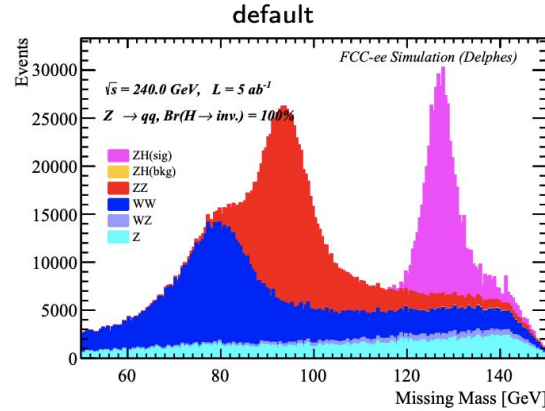
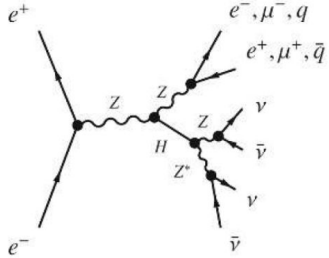


How much visible energy/multiplicity at low momenta ?



- Neutral Hadrons are harder: HCAL mass resolution should not suffer from low threshold
- Photons are the softest (in particular in $H \rightarrow gg$), mass resolution should degrade substantially if $p < 200 \text{ MeV}$ not reconstructed

H → invisible

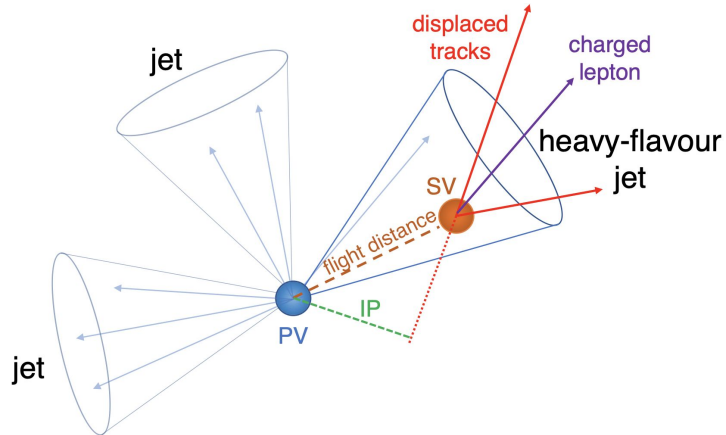


- smearing has a large impact on qq channel
- can be reduced with Z mass constraint
- overall impact is small due to leptonic channels

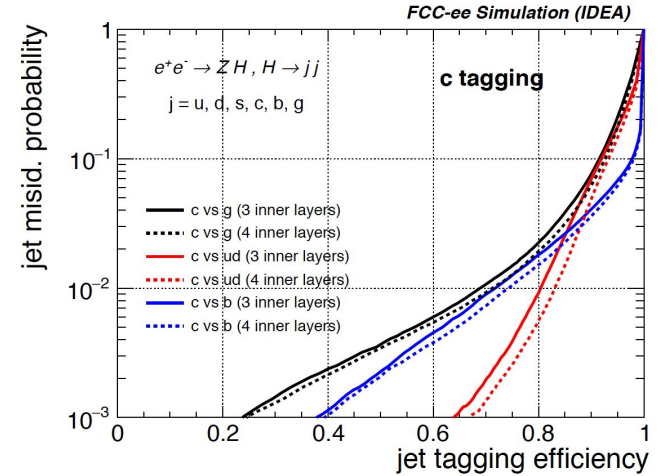
Heavy flavour tagging

HF tagging - b/c tagging

- Large lifetime
 - b (c) decay length: ~5 (2-3) mm for ~50 GeV boost
- Large track multiplicity
 - ~5 (~2) charged tracks/decay
- Non-isolated e/ μ
 - ~20 (10)% in B (C) decays



[2202.03285]



x2 light quark rejection with additional pixel layer at 1 cm from IP

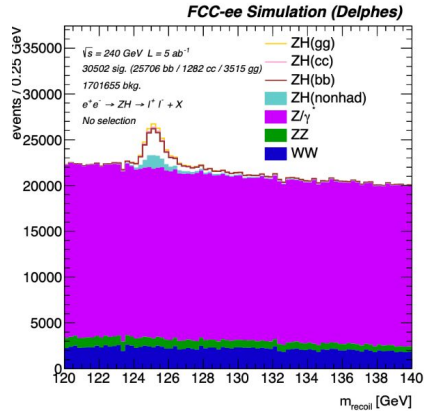
Detector constraints:

Need power pixel/tracking detectors

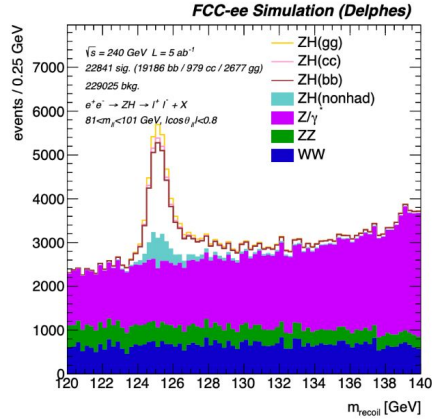
- excellent IP resolution
- first pixel closest to IP
- lightest tracker

H → bb/cc/gg

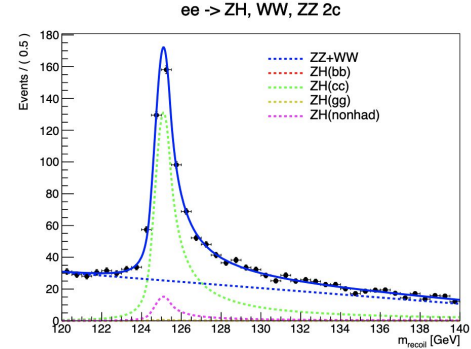
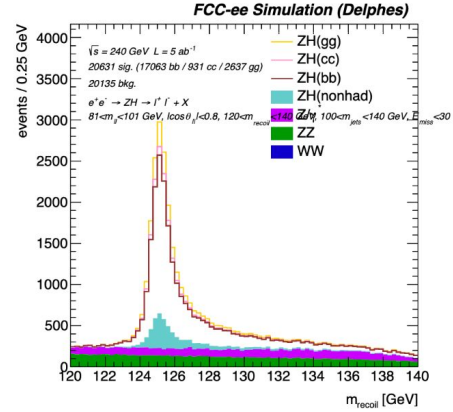
After reconstruction



After Z selection

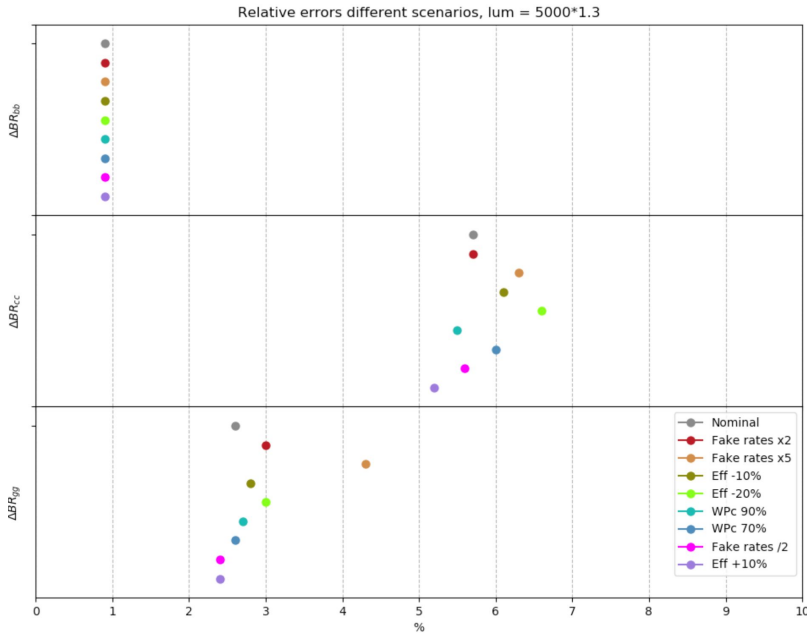


After recoil, jets, Emiss selection



- Events are **classified in mutually orthogonal categories** based on the number of b-, c- and g-tags (2c category also requires < 2b tags)
- **Simultaneous S+B fit to the recoil mass** of the event categories
 - Background model: simple functions (polynomials, exponentials) with floating parameters in each category
 - Signal model: double-sided Crystal Ball with same parameters in each category
 - Non-hadronic BR is fixed to SM prediction (assume to measure it precisely with other channels) - though some constraining power from 0b0c0g category

H → bb/cc/gg



Expected precision using only the Z → ll channel

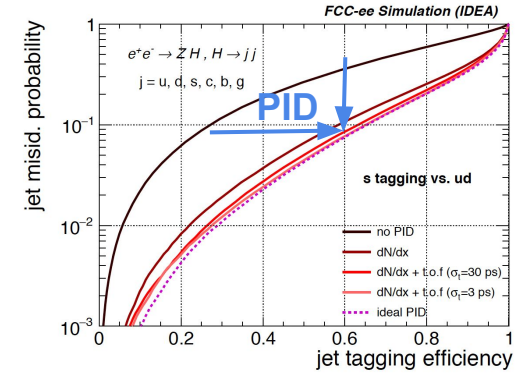
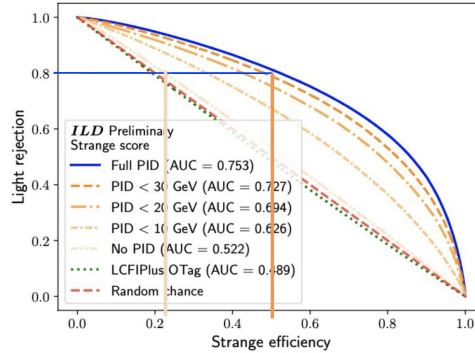
Results with various tagging performance/WP scenarios (lum +30%)

Strategy	ΔBR_{bb} (rel., %)	ΔBR_{cc} (rel., %)	ΔBR_{gg} (rel., %)
Nominal	0.9	5.7	2.6
Fake rates x2	0.9	5.7	3.0
Fake rates x5	0.6	6.3	4.3
Eff -10%	0.9	6.1	2.8
Eff -20%	0.9	6.6	3.0
WPc 90%	0.9	5.5	2.7
WPc 70%	0.9	6.0	2.6
Fake rates /2	0.9	5.6	2.4
Eff +10%	0.9	5.2	2.4

- H → bb very **pure in all sensitive categories** (2 btags, 1 btag)
 - barely affected by variations (nor in fake rate nor from tagging efficiency)
- H → cc / gg are fairly sensitive to detector performance assumption

HF tagging - Strange tagging

- **Charged Kaon as track:**
 - K/pi separation
- **Neutral Kaons:**
 - $K_S \rightarrow \pi\pi$
 - Displaced 2 track vertex
 - 4 photons
 - K_L TOF vs n ?

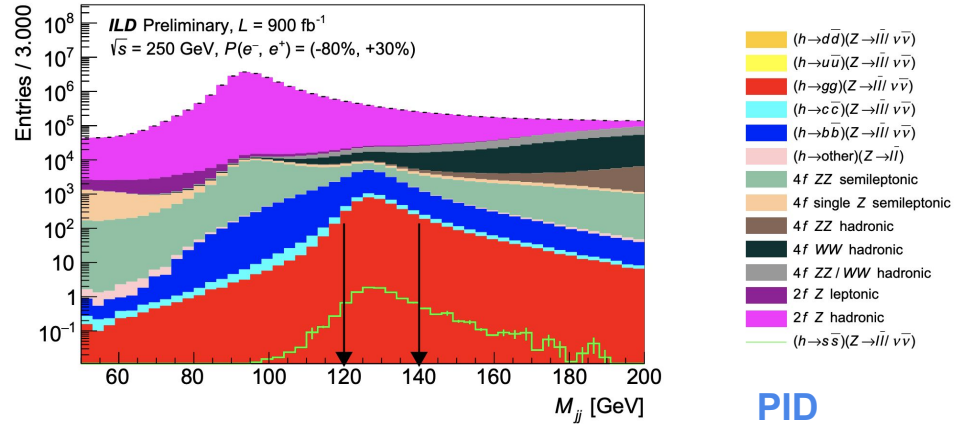
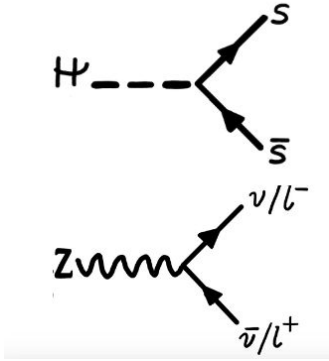


Detector constraints:

- Excellent PID:
 - Low momentum ($p < 5$ GeV):
 - timing detectors
 - High momentum ($p > 5$ GeV)
 - charged energy loss (gas/silicon)
 - cherenkov

- 2.5x increase in tagging efficiency with PID
- x10 reduction in light mistag rate
- No need for K/pi separation > 30 GeV
- 30 ps timing sufficient for low momentum K/pi separation

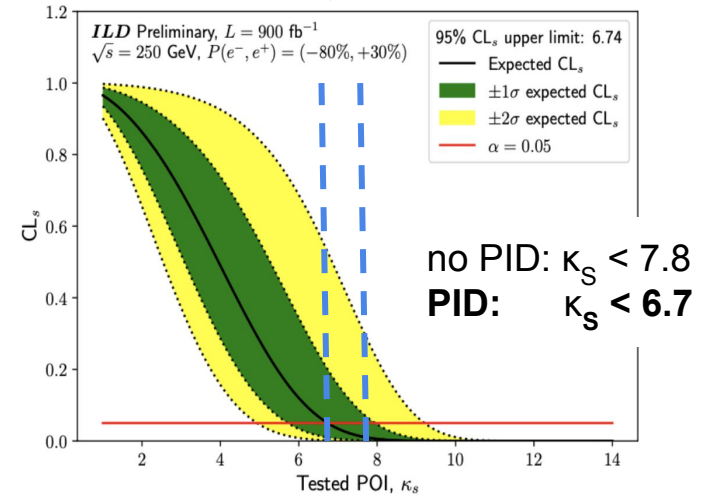
Higgs to strange



PID



- $BR(H \rightarrow ss) = BR(H \rightarrow cc) (m_s/m_c)^2 \sim 2.3 \cdot 10^{-4}$
- Expect: 200 $H \rightarrow ss$ events
- Large backgrounds:
 - Other hadronic Higgs decays
 - 600k $H \rightarrow bb$, 100k $H \rightarrow gg$, 30k $H \rightarrow cc$,
 - The most challenging BKG is ZZ with one Z off-shell ~ 125 GeV
- **Particle ID crucial to reduce other $Z/H \rightarrow jj$ backgrounds**
- Optimal hadronic mass resolution for irreducible $Z \rightarrow ss$



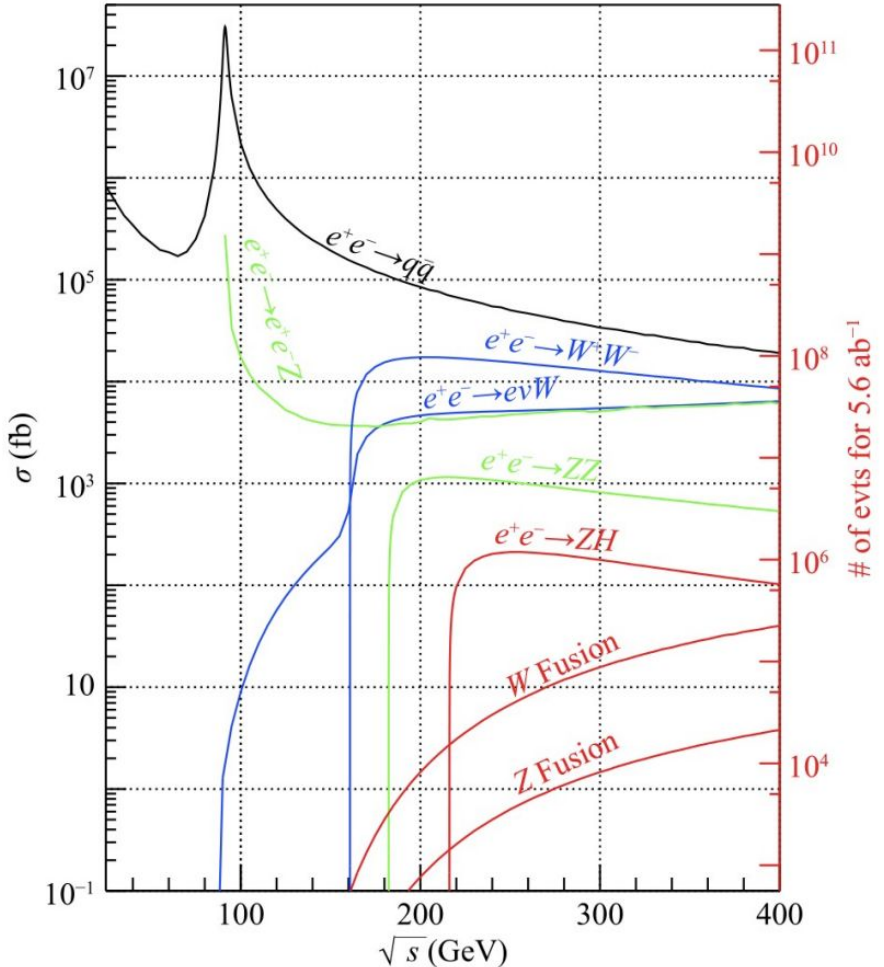
Conclusions

Higgs precision (in hadronic final states), relies on:

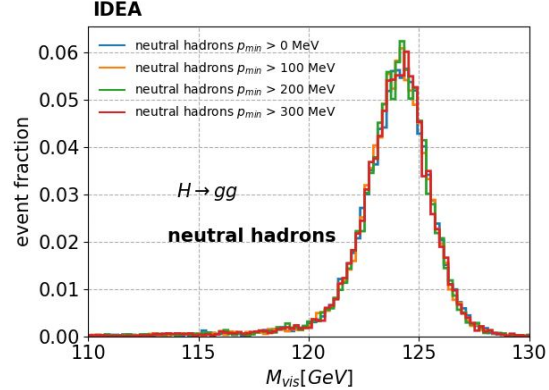
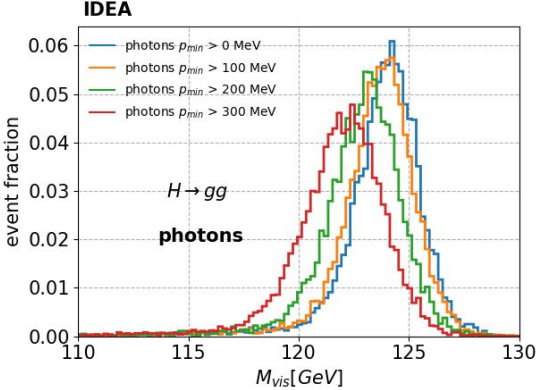
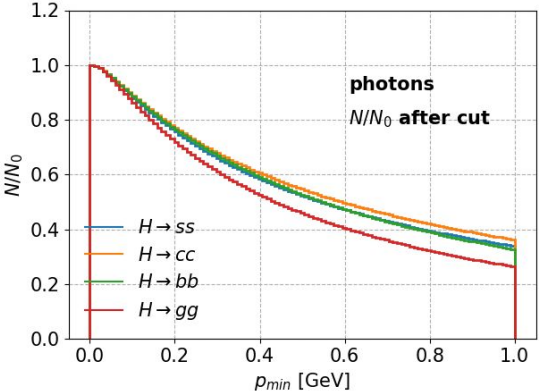
- efficient tagging of hadronic final states directly affects Higgs precision.
 - b/charm tagging relies on light tracker (minimise MS), excellent IP resolution
 - strange tagging relies on PID:
 - low momentum TOF
 - High momentum dNdx/RICH
- ability to reconstruct visible mass with high resolution:
 - with Ideal Particle Flow HCAL (angular/energy resolution) limits the $H \rightarrow$ hadrons mass resolution:
 - DR (crystals) \geq DR > ATLAS > CMS
 - $H \rightarrow$ hadron particle content mostly of soft particles (in particular in $H \rightarrow gg$):
 - it is important to reconstruct low momentum particles ($p \sim 100$ - 200 MeV), in particular photons from π^0
 - need low material budget in front of ECAL (timing detector? cryostats)
 - low electronic noise
 - Charged particle reconstruction efficiency is also crucial (missed ch. hadron \rightarrow hcal)
- Is 1-2% mass resolution/visible energy resolution seems to be a fundamental limit

Backup

Backgrounds



Backgrounds



- Neutral Hadrons are harder: HCAL mass resolution does not suffer from low threshold
- Photons are the softest, mass resolution degrades substantially if $p < 200$ MeV not reconstructed