

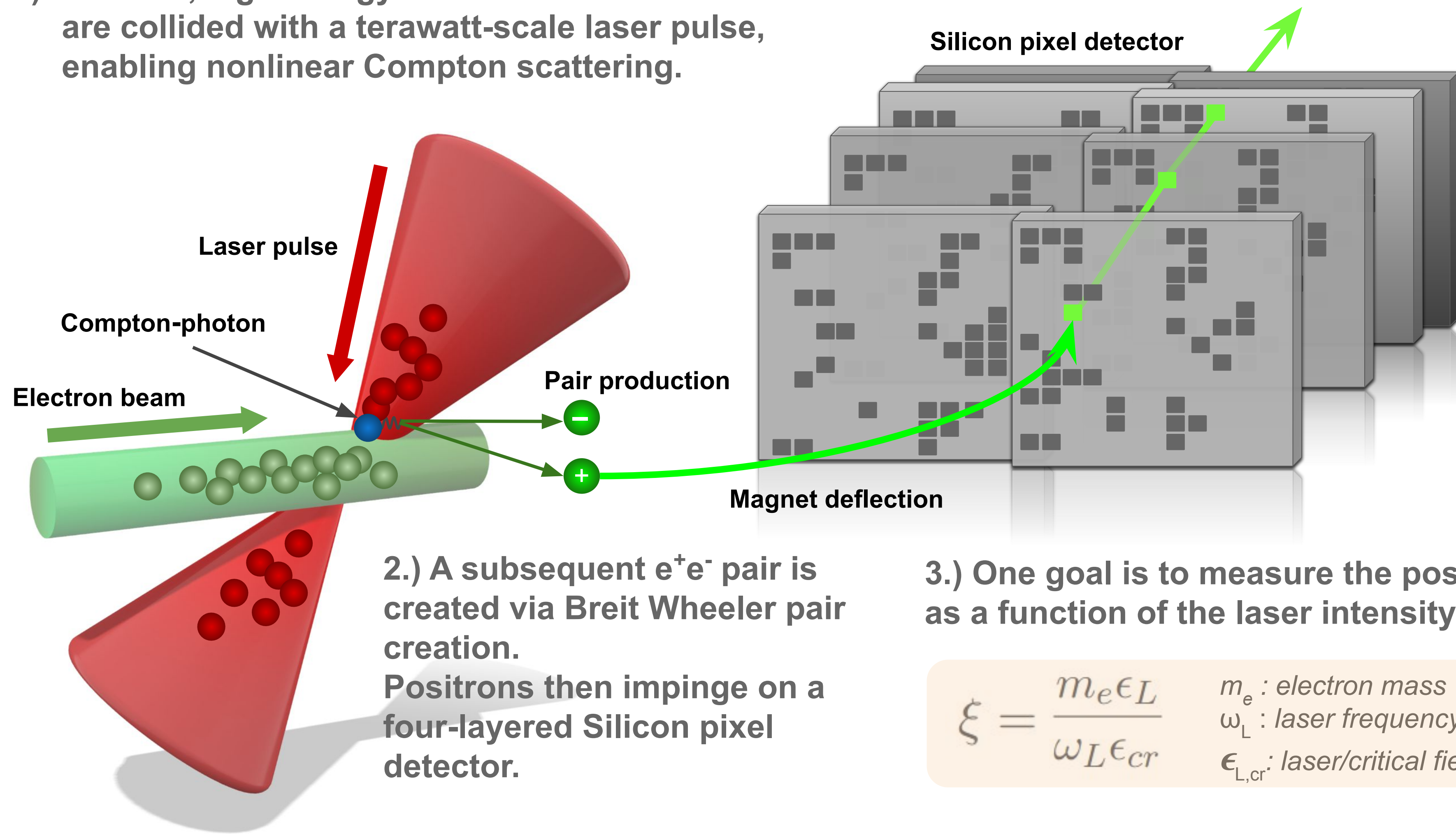
# Positron Track Reconstruction for LUXE using a Quantum Computer

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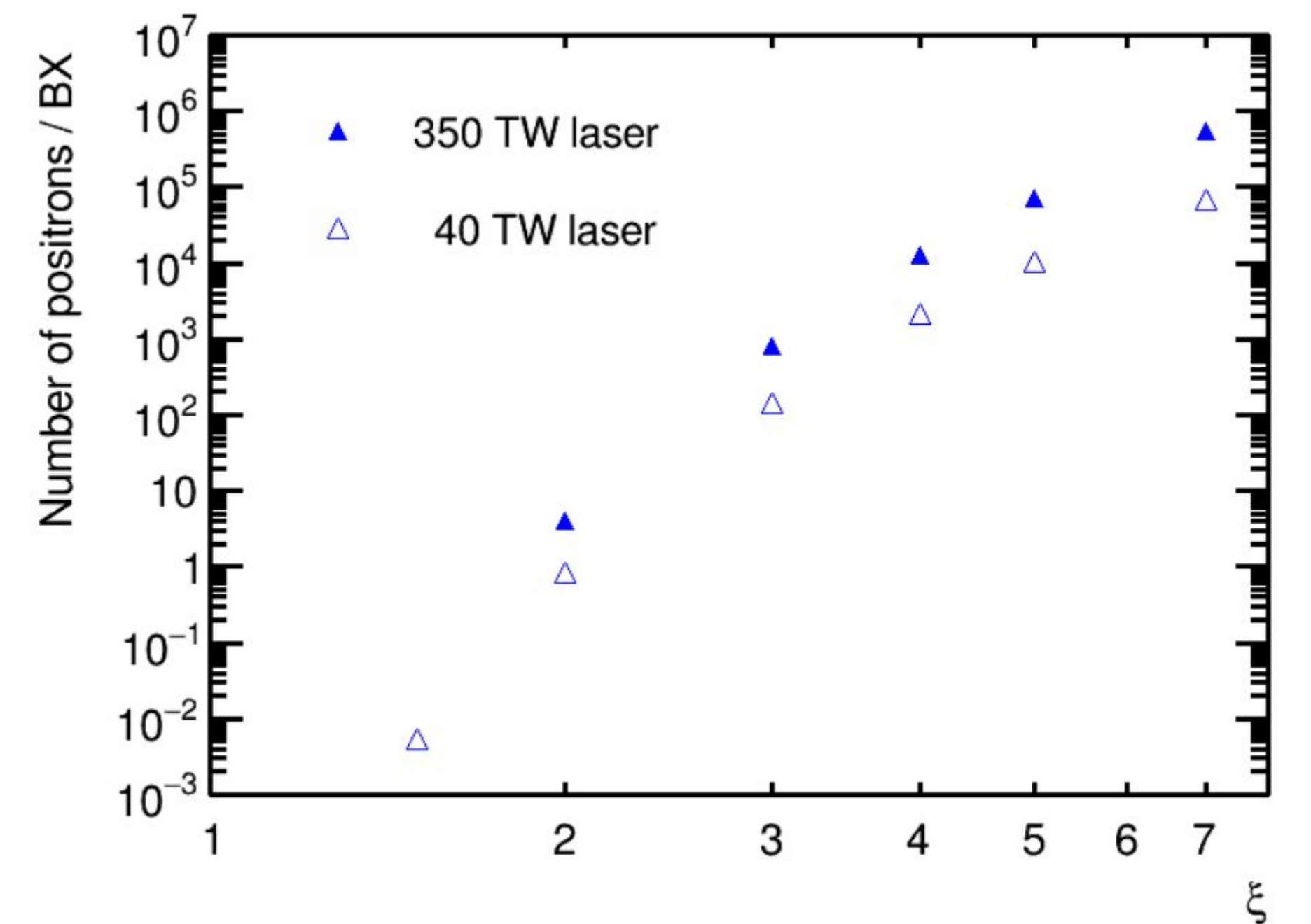
1.) In LUXE, high-energy electrons from XFEL are collided with a terawatt-scale laser pulse, enabling nonlinear Compton scattering.



2.) A subsequent  $e^+e^-$  pair is created via Breit Wheeler pair creation. Positrons then impinge on a four-layered Silicon pixel detector.

3.) One goal is to measure the positron rate as a function of the laser intensity parameter

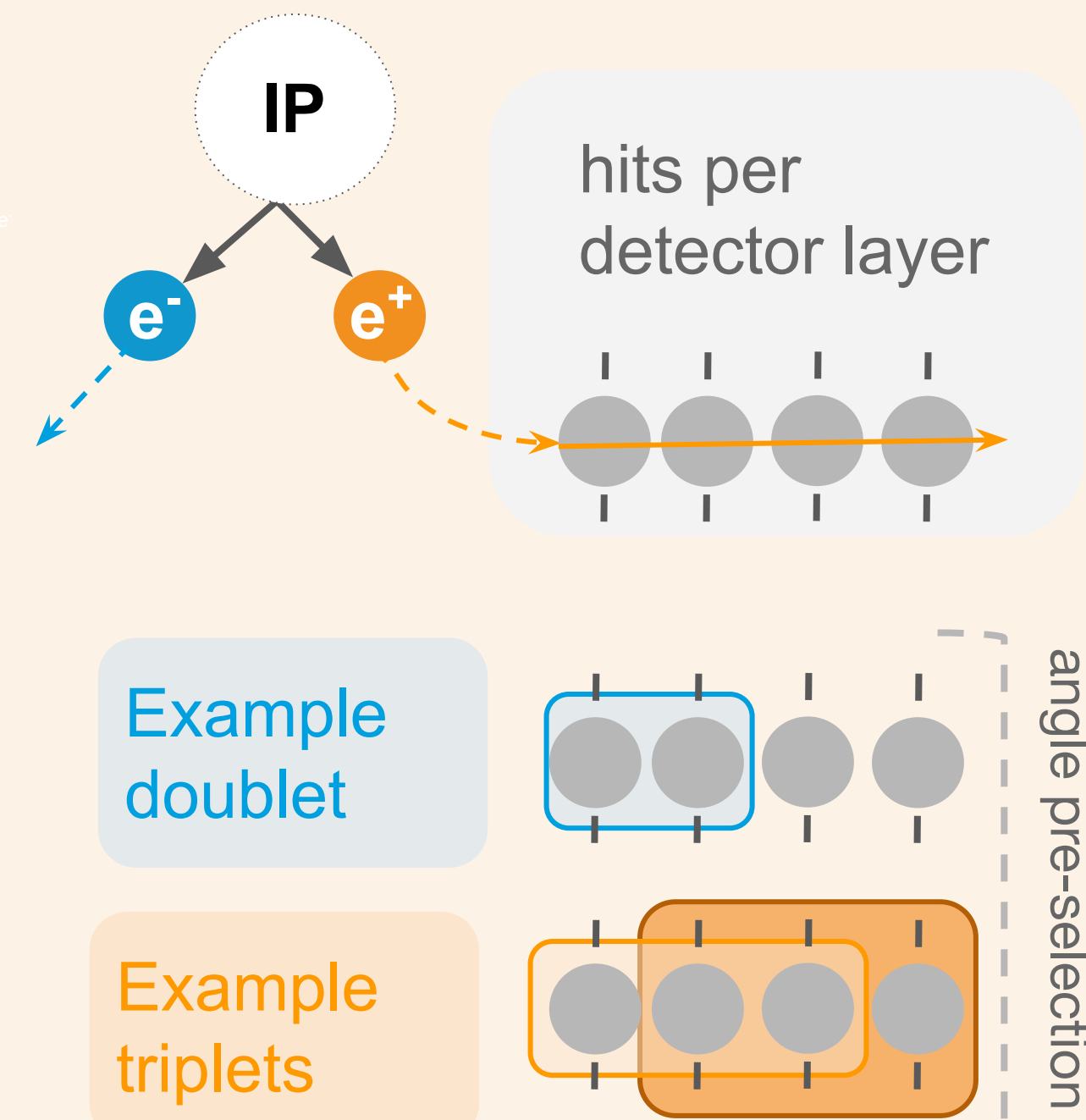
$$\xi = \frac{m_e \epsilon_L}{\omega_L \epsilon_{cr}} \quad \begin{array}{l} m_e : \text{electron mass} \\ \omega_L : \text{laser frequency} \\ \epsilon_{cr} : \text{laser/critical field strength} \end{array}$$



4.) LUXE aims to investigate the transition into the high-energy, non-perturbative regime of QED. Theoretically, a lower positron production rate is expected after the critical field is reached compared to perturbative predictions.

## LUXE Model Building.

Monte Carlo generated event samples + custom detector simulation



Two consecutive hits are grouped into doublets

Two doublets form one triplet

## Triplets as QUBO input.

$$O(a, b, T) = \sum_{i=1}^N a_i T_i + \sum_{i=1}^N \sum_{j<i}^N b_{ij} T_i T_j \quad T_i, T_j \in \{0, 1\}$$

Weighting triplet  $T_i$  with quality  $a_i$

Compatibility  $b_{ij}$  between two triplets

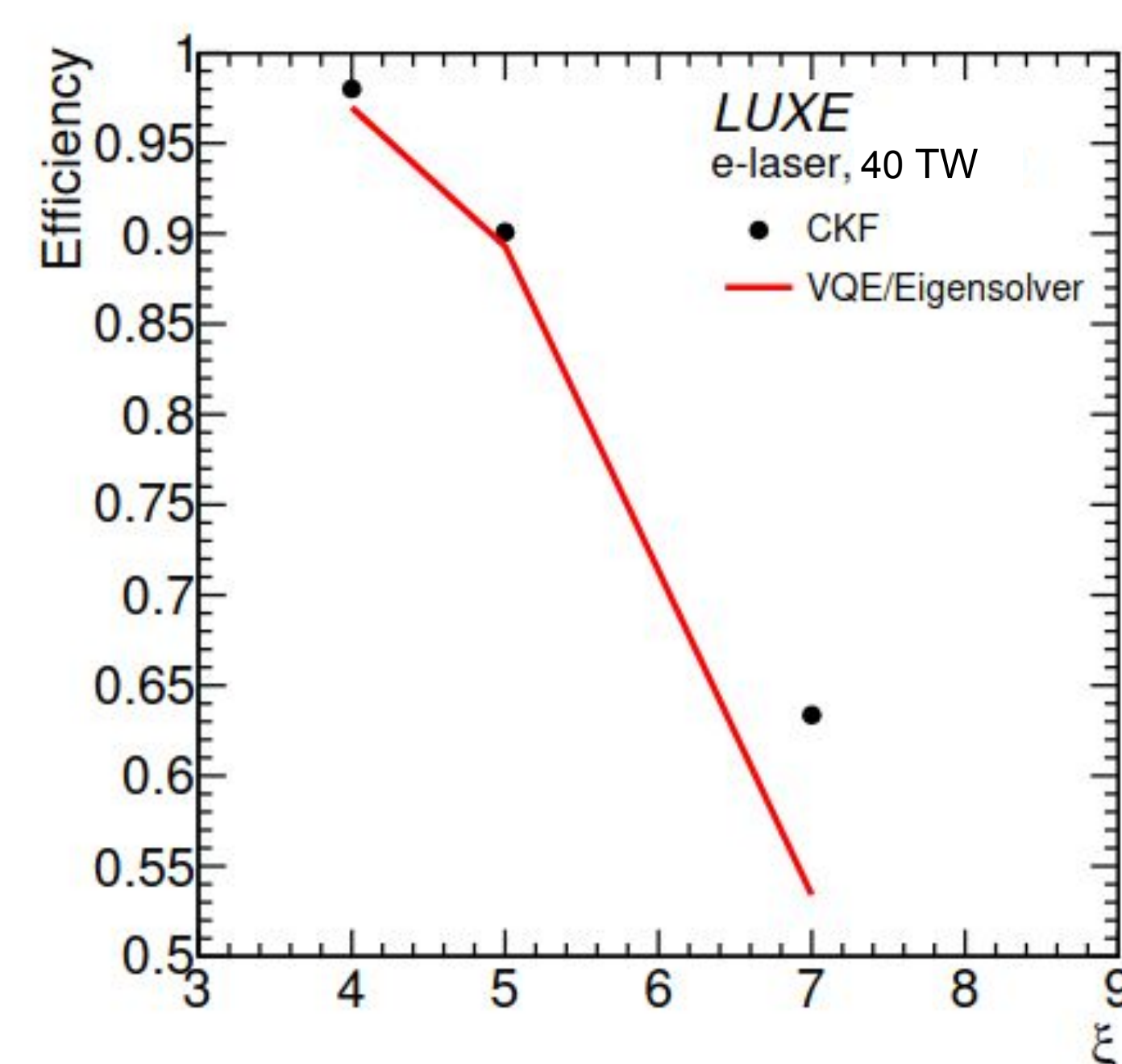
$$b_{ij} = \begin{cases} -S(T_i, T_j), & \text{if } (T_i, T_j) \text{ form a quadruplet,} \\ \zeta, & \text{if } (T_i, T_j) \text{ are in conflict,} \\ 0, & \text{otherwise.} \end{cases}$$

## The ground state of the QUBO returns the best set of triplets.

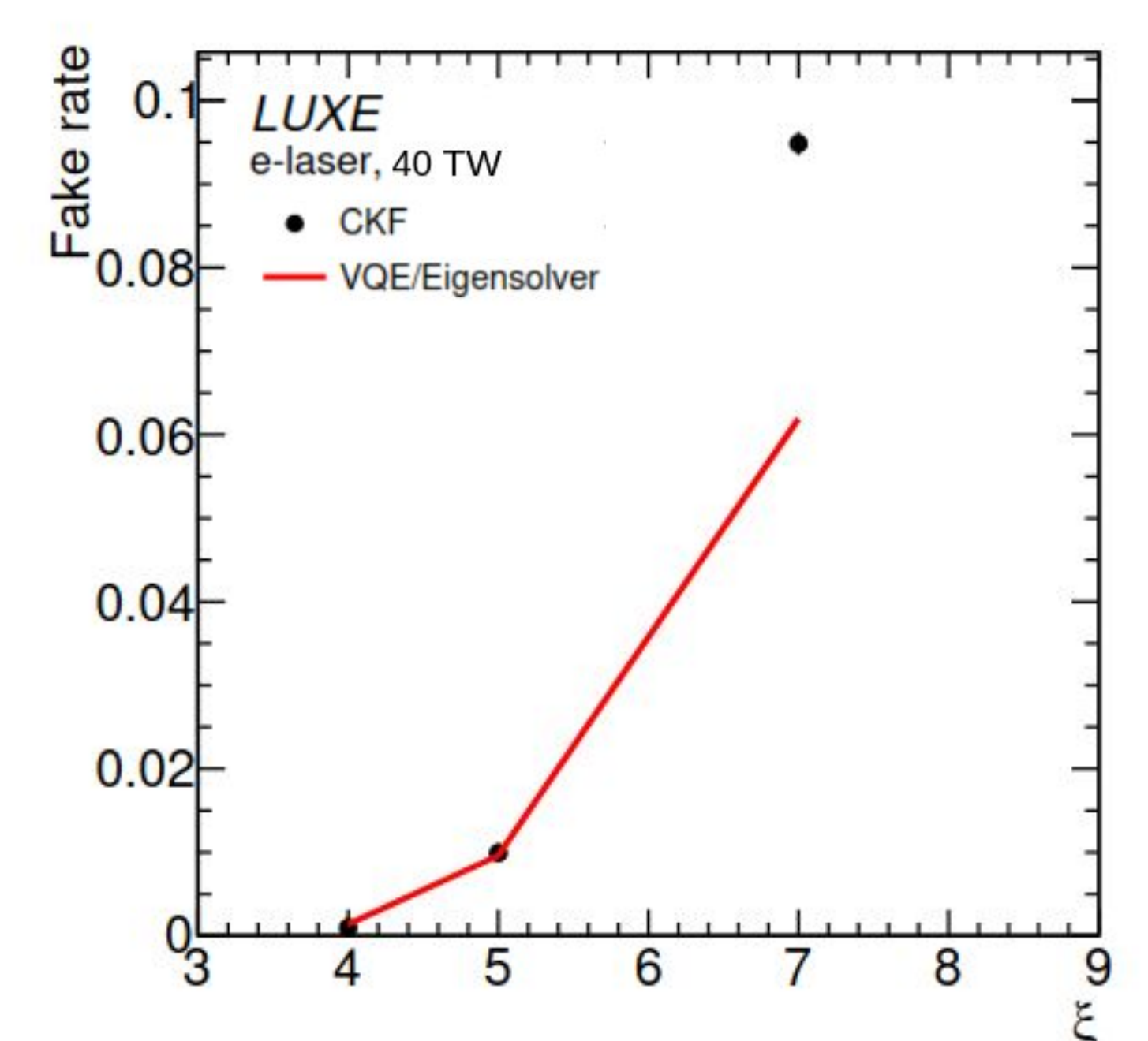
**Quantum Simulator.** The QUBO is mapped onto a quantum computer (here: simulator) and minimized using the Variational Quantum Eigensolver (VQE). Additionally, the QUBO is analytically solved using the eigensolver.

**Goal.** Benchmark performance against conventional methods using Graph Neural Network (GNN) or a Combinatorial Kalman Filter.

**Results.** Efficiency and fake rate are compared for full bunch crossings of up to ~68 000 particles for  $\xi=7$ .



$$\text{Efficiency} = \frac{N_{\text{matched tracks}}}{N_{\text{generated tracks}}}$$



$$\text{Fake rate} = \frac{N_{\text{fake tracks}}}{N_{\text{reconstructed tracks}}}$$

## Key questions.

- How does the performance depend on  $\xi$ ?
- What are the quantum computer requirements to run efficiently?

- How does quantum noise affect the results?
- What quantum algorithm is optimal?
- How does the choice of quantum computer affect the results?