

A tale of EFTs or a place or two to look at

Joerg Jaeckel

G. Alonso¹, F. Ertas², F. Kahlhoefer² and L. Thormaehlen³ + Many More

¹McGill, ²RWTH Aachen, ³U. Heidelberg

A tale of EFTs or a place or two to look at (some preliminary thoughts)

Joerg Jaeckel

G. Alonso¹, F. Ertas², F. Kahlhoefer² and L. Thormaehlen³ + Many More

¹McGill, ²RWTH Aachen, ³U. Heidelberg

Let's Talk about cutoffs...

EFTs are great

- We are interested in ALPs
- ➔ ALP EFT

$$\mathcal{L} \supset \frac{\partial_\mu a}{2f_a} c_q \sum_{f=u,d} \bar{f} \gamma^\mu \gamma_5 f + \frac{\partial_\mu a}{2f_a} c_l \sum_{f=l,\nu} \bar{f} \gamma^\mu \gamma_5 f$$

$$\sim \sum a \frac{m_f}{f_a} \bar{f} \gamma^5 f$$

Yukawa type interactions

EFTs are great

- We are interested in ALPs

➔ ALP EFT

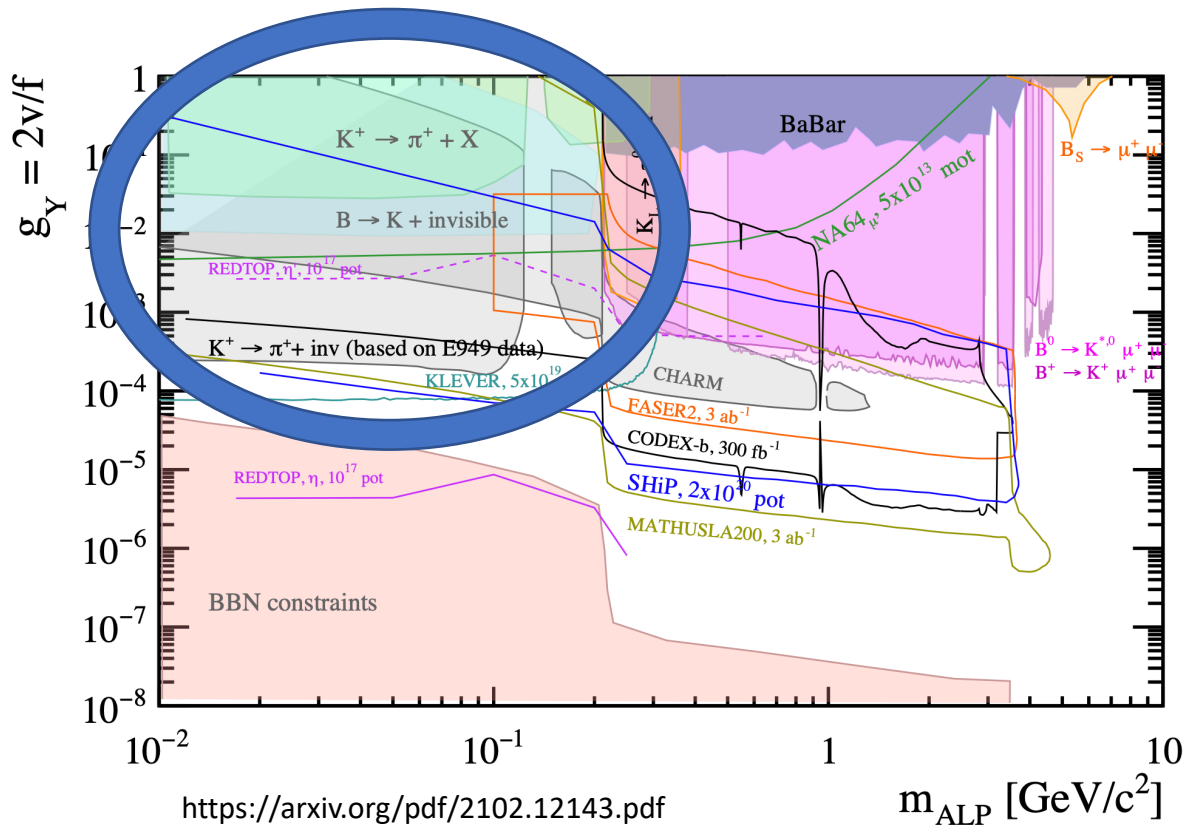
$$\mathcal{L} \supset \frac{\partial_\mu a}{2f_a} c_q \sum_{f=u,d} \bar{f} \gamma^\mu \gamma_5 f + \frac{\partial_\mu a}{2f_a} c_l \sum_{f=l,\nu} \bar{f} \gamma^\mu \gamma_5 f$$

$$\sim \sum a \frac{m_f}{f_a} \bar{f} \gamma^5 f \quad \text{Yukawa type interactions}$$

- ... but care needs to be taken when considering loop-processes
- Especially when divergences affect the result

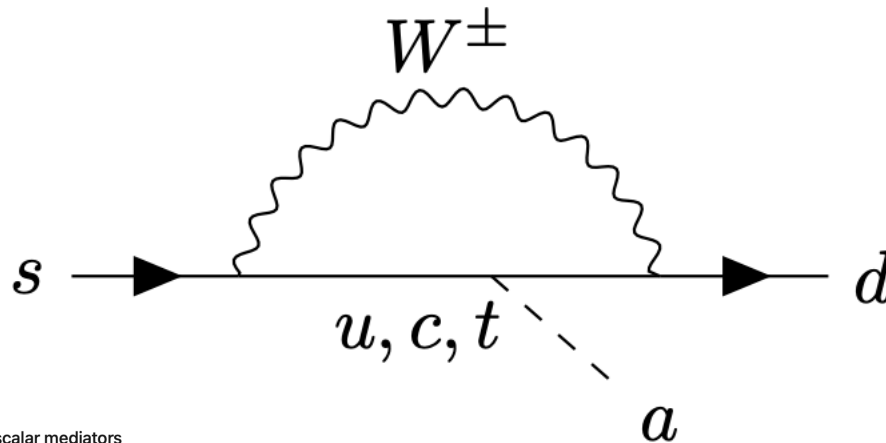
Process we are interested in

- Flavor violating Meson decays provide some of the strongest bounds



These are indeed loop processes

- E.g. $K^+ \rightarrow \pi^+ + a$.



A taste of dark matter: Flavour constraints on pseudoscalar mediators

Matthew J. Dolan (SLAC), Felix Kahlhoefer (DESY), Christopher McCabe (U. Amsterdam, GRAPPA), Kai Schmidt-Hoberg (DESY) (Dec 16, 2014)

Published in: *JHEP* 03 (2015) 171, *JHEP* 07 (2015) 103 (erratum) • e-Print: [1412.5174](https://arxiv.org/abs/1412.5174) [hep-ph]

- Standard Result features \log

$$\Gamma(K^+ \rightarrow \pi^+ + a) \sim \left[\log \left(\frac{\Lambda}{m_t} \right) \right]^2$$

What is the cutoff?

- In axion EFTs cutoff is usually identified with f_a
- This is suggested by the higher dimensional operators in the Lagrangian

$$\mathcal{L} \supset \frac{\partial_\mu a}{2f_a} c_q \sum_{f=u,d} \bar{f} \gamma^\mu \gamma_5 f + \frac{\partial_\mu a}{2f_a} c_l \sum_{f=l,\nu} \bar{f} \gamma^\mu \gamma_5 f$$

- But is this correct?

Example: DSFZ type models

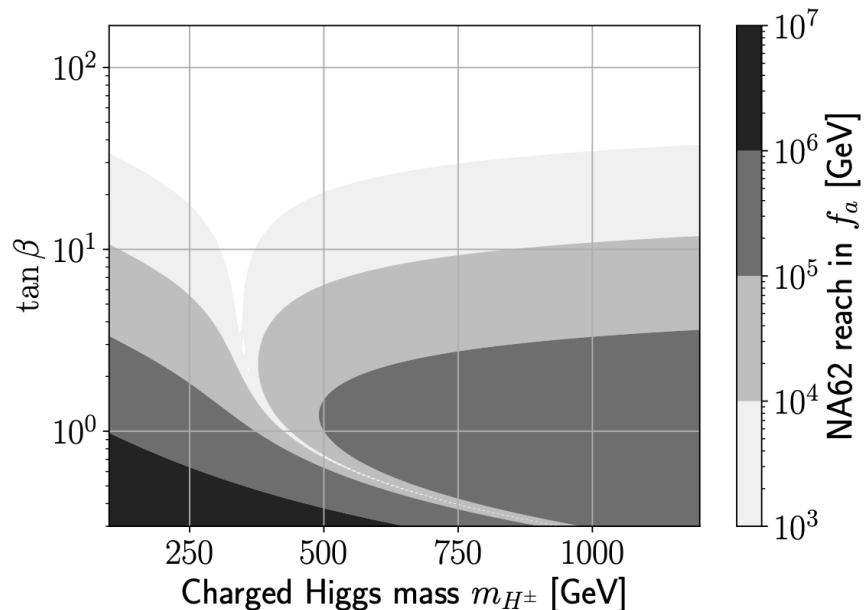
- 2 Higgs-doublet models
- Results in Yukawa type couplings for up type quarks

$$\sim \frac{m_f}{f_a} \cos^2(\beta) \quad \tan(\beta) = \frac{v_u}{v_d}$$

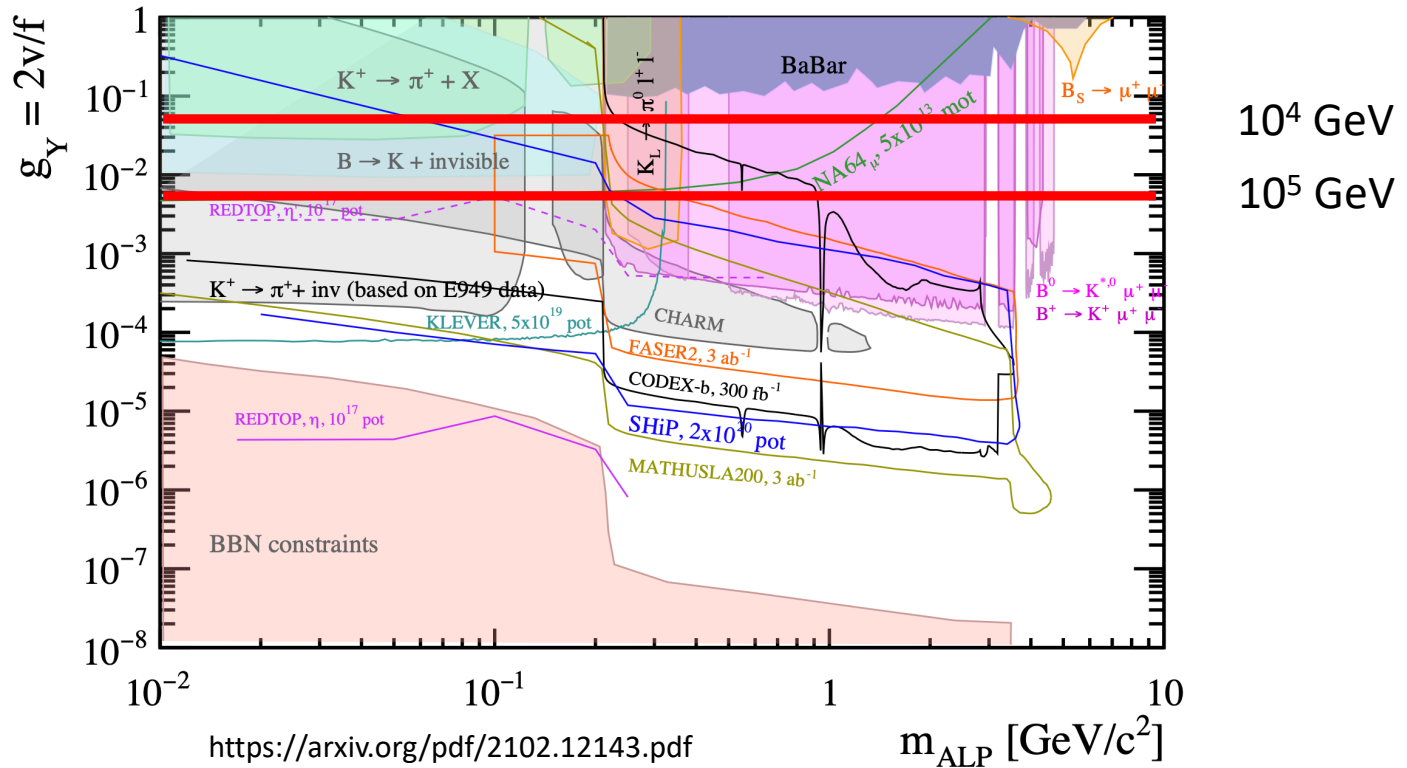
- Explicit UV complete (renormalizable) model allows direct calculation without EFT

DSFZ \rightarrow effective cutoff is lower!

- Actually the Higgses enter the game
- Their mass also acts as a cutoff! \rightarrow much lower!
- Sensitivity of flavor decays reduced!

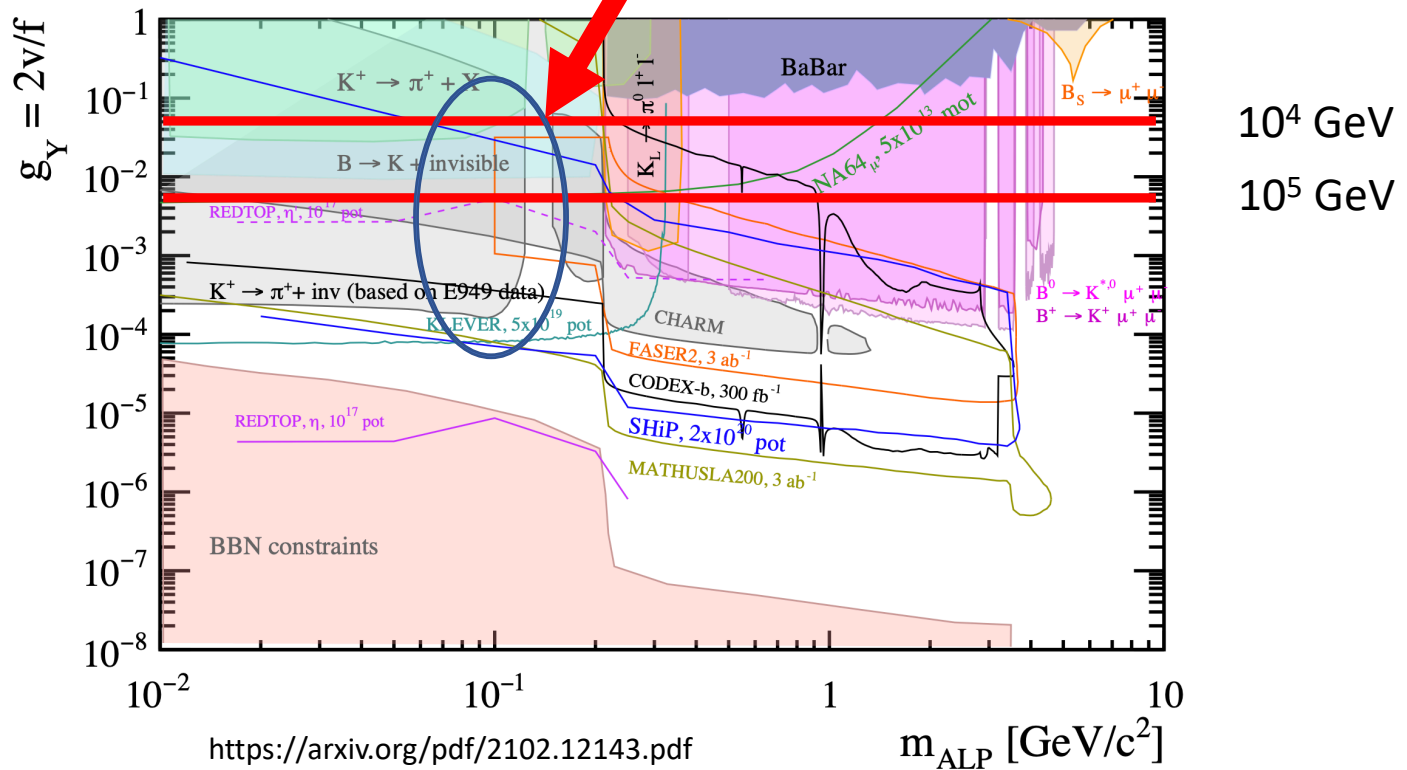


Opening up parameter space



Under-tested parameter space

Region might be interesting to test with FASER



How generic?

- Probably quite:
 - KSVZ models do not have suitable effective fermion couplings
 - Models with high effective cutoff and suitable fermion couplings not easy to construct
 - These models usually feature flavor changing couplings already at tree-level

How generic?

- Probably quite:
 - KSVZ models do not have suitable effective fermion couplings
 - Models with high effective cutoff and suitable fermion couplings not easy to construct
 - These models usually feature flavor changing couplings already at tree-level
- Smells of a field theoretic Axion-Marshland conjecture

Marsh²: <https://arxiv.org/abs/1903.12643>

Let's Talk about masses...

Super-Naively

- Lagrangian

$$\mathcal{L} = \frac{1}{2}(\partial_\mu a)^2 + \frac{1}{2}m_a^2 a^2 + \frac{\lambda}{4!}a^4 + \sum_\psi c_\psi \frac{1}{f_a} (\bar{\psi} \gamma_\mu \gamma_5 \psi) \partial^\mu a - \frac{1}{4} g_{a\gamma} F_{\mu\nu} \tilde{F}^{\mu\nu} a$$

- With $\frac{m_a^2}{f_a^2} \sim 10^{-14} \left(\frac{m_a}{100 \text{ MeV}} \right)^2 \left(\frac{10^6 \text{ GeV}}{f_a} \right)^2 \sim \lambda$

- This looks badly finetuned...

But: Pseudo-Goldstone

- Goldstone of U(1)

$$\mathcal{L} \supset |\partial_\mu \phi|^2 - V(|\phi|) \quad \langle \phi \rangle \sim f_a \neq 0$$

$$\phi = f_a \exp\left(i \frac{a}{f_a}\right) \quad \rightarrow \quad m_a = 0 \quad \lambda = 0$$

- Pseudo-Goldstone \rightarrow explicit U(1) breaking

$$\Delta V \sim \Lambda^{4-n} \phi^n + h.c.$$

$$m_a^2 \sim \Lambda^{4-n} f_a^{n-2} \quad \frac{m_a^2}{f_a^2} \sim \Lambda^{4-n} f_a^{n-4} \sim \left(\frac{\Lambda}{f_a}\right)^{4-n}.$$

Examples

- We always need $\Lambda \ll f_a$! $\frac{m_a^2}{f_a^2} \sim \left(\frac{\Lambda}{f_a}\right)^{4-n}$.

- $n=1$

$$m_a^2 \sim \frac{\Lambda^3}{f_a} \ll \Lambda^2 \quad \text{See-saw type smallness!}$$

- Stops already at $n=2$

$$m_a^2 \sim \Lambda^2 \sim \Lambda^2$$

Anomalous/Non-perturbative breaking

- Luckily many models (e.g. QCD axion) do not take Λ as an input parameter.
- The symmetry breaking arises from anomaly

→ $\Lambda \sim M_0 \exp\left(-\frac{8\pi^2}{g^2}\right)$

→ $g \sim 0.1 - 1$ Can generate tiny values of Λ

→ Essentially any mass can be motivated

Planck scale opportunities

- Quantum gravity may (!!! or not) feature symmetry violation of the type

$$\Delta V \sim M_P^{4-n} \phi^n + h.c. \quad n \gtrsim 4$$

$$m_a^2 \sim f_a^2 \left(\frac{f_a}{M_P} \right)^{n-4} \quad \frac{m_a^2}{f_a^2} \sim \left(\frac{f_a}{M_P} \right)^{n-4} .$$

Planck scale opportunities

- Quantum gravity may (!!! or not) feature symmetry violation of the type

$$\Delta V \sim M_P^{4-n} \phi^n + h.c. \quad n \gtrsim 4$$

$$m_a^2 \sim f_a^2 \left(\frac{f_a}{M_P} \right)^{n-4}$$

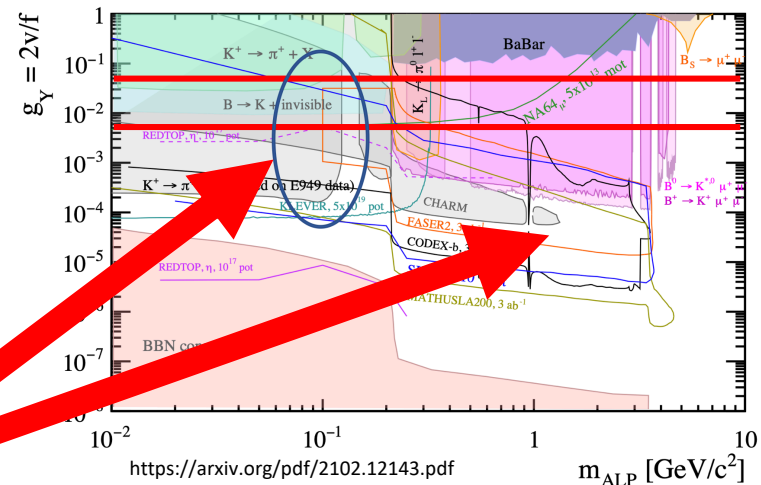
$$\frac{m_a^2}{f_a^2} \sim \left(\frac{f_a}{M_P} \right)^{n-4}$$

See-saw the other way around

$$n = 5$$

$$m_a^2 \sim (100 \text{ MeV})^2 \left(\frac{3 \times 10^5 \text{ GeV}}{f_a} \right)$$

➔ Might be interesting



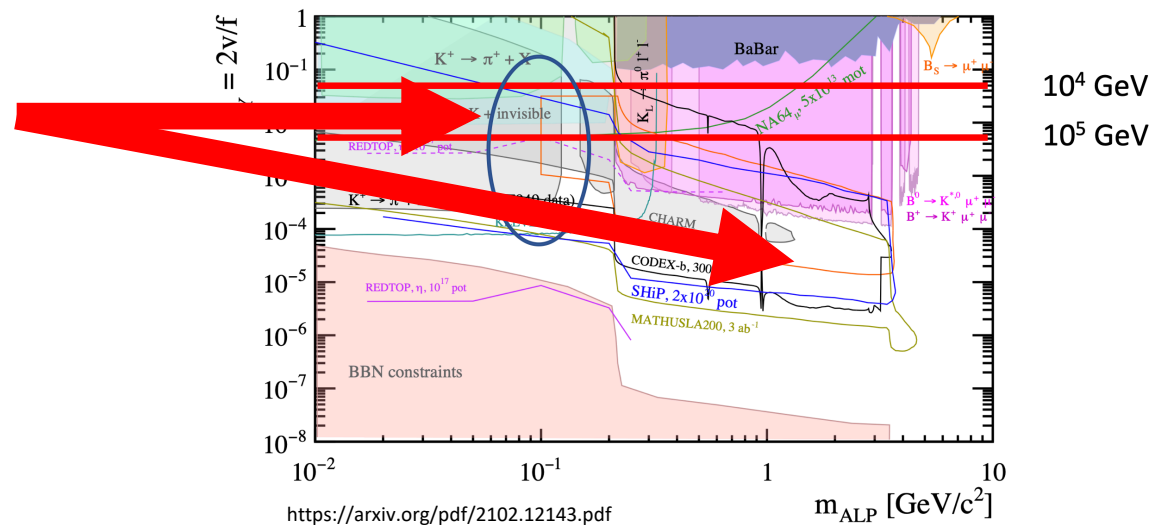
10⁴ GeV
 10⁵ GeV

Conclusions

- Constraints on ALPs based on loop-level EFT calculations may need extra care (lower cutoff due to extra particles)

➔ Regions of parameter space may be open for direct tests

- Planck scale symmetry violation may be within reach ;-).

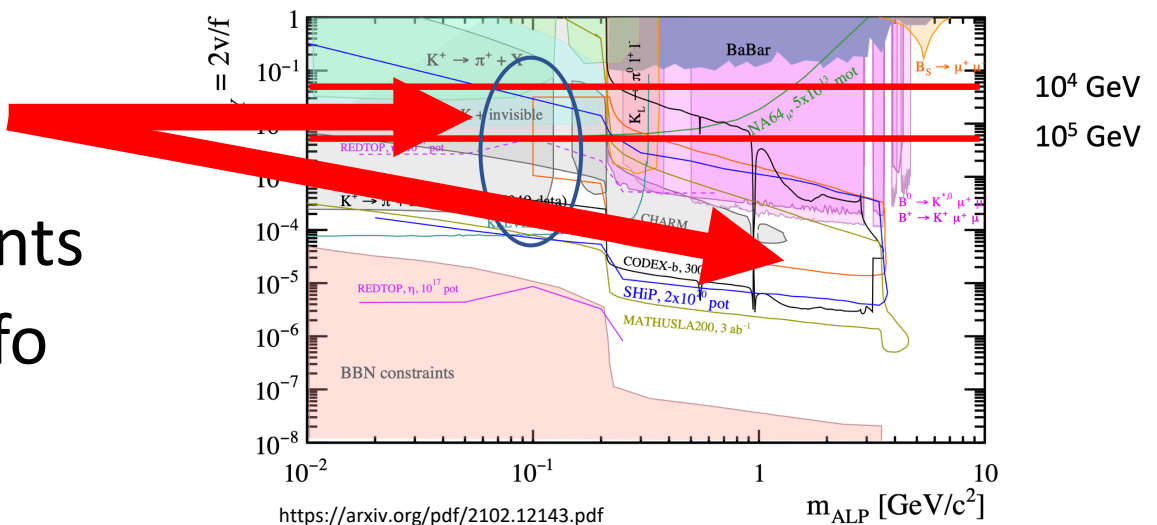


Conclusions

- Constraints on ALPs based on loop-level EFT calculations may need extra care (lower cutoff due to extra particles)
- ➔ Regions of parameter space may be open for direct tests
- Planck scale symmetry violation may be within reach ;-).

General messages

- Re-think constraints
- Use high-scale info on EFTs



Advertisement

- Cosmic Frontier CF2: Wave-like Dark Matter
→ i.e. sub-eV dark matter

It's cool, too ;-).