

# Spatio-Temporal Anomaly Detection for the DQM of the CMS Experiment via Graph Networks

# Talk for 5th IML Workshop







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# **Topics**

### Introduction

**Motivation: ML4DQM** 

ML4DQM for the HCAL: Research Gaps

# **Anomaly Detection Mechanism: ML4DQM for the HE**

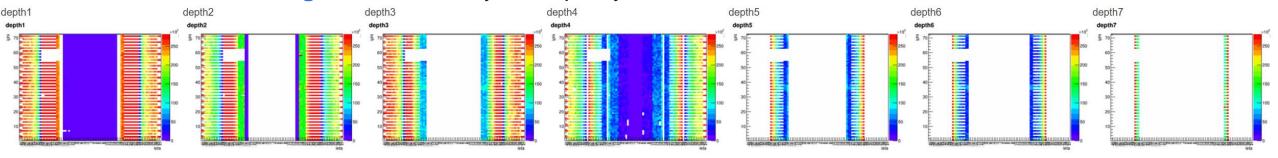
- Preprocessing: Digioccupancy Map Normalization
- Model Evaluation on Synthetic Anomalies
- Comparison with Benchmarks Models
- Detection of Real HE Channel Anomalies
- Computational Complexity

### **Summary**



### Introduction

- The HCAL Data is utilized for various physics analyses--from **low luminosity** to **high pile-up** environment.
- Our on-going effort DEtector System Monitoring Diagnostics and Prognostics (DESMOD) for the HCAL via ML models.
  - **DESMOD-HEngCCM**: Anomaly Detection (AD) and Prediction with output explanation from multivariate diagnostics sensors [1]
  - DESMOD-DQMAD: AD for the HCAL Endcap (HE) channels monitoring from DQM occupancy maps (this talk)
- The DQM of the HCAL of the CMS aims to guarantee high-quality physics data through
  - Online monitoring generates set of histograms following data acquisition.
  - Offline monitoring is used to certify data quality.



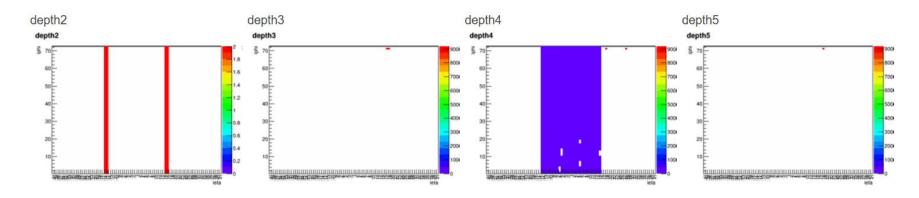
The HCAL has 3D spatial Digioccupancy maps,  $[i\eta \times i\phi \times depth]$ .

[1] https://ieeexplore.ieee.org/abstract/document/9687034



### **Motivation: ML4DQM**

- The Digioccupancy Maps of the HCAL:
  - Contains a digi or particle hit record of a data-taking sensor (aka channel) of the detector.
  - Has 3D spatial map data,  $[i\eta \times i\phi \times depth]$ .
  - Each pixel in the occupancy map belongs to a HCAL channel.
  - Potential abnormal channels can be spotted from the occupancy map.



**RED: Bad Quality Channels** 

- Challenge: lack annotated anomalies covering all possible anomalies shapes and sizes—challenging to anticipate all possible failure modes.
- Semi-/Un-supervised ML as potential solution: robust anomaly detection (AD) and localization

### **Motivation: ML4DQM - HCAL**

#### **DQM-HCAL** Data

- 3D histogram maps
- High dimensional spatial data
- Detector channels share common RBX

# **DQM Histogram Map Normalization**

• Dependency on experiment settings (e.g. Luminosity, Event number, etc.)

#### **Temporal AD**

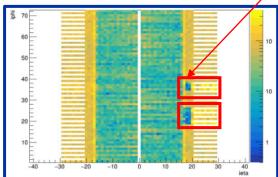
- Faulty channels persists over time
- AD within temporal context

DQM-HCAL Challenges

#### **Degrading Channels**

- May impact physics data quality
- Relevant for Predictive Maintenance (PdM)

#### HBHE DIGI occupancy Map [2]



#### In Oct 2021, Run346247

- Issue: Non-uniformity in the HE Digioccupancy distributions.
- Cause: improperly tuned SiPMs Bias Voltage for HEP06, 07, and 10 sectors

[2]https://indico.cern.ch/event/1141023/contributions/47 91854/attachments/2421439/4144738/hcal\_pfg\_cmswe ek\_apr2022.pdf

Automated AD with ML model has the potential to detect such faults instantly.



# **Anomaly Detection Mechanism: ML4DQM for the HE**

- Autoencoder ( $\mathcal{F}$ ): spatio-temporal  $\gamma$  data (X) reconstruction.
- Intuition: F trained on healthy maps would struggle to reconstruct anomalies and thus, will higher reconstruction error.

Input: 
$$X \in \mathbb{R}^{T \times N_{i\eta} \times N_{i\phi} \times N_{d} \times N_{f}}$$
  
Output:  $\overline{X} \in \mathbb{R}^{T \times N_{i\eta} \times N_{i\phi} \times N_{d} \times N_{f}}$   
 $\overline{X} = \mathcal{F}_{d} (\mathcal{F}_{e}(X))$ 

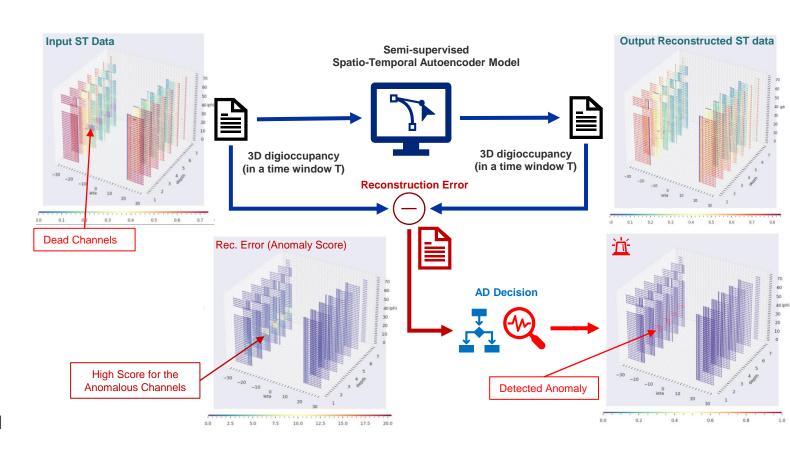
**Training loss function (MSE):** 

$$\mathcal{L}(x_i, \bar{x_i}) = \|x_i - \bar{x_i}\|_2^2$$

Anomaly Score with Rec. Correction:  $a_i = \frac{e_i}{\sigma_i}$ Where  $a_i$  is a standardize reconstruction error of  $e_i$  $e_i = |x_i - \overline{x_i}|$ 

 $\sigma_i$  is std the reconstruction error for the  $i^{th}$  channel estimated from the training set.

Anomaly Decision:  $AD(a_i) = a_i > k$ , single tunable threshold k for all channels.



#### **DESMOD-DQMAD Model**



# **Preprocessing: Digioccupancy Map Normalization**

- The digioccupancy value ( $\gamma$ ):
  - is number of digi per channel in a given LS.
  - is determined by the experiment luminosity ₹ and number of events N<sub>e</sub> settings.

$$\gamma(c) \in [0, N_e]$$

- $\gamma$  Normalization Regression Model (DNN):
  - Deep regression model  $\mathcal{R}$  to harmonize the variation in the  $\xi$  and  $N_e$  at each HCAL depth.

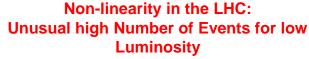
$$\bar{\gamma}_{l} = \underset{\mathbb{E}[(\gamma_{l} - \mathcal{R})^{2}]}{\arg \min} \left\{ \mathcal{R}(N_{e}, \xi) \right\}$$

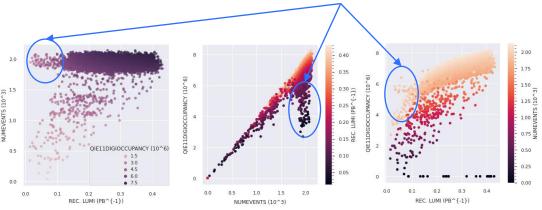
$$\gamma_{l} = \sum_{\forall c} \gamma(l, c)$$

$$\hat{\gamma}(l, c) = \frac{K * \gamma(l, c)}{\bar{\gamma}_{l}}$$

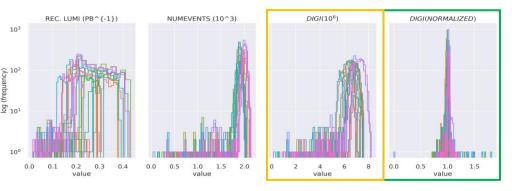
#### Where:

- $\gamma_l$  is total  $\gamma$  per depth at  $l^{th}$  LS.
- $\hat{\gamma}$  (l, c) is the normalized  $\gamma$  value of the channel c at  $l^{th}$  LS.
- *K* is a scaling factor to compensate the difference in the number of channels per depth.
- Normalization enables training ML models with smaller datasets with effective generalization for Runs with previously unseen experiment settings.





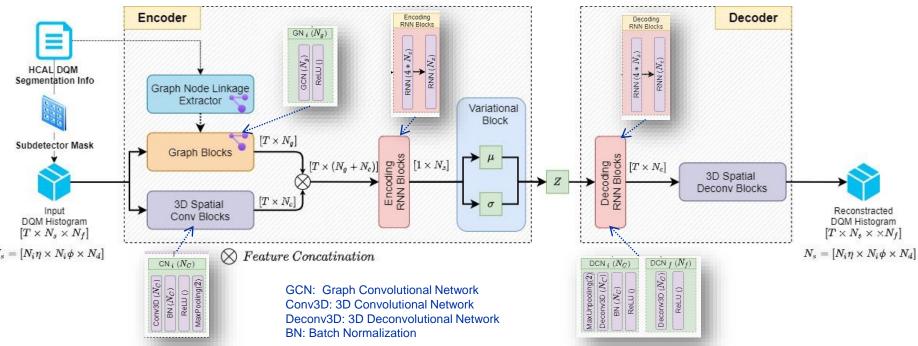
 $\gamma$  is depends on  $\xi$  and  $N_e$ 



Total digioccupancy per LS of several runs

# **AD Model Design with Graph Autoencoder**

- Model(DESMOD-DQMAD): Multilayered networks semi-supervised autoencoder for ML4DQM AD of the HE.
- Convolutional, graph, and recurrent neural networks are integrated to capture spatial and temporal characteristics.
  - Euclidean and non-Euclidean spatial characteristics of HE digioccupancy map:
    - Conv3D: Proximally arranged channels (Euclidean distance) are exposed to particle hits around their region.
    - GCN: Channels share a common backend RBX that results in a non-Euclidean spatial distance.



**Graph Network**  $G(v, \varepsilon)$  to learn shared local variations due **interconnected backend circuit** and **environmental impact** in a common RBX.

$$A(u, v) = \begin{cases} 1, & \text{if } RBX(u) = RBX(v) \\ 0, & \text{otherwise} \end{cases}$$

The v denotes the HE channel nodes and  $\varepsilon$  is the edges in adjacency matrix A, respectively. An edge  $(u,v) \in \varepsilon$  connects a pair of nodes u and v in the same RBX.

#### Channels in a given RBX share backbone:

- Environmental factors: temperature and humidity inside RBX.
- Local variations per RBX: intrinsic variations of the custom-built electronic components.

# **Model Training and Validation**

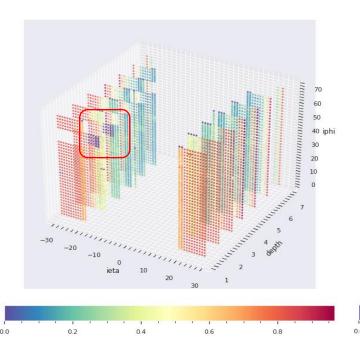
- Dataset: /ZeroBias/Run2018\*-v1/RAW
  - Golden JSON lumis: "GOOD" data, around 20K 3D digioccupancy histogram map ( $\gamma$ ) of HCAL Endcap (HE).
  - Around 1750-2250 events per LS and luminosity ranging up to  $0.4 PD^{-1}$ .
- Training set  $(LS \in [1, 500])$ : ~10K GOOD histograms
- Validation set  $(LS \in [500, 1500])$ : ~10K histograms
  - 10K histograms with synthetic anomalies (dead ( $\gamma = 0$ ) and hot ( $\gamma = 2 * \gamma_{expected}$ ) anomalies, each 5K)
  - **5K** histograms with synthetic **degrading** anomaly  $(\gamma = D * \gamma_{expected})$ .
    - Decaying factor D = [0.8, 0.6, 0.4, 0.2, 0.0].
- Model setting:
  - Sliding time-window size: 5 LSs
- Temporal Anomaly Evaluation:
  - Anomalies affecting only an isolated LS.
  - Anomalies affecting consecutive LSs in a time window:
    - Anomaly score is estimated from mean absolute error (MAE) in time window.



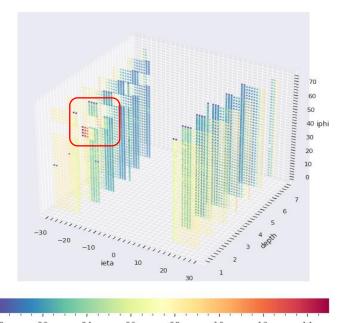
# **Model Evaluation: Anomaly on Isolated LS**

10K histograms with dead and hot channels, monitored ~32M channels (335K (1.05%) anomalous) for each anomaly type.

Sample  $\gamma$  histogram map with **DEAD** channel anomaly



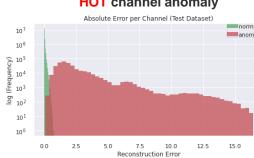
Sample  $\gamma$  histogram map with HOT channel anomaly



### Reconstruction error distribution **DEAD** channel anomaly



### Reconstruction error distribution HOT channel anomaly



Anomaly Type	Captured Anomalies	P	R	F1	FPR
Dead Channel	99%	0.999	0.99	0.995	$6.722 \times 10^{-6}$
	95%	1.000	0.95	0.974	$3.102 \times 10^{-6}$
	90%	1.000	0.90	0.947	$2.068 \times 10^{-6}$
	99%	0.999	0.99	0.994	$9.113 \times 10^{-6}$
Hot Channel	95%	1.000	0.95	0.974	$1.939 \times 10^{-6}$
	90%	1.000	0.90	0.947	$1.196 \times 10^{-6}$

The proposed AD system has achieved a promising high performance with precise localized detection of the faulty channels, i.e., **0.99 precision** while detecting **99%** of the **335K faulty channels**.

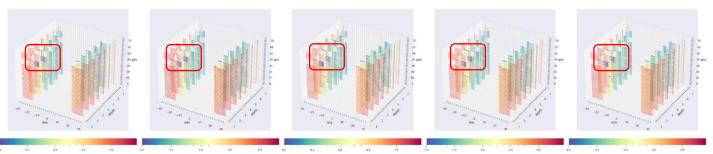
P- Precision, R- Recall, F1 - F1 score, FPR- False Positive Rate



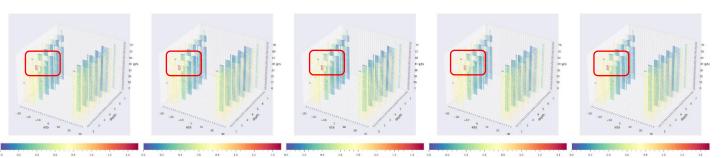
# **Model Evaluation: Time Persistent Anomaly**

- 10K histograms with dead and hot channels in a time window of 5 LSs (50K), monitored ~156M channels (1.68M (1.05%) anomalous) for each anomaly type.
- Anomaly scores are estimated using mean absolute error (MAE) across the LSs in a time window.

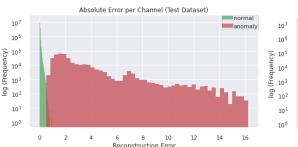
#### Sample $\gamma$ histogram maps with DEAD channel anomaly persisted across LSs



#### Sample $\gamma$ histogram maps with HOT channel anomaly persisted across LSs



### Reconstruction error distribution DEAD channel anomaly



#### Reconstruction error distribution HOT channel anomaly



Anomaly Type	Captured Anomalies	P	R	F1	FPR
Dead Channel	99%	0.999	0.99	0.995	$7.691 \times 10^{-6}$
	95%	1.000	0.95	0.974	$2.715 \times 10^{-6}$
	90%	1.000	0.90	0.947	$1.616 \times 10^{-6}$
Hot Channel	99%	0.999	0.99	0.995	$5.461 \times 10^{-6}$
	95%	1.000	0.95	0.974	$1.357 \times 10^{-6}$
	90%	1.000	0.90	0.947	$7.756 \times 10^{-7}$

Time-persistent anomalies are easier to detect as the *FPR* improves by 13%-23% and 28%-40% for the **dead** and **hot** anomalies, respectively, as compared to detecting anomalies affecting isolated LSs.

Generally, capturing 99% of the anomaly is relatively more challenging as certain channels may have a very small expected  $\gamma$ .

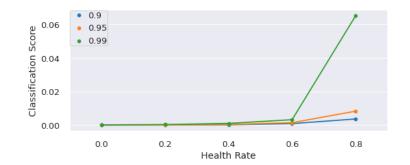


### **Model Evaluation: Degrading Channels, Time Persistent**

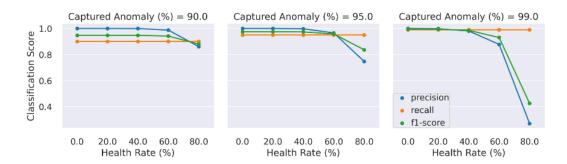
- 5K histograms with degrading to death channel anomalies in a time window of 5 LSs (25K), monitored ~156M channels (1.74K (1.11%) anomalous)
- **Degrading** anomaly is when  $\gamma = D * \gamma_{expected}$ , with decaying factor D = [0.8, 0.6, 0.4, 0.2, 0.0], where D = 0 denotes a dead channel.
- 1K histograms for each 5K histograms.

#### Health Rate = Decay Factor

Anomaly Type	Health Rate	FPR (90%)	FPR (95%)	FPR (99%)
Decaying Channel	80%	$1.636 \times 10^{-3}$	$3.614 \times 10^{-3}$	$2.988 \times 10^{-2}$
	60%	$1.329 \times 10^{-4}$	$3.834 \times 10^{-4}$	$1.550 \times 10^{-3}$
	40%	$8.405 \times 10^{-6}$	$2.764 \times 10^{-5}$	$2.242 \times 10^{-4}$
	20%	$2.263 \times 10^{-6}$	$5.173 \times 10^{-6}$	$2.505 \times 10^{-5}$
	0%	$9.699 \times 10^{-7}$	$1.778 \times 10^{-6}$	$6.142 \times 10^{-6}$



- Promising high performance in detecting the degrading faulty channels.
- The FPR to capture 99% of the anomalies is 2.988%, 0.155%, 0.022%, 0.002%, and 0.001% when channels operate at 80%, 60%, 40%, 20%, and 0% of its expected capacity, respectively.

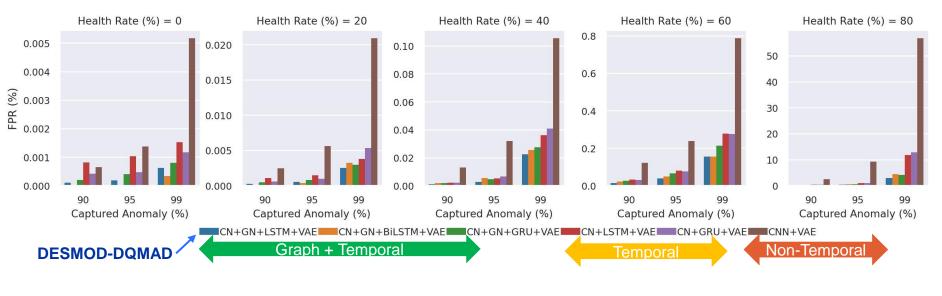


- The **relatively lower precision** for the health rate of **80%** signifies there are still a very few anomalous channels that are challenging to capture.
  - This is because a channel operating at **80%** is an **inlier** to the normal operating ranges, and it becomes even **more challenging** if the expected  $\gamma$  is very low.
  - However, the performance **significantly improves** by **88%** and **95%** when the percentage of the target **anomaly to captured** is reduced to **95%** and **90%**, respectively.



# Comparison with Benchmark Models on Degrading Channels

- The benchmark models follow overall similar autoencoder architecture as the proposed DESMOD-DQMAD, but have different modeling layers.
- Integration of the graph network has a significant performance gain from 1.6 to 3.9X.
- Temporal models have achieved a 3 to 5-fold boost over the non-temporal spatial AD model, CNN+VAE.
  - For channel degraded by only 20%, the DESMOD-DQMAD improvement is by 25X.
- Spatio-temporal learning mechanism enhances the context to capture degrading channels.



CN: convolutional network, GN: graph network, BiLSTM: bidirectional LSTM, GRU: gated recurrent unit.

NN+VAE: the RNN blocks are replaced

CNN+VAE: the RNN blocks are replaced with FC layers.

### Real Channel Anomalies Detected with DESMOD-DQMAD Model

The proposed **DESMOD-DQMAD model** detected **REAL bad channels** in the HE.

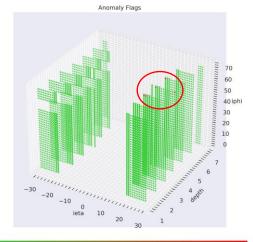
Run: 324841

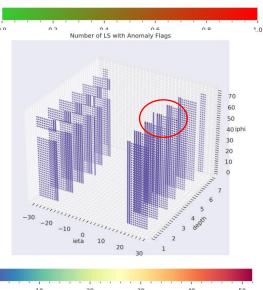
**Anomaly Types: Dead + Degraded Channels** 

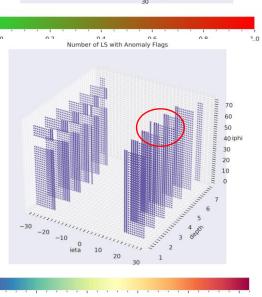
Number of affected LS:

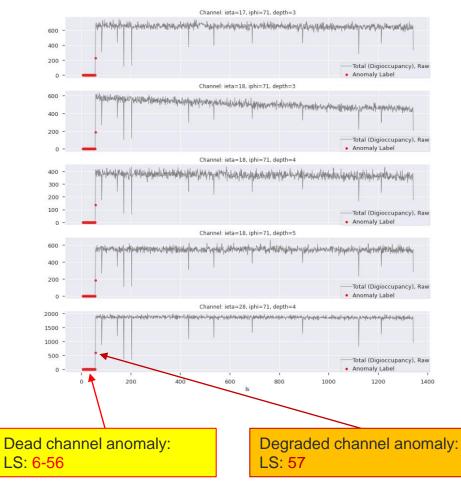
#### Bad channels:

'ieta=17, iphi=71, depth=3', 'ieta=18, iphi=71, depth=3', 'ieta=18, iphi=71, depth=4', 'ieta=18, iphi=71, depth=5', 'ieta=28, iphi=71, depth=4'



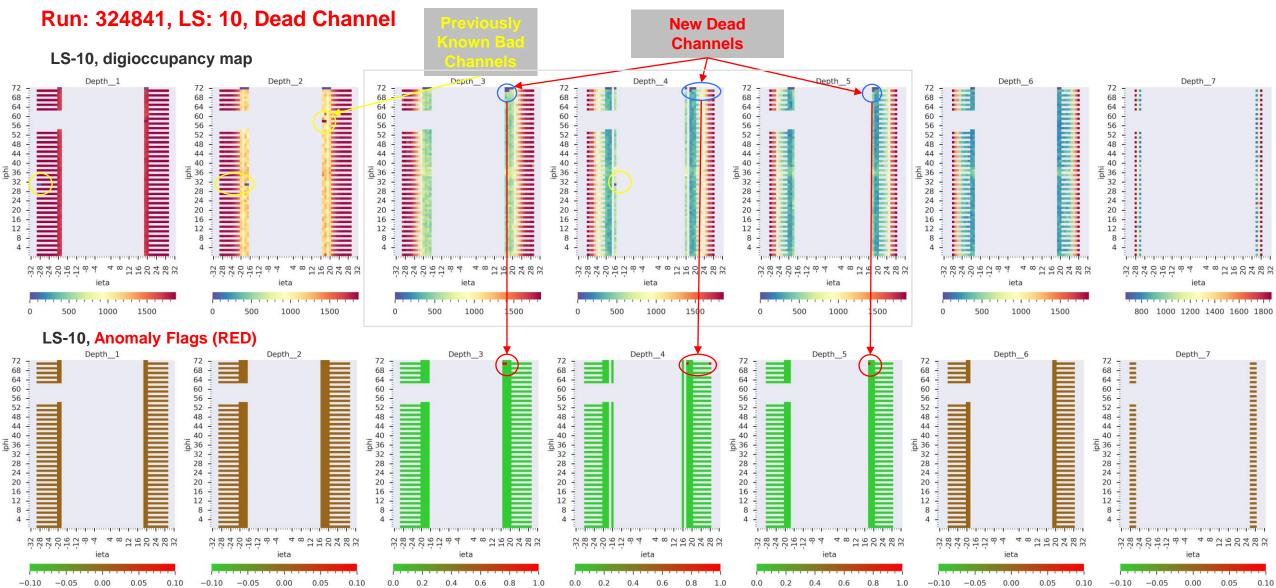




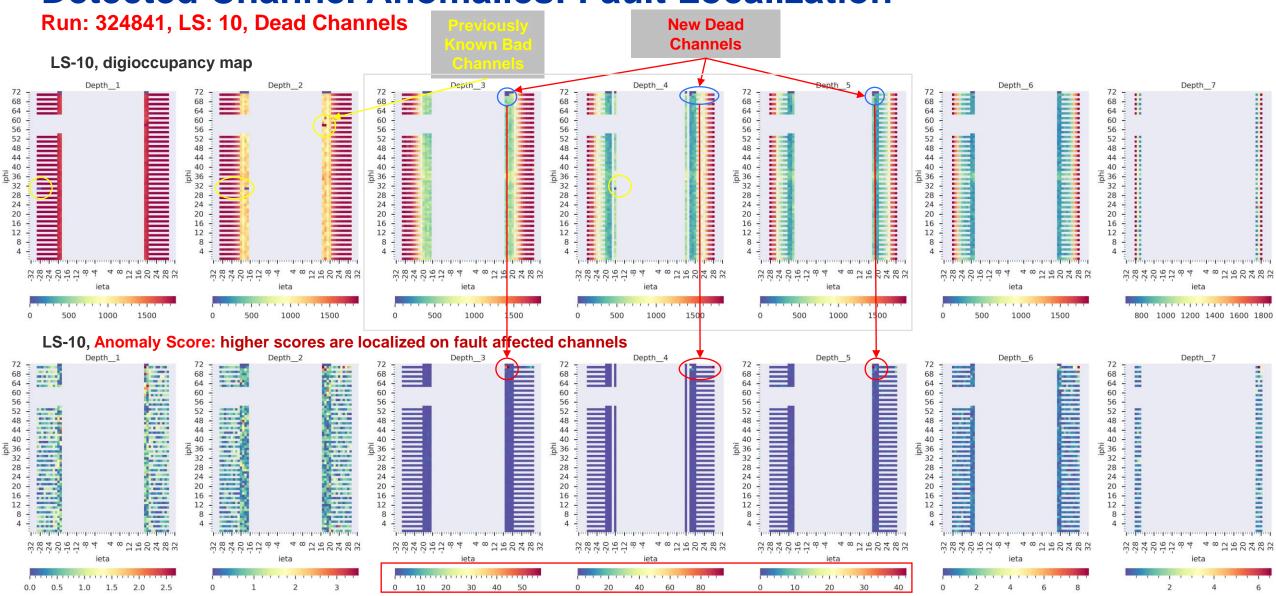


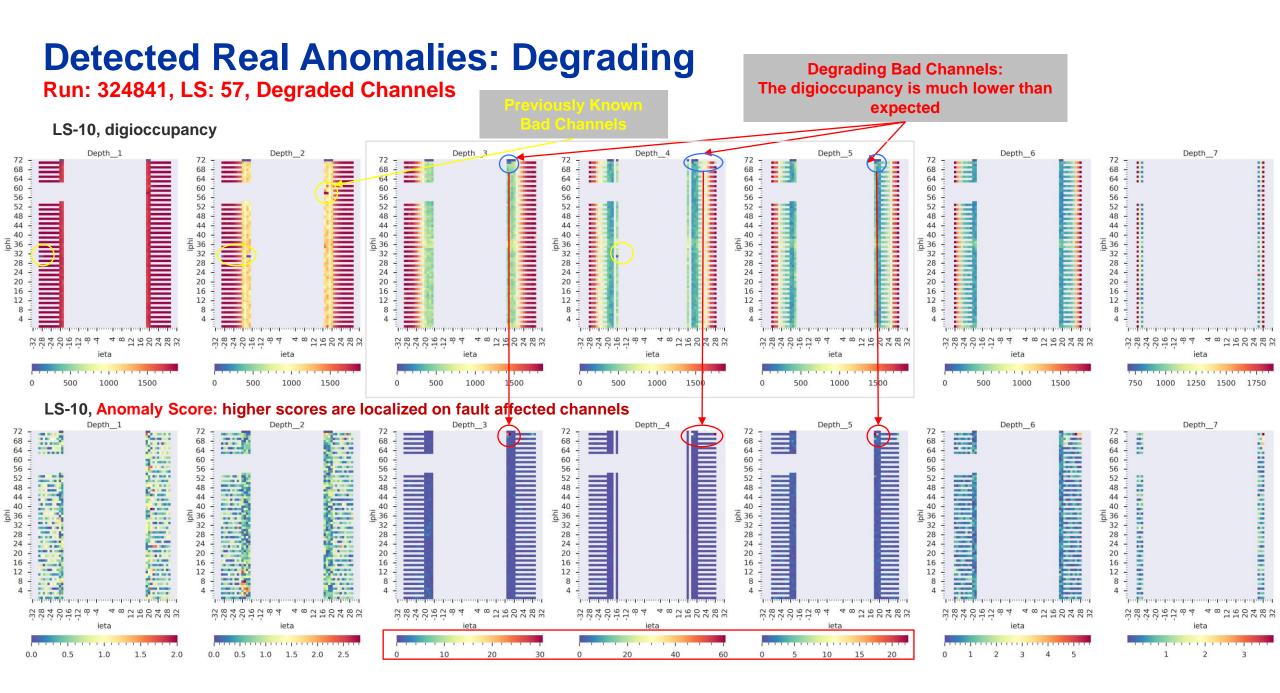


### **Detected Channel Anomalies: Detection**



### **Detected Channel Anomalies: Fault Localization**



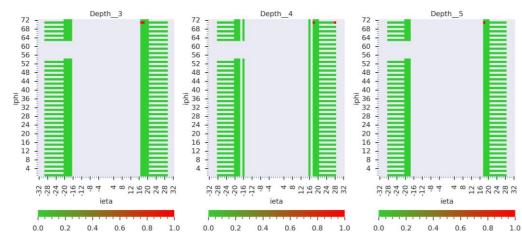


### **Detected Channel Anomalies: Central DQM vs DESMOD-DQMAD**

- The Central DQM has also spotted the bad channels through analysis at the end of the run.
- Our approach detects the bad channels on streaming instantly in a LS granularity.

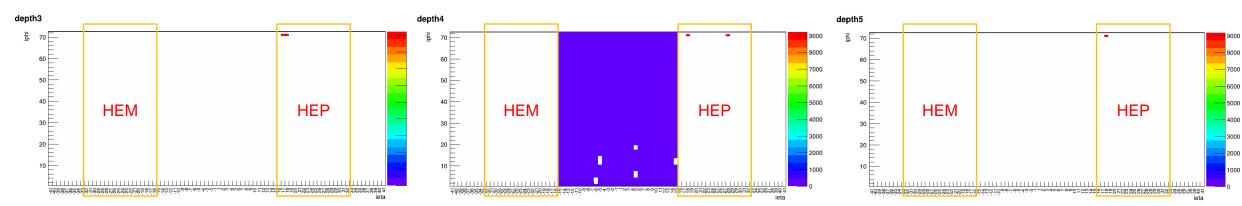
#### **DESMOD-DQMAD** based on LS level detection

Run: 324841



The Central DQM: uses run granularity detection

Run: 324841





# **Computational Complexity**

#### Model Training:

- The models was developed with PyTorch and trained on four GPUs of NVIDIA Tesla V100 SXM3 32 GB and Intel(R) Xeon(R) Platinum 8168 CPU @2.70GHz.
- Training time: around 45 sec/epoch with batch size B=8.

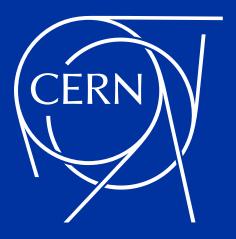
#### Model Inference:

• Inference time on a single GPU is around  $\mu = 0.05 \pm \sigma = 0.006$  seconds where  $\mu$  and  $\sigma$  is the median and a standard deviation of the inference time.



# **Summary**

- The proposed model has **achieved promising performance** in capturing several types of anomalies from the **digioccupancy histogram map**.
- Our study expands the effort on ML4DQM on temporal, digioccupnacy map normalization, learning non-Euclidean spatial behavior, and degrading channel detection.
- The model's capability in detecting degrading channels will aid in prognostics and predictive intervention.
- The progress is currently on **model integration** in to the DQM production after fine tuning the model with occupancy maps of RUN-III.
- Previous DESMOD models are hosted in <a href="http://www.demond.cern.ch">http://www.demond.cern.ch</a> for pre-testing.



# **BACK-UP**

# **Graph Convolutional Network (GCN)**

- GCN is performs convolution-like operations directly on graphs.
- Given a graph  $G(V, \mathcal{E})$  data structure consisting of nodes V and edges  $\mathcal{E}$  components, the graph convolution operation produces a **normalized aggregation of the node feature of the neighbors**:
- The layer-wise propagation mechanism:

$$h_i^{(l+1)} = \sigma \left( W^{(l)} \frac{1}{d_i} \sum_{j \in \mathcal{N}(i)} h_j^{(l)} \right) \qquad H^{(l+1)} = \sigma \left( D^{-\frac{1}{2}} A D^{-\frac{1}{2}} H^{(l)} W^{(l)} \right) \quad D = diag \left( \sum_j A_{ij} \right)$$

With symmetric normalized Laplacian matrics

 $\mathcal{N}(i)$  is the set of one-hop neighbors of the  $i^{th}$  node  $v_i$  with self-looping to include  $v_i$  in the set.

 $d_i$  is the number of neighboring nodes and used as a normalization constant

 $\sigma(\cdot)$  denotes an activation function such as  $ReLU(\cdot) = max(0, \cdot)$ 

 $h_i^l \in \mathbb{R}^{1 \times M}$  is the node feature vector of  $i^{th}$  node at the  $l^{th}$  layer, where M is the feature dimension. H is matrix equivalent.

 $W^{(l)}$  is a shared weight matrix for node-wise feature transformation



### **Previous Efforts on ML4DQM**

- Previous efforts on ML4DQM:
  - Adrian et al. (2018) Detector monitoring with ANN at the CMS experiment (for the ECAL) [1]
  - Azzolin et al. (2019) Improving DQM via a partnership between the CMS and industry (for the ECAL) [2]
  - Abhirami Harilal (2021) ML based AD for the ECAL online DQM [3]

[1]https://arxiv.org/abs/1808.00911

[2]https://doi.org/10.1051/epjconf/201921401007

[3]https://indico.cern.ch/event/1045606/contributions/4458491/attachments/2288758/3890699/ML4DQM\_MLTownhall\_28July21AbhiramiH.pdf

