



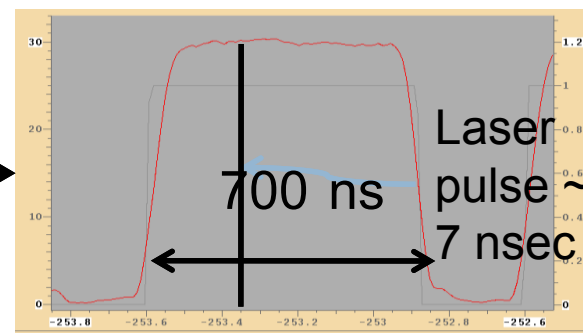
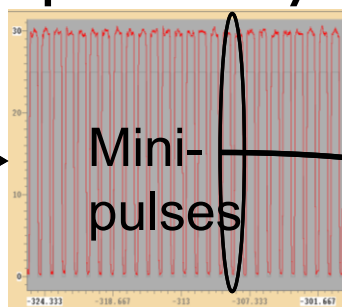
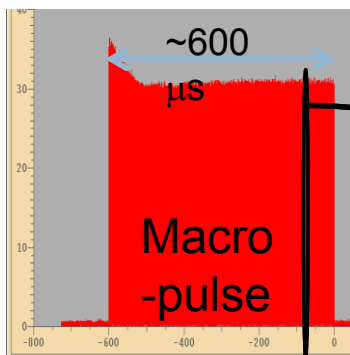
# Intra-Beam stripping at SPL: should we be worried?

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# How it started...

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- SNS experienced uniform losses all along the Super Conducting part
- The residual radiation is about 30mrem/h at 30cm
- They calibrated the losses with laser wire profile system giving:  $\leq 10^{-4}$  loss



# First attempts to understand the problem



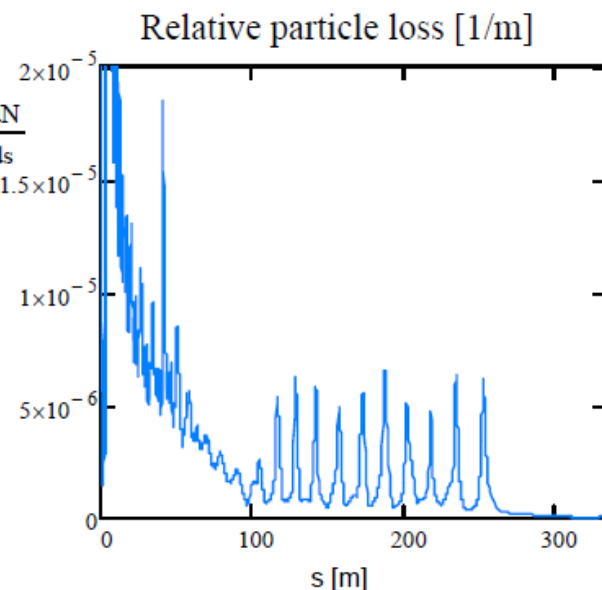
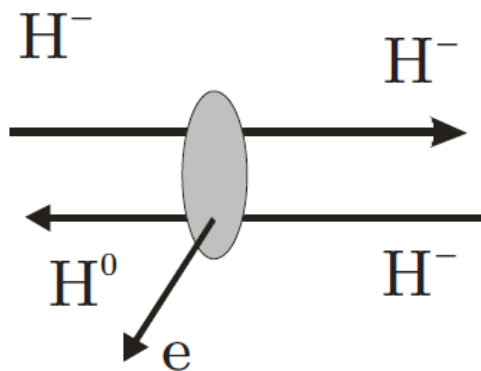
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- Scraping at low energy:
  - ▣ lower localized losses but still a uniform pattern along the linac
- Longitudinal emittance measurements:
  - ▣ found some longitudinal halo partially mitigated with a linac retuning. The simulations didn't predict it...
- High order magnetic components in the quads equipped with steerers not taken into account for the linac design:
  - ▣ sextupole: since it is proportional to the corrector current (normally very low) it is an issue only for very mismatched beams
  - ▣ dodecapole: they may excite a high order resonance at 60 degs (the design phase advance is around this value for all the linac length). Reducing the focalization helps reducing the pile-up loss component, but not the baseline.

# Discovering the truth

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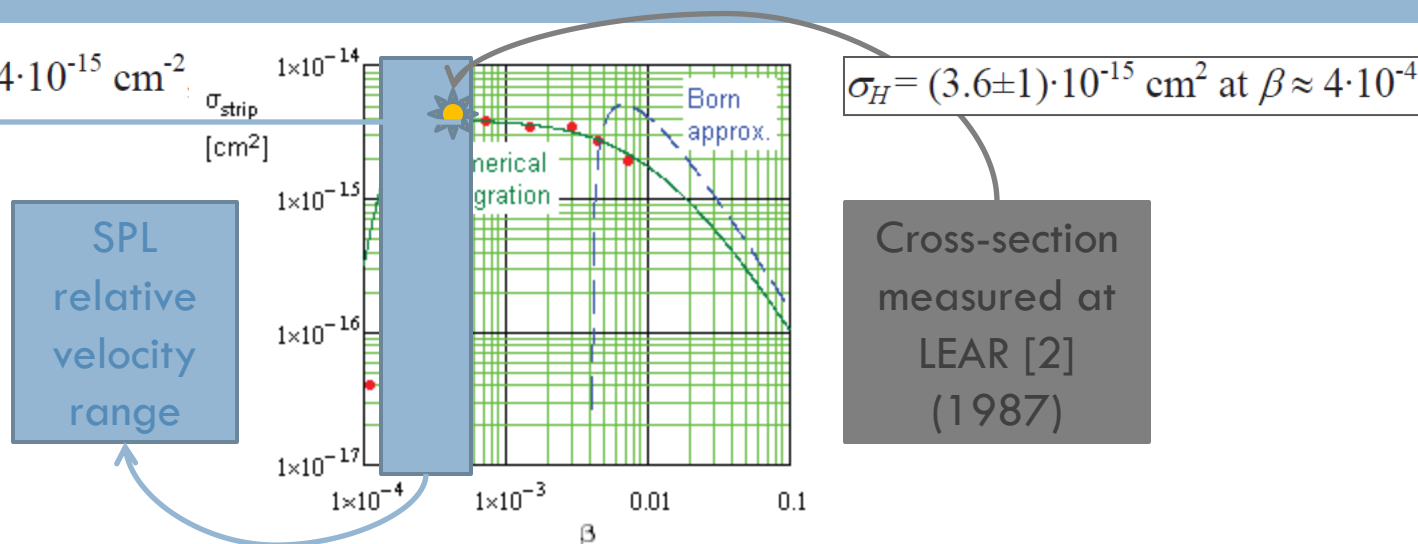
- After a lot of work they managed to reduce the losses down to  $10^{-5}$
- Not an issue anymore in terms of power loss for SPL, but still an unsolved problem
- V. Lebedev had the idea of the Intra Beam Stripping and applied first to SNS and then to the ProjectX design



# Intra-Beam stripping cross section [1]

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$$\sigma_{max} = \max(\sigma_H(v)) \approx 4 \cdot 10^{-15} \text{ cm}^2$$



Semi-empirical formula:

$$\sigma_H(\beta c) = \frac{240 \alpha_{FS}^2 a_0^2 (\beta - \beta_m)^6}{(\beta + \alpha_{FS})^2 (\beta - \beta_m)^6 + \beta_m^6} \ln \left( 1.79 \frac{\beta + \alpha_{FS}}{\alpha_{FS}} \right)$$

with:

$$a_0 \approx 0.529 \cdot 10^{-8} \text{ cm Bohr radius}$$

$$\beta = v/c \text{ Ion relative velocity}$$

$$\alpha_{FS} \approx 1/137 \text{ Fine structure constant}$$

$$\beta_m \approx 7.5 \cdot 10^{-5} \text{ Minimum } \beta$$

# Fractional Loss [1]

Particle loss rate in the beam frame:

$$\frac{dN}{dt} = \frac{N^2}{2} \int |\mathbf{u}| \sigma_H(|\mathbf{u}|) f(\mathbf{v}_1, \mathbf{r}_1) f(\mathbf{v}_2, \mathbf{r}_2) \delta(\mathbf{r}_1 - \mathbf{r}_2) d\Gamma_1 d\Gamma_2$$

1/2 factor to remove the double counting

where  $d\Gamma_{1,2} = d\mathbf{v}_{1,2}^3 d\mathbf{r}_{1,2}^3$ ,  $\mathbf{u} = \mathbf{v}_1 - \mathbf{v}_2$

Evaluating the velocity distribution for each r

For a Gaussian distribution:

$$\frac{dN}{dt} = N^2 \int_{-\infty}^{\infty} \frac{|\mathbf{u}| \sigma_H(|\mathbf{u}|) e^{-\frac{u_x^2}{4\sigma_{vx}^2} - \frac{u_y^2}{4\sigma_{vy}^2} - \frac{u_z^2}{4\sigma_{vz}^2}}}{128\pi^3 \sigma_x \sigma_y \sigma_z \sigma_{vx} \sigma_{vy} \sigma_{vz}} du^3$$

Cross section independent of the velocity

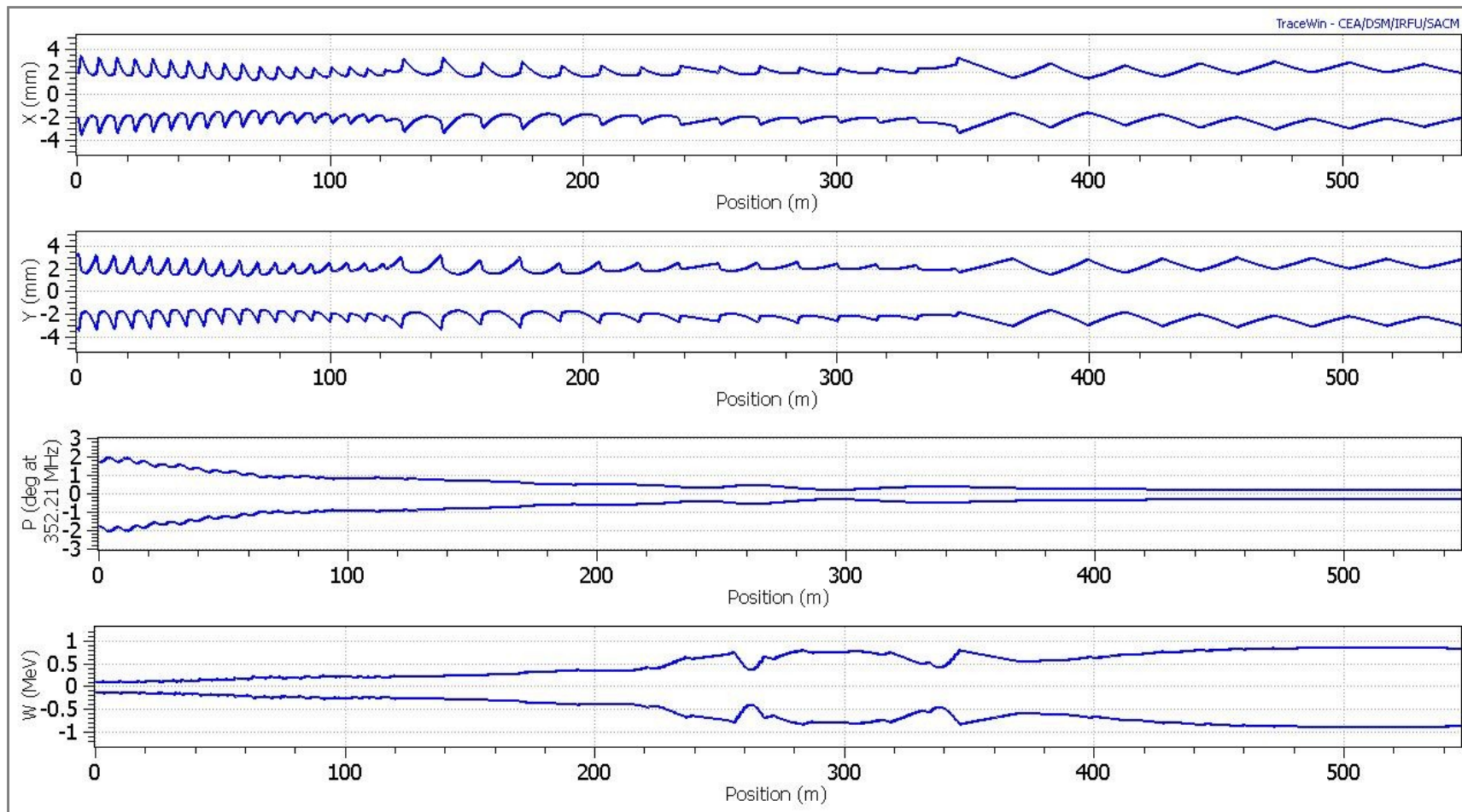
F is a form factor which is =2/√3 (max) when all 3 velocity spreads are equal

Which becomes in the lab frame:

$$\frac{1}{N} \frac{dN}{ds} = \frac{N \sigma_{\max} \sqrt{\gamma^2 \theta_x^2 + \gamma^2 \theta_y^2 + \theta_s^2}}{8\pi^2 \sigma_x \sigma_y \sigma_s \gamma^2} F(\gamma\theta_x, \gamma\theta_y, \theta_s)$$

# Envelopes

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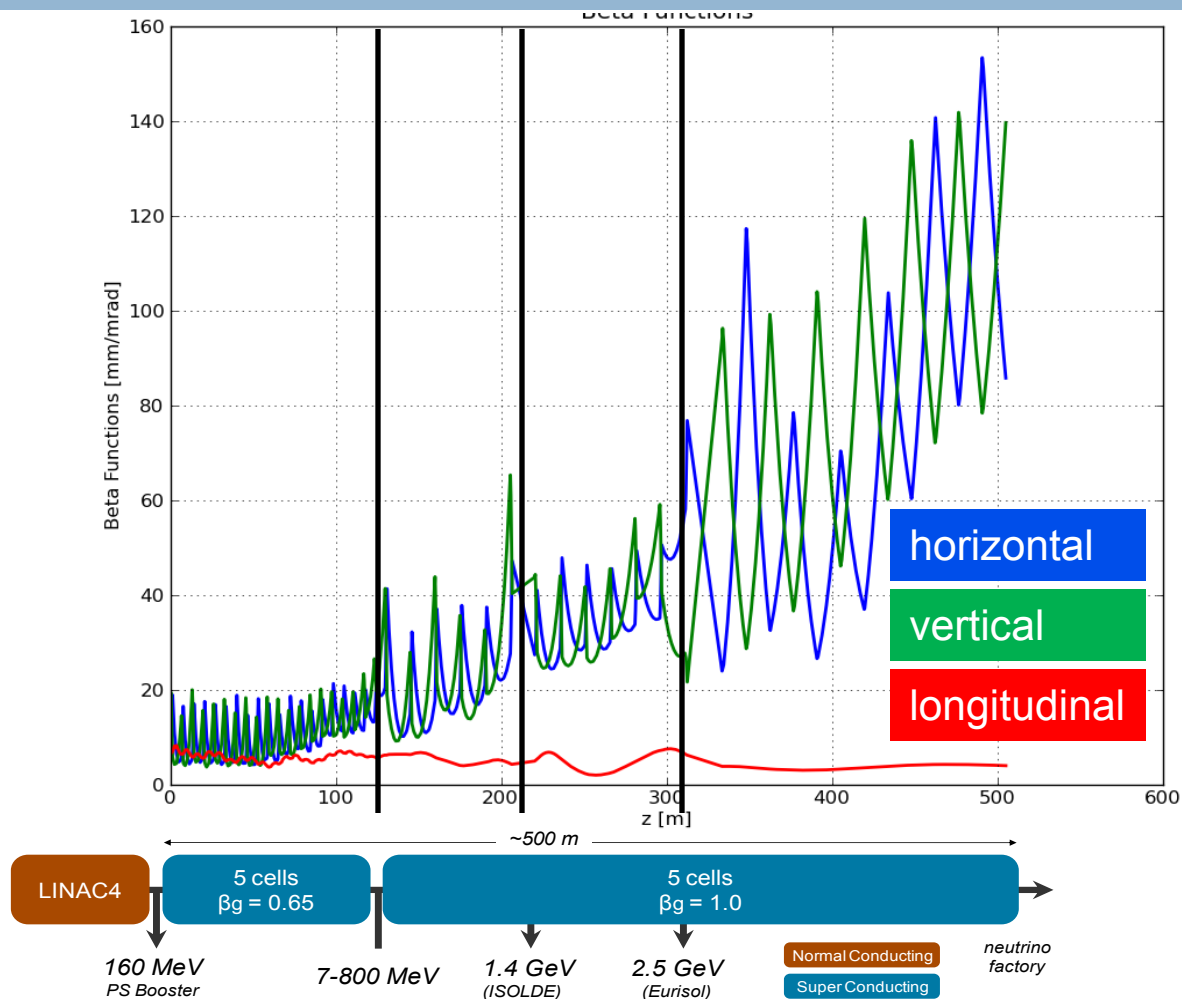
# SPL main parameters

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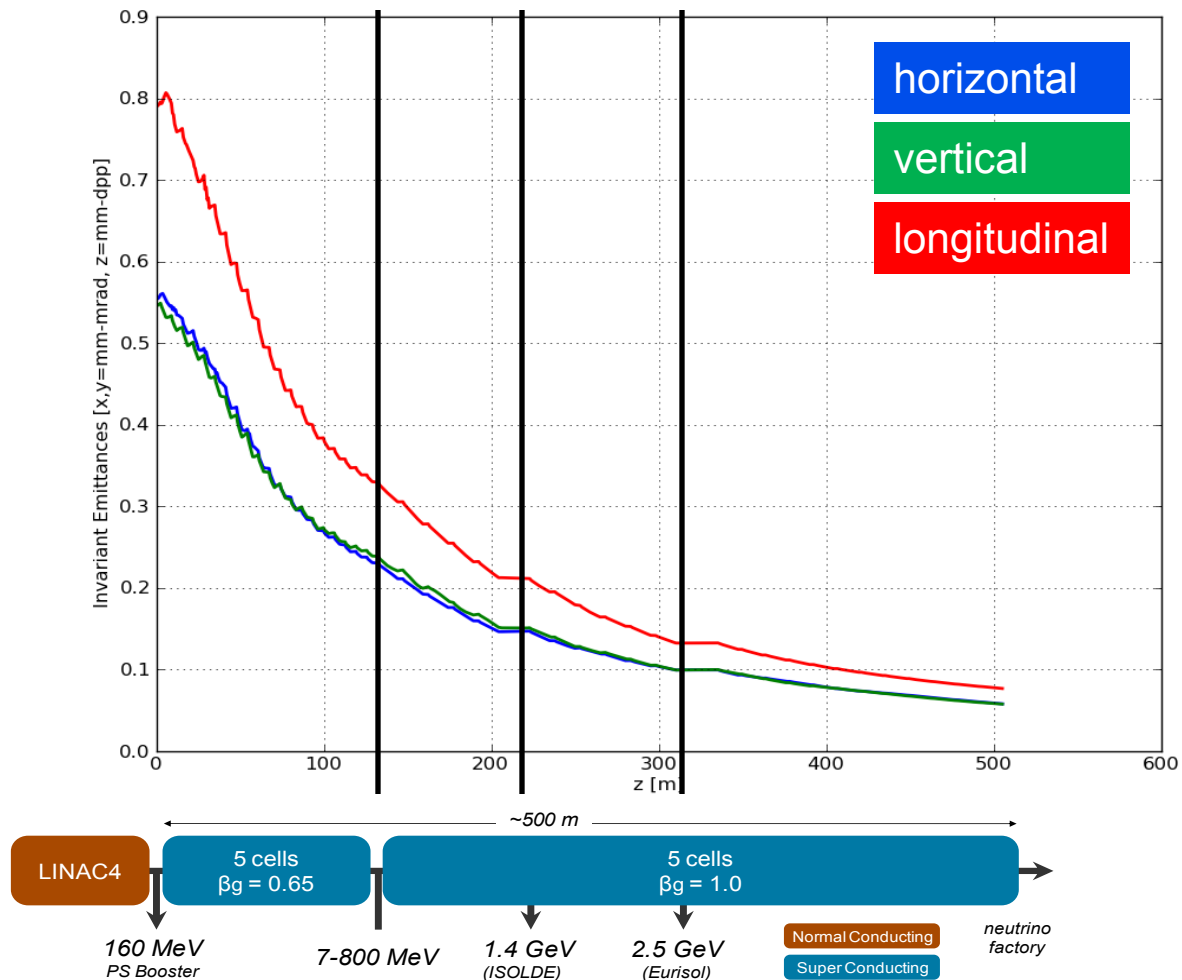
Parameter	Unit	Low Current	High Current
Energy	[GeV]	5	
Beam power	[MW]	4	
Rep. rate	[Hz]	50	
Av. pulse current	[mA]	20	40
Peak pulse current	[mA]	32	64
Source current	[mA]	40	80
Chopping ratio	[%]	62	
Beam pulse length	[ms]	0.8	0.4
Protons per pulse		$10^{14}$	
Beam duty cycle	[%]	4	2
Length	[m]	~500	



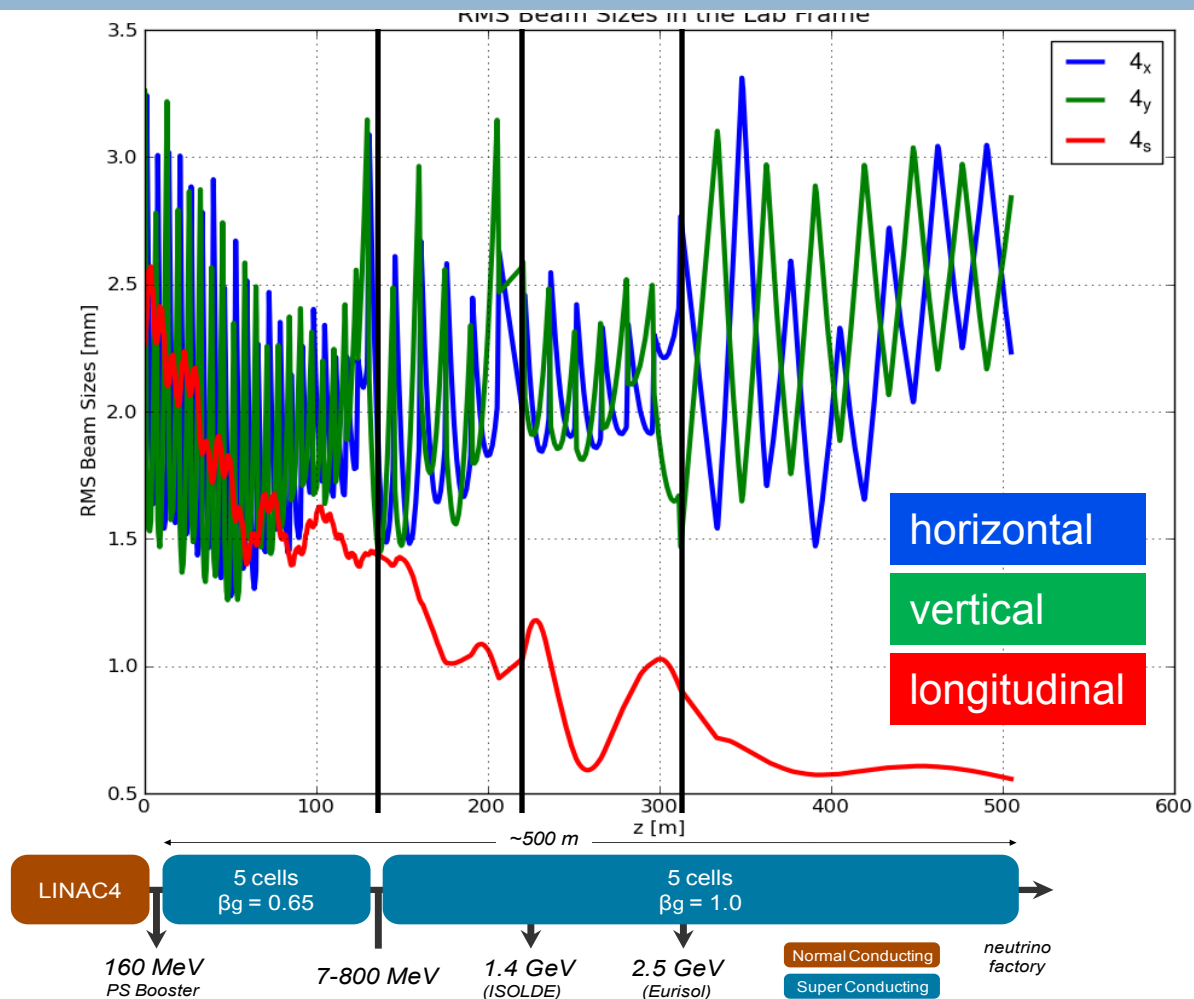
# Beta Functions along SPL



# Un-normalized emittances



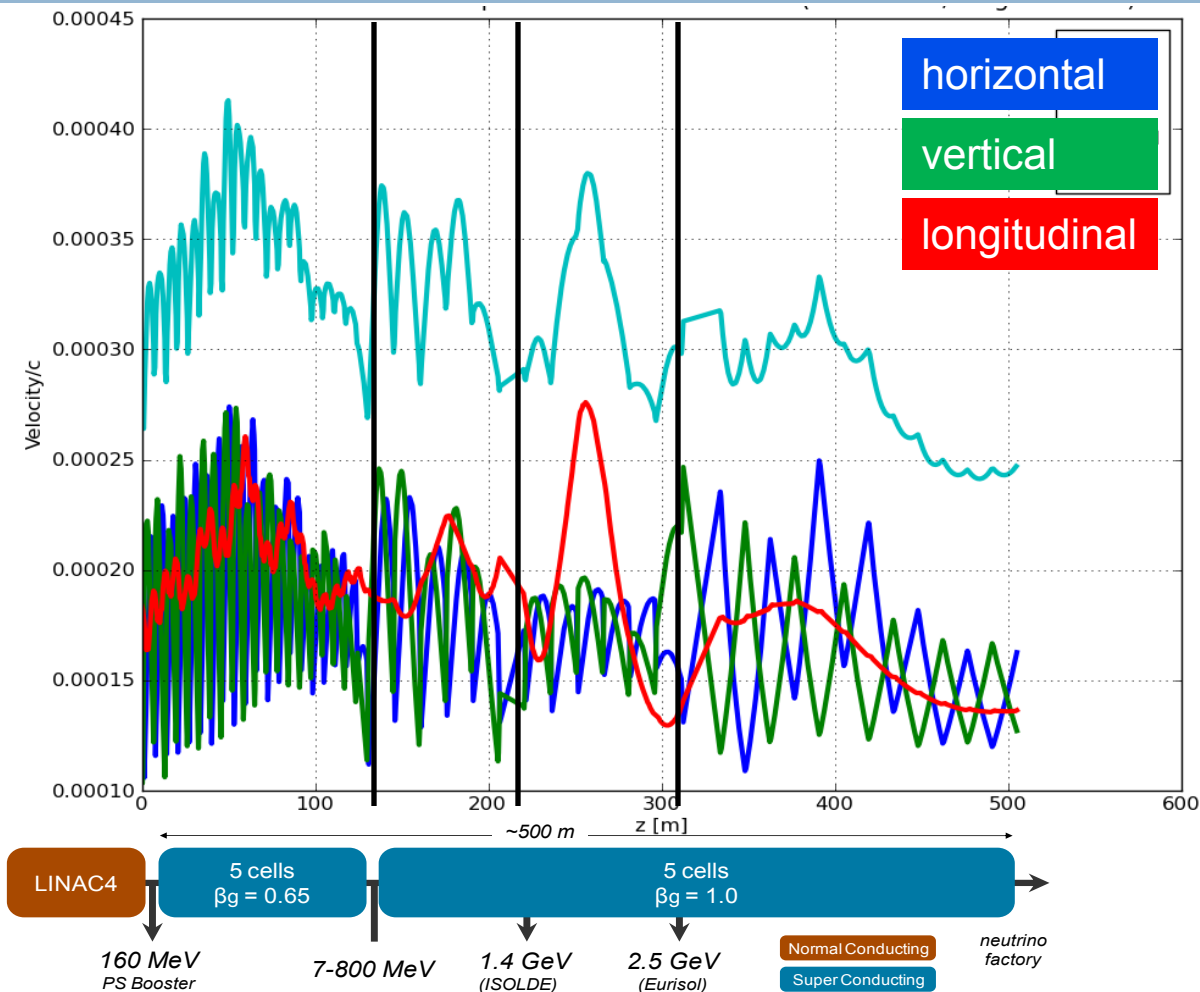
# RMS Beam Sizes



# Velocity distributions (beam frame)



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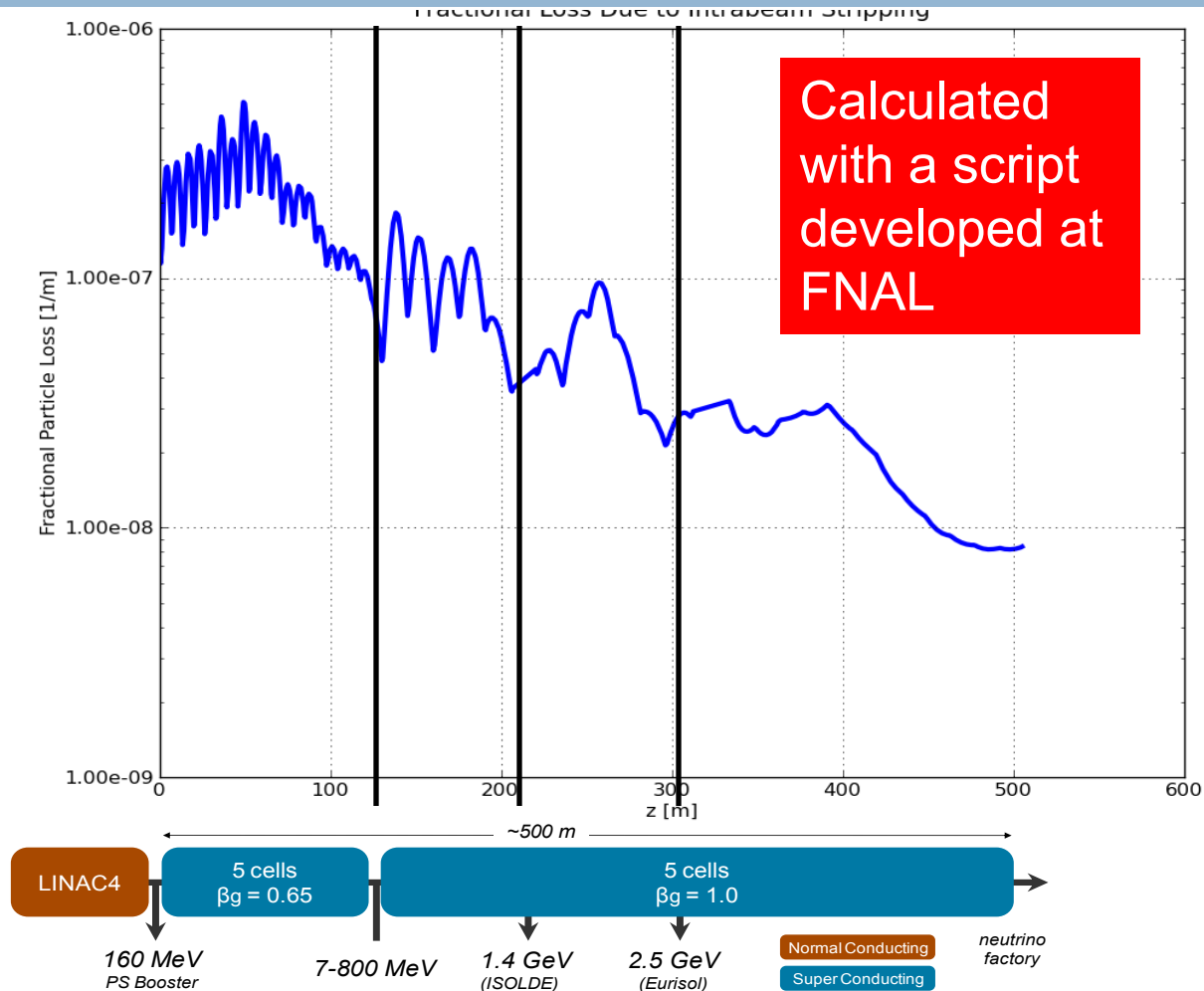


# Fractional Loss along SPL [3]

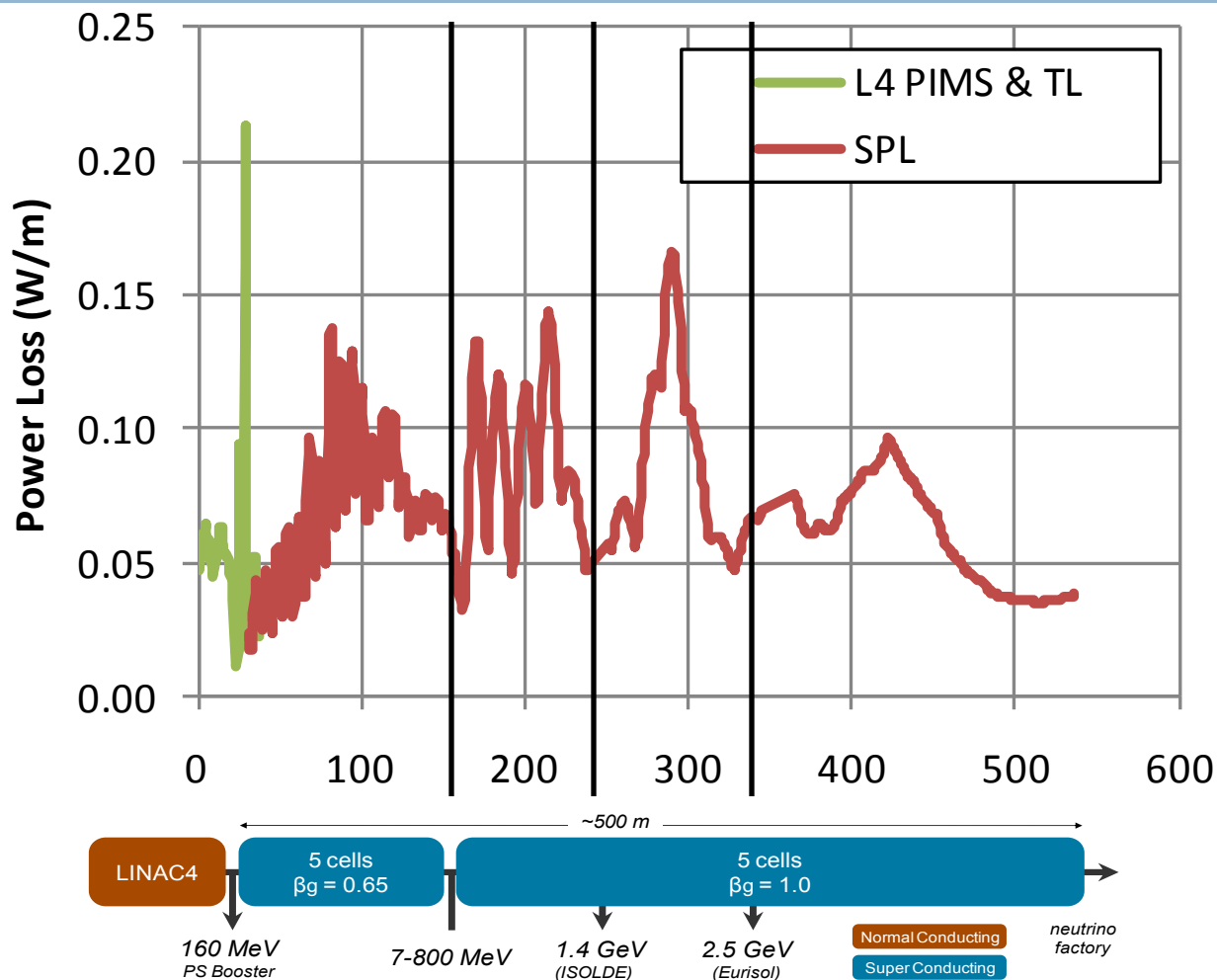
## High Current



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# Power Loss (High Current)



# Mitigating the IBS

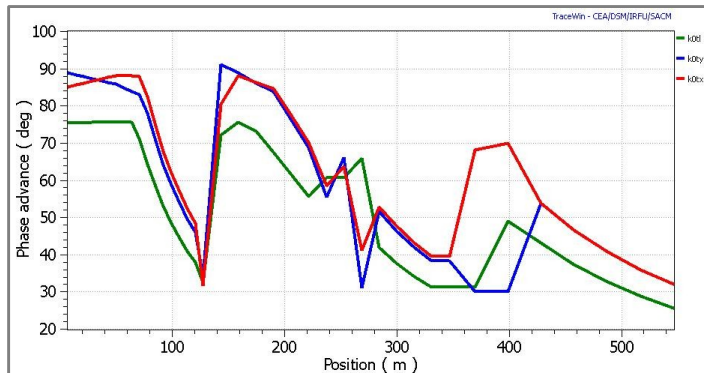
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$$\frac{1}{N} \frac{dN}{ds} = \frac{N \sigma_{\max} \sqrt{\gamma^2 \theta_x^2 + \gamma^2 \theta_y^2 + \theta_s^2}}{8\pi^2 \sigma_x \sigma_y \sigma_s \gamma^2} F(\gamma \theta_x, \gamma \theta_y, \theta_s)$$

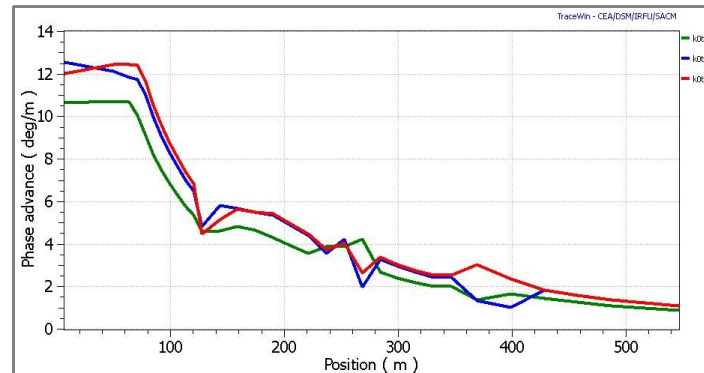
- Keeping the beam power constant, the power loss is proportional to the bunch peak current
- Reducing the transverse focalization increases the beam size and reduces the velocity spread, but:
  - ▣ The transverse phase advance must be higher than the longitudinal one for stability
  - ▣ The focalization must compensate at least the cavity defocusing force for every particle in the phase space (space charge has to be included)
- Reducing the longitudinal focalization:
  - ▣ Reducing the accelerating gradient / efficiency
  - ▣ Reducing the synchronous phase / non linearity
  - ▣ Reducing the cavity frequency / general linac design

# What can we do for SPL?

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Phase advance:  
*Stability / resonances*



Phase advance/m:  
*matching*

Since we don't want losses taking place because of a bd design against the theoretical predictions:

Let's reduce the peak bunch current!  
or, in other words,  
Let's go for the low-current option!





# References

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1. V. Lebedev et al. “Intrabeam Stripping in H-linacs”, Proceedings of LINAC-2010, THP080.
2. M. Chanel et al., “Measurement of the H- beam stripping cross section by observing a stored beam in LEAR”, Phys. Lett. B, volume 192, number 3-4, 2 July 1987.
3. F. Ostiguy, private communication.
4. J. Galambos and Y. Zhang, various articles and talks about SNS commissioning and performances.