



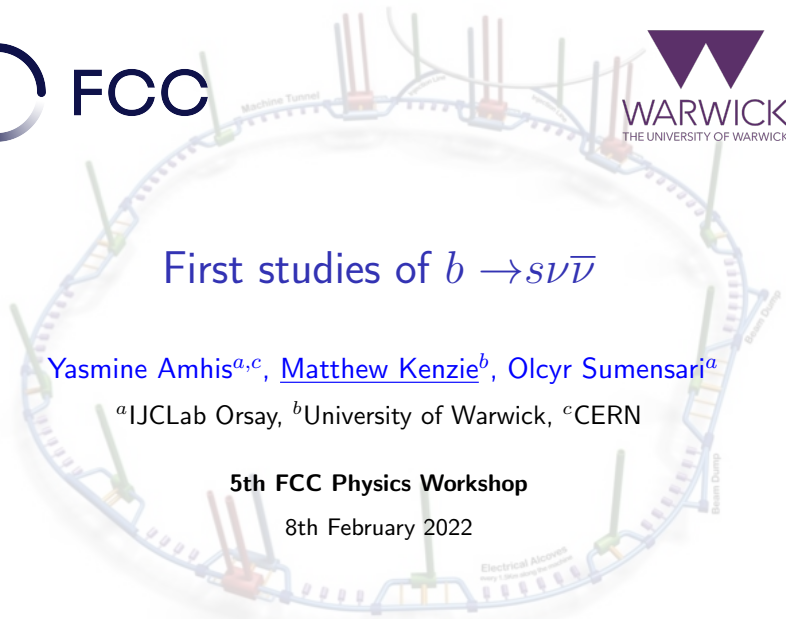
# First studies of $b \rightarrow s\nu\bar{\nu}$

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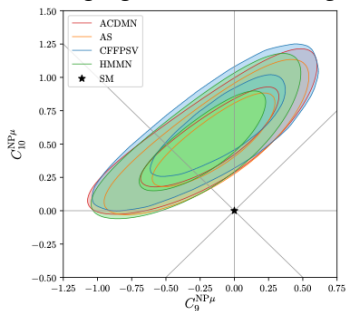
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**5th FCC Physics Workshop**

8th February 2022



- ▶ FCC-ee provides a fantastic (possibly *unique*) opportunity for semi-leptonic flavour physics
- ▶ Have already seen the physics case for  $B_c^+ \rightarrow \tau^+ \nu_\tau$  that can only be efficiently probed at FCC-ee [JHEP 12 (2021) 133]
- ▶ Considerable interest in the flavour community in  $b \rightarrow s\ell\ell$  and  $b \rightarrow c\ell\nu$  transitions (“flavour anomalies”)
- ▶ Model independent NP interpretations of these anomalies also contribute to the  $b \rightarrow s\nu\nu$  transition due to SM gauge invariance, see e.g. [Phys.Lett.B 809 (2020)]



fit to LFU observables +  $B_s \rightarrow \mu\mu$

The effective Hamiltonian for  $b \rightarrow s\nu\bar{\nu}$  transitions is

$$\mathcal{H}_{\text{eff}} = -\frac{G_F}{\sqrt{2}} V_{tb} V_{ts}^* \sum_{ij} (C_L^{ij} O_L^{ij} + C_R^{ij} O_R^{ij}) + h.c.,$$

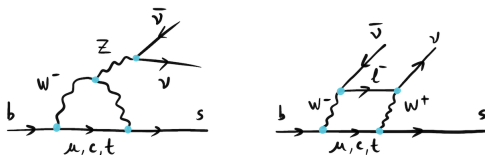
where the operators are defined as

$$O_L^{ij} = \frac{e^2}{16\pi^2} (\bar{s}\gamma_\mu P_L b) (\bar{\nu}_i \gamma^\mu (1 - \gamma_5) \nu_j),$$
$$O_R^{ij} = \frac{e^2}{16\pi^2} (\bar{s}\gamma_\mu P_R b) (\bar{\nu}_i \gamma^\mu (1 - \gamma_5) \nu_j),$$

where  $i, j$  are neutrino flavor-indices.

- ▶ In the SM,  $C_L^{ii} = -6.35(7)$  and  $C_R^{ij} = 0$  [[arXiv:1409.4557](#)]
- ▶  $b \rightarrow s\nu\bar{\nu}$  allows us to probe operators with  $\nu_{L\tau}$  (which are related to  $\tau_L$  via gauge invariance) – important independent test of the  $b \rightarrow cT\nu$  anomalies
- ▶ **SM predictions are clean:** only uncertainties come from hadronic form-factors
- ▶ No long-distance contribution from (in)famous charm loops (see  $b \rightarrow s\mu\mu$  literature)

- ▶ In SM expected branching ratio  $\mathcal{O}(10^{-5})$ , see e.g. [\[arXiv:1409.4557\]](#).



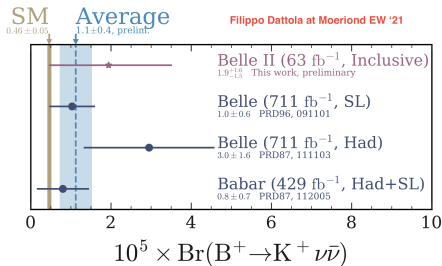
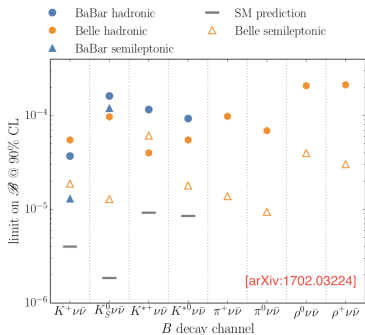
- ▶  $b \rightarrow s\nu\bar{\nu}$  decays have not yet been observed.
- ▶ From the underlying  $b \rightarrow s\nu\bar{\nu}$  transition we can reconstruct:

Decay	B-factories	FCC-ee
$B^+ \rightarrow K^+ \nu\bar{\nu}$	✓	✓
$B^+ \rightarrow K^{*+} \nu\bar{\nu}$	✓	✓
$B^0 \rightarrow K_S^0 \nu\bar{\nu}$	✓	✓
$B^0 \rightarrow K^{*0} \nu\bar{\nu}$	✓	✓
$B_s^0 \rightarrow \phi \nu\bar{\nu}$	✗	✓
$\Lambda_b^0 \rightarrow \Lambda^{(*)0} \nu\bar{\nu}$	✗	✓

- ▶ With 2 neutrinos in the final state, decays are (probably) impossible at the LHC.

# Searches at $B$ -factories

- ▶ Searches at  $B$ -factories use  $B$ -mesons produced via  $e^+e^- \rightarrow \Upsilon(4S) \rightarrow B^+B^-$
- ▶ Event is *tagged* either *inclusively* or using specific hadronic or semileptonic decays of the other  $B$ .
- ▶ Belle II results:  $\text{BR}(B^+ \rightarrow K^+ \nu \bar{\nu}) < 4.1 \times 10^{-5}$  at 90% C.L. [arXiv:2104.12624].
- ▶ Expect to reach  $\sim 10\%$  precision on  $B^+/B^0$  with  $50 \text{ ab}^{-1}$  [arXiv:1808.10567]



- ▶ **FCC-ee** is the **only foreseen experiment** that **can improve Belle-II measurement** in the (far) future (apart from maybe CEPC)!

- ▶ A few months ago we started taking a look at the  $B^0 \rightarrow K^{*0} \nu \bar{\nu}$  but also intend to look at  $B_s^0 \rightarrow \phi \nu \bar{\nu}$  and  $B^+ \rightarrow K^+ \nu \bar{\nu}$  (perhaps could consider  $B^+ \rightarrow K^{*+} \nu \bar{\nu}$  and  $B^0 \rightarrow K_S^0 \nu \bar{\nu}$  also.)
- ▶ Have written DecFiles for all the “signal modes” within EvtGen using PHSP models. Pushed to the [FCC-config github repo](#)
  - ▶ Events generated with Pythia, EvtGen and Delphes in EDM4hep
  - ▶ Our MC (so far) only includes  $K^*(892)^0$  so we assume tight cuts around that
  - ▶ We have re-used the inclusive samples of  $Z \rightarrow b\bar{b}, c\bar{c}, q\bar{q}$  that were generated for the  $B_c^+ \rightarrow \tau^+ \nu$  analysis.
- ▶ Fixed a “feature” / bug in the [FCCAnalyses](#) code that hard-coded all tracks to have the pion mass hypothesis
- ▶ Many thanks to [Clement Helsens](#) for generating the samples and to [Donal Hill](#) for the discussions to get us started.
- ▶ We have taken **much inspiration** from the  $B_c^+ \rightarrow \tau^+ \nu_\tau$  analysis

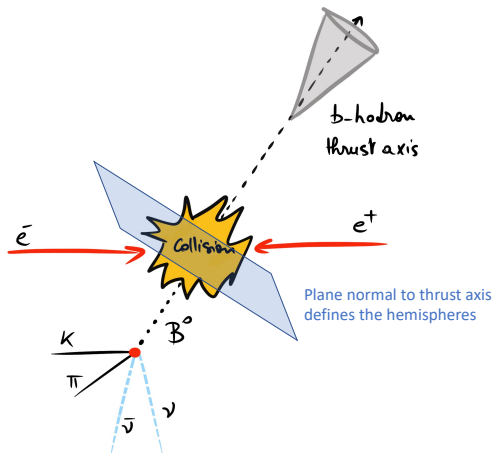
## Relevant for detector design

- ▶ Use the same vertexing procedure developed for  $B_c^+ \rightarrow \tau^+ \nu_\tau$  (see [this talk](#) for details) which assumes *perfect* vertex seeding  
→ implies we will have **excellent vertex resolution**
- ▶ We also truth match the kaon and pion daughters to have the correct mass hypothesis (with the reconstructed momentum)  
→ implies we will have **excellent PID**
- ▶ When we get a bit more advanced it would be nice to understand the impact of relaxing these requirements.
- ▶ Also assume the  $K^{*0}$  in the signal mode is pure  $K^*(892)^0$

None of this is particularly relevant for the event level MVA we have trained so far (and show today) but it will be important for the next stage MVA

# Event topology

- ▶ Use the thrust axis for  $Z^0 \rightarrow q\bar{q}$  to define event hemispheres
- ▶ Due to missing energy in the signal decay the two hemispheres have different energy distributions

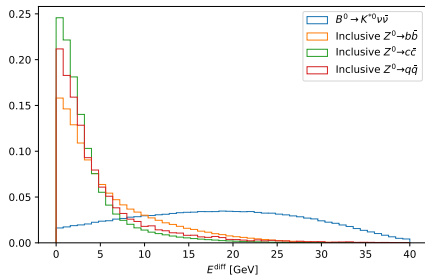
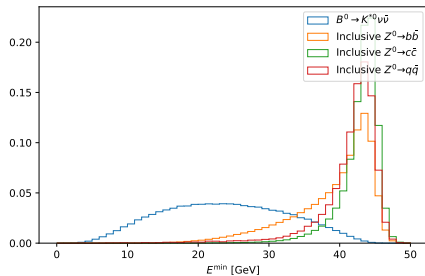
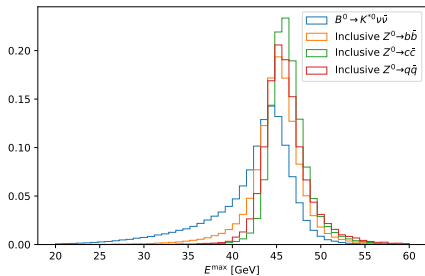




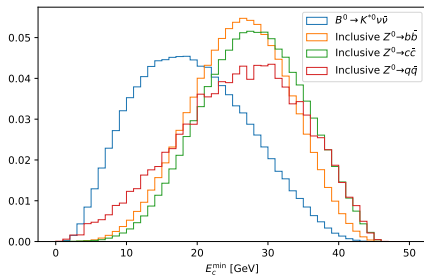
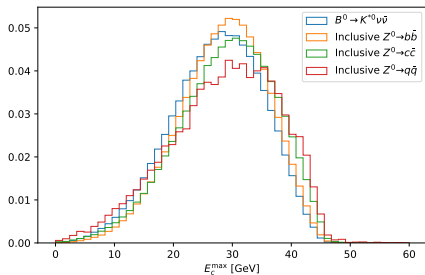
## A look at some event variables

Variable	Description
$E^{\text{diff}}$ [GeV]	Max. – Min. hemisphere energy
$E^{\text{max}}$ [GeV]	Max. hemisphere energy (higher of the two)
$E^{\text{min}}$ [GeV]	Min. hemisphere energy (lower of the two)
$E_c^{\text{max(min)}}$ [GeV]	Charged energy in max. (min.) hemisphere
$E_n^{\text{max(min)}}$ [GeV]	Neutral energy in max. (min.) hemisphere
$M_c^{\text{max(min)}}$	Charged multiplicity in max. (min.) hemisphere
$M_n^{\text{max(min)}}$	Neutral multiplicity in max. (min.) hemisphere

► Clear difference in event hemisphere energy distributions

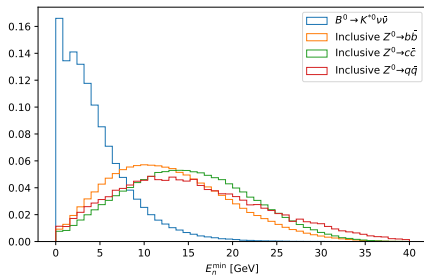
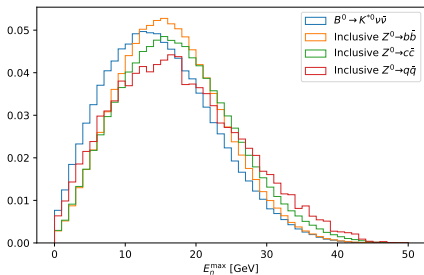


- ▶ More discrimination power in the minimum energy hemisphere (signal side) due to missing energy in the signal decay



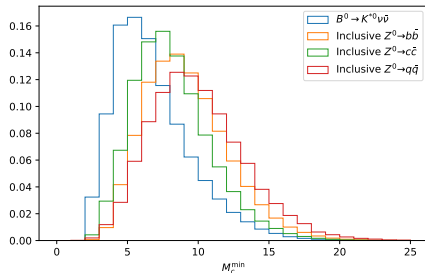
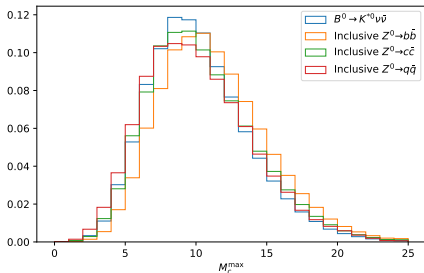
# Neutral energy in each hemisphere

- ▶ More discrimination power in the minimum energy hemisphere (signal side) due to missing energy in the signal decay



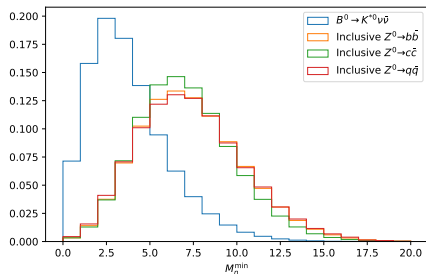
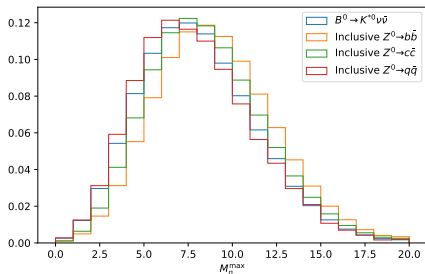
# Charged multiplicity in each hemisphere

- ▶ More discrimination power in the minimum energy hemisphere (signal side) due to missing energy in the signal decay

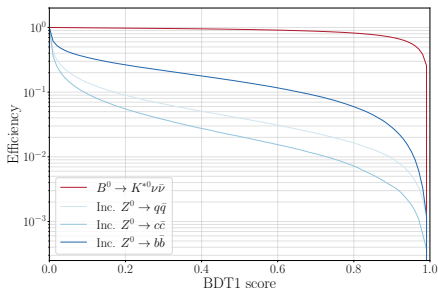
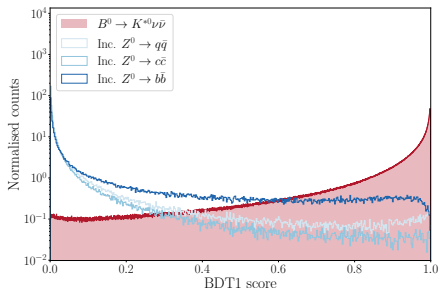


# Neutral multiplicity in each hemisphere

- ▶ More discrimination power in the minimum energy hemisphere (signal side) due to missing energy in the signal decay



- ▶ Essentially a copy from the  $B_c^+ \rightarrow \tau^+ \nu_\tau$  analysis but re-trained with our signal MC
- ▶ Create a background sample from inclusive  $Z^0 \rightarrow q\bar{q}, c\bar{c}, b\bar{b}$  using PDG branching fractions
- ▶ Use XGBClassifier from XGBoost (`n_estimators=400`, `learning_rate=0.3`, `max_depth=3`)
- ▶ Input variables are the event energy distributions and vertex information



- ▶ Powerful separation - cut at 0.6 has  $> 90\%$  signal efficiency and  $\sim 90\%$  background rejection

- ▶ Assume  $3 \times 10^{12}$   $Z^0$  in FCC-ee operation
- ▶ Using  $\mathcal{B}(Z^0 \rightarrow \text{hadrons}) = 70\%$  gives  $4.2 \times 10^{12}$  inclusive background decays
- ▶  $N(B^0 \rightarrow K^{*0} \nu \bar{\nu}) \approx 1.8M$  using

$N(Z^0)$	$3 \times 10^{12}$
$\mathcal{B}(Z^0 \rightarrow b\bar{b})$	0.1512
$B^0$ production fraction	0.4
$\mathcal{B}(B^0 \rightarrow K^{*0} \nu \bar{\nu})$	$1 \times 10^{-5}$

Before any cuts the signal purity is  $\approx 4 \times 10^{-7}$

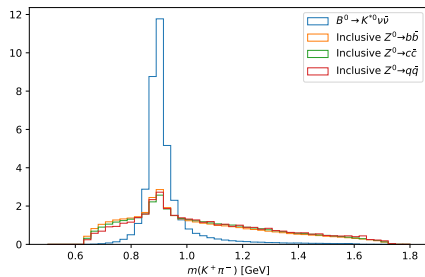
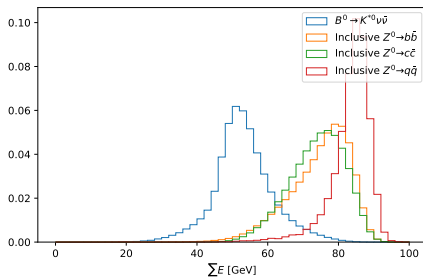
- ▶ If we target 1000 signal and 1000 background events for a  $\sim 4\%$  precision BF measurement
- ▶ Require a background rejection of  $4.2 \times 10^9$
- ▶ For a signal efficiency of  $5 \times 10^{-4}$

Clearly still some work to do

- ▶ Will require a second stage BDT looking at signal candidate variables
- ▶ But seems feasible we can get well below the 10% uncertainty projected at Belle-II



- ▶ Need to figure out (from the inclusive samples) what specific backgrounds we will encounter
- ▶ Requires some truth matching setup which we (I) haven't figured out yet
- ▶ Then probably generate exclusive samples of these
- ▶ Start taking a look at candidate specific information
- ▶ Train a second stage BDT, optimise the cuts, fit in some discriminating variable
- ▶ Olycr can then help us with the interpretation



- ▶ We are at the very early stages
- ▶ But thanks to the work done on  $B_c^+ \rightarrow \tau^+ \nu_\tau$  we have managed to make some good progress (with relatively little effort)
- ▶ Now is to get into the nuts and bolts of the analysis (in particular understanding backgrounds)
- ▶ Next stage BDT to be developed
- ▶ Then perform analysis on potential BF limits that could be achieved or indeed sensitivity to particular wilson coefficients

- ▶ The organisers asked me to say a few words on this
- ▶ Mostly already covered in the talk but summarised here
- ▶ These are true for **this analysis** but also hold for **most flavour analyses**

## 1. Precise vertexing is vital

- ▶ Average flight distance of a  $B^0$  at FCC-ee is  $\sim 3\text{mm}$
- ▶ Our analysis so far assumes both the production (PV) and decay (SV) vertices of the  $B$  are perfectly seeded

## 2. Powerful particle identification is required

- ▶ Particularly for cases like these flavour studies (in which the final state contains both kaons and pions)

