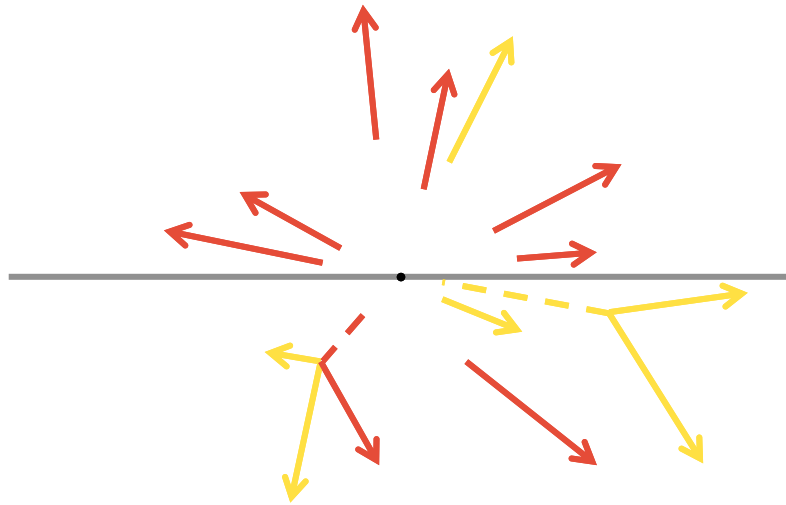


p_T spectra as a function of Multiplicity and Transverse Sphericity in pp collisions using a Bayesian Unfolding

J. David Romo

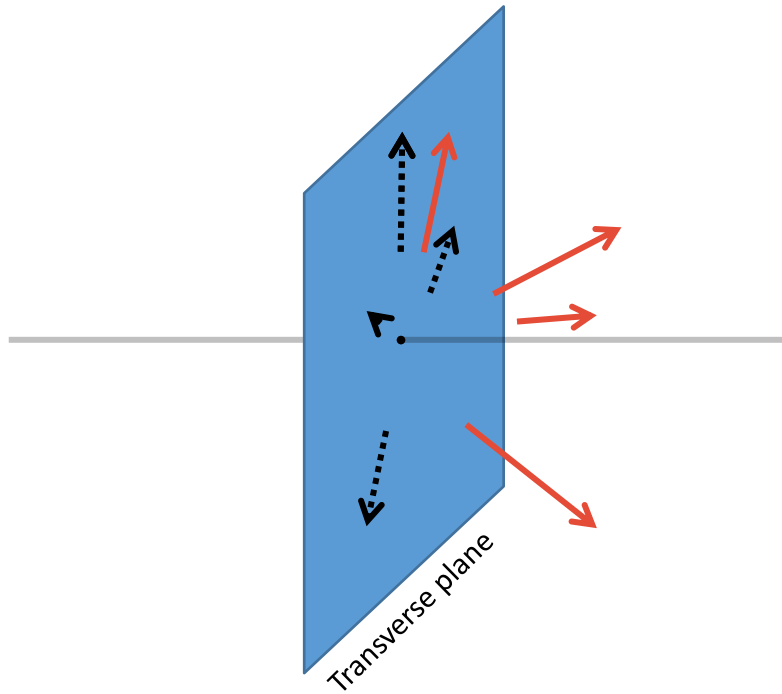
16/11/21

Glosary



- In a hadron collision we have the emission of charged and neutral particles, that could be stable or decaying.

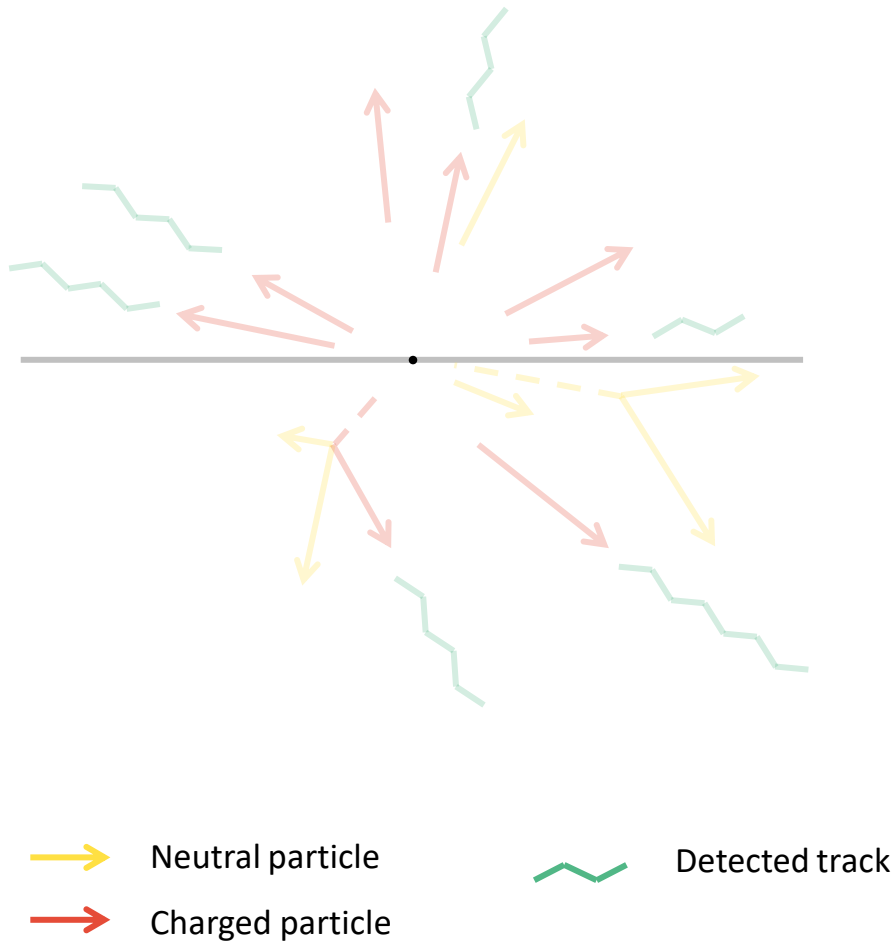
→ Neutral particle momentum
→ Charged particle momentum



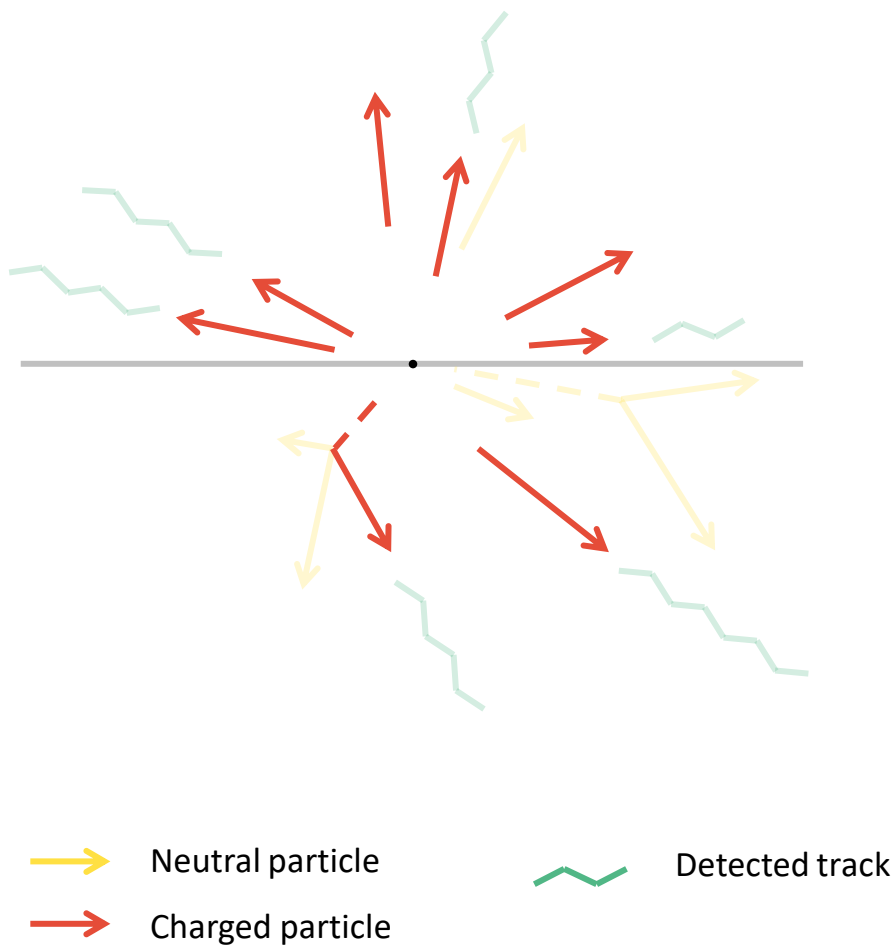
- In a hadron collision we have the emission of charged and neutral particles, that could be stable or decaying.
- We are interested in the transverse momentum as it reflects better the parton interactions than the longitudinal part (also can be measured for charged particles).

→ Charged particle momentum

→ Charged particle transverse momentum

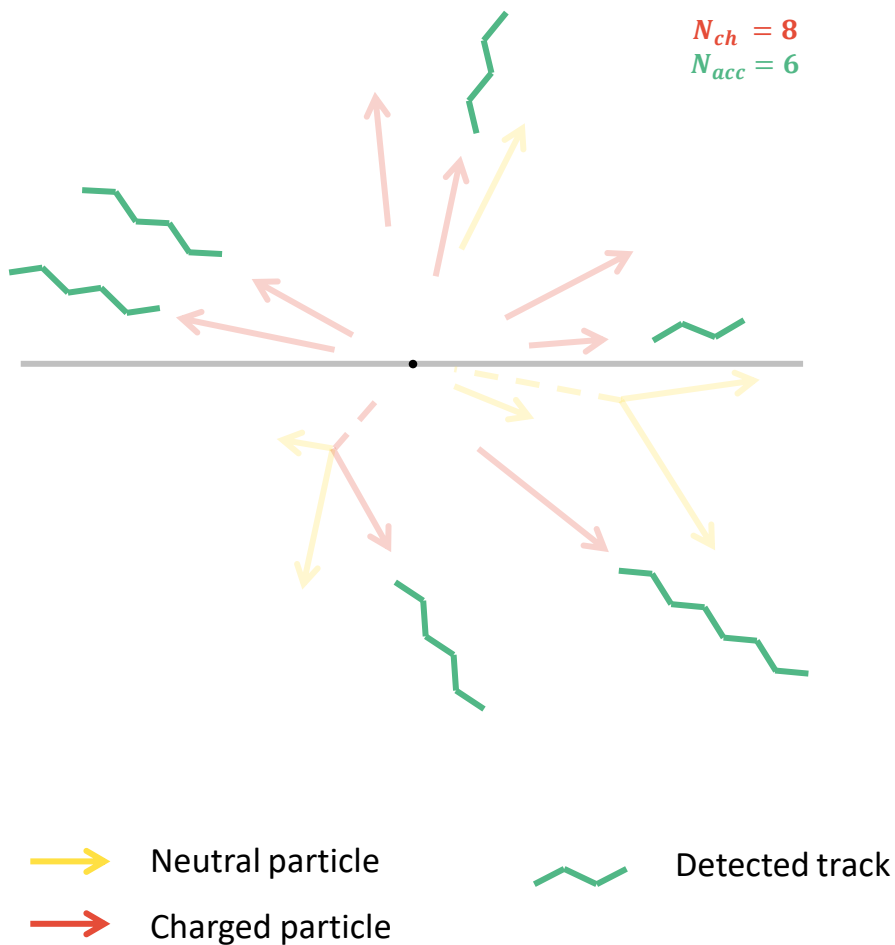


Multiplicity counts the number of participants after an event collision, being either:



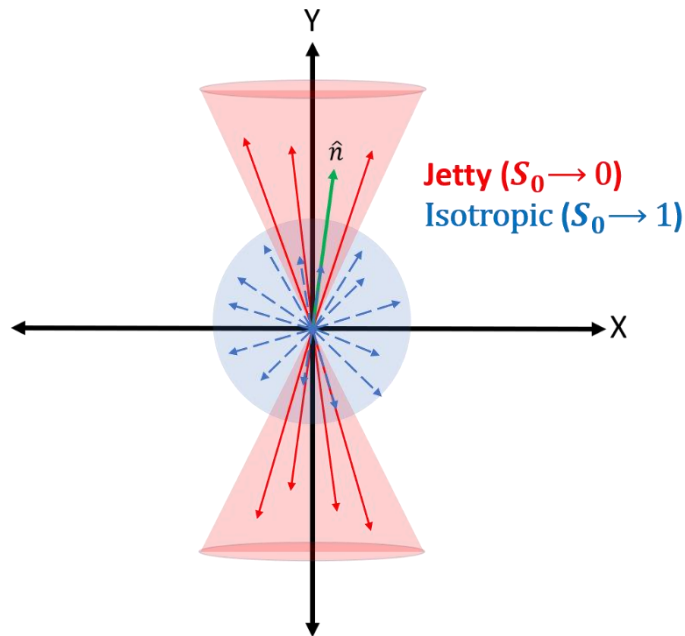
Multiplicity counts the number of participants after an event collision, being either:

- the **charged particles** (N_{ch}) at generator level



Multiplicity counts the number of participants after an event collision, being either:

- the **charged particles** (N_{ch}) at generator level
- the **tracks accepted** (N_{acc}) at reconstruction level.



- Transverse sphericity is an event shape capable in distinguish **jet-like** ($S_0 \rightarrow 0$) and **isotropic** event ($S_0 \rightarrow 1$), which correspond to two different physics regimes hard and soft QCD processes.

$$S_0 = \frac{\pi^2}{4} \min_{\hat{n}_s} \left(\frac{\sum_i |p_{T,i} \times \hat{n}_s|}{\sum_i |p_{T,i}|} \right)^2$$

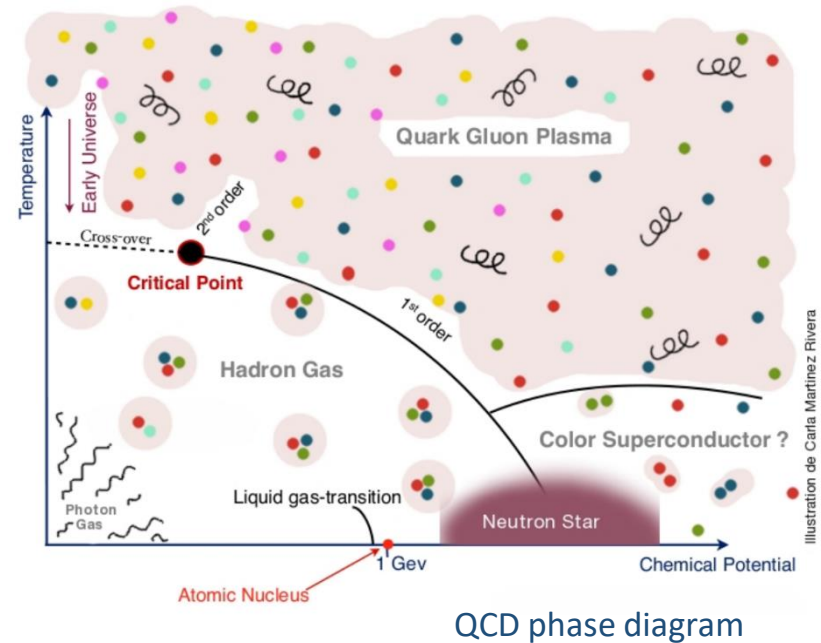
- Distinguish between generated sphericity ($S_{0,t}$), using all charged particles and the measured sphericity ($S_{0,m}$), based on the tracks after selection.

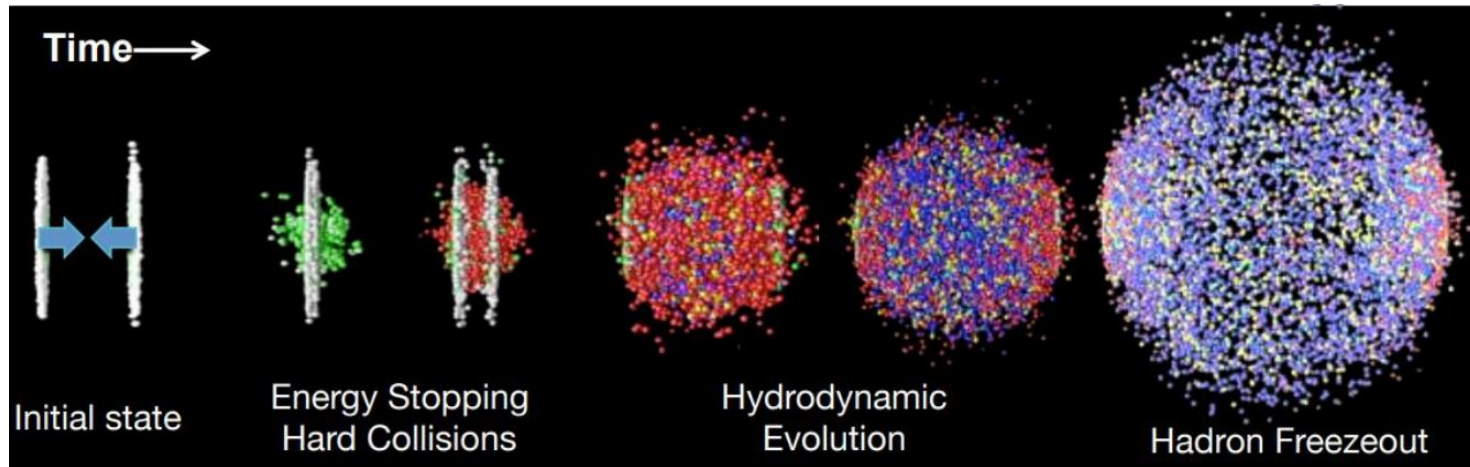
Introduction

A new state of matter in which quarks and gluons become **deconfined** from hadronic matter. It is accessible at the very highest temperature ($T_c \approx 150 \text{ MeV}$) energy and energy density ($\rho \geq 1 \text{ GeV}$).

Only two systems to study:

- primordial matter in the time interval $10^{-10} - 10^{-6} \text{ s}$ after the Big Bang.
- heavy ion collisions in hadron colliders.





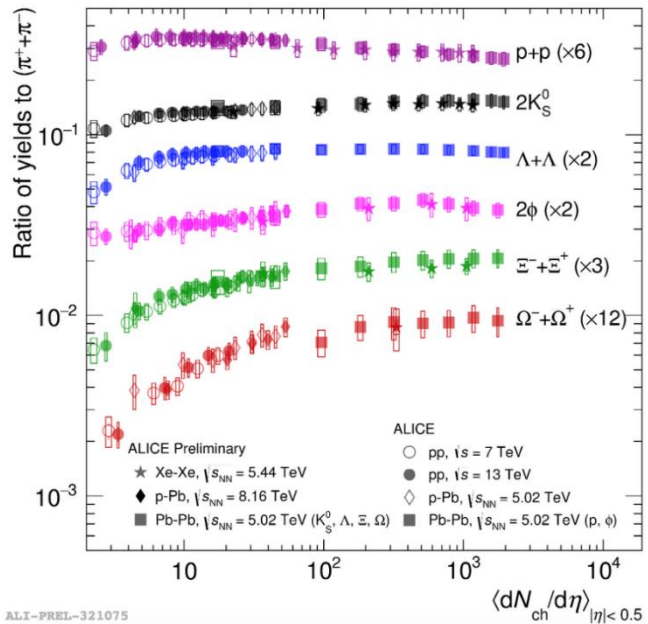
- Initial state as a two compressed cupcakes of hundreds of initial nucleons (Au–Au, Pb–Pb, Xe–Xe).
- Hardest collisions between partons (**pQCD**).
- Formation of a hot and dense fireball of **QGP** after a process of rapid process of **thermalization** and **hydrodynamization**.
- Expansion as a strongly interacting **perfect liquid** with low viscosity.
- Formation of confined matter (**hadronization**).
- End of inelastic and elastic collisions (**chemical** and **kinetical freeze-out**)



What about small system collisions?

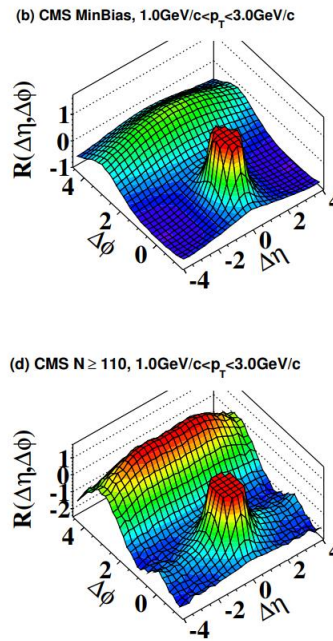
Measurements at the LHC have revealed that small collision systems exhibit **heavy-ion-like** behavior, formerly thought to be a distinctive feature of heavy-ion collisions.

ALICE, Nature Physics 13, 535-539 (2017)



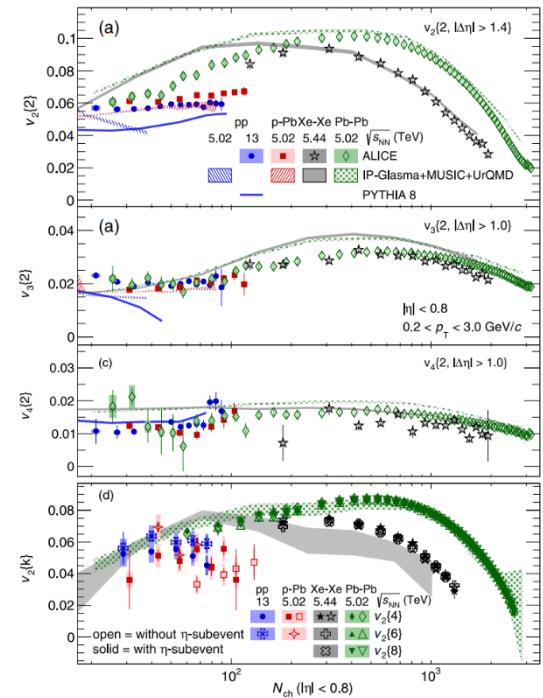
Strangeness enhancement in high multiplicity pp and p-Pb are similar to Pb-Pb

CMS, JHEP 1009:091 (2010)



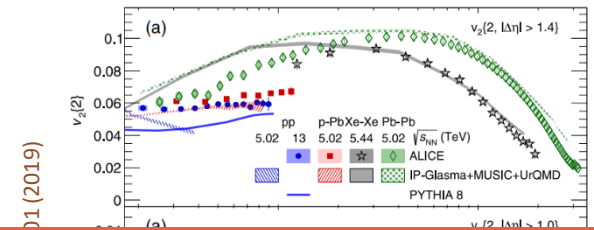
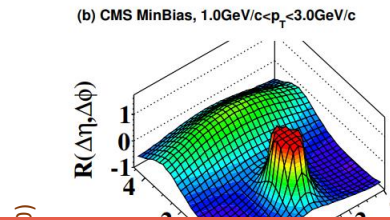
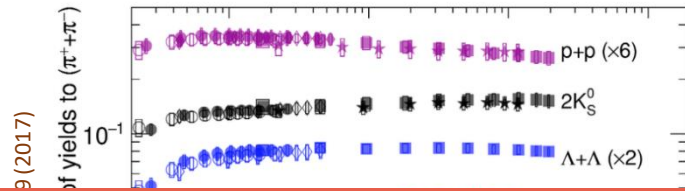
Ridge structure in high multiplicity pp collisions

ALICE, Phys. Rev. Lett. 123, 142301 (2019)

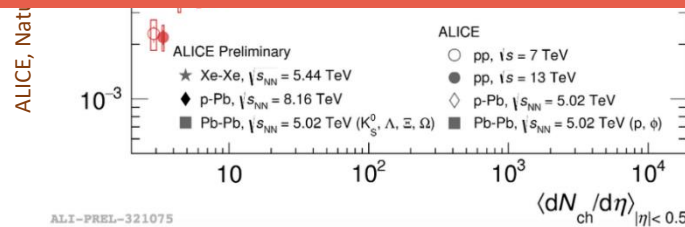


A continuous evolution of v_3 and v_4 across collision systems. Finite v_2 in small systems

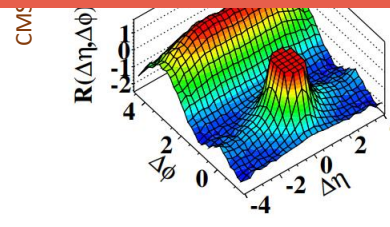
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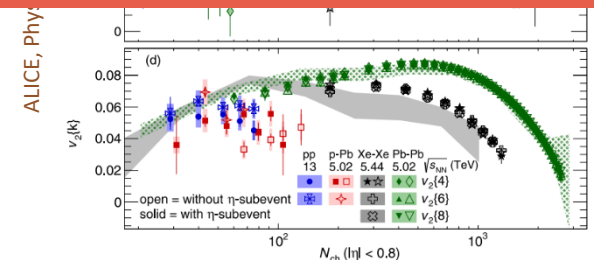
Is there a QGP droplet in pp collisions at high multiplicity?
Or collectivity comes from something else?



Strangeness enhancement in high multiplicity pp and p-Pb are similar to Pb-Pb



Ridge structure in high multiplicity pp collisions



A continuous evolution of v3 and v4 across collision systems. Finite v2 in small systems

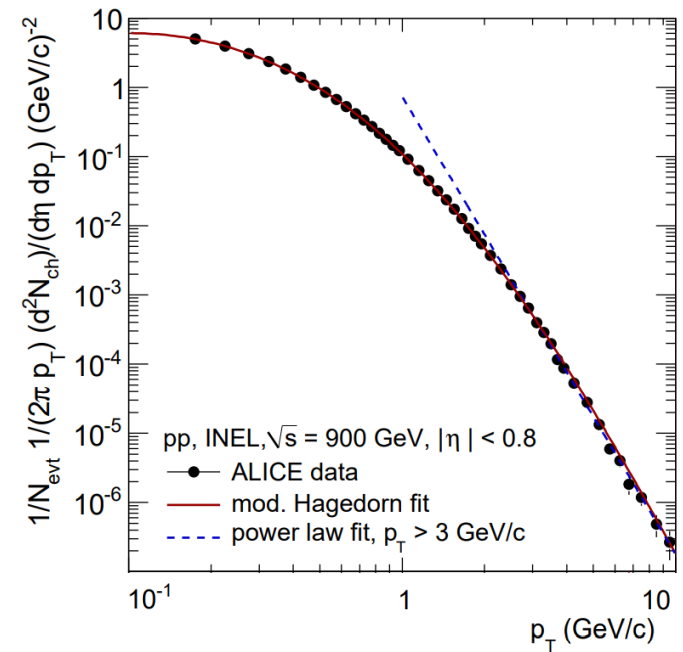
How the events with multiple jets affect the high multiplicity pp collisions?

We are interested how the production of charged particles depends on the two physics regimes: soft (high sphericity) and hard (low sphericity) QCD.

We propose a differential study of both multiplicity and sphericity to have a better understanding

- We are looking for the number of primary particles N_{ch} per event N_{ev} in a specific *sphericity* and *multiplicity* class.
- The relativistic version is the invariant yield.

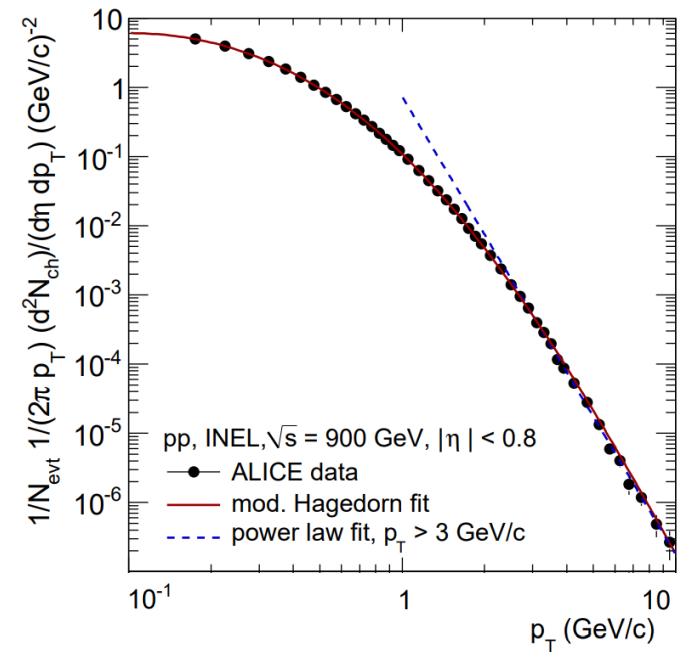
$$IY(p_T) = \left(\frac{1}{N_{ev}} \frac{1}{2\pi p_T} \frac{d^2 N_{ch}}{d\eta dp_T} \right)_{S_{O,t}, N_{ch}}$$



primary charged particle Invariant Yield for
ALICE pp collisions at 900 GeV

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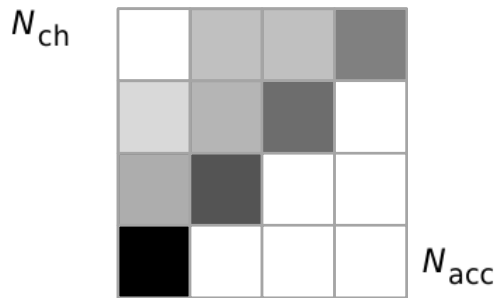
ALICE, Phys. Lett. B 693 (2010) 53-68

primary charged particle Invariant Yield for
ALICE pp collisions at 900 GeV

Then we want to obtain the **true** variables particle and event distributions
 $N_{ch}(p_{T,t}, S_{O,t}, N_{ch})$ and $N_{ev}(S_{O,t}, N_{ch})$.

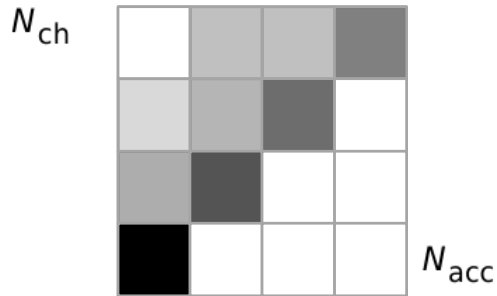


How we get the true distribution?



Detector response matrix

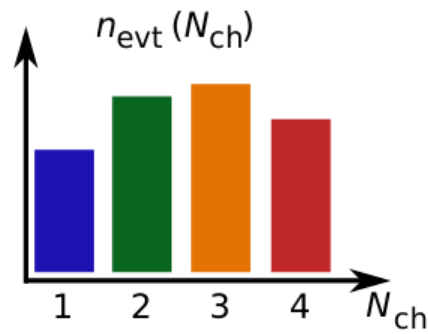
- Detectors are not perfect!
→ measured value \neq true value
- The **detector response matrix** can be expressed as the conditional probability $p(N_{acc}|N_{ch})$ that a **true** value N_{ch} is **measured** as N_{acc} .
- After the measurement the measured distribution $n_{evt}(N_{acc})$ becomes smeared!
→ measured distribution \neq true distribution



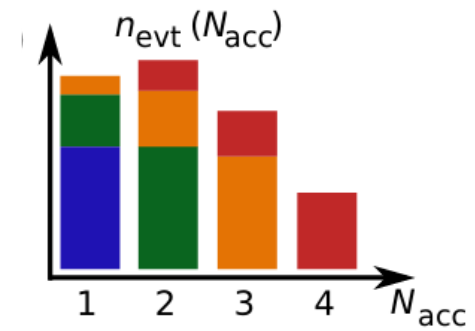
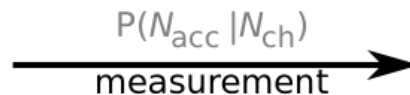
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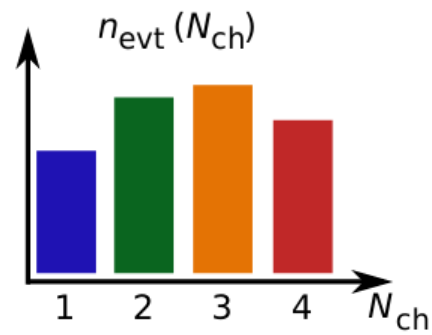
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true

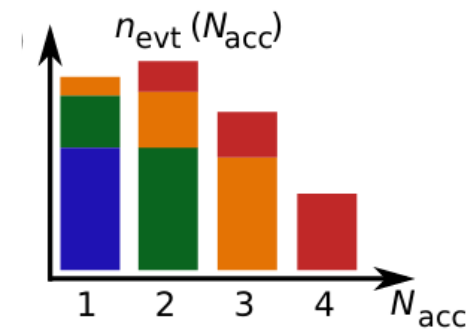


meas

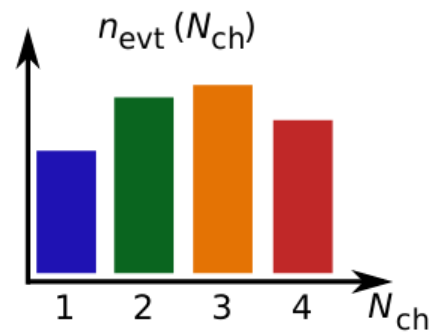


true

$P(N_{acc} | N_{ch})$
measurement

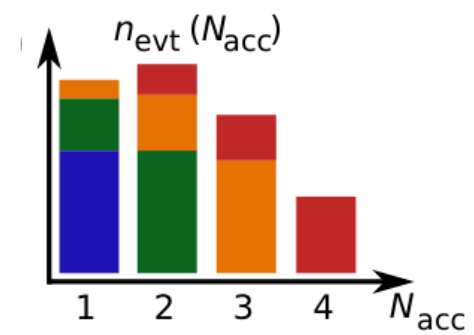


meas



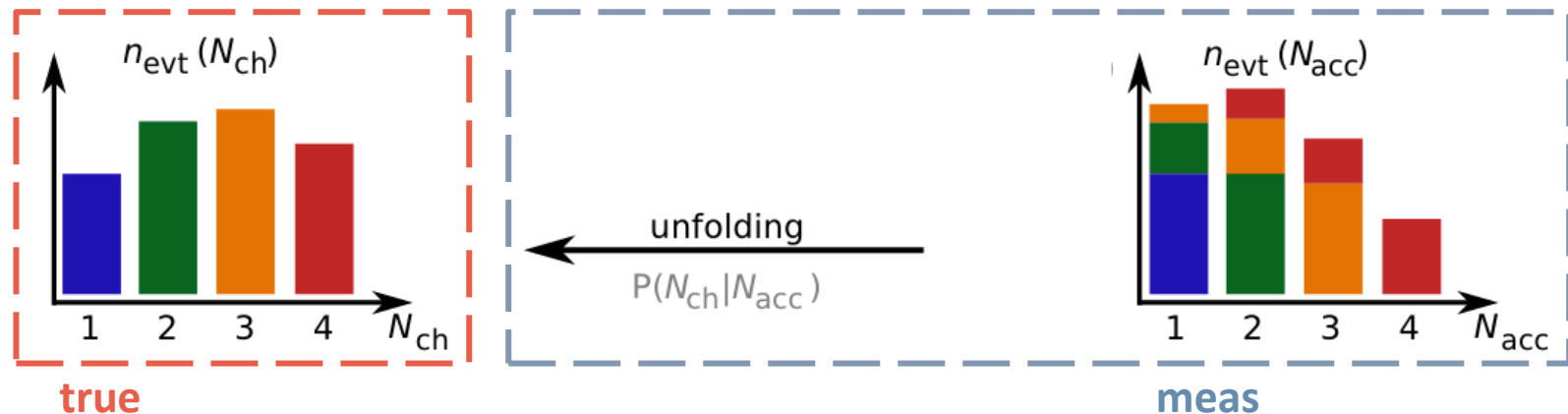
true

← ?
 $P(N_{\text{ch}}|N_{\text{acc}})$



meas

A procedure that is able to recover the **true** distribution from the **measured** distribution is an **unfolding**.



$$p(N_{ch}|N_{acc}) = \frac{p(N_{acc}|N_{ch}) p(N_{ch})}{\sum_{N_{ch}'} p(N_{acc}|N_{ch}') p(N_{ch}')}$$

Bayes theorem

$p_0(N_{ch})$
(first guess)

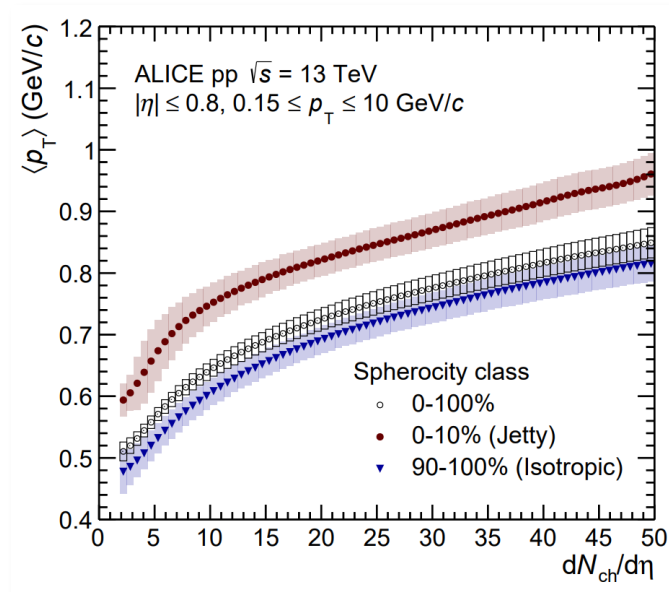
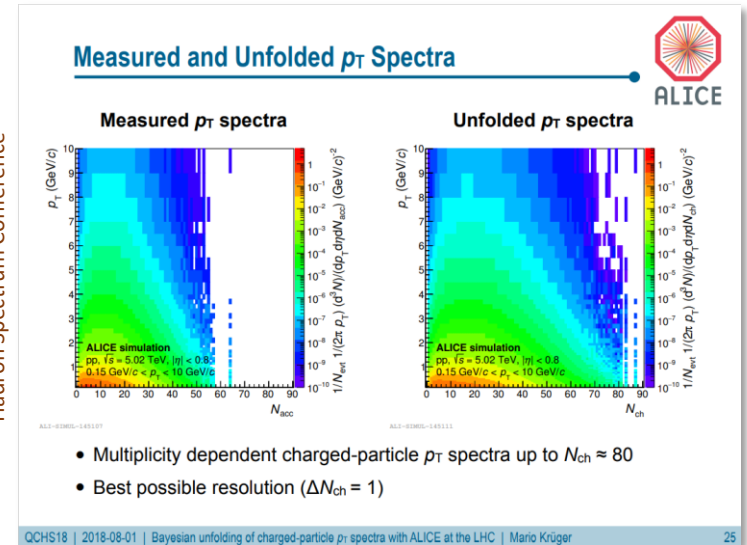
↻

$$n(N_{ch}) = \sum_{N_{ch}} p(N_{ch}|N_{acc}) n(N_{acc})$$

$$p(N_{ch}) = \frac{n(N_{ch})}{\sum_{N_{ch}'} n(N_{ch}')}$$

- Iterative unfolding method based on the Bayes theorem, to estimate the conditional $p(N_{ch}|N_{acc})$ from the **measured** distribution and the detector **response matrix**. At each iteration we actualize the value of the **true** multiplicity distribution.
- The number of interactions is limited to less than 10, which usually is enough for the chi square χ^2 between the current and previous iteration to saturate.
- It requires the detector response matrix $p(N_{acc}|N_{ch})$, in our analysis it comes from MC simulation

Krüger M., Xlith Quark Confinement and the Hadron Spectrum Conference



Analysis Strategy

- Develop the unfolding technique for $N_{ch}(p_{T,t}, S_{O,t}, N_{ch})$ and $N_{ev}(S_{O,t}, N_{ch})$ and testing the method through the MC closure test.

- Apply the method to pp collisions ALICE data and compare with published results.

■ Event Selection

- MB trigger condition
- DAQ Complete
- Remove Pileup
- Position reconstructed vertex $|V_z| < 10$ cm
- At least 3 tracks in the acceptance región (Spherocity condition).
- Cluster-vs-tracklet background cut.

■ Track Selection

- Acceptance $|\eta| < 0.8$ and momentum Interval $0.15 \leq p_T \leq 10$ GeV
- p_T Spectra: Standard TPCITS2015 with DCA dependent cut
- Spherocity: TPC only tracks cuts + TPC refit
- Multiplicity: TPC only tracks cuts + TPC refit

- The bayesian unfolding is a method capable of recover the **1D** true distribution from the measured one and the response matrix.
- How can we extend this technique to more dimensions?
such as $N_{ch}(p_{T,t}, S_{O,t}, N_{ch})$ or $N_{ev}(S_{O,t}, N_{ch})$?

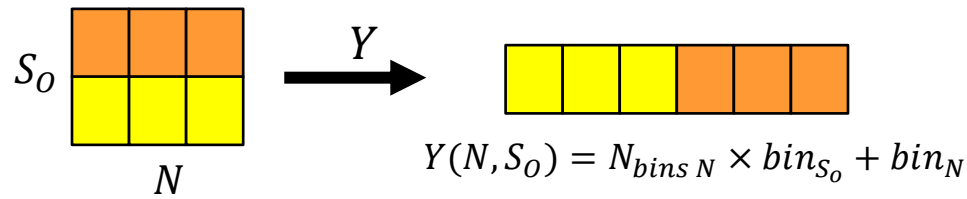
We translate our multidimensional distribution to a
one dimensional distribution



Distribution Rebinning

We define:

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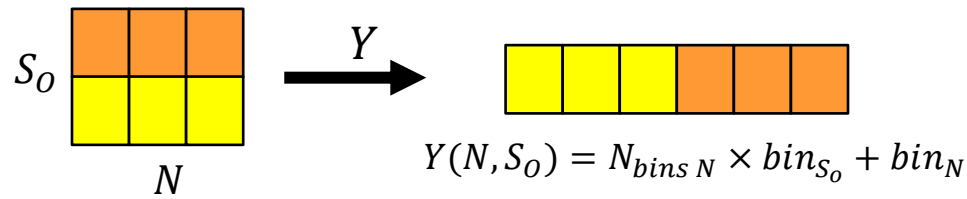


Event Distribution

$$h(Y_{\{m,t\}}) = N_{ev} (S_{O,\{m,t\}}, N_{\{m,t\}})$$

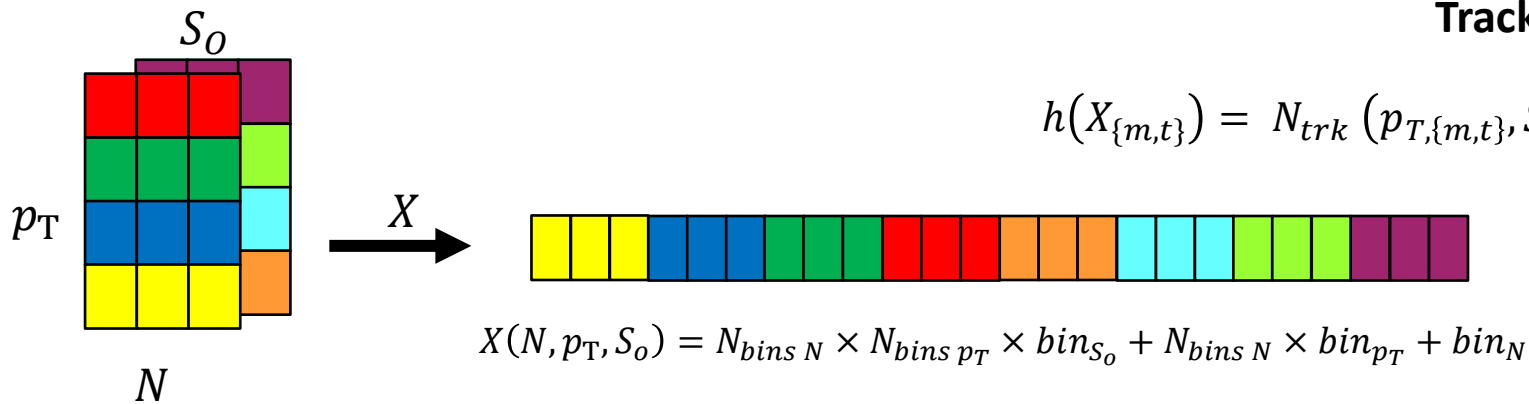
We define:

Event Distribution



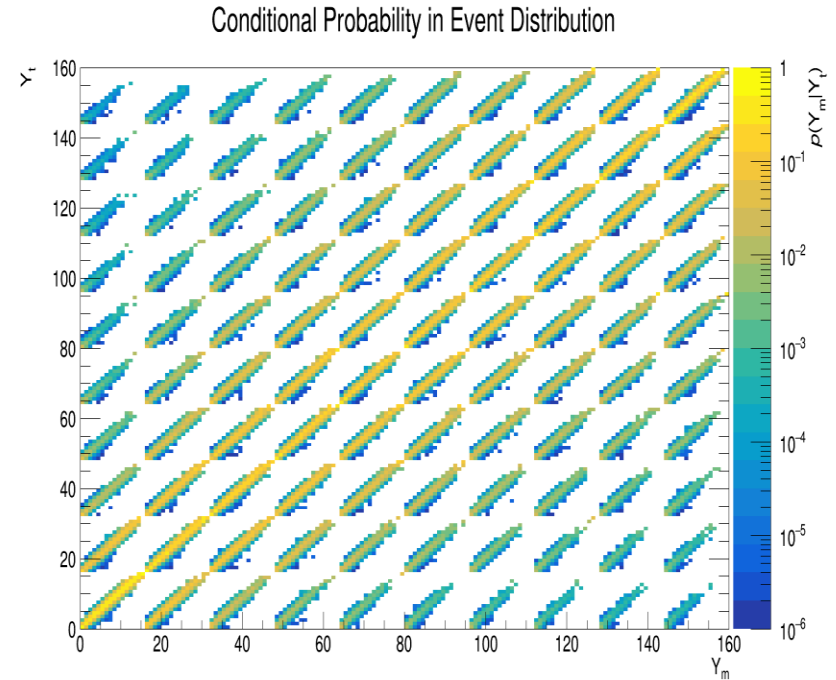
$$h(Y_{\{m,t\}}) = N_{ev} (S_{O,\{m,t\}}, N_{\{m,t\}})$$

Track Distribution

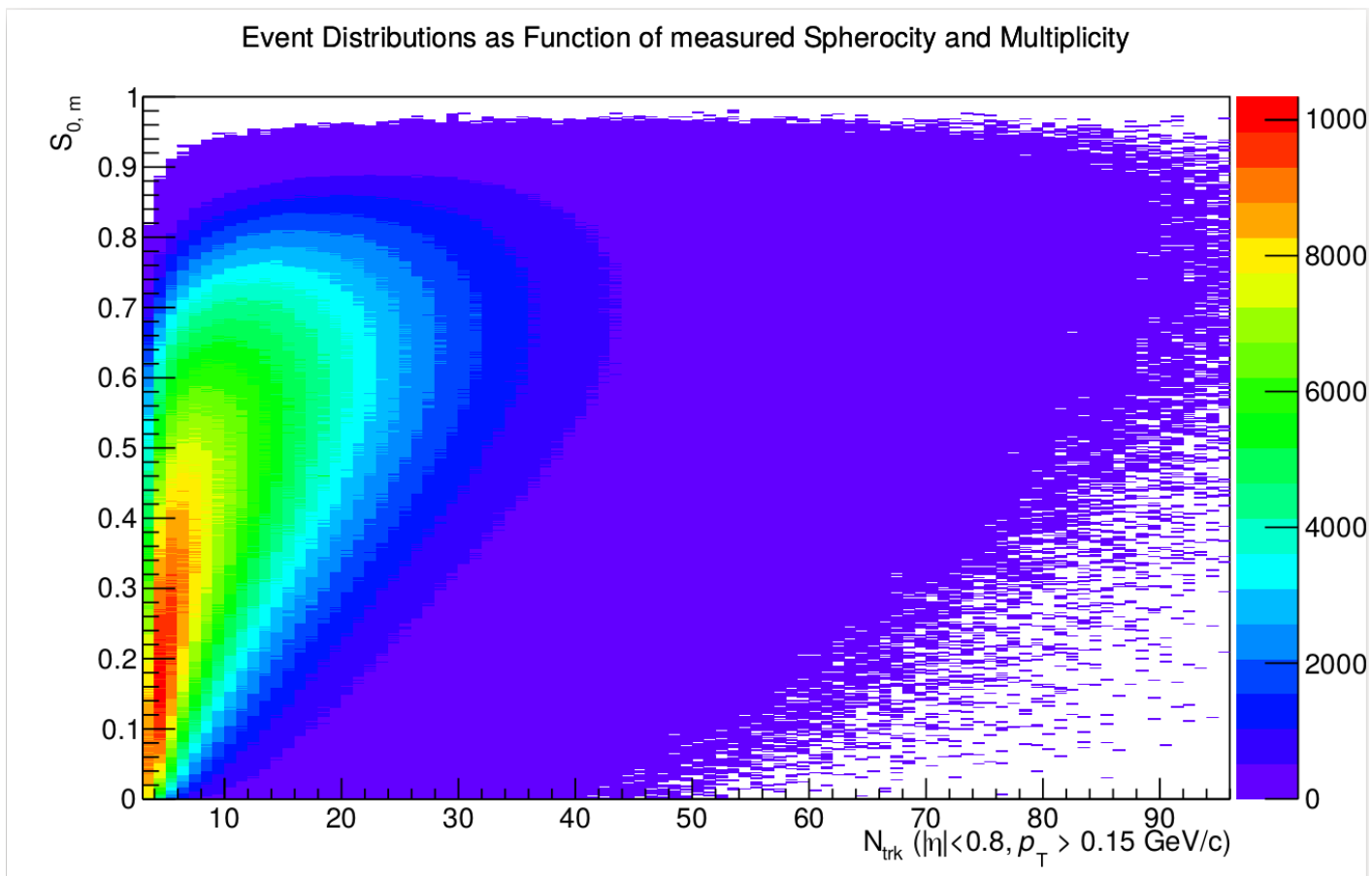


$$h(X_{\{m,t\}}) = N_{trk} (p_{T,\{m,t\}}, S_{O,\{m,t\}}, N_{\{m,t\}})$$

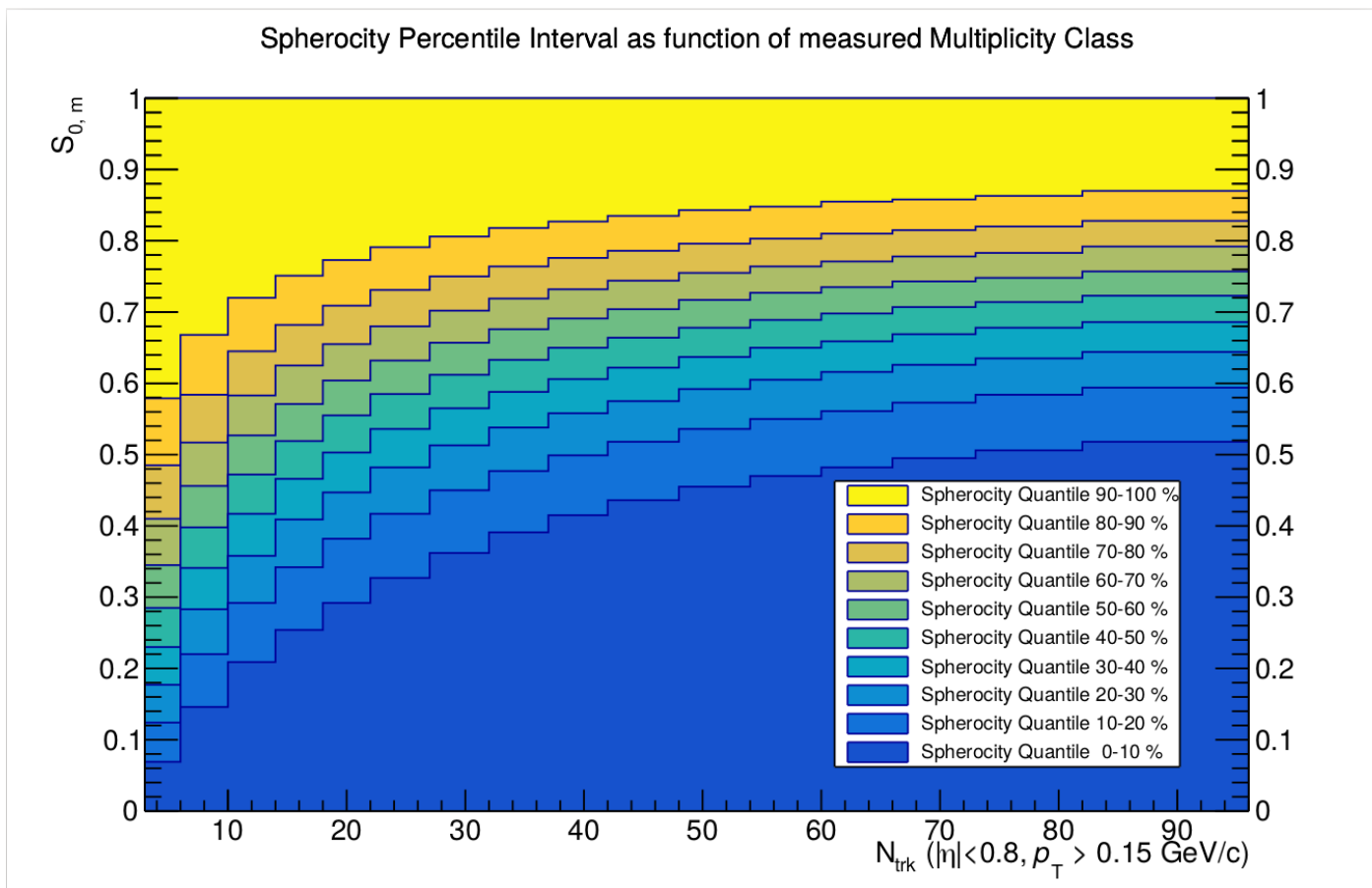
After this change in variables we arrive to a much bigger (but 2D!) detector response matrix



$N_{acc} : N_m$ Number of measured tracklets with the TPC
 $N_{ch} : N_t$ Number of true charged particles at generator level

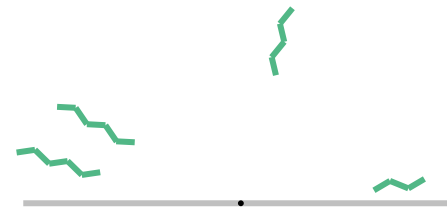
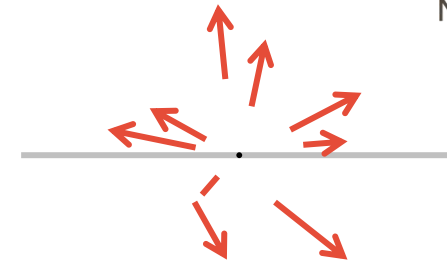


- Statistics very dependent on multiplicity → homogenize distribution



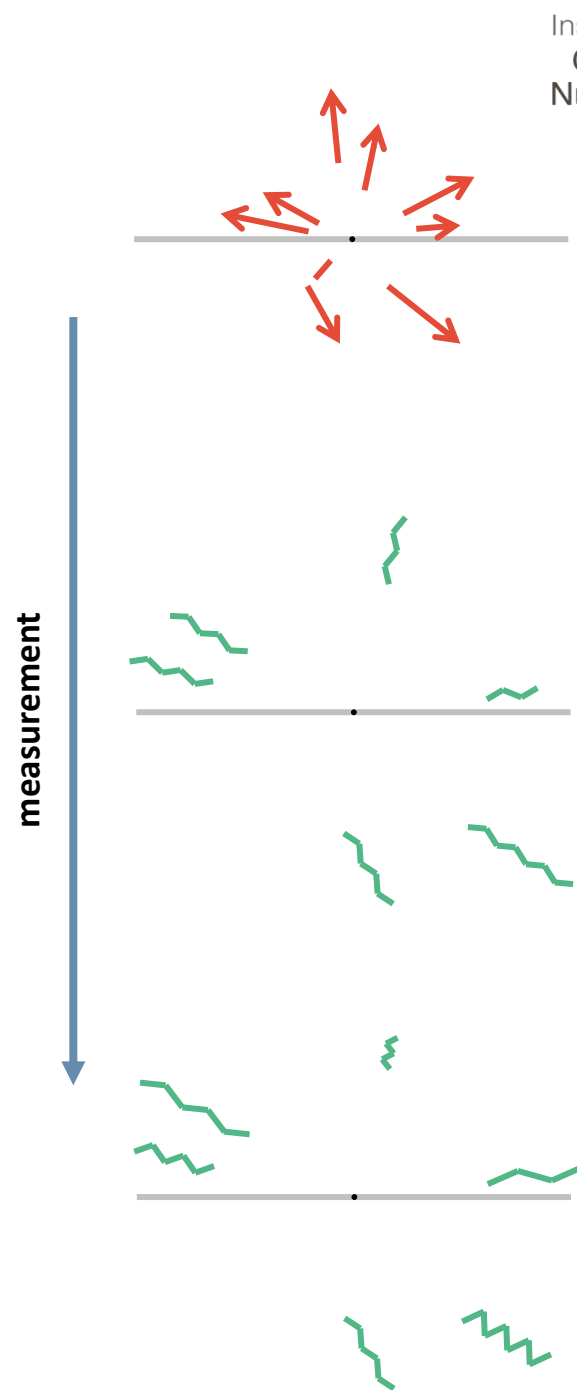
- Statistics very dependent on multiplicity → homogenize distribution
- Binning in sphericity determined by tracks (not necessarily equal binning for particles!)

Track Unfolding and Corrections



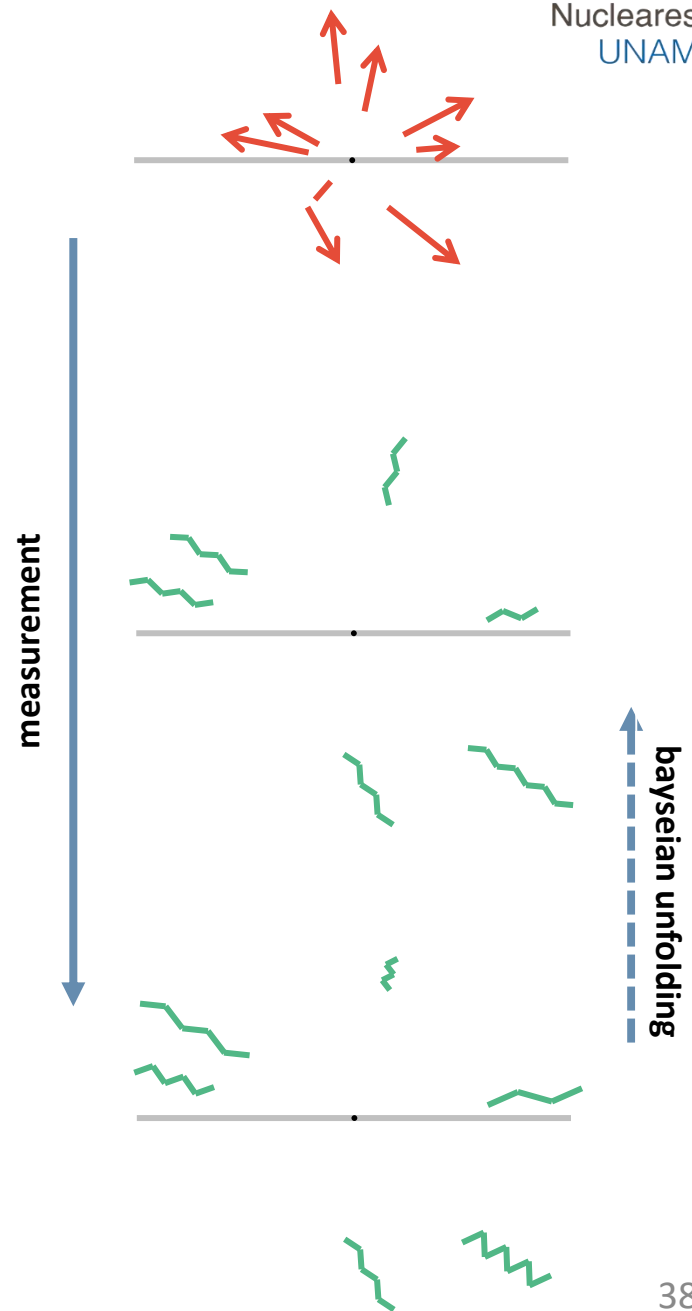
Track Unfolding and Corrections

- At the measurement, it happens two things:
 - Particles are lost either by decay or by detector efficiency.
 - The $p_{T,t}$ of the track is measured as $p_{T,m}$, given by the detector resolution



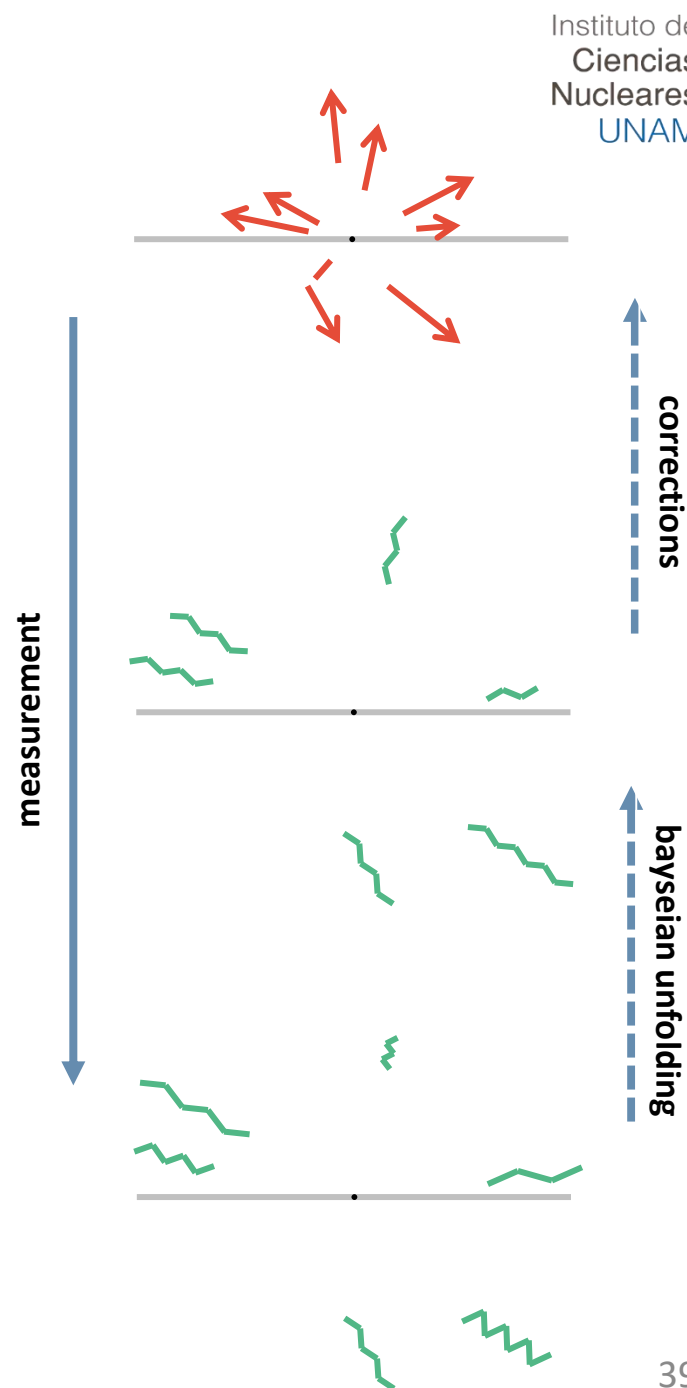
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- The bayesian unfolding recovers $p_{T,t}$ of the track.

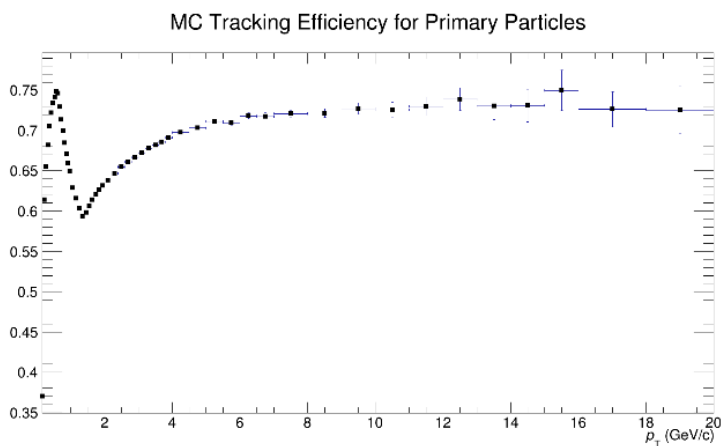


Track Unfolding and Corrections

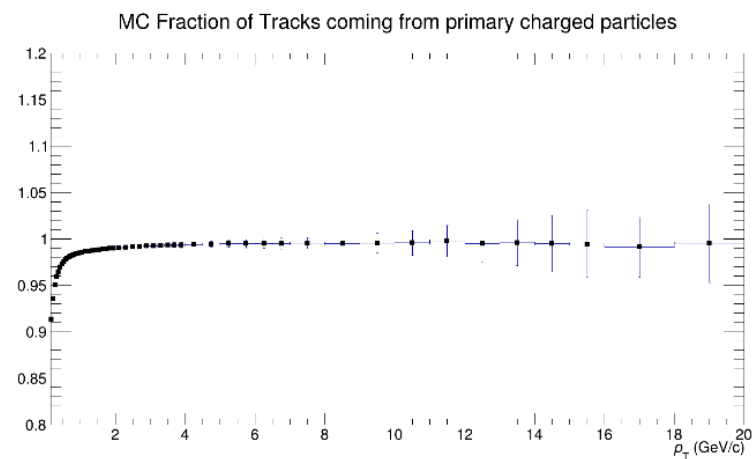
- At the measurement, it happens two things:
 - Particles are lost either by decay or by detector efficiency.
 - The $p_{T,t}$ of the track is measured as $p_{T,m}$, given by the detector resolution
- The bayesian unfolding recovers $p_{T,t}$ of the track.
- We apply corrections to the p_T spectra to recover the number of charged primary particles.



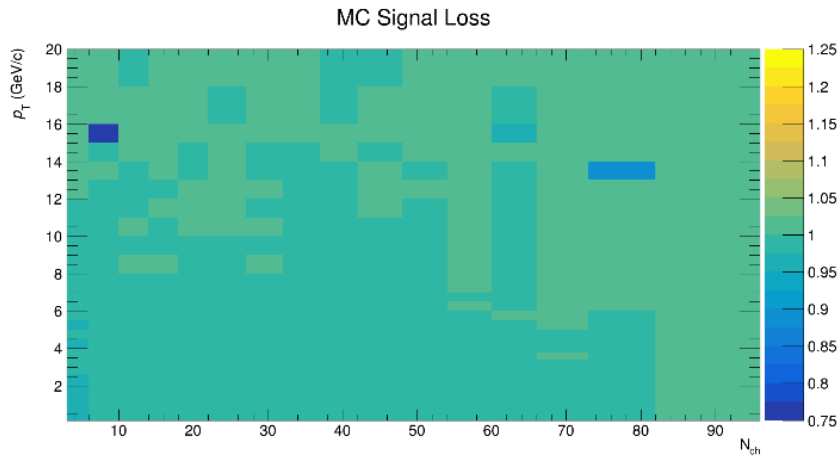
$$IY(p_T) = \frac{1}{N_{evt}} \frac{1}{2\pi p_T} \frac{d^2 N_{ch}}{d\eta dp_T} = \frac{1}{2\pi p_T} \frac{1}{N_{events}} \frac{N_{tracks}}{\Delta\eta \Delta p_T} \frac{C_{sec\ cont}}{\varepsilon_{track}} \frac{\varepsilon_{ev\ loss}}{\varepsilon_{sg\ loss}}$$



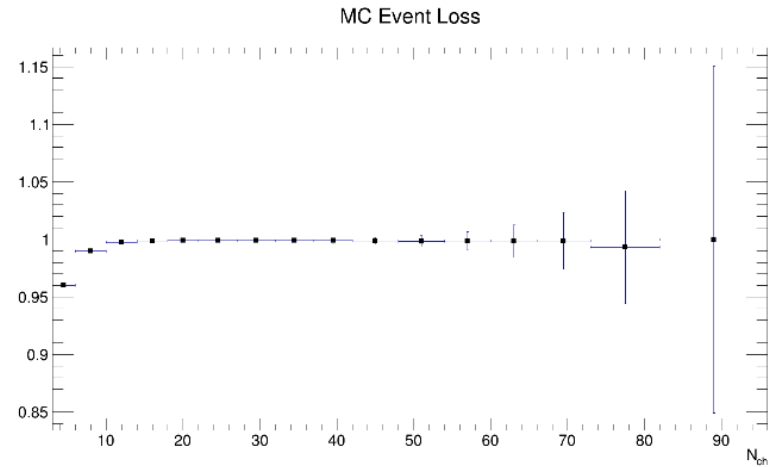
Tracking Efficiency:
Reconstruction of tracklets in
the TPC.



Primary Fraction Tracks:
Counts the Secondary
Contamination. Quantified with
the true variable.



Signal Loss:
Loss of particles by event selection



Event Loss:
Loss if events by event selection

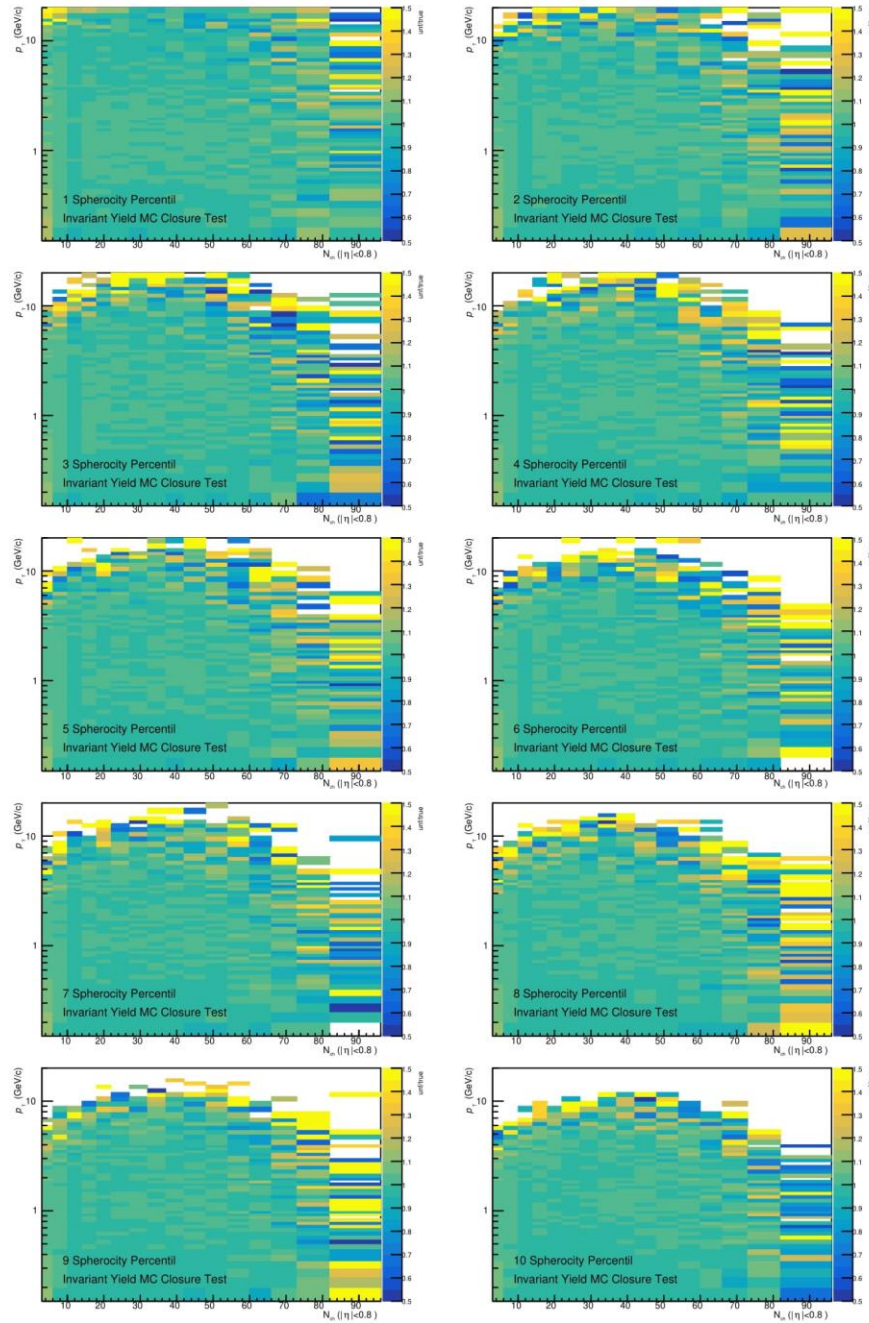
Results



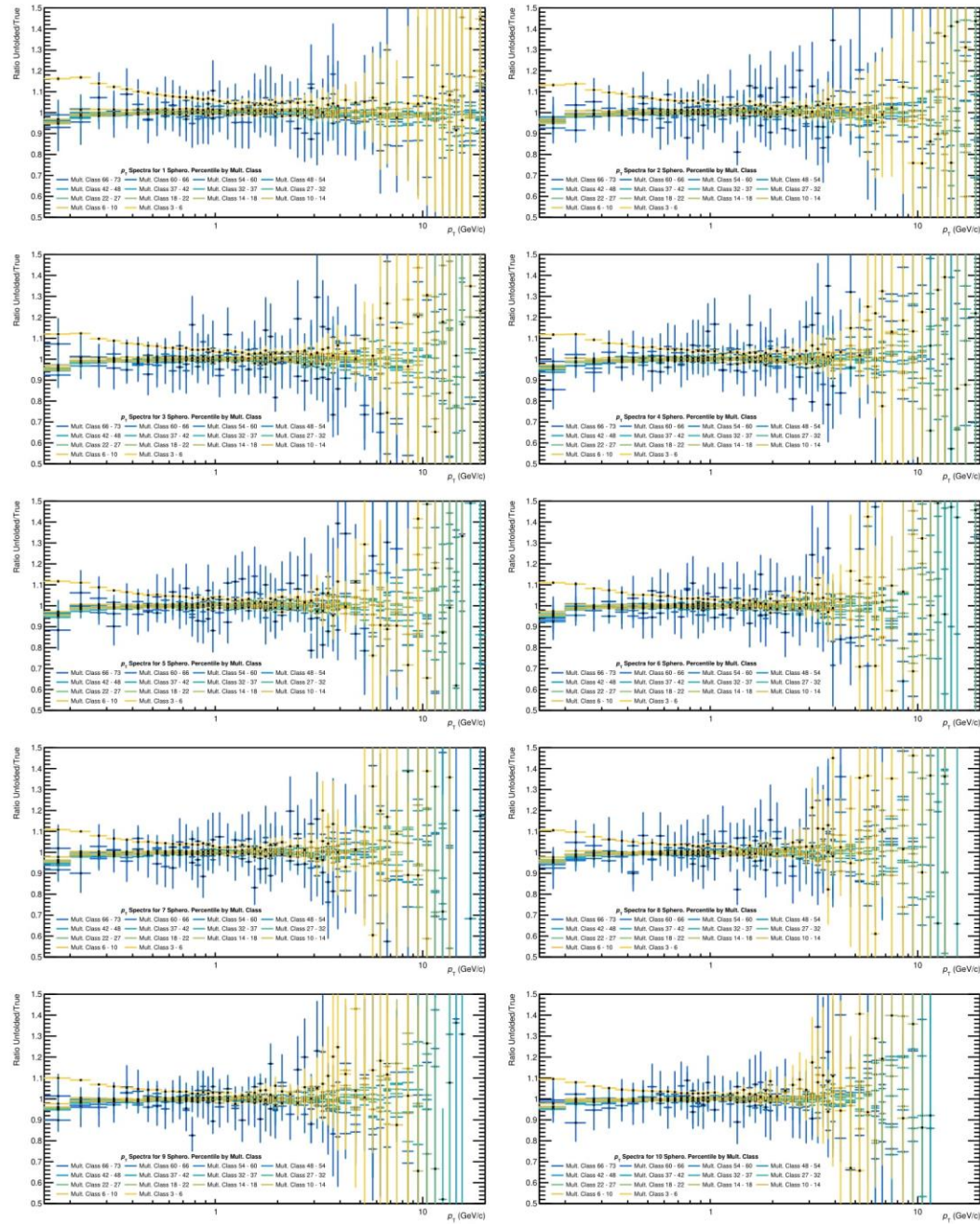
Crosscheck: MC Closure Test



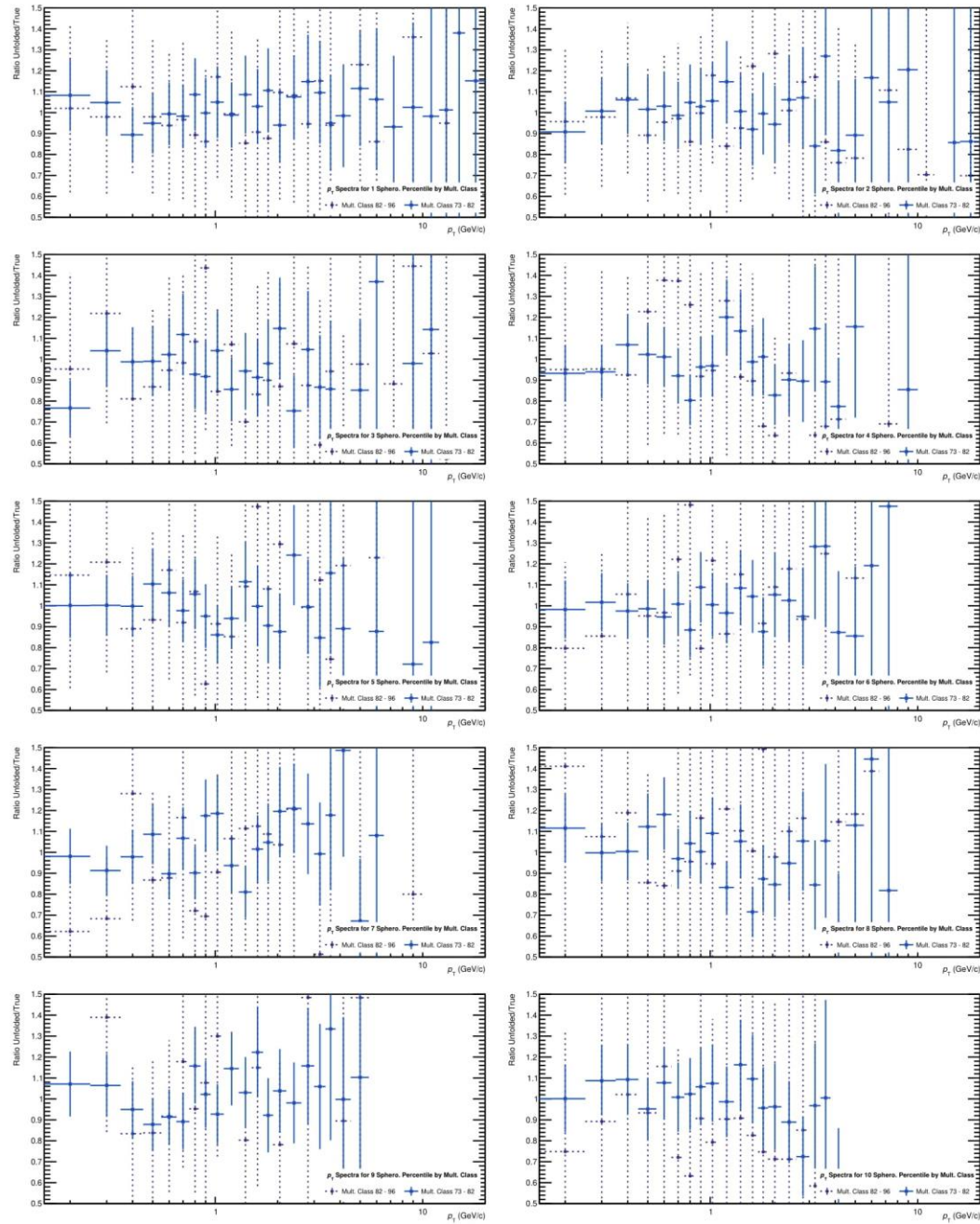
Invariant Yield MC Closure Test



Invariant Yield MC Closure Test



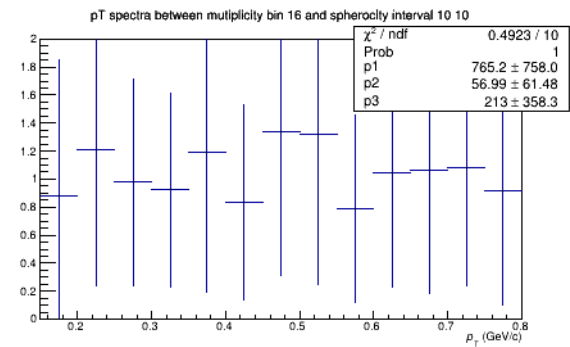
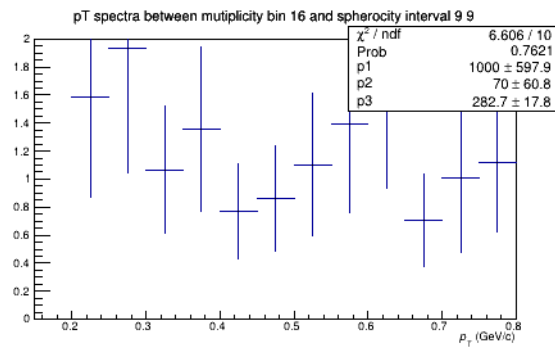
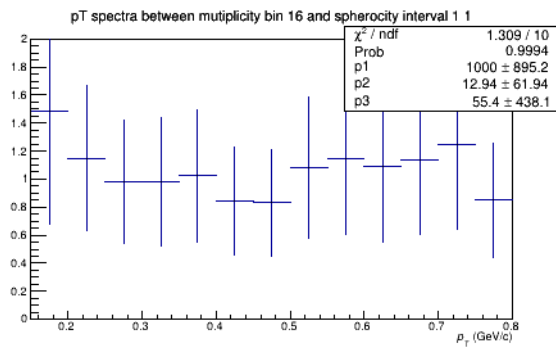
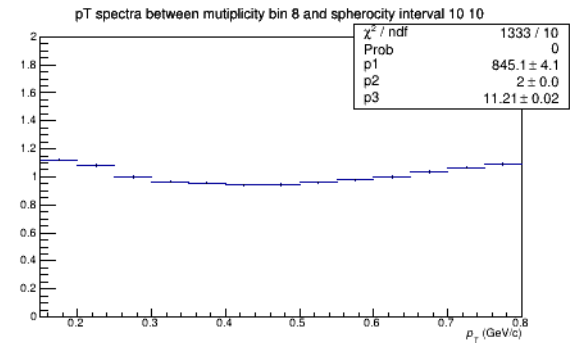
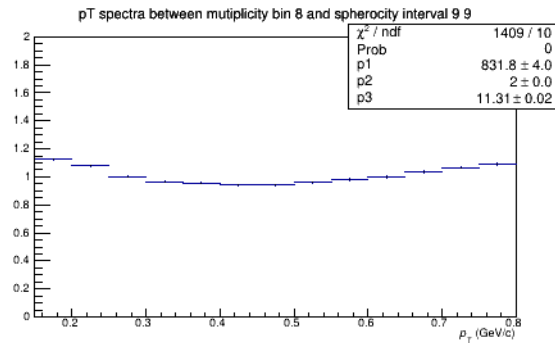
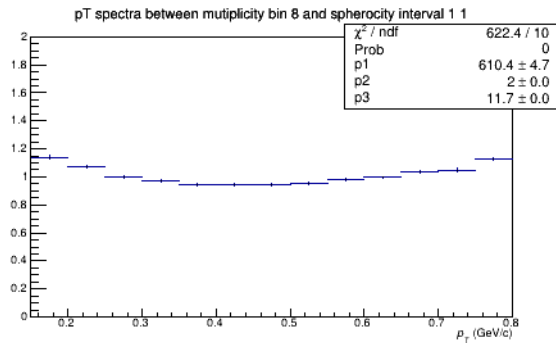
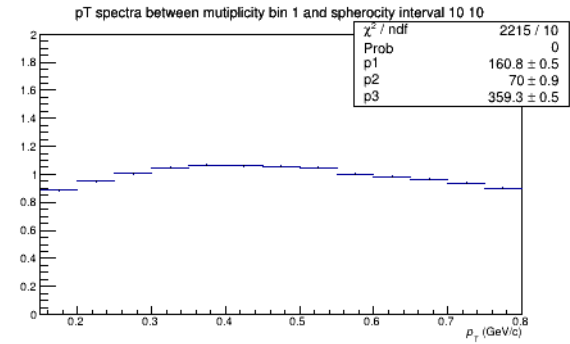
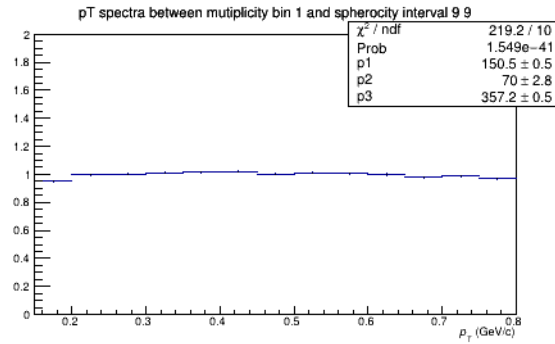
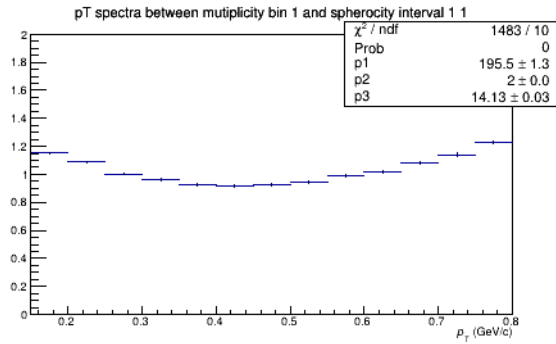
Invariant Yield MC Closure Test



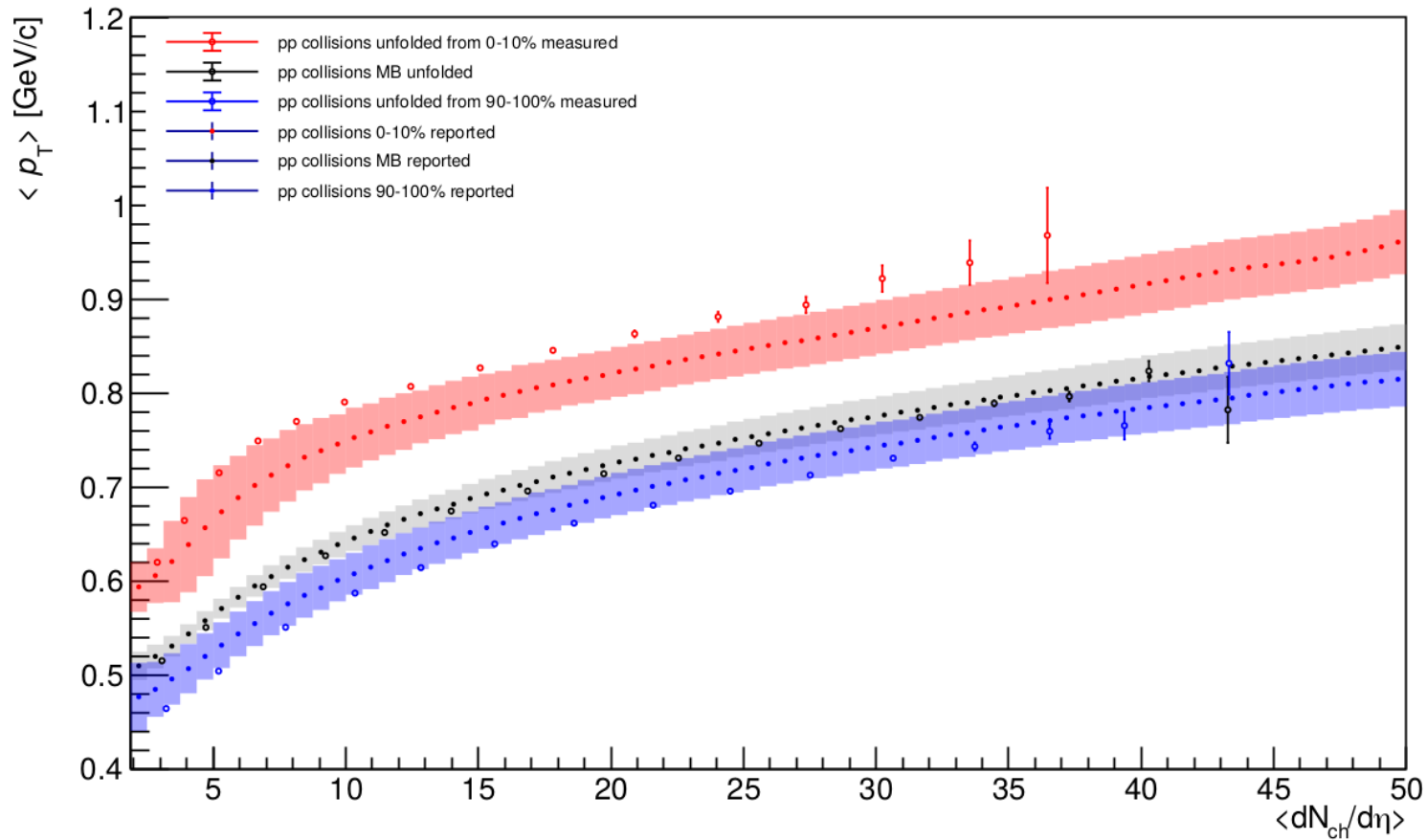


Crosscheck: Mean p_T for pp collisions ALICE





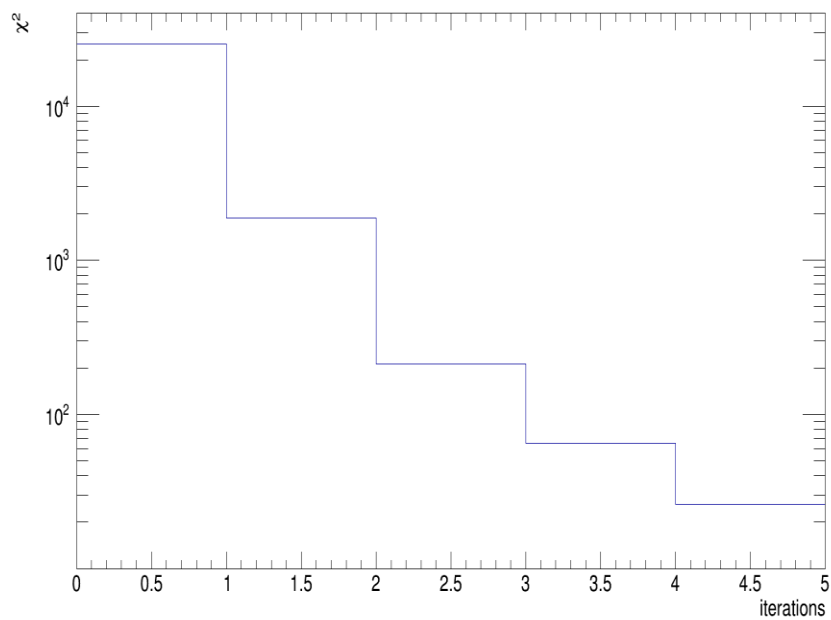
$\langle p_T \rangle$ as a function of Multiplicity Density by Sphericity Class



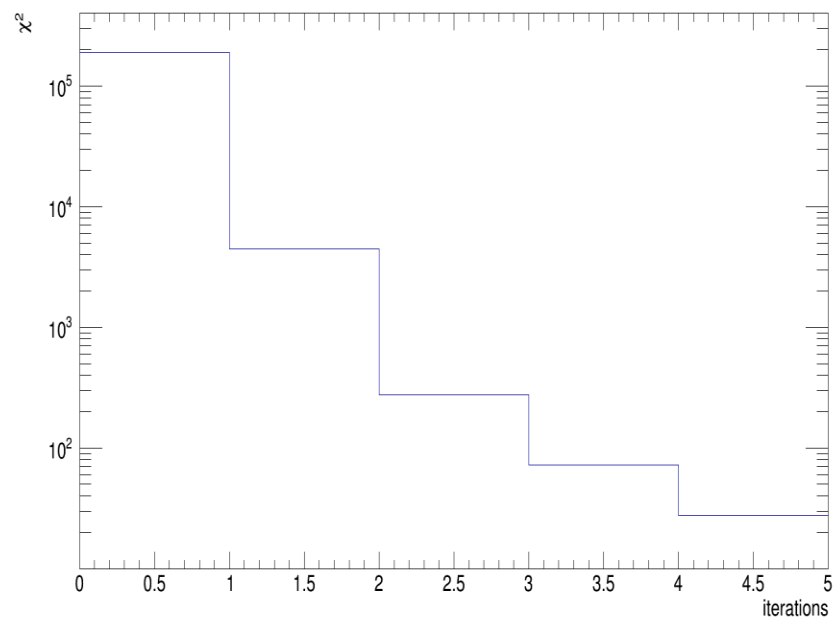
- The unfolding method is a powerful tool to describe the p_T Spectra in a multidifferential analysis.

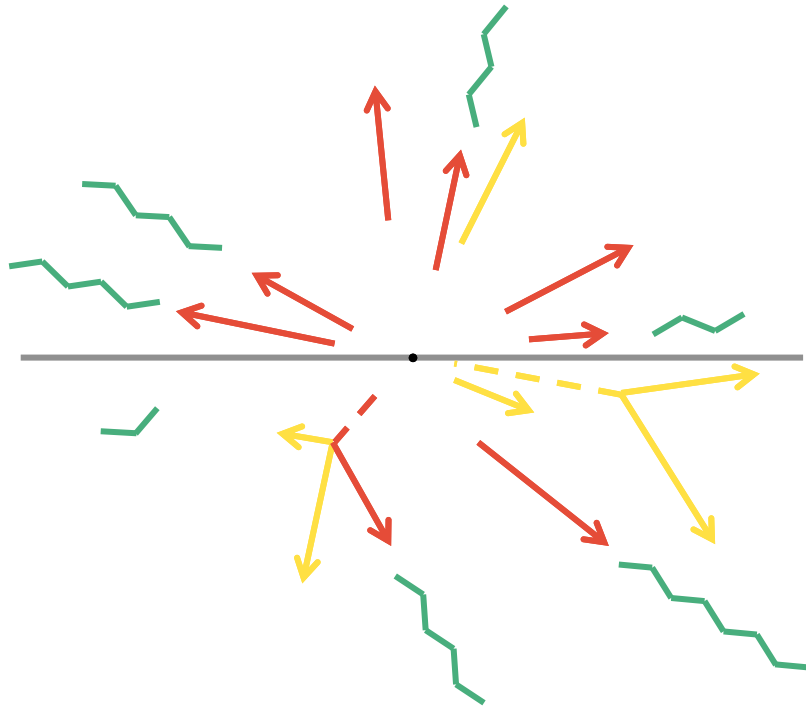
Backup



Chi square between current and last iteration in Event (Y) Unfolding



Chi square between current and last iteration in Particle (X) Unfolding





-  Neutral particle momentum
-  Charged particle momentum

- In a hadron collision we have the emission of charged and neutral particles, that could be stable or decaying.