

Stabilizing the SM with Vector-like Fermions

soon on arxiv

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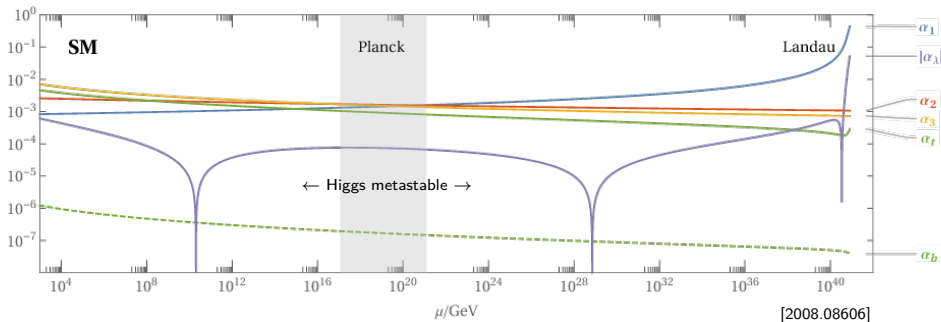
TU Dortmund
Theoretical Physics Department IV

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Motivation

Standard Model RG Flow (3-loop)

gauge: $\alpha_i = \frac{g_i^2}{16\pi^2}$, Yukawas: $\alpha_{t,b} = \frac{y_{t,b}^2}{16\pi^2}$, quartics: $\alpha_\lambda = \frac{\lambda}{16\pi^2}$



- ▶ Higgs potential metastable ($\alpha_\lambda < 0$) at $10^{10} - 10^{29}$ GeV [1307.3536]
- ▶ Hypercharge Landau pole at 10^{41} GeV

Planck Safety

'Well-behaved' RG Running of couplings up to $M_{\text{Pl}} \sim 10^{19}$ GeV without

- ▶ Landau poles

- ▶ Vacuum instabilities (Higgs)

⇒ Soft PS: scalar potential stable at M_{Pl} :

$$\lambda(M_{\text{Pl.}}) > 0$$

⇒ Strict PS: scalar potential stable up to M_{Pl} :

$$\lambda(\mu) > 0, \forall \mu \in [\mu_0, M_{\text{Pl.}}]$$

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⇒ Constraints on model parameters *independent* from experimental data

very promising concept for BSM model building!

[1702.0172, 1910.14062, 2008.08606, 2011.12964, 2109.06201]

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How to make the SM Planck-safe in a minimally invasive way?

Setup

Model

- ▶ Extend SM with vector-like fermions ψ
 - ⇒ Avoids gauge anomalies
 - ⇒ Explicit Dirac mass term

Model

- ▶ Extend SM with vector-like fermions ψ
 - ⇒ Avoids gauge anomalies
 - ⇒ Explicit Dirac mass term
- ▶ Free parameters
 - ⇒ Representation (Y_F, d_2, d_3) under $U(1)_Y \times SU(2)_L \times SU(3)_C$
 - ⇒ Multiplicity N_F
 - ⇒ Mass $M_F \gtrsim 1 \text{ TeV}$
 - ⇒ some rep.: Yukawa portal coupling κ to SM fields

Gauge Portal

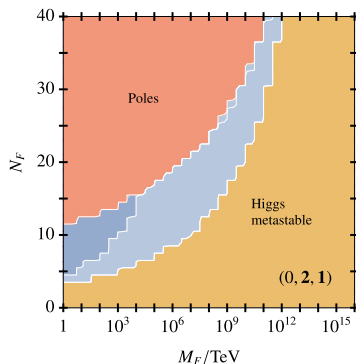
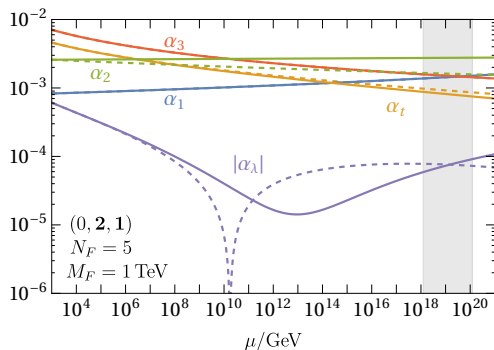
Effects

Focus on representations without Yukawa portal to SM

- ▶ VLFs generically enhance running of gauge couplings
 - ⇒ Landau poles for high representations or large N_F
 - ⇒ Upper limit $N_F < N_F^{\text{pole}}$ for fixed (Y_F, d_2, d_3) and M_F
- ▶ Stabilization of Higgs potential possible
 - ⇒ Requires minimal $N_F > N_F^{\text{min}}$ depending on rep.
 - ⇒ Possible Planck safety window $N_F^{\text{min}} < N_F < N_F^{\text{pole}}$ for fixed $M_F!$

Electroweak Portal

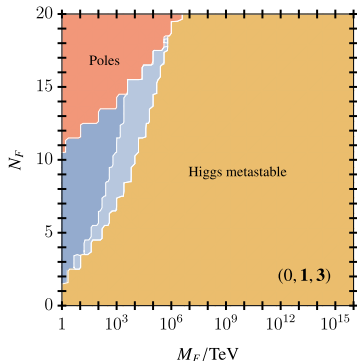
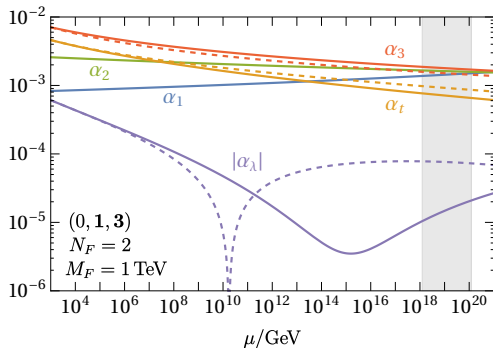
'Pure VLLs': (0, 2, 1)



Electroweak portal (2-loop): $\alpha_{1,2}(\mu) \uparrow \Rightarrow \alpha_\lambda(\mu) \uparrow$

Strong Portal

'Pure VLQs': (0, 1, 3)



Strong portal (3-loop): $\alpha_3(\mu) \uparrow \Rightarrow \alpha_t(\mu) \downarrow \Rightarrow \alpha_\lambda(\mu) \uparrow$

Yukawa Portal

Models ($N_F = 1$)

Model	(Y_F, d_2, d_3)	$-\mathcal{L}_{\text{portal}}^Y$	RG fate for $\kappa = 0, M_F = 1 \text{ TeV}$
A	$(-1, \mathbf{1}, \mathbf{1})$	$\kappa_i \bar{L}_i H \psi_R$	Higgs metastable
B	$(-1, \mathbf{3}, \mathbf{1})$	$\kappa_i \bar{L}_i \psi_R H$	strict Planck safety
C	$(-\frac{1}{2}, \mathbf{2}, \mathbf{1})$	$\kappa_i \bar{\psi}_L H E_i$	Higgs metastable
D	$(-\frac{3}{2}, \mathbf{2}, \mathbf{1})$	$\kappa_i \bar{\psi}_L H^c E_i$	soft Planck safety
E	$(0, \mathbf{1}, \mathbf{1})$	$\kappa_i \bar{L}_i H^c \psi_R$	Higgs metastable
F	$(0, \mathbf{3}, \mathbf{1})$	$\kappa_i \bar{L}_i \psi_R H^c$	soft Planck safety
G	$(-\frac{1}{3}, \mathbf{1}, \mathbf{3})$	$\kappa_i \bar{Q}_i H \psi_R$	Higgs metastable
H	$(+\frac{2}{3}, \mathbf{1}, \mathbf{3})$	$\kappa_i \bar{Q}_i H^c \psi_R$	Higgs metastable
I	$(-\frac{1}{3}, \mathbf{3}, \mathbf{3})$	$\kappa_i \bar{Q}_i \psi_R H$	α_2 -pole at 10^{16} GeV
J	$(+\frac{2}{3}, \mathbf{3}, \mathbf{3})$	$\kappa_i \bar{Q}_i \psi_R H^c$	α_2 -pole at 10^{16} GeV
K	$(+\frac{1}{6}, \mathbf{2}, \mathbf{3})$	$\kappa_i^{(u)} \bar{\psi}_L H^c U_i + \kappa_i^{(d)} \bar{\psi}_L H D_i$	strict Planck safety
L	$(+\frac{7}{6}, \mathbf{2}, \mathbf{3})$	$\kappa_i \bar{\psi}_L H U_3$	α_1 -pole at 10^{17} GeV
M	$(-\frac{5}{6}, \mathbf{2}, \mathbf{3})$	$\kappa_i \bar{\psi}_L H^c D_3$	strict Planck safety

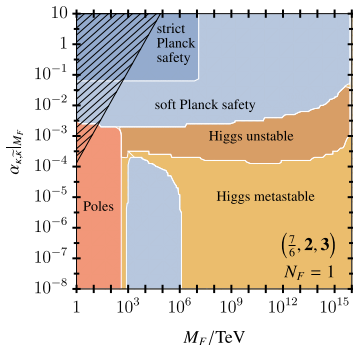
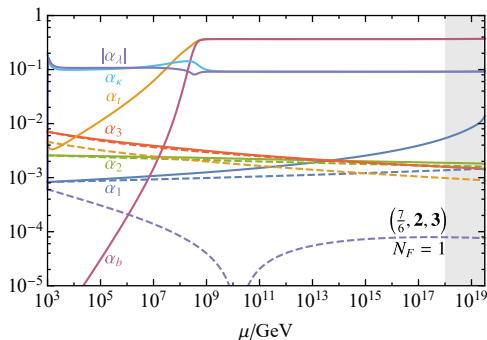
Yukawa portals κ generically tame growth of gauge couplings
BUT: tend to destabilize the Higgs

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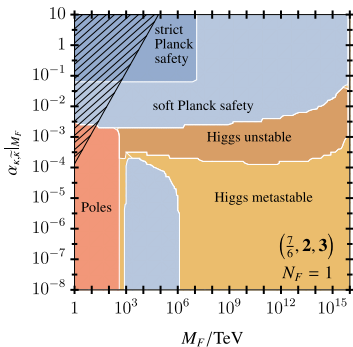
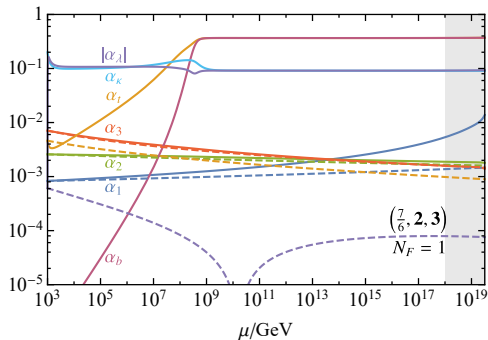
Some models: Planck safety window for feeble $\alpha_{\kappa}(\mu_0) \simeq 0$
 \Rightarrow Gauge portal mechanisms (constructive interference)

Yukawa Portal



- ▶ All models: strict PS window for large $\alpha_\kappa(\mu_0) \gtrsim \mathcal{O}(0.1)$
 \Rightarrow Strongly coupled walking regimes
- ▶ Phenomenological constraints from fermionic mixing α_κ/M_F^2

Yukawa Portal



► universal κ_i : Strong FCNC constraints on $\alpha_\kappa^{(2)}/M_F^2$

⇒ Here: 1-loop D -mixing from $\mathcal{L}_{\text{eff}} = -\frac{(\kappa_i \kappa_j^*)^2}{128\pi^2 M_F^2} (\bar{U}_i \gamma_\mu U_j) (\bar{U}_j \gamma^\mu U_i)$

⇒ Lower mass bounds for strict PS $M_F \gtrsim 500$ TeV

Conclusion

Conclusion

- ▶ Extending the SM with VLFs can stabilize the Higgs
⇒ Possible for VLQs and VLLs, with and without Yukawa portals
- ▶ Without Yukawa portals
⇒ Strong and weak gauge portal mechanisms
⇒ Upper limits on Y_F , d_2 , d_3 , N_F due to Landau poles
- ▶ With Yukawa portals
⇒ Stabilization possible for **all** suitable representations
⇒ Large $\alpha_{\kappa}(M_F)$ induces strongly coupled walking regime
⇒ Strong FCNC constraints for universal κ_i
⇒ Combined lower mass bounds of up to few 100 TeV

BACKUP

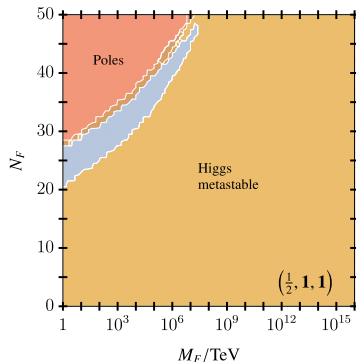
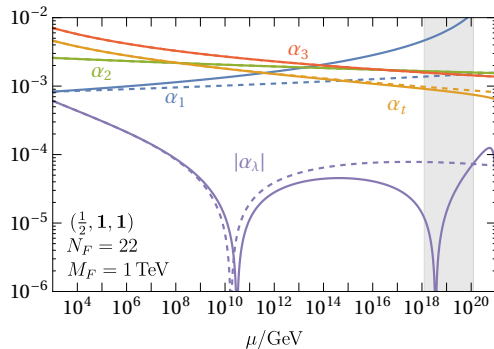
Gauge Portal mechanisms

Derive gauge portal mechanism: leading-loop, leading-log, linear in δB_i

- ▶ Running of gauge couplings: $\beta_i^{1\text{-loop}} = -B_i \alpha_i^2$, $B_i = B_i^{\text{SM}} - \delta B_i$
 \Rightarrow VLFs: $\delta B_1 = \frac{8}{3} N_F d_2 d_3 Y_F^2 \geq 0$, $\delta B_{2,3} = \frac{8}{3} N_F d_{3,2} S_2(d_{2,3}) \geq 0$
 \Rightarrow Presence of VLFs generically enhances running $\alpha_i(\mu)$
- ▶ Induced decrease in running of $\alpha_t(\mu)$ from $\beta_t^{1\text{-loop}}$
 $\Rightarrow \alpha_t(\Lambda) - \alpha_t^{\text{SM}}(\Lambda) \approx -\alpha_t(\mu_0) \Delta_t(\mu_0) \ln^2 \left(\frac{\Lambda}{\mu_0} \right)$,
 $\Delta_t = \frac{17}{12} \delta B_1 \alpha_1^2 + \frac{9}{4} \delta B_2 \alpha_2^2 + 8 \delta B_3 \alpha_3^2 > 0$
- ▶ Increase in running of $\alpha_\lambda(\mu)$ from $\beta_\lambda^{1\text{-loop}}$
 $\Rightarrow \alpha_\lambda(\Lambda) - \alpha_\lambda^{\text{SM}}(\Lambda) \approx + \frac{3}{8} \alpha_1^2(\mu_0) [\alpha_1(\mu_0) + \alpha_2(\mu_0)] \delta B_1 \ln^2(\Lambda/\mu_0)$
 $+ \frac{3}{8} \alpha_2^2(\mu_0) [\alpha_1(\mu_0) + 3\alpha_2(\mu_0)] \delta B_2 \ln^2(\Lambda/\mu_0)$
 $+ 32 \alpha_t^2(\mu_0) \alpha_3^2(\mu_0) \delta B_3 \ln^3(\Lambda/\mu_0)$

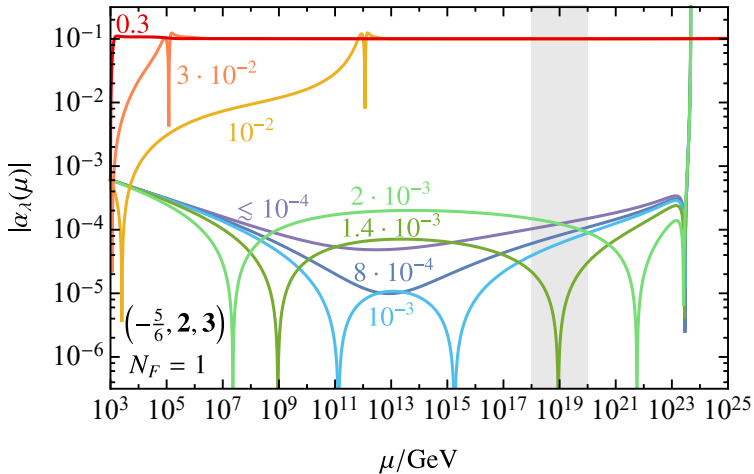
Hypercharge Portal

'Pure Hypercharge VLLs': $(\frac{1}{2}, \mathbf{1}, \mathbf{1})$

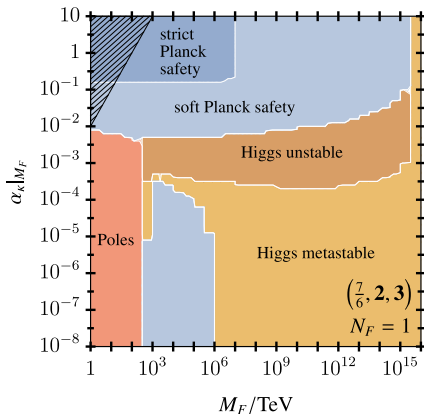
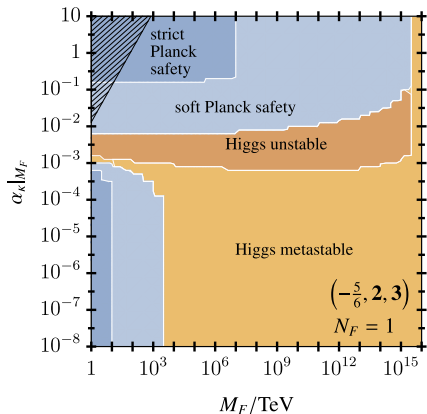


Hypercharge portal (2-loop): $\alpha_1(\mu) \uparrow \Rightarrow \alpha_\lambda(\mu) \uparrow$

Planck Safety Windows



BSM Critical Surface 3rd gen. Yukawa Portal



Mass bounds

Lower VLF mass bounds in the flavor universal benchmark

Model	(Y_F, d_2, d_3)	soft PS	strict PS
A	$(-1, \mathbf{1}, \mathbf{1})$	170 TeV	870 TeV
C	$(-\frac{1}{2}, \mathbf{2}, \mathbf{1})$	170 TeV	870 TeV
D	$(-\frac{3}{2}, \mathbf{2}, \mathbf{1})$	-	870 TeV
G	$(-\frac{1}{3}, \mathbf{1}, \mathbf{3})$	56 TeV	420 TeV
H	$(+\frac{2}{3}, \mathbf{1}, \mathbf{3})$	13 TeV	420 TeV
I	$(-\frac{1}{3}, \mathbf{3}, \mathbf{3})$	29 TeV	29 TeV
J	$(+\frac{2}{3}, \mathbf{3}, \mathbf{3})$	30 TeV	30 TeV
L	$(+\frac{7}{6}, \mathbf{2}, \mathbf{3})$	19 TeV	480 TeV