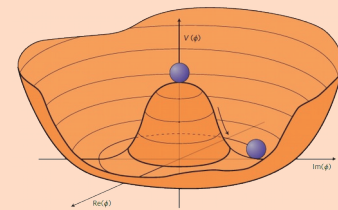
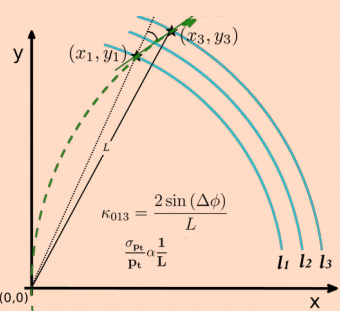


A Triplet Track Trigger for FCC-hh & its impact on measuring the Higgs self-coupling

image: Higgs



$$V(\phi) = \mu^2 \phi^\dagger \phi + \lambda (\phi^\dagger \phi)^2$$



Tamasi Kar, André Schöning

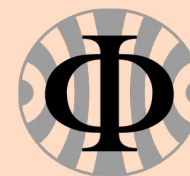
Physikalisches Institut, Universität Heidelberg

5th FCC Physics Workshop, Online

07. – 11.02.2022

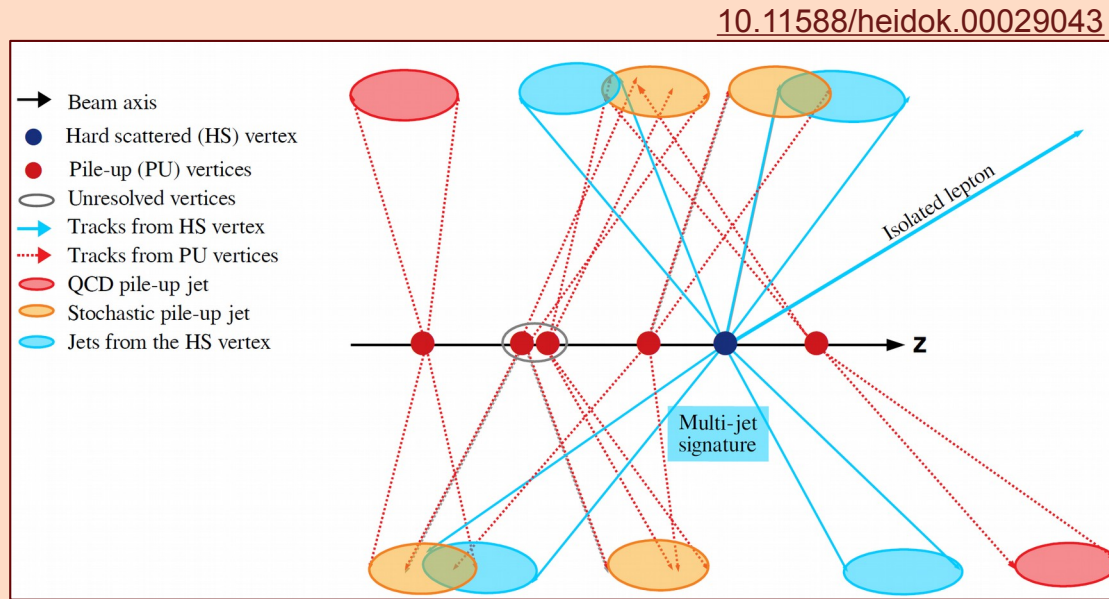


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Pile-up: one of the main challenges at FCC-hh

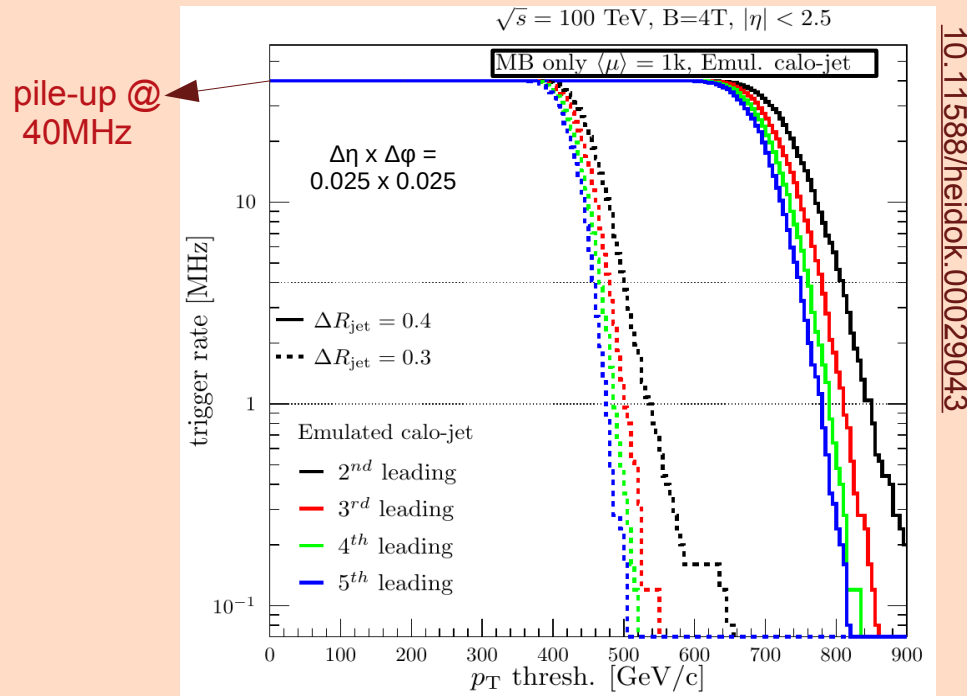
- **Pile-up**: number of simultaneous p-p collisions in a single bunch crossing, $\mu \propto L \cdot \sigma$
($L \sim 30 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$, $\sqrt{s} = 100 \text{ TeV}$, $\langle \mu \rangle \sim 1000$)
- Pile-up influences the reconstructed objects and kinematics of the **Hard Scattering collision**



- Limited bandwidth, very high detector occupancies, latency requirements, etc.
→ **Pile-up suppression!!**

Triggers at high rate collider experiments

- ◆ Calorimeter triggers → **energy** distribution and rough **particle id**
(**1st trigger level**: fast object reconstruction in **hardware** to select events of interest)



Unfortunately, enormous amount of **pile-up** forces to **set trigger thresholds** of calo-based triggers significantly **high** to meet the technical and computational limitations

- ◆ More information from **tracking detectors (precise vertex)** or picosecond timing detectors (time coincidence) is essential to excellent pile-up suppression

Triggers at high rate collider experiments

- ◆ Highest selectivity is required at earliest possible state to fully explore FCC potential
- ◆ Muon triggers —► **muon** identification and **momentum**
(also used at **1st trigger level**. However, not all channels can profit from muon triggers)
- ◆ Track triggers —► **momentum**, **origin** and **separation of charged particles** using hit combinations
(typically used at **higher trigger level**; involves software based complex reconstruction algorithms)
- ◆ Reconstructing tracks within required latency of trigger systems is difficult
(more so in very high pile-up environment)

Is it possible to provide tracking information at 40 MHz to resolve pileup?

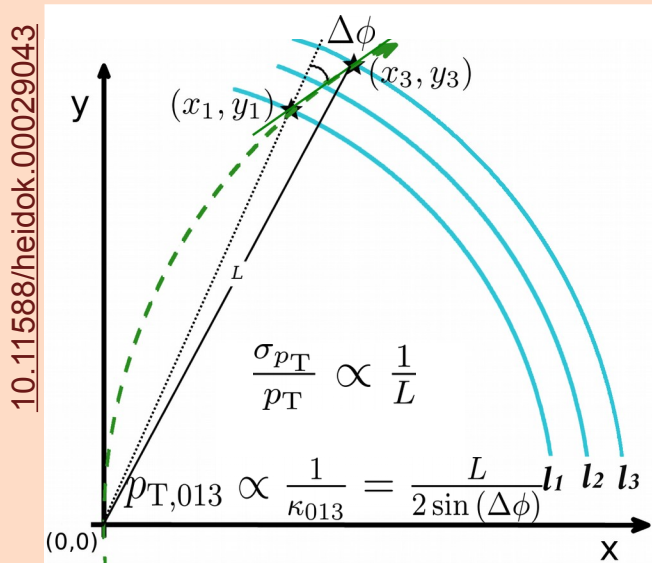
Triplet Track Trigger (TTT) concept

- ◆ Three closely stacked pixel tracking layers at large radii (0.5 - 1m)
- ◆ Charged particle in uniform B:
 - circle in x-y (3 points to determine circle params.)
 - straight line in s-z (slope: z0 vertex)
- ◆ Beamline constraint for precise track parameter measurements
- ◆ Compromise b/w high track purity (close stacking) & high track parameter resolution (large TTT gap-size)

Large area pixel detectors!

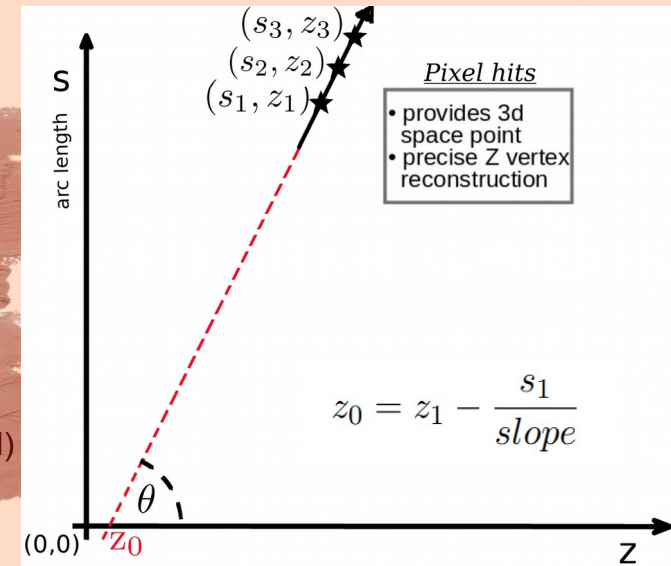
Monolithic Active Pixel Sensors (MAPS)

- ▶ Commercial production
 - ▶ radiation hard (e.g. HV-MAPS)
- [arXiv:2002.07253\[physics.ins-det\]](https://arxiv.org/abs/2002.07253)



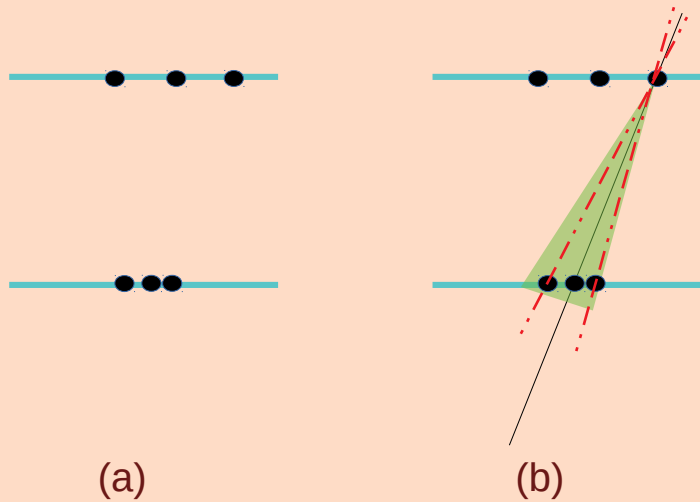
pT reconstruction with beamline constraint

- Simple and very fast algorithm!
- Can be implemented in hardware (stratix X firmware being developed)



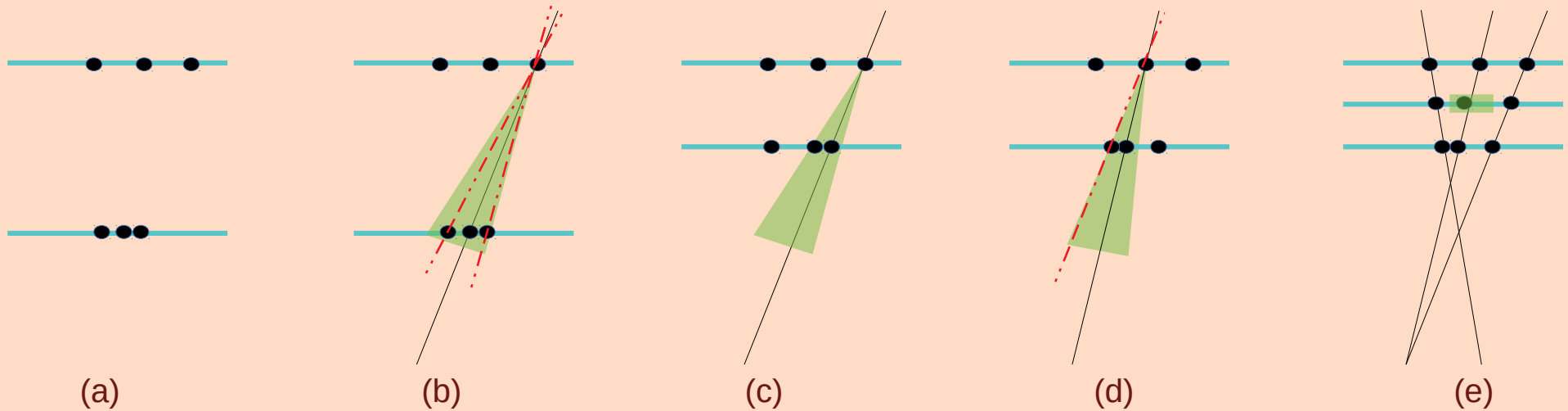
z0 reconstruction with sub-mm precision

What is special about the Triplet design?



- a) Hits from three tracks on two widely separated detector layers
- b) Search window → large number of wrong combinations

What is special about the Triplet design?



a) Hits from three tracks on two widely separated detector layers

b) Search window → large number of wrong combinations

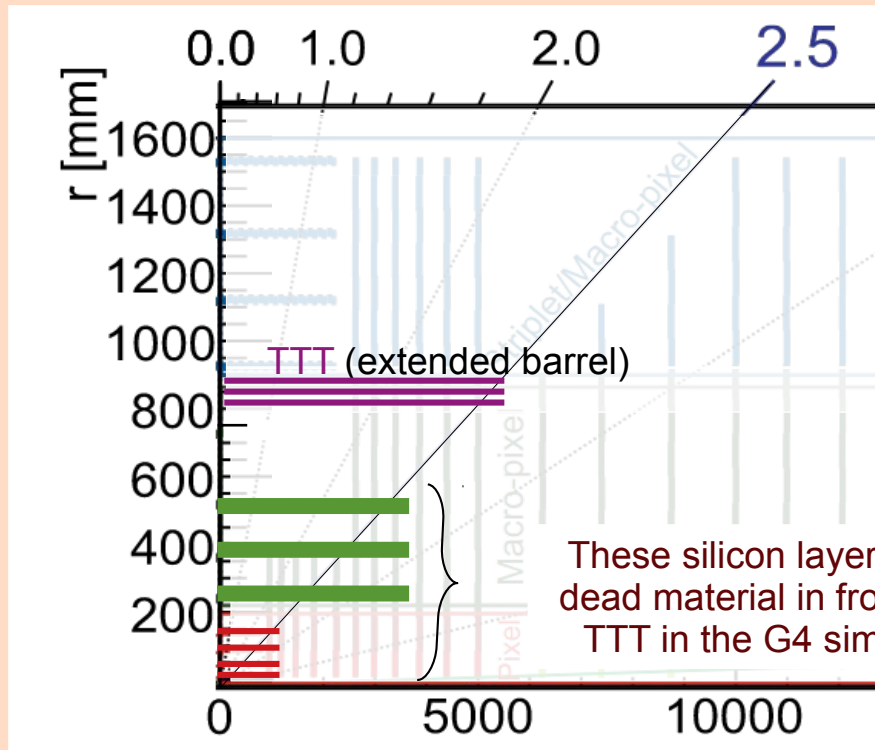
c), d) Close stacking of detector layers reduces candidates (rate of fakes)

e) A 3rd middle layer further reduces fakes (wrong hit combinations) by validation of the selected combination both in x-y and s-z planes.

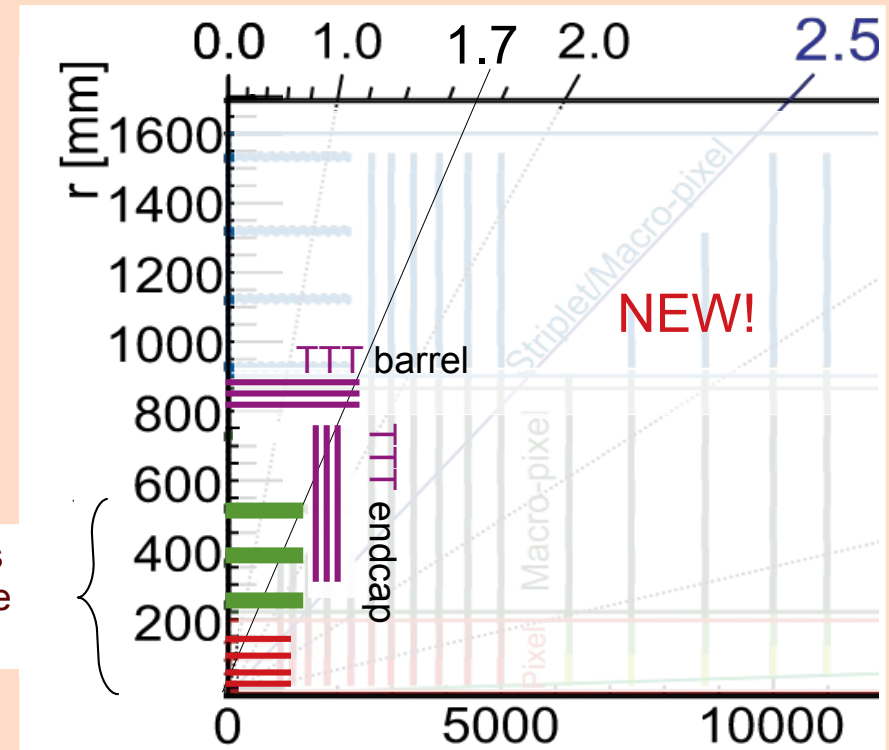
High track purity!!!

Modified FCC-hh tracker layout with TTT ($|\eta| < 2.5$)

Thesis T.K: [10.11588/heidok.00029043](https://nbn-resolving.org/urn:nbn:de:heis:he-1011588-heidok-00029043)



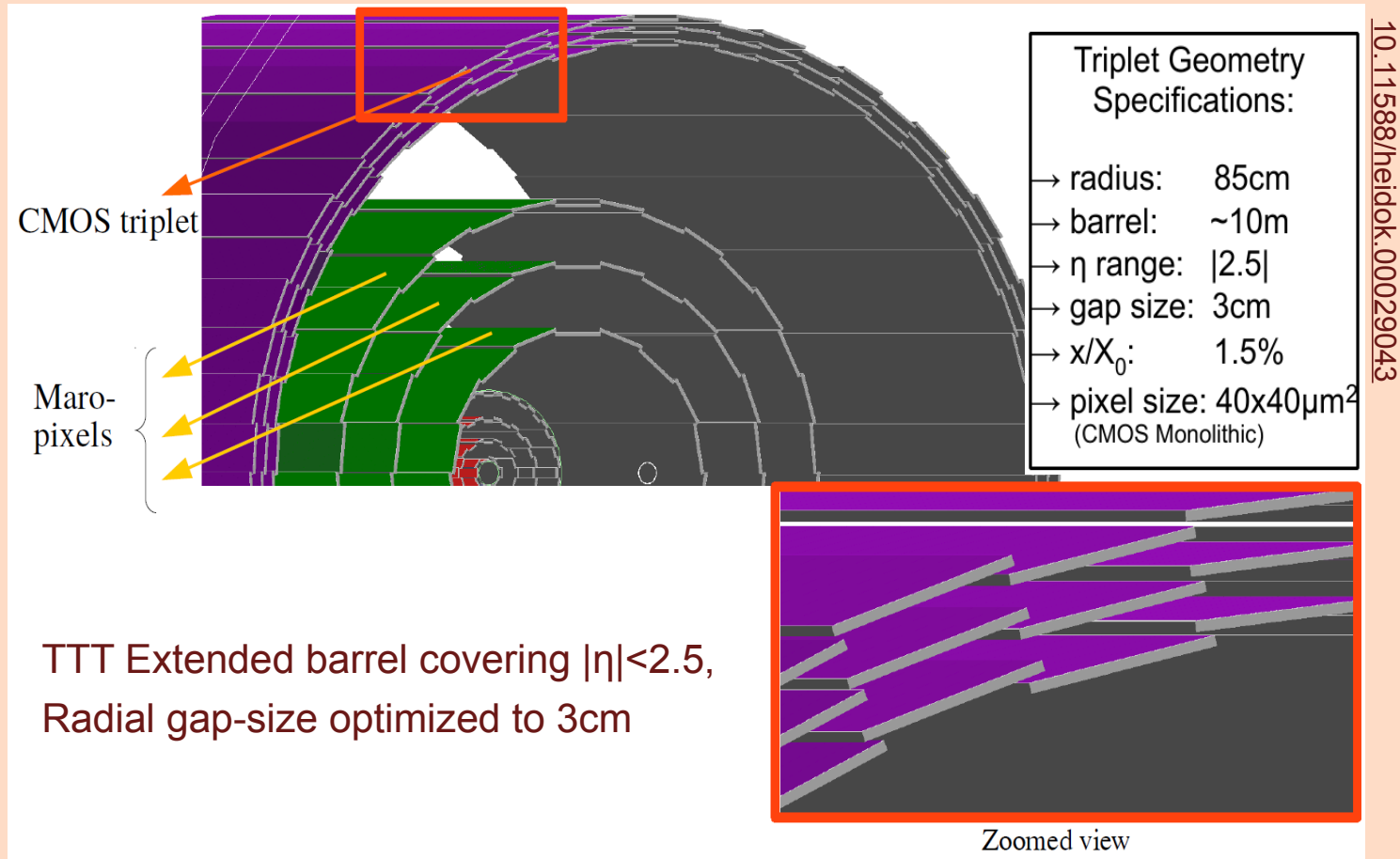
(a) Extended barrel geometry



(b) Barrel Endcap geometry

Full Geant4 simulation of the modified FCC tracker

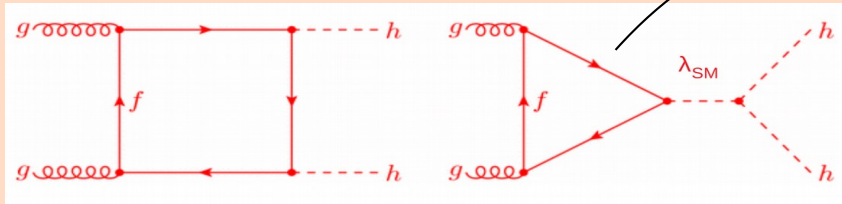
- Both, the extended TTT barrel geometry & the TTT barrel encap geometry were simulated using Geant4. Below is a G4 geometry implementation of the extended barrel tracker for FCC-hh



HH \rightarrow 4b (showcase)

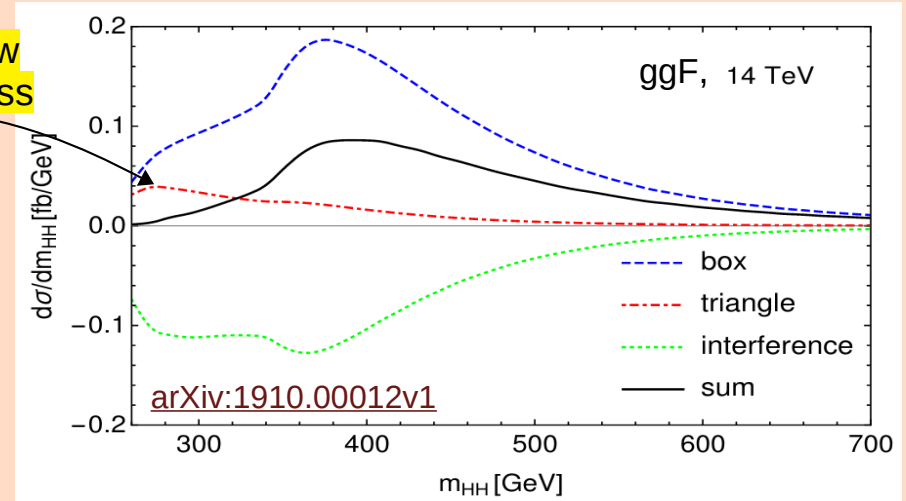
Di-Higgs production will allow for direct measurement of the Higgs self coupling (λ)

Dominant HH Production mode:



gluon gluon fusion (ggf)

Peaks at low invariant mass



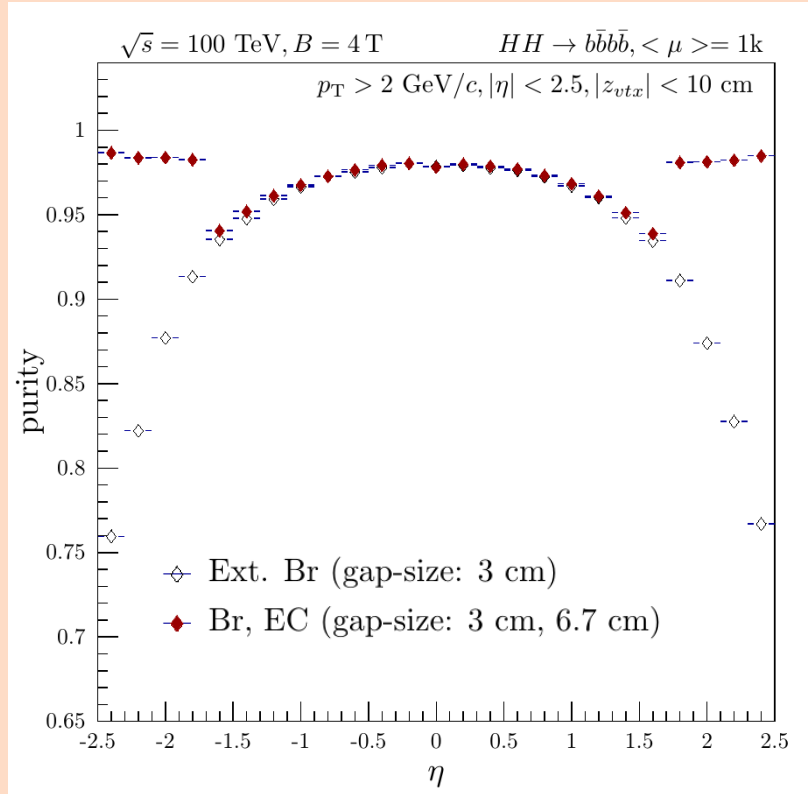
Higher sensitivity to λ at low m_{HH} !

Signal: HH \rightarrow 4b, no leptons/photons for trigger, only jets!
 Suffers from a huge QCD **background: pp \rightarrow 4b QCD**

A very difficult channel to trigger

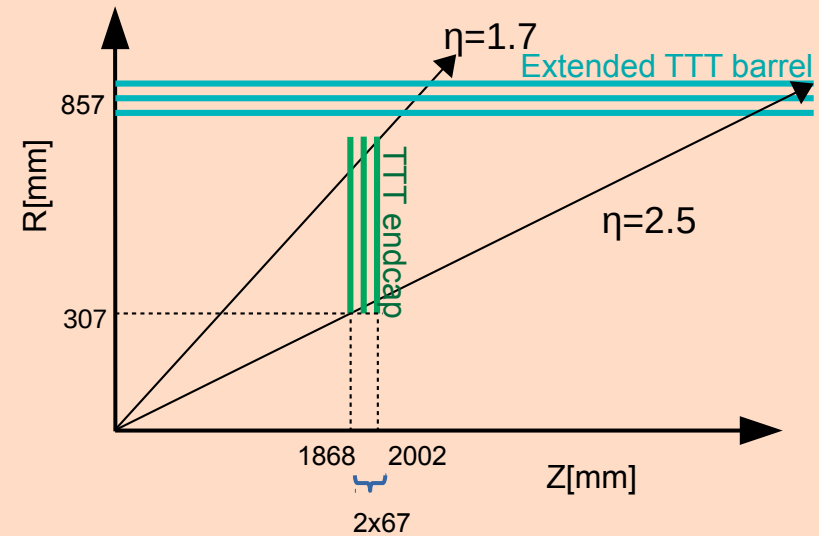
Perfect showcase for a track trigger

TTT track purity

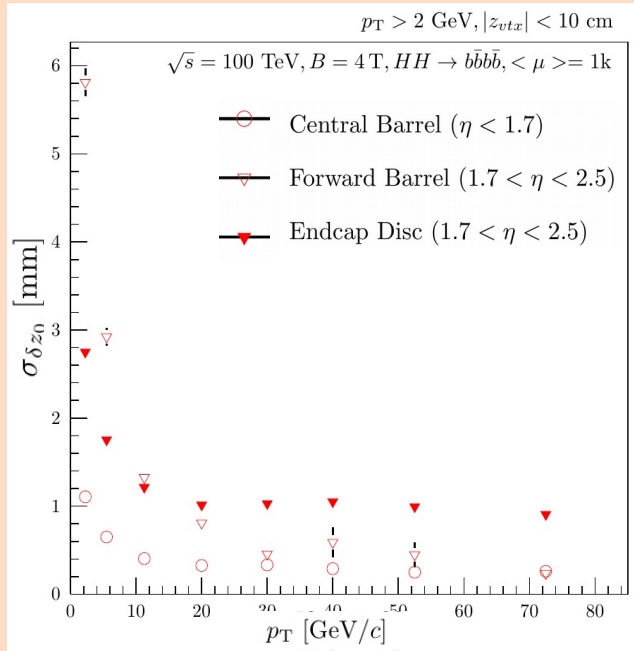


Track purity vs η for extended barrel TTT and TTT with endcap.

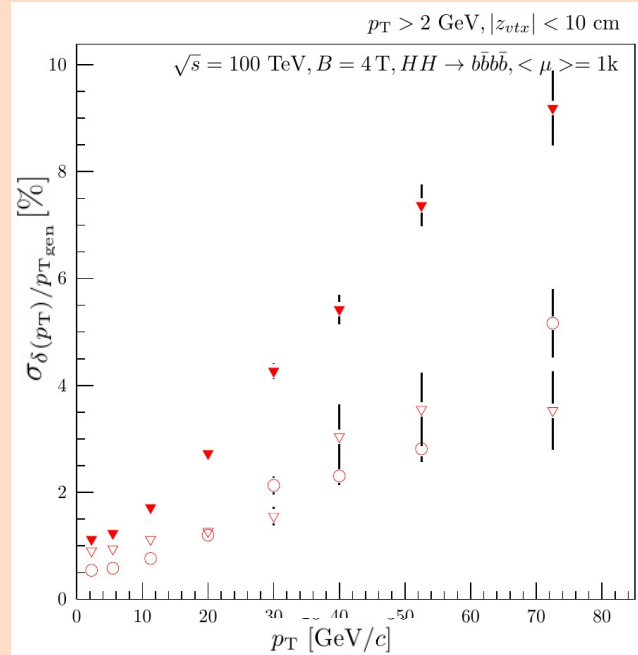
- Excellent track purity > 95% with only **three pixel** tracking layers
- Track purity decreases at large η for an extended barrel geometry (multiple Coulomb scattering)
- TTT endcap has better purity than TTT extended barrel



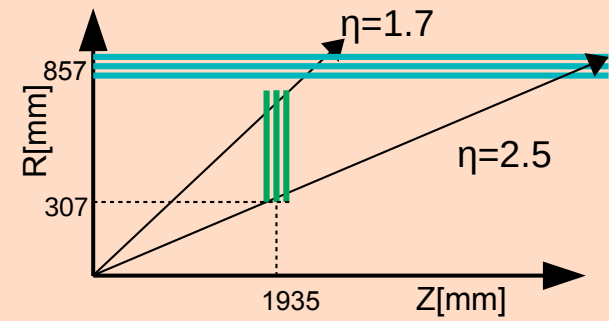
TTT track parameter resolution



(a) z_0 resolution vs p_T



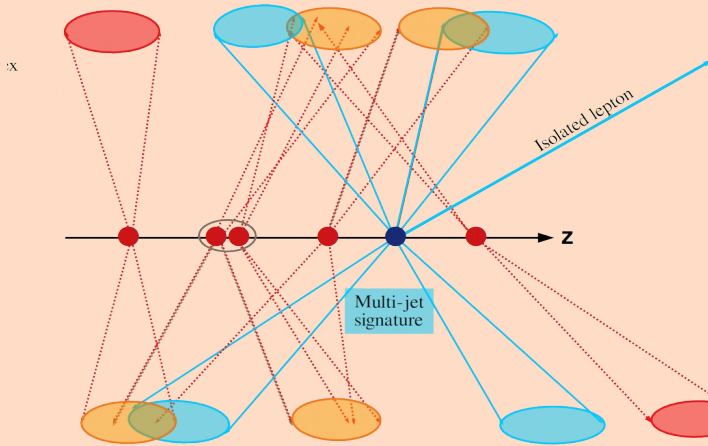
(b) relative p_T resolution vs p_T



Relative p_T resolution of
 $\sim 5\text{-}10\%$ for $p_T = 100\text{ GeV}$ tracks

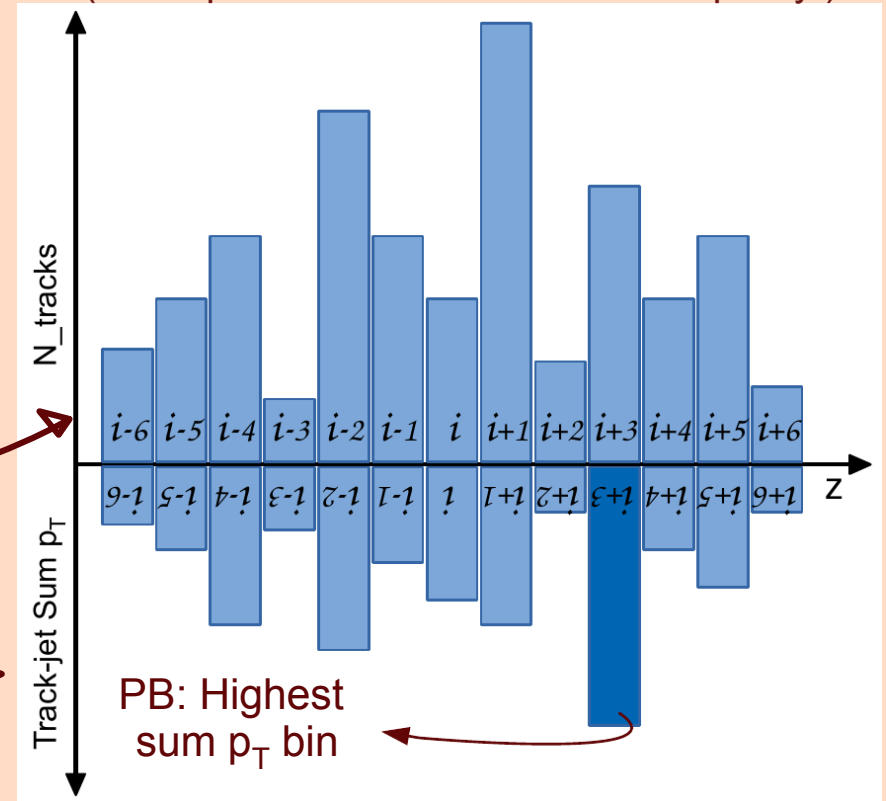
- The z -vertex (z_0) is reconstructed with **sub-mm precision** for the central barrel ($|\eta| < 1.7$)
- At low momenta, the resolution is affected by multiple scattering (material in front of the TTT)
- At high momenta, the p_T & z_0 resolution mainly determined by the length of the lever-arms
 Hence resolution for forward barrel better than the endcap (\rightarrow increase the distance b/w endcaps)

How to identify the Hard Scattering vertex?



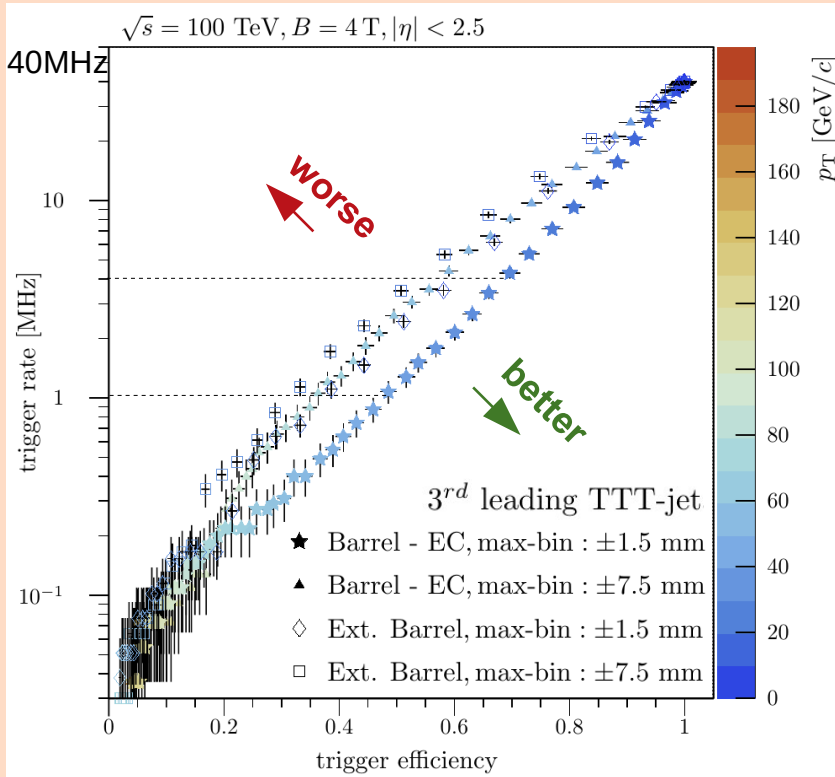
- Exploit z_0 and p_T of the TTT tracks
- Clustering of TTT tracks in all z -bins in parallel → **TTT-jets**
- Identify a region around the HS vertex: **primary bin (PB)** with **max-sum p_T** approach
- PB selection efficiency for z -bin = $\pm 1.5\text{mm}$:
 $\sim 94\%$ ($|\eta_{\text{acceptance}}| < 1.5$), $\sim 82\%$ ($|\eta_{\text{acceptance}}| < 2.5$)

parallel jet clustering in small z_0 regions defined along the beam axis (overlap b/w bins not shown for simplicity)



sum over the p_T of the first few leading TTT track-jets in small z_0 regions

TTT Trigger performance (exploiting z0 information)



Trigger rate vs trigger efficiency

for the 3rd leading jet in the HH → 4b, $\langle \mu \rangle = 1\text{k}$ sample.
The corresponding p_T thresholds are shown in the z-axis

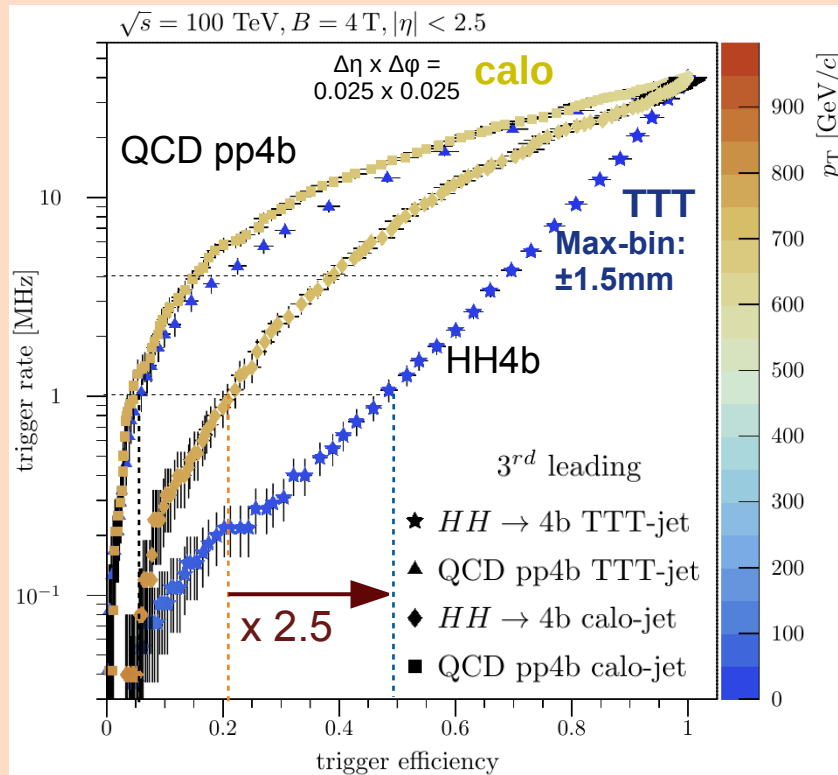
- Events that satisfy the HH → 4b selection cuts after fast simulation are considered as signal.
- Triggering on the first few leading TTT-jets from the selected primary bin

$$\text{Trigger Rate} = \frac{\# \text{ pile-up events passing a given trigger threshold}}{\# \text{ total pile-up events}}$$

$$\text{Trigger Eff.} = \frac{\# \text{ signal events passing a given trigger threshold}}{\# \text{ total signal events}}$$

- The best trigger performance: trigger on **3rd leading TTT-jet** with a z-bin size = **±1.5 mm**
- Fine z-binning → Significant pile-up suppression
- TTT endcap outperforms extended TTT barrel
~50% compared to 38% trigger efficiency at **1MHz**
- Further improvement in selectivity can be achieved by increasing the distance b/w the TTT endcaps

TTT Trigger performance compared to calo-trigger



Trigger rate vs trigger efficiency
 for the 3rd leading jet in the $HH \rightarrow 4b$ & QCD $pp \rightarrow 4b$
 sample with an $\langle \mu \rangle = 1k$.

- ◆ TTT has a significantly higher selectivity to the signal events compared to the calo-trigger (**x 2.5 at 1MHz**)
- ◆ The calorimeter would have to trigger at **~800GeV** to bring down the pile-up rate to 1MHz
- ◆ TTT exploits the z_0 information to suppress pile-up at much lower trigger thresholds **~50GeV** (3rd leading)
- ◆ TTT enhances $HH \rightarrow 4b$ signal over QCD background

Impact on HH→4b signal significance

- Simple **cut-based** analysis was performed for different κ_λ values of HH→4b considering pp→4b QCD background, $\sqrt{s} = 100\text{TeV}$, $\int \mathcal{L} dt = 30\text{ab}^{-1}$, $\varepsilon(\text{b-tag}) = 80\%$, jet energy smearing = 50% (assuming negligible systematic uncertainty & excellent offline pile-up suppression)
- Assuming full detector readout, i.e. 100% trigger efficiency for signal and background events yields $S/\sqrt{B} \approx 21$ for $\kappa_\lambda = 1$ (SM sample)
- The very **good (bad) selectivity** of the **TTT (calo-trigger)** further increases (reduces) the signal significance by a factor of **1.6 (0.6)** obtained from the cut-based analysis
- The significantly low trigger thresholds of the TTT allows to probe λ at much lower p_T (→ reduces systematic uncertainties)

HH→4b Analysis cuts:

at least four $\Delta R_{\text{jet}} = 0.4$ anti- k_t jets,
the leading jet $p_T \geq 55 \text{ GeV}/c$,
sub-leading jet $p_T \geq 40 \text{ GeV}/c$,
3rd leading jet $p_T \geq 35 \text{ GeV}/c$,
and the 4th leading jet $p_T \geq 20 \text{ GeV}/c$.
 $N_{\text{b-tags}} \geq 4 \quad |M_{\text{H}_{1(2)}^{\text{cand.}}} - 125| \leq 30$

Impact on signal significance of HH→4b

	Trigger Efficiency		S/ \sqrt{B}
	S	B	
HH→4b analysis cuts	100%	100%	21
Calo	20%	10%	13
TTT	50%	10%	33

Summary

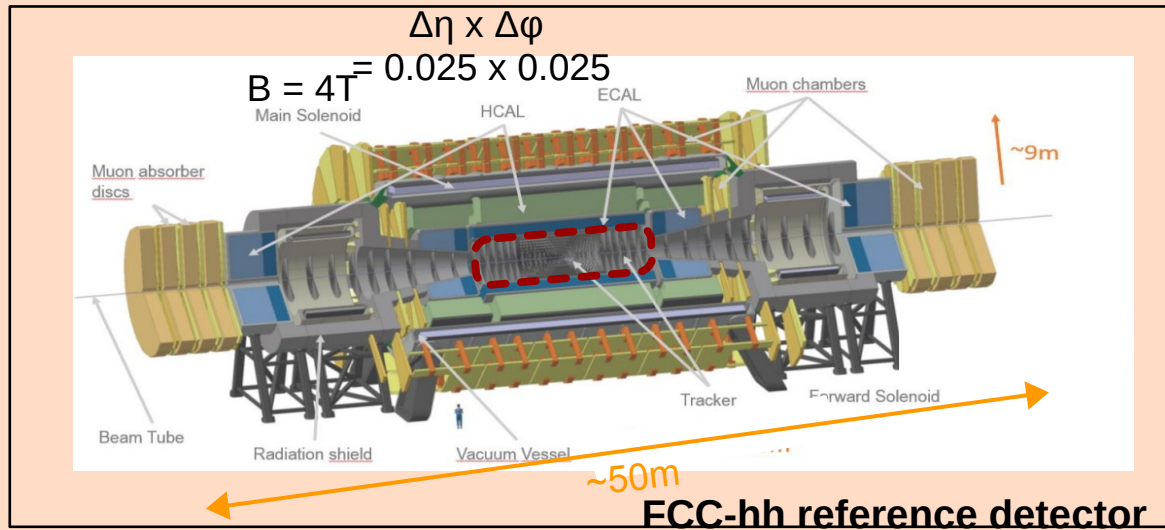
- The TTT is based on a simple detector design and fast reconstruction algorithm
- It can reconstruct tracks at **40MHz** with good momentum resolution $\sim O(100\text{GeV})$
- TTT exploits the good z_0 resolution to facilitate **excellent pile-up suppression** at trigger level
- By forming track-jets, the TTT is an ideal tool to trigger on multi-jets signatures (low p_T physics at 100GeV scale)
- TTT can help to improve the signal sensitivity to the **trilinear Higgs self-coupling (λ)** in the $HH \rightarrow 4b$ channel

A **Triplet Track Trigger** based on MAPS is an interesting design option for triggering in the challenging environment of the FCC-hh

Thank you!

Backup

Calorimeter Emulation for FCC-hh scenario

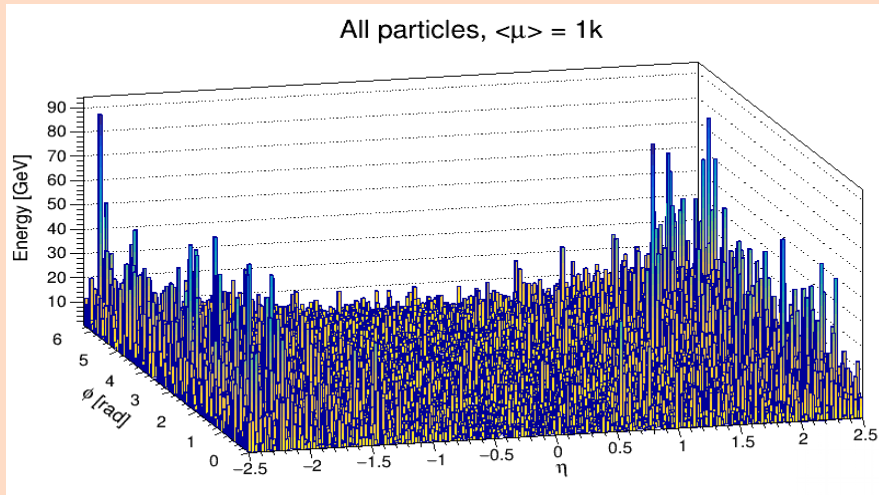


- ❖ Radius : 2m, Cell granularity: $\Delta\eta \times \Delta\phi = 0.025 \times 0.025$ for eta range **-2.5 to 2.5** → 2D Hist
- ❖ Example case: signal **HH** → **4b** (dominant background pp → 4b QCD events) , $\langle\mu\rangle = 1000$
- ❖ total energy deposited in each cell
→ smeared with **50% energy resolution.***

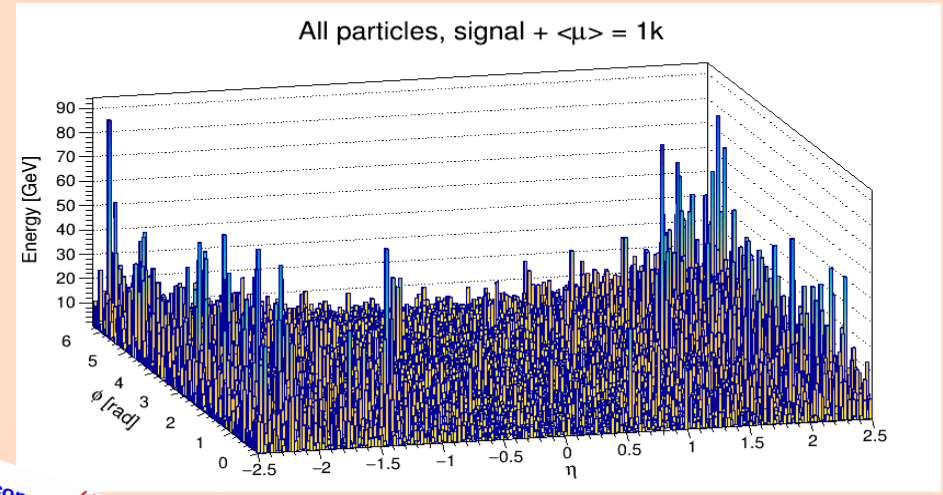
* $\sigma_E/E \sim a \cdot 1/\sqrt{E} + c$. Constant term $c = 3\%$ also added in addition to the stochastic term $a = 50\%$

Energy deposits in the calorimeter cells

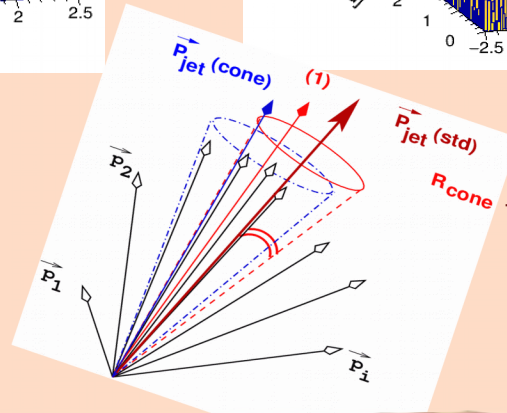
Pile-up only



Signal + Pile-up



Energy deposits → Jet clustering algorithm
(e.g. anti-kt R=0.4)

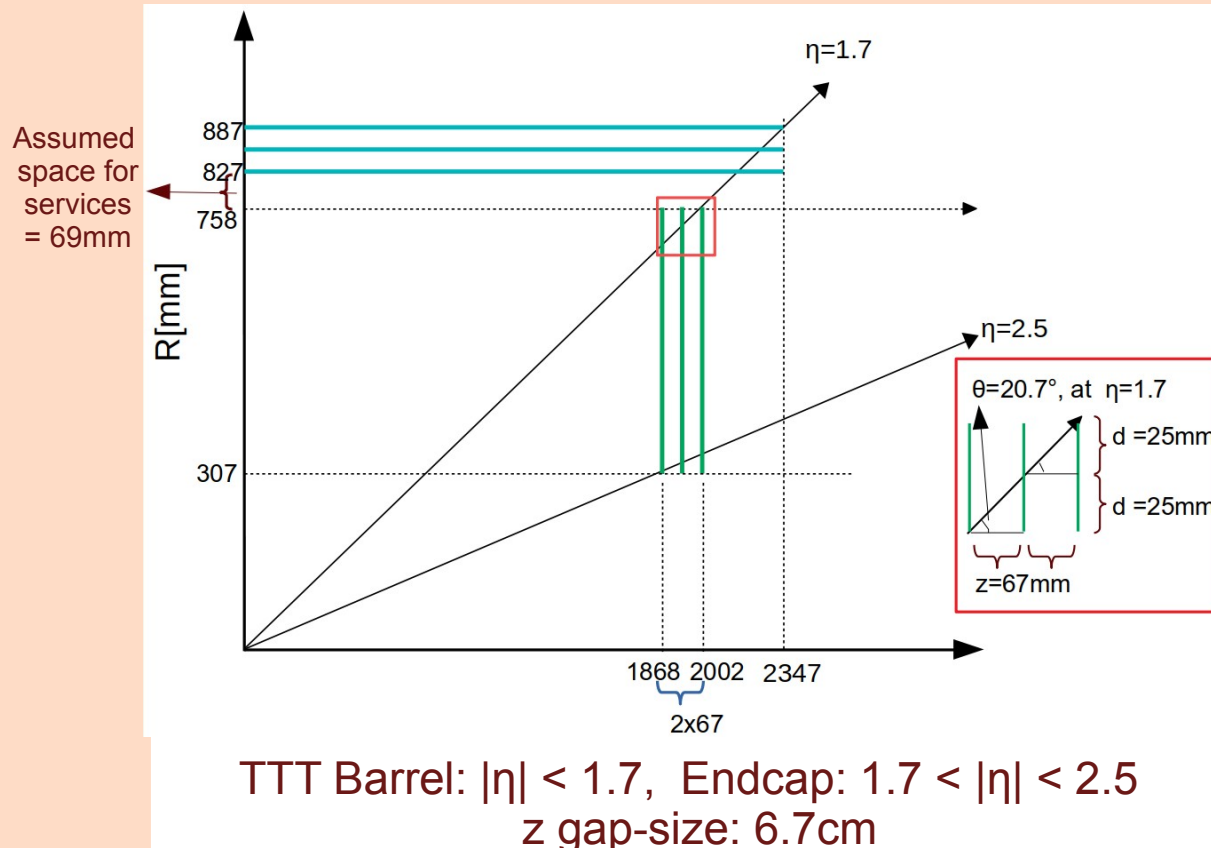


→ trigger on highest p_T jets

Usually come from HS collision
(not in the case of high pile-up)

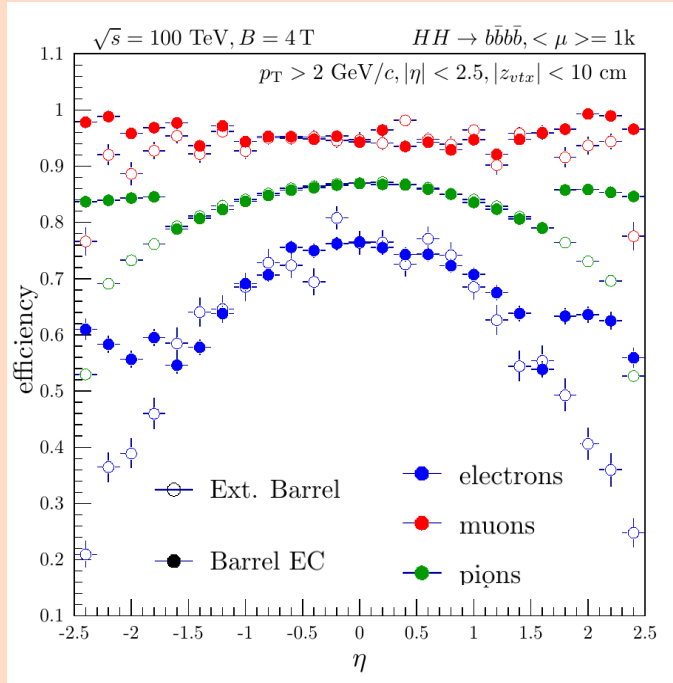
Calo-trigger has almost no selectivity to signal events!

TTT Endcap Design

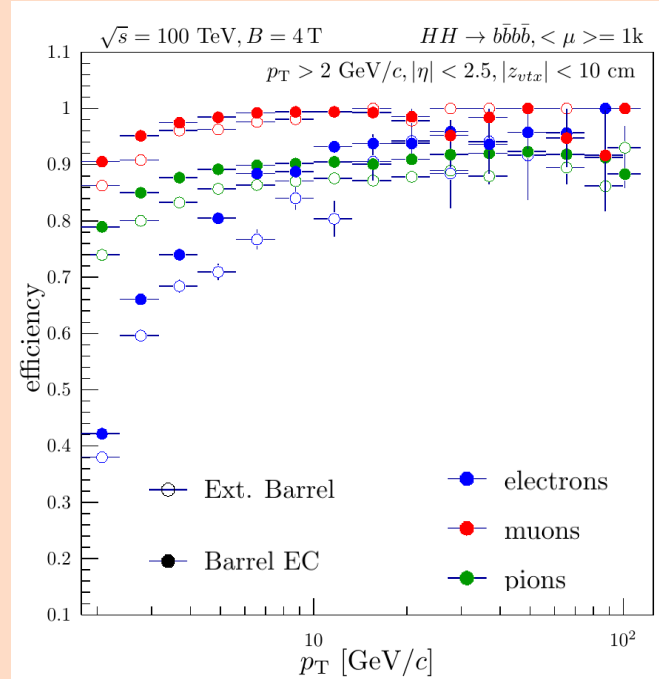


(inner tracking layers (not shown above) also simulated to account for material effects)

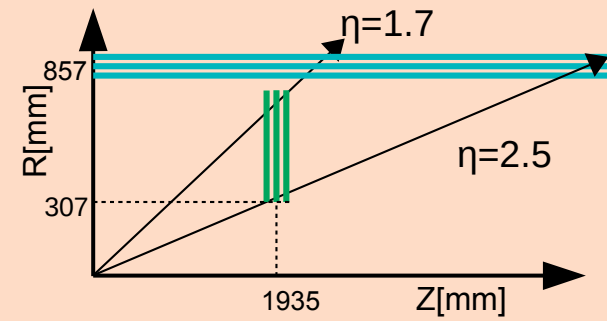
TTT tracking efficiency



(a) TTT efficiency vs η

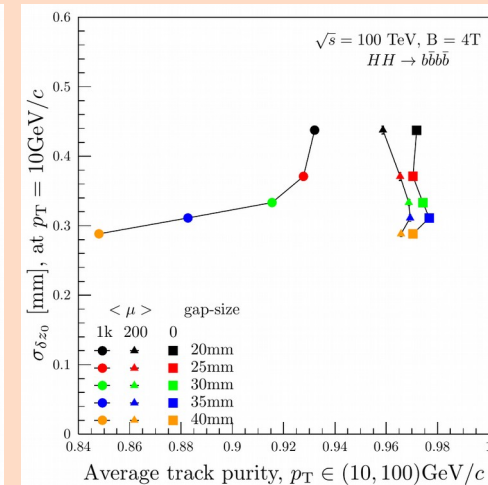
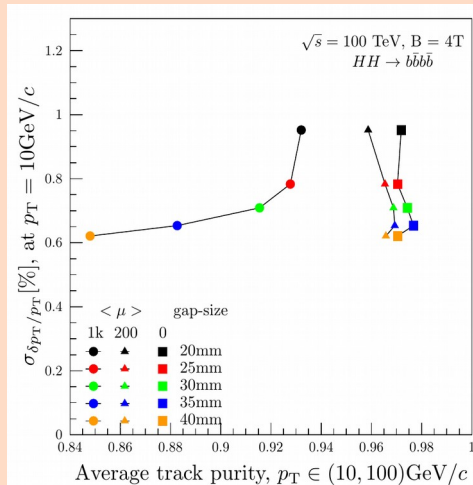
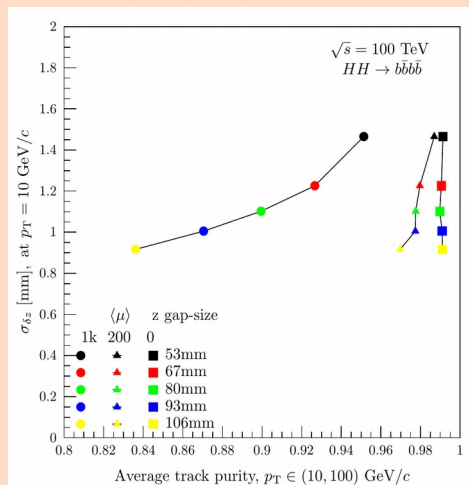
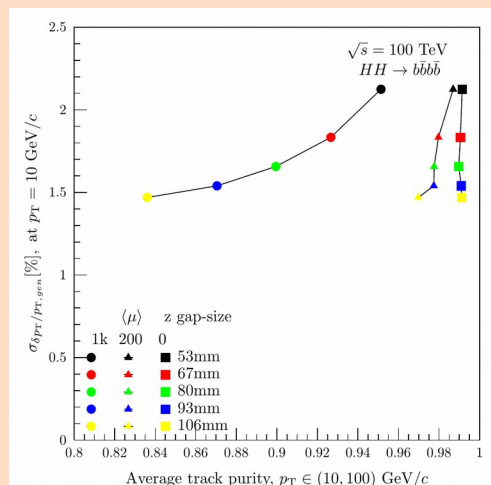


(b) TTT efficiency vs p_T



- Muons are reconstructed with very high efficiency except around p_T threshold (finite resolution)
- Inefficiencies for electrons and pions are due to bremsstrahlung and nuclear interactions resp.
- At large η , TTT endcap also ensures better tracking efficiency compared to an extended barrel

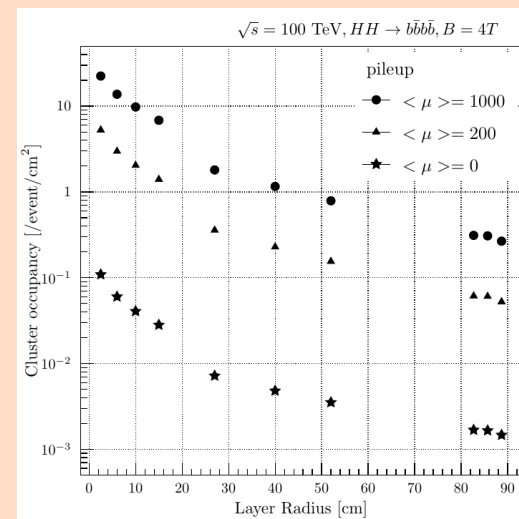
Triplet track reconstruction performance



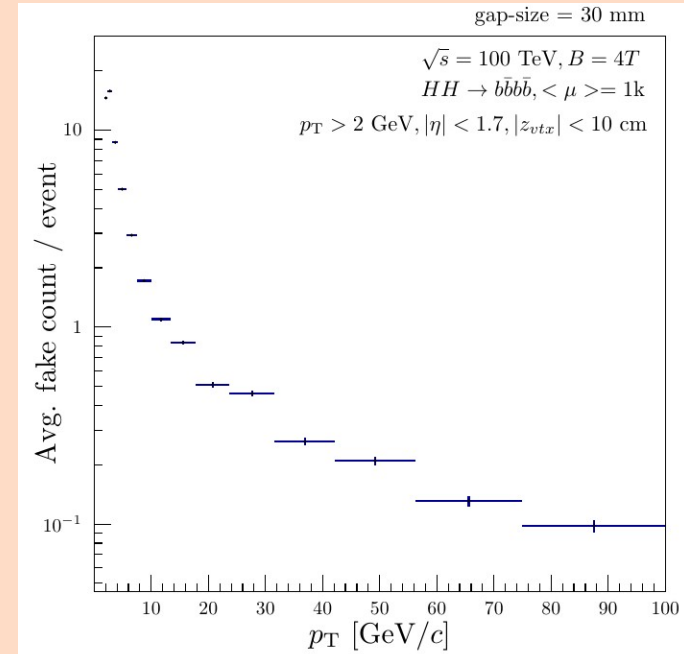
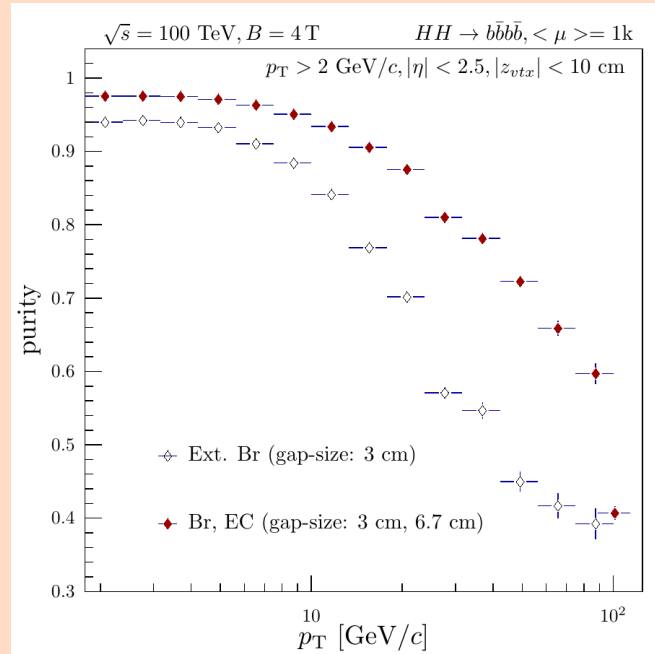
TTT Endcap: $1.7 < |\eta| < 2.5$

TTT Barrel: $|\eta| < 1.7$

- Track parameter resolution improves with increase in TTT gap-size
- Resolution mainly determined by the material in front of the TTT
- Track purity degrades with increasing pile-up
- Optimum gap-size chosen for FCC-hh: 30mm



TTT tracking performance: Track Purity



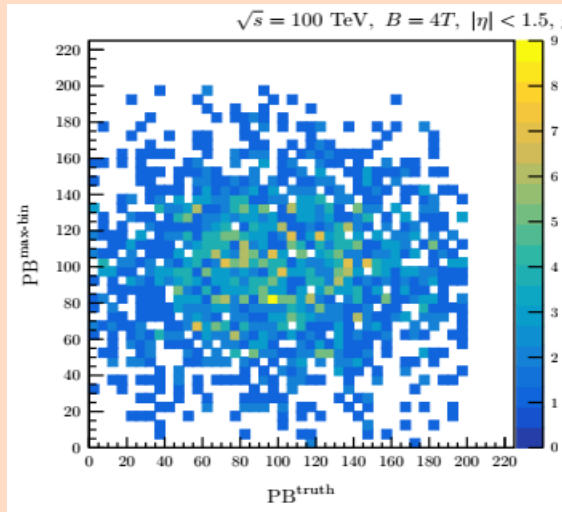
Average # fake tracks/event vs. p_T

Primary Bin selection efficiency

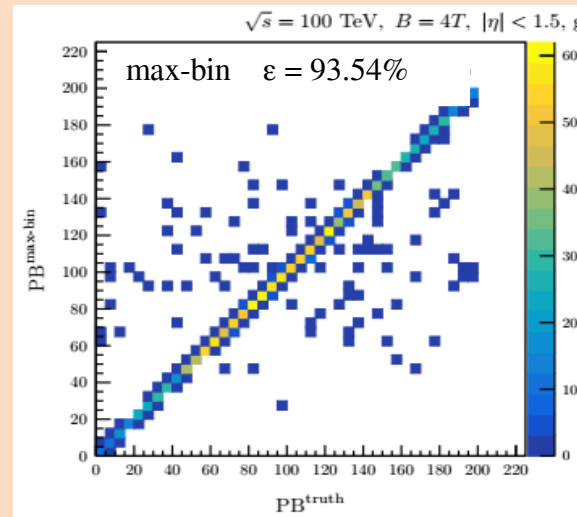
$$\epsilon_{\text{PB}} = \frac{\# \text{ events with PB matched to PB}^{\text{truth}} \text{ (sel. \&\& acc.)}}{\# \text{ total events (sel. \&\& acc.)}}$$

PB^{truth} : z-bin containing the actual primary vertex

Matched PB \rightarrow Correctly reconstructed \rightarrow Bin corresponding to the $\text{PB}^{\text{truth}} \pm 1$



pile-up



signal + pileup