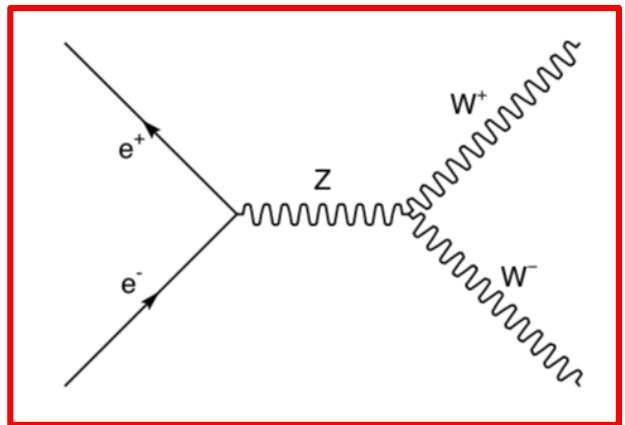
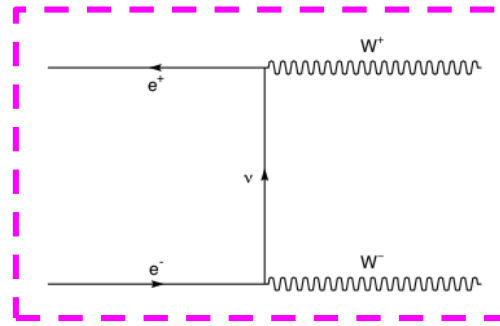
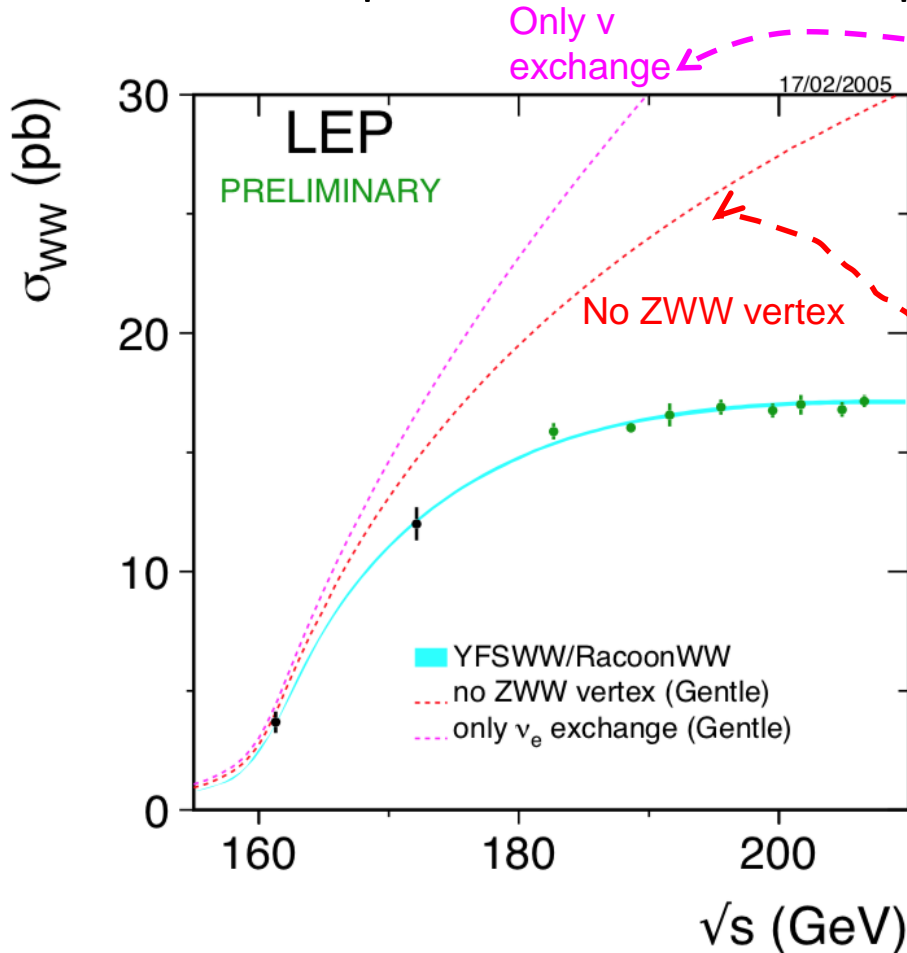


# Angular analysis for $e^+e^- \rightarrow W^+W^-$ final states at $\sqrt{s} = 240\text{GeV}$

20 Septembre 2021

Jean-Loup Raymond, Lucia di Ciaccio

In SM, WW production involves triple gauge boson vertices = **TGC**



Search for new physics in the gauge boson sector

➔ Anomalous TGC (**aTGC**). Studied at previous machines and @LHC

Anomalous TGC may give different contributions to different helicity states of the W bosons (wrt SM)

→ W production and decay angles may give access to BSM effects

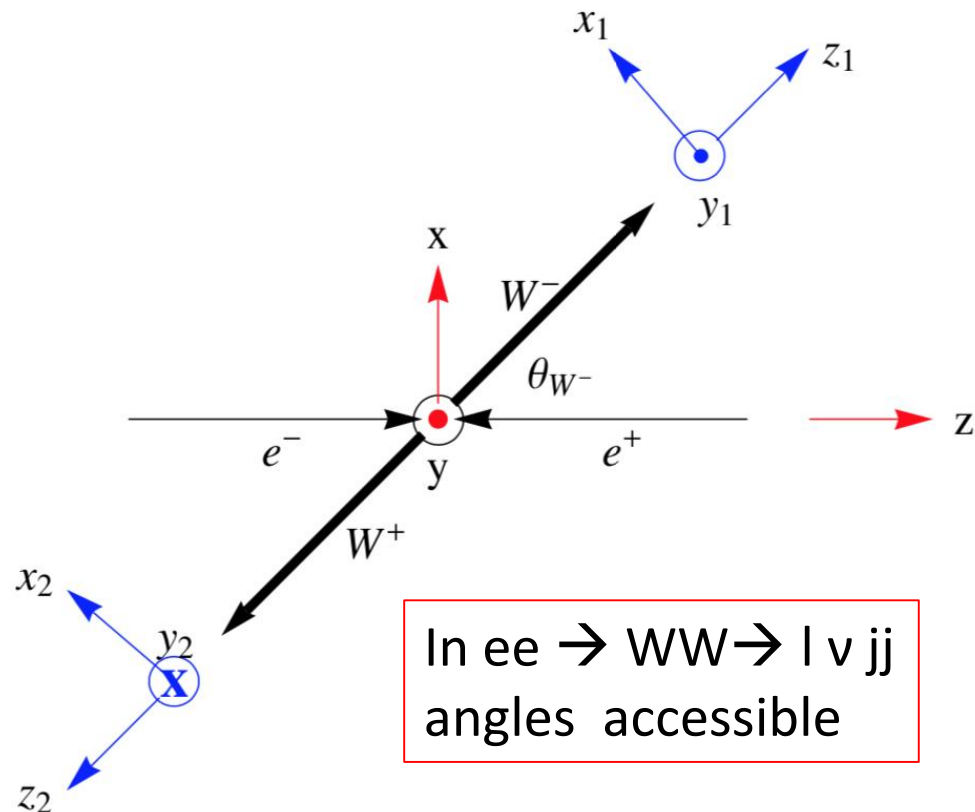
W production and decay defined by 5 angles (neglecting ISR):

$\theta_{W^-}$   
 $\theta_1^*$   
 $\phi_1^*$

angles of the fermion  
 in the  $W^-$  rest frame

$\theta_2^*$   
 $\phi_2^*$

angles of the antifermion  
 in the  $W^+$  rest frame



The aim is to study the possibility to measure:

- Spin Density Matrix (SDM) elements ( $\rho_{\tau\tau}$ ) of an ensemble of W

SDM = composition of average spin state

$$\rho_{\tau\tau'}^{W^-}(s, \cos\theta_W) = \frac{\sum_{\lambda, \lambda'} F_{\tau}^{(\lambda, \lambda')} (F_{\tau'}^{(\lambda, \lambda')})^*}{\sum_{\lambda, \lambda', \tau} |F_{\tau}^{(\lambda, \lambda')}|^2}$$

Amplitude to produce a W<sup>-</sup> with helicity  $\tau$  from an electron with helicity  $\lambda$  and a positron with helicity  $\lambda'$  (a)

- Fraction of W bosons which are longitudinally polarised

$$\frac{d\sigma_L}{d\cos\theta_W} = \rho_{00} \cdot \frac{d\sigma}{d\cos\theta_W}$$

**W** longitudinal component arises from Electroweak Symmetry Breaking !

- CP violation :

$$\Delta_{+-}^{\text{CP}} = \sigma_{+-}^{W^-} - \sigma_{-+}^{W^+}$$

$$\Delta_{+0}^{\text{CP}} = \sigma_{+0}^{W^-} - \sigma_{-0}^{W^+}$$

$$\Delta_{-0}^{\text{CP}} = \sigma_{-0}^{W^-} - \sigma_{+0}^{W^+}$$

Cross section  $\sigma_{\tau\tau}$  defined in terms of  $\rho_{\tau\tau}$

(a) single W SDM - 3x3 Hermitian, unit trace  $\rightarrow$  8 free parameters

Using projection operators:

G. Gounaris et al:  
Int. J. Mod. Phys. A8(1993)

$$\rho_{\tau\tau'}^{W^-}(s, \cos\theta_W) = \frac{\int \frac{d^3\sigma}{d\cos\theta_W d\cos\theta_f^* d\phi_f^*} \cdot \Lambda_{\tau\tau'} d\cos\theta_f^* d\phi_f^*}{\frac{d\sigma}{d\cos\theta_W}}$$

$$\Lambda_{--} = \frac{1}{2}(5 \cos^2 \theta_f^* + 2 \cos \theta_f^* - 1)$$

$$\Lambda_{+-} = 2e^{2i\phi_f^*}$$

$$\Lambda_{00} = 2 - 5 \cos^2 \theta_f^*$$

$$\Lambda_{+0} = \frac{-8}{3\pi\sqrt{2}} \cdot (1 - 4 \cos \theta_f^*) e^{-i\phi_f^*}$$

$$\Lambda_{++} = \frac{1}{2}(5 \cos^2 \theta_f^* - 2 \cos \theta_f^* - 1)$$

$$\Lambda_{-0} = \frac{-8}{3\pi\sqrt{2}} \cdot (1 + 4 \cos \theta_f^*) e^{i\phi_f^*}$$

- No assumption about the form of the TGC vertex is necessary  
→ model independent
- So far @LHC measured only  $\Lambda_{++}$ ,  $\Lambda_{--}$ ,  $\Lambda_{00}$

- Measurement already done at LEP
- Aim here: build the distribution of
  - \*  $\rho_{\tau\tau}$ ,
  - \*  $d\sigma/d \cos \theta_W$
  - \*  $\Delta^{\text{CP}}$

as function of  $\cos \theta_W$  and estimate the statistical uncertainty taking into account (part of ) the background

gives an idea of the level of systematic uncertainty needed

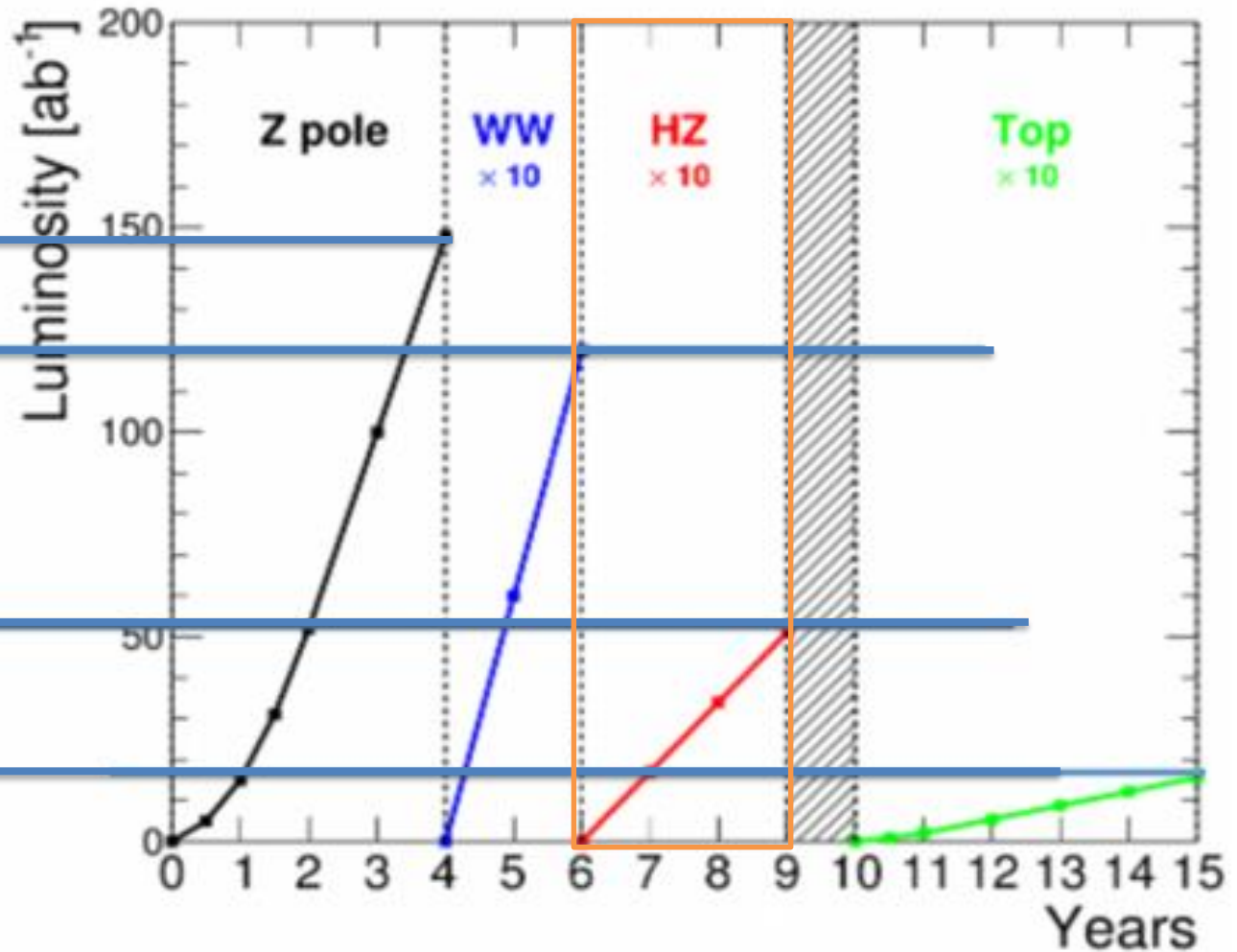
if time : compare to the extrapolation to HL-LHC

$\sqrt{s} \sim 91 \text{ GeV} / 150 \text{ ab}^{-1}$

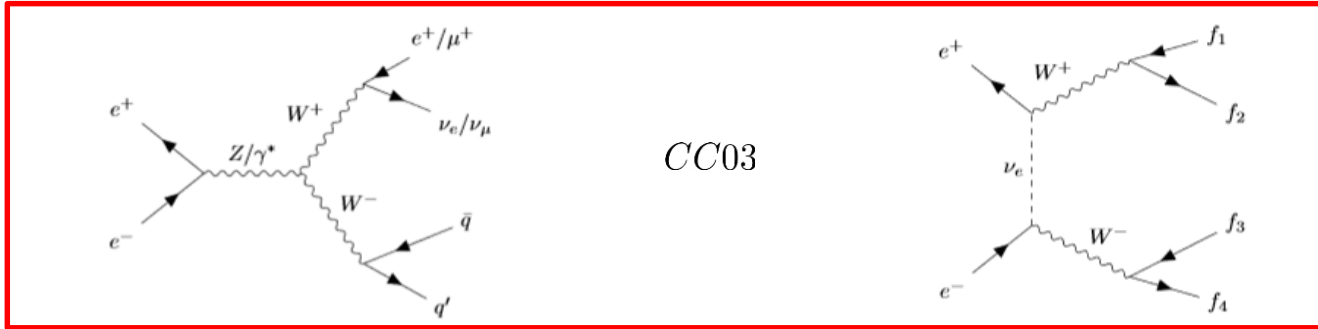
$\sqrt{s} \sim 161 \text{ GeV} / 12 \text{ ab}^{-1}$

$\sqrt{s} = 240 \text{ GeV} / 5 \text{ ab}^{-1} /$   
 $\sim 80 \cdot 10^6 \text{ WW}$

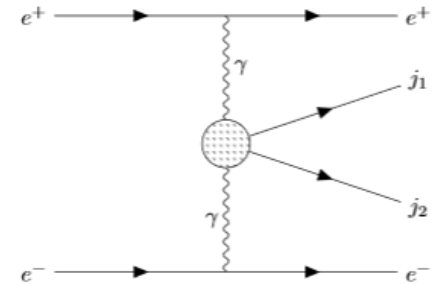
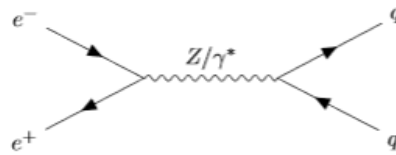
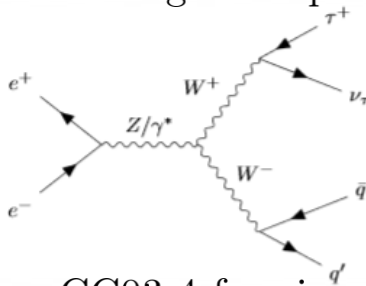
$\sqrt{s} = 350 \text{ GeV} / 1,8 \text{ ab}^{-1}$



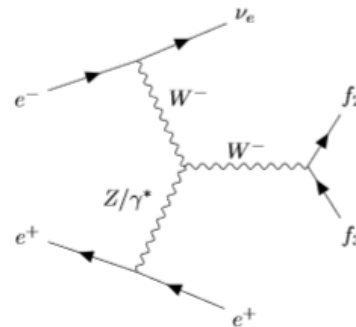
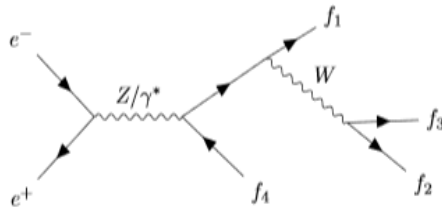
Signal = WW semi-leptonic  $e, \mu$



Main background processes

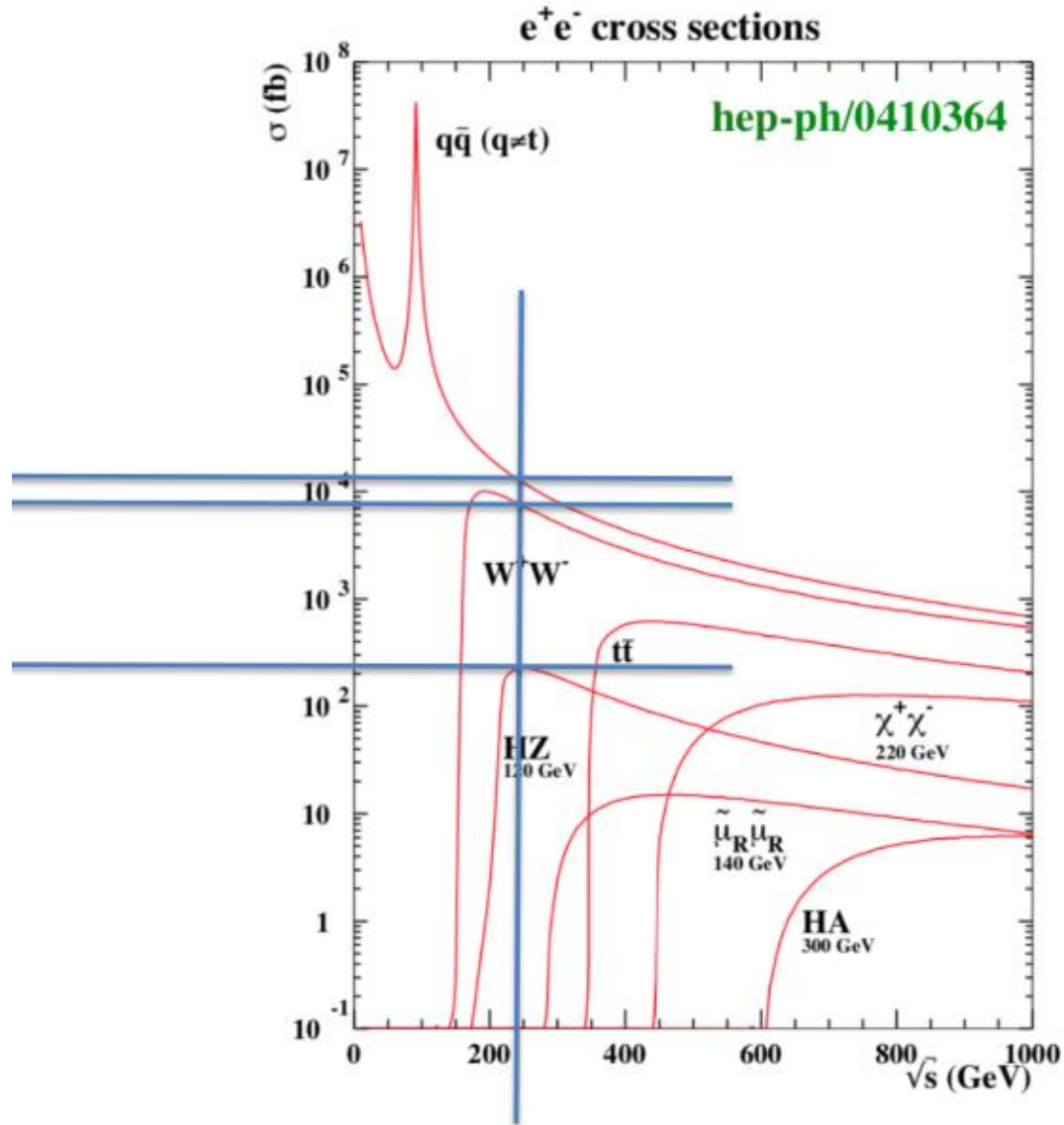


Non-CC03 4-fermion processes

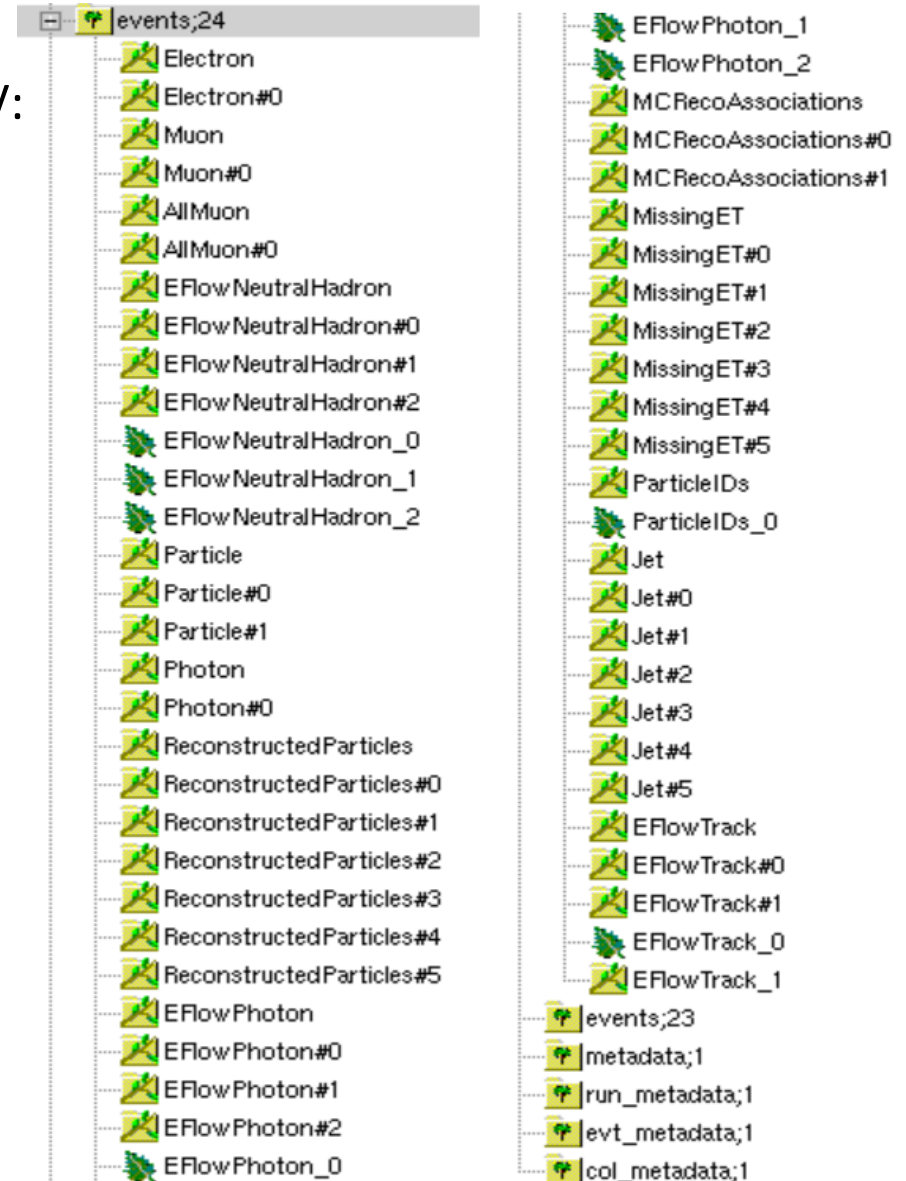


Part of the background interferes with signal

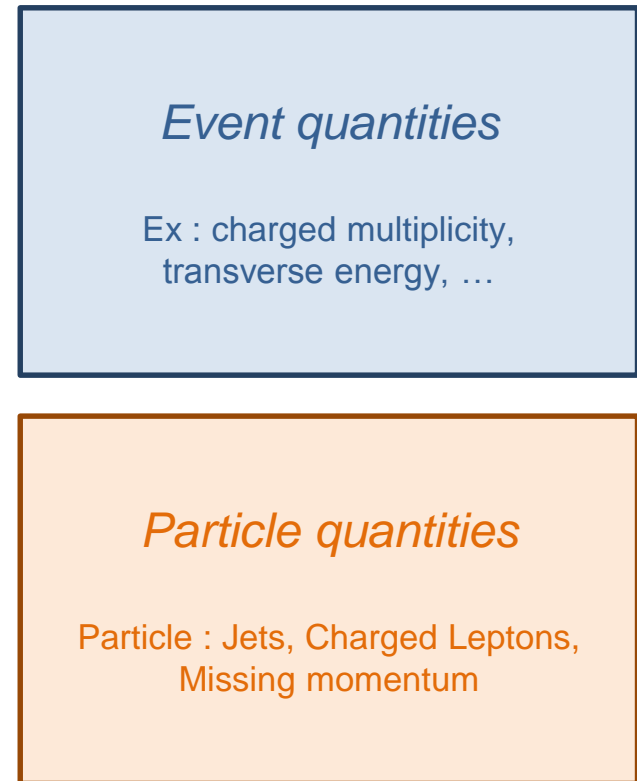




- Pythia 8 samples available @240 GeV:  
Events : WW – Zqq – Zll – **ZH**
- Spring 2021 latest samples  
with IDEA detector
- Data format : EDM4HEP  
TTree : Events  
Branches : Collections & Index  
Leaves : Particles data
- Exhaustive but costly in space  
WW : ~600MB / 100000 events



- FCCAnalyses Package :
  - RootDataFrame based (easy manipulation of data, multithreading)
  - Steered by python scripts
  - Analyzers C++
  - Preselection (which we use to create custom N-tuples)
  - **Final Selection**
  - **Plotting**
- Custom N-tuples structure :



WW : ~600MB / 100000 events → ~25MB / 100000 events

## Preselection to isolate signal from background :

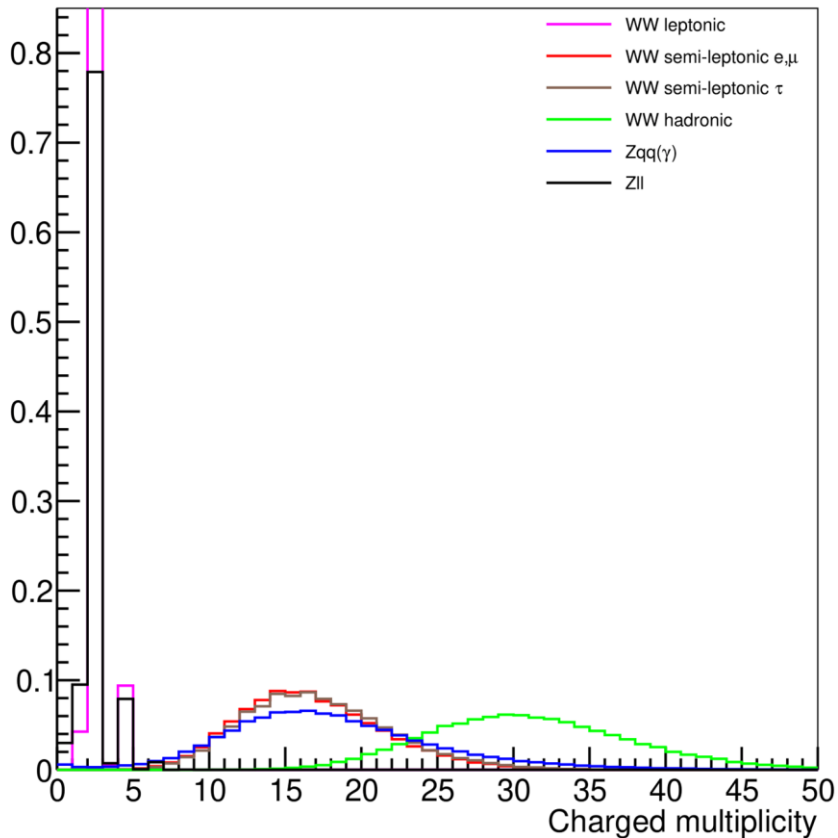
- Cutflow on reco level
- Mainly cuts on events quantities

- Normalization factor:  $\frac{\mathcal{L}_{expected}}{N_{generated} \sigma}$        $\mathcal{L}_{expected} = 5ab^{-1}$

	Signal	BKG 1	BKG 2	BKG 3	BKG 4	BKG 5
	WW sl $e, \mu$	WW sl $\tau$	WW lep	WW had	Zqq( $\gamma$ )	Zll
$\sigma(\text{pb})$	4.729	2.522	1.744	7.470	52.65	13.78
Normalization factor	411.0				1316	344.0

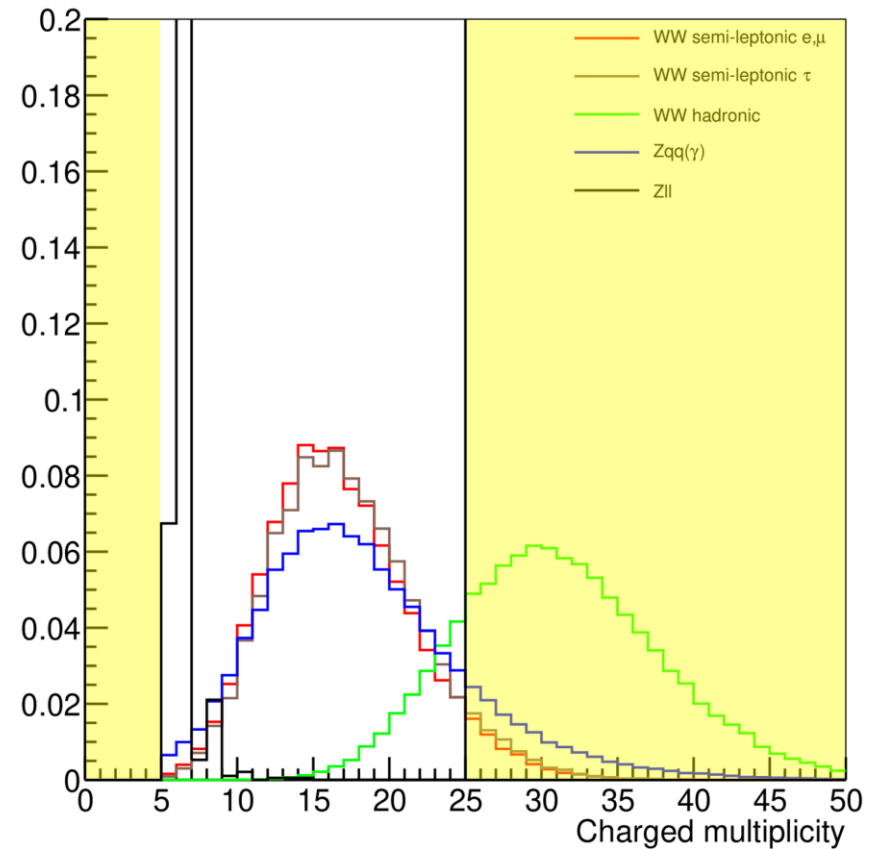
Cuts on charged multiplicity (Normalized to the same area) :

Before all cuts



Remove WW leptonic decays and Zll

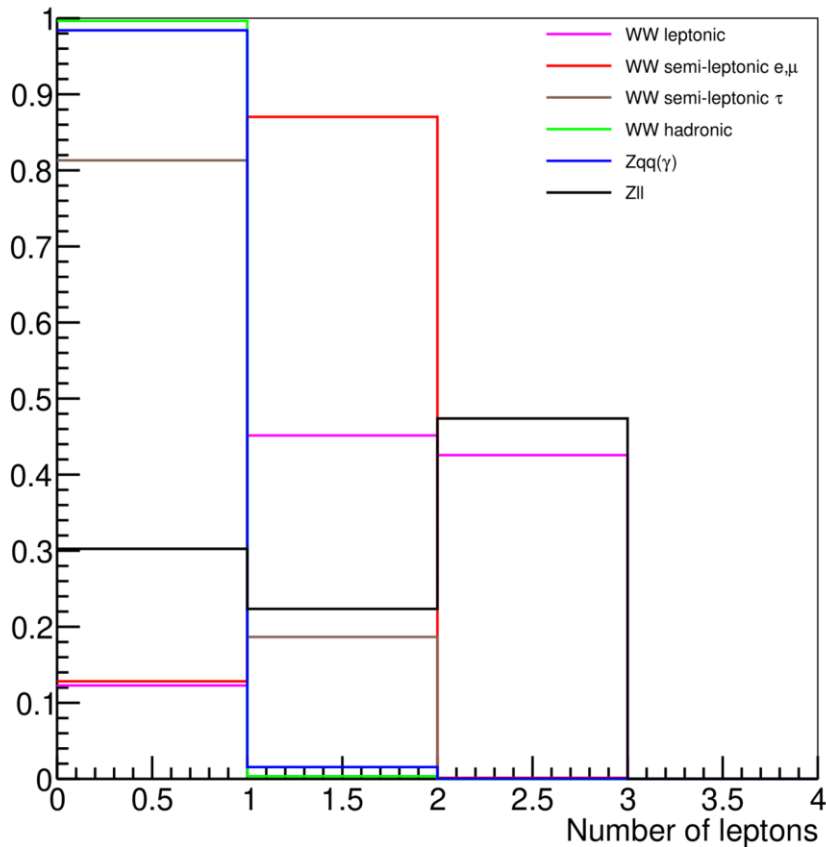
After first cut



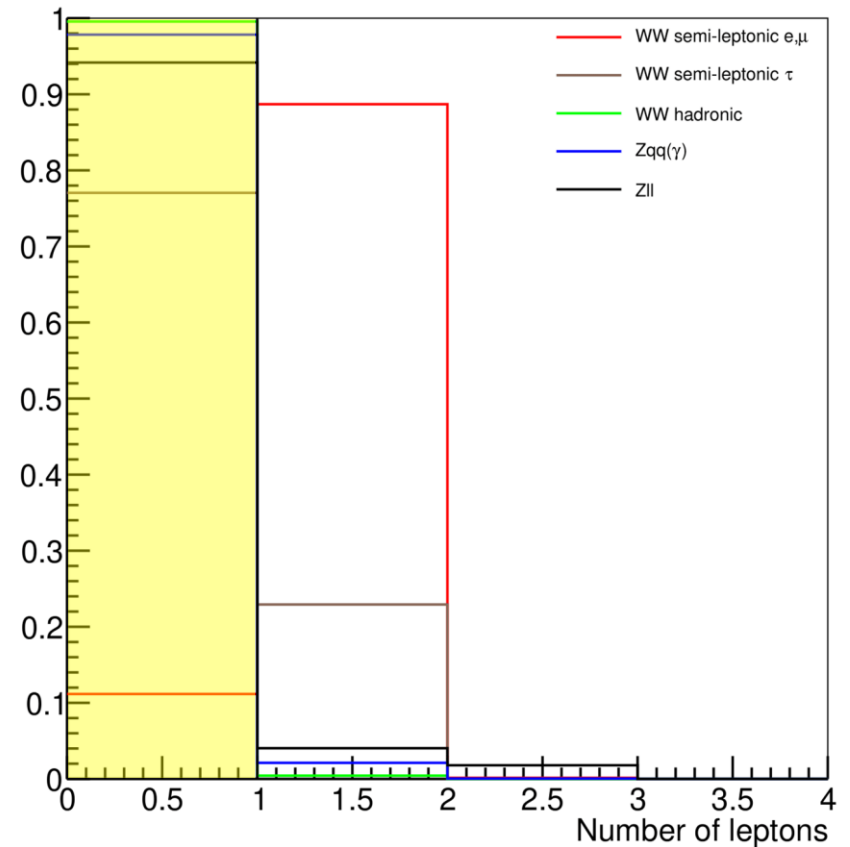
Remove WW hadronic decays

Cuts on number of leptons (>20 GeV, Normalized to the same area) :

Before all cuts



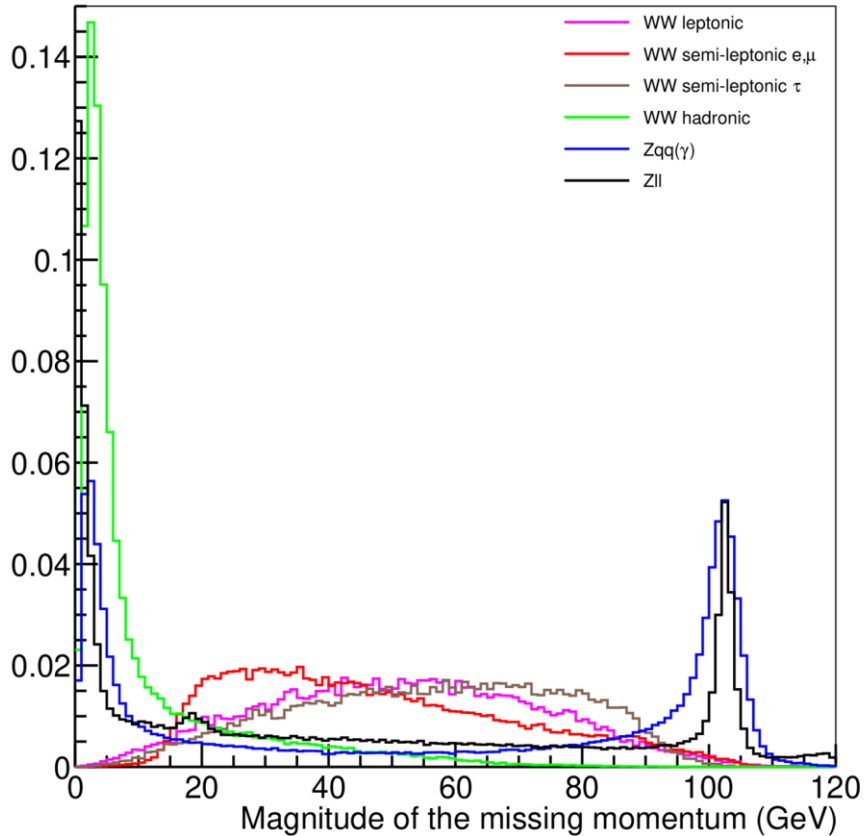
After previous cuts



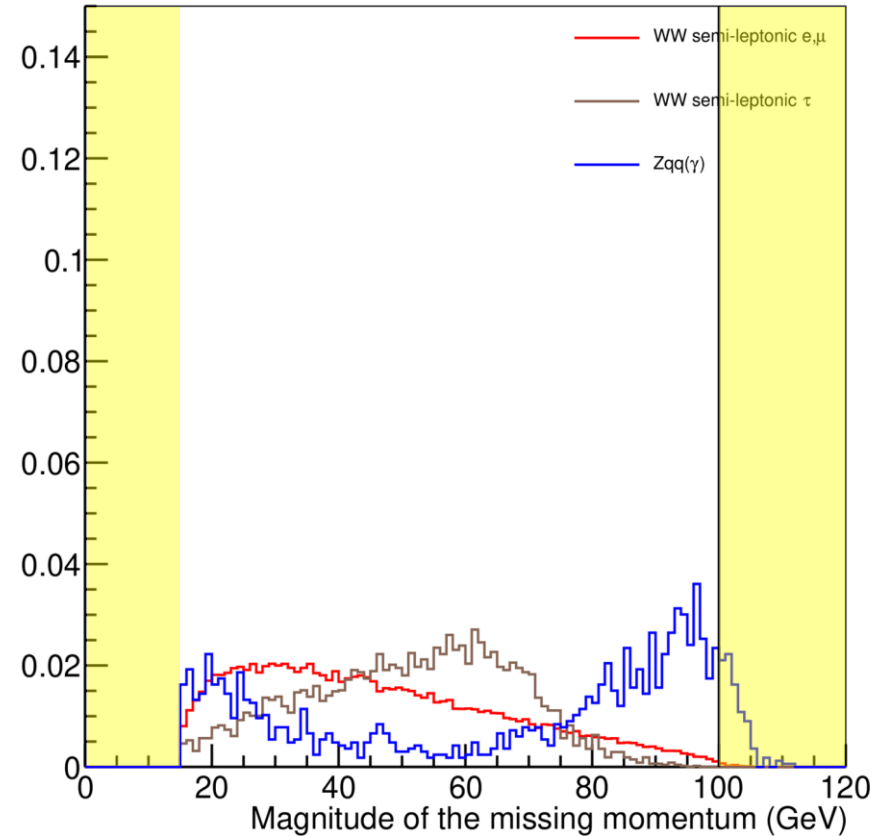
Remove mainly WW  $\rightarrow$   $\tau$  & hadronic decays, Zqq( $\gamma$ )

Cuts on missing momentum (Normalized to the same area) :

Before all cuts

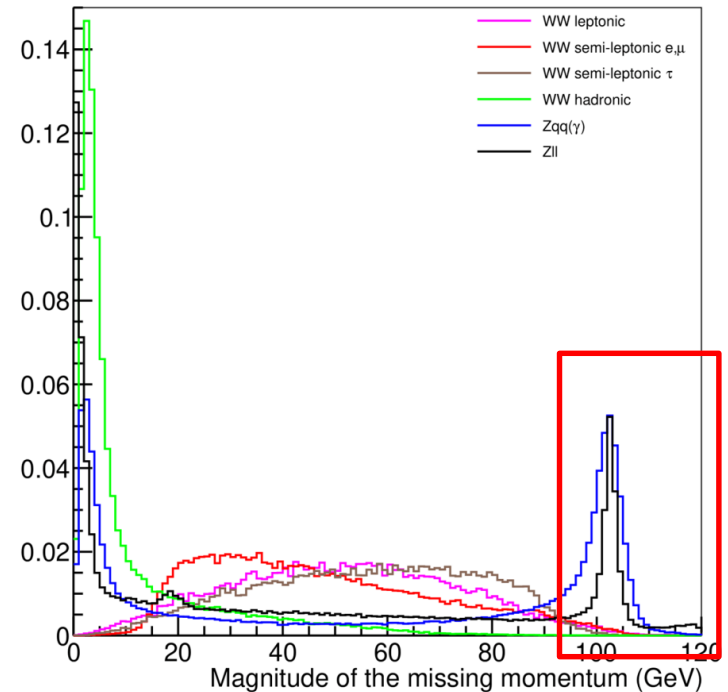
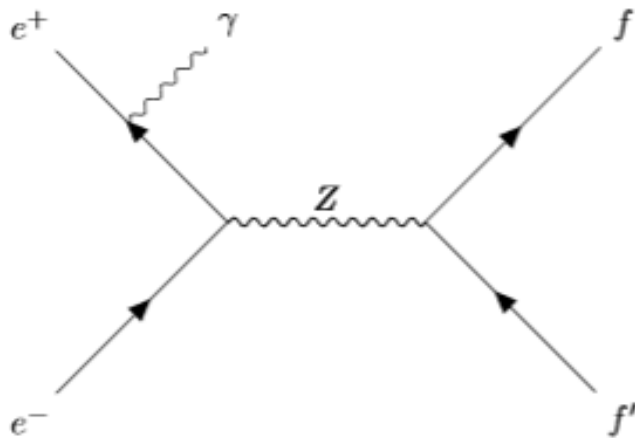


After previous cuts



Remove  $Zqq(\gamma)$

- Radiative return (Z produced on-shell)
- Expected photon energy : 102 GeV
- Photon is lost in the beam pipe





Objective : maximise final purity with at least 80% signal efficiency

→ Each cut > 97% efficiency

Cut definition :

- C1 : Charged multiplicity > 5
- C2 : Charged multiplicity < 25
- C3 : Charged energy > 72 GeV
- C4 : 1 Lepton with 20 GeV
- C5 : Missing momentum > 15 GeV
- C6 : Missing momentum < 100 GeV
- C7 : Transverse energy > 72 GeV

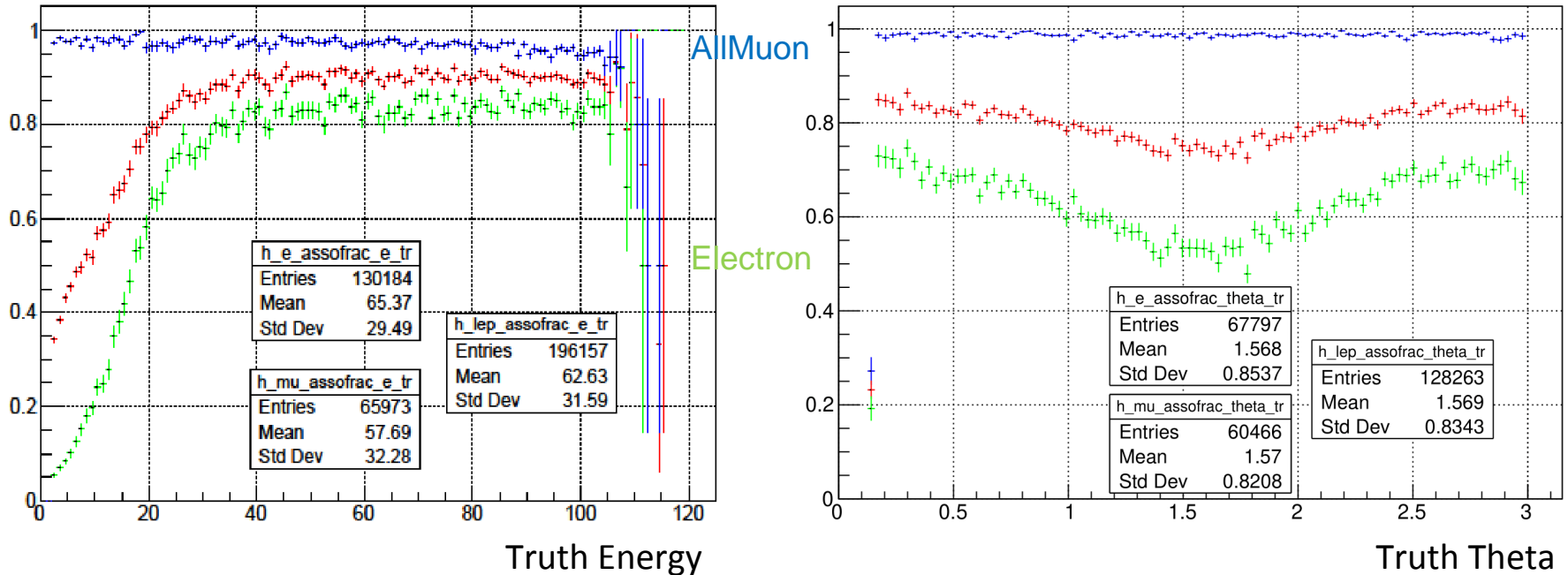
Cut	Signal		BKG 1		BKG 2	BKG 3	BKG 4	BKG 5	$\frac{S}{S+B}$ %
	WW sl $e, \mu$		WW sl $\tau$		WW lep	WW had	Zqq( $\gamma$ )	Zll	
No	23932530		11994624		8666757	37606089	263200000	68800000	$5.778 \pm 0.001$
C1	23916090	0.999	11987637	0.999	32880	37606089	257843880	652912	$7.203 \pm 0.001$
C2	22975311	0.961	11429088	0.953	32880	8554143	225733480	652912	$8.529 \pm 0.002$
C3	22143036	0.964	8711556	0.762	25071	8100399	137943120	536984	$12.478 \pm 0.002$
C4	19670460	0.888	1999926	0.230	10275	35757	2982056	31304	$79.542 \pm 0.008$
C5	19361799	0.984	1958415	0.979	9864	15207	2188508	20640	$82.200 \pm 0.008$
C6	19331796	0.998	1958415	1	9864	15207	1997688	19952	$82.852 \pm 0.008$
C7	19006695	0.983	1841280	0.940	7809	15207	1179136	14792	$86.140 \pm 0.007$
$\epsilon$	$79.4 \pm 0.5$		$15.4 \pm 0.2$		$0.09 \pm 0.02$	$0.040 \pm 0.007$	$0.45 \pm 0.02$	$0.022 \pm 0.003$	

Zqq & WW → jj  $\tau\nu$  remain the main background but they are very much suppressed

→ Signal efficiency of C4 is too low

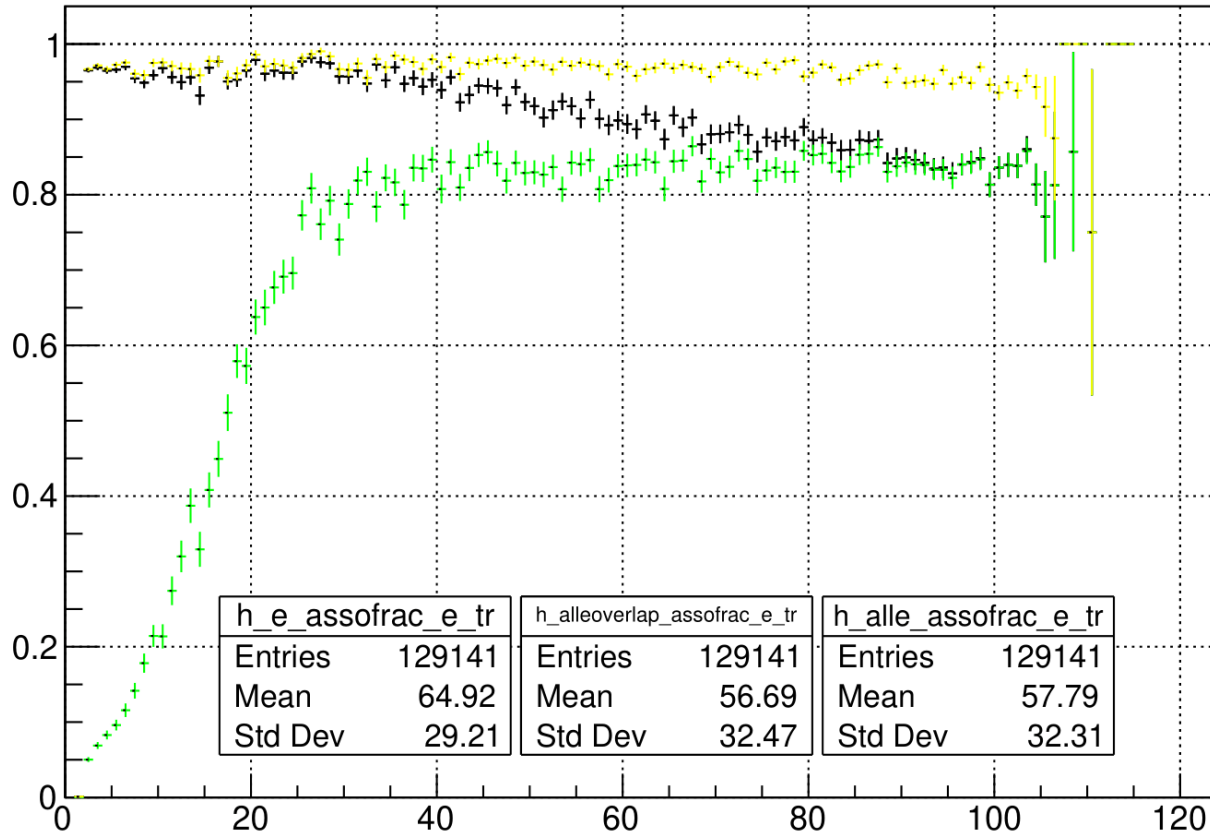
Signal efficiency of C4 is too low because electron efficiency is low

Cut on  $E > 2\text{GeV}$



Fraction of truth final state charged leptons that are associated with a reconstructed particle identified as a muon or associated electron

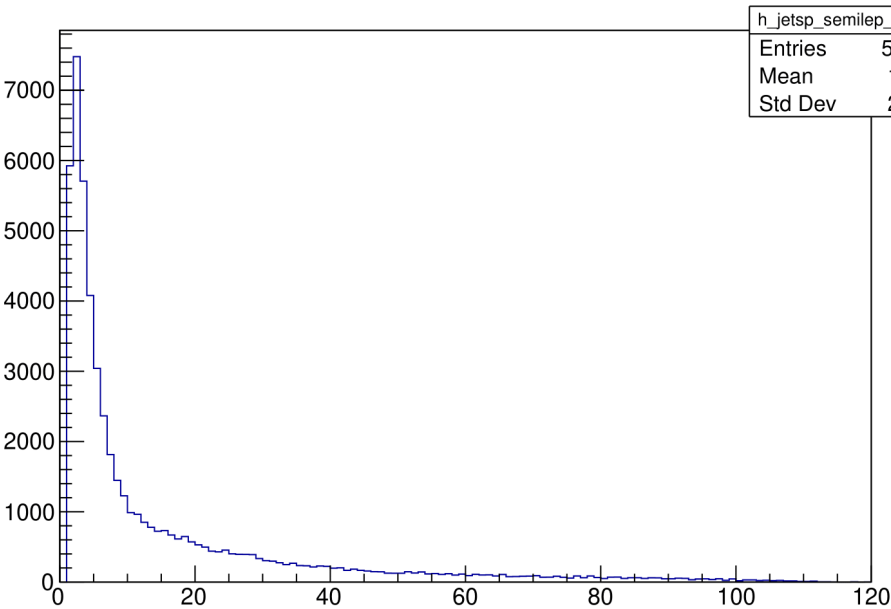
Electron efficiency is too low because isolation requirement is too tight  
 (Thanks to Emmanuel) Two new containers are implemented



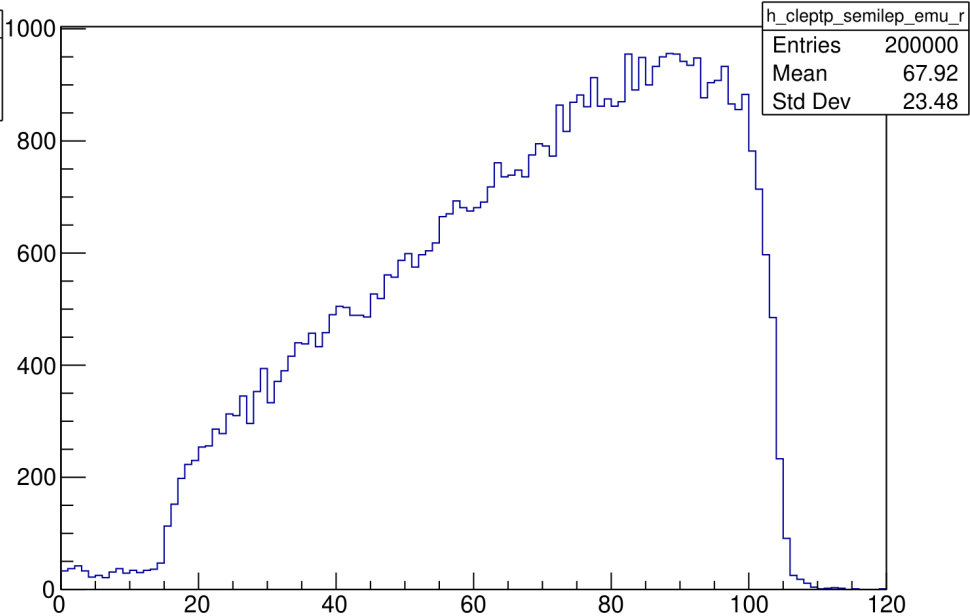
Fraction of truth final state electrons that are associated with a reconstructed particle in the collection Electron (Green), AllElectron (Yellow) and AllElectronOverlapRemoval (Black)

But the overlap applied to AllElectron removes good electrons  
 (electrons with a close by radiated photon)

Momentum distribution in signal events  $WW \rightarrow jj ev$  &  $WW \rightarrow jj \mu\nu$



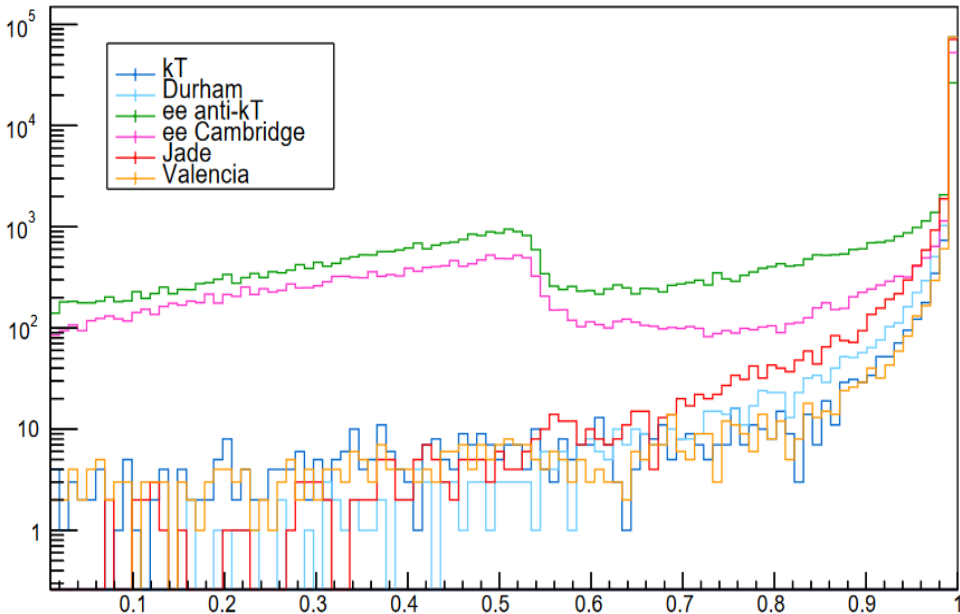
Highest jet momentum in the Jet collection



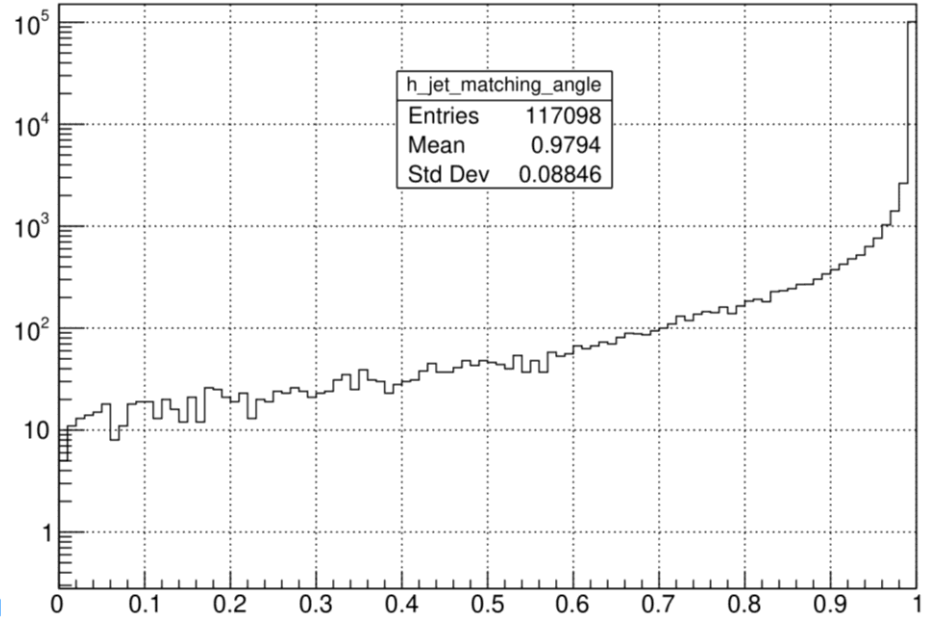
Highest charged lepton momentum

Jets in the File are too soft

## Cosine of the minimum angle between a truth and reco jet



*Plot by Julie Munch Torndal*



Durham algorithm, forcing 2 jets

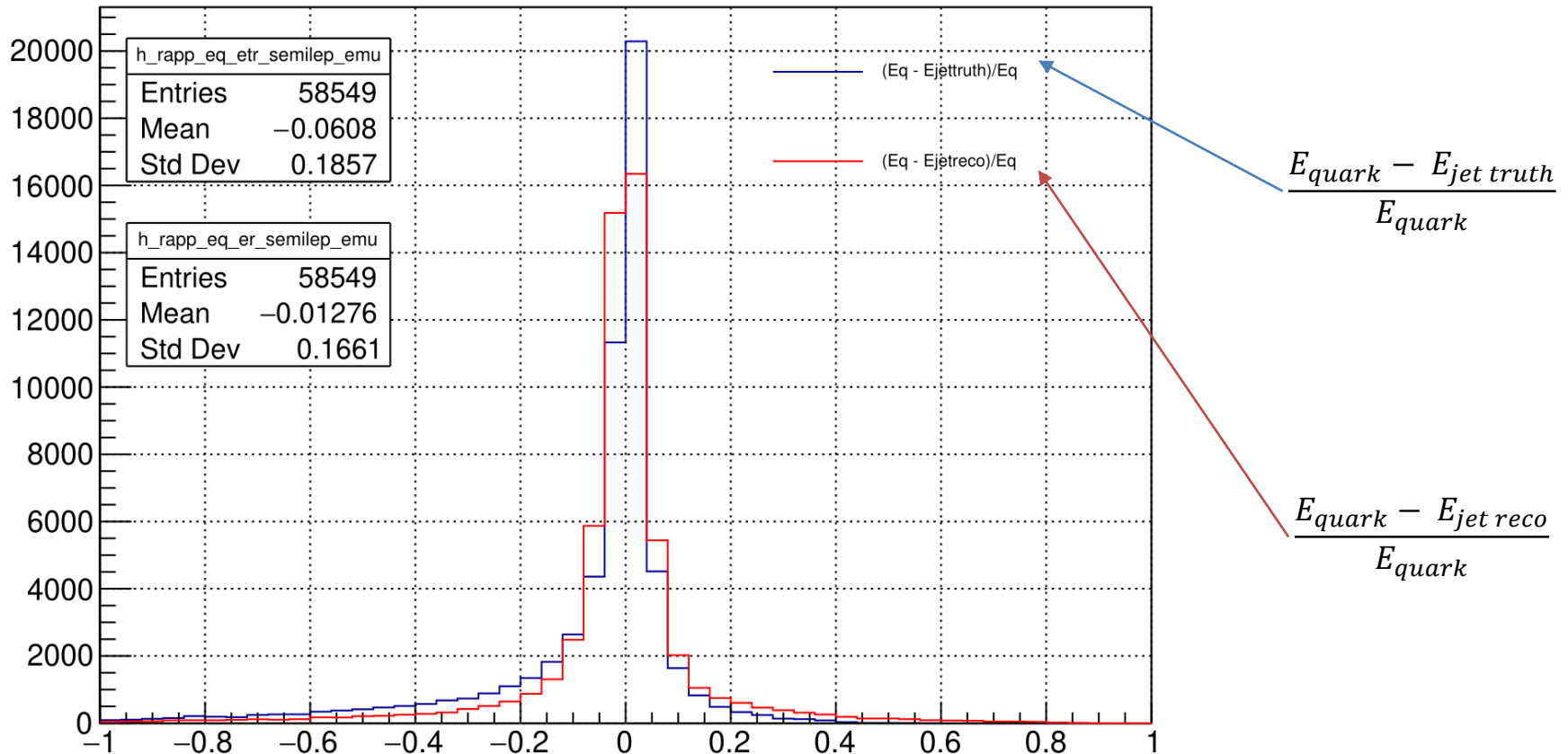
- Keep the Durham algorithm
- Forcing 2 jets
- Input Particles
  - Reco : All particles > 500MeV except highest energy lepton
  - Truth : All particles > 500MeV Status = 1, except highest energy lepton & neutrinos

## Quark energy reconstruction

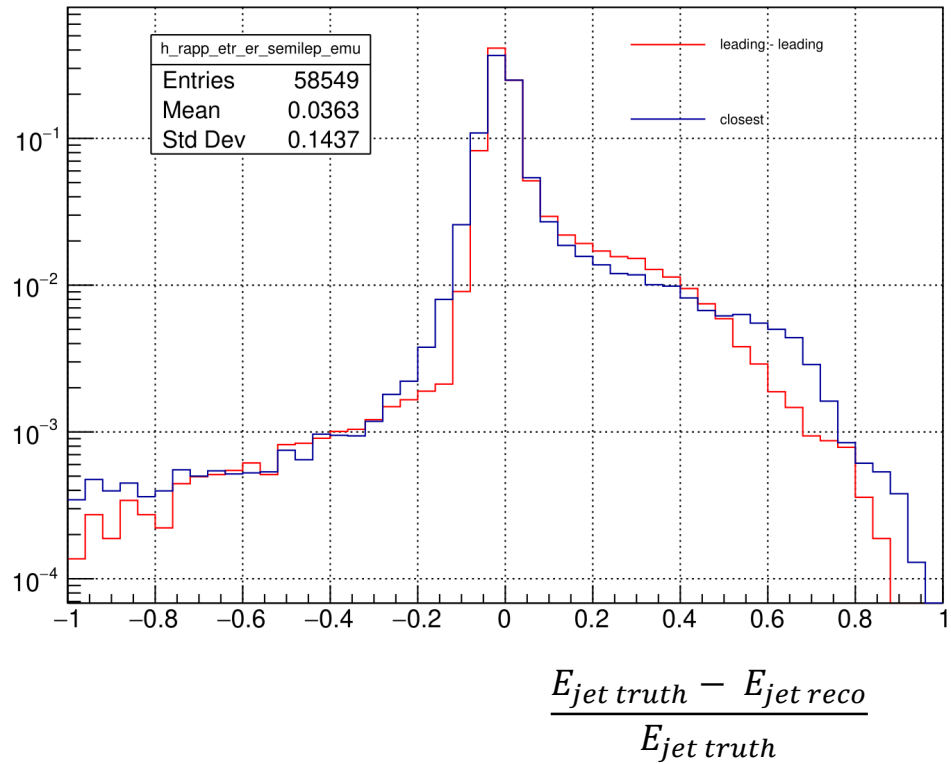
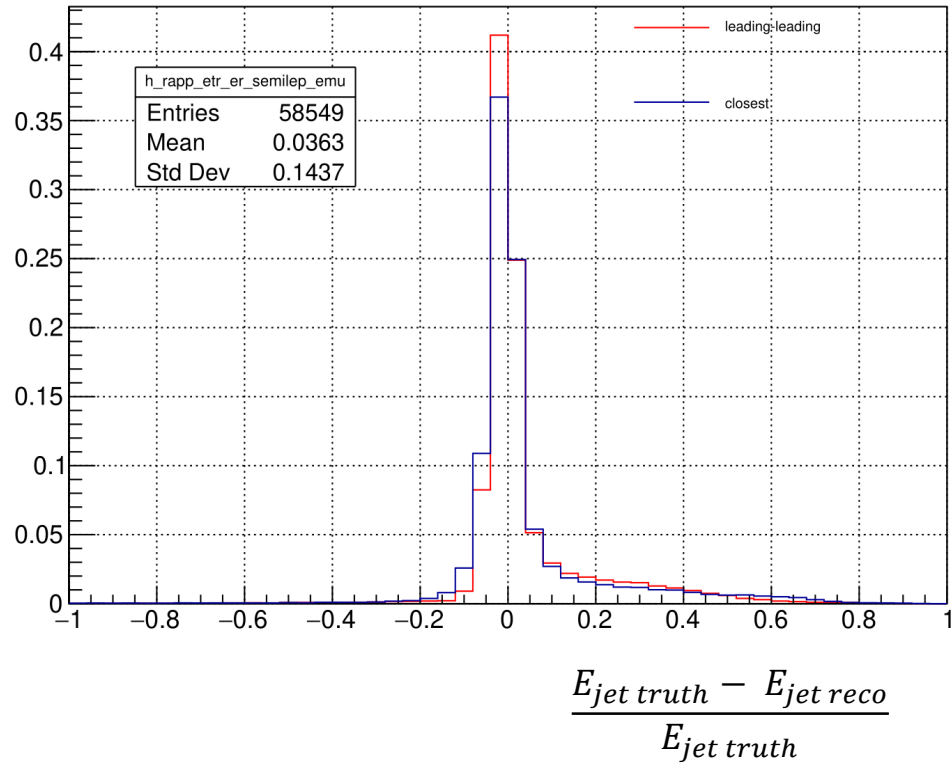
Reco & truth jets clustering done with Durham algorithm

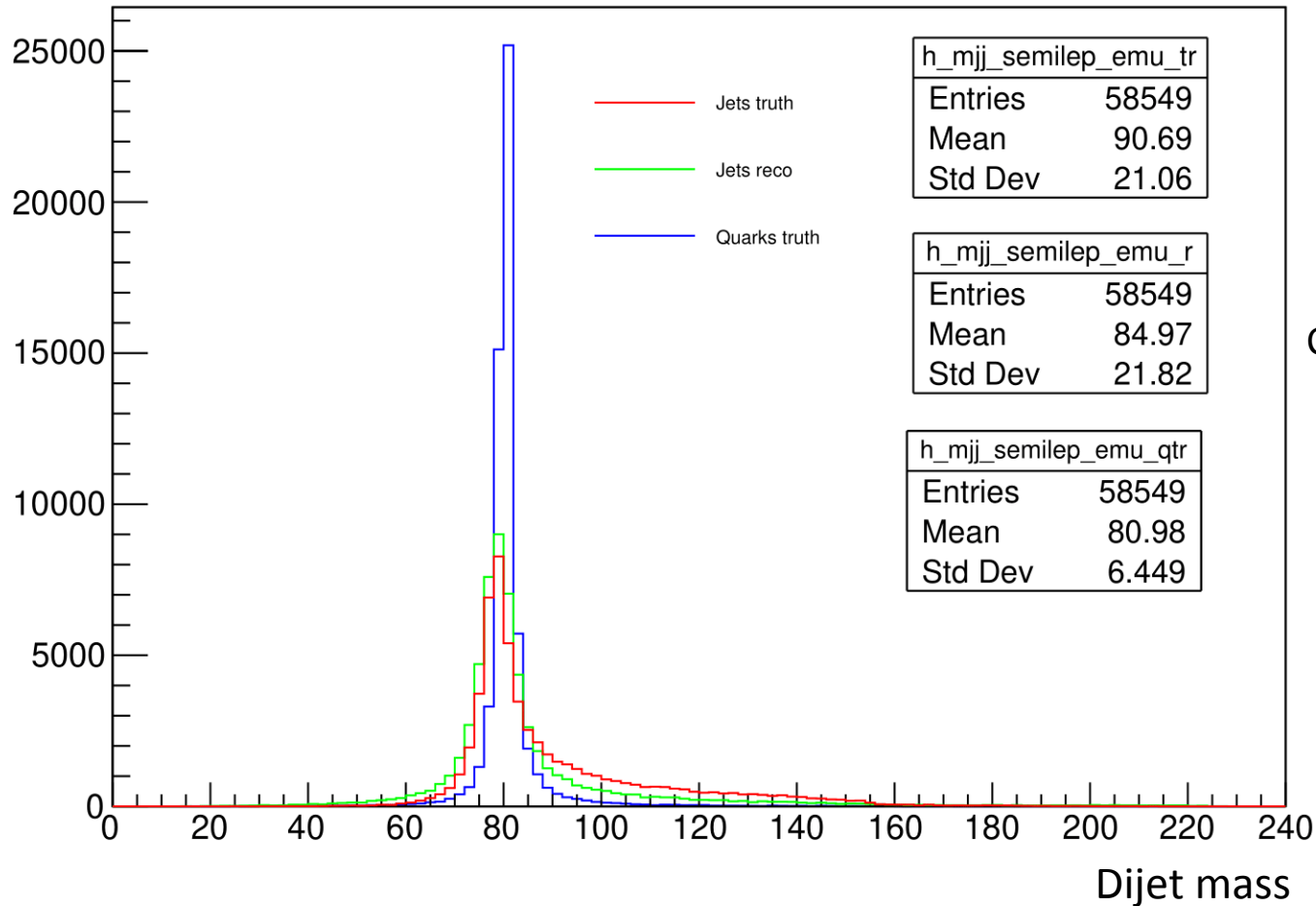
Eq found with quark from W energy (truth)

Relative difference between **leading quark and leading jet**



## Jet study matching truth-reco with closest angle





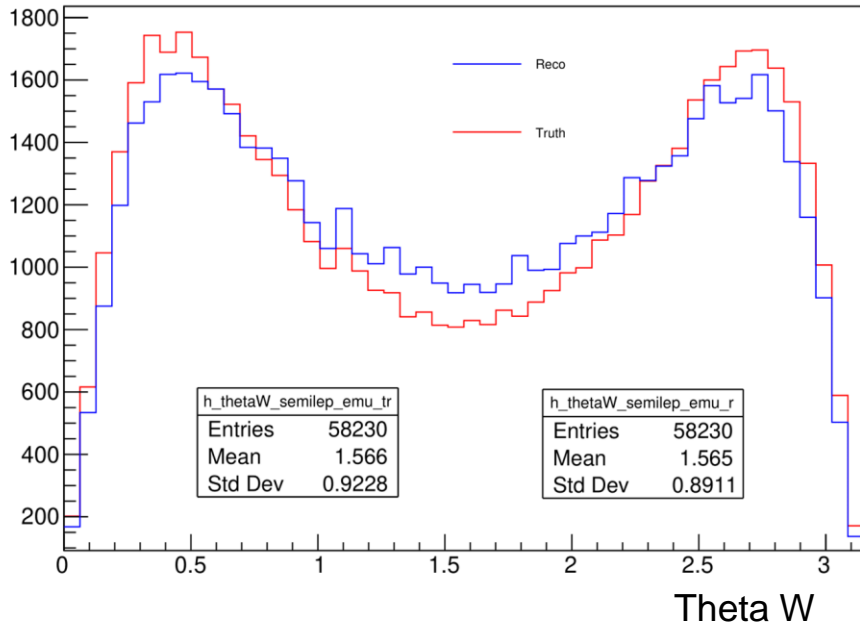
Comparison :

- W mass from quarks (blue)
- W mass from truth jets (red)
- W mass from reco jets (green)

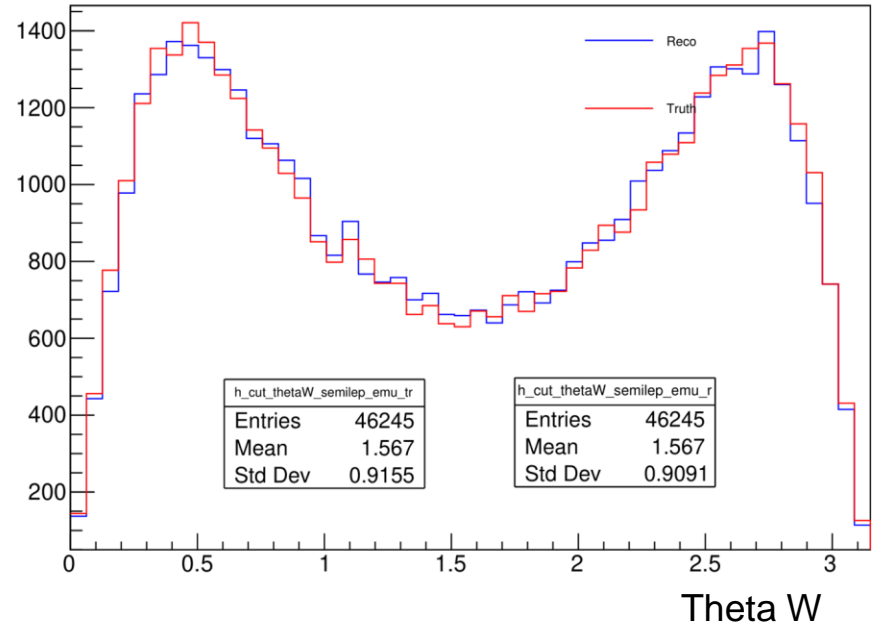


Variable of interest : Theta distribution of the W boson

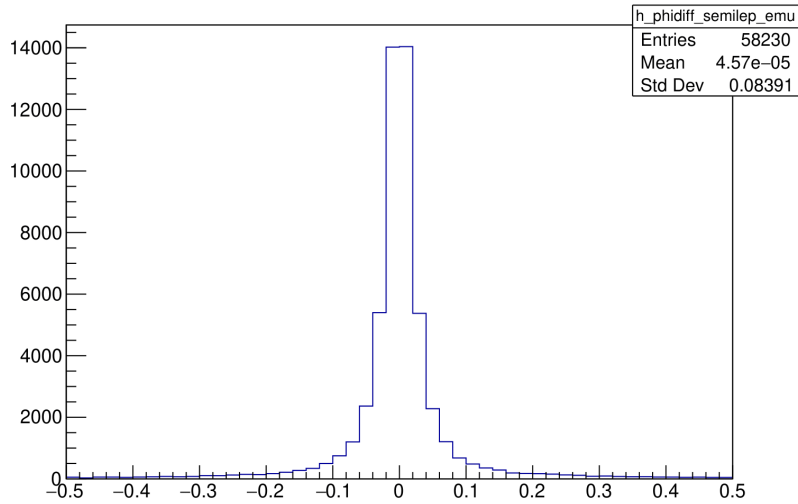
Before all cuts



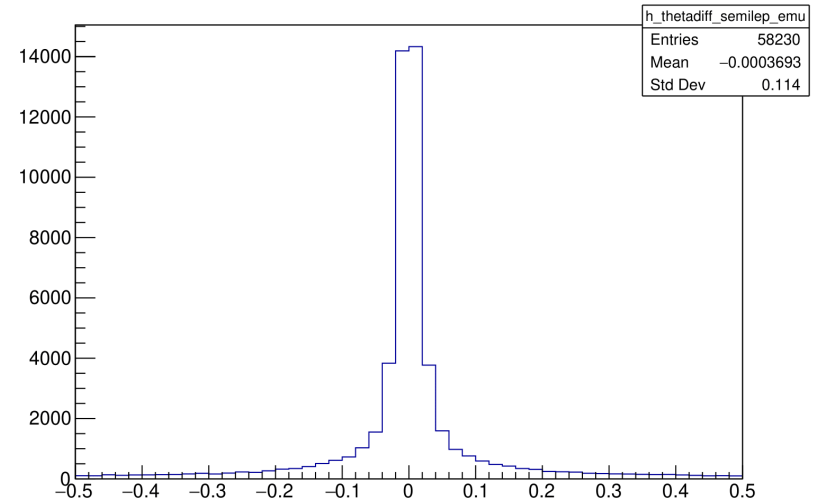
After all cuts



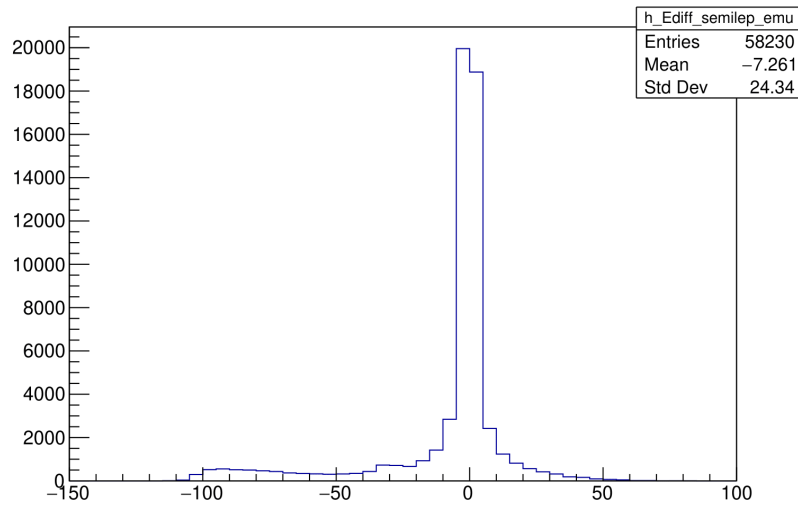
$$\tilde{p}_W^{reco} = \tilde{p}_{\text{missing momentum}}^{reco} + \tilde{p}_{\text{highest energy lepton}}^{reco}$$



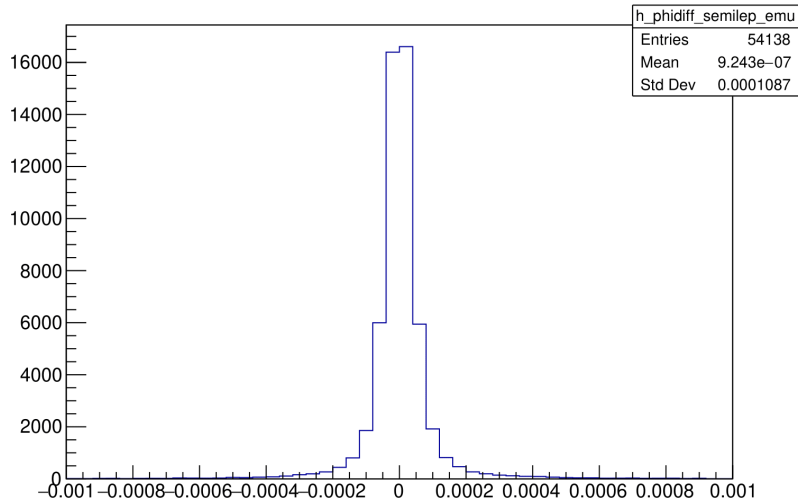
$$\phi_W^{reco} - \phi_W^{truth}$$



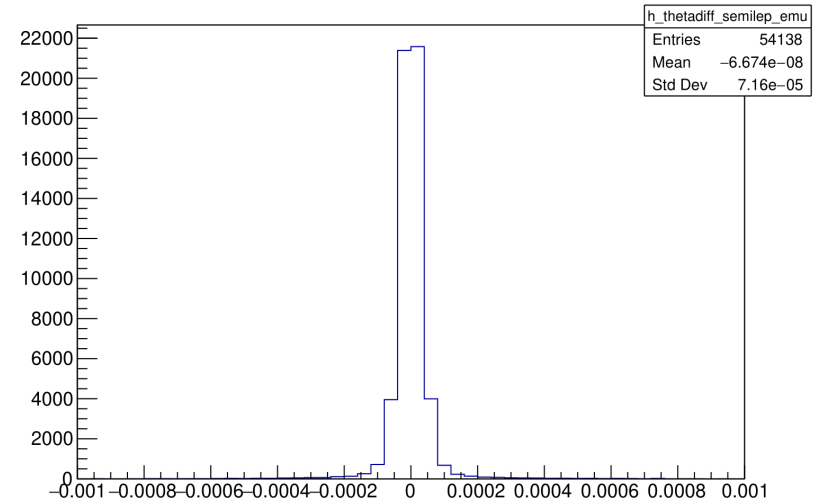
$$\theta_W^{reco} - \theta_W^{truth}$$



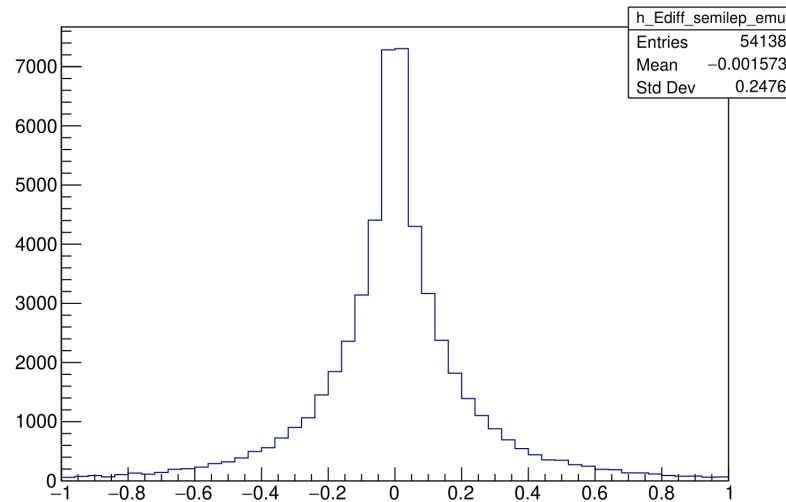
$$E_W^{reco} - E_W^{truth}$$



$$\phi^{reco} - \phi^{truth}$$



$$\theta^{reco} - \theta^{truth}$$



$$E^{reco} - E^{truth}$$

## Conclusion :

- All elements in place to start a kinematic fit
- Electrons to be used is AllElectron (removing non isolated but without including the photons in the isolation cone)
  - It should improve a bit the signal efficiency
- Found too soft jets in the samples
  - Use custom made jets (Durham – investigate different parameters)
- Verified that missing momentum in the file is computed as expected (not shown)

## Next steps :

- Implement a kinematic fit
- Study the  $WW \rightarrow jj \tau\nu$  contribution and evaluate it with a BDT
- Extract the reconstructed angular variables