

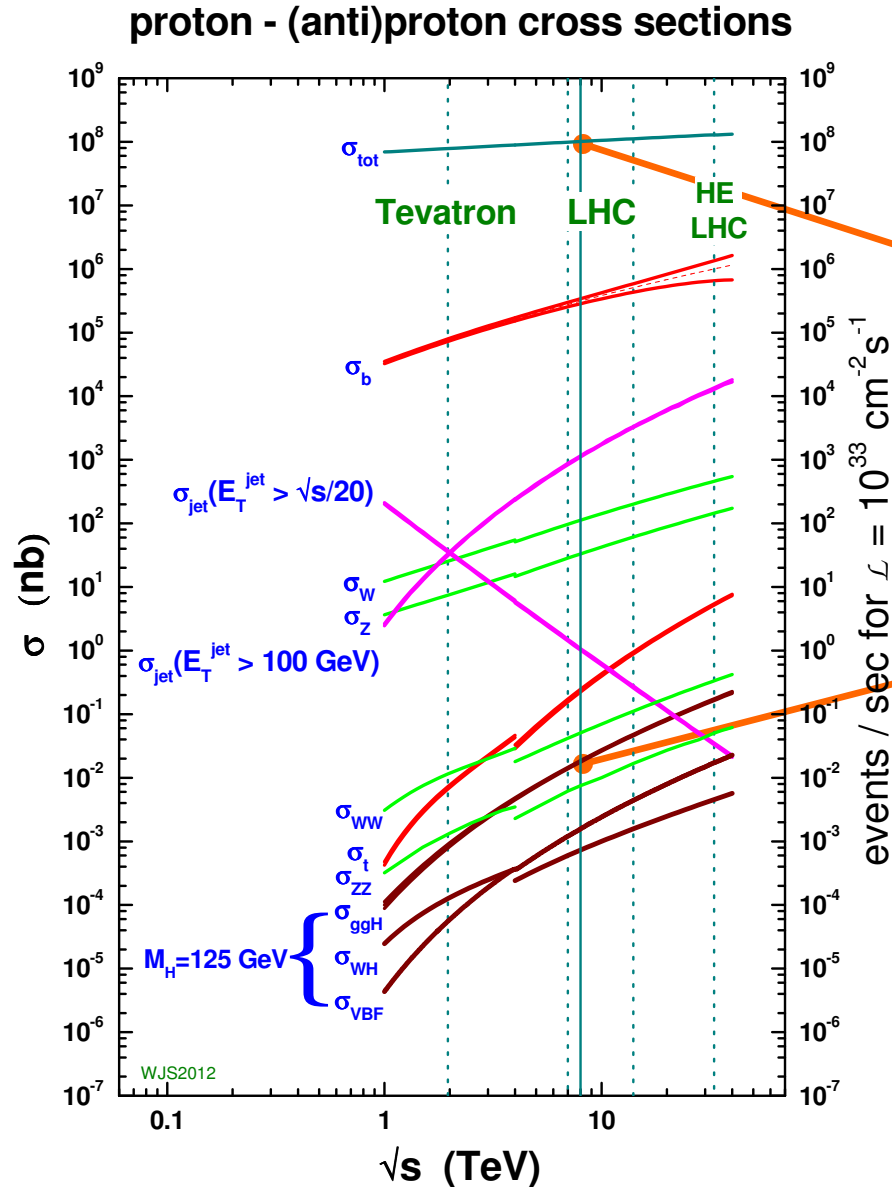
# Experimental particle. physics

**esipap**...  
European School of Instrumentation  
in Particle & Astroparticle Physics

**D.**

a few words on  
S/B optimization  
and data analysis

# Interesting processes are rare!



$10^8$  events/s

$\sim 10^{10}$

$10^{-2}$  events/s  $\sim$

10 events/min

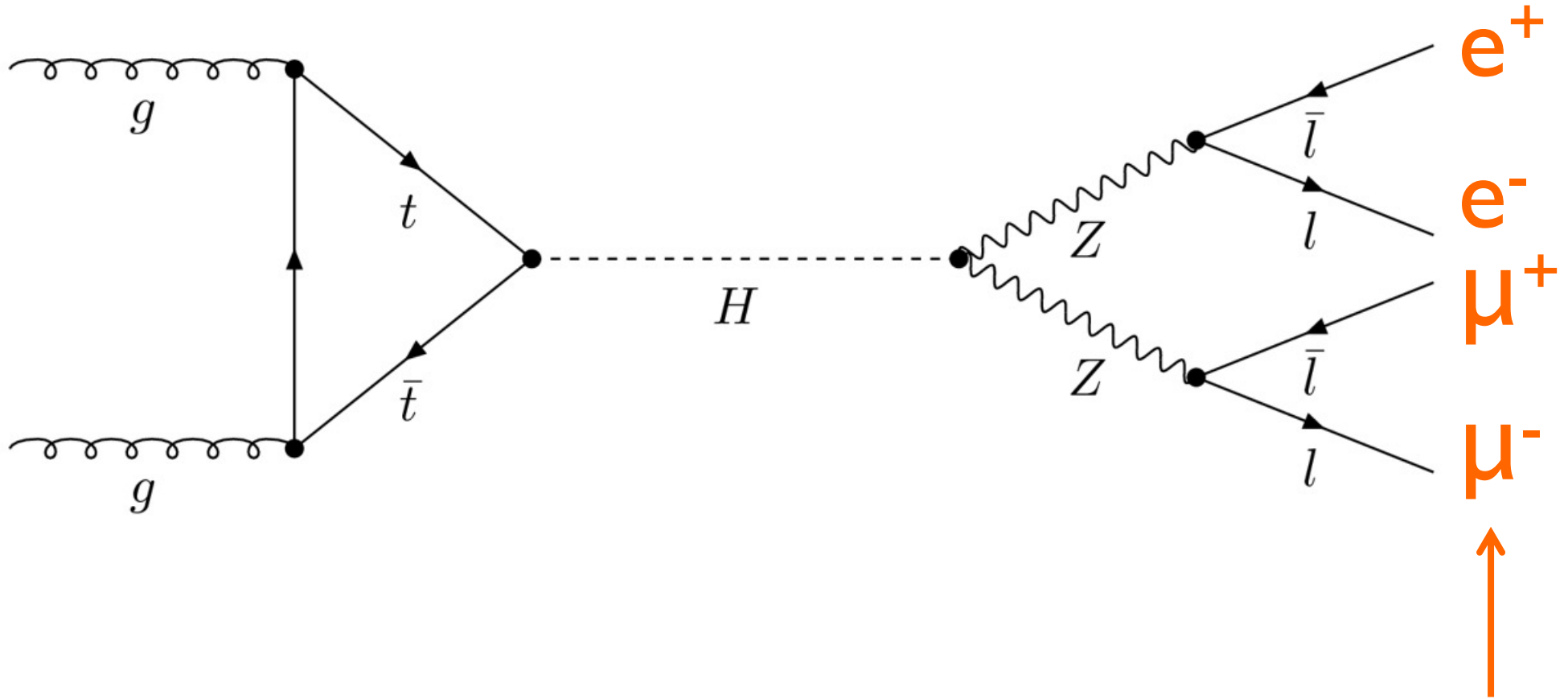
[ $m_H \sim 125 \text{ GeV}$ ]

0.2%  $H \rightarrow \gamma\gamma$

1.5%  $H \rightarrow ZZ$



# There is no Higgs-boson detector!

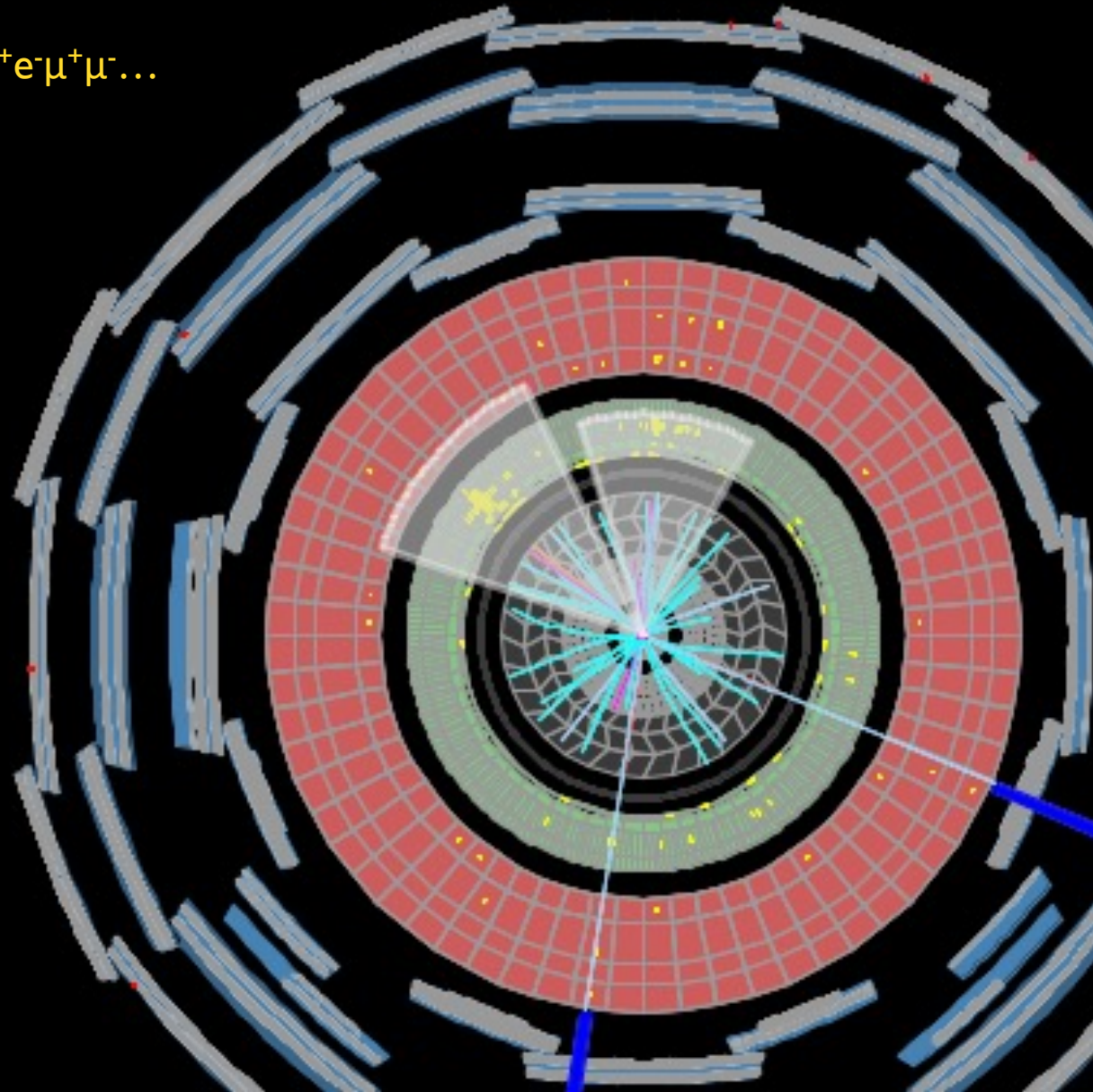


this is what we are looking for...

# Step 1: find events with the right ingredients

We are looking for  $e^+e^-\mu^+\mu^-$ ...

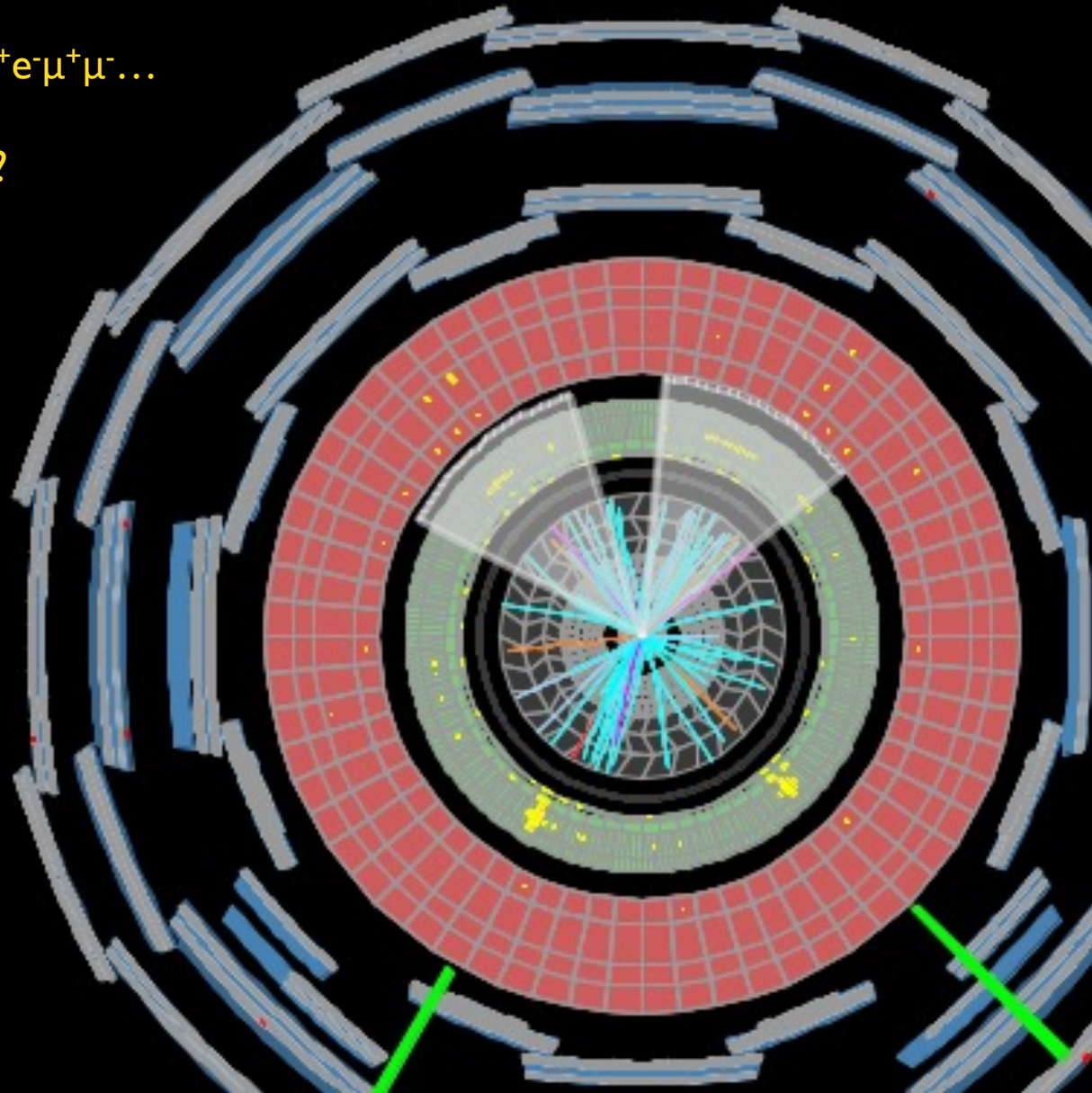
Is this event ok?



# Step 1: find events with the right ingredients

We are looking for  $e^+e^-\mu^+\mu^-$ ...

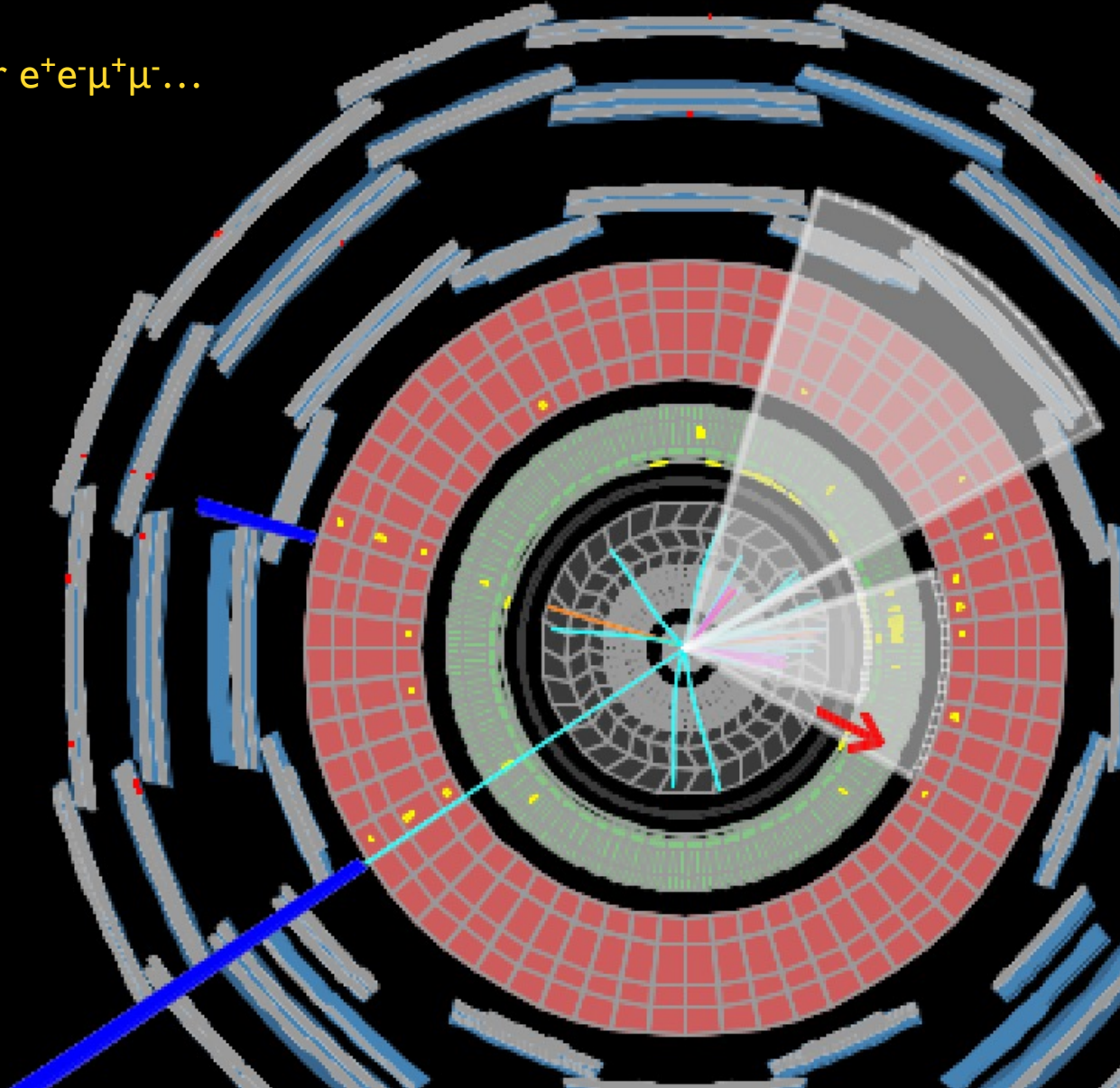
What about this one?



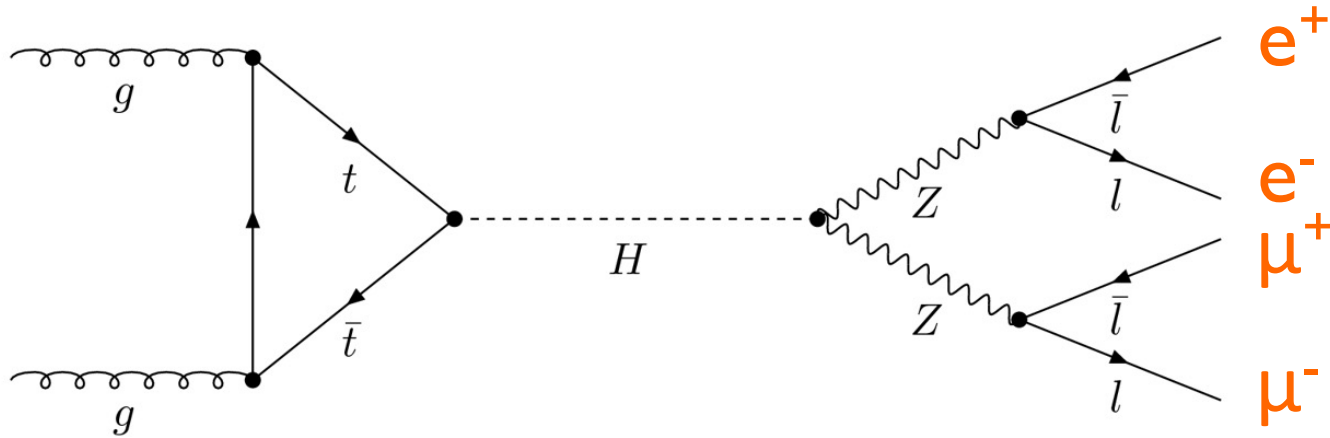
# Step 1: find events with the right ingredients

We are looking for  $e^+e^-\mu^+\mu^-$ ...

And this one?

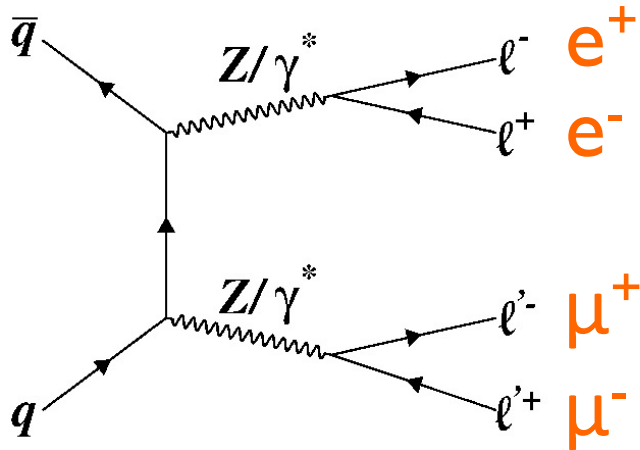


# Signal and background



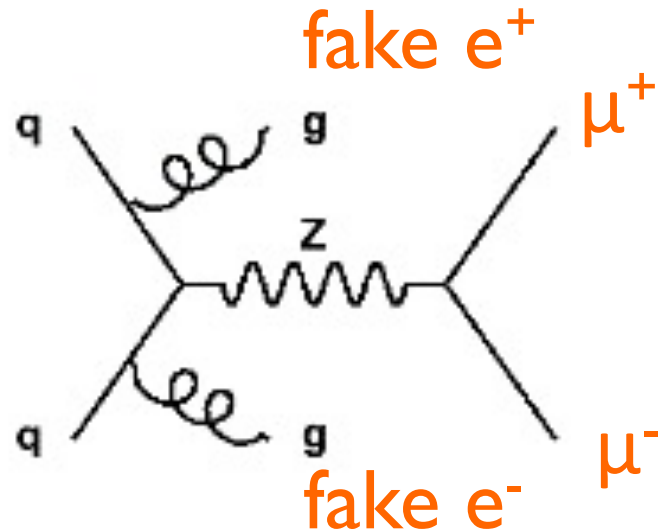
## Irreducible background

The final state is exactly the same, but it does not come from the particle you are looking for



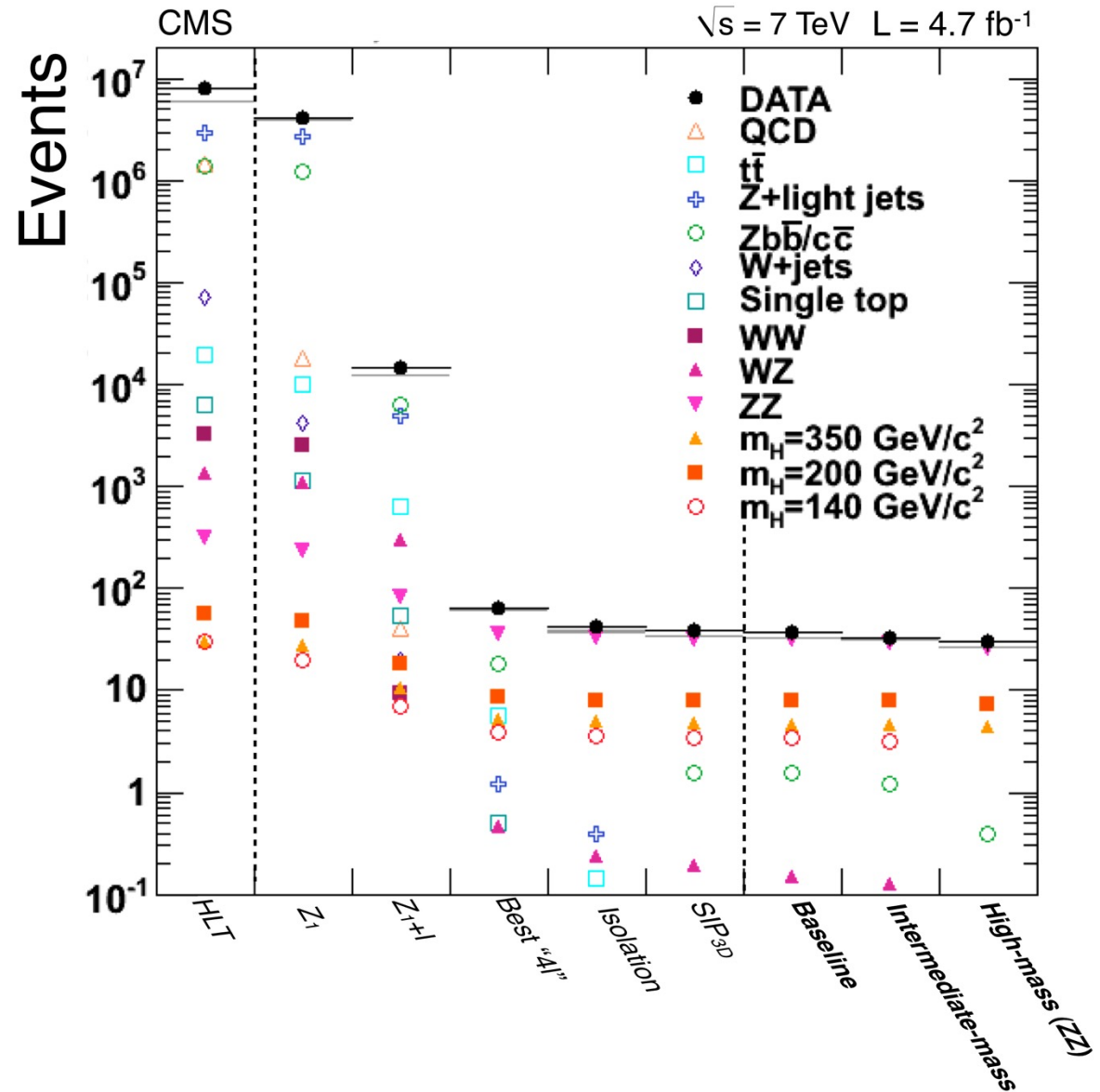
## Reducible background

The final state looks like the same, but some of the particles fake what you are looking for



# Selections

- Cut on particle properties to reduce reducible background
  - ✓ Shower shapes, track properties, ...
- Cut on event properties to distinguish signal from background
  - ✓ Particle kinematics, decay kinematics event shape, ...
- Try to keep signal while reducing background!
  - ✓ Increase S/B...



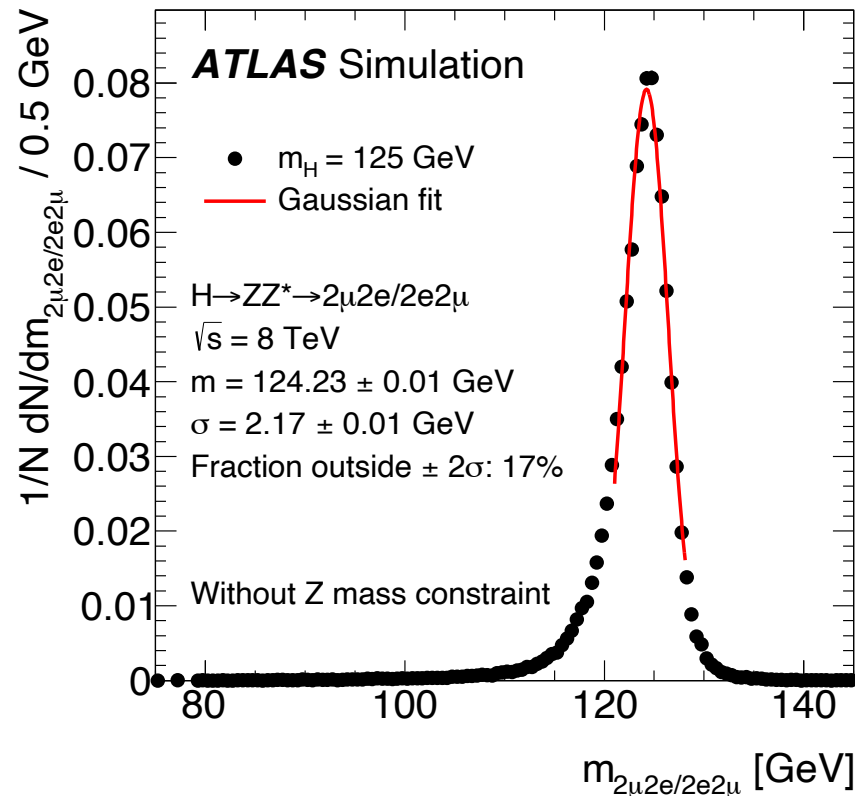


# Step 2: reconstruct properties of initial particle

- We have 4 particles...
  - ✓ ... with their energy (calorimeters), charge and momentum (tracker)

- Use pairs of opposite sign  $e^+e^-$  and  $\mu^+\mu^-$

- Reconstruct invariant mass from the 4 particles 
$$M = \sqrt{\left(\sum E_i\right)^2 - \left(\sum \vec{p}_i\right)^2}$$

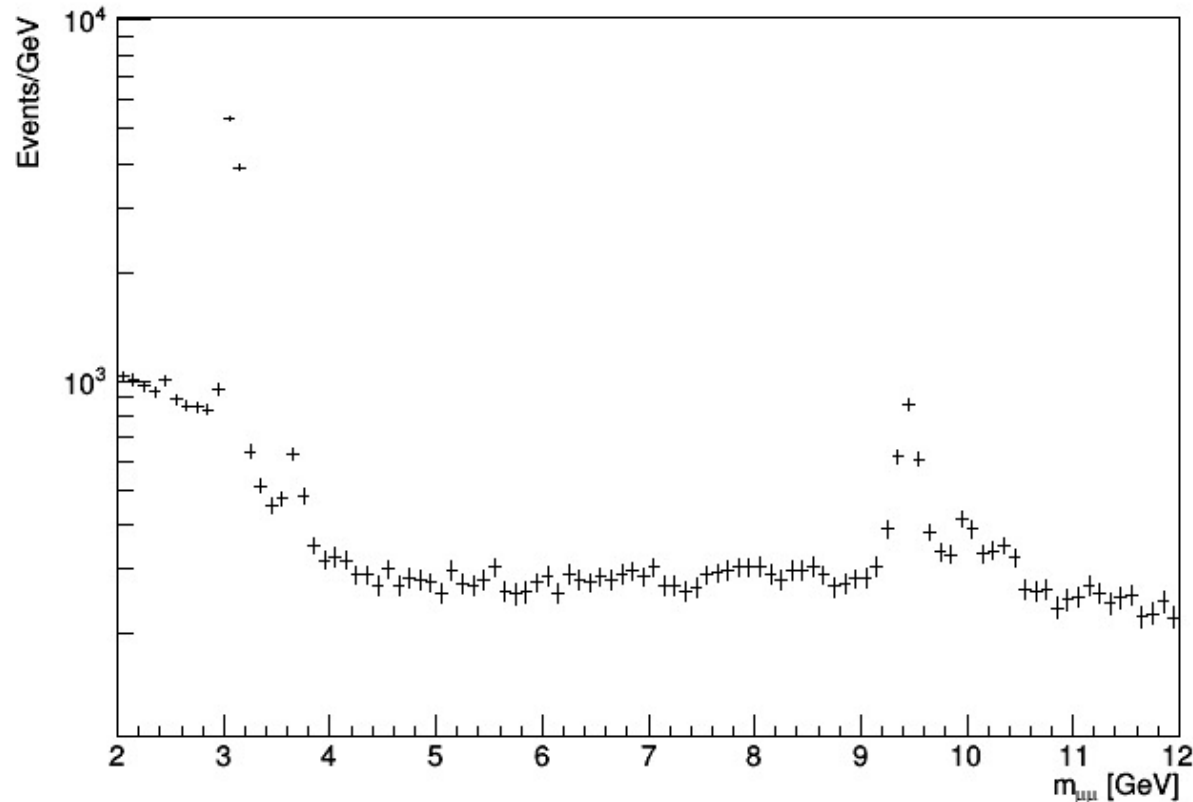


# Hands-on: dimuon invariant mass

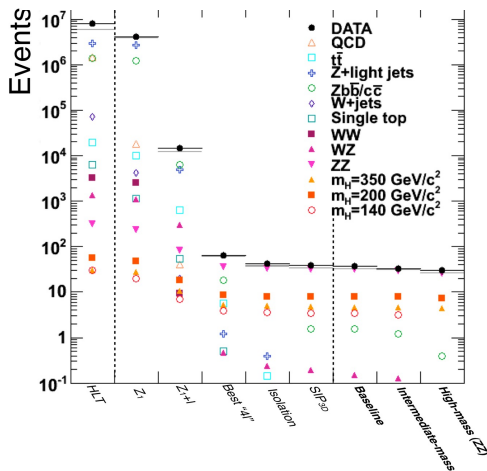
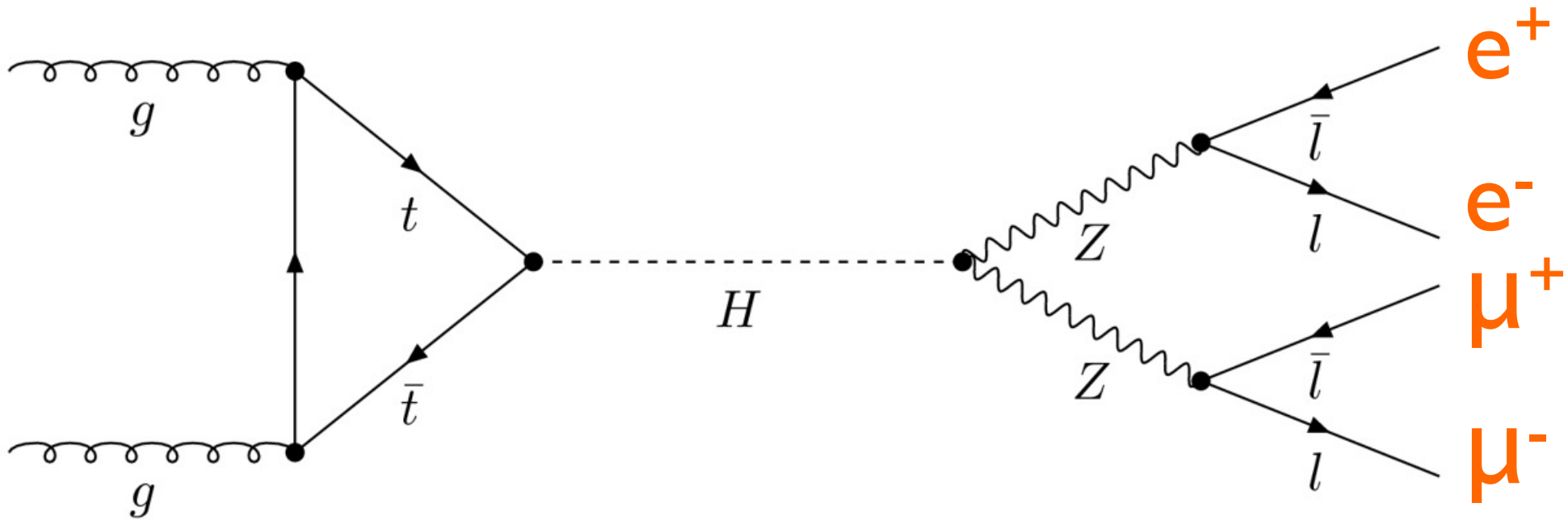


- Use real LHC data from the CMS experiment
- Select muon-antimuon pairs
- Compute and plot the di-muon invariant mass
- ...

CMS Opendata:  $\mu\mu$  mass

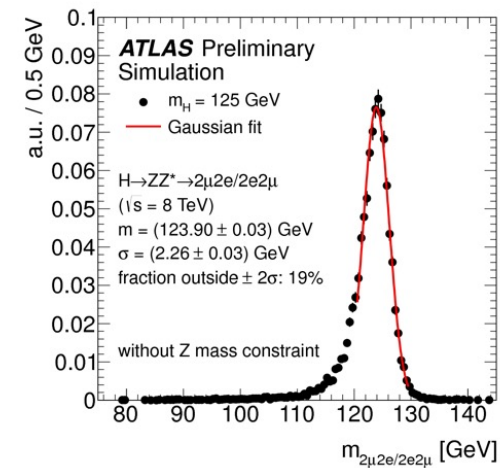


# Back to the Higgs search example...



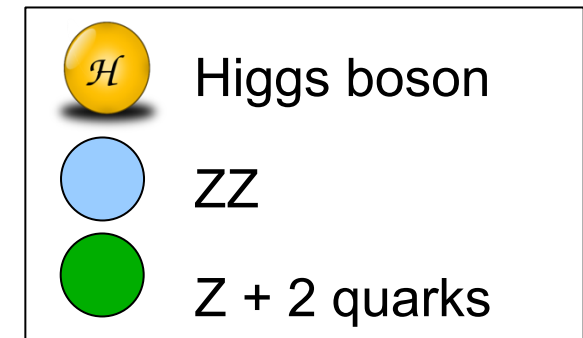
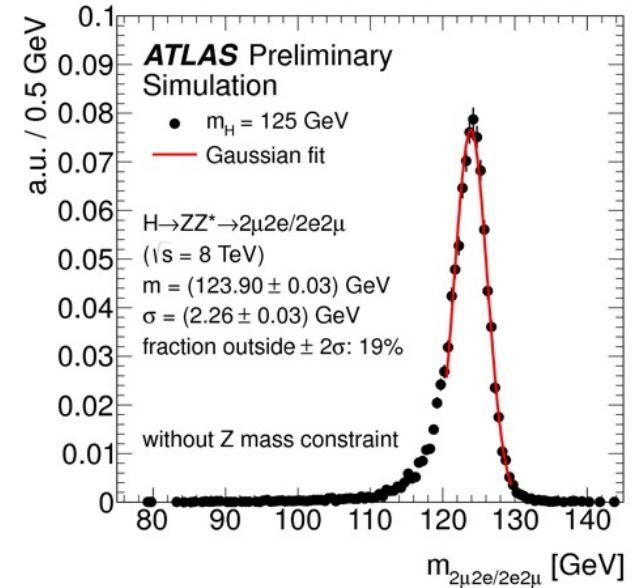
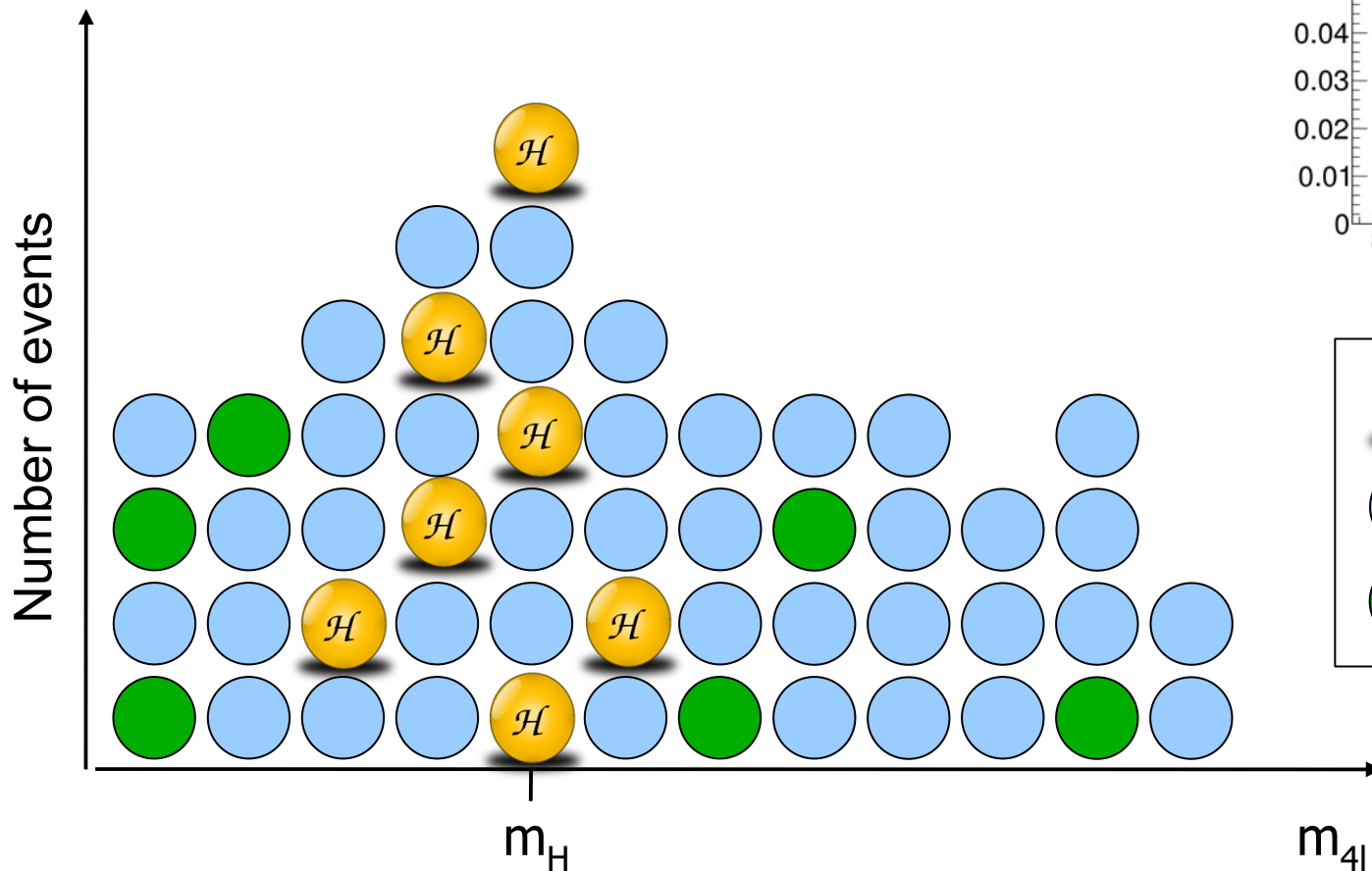
- What we (ideally) did:

- ✓ Select all events with a di-muon and a di-electron pairs, trying to reduce the contribution from (reducible) backgrounds
- ✓ Compute the  $e\bar{e}\mu\mu$  invariant mass and plot it...



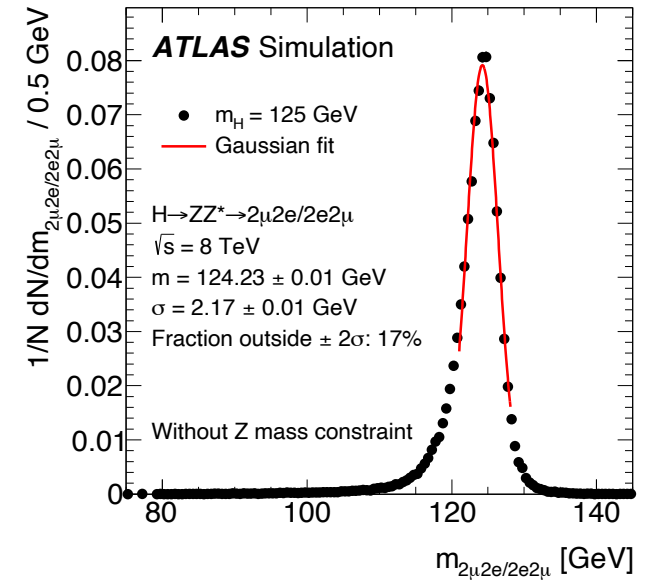
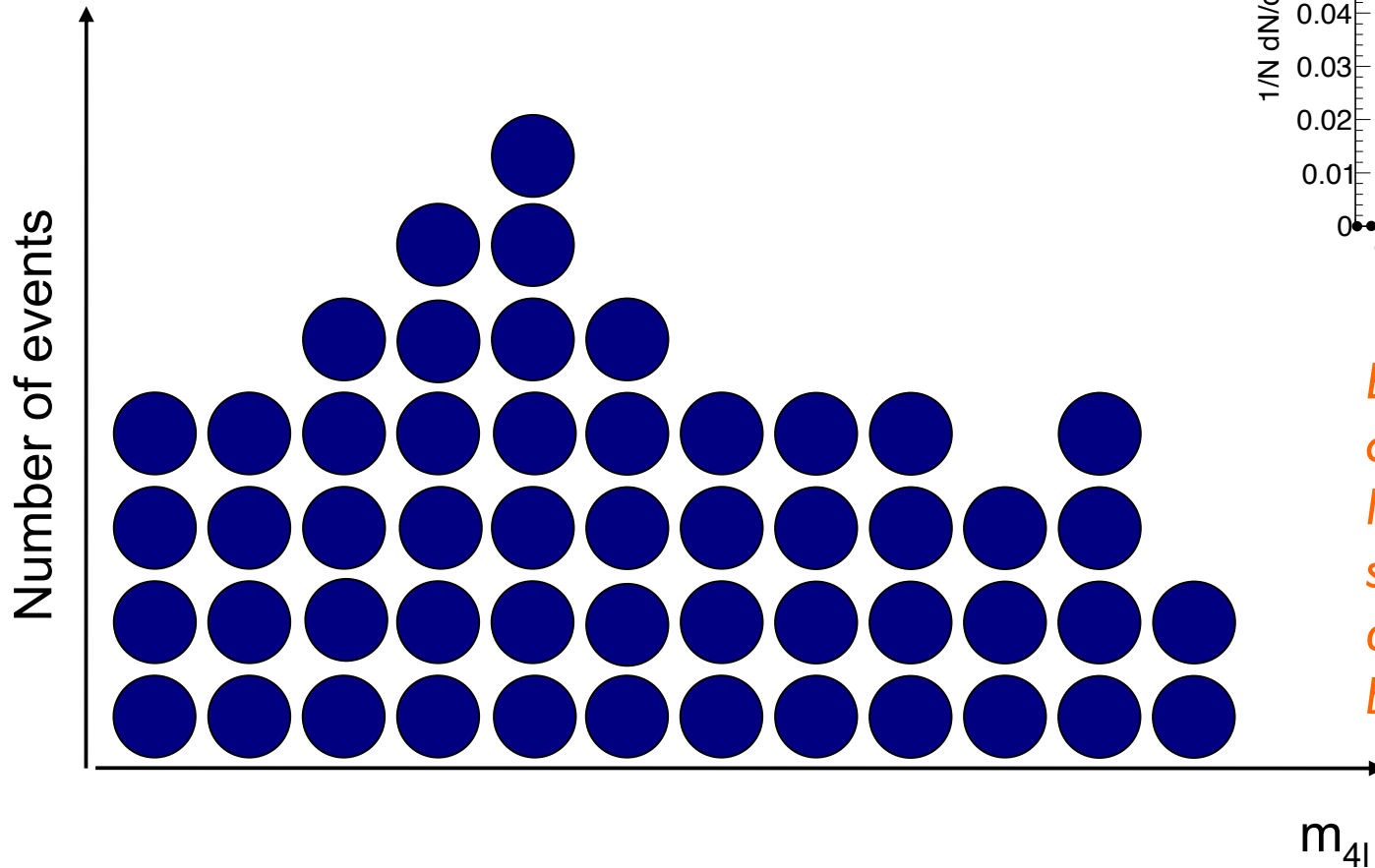
# Extract signal from background

$$M = \sqrt{\left(\sum E_i\right)^2 - \left(\sum \vec{p}_i\right)^2}$$



# Extract signal from background

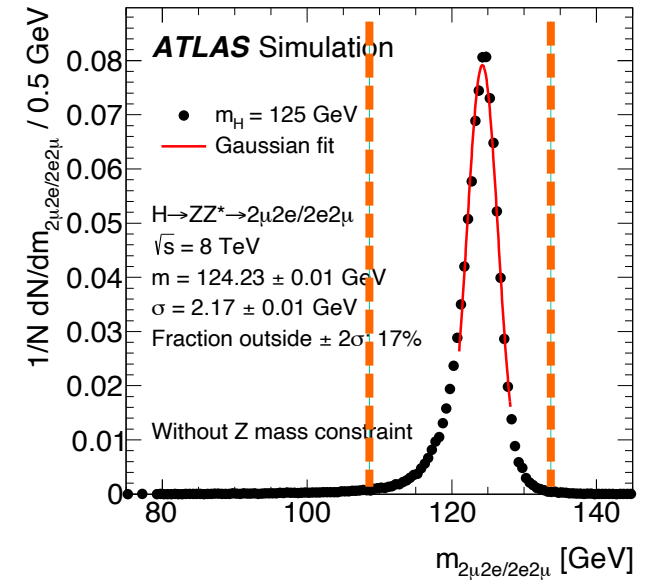
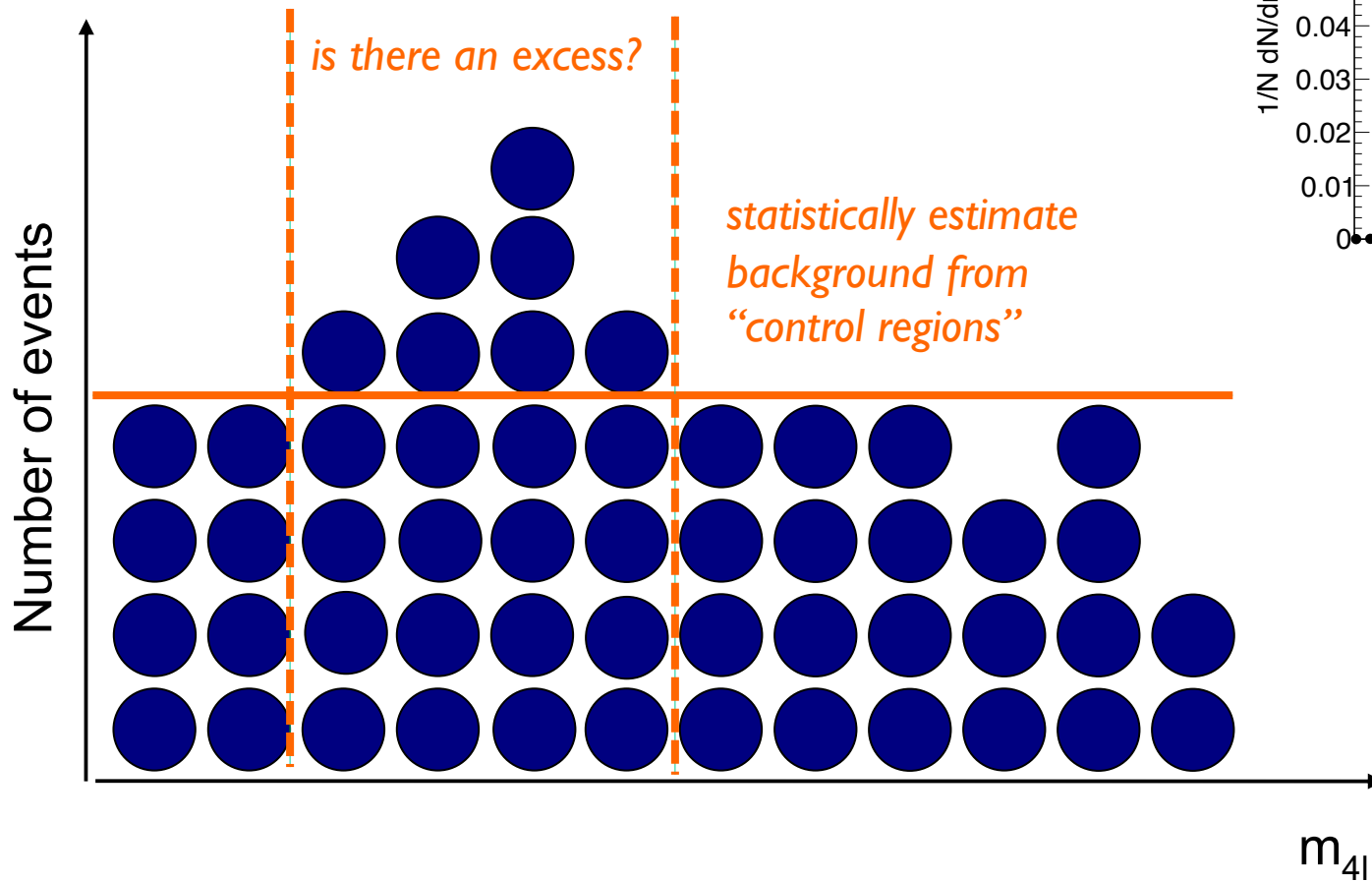
$$M = \sqrt{\left(\sum E_i\right)^2 - \left(\sum \vec{p}_i\right)^2}$$



*Events in real life do not come with a label!  
No way to distinguish signal from background on an event-by-event base...*

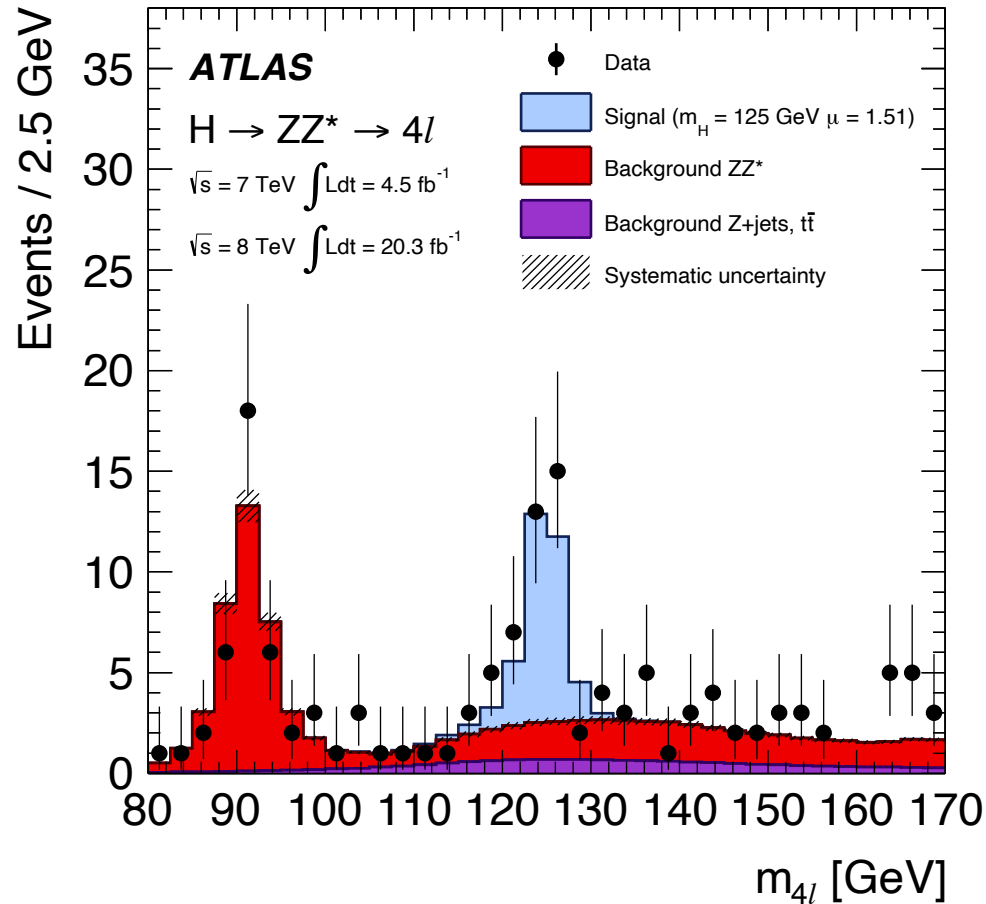
# Extract signal from background

$$M = \sqrt{\left(\sum E_i\right)^2 - \left(\sum \vec{p}_i\right)^2}$$



# Extract signal from background

- Background gets estimated...
  - ✓ ... from simulation (normalized to data)
  - ✓ ... directly from data (“control regions”, enriched in background events)



# How significant is an excess?

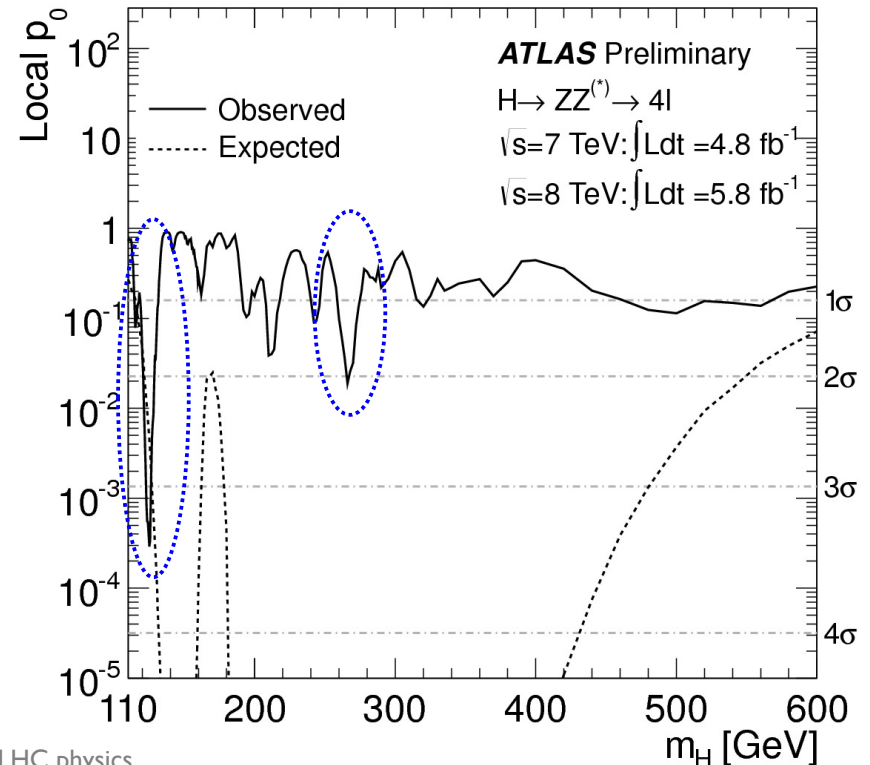
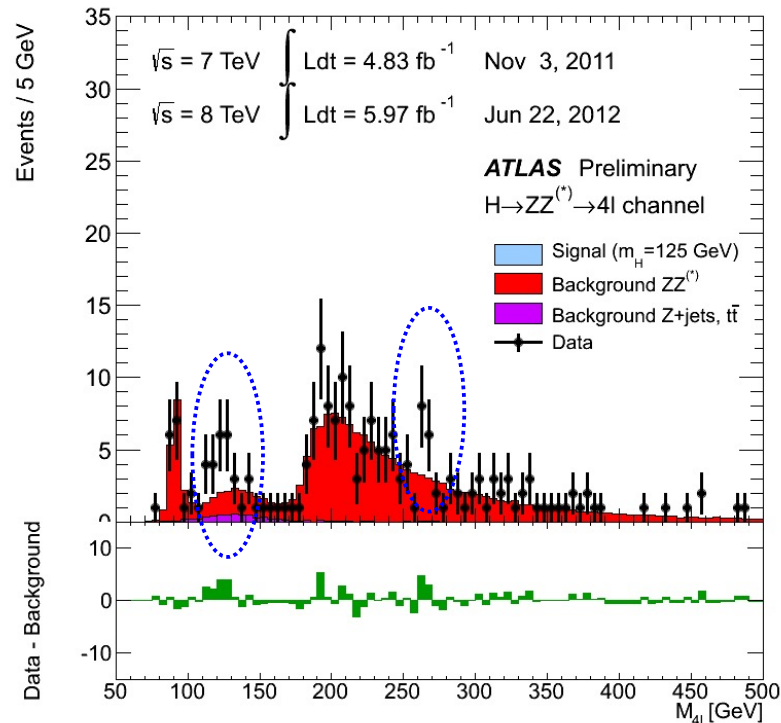
- $p_0$ : probability that the excess is due to a fluctuation of background

- Significance: 
$$Z \sim \frac{S}{\sqrt{B}} \quad p_0 = 1 - \text{Erf} \left( \frac{Z}{\sqrt{2}} \right)$$

- Convention:

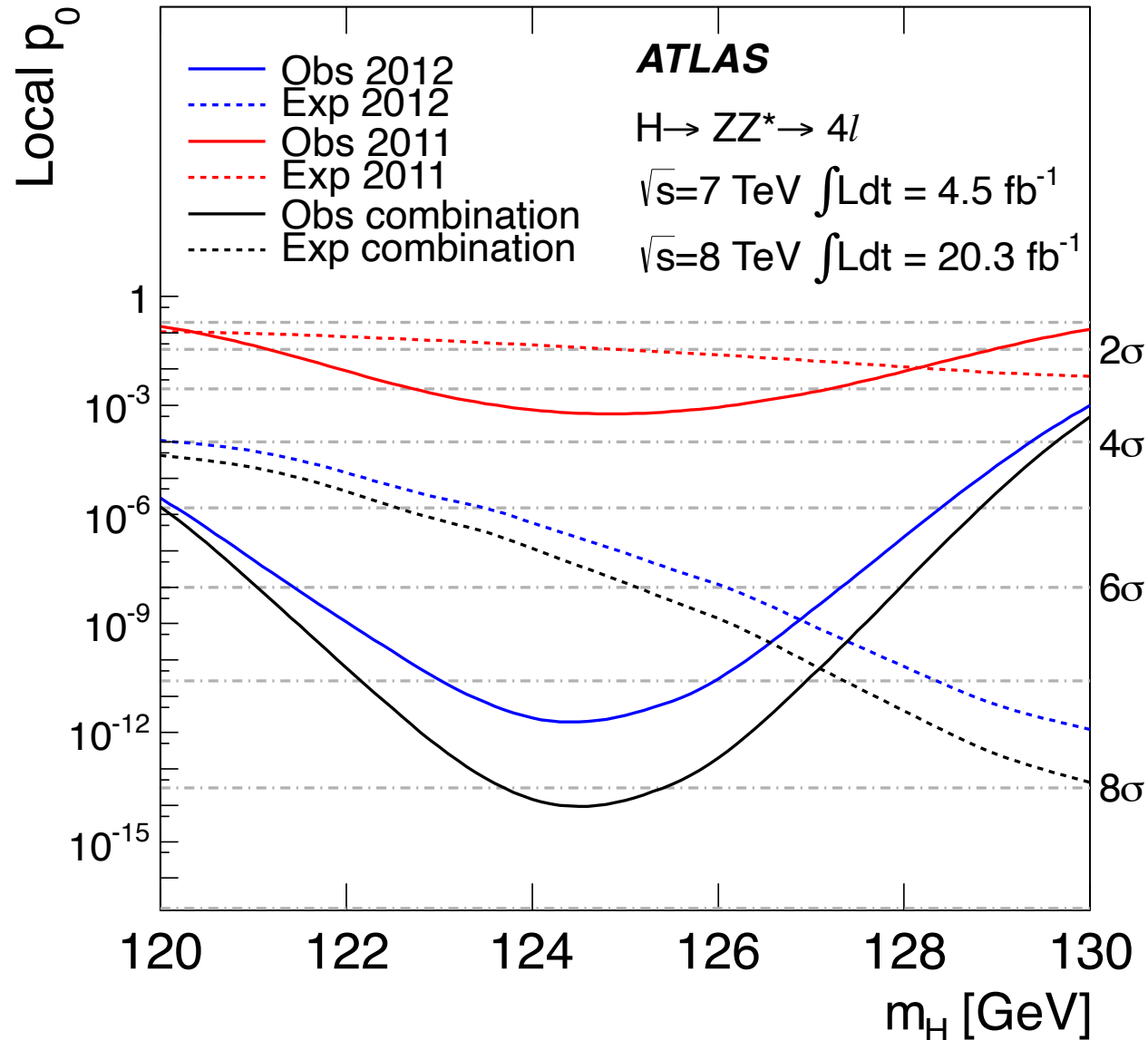
- $3\sigma$  is an **evidence** ( $p_0 = 0.27\%$ )
- $5\sigma$  is a **discovery** ( $p_0 = 5.7 \cdot 10^{-7}$ )

$\text{Erf} = \text{Error function}$

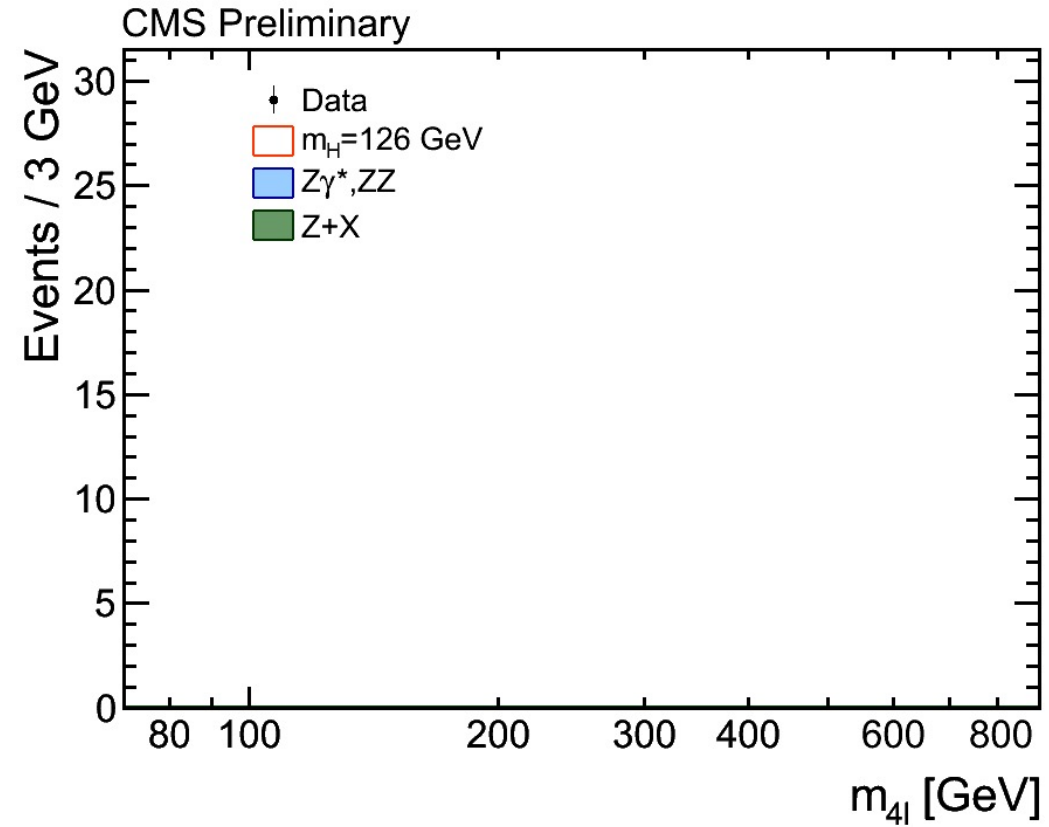
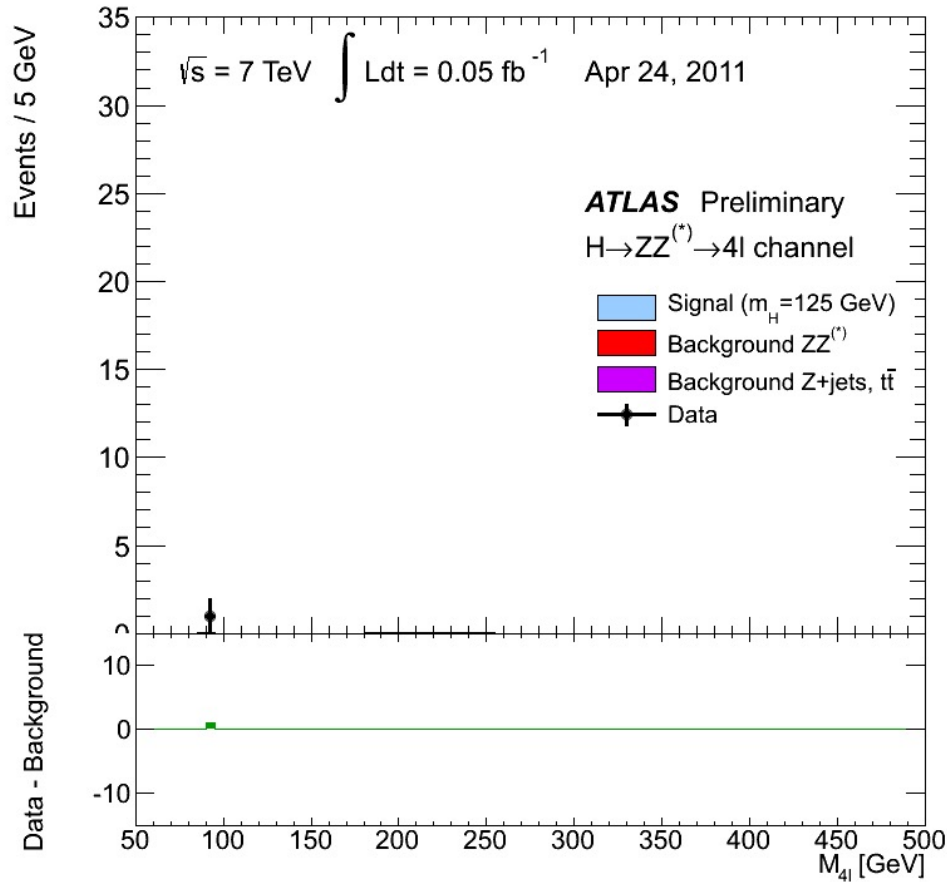




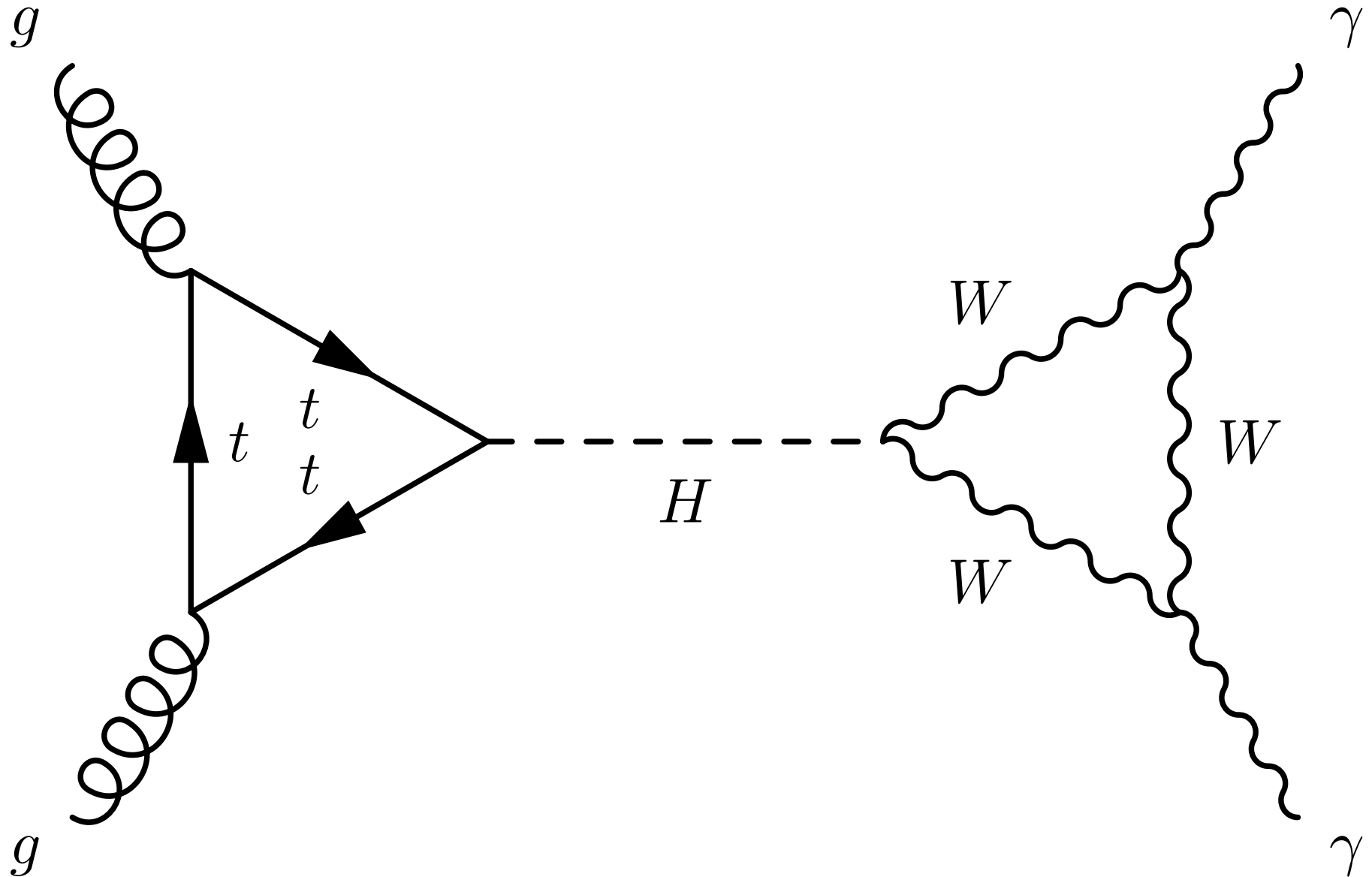
# How significant is an excess?



# Significance increases with data (and time!)

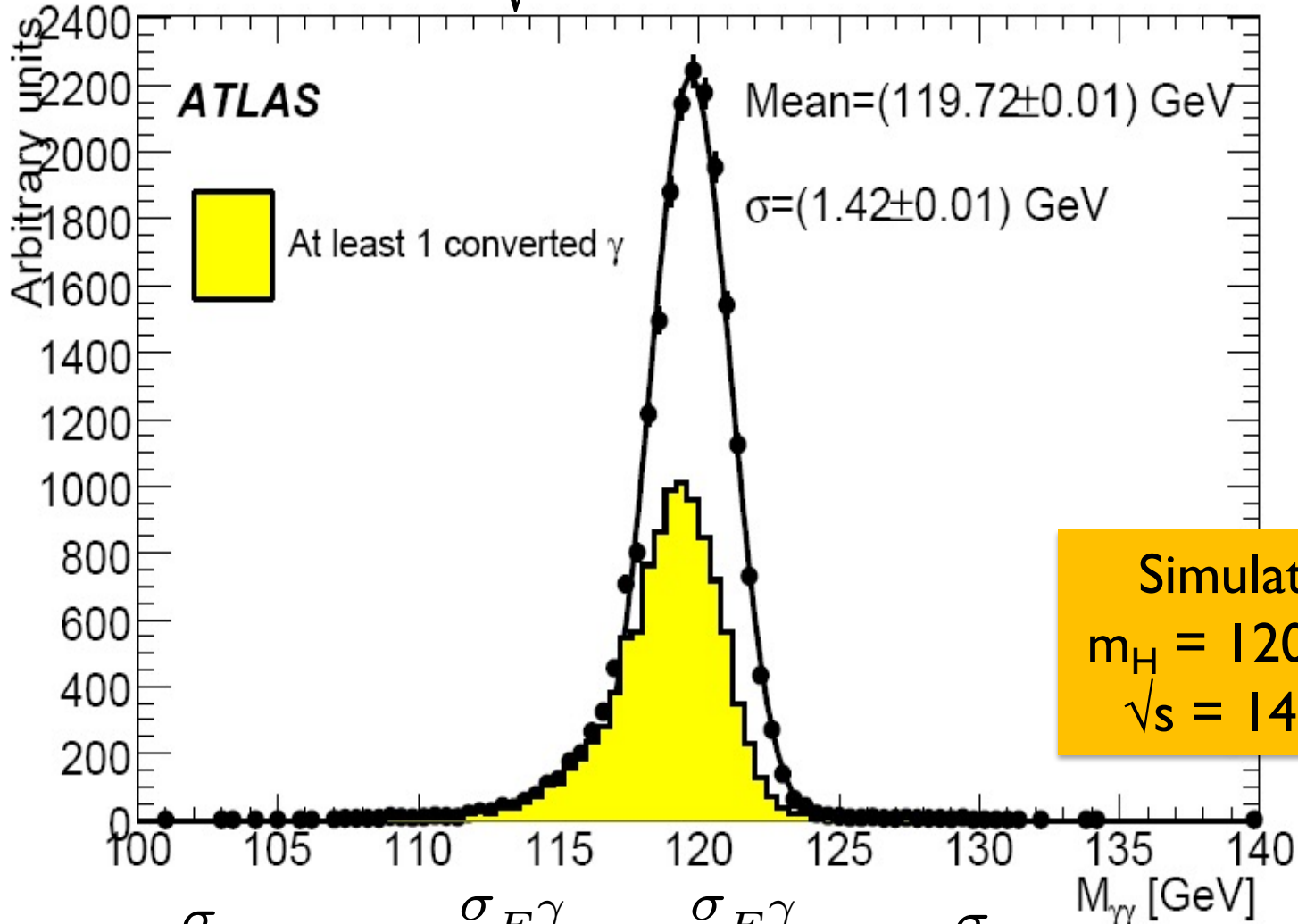


# Another Higgs search example: $H \rightarrow \gamma\gamma$



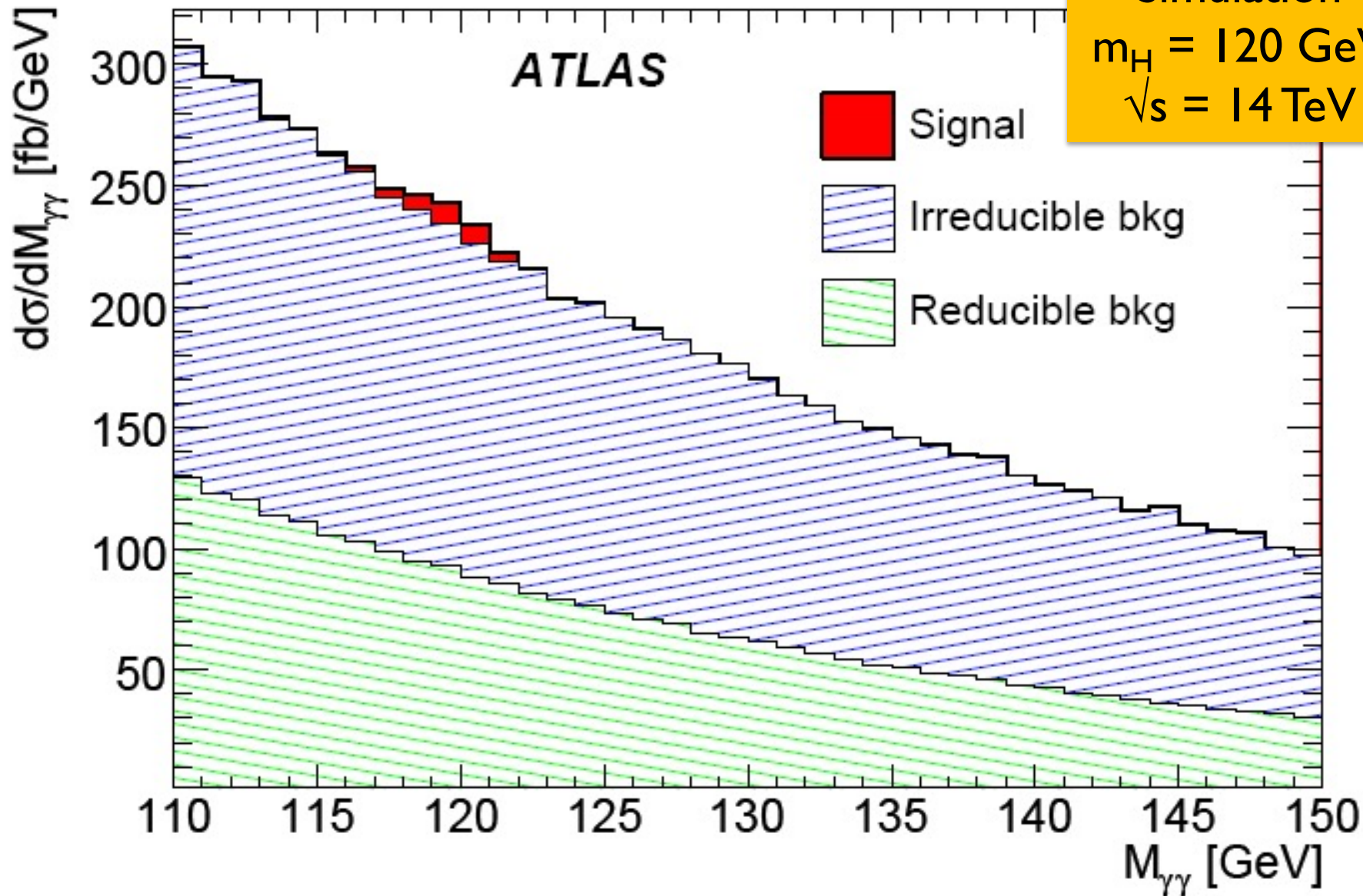
# A narrow mass peak...

$$m_{\gamma\gamma} = \sqrt{2E_1^\gamma E_2^\gamma (1 - \cos \alpha_{12})}$$

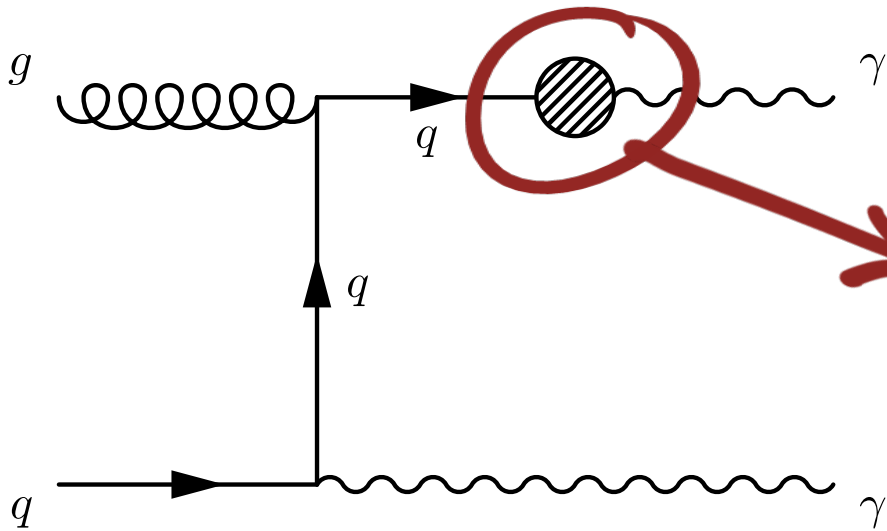
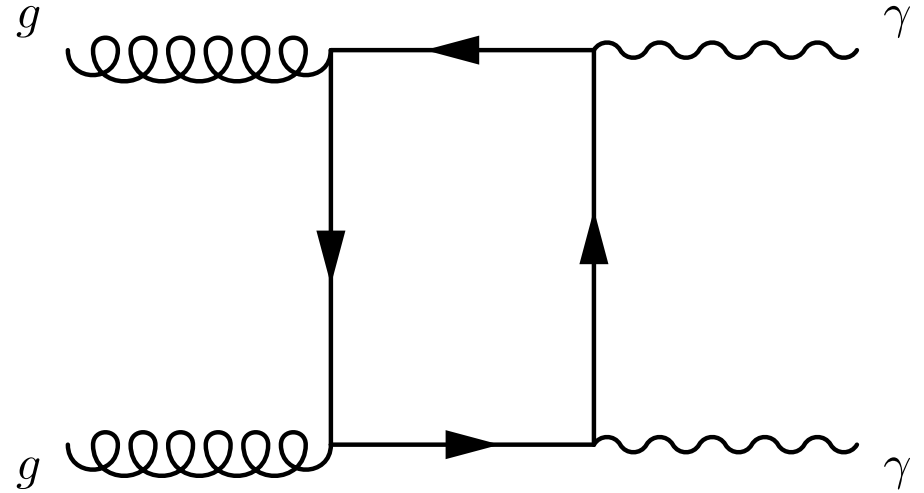
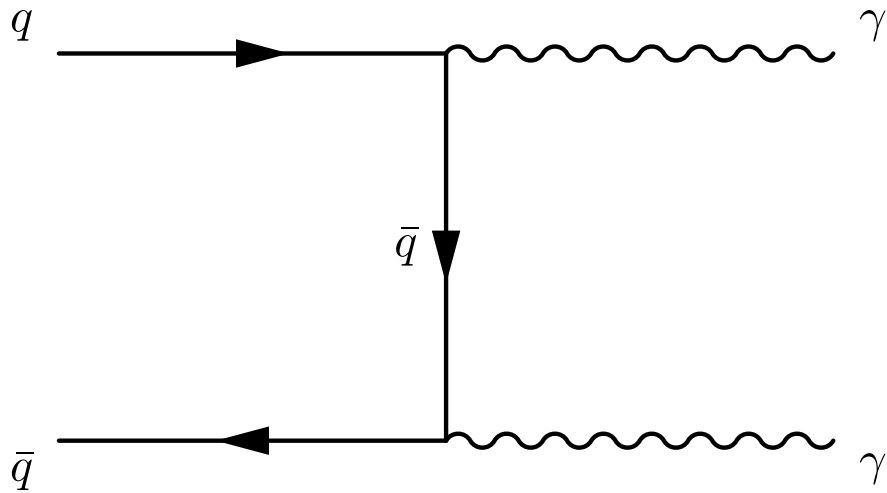


$$\frac{\sigma_{m_{\gamma\gamma}}}{m_{\gamma\gamma}} = \frac{\sigma_{E_1^\gamma}}{E_1^\gamma} \oplus \frac{\sigma_{E_2^\gamma}}{E_2^\gamma} \oplus \frac{\sigma_{\alpha_{12}}}{\tan \alpha_{12}}$$

... on a large background!

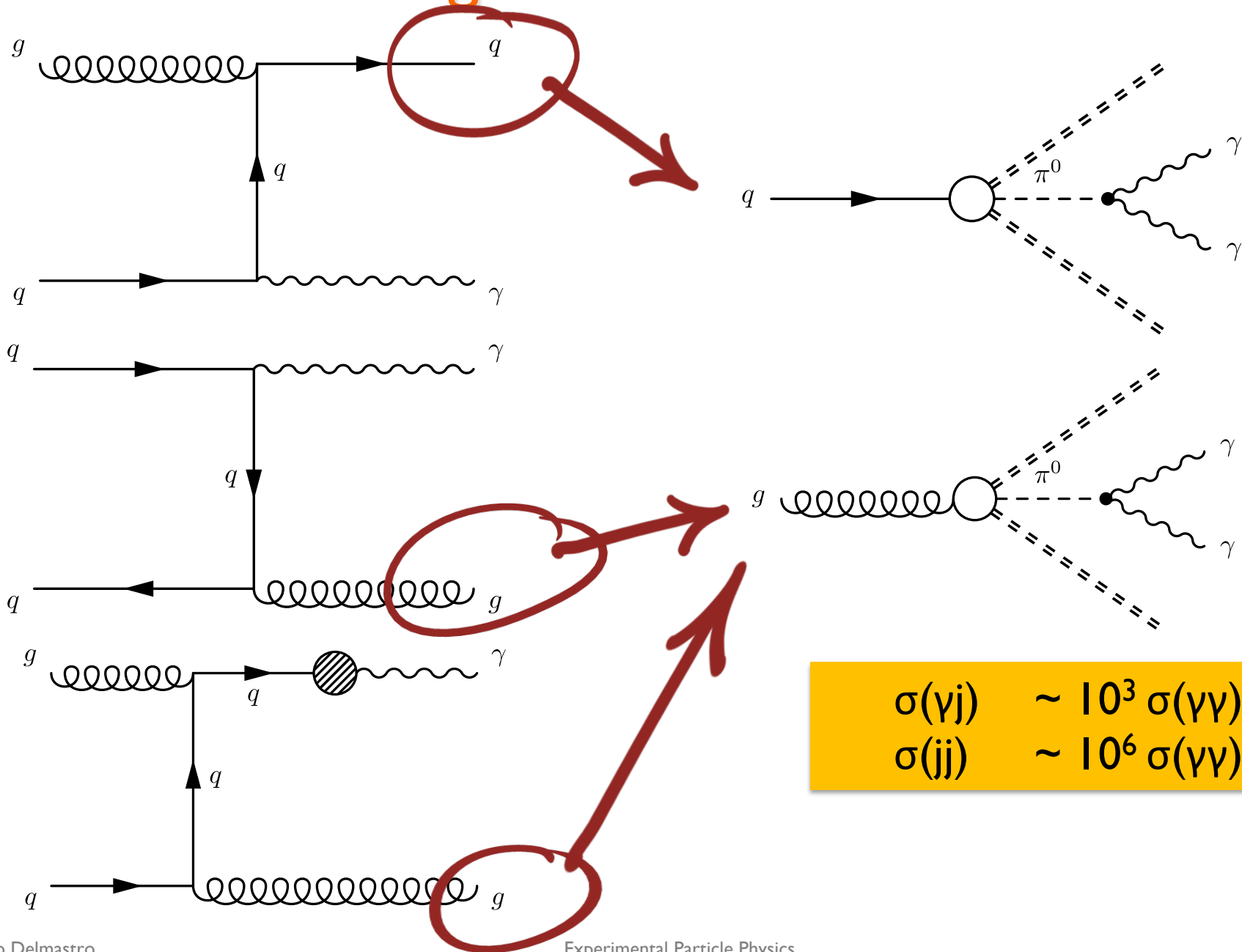


# “Irreducible” background



parton fragmentation

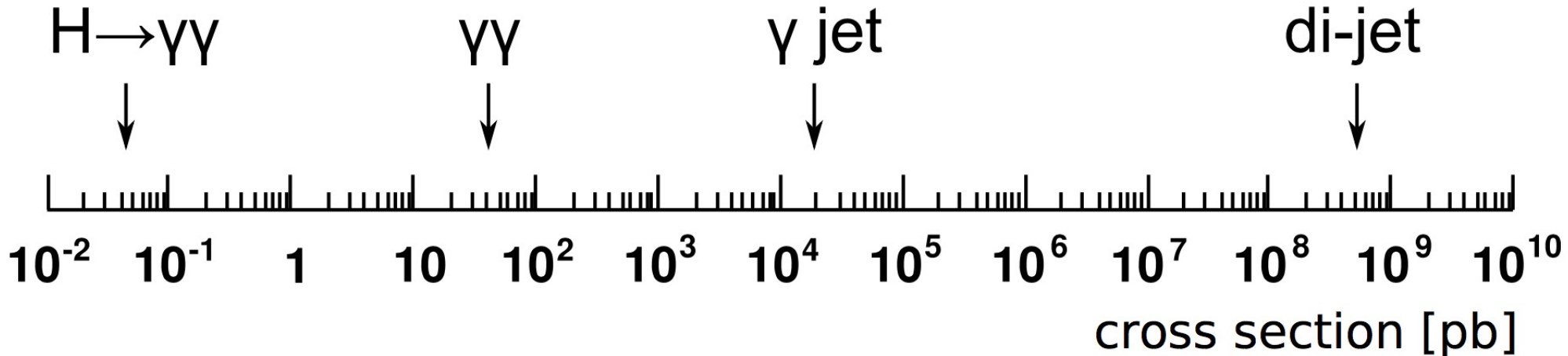
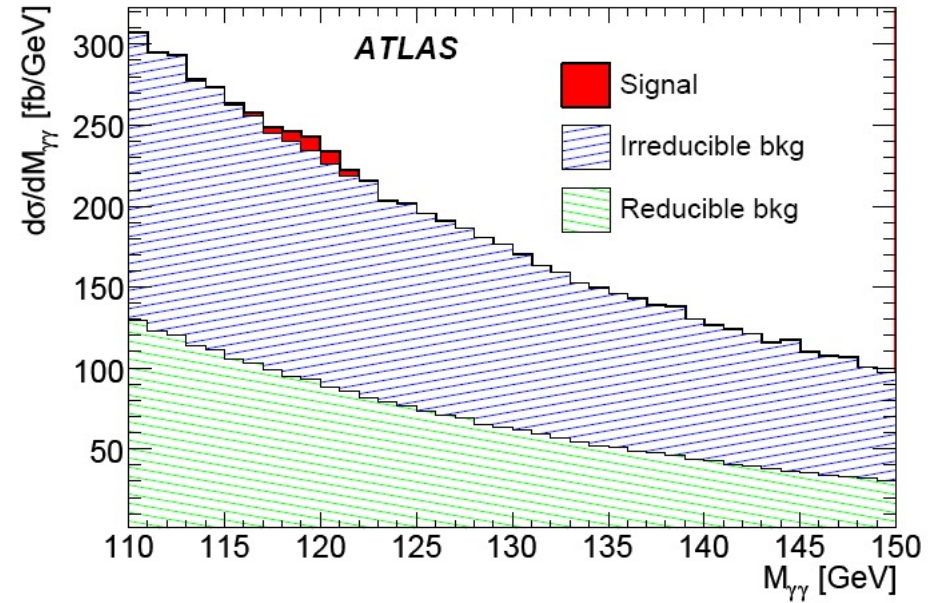
# “Reducible” background



$$\begin{aligned} \sigma(\gamma j) &\sim 10^3 \sigma(\gamma\gamma) \\ \sigma(jj) &\sim 10^6 \sigma(\gamma\gamma) \end{aligned}$$

# Signal vs. background

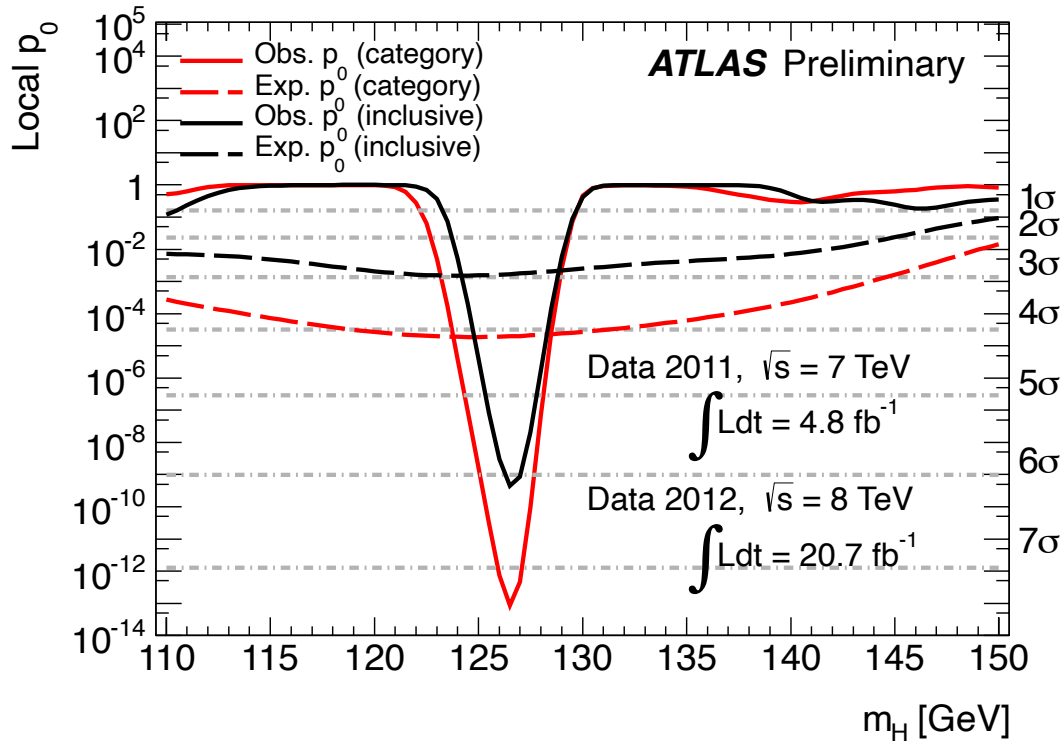
- small branching ratio ( $\sim 10^{-3}$ )
- huge background
  - ✓  $\gamma\gamma$ ,  $\gamma j$ ,  $jj$ , Drell-Yan
- S/B  $\sim 3\%$





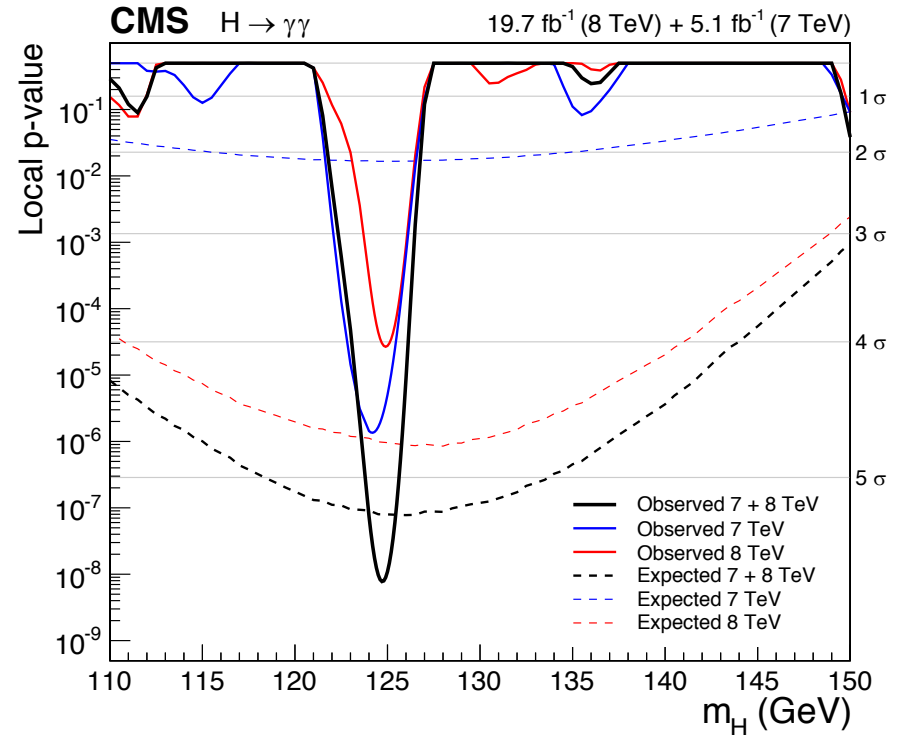
# H → γγ significance

ATLAS



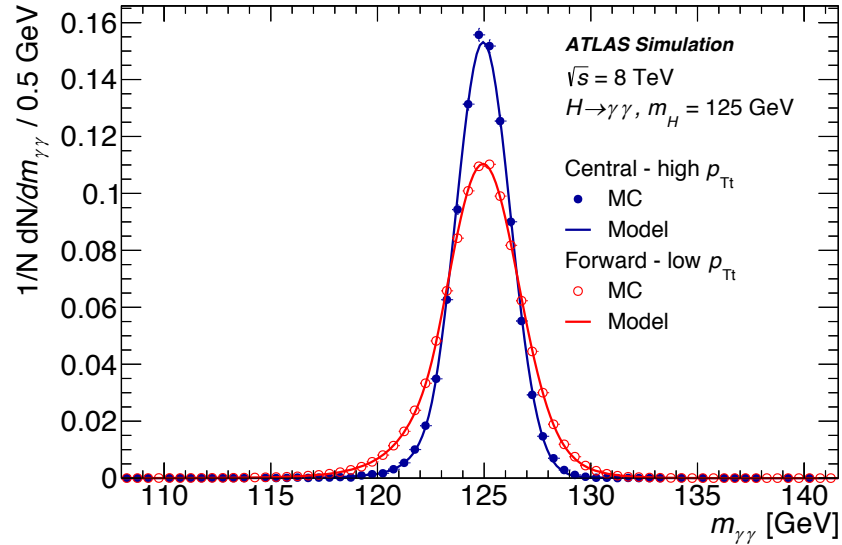
[ATLAS-CONF-2013-012](#)

CMS



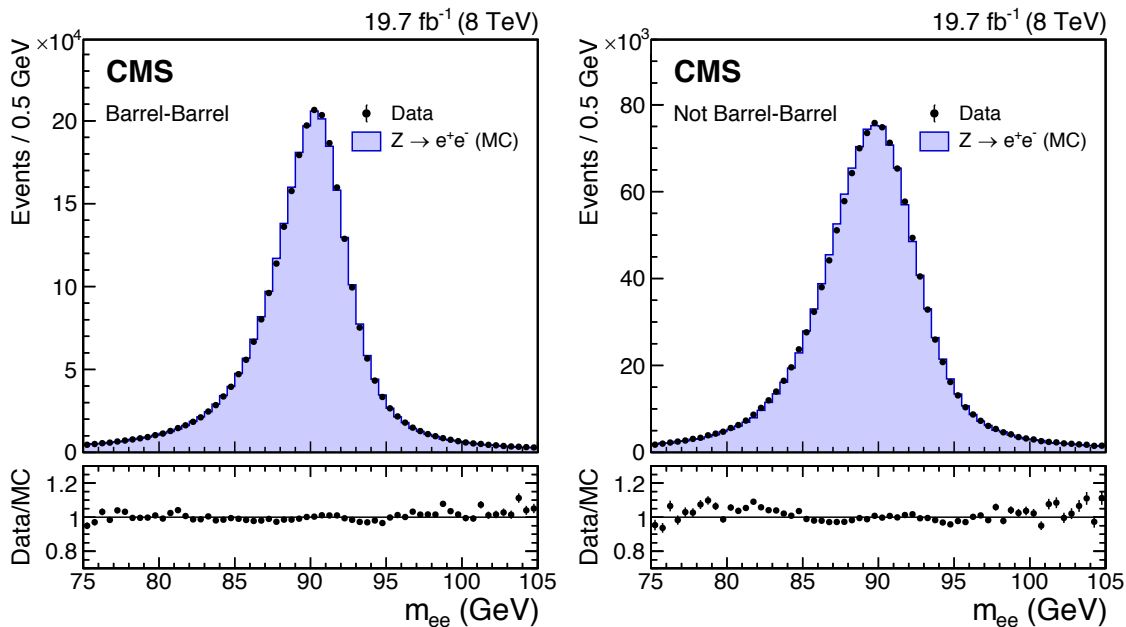
[Eur. Phys. J. C 74 \(2014\) 3076](#)

# $H \rightarrow \gamma\gamma$ invariant mass resolution



ATLAS

[Phys. Rev. D. 90, 112015 \(2014\)](#)

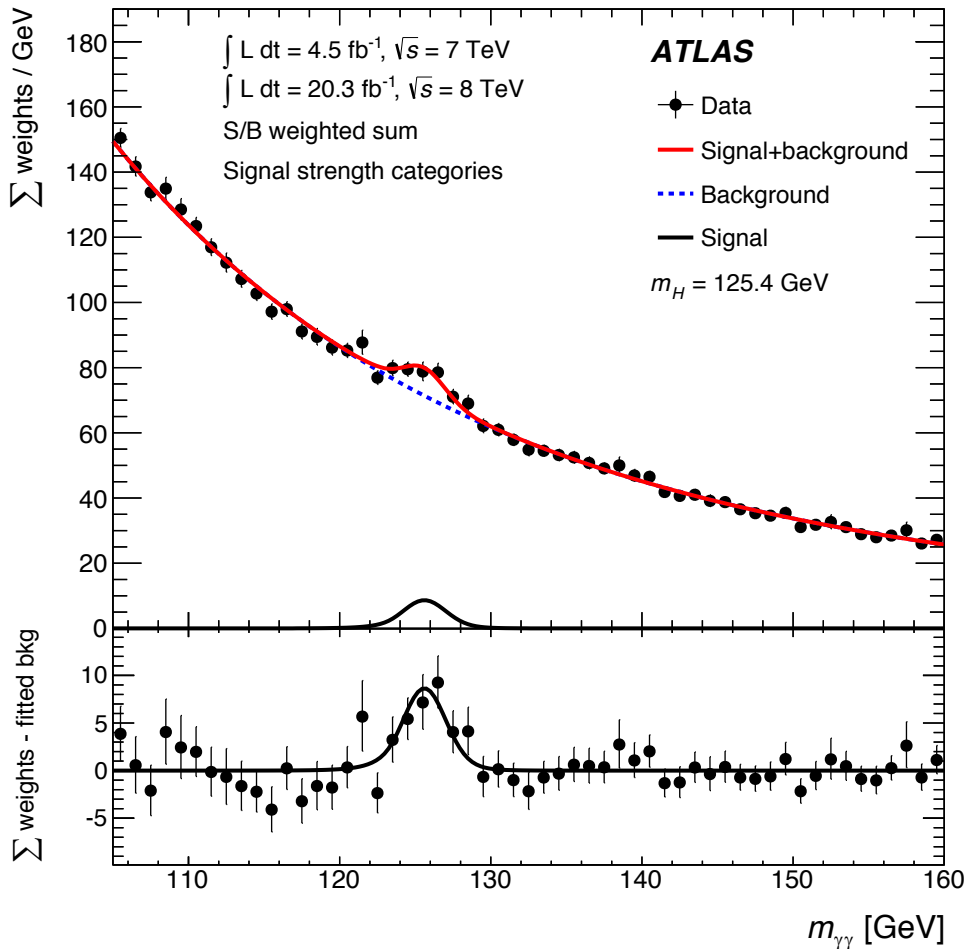


CMS

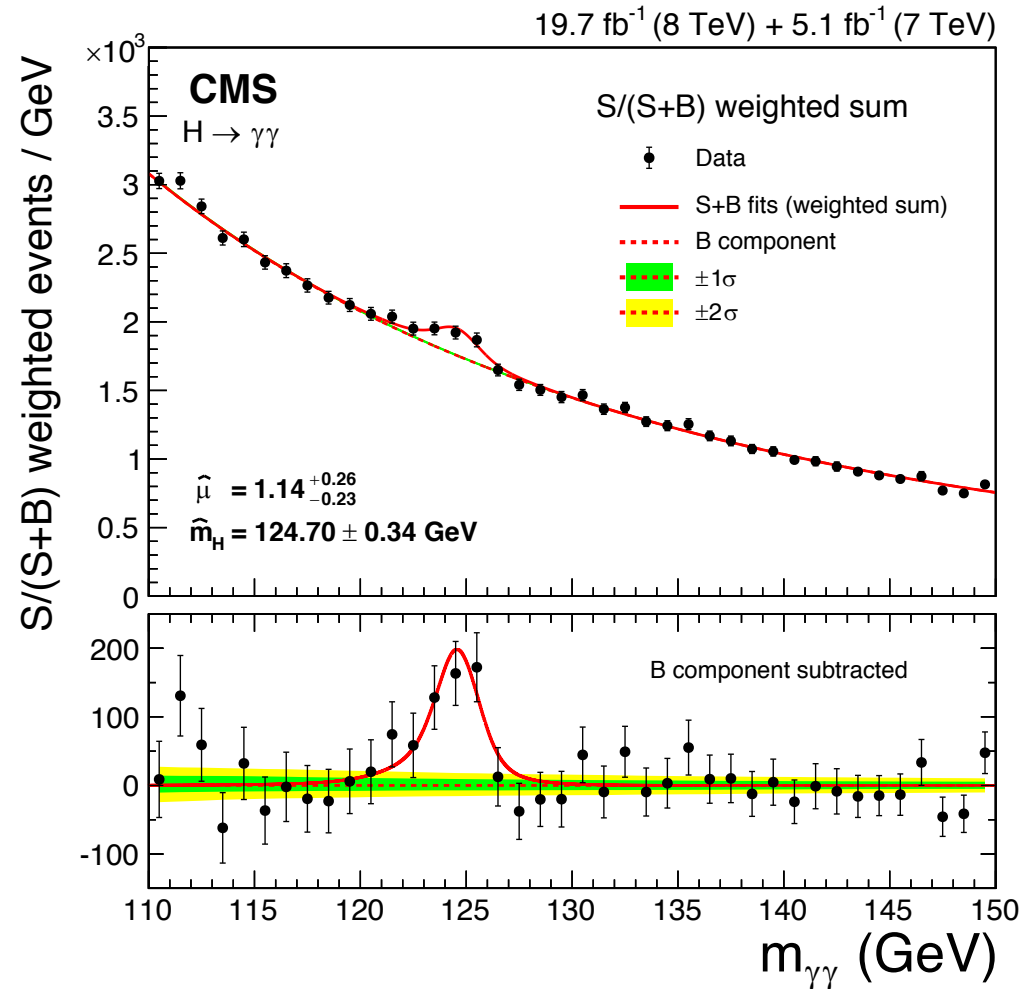
[Eur. Phys. J. C 74 \(2014\) 3076](#)

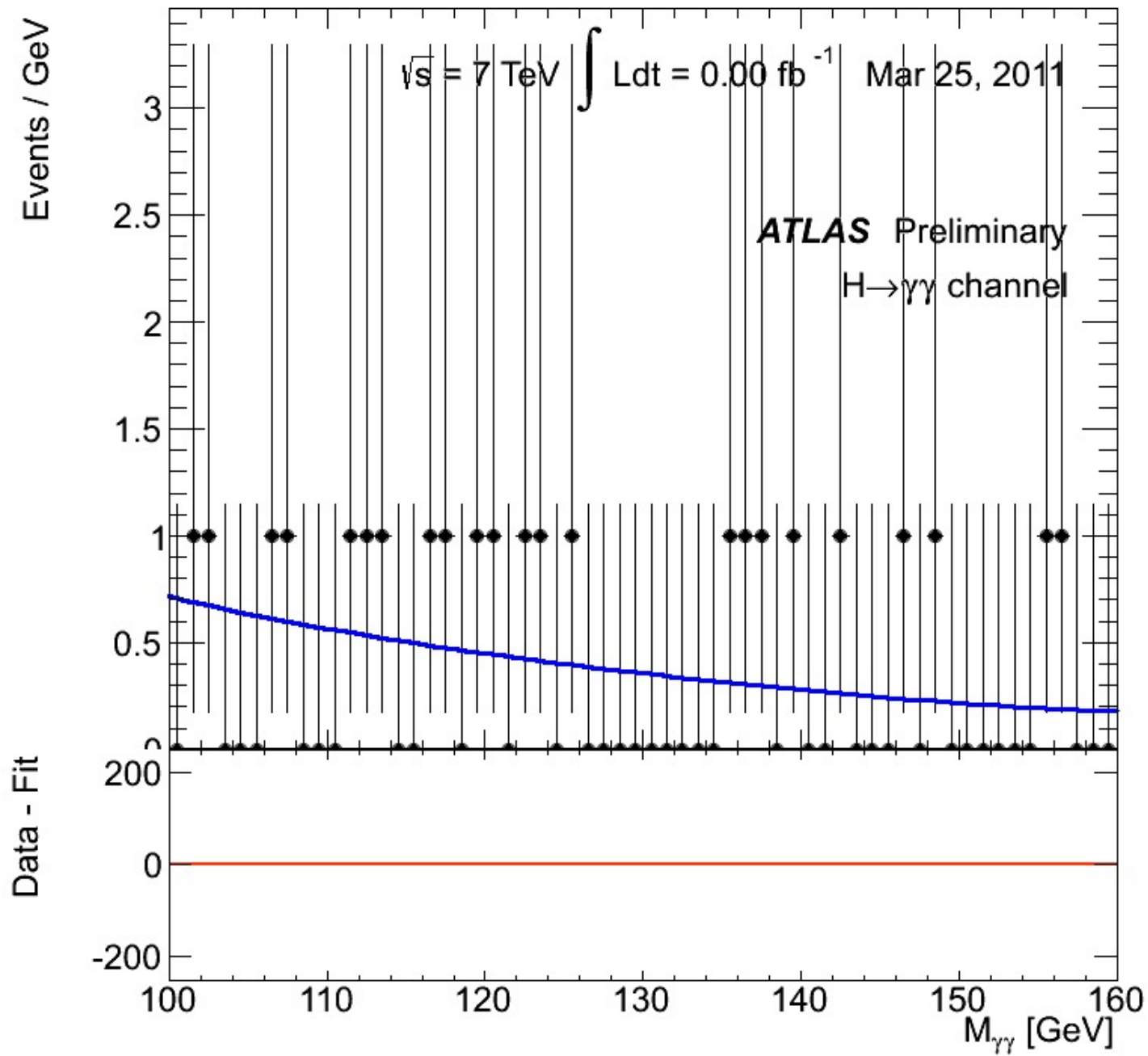
# H → $\gamma\gamma$ (weighted) mass spectra

ATLAS



CMS





# Hands-on: $H \rightarrow \gamma\gamma$ significance



- Use “toy”  $H \rightarrow \gamma\gamma$  mass spectra
- Estimate signal significance vs. luminosity (statistics) and invariant mass resolution

