

Photons and Jets

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11/04/2022

Outline

Introduction

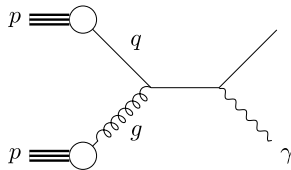
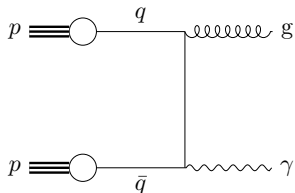
- photon production at hadron colliders
- photon isolation: basics
- photon isolation: cone based isolations

Phenomenology

- comparison of isolation prescriptions at NNLO
- impact of photon fragmentation
- observable to access the fragmentation: z_{rec}

Photon production at hadron colliders

- probe of the hard QCD dynamics
- direct sensitivity to the gluon distribution in the proton
- background estimates in new physics (NP) searches (see e.g. [[1705.04664](#)])



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Experimental status

- exp. uncertainties on σ_{tot} and distributions pushed down to $\mathcal{O}(\text{few } \%)$

CMS	[1505.06520]	$\gamma + j$	8TeV	triple differential
	[1807.00782]	$\gamma + X/j$	13TeV	
	[1907.08155]	$\gamma + j$	8TeV	
ATLAS	[1605.03495]	$\gamma + X$	8TeV	
	[1801.00112]	$\gamma + j$	13TeV	
	[1901.10075]	$\gamma + X$	$R_{13/8}^{\gamma}$	
	[1908.02746]	$\gamma + X$	13TeV	
	[1912.09866]	$\gamma + 2j$	13TeV	

Photon production at hadron colliders

- probe of the hard QCD dynamics
- direct sensitivity to the gluon distribution in the proton
- background estimates in new physics (NP) searches (see e.g. [1705.04664])

Theoretical status

- NLO QCD theory uncertainty $> \mathcal{O}(10\%)$
→ need higher order QCD corrections

MCFM	[1703.10109]	NNLO QCD, smooth cone isolation
NNLOJET	[1904.01044]	NNLO QCD, hybrid isolation
	[22xx.xxxxx]	NNLO QCD+NLO EW, hybrid isolation
	[2201.06982, 22xx.xxxxx]	NNLO QCD, fixed cone isolation

Photon isolation - I

For any collider process with final state (FS) photons:

primary photons

photons created in the hard scattering

$$d\hat{\sigma}^{\gamma+X} = \underbrace{d\hat{\sigma}^{\gamma+X}}_{\text{direct}} + \underbrace{\sum_a d\hat{\sigma}^{a+X}}_{\text{fragmentation}} \otimes D_{a \rightarrow \gamma}$$

residual $q\gamma$ -collinear singularities:
absorbed into fragmentation function

secondary photons

- photons emitted after the actual scattering, e.g. during the hadronization process ($\pi \rightarrow \gamma\gamma, \dots$)
- not a contribution associated with the underlying hard process under consideration
→ huge background

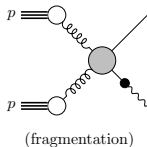
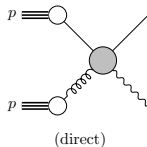
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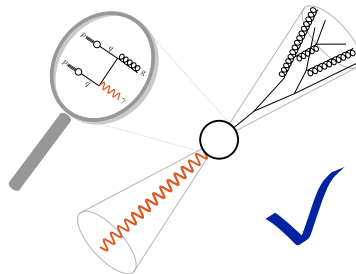
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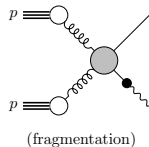
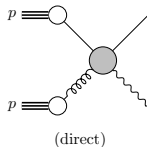
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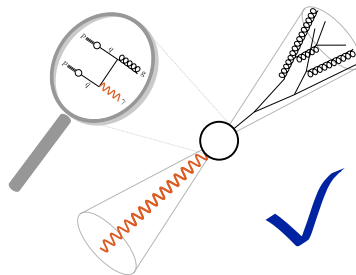
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$$D_{a \rightarrow \gamma} \sim \mathcal{O}(\alpha)$$

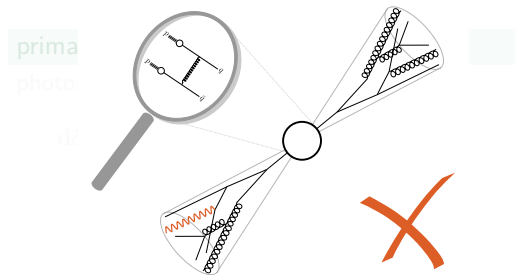


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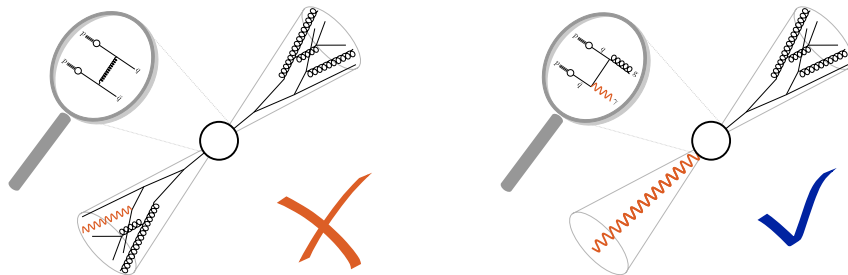


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Photon isolation - II

Idea: look for photons isolated from hadronic radiation



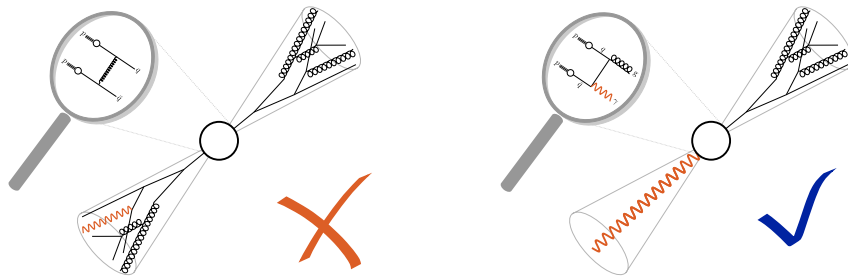
Photon Isolation

⇒ Most of the (transverse) energy in the vicinity of the candidate isolated photon must be carried by the photon itself.

Here: cone based isolations

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Fixed/Hard cone isolation

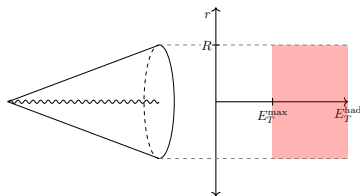
Idea/Concept

- define cone around photon with fixed $R = \sqrt{\Delta\eta^2 + \Delta\phi^2}$
- integrate all hadronic E_T within the cone
- set upper limit: $E_T^{\text{had}} \leq E_T^{\text{max}}(p_T^\gamma) = \varepsilon p_T^\gamma + E_T^{\text{thres}}$

technical complications

[Les Houches 2009, 2011, 2015 ...]

- direct component ✓, fragmentation component ✓
- fragmentation functions $D_{a \rightarrow \gamma}$ [M.Gluck et al. 1995; L.Bourhis et al., hep-ph/9704447] are complicated to include into theory calculations
- $E_T^{\text{max}} \rightarrow 0$: no frag. contribution but not infrared (IR) safe

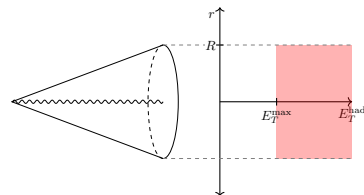


Standard procedure
used in all modern
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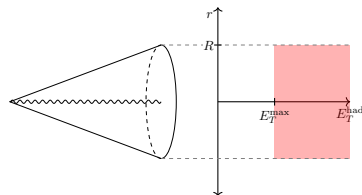
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Idealised cone isolation

Idea/Concept

[S.Frixione, hep-ph/9801442] [F.Siegert, 1611.07226; X.Chen et al., 1904.01044]

- make isolation condition r -dependent:

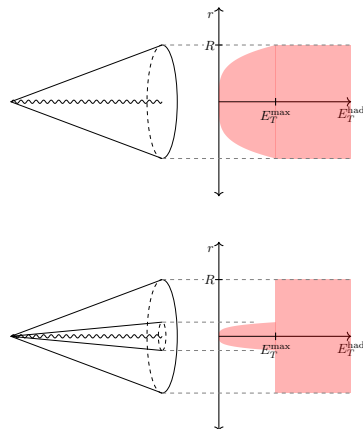
$$E_T^{\text{had}}(r) \leq E_T^{\text{max}}(p_T^\gamma) \chi(r) \quad \forall r \leq R$$

- $\chi(r) \xrightarrow[r \rightarrow 0]{} 0$ (smoothly): direct comp. ✓, frag. comp. ✗
- IR safe

technical complications

[Les Houches 2013, 2015, 2019; S.Catani et al., 1802.02095; X.Chen et al., 1904.01044]

- problem: smooth profile cannot be implemented in experiment
- fix isolation parameters to mimic experimental isolation
- systematic discrepancy ($\mathcal{O}(\text{few } \%)$) between isolation prescriptions in experiment and theory



Common procedure
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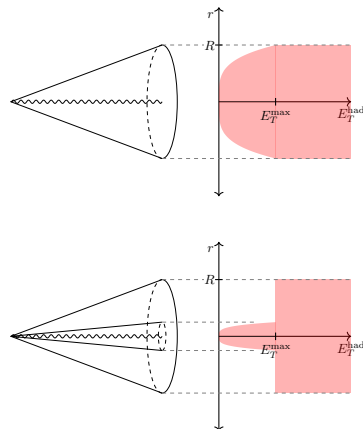
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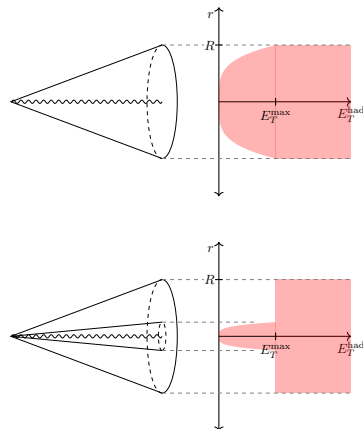
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Implementation of fragmentation contribution in NNLOJET

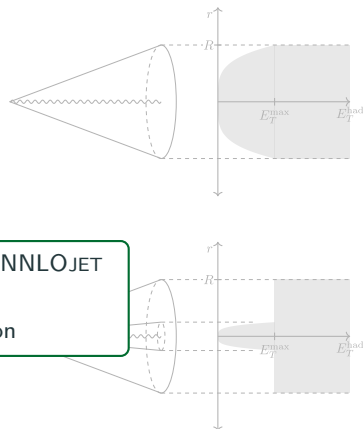
\Rightarrow

NNLO QCD with realistic photon isolation

technical complications

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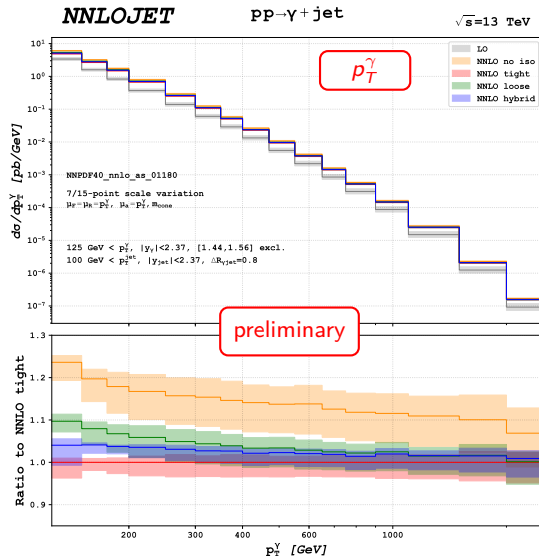
Loose vs. tight vs. no vs. hybrid isolation

photon transverse momentum

- highest isolation sensitivity in low p_T^γ region
- in high p_T^γ regime: photon well separated from additional hadronic energy
- moderate impact of photon isolation on **prompt** photon production

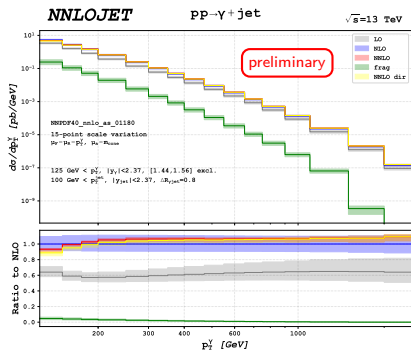
Isolations ($R = 0.4$)

- **tight isolation**: $E_T^{\max} \approx 10$ GeV
- **hybrid isolation**: $E_T^{\max} \approx 10$ GeV ($R_{\text{inner}} = 0.1$)
- **loose isolation**: $E_T^{\max} \approx 50$ GeV

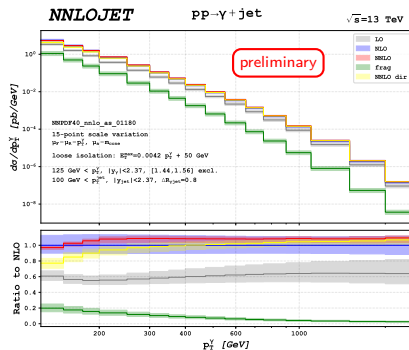


Size/impact of fragmentation contribution

direct vs. fragmentation contribution: increase sensitivity to fragmentation using looser criterion



Tight isolation: $E_T^{\text{max}} = 0.0042 p_T^\gamma + 10$ GeV

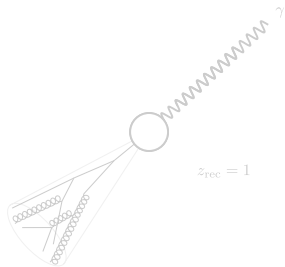


Loose isolation: $E_T^{\text{max}} = 0.0042 p_T^\gamma + 50$ GeV

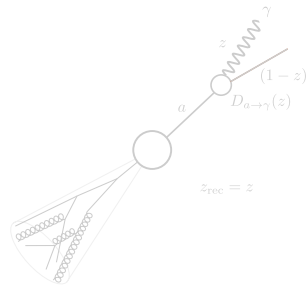
Accessing $D_{a \rightarrow \gamma}$ through z_{rec}

- $z_{\text{rec}} = p_T^\gamma / p_T^{\text{jet}}$: imbalance of the transverse momenta of the photon and the leading jet
- At LO: one-to-one correspondence to the momentum fraction in $D_{a \rightarrow \gamma}(z)$

direct @ lowest order



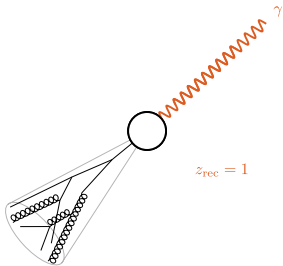
fragmentation @ lowest order



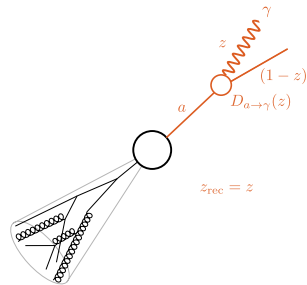
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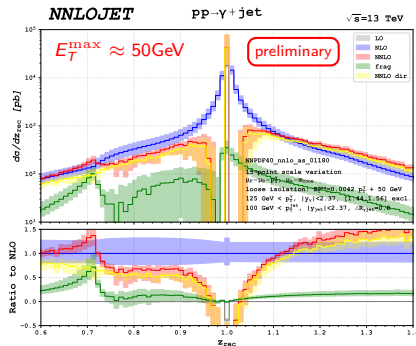
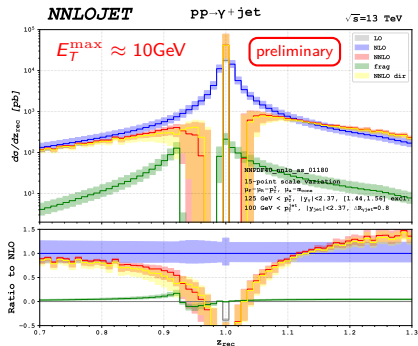


fragmentation @ lowest order



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- $z_{\text{rec}} \rightarrow 1$ sensitive to soft emissions \Rightarrow requires resummation of large logarithms

Conclusions

- precision phenomenology at the percent level **demands** overcoming mismatch between theory and experiment in isolation prescriptions
- consistent treatment of direct and fragmentation contribution at NNLO QCD is now a possibility!

Outlook

- Is there a way to constrain $D_{a \rightarrow \gamma}$ from LHC data?
⇒ z_{rec} : a possible observable
- fragmentation contribution can be enhanced by **looser** isolation and **smaller cones** (to be studied)
⇒ what is feasible experimentally?

Conclusions

Thank you!

Backup slides

Contributions to the Cross Section

- $d\hat{\sigma}_i$ cross section for production of identified particle/parton i

$$d\hat{\sigma}_i = d\hat{\sigma}_i^{\text{LO}} + \frac{\alpha_s}{2\pi} d\hat{\sigma}_i^{\text{NLO}} + \left(\frac{\alpha_s}{2\pi}\right)^2 d\hat{\sigma}_i^{\text{NNLO}} + \mathcal{O}(\alpha_s^3)$$

- composition of the photon production cross section:

$$\begin{aligned} d\hat{\sigma}^{\gamma+X,\text{LO}} &= d\hat{\sigma}_\gamma^{\text{LO}} \\ d\hat{\sigma}^{\gamma+X,\text{NLO}} &= d\hat{\sigma}_\gamma^{\text{NLO}} + d\hat{\sigma}_g^{\text{LO}} \otimes D_{g \rightarrow \gamma} + \sum_q d\hat{\sigma}_q^{\text{LO}} \otimes D_{q \rightarrow \gamma} - \sum_q d\hat{\sigma}_q^{\text{LO}} \otimes \mathbf{F}_{q \rightarrow \gamma}^{(0)} \\ d\hat{\sigma}^{\gamma+X,\text{NNLO}} &= d\hat{\sigma}_\gamma^{\text{NNLO}} + d\hat{\sigma}_g^{\text{NLO}} \otimes D_{g \rightarrow \gamma} + \sum_q d\hat{\sigma}_q^{\text{NLO}} \otimes D_{q \rightarrow \gamma} - \sum_q d\hat{\sigma}_q^{\text{NLO}} \otimes \mathbf{F}_{q \rightarrow \gamma}^{(0)} \\ &\quad - d\hat{\sigma}_g^{\text{LO}} \otimes \frac{\alpha_s}{2\pi} \mathbf{F}_{g \rightarrow \gamma}^{(1)} - \sum_q d\hat{\sigma}_q^{\text{LO}} \otimes \frac{\alpha_s}{2\pi} \mathbf{F}_{q \rightarrow \gamma}^{(1)} \end{aligned}$$

$\mathbf{F}_{a \rightarrow \gamma}$: combination of mass factorization terms and fragmentation functions

Loose vs. tight vs. no vs. hybrid isolation

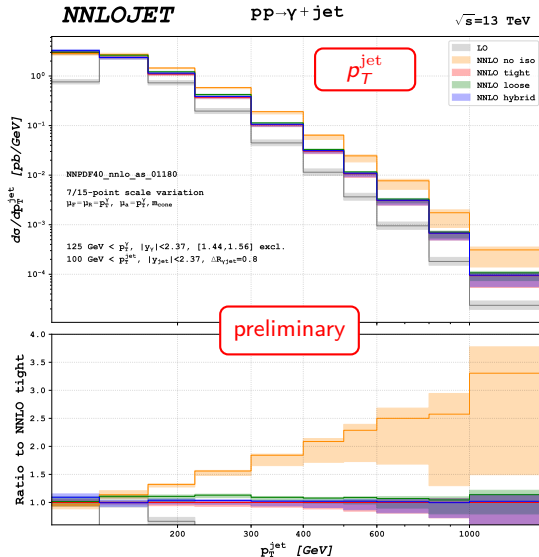
leading jet transverse momentum

in high p_T^{jet} regime:

- dominated by dijet events (effectively NLO)
- w/o isolation: main contribution from fragmentation with small momentum transfer

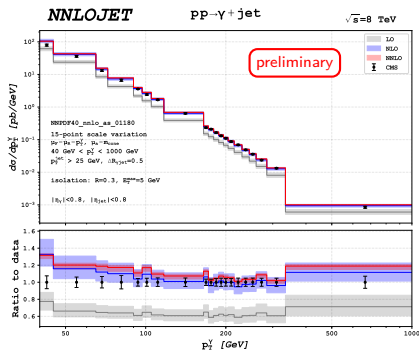
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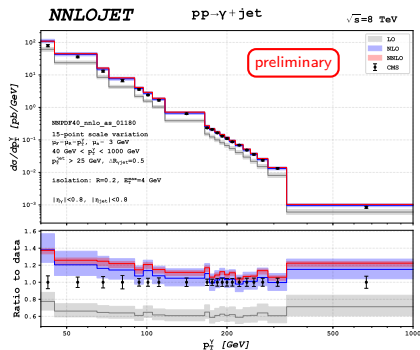


CMS triple differential measurement

Comparison between CMS data [1907.08155] and NNLO predictions with realistic isolation



$$R = 0.3, E_T^{\text{max}} = 5 \text{ GeV}$$



$$R = 0.2, E_T^{\text{max}} = 4 \text{ GeV}$$