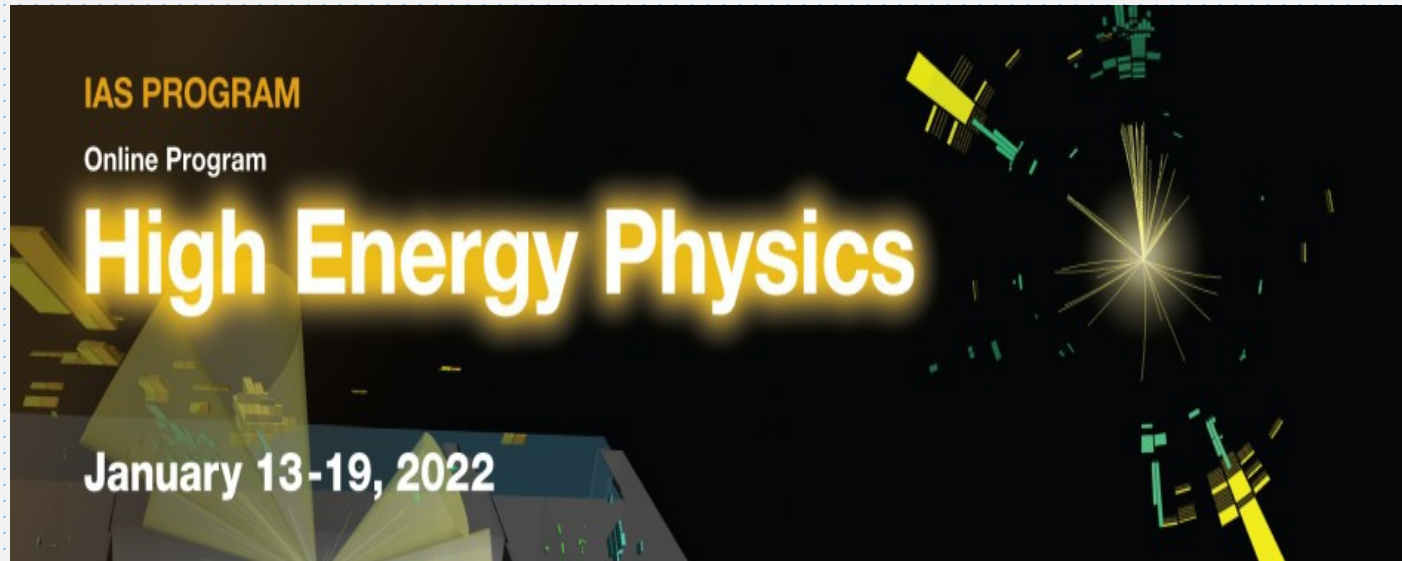


Dark Photon Dark Matter Searches at LIGO

Huaike Guo

Jan. 13, 2022

University of Utah



Searches as of now:

- O1 Search: (Nature) Commun.Phys. 2 (2019) 155 (arxiv:1905.04316), [H.G](#), Riles, Yang, Zhao
- O3 Search: arxiv:astro-ph.CO/2105.13085, LVK Collaboration Paper

The O3-Search Team



Andrew Miller

[Huaike Guo](#)

Cristiano Palomba

Ornella Piccinni

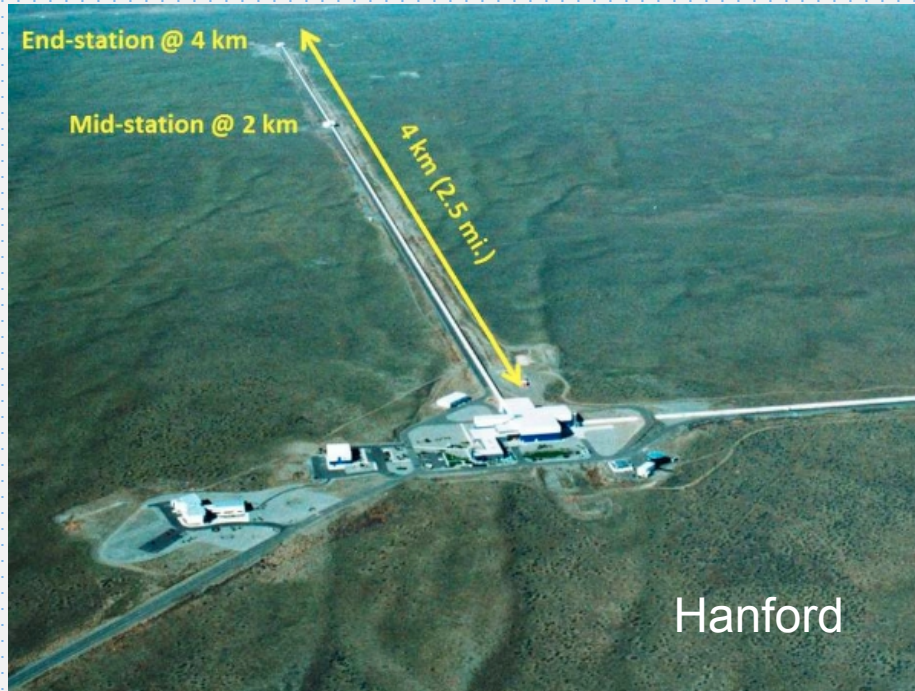
Keith Riles

Fengwei Yang

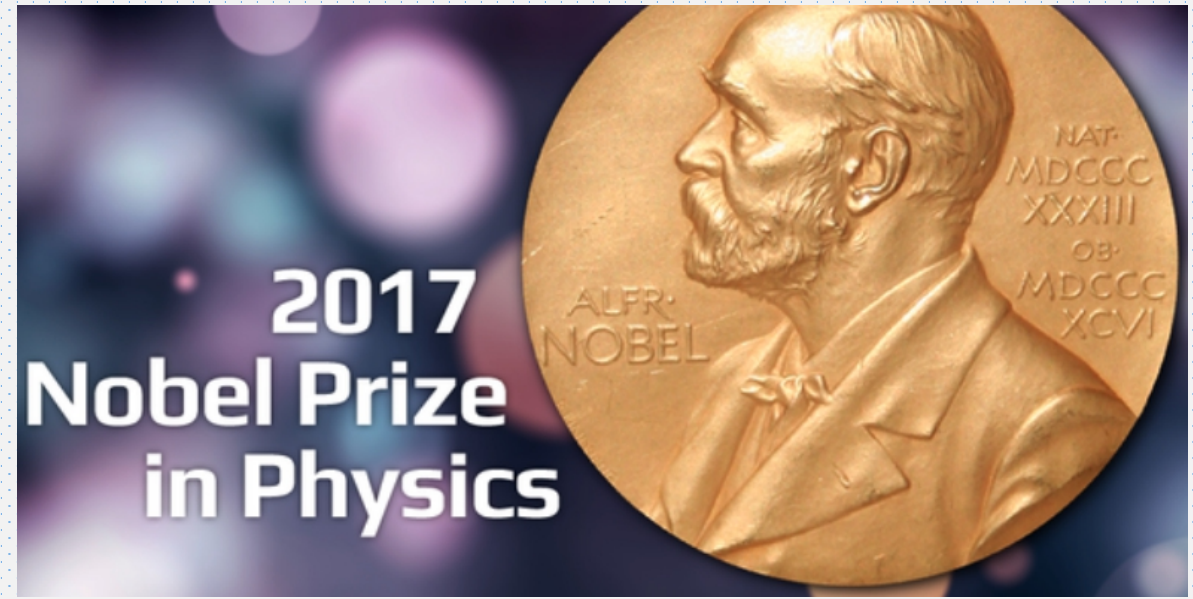
Yue Zhao

Acknowledgement: This material is based upon work supported by NSF's LIGO Laboratory which is a major facility fully funded by the National Science Foundation.

Gravitational Waves



<https://www.ligo.caltech.edu>



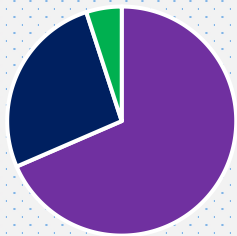
<https://nobelprize.org>

A new era of Gravitational Wave Astronomy

Also important for **particle physics!**

Probing New Physics with Gravitational Waves

New Physics

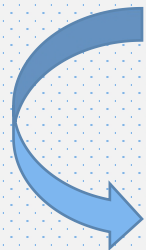
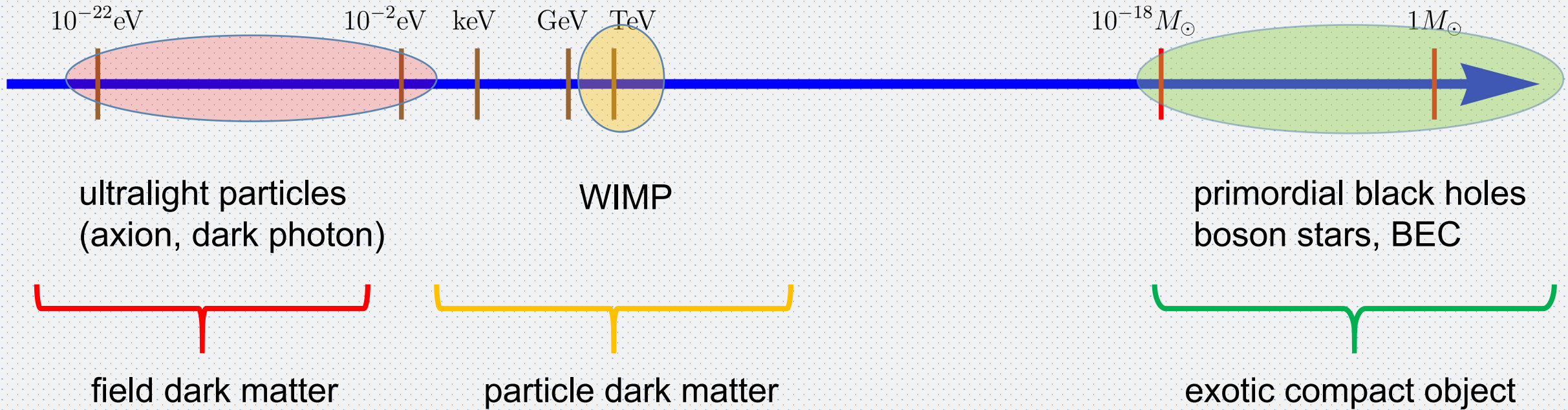


- High energy frontier (LHC, etc)
- Precision frontier (EDM, MDM, etc)
- Cosmic frontier (CMB, dark matter searches, etc)

● Gravitational waves

(cosmic phase transitions,
cosmic topological defects,
dark photons, etc)

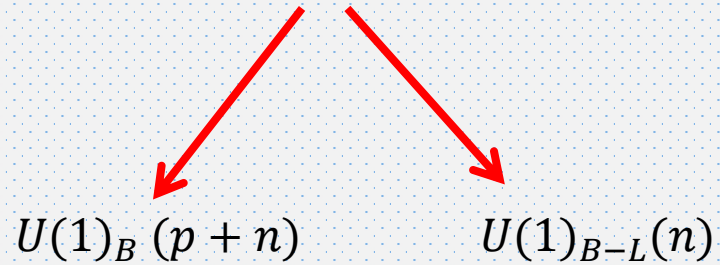
Dark Matter: Candidates



- Large number density (local DM energy density $0.4 \text{GeV}/\text{cm}^3$)
- Behaving like an oscillating classical field

Dark Photon

Gauge boson of a new U(1) symmetry



- Mass(e.g., Higgs mechanism)
- Relic abundance (e.g., misalignment mechanism)

$$F_{\mu\nu} = \partial_\mu A_\nu - \partial_\nu A_\mu$$

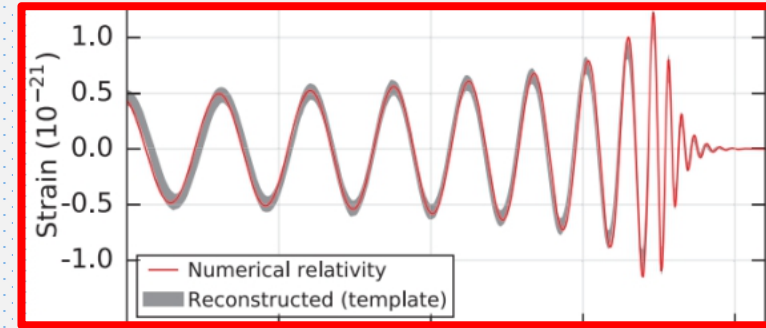
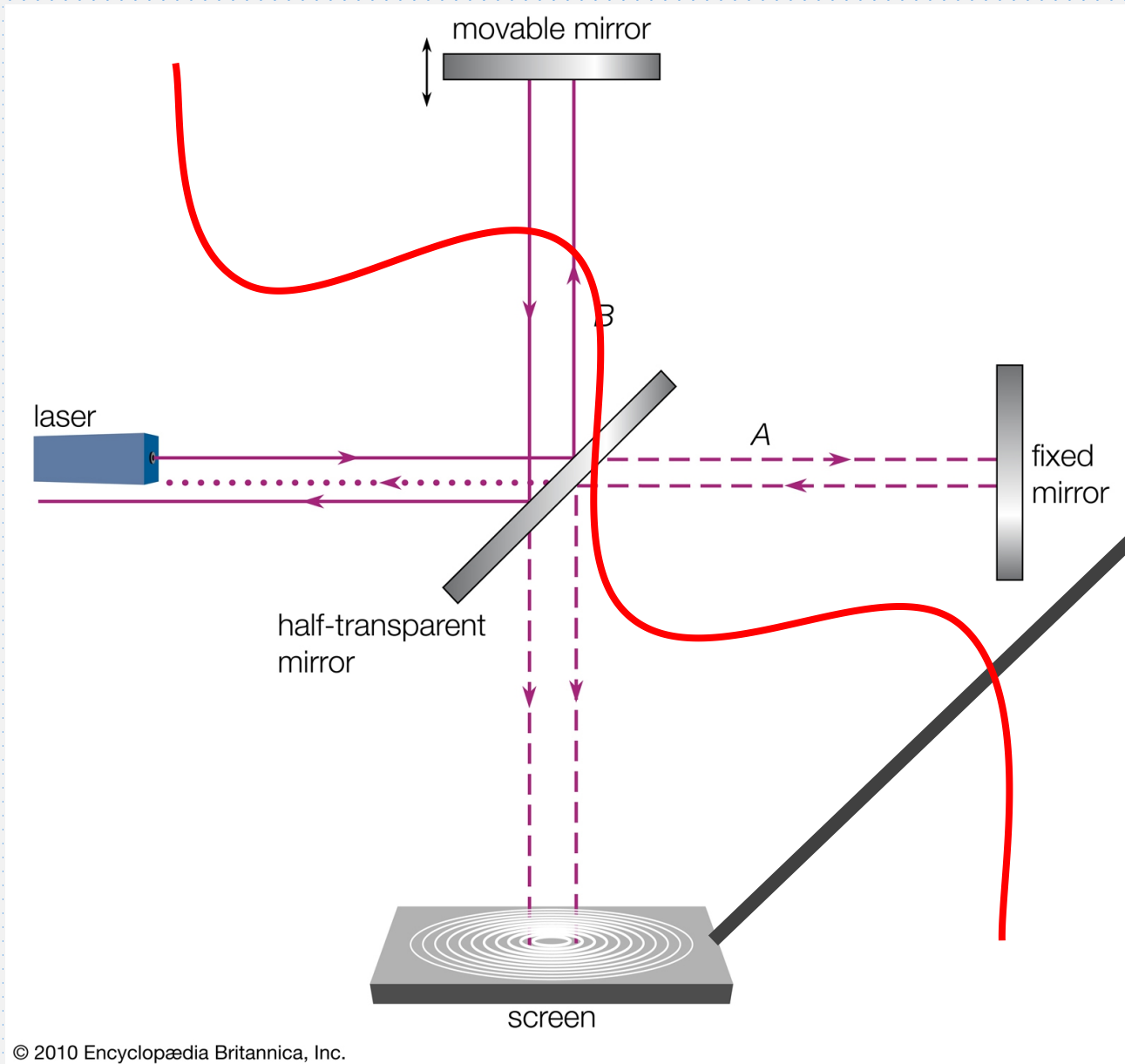
dark electric field

$$E_i \sim m_A A_i$$

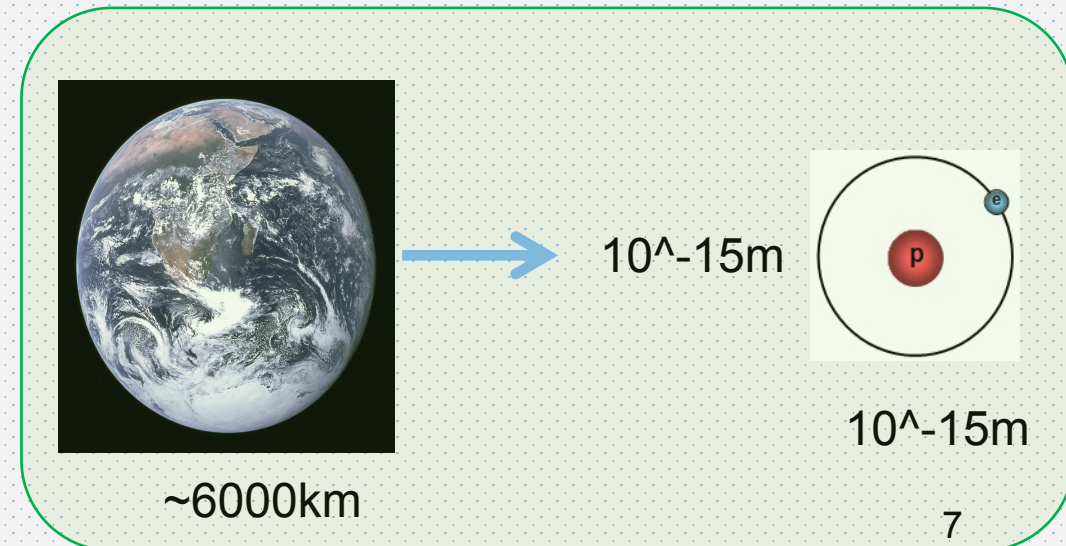
$$B^i \sim m_A v_j A_k \epsilon^{ijk}$$

negligible

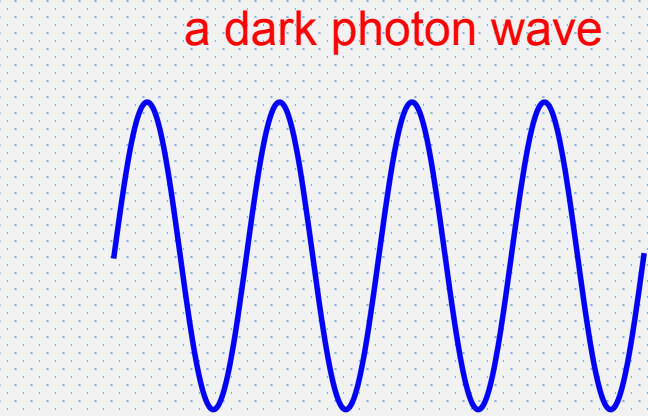
Michelson Interferometer



LIGO and Virgo Collaboration, PRL 116, 061102 (2016)



Dark Photon Signals at LIGO



$$\vec{A}_{n,0} \sin(\omega_n t - \mathbf{k}_n \cdot \mathbf{x} + \phi_n)$$

$$A_0 \frac{1}{\sqrt{N}} \mathbf{e}(\mathbf{A}_n)$$



dark electric field

$$m_A v_n \mathbf{e}(\mathbf{k}_n)$$

random phase



acceleration

coupling

$$\mathbf{a}_i(t, \mathbf{x}_i) \simeq \epsilon e \frac{q_{D,i}}{M_i} \partial_t \mathbf{A}(t, \mathbf{x}_i)$$

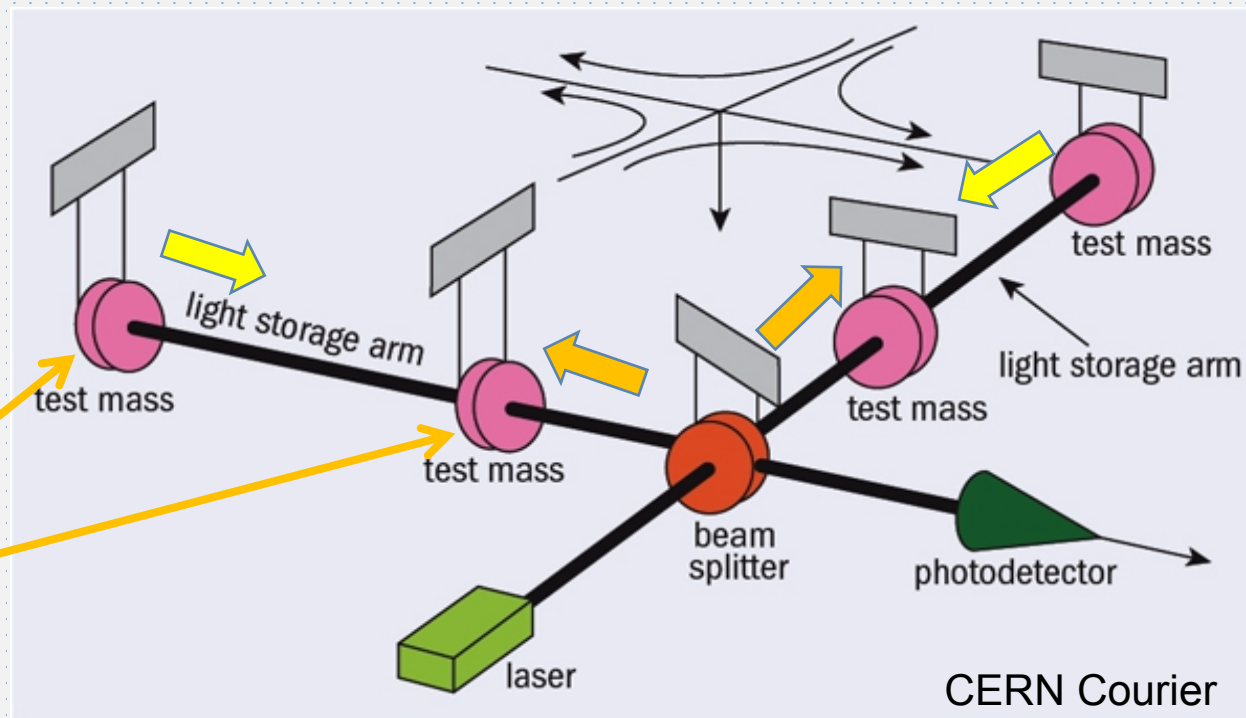
charge mass ratio for test object

silicon mirror

$$U(1)_B: 1/\text{GeV}$$

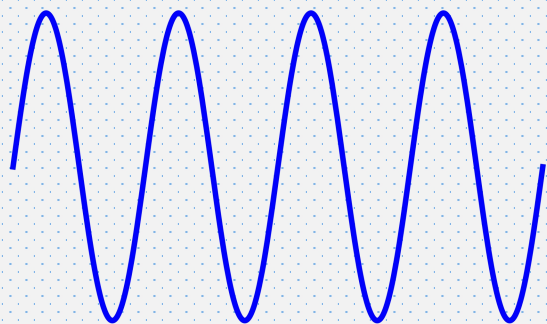
$$U(1)_{B-L}: 1/2\text{GeV}$$

dark electric field



Dark Photon Signals at LIGO

a dark photon wave



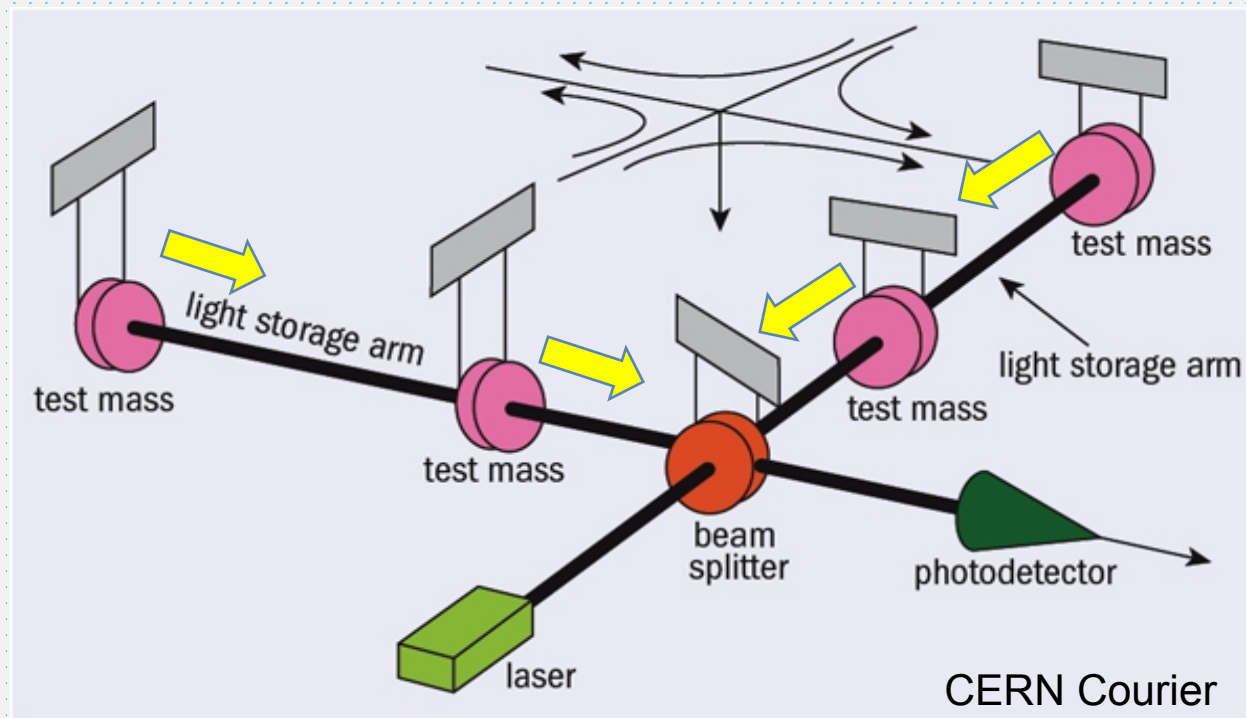
$$\vec{A}_{n,0} \sin(\omega_n t - \mathbf{k}_n \cdot \mathbf{x} + \phi_n)$$

$$A_0 \frac{1}{\sqrt{N}} \mathbf{e}(\mathbf{A}_n)$$

$$m_A v_n \mathbf{e}(\mathbf{k}_n)$$

random phase

dark electric field



Light travel time effect

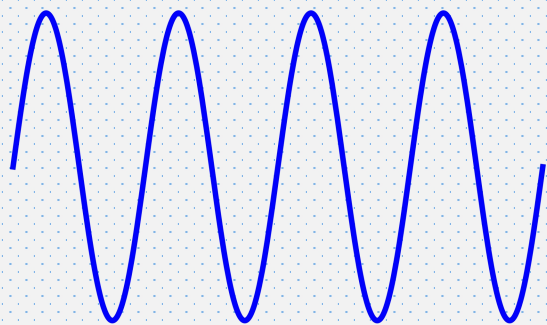
New in O3

(Morisaki, et al Phys. Rev. D 103, L051702)

- Signal exists even when mirrors are in common motion
- Unsuppressed by dark photon velocity

Dark Photon Signals at LIGO

a dark photon wave



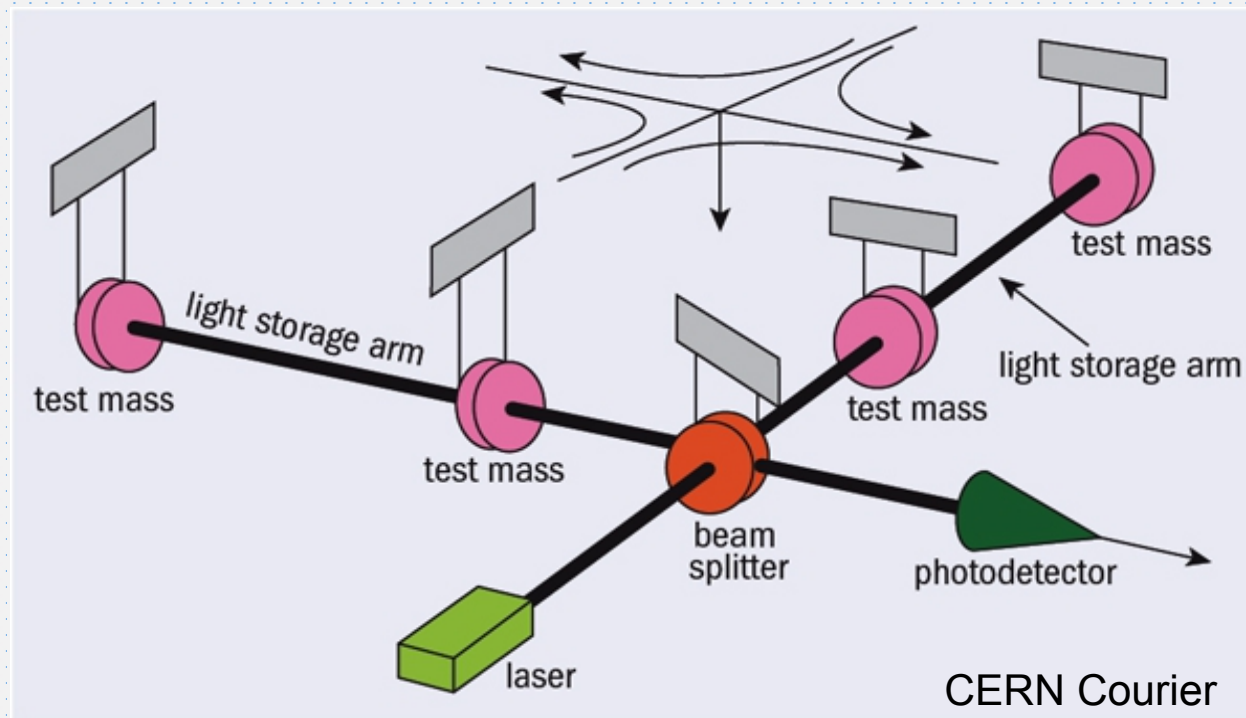
$$\vec{A}_{n,0} \sin(\omega_n t - \mathbf{k}_n \cdot \mathbf{x} + \phi_n)$$

$$A_0 \frac{1}{\sqrt{N}} \mathbf{e}(\mathbf{A}_n)$$

$$m_A v_n \mathbf{e}(\mathbf{k}_n)$$

random phase

dark electric field



CERN Courier

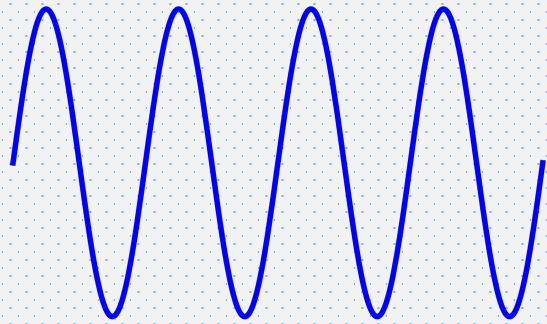
$$\omega_n = m_A \left(1 + \frac{1}{2} v_n^2\right) = 2\pi \times (100\text{Hz}) \approx 4 \times 10^{-13} \text{eV}$$

non-relativistic

mass LIGO is sensitive to

Dark Photon Signals at LIGO

a population



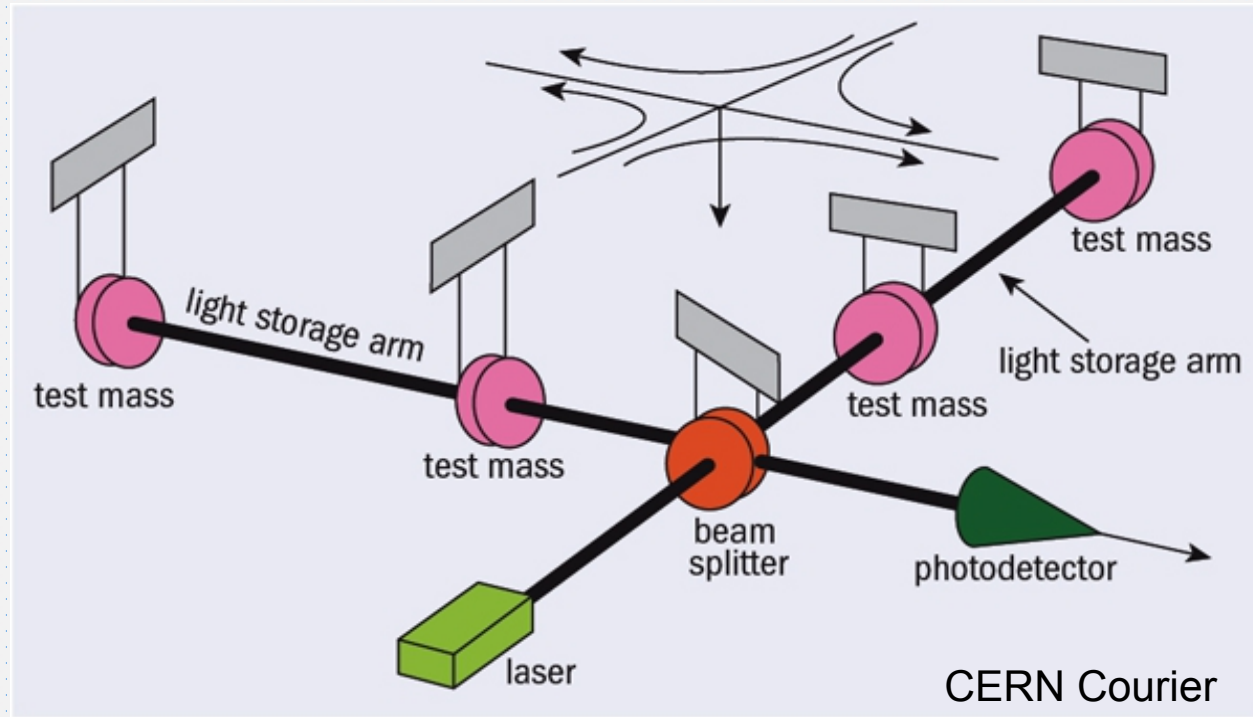
$$\vec{A}_{n,0} \sin(\omega_n t - \mathbf{k}_n \cdot \mathbf{x} + \phi_n)$$

$$A_0 \frac{1}{\sqrt{N}} \mathbf{e}(\mathbf{A}_n)$$

$$m_A v_n \mathbf{e}(\mathbf{k}_n)$$

random phase

dark electric field



- Maxwell distribution $v_0 \sim \mathcal{O}(10^{-3})$
- polarization: isotropic (Galaxy frame)

$$\Delta f / f = 10^{-6}$$

very narrow band \longrightarrow Fourier analysis

Cross-Correlation

Benefits:

- Significantly reduce noise
- Larger SNR for longer observation time

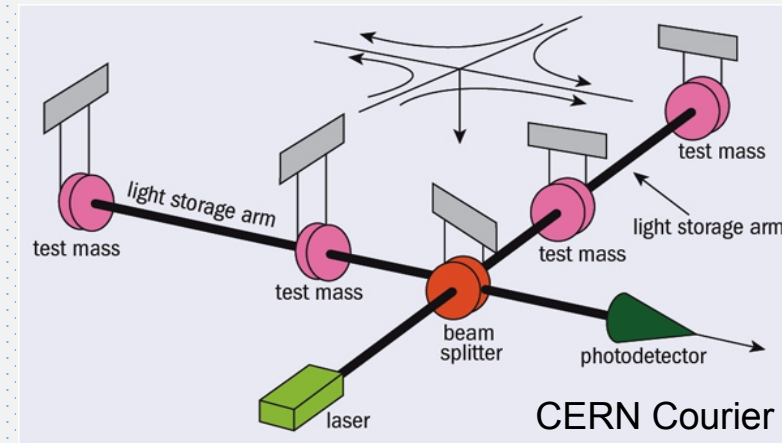
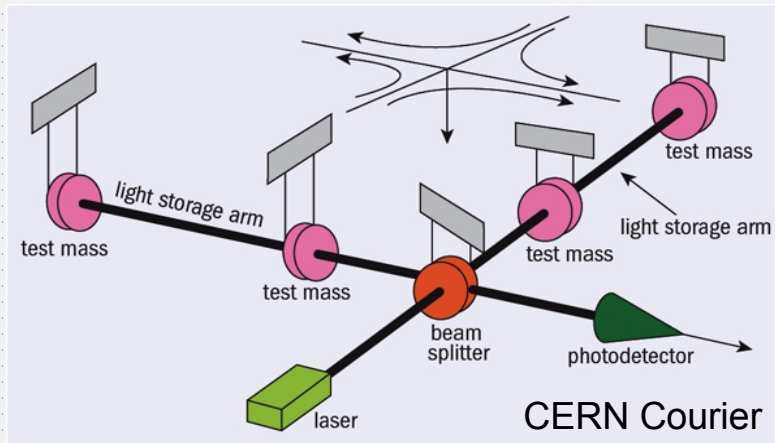
Signal is similar to stochastic GWs

Overlap reduction:

$$\gamma(f) = \frac{\langle \Delta L_1 \Delta L_2 \rangle}{\langle \Delta L_1^2 \rangle}$$

Livingston - Hanford
 $\gamma \sim -0.9$
very good coincidence

dark photon field value



Method 1: Cross-Correlation

- Signal is approximately a peak in frequency space
- Data analyzed using short-time Fourier transforms (SFTs)

$$N_{SFT} = T_{\text{obs}}/T_{SFT}, \text{ where } T_{SFT} = 1800s$$

- Signal:

$$S_j = \frac{1}{N_{SFT}} \sum_{i=1}^{N_{SFT}} \Re \left\{ \frac{z_{1,ij} z_{2,ij}^*}{P_{1,ij} P_{2,ij}} \right\}$$

complex SFT coefficient for SFT i and frequency bin j and interferometer 1, 2

The signal is correlated!

the noise power

- Noise:

$$\sigma_j^2 = \frac{1}{N_{SFT}} \left\langle \frac{1}{2P_{1,j}P_{2,j}} \right\rangle_{N_{SFT}}$$

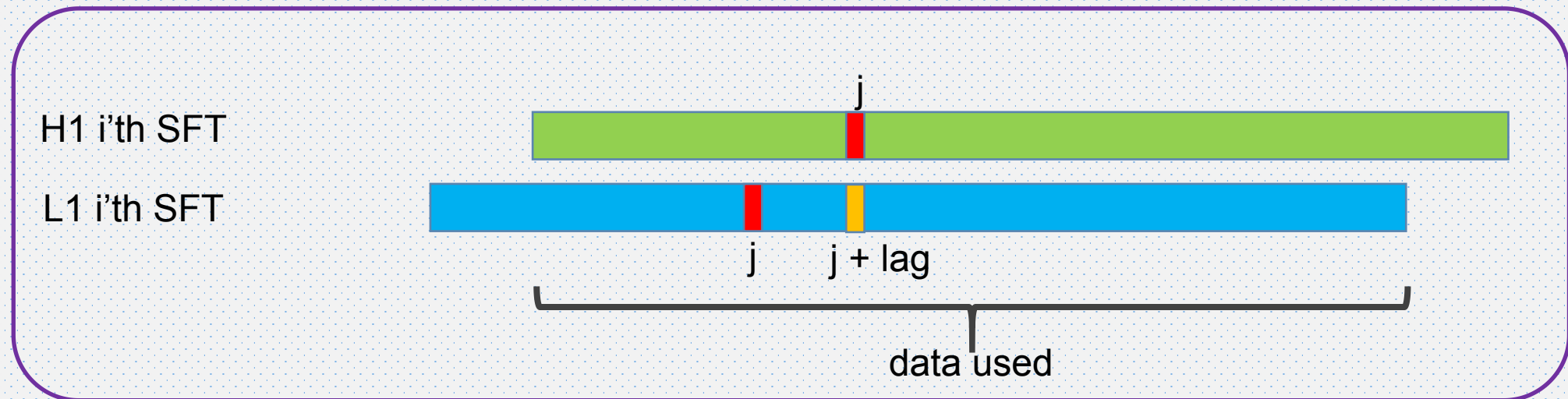
(background might not be ideally Gaussian)

$$\text{SNR} \equiv \frac{S_j}{\sigma_j}$$

Method 1: Background Estimation

Background is estimated using frequency offset (lags) when calculating cross-correlation statistics. Ideally, the SNR from the background should follow a Gaussian distribution with **mean=0** and **variance = 1**.

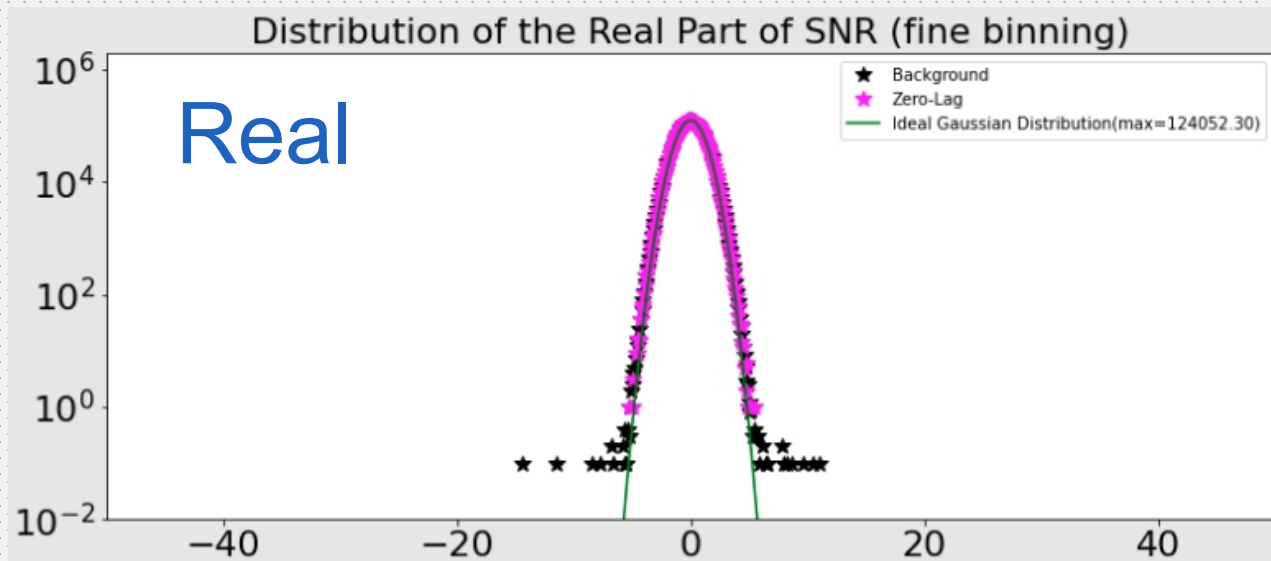
1 pair of SFTs with offset of amount "lag"



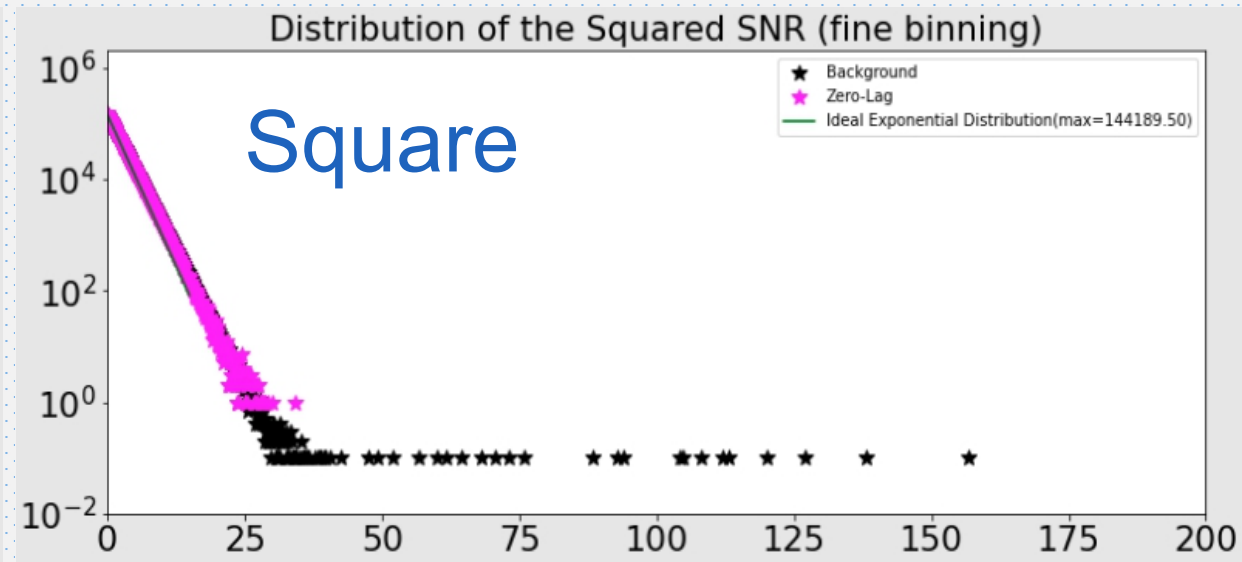
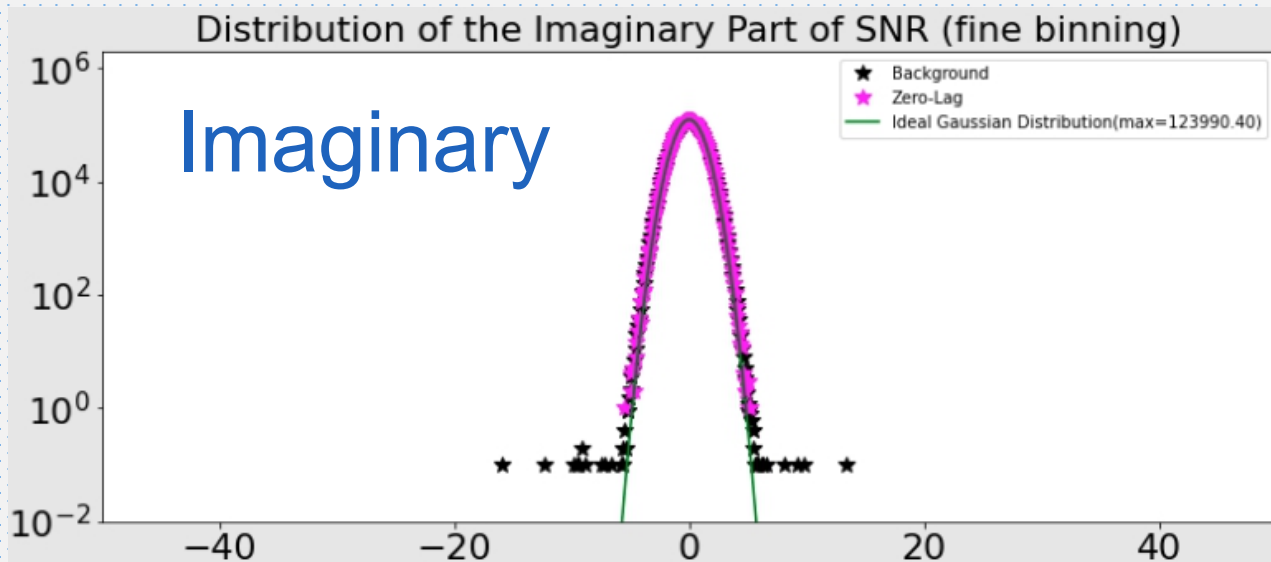
10 lag choices: (-50, -40, -30, -20, -10, 10, 20, 30, 40, 50)
(bin size = 1/1800 Hz = 0.556 mHz)

Also veto the marked lines and combs provided by the CW group.

Method 1: O3 Search Summary



Similar to Fig.3 in O1 paper.



Method 1: O3 Search Summary

A total of 21 are found with SNR larger than 5, **but no interesting candidates for DPDM.**

- 11 are due to loud artifacts from one detector (inspecting the single detector PSD)
- 6 have elevated noise (with real or imaginary SNR exceeding 4 in magnitude for background)
For 1800s SFT, 0.2 Hz control band, real and imaginary SNR, there are a total of 7200 measurements.
Expect less than 1 event with real or imaginary SNR greater than 3.8.
Existence of backgrounds with real or imaginary SNR greater than 3.8 suggests **non-Gaussian artifacts.**
- 4 remaining are consistent with Gaussian expectation

frequency (Hz)	SNR	SNR(Bkg)	
483.872	$0.53+5.03i$	Re: [-3.62, 3.62]	Im: [-3.52, 3.51]
853.389	$-0.18+5.02i$	Re: [-3.85, 3.85]	Im: [-3.55, 3.90]
1139.590	$-5.21+0.67i$	Re: [-3.54, 3.39]	Im: [-3.61, 3.58]
1686.598	$5.01+1.63i$	Re: [-3.50, 3.70]	Im: [-3.65, 3.89]

Method 2: Excess Power

- BSD (banded sampled data) excess power method

Optimized Fourier Transform coherence time

Signal power is confined to one frequency bin

New in O3

- Time/frequency map in 10-Hz bands over all of O3

Projected to frequency axis

- Candidates selection

On average one coincident candidate per 1Hz band in Gaussian noise.

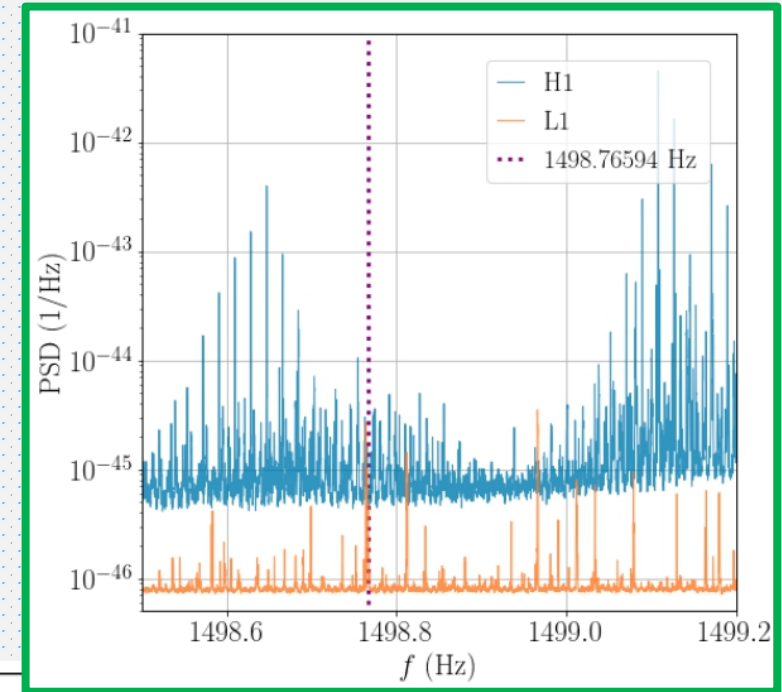
$$CR = \frac{y - \mu}{\sigma}$$

- Coincidence check

Vetoed if $CR < 5$ and if they are farther than 1 frequency bin from each other.

Method 2: Outliers

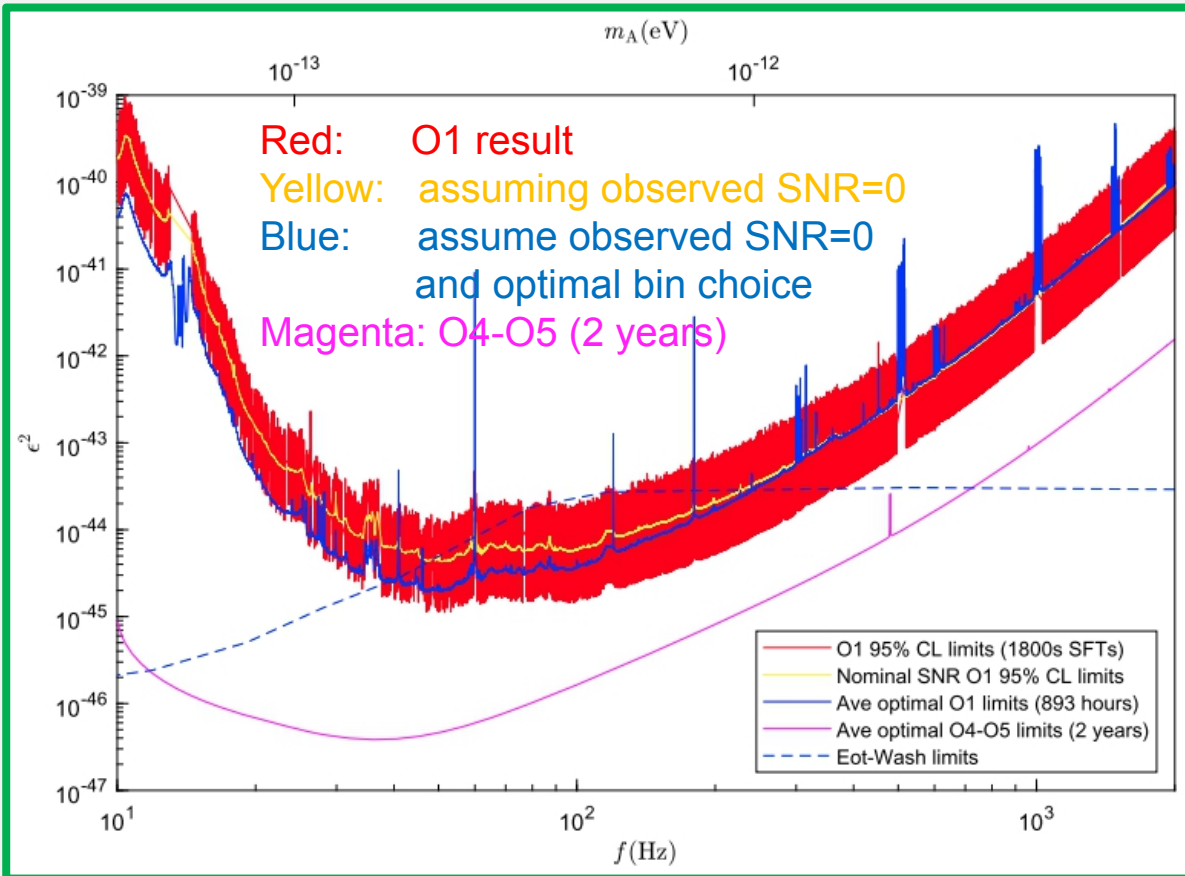
Outliers (all vetoed, none exists for triple coincidence)



frequency (Hz)	average CR	T_{FFT} (s)	baseline	source
15.9000	5.29	44762	HL	unknown line in L
17.8000	28.93	44762	LV	unidentified line in L (17.8 Hz)
36.2000	8.90	22382	HV	unidentified line in H (36.2 Hz)
599.324	12.38	1492	HV	peakmap artifact; no significant candidate in L
599.325	12.33	1492	HV	peakmap artifact; no significant candidate in L
1478.75	6.47	604	HL	noisy spectra in H
1496.26	7.12	596	HL	noisy violin resonance regions
1498.77	8.73	596	HL	noisy violin resonance regions
1799.63	7.40	498	HV	unidentified line in H (1799.63904 Hz)
1936.88	7.96	462	HL	noisy violin resonance regions
1982.91	6.34	450	HL	noisy violin resonance regions

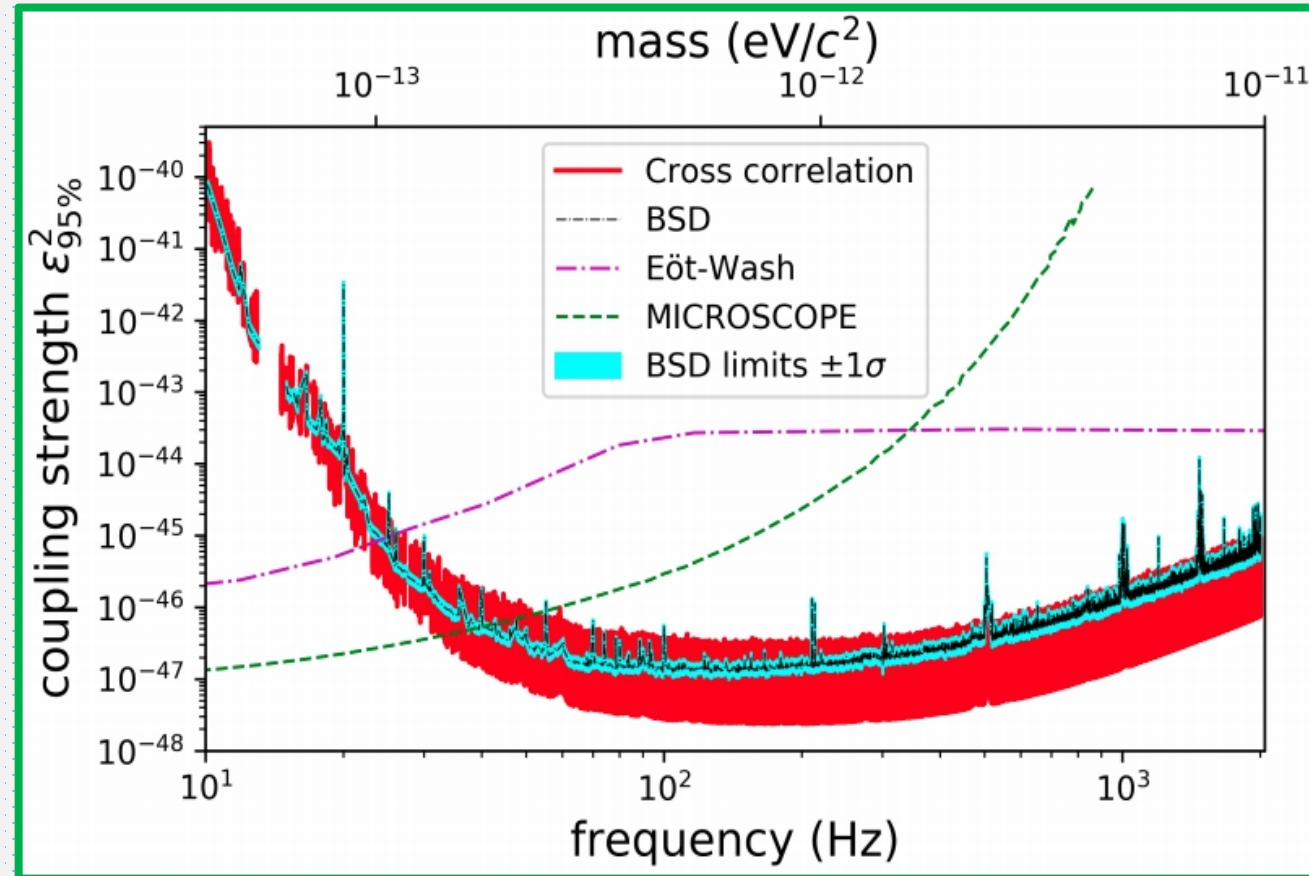
example

O1 Result



(Nature) Commun.Phys. 2 (2019) 155, [H.G](#), Riles, Yang, Zhao

O3 Result



arxiv:astro-ph.CO/2105.13085, LVK Collaboration Paper

New in O3 search:

1. Another search performed by the continuous wave group with a different method
2. An improvement factor included from finite light travel time (PRD.103.L051702, Morisaki, et al)

Summary

- GW experiments can be extended to search for dark matter
GW detector as a dark matter direct detection experiment
- O1 data has already beaten existing experimental constraints
- O3 data gives much better result
Possibly achieve 5-sigma discovery at unexplored parameter regimes

Thanks!