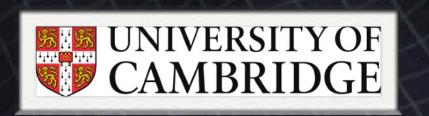


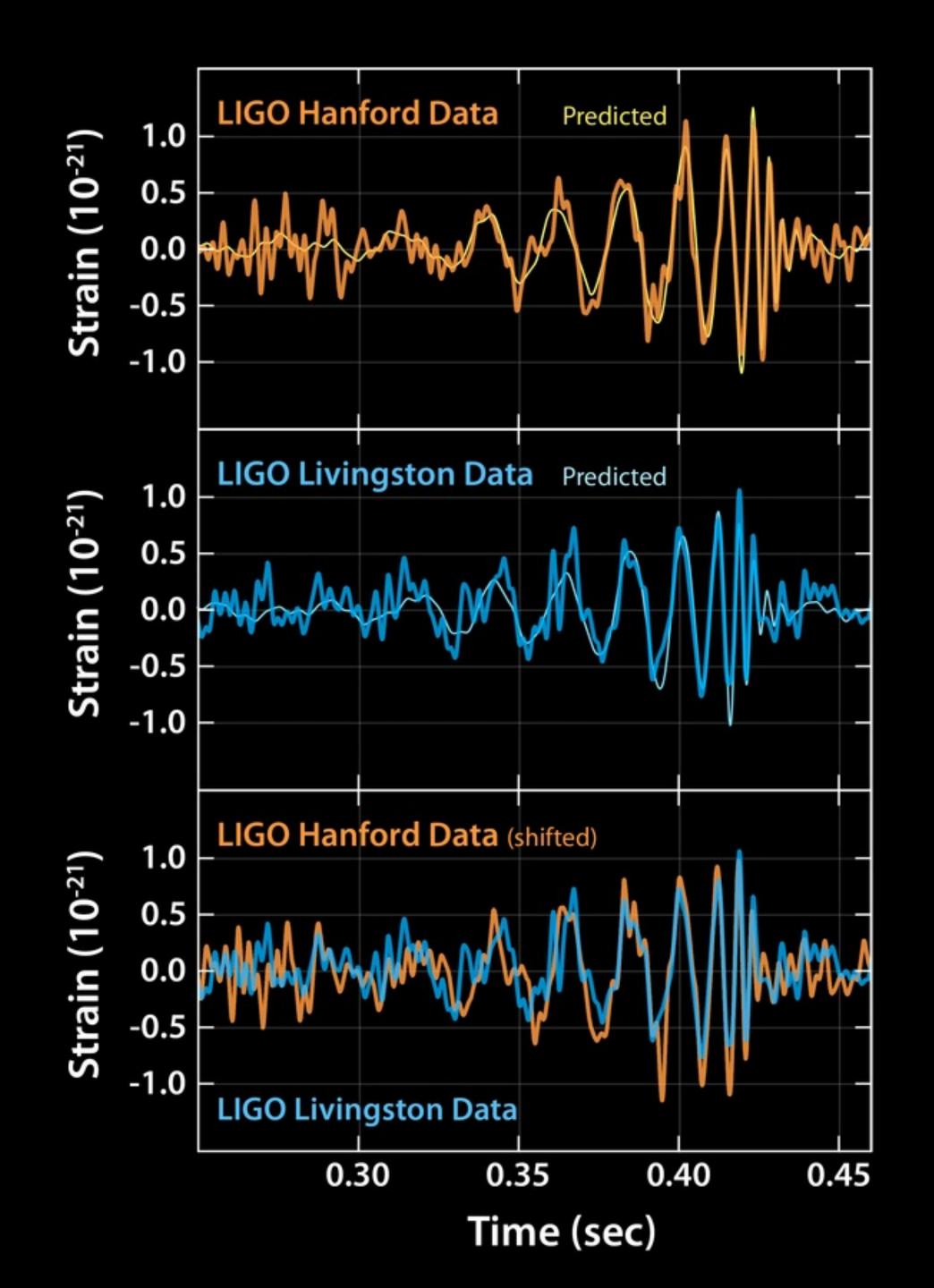
Michalis Agathos

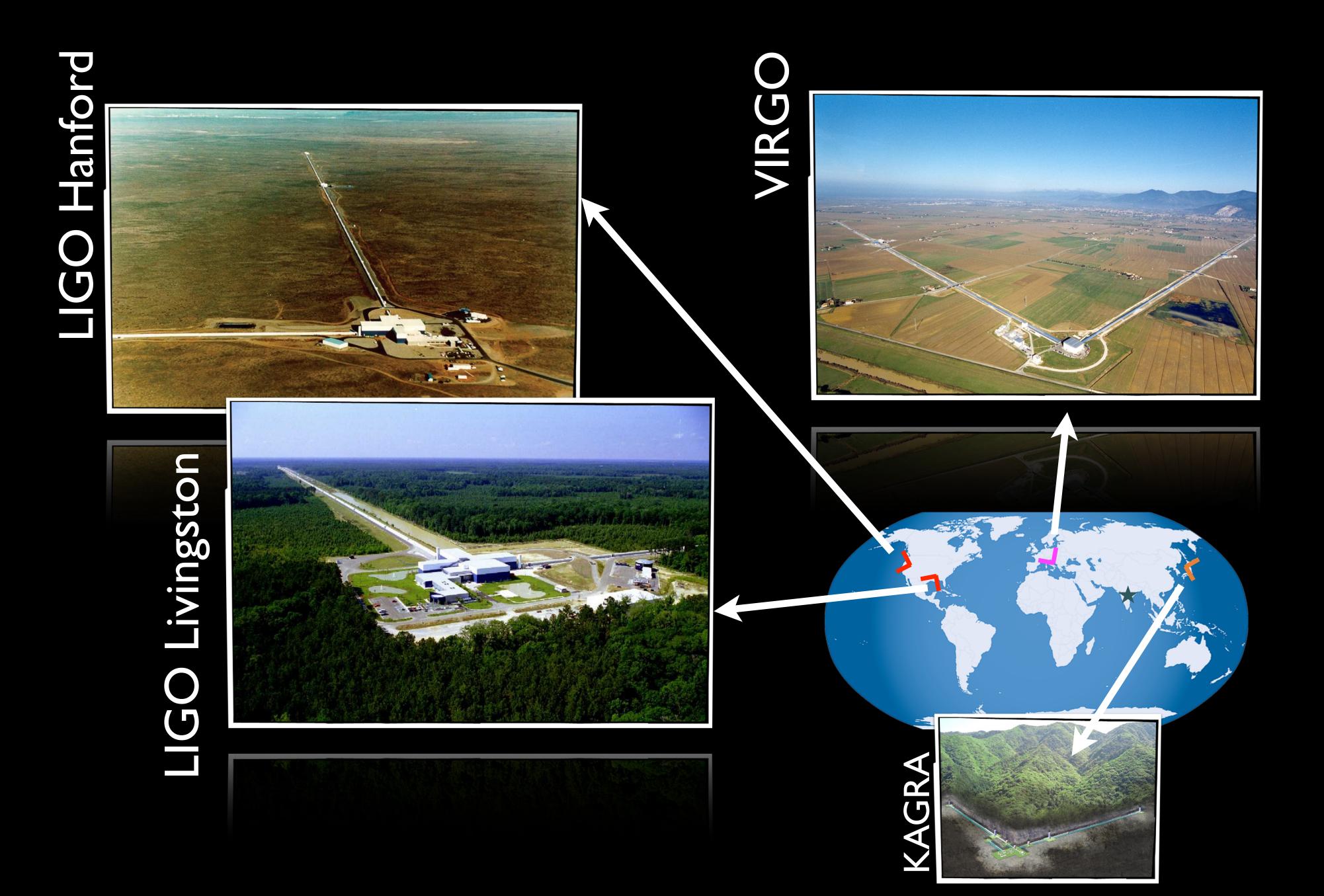




Outline

- GW detections
- Tests of GR
- Fundamental fields
- Peculiar observations
- Stochastic GW Background
- Next generation







LIGO Scientific Collaboration



























































































KING'S College LONDON





































































































서 울 대 학 교





















NIMS National Institute for Mathematical Sciences | South Korea





UCIIST



LIGO-India Scientific Collaboration



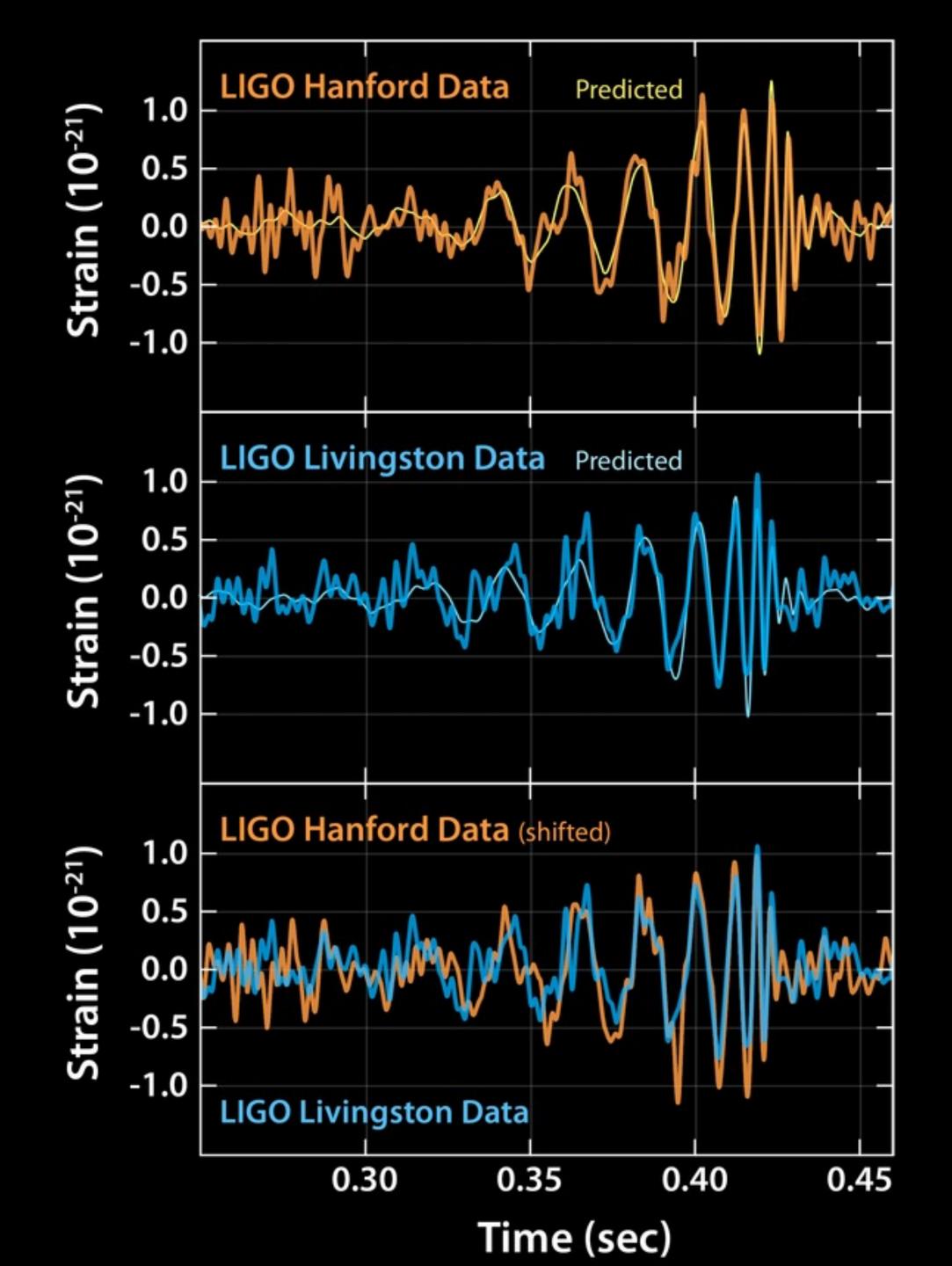




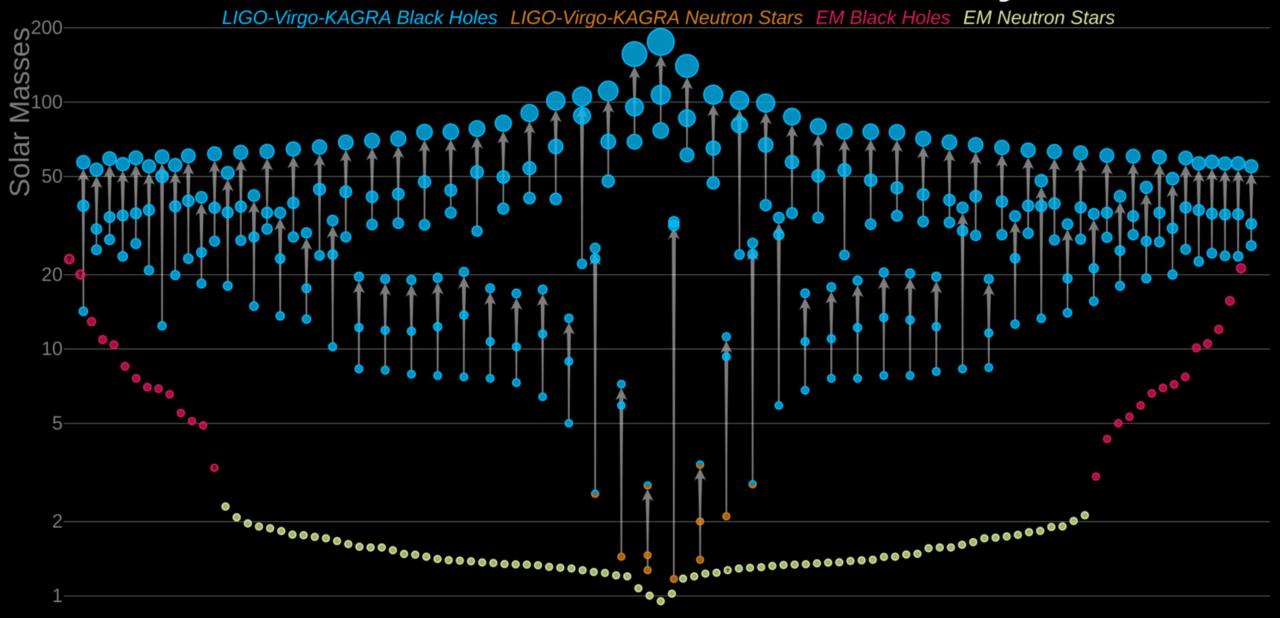




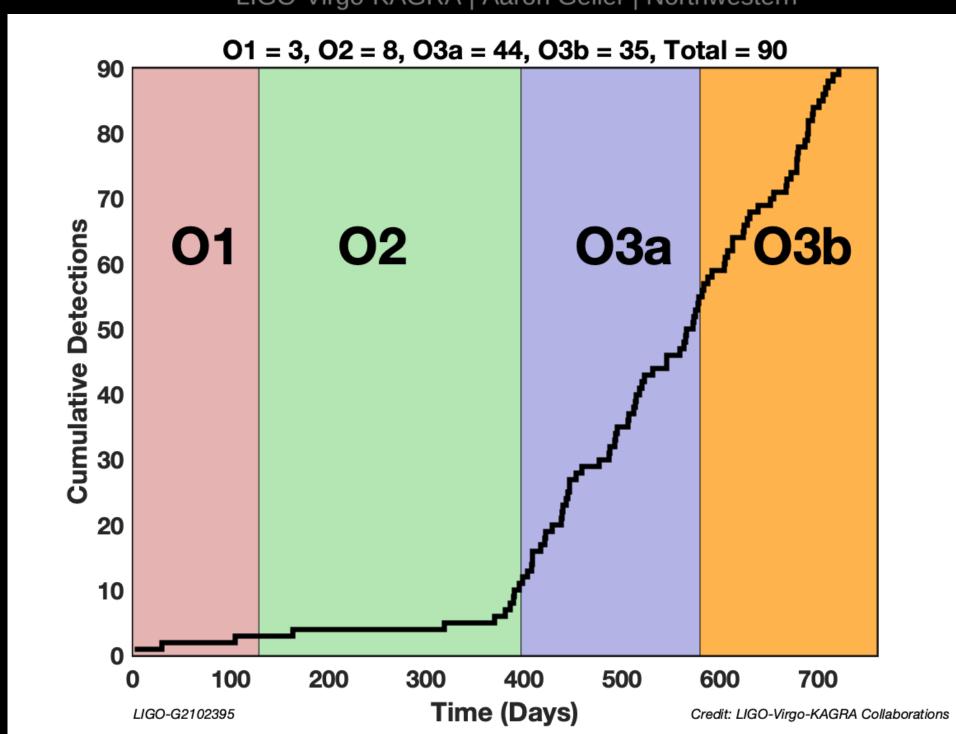


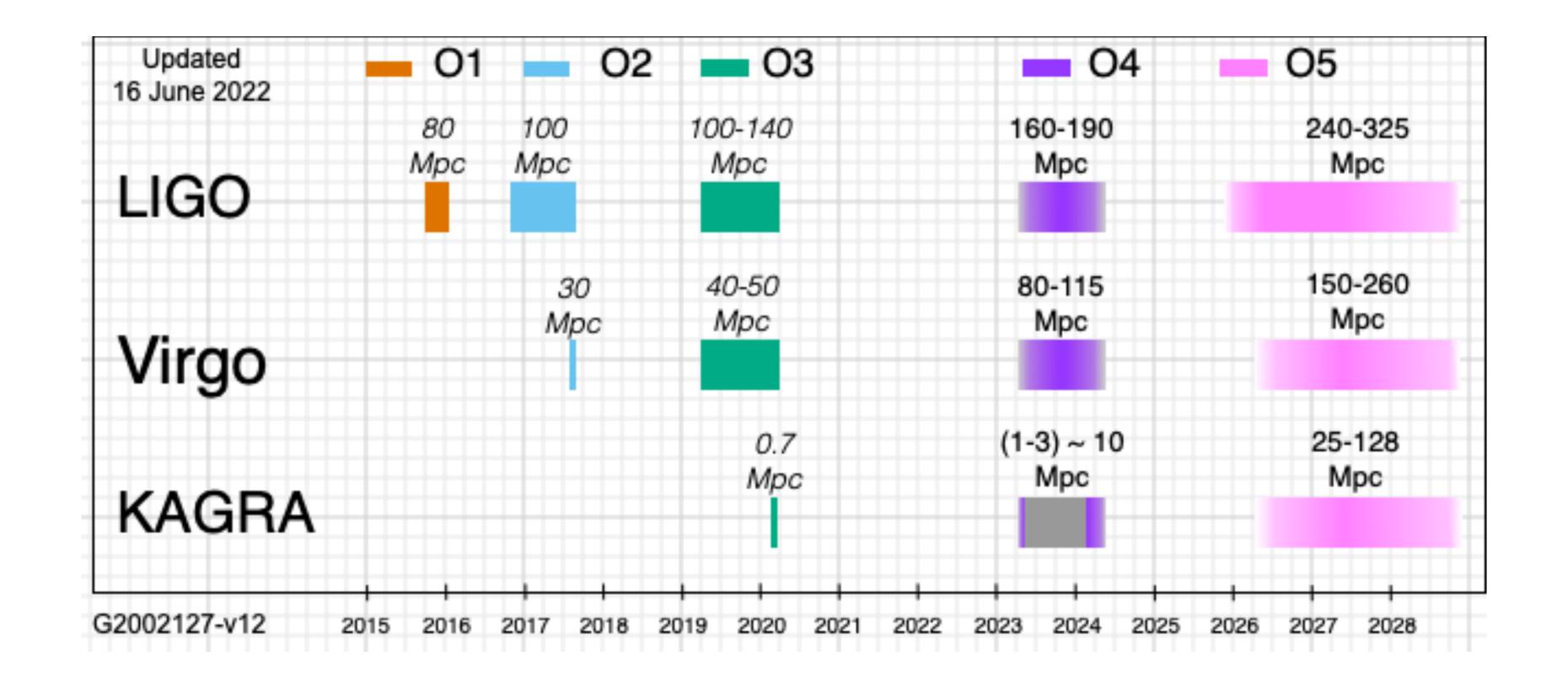


Masses in the Stellar Graveyard



LIGO-Virgo-KAGRA | Aaron Geller | Northwestern





LIGO | Virgo | KAGRA Observing Plan

Coming up

Gravitational wave Data analysis

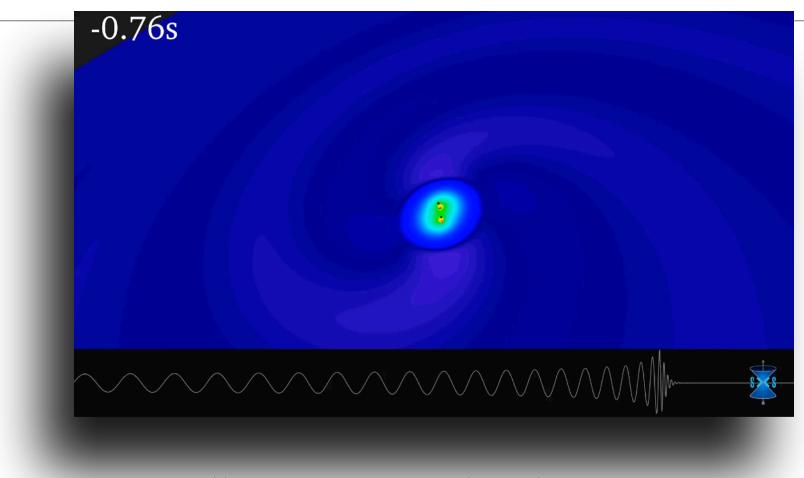
• I) Direct problem (source modelling):

"Given a GW source of known properties (e.g. BBH of known masses, spins, etc), what is the emitted gravitational wave signal?"

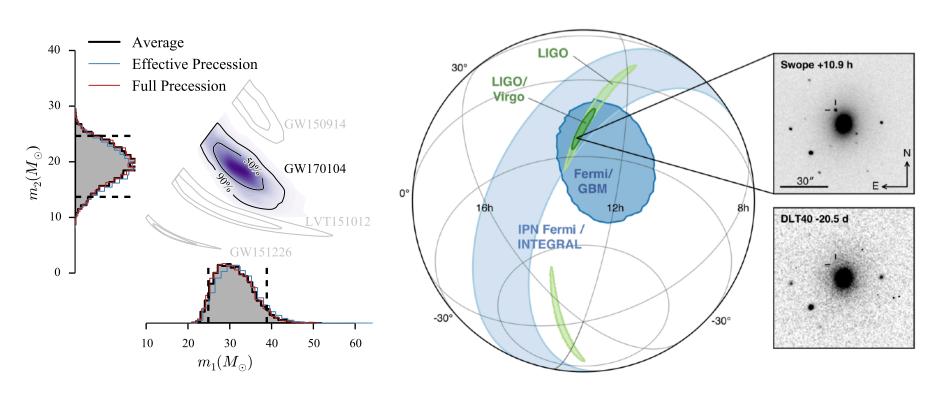
• II) Inverse problem (data analysis):

"Given a stretch of noisy data and the stochastic properties of noise, can you reconstruct a signal and estimate the properties of the source?"

$$\vec{\theta}_{CBC} = \left(m_1, m_2, \vec{S}_1, \vec{S}_2, D, \alpha, \delta, \iota, \psi, t_c, \varphi_c\right)$$



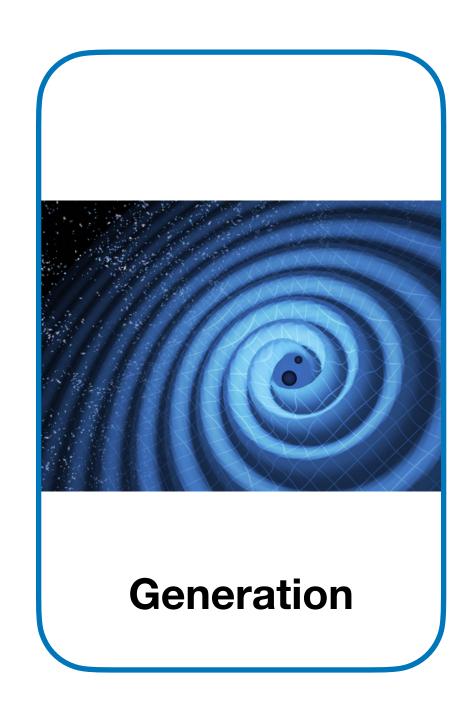
https://www.ligo.caltech.edu/video/ligo20160211v10

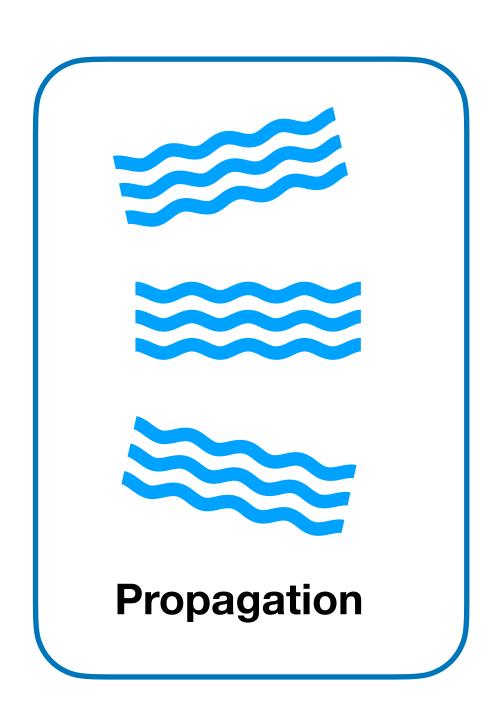


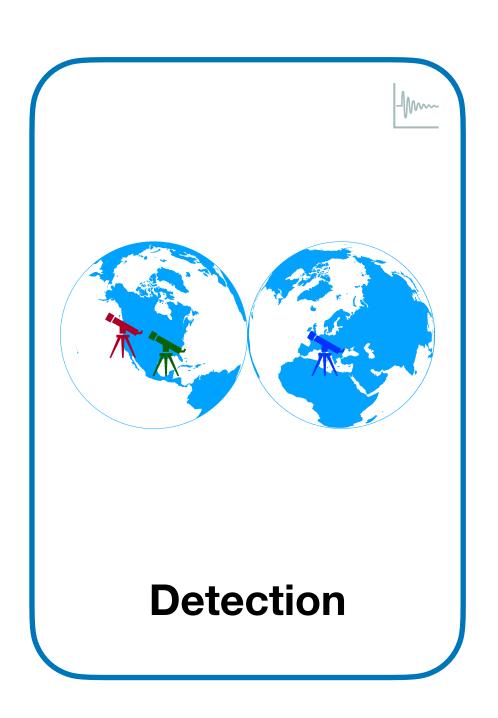
[LVC PRL 119, 161101 (2017)]

Testing GR with Gravitational Waves

What are we testing?







- + waveform systematics
- + noise model & calibration

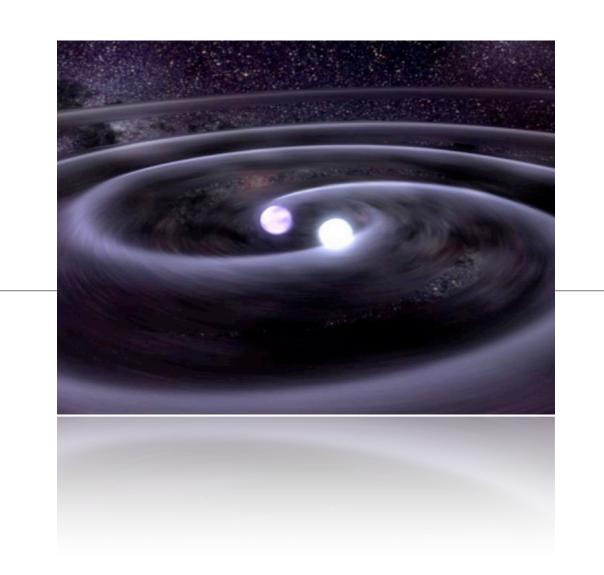
GW Source modelling

- A post-Newtonian (PN) expansion gives approximate solutions to the 2-body problem in GR
- · Accurate analytic solution for the best part of the quasicircular Inspiral
- · Simple frequency-domain waveform:

$$\tilde{h}(f) = \mathcal{A}f^{-7/6}\cos(2\Phi(f; m_1, m_2) + \phi_0) \quad v = (\pi M f)^{1/3}$$

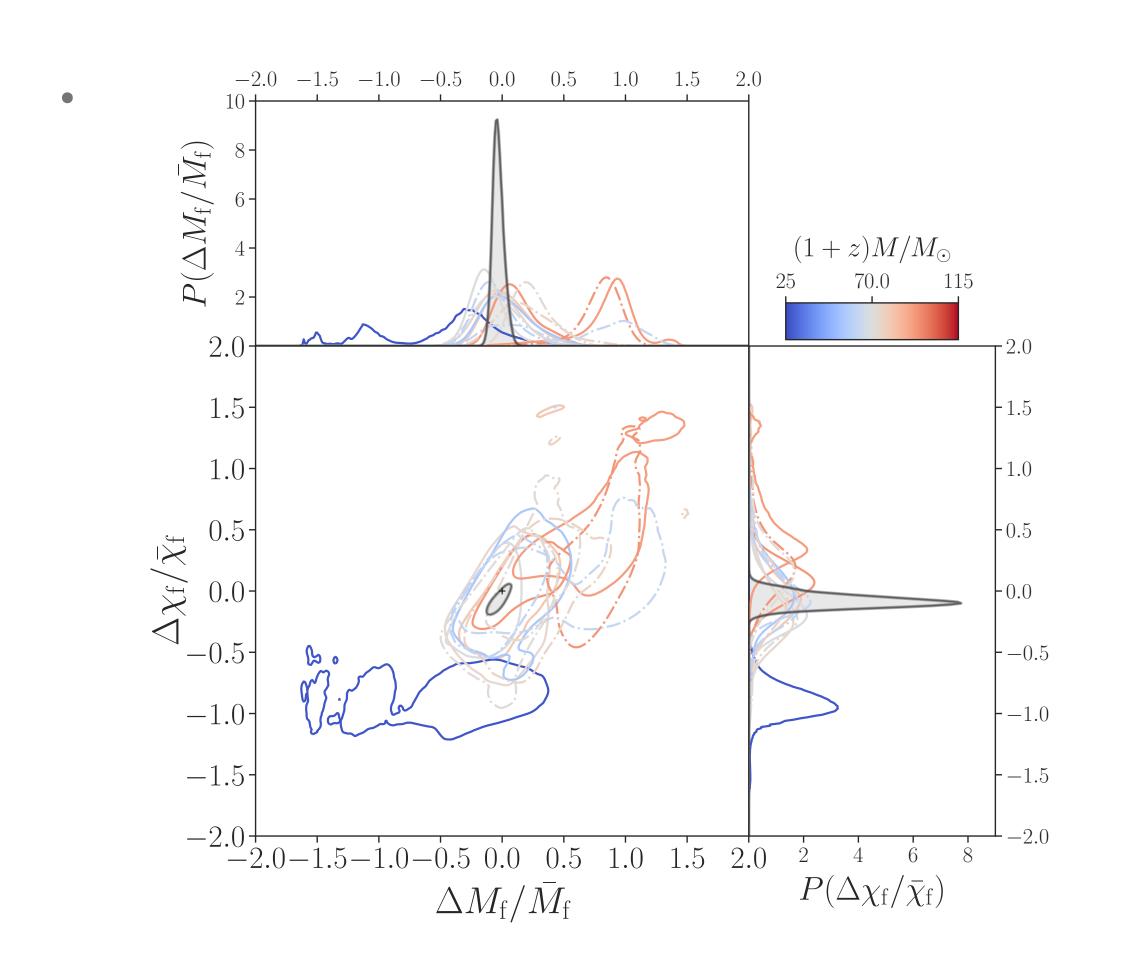
$$\Phi = \left(\frac{v}{c}\right)^{-5} \sum_{i=0}^{N} \left[\psi_i + \psi_i^{(l)} \ln \frac{v}{c}\right] \left(\frac{v}{c}\right)^i$$

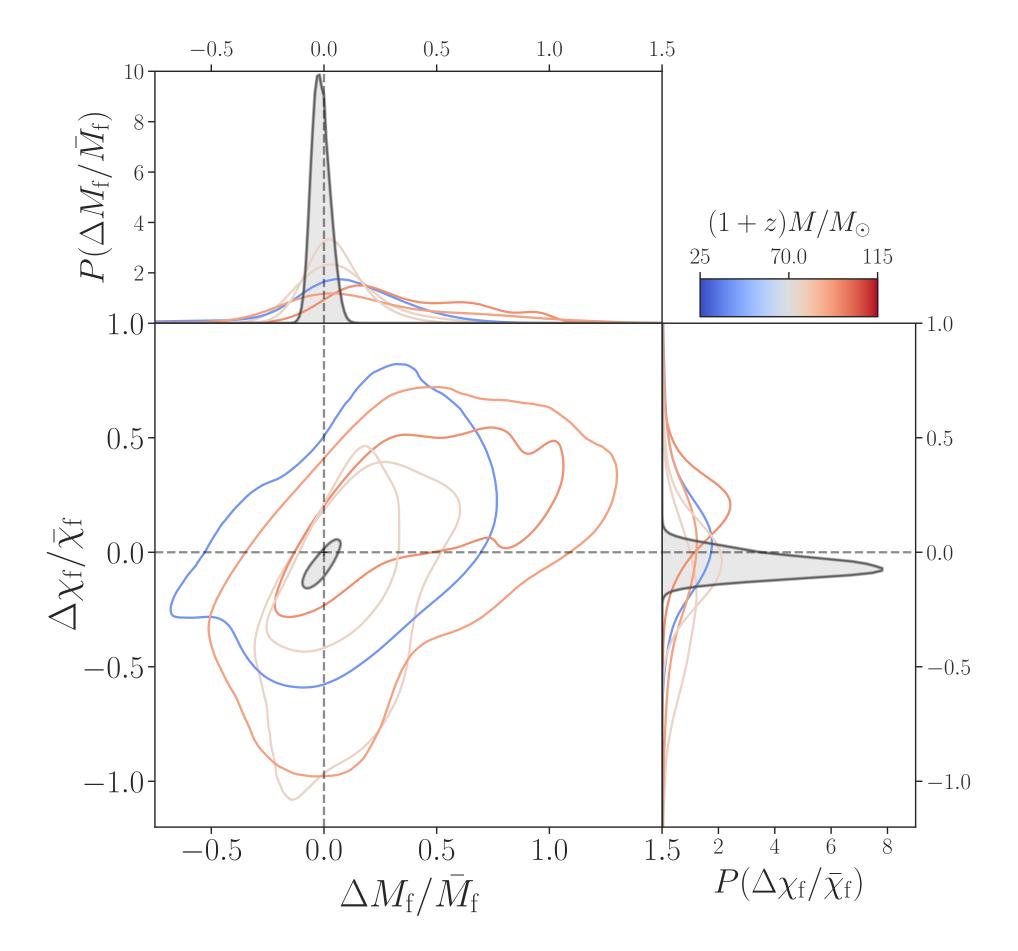
- Calculations in GR give PN phase coefficients ψ_i (m₁, m₂, S₁, S₂), ψ_i (m₁, m₂, S₁, S₂)
- · Numerical Relativity simulations complete the model close to/during Merger, where perturbative expansions fail
- BH perturbation theory informed by NR gives model for the *Ringdown*
- IMR models are used in full LVK analyses



Inspiral - Merger-Ringdown consistency

Posteriors show consistency with GR predictions



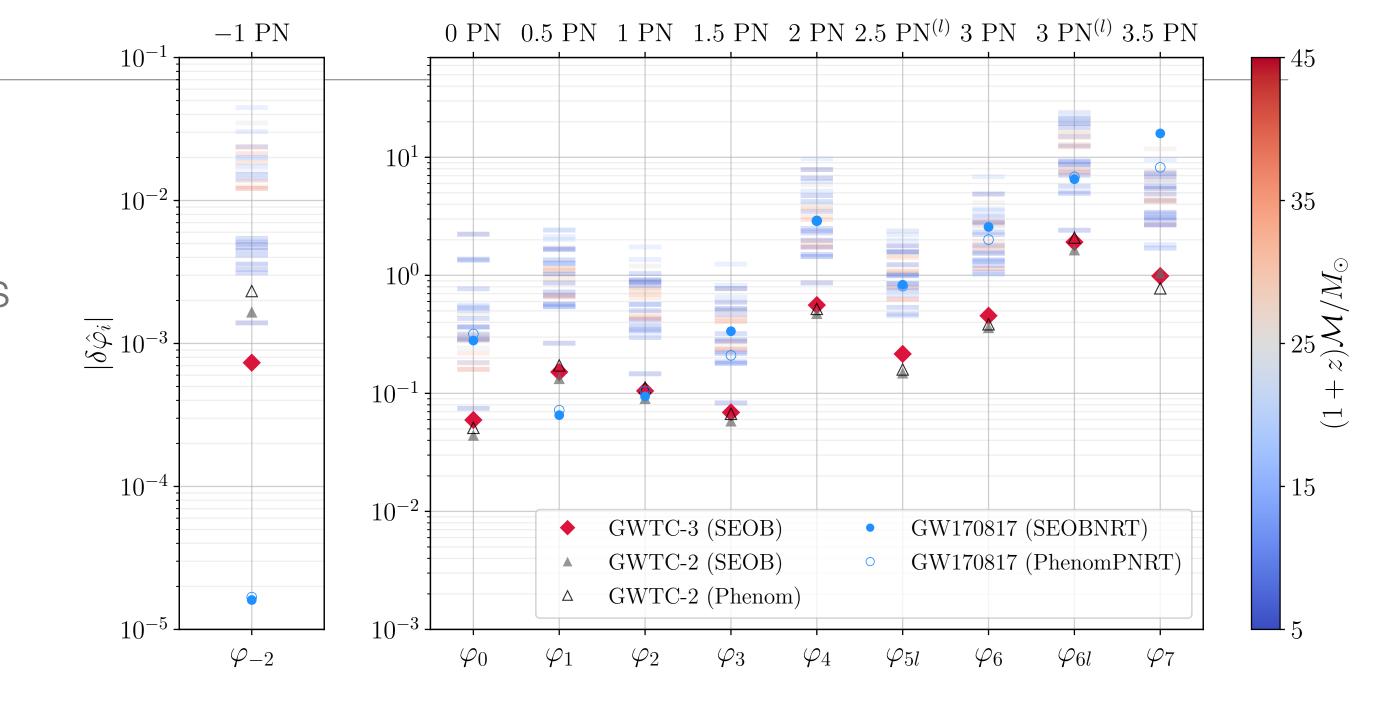


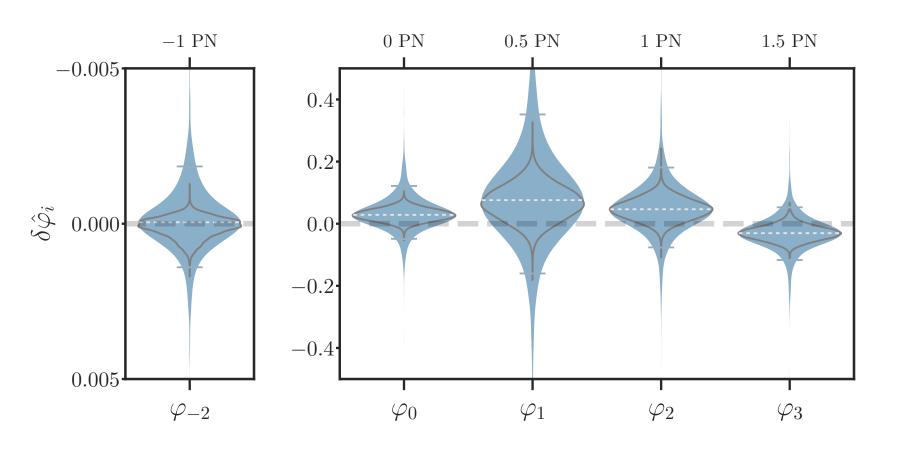
Parameterized tests of GR

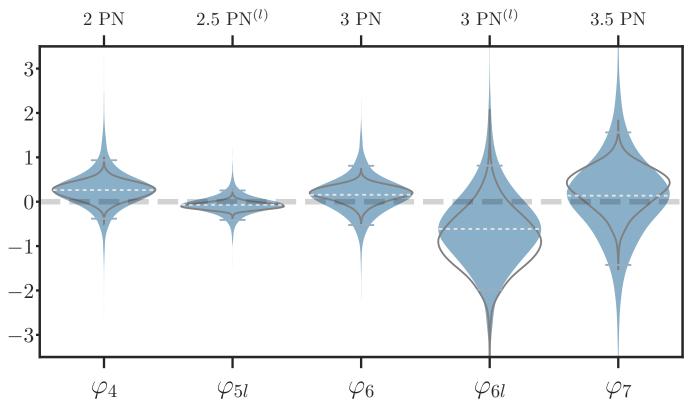
- Phase evolution of the binary is dictated by GR
- Violation of GR would modify inspiral dynamics
- Allow for parameterized violations of GR in post-Newtonian phase coefficients and measure them:

$$\varphi_i \to \varphi_i (1 + \delta \hat{\varphi}_i)$$

Arun+ [PRD 74, 024006 (2006)] Yunes+ [PRD 80, 122003 (2009)] Li, MA+ [PRD 85, 082003 (2012)] MA+ [PRD 89, 082001 (2014)] Meidam, MA+ [PRD 97, 044033 (2018)





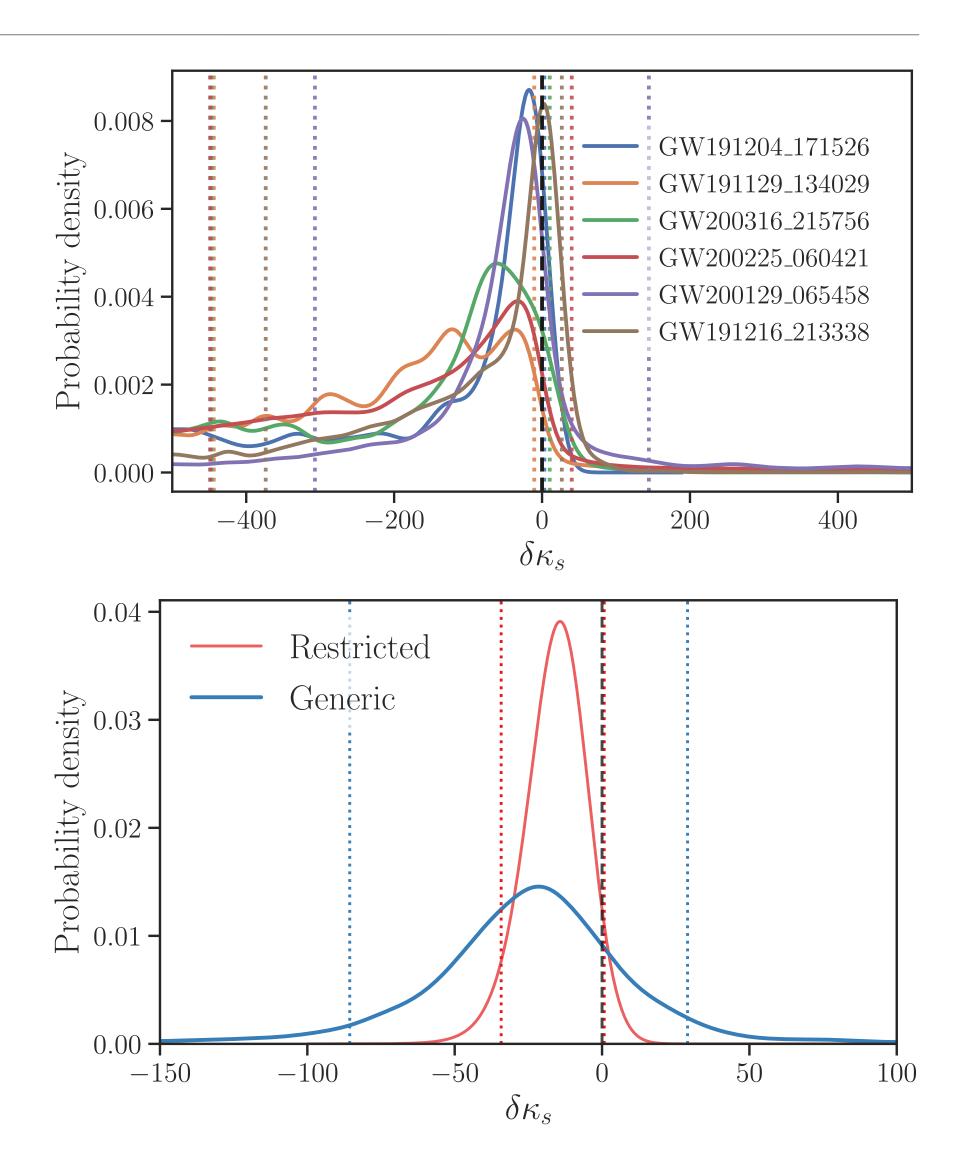


Black Hole Quadrupole

- All properties of a Kerr BH are uniquely determined by knowing its mass and spin
- Simple formula for mass and current multipoles
- Spin-induced mass quadrupole:

$$Q = -\kappa \chi^2 M^3 , \quad \kappa_{\rm BH} = 1$$

- Introduces modification in the GW phase that enters @2PN
- Non-Kerr compact objects will in general have $\kappa \neq 1$, e.g. neutron-/boson-/grava- stars, etc.
- We measure a combination of k to be consistent with the Kerr BH value

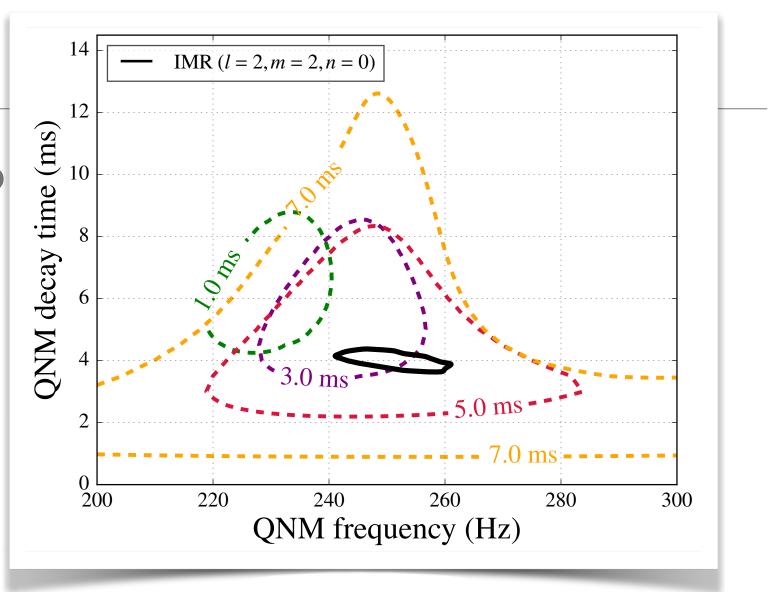


Ringdown analysis

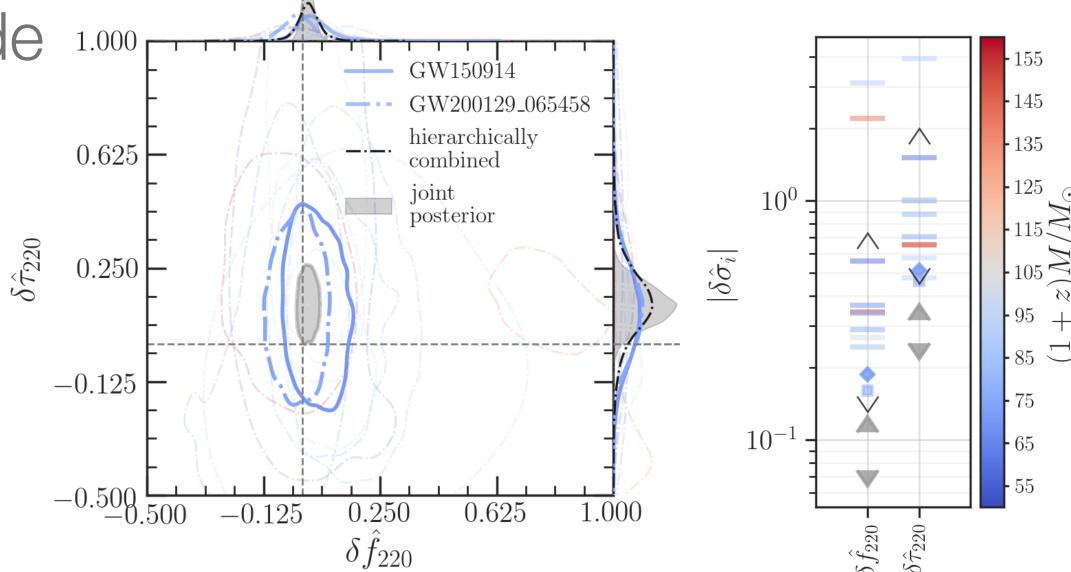
- "Is there clear evidence of a quasi-normal ringdown?
- Final BH radiates damped sinusoids

$$h_{+}(t) - ih_{\times}(t) = \sum_{\ell=2}^{+\infty} \sum_{m=-\ell}^{+\infty} \sum_{n=0}^{+\infty} \mathcal{A}_{\ell mn} \exp\left[-\frac{t - t_0}{(1+z)\tau_{\ell mn}}\right] \exp\left[-\frac{2\pi i f_{\ell mn}(t - t_0)}{1+z}\right] - 2S_{\ell mn}(\theta, \phi, \chi_{\rm f}),$$

[LVC PRL 116, 221101 (2016)]

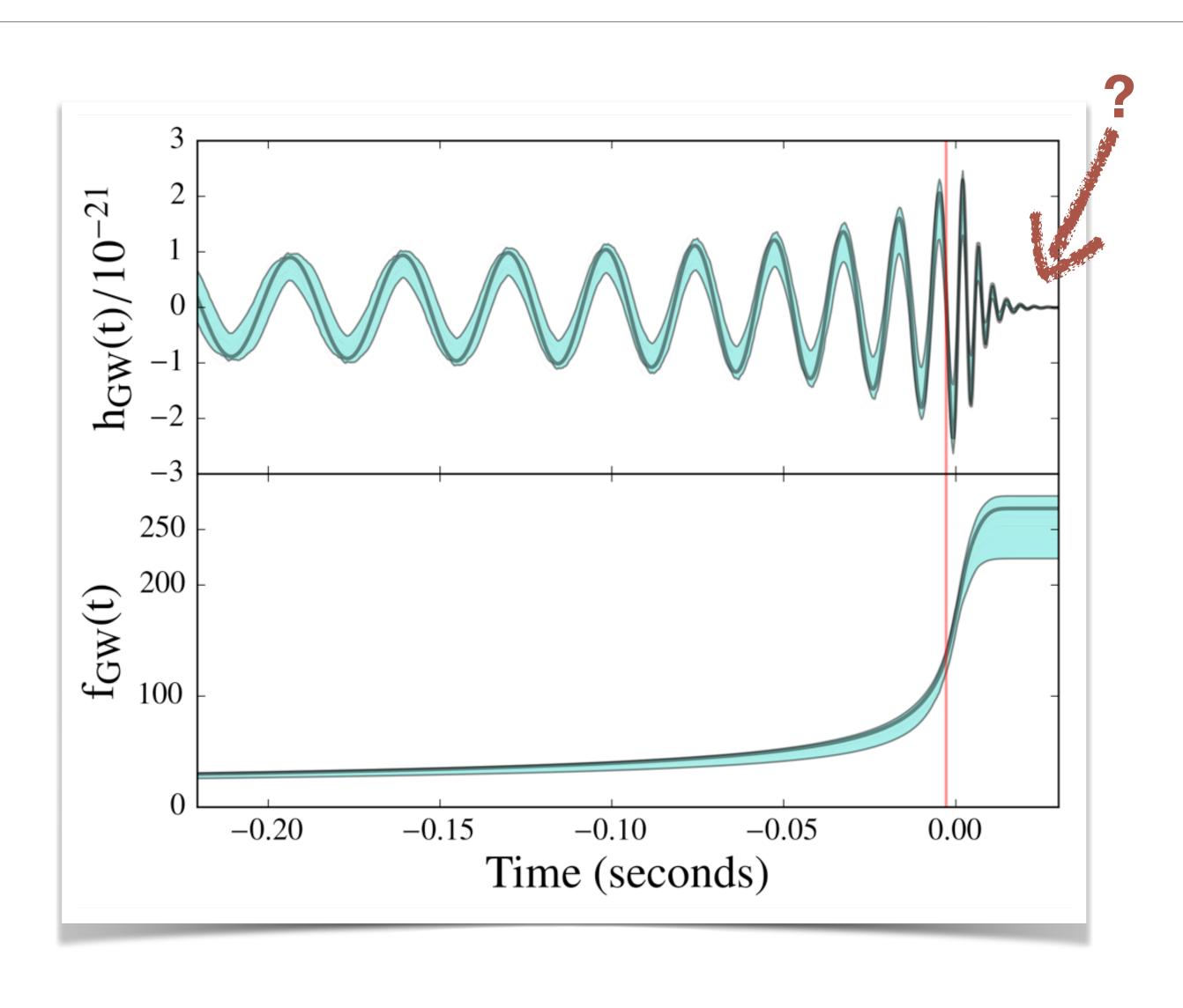


• Estimate f & τ of dominant (l=2 m=2) mode



LVC PRD **103**, 122002 (2021) LVK [arXiv:2112.06861]

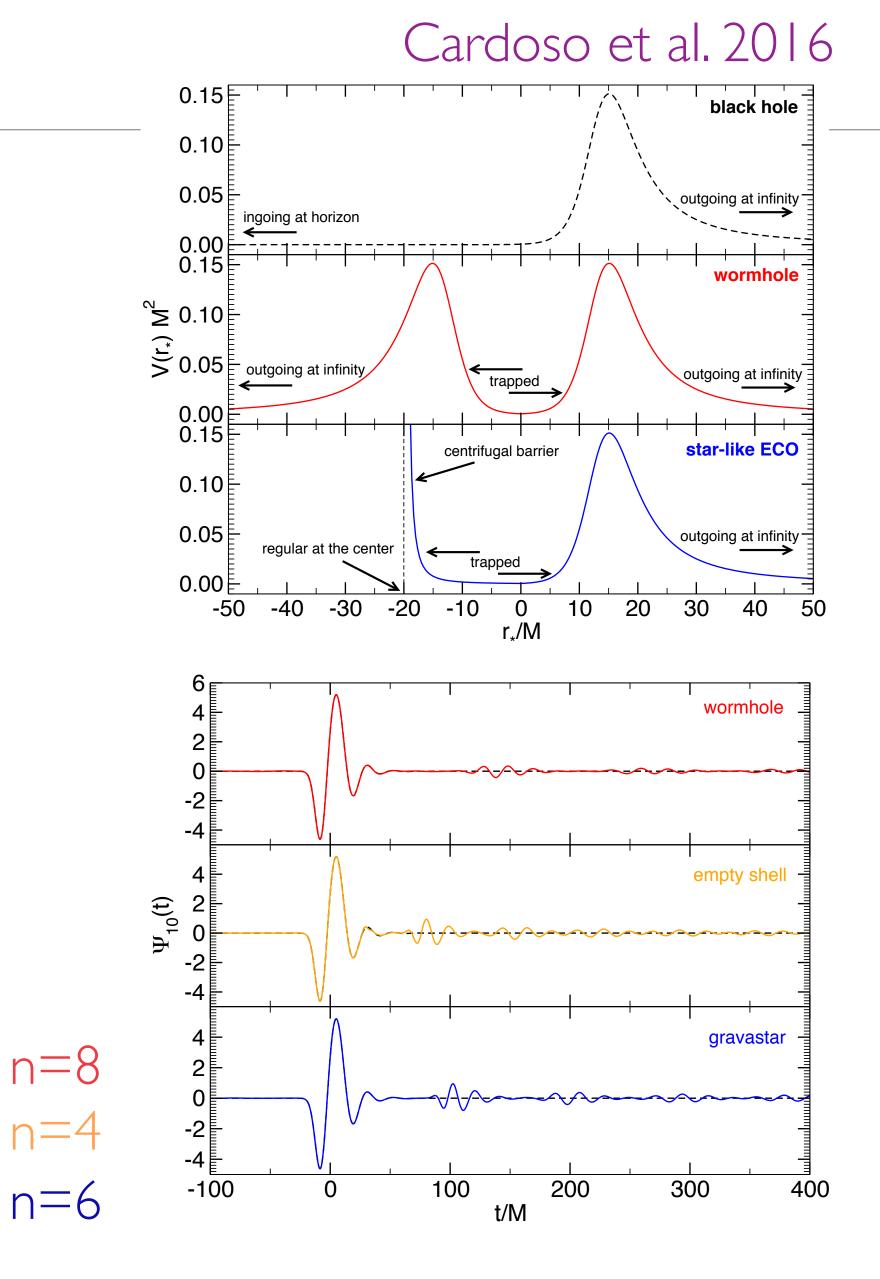
Is there anything beyond ringdown?



Echoes from Exotic Compact Objects

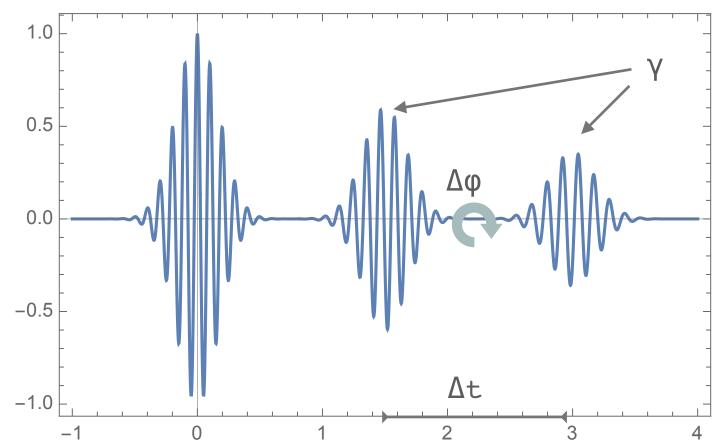
- Are we still sure these are BHs?
- Alternative: objects that
 - are compact enough
 - have the same light-ring structure as a BH but no horizon
- Candidates: Wormholes, thin-shell Gravastars, other?
- GW signature: echoes at fixed time intervals Δt

$$\Delta t \sim -nM \log \left(\frac{\ell}{M}\right) , \quad \ell \ll M$$



GWTC-2 searches for echoes

- Look for quasi-periodic bursts of GWs after the ringdown
- Template-based analysis using ringdown signal as basis that is 1910 of that it is 1910 of the that it is 1910 of
- No support for echoes in data

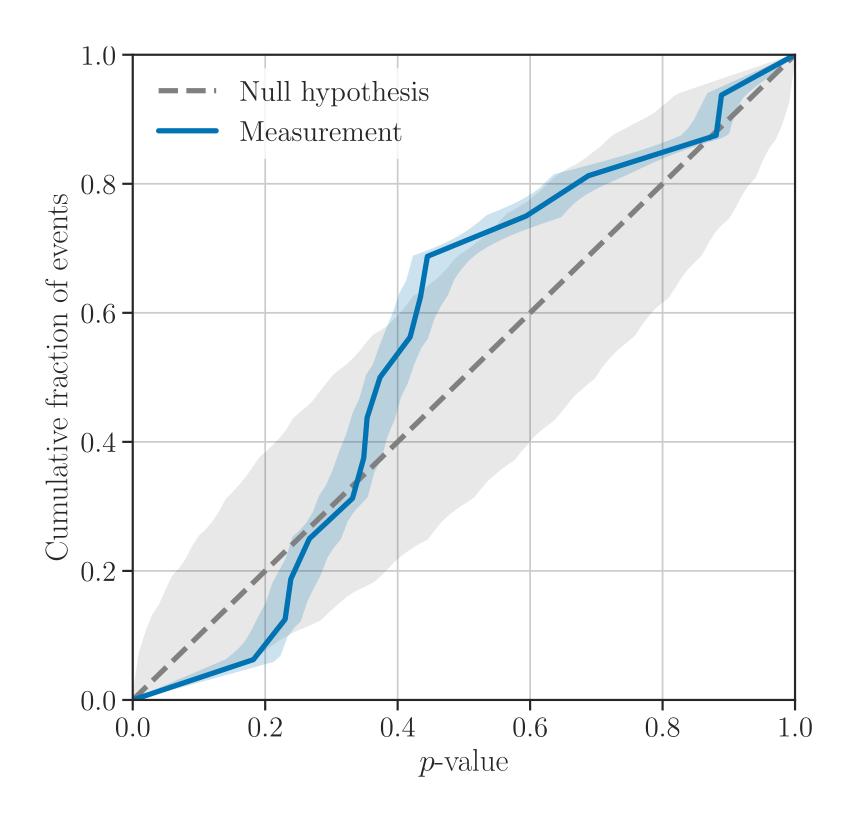


 Earlier model-independent searches also gave null results in O1 and O2

[Cornish & Littenberg arXiv:1410.3835]

[Tsang,...,MA+ arXiv:1804.04877]

[Tsang,...,MA+ arXiv:1906.11168]



Massive graviton effect on propagation

· "Massive graviton": GWs propagate along timelike geodesics under the dispersion relation

$$E^2 = p^2 c^2 + m_g^2 c^4$$

$$\lambda_g = \frac{h}{m_g c}$$

- Waveform undergoes dispersion:
 - (early) low-f waves get delayed
 w.r.t. (late) high-f waves
 - "Chirp"-like signals get squeezed together

$$\left(\frac{v_g}{c}\right)^2 = 1 - \frac{h^2 c^2}{\lambda_q^2 E^2}$$

$$\Delta t_{a} = (1+Z) \left[\Delta t_{e} + \frac{D}{2\lambda_{g}^{2}} \left(\frac{1}{f_{e}^{2}} - \frac{1}{f_{e}^{\prime 2}} \right) \right]$$

Phase modification in the frequency domain:

$$\delta\Phi_{\rm MG}(f) = -\frac{\pi Dc}{\lambda_g^2 (1+z)f}$$

Lorentz-Invariance-Violating dispersion

- · More general form of modified dispersion relation:
 - a=0 : massive graviton [de Rham LRR-2014-7]
 - a=2: no dispersion, non-LIV
 - u-2.110 dispersion, non-Liv
 - other: Lorentz invariance violating, some motivated by approached to quantum gravity, e.g. dSR (α=3) [Amelino-Camelia 2002,2010], extra dims & Horava-Lifshitz (α=4) [Blas&Sanctuary 2011]
 - More general forms include vector/tensor contractions with p^µ
- GW phase modification:

$$\delta\Psi_{\alpha}(f) = -\beta(\pi Mf) - \frac{\pi D_{\alpha}}{(1-\alpha)\lambda_{\mathbb{A}}^{2-\alpha}(1+z)^{1-\alpha}} f^{\alpha-1}$$

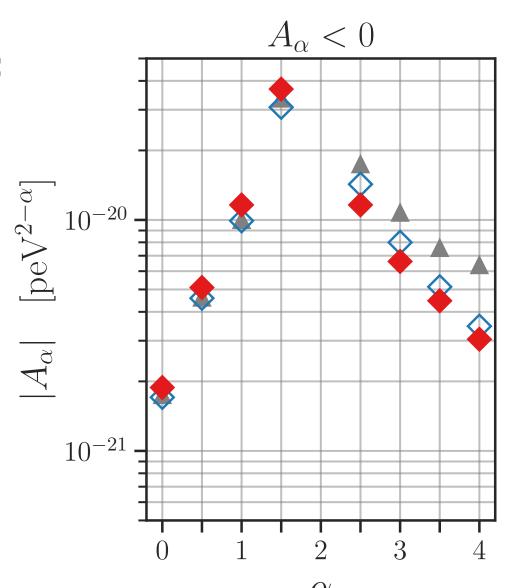
[Mirshekari, Yunes, Will 2011]

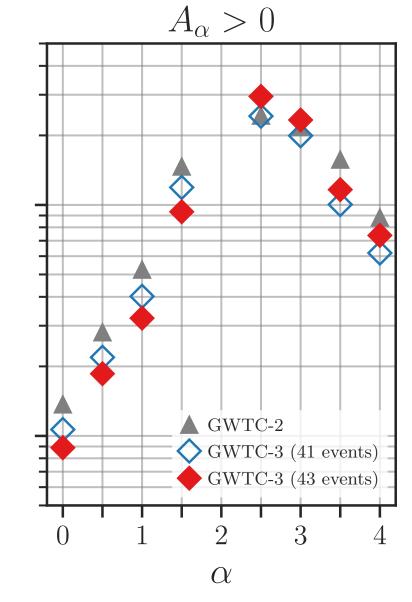
$$E^{2} = p^{2}c^{2} + \mathbb{A} p^{\alpha}c^{\alpha}$$
$$\lambda_{\mathbb{A}} = h \mathbb{A}^{\frac{1}{\alpha - 2}}$$

 $\alpha \neq 1$

 m_g [10^{-23} eV/ c^2]

GWTC-2 1.76
GWTC-3 1.27





Gravitational Wave Detection

- Detector arms stretch and squeeze in a different way
- Antenna pattern gives detector response that depends on direction of propagation

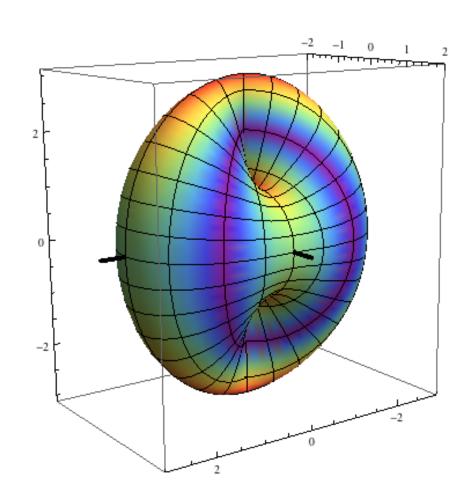
$$h(t) = F_{+}(\hat{n}) h_{+}(t) + F_{\times}(\hat{n}) h_{\times}(t),$$

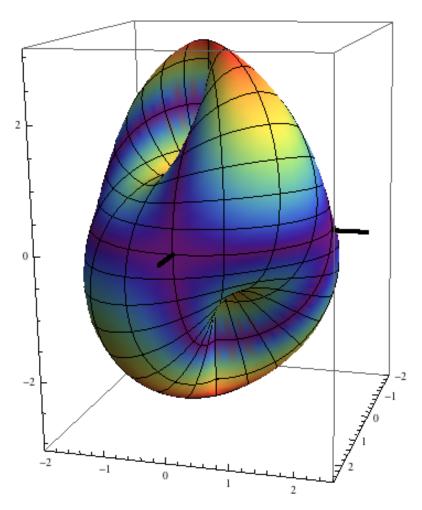
 $F_{P}(\hat{n}) = D^{ij} \epsilon_{ij}^{P}(\hat{n}) , P = +, \times$

Detector output (strain) is the differential deformation of arms

$$D^{ij} = \frac{1}{2}(\hat{x}_i \hat{x}_j - \hat{y}_i \hat{y}_j)$$

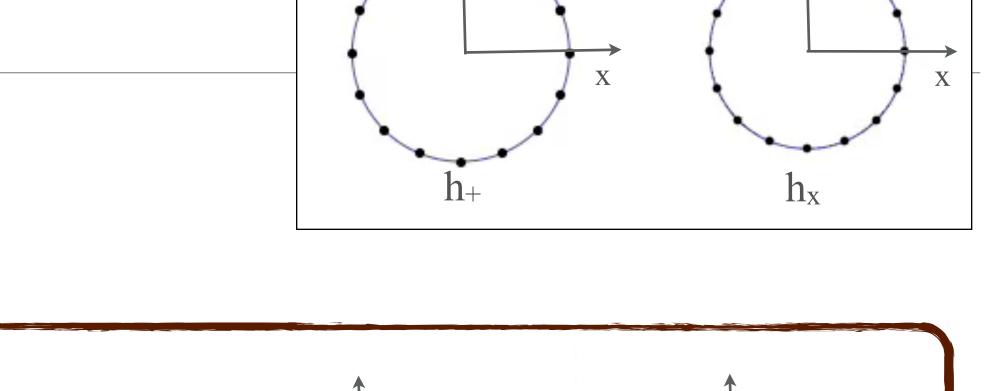
With many IFOs we can resolve polarizations

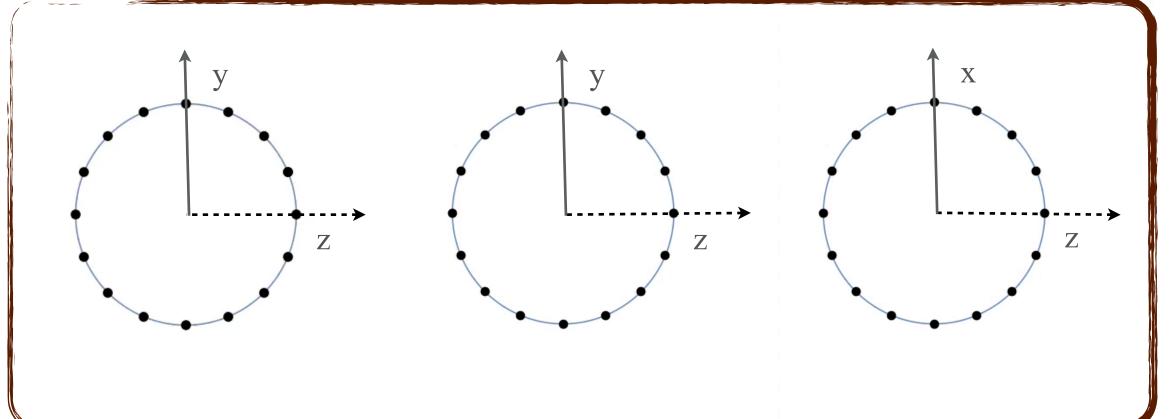




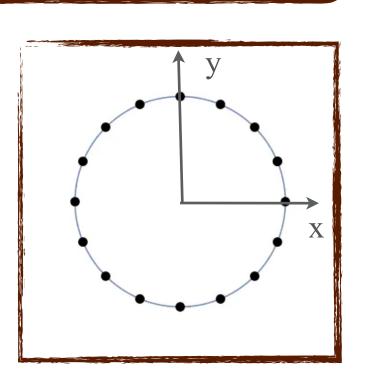
Anomalous polarizations

- GR predicts 2 transverse GW polarizations (+,x)
- Alternative metric theories allow for additional:
 - longitudinal modes
 - breathing mode





- With the 2 LIGO detectors: cannot tell the difference!
- Virgo, KAGRA (2019) and IndIGO will help resolve degeneracies between polarizations



Testing presence of nontensorial polarizations

- Null-stream test without modelling the actual signal
- Any residual signal must be non-tensorial
- No evidence for nontensorial signal in data; scalar is more disfavoured

Events	$\log_{10}\mathcal{B}_{\mathrm{T}}^{\mathrm{S}}$	$\log_{10}\mathcal{B}_{\mathrm{T}}^{\mathrm{V}}$	$\log_{10}\mathcal{B}_{\mathrm{T}}^{\mathrm{TS}}$	$\log_{10}\mathcal{B}_{\mathrm{T}}^{\mathrm{TV}}$	$\log_{10}\mathcal{B}_{\mathrm{T}}^{\mathrm{VS}}$	$\log_{10}\mathcal{B}_{\mathrm{T}}^{\mathrm{TVS}}$
O 1	-0.04 ± 0.07	0.09 ± 0.07	0.04 ± 0.07	0.09 ± 0.07	0.09 ± 0.07	0.07 ± 0.07
O2	-0.42 ± 0.12	0.04 ± 0.12	0.08 ± 0.12	0.22 ± 0.12	0.09 ± 0.12	0.35 ± 0.12
O3a	-1.85 ± 0.21	-1.04 ± 0.20	0.25 ± 0.20	0.07 ± 0.20	-1.05 ± 0.20	-0.18 ± 0.20
O3b	-1.93 ± 0.17	-0.79 ± 0.17	-0.17 ± 0.17	-0.07 ± 0.17	-0.86 ± 0.17	-0.32 ± 0.17
Combined	-4.24 ± 0.30	-1.70 ± 0.30	0.20 ± 0.30	0.31 ± 0.30	-1.73 ± 0.30	-0.08 ± 0.30

 $\sim 1.7s$

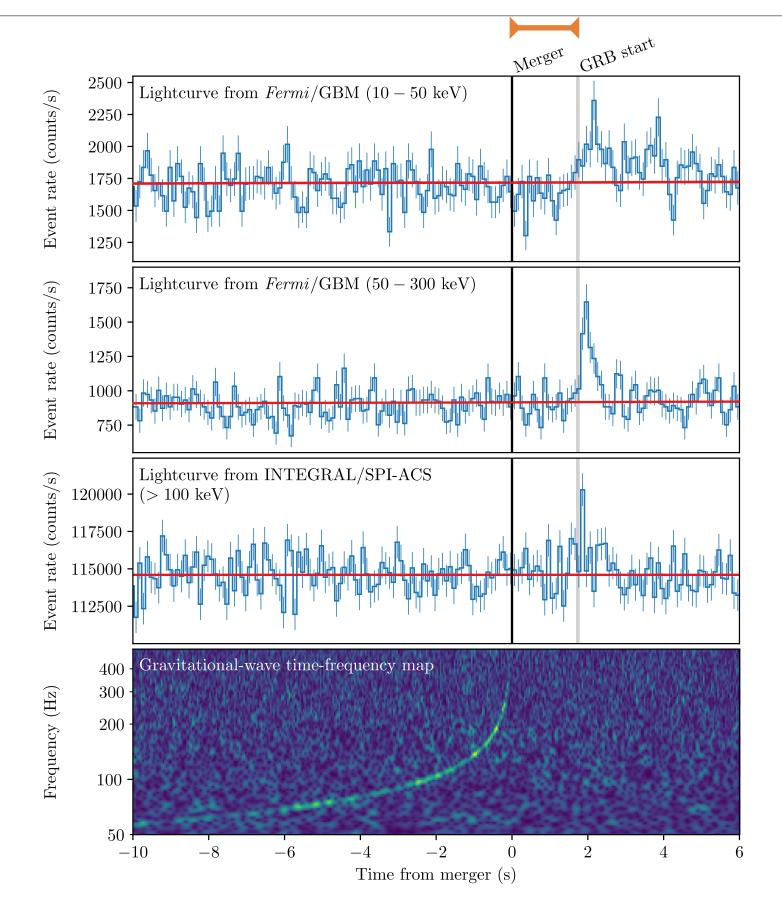
- Coincident GWs and γ-ray detections
- Distance travelled ~40 Mpc
- GW -> GRB time delay (+ reasonable astrophysical priors) =>

$$-3 \times 10^{-15} \le \frac{\Delta v}{v_{\rm EM}} \le +7 \times 10^{-16}$$

Test of the equivalence principle (Shapiro time delay):

$$\delta t_{\rm S} = -\frac{1+\gamma}{c^3} \int_{\mathbf{r_e}}^{\mathbf{r_o}} U(\mathbf{r}(l)) dl$$

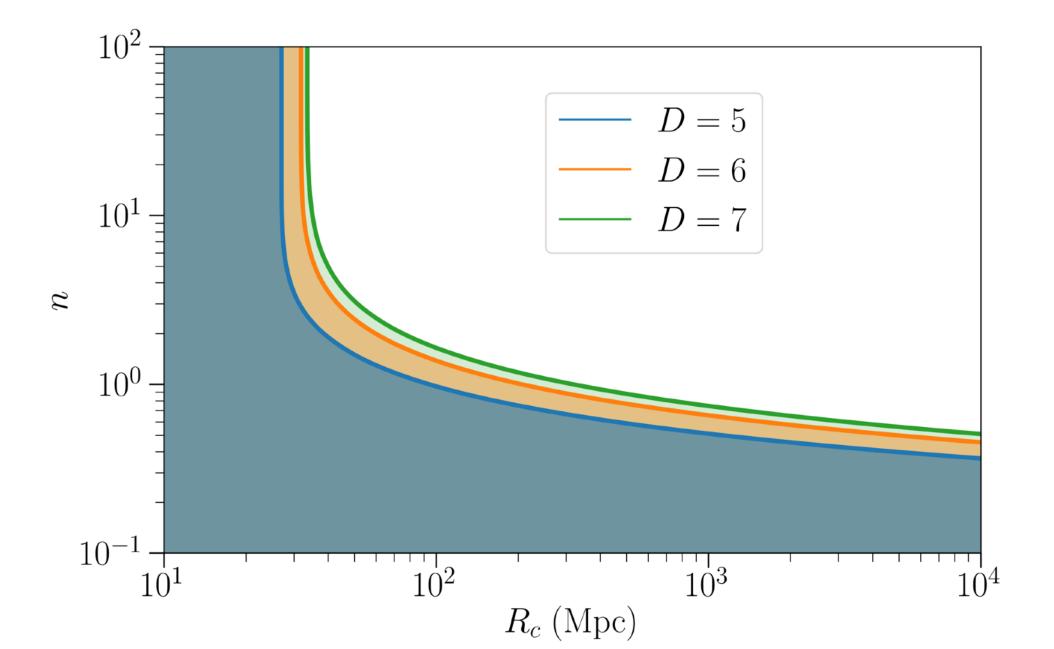
$$-2.6 \times 10^{-7} \leqslant \gamma_{\rm GW} - \gamma_{\rm EM} \leqslant 1.2 \times 10^{-6}$$

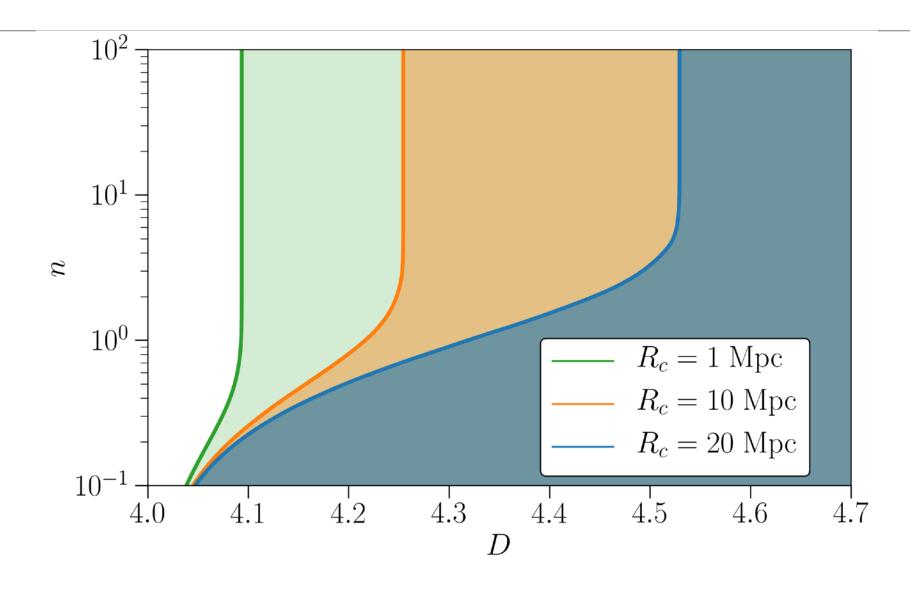


GW170817: Test of extra dimensions

- ➤ GW detection + EM identification of host galaxy -> independent measurements of distance to source
- ➤ In higher-dim gravity, GWs may "leak" into extra dimensions (larger effective distance)

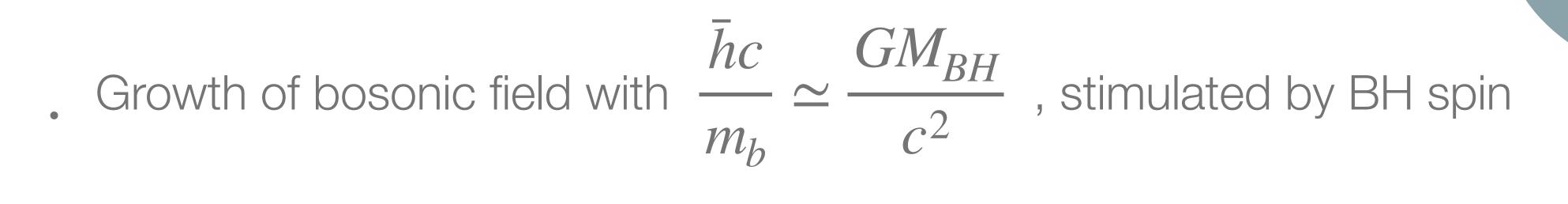
$$h \propto \frac{1}{d_L^{\text{GW}}} = \frac{1}{d_L^{\text{EM}}} \left[1 + \left(\frac{d_L^{\text{EM}}}{R_c} \right)^n \right]^{-(D-4)/(2n)}$$



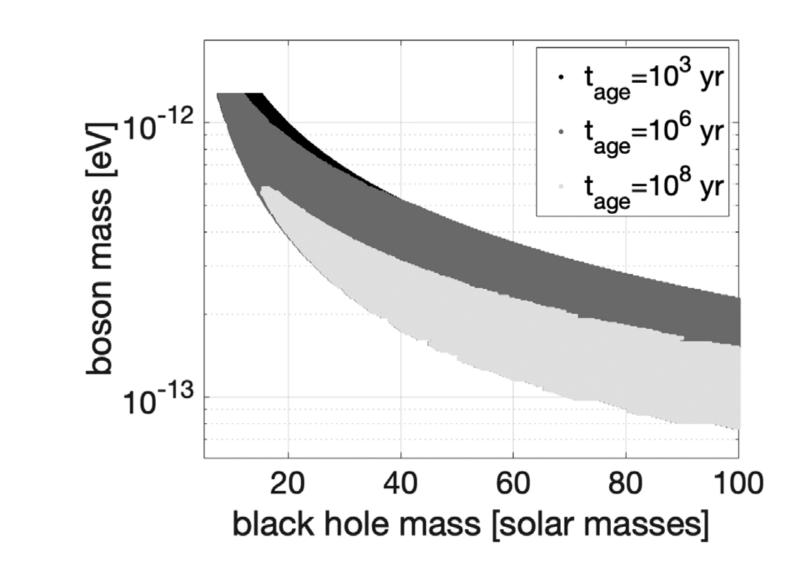


- screening out to "activation radius" R_c
- n: transition steepness
- Astrophysical length scales -> D=4
- Cosmological length scales (R_c ~ R_H):
 - slow transition (n~0.1): D=4
 - steep transition: unconstrained

Light bosons & BH Superradiance



- Direct detection via CW emission
- Indirect detection in population statistics (mass-spin plane)

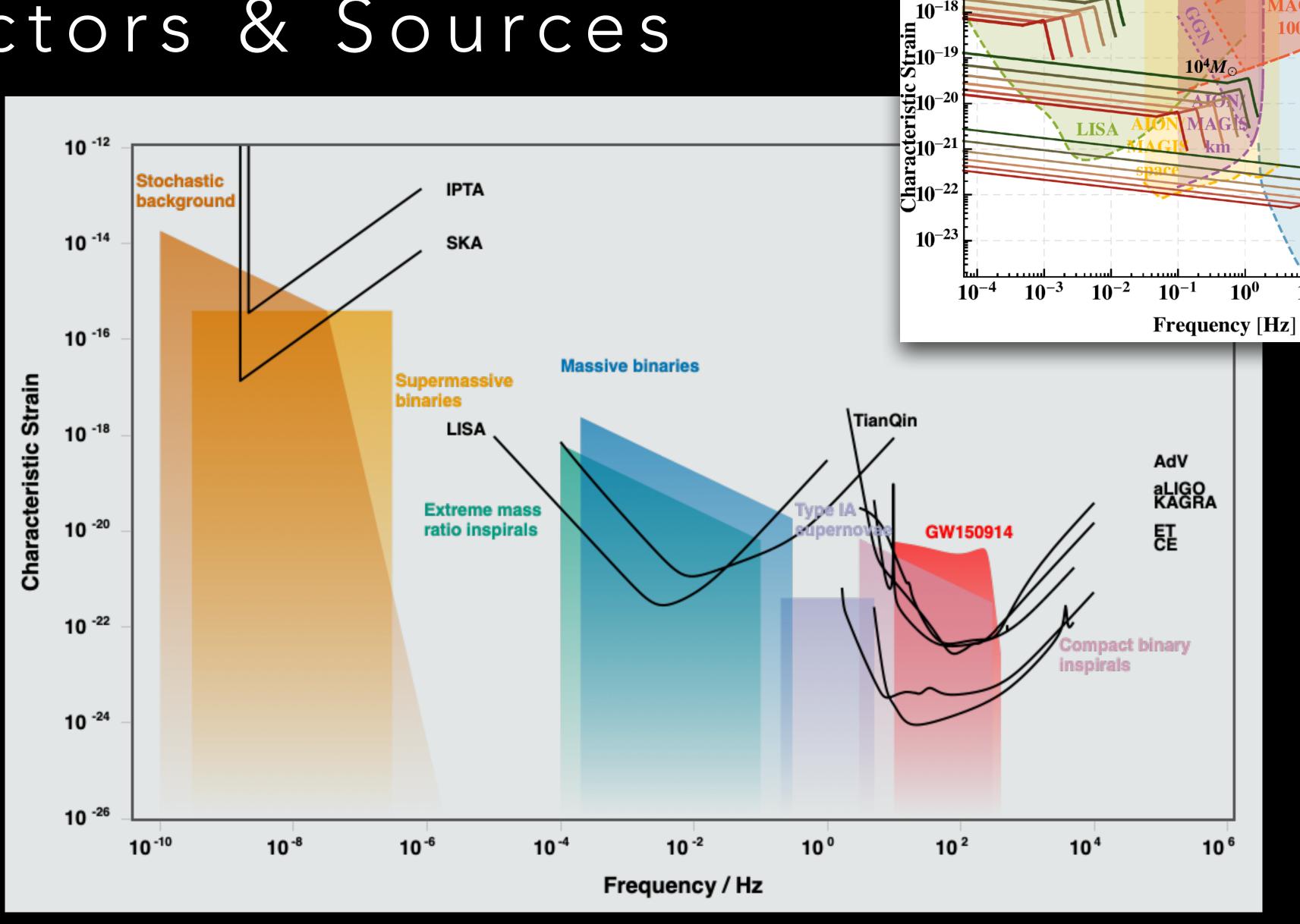


- LVK sets bounds on long-duration signals from UL scalars [PRD 105, 102001]
- Continuous wave emission during cloud decay phase
- Axionic case fits with mass ~ 10^{-13} 10^{-12} eV

GW Phenomenology of New Physics

- Modified BH geometry (multipolar structure, QNMs)
- Modified binary dynamics
- Alternative polarizations (scalar, vector)
- Modified Dispersion Relation (massive, LIV)
- Speed of Gravity
- Superradiance (light boson)
- · Stochastics GW Background (cosmological/astrophysical)
- Phase transitions / topological defects
- Neutron star matter (composition, phase transitions)
- Stellar evolution

Detectors & Sources



 $10^6 M_{\odot}$

AION,

MAGIS

---z=0.5

---z=1

--z=2

---z=8---z = 16

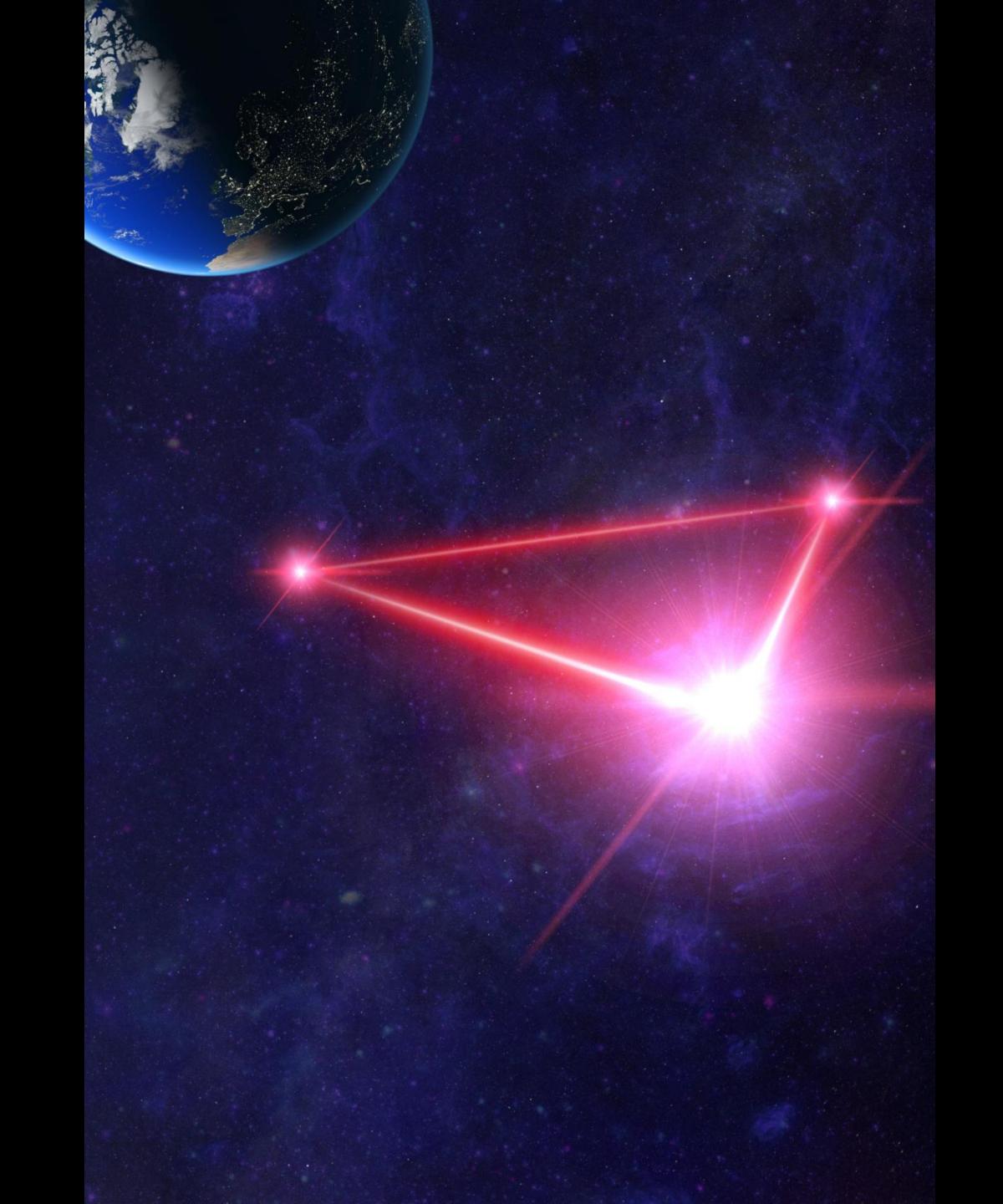
LIGO

 $10^2 M_{\odot}$

 10^2

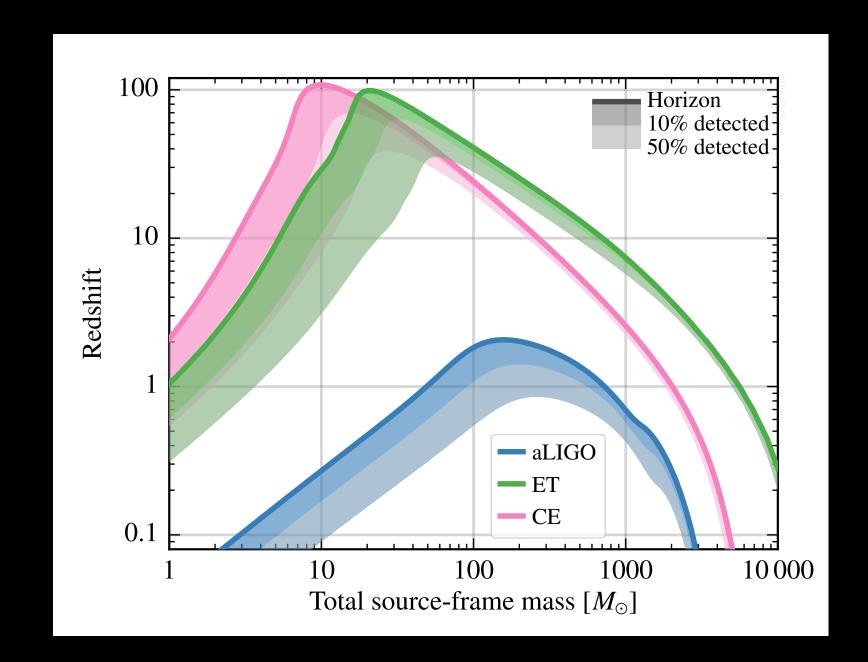
LISA (2034+)

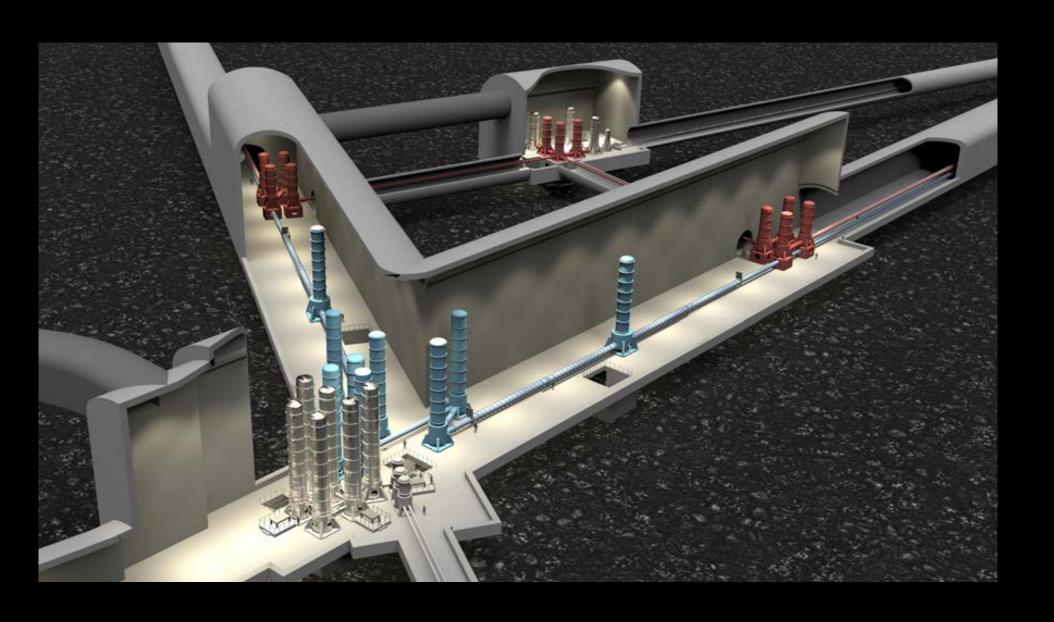
- Massive Supermassive BBH mergers
- Horizon out to z ~ 10 20
- MMA for transients
- Tests of GR
- Precision Black-Hole Spectroscopy
- Probe of MBH environment, DM halos, disks, etc
- Cosmology
- Physics in the Early Universe
 - Phase transitions
 - Cosmic string networks



EINSTEIN TELESCOPE

- On the ESFRI Roadmap
- Candidate Sites:
 i. Euregio Meuse-Rhine (NL) ii. Sardinia (IT)
- Scientific Consortium forming NOW!
- 10 km arm lengths
- Triangular shape
- Underground
- Cryogenic optics
- Improved sensitivity @ high- & low-freq
- Increase in sensitivity by O(10)





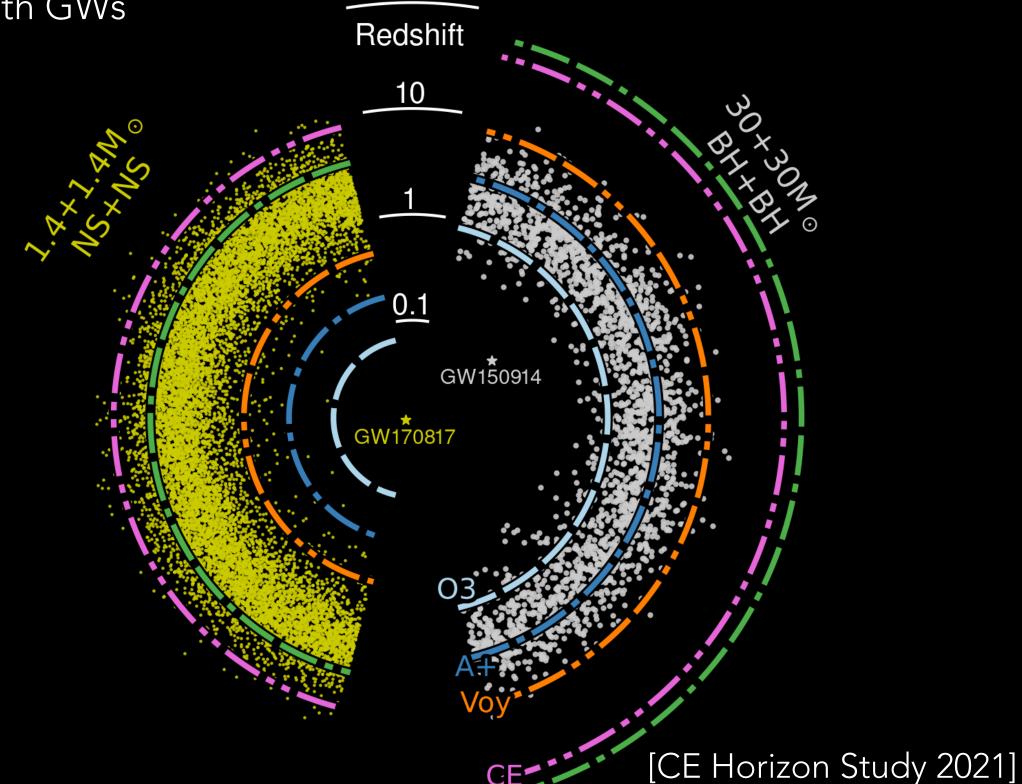
THE SCIENCE OF 3G DETECTORS

- Multimessenger Astronomy with GWs
 - 100,000 1,000,000 CBC sources/yr
 - Improved Sky Localization for EM-bright transients
 - Early warning for transient events (e.g. BNS)
 - Multi-band detections (LISA -> AION -> ET/CE)
 - Supernova event detection
- Fundamental Physics
 - Tests of GR vs Modified Gravity
 - Precision BH Spectroscopy
 - Near-horizon physics & Exotic Compact Objects
 - Fundamental fields, DM, DE
 - Tight constraints on NS matter and EoS (pre- & post-merger)

- Cosmology
 - Cosmography with high-z population of sources
 - Stochastic backgrounds (cosmological/astrophysical)



- Cosmic strings
- GW Lensing





DATA AVAILABLE ONLINE!

- Detector strain data & more www.gw-openscience.org
- Data release GWTC-2 https://dcc.ligo.org/LIGO-P2000438/public
- ➤ Full posterior samples GWTC-2

 https://zenodo.org/record/

 5172704#.YTOaSC1h2Zw