

# Generative Networks for Precision Enthusiasts

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# Introduction

Generative  
Networks for  
Precision  
Enthusiasts

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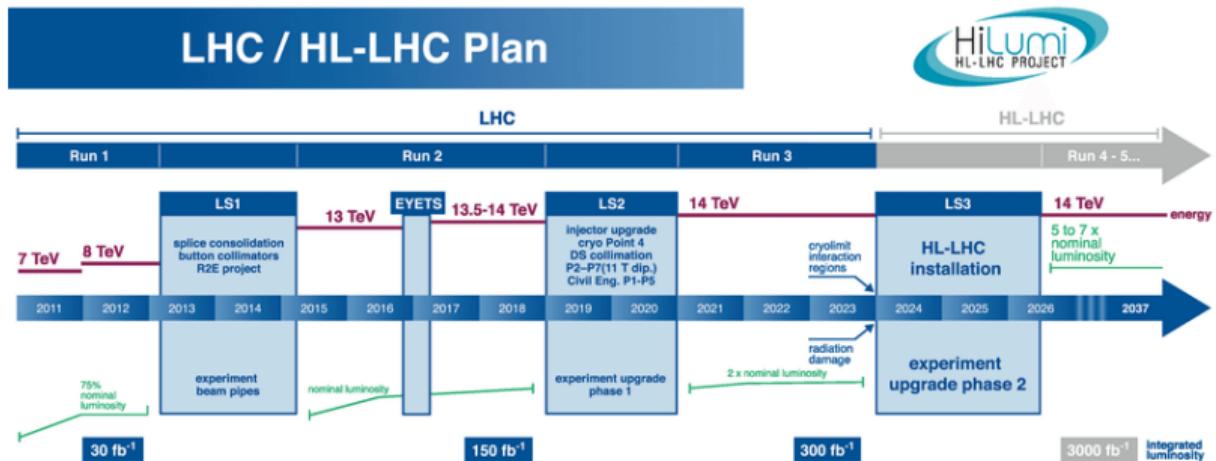
Introduction

Precision  
Generator

DiscFlow

Uncertainties

Summary



- ▶ Amount of LHC data will increase drastically  
→ need similar amount of simulated events
- ▶ Not enough computational resources for event generation
- ▶ **Machine learning to accelerate event generation**

# Deep learning in event generation

Generative  
Networks for  
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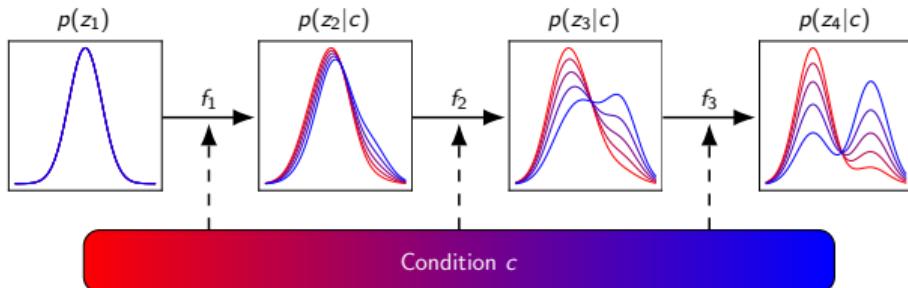
Uncertainties

Summary

- ▶ Network architectures used for event generation
  - Generative adversarial networks [Butter et al, 1907.03764]
  - Variational autoencoders [Howard et al, 2101.08944]
  - **Normalizing flows / Invertible Neural Networks (INNs)**
    - [Verheyen, Stienen, 2011.13445]
- ▶ Other physics applications of INNs
  - Phase space generation [Bothmann et al, 2001.05478] [Gao et al, 2001.05486]
    - [Gao et al, 2001.10028] [Chen et al, 2009.07819]
  - Detector simulation [Krause et al, 2110.11377]
  - Anomaly detection [Nachman, Shih, 2001.04990]
  - Density estimation [Brehmer, Cranmer, 2003.13913]
  - Parton shower unfolding [Bellagente et al, 2006.06685]

# Invertible Neural Networks (INNs)

- ▶ INNs (normalizing flows): **chain of learnable, invertible transformations**
- ▶ Transform latent distribution (e.g. Gaussian) into distribution of interest

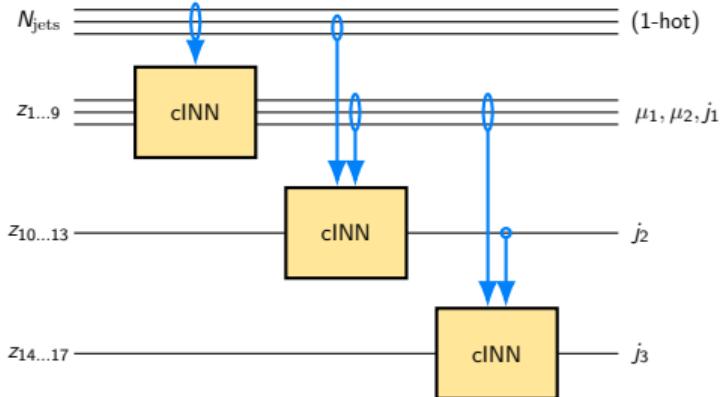


- ▶ Training: Evaluate in backward direction to get  $z_1$  (latent space)  
→ maximize log-likelihood (from change of variables formula)

$$\mathcal{L} = \log p(z_n) = \log p(z_1) + \log \left| \det \frac{\partial f^{-1}}{\partial z_n} \right|$$

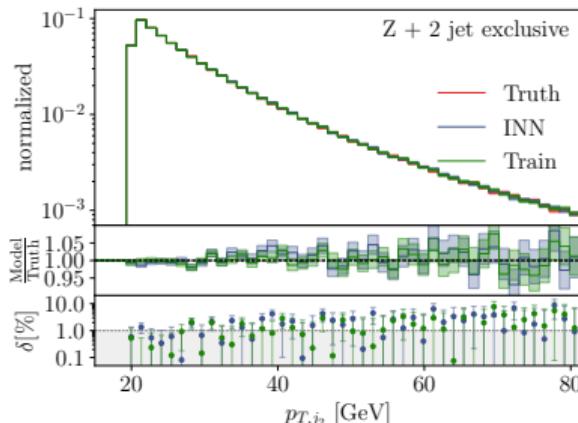
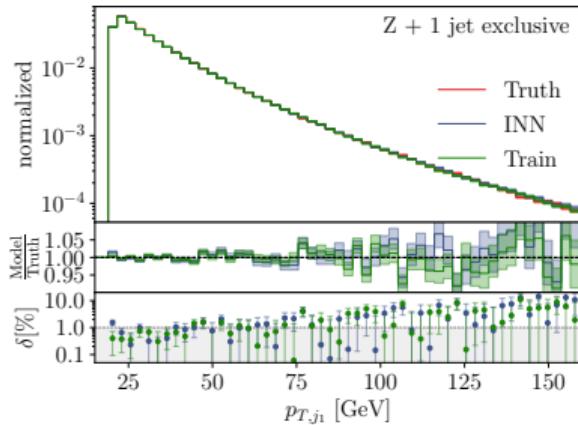
- ▶ Sampling: Sample from  $p(z_1)$ , evaluate forward to get  $z_n$

# Physics process and network architecture

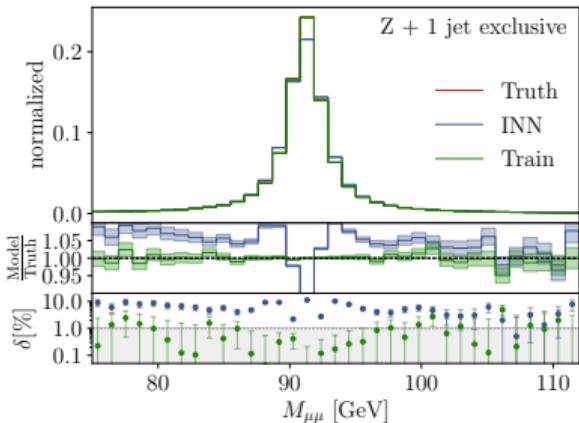


- ▶ Training data:
  - leptonic Z decay with 1-3 jets
  - $p p \rightarrow \mu^+ \mu^- + \text{jets}$
  - include shower and hadronization
  - no detector effects
- ▶ INNs work on fixed dimension
  - **chain of conditional INNs for variable jet multiplicity**
- ▶ INN built from cubic spline coupling blocks [Durkan et al, 1906.02145]

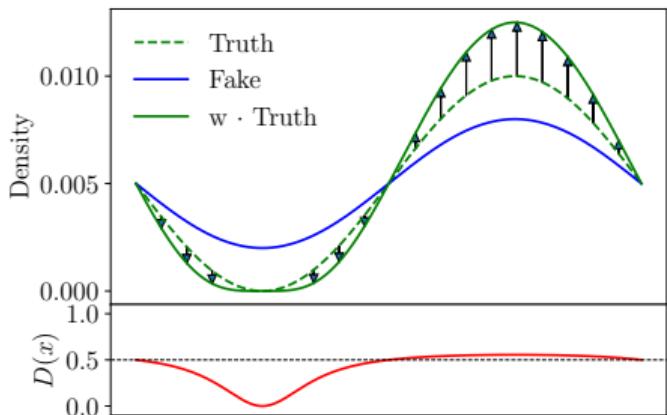
# Event generation results



- ▶ Percent-level accuracy in bulk
- ▶ Challenges:
  - Features hidden in correlations  
e.g.  $Z$  mass peak
  - Topological problems  
e.g.  $\Delta R$  cuts

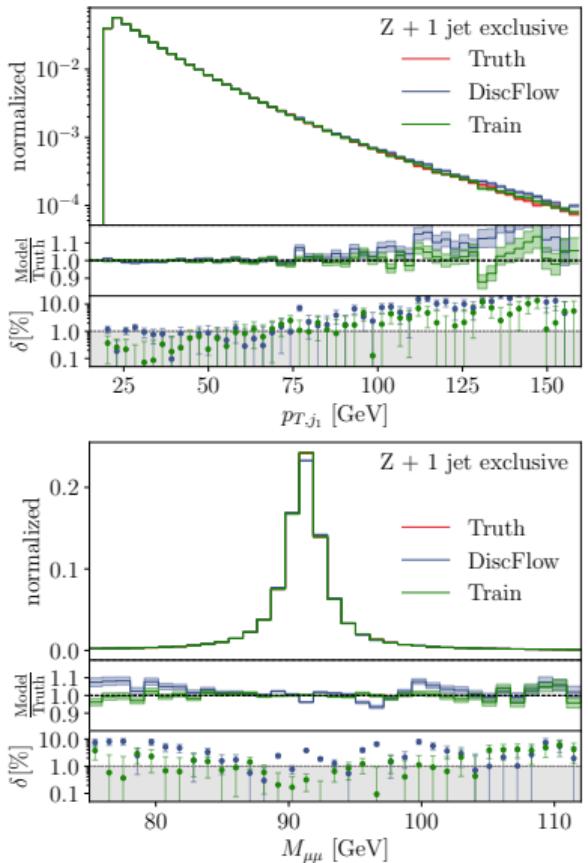


# Joint training with a discriminator



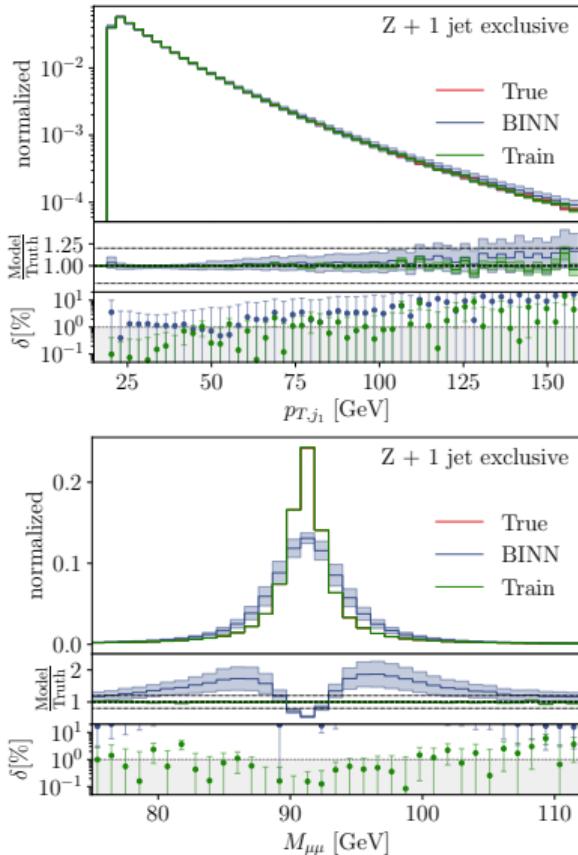
- ▶ Improve generative model with discriminator reweighting
  - [Diefenbacher et al, 2009.03796]
  - Discriminate Truth vs. INN events
  - Problem: weighted events
- ▶ **Solution: Joint training of INN and discriminator**
  - ▶ Reweight INN training data to over-exaggerate features
    - No Nash equilibrium between two networks needed
  - ▶ Give challenging observables to discriminator as additional inputs

# DiscFlow results



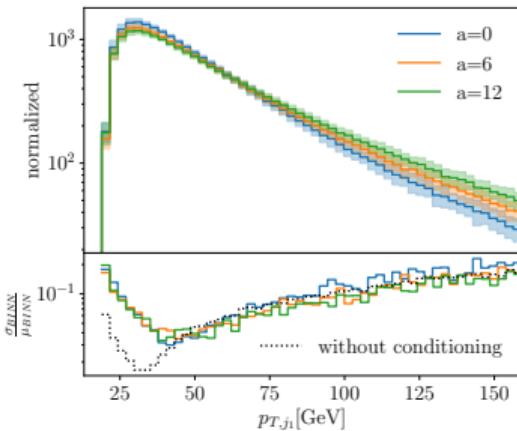
- ▶ Discriminator input:  
INN input,  $M_{\mu\mu}$ ,  $\Delta R_{i,j}$
- ▶ Similar precision as without  
DiscFlow for most observables
- ▶ **Improved precision for mass peak**
- ▶ However: only effective in regions  
populated by training data

# Training uncertainty



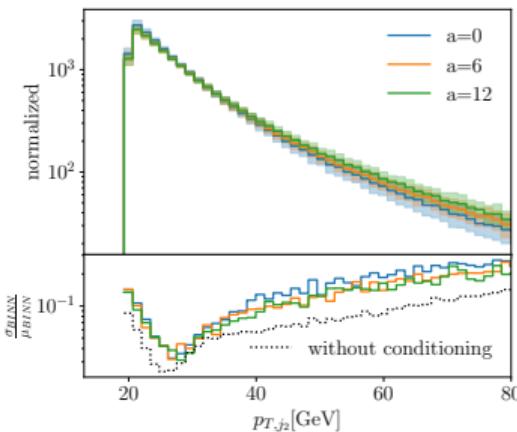
- ▶ Estimate training uncertainty from ensemble of networks  
→ uses a lot of resources
- ▶ Solution: Bayesian neural networks
  - [MacCay, 1995] [Neal, 2012]
  - [Bellagente et al., 2104.04543]
  - parameters drawn from Gaussian  
 $\theta_i \sim \mathcal{N}(\mu_i, \sigma_i)$
  - new loss term to learn  $\mu_i, \sigma_i$
- ▶ Bin-wise means and standard deviations over multiple samples from parameter distribution  
→ errorbars for histograms
- ▶ Caveat: unlearnable features not part of error

# Systematic uncertainties



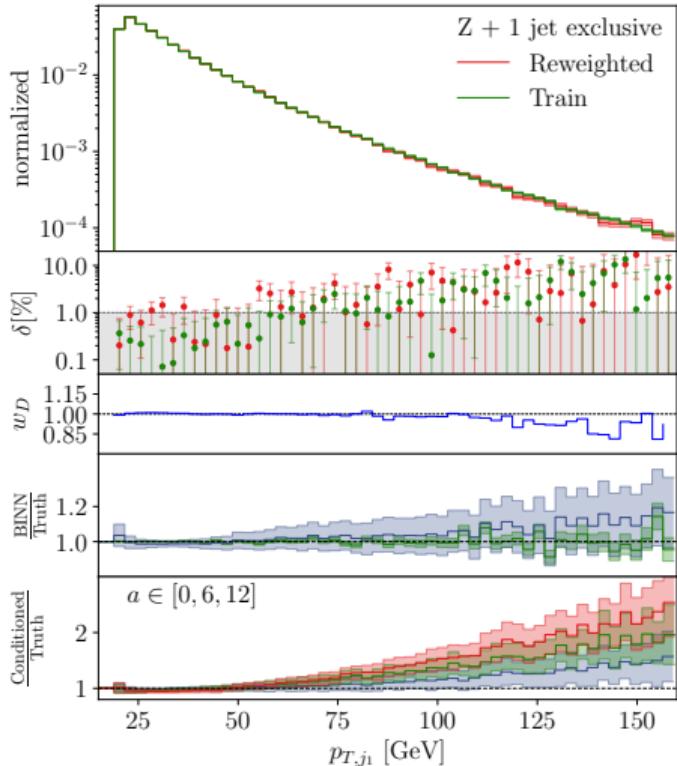
- ▶ Toy model for a theory uncertainty
  - nuisance parameter  $a$
  - shift in event weights

$$w = 1 + a \left( \frac{p_{T,j_1} - 15 \text{ GeV}}{100 \text{ GeV}} \right)^2$$



- ▶ Condition network on  $a$ 
  - sample  $a$  during training
- ▶ Vary  $a$  during sampling
- ▶ Larger BINN uncertainty due to additional sources of correlation

# Summary



- ▶ Percent-level accuracy in bulk of distribution
- ▶ Joint training to use discriminator feedback
- ▶ Control training uncertainties with Bayesian INNs
- ▶ Understand systematic uncertainties by adding conditions
- ▶ **Event generation with INNs:  
High precision while having control  
over uncertainties**