Gaussian process for calibration and control of GlueX Central Drift Chamber



The AI for Experimental Controls (AIEC) Team:

Diana McSpadden, Torri Jeske, Nikhil Kalra, Thomas Britton, Naomi Jarvis*, and David Lawrence

Thomas Jefferson National Accelerator Facility, VA, USA *Carnegie Mellon University, PA, USA

ACAT 2022





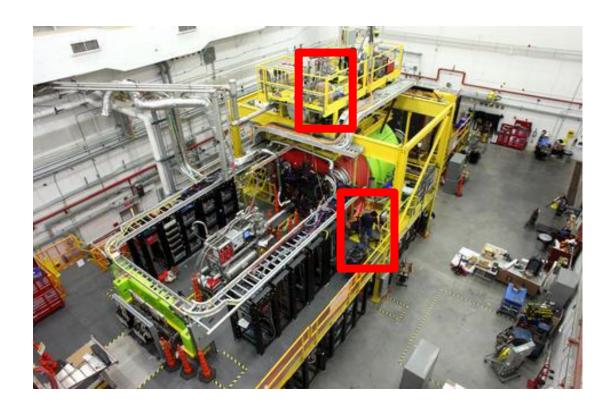


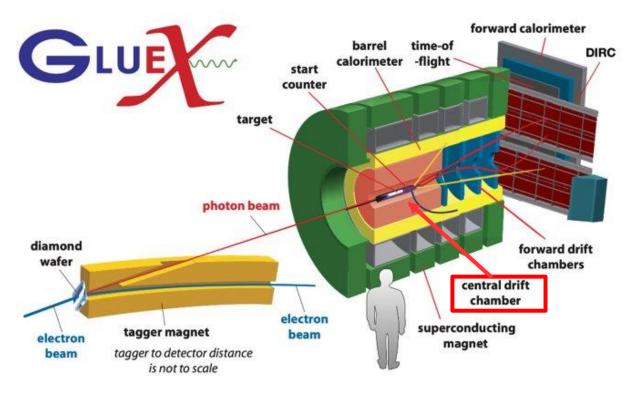




GlueX Experiment at Jefferson Lab

Designed to search for exotic hybrid mesons produced in photoproduction reactions and study the hybrid meson spectrum





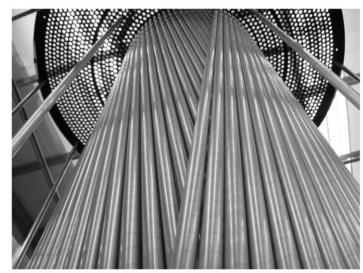


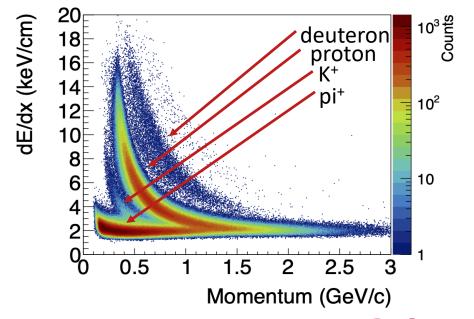
GlueX Central Drift Chamber (CDC)

- Requires two calibrations: gain and drift timeto-distance
 - Gain Correction Factor (GCF):
 - GCF calibrations have most variation
 +/- 15%
- Has one control: operating voltage

- Used to detect and track charged particles with momenta p > 0.25 GeV/c
- Use for particle identification
- dE/dx: measure of deposited energy per unit of track length
 - 1.5 m long x 1.2 m diameter cylinder
 - 3522 anode wires at 2125 V inside 1.6 cm diameter straws
 - 50:50 Ar/CO₂ gas mix









Conventional Calibration and Motivation for ML

Motivation: Conventional vs. Online, ML Calibration Paradigms

Conventional

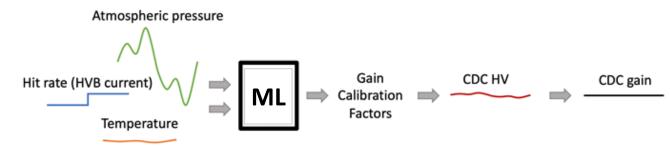
- Calibrate: calibration values iteratively, produced after the experiment
 - ~2 hour runs
- Control: CDC operating voltage is fixed at 2125 V





Online and ML

- Control: Stabilize detector response to changing environmental/experimental conditions by adjusting CDC HV
- Calibrate: online calibration values produced during the experiment





Q1: Can we predict GCFs? Input variables

Can we predict GCFs using data that are readily available as a run begins?

Data extracted from Experimental Physics Industrial Controls System (EPICS) - Atmospheric pressure Temperature (C) 27 26 25 - Gas temperature - Current drawn from CDC HV boards (proxy for beam current) HVB current (µA)) Readily available during the experiment

81500

81550

81600

Run Number

No reconstruction!



81700

Not dependent on other detectors

Q1: Can we predict GCFs? The Gaussian process model

ML Technique

Gaussian Process (GP)

- 3 input features
- 1 target: the traditional Gain
 Correction Factor (GCF)
- GP calculates PDF over admissible functions that fit the data
- GP provides the standard deviation
- We used a popular GP kernel:
 - Radial Basis Function + White

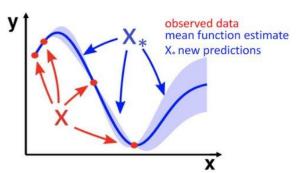


Illustration training a Gaussian process

We can exploit the standard deviation for uncertainty quantification (UQ).

Our goal was better than a 5% error

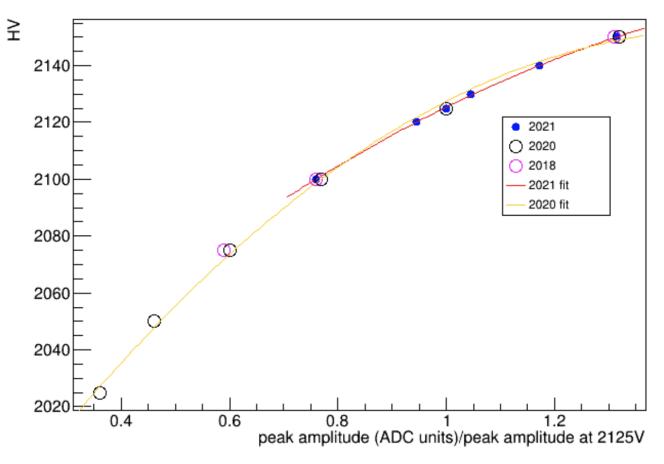
RBF kernel (length scale(s))	R^2	RMSE	Mean % err
Isotropic (1.412)	0.97	0.002	0.8%
Anisotropic (1.4,1.17,.171)	0.97	0.002	0.8%



Q1: Can we predict GCFs? HV Recommendation

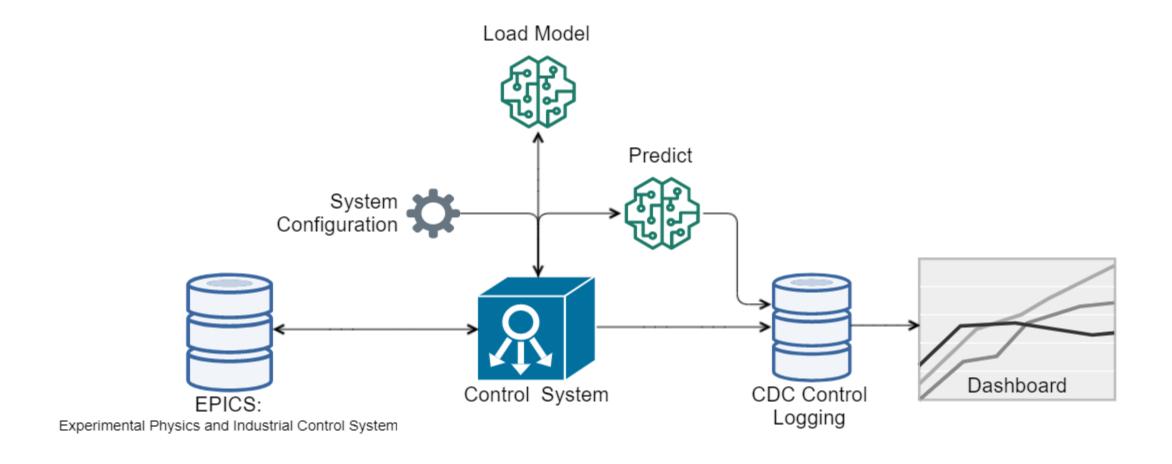
- GCF is related to HV
- Recommended HV setting obtained from fit to HV as a function of relative peak amplitude

CDC gain relative to that for standard HV





Q2: Can we control HV to stabilize gain? RoboCDC, a modular ML system for control



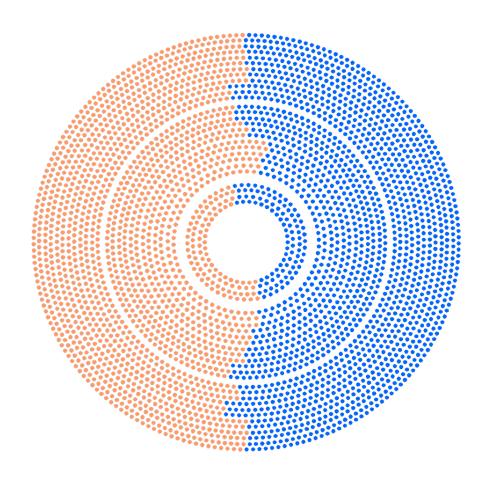
Q2: Can we control HV to stabilize gain? Does RoboCDC work?

Cosmic Ray Experiment

- Split the CDC into 2 halves
 - Leave one side at a fixed HV (conventional)
 - Let the ML control the other
 - Autonomously adjust HV every 5 min

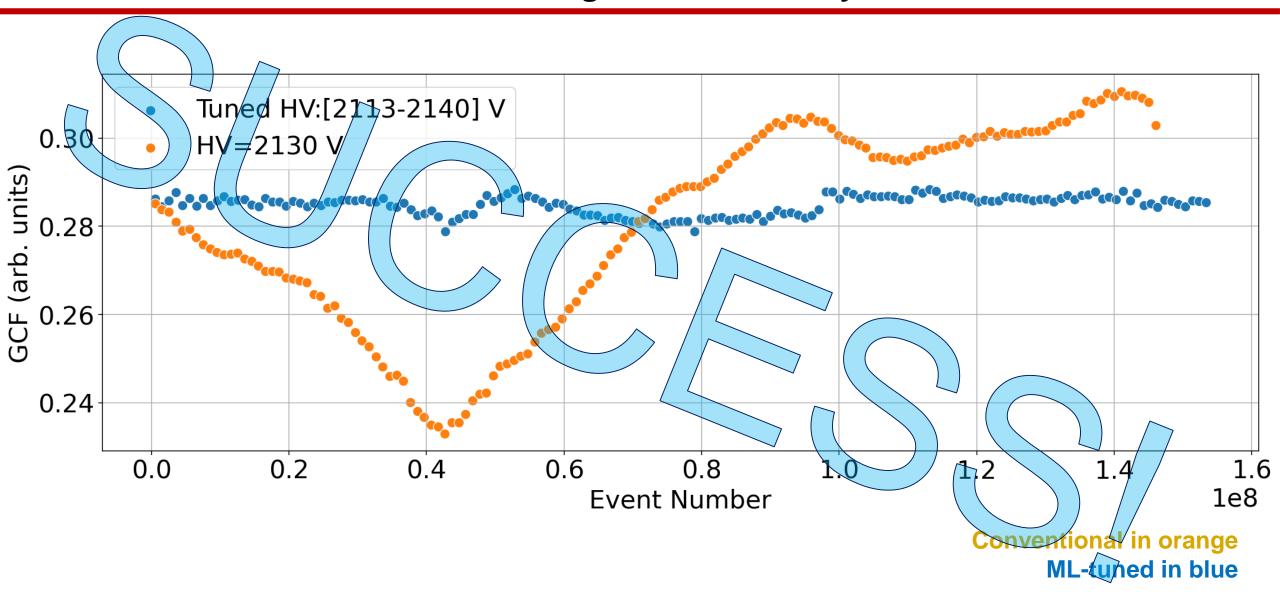






Should see the ML system side's gains stabilized

Q2: Can we control HV to stabilize gain? Cosmic Ray Test Results



Trust and Uncertainty Quantification

- Does the system generalize for differing conditions?
 - Do we **trust** interpolations and extrapolations?
 - First self-driving particle detector we know of it **must be trusted**
 - Uncertainty quantification (UQ)
 - Uncertainty quantification (UQ)
 - Uncertainty quantification (UQ)

- ...



Uncertainty by craiyon.com

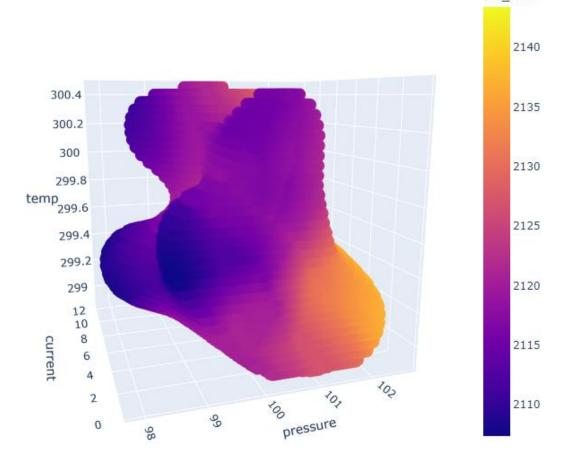
Q3: Does the system generalize for differing conditions? An experiment

Charged Pion Polarizability (CPP)

- Used RoboCDC at the start of each run in the experiment (summer 2022)

At the start of each run:

- the HV setting was **predicted**, and CDC HV **controlled**.
- Used Recommended HV
 - when standard deviation <= 3% ideal GCF
- Used the closest "certain" HV in Euclidean distance on the uncertainty mesh
 - when standard deviation > 3% of GCF

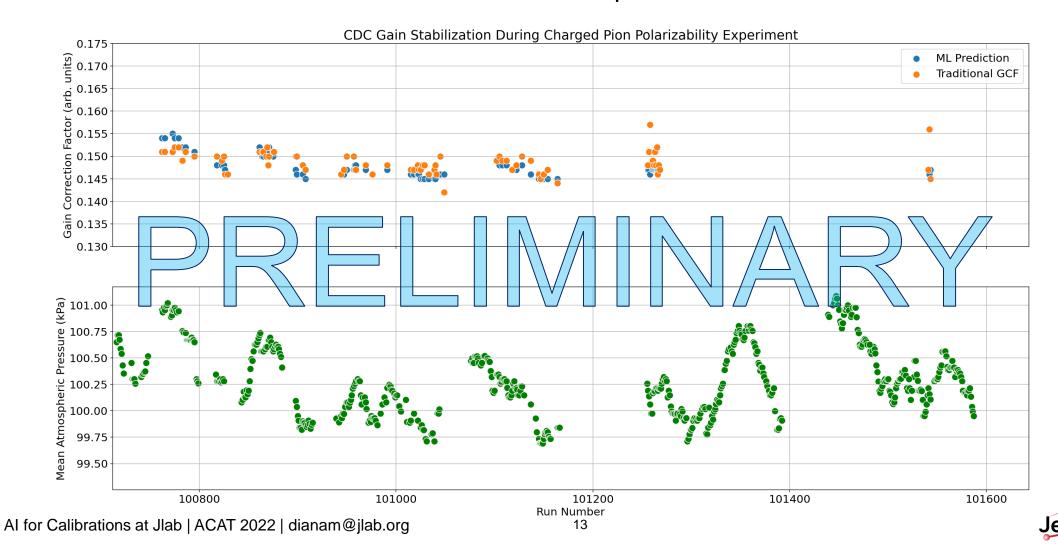


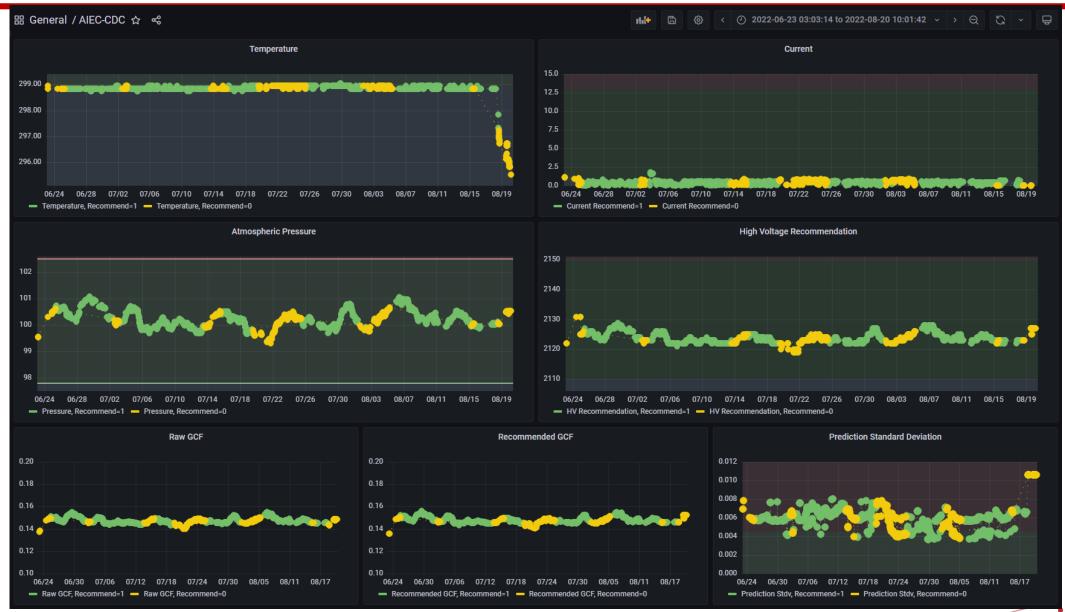


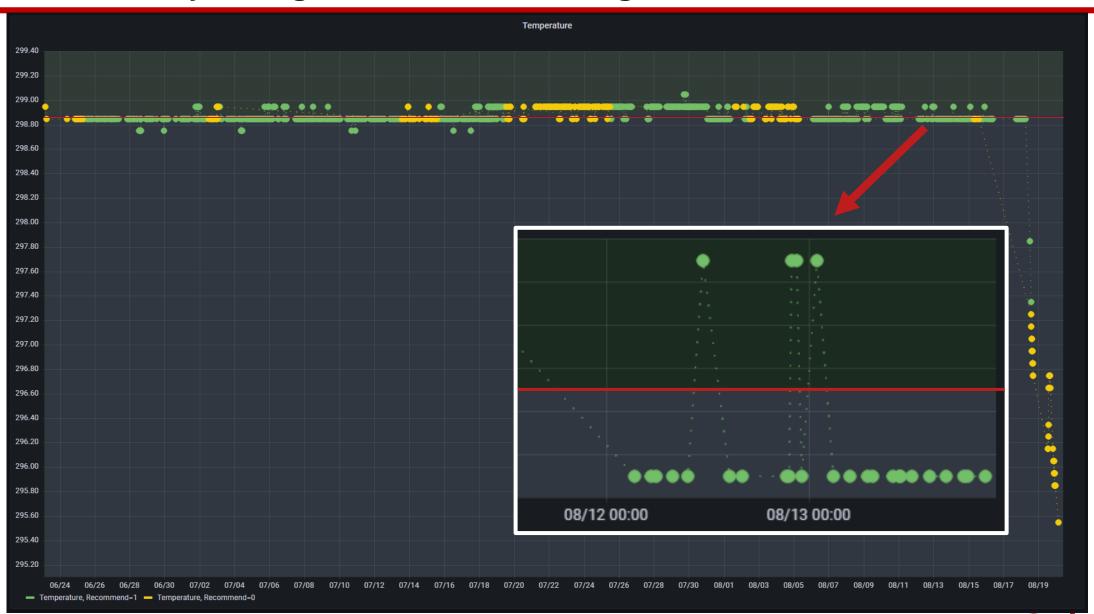
HV REC

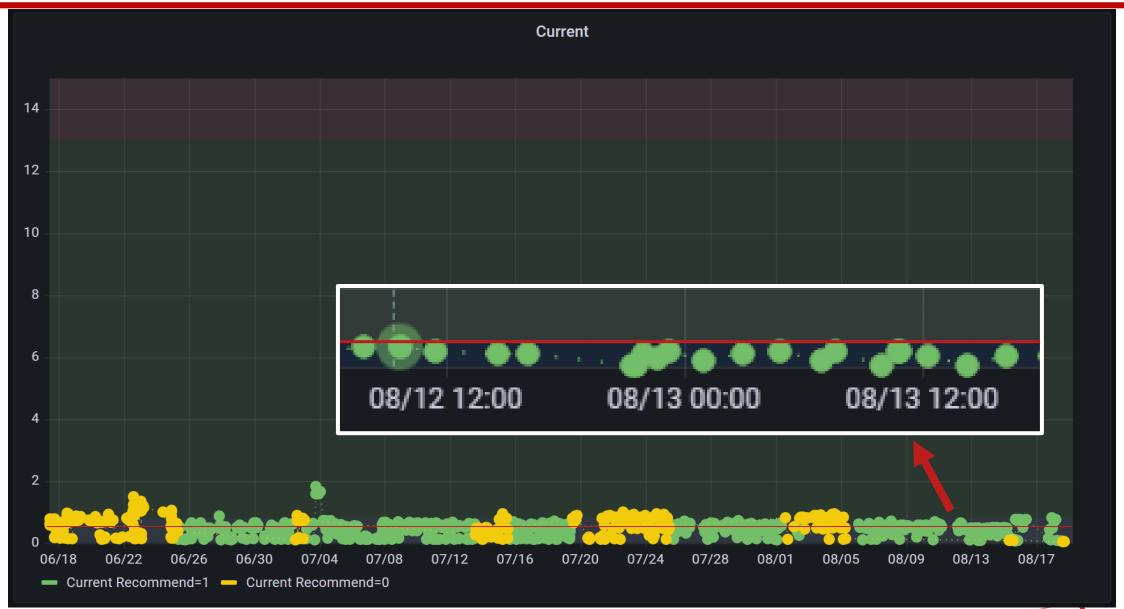
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- Charged Pion Polarizability (CPP)
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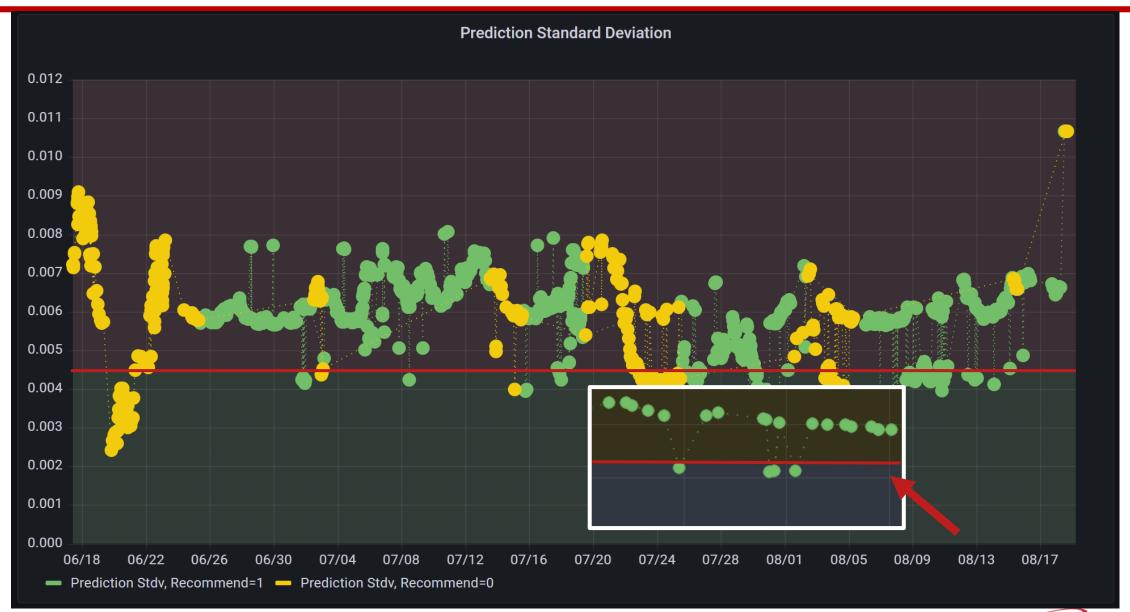






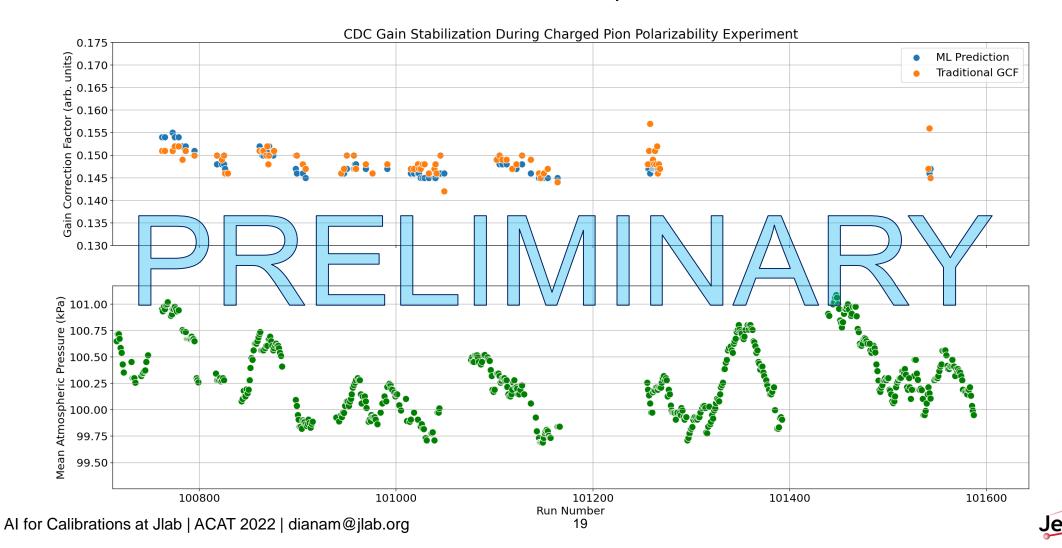






Q3: Does the system generalize for differing conditions? An experiment

- Charged Pion Polarizability (CPP)
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Acknowledgements

Jefferson Science Associates, LLC operated Thomas Jefferson National Accelerator Facility for the United States Department of Energy under U.S. DOE Contract No. DE-AC05-06OR23177

This work was supported by the US DOE as LAB 20-2261.

The Carnegie Mellon Group is supported by the U.S. Department of Energy, Office of Science, Office of Nuclear Physics, DOE Grant No. DE-FG02-87ER40315.

GlueX acknowledges the support of several funding agencies and computing facilities: www.gluex.org/thanks.

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Thank you



Backup slides

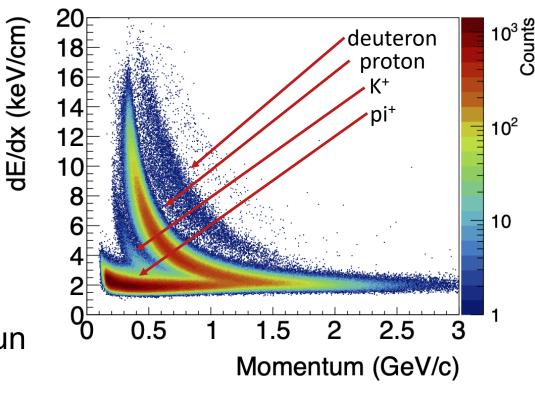


CDC Calibrations

- Gain affects PID selections in analysis
 - Sensitive to environmental conditions
 - Atmospheric pressure
 - Temperature
 - Sensitive to experimental conditions
 - Beam conditions change with the experiment

•Traditionally:

- •GCF obtained from Landau fit to dE/dx
- Calibration constants are generated per run
 - Approximately 2 hours of beam time





Q1: Can we predict GCFs? The Gaussian process model

ML Technique

Gaussian Process (GP)

- 3 features:
 - atmospheric pressure within the hall
 - Gas temperature within CDC
 - CDC high voltage board current -> a measure of charged particle track rate within the CDC
- 601 runs from 2020 and 2021 run periods
 - 536 and 65 respectively
 - Pressure balanced for low, medium and high pressure
 - 80 / 20 train test split
- 1 target: the traditional Gain Correction Factor (GCF)
- GP calculates PDF over admissible functions that fit the data
- GP provides the standard deviation
 - we can exploit for uncertainty quantification (UQ)
- We used a popular GP kernel:
 - Radial Basis Function + White
 - Compared isotropic (1 length scale) and anisotropic (length scale per input variable) kernels

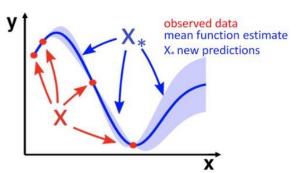


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We can exploit the standard deviation for uncertainty quantification (UQ).

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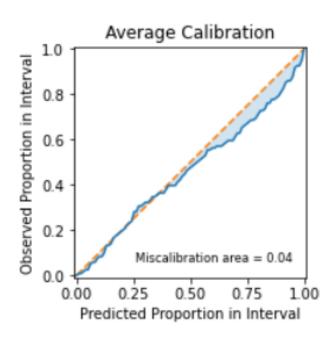
RBF kernel (length scale(s))	R^2	RMSE	Mean % err
Isotropic (1.412)	0.97	0.002	0.8%
Anisotropic (1.4,1.17,.171)	0.97	0.002	0.8%



Q3: Does the system generalize for differing conditions? Evaluating Uncertainty

Do we trust our uncertainties?

 We checked our "uncertainty calibration" using Uncertainty Toolbox <u>https://github.com/uncertainty-toolbox/uncertainty-toolbox</u>



- Predicted proportion of the test data expected to lie inside the prediction interval (x-axis)
- Proportion of the test data observed inside the prediction interval (y-axis)
- We are marginally underconfident with a 4% global miscalibration area.

For example, the 0.75 prediction interval aims to include observed values 75% of the time.

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Q3: Does the system generalize for differing conditions? Evaluating Uncertainty

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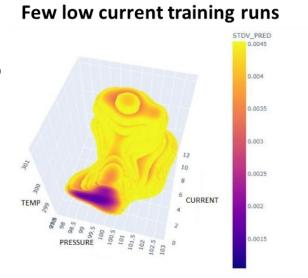
• We checked our "uncertainty calibration" using **Uncertainty Toolbox** https://github.com/uncertainty-toolbox

Table 1: Uncertainty Toolbox accuracy and average calibration metrics for GP models. Metrics were similar for both the isotropic and the anisotropic kernel.

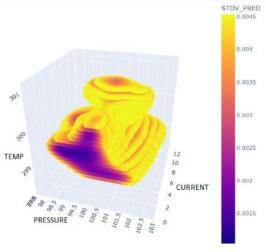
RBF kernel (length scale(s))	noise kernel variance	\mathbb{R}^2	RMSE	MACE	RMSCE
isotropic (1.412)	0.0154	0.97	0.002	0.040	0.051
anisotropic (1.400,1.17,1.71)	0.0153	0.97	0.002	0.038	0.049

Q3: Does the system generalize for differing conditions? Uncertainty quantification

- The Gaussian process provides uncertainty quantification.
 - Important not to set the HV when uncertain, but how do we use uncertainty?
- First, we thought of an uncertainty threshold "surface".

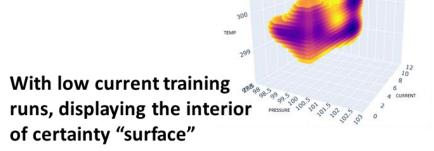


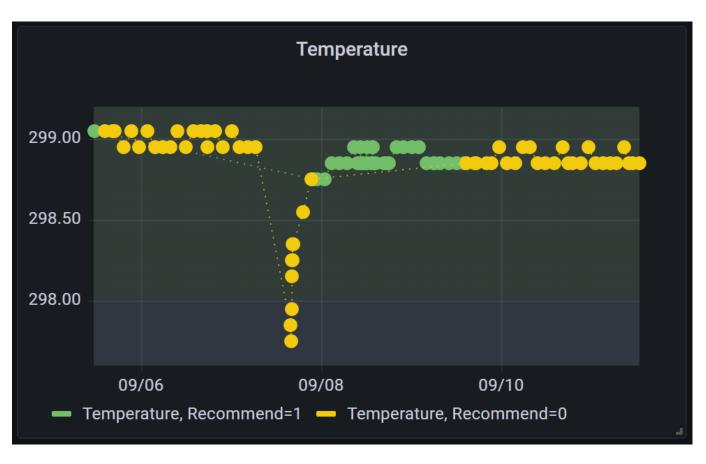


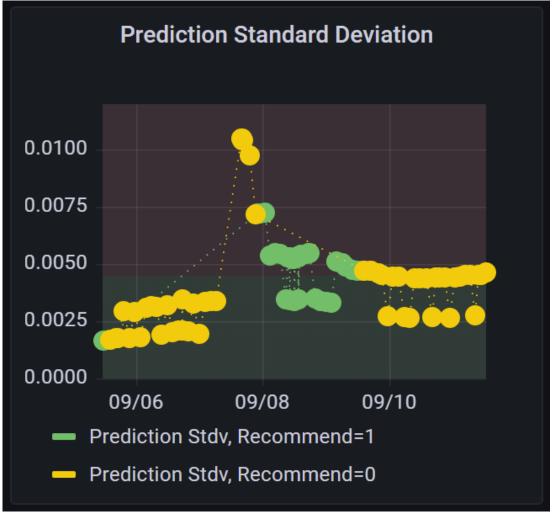


Plots of a grid mesh of the input feature space for predictions with Gaussian process standard deviation <= 3% of the ideal GCF:

 As expected, the "surface" increases for low current runs, when more low current runs were added to training data.

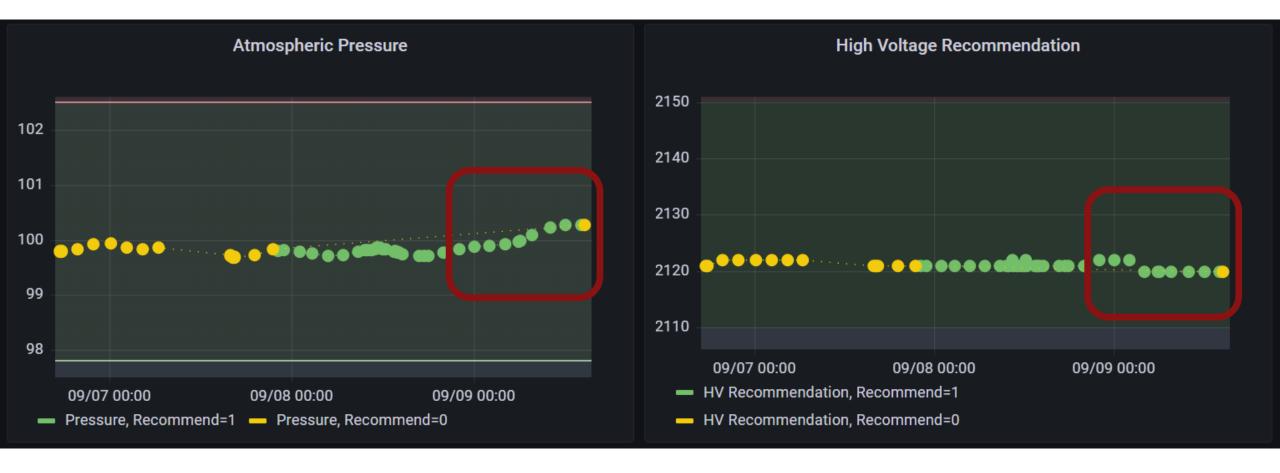










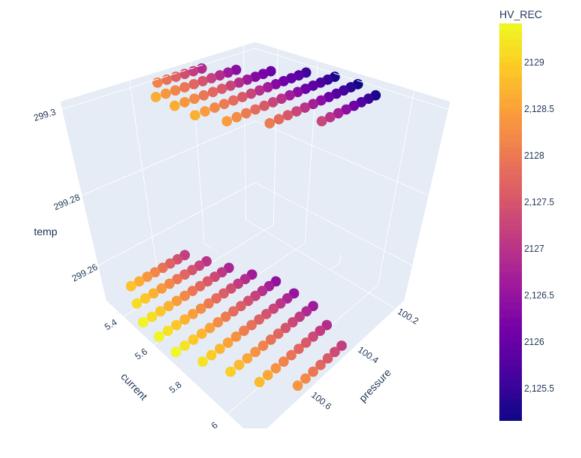




How Can We Use Uncertainty Quantification?

Can we use uncertainty to guide new data acquisition?

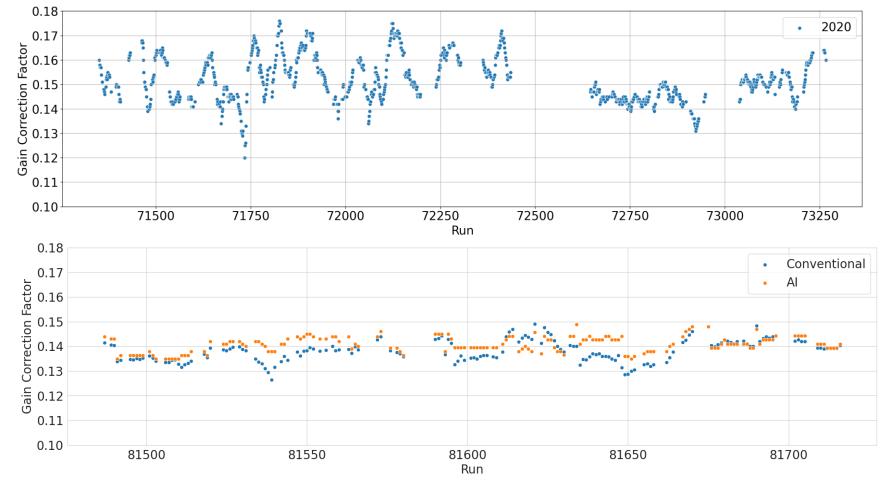
Temp vs. Current vs. Pressure for different uncertainties





Calibrations with AI: Gain

- Al generated calibration constants agree with conventional gain calibration results
- GCF are more stable compared to GlueX 2020 run period





Diana McSpadden, Torri Jeske, Nikhil Kalra, Naomi Jarvis, Thomas Britton, and David Lawrence

roark@jlab.org

- Ability to predict existing calibration constants using GPR models using environmental and detector specific data
- Compared calibrations with conventional and Al-generated starting values
- System is implemented and has been used for 3 experiment run periods.
- Application to additional drift chambers in progress

This work was supported by the US DOE as Lab 20-2261

The Carnegie Mellon Group is supported by the U.S. Department of Energy, Office of Science, Office of Nuclear Physics, DOE Grant No. DE-FG02-87ER40315

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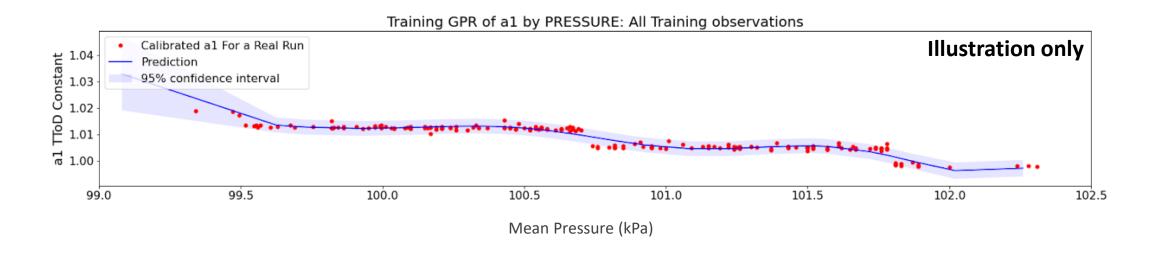




Current TToD Model: Gaussian Process Regression

- Same input features as GPR for gain
- Targets: Existing TToD calibration constants from GlueX 2020 run period
- Evaluation metric:

$$\mathcal{L} = \int_0^{1\mu s} \int_{-0.2cm}^{+0.2cm} |f\{t, \delta, B: \mathbf{k}_{label}\} - f\{t, \delta, B: \mathbf{k}_{model}\}| \, d\delta dt$$



TToD Fit function

$$d(t) = f_{\delta} \left(\frac{d_0(t)}{f_0} P + 1 - P \right)$$

• $d_0(t)$ comes from table of time to distance for an ideal straw

$$P = \begin{cases} 0 & t > T \\ \frac{T-t}{T} & t \le T \end{cases}$$

 Drift times less than 250 ns are not affected significantly by the distortion of the electric field from straw sag

$$f_{\delta} = a\sqrt{t} + bt + ct^{3}$$

$$f_{0} = a_{1}\sqrt{t} + b_{1}t + c_{1}t^{3}$$

$$a = a_{1} + a_{2}|\delta|$$

$$b = b_{1} + b_{2}|\delta|$$

$$c = c_{1} + c_{2}|\delta|$$