Life after the JAI: A cross disciplinary approach to cancer research

Lucy Martin
University of Edinburgh (JAI 2016-2020)









"Is this just going to be some holiday snaps from your time in Scotland?" -

Chetan Gohil (2021)



- Cross disciplinary research fellow, University of Edinburgh
- Here for 4 years, already nearly 2 years in (!)
- Funded by Cancer Research UK as part of Edinburgh's brain tumour centre for excellence









What did I do as part of the JAI?

- IBEX linear Paul trap
- "Experimental investigation of Accelerator beam dynamics with a Linear Paul Trap" (2020)
- A bit of simulation, a bit of experiment, a tiny bit of maths



What do I do now?











Cross disciplinary research Fellow (XDF)

- Postdocs from maths, physics, chemistry, computer science etc.
 backgrounds applying their knowledge to quantitative bio-medicine.
- 3 "Cohorts"
- Not just about learning the science:
 - How to find an area of research that suits your strengths
 - How to translate between biologists and computer scientists...
- Year 1:
 - ~2 months learning basic biology
 - 3× 3 month rotation projects
 - ~1 month to decide on a 3 year project
 - Write a "grant proposal" and defend project idea





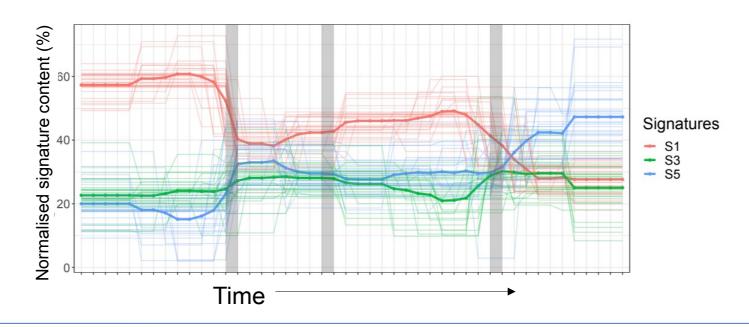




Quantitative bio-medicine: rotation projects

1) Timing mutational signatures in ovarian cancer

- Mutations in DNA lead to cancer
- Patterns of mutations come from different causes, e.g., smoking
- "Big(ger) data" whole genome sequencing from tumours
- Reducing high dimensional data down to extract meaning





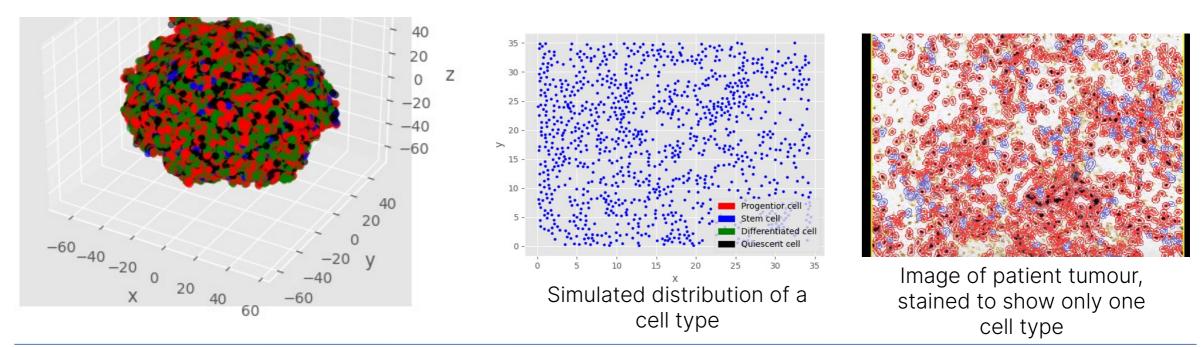






2) Modelling the growth and response to treatment of brain cancer

- Cancerous cells exist in a range of states which interact with each other
- We can detect these different cell states in tumour samples
- Stochastic modelling
- Image analysis
- Quantifying patterning in spatial data











A drastic change of field...

The bad bits / challenges

- Learning a new language
- Feeling entirely out of my depth
- Making every possible experimental mistake while learning
- Time management
- Huge quantities of literature to read

The good bits

- Huge quantities of literature to read
- Collaborative/ interdisciplinary environment
- Learning from experts
 - Dedicated facilities
- Learning grant writing, etc.
- Creative problem solving
- Research freedom





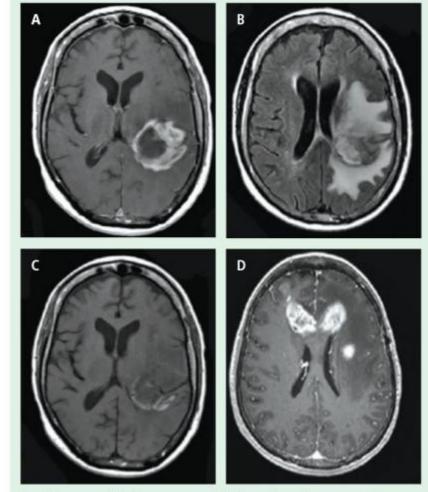






My next 3 years of research: Glioblastoma

- Glioblastoma (GBM): Most common brain cancer, aggressive and fatal.
 - Median survival ~15 months
- Tumour has very diffuse edges
 - Hard to remove with surgery
- Tumours are very heterogeneous
 - Difficult to treat with drugs



A-T1 post-gadolinium contrast with dense rim enhancement; Baxial flair showing extensive vasogenic edema causing mass effect on the left lateral ventricle; C-T1 pre-gadolinium showing hemorrhage (white areas) along posterior lateral margin of tumor; D-multifocal bihemispheric disease



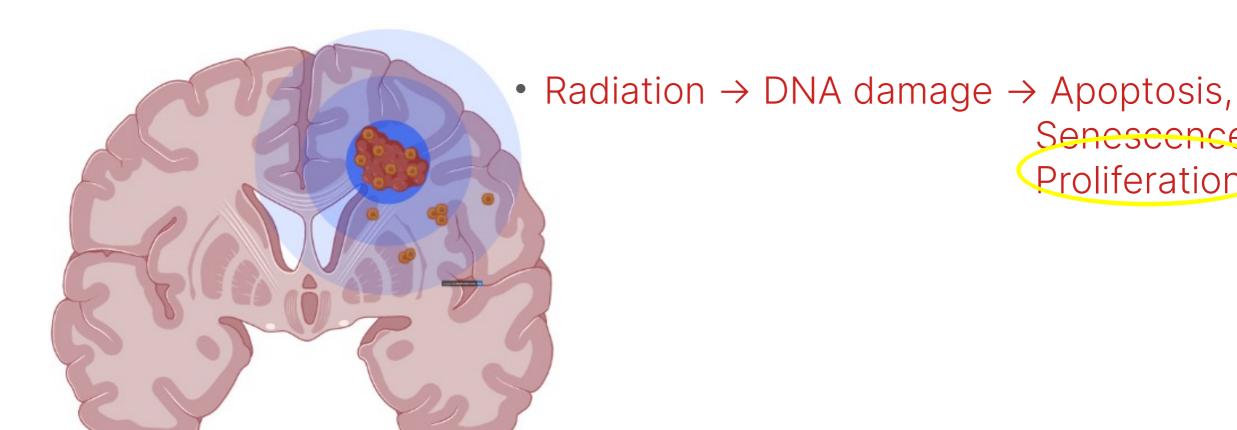








Radiation treatment











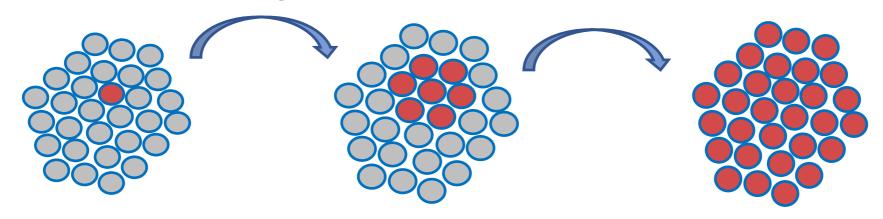


Senescence,

Proliferation

Senescence

- Damaged cells stop growing and dividing but still produce proteins
- Helpful in the short term in wound healing and cancer prevention
- Senescent cells produce proteins which can lead to chronic inflammation
 - Age related diseases
 - Tumour recurrence
- Senescence can spread
- Very little understanding of the spread of senescence





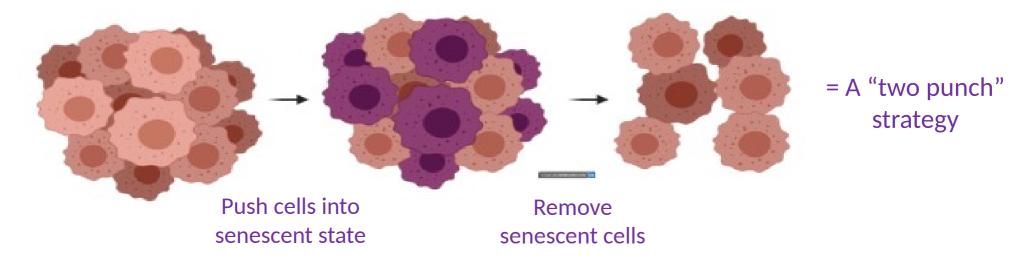






Can senescent cells be removed?

We can do something about senescent cells with senolytics



- Push cells into a senescent state
- Maximise senescence
- Remove senescent cells
- Effective treatment











Project Proposal

"Induced senescence in glioblastoma radiation therapy - Inferring dynamics of senescence spread with simulation, in vitro and in vivo experiments."

Stochastic simulation

- Pattern recognition/ clustering
 - Single cell "big data"

Bayesian inference

Tissue culture

 Probabilistic description













... but is this really that different from accelerator physics?









An approximate analytical description of a system...

$$\frac{d^2a}{ds^2} + K_a(s)a - \frac{\epsilon_x^2}{a^3} - \frac{K_{sc}}{2(a+b)} = 0,$$
$$\frac{d^2b}{ds^2} + K_b(s)b - \frac{\epsilon_y^2}{b^3} - \frac{K_{sc}}{2(a+b)} = 0.$$



$$P(T \le t) = 1 - e^{\lambda_{spread}t}$$



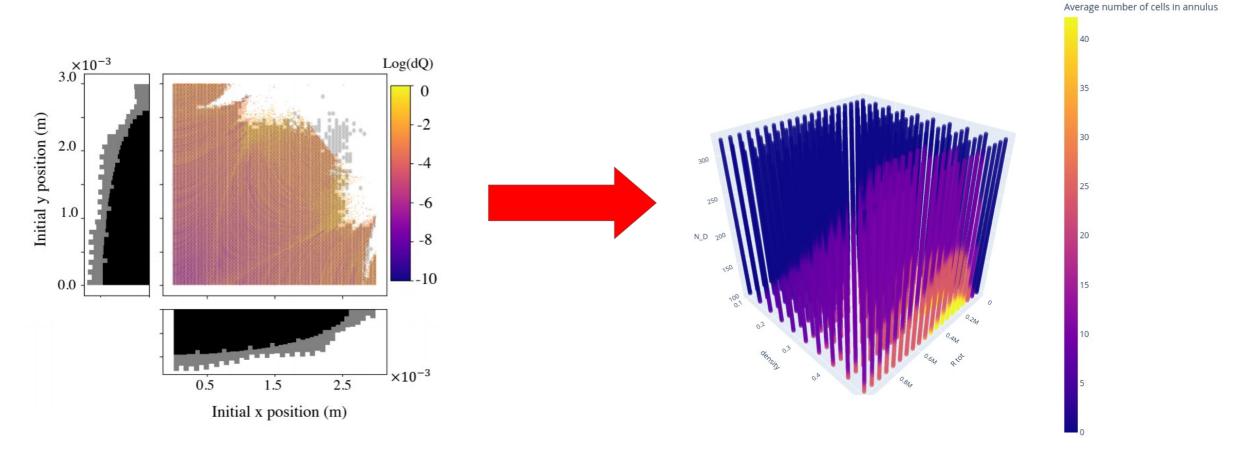








Computationally intensive simulations...













Fiddly experimental setup...









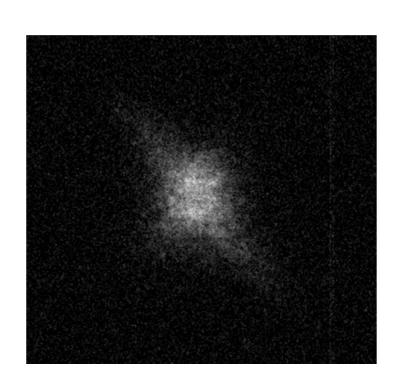




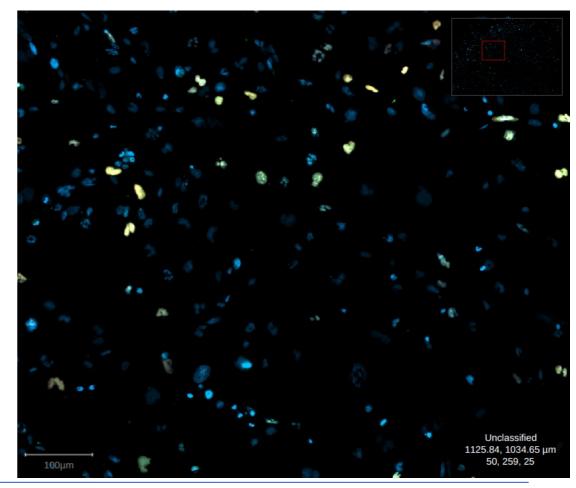




Image analysis...















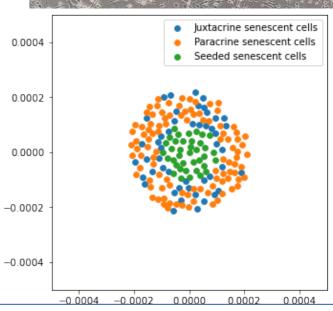


Using a simplified model of a real system...



















So maybe not!









Thanks!

The University of Edinburgh
Cancer Research UK
XDF Directors
Chandra lab, Schumacher lab, Pollard lab