

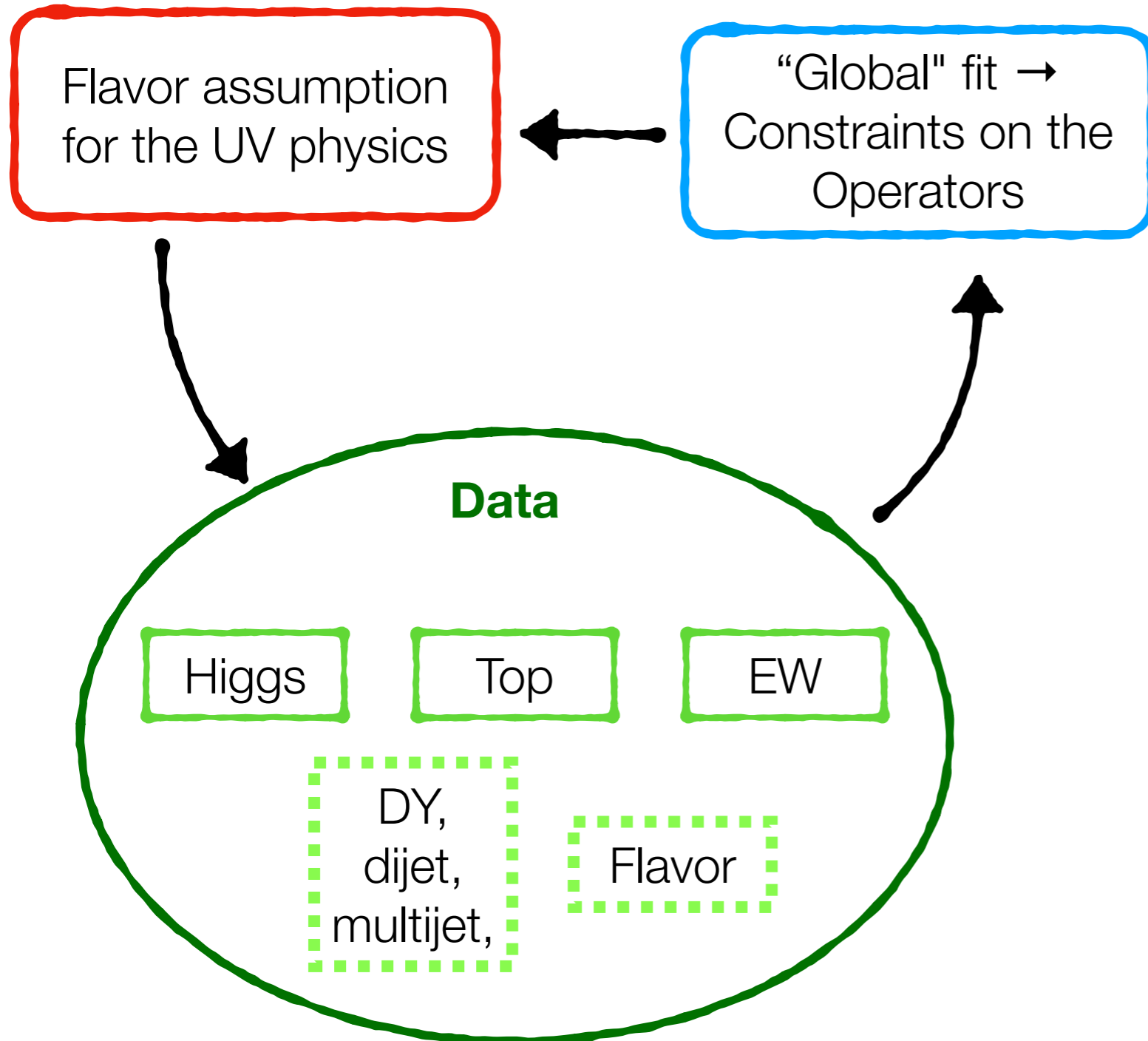
Considerations on the Flavor assumptions proposal by the LHC EFT WG

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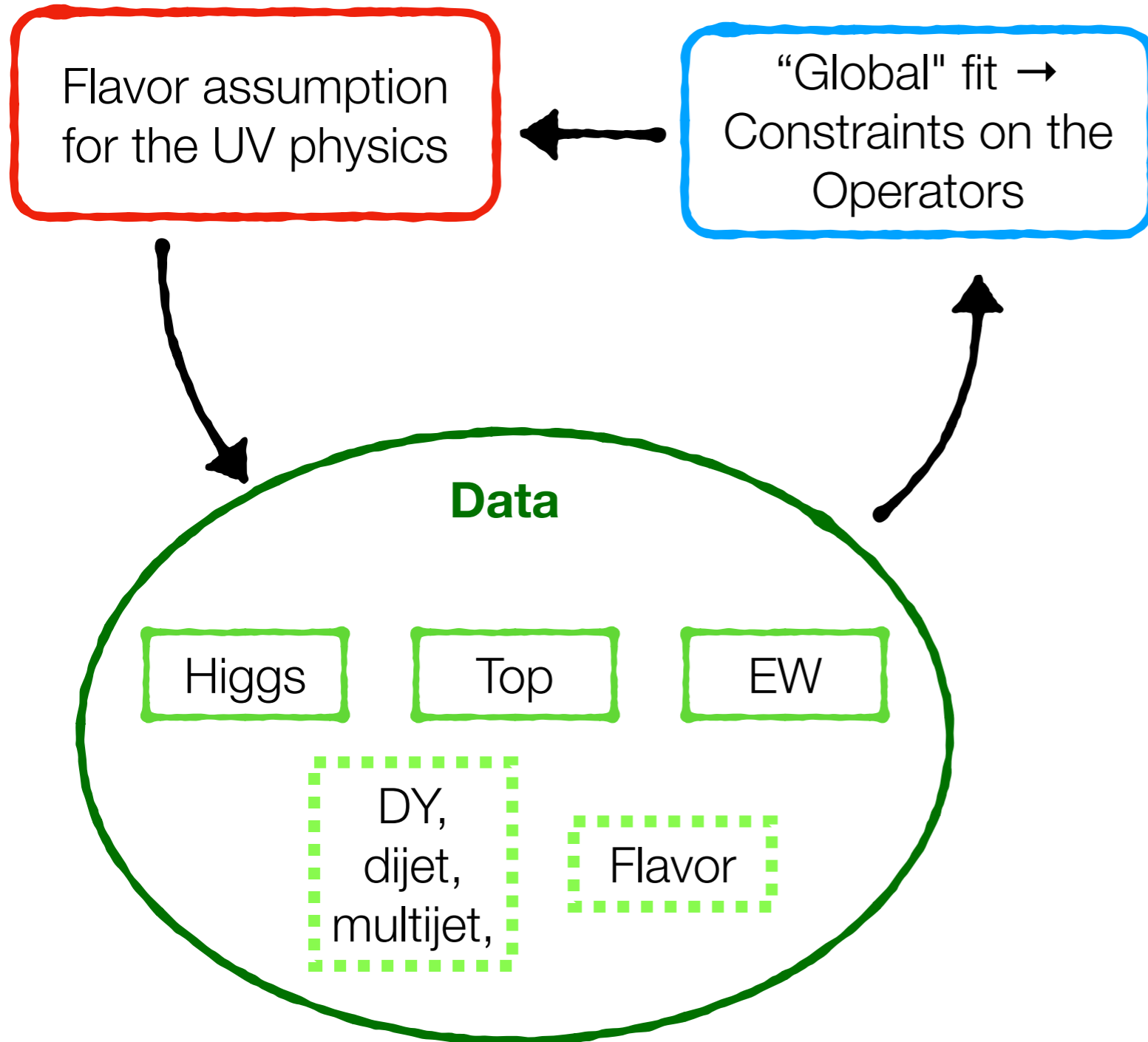
Flavor assumptions: a top-down approach

Start



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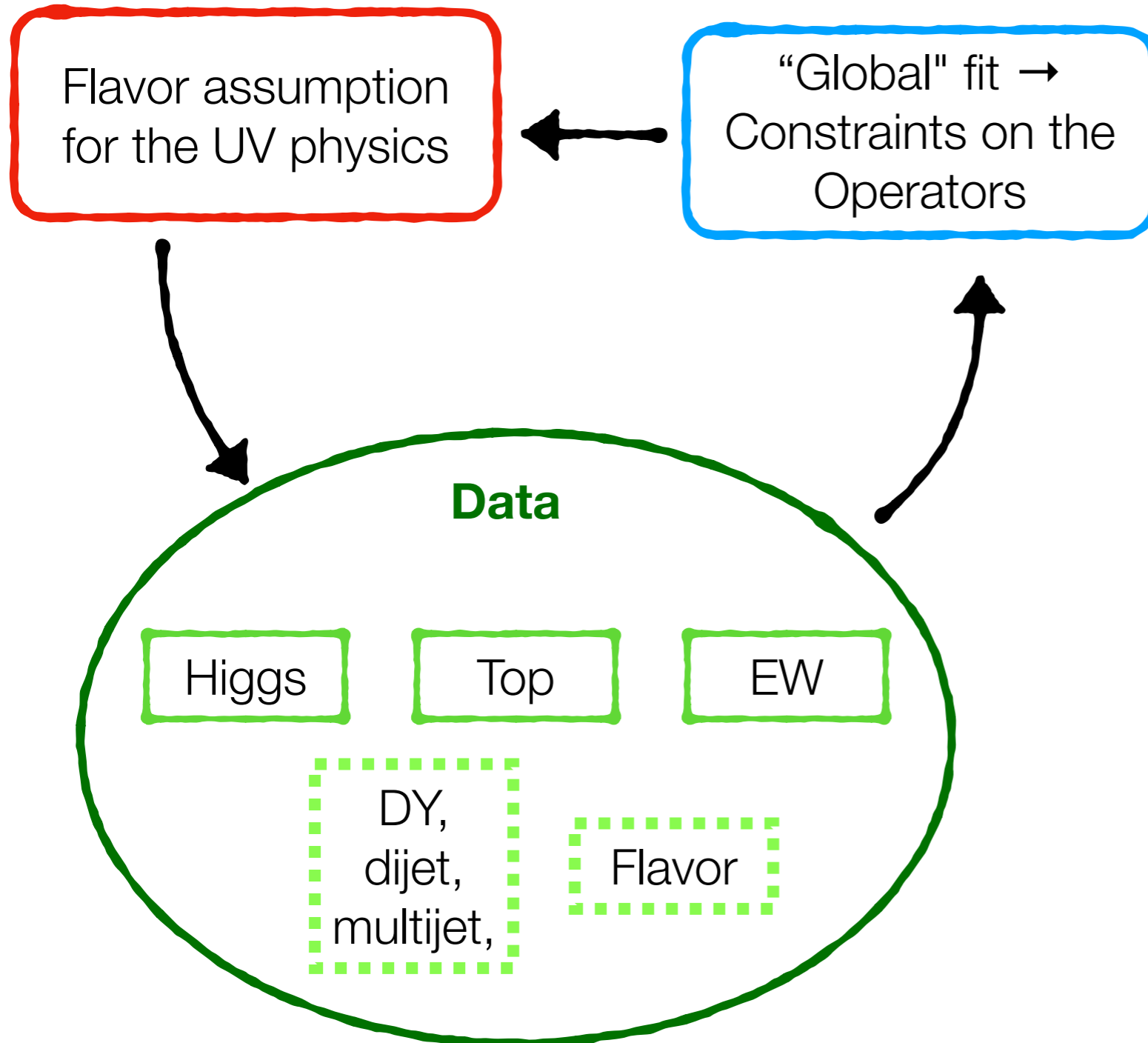


PROS

- Limit the Nr. of operators, globally
- Optimise the sensitivity on the specific theories that satisfy the assumptions

Flavor assumptions: a top-down approach

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- Optimise the sensitivity on the specific theories that satisfy the assumptions

CONS

- Need to choose (and stick to) a specific flavor assumption
- Realistically, only a few simple choices can be implemented

We don't know what New Physics will look like

- It will not be possible to generalise the assumption at a later time

Alternative: bottom-up

Each process in each of these classes typically receives relevant contributions from **a few dim-6 operators**

1. Assume $M_{\text{NP}} \gtrsim 1 \text{ TeV}$ (i.e. **assume EFT is valid**, neglect dim-8 operators)
2. For each process **include** contributions from **ALL RELEVANT operators** (e.g. operators that give a measurable contribution assuming a large but reasonable coefficient, like $C \sim (4\pi)/M_{\text{NP}}^2$, or coefficient as big as allowed by other data — flavor, LEP, etc..)
3. Given the data of that process, one obtains a likelihood for the coefficients contributing:

$$\mathcal{L}_p(C_i)$$

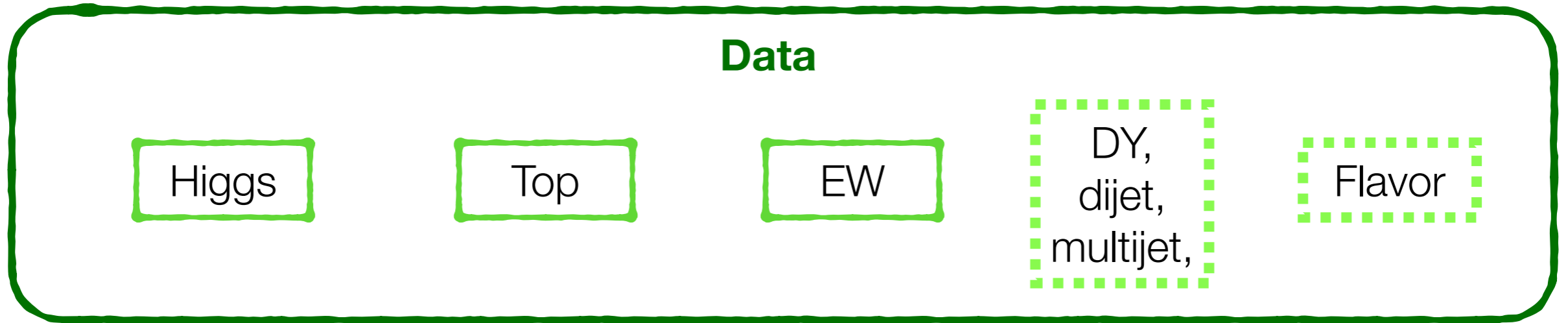
4. Combine all the likelihoods from all Higgs, EW, Top (etc.) processes

$$\mathcal{L}_{\text{SM+EFT}}(C_i) = \prod_{P \in \left\{ \begin{array}{l} \text{Higgs, Top, EW} \\ \text{High-PT, flavor} \end{array} \right\}} \mathcal{L}_p(C_i)$$

UV assumptions can then be implemented (and changed) **a posteriori** to check specific scenarios.

Alternative: bottom-up

Start



Likelihoods from each process are combined into classes of processes

$$\mathcal{L}_{\text{Higgs}} \quad \mathcal{L}_{\text{Top}} \quad \mathcal{L}_{Z \rightarrow \tau\tau} \quad \mathcal{L}_{W \rightarrow \tau\tau} \quad \mathcal{L}_{\text{TGC}} \quad \mathcal{L}_{\text{DY}} \dots$$



Which are then combined into a global likelihood

$$\mathcal{L}_{\text{SM\&FT}}(C_i) = \prod_{P \in \left\{ \begin{array}{l} \text{Higgs, Top, EW} \\ \text{High-PT, flavor} \end{array} \right\}} \mathcal{L}_P(C_i)$$

Doable?

Why not?

It has **already been done** (with different approaches) for a large class of flavour + Z-pole observables by the *Flavio* + *Wilson* + *Smelli* and *HEP-fit* projects

de Blas et al. 1910.14012; Aebischer, Kumar, Stangl, Straub 1810.08132, 1804.05033, 1810.07698 <https://flav-io.github.io/>

Flavio

Featured processes

- ✓ B^0, B_s, K^0 , and D^0 mixing
- ✓ Rare inclusive and exclusive B decays
- ✓ Semi-leptonic B, D , and K decays
- ✓ Lepton flavour violating τ and μ decays
- ✓ Z pole electroweak precision tests
- ✓ Lepton anomalous magnetic moments
- ✓ Paramagnetic and neutron electric dipole moments

The extra effort that might be needed to set-up such an approach will be compensated by the greater generality and usefulness of the result.