

The nEXO neutrinoless double beta decay experiment

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Lake Louise Winter Institute 2022

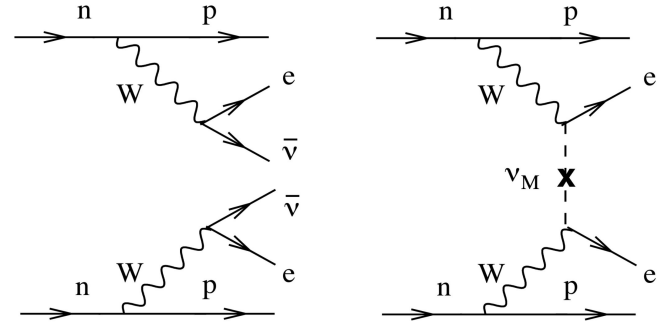
February 24, 2022



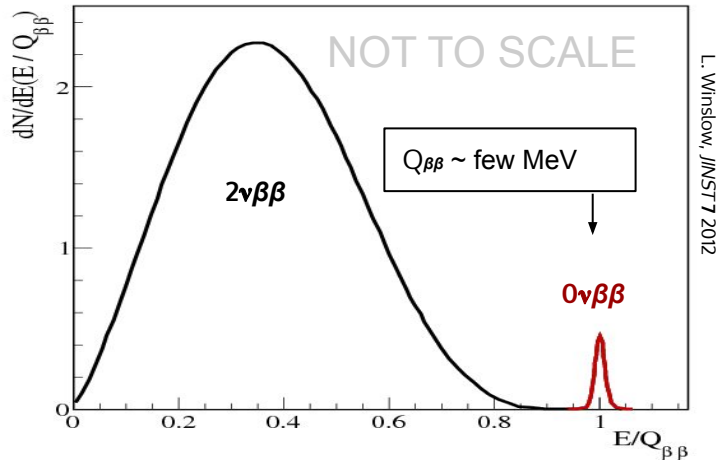
Searching for new physics via $0\nu\beta\beta$

$0\nu\beta\beta$ decay is a powerful probe of physics beyond the standard model:

- Majorana nature of neutrino ($\nu = \bar{\nu}$?)
- Lepton number violation
- Connections to absolute neutrino mass scale, matter/antimatter asymmetry



Avignone, Elliott, & Engel *Rev. Mod. Phys.* **80** (2008)



Current $T_{1/2}$ limits: $>10^{26}$ years!

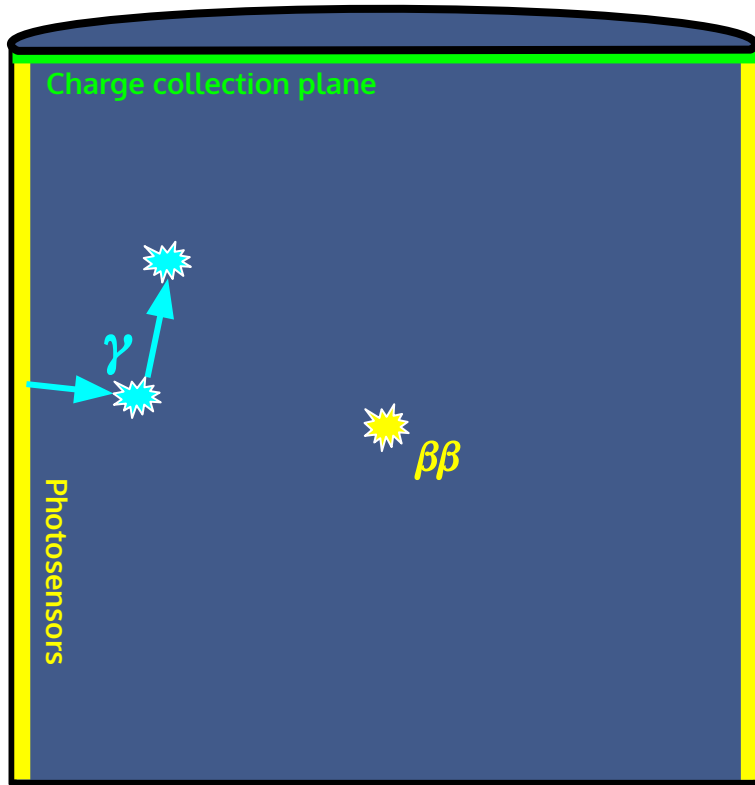
Requirements for next-gen $0\nu\beta\beta$ experiments:

- O(1) tonne of the isotope of interest ($>10^{27}$ atoms)
- Ultra-low radioactivity detector(s)
- Strong signal/background discrimination
- Good energy resolution

The nEXO collaboration



Liquid xenon TPCs for next-gen $0\nu\beta\beta$



A LOT of the $\beta\beta$ isotope (^{136}Xe)

- Ton-scale LXe TPCs are already operating for DM
- Enrichment is straightforward

Low, well-characterized backgrounds in MeV range (low radioactivity)

- Low intrinsic backgrounds & excellent self-shielding

Good energy resolution

- Combining charge and light can reach <1%

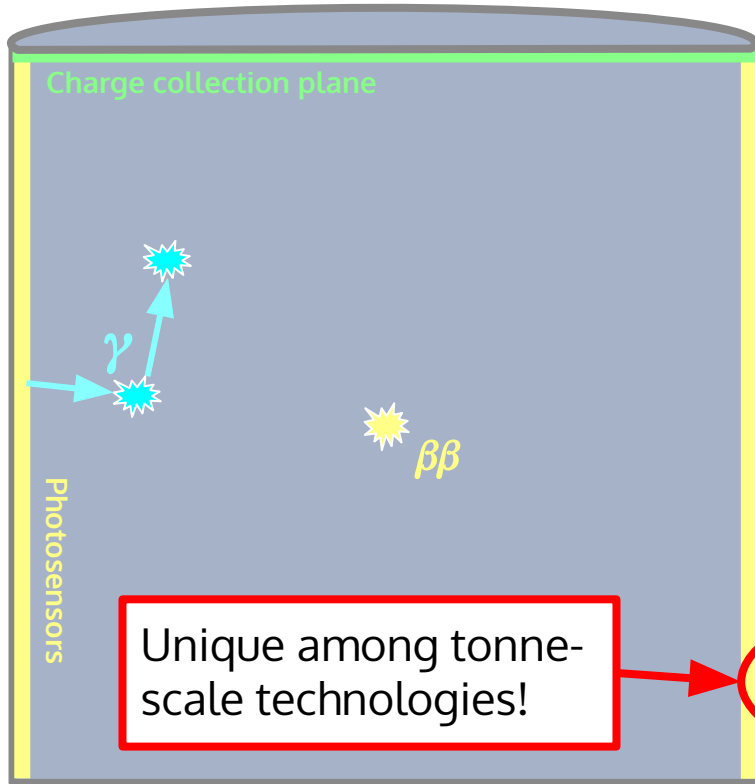
Signal/background discrimination

- Powerful position reconstruction and multi-site rejection to characterize and reject BG

Possibility of a control experiment

- Can run with both enriched and depleted xenon to confirm a discovery

Addressing the challenges for next-gen $0\nu\beta\beta$



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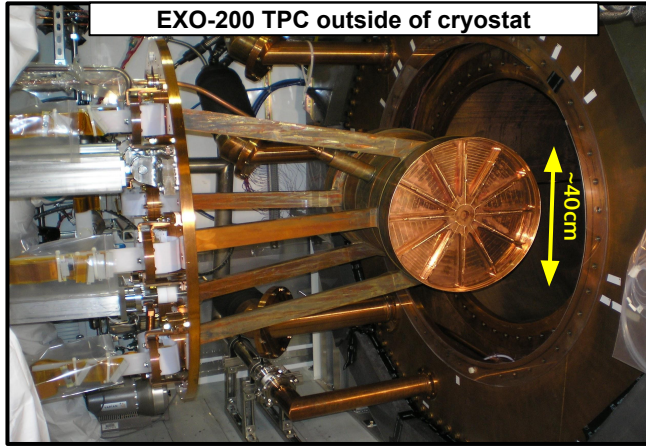
Signal/background discrimination

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Possibility of a control experiment

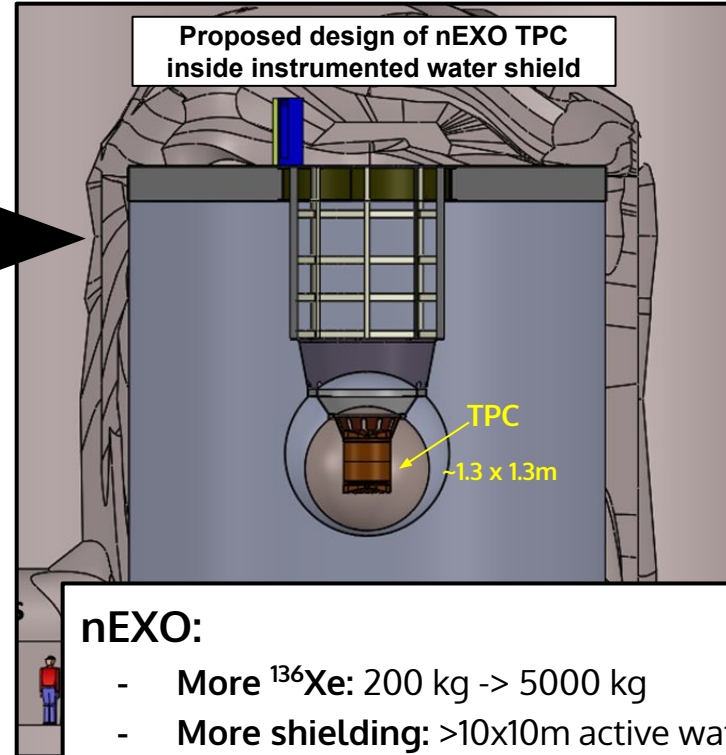
- Can run with both enriched and depleted xenon to confirm a discovery

Scaling up from EXO-200 to nEXO



EXO-200: 2011 - 2018

- First 100kg-class $0\nu\beta\beta$ search
- Discovered $2\nu\beta\beta$ in ^{136}Xe
- $T_{1/2} > 3.5 \times 10^{25}$ yr for $0\nu\beta\beta$ in ^{136}Xe (*PRL* **123**, 2019)
- Multiple leading limits on other decay modes of ^{136}Xe and ^{134}Xe
- Pioneered ultra-low-background LXe TPC technology

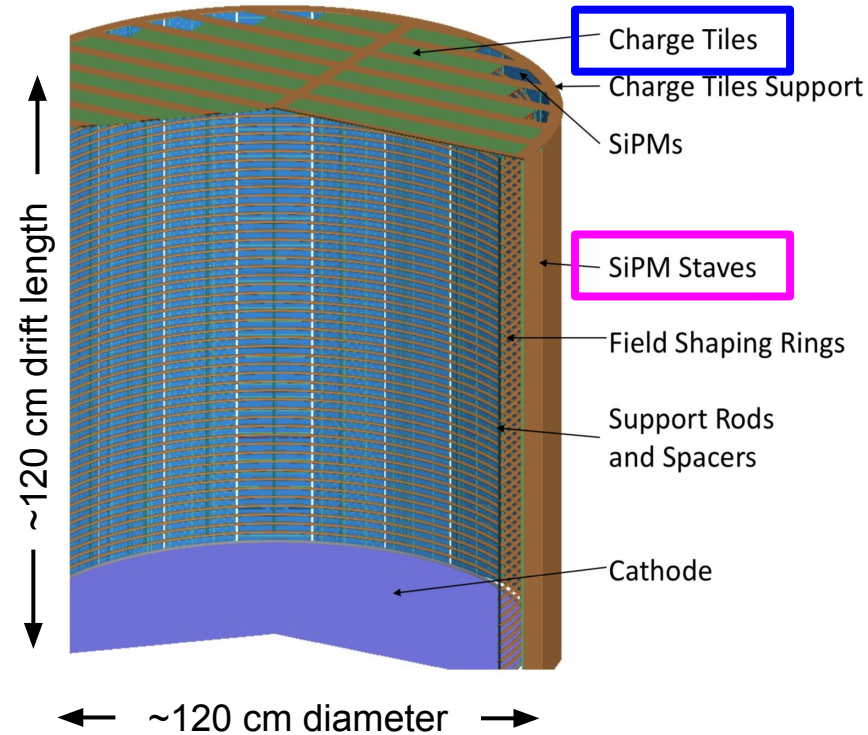


nEXO:

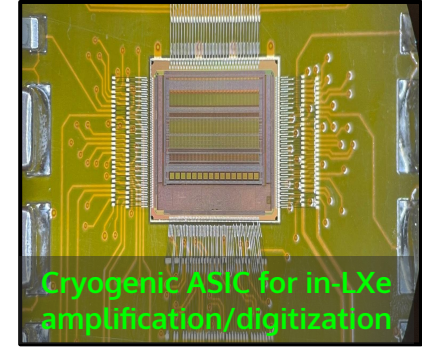
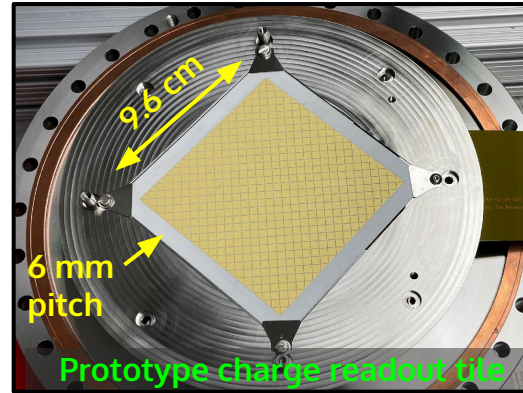
- **More ^{136}Xe :** 200 kg -> 5000 kg
- **More shielding:** >10x10m active water shield
- **Larger overburden:** 2000m underground
- **Upgraded instrumentation:** SiPMs for light, new "tiles" for charge, all with cold electronics

Major ongoing R&D: instrumentation

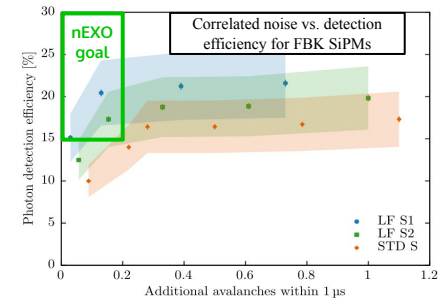
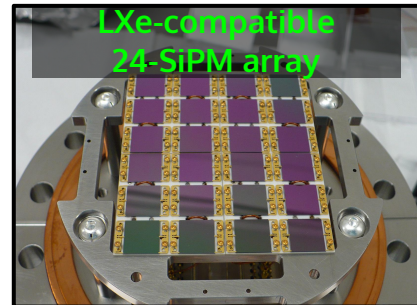
The nEXO TPC



Charge sensing with modular tiles and cold electronics



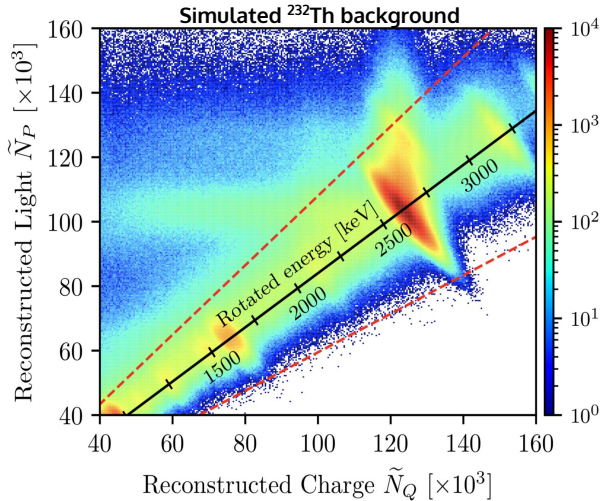
~4.5 m² array of VUV silicon photomultipliers (SiPMs)



Multi-parameter background rejection

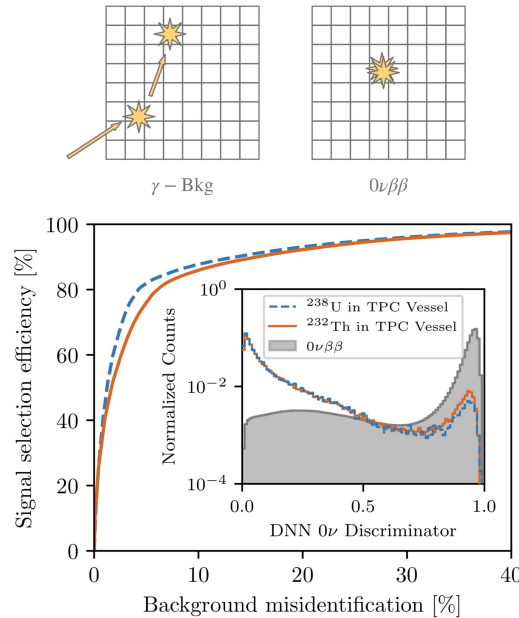
Energy

Reconstructed as sum of scintillation photons and ionization electrons: $E = W (N_{ph} + N_e)$



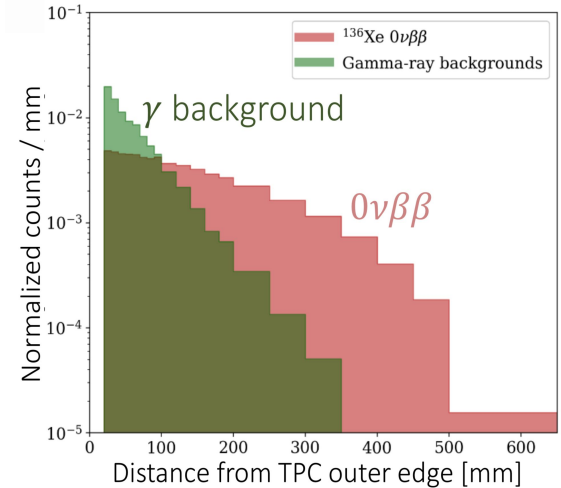
3D event topology

Discrimination between single-site ($\beta\beta$ -like) and multi-site (γ -like) events, enhanced by deep neural net

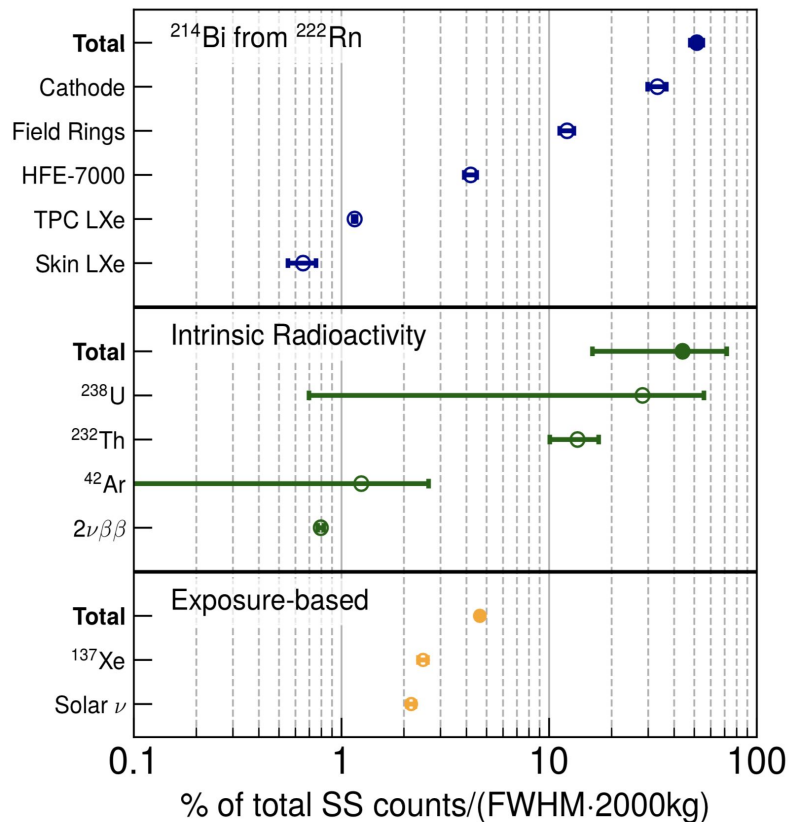


Standoff distance

Self-shielding of liquid xenon reduces backgrounds in central region of detector



Data-driven background modeling

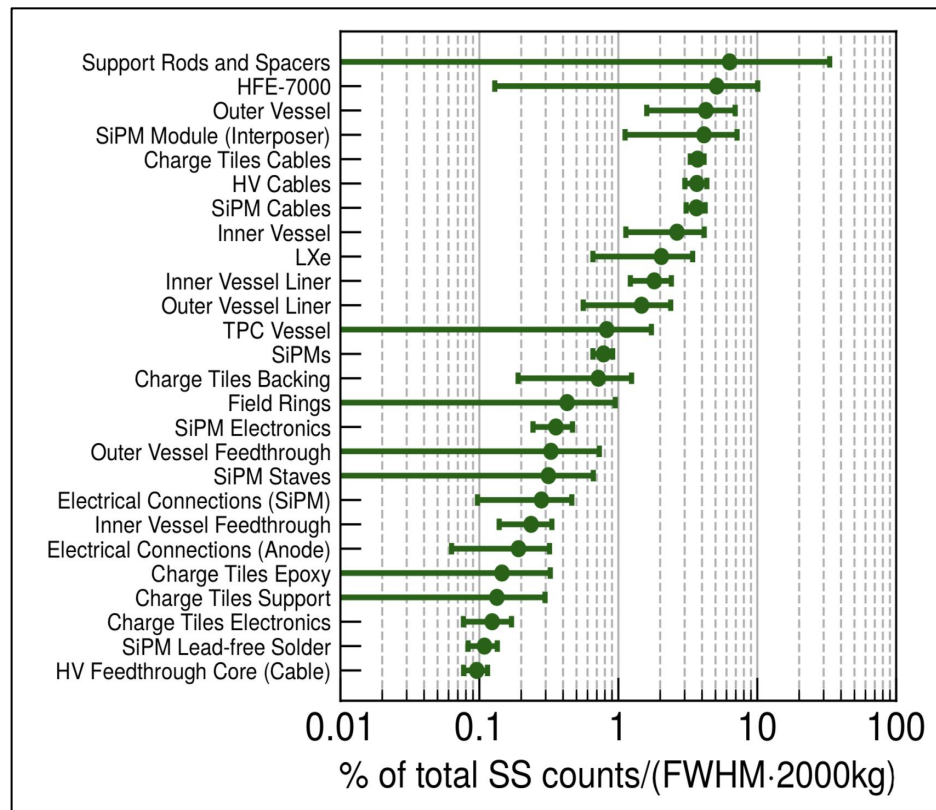
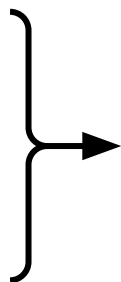
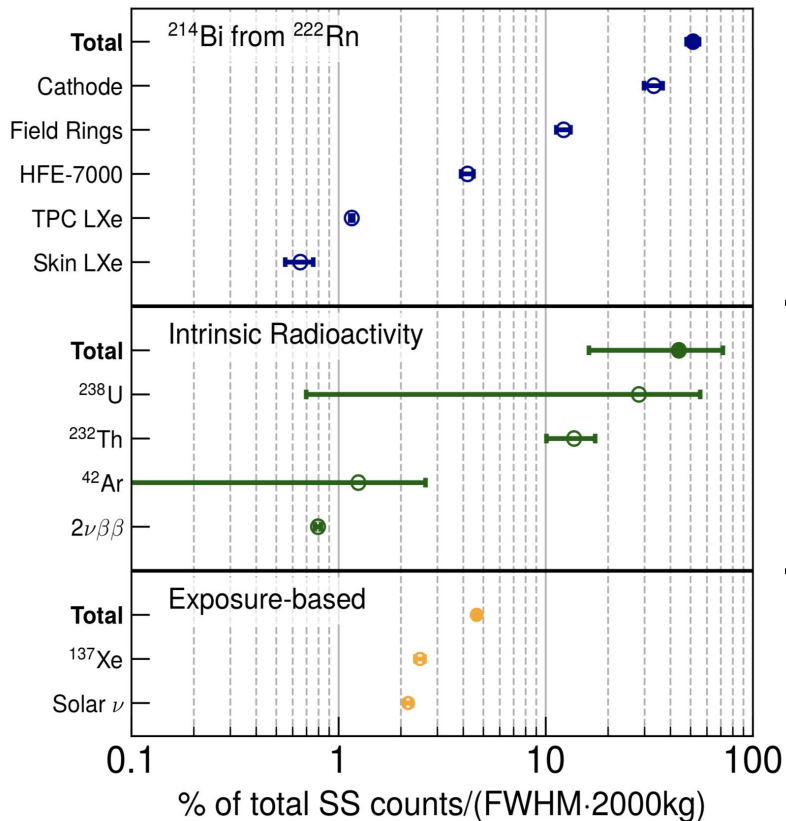


Extrapolated from EXO-200

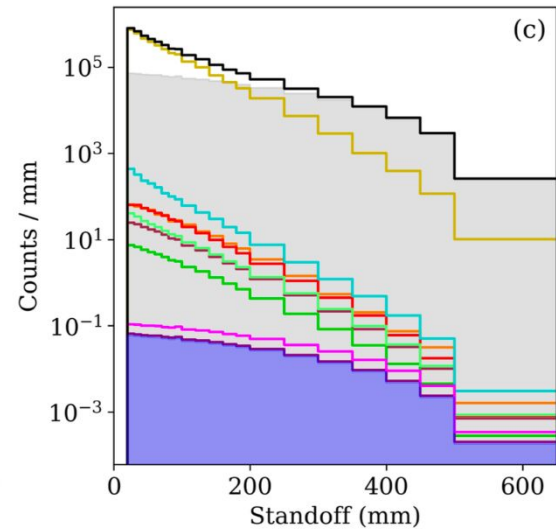
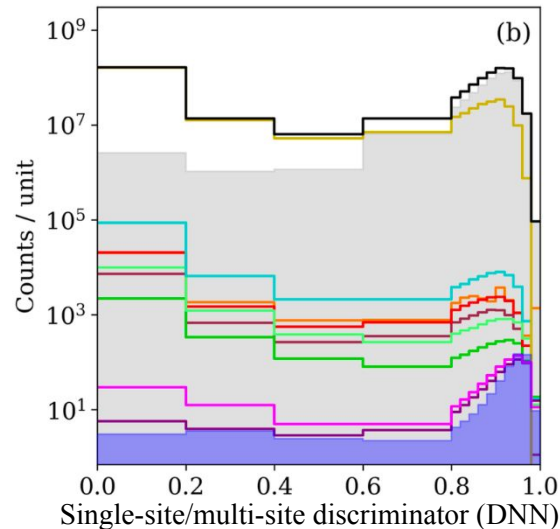
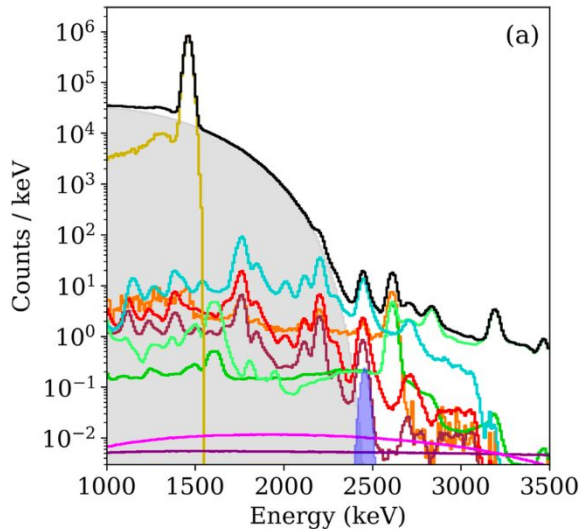
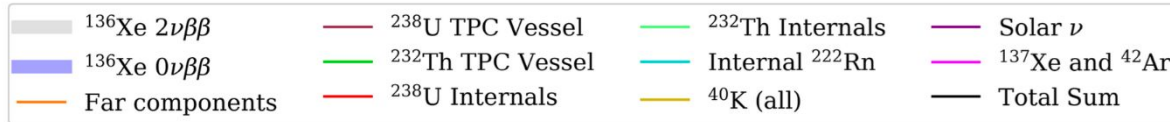
Radioassay measurements of materials

Predicted via external measurements

Data-driven background modeling



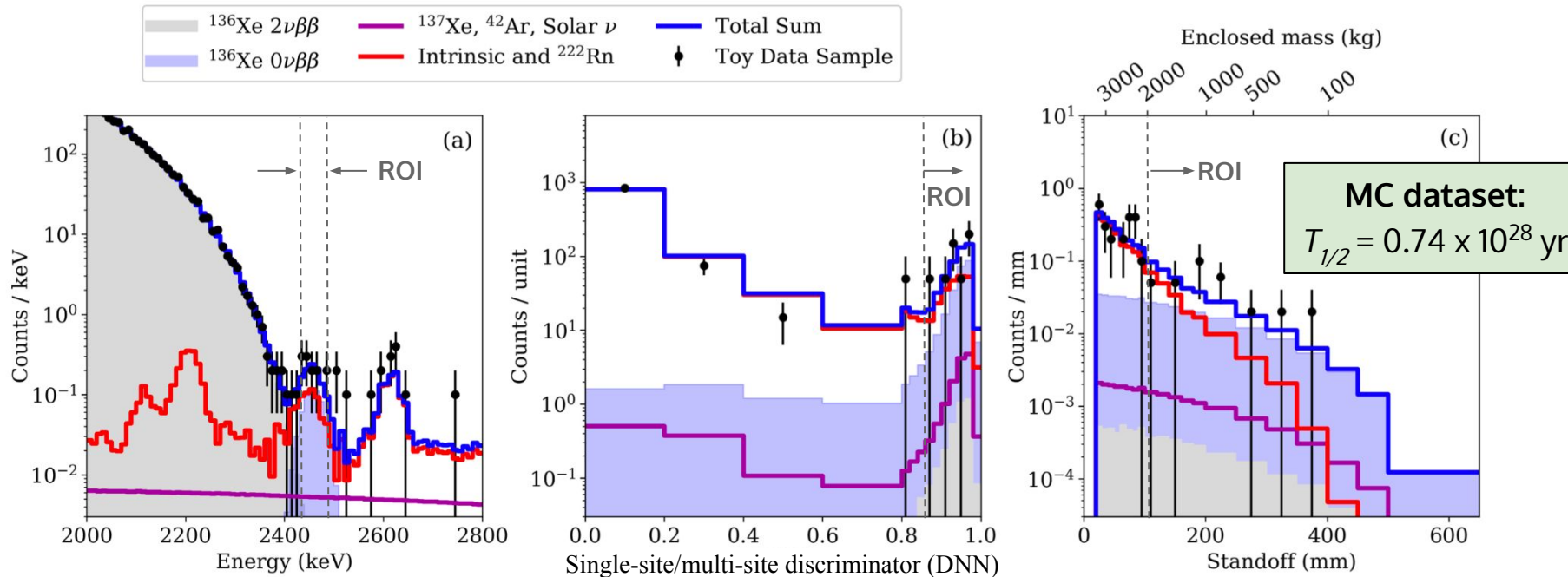
Projected event distributions in nEXO



Event distributions in "region of interest" (ROI)

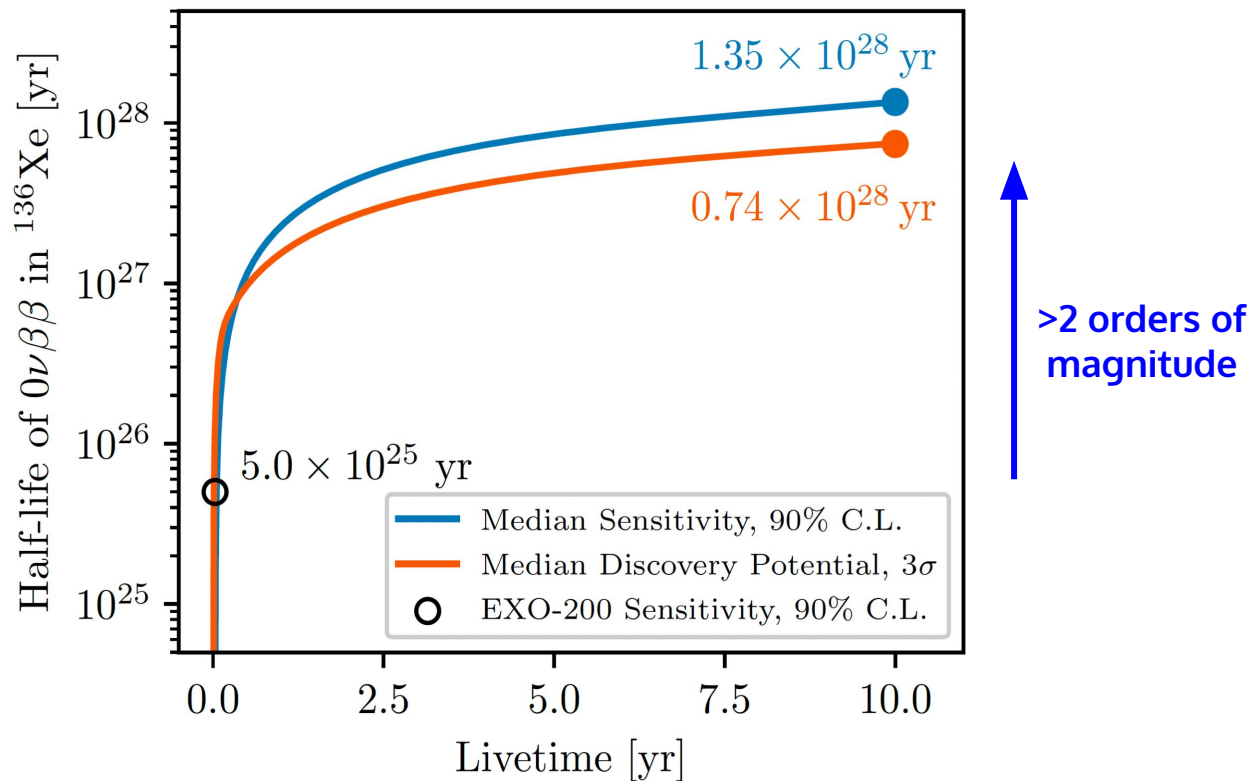
nEXO's ROI is defined as:

- Energy within $0\nu\beta\beta$ FWHM
- DNN > 0.85 ("single-site" events)
- Innermost 2 tonnes of liquid Xe (cut on standoff)



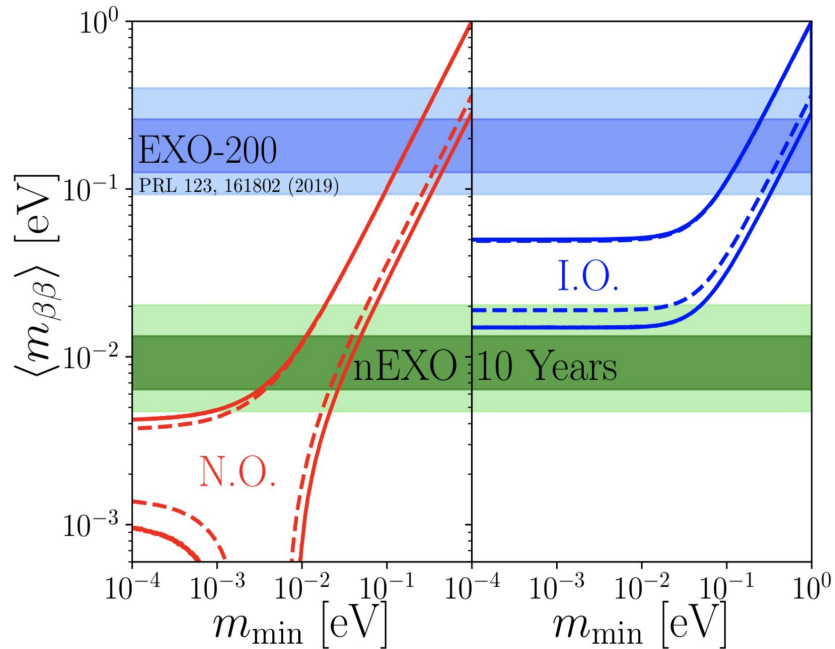
nEXO's sensitivity

Adhikari et al., *J. Phys. G* 49 (2022), arXiv:2106.16243



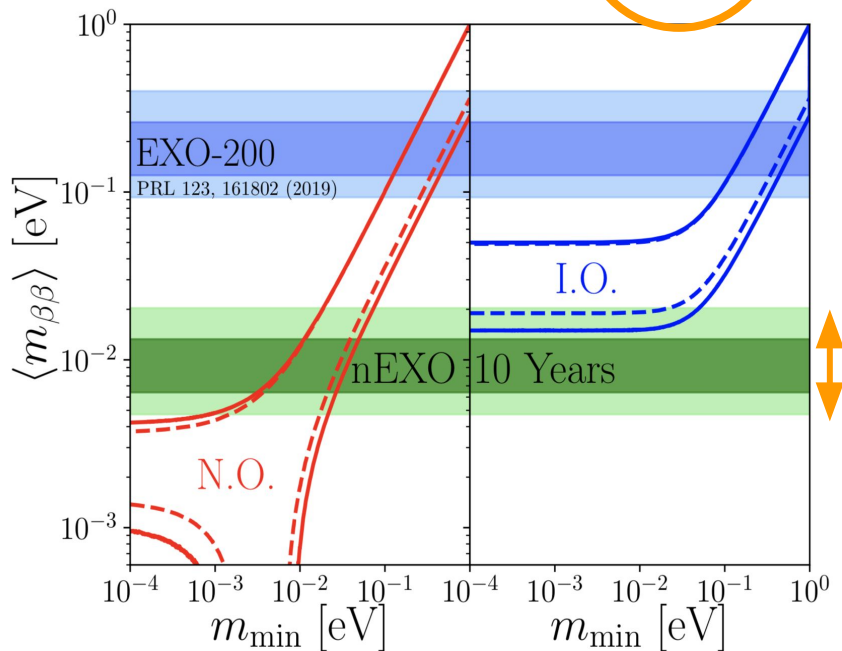
Physics reach

$$\left[T_{1/2}^{0\nu}\right]^{-1} = \frac{\langle m_{\beta\beta}\rangle^2}{m_e^2} G^{0\nu} |\mathcal{M}^{0\nu}|^2$$



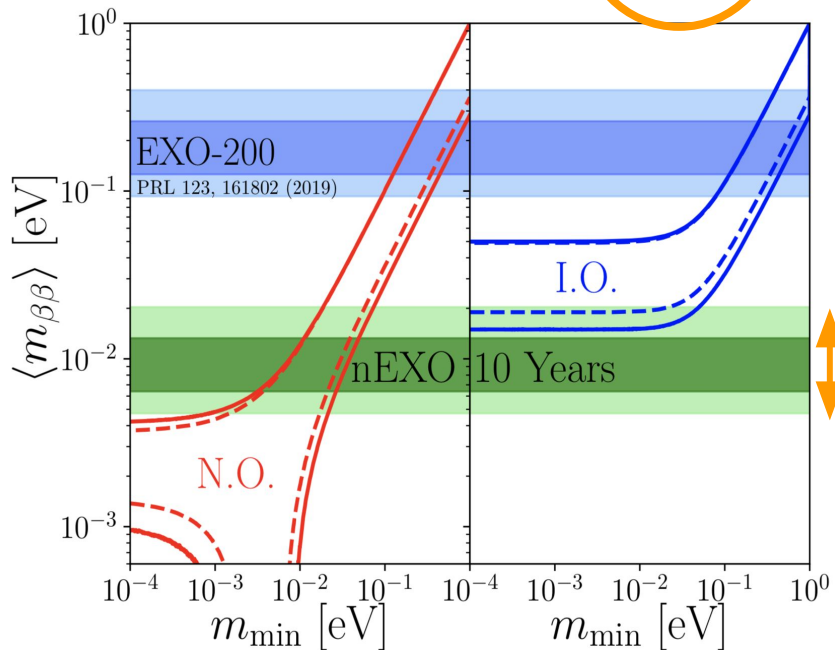
Physics reach

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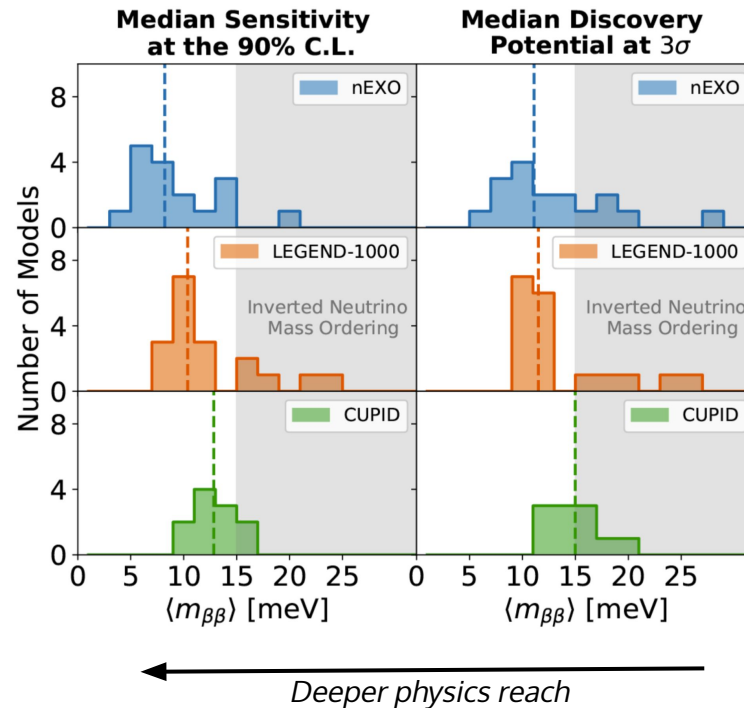


Physics reach

$$[T_{1/2}^{0\nu}]^{-1} = \frac{\langle m_{\beta\beta} \rangle^2}{m_e^2} G^{0\nu} |\mathcal{M}^{0\nu}|^2$$



Distribution of nuclear matrix element calculations*

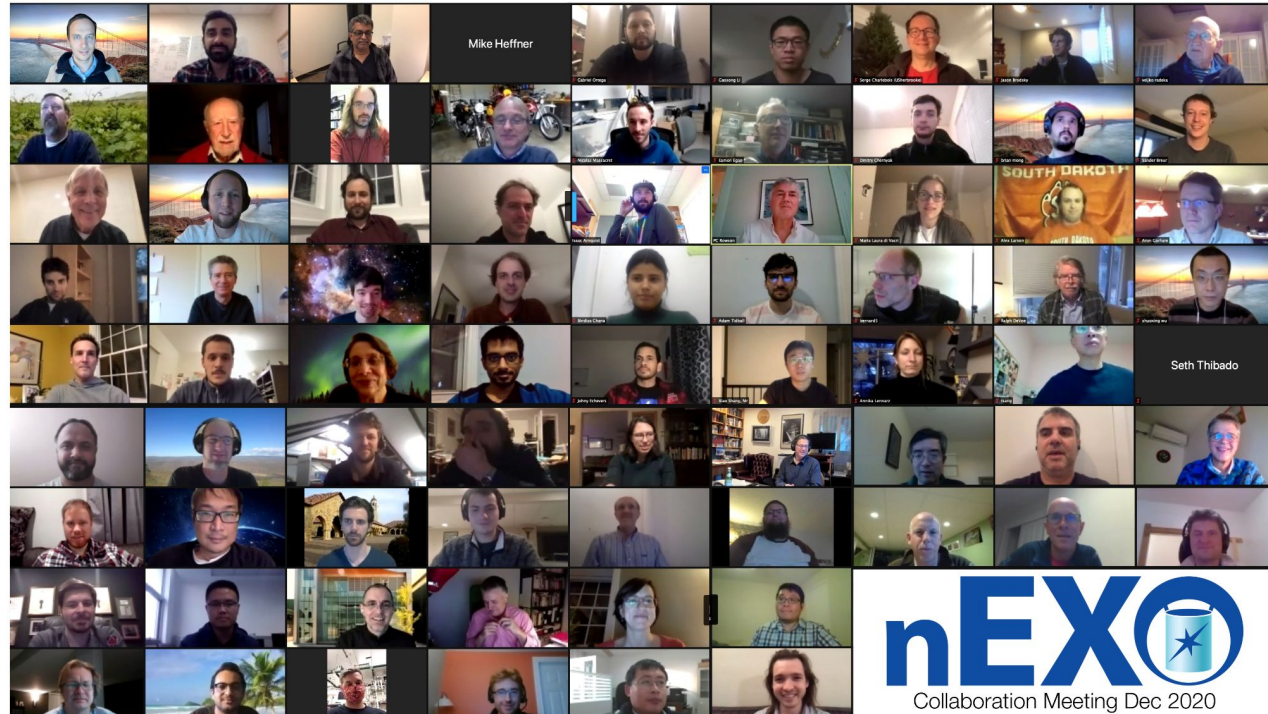


*Note: NMEs are *not* statistical...there is only one correct value. But calculations are challenging.

Conclusions

- 1. Neutrinoless double beta decay is a powerful way to search for physics beyond the standard model**
 - Most sensitive probe of lepton number violation
 - Potentially connected to neutrino mass and matter/antimatter asymmetry
- 2. The nEXO experiment will perform a next-generation search using a liquid xenon TPC, building on a robust design with unique capabilities**
 - Multi-variate analysis for signal/background identification
 - Can perform a control experiment using non-enriched xenon in the same detector
- 3. The next generation of experiments will push two orders of magnitude in sensitivity to the half-life, with significant discovery potential for new physics**
 - Very exciting time for $0\nu\beta\beta$!

Thank you!



Why look for $0\nu\beta\beta$?

PHYSICAL REVIEW D 95, 115010 (2017)

Lepton-number-violating searches for muon to positron conversion

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(Received 12 December 2016; published 8 June 2017)

EFT analysis for LNV operators

$0\nu\beta\beta\beta^-$ decay

$$T_{1/2} > 1.06 \times 10^{26} \text{ years (KAMLAND-Zen)}$$

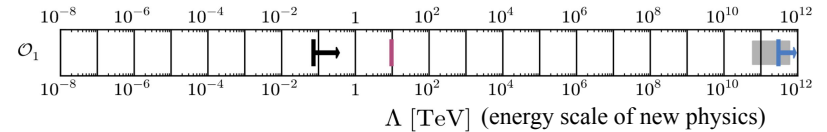
$\mu^- \rightarrow e^+$ conversion

$$R < 1.7 \times 10^{-12} \text{ (SINDRUM II)}$$

Conclusion: $0\nu\beta\beta$ decay is the most sensitive probe of lepton number violation...by far

\mathcal{O}	Operator	Λ [TeV]	$T_{0\nu\beta\beta}$ $R_{\mu \rightarrow e^+}$
\mathcal{O}_5	$(\bar{L}\bar{H})(\bar{L}H)(\bar{Q}H)d^c$	$6 \times 10^{4-5}$	$\ln(2) \left(\frac{\sqrt{2}}{2}\right)^2 q^2 \frac{\Lambda^2}{\partial^2} \left[\left(\frac{G_2}{2}\right)^2 \frac{1}{q^2} \left(\frac{y_{\nu}^2}{16\pi^2}\right)^2 + \left(\frac{y_{\nu}^2}{16\pi^2\Lambda^2} + \frac{y_{\nu}^2}{\Lambda^2}\right)^2 \right]^{-1} \sim 10^{25-10^{27}} \text{ yr}$ $\frac{1}{q} \frac{G_2}{\Lambda^2} \left[\left(\frac{G_2}{2}\right)^2 \frac{1}{q^2} \left(\frac{y_{\nu}^2}{16\pi^2}\right)^2 + \left(\frac{y_{\nu}^2}{16\pi^2\Lambda^2} + \frac{y_{\nu}^2}{\Lambda^2}\right)^2 \right] \sim 10^{-40-10^{-38}}$
\mathcal{O}_6	$(\bar{L}H)(\bar{L}H)(\bar{Q}H)\bar{e}^c$	$2 \times 10^{6-7}$	$\ln(2) \left(\frac{\sqrt{2}}{2}\right)^2 q^2 \frac{\Lambda^2}{\partial^2} \left[\left(\frac{G_2}{2}\right)^2 \frac{1}{q^2} \left(\frac{y_{\nu}^2}{16\pi^2}\right)^2 + \left(\frac{y_{\nu}^2}{16\pi^2\Lambda^2} + \frac{y_{\nu}^2}{\Lambda^2}\right)^2 \right]^{-1} \sim 10^{25-10^{27}} \text{ yr}$ $\frac{1}{q} \frac{G_2}{\Lambda^2} \left[\left(\frac{G_2}{2}\right)^2 \frac{1}{q^2} \left(\frac{y_{\nu}^2}{16\pi^2}\right)^2 + \left(\frac{y_{\nu}^2}{16\pi^2\Lambda^2} + \frac{y_{\nu}^2}{\Lambda^2}\right)^2 \right] \sim 10^{-37-10^{-35}}$
\mathcal{O}_7	$(\bar{L}H)(\bar{Q}H)(\bar{Q}H)e^c$	$4 \times 10^{1-2}$	$\ln(2) \left(\frac{\sqrt{2}}{2}\right)^2 q^2 \frac{\Lambda^2}{\partial^2} \left[\left(\frac{G_2}{2}\right)^2 \frac{1}{(16\pi^2)^2} + \frac{y_{\nu}^2}{16\pi^2\Lambda^2} + \frac{y_{\nu}^2}{\Lambda^2} \right]^{-1} \sim 10^{22-10^{24}} \text{ yr}$ $\frac{1}{q} \frac{G_2}{\Lambda^2} \left[\left(\frac{G_2}{2}\right)^2 \frac{1}{(16\pi^2)^2} + \frac{y_{\nu}^2}{16\pi^2\Lambda^2} + \frac{y_{\nu}^2}{\Lambda^2} \right] \sim 10^{-34-10^{-32}}$
\mathcal{O}_8	$(\bar{L}\bar{L})(\bar{L}\bar{L})e^c e^c$	$3 \times 10^{2-3}$	$\ln(2) \left(\frac{\sqrt{2}}{2}\right)^4 q^4 \frac{(16\pi^2)^2}{\partial^2} \frac{\Lambda^2}{\partial^2} \sim 10^{25-10^{27}} \text{ yr}$ $\frac{G_2}{\Lambda^2} \frac{1}{q} \left(\frac{y_{\nu}^2}{16\pi^2}\right)^2 \sim 10^{-38-10^{-36}}$

Dimension 5 Weinberg operator



Dimension 7 operators

