

Exclusive J/ψ photoproduction in Pb+Pb UPC collisions to NLO pQCD

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Based on arXiv:2203.11613

Introduction

- Inclusive processes do not well constrain small x /Regge limit domain of PDFs
- Exclusive processes offer sensitive probe of this domain but as of yet not included in global analyses PDF determination - why?

1. Off forward kinematics imply susceptibility to GPD over conventional PDFs
2. Reliability and stability of theoretical predictions

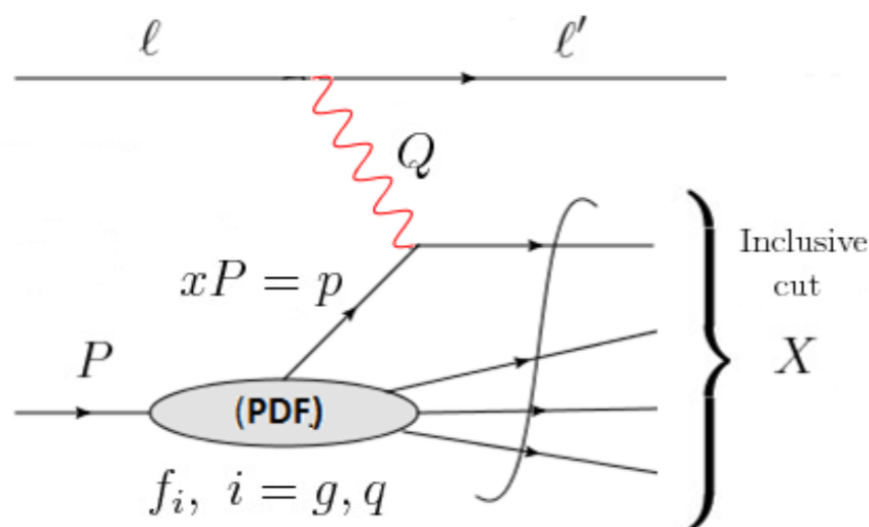
- As higher CM energies are realised at LHC, pushed towards small x domain, $W \sim 1/x$

$$\left. \frac{d\sigma}{dt}(\gamma^* p) \right|_{t=0} = \frac{\Gamma_{ee}^{J/\psi} M_{J/\psi}^3 \pi^3}{48\alpha_{\text{em}}} \left[\frac{\alpha_s(\bar{Q}^2)}{\bar{Q}^4} R_g x g(x, \bar{Q}^2) \right]^2 \left(1 + \frac{Q^2}{M_{J/\psi}^2} \right)$$

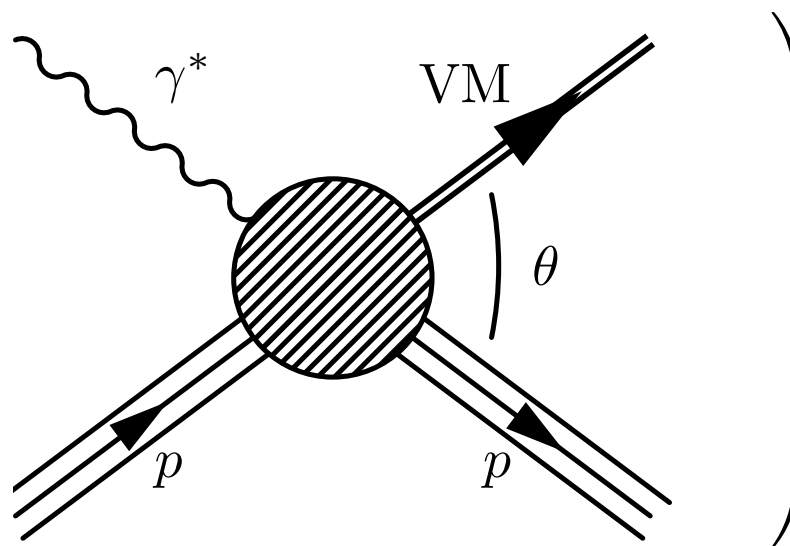
Inclusive - included in global parton analyses

Exclusive - can we use the data?

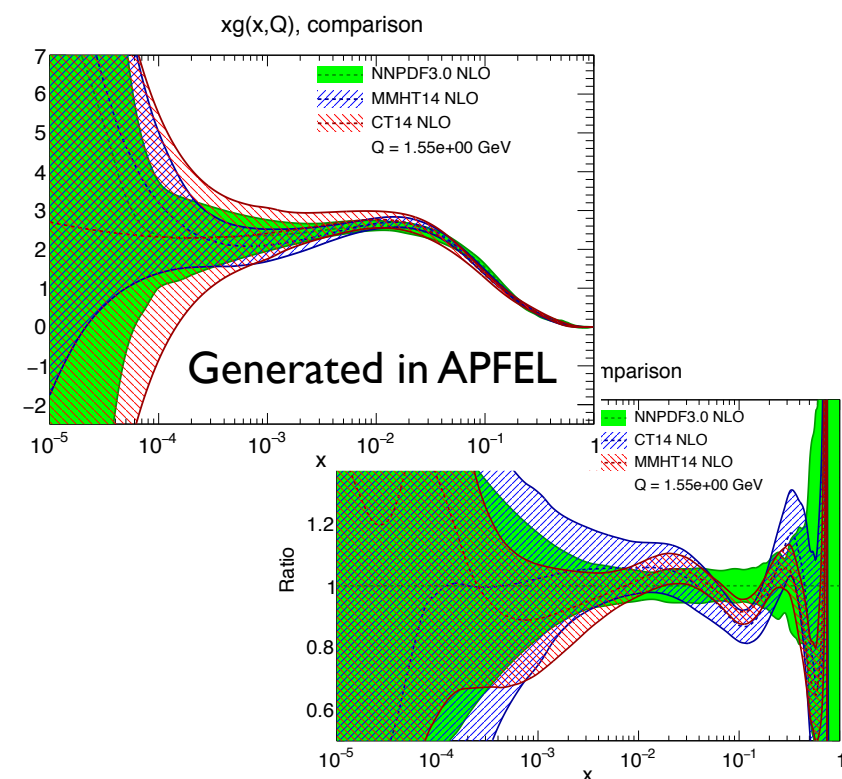
Ryskin 1993



e.g. DIS

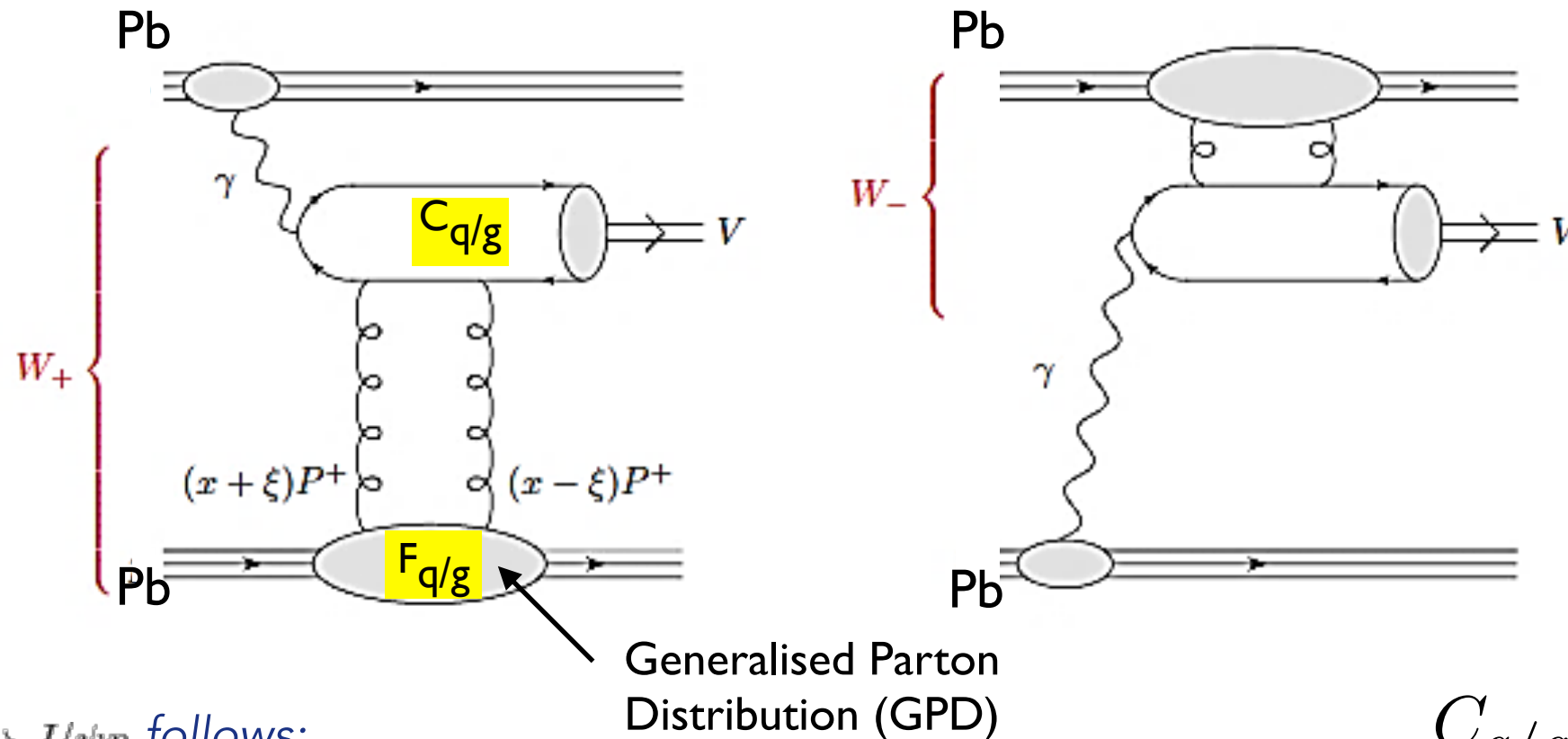


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General Set up and assumptions

Exclusive J/ψ production in Pb+Pb UPC collisions in *conventional* collinear factorisation



Setup for $\gamma p \rightarrow J/\psi p$ follows:

Ivanov, Schäfer, Szymanowski, Krasnikov, 04

- Assume a factorisation $F_{q/g} \otimes C_{q/g} \otimes \phi_{Q\bar{Q}}^V$
- Leading zeroth order term in rel. velocity (NRQCD)
- Colour singlet exchange between hard and soft sectors

$C_{q/g}$

Photoproduction:

- hep-ph/0401131

Electroproduction:

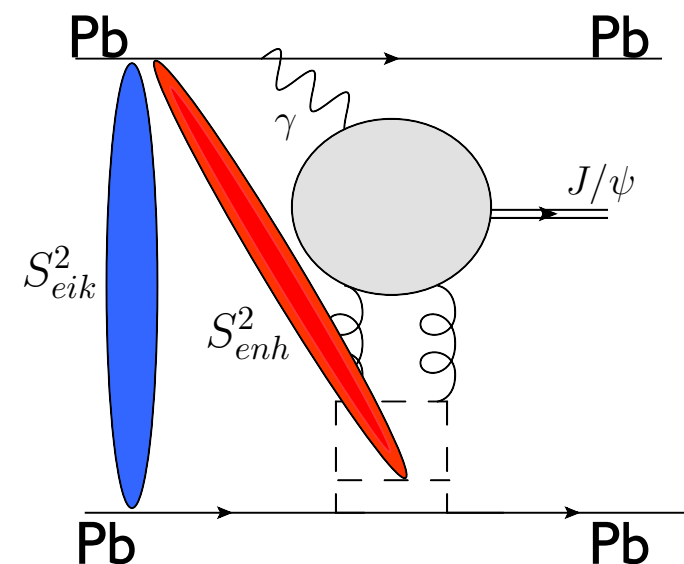
- arXiv:1903.00171
- arXiv:2105.07657

$$A \propto \int_{-1}^1 dx \left[C_g(x, \xi) F_g(x, \xi) + \sum_{q=u,d,s} C_q(x, \xi) F_q(x, \xi) \right]$$

Framework

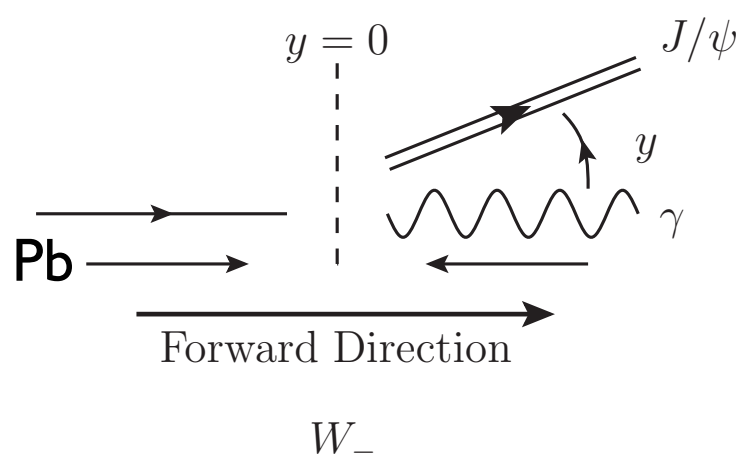
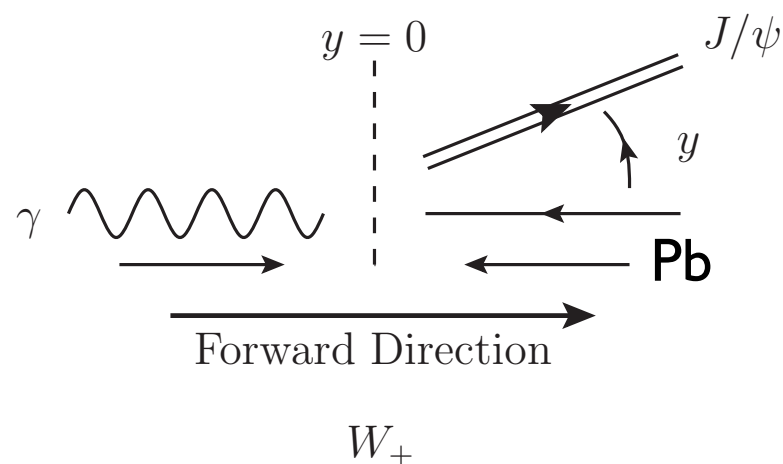
Rapidity differential cross section:

$$\frac{d\sigma^{AA \rightarrow AVA}}{dy} = \left[k \frac{dN_{\gamma}^A(k)}{dk} \sigma^{\gamma A \rightarrow VA}(k) \right]_{k^-} + \left[k \frac{dN_{\gamma}^A(k)}{dk} \sigma^{A \gamma \rightarrow AV}(k) \right]_{k^+}$$



Photon flux / survival factor

For a given rapidity y , have photons of energy $k_{\pm} = \frac{M_{J/\psi}}{2} \exp(\pm y)$ in configuration W_{\pm}



Hard scattering cross section:

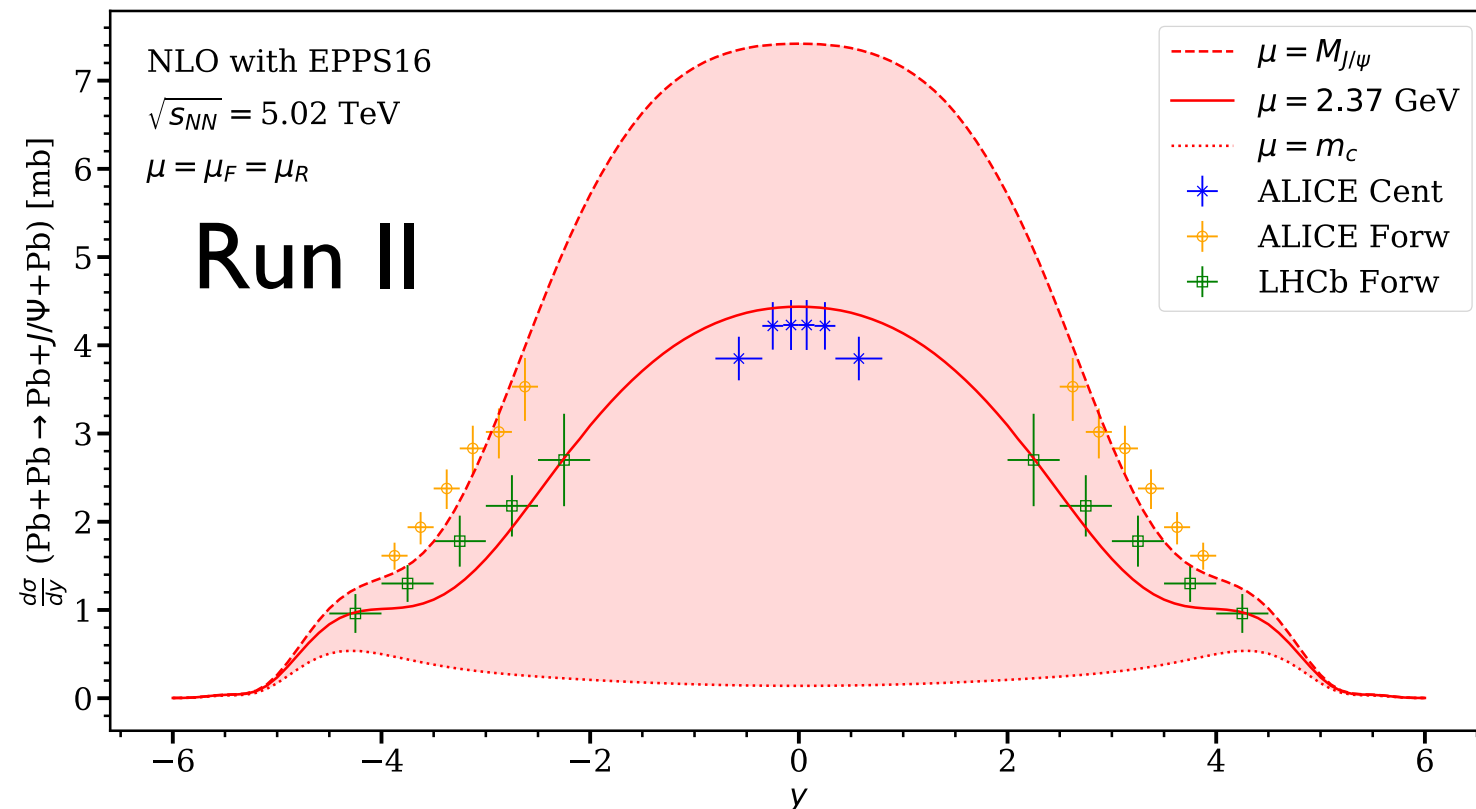
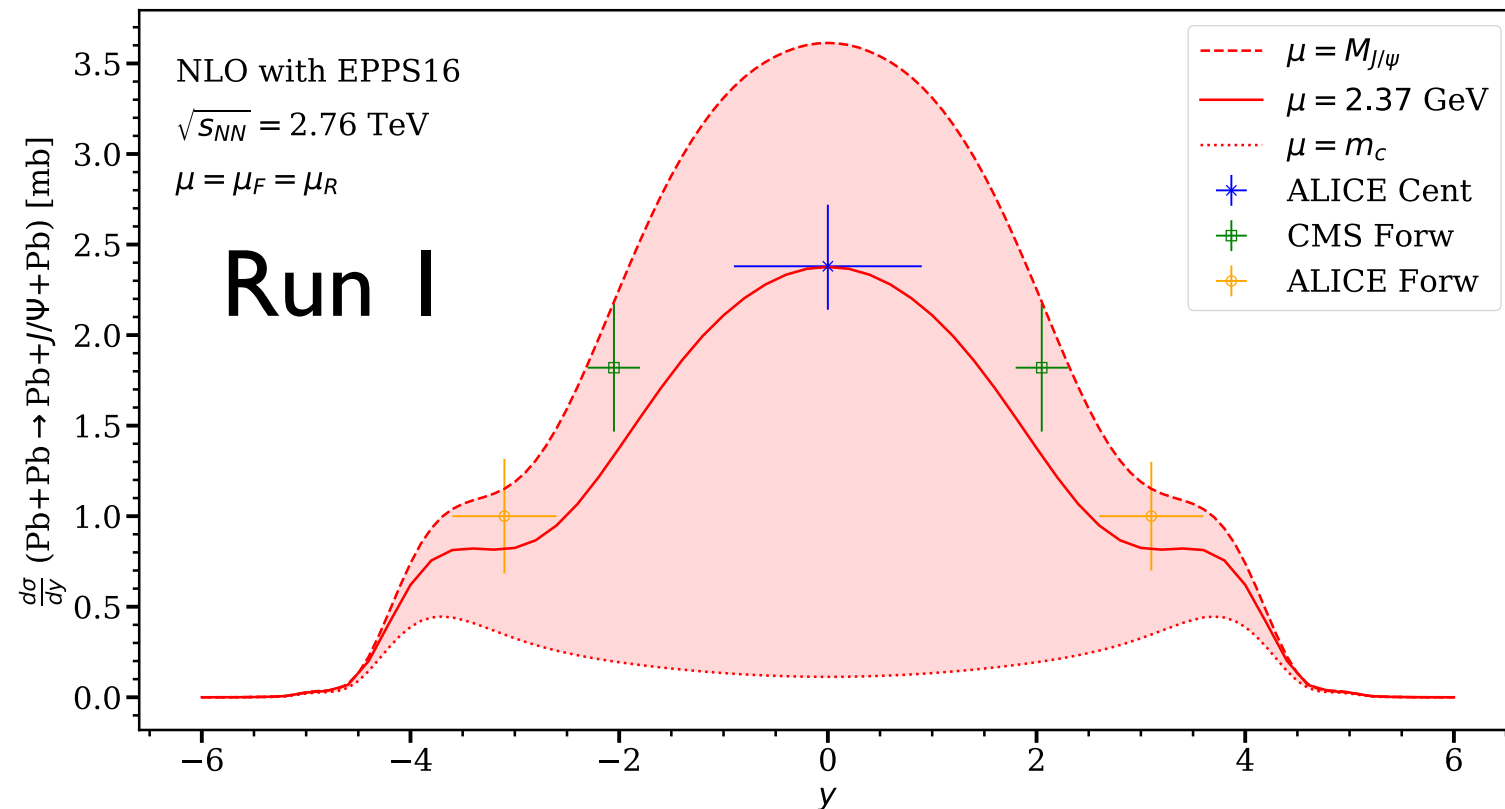
$$\sigma^{\gamma A \rightarrow VA} = \frac{d\sigma^{\gamma N \rightarrow VN}}{dt} \bigg|_{t=0} \int_{t_{min}}^{\infty} dt' |F_A(-t')|^2$$

Nuclear form factor

Baseline: GPDs in forward limit

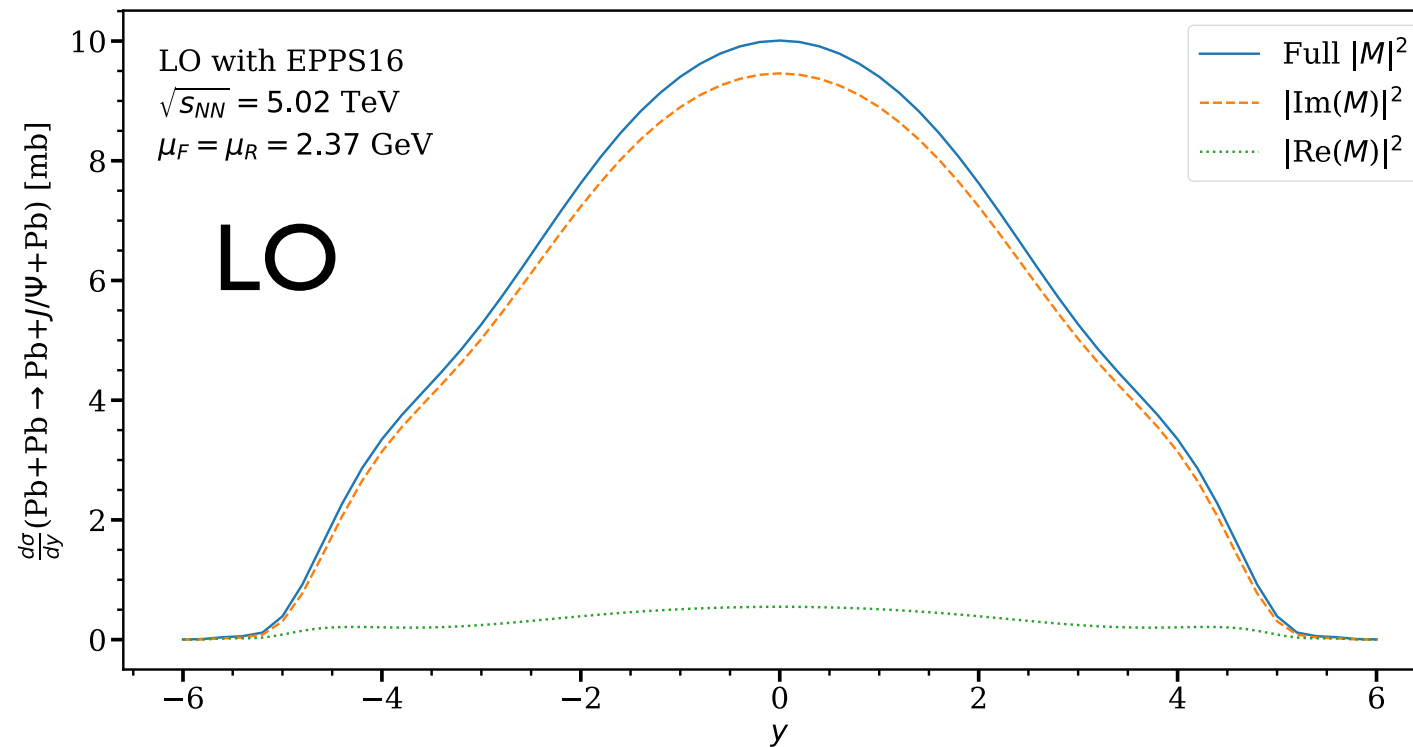
Numerical results checked in two different ways

Scale dependence at NLO

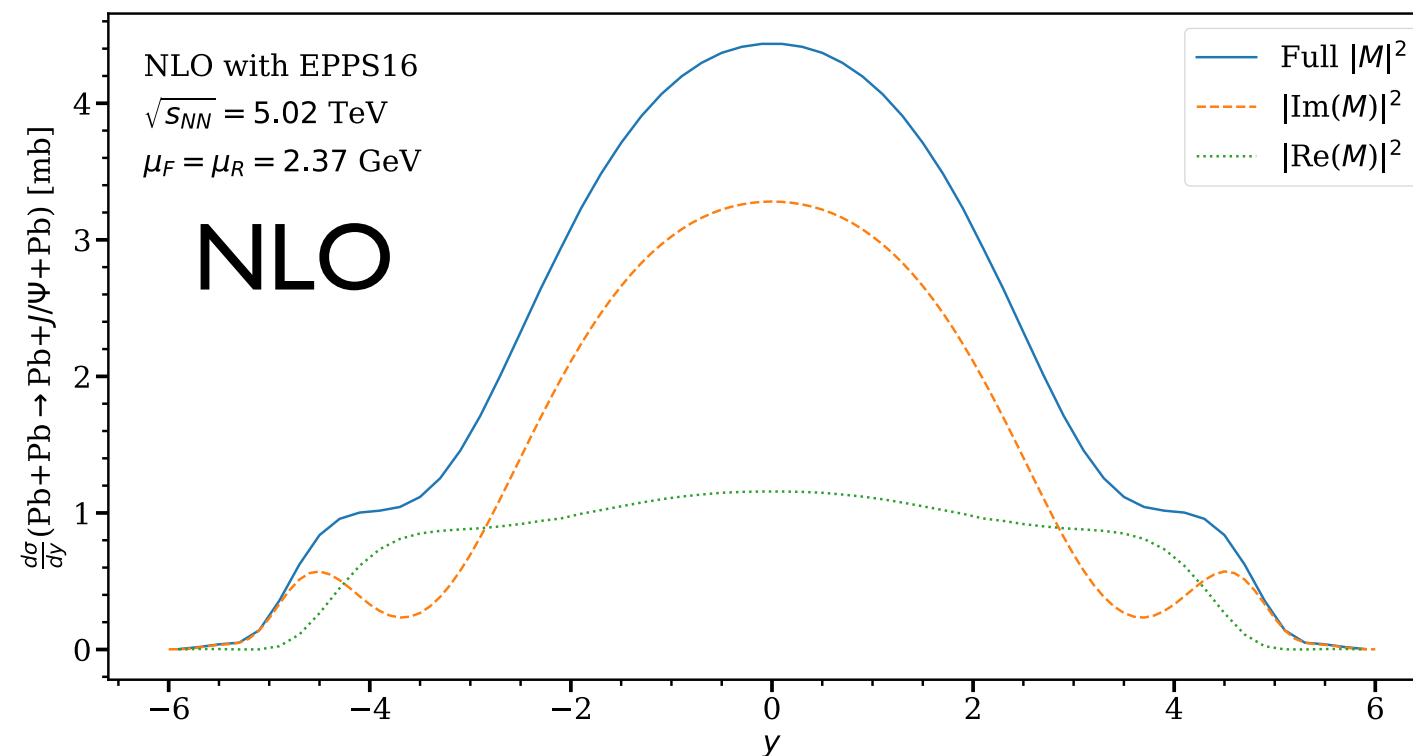


- Scale dependence large (!)
- ‘Optimal scale’: fitted to reproduce the data at both Run I and Run II energies
- Large scale variation consistent with results in hep-ph/0401131

Decomposition LO and NLO Re and Im

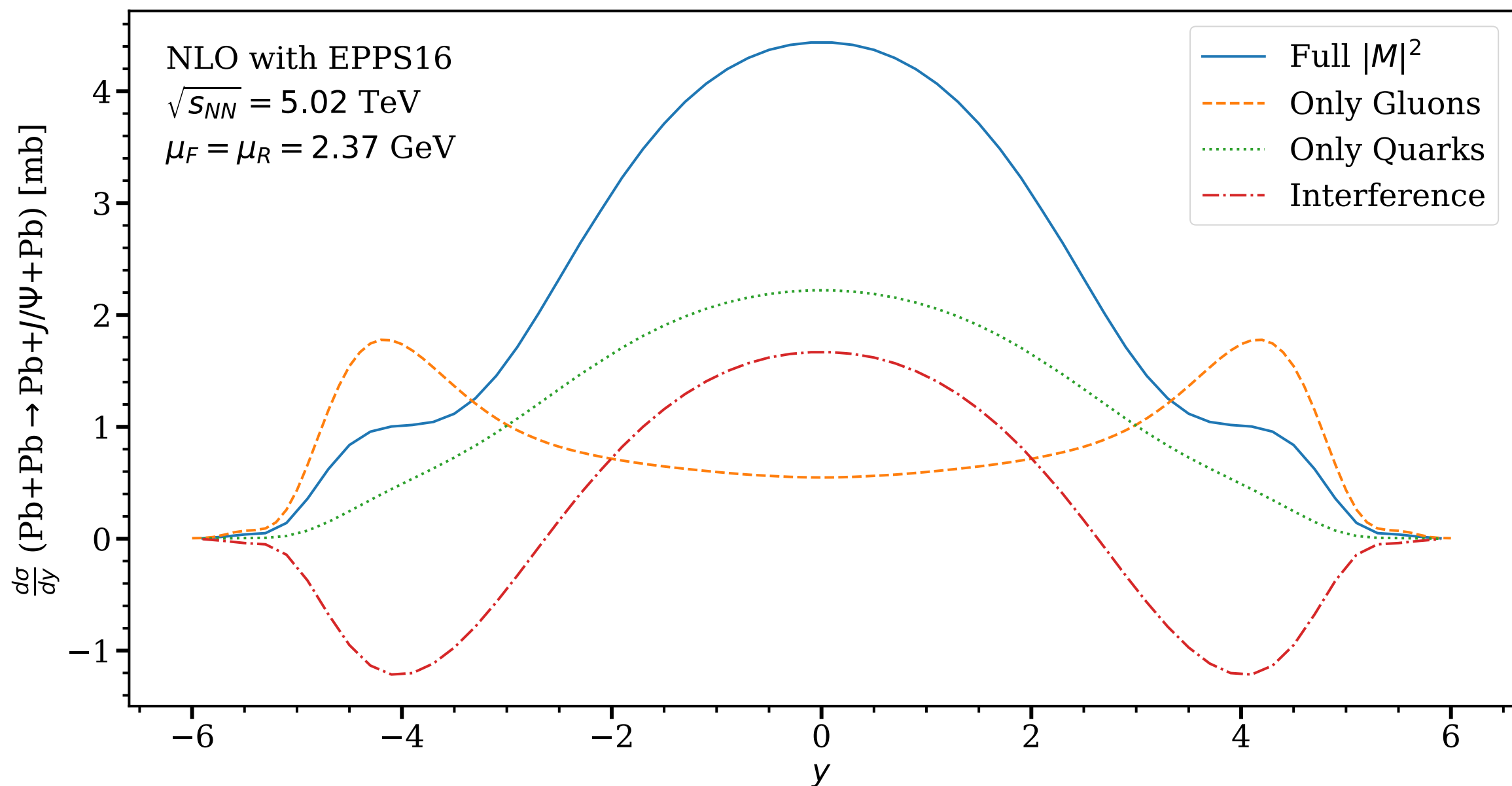


- At LO imaginary part of amplitude dominates



- At NLO, real part not negligible
- See also hep-ph/0401131

Interplay of quark and gluon at NLO

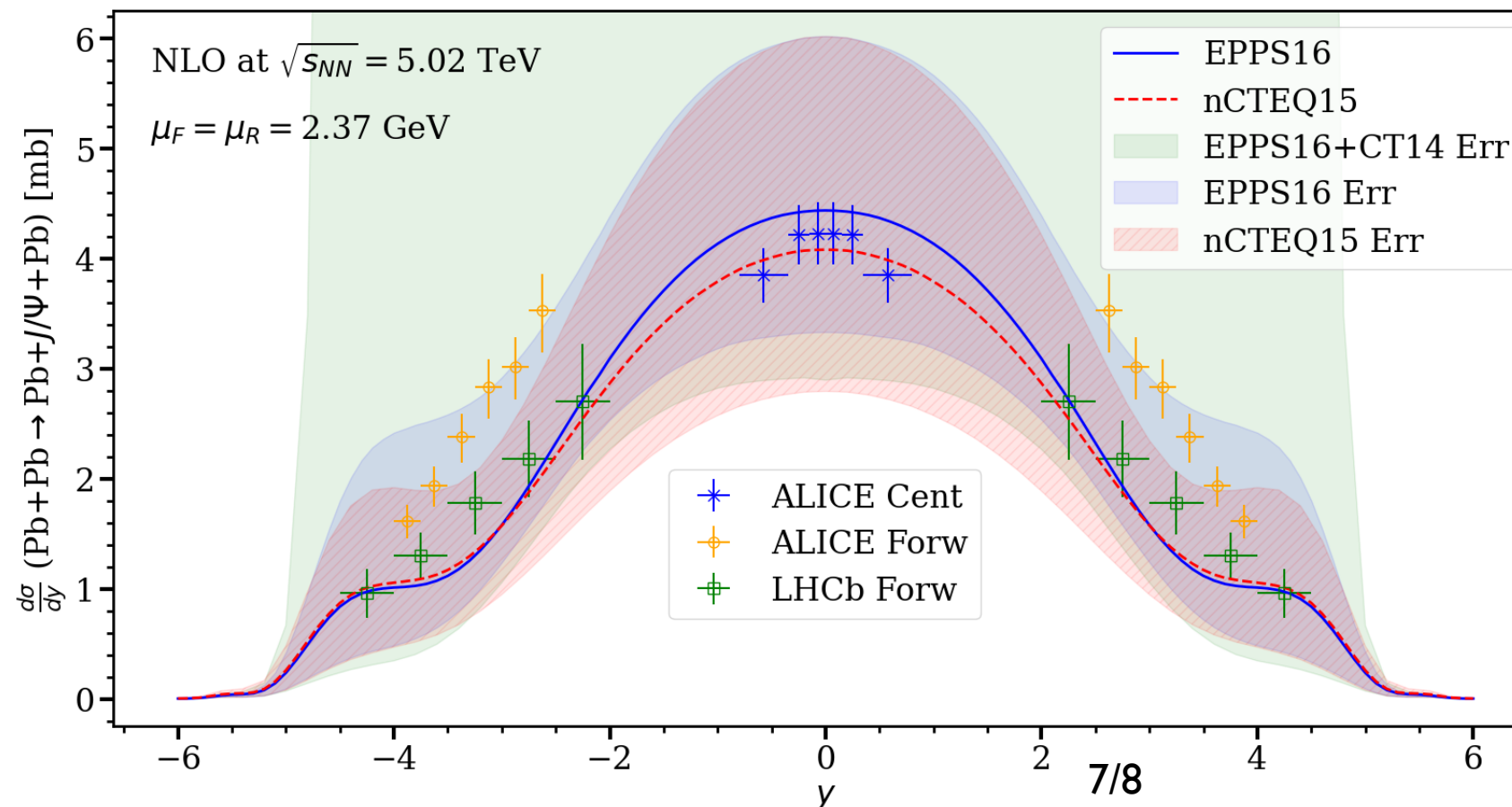
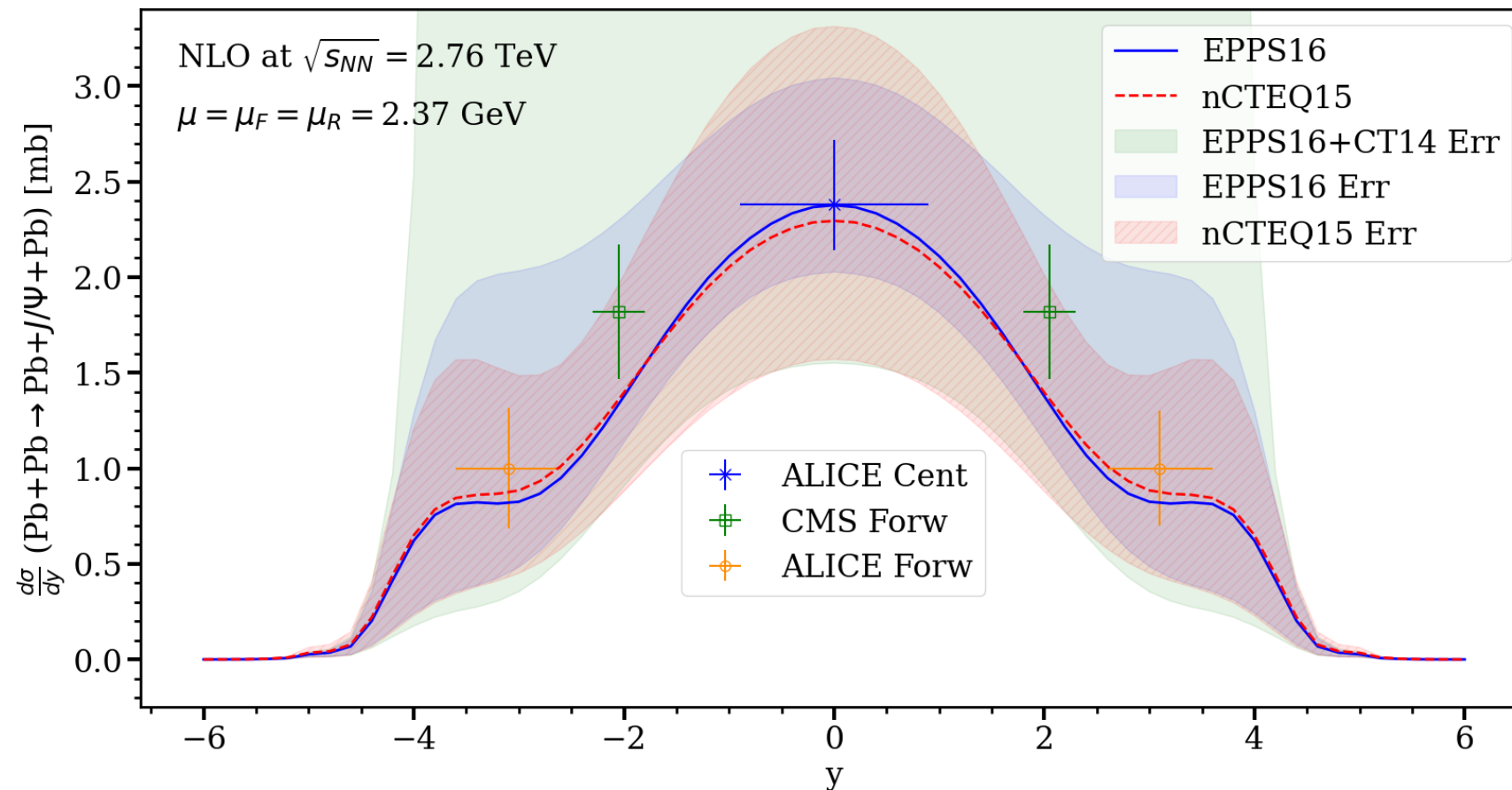


Quark contribution dominant at mid-rapidity (!)

Structure of amplitude detailed, interplaying between photoproduction cross section, photon flux, form factor and W_{\pm} components

Key: Cancellation of LO and NLO gluon amplitudes due to opp. signs

Comparison with data



- Nuclear uncertainties encompass available data both at Run I and Run II energies nicely
- Free proton uncertainties large and dominated by single error set
- Tension between Run II ALICE and LHCb data at forward rapidities

Conclusions and Outlook

- Implementation of NLO collinear factorisation to exclusive photoproduction of J/ψ in PbPb UPCs

Noteworthy features:

-Large scale dependence

-Quarks dominate at mid rapidity at NLO

————→ Discouraging... what use?

- Exclusive J/ψ production in a *tamed* collinear factorisation

————→ **Upshot:** all hope not lost!

- Q_0 subtraction and resummation

-Mild scale dependence

-Quark contribution small (~ 0)

————→ See plots

Framework: Tamed collinear factorisation + Shuvaev(PDF) + NRQCD

-Allowed for a meaningful comparison of new and improved theory prediction with data in pp UPCs and therefore extraction of low x gluon PDF

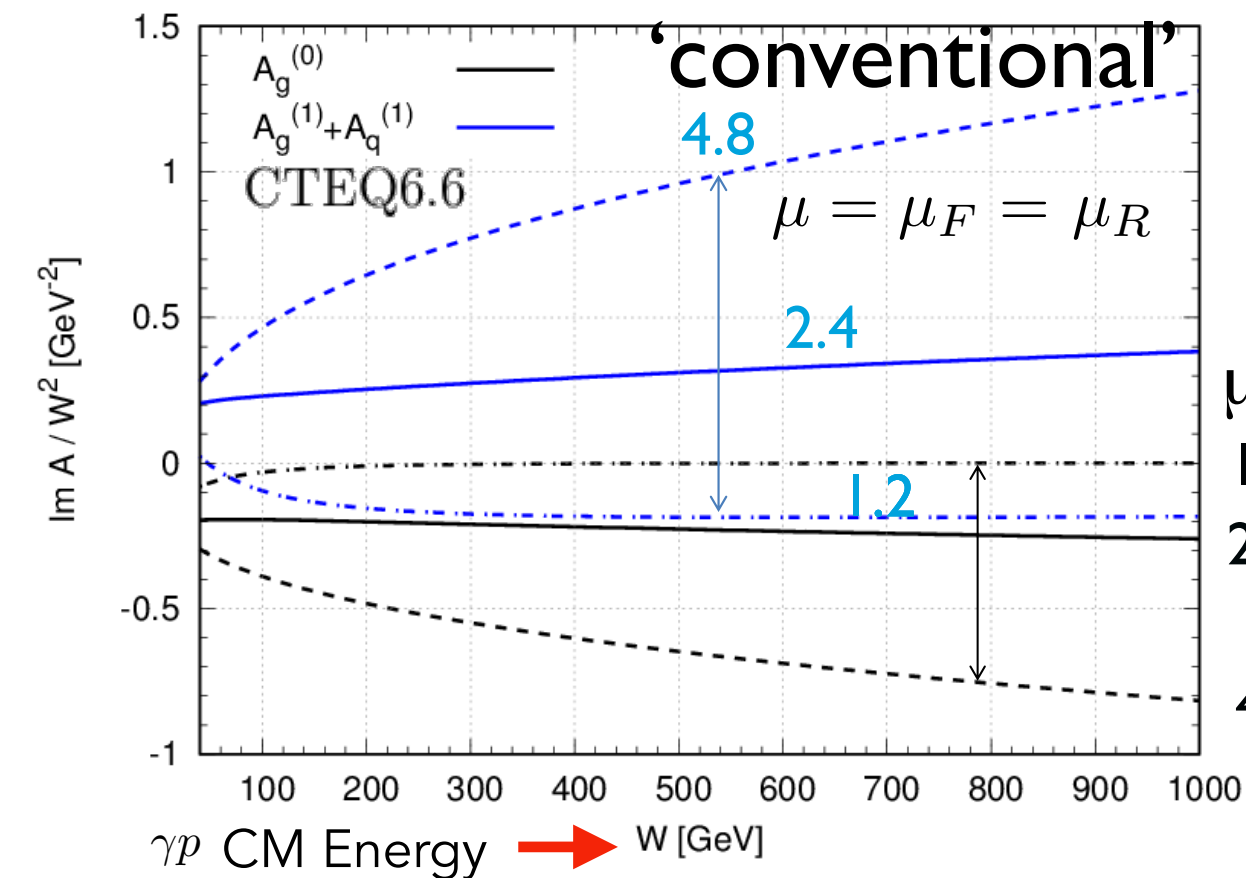
arXiv: 1908.08398

arXiv: 2006.13857

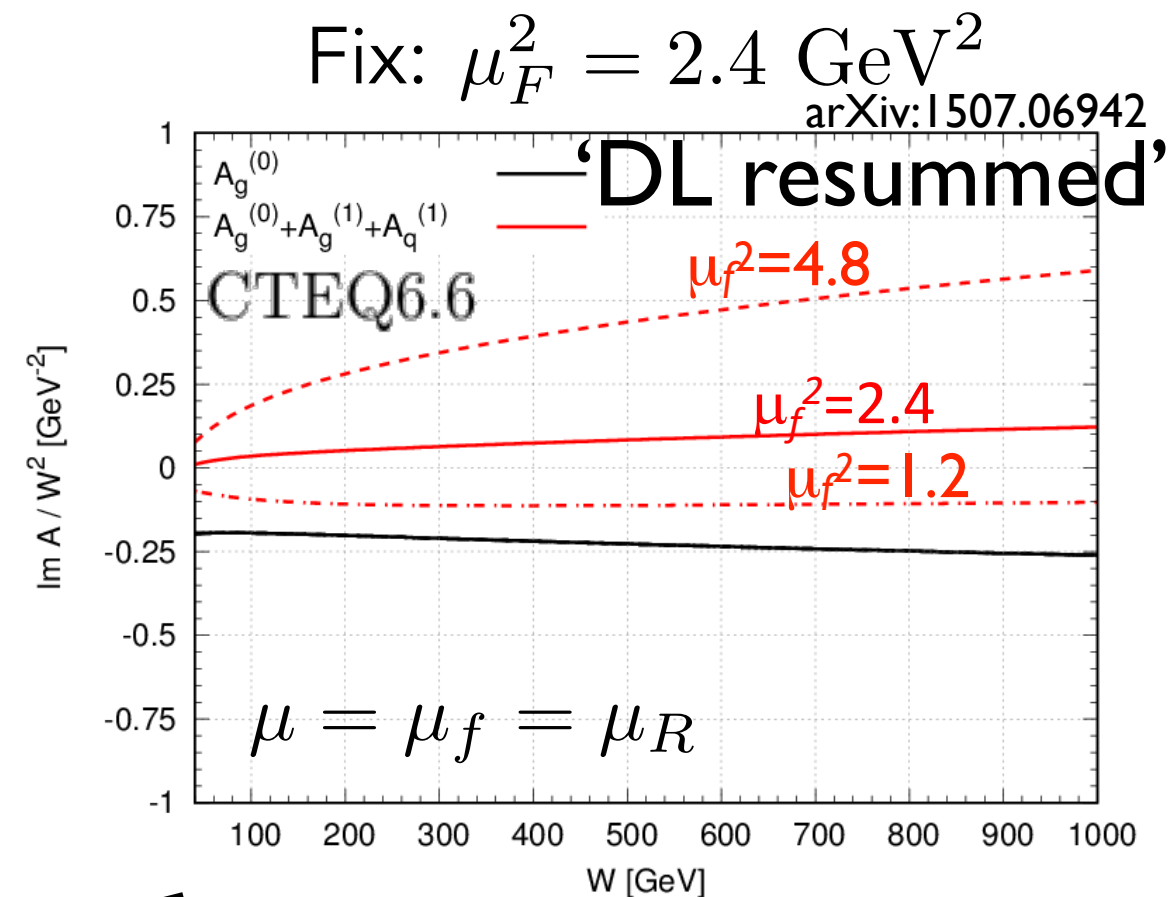
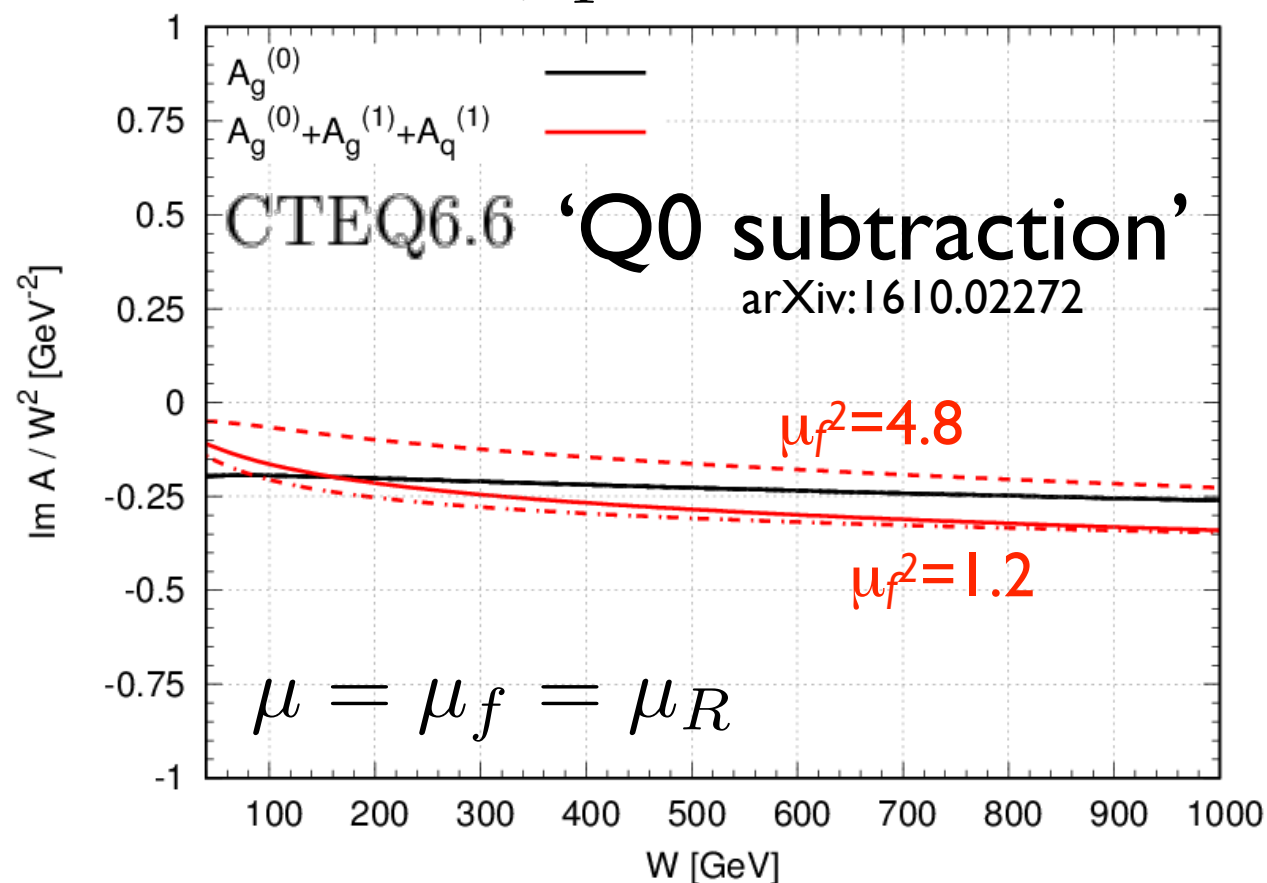
-Extend refined framework built originally for p+p to Pb+Pb

...extension to p+Pb in this framework, *in preparation*

Stability of prediction



Fix: $\mu_F^2 = 2.4 \text{ GeV}^2$



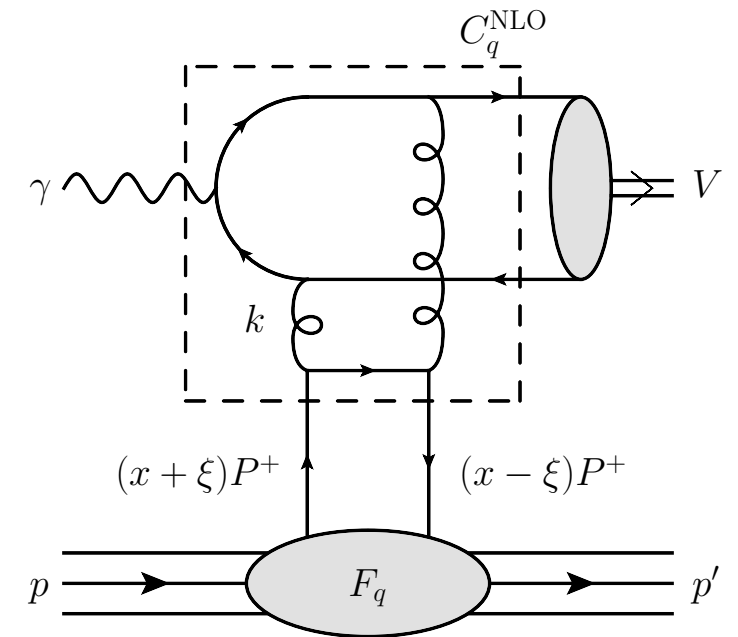
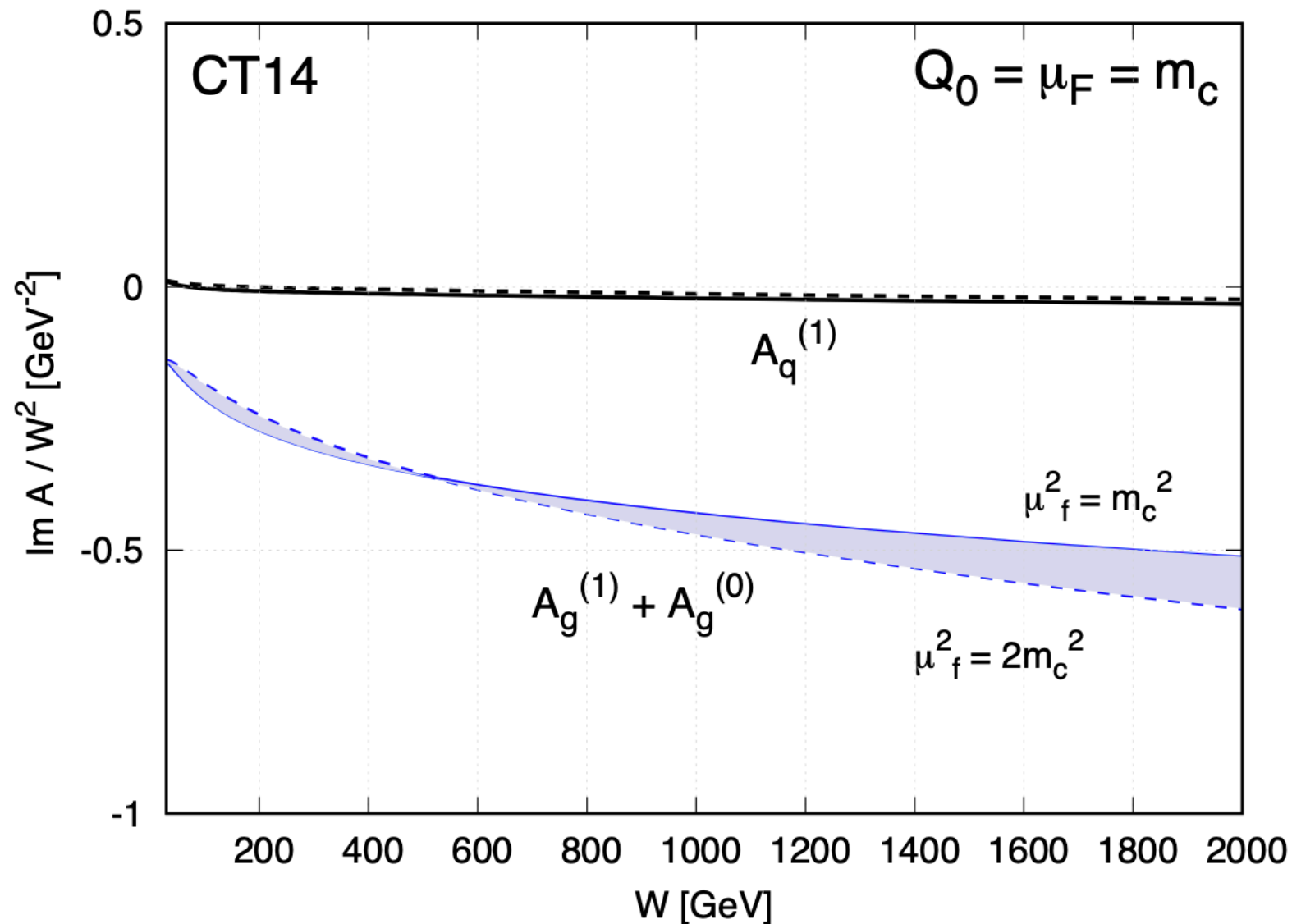
$\sim (\alpha_s \ln(1/\xi) \ln(\mu_F/m))^n$

Subtract DGLAP contribution
 $\text{NLO } (|\ell^2| < Q_0^2)$
 from known NLO MSbar coefficient
 function to avoid a double count with input
 GPD at Q_0 .

Typically power suppressed, but sizeable
 here: $\mathcal{O}(Q_0^2/M_{J/\psi}^2)$

Interplay of quark and gluons at NLO

After Q_0 subtraction:



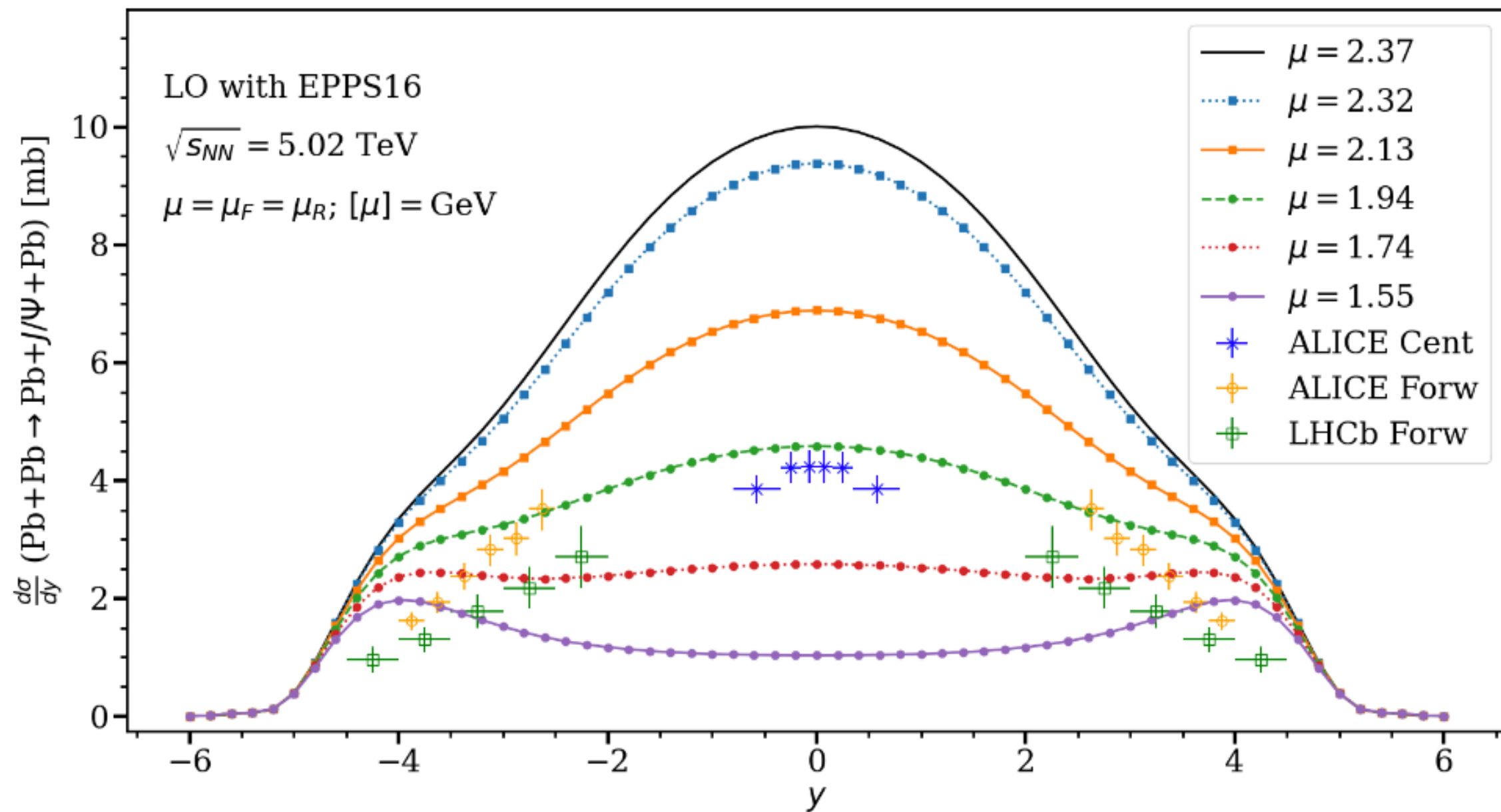
arXiv: 1908.08398

Quark contribution separated from hard scattering by at least *one* step of DGLAP evolution
and is therefore removed after imposition of Q_0 subtraction

—————→ Gluon driven again like at LO

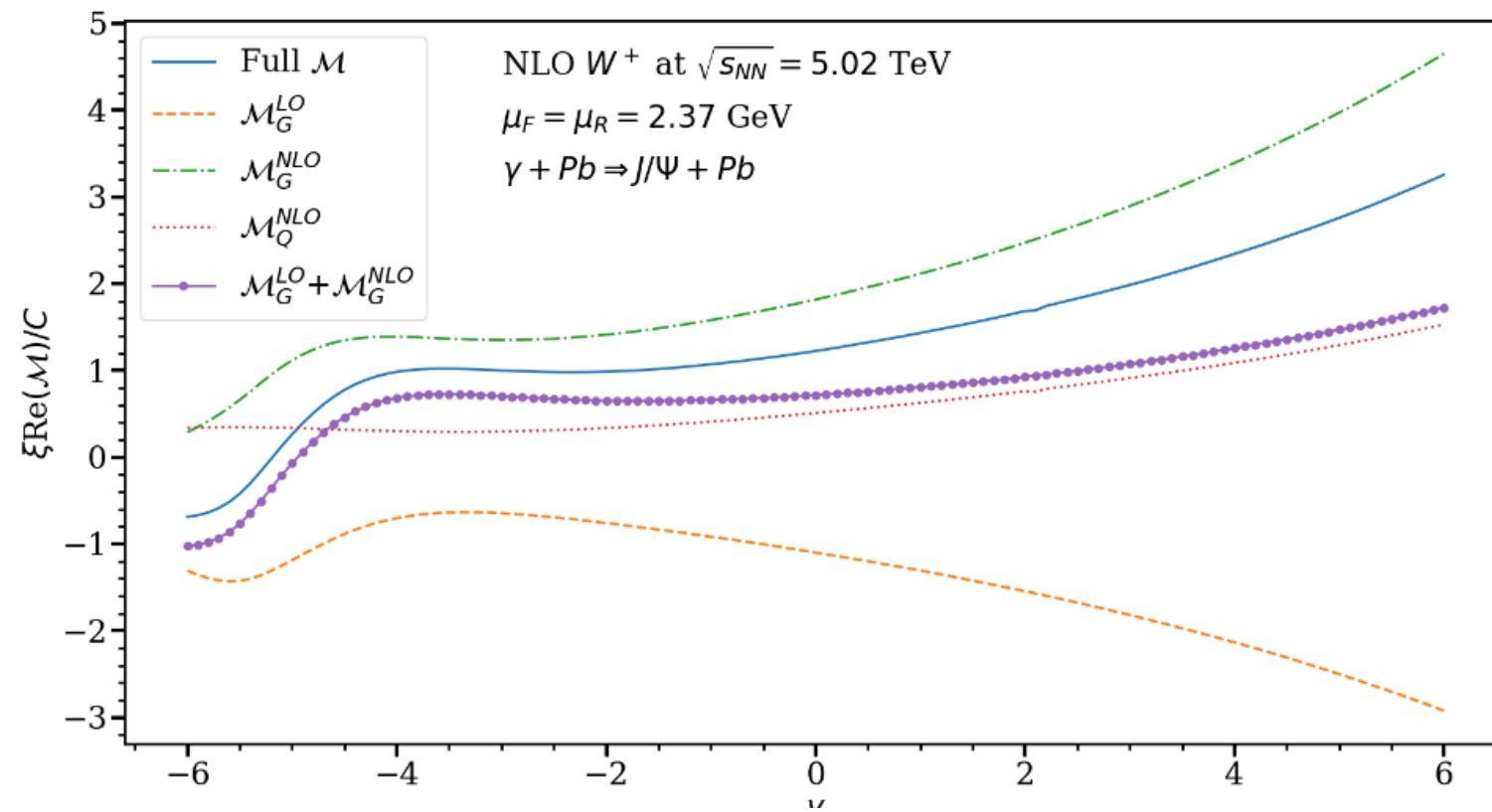
Backups

LO Scale dependence & comparison to data

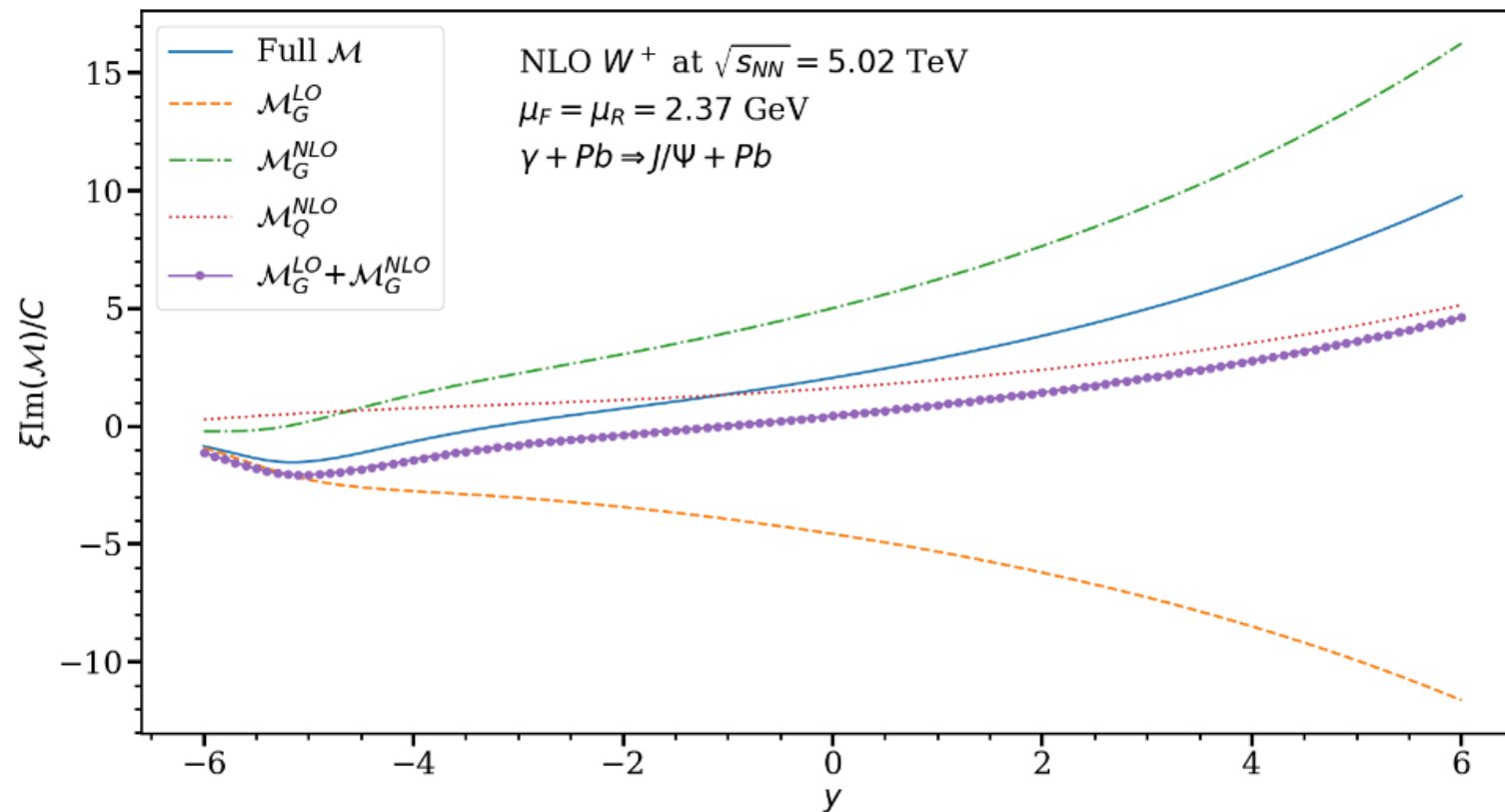


LO and NLO amplitudes

Re:



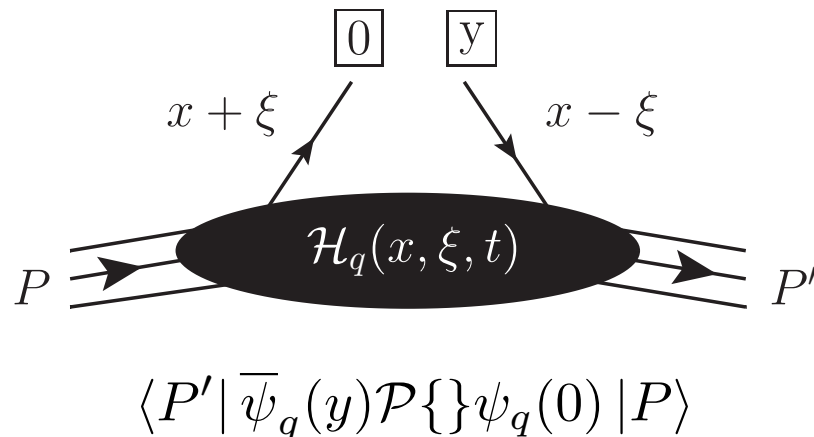
Im:



GPDs and the Shuvaev transform

GPDs generalise PDFs: outgoing/incoming partons carry different momentum fractions

Müller 94; Radyushkin 97; Ji 97



Shuvaev: Relates GPDs to PDFs at small x under physically motivated assumptions c.f analyticity

Shuvaev 99 Martin et al. 09

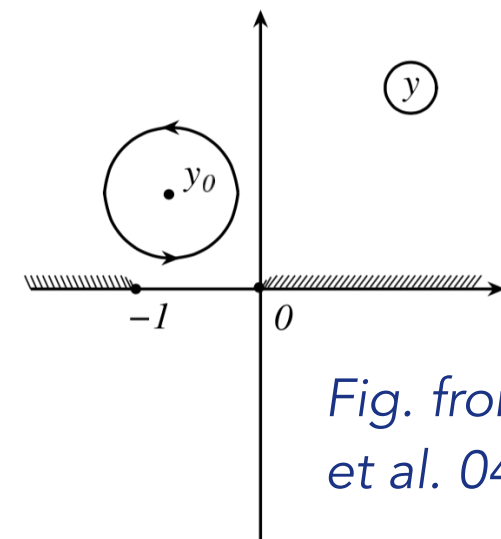


Fig. from Ivanov et al. 04

Idea: Conformal moments of GPDs = Mellin moments of PDFs

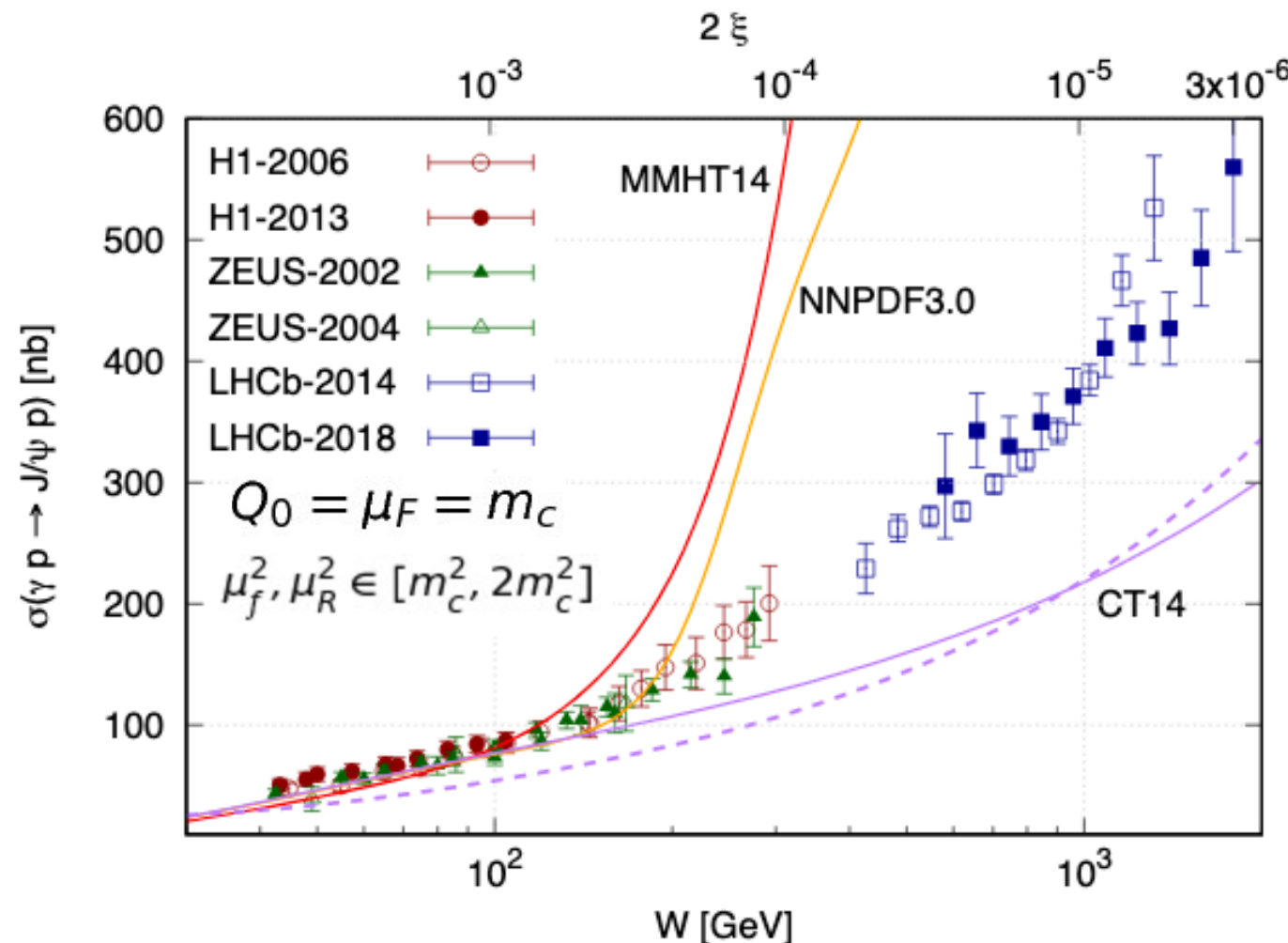
(up to corrections of order ξ^2)

- Construct GPD grids in multidimensional parameter space $x, \xi/x, qsq$ with forward PDFs from LHAPDF
- Costly computationally due to slowly converging double integral transform
- Regge theory considerations \Rightarrow Shuvaev transform valid in space like (DGLAP) region only. In time like (ERBL) region imaginary part of coefficient is zero

Towards the bigger picture

Plot demonstrates good scale stability of our NLO predictions in LHCb regime

Predictions at optimal scale (solid) agree better with HERA data



CAF, S.P.Jones, A.D.Martin,
M.G.Ryskin, T.Teubner,
1907.06471 & 1908.08398

Diversity between
predictions based on
current global PDFs in
unconstrained phase
space -> important
message

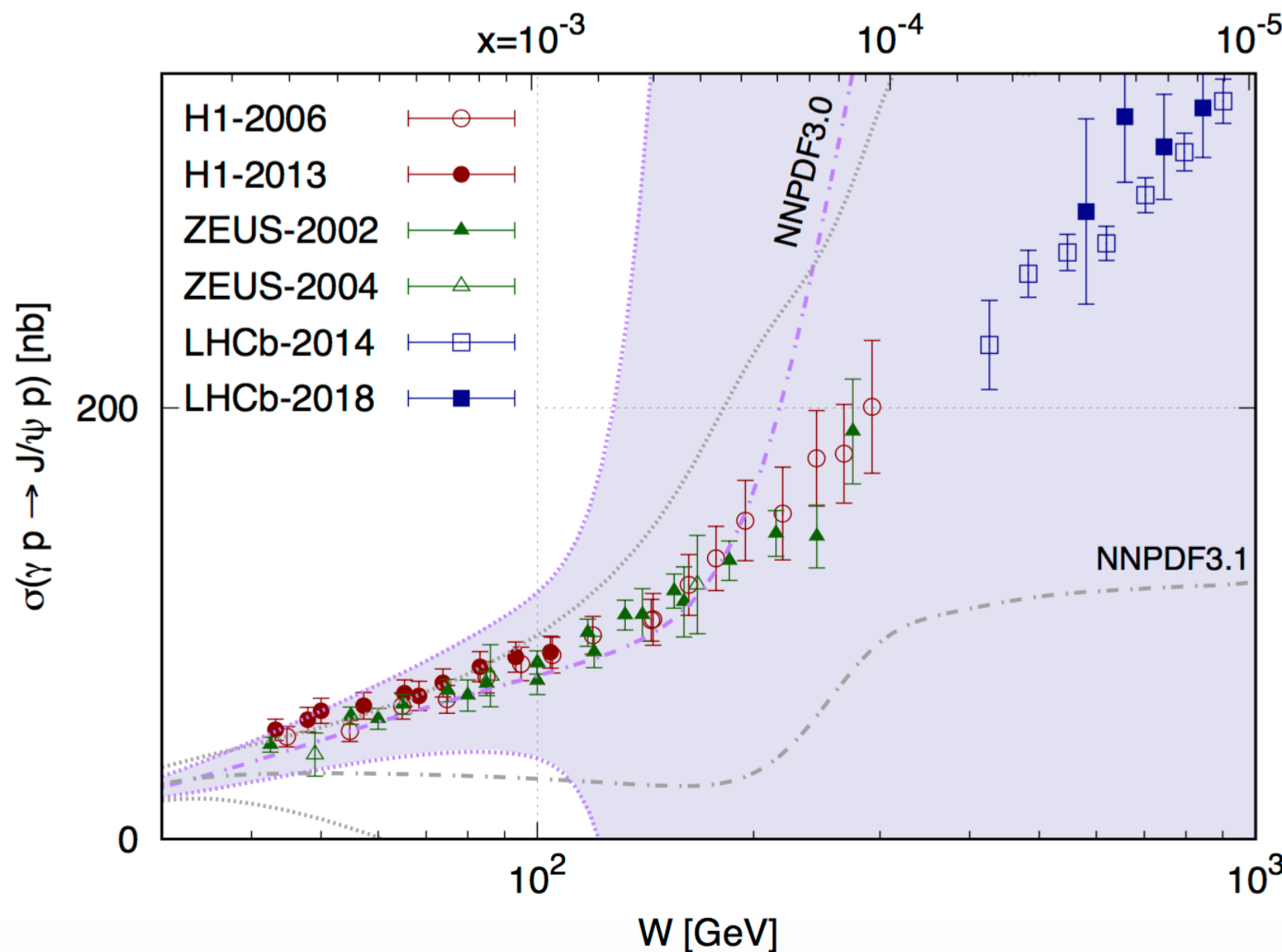
Repeat Disclaimer:

Convoluting with existing
global partons. Here, MMHT14,
NNPDF3.0 & CT14

$$\frac{\text{Re}\mathcal{M}}{\text{Im}\mathcal{M}} \sim \frac{\pi}{2}\lambda = \frac{\pi}{2} \frac{\partial \ln \text{Im}\mathcal{M}/W^2}{\partial \ln W^2} \quad \text{with} \quad \mathcal{M} \sim x^{-\lambda}$$

Error budgets: errors due to parameter variations in global fits \gg experimental uncertainty and scale variations in the theoretical result

..... exclusive data now in a position to readily improve global analyses



Exclusive LHCb data will constrain small x growth whilst *exclusive* HERA data will improve determination of partons in regime with data constraints already from diffractive DIS HERA data

Extraction of low x gluon PDF via exclusive J/psi

Left

Approach 1: Fit a low x gluon PDF ansatz to the data

Right

Approach 2: Bayesian reweight current global PDF analyses

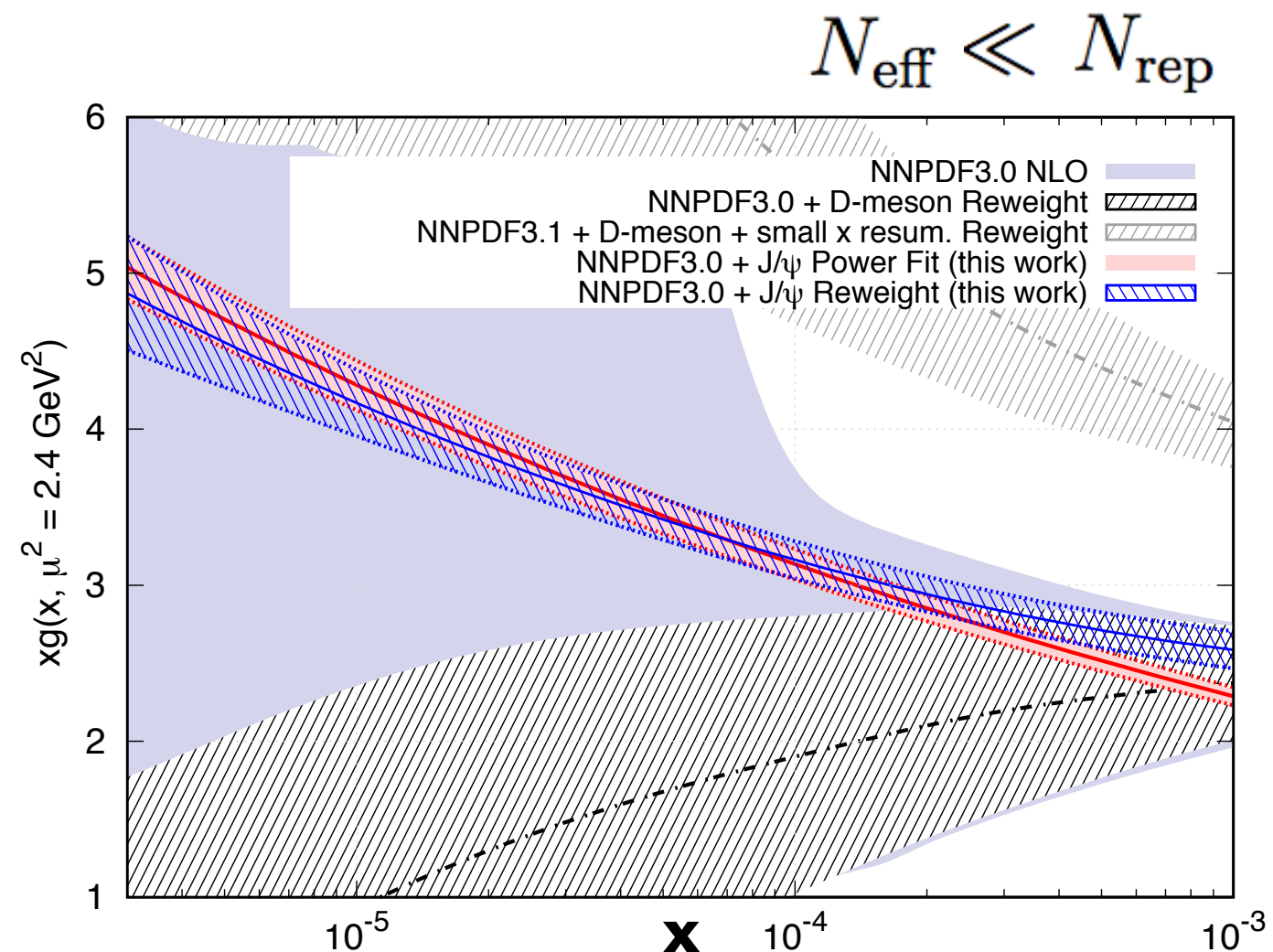
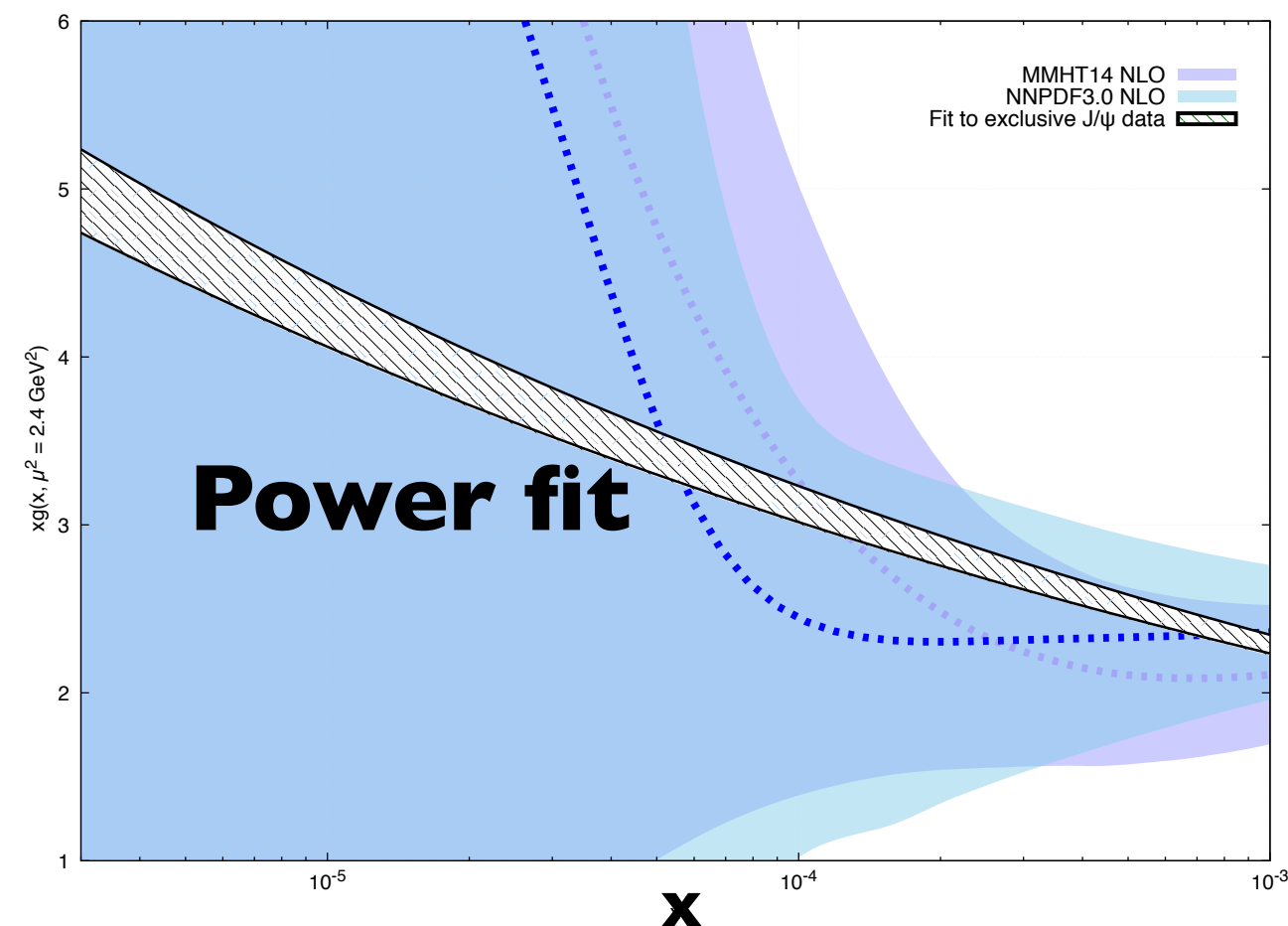
| | λ | n | χ^2_{\min} | $\chi^2_{\min}/\text{d.o.f}$ |
|----------|-----------|-------|-----------------|------------------------------|
| NNPDF3.0 | 0.136 | 0.966 | 44.51 | 1.04 |
| MMHT14 | 0.136 | 1.082 | 47.00 | 1.09 |
| CT14 | 0.132 | 0.946 | 48.25 | 1.12 |

$$xg^{\text{new}}(x, \mu_0^2) = nN_0 (1-x) x^{-\lambda}$$

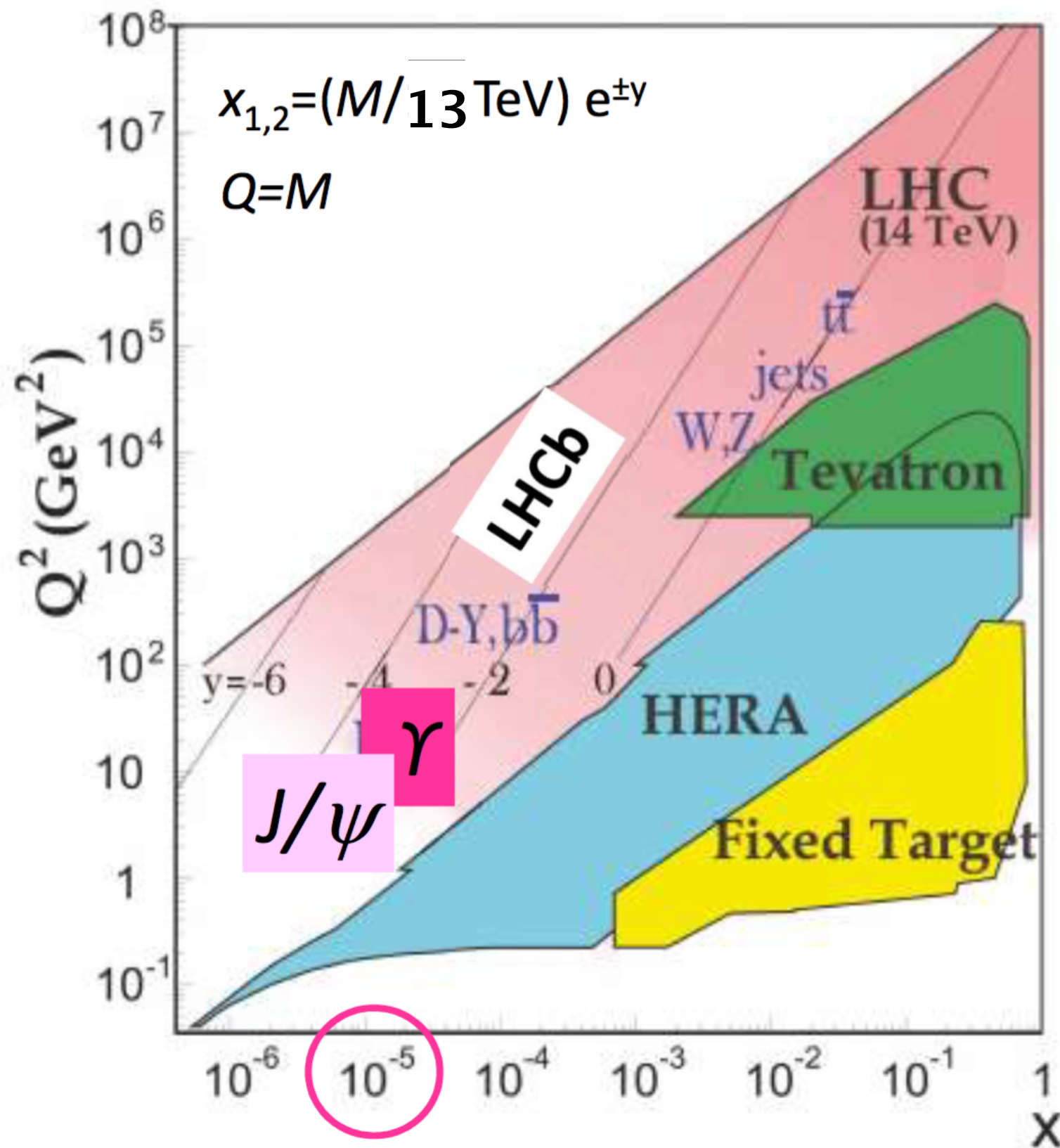
$$\lambda = 0.136 \pm 0.006$$

$$n = 0.966 \pm 0.025$$

CAJ, A.D. Martin, M.G. Ryskin, T. Teubner, 2006. 13857



Kinematic coverage

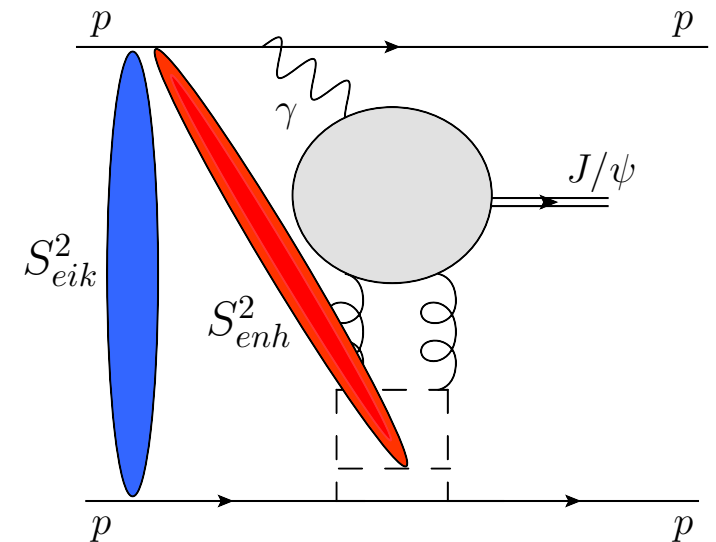
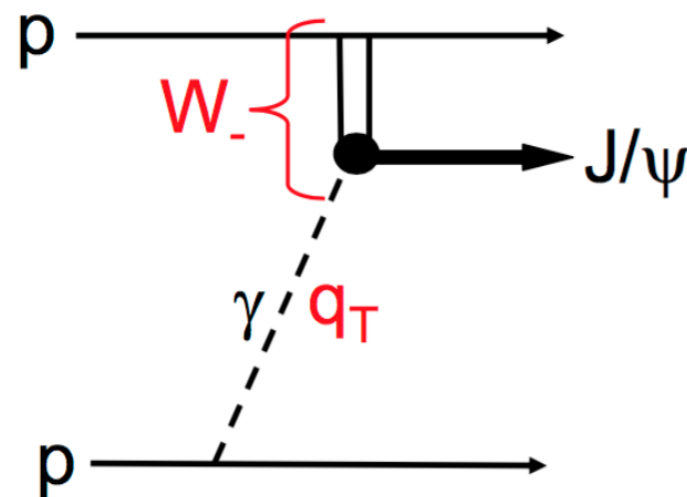
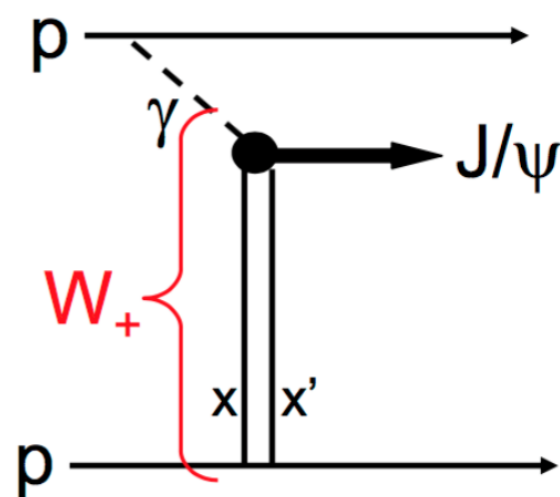


LHCb with $2 < y < 4.5$
can probe gluon
down to $x \sim 10^{-5}$

exclusive J/ψ , Y
[$Q = M_V/2$ (scale)]

Why are these
LHCb data not used
in global PDF fits ??

General Set up and assumptions



LHCb data

$$\frac{d\sigma(pp)}{dy} = S^2(W_+) \left(k_+ \frac{dn}{dk_+} \right) \sigma_+(\gamma p) + S^2(W_-) \left(k_- \frac{dn}{dk_-} \right) \sigma_-(\gamma p)$$

survival probability
factors

LHCb 'data'

photon flux

HERA gives W_-

$$W_{\pm}^2 = M_{J/\psi} \sqrt{s} e^{\pm|y|} \Rightarrow x_{\pm} = \begin{cases} 10^{-5} \\ 0.02 \end{cases} \quad \text{at } y = 4, \sqrt{s} = 13 \text{ TeV}$$