

# The SDHCAL Simulation

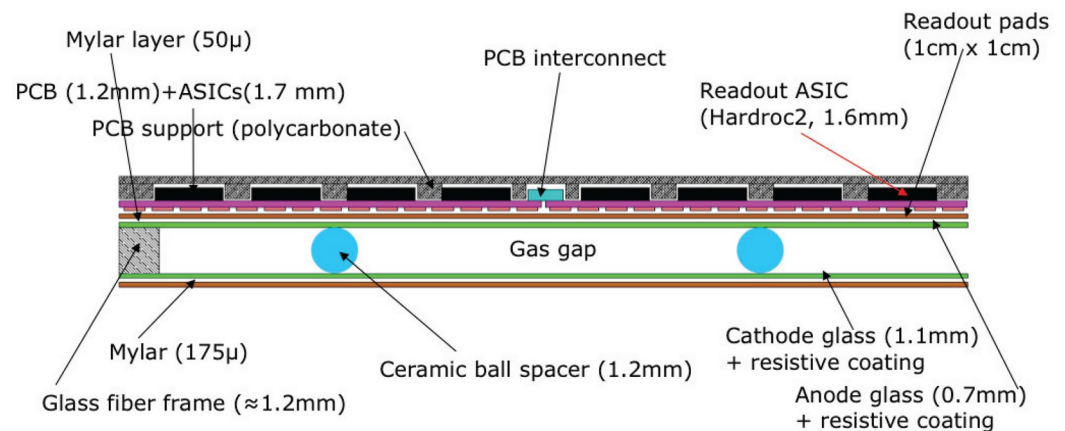
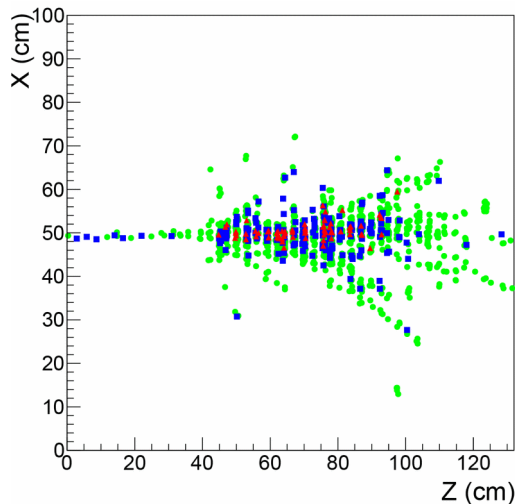
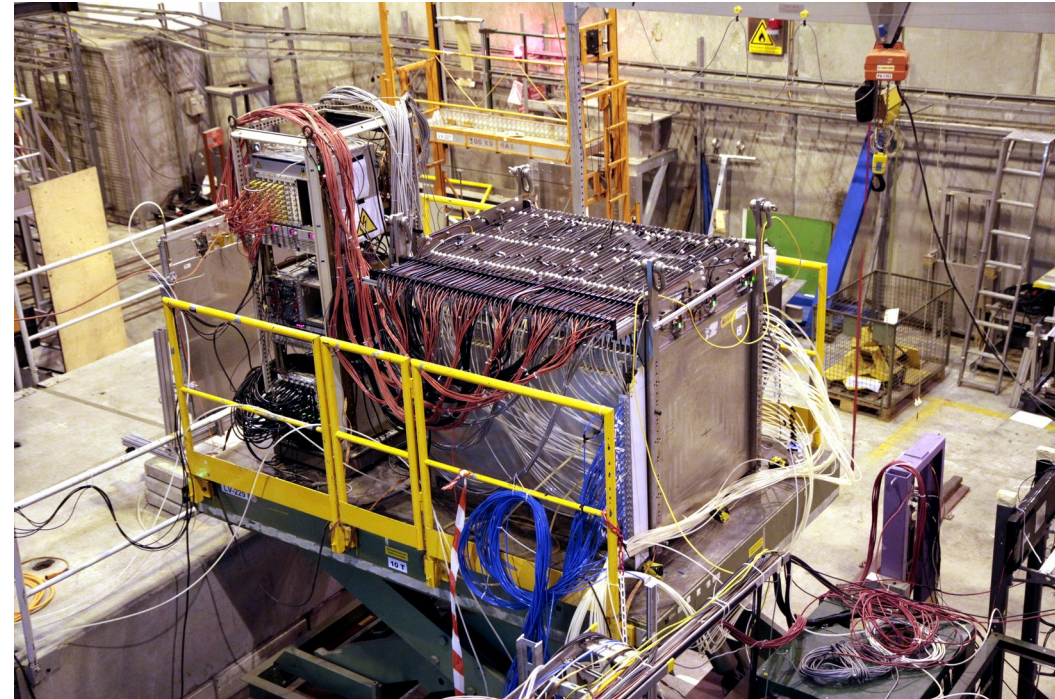
Guillaume Garillot, Arnaud Steen, Gerald Grenier, Imad Laktineh  
Institut de Physique des 2 Infinis de Lyon (IP2I)

ECFA Higgs Factory study Simulation meeting  
01/02/2022

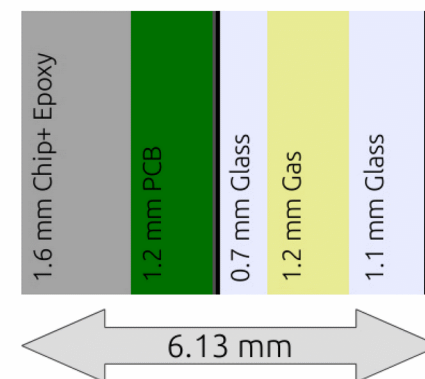
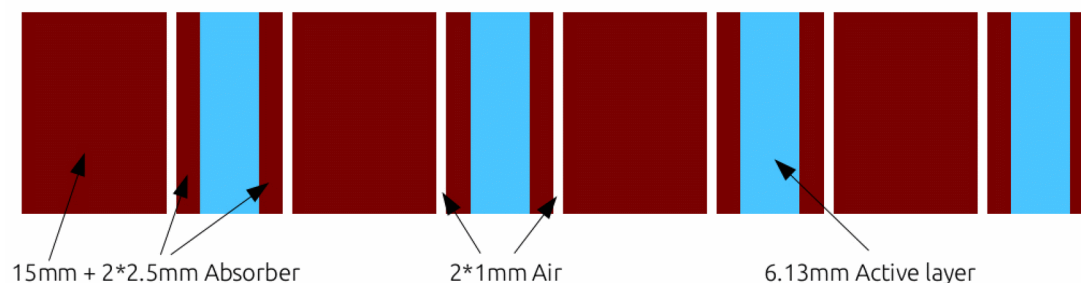
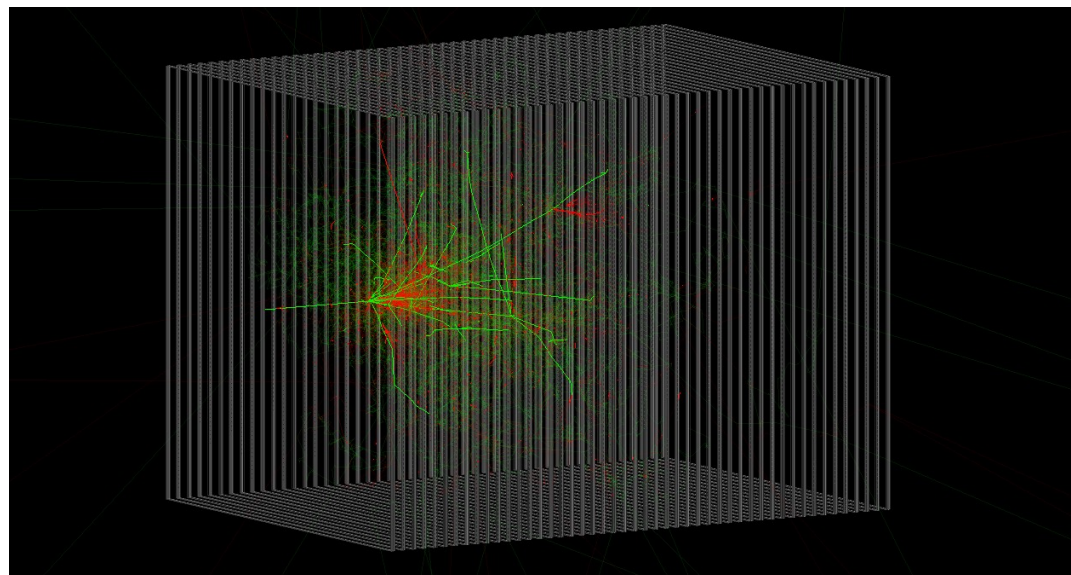


# SDHCAL Prototype

- Sampling calorimeter :
  - 48 GRPC sandwiched by 2cm of steel
- 1m x 1m x 1,3m
- $6 \lambda_1$  depth
- ~ 440000 1cm x 1cm readout pads
- 144 HARDROC2 per chamber
- 2 bit readout
  - Thresholds : 0,114pC, 5pC, 15pC



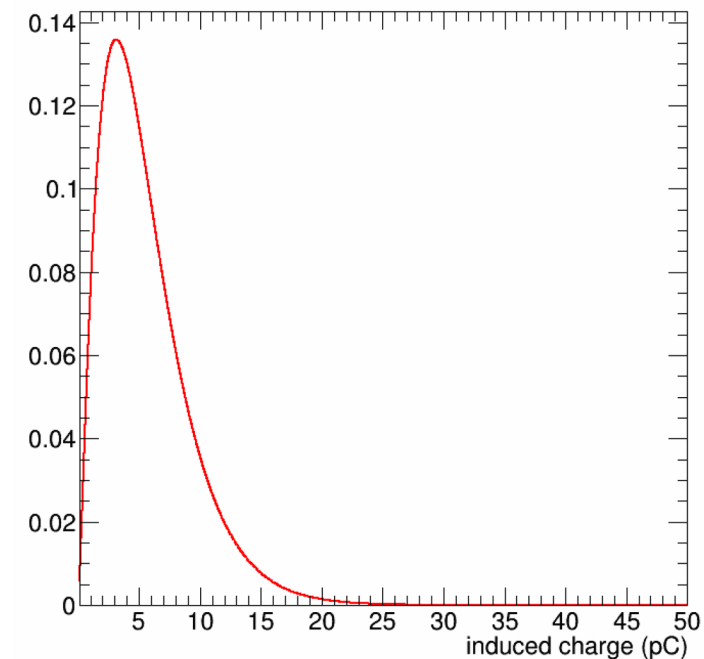
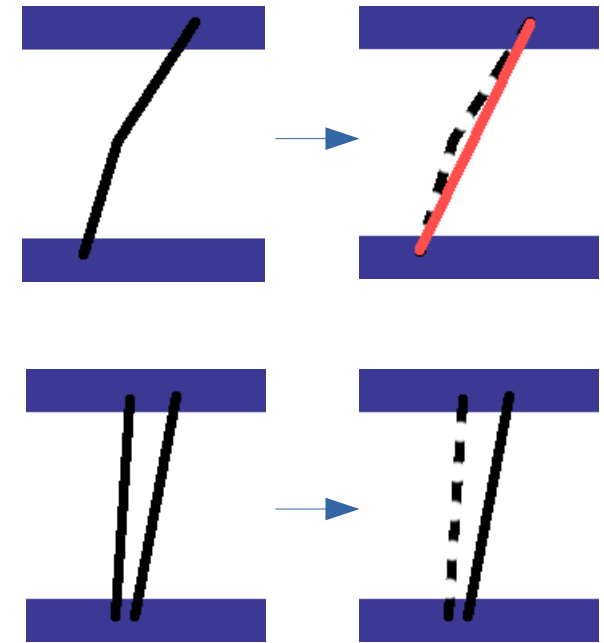
- Standalone GEANT4 program
- Detector geometry described as precisely as possible
- Outputs the list of steps for charged particles that crosses the gas gaps
- To simulate the RPC response, a digitizer program is then applied



# Digitization procedure

- Steps belonging to the same particle are linked together
- To reproduce the screening effect from close electronic avalanches, adjacent steps are removed if they are closer to a parameter  $\mathbf{d}_{\min}$
- To reproduce the detection efficiency  $\epsilon$  of the detector, the steps are randomly removed with a probability of  $1 - \epsilon$
- For each remaining step, a charge  $q$  is randomly selected in the following distribution (parameters  $\bar{q}$  and  $\delta$ ):

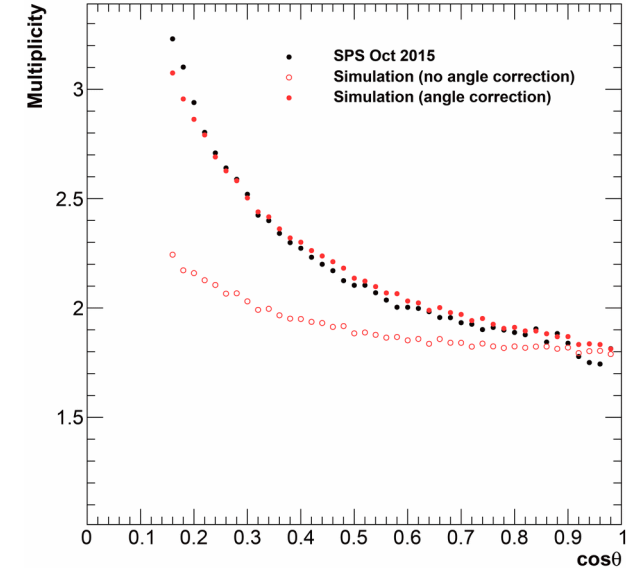
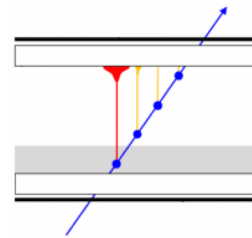
$$P(q; \bar{q}, \delta) = \frac{1}{\Gamma\left(\frac{\bar{q}}{\delta}\right) \delta^{\frac{\bar{q}}{\delta}}} q^{\frac{\bar{q}}{\delta}-1} e^{-\frac{q}{\delta}}$$



# Digitization procedure

- This charge  $q$  is adjusted according to the step incidence angle ( $k$  parameter):

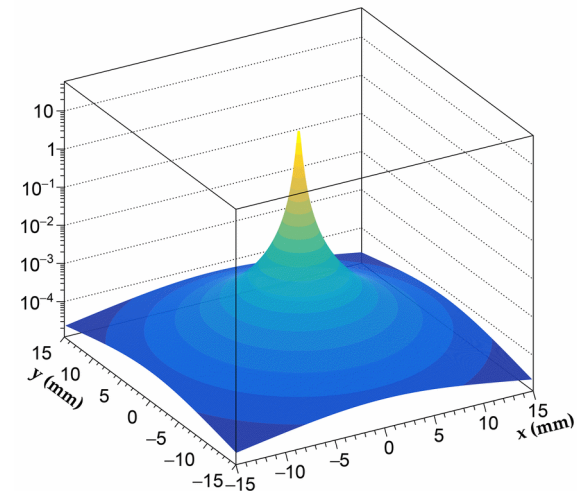
$$q_{corr} = \begin{cases} q \times \left(\frac{d}{d_{gap}}\right)^k & \text{if } \frac{d}{d_{gap}} > 1 \\ q & \text{otherwise} \end{cases}$$



- Those charges are spread on the 1cm x 1cm pads, using the following spread function ( $d$  parameter):

$$Q(x, y) = \frac{d}{[(x - x_0)^2 + (y - y_0)^2 + d^2]^{3/2}}$$

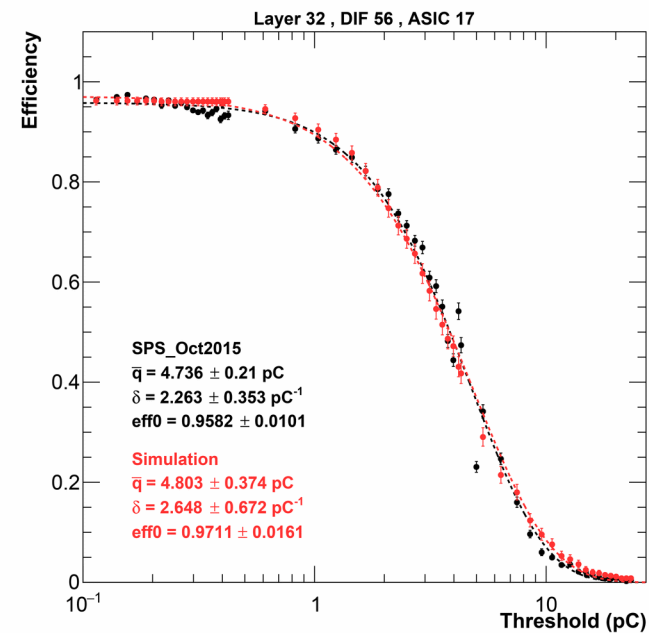
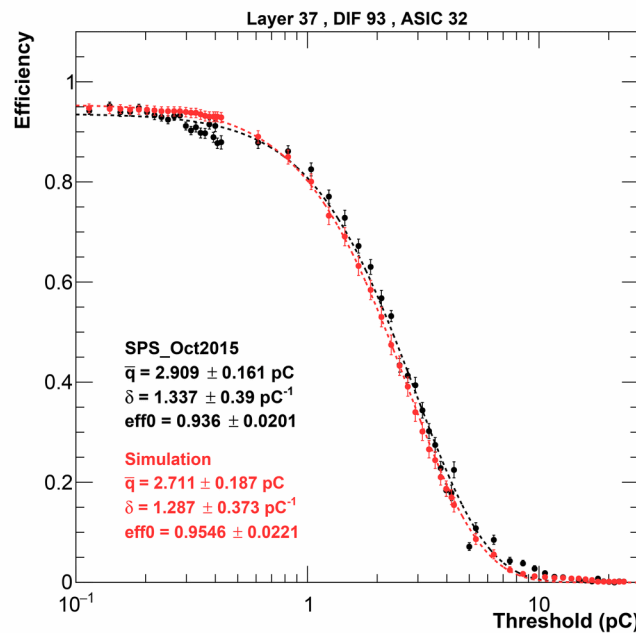
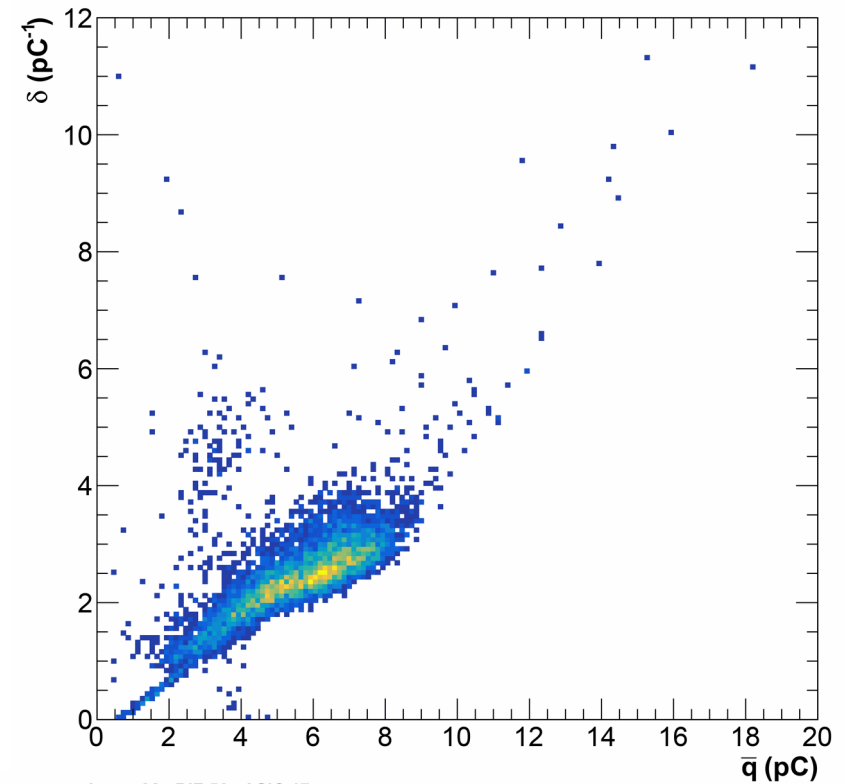
- The three readout thresholds  $s_1, s_2, s_3$  are finally applied



# Digitizer tuning

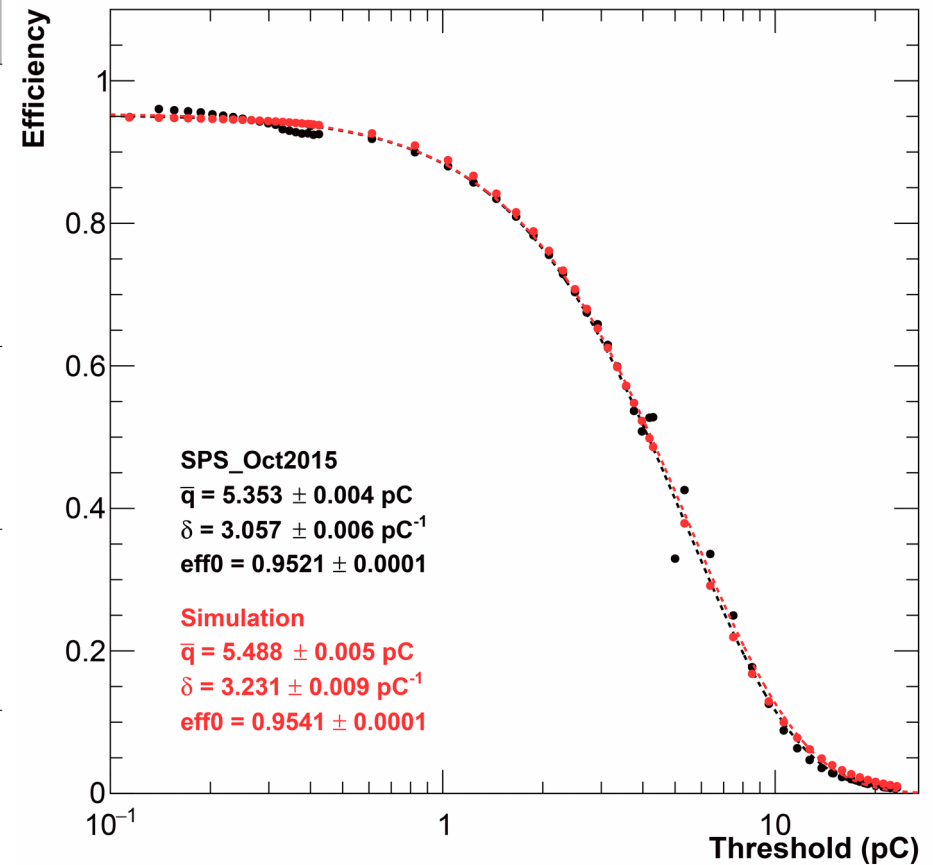
- The parameters  $\epsilon$ ,  $\bar{q}$ ,  $\delta$  and  $\mathbf{d}$  are adjusted for each ASIC (8x8 readout pads)

$$\epsilon(t; \bar{q}, \delta, \epsilon_0) = \epsilon_0 \cdot \left( 1 - \int_0^t P(q; \bar{q}, \delta) dq \right)$$

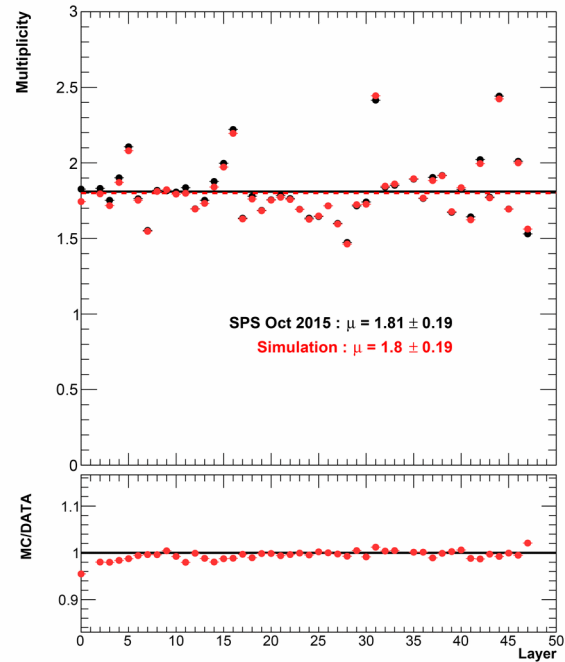


# Digitizer tuning

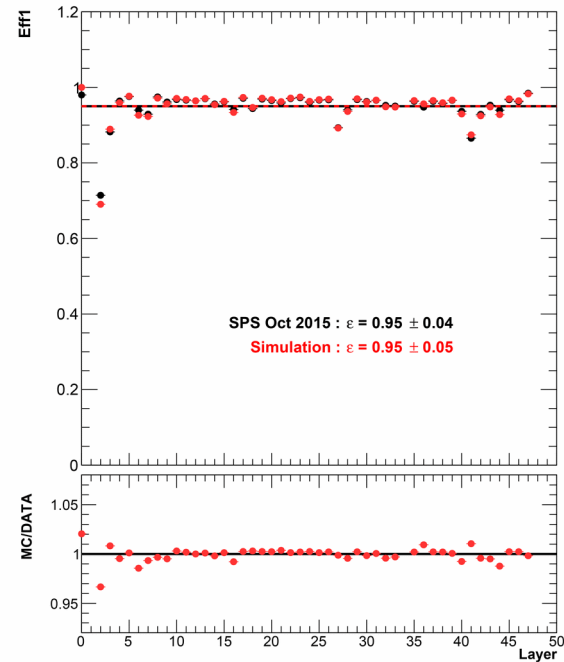
| Parameter                                                                                                      | Tuned to reproduce                         |
|----------------------------------------------------------------------------------------------------------------|--------------------------------------------|
| $0 < \varepsilon < 1$<br>$s_1 = 0,114 \text{ pC}$<br>$s_2 = 6,12 \text{ pC}$<br>$s_3 = 16,83 \text{ pC}$       | Detection efficiency                       |
| $0,2 \text{ pC} < \bar{q} < 14 \text{ pC}$<br>$0,2 \text{ pC}^{-1} < \delta < 6 \text{ pC}^{-1}$<br>$k = 0,65$ | Induced charge                             |
| $d_{\min} = 0,5 \text{ mm}$                                                                                    | Number of hits for electromagnetic showers |
| $0,05 \text{ mm} < d < 1,3 \text{ mm}$                                                                         | Multiplicity                               |



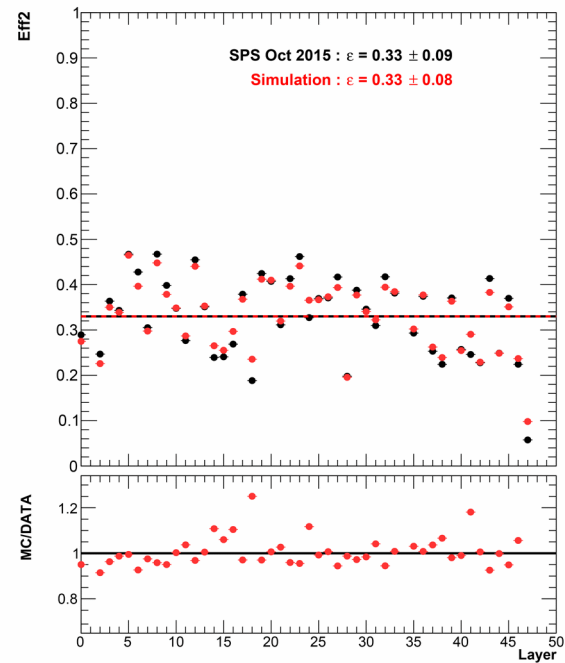
multiplicity



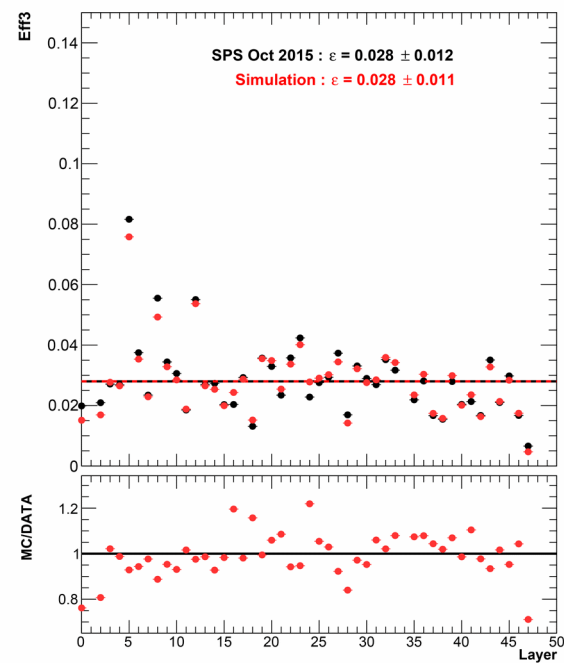
1<sup>st</sup> threshold efficiency



2<sup>nd</sup> threshold efficiency



3<sup>rd</sup> threshold efficiency





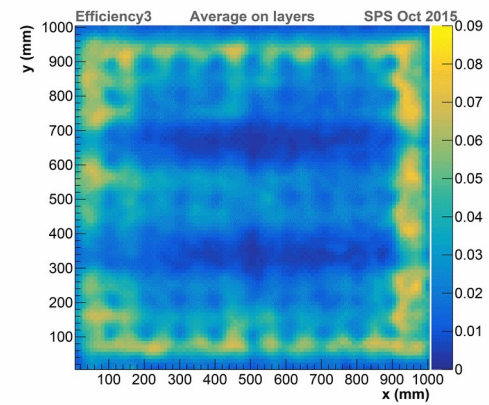
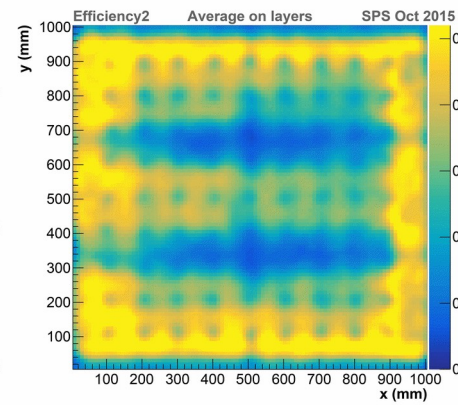
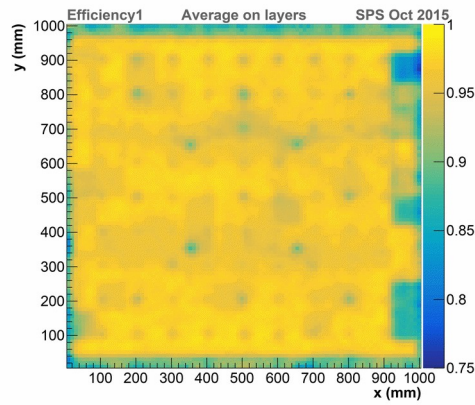
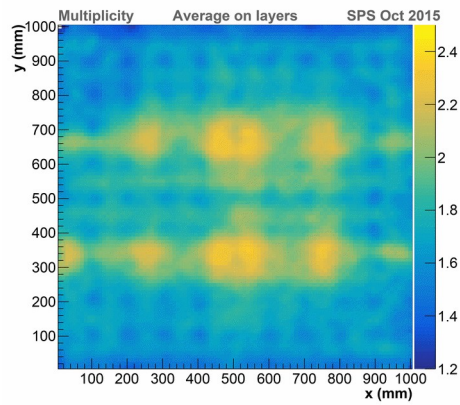
multiplicity

1<sup>st</sup> threshold  
efficiency

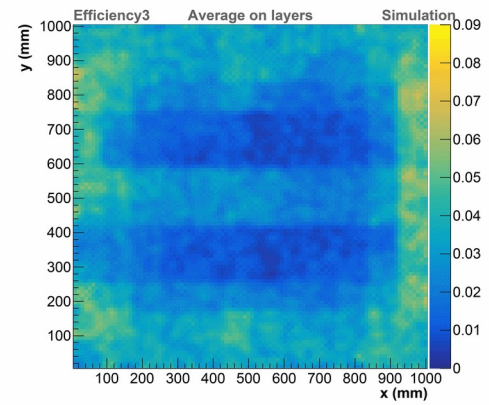
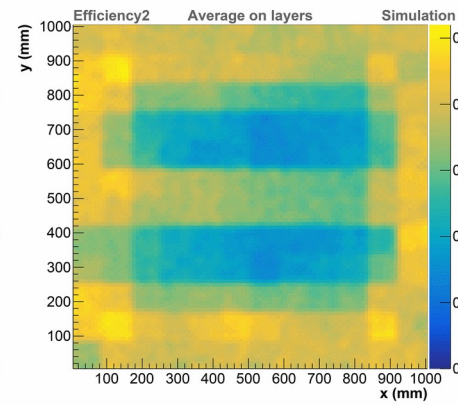
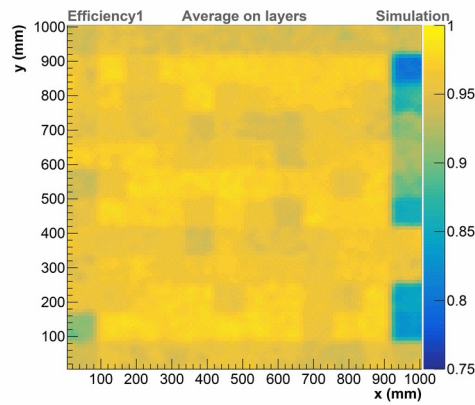
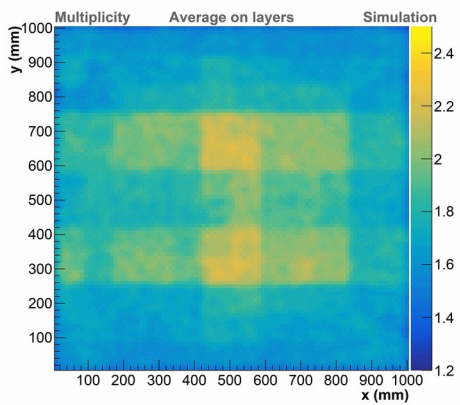
2<sup>nd</sup> threshold  
efficiency

3<sup>rd</sup> threshold  
efficiency

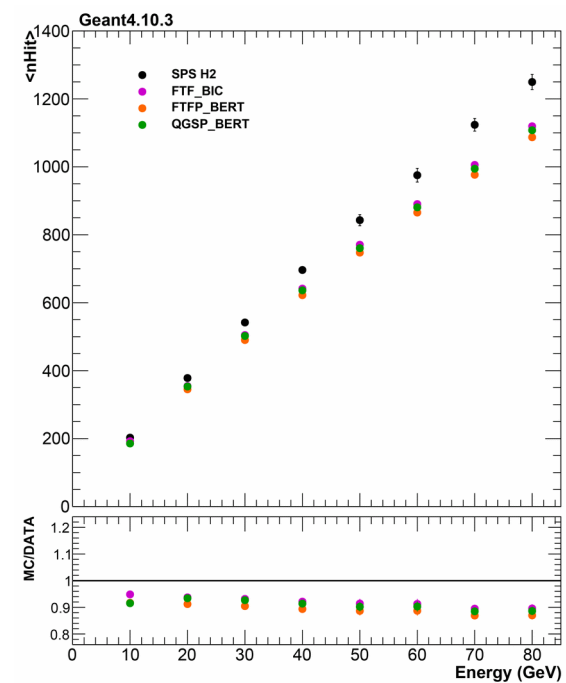
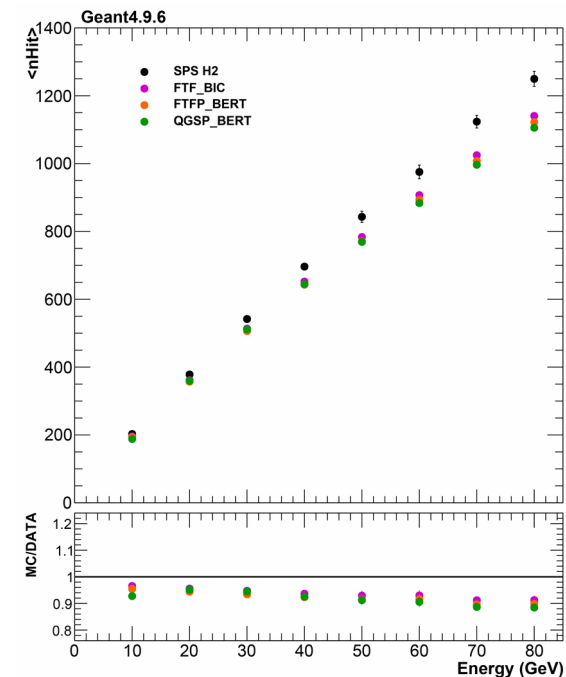
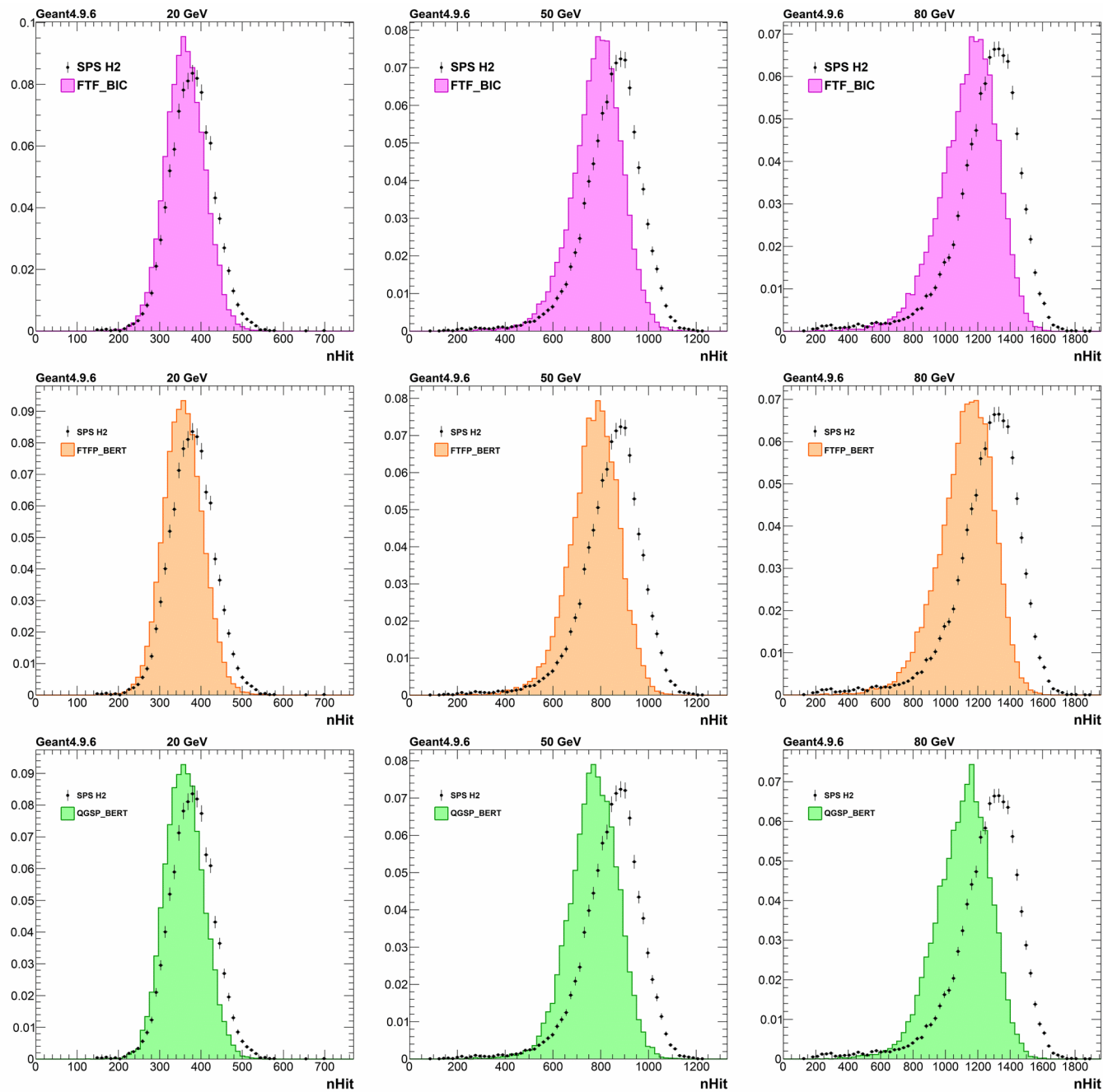
DATA



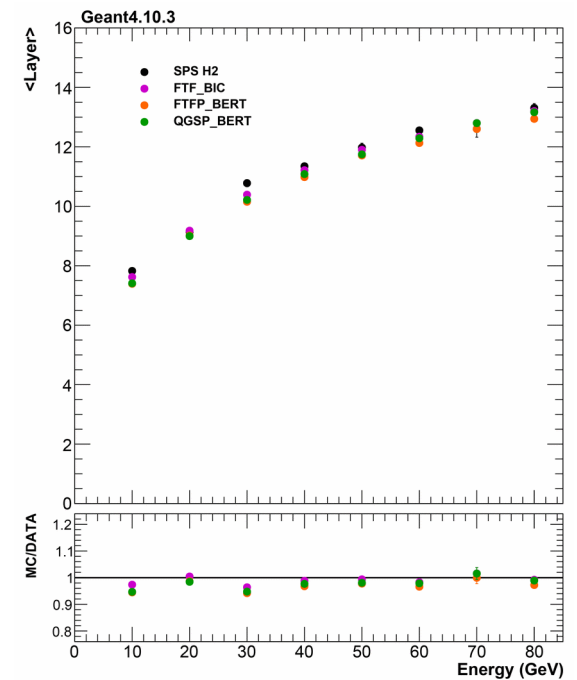
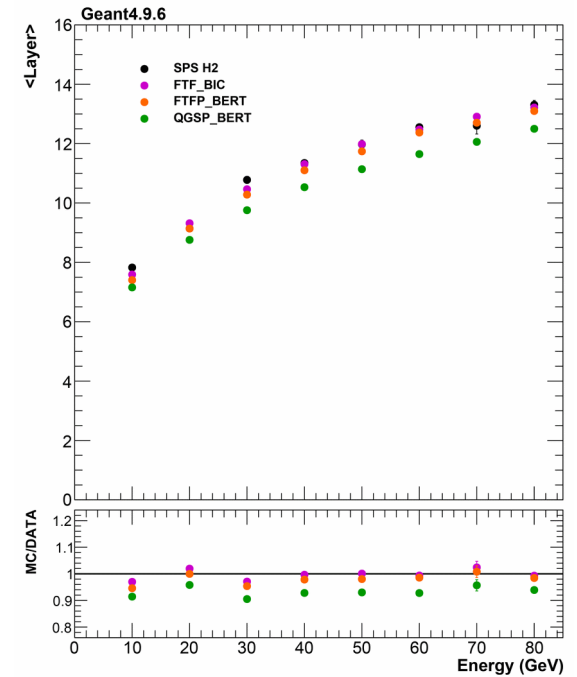
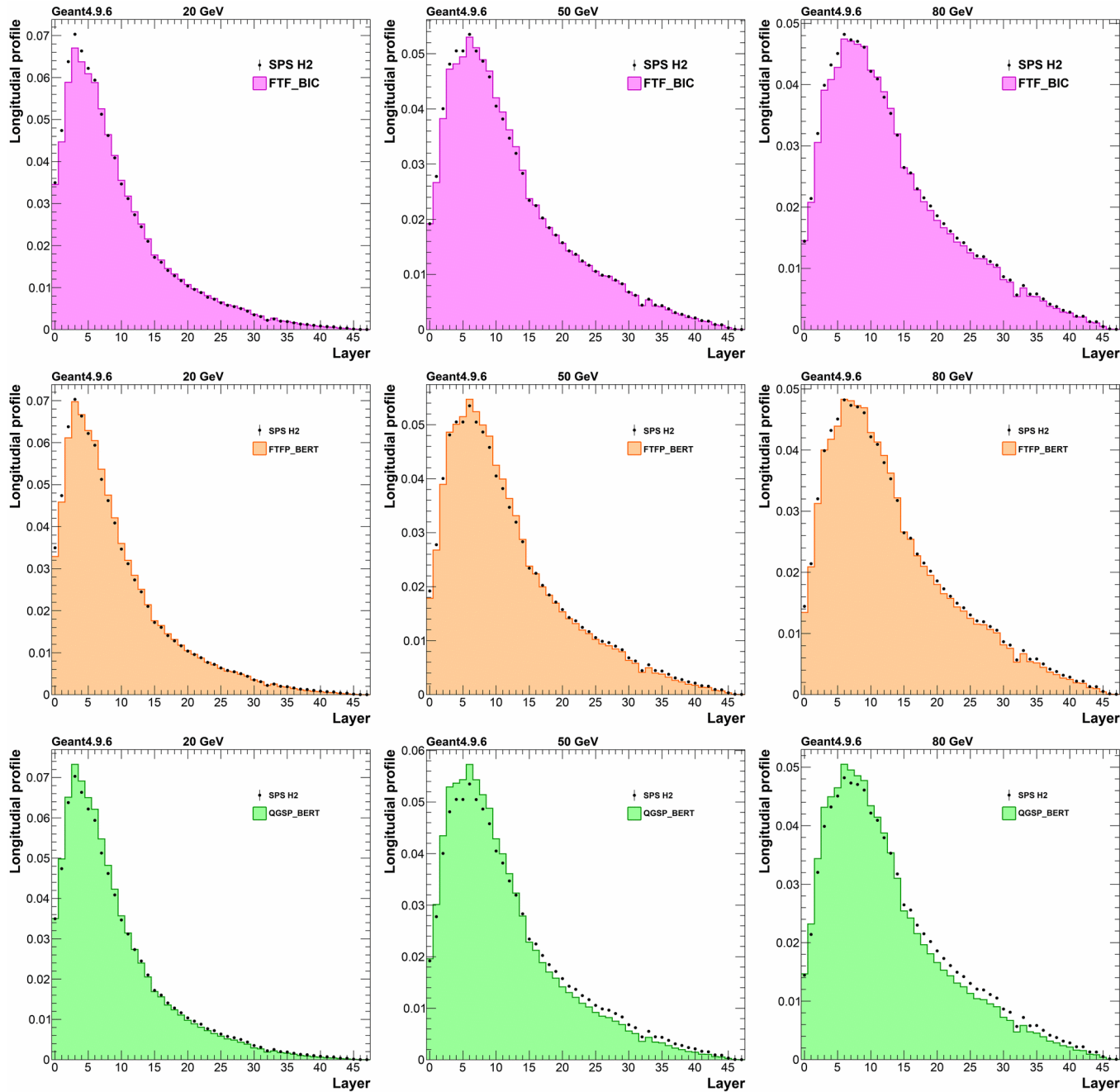
Simulation



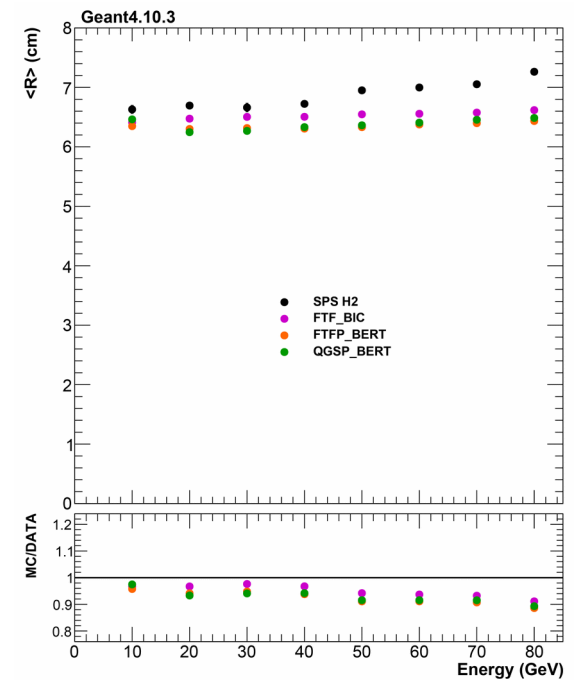
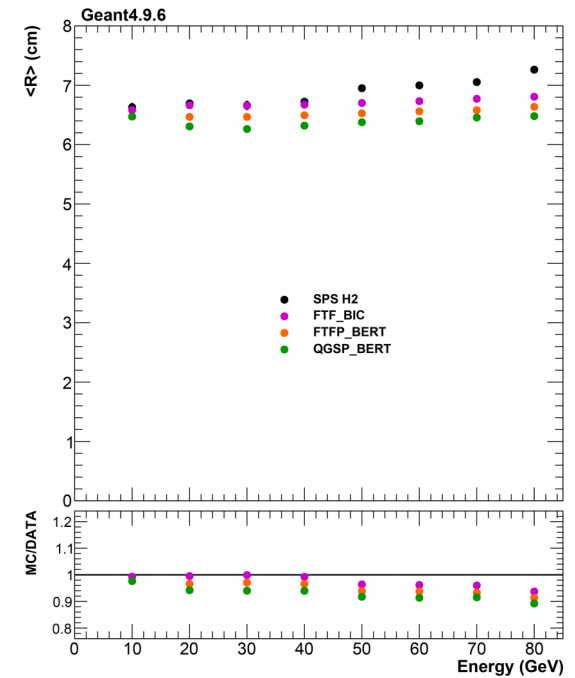
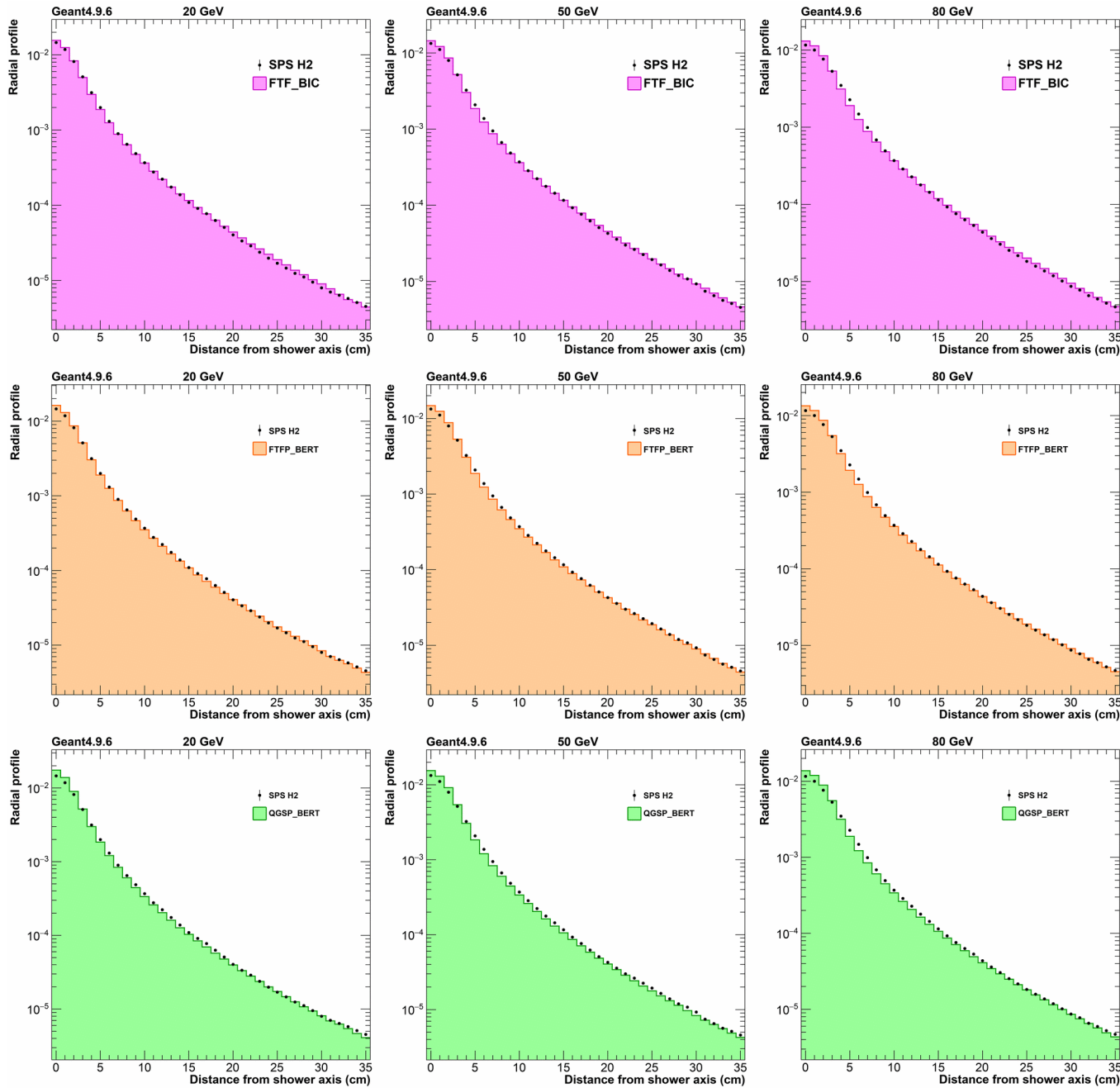
# Hadronic showers - Number of hits



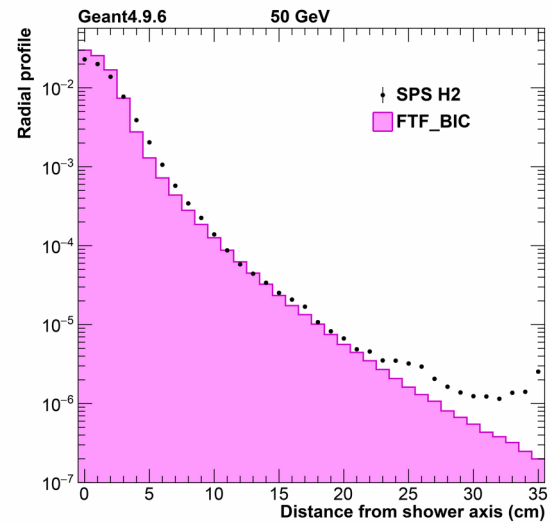
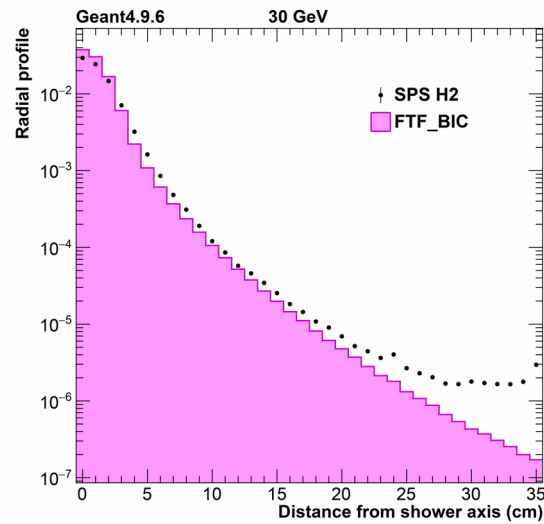
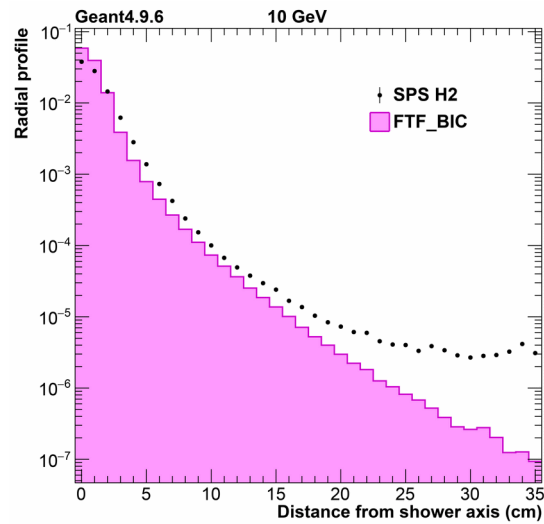
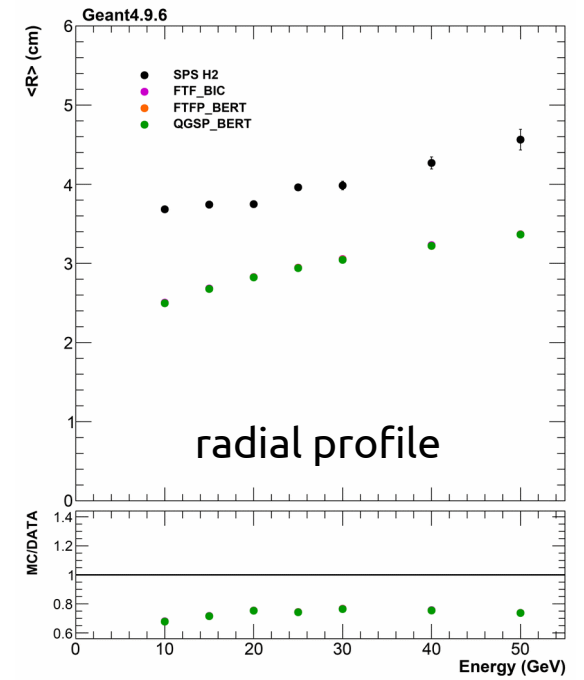
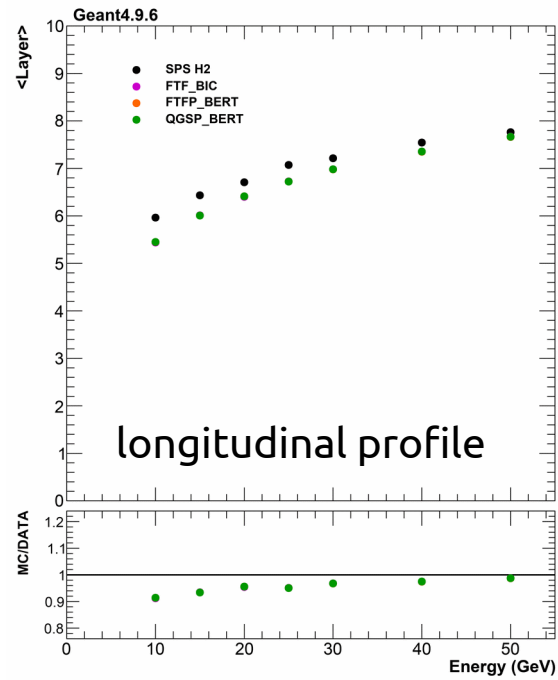
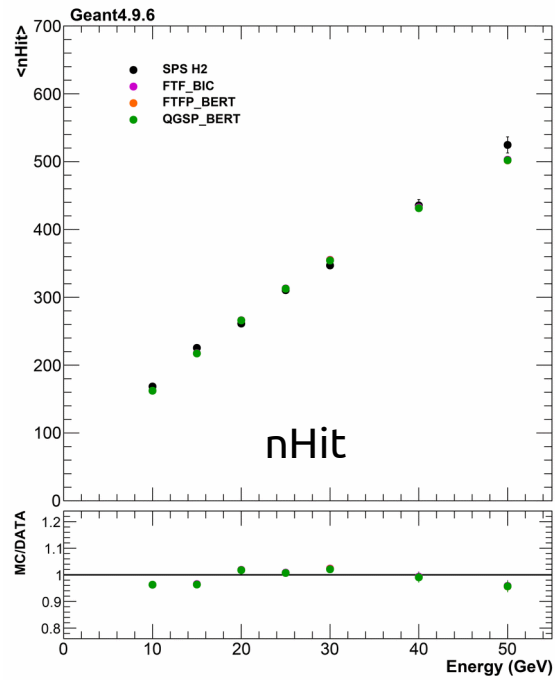
# Hadronic showers - Longitudinal profile



# Hadronic showers - Radial profile



# Electromagnetic showers

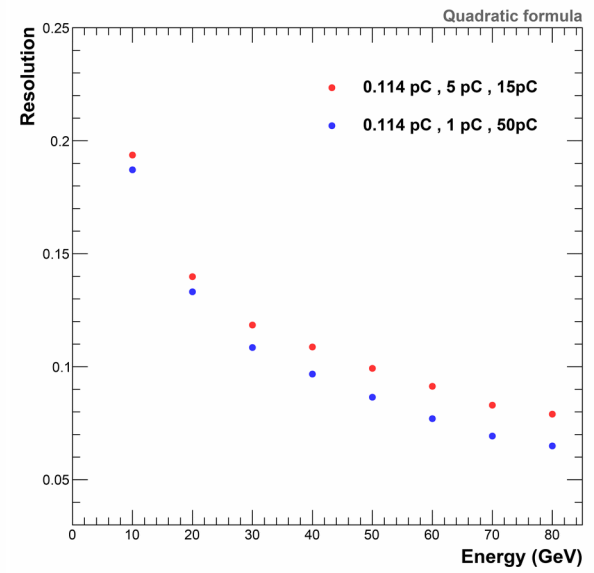
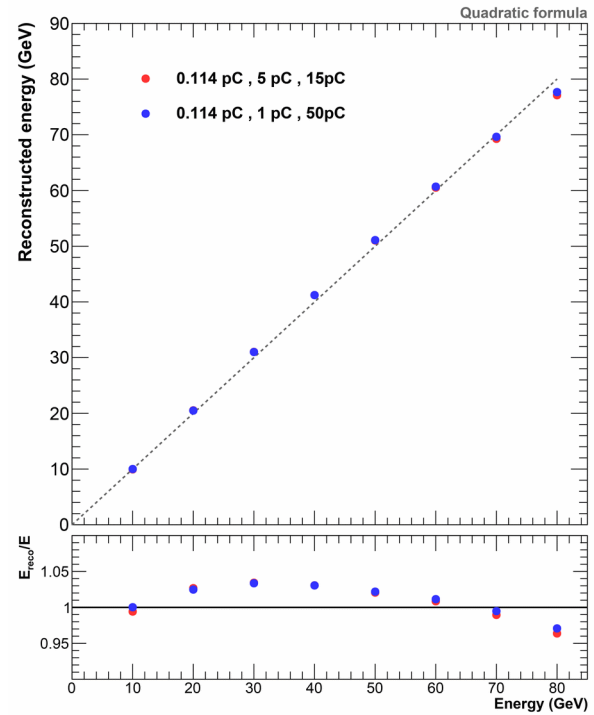
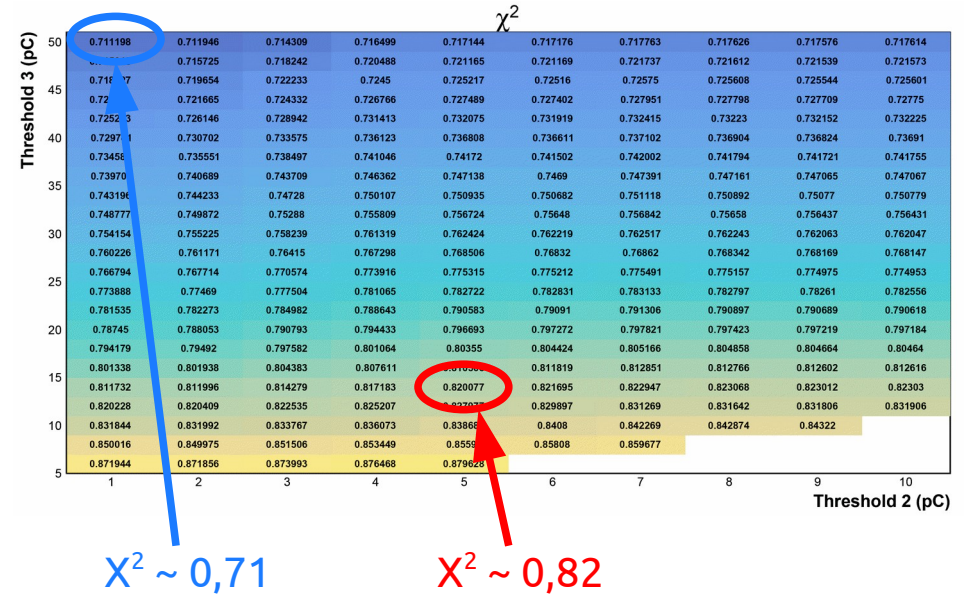


# Readout threshold variation

$$E_{reco} = \alpha(N_{hit}) \cdot N_{hit1} + \beta(N_{hit}) \cdot N_{hit2} + \gamma(N_{hit}) \cdot N_{hit3}$$

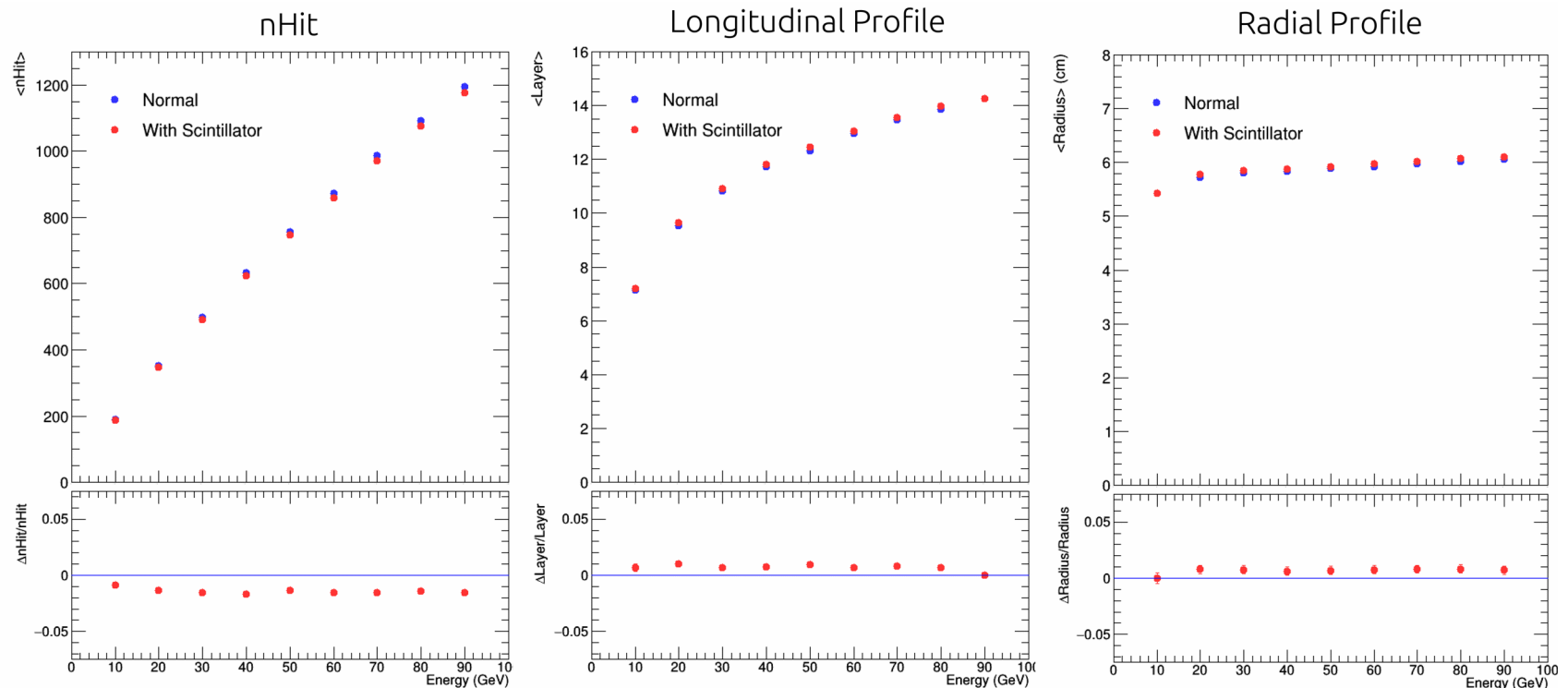
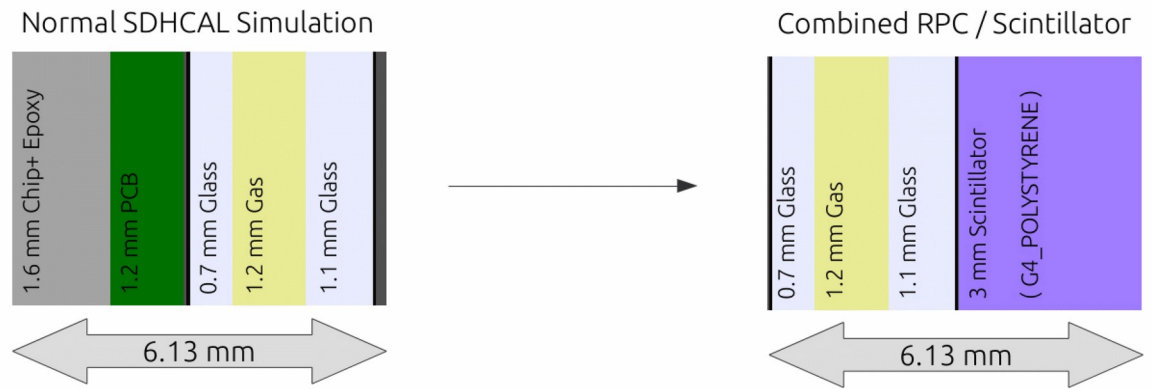
$$\chi^2 = \sum_{i=1}^N \frac{(E_{reco}^i - E_{beam}^i)^2}{\sigma_i^2} \quad \sigma_i = \sqrt{E_{beam}^i}$$

- HARDROC2 chips :
  - maximum 3rd threshold : 15pC
- HARDROC3 chips :
  - maximum 3rd threshold : 50pC
- Threshold scan for reconstructed energy, the  $\chi^2$  is used as an estimator to find the optimal thresholds
  - 2nd threshold : 1pC
  - 3rd threshold : 50pC
- 20 % Relative improvement at 80 GeV



# ILD hybrid simulation

- The ILD model uses an hybrid RPC/Scintillator model to simulate both SDHCAL and AHCAL simultaneously
- No significant difference compared to pure SDHCAL model (~1% deviation)



- The SDHCAL simulation is tuned to reproduce the non-uniformities of the SDHCAL prototype
- Variations of detection efficiencies and multiplicities are well-reproduced
- Disagreements for electromagnetic and hadronic radial profiles
- Usage of HARDROC3 chips could improve the energy resolution
- Hybrid model used in ILD compatible with standalone SDHCAL simulation