



# The implementation of monochromatization to FCC-ee

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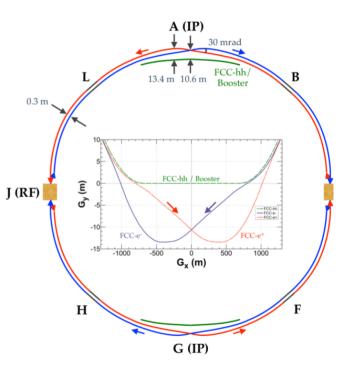


# • Introductions

- Monochromatization (mono)
- The most promising mono-schemes for FCC-ee
- The drawbacks of the mono-schemes
- The continuing optimization of the mono-schemes



- FCC-ee modes:
  - The FCC-ee standard modes:
    - Four different energy operation modes: Z, WW,H(ZH) and ttbar.
  - The optional fifth mode: s-channel Higgs production mode
    - The measurement of the electron Yukawa coupling, in dedicated runs at 125 GeV with center-of-mass (CM) energy spread(5-10 MeV). But the natural collision energy spread, due to the synchrotron radiation, is about 50MeV.
- Requirements:
  - reduce the CM energy spread from 50MeV to 5MeV, which is comparable to the resonant width of the standard model Higgs Boson itself (4.2MeV) [1]
- There is a great interest from the particle-physics community:
  - The only known pathway to measure the Yukawa coupling, an important property of the Higgs boson, and to understand the origin of the electron mass
- [1]Abada, A., Abbrescia, M., AbdusSalam, S.S. et al. FCC-ee: The Lepton Collider.





## The CM energy expression:

## 1.Standard modes

• the energy of zero-dispersion is equal to the case of the same value dispersion at the IP:  $w = 2(E_0 + \Delta E)$ 

# 2. Monochromatization

• dispersion has opposite sign at the IP:

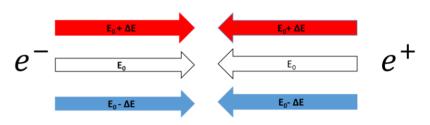
 $w = 2E_0 + O(\Delta E)^2$ 

The CM collision energy spread for monoschemes

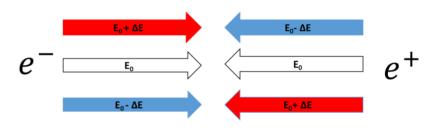
$$\left(\frac{\sigma_W}{W}\right)_{\text{c.m.}} = \frac{\Delta E}{\sqrt{2}} \frac{1}{\lambda}$$

Monochromatization factor:  $\lambda$ 

### Standard modes



### Monochromatization



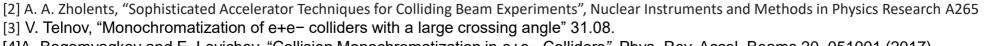
Improving the CM energy resolution

#### 02/06/2022

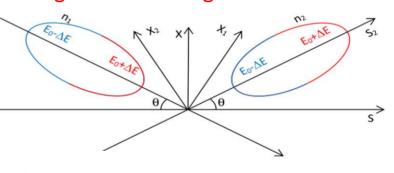


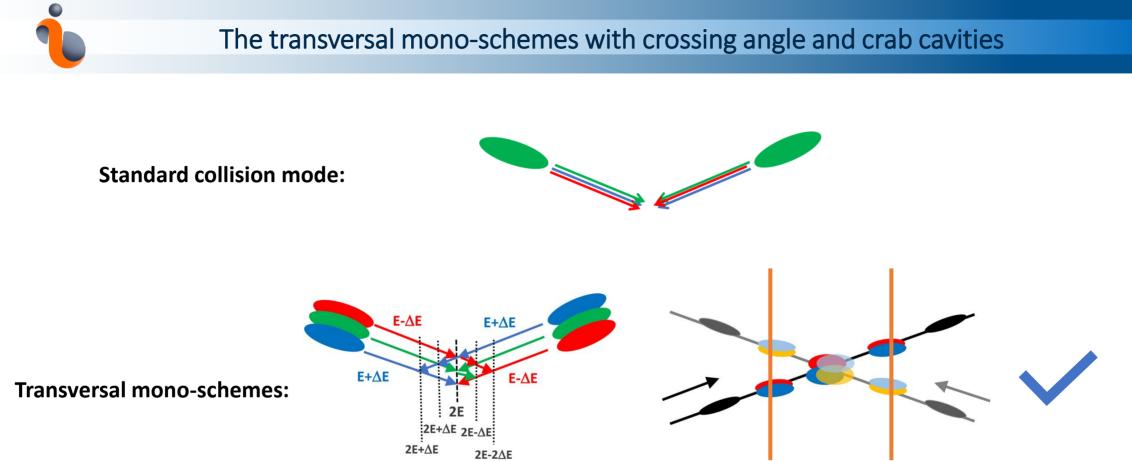
- The less feasible schemes:
  - RF-Monochromatization scheme( A. A. ZHOLENTS et al.) [2] It requires an operation of the RF cavities in a transverse deflecting mode, E<sub>210</sub>. Reduces the energy spread of each beam prior to the collision. Unacceptable due to the very high voltage of RF cavities.
  - 2. Large crossing angle (0.5rad) scheme (V. I. Telnov)[3] unacceptable due to the small crossing angle 30mrad and long interaction region at FCC-ee
  - 3. Longitudinal scheme (A. Bogomyagkov et al.) [4] The longitudinal correlation requires high voltage and high frequency RF system, it is hard to build.
- The most promising scheme for FCC\_ee





[4]A. Bogomyagkov and E. Levichev, "Collision Monochromatization in e+e- Colliders", Phys. Rev. Accel. Beams 20, 051001 (2017).





Without crab cavities

Head-on collision with crab cavities

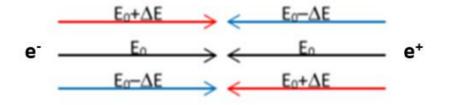
- The parameters of the mono-schemes:
  - The monochromatization factor

$$\lambda = (1 + \sigma_{\varepsilon}^{2} (\frac{D_{x}^{*2}}{\sigma_{x\beta}^{*2}} + \frac{D_{y}^{*2}}{\sigma_{y\beta}^{*2}}))^{1/2}$$

• The monochromatization factor for FCC-ee $(D_y^* = 0)$ 

$$\lambda = \sqrt{1 + \frac{D_x^{*2} \sigma_{\varepsilon}^2}{\epsilon_x \beta_x^*}}$$

• The needed dispersion value at IP estimated from [5]  $D_x^*(e^+) = -D_x^*(e^-) = -0.105m$ 



Parameter	Symbol	Unit	Value
Center-of-mass energy	W	GeV	125
Horizontal, vertical rms emittance with (without) beamstrahlung	$\varepsilon_{x,y}$	nm	2.5 (0.51), 0.002
Relative rms momentum deviation	$\sigma_{\delta}$	%	0.052
Rms bunch length	$\sigma_z$	mm	3.3
Horizontal dispersion at interaction point	$D_{\chi}^{*}$	m	0.105
Interaction-point beta function	$\beta^*_{x,y}$	mm	90, 1
Rms beam size at the interaction point	$\sigma_{x,y}^*$	μm	55, 0.045
Full crossing angle	$\theta_c$	mrad	30
Vertical beam-beam tune shift	ξy		0.106
Total beam current	$I_e$	mA	395
Bunch population	$N_b$	$10^{10}$	6.0
Bunches per beam	$n_b$		13420
Luminosity (luminosity without crab cavities) per IP	L	$\mathrm{cm}^{-2}\mathrm{s}^{-1}$	$2.6\times 10^{35}~(2.3\times 10^{35})$
Rms center-of-mass energy spread (total spread w/o crab cavities)	$\sigma_W$	MeV	13 (25)

[5] Faus-Golfe, A., Valdivia Garcia, M.A. & Zimmermann, F. The challenge of monochromatization. Eur. Phys. J. Plus 137, 31 (2022)



#### • Constraints:

#### 1. The beam size

- The beta function
- The dispersion function
- 2. The monochromatization conditions:
  - D\*x=0.105m
  - D\*px=0
- 3. The match with the rest of the ring
  - The Twiss functions.
- 4. The same tunnel with standard mode
  - The same crossing angle for mono and standard mode.
  - The asymmetric IR
- 5. The synchrotron radiation (SR limit photon energy below 100keV)
  - the dipole angles
- 6. Phase advance and tune
- 7. The crab cavities

The preliminary flexible Interaction Region (IR) Optics for transversal mono-schemes

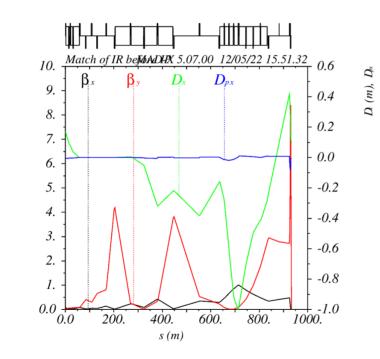
3)]

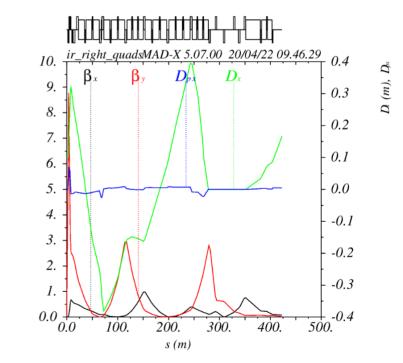
)\*\*0[\*]

 $\beta_{k}$  (m),  $\beta_{k}$  (m)

The flexible optics of FCC\_ee means it easily switches from standard mode to mono.
Before the Interaction Point: After the Interaction Point:

 $\mathfrak{Z}_{\epsilon}(m), \mathfrak{B}_{\epsilon}(m) [*10 \approx (3)]$ 





## 1. Beamstrahlung:

If the dispersion function at the collision point is not zero, beamstrahlung will also increase the transverse emittances.

2. The luminosity loss:

Trade off luminosity and energy spread

- 3. Inducing a large chromaticity: Redesign of the Local chromaticity correction
- 4. Beam dynamic aperture (DA) analysis
- 5. Beam-beam effects



- We are designing a new IR optics to meet all the constraints at the last optimized IR optics.
- we are trying to solve all of the drawbacks before the implementation the mono-schemes to the FCC-ee.
- The theory is simple, and the studies begin at 1975, but it is never used in any real machine!



• Thanks for your attentions!