NEW LIGHT VECTOR BOSONS ELECTROWEAK PRECISION MEASUREMENTS

Fernanda Huller Enrico Bertuzzo Csaba Csaki

Phenomenology 2022 Symposium

05/08/2022





1. EXPLAINING OUR GOAL

- Additional U(1) symmetries are predicted in the most common extensions of the SM gauge group: SO(10) and E₆ GUT groups, extra-dimensional models, and string theory;
- The gauge boson associated with an extra U(1) symmetry will be massive, neutral, colorless, and self-adjoint;
- If such gauge boson is weakly coupled, it can also be very light (within the eV-GeV mass range);
- Both kinetic and mass mixings with the SM photon and Z boson are allowed.

2. EXTENDING THE SM BY A NEW U(1) **SYMMETRY**

TWO-HIGGS-DOUBLET MODEL

	SU(3) _C	SU(2)	<i>U</i> (1) _Y	$U(1)_X$
Q ⁱ	3	2	1/6	0
u ⁱ _R	3	1	2/3	0
d_R^i	3	1	-1/3	0
Li	1	2	-1/2	0
e ⁱ _R	1	1	-1	0
ν_R^i	1	1	0	0
Hu	1	2	1/2	0
H _d	1	2	-1/2	q_X
ϕ	1	1	0	$-q_X$

Quantum numbers of the fields contained in our model. The index *i* runs over the three SM generations. The SM model field, now denoted by H_u , is uncharged under the new U(1) symmetry.

THE NEW LAGRANGIAN

$$\begin{split} \mathcal{L}_{\text{Kinetic}} &= -\frac{1}{4} W^{a}_{\mu\nu} W^{a\mu\nu} - \frac{1}{4} B_{\mu\nu} B^{\mu\nu} - \frac{1}{4} X_{\mu\nu} X^{\mu\nu} - \frac{\epsilon}{2} B_{\mu\nu} X^{\mu\nu} + \\ &+ \left(D_{\mu} H_{u} \right)^{\dagger} \left(D^{\mu} H_{u} \right) + \left(D_{\mu} H_{d} \right)^{\dagger} \left(D^{\mu} H_{d} \right) + \left(D_{\mu} \phi \right)^{*} \left(D^{\mu} \phi \right), \end{split}$$

$$\begin{aligned} \mathcal{L}_{Potential} &= \mu_{u}^{2} H_{u}^{\dagger} H_{u} - \lambda_{u} (H_{u}^{\dagger} H_{u})^{2} + \mu_{d}^{2} H_{d}^{\dagger} H_{d} - \lambda_{d} (H_{d}^{\dagger} H_{d})^{2} + \\ &+ \mu_{\phi}^{2} \phi^{*} \phi - \lambda_{\phi} (\phi^{*} \phi)^{2} - \lambda_{ud} (H_{u}^{\dagger} H_{u}) (H_{d}^{\dagger} H_{d}) - \lambda_{ud}^{\prime} (\tilde{H}_{u}^{t} H_{d}) (\tilde{H}_{d}^{t} H_{u}) - \\ &- \lambda_{u\phi} (H_{u}^{\dagger} H_{u}) (\phi^{*} \phi) - \lambda_{d\phi} (H_{d}^{\dagger} H_{d}) (\phi^{*} \phi) + i \kappa H_{u}^{t} \sigma^{2} H_{d} \phi, \end{aligned}$$

$$\mathcal{L}_{Yukawa} = -Y_d^{ij} \bar{Q}^i \tilde{H}_d \phi^* d^j_R - Y_e^{ij} \bar{L}^i \tilde{H}_d \phi^* e^j_R - Y_u^{ij} \bar{Q}^i \tilde{H}_u u^j_R.$$

SPONTANEOUS SYMMETRY BREAKING

The scalar fields acquire a vev, such that the gauge Lagrangian takes the form $\mathcal{L} \supset -\frac{1}{4} \hat{\mathbf{V}}_{\mu\nu}^T K \hat{\mathbf{V}}_{\mu\nu} + \frac{1}{2} \hat{\mathbf{V}}_{\mu}^T M^2 \hat{\mathbf{V}}_{\mu}$, where

$\hat{\mathbf{V}}^{T} \equiv$	$(\hat{Z} \ \hat{A}$	\hat{X}	,
-------------------------------	----------------------	-----------	---

$$X \equiv egin{bmatrix} 1 & 0 & -rac{g'}{\sqrt{g^2+g'^2}}rac{\epsilon}{\sqrt{1-\epsilon^2}} \ 0 & 1 & rac{g}{\sqrt{g^2+g'^2}}rac{\epsilon}{\sqrt{1-\epsilon^2}} \ 0 & 0 & rac{1}{\sqrt{1-\epsilon^2}} \end{bmatrix},$$

$$M^{2} = \begin{pmatrix} \frac{1}{4}(v_{u}^{2} + v_{d}^{2})(g^{2} + g'^{2}) & 0 & -\frac{1}{2}\sqrt{g^{2} + g'^{2}}q_{X}g_{X}v_{d}^{2} \\ 0 & 0 & 0 \\ -\frac{1}{2}\sqrt{g^{2} + g'^{2}}q_{X}g_{X}v_{d}^{2} & 0 & q_{X}^{2}g_{X}^{2}(v_{d}^{2} + w^{2}) \end{pmatrix}$$

Since $det(M^2) = 0$, we already know there will be a massless eigenstate in our model.

In order to determine the observable eigensystem:

- Diagonalize the kinetic matrix;
- Diagonalize the resulting mass matrix;
- Identify the parameters that "control" both kinetic and mass mixings,

$$\sinh(\xi) = \frac{\epsilon}{\sqrt{1-\epsilon^2}}, \ \frac{V_u}{V_d} = \frac{1}{\tan(\beta)}, \ \text{and} \ \frac{W}{V_d} = \frac{1}{\tan(\eta)}.$$

EIGENSYSTEM (PART II)

Z Boson

 $Z = \hat{Z} + \text{small corrections in } \hat{Z} \text{ and } \hat{X}$ $M_Z = \hat{M}_Z + \text{small corrections}$

Photon

 $A = \hat{A} + \text{small corrections in } \hat{A} \text{ and } \hat{X}$ $M_A = 0$

Z' Boson

 $Z' = \hat{X} + \text{small corrections in } \hat{Z} \text{ and } \hat{X}$ $M_{Z'} = \hat{M}_X + \text{small corrections}$

- The Z boson mass and coupling are modified;
- The Z' boson couples to both SM neutral currents J_Z and J_{EM} ;
- A mixing between the neutral gauge bosons can have important consequences on the EW precision measurements;

13

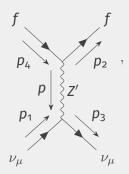
3. The Z' boson phenomenology

EW OBSERVABLES AT THE Z RESONANCE (LEP 1)

- Class of observables measured in e^+e^- collisions;
- Z boson partial and total widths, left-right asymmetries for Z production, forward-backward asymmetries for $e^+e^- \rightarrow \bar{f}f$;
- The existence of a Z' boson can affect these quantities;
- We must make use of the precision program:
 - Choose the best-measured observables to describe all the other EW observables;
 - The new gauge boson changes the relation between the theoretical parameters and the reference observables;
 - Sufficient to compute contributions only at tree-level.

NEUTRINO-ELECTRON SCATTERING

We can extend our analysis by including low-energy scattering of muon neutrinos with electrons. These types of scattering are mediated by the exchange of a virtual *Z* boson in the SM. However, in the presence of new physics such process can also be mediated by the exchange of a virtual *Z'* boson:

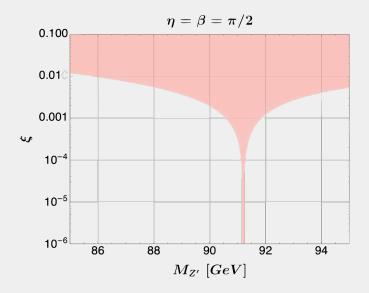


Neglecting the scalar sector, we can re-express the interaction Lagrangians in terms of the standard parameters $\alpha_e(M_Z^2)$, s, and c:

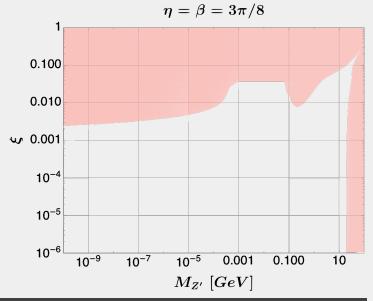
$$\mathcal{L}_{int}^{Z} = \frac{\sqrt{4\pi\alpha_{e}(M_{Z}^{2})}}{sc} Z_{\mu} \bar{\psi} \gamma^{\mu} \left[\left(g_{L}^{\psi, SM} + \delta g_{L}^{\psi} \right) P_{L} + \left(g_{R}^{\psi, SM} + \delta g_{R}^{\psi} \right) P_{R} \right] \psi,$$
$$\mathcal{L}_{int}^{A} = \sqrt{4\pi\alpha_{e}(M_{Z}^{2})} A_{\mu} \bar{\psi} \gamma^{\mu} \left[\left(1 - \frac{\delta\alpha_{e}}{2} \right) Q \right] \psi,$$
$$\mathcal{L}_{int}^{Z'} = \frac{\sqrt{4\pi\alpha_{e}(M_{Z}^{2})}}{sc} Z_{\mu}' \bar{\psi} \gamma^{\mu} \left[\left(\delta \tilde{g}_{L}^{\psi} \right) P_{L} + \left(\delta \tilde{g}_{R}^{\psi} \right) P_{R} \right] \psi,$$
From these Lagrangians, we can calculate all the EW observables.

From these Lagrangians, we can calculate all the EW observables in the presence of a Z' boson.

GLOBAL FIT – KINETIC MIXING



GLOBAL FIT – BOTH KINETIC AND MASS MIXINGS



4. FINAL CONCLUSIONS

- For our purposes, the relevant LEP2 observables are the cross sections of $e^+e^- \rightarrow e^+e^-, \mu^+\mu^-, \tau^+\tau^-, \sum_q \bar{q}q$ at energies around 200 GeV;
- In the presence of new physics, these scattering processes can also occur by the exchange of Z';
- We have encountered some difficulties when calculating the cross section in the regime of very light Z' bosons (choosing the gauge, Goldstone bosons, SSB in the limit of $M_{Z'} \rightarrow 0$).

THANK YOU!