

The depleted Higgs boson:

searches for universal coupling suppression, invisible decays, and mixed-in scalars

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Based on work with James D. Wells, [arXiv:hep-ph/2204.03435](https://arxiv.org/abs/2204.03435)

The depleted Higgs

Consider the ~ 125 GeV Higgs h with

- ▶ A universal depletion factor δ suppressing all its SM couplings
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Concrete examples:

- ▶ Extension with real scalar $S \sim (\mathbf{1}, \mathbf{1}, 0)$ with invisible decays
- ▶ N such singlets (with simplifying assumptions)

With the definition

$$\kappa_{\text{inv}} \equiv \frac{\Gamma_{\text{inv}}}{\Gamma_{\text{SM}}^{125}},$$

the production cross-sections and the total width given by:

$$\begin{aligned}\sigma^h &= (1 - \delta^2) \sigma^{\text{SM}} \\ \frac{\Gamma^h}{\Gamma_{\text{SM}}^{125}} &= 1 - (1 - \kappa_{\text{inv}}) \delta^2\end{aligned}$$

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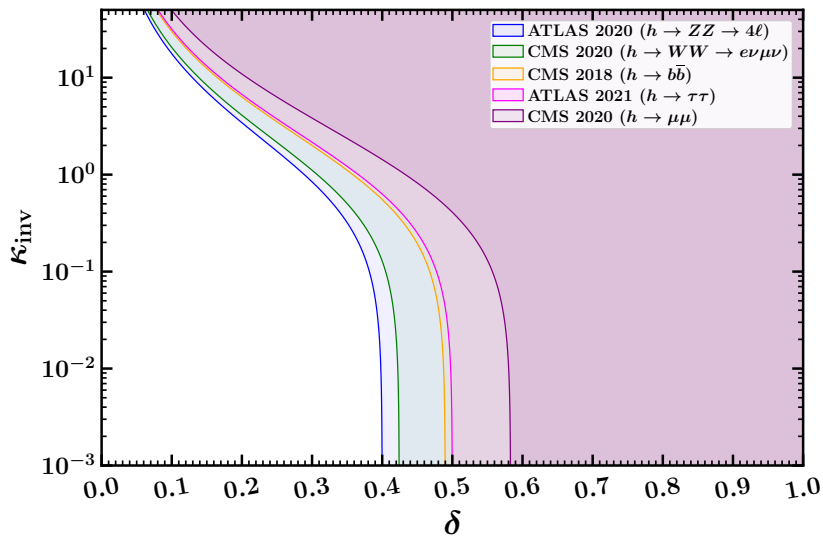
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LHC probes for the observed h report:

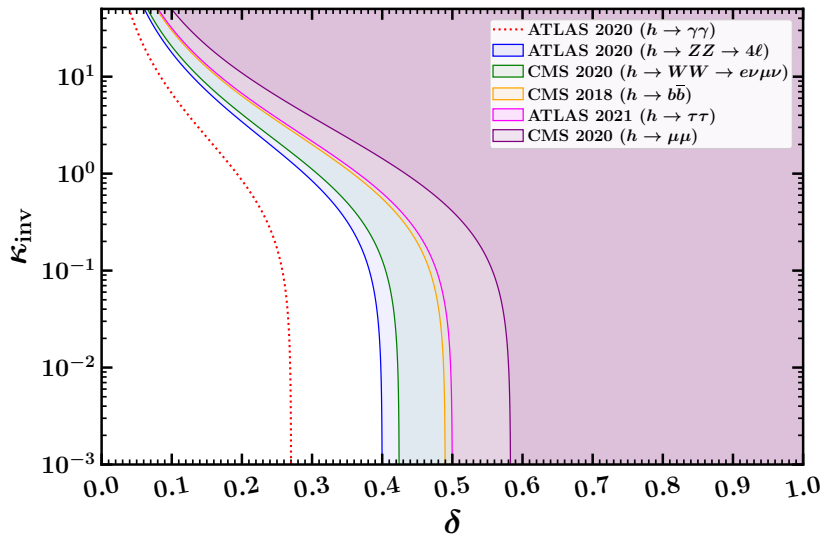
- ▶ Signal strength modifier $\frac{\sigma B_j}{\sigma_{\text{SM}} B_{\text{SM},j}}$ in j^{th} SM final state
- ▶ Upper bound on $\frac{\sigma}{\sigma_{\text{SM}}} B_{\text{inv}}$ for invisible searches

which constrain $(\delta, \kappa_{\text{inv}})$.

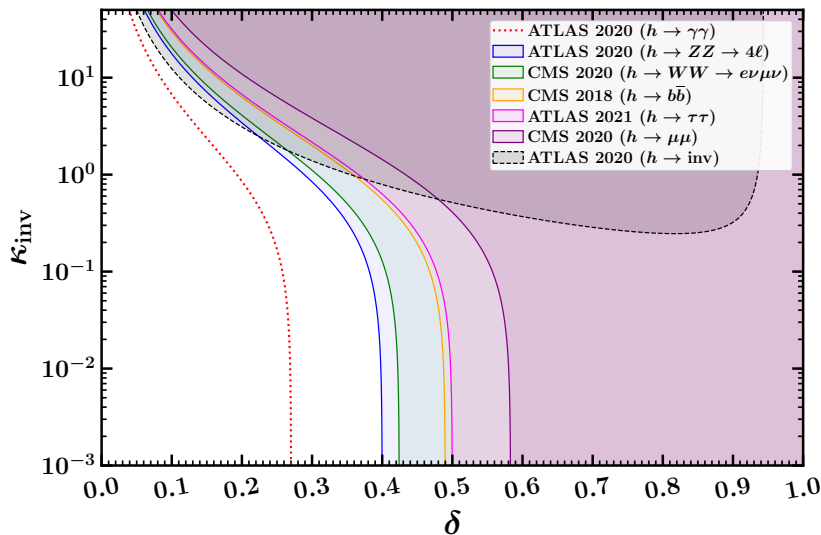
Present status of the depleted Higgs



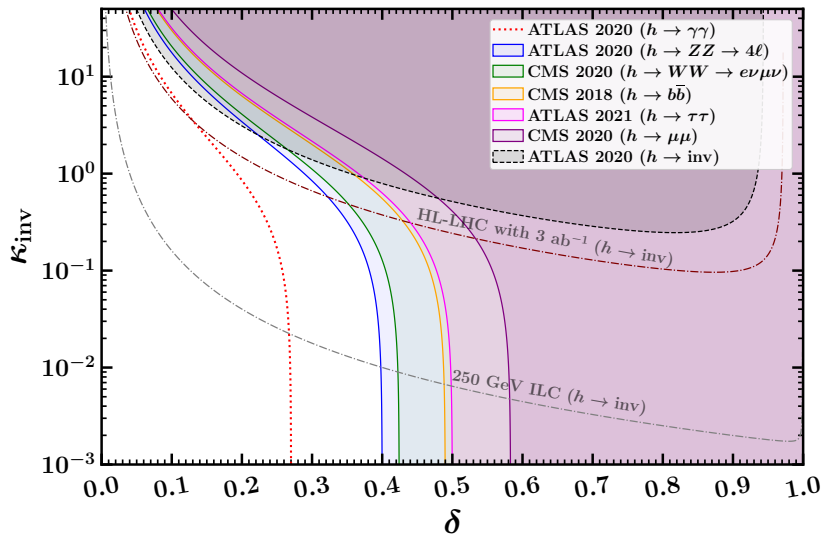
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Real singlet scalar extension

Consider SM + real scalar $S \sim (\mathbf{1}, \mathbf{1}, 0)$, after EW symmetry breaking,

$$V(h_{\text{SM}}, S) \supset \frac{1}{2} (h_{\text{SM}} \quad S) \mathcal{M}^2 \begin{pmatrix} h_{\text{SM}} \\ S \end{pmatrix}$$

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Diagonalizing \mathcal{M}^2 leads to the physical states h, ϕ :

$$\begin{pmatrix} h_{\text{SM}} \\ S \end{pmatrix} = \begin{pmatrix} \sqrt{1-\delta^2} & \delta \\ -\delta & \sqrt{1-\delta^2} \end{pmatrix} \begin{pmatrix} h \\ \phi \end{pmatrix}$$

with δ identified with the sine of the mixing angle.

h is the “depleted Higgs” with $m_h \sim 125$ GeV with

- ▶ Universal coupling suppression due to δ
- ▶ Invisible width $\delta^2 \Gamma_{\text{inv}} = \delta^2 \kappa_{\text{inv}} \Gamma_{\text{SM}}^{125}$ acquired from S

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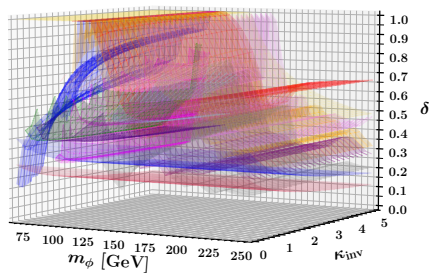
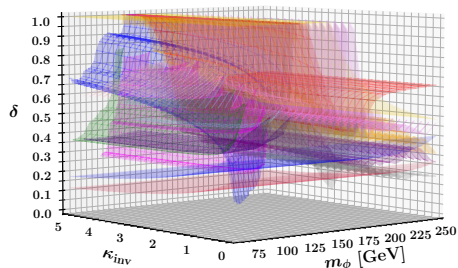
- ▶ Universal coupling suppression due to δ
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ϕ is the exotic Higgs. We assume:

- ▶ $m_\phi > m_h/2$ so that all bounds from above are applicable
- ▶ $m_\phi < 2m_h$ for simplicity and easy compatibility with PEW constraints

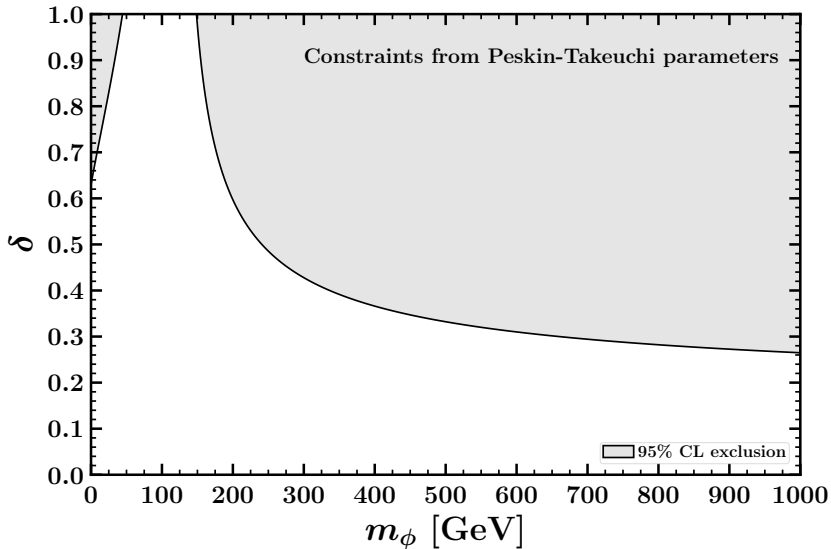
So $h \rightarrow \phi\phi$ and $\phi \rightarrow hh$ are kinematically forbidden.

Constraints on $(\delta, \kappa_{\text{inv}}, m_\phi)$



These include constraints from:

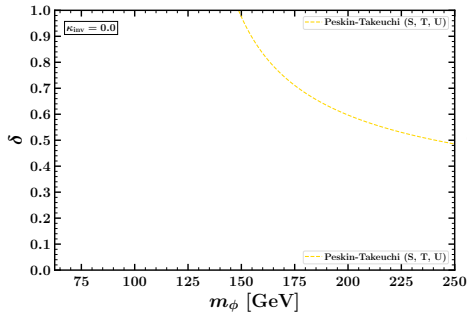
- ▶ Precision probes for the observed Higgs h (from few slides ago)
- ▶ Peskin-Takeuchi parameters
- ▶ Collider searches for additional neutral Higgs



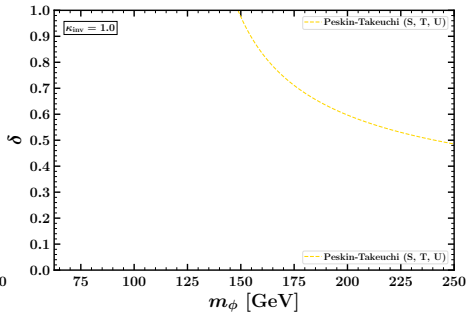
- ▶ S , T , U parameters very constraining for large m_ϕ
- ▶ Assuming $m_\phi < 2m_h \sim 250$ GeV not unreasonable

Constraints on (δ, m_ϕ)

$$\kappa_{\text{inv}} = 0$$



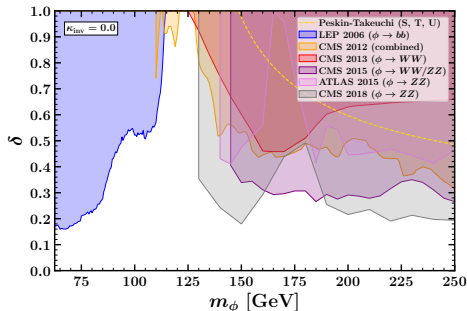
$$\kappa_{\text{inv}} = 1$$



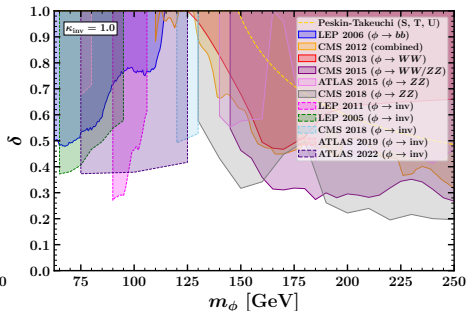
► Gold dashed line: S , T , U parameters

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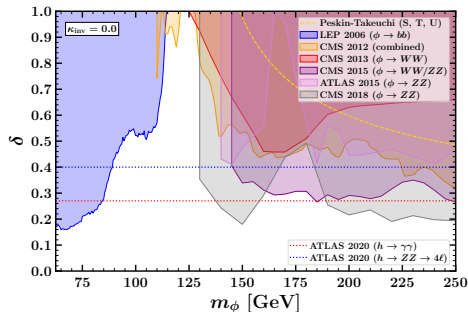
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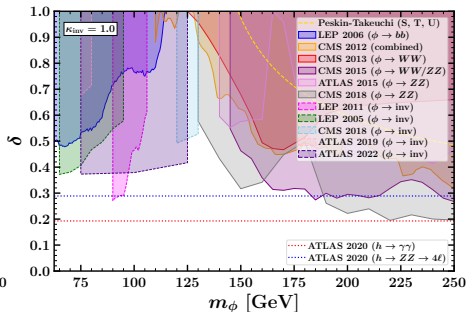
- ▶ Gold dashed line: S, T, U parameters
- ▶ Shaded regions: collider searches for the exotic Higgs ϕ

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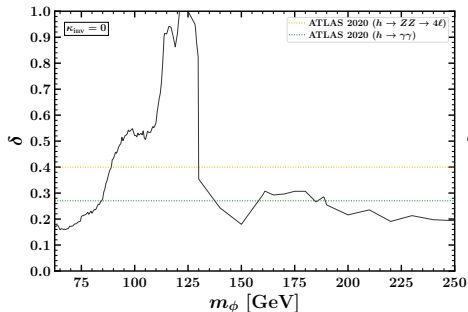
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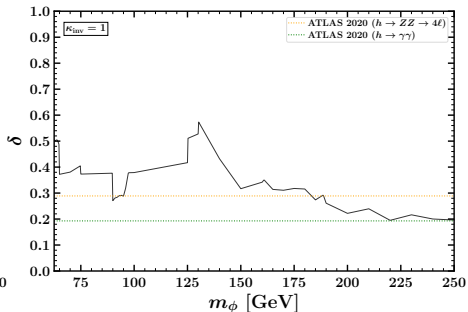
- ▶ Gold dashed line: S, T, U parameters
- ▶ Shaded regions: collider searches for the exotic Higgs ϕ
- ▶ Dotted lines: probes for the 125 GeV Higgs (often most **powerful!**)

Some projections for (δ, m_ϕ)

$\kappa_{\text{inv}} = 0$



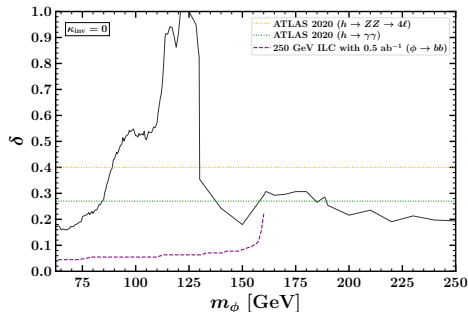
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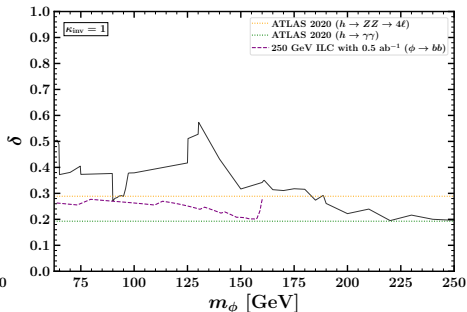
► Solid and dotted lines: current bounds

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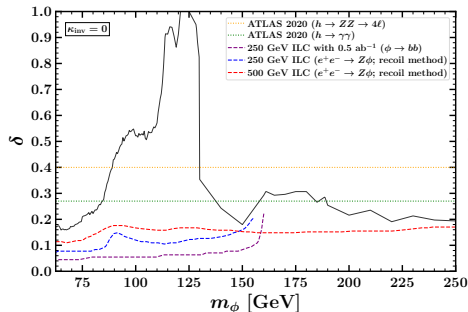
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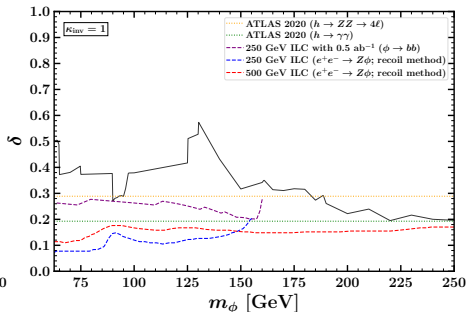
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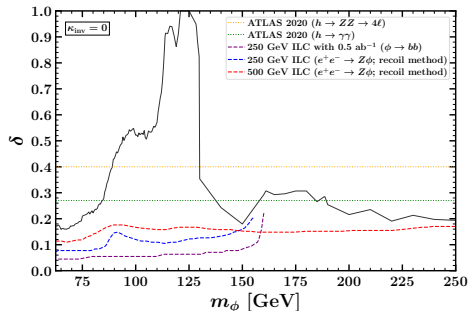
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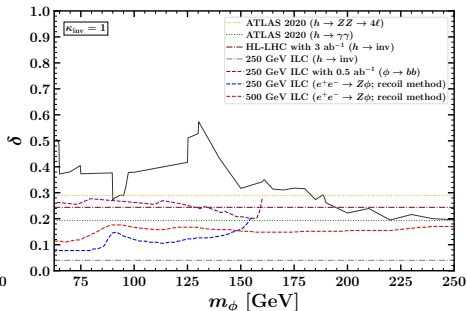
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- ▶ Solid and dotted lines: current bounds
- ▶ Dashed lines: future ILC projections for ϕ
- ▶ Dash-dotted lines: future projections for $h \rightarrow$ invisible

High multiplicity of real singlet scalars

Consider N such gauge-singlets S_i each with an invisible width Γ_{inv} :

$$\begin{pmatrix} h_{\text{SM}} \\ S_1 \\ S_2 \\ \cdot \end{pmatrix} = \begin{pmatrix} \sqrt{1 - \delta^2} & \eta & \eta & \cdot \\ -\eta & 1 + \epsilon & \epsilon & \cdot \\ -\eta & \epsilon & 1 + \epsilon & \cdot \\ \cdot & \cdot & \cdot & \cdot \end{pmatrix} \begin{pmatrix} h \\ \phi_1 \\ \phi_2 \\ \cdot \end{pmatrix}.$$

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The orthogonality of the above matrix implies that

$$\begin{aligned} \eta &= \frac{\delta}{\sqrt{N}}, \\ \epsilon &= \frac{1}{N} \left(\sqrt{1-\delta^2} - 1 \right) = -\frac{\delta^2}{2N} + \dots \end{aligned}$$

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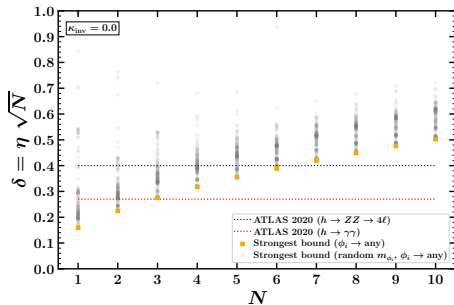
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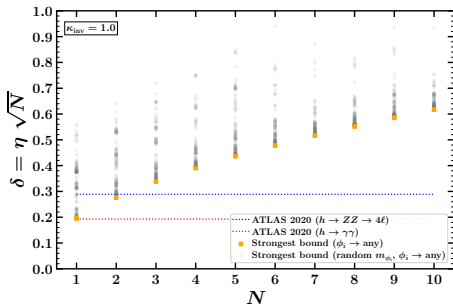
If we assume $m_h/2 < m_{\phi_i} < 2m_h$, the bounds for ϕ (from previous slides) directly applicable but with $\delta \rightarrow \eta = \delta/\sqrt{N}$.

Reinterpreting bounds from $N = 1$ case

$\kappa_{\text{inv}} = 0$



$\kappa_{\text{inv}} = 1$



- ▶ Bounds get weaker for large N and/or large κ_{inv}
- ▶ Precision probes for h_{125} might give the strongest bound!

Conclusion

The signals of the SM Higgs can be depleted, via two simple ways, if:

- ▶ Its couplings to SM states are universally suppressed
- ▶ Its branching fraction is partly drained into invisible states

The “depleted Higgs” is therefore an interesting possibility, and we

- ▶ Performed a comprehensive survey of its present status
- ▶ Considered extensions with singlet scalars where it naturally arises
- ▶ Found that in most cases the precision study of the 125 GeV Higgs is more powerful than searches for extra scalar states!

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Thank you!

BACKUP SLIDES

Strongest constraints on N scalars extension

