



JET/MET RECONSTRUCTION AND PERFORMANCE IN ATLAS

DILIA MARÍA PORTILLO

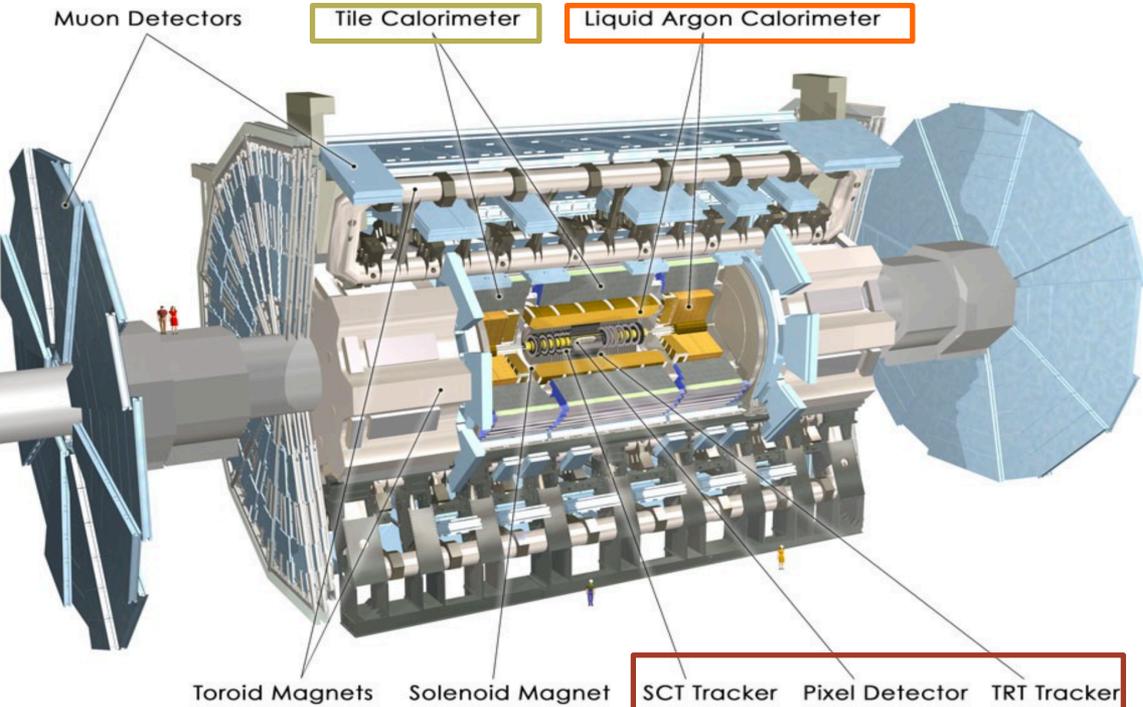
CMS JetMet Workshop

OUTLINE

- Jet inputs/constituents
 - * Topological calorimeter cell clustering
 - * Particle Flow Objectes
 - * Track-Calo-Clusters
 - * Unified Flow Objects
- Pile-up Mitigation and grooming techniques
 - * Constituent Subtraction
 - * Soft Killer
 - * Jet Grooming
- Large-R jet optimisation
- Performance Comparison
- UFO taggers
 - * Boosted W/Z tagging
 - * Boosted top tagging
- Jet Energy Calibration
 - * Simulation-based Calibration
 - * *In situ* Calibration
- Missing transverse Momentum

ATLAS BASICS

Detectors that are interesting for jet reconstruction:



Inner Detector

- * Charged particles tracks
- * Decay vertices
- * $|\eta| < 2.5$

Electromagnetic Calorimeter

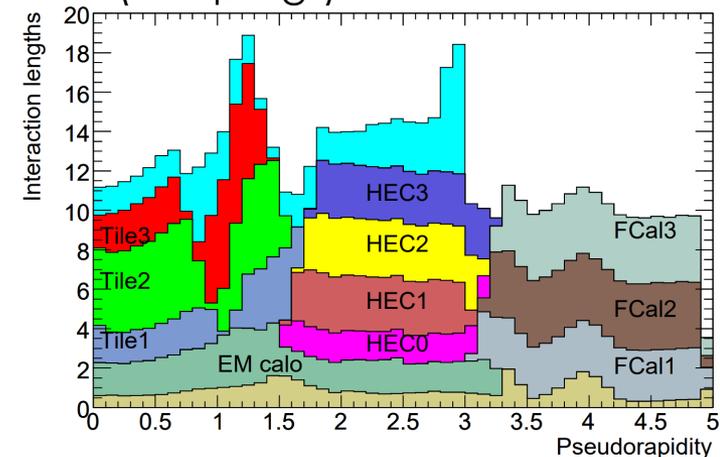
- * Electron and photon energy/direction (EM showers)

Hadronic Calorimeter

- * Charged and neutral hadrons energy/direction (HAD showers)

Calorimeters

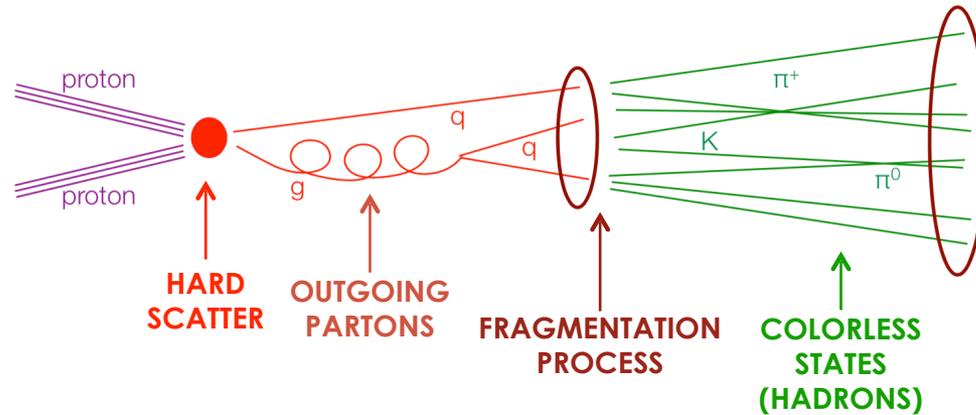
- * Full coverage $|\eta| < 4.9$
- * High granularity in $\Delta\eta \times \Delta\phi = 0.025 \times \pi/128$ (central EM)
- * Up to seven depth layers (samplings)



- * Each read-out unit of the calorimeter defines a cell
- * Contain energy/location information
- * Each shower deposits energy in many cells

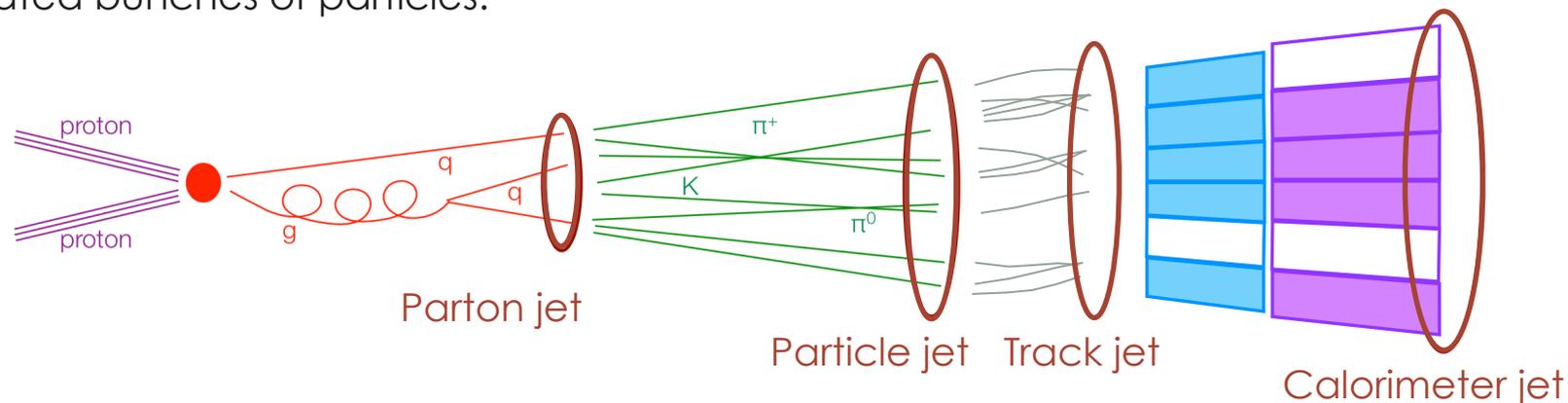
WHAT IS A JET

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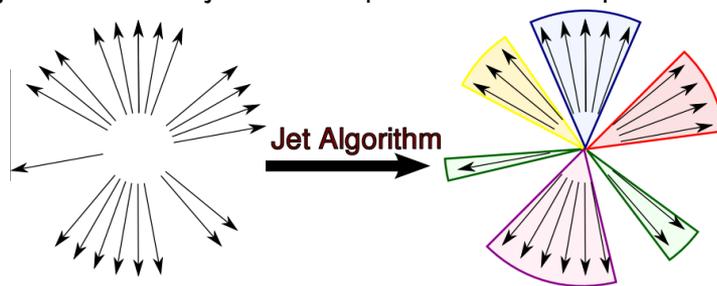


Jets can be formed of any 4-vector (simulated particles: truth jets, ID tracks: Track jets)

- Calorimeter jet is the baseline: calorimeter hits or groups of calorimeter hits

Use a jet algorithm to cluster objects into a jet: It maps final state particle momenta to jet momenta.

1 set of 4-vectors
(constituents)



several subsets
(jets)

- The Anti-Kt is the most widely used jet algorithm

* R parameter: 0.4, 1.0

JET CONSTITUENTS

TOPO-CLUSTERS

Topo-clusters: 3D clusters of noise-suppressed calorimeter cells

[Eur. Phys. J. C 77 \(2017\) 490](#)

- Calorimeter jet **constituents**
- Baseline and most common **inputs to jet algorithm**

To form a topo-cluster: Use a recursive algorithm to combine cells with related energy deposits

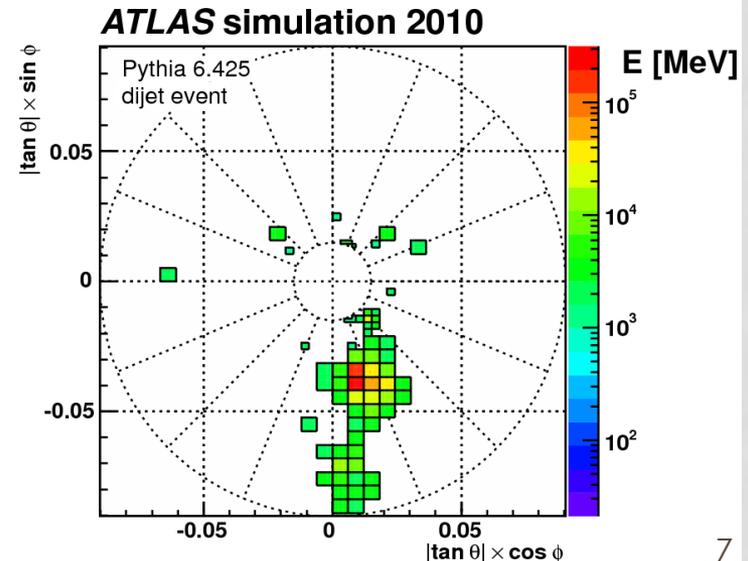
- Define for each cell: **significance**
Ratio of energy measured to expected average energy due to noise in that cell

$$\zeta_{cell}^{EM} = \frac{E_{cell}^{EM}}{\sigma_{noise,cell}^{EM}}$$

Clustering algorithm

- Clusters are **seeded** by cells with large energy over noise ratio
 - * $|\zeta| > 4$

Seed cells



TOPO-CLUSTERS

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[Eur. Phys. J. C 77 \(2017\) 490](#)

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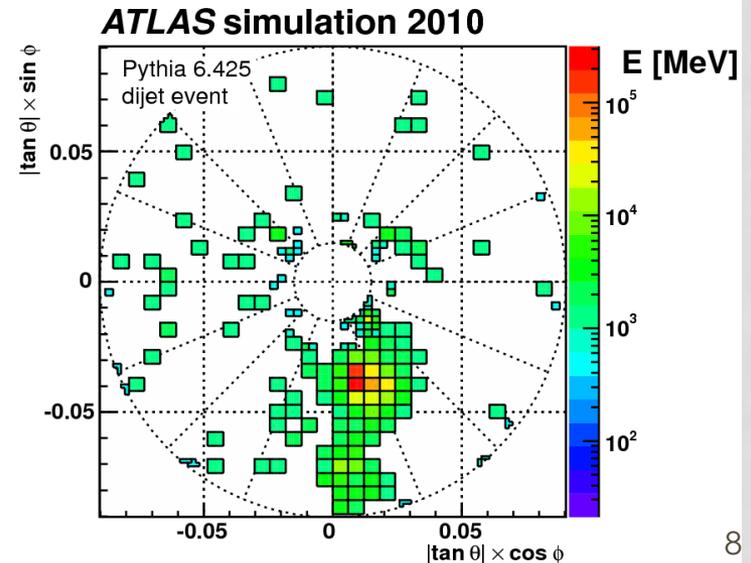
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Clustering algorithm

- Clusters are **seeded** by cells with large energy over noise ratio
 - * $|\zeta| > 4$
- Expanded on neighbouring cells
 - * All **Neighbors** with $|\zeta| > 2$ are added

Growth cells



TOPO-CLUSTERS

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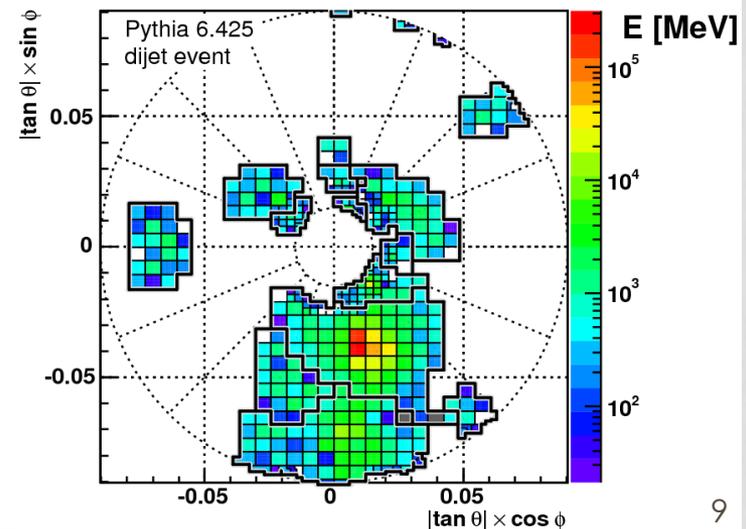
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Clustering algorithm

- Clusters are **seeded** by cells with large energy over noise ratio
 - * $|\zeta| > 4$
- Expanded on neighbouring cells
 - * All **Neighbors** with $|\zeta| > 2$ are added
- **All neighbouring** cells are added regardless of the significance
 - * $|\zeta| > 0$
- Final cluster splitting step breaks up large topo-clusters with multiple local maxima

Boundary cells

ATLAS simulation 2010



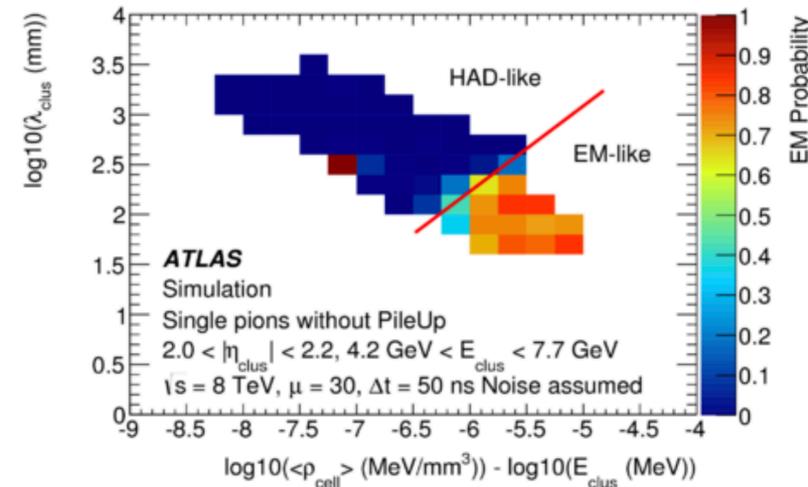
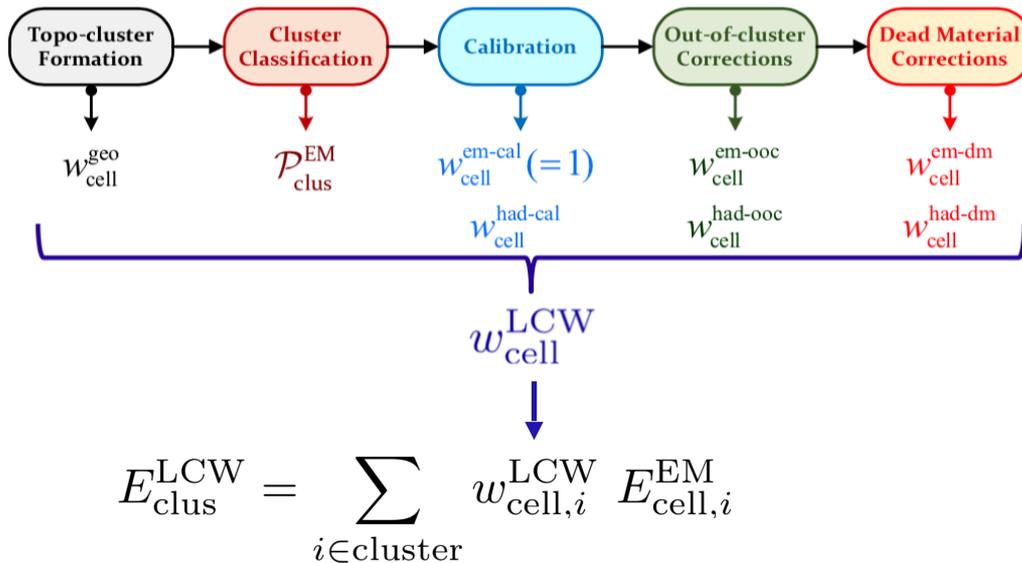
EM AND LCW SCALES

CERN-PH-EP-2011-191

Topo-clusters enter jet finding at one of two **scales**:

- **Electromagnetic (EM)** scale: same scale as the cells.
- **Local cell weighted (LCW)** scale: Topo-clusters calibrated based on their properties. Used for large-R jets.

- * Topo-clusters are identified as either electromagnetic or hadronic by the EM probability P_{clus}^{EM}
- * Weights are then assigned to account for
 - * Differences in detector response due to calorimeter non-compensation
 - * Energy falling in unclustered cells
 - * Energy deposited in inactive (dead) regions of the detector



DEEP LEARNING FOR HADRONIC CALIBRATION

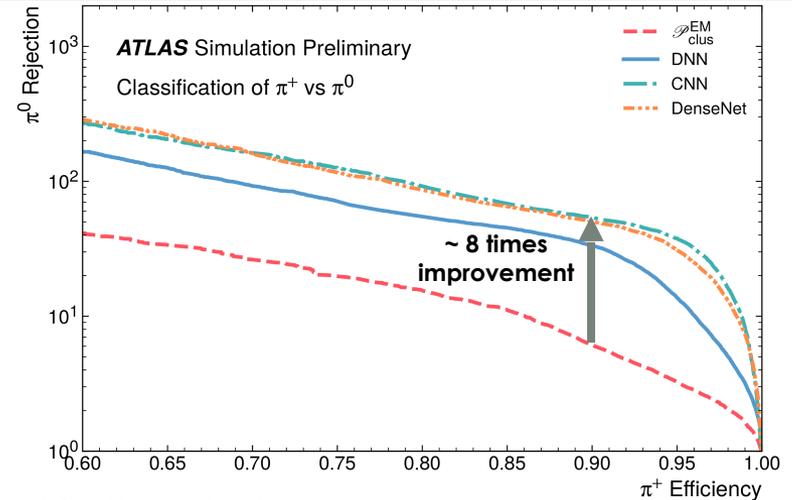
ATL-PHYS-PUB-2020-018

Neural Networks trained on calorimeter images can classify clusters and predict their energies using single particle simulation

- Studied DNNs, CNNs, and DenseNet

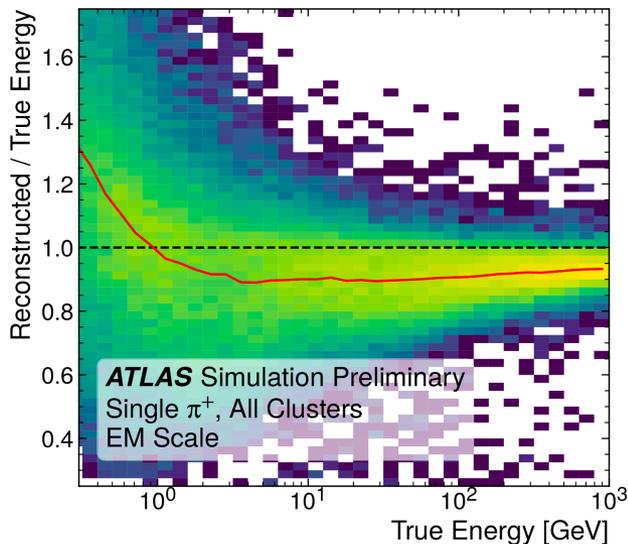
EM vs HAD showers Classification

- The ML techniques all do an excellent job of distinguishing π^0 from π^\pm showers

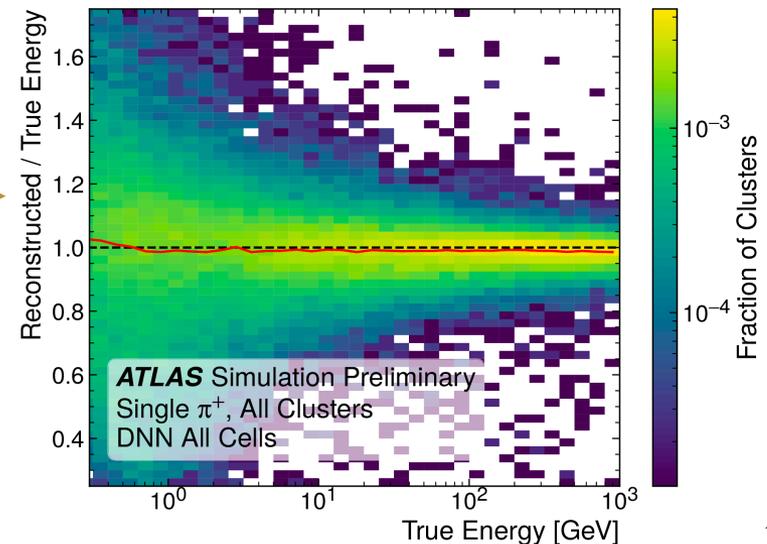


Energy Regression: Predict the true energy deposited in the cluster.

- Energy response ~ 1 after calibration



Before Calibration



After calibration

COMBINING CLUSTERS AND TRACKS

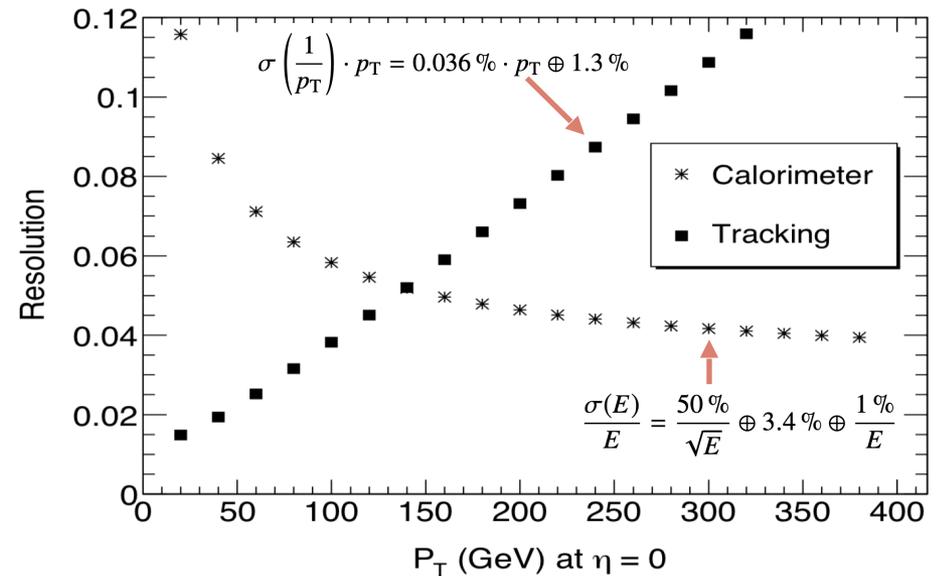
Calorimeter and tracker provide complementary information

● Tracker:

- * Sensitive to charged particles
- * Better angular resolution
- * Able to assign tracks to pile-up or hard-scatter vertex.
- * Better reconstruction efficiency and momentum resolution at low p_T

● Calorimeters:

- * Sensitive to both neutral and charged particles.
- * Better energy resolution at high p_T



Alternative jet inputs

Alternative approaches to topo-clusters using measurements from the tracker and calorimeters

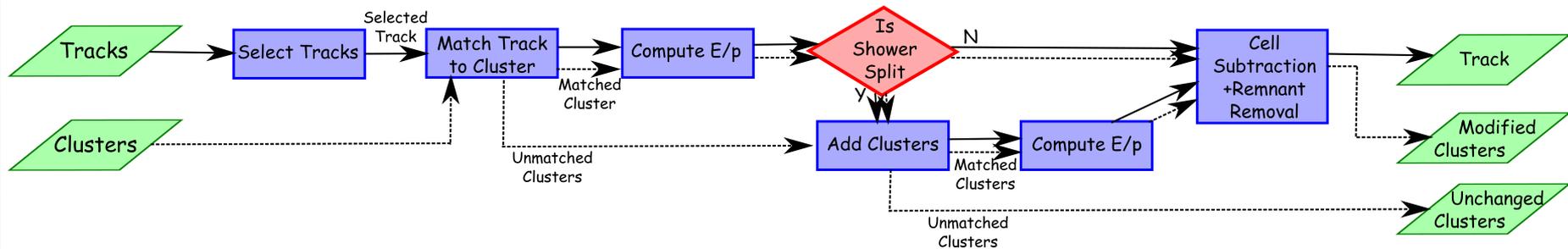
- Particle Flow (PFlow)
- Track Calo Clusters (TCC)
- Unified Flow Objects (UFO)

To be used as jet inputs

PARTICLE FLOW IN ATLAS (PFLOW)

[Eur. Phys. J. C 77 \(2017\) 466](#)

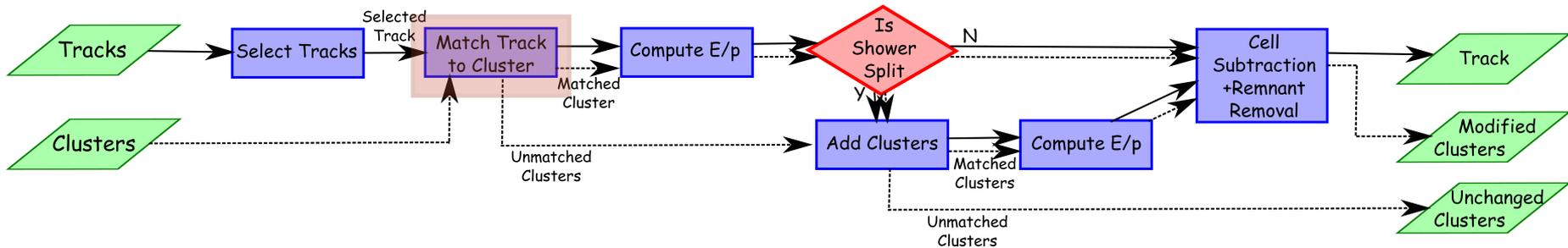
- Measure the energy, without double counting.
- Subtract calorimeter energy deposits that match an extrapolated track.
- * Pile-up tracks are removed at the end: Charged Hadron Subtraction (CHS)
- * Final set of constituents is a combination of tracks and remaining clusters



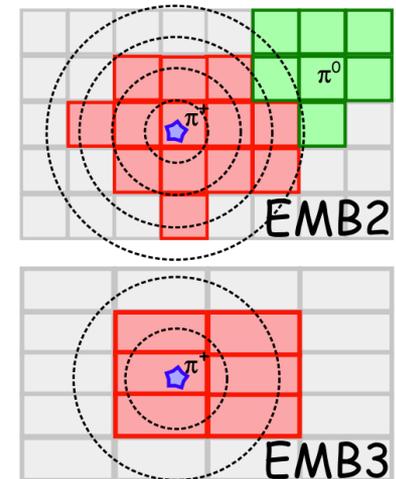
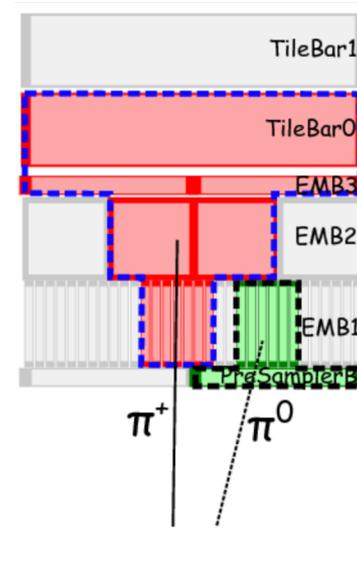
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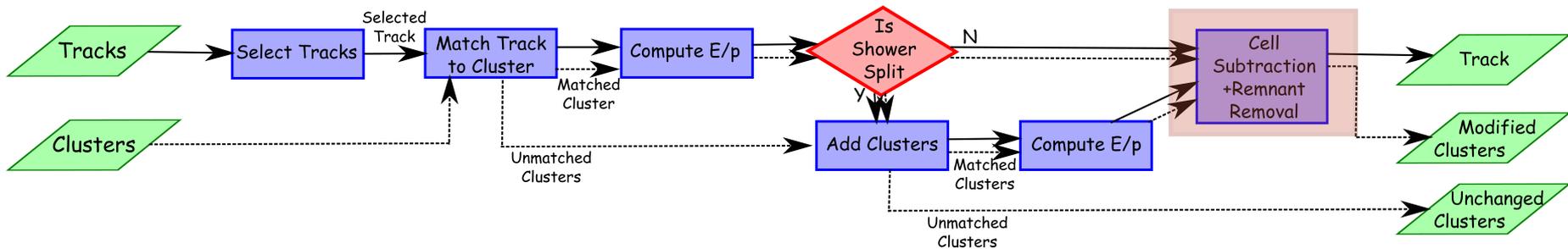
- Each track is associated with one or more topo-clusters



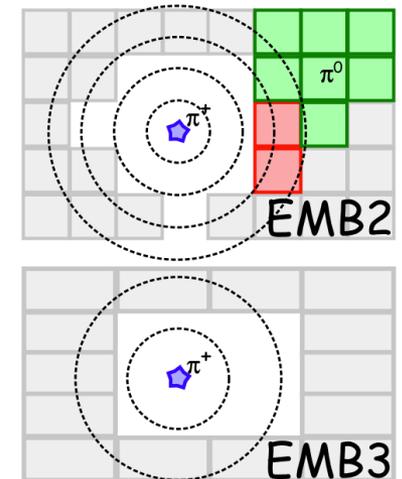
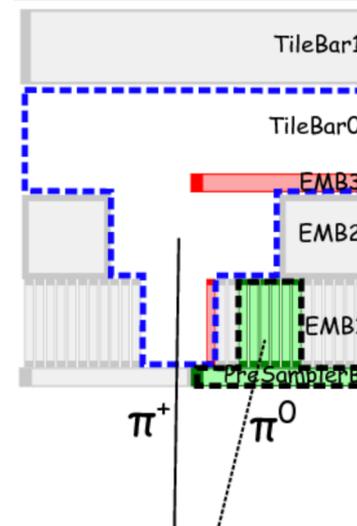
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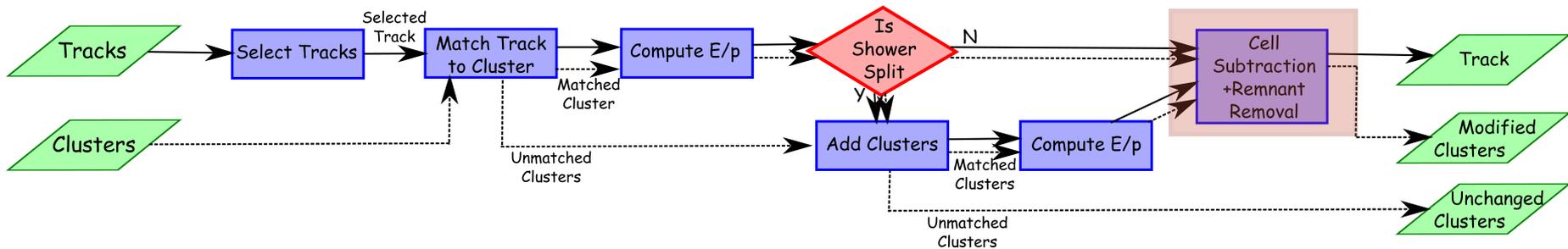
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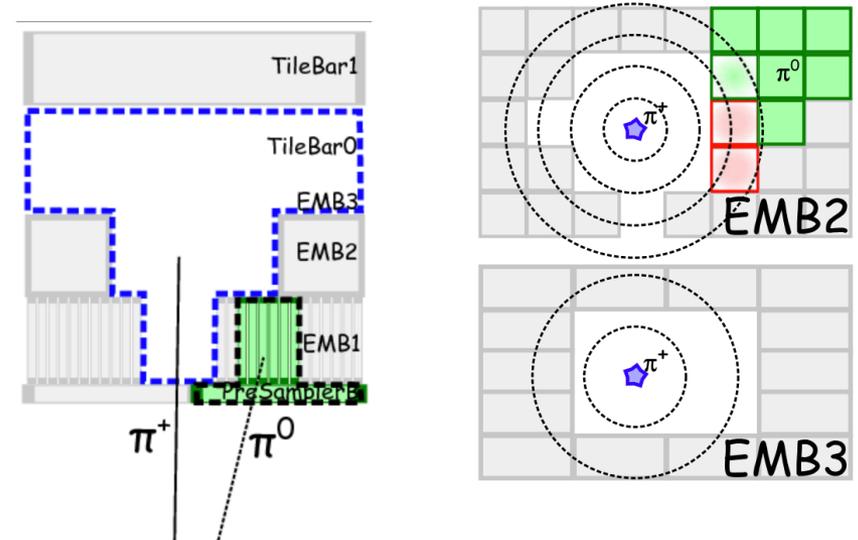
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- Each track is associated with one or more topo-clusters
- Expected calorimeter energy deposit from charged hadron is removed
- Remnants are removed

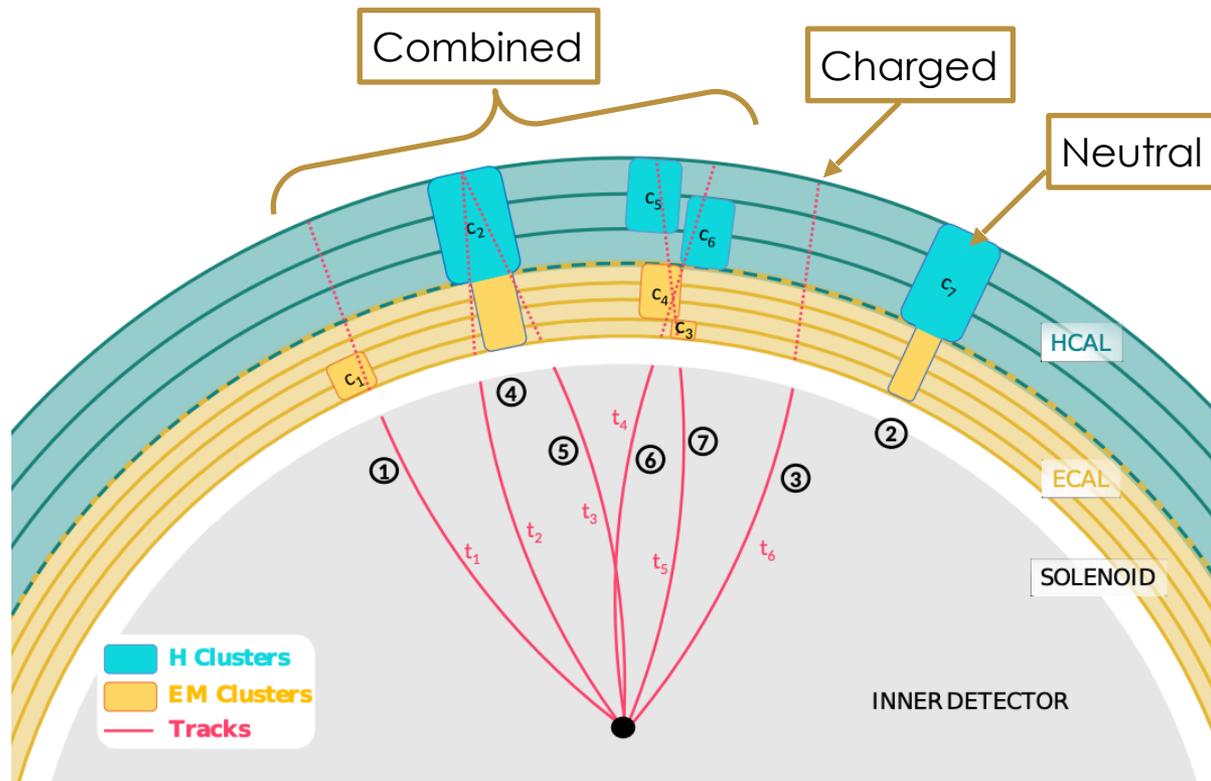


TRACK CALO CLUSTERS (TCC)

ATL-PHYS-PUB-2017-015

- Improve angular resolution of high p_T particles
 - * Reconstruction of highly boosted $t/W/Z/H$ decays
 - * Tracks can resolve structure within clusters due to their spatial resolution.

1. Match tracks to clusters
2. Build 4-vector from matched objects
 - * Spatial information from the tracker (η , ϕ)
 - * Energy measurements from the calorimeter (p_T , m)

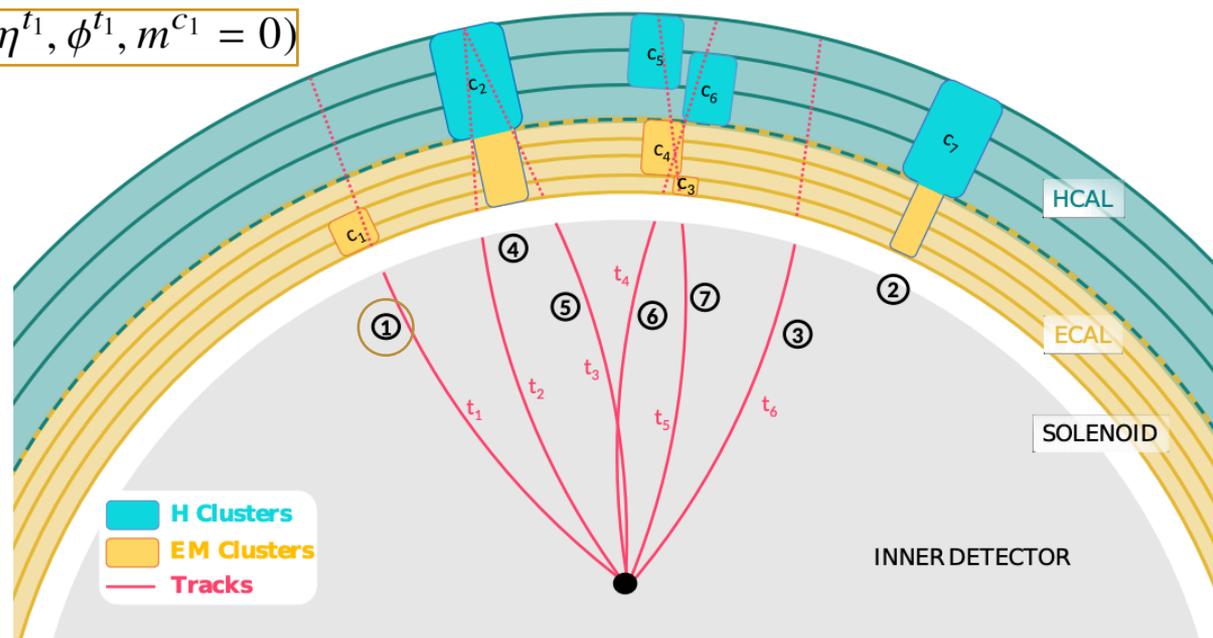


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$$\text{TCC}_{\textcircled{1}} = (p_T^{c_1}, \eta^{t_1}, \phi^{t_1}, m^{c_1} = 0)$$



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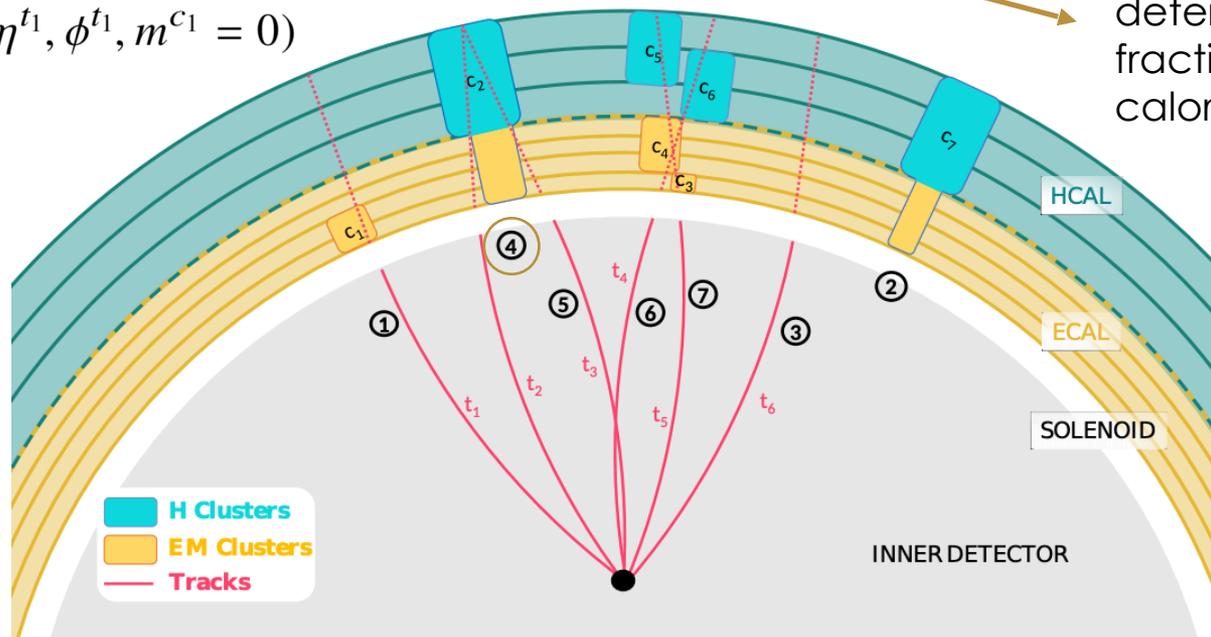
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$$\text{TCC}_{\textcircled{4}} = \left(p_T^{c_2} \frac{p_T^{t_2}}{p_T [\mathbf{p}^{t_2} + \mathbf{p}^{t_3}]}, \eta^{t_2}, \phi^{t_2}, m^{c_2} \frac{p_T^{t_2}}{p_T [\mathbf{p}^{t_2} + \mathbf{p}^{t_3}]} = 0 \right)$$

$$\text{TCC}_{\textcircled{1}} = (p_T^{c_1}, \eta^{t_1}, \phi^{t_1}, m^{c_1} = 0)$$

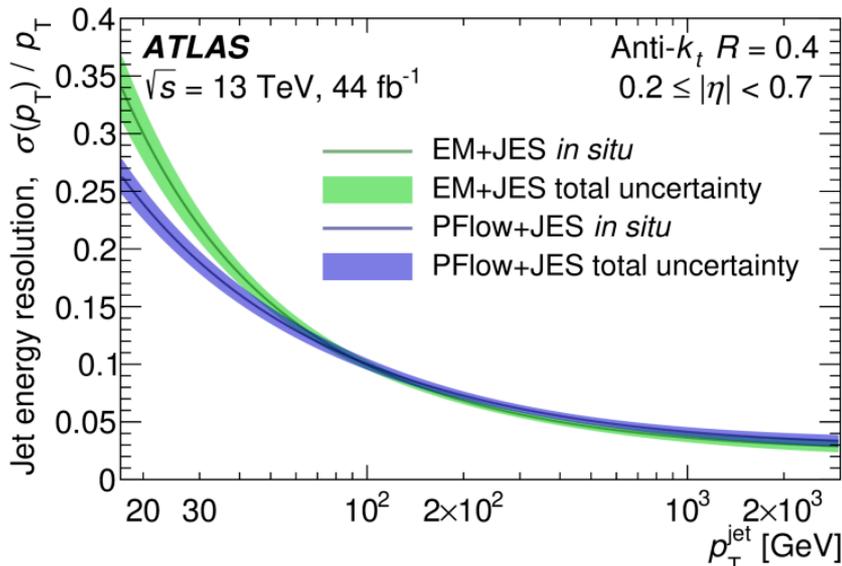
Use track pT to determine sharing fraction of calorimeter energy



PFLOW VS. TCC

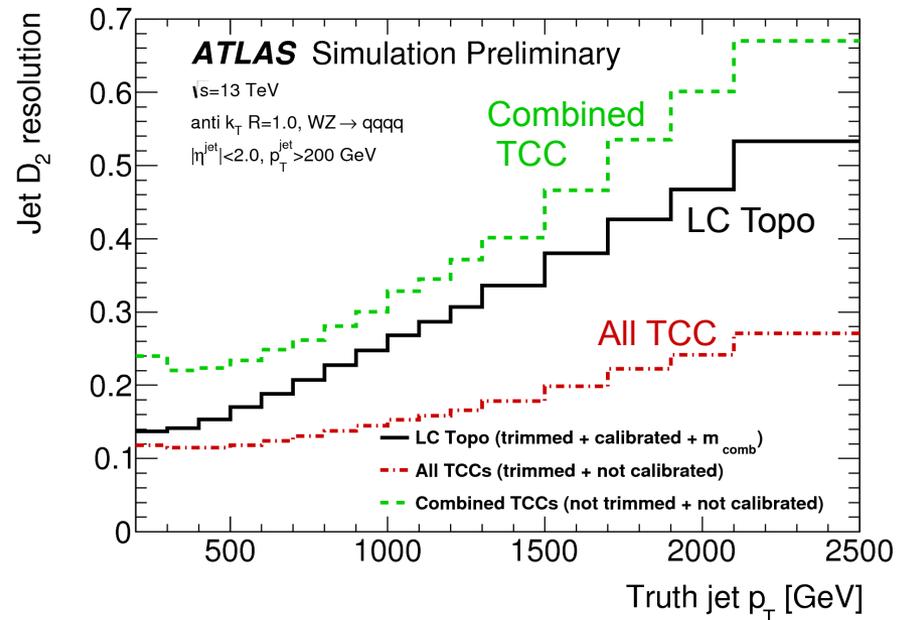
PFlow

- **Start from tracks** selected with stringent quality criteria, subtract track energy from clusters.
- Very good at **low pT**.
 - * Improve the **performance/pileup** stability of low pT jets.
 - * High pT tracks are excluded. The improvement starts to decrease at very high pT (fewer clusters will be corrected).



TCC

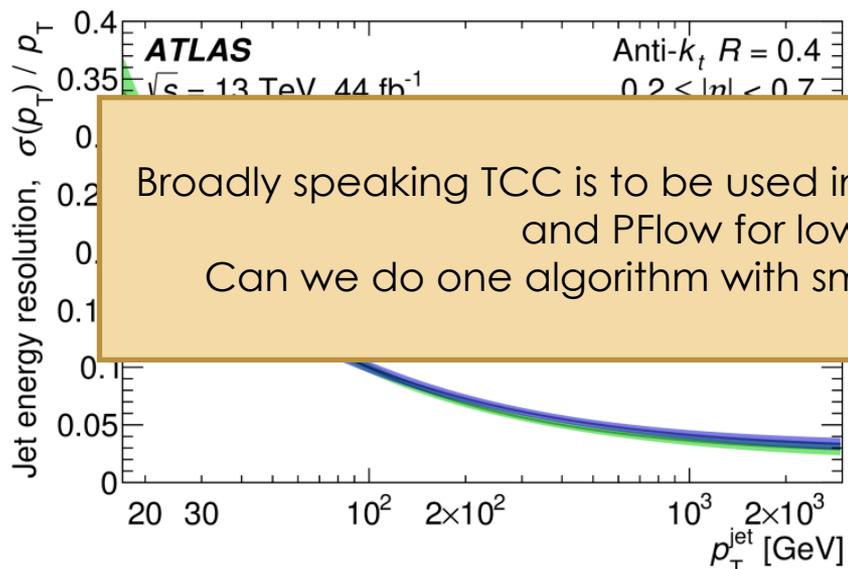
- **Start from calo cluster**, its energy is split onto the angular position of the tracks.
- Very good at **high pT**
 - * Use calorimeter energy scale.
 - * Use tracker spatial coordinates: Helps to better understand the structure of the jet



PFLOW VS. TCC

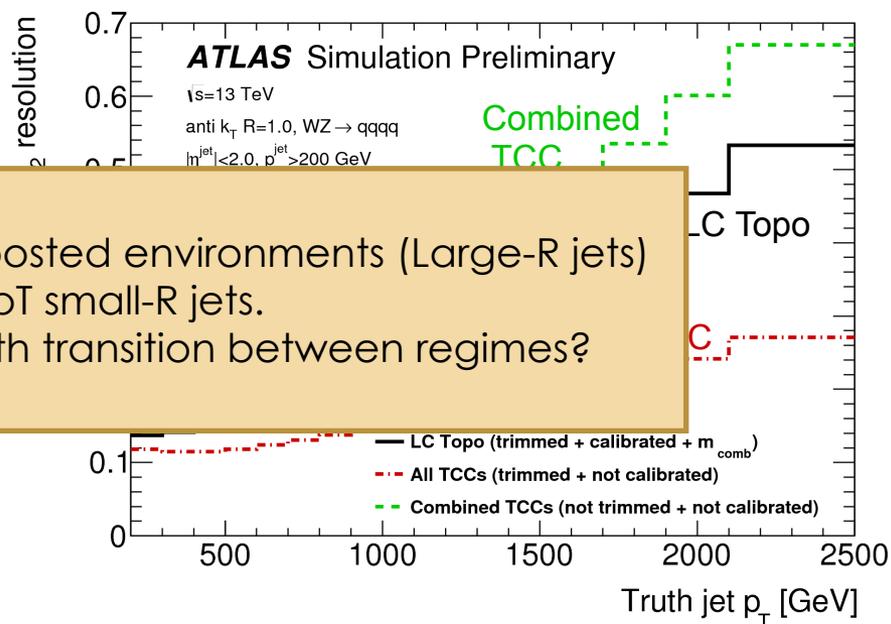
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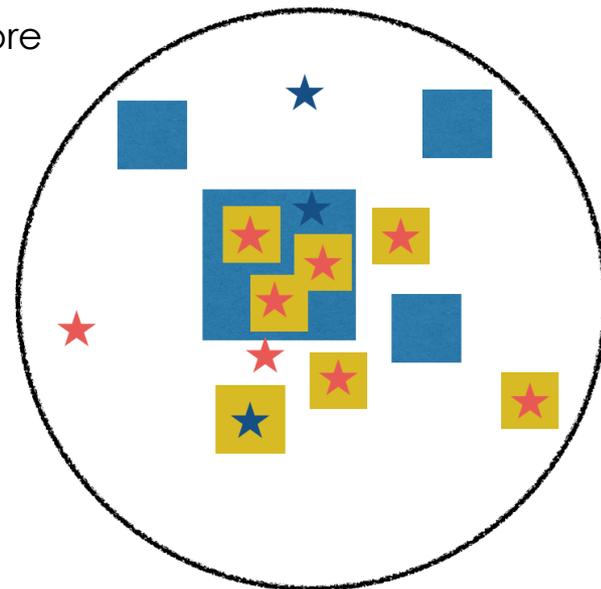
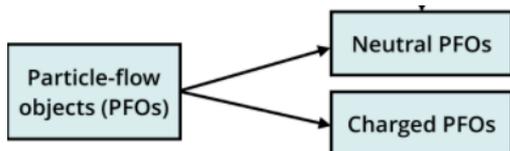


Broadly speaking TCC is to be used in boosted environments (Large-R jets) and PFlow for lower pT small-R jets.
 Can we do one algorithm with smooth transition between regimes?

UNIFIED FLOW OBJECTS (UFO)

UFO merges PFO and TCC inputs, aiming to obtain a better and more stable performance in a wide pT range.

Inner-detector tracks

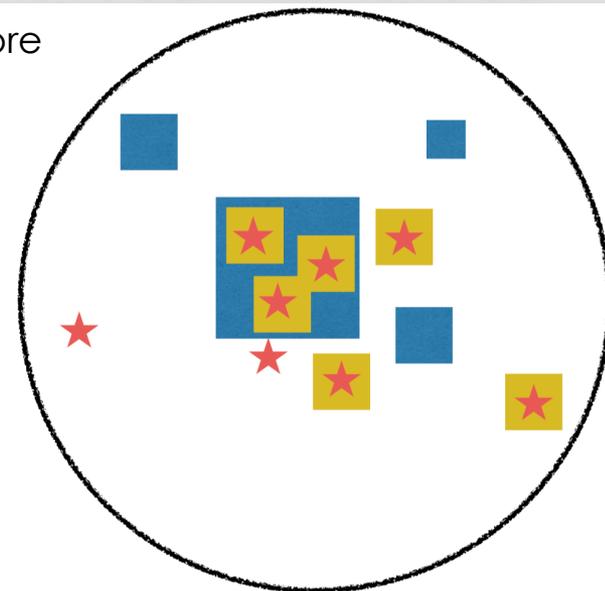
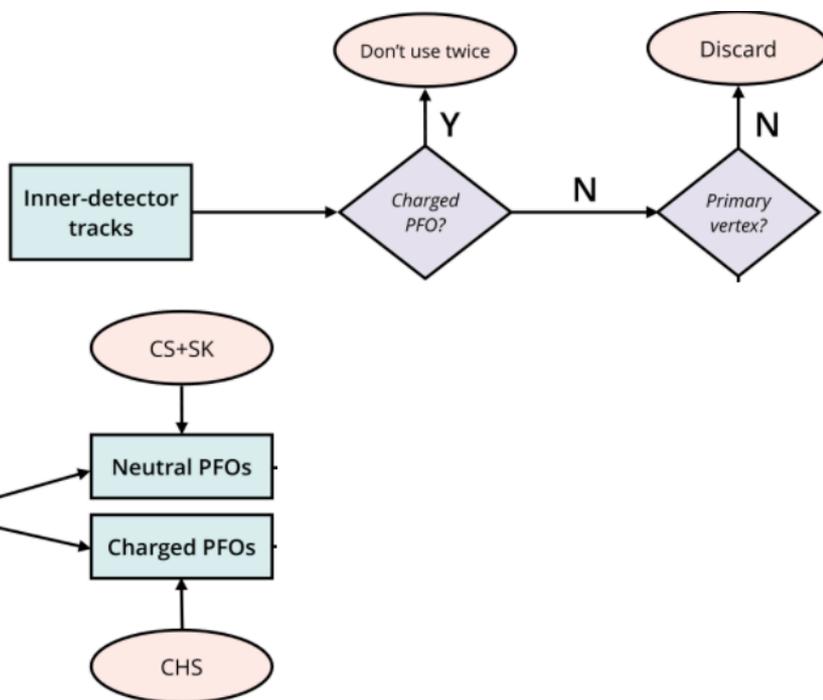


- Charged PFO
- Neutral PFO
- Hard scatter track
- Pile-up track

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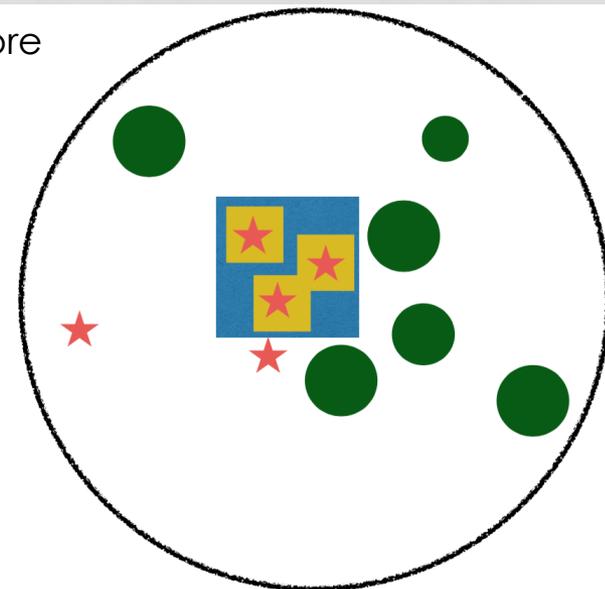
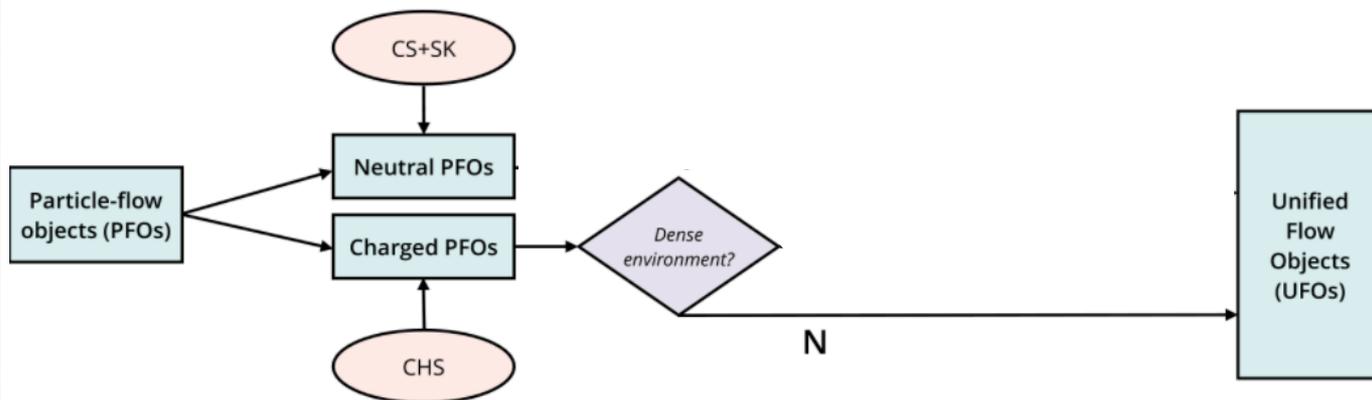
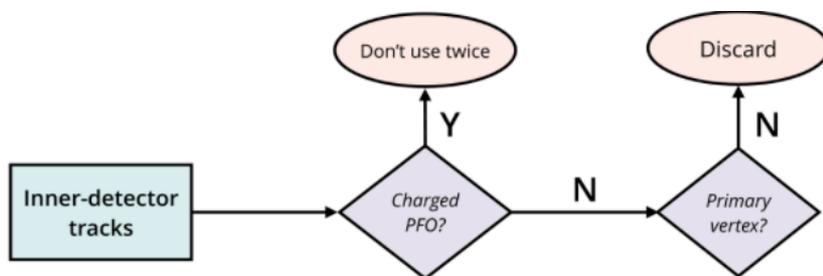
- Charged PFO
- Neutral PFO
- ★ Hard scatter track
- ★ Pile-up track

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- * CHS: Charge Hadron Subtraction (Charged PFOs which are not matched to the PV are removed)
- * CS+SK: Constituent Subtraction and Soft Killer (next slides)

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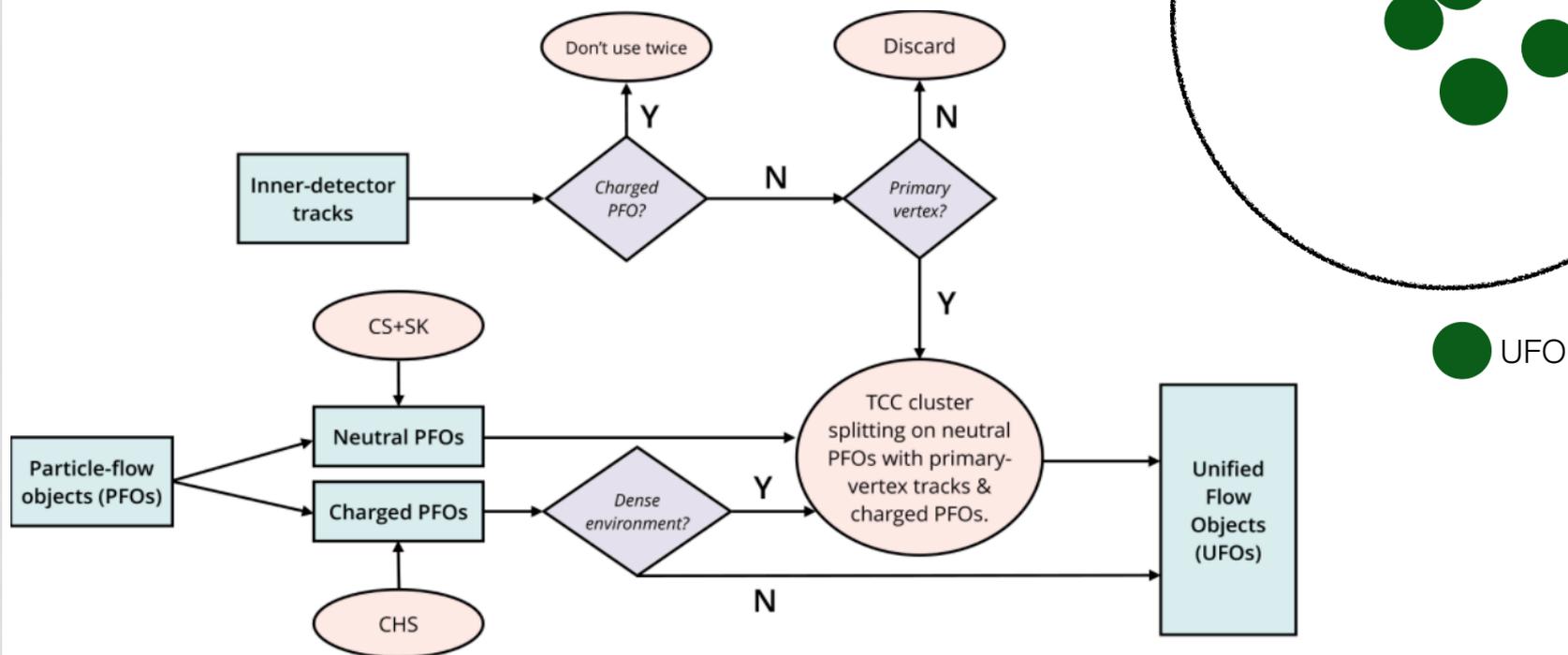


- Yellow square: Charged PFO
- Blue square: Neutral PFO
- Red star: Hard scatter track
- Green circle: UFO

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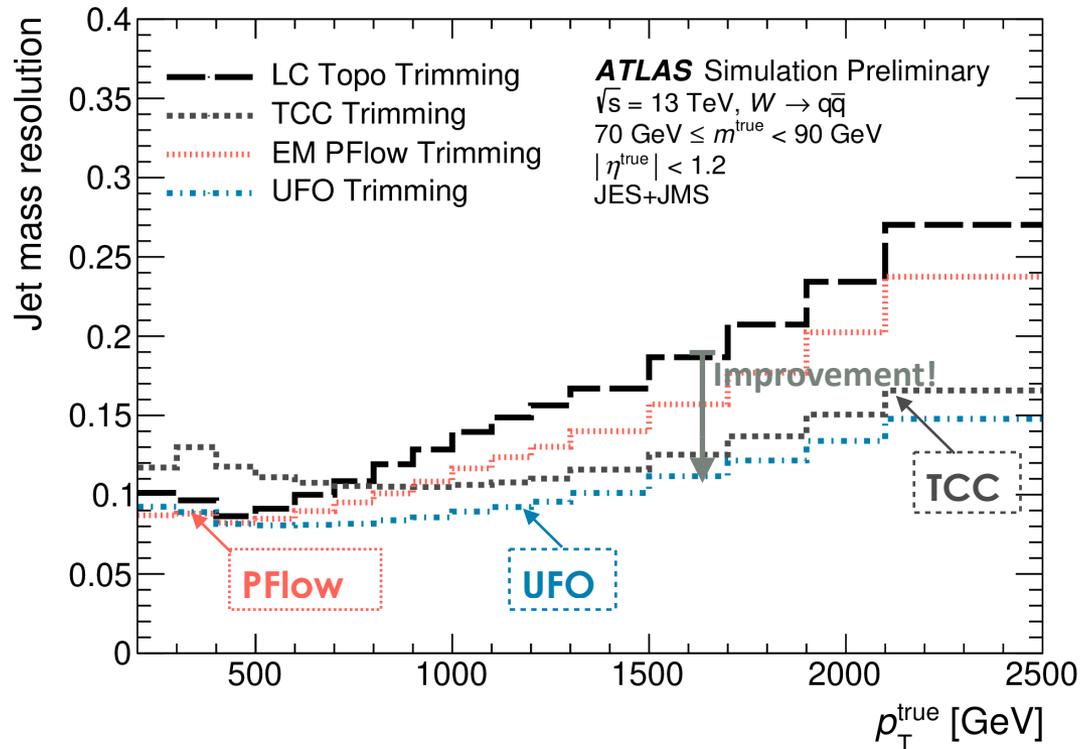


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LARGE-RADIUS JETS OPTIMISATION

Jet Mass Resolution

$$\text{Resolution of the mass Response} = \frac{Mass^{reco}}{Mass^{truth}}$$



● At low Pt:
Resolution consistent
with PFlow

● At high Pt:
Better resolution than TCC

PILE-UP MITIGATION AND GROOMING

PILE-UP (PU)

Effects of PU

- * Energy contribution to hard scattering objects
 - * Biasing total jet energy, and smearing resolution of hard scatter jets
- * Objects originating out of PU
 - * Adding PU jets in the event

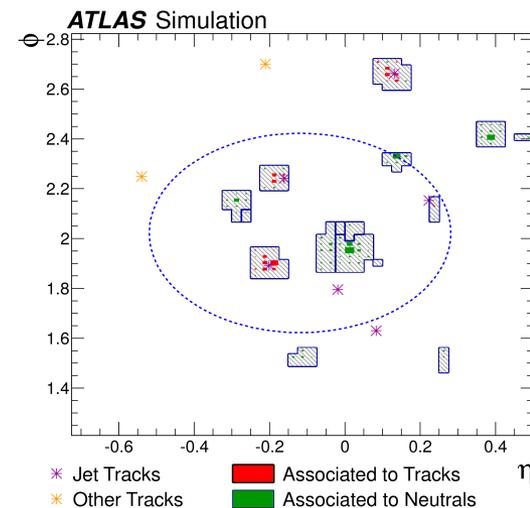
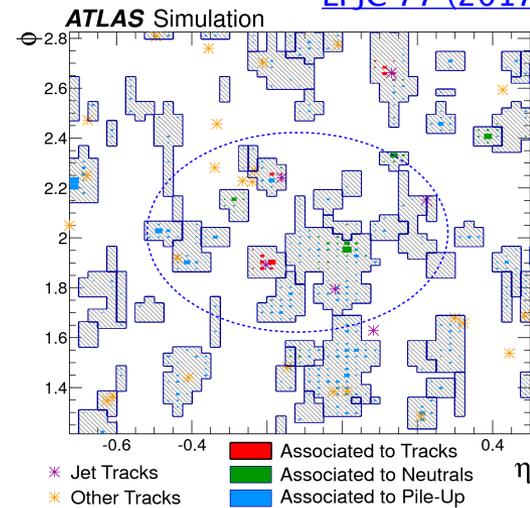
How we can mitigate PU?

- Estimate and subtract PU contribution to object energy
- Filter out objects originating from PU

At different levels

- From the constituent reconstruction
 - * Topo-Clusters (noise suppression)
 - * Particle Flow/TCC/UFO (no Primary Vertex charged objects can be rejected)
- Constituent-level
 - * Voronoi Subtraction
 - * Constituent Subtraction
 - * SoftKiller
 - * PUPPI
- Jet-level
 - * Jet-Area Subtraction
 - * Grooming (trimming, soft drop)
 - * Jet Vertex Tagger (JVT)
 - * Forward Jet Vertex Tagger (fJVT)

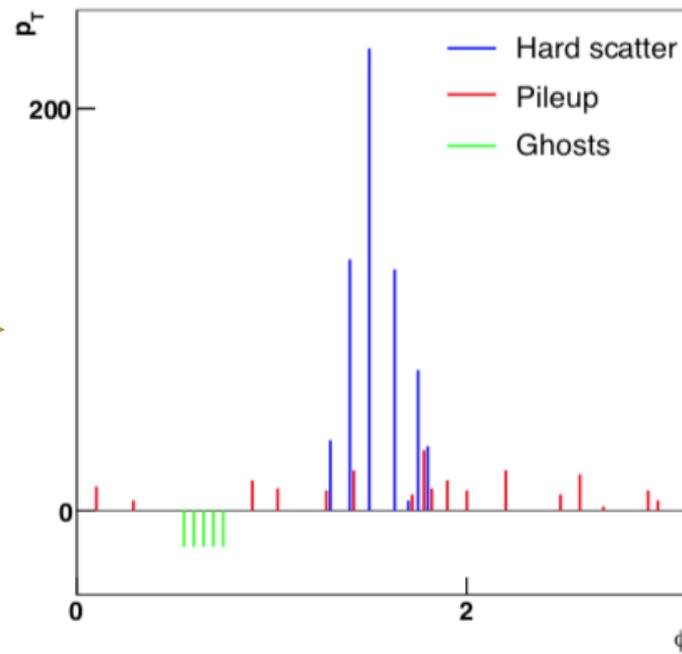
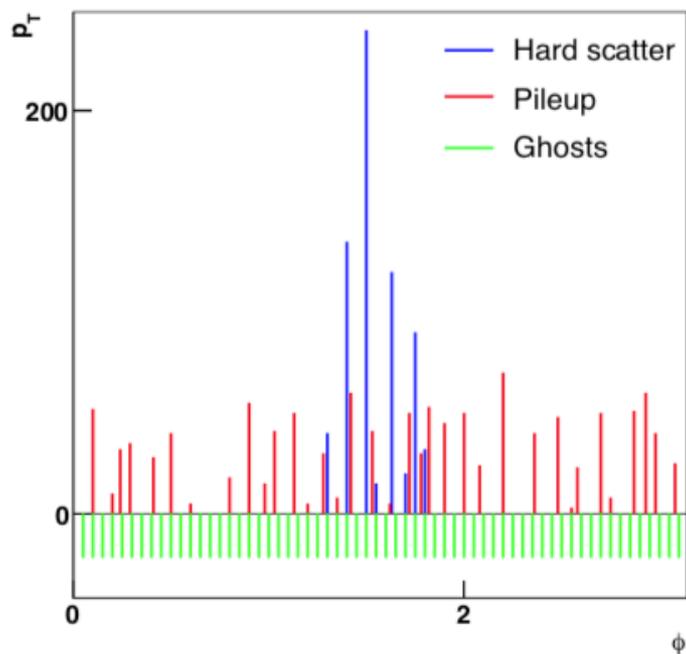
[EPJC 77 \(2017\) 466](#)



CONSTITUENT SUBTRACTION (CS)

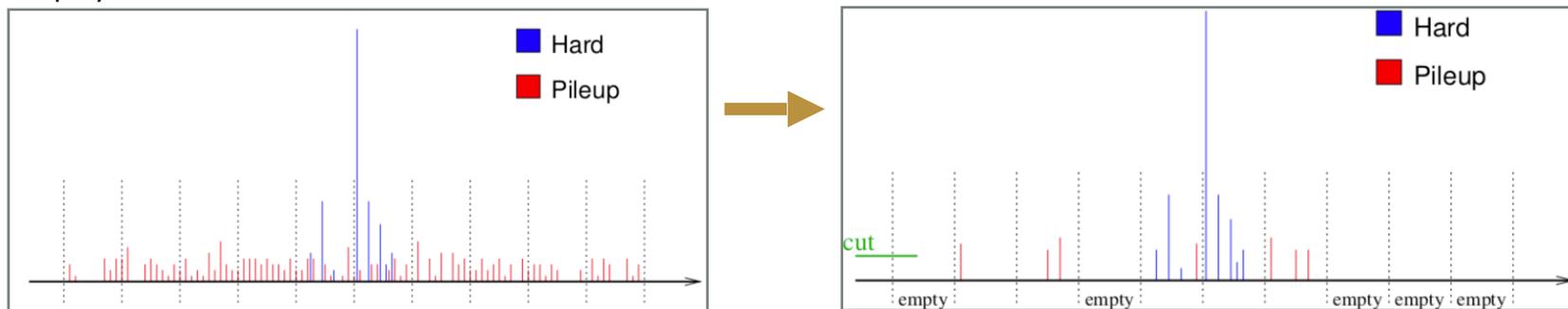
JHEP 1406 (2014) 092

- A “constituent area” subtraction
- Add ghosts to the event with $p_T^g = A_g \times \rho$
 - * ρ is the median energy density
 - * A_g is the area of the ghost (fixed $\Delta\eta \times \Delta\phi = 0.1 \times 0.1$)
- Subtract ghost’s contribution from p_T of closest constituent (in ΔR)
 - * Until $\Delta R(\text{ghost}, \text{constituent}) > \Delta R_{max}$
 - * Algorithm built so that constituent’s p_T never goes negative

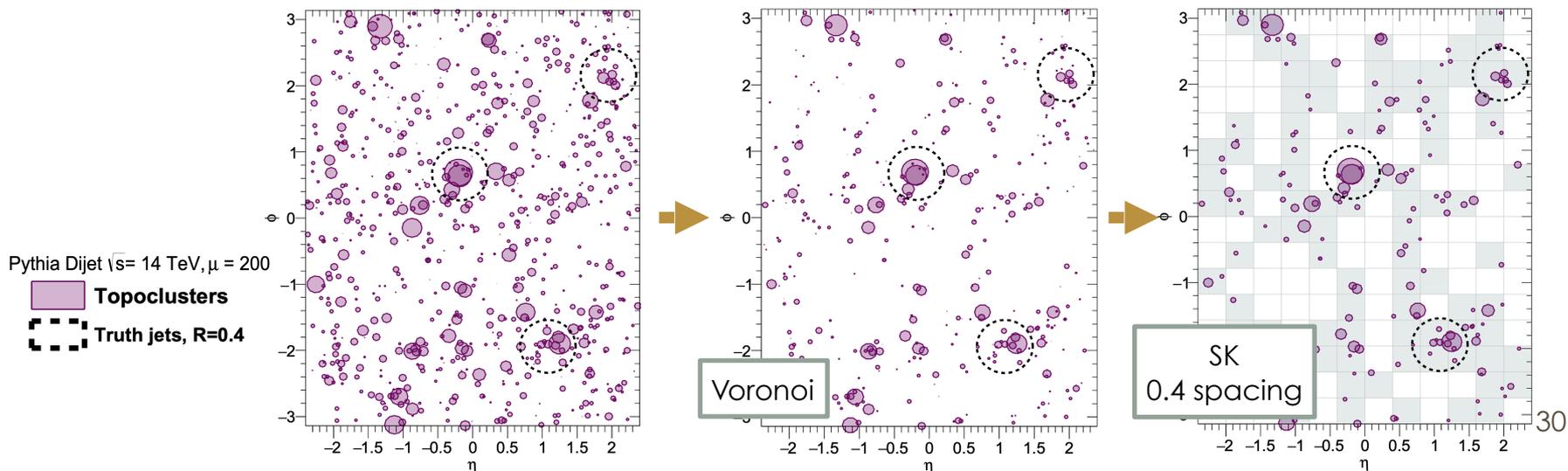


SOFT-KILLER (SK)

- Removes low- p_T constituents
- Applying a p_T cut on particles on an event-by-event basis
- p_T cut determined by putting constituents into an η - ϕ grid, and requiring half of grid spaces to be empty after the cut

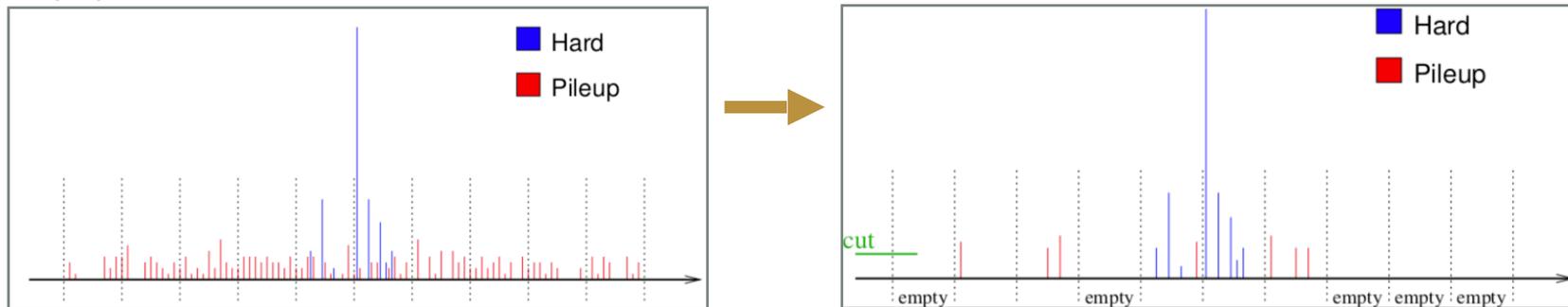


- Soft-Killer does not change remaining constituent's momenta
 - * Combined with 'area' based correction (Voronoi or CS)

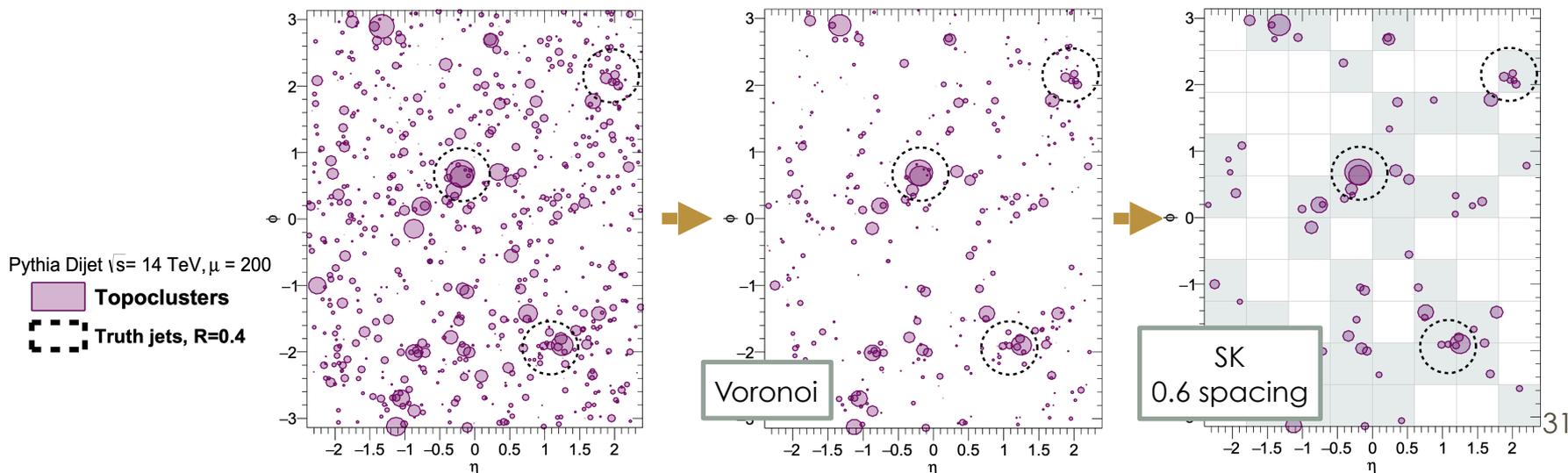


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- Removes low- p_T constituents
- Applying a p_T cut on particles on an event-by-event basis
- p_T cut determined by putting constituents into an η - ϕ grid, and requiring half of grid spaces to be empty after the cut



- Soft-Killer does not change remaining constituent's momenta
 - * Combined with 'area' based correction (Voronoi or CS)

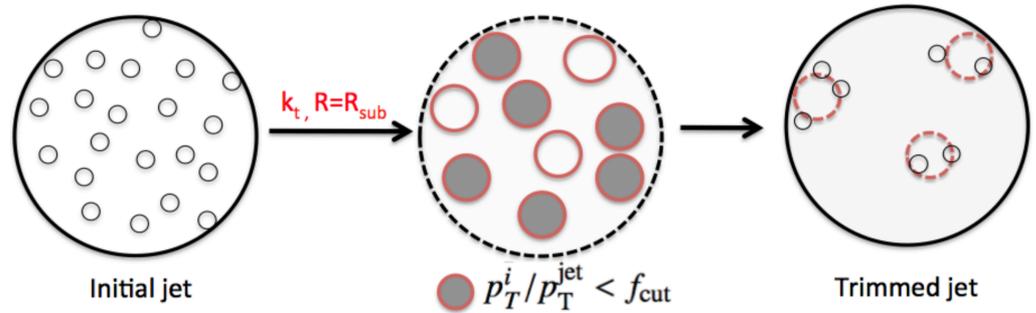


JET GROOMING

- Several groomers in the market (trimming, pruning, mMDT, soft drop...)
 - Historically ATLAS have used trimming. But we recently performed a new scan taking into account different inputs, PU mitigation techniques and grooming

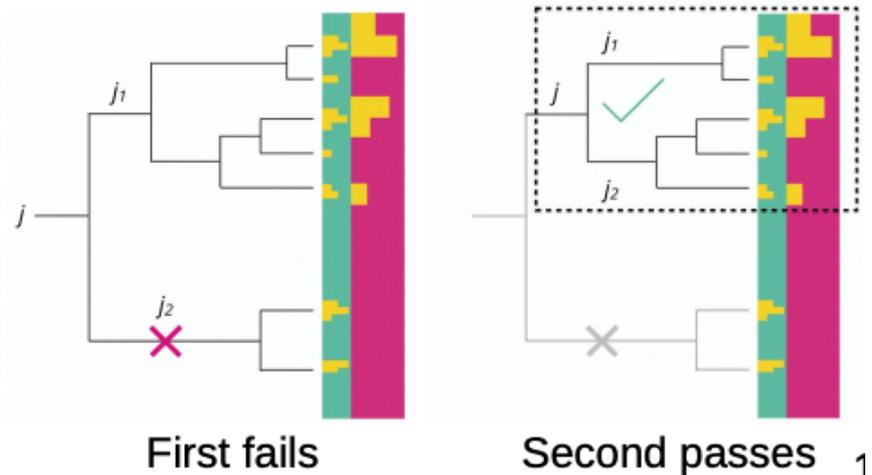
Trimming

- Remove low-pT contributions at the subjet level



Soft Drop

- Define splittings using Cambridge-Aachen (cluster closest stuff first)
- Apply SoftDrop
 - Start from first jet splitting
 - Reach passing condition for both splittings



$$\frac{\min(p_{T1}, p_{T2})}{p_{T1} + p_{T2}} > z_{cut} \left(\frac{\Delta R_{12}}{R_0} \right)^\beta$$

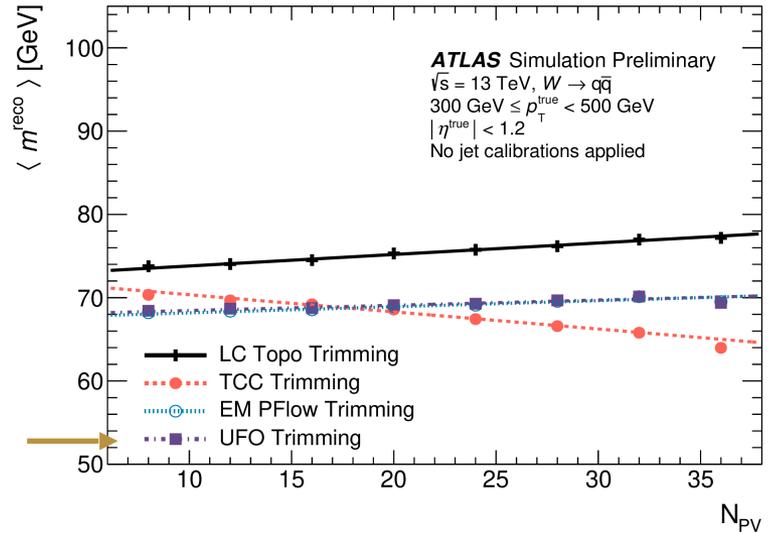
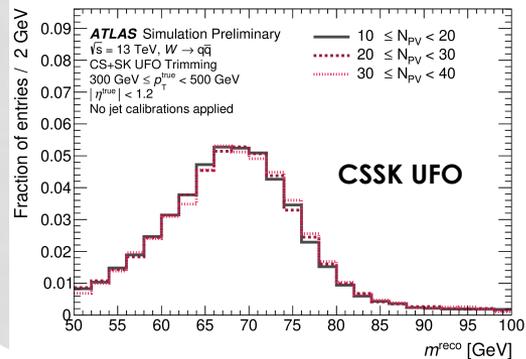
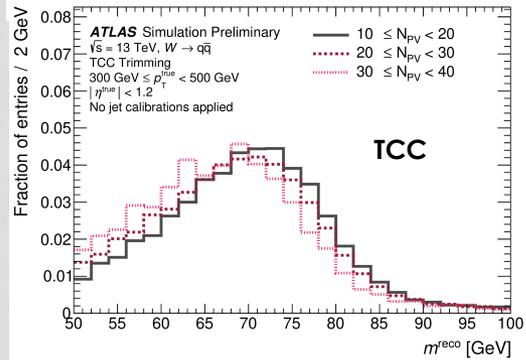
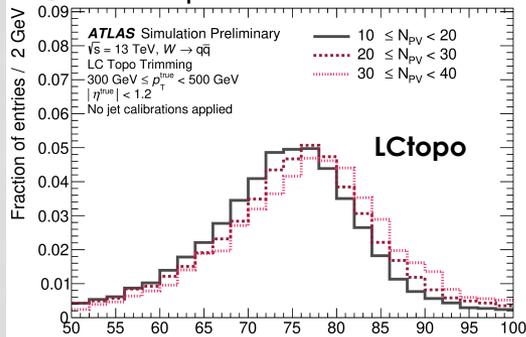
➡ Keep both
➡ "Drop" constituent

LARGE-R JETS OPTIMISATION AND PERFORMANCE

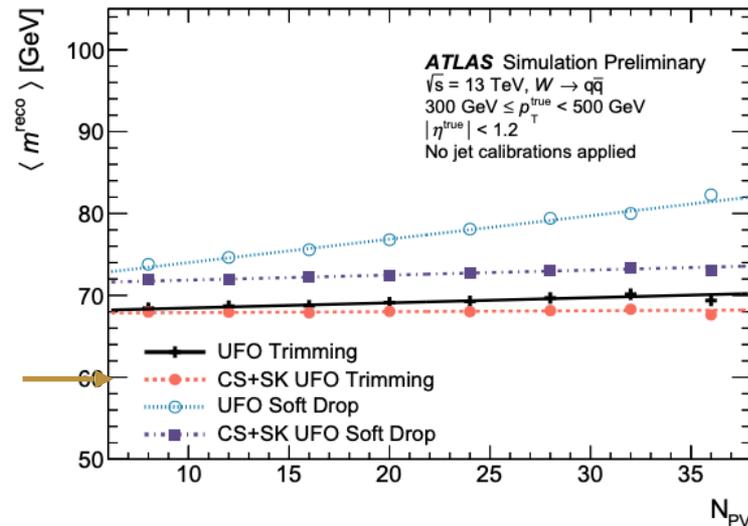
LARGE-RADIUS JETS OPTIMISATION (SCAN)

Pile-Up Stability

Pile-Up affects the reconstructed mass



Clear complementarity between groomers and PU mitigation techniques:

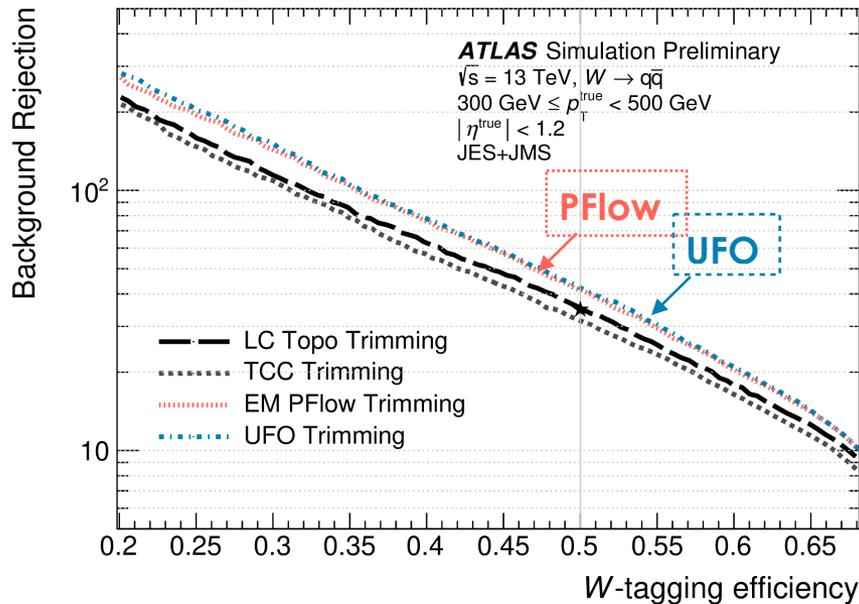


LARGE-RADIUS JETS OPTIMISATION (SCAN)

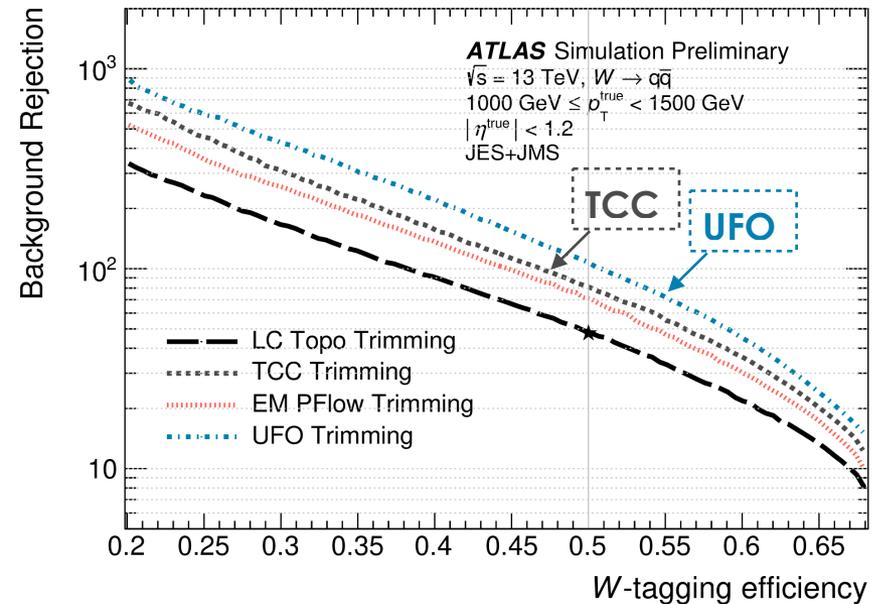
W Tagging Performance

- Signal: W' vrs. Background: Dijet
- for different jet constituents

Based on cuts on mass & jet-substructure variable: 68% mass window + D_2 cut



Low p_T

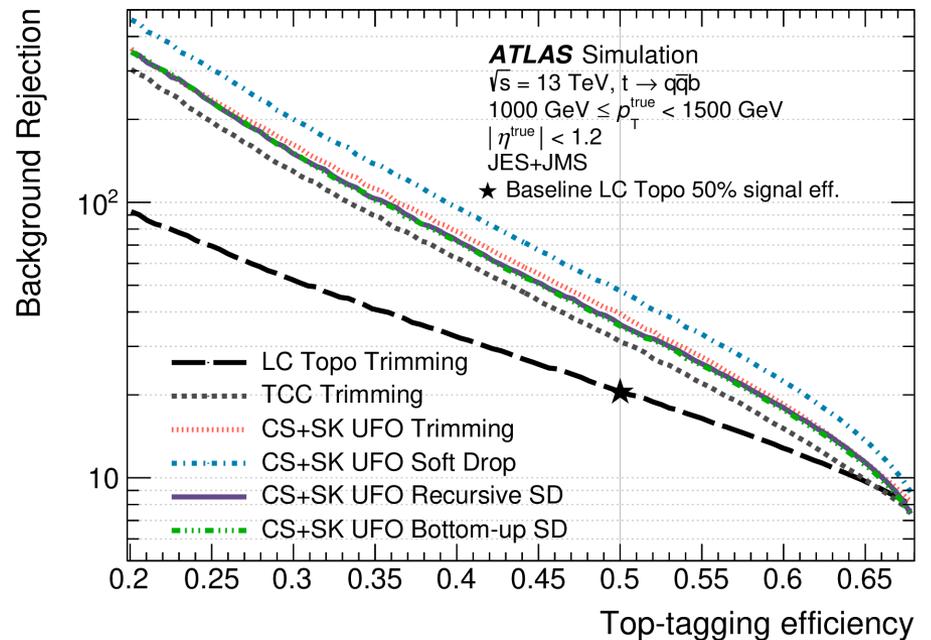
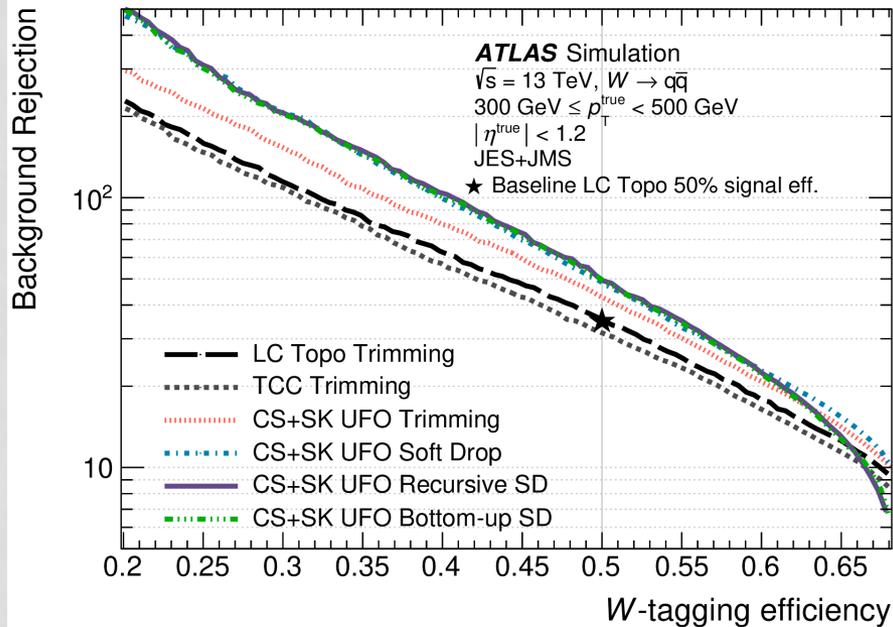


High p_T

UFOs already work very well, but we can still improve by surveying jet definitions
ATLAS performed a new **scan of jet definitions!**

LARGE-RADIUS JETS OPTIMISATION (SCAN)

Tagging Performance: finalists



Soft Drop seems to work very well for top, only small losses vs other options for W -tagging

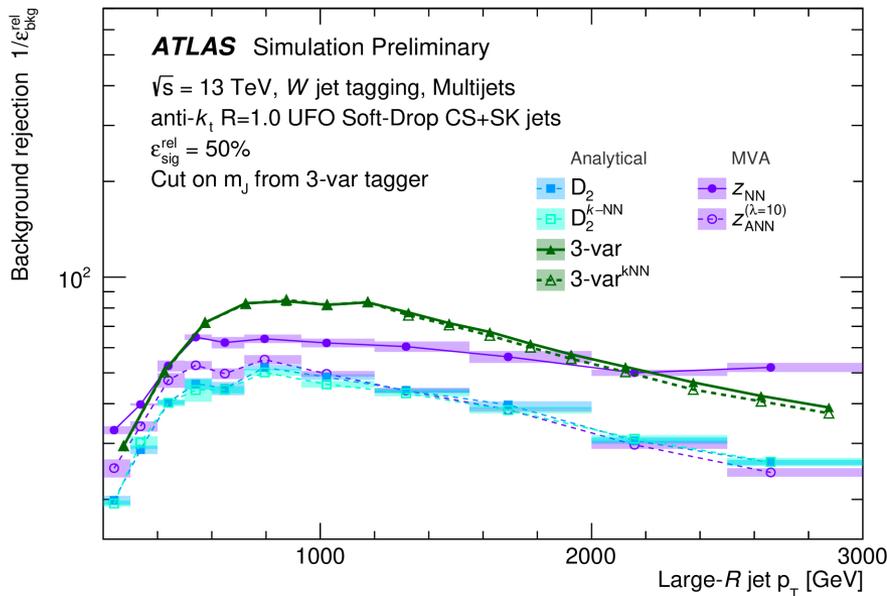
CS+SK UFO SD jets chosen to be the default large radius jet collection for Run3 ATLAS analyses.

● Currently, the performance of small-R jets is under study

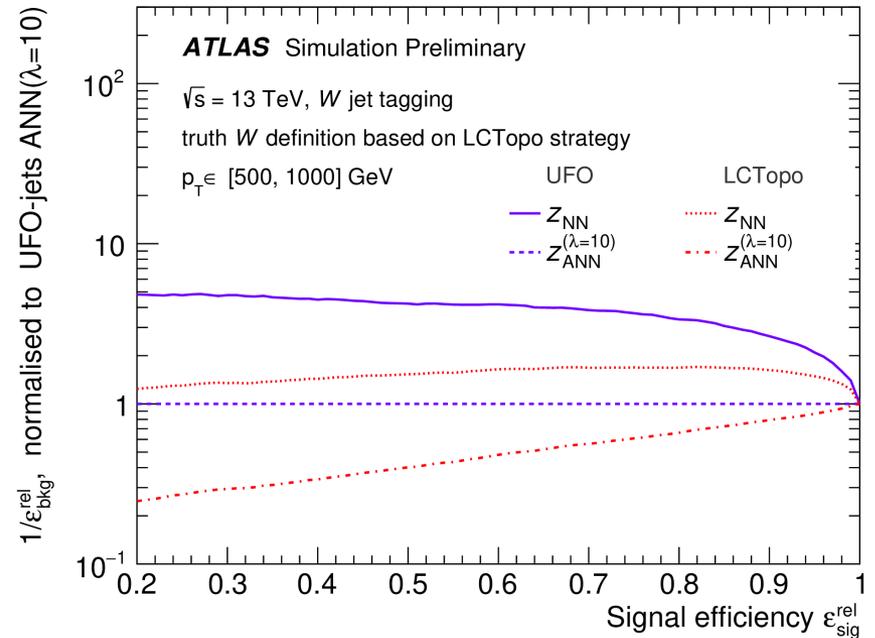
UFO TAGGERS: W/Z BOOSTED DECAYS

ATL-PHYS-PUB-2021-029

- Considered cut-based and ML-based approaches (including ANN version to remove tagger dependence on jet mass)
- 3-var tagger: jet mass, D_2 , n_{trk}



Improved performance from LCTopo -> UFO



- Dedicated calibrations are derived by comparing tagging efficiencies between data and different MC models.

* Tagger scale factors:

$$SF = \frac{\epsilon_{\text{Data}}}{\epsilon_{\text{MC}}}$$

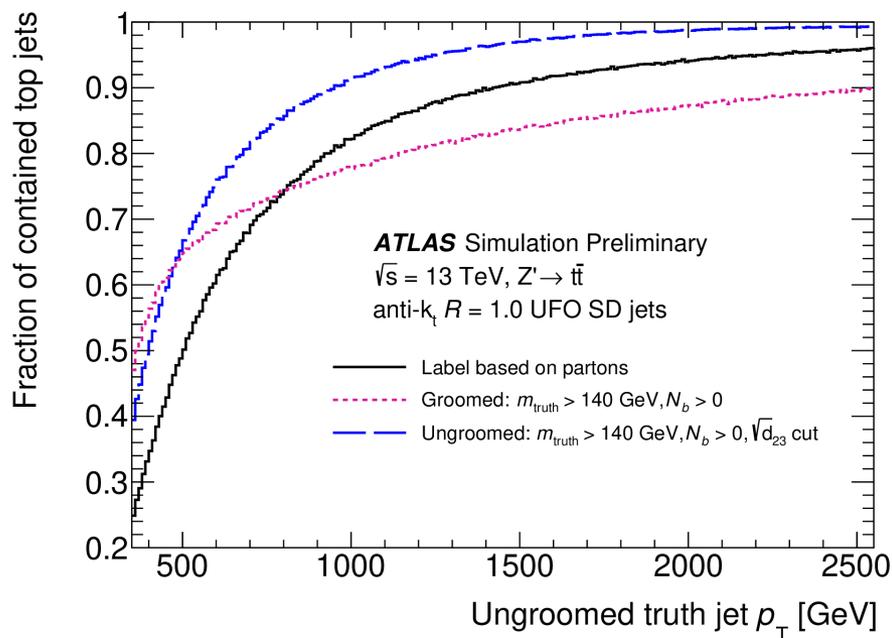
$$\epsilon_{\text{Data}} = \frac{N_{\text{signal fit}}^{\text{tag pass}}}{N_{\text{signal fit}}^{\text{tag pass}} + N_{\text{signal fit}}^{\text{tag fail}}}$$

$$\epsilon_{\text{MC}} = \frac{N_{\text{signal}}^{\text{tag pass}}}{N_{\text{signal}}^{\text{tag pass}} + N_{\text{signal}}^{\text{tag fail}}}$$

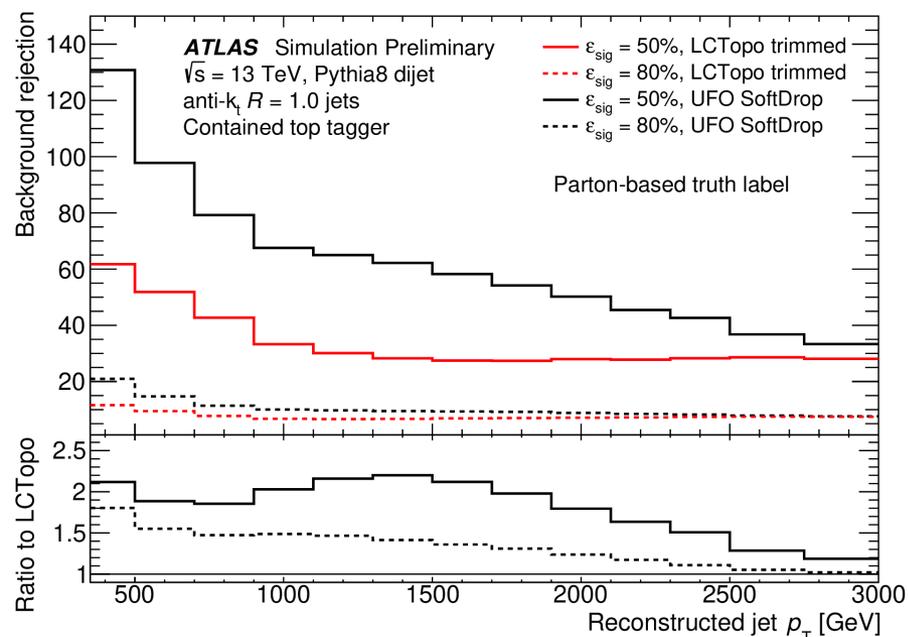
UFO TAGGERS: BOOSTED TOP DECAYS

ATL-PHYS-PUB-2021-028

- New training of DNN tagger exploring different substructure variables
- Improved top-truth labelling has been defined: higher signal efficiency



Improved performance from LCTopo -> UFO



- Dedicated calibrations are derived by comparing tagging efficiencies between data and different MC models.

* Tagger scale factors:

$$SF = \frac{\epsilon_{\text{Data}}}{\epsilon_{\text{MC}}}$$

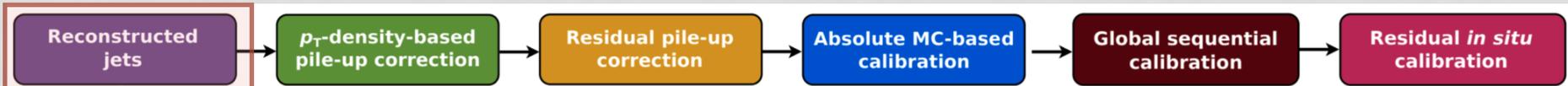
$$\epsilon_{\text{Data}} = \frac{N_{\text{signal fit}}^{\text{tag pass}}}{N_{\text{signal fit}}^{\text{tag pass}} + N_{\text{signal fit}}^{\text{tag fail}}}$$

$$\epsilon_{\text{MC}} = \frac{N_{\text{signal}}^{\text{tag pass}}}{N_{\text{signal}}^{\text{tag pass}} + N_{\text{signal}}^{\text{tag fail}}}$$

JET ENERGY SCALE CALIBRATION

SMALL-R JET CALIBRATION

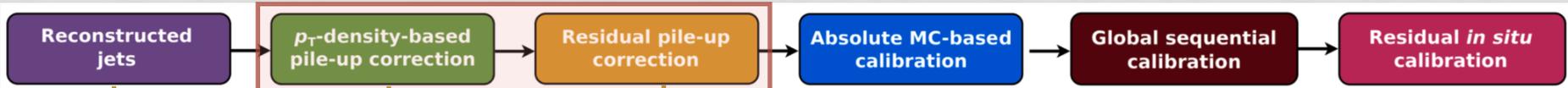
[Eur. Phys. J. C 81 \(2021\) 689](#)



PFlow as default
with CHS

SMALL-R JET CALIBRATION

Eur. Phys. J. C 81 (2021) 689

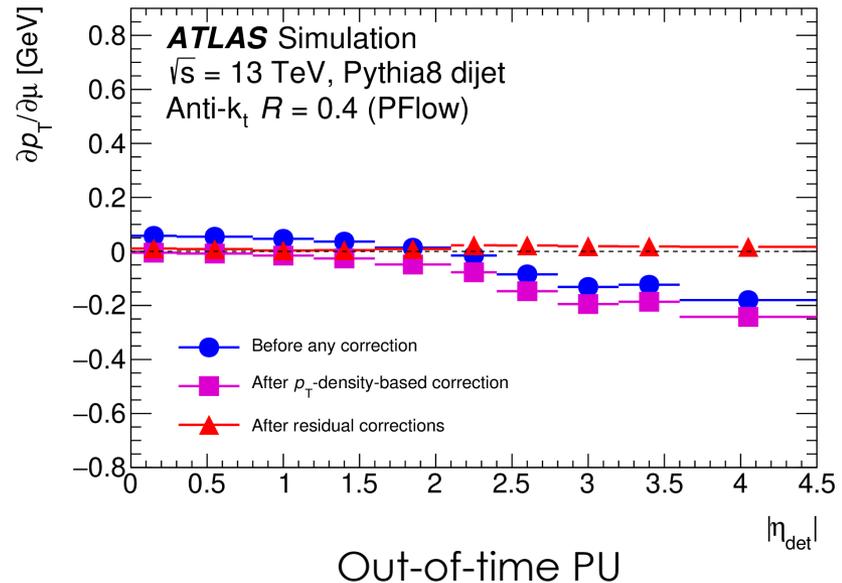
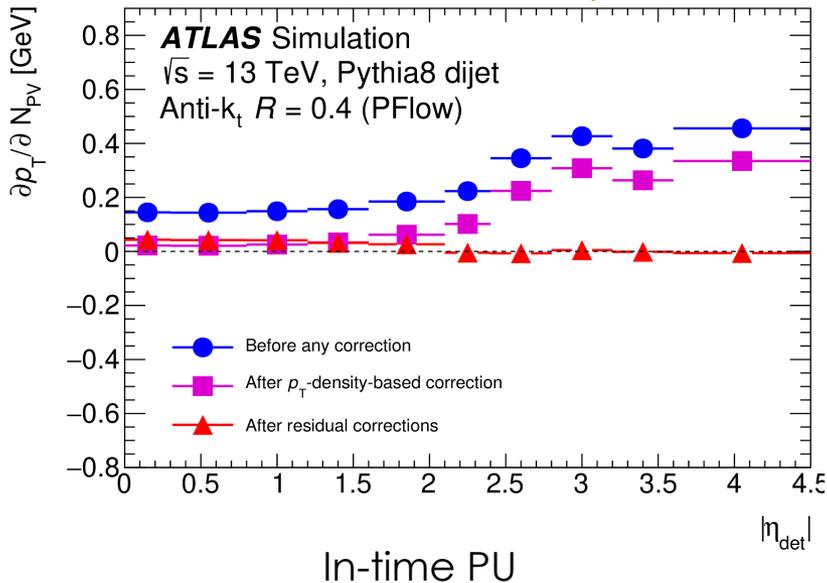


PFlow as default with CHS

Jet-area-based PU subtraction

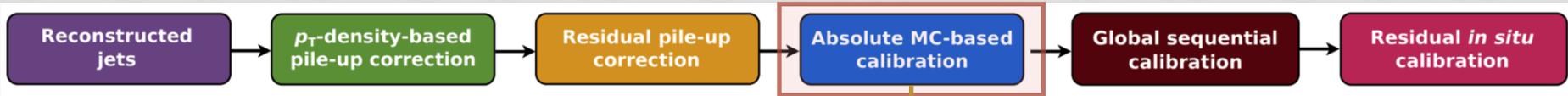
Removes residual PU dependency

$$p_T^{\text{corr}} = p_T^{\text{reco}} - \rho \times A - \alpha \times (N_{\text{PV}} - 1) - \beta \times \mu$$



SMALL-R JET CALIBRATION

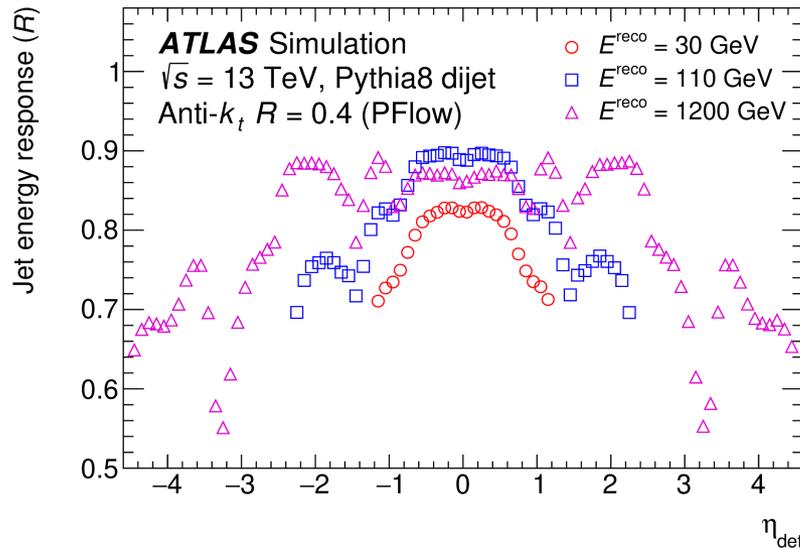
Eur. Phys. J. C 81 (2021) 689



Restore the scale of reconstructed jets to particle level
Both **energy** and **direction** are calibrated

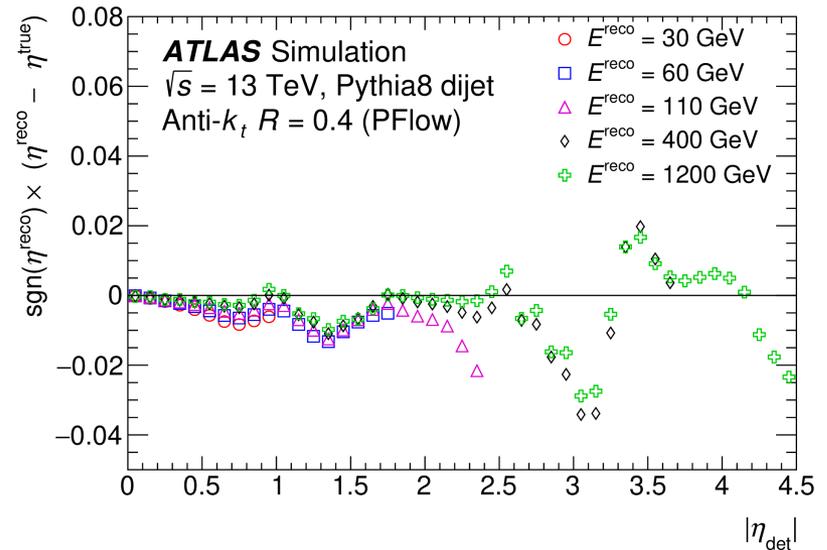
● Determines energy response R

$$R(E_{\text{jet}}^{\text{truth}}, \eta_{\text{det}}) = E_{\text{jet}}^{\text{reco}} / E_{\text{jet}}^{\text{truth}}$$



● Corrects for η mis-reconstruction

$$\Delta\eta(E_{\text{jet}}^{\text{truth}}, |\eta_{\text{det}}|) = \eta^{\text{reco}} - \eta^{\text{truth}}$$



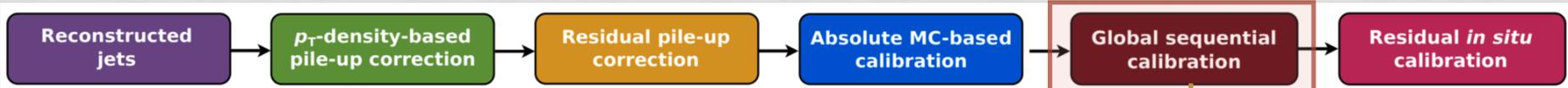
Numerical inversion and calibration:

$$R(E_{\text{jet}}^{\text{truth}}, \eta_{\text{det}}) \rightarrow R^{-1}(E_{\text{jet}}^{\text{reco}}, \eta_{\text{det}})$$

$$\Delta\eta(E_{\text{jet}}^{\text{truth}}, |\eta_{\text{det}}|) \rightarrow \Delta\eta(E_{\text{jet}}^{\text{reco}}, |\eta_{\text{det}}|)$$

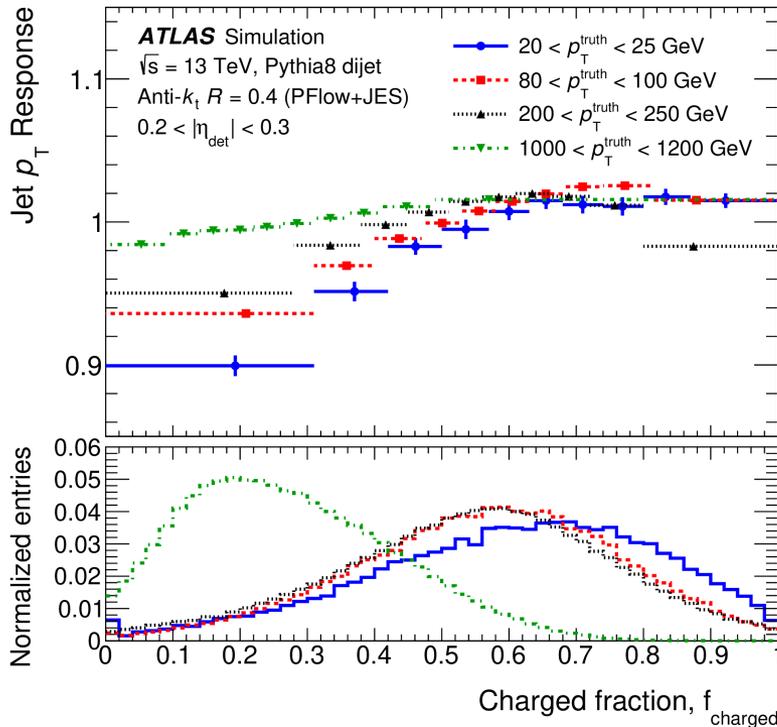
SMALL-R JET CALIBRATION

Eur. Phys. J. C 81 (2021) 689

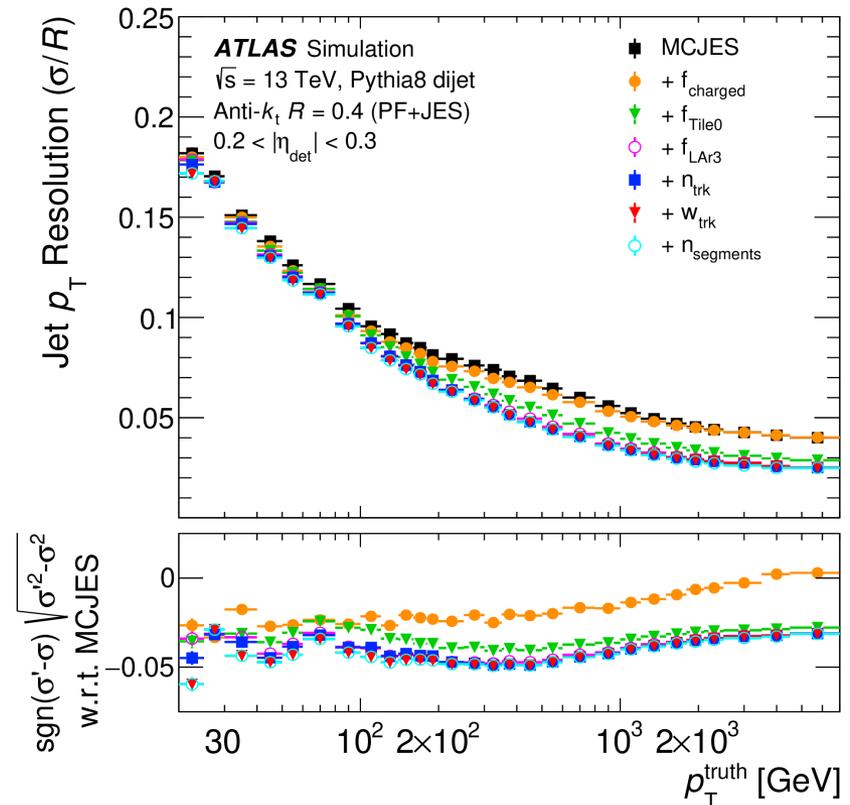


Reduces jet-by-jet response variations

● Using calorimeter, track, and muon segments variables

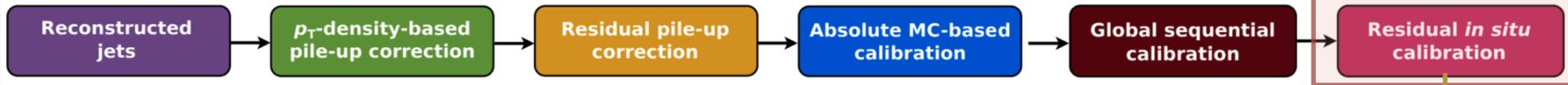


● Reduce jet p_T resolution



SMALL-R JET CALIBRATION

Eur. Phys. J. C 81 (2021) 689



Residual calibration using *in situ* measurements applied **only to data**

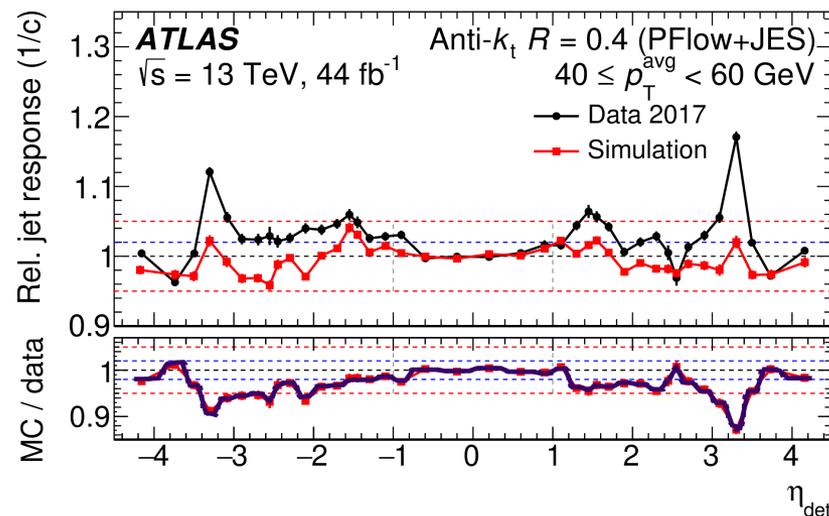
Using p_T balance between well-measured reference objects and probed jet: $r_{in\ situ}(p_T^{ref}) = \frac{p_T^{jet}}{p_T^{ref}}$

Define data-MC differences in terms of double ratios and derive calibrations:

$$c(p_T^{ref}) = \langle r_{in\ situ}^{data} / r_{in\ situ}^{MC} \rangle \rightarrow c^{-1}(p_T^{jet})$$

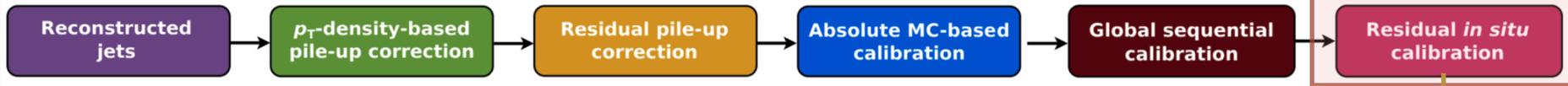
Relative η intercalibration

Dijets with well measured central jet balancing probed (forward) jet



SMALL-R JET CALIBRATION

Eur. Phys. J. C 81 (2021) 689



Residual calibration using *in situ* measurements applied **only to data**

Using p_T balance between well-measured reference objects and probed jet: $r_{in\ situ}(p_T^{ref}) = \frac{p_T^{jet}}{p_T^{ref}}$

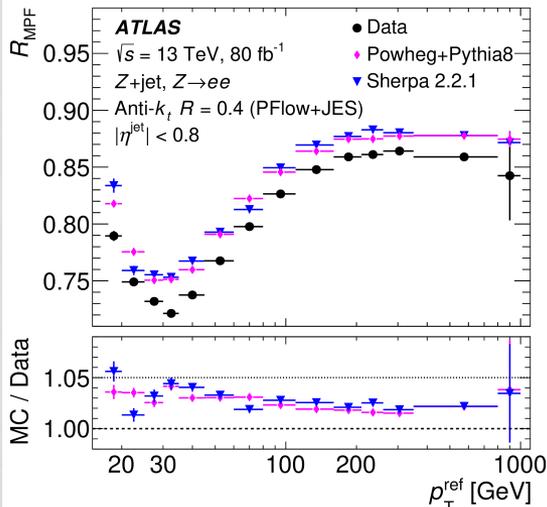
Define data-MC differences in terms of double ratios and derive calibrations:

$$R(p_T^{ref}) = \langle r_{in\ situ}^{data} / r_{in\ situ}^{MC} \rangle \rightarrow c = R^{-1}(p_T^{jet})$$

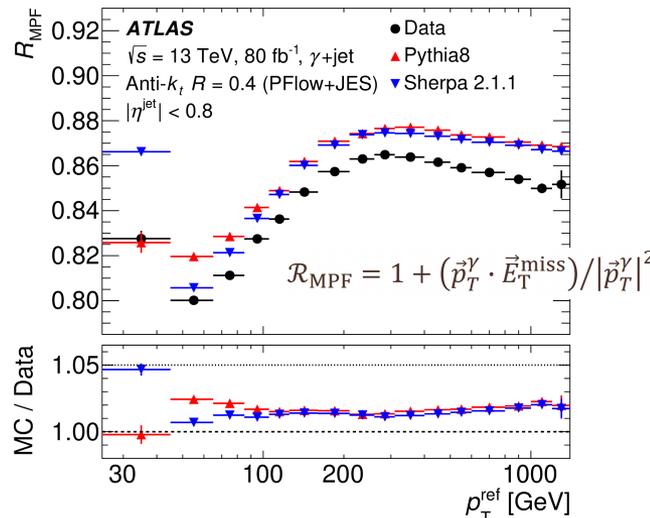
Balance measurement

Absolute response calibration combining various references for full phase space coverage

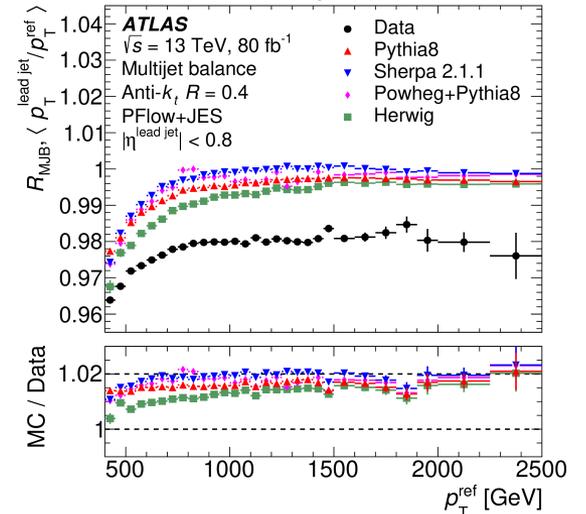
Z + jet



γ + jet

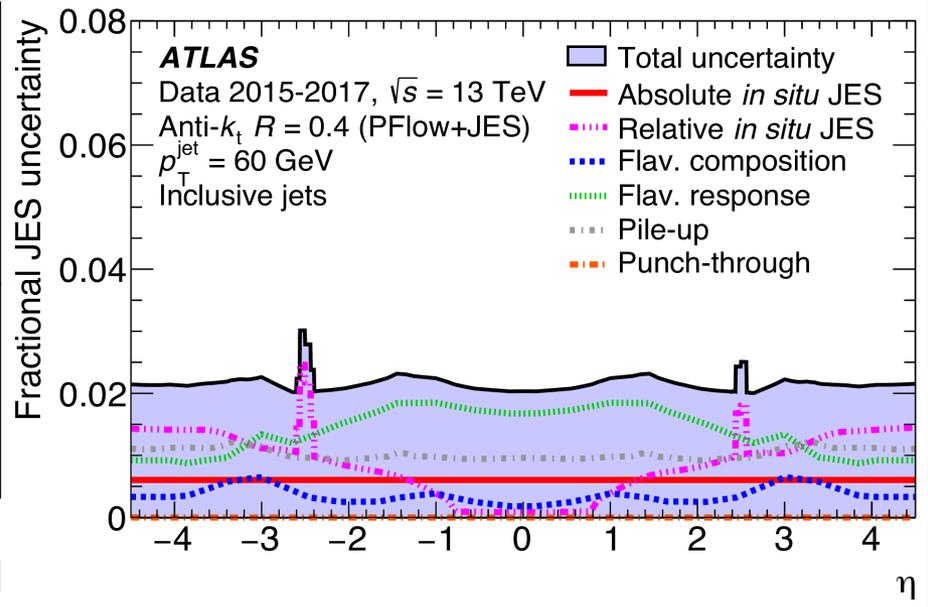
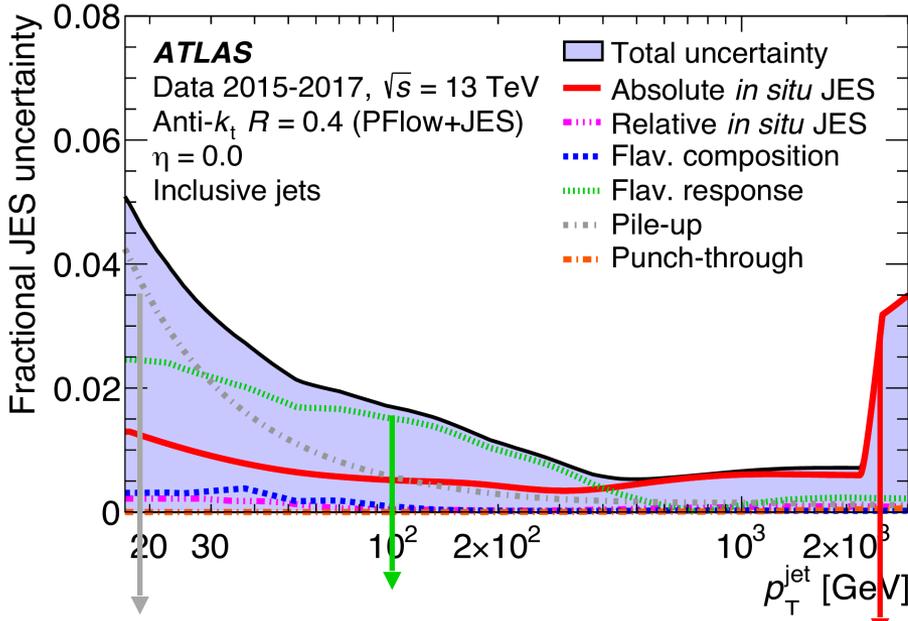


Multi-jet



SYSTEMATIC UNCERTAINTIES

● Enormous effort from the collaboration to calibrate jet energy and mass with uncertainties below 2% at $p_T \approx 200$ GeV

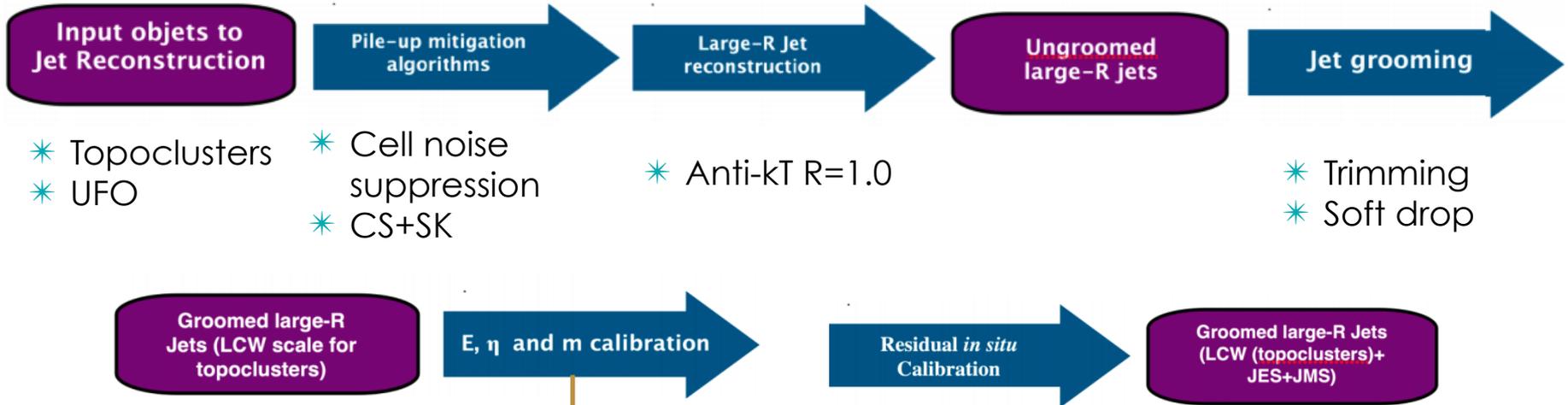


New ρ definition for PFlow (not using charged PFlow close to Prim. Vertex)

New jet-by-jet flavour uncertainty

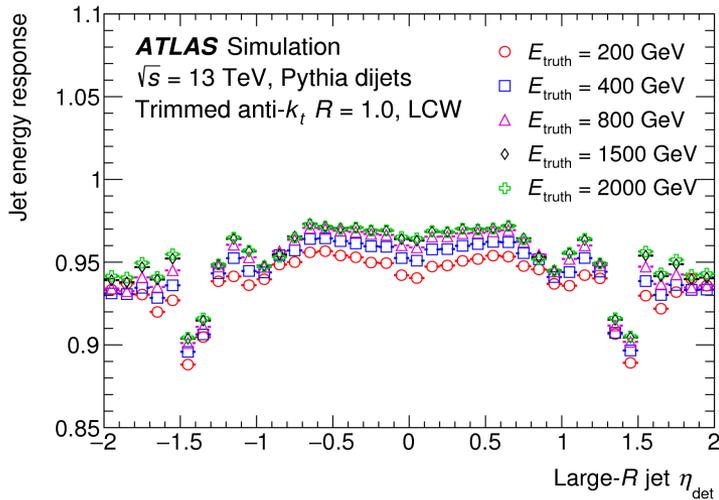
Improving single particle uncertainties
[\[Measurement of the energy response to charged pions from \$W \rightarrow \tau + \nu_\tau\$ \]](#)

LARGE-R JET CALIBRATION

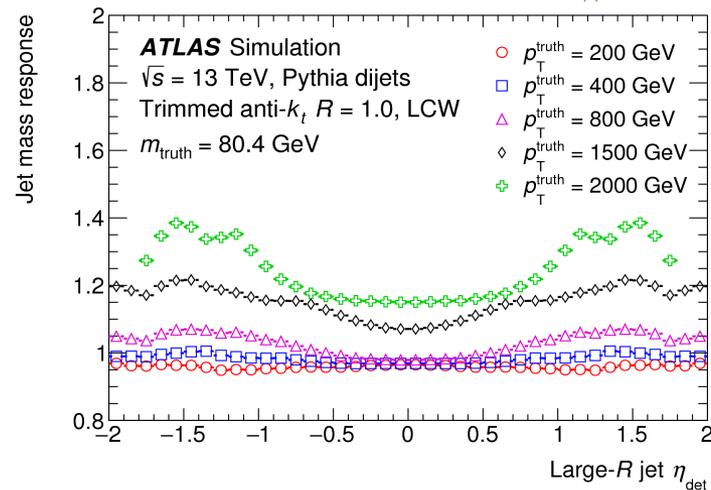


MC-based calibration for topoclusters:

Jet Energy Response



Jet Mass Response $\sim m_W$



MISSING TRANSVERSE MOMENTUM

MET RECONSTRUCTION

Object-based Missing Transverse Momentum (MET)

$$\sum_{\text{all}} \vec{p}_{T,i} = 0 \quad \xrightarrow{\text{When imbalance}} \quad \sum \vec{p}_{T,i} + \vec{E}_T^{\text{miss}} = 0 \quad \xrightarrow{\text{observable}} \quad \vec{E}_T^{\text{miss}} = - \sum_{\text{observable}} \vec{p}_{T,i}$$

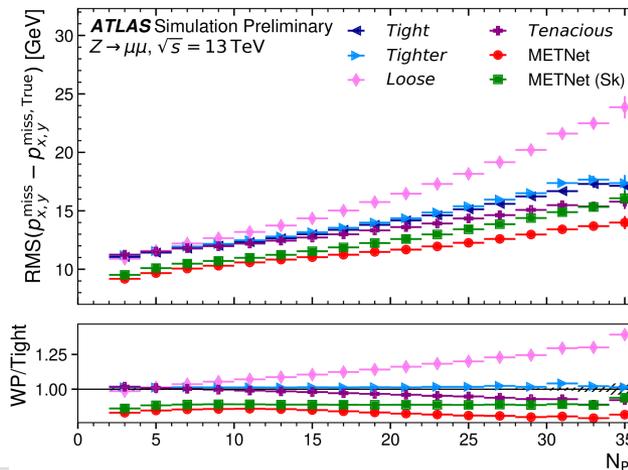
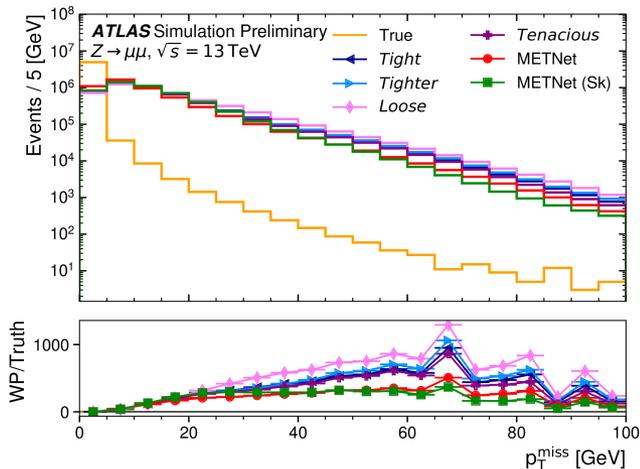
$$\vec{E}_T^{\text{miss}} = - \underbrace{\sum \vec{p}_T^e}_{E_T^{\text{miss},e}} - \underbrace{\sum \vec{p}_T^\gamma}_{E_T^{\text{miss},\gamma}} - \underbrace{\sum \vec{p}_T^{\tau_{\text{had}}}}_{E_T^{\text{miss},\tau_{\text{had}}}} - \underbrace{\sum \vec{p}_T^\mu}_{E_T^{\text{miss},\mu}} - \underbrace{\sum \vec{p}_T^{\text{jet}}}_{E_T^{\text{miss},\text{jet}}} - \underbrace{\sum \vec{p}_T^{\text{track}}}_{E_T^{\text{miss},\text{soft}}}$$

hard term
soft term

Machine Learning-based MET: METNet

[ATL-PHYS-PUB-2021-025](#)

- * Neural Network takes different MET Working Points as inputs (different requirements on the Jets)
- * METNet do a regression targeting Truth MET



↓ Improvements in resolution

MET SIGNIFICANCE

How likely is the measured MET to be real or a resolution effect?

ATL-PHYS-PUB-2021-025

Object-based MET Significance

$$S^2 = \frac{|E_T^{\text{miss}}|^2}{\sigma_L^2 (1 - \rho_{LT}^2)}$$



Correlation factor

Total longitudinal variance

Expected resolutions from objects

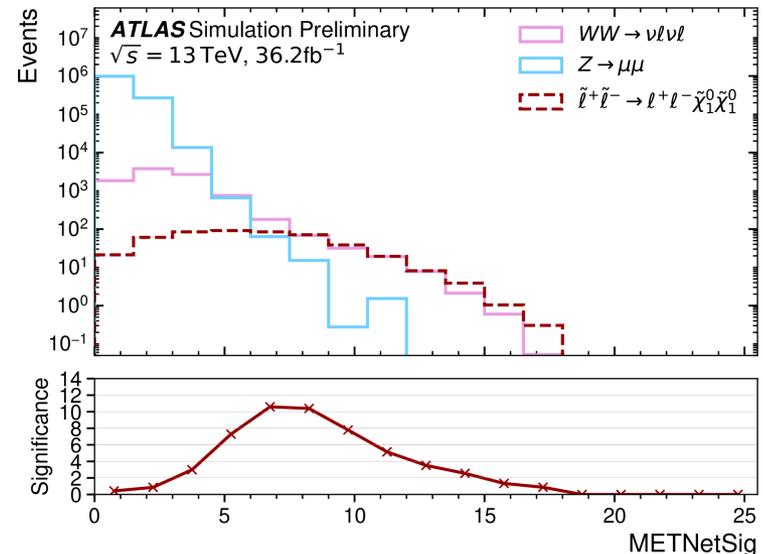
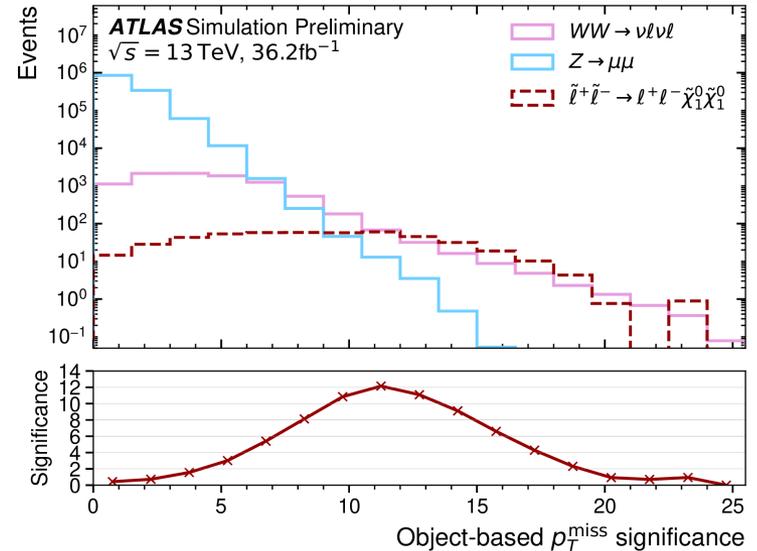
$$\sigma_L^2 = \sigma_L^{\text{hard}^2} + \sigma_L^{\text{soft}^2}$$

Machine Learning-based MET Significance: METNetSig

$$\text{METNetSig} = \frac{\text{METNet}}{\sigma_{\text{METNet}}}$$



Neural Network's confidence in the METNet prediction



CONCLUSIONS AND OUTLOOK

● Jet constituents

- * Great effort in defining jet constituents that combine measurements from the tracker and calorimeters: PFlow, TCC, UFO
- * Promising studies revisiting LCW calibration using modern ML-based approaches

● Jet Reconstruction & performance

- * ATLAS performed a Large-R jet definition optimisation: CS+SK UFO jets with Soft Drop outperform other jet collections in different metrics -> will be the default jet definition in future ATLAS analysis
- * New W/Z and top taggers with UFO jets developed showing improvements
- * Detailed understanding of jet energy calibration requires many detailed studies to converge!

● Missing Transverse Momentum

- * New ML-based MET showing improved resolution

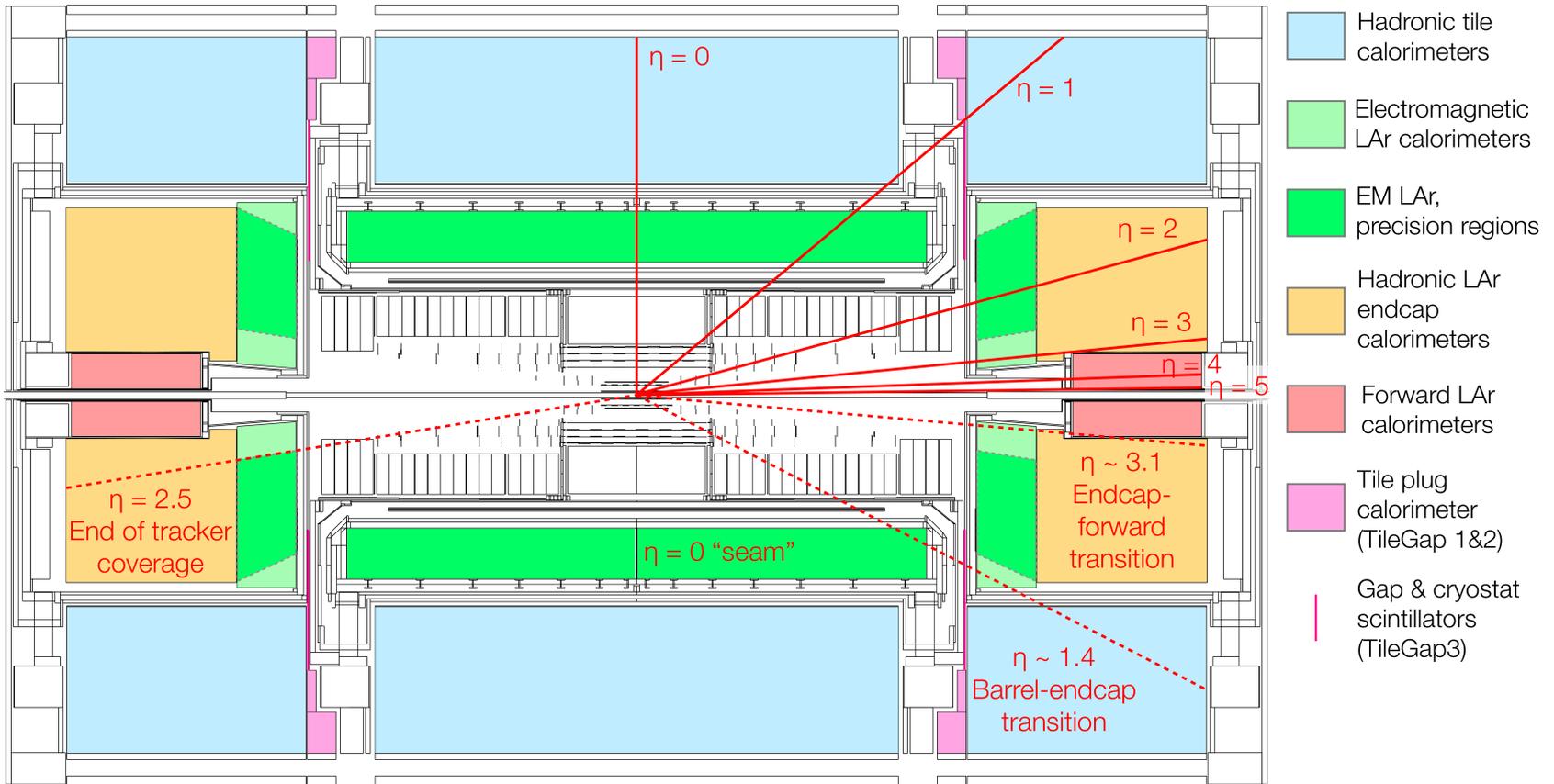
● More improvements will come In the future

- * Calibration of jet constituents: LCW for PFlow and UFO, ML approach
- * Topo-tower inputs in the forward region
- * Simultaneous energy and mass calibration using Neural Networks
- * small-R UFO jets
- * Topo-clustering time cut for rejecting pile-up
- * ...

- [Inputs](#)
- [Calibration](#)
- [UFO taggers](#)
- [MET](#)

BONUS

ATLAS BASICS





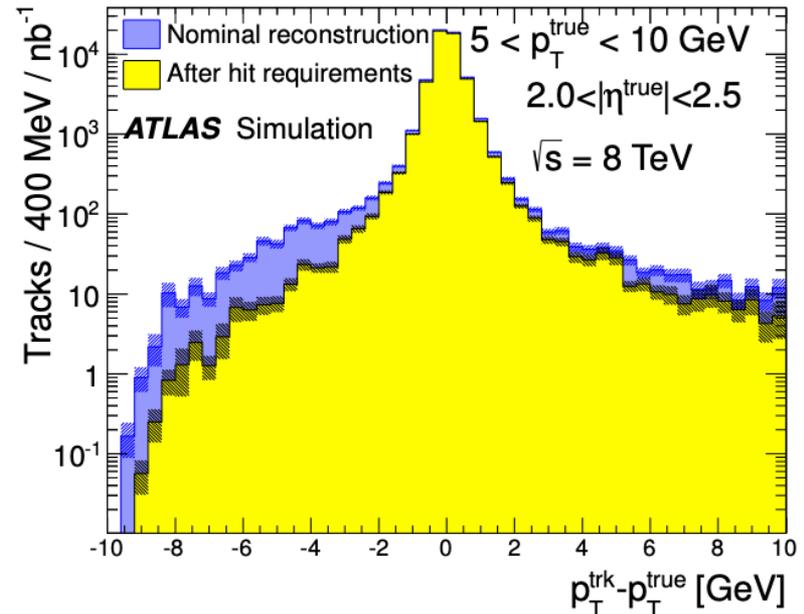
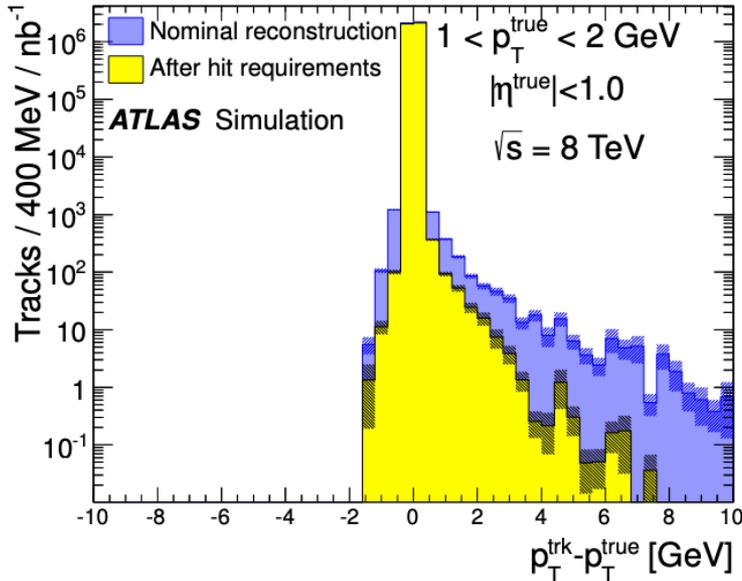
INPUTS + PU

PFLOW: INPUTS

Tracks with a reliable measurement, and where the resolution is better than the calorimeter.

- “tight” tracking criteria: ≥ 9 silicon hits, no pixel holes, $|\eta| < 2.5$ and $0.5 < p_T < 40$ GeV
- Tracks associated with electrons or muons are not considered by the particle flow algorithm

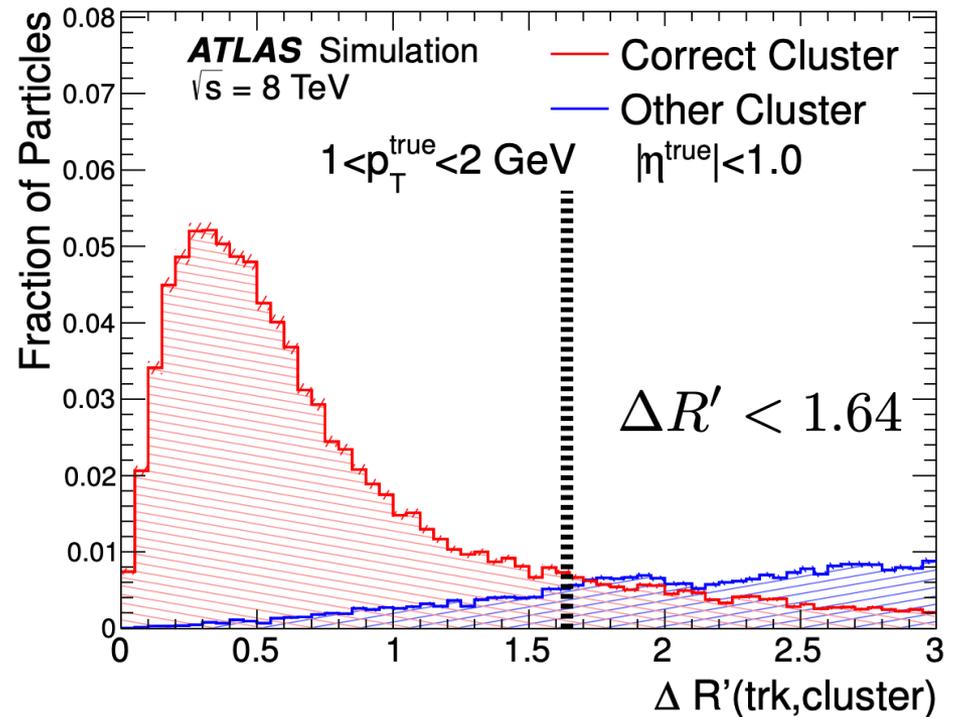
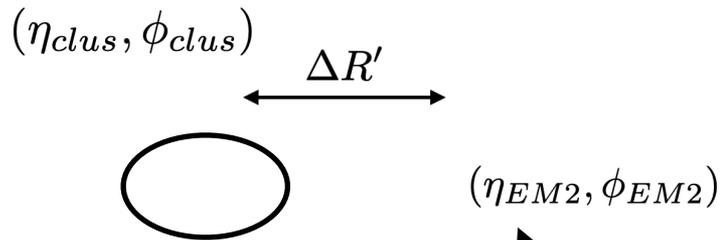
All **topoclusters** are considered



Output:

- List of tracks
- List of Topoclusters
 - Unmodified Topoclusters
 - New Topoclusters resulting from the energy subtraction

PFLOW: TRACK-CLUSTER ASSOCIATION



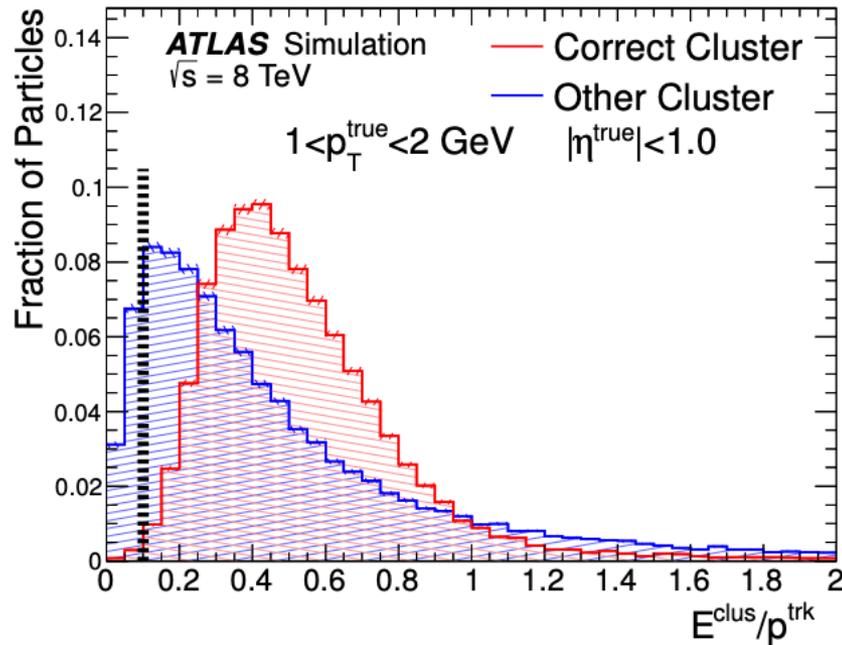
$$\Delta R' = \sqrt{\left(\frac{\eta_{EM2} - \eta_{clus}}{\sigma_{\eta}^{clus}}\right)^2 + \left(\frac{\phi_{EM2} - \phi_{clus}}{\sigma_{\phi}^{clus}}\right)^2}$$

σ : Represent the angular toPo-cluster widths.

- The topocluster with the smallest $\Delta R'$ and $E > 0.1p$ is taken.
- If no topocluster with $\Delta R' < 1.64$: particle does not form a topocluster. Retain track

PFLOW: E/P MEASUREMENT

E/p is defined using all topoclusters in a cone of 0.2 around the track extrapolated coordinates in the second layer of the calorimeter.



“Correct” has at least the 90% of the truth energy from the particle matched to the track

Selected topocluster to be matched

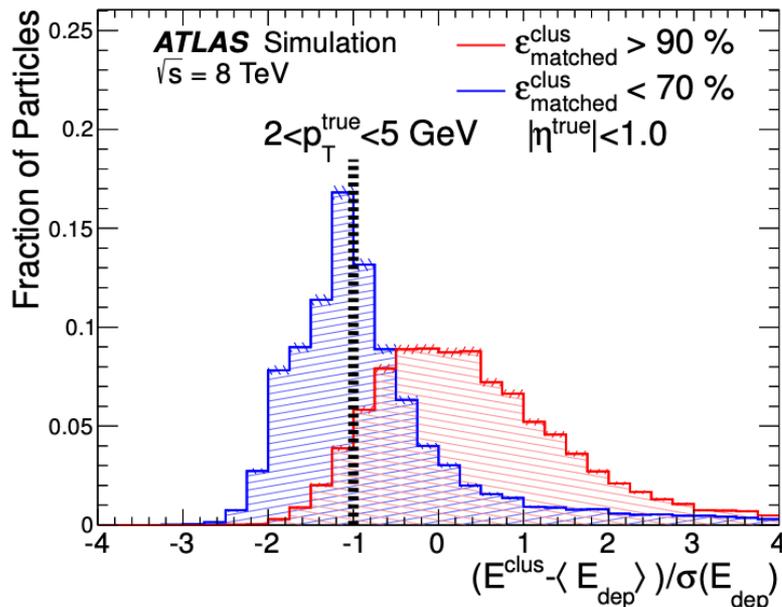
PFLOW: RECOVERING SPLIT SHOWERS

Often particles split their energy across **several clusters**..

Initial track-topocluster match has an **E/P smaller than expected**

The discriminant used to **distinguish** the **single and multiple** topo-cluster cases is the significance of the difference between the expected energy and that of the matched topo-cluster

$$S(E^{\text{clus}}) = \frac{E^{\text{clus}} - \langle E_{\text{dep}} \rangle}{\sigma(E_{\text{dep}})}$$



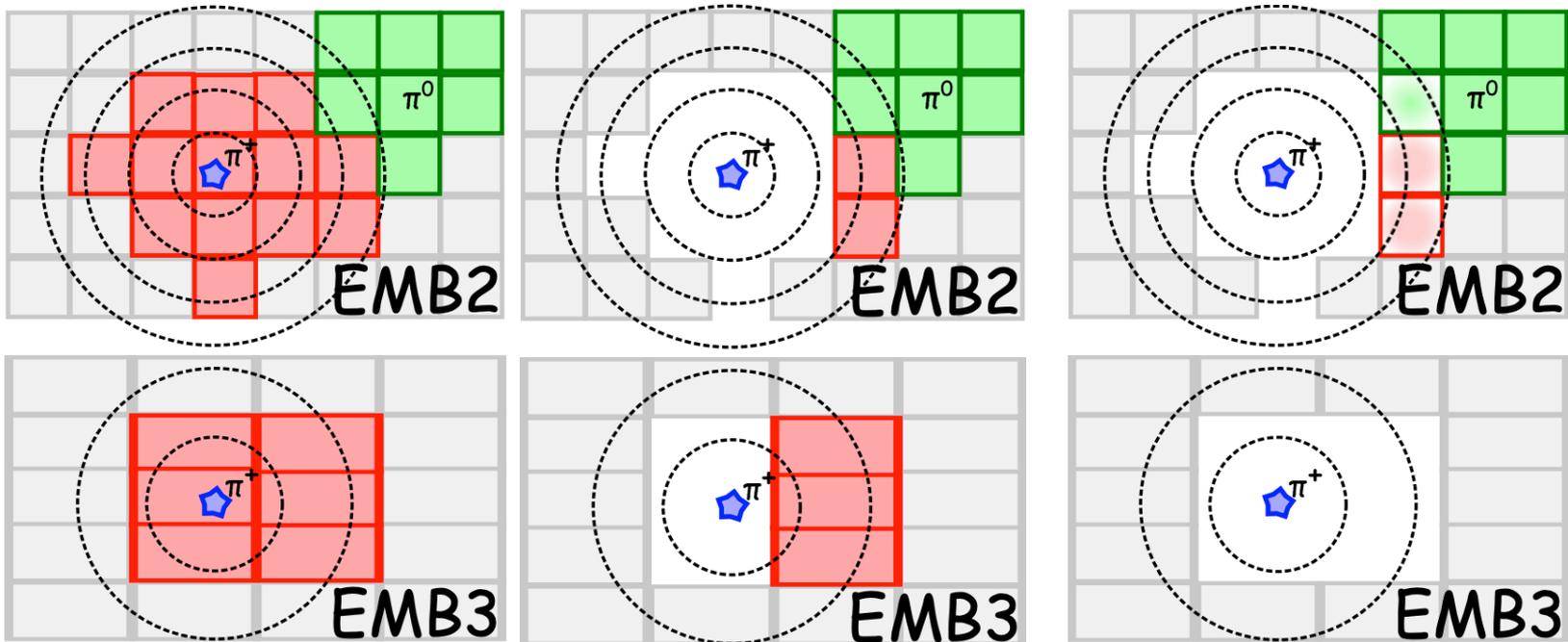
Look for additional clusters if $S < -1$

Take all clusters in a cone of radius 0.2 around the extrapolated track

CELL-BY-CELL SUBTRACTION

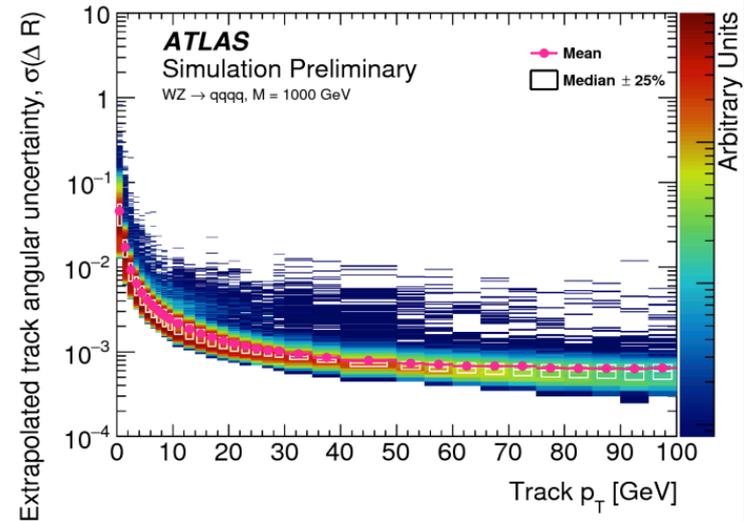
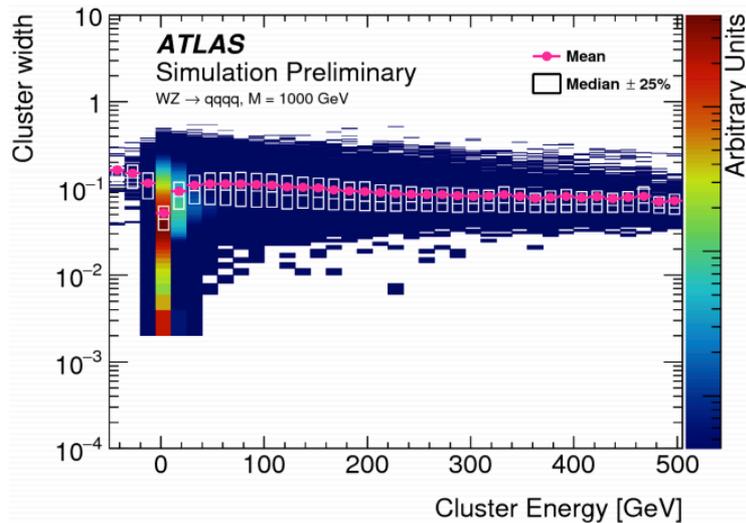
Subtract cell-by-cell if $E_{cl} > ptrk \times (E/p)$

Each layer is split into rings around the extrapolated track



TRACKS IN TCC

- ◇ The track position is known very precisely
- ◇ the uncertainty on its extrapolation to the calorimeter is smaller than the width of a cluster at high p_T .



- ◇ The matching procedure does not attempt to remove tracks from leptons
- ◇ Use tracks originating from any primary vertex (not only HS PV).

Matching:

- ◇ 1. Attempt match if $\sigma_{\text{track}} < \sigma_{\text{cluster}}$ (width)
- ◇ 2. Match if $(\Delta R)^2 < (\sigma_{\text{track}})^2 + (\sigma_{\text{cluster}})^2$

PERFORMANCE: JET CONSTITUENT CALIBRATION

Hadronic Calibration with Particle Flow Networks (PFN)

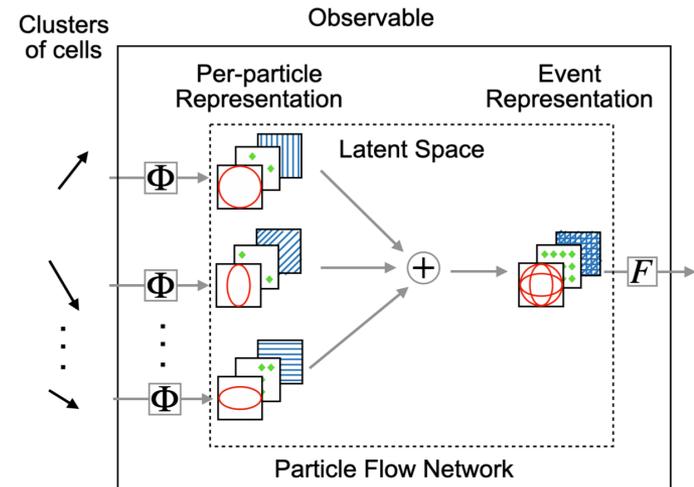
- An event can be seen as a variable-length unordered set of particles
- **Deep Sets Theorem:** A permutation invariant Observable of sets of particles can be parametrised in a general way:

$$O(\{p_1, \dots, p_M\}) = F\left(\sum_{i=1}^M \Phi(p_i)\right)$$

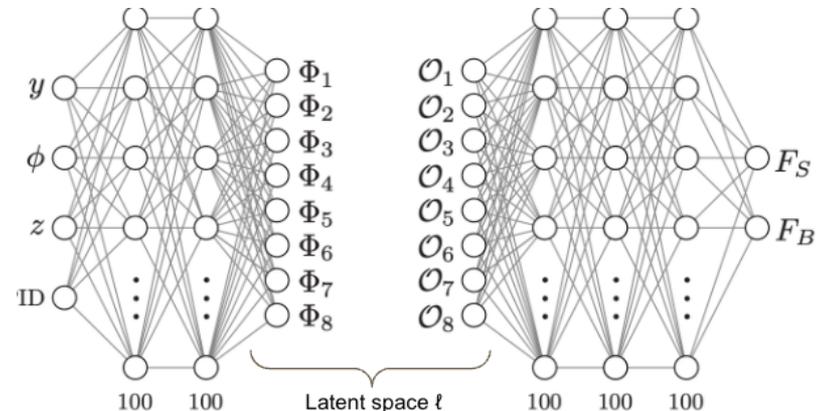
- Applied to pion classification and energy calibration:

$$\text{PFN} : O = \sum_{i=1}^M \Phi(E, \eta_i, \phi_i, \text{SamplerID})$$

Approximate Φ and F with Neural Networks



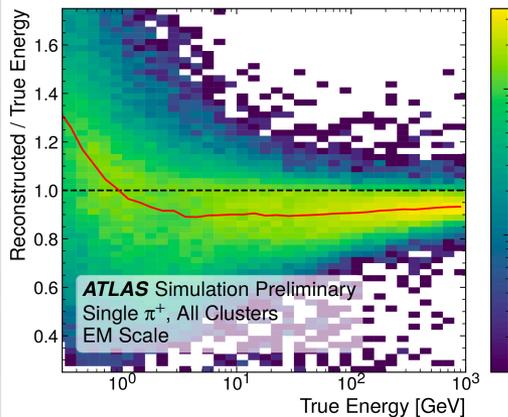
- Use Φ networks to process features in three layers
- Put outputs together with an “**aggregation function**”
- Aggregated outputs are processed by global network “**F**”
- **F output** can be used for **classification** or **regression**



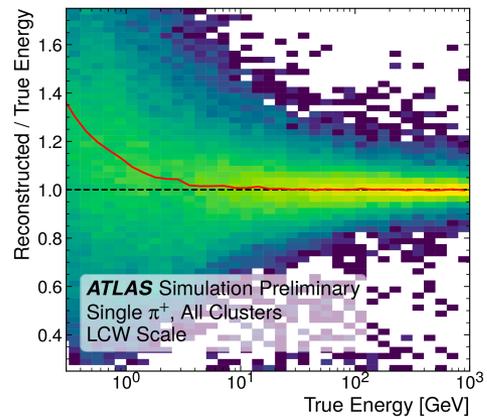
Pion Energy Calibration

- After identifying a cluster as hadronic/EM, need to convert the signal into an energy measurement
- Energy regression goal: Correctly predict the true energy deposited in the cluster.
 - Quantified by measuring the cluster energy response: $R = \frac{E^{\text{reco}}}{E^{\text{truth}}}$ that should be ~ 1

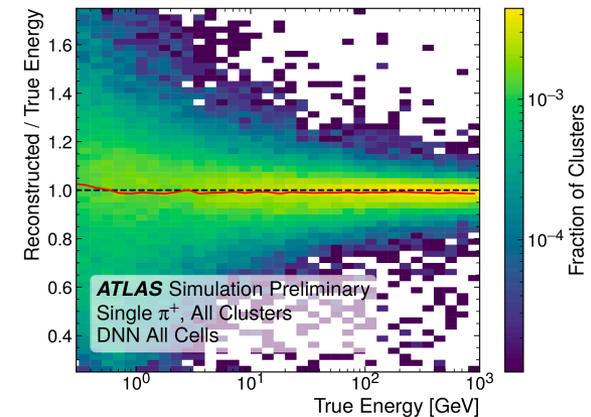
Regression performance for charged pions



Raw "EM" scale under-estimates R

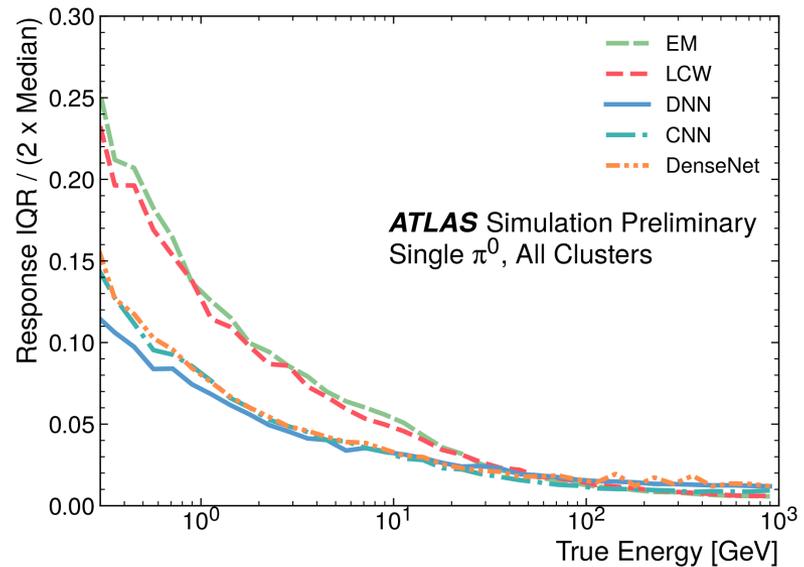
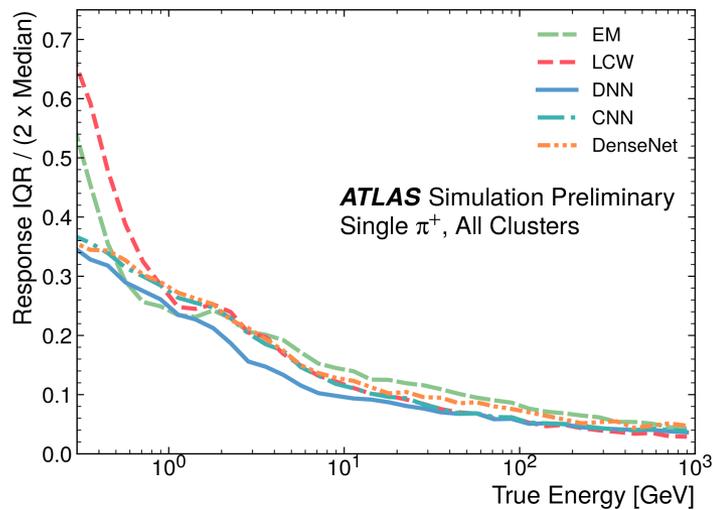
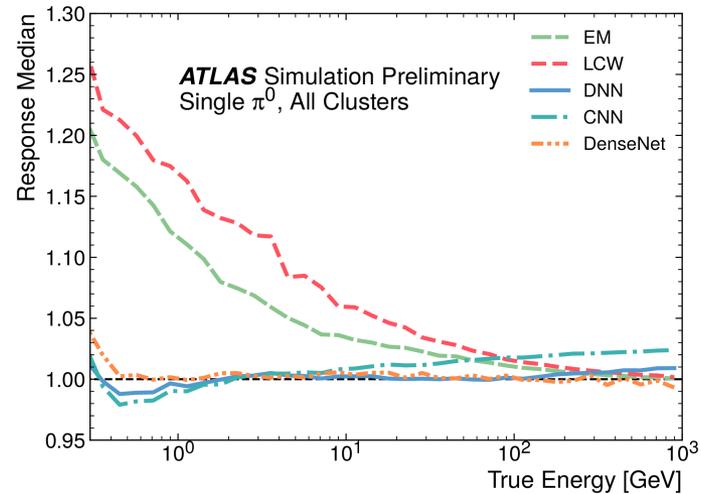
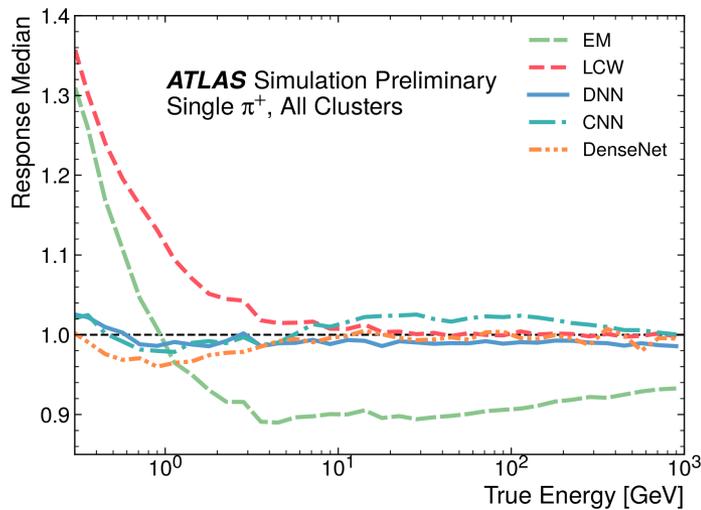


LCW over-estimates R at low-energy

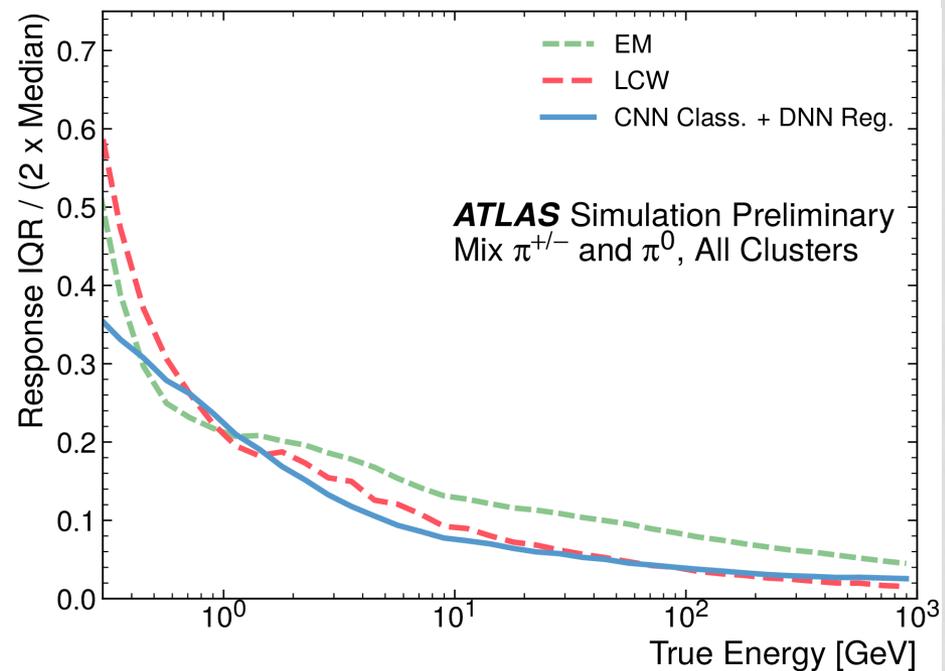
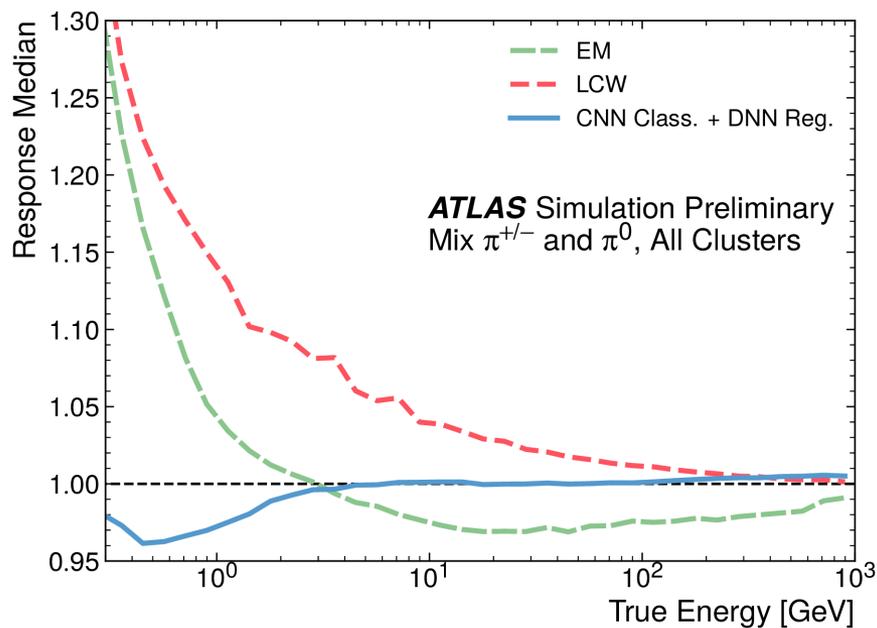


DNN regression does an excellent job nearly everywhere

Pion Energy Calibration



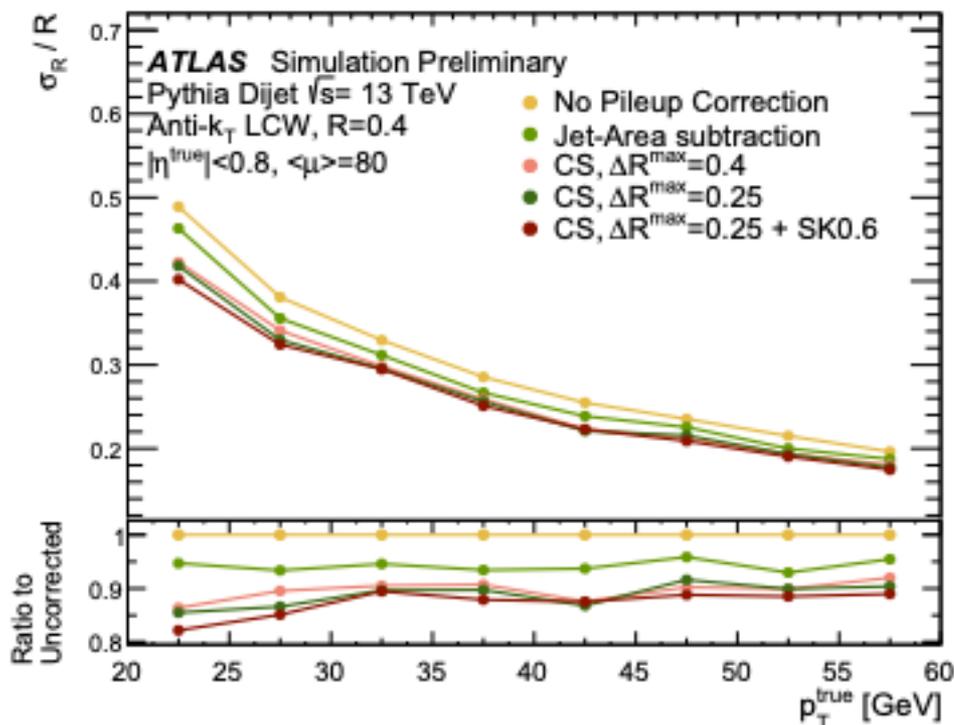
Mixed sample of π^\pm and π^0



CONSTITUENT SUBTRACTION (CS)

JHEP 1406 (2014) 092

- A “constituent area” subtraction
- Add ghosts to the event with $p_T^g = A_g \times \rho$
- Subtract ghost's contribution from p_T of closest constituent (in ΔR)
 - * Until $\Delta R(\text{ghost}, \text{constituent}) > \Delta R_{max}$



VONOROI SUBTRACTION

arXiv:1703.09665

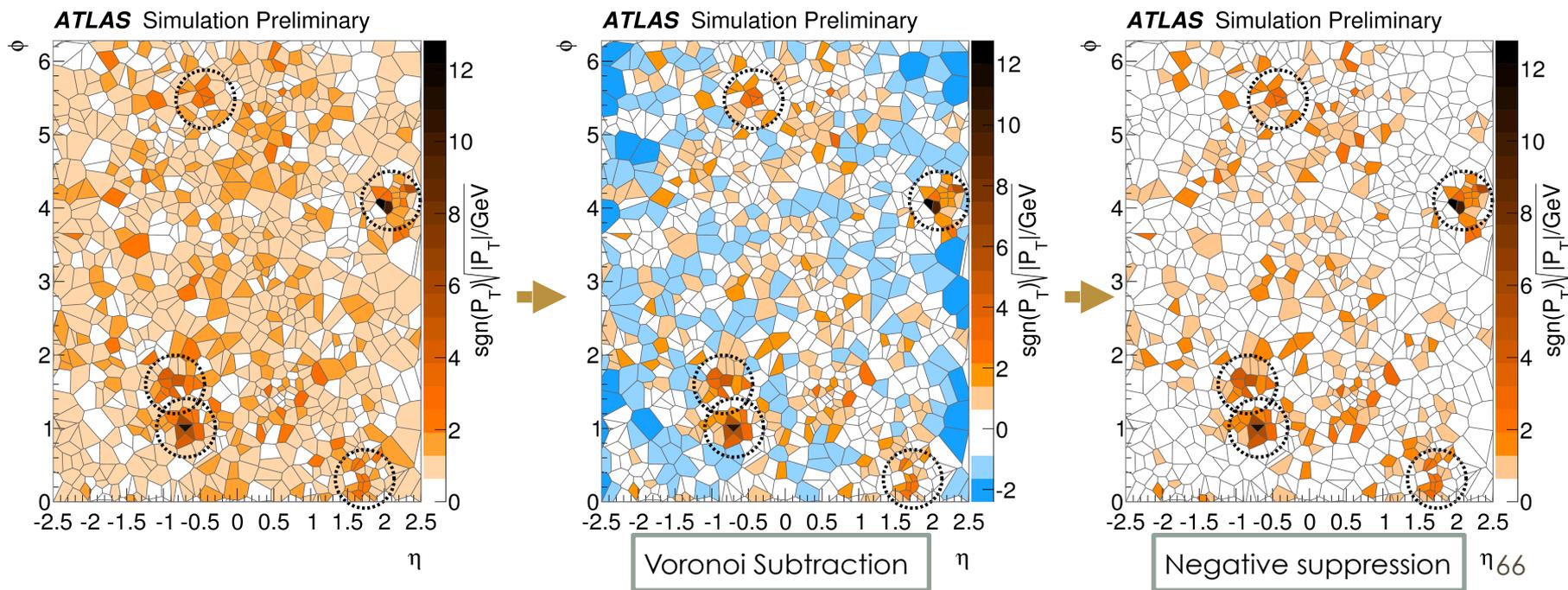
- Subtract average PU contribution as a 'constituent area' correction:

$$p_T^{\text{corr}} = p_T - \rho \times A_{\text{Voronoi}}$$

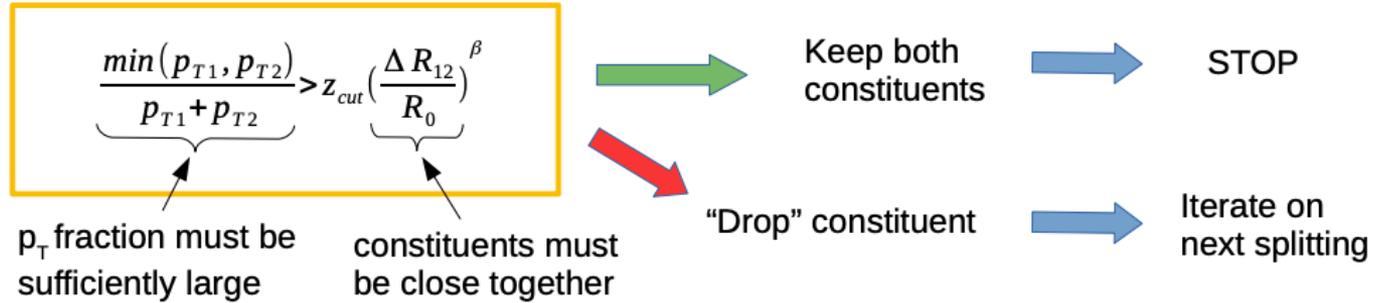
- * Voronoi Area: All points in η - ϕ space closer to that constituent than any other
- * ρ : Median energy density

- Different options for handling soft clusters in which p_T^{corr} turns out to be negative

- * Negative suppression: Remove clusters with $p_T < 0$
- * 1- σ suppression: Remove clusters with $p_T < 1 - \sigma\sqrt{A}$
- * Spreading: Spread some negative p_T to nearby clusters with positive p_T

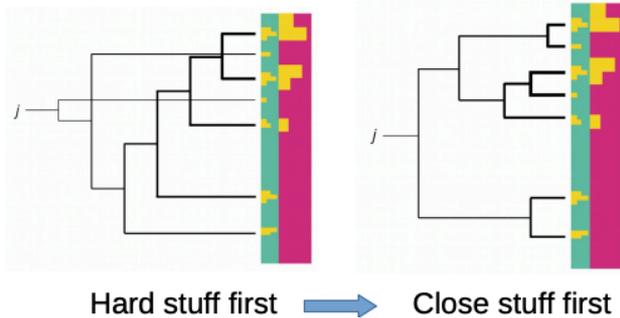


SOFT DROP



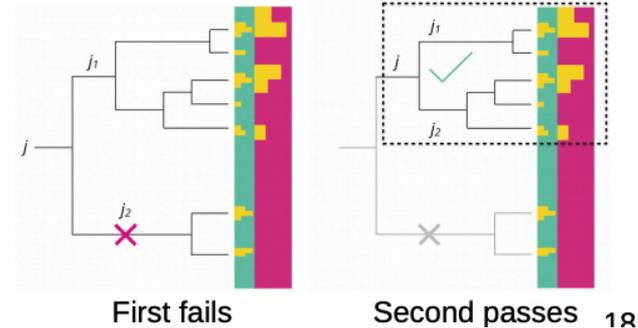
- Jet type

- Create jets using anti- k_t
 - Cluster hardest stuff first
- Define splittings using Cambridge-Aachen
 - Closest stuff first

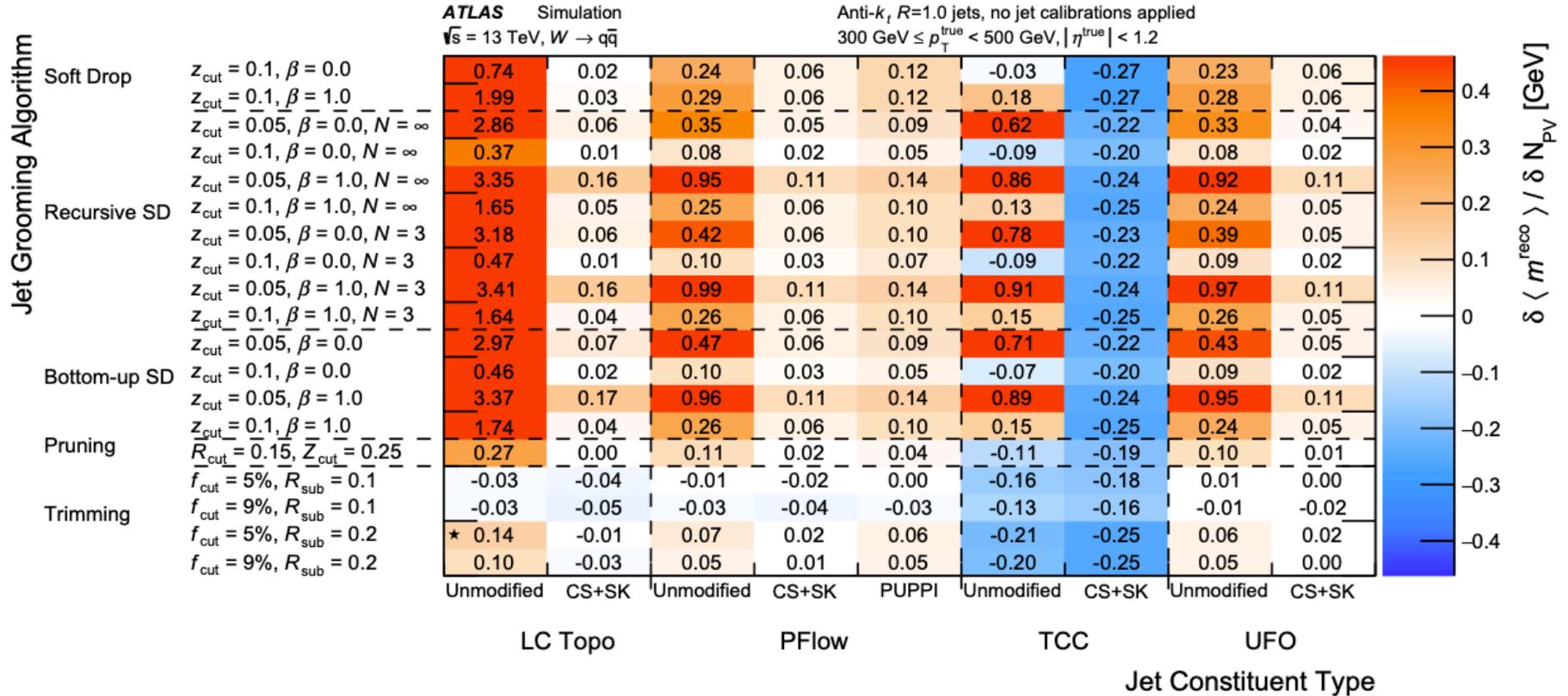


- Apply SoftDrop

- Start from first jet splitting
- Reach passing condition for both splittings
- STOP!



PILE-UP STABILITY

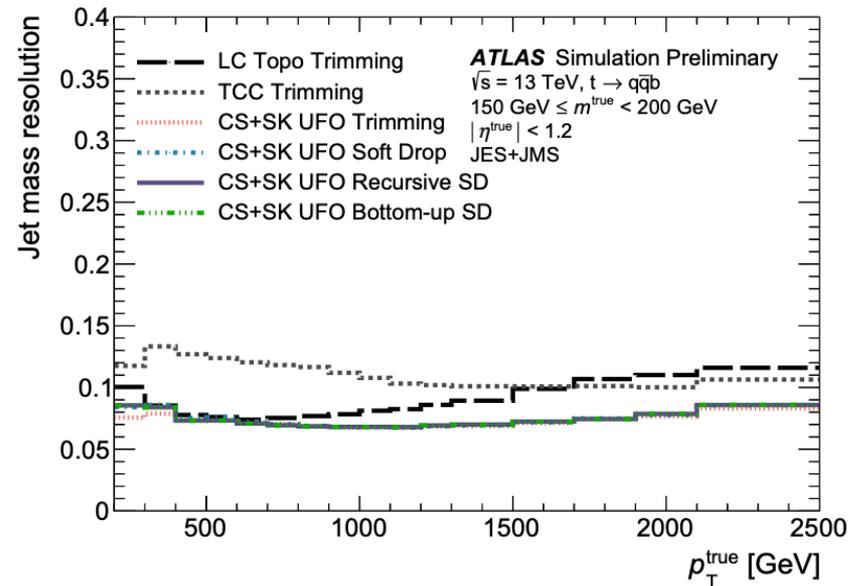
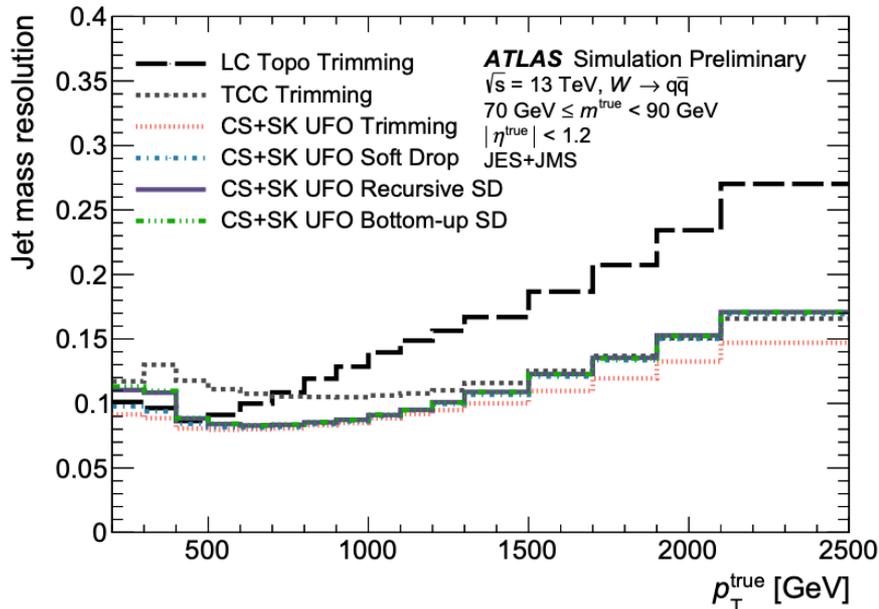


LARGE-RADIUS JETS OPTIMISATION

Jet Mass Resolution

$$\text{Resolution of the mass Response} = \frac{Mass^{reco}}{Mass^{truth}}$$

- Jet definition scan: Tested different jet input type, pileup mitigation, and grooming algorithm
- Finalists:

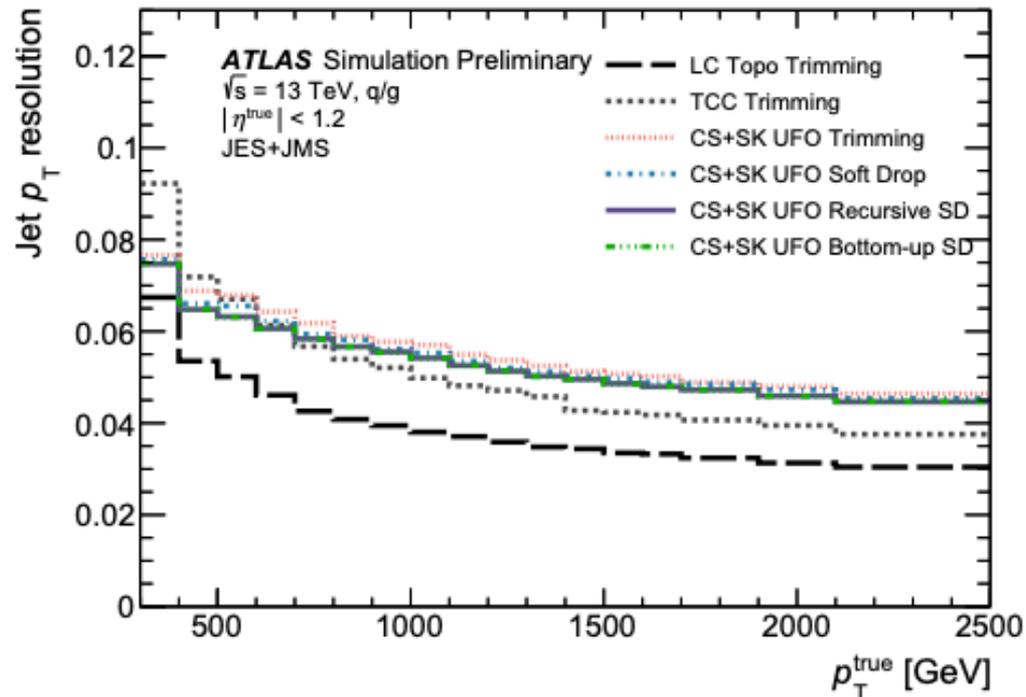


- Winner: CS+SK UFO Soft Drop
Seems to be working excellent in all of the studied metrics [Eur. Phys. J. C 81 \(2021\) 334](#)

LARGE-RADIUS JETS OPTIMISATION

Jet energy resolution

- UFO, CS+SK, Soft Drop seems to be working excellent in all of the metrics - However, there is one downside to UFO UFO uses “EM-scale” topo-clusters
- Degraded JER compared to LC clusters
- All of the improvements make the new definition very useful for many analyses However, still can be improved... An **LC UFO variant**
- could improve JER Could also be mitigated via **dedicated GSC**



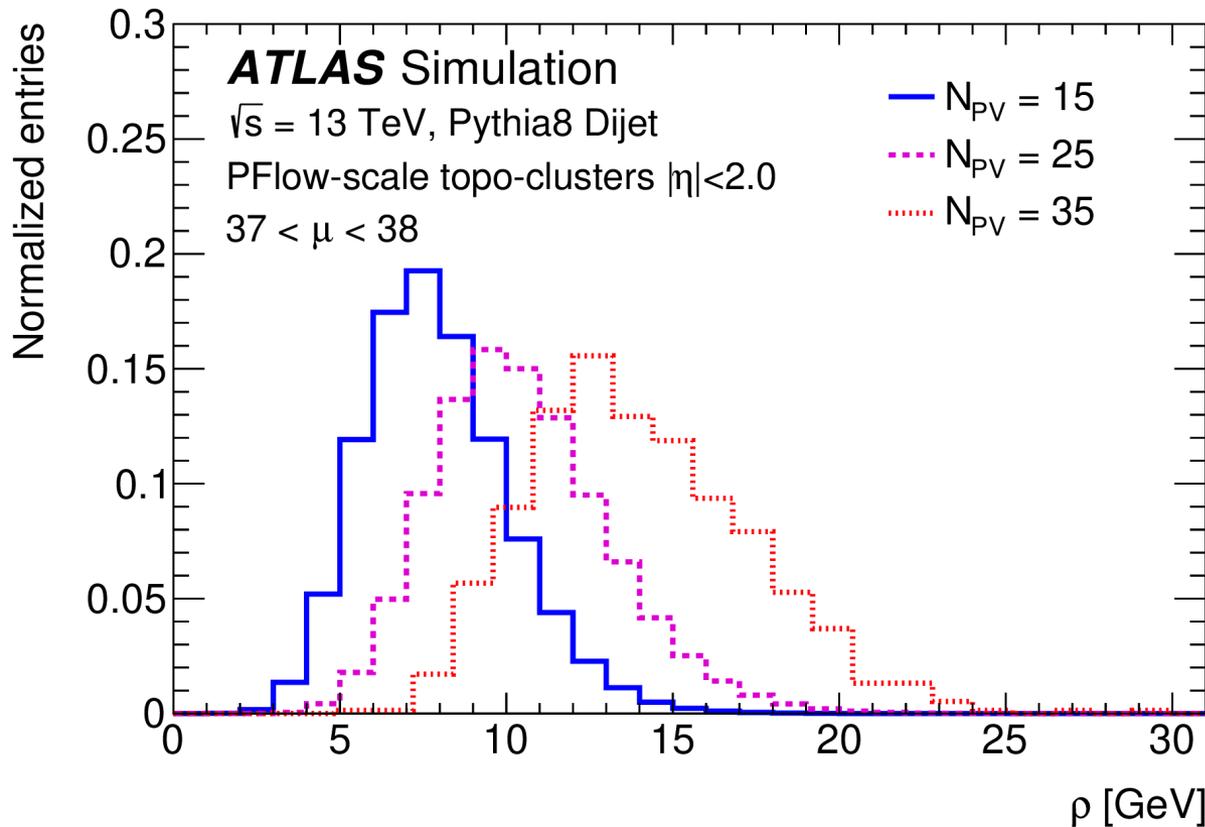


CALIBRATION

PILE UP CORRECTION

ρ = median p_T density of jets in the y - ϕ plane:

ρ = $\langle p_T/A \rangle$ of kt 0.4 jets with $p_T \geq 0$ clustered from topo-clusters within $\eta < 2$



$$\rho_{jet} = \frac{p_{T,jet}}{A_{jet}}$$

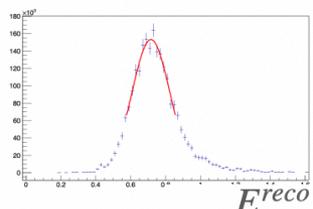
MC-JES

Get $C(E^{reco}) = E^{true}$ by first deriving $C^{-1}(E^{true}) = E^{NI}$ (Numerical Inversion)

New p-spline method
by Arthur Linß

Later P-A: tested using p_T & y bins

#events

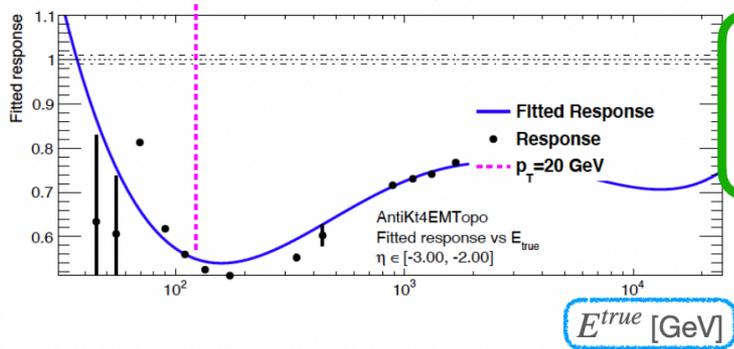


Plot individual response r in bins of (E^{true}, η)

Extract average R from the Gaussian $P(E^{reco} | E^{true})$ [2]

$$r = \frac{E^{reco}}{E^{true}}$$

R vs E^{true} in η bins

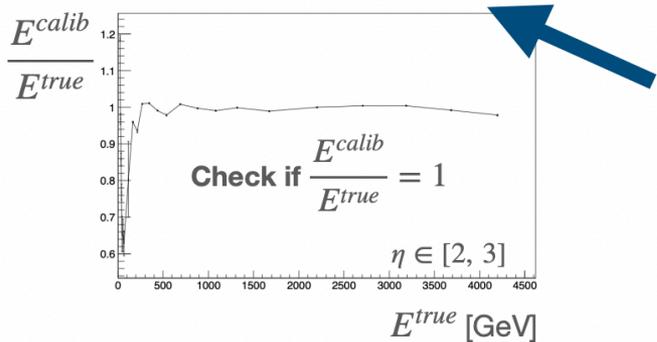


Apply fit

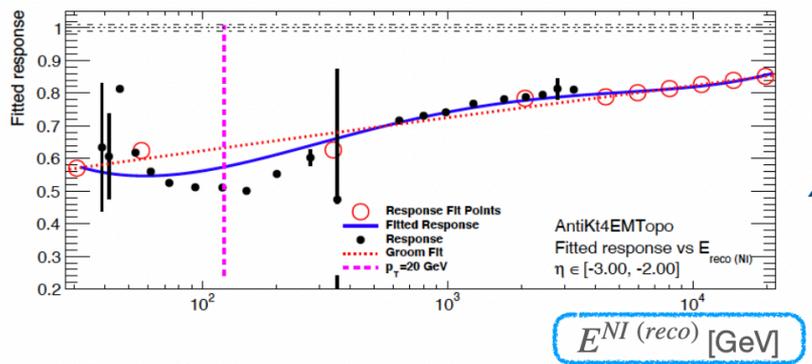
$$R_1(E^{true}) = \sum_{i=0}^8 \alpha_i \ln(E^{true})^i$$

$R_1(E^{true})$
from fit 1

$$E^{calib} = C(E^{reco}) = \frac{E^{reco}}{R_2(E^{NI})} \quad R_2(E^{NI}) \text{ from fit 2}$$



R vs $E^{NI}(reco)$ in η bins



$$E^{NI} = C^{-1}(E^{true}) = R_1(E^{true}) \times E^{true}$$

IN SITU: η -INTERCALIBRATION

- Correction applied to forward jets ($0.8 \leq |\eta_{\text{det}}| < 4.5$) to bring them to the same energy scale as central jets ($|\eta_{\text{det}}| < 0.8$).

- All regions will be calibrated relative to one another

- Momentum balance requires that the p_T of the two jets must be equal and opposite

- Asymmetry:

$$\mathcal{A} = \frac{p_T^{\text{left}} - p_T^{\text{right}}}{p_T^{\text{avg}}}$$

- The response ratio defines the calibration factor per jet:

$$\mathcal{R} = \frac{c^{\text{left}}}{c^{\text{right}}} = \frac{2 + \langle \mathcal{A} \rangle}{2 - \langle \mathcal{A} \rangle} \cong \frac{p_T^{\text{left}}}{p_T^{\text{right}}}$$

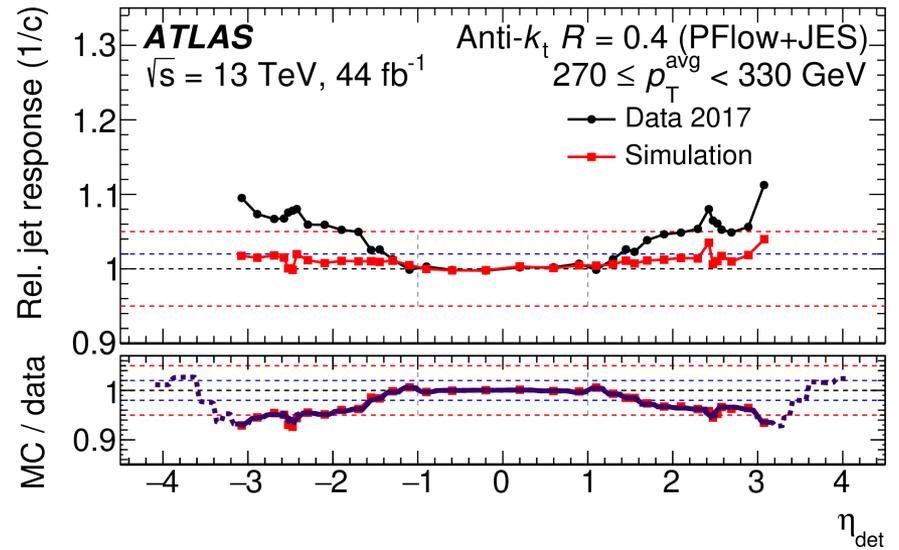
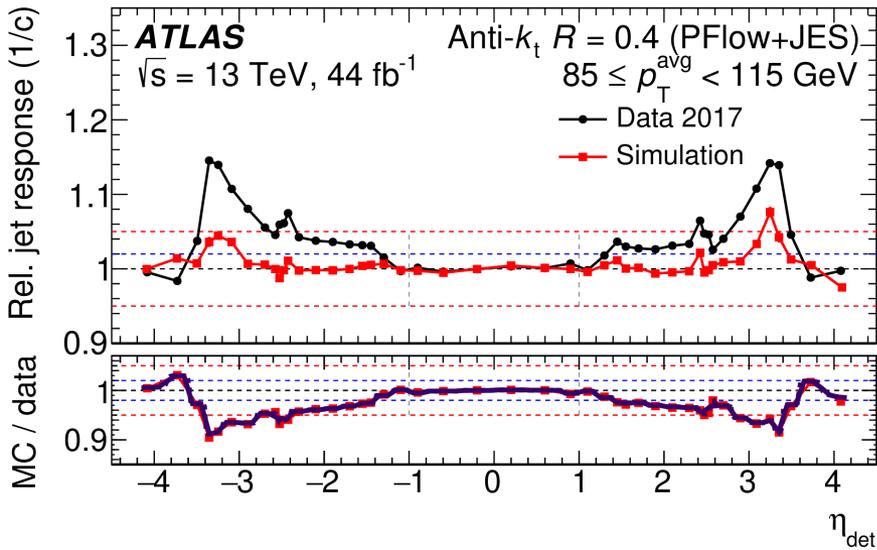
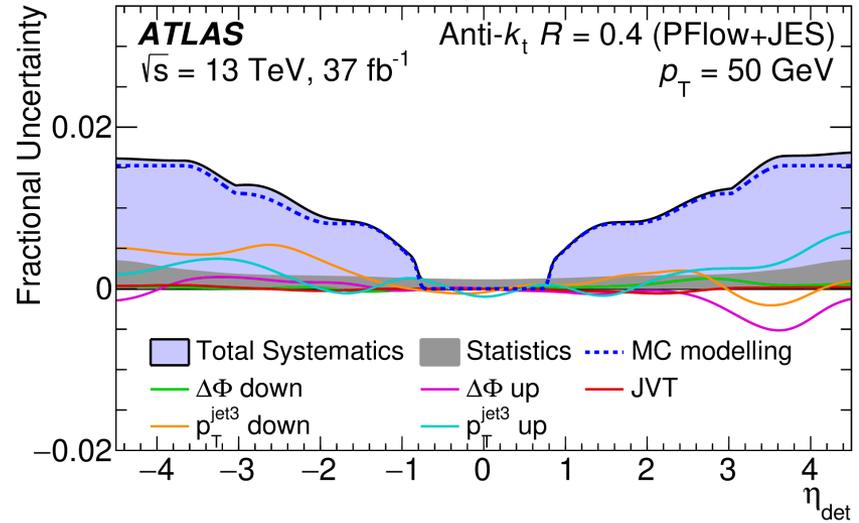
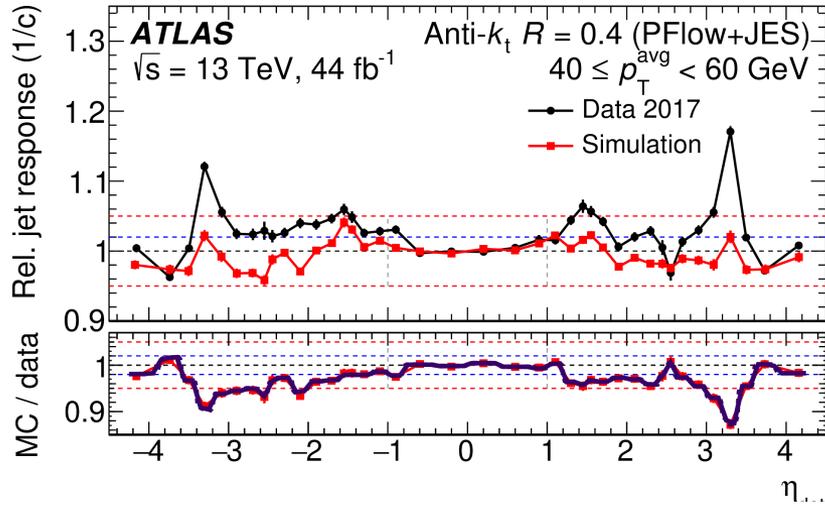
- calibration minimizes this function analytically: $S(c_{1x}, \dots, c_{Nx}) = \sum_{j=2}^N \sum_{i=1}^{j-1} \left(\frac{1}{\Delta \langle \mathcal{R}_{ijx} \rangle} (c_{ix} \langle \mathcal{R}_{ijx} \rangle - c_{jx}) \right)^2 + X(c_{ix})$

* Which can be expressed as a matrix system of linear equations.

* Solved independently for each p_T avg bin x to obtain values for the correction factors c_{ix} for each η_{det} bin i in this momentum range.

The correction factors are normalized such that the average correction factor in the central region $|\eta_{\text{det}}| < 0.8$ is unity.

IN SITU: η -INTERCALIBRATION



IN SITU: Z+JET & γ +JET

Balance the **hadronic recoil** in an event against the p_T of a calibrated **Z boson or photon**.

Only in central region ($|\eta| < 0.8$)

● **Missing-ET projection fraction (MPF)**: uses the full hadronic recoil related to reference

- * Help mitigate effects of pile-up and jet reconstruction threshold at low- p_T [[ATLAS-CONF-2015-057](#)]
- * symmetry in transverse plane cancels signals from soft emissions

$$\vec{p}_{T,\text{truth}}^{\text{ref}} + \vec{p}_{T,\text{truth}}^{\text{recoil}} = 0$$

$$\vec{p}_T^{\text{ref}} + r_{\text{MPF}} \vec{p}_T^{\text{recoil}} = -\vec{E}_T^{\text{miss}}$$

Response of had. Recoil

$r_{\text{MPF}} < 1$

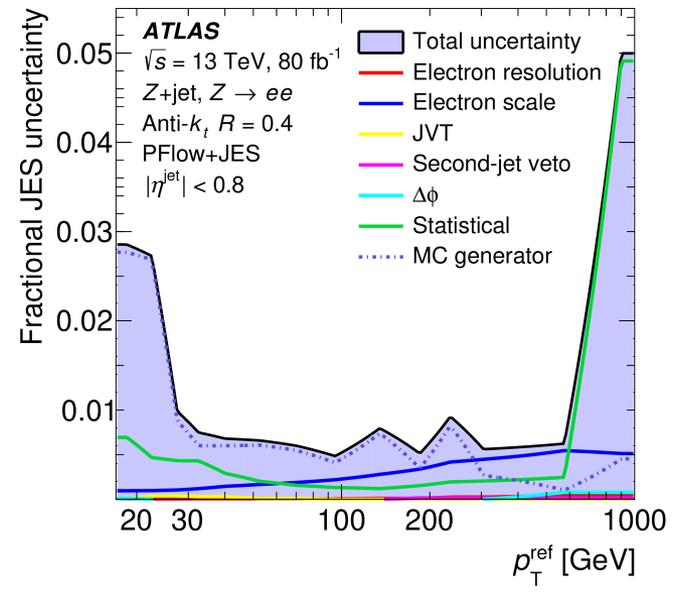
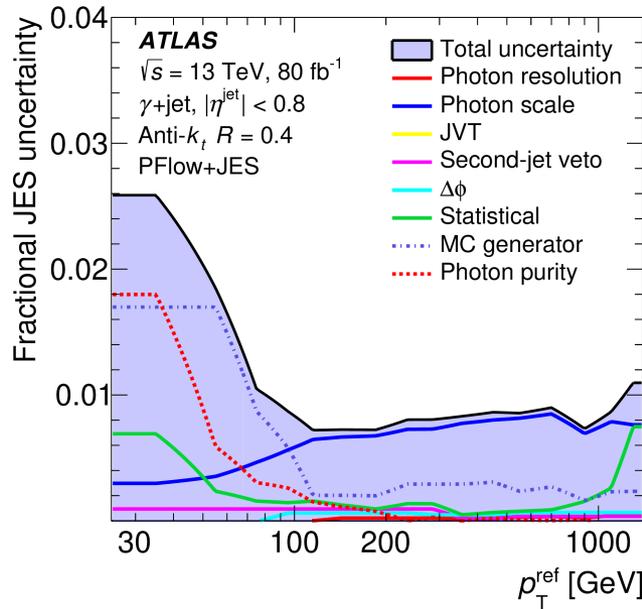
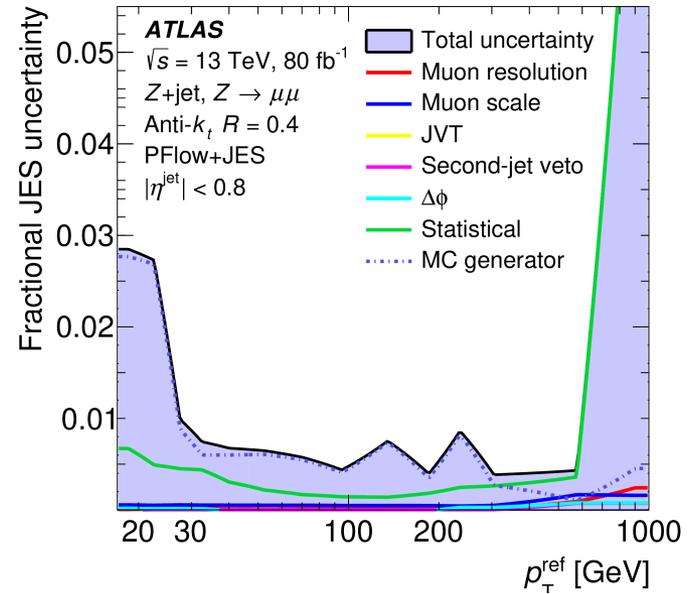
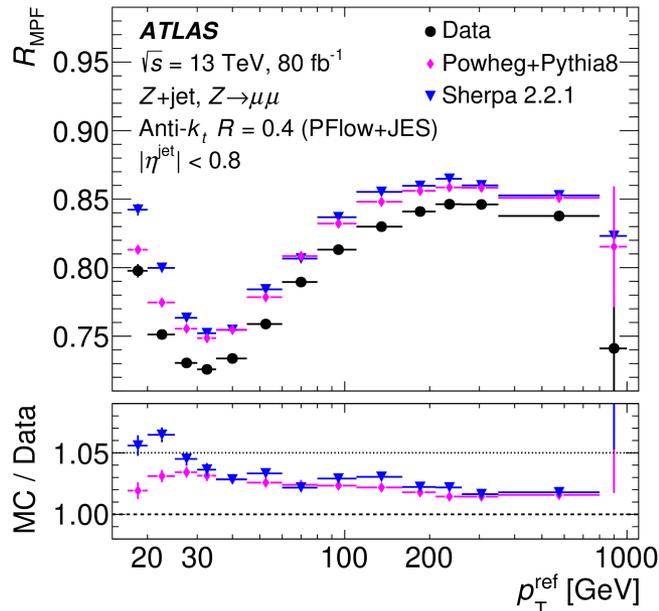
Taking the projection in the direction of the reference object:

$$\mathcal{R}_{\text{MPF}} = \left\langle 1 + \frac{\hat{n}_{\text{ref}} \cdot \vec{E}_T^{\text{miss}}}{p_T^{\text{ref}}} \right\rangle$$

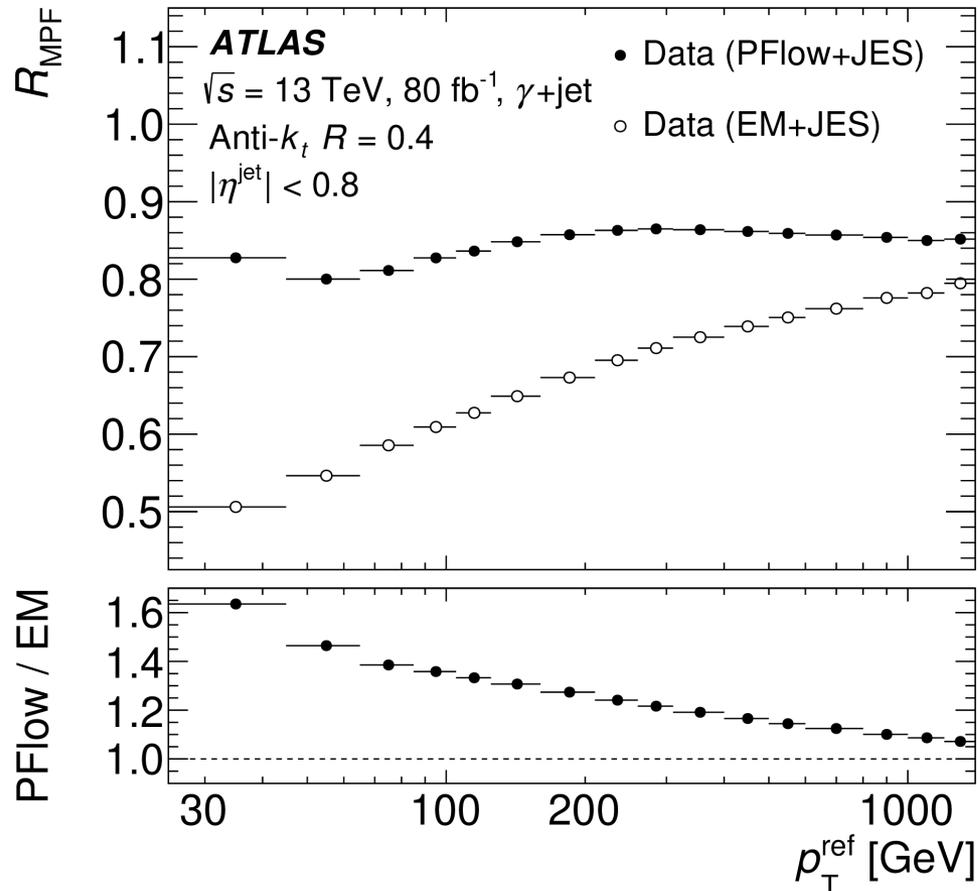
Evaluated as function
of η jet and p_T ref

Before: Direct balance of leading jet against reference (Z or photon)

IN SITU: Z+JET & γ +JET



IN SITU: Z+JET & γ +JET



PFlow measurement shows an improvement over the baseline calorimeter response at low p_T thanks to the inclusion of information from tracks

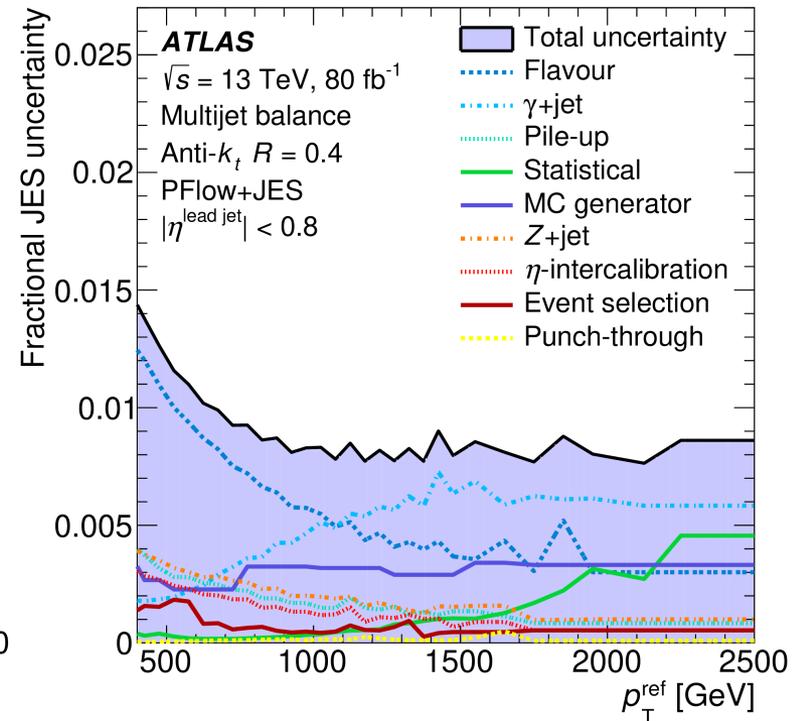
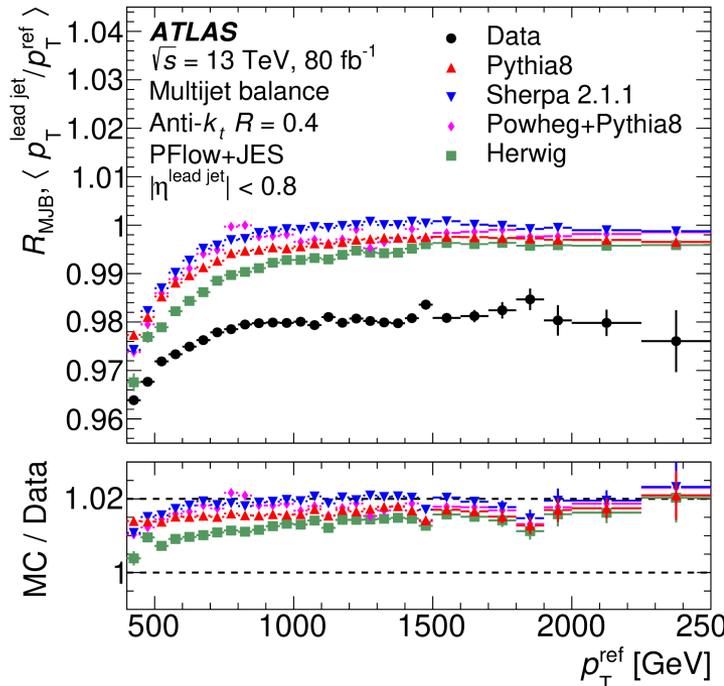
IN SITU: MULTIJET BALANCE

Multijet Balance (MJB) uses a system of well-calibrated low- p_T jets to calibrate a single high- p_T jet

- * Jets of the recoil system are calibrated using Z/γ +jet results, while the leading jet is left at the η intercalibration scale
- * Fully calibrated subleading jets require p_T sublead < 1 TeV – limits p_T of leading jet to about 2.5 TeV

● Response:

$$\mathcal{R}_{\text{MJB}} = \left\langle \frac{p_T^{\text{lead}}}{p_T^{\text{ref}}} \right\rangle$$

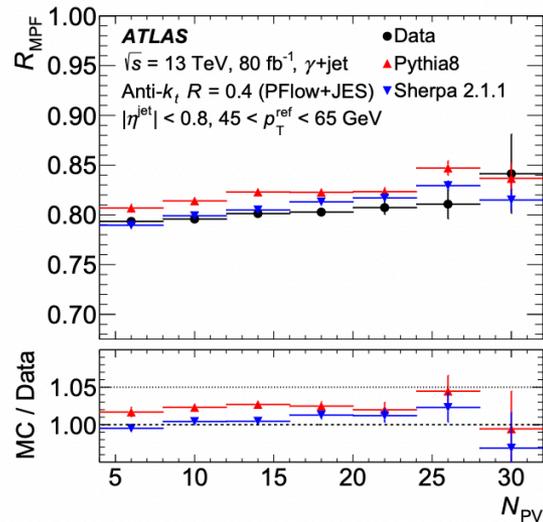
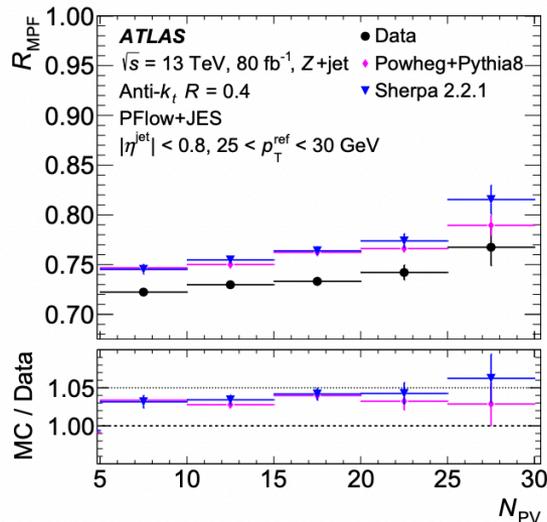


Clean Topology

- * Avoid dijet signatures – require second jet not to carry considerable fraction of recoil p_T
- * Recoil system back to probed jet
- * Leading jet isolated/recoil focused. ($\Delta\phi$ selection)

IN SITU: PILE UP

- * A linear fit to the data/simulation ratio has a slope compatible with zero within the fit uncertainties in each plot, demonstrating the stability of the in situ calibration as a function of NPV



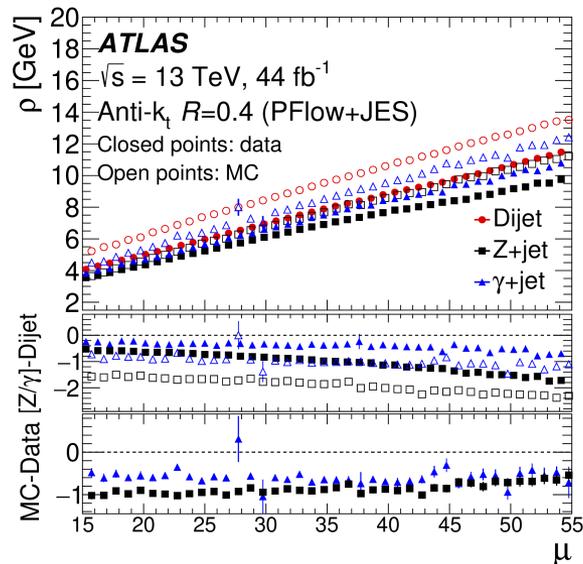
- * ρ topology uncertainty

$$\Delta_{p_T} = \max(|\Delta|) \times C_{p_T}^{JES} \times \pi R^2$$



$$\Delta = \left(\rho_{2017}^{t1} - \rho_{2017}^{t2} \right)_{MC} - \left(\rho_{2017}^{t1} - \rho_{2017}^{t2} \right)_{data}$$

evaluated at $\mu = 37.8$



FLAVOUR UNCERTAINTIES

Jet Flavour Response uncertainty

- * Difference in MC-derived gluon response between generators
- * f_{gluon} is the fraction of gluon-jets in the event

$$\sigma_{flav}^{resp} = f_{gluon} (R_{gluon}^{Py8} - R_{gluon}^{H7})$$

Jet Flavour Composition uncertainty

- * uncertainty in the fraction of gluon-initiated jets in the sample

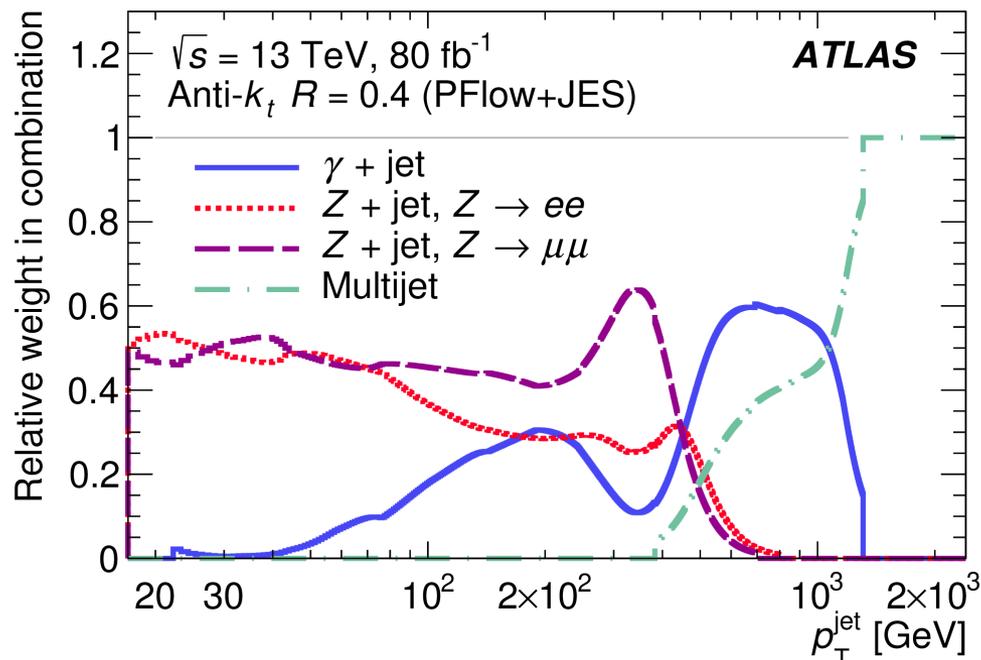
$$\sigma_{flav}^{comp} = \sigma_{f_{gluon}} \frac{|R_g - R_q|}{f_{gluon} R_g + (1 - f_{gluon}) R_q}$$

IN SITU: COMBINATION

A statistical combination of the Z/γ +jet and MJB analyses provides a single smooth calibration applicable across the full momentum range.

- 1) Absolute in situ measurements are converted from a parameterisation in p_T ref into jet p_T and divided into bins of 1 GeV using second-order polynomial splines.
- 2) A χ^2 minimization is performed in each bin as a weighted average (weight to each input decreasing as its uncertainty grows)
 - * Combination favors method with greatest precision in each region

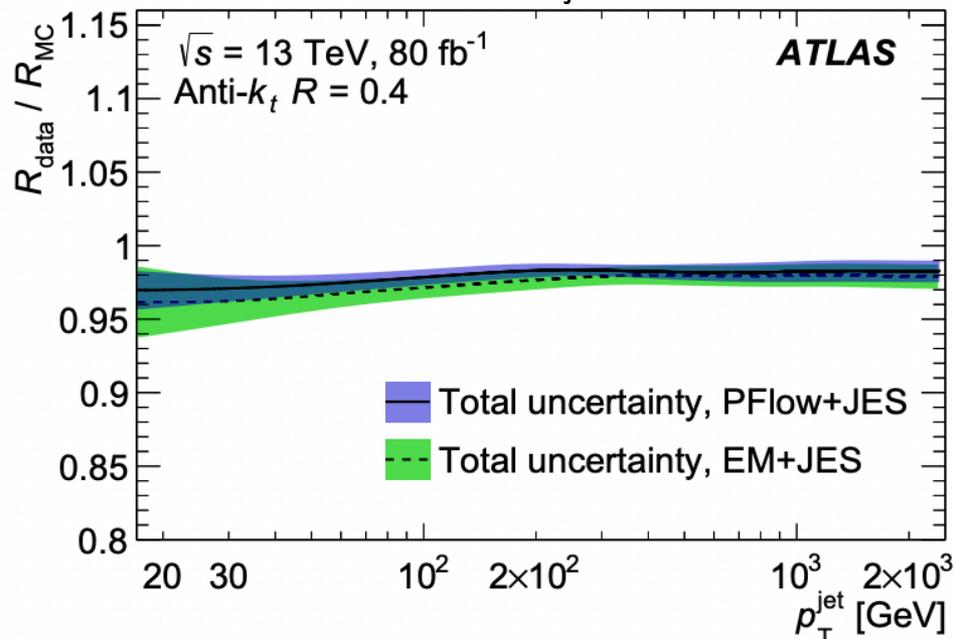
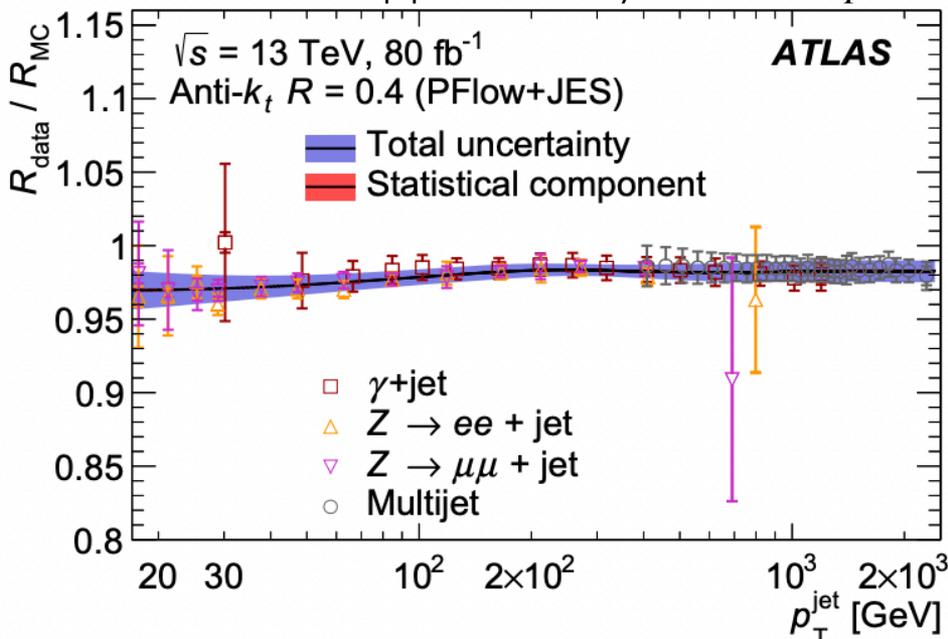
p_T - dependent weight applied to calibrations



IN SITU: COMBINATION

To complete the calibration, the inverse of the curve (R_{MC}/R_{data}) is taken as the scaling factor and applied to data.

The correction is approximately 3% at low p_T and decreases to around 2% for jets above 200 GeV



Systematic uncertainties

Z/γ +jet MPF, and MJB are performed sequentially => systematic uncertainties are propagated from each to the next.

Sources:

- **modelling** of physics processes in simulation (comparing two MC)
- uncertainties in the measurement of the **reference** object ($\pm 1\sigma$ in objects calibration)
- uncertainties in the expected p_T balance due to the event's **topology** (varying the event selections and observing the impact on the MC to data ratio)

IN SITU: UNCERTAINTIES

A statistical combination of the Z/γ +jet and MJB analyses provides a single smooth calibration applicable across the full momentum range.

Systematic uncertainties

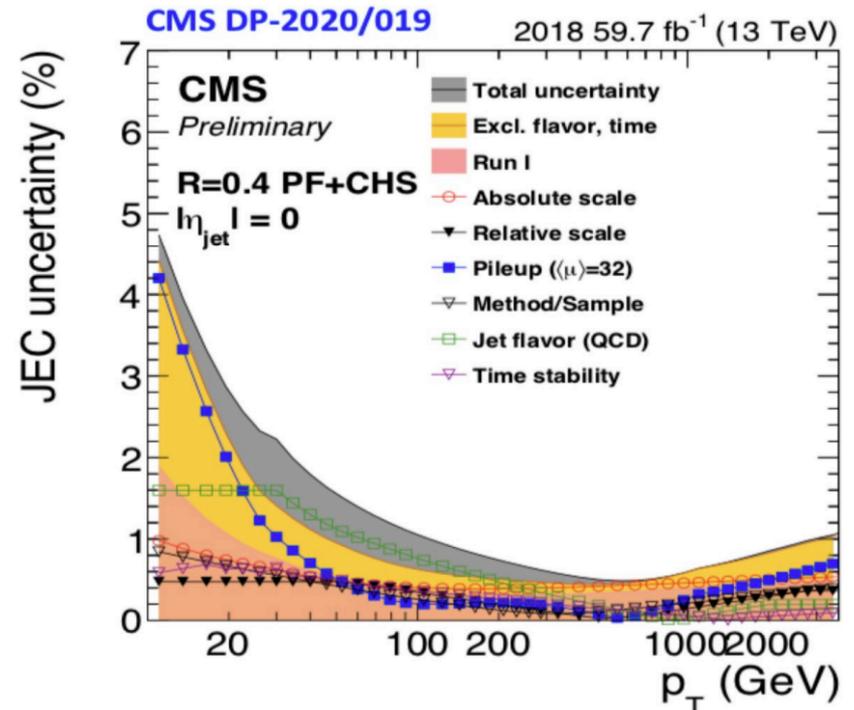
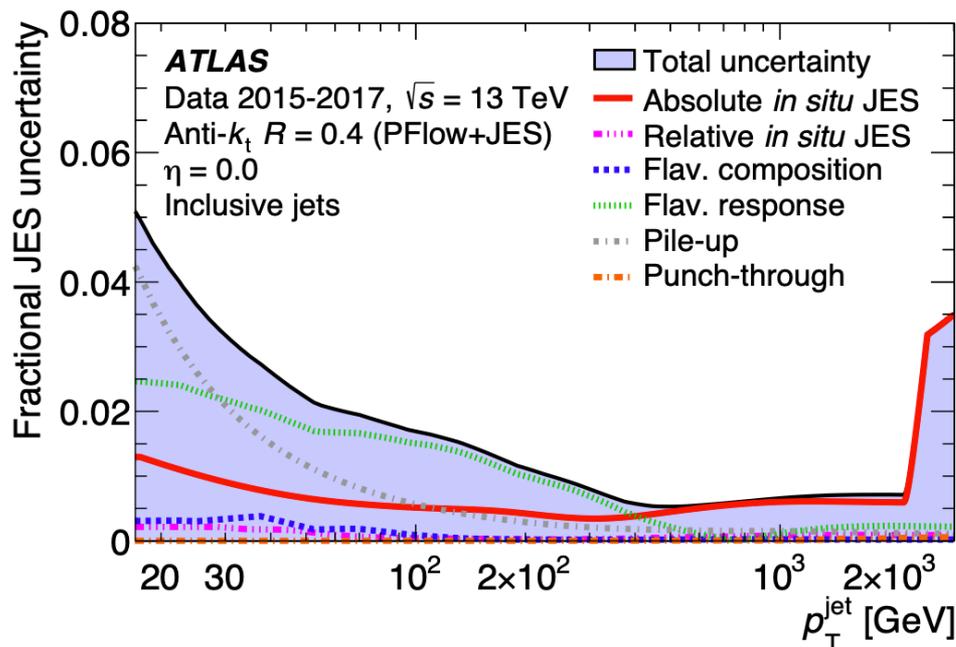
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CALIBRATION UNCERTAINTY

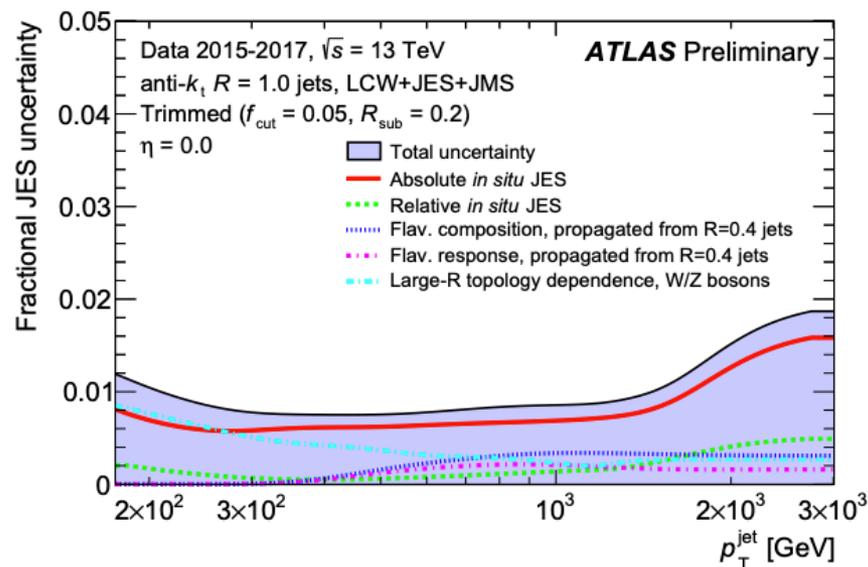
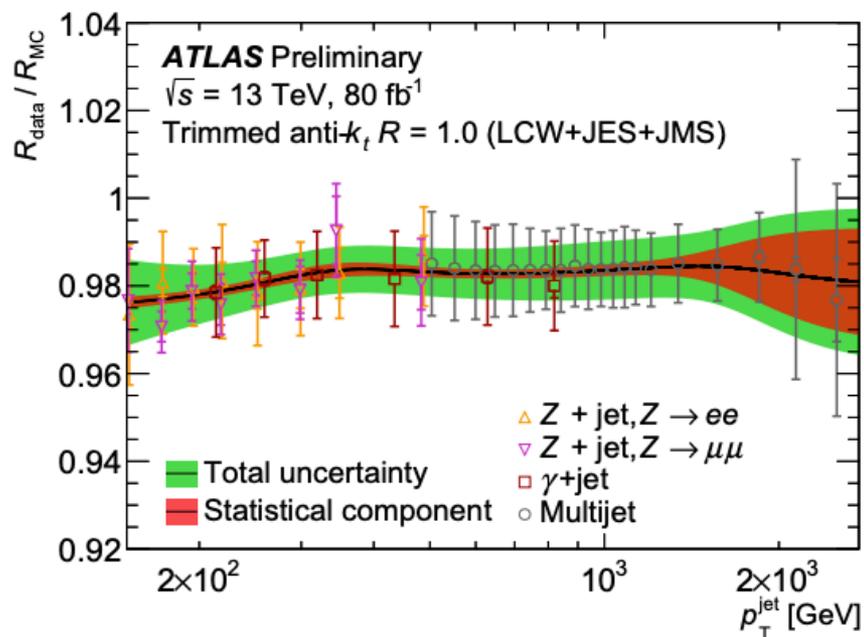
[arXiv:2007.02645](https://arxiv.org/abs/2007.02645)



R=1.0 JET CALIBRATION

- A similar calibration procedure is applied to large-R jets.
- The central scale is also 1 – 2% lower in data, and a precision of ~ 1% is achieved.
- Uncertainties also cover the extrapolation between the QCD jets used in the balance methods and hadronic resonances - these are found to be sub-dominant.
- The multi-jet balance propagates the R = 0.4 jet uncertainties, and is the dominant method in the combinations above 600 GeV.

JETM-2019-05



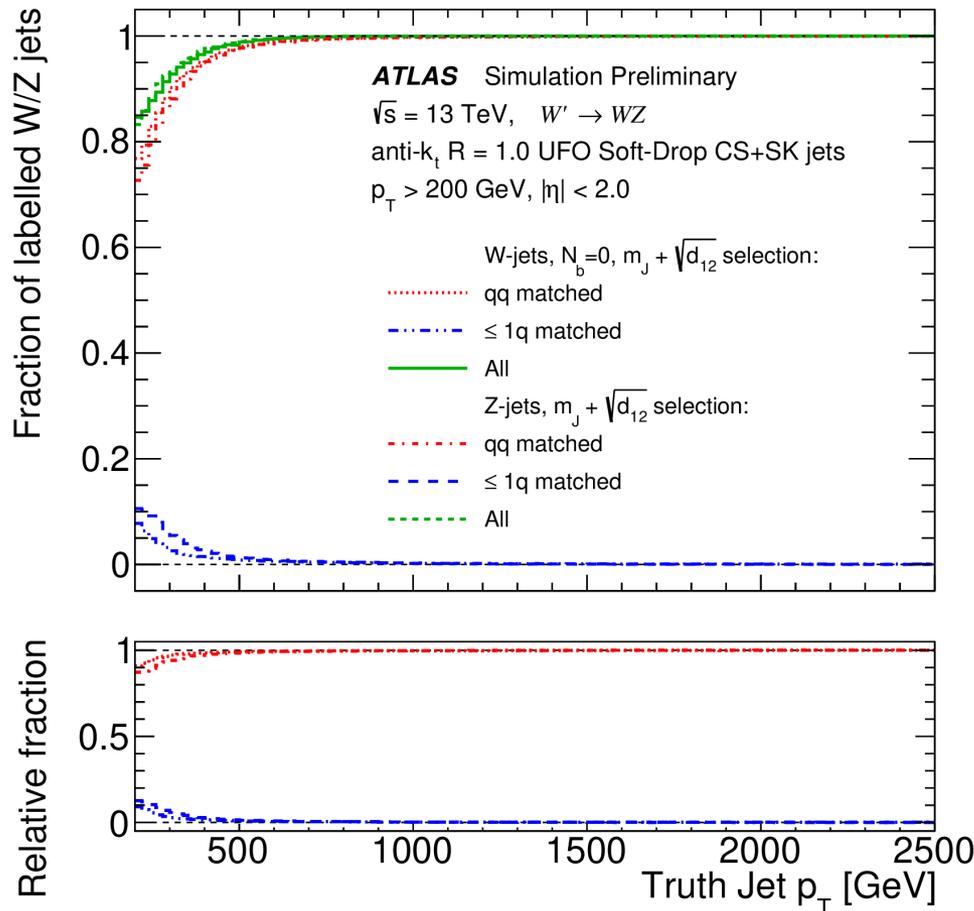


UFO TAGGERS

UFO TAGGERS: W/Z TRUTH LABELLING

[ATL-PHYS-PUB-2021-029](#)

- truth large-R jets: reconstructed from stable particles using the anti-kt algorithm with $R = 1.0$
- Truth large-R jet is matched to the UFO jet by requiring $\Delta R < 0.75$.
- energy-correlation function ratio, D2, of truth large-R jet: $\sqrt{d_{12}} > 55.25 \cdot \exp\left(\frac{-2.34 \times 10^{-3}}{\text{GeV}} p_T\right) \text{ GeV}$

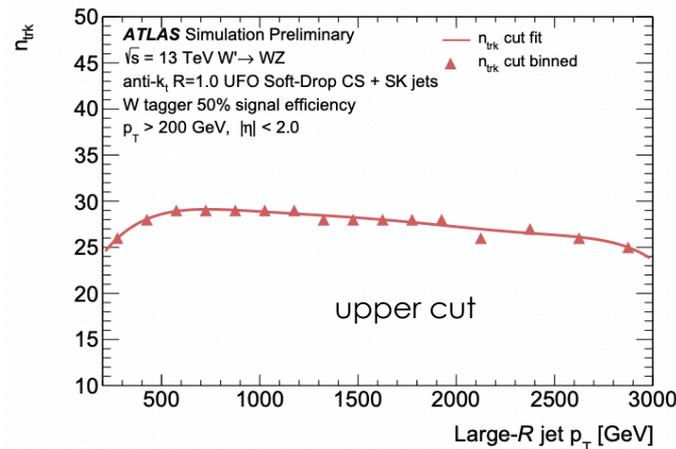
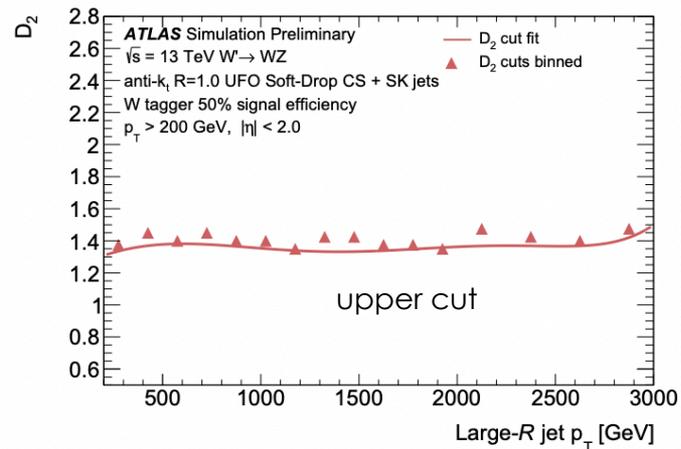
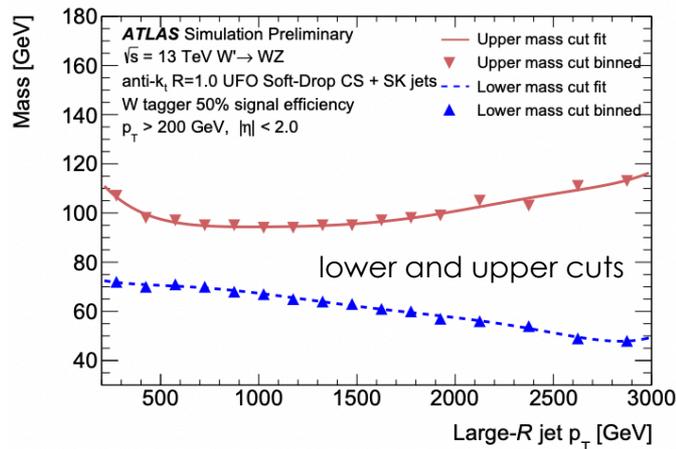


UFO TAGGERS: 3-VAR TAGGER

ATL-PHYS-PUB-2021-029

● Cut-based tagger

- * Based on rectangular cuts on substructure variables, optimized to achieve a flat 50% efficiency independent of p_T .
- * jet mass, m_J
- * energy-correlation function ratio D_2 with $\beta = 1$
- * Number of ID tracks with $p_T > 500$ MeV ghost-associated with the jet before the grooming, n_{trk} .



almost independent of p_T

UFO TAGGERS: DNN TAGGER

[ATL-PHYS-PUB-2021-029](#)

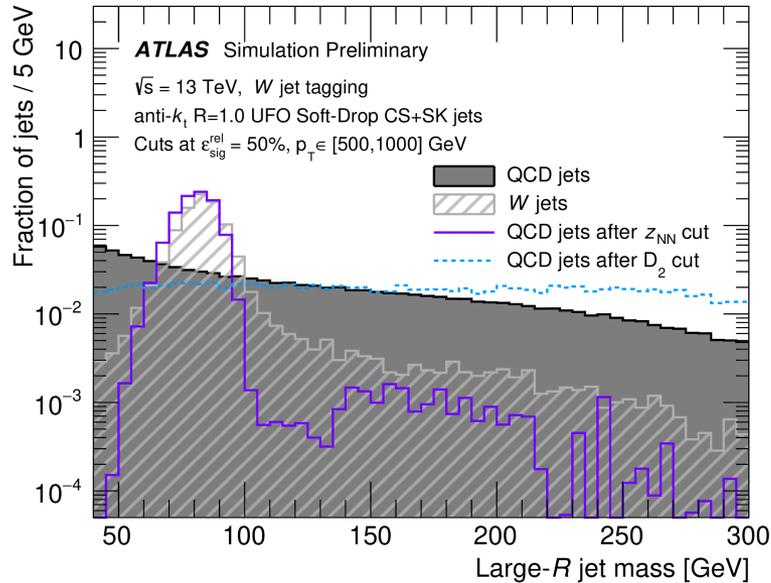
- three fully-connected 32 node dense layers
- **zNN**: resulting DNN score.

Variable	Description
D_2, C_2	Energy correlation ratios
τ_{21}	N -subjettiness
R_2^{FW}	Fox-Wolfram moment
\mathcal{P}	Planar flow
a_3	Angularity
A	Aplanarity
$Z_{\text{cut}}, \sqrt{d_{12}}$	Splitting scales
$Kt\Delta R$	k_t -subjettiness ΔR

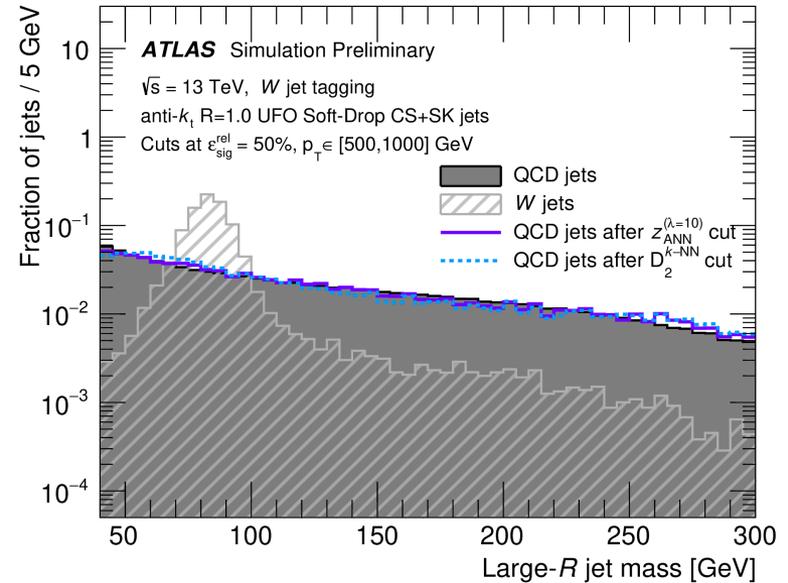
UFO TAGGERS: MASS-DECORRELATED TAGGERS

[ATL-PHYS-PUB-2021-029](#)

- Bkg-jet shape quite similar to the W-jets after taggers



- the mass sculpting is suppressed



$$D_2^{k\text{-NN}} = D_2 - D_2^{8\%}$$

- Adversarial Neural Network (ANN) trained to compete with the DNN tagger

UFO TAGGERS: TOP TRUTH LABELLING

● strategies

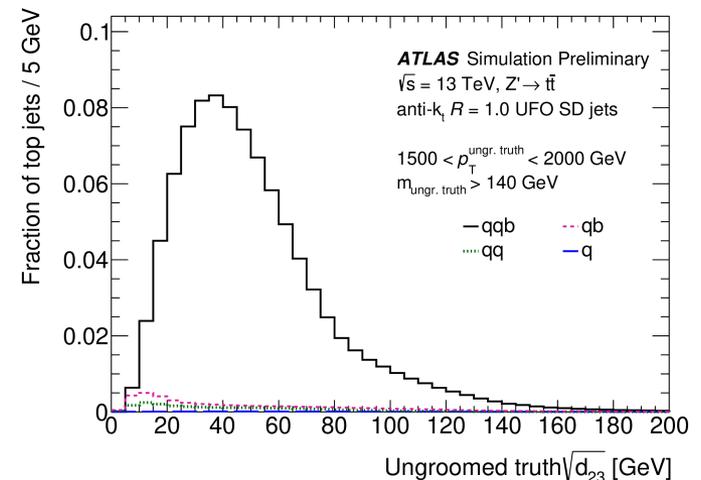
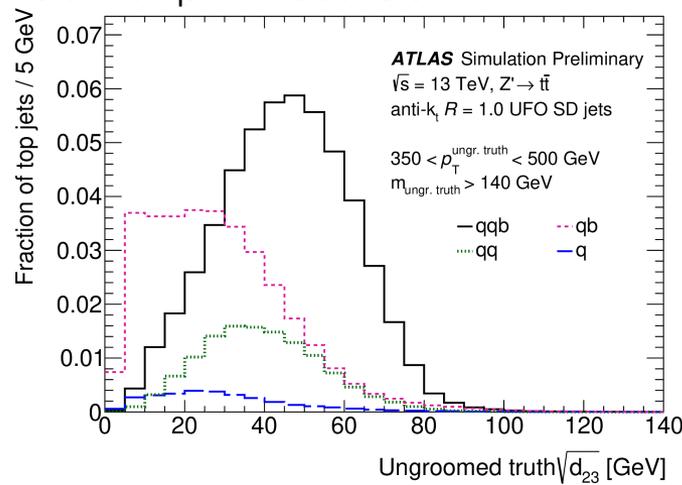
[ATL-PHYS-PUB-2021-028](#)

- * inclusive: any jet that contains parts of the hadronic top quark decay regardless of full containment.
 - * Reco-truth matching: $\Delta R(J, J_{\text{truth}}) < 0.75$
 - * Truth-top matching: $\Delta R(J_{\text{truth}}, \text{top}) < 0.75$
- * contained-top: contain the full decay of the top quark.
 - * **Parton based**: truth-Decay products of top ($t \rightarrow W b \rightarrow qq'b$) matched $\Delta R < 0.75$.
 - * **Groomed**: one b-hadron is ghost-associated to the truth jet && groomed truth jet mass $m > 140$ GeV
 - * **Ungroomed** (New): one b-hadron is ghost-associated to the ungroomed truth jet J_{truth} , its mass is above 140 GeV and fulfills a p_T -dependent criteria on the k_t splitting scale

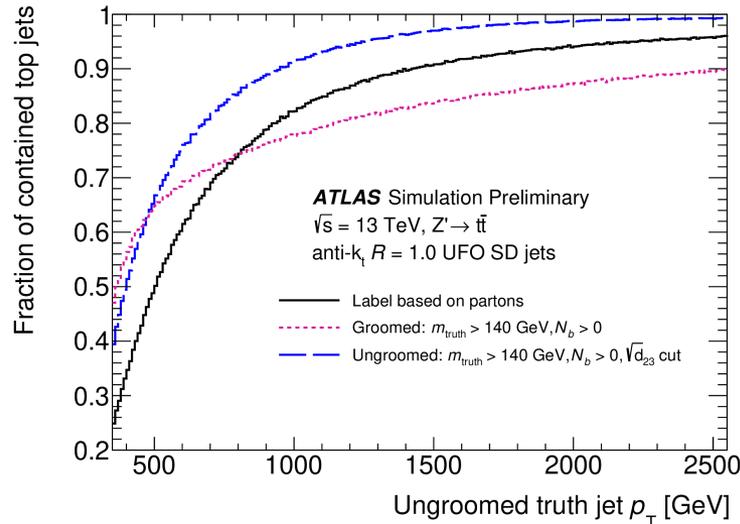
$$\sqrt{d_{32}}$$

Parton level categories: qqb, qq, qb and q matched to truth $\Delta R(J_{\text{truth}}, q/q'/b) < 0.75$.

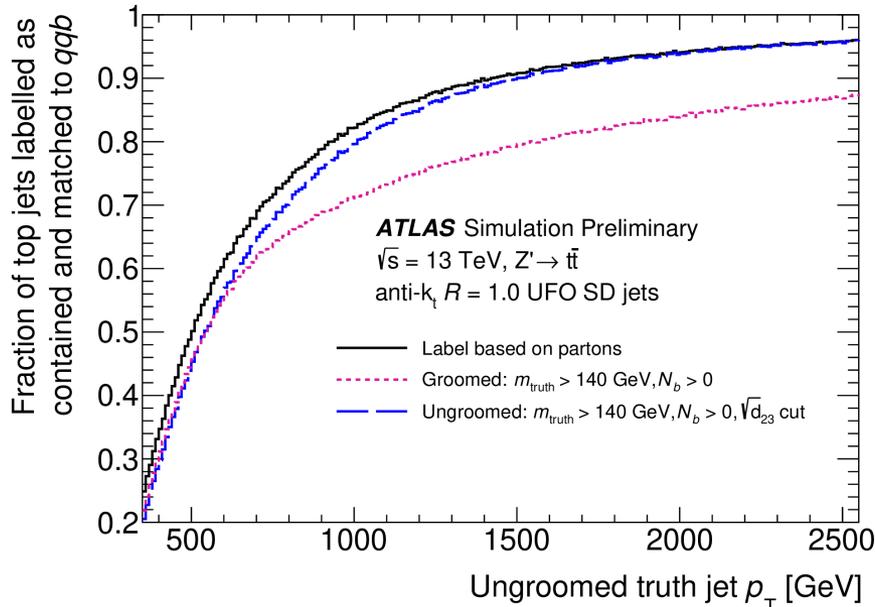
The optimal cut on $\sqrt{d_{32}}$ decrease exponentially with p_T , having values of ≈ 21 GeV at $p_T = 350$ GeV and ≈ 7 GeV at $p_T = 1500$ GeV.



UFO TAGGERS: TOP TRUTH LABELLING



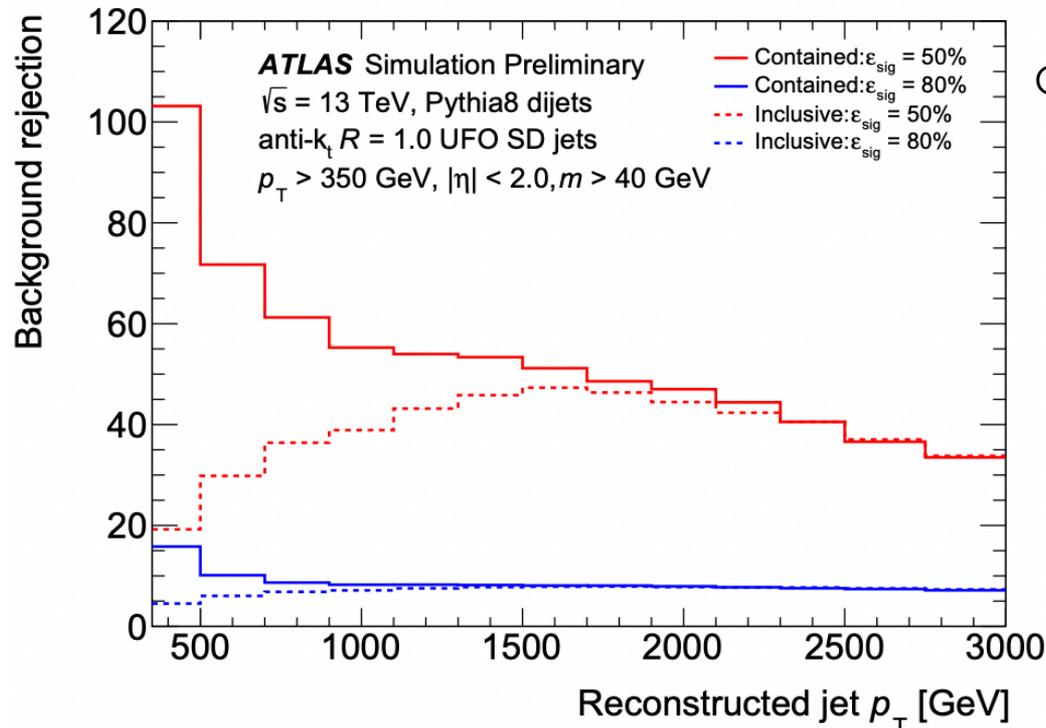
jets are in addition matched to the $qq'b$ partons by requiring $\Delta R < 0.7$:



The ungroomed truth label selects approximately the same number of $qq'b$ -matched jets as the parton-based label, but overall it classifies more jets as contained tops.

UFO TAGGERS: TOP TAGGERS

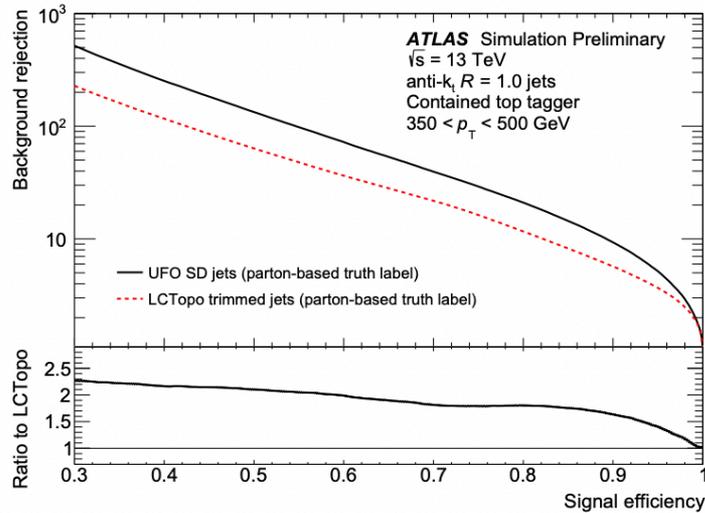
- Two taggers based on deep neural-network (DNN):
 - * 1) trained to identify jets labelled as **inclusive** tops
 - * 2) to identify jets that are labelled as **contained** tops
- Selection: $m > 40$ GeV, $N_{\text{const}} \geq 3$ for good jet substructure features
- Variables: N-subjettiness, τ_1 , τ_2 , τ_3 and τ_4 ; kt splitting scales: $\sqrt{d_{12}}$ and $\sqrt{d_{23}}$; (generalized) energy correlation functions and their ratios: ECF1, ECF2, ECF3, C2, D2, L2 and L3; QW as well as thrust major TM
- Selection criteria applied on DNN score to define two working points with a fixed signal efficiency of 80% and 50% as a function of the p_T



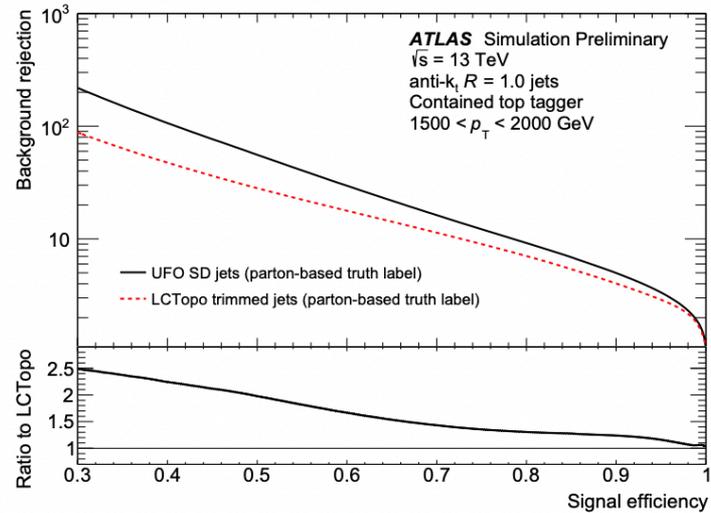
Contained: ungroomed truth label

UFO VS LCTOPO: TOP TAGGERS

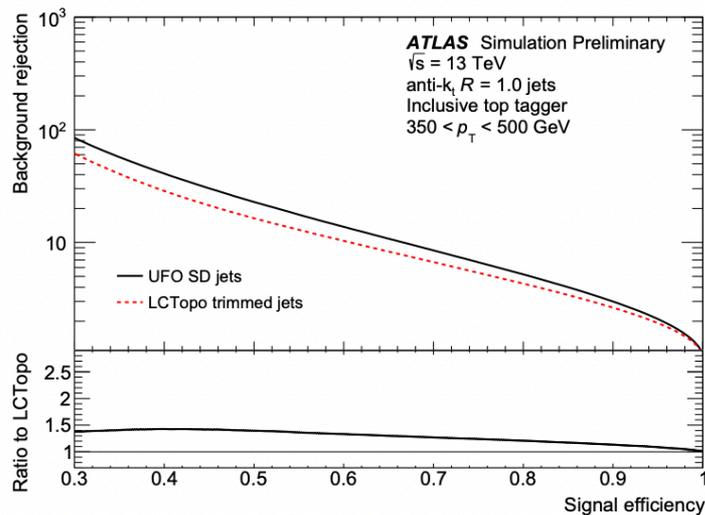
With parton-based labelling



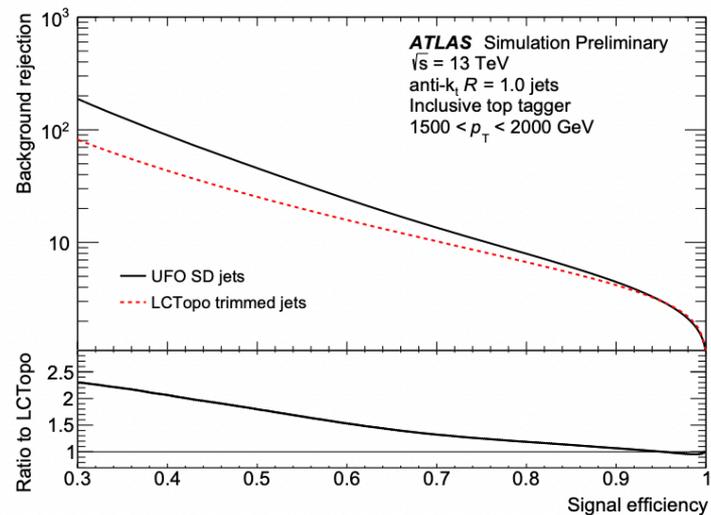
(a)



(b)



(c)



(d)



MET

MET NET

Working point	Selections		
	p_T [GeV] for jets with:		JVT for jets with $ \eta < 2.4$
	$ \eta < 2.4$	$ \eta > 2.4$	
<i>Loose</i>	> 20	> 20	> 0.59 for $p_T < 60$ GeV jets
<i>Tight</i>	> 20	> 30	> 0.59 for $p_T < 60$ GeV jets
<i>Tighter</i>	> 20	> 35	> 0.59 for $p_T < 60$ GeV jets
<i>Tenacious</i>	> 20	> 35	> 0.91 for $20 < p_T < 40$ GeV jets > 0.59 for $40 < p_T < 60$ GeV jets > 0.11 for $60 < p_T < 120$ GeV jets

MET SIGNIFICANCE INTRODUCTION

Significance of an observable

- Useful for signal-background discrimination
- Accounts for the observable resolution

$$\text{Signif}(X) = \frac{X}{\sigma_X}$$

A **high value** of **MET significance**:

- Indicates that MET is not well explained by resolution smearing alone
- Suggests that the event is more likely to contain **unseen objects**

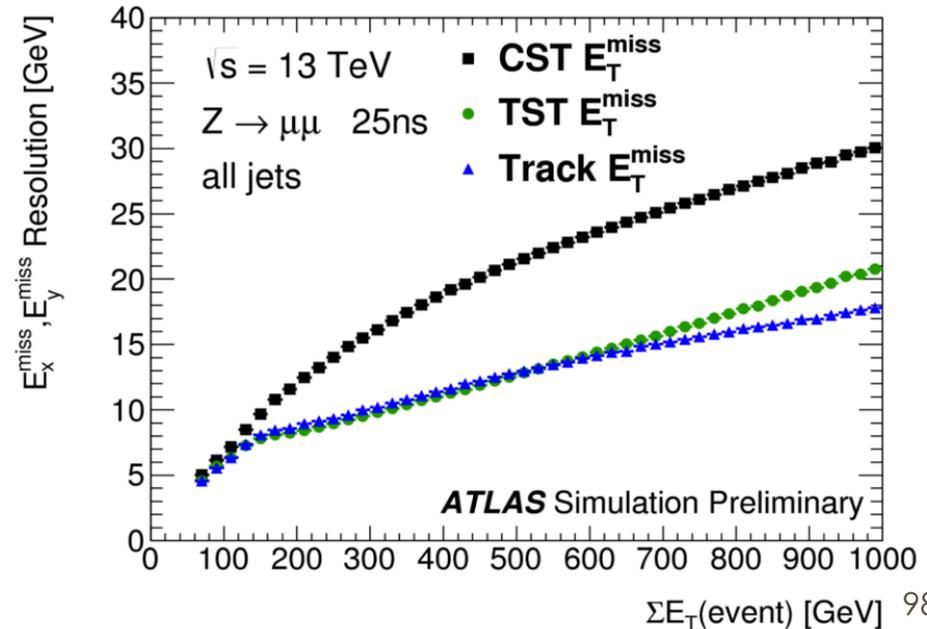
Event-based MET Significance

[ATL-PHYS-PUB-2015-023](#)

$$S = \frac{E_T^{\text{miss}}}{\sqrt{\sum E_T}}$$

Limitations:

- Proxy for the MET resolution
- Event based quantity, neglecting the nature of the objects.
- Do not take into account directional correlations



OBJECT BASED MET SIGNIFICANCE DEFINITION

In a coordinate system with axis **parallel (L)** and **perpendicular (T)** to the reconstructed Met direction:

$$S^2 = \frac{|\mathbf{E}_T^{\text{miss}}|^2}{\sigma_L^2 (1 - \rho_{LT}^2)}$$

Total Variance Longitudinal

$$\sigma_L^2 = \sigma_L^{\text{hard}2} + \sigma_L^{\text{soft}2}$$

Transverse momentum resolution in the transverse plane for the hard objects

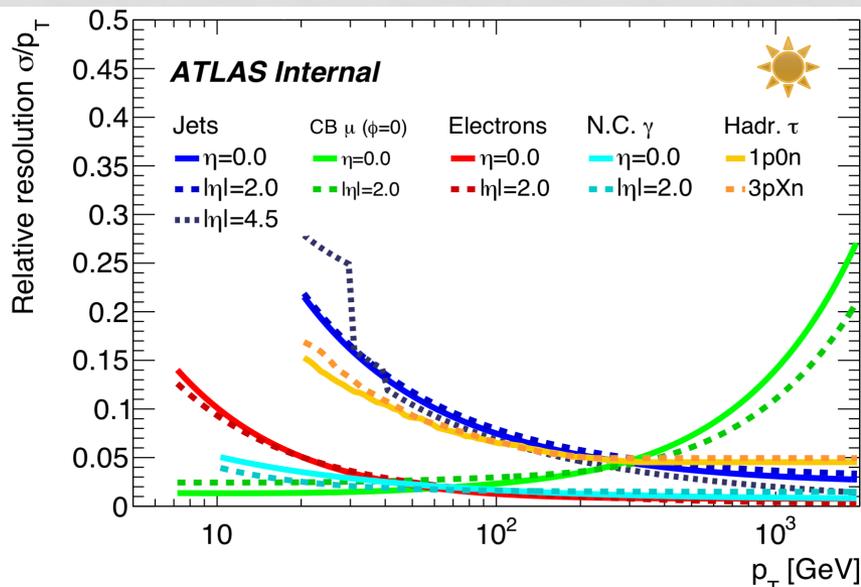
$$\mathbf{V}_i = \begin{pmatrix} \sigma_{p_{Ti}}^2 & 0 \\ 0 & p_{Ti}^2 \sigma_{\phi_i}^2 \end{pmatrix}$$

Resolution parallel to the direction of the object

Resolution perpendicular to the direction of the object

Resolutions

- ◇ Hard object variances
- ◇ Soft Terms variance



Object	Kinematic	Relative resolution	
		Parallel	Perpendicular
Electrons	$p_T = 100 \text{ GeV}, \eta = 0$	1.7%	0.4%
Photons	$p_T = 100 \text{ GeV}, \eta = 0$	1.9%	0.4%
Hadronic τ	$p_T = 100 \text{ GeV}, \eta = 0$	5.5% – 6.7%	1%
Jets	$p_T = 20 \text{ GeV}, \eta = 0$	22%	4.6%–7.1%
	$p_T = 100 \text{ GeV}, \eta = 0$	7%	1.1%–1.6%
Muons	$p_T = 100 \text{ GeV}, \eta = 0$	2–4%	0.1%
Track Soft Term		8.9 GeV	8.9 GeV

OBJECT BASED MET SIGNIFICANCE DEFINITION

In a coordinate system with axis **parallel (L)** and **perpendicular (T)** to the reconstructed Met direction:

$$S^2 = \frac{|E_T^{\text{miss}}|^2}{\sigma_L^2 (1 - \rho_{LT}^2)}$$

Total Variance Longitudinal

$$\sigma_L^2 = \sigma_L^{\text{hard}2} + \sigma_L^{\text{soft}2}$$

An additional covariance matrix associated to the soft term is also considered:

$$\mathbf{V}_{\text{soft}} = \begin{pmatrix} \sigma_{\text{soft}}^2 & 0 \\ 0 & \sigma_{\text{soft}}^2 \end{pmatrix}$$

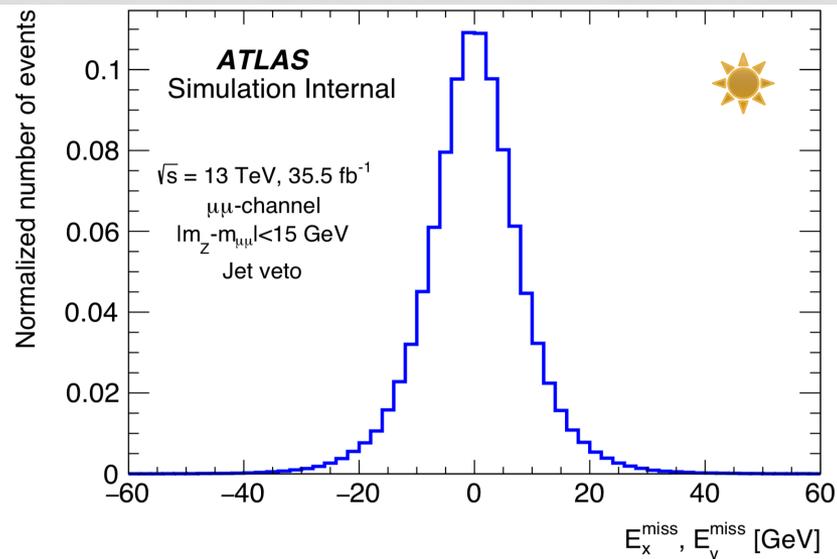
Constant soft Term resolution:

8.9 GeV

RMS of the MET projection on x in $Z \rightarrow \mu\mu$ events with jet veto (SumJetEt=0)

Resolutions

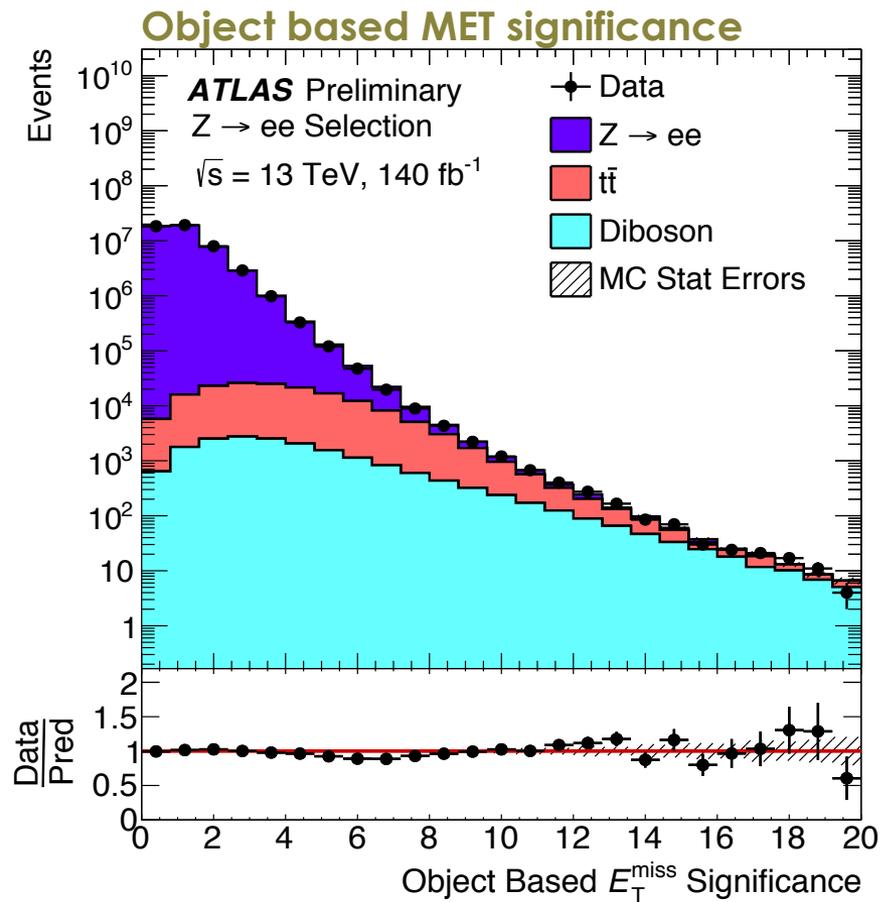
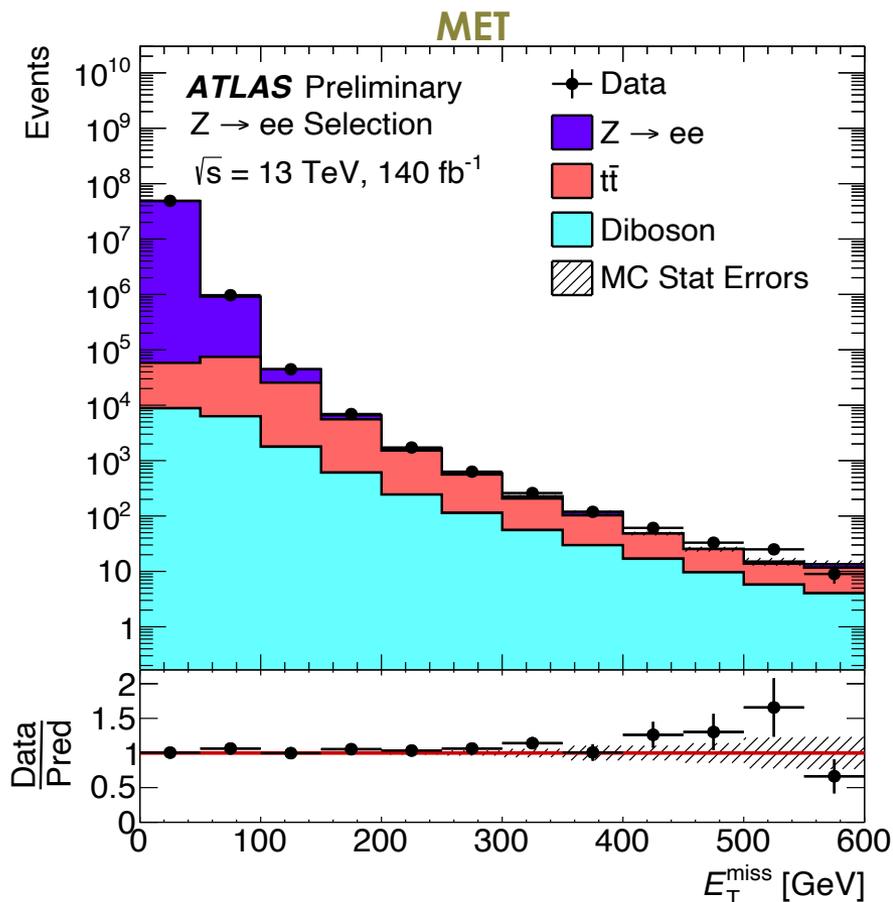
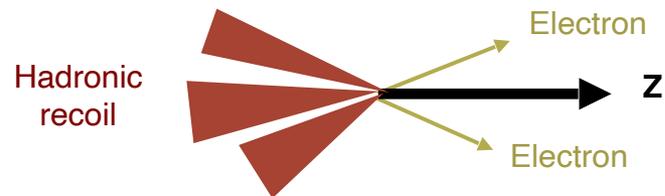
- ◇ Hard object variances
- ◇ Soft Terms variance



comparison of $\mu\mu$ and ee

PERFORMANCE: MODELLING

◇ In order to study the performance of the MET...
clean process without real MET: **$Z \rightarrow \ell\ell + \text{jet selection}$**



Good modelling over the full **Run 2 data-set!**