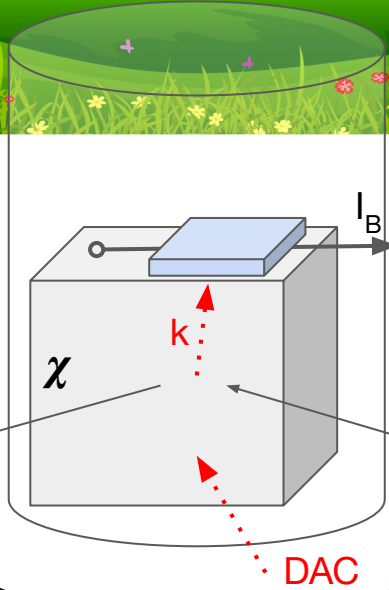


Control of cryogenic dark matter detectors through deep reinforcement learning

Felix Wagner

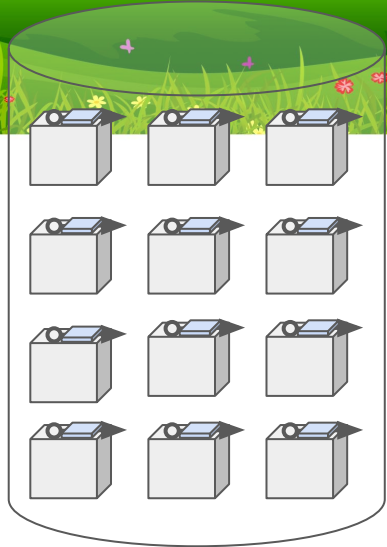
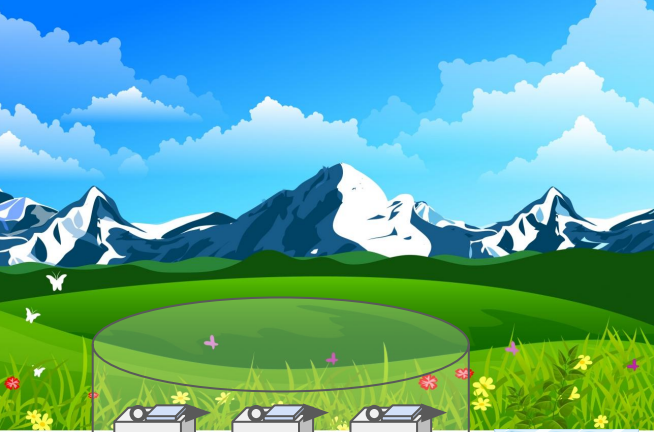
Institute of High Energy Physics of the Austrian Academy of Sciences

21st ACAT, 27th October 2022



Direct detection of light DM-nucleus scattering

- earth based detector in underground lab,
- monocrystalline target,
- superconducting thermometer,
- operation at $O(\text{mK})$ temperature;
- DM recoils produce phonons, thresholds down to $O(10 \text{ eV})$.
- Careful optimization of the **heating (DAC)** and the **bias current (I_B)** of the thermometer are required.
- Standard approach is **time consuming** and requires **manual interventions**.



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- DM recoils produce phonons, thresholds down to O(10 eV).
- Careful optimization of the **heating (DAC)** and the **bias current (I_B)** of the thermometer are required.
- Standard approach is **time consuming** and requires **manual interventions**.
- For future large-scale setups this task needs to be **automated**.

NGC
6638

Star 3kpc Arm
spiral arm

NGC 5986

NGC 5946

NGC 5286

NGC 362

NGC 2808

Persaeus Arm

Sagittarius Arm

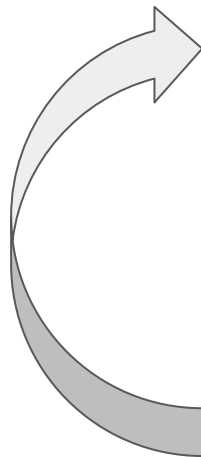
3

A framework for **policy** optimization:

This is called a Markov decision process!

function that maps state to probability distribution over actions

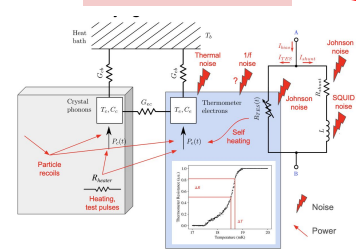
Action



receives state, takes action according to policy

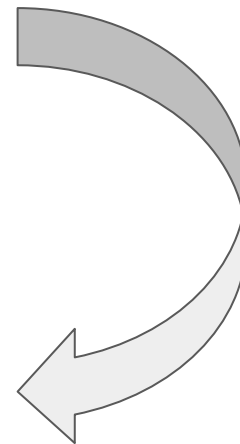
Agent

Environment



defines the transitions between states according to internal dynamics

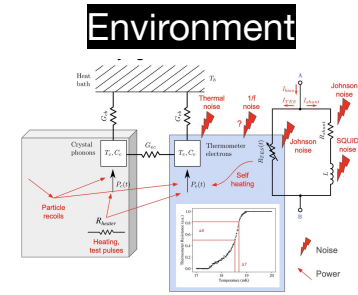
Observation and Reward



Maximizing rewards over time (returns) is what we want!

A framework for policy optimization: *hire a Phd student*

Action



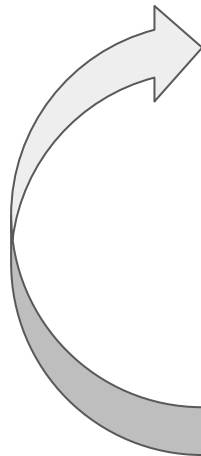
**Observation
and Reward**



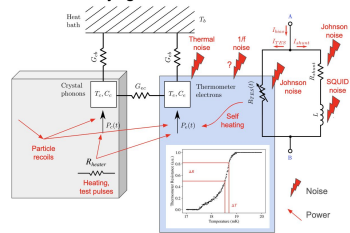
Agent

A framework for policy optimization: *reinforcement learning*

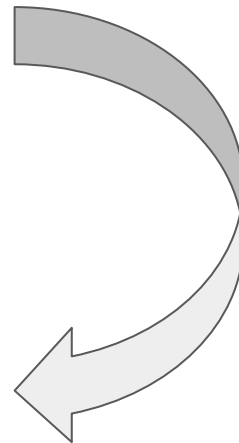
Action



Environment



**Observation
and Reward**

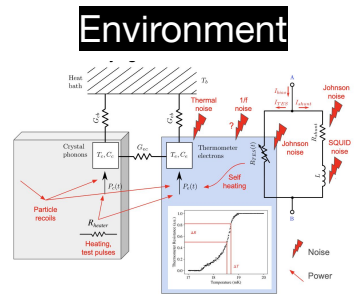


I just want to
get high
rewards!



Agent

A framework for policy optimization: *reinforcement learning*



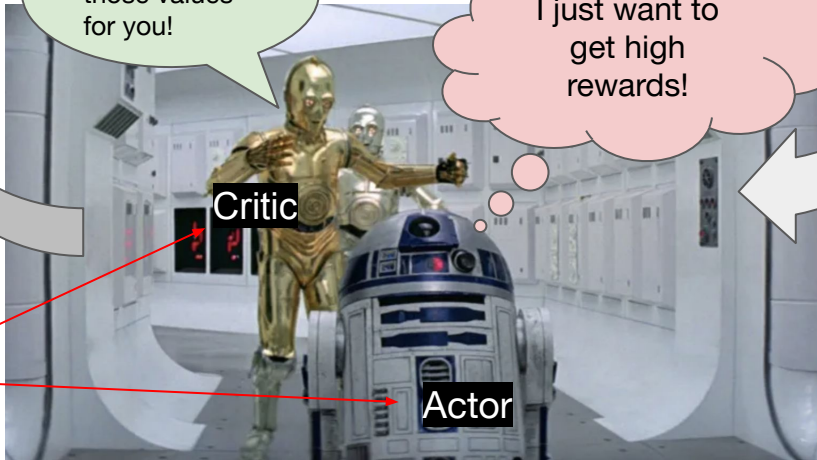
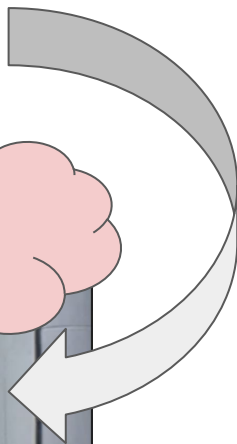
Action



Let me check those values for you!

I just want to get high rewards!

Observation and Reward



2 neural networks

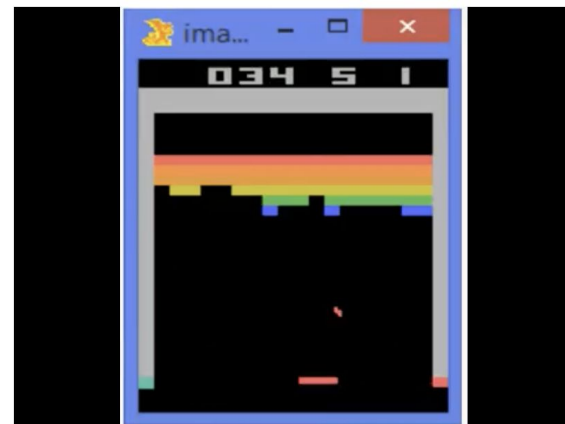
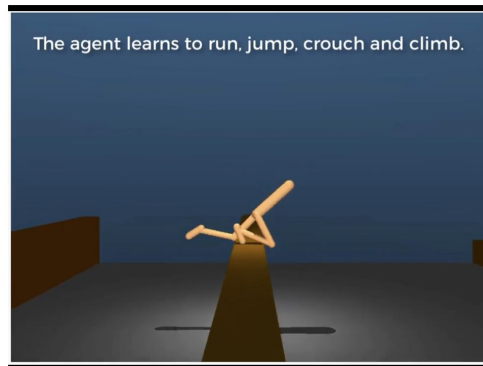
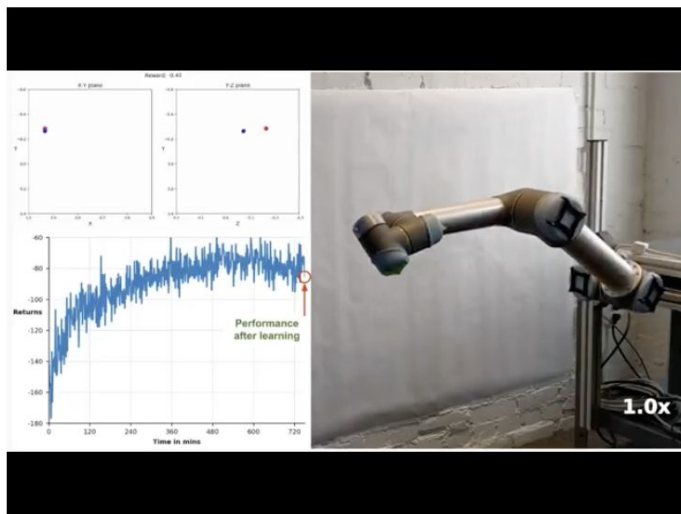
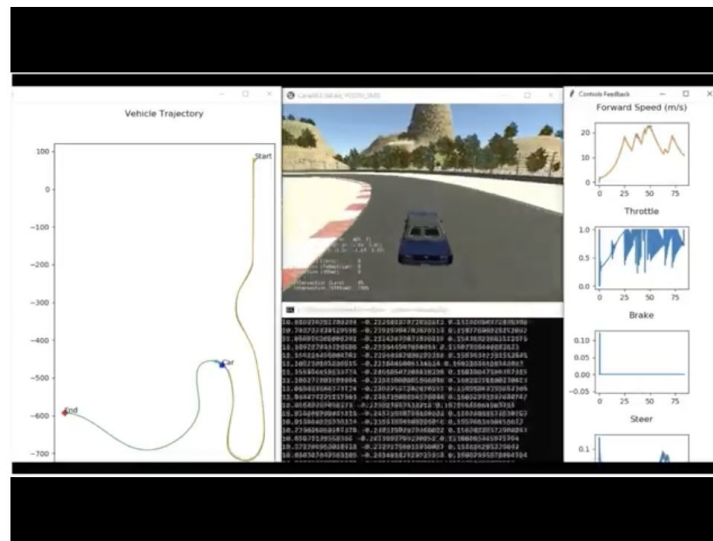
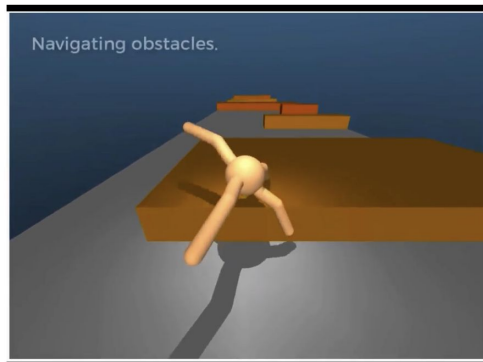


Soft actor critic (SAC)

<https://arxiv.org/abs/1801.01290v2>

Stable baselines 3 implementation

<https://jmlr.org/papers/volume22/20-1364/20-1364.pdf>



OpenAI Gym - A framework for reinforcement learning
<https://www.gymnasium.dev/>

Examples of reinforcement learning in physics

Article

Magnetic control of tokamak plasmas through deep reinforcement learning

<https://doi.org/10.1038/s41586-021-04301-9>

Received: 14 July 2021

Accepted: 1 December 2021

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Open access

 Check for updates

Jonas Degraeve^{1,3}, Federico Felici^{2,3,5,6}, Jonas Buchli^{3,5,6}, Michael Neuner^{1,3}, Brendan Tracey^{1,3,5,6}, Francesco Carpanese^{1,2,3}, Timo Ewalds^{1,3}, Roland Hafner^{1,3}, Abbas Abdolmaleki¹, Diego de las Casas¹, Craig Donner¹, Leslie Fritz¹, Cristian Galperti¹, Andrea Huber¹, James Keeling¹, Maria Tsimpoukelli¹, Jackie Kay¹, Antoine Merle¹, Jean-Marc Moret¹, Seb Noury¹, Federico Passamocqua¹, David Pfau¹, Olivier Sauter¹, Cristian Sommariva¹, Stefano Coda¹, Basil Duval¹, Ambrogio Fasoli¹, Pushmeet Kohli¹, Koray Kavukcuoglu¹, Demis Hassabis¹ & Martin Riedmiller^{1,3}

Nuclear fusion using magnetic confinement, in particular in the tokamak configuration, is a promising path towards sustainable energy. A core challenge is to shape and maintain a high-temperature plasma within the tokamak vessel. This requires high-dimensional, high-frequency, closed-loop control using magnetic actuator coils, further complicated by the diverse requirements across a wide range of plasma configurations. In this work, we introduce a previously undescribed architecture for tokamak magnetic controller design that autonomously learns to command the full set of control coils. This architecture meets control objectives specified at a high level, at the same time satisfying physical and operational constraints. This approach has unprecedented flexibility and generality in problem specification and yields a notable reduction in design effort to produce new plasma configurations. We successfully produce and control a diverse set of plasma configurations on the Tokamak à Configuration Variable^{1,2}, including elongated, conventional shapes, as well as advanced configurations, such as negative triangularity and 'snowflake' configurations. Our approach achieves accurate tracking of the location, current and shape for these configurations. We also demonstrate sustained 'droplets' on TCv, in which two separate plasmas are maintained simultaneously within the vessel. This represents a notable advance for tokamak feedback control, showing the potential of reinforcement learning to accelerate research in the fusion domain, and is one of the most challenging real-world systems to which reinforcement learning has been applied.

PHYSICAL REVIEW ACCELERATORS AND BEAMS **24**, 104601 (2021)

Real-time artificial intelligence for accelerator control: A study at the Fermilab Booster

Jason St. John^{1*}, Christian Herwig², Diana Kafkes³, Jovan Mitrevski⁴, William A. Pellico⁵, Gabriel N. Perdue⁶, Andres Quintero-Parra⁷, Brian A. Schupbach⁸, Kiyomi Seiya⁹, and Nhan Tran¹⁰

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 (Received 5 January 2021; accepted 16 August 2021; published 18 October 2021)

Nature **602**, 414–419 (2022).

<https://doi.org/10.1038/s41586-021-04301-9>

Phys. Rev. Accel. Beams **24**, 104601 - 104618 (2021).

<https://doi.org/10.1103/PhysRevAccelBeams.24.104601>



A control problem
with few
parameters

Why reinforcement learning?

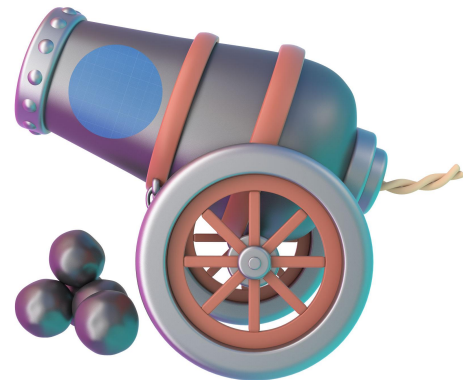
Isn't that like "shooting at sparrows with cannons"?

The detector optimization problem is ...

- non-linear,
- time-dependent,
- naturally discretized, and
- most parameters are hidden.

⇒ *Simple approaches would need additional constraints!*

Reinforcement
learning





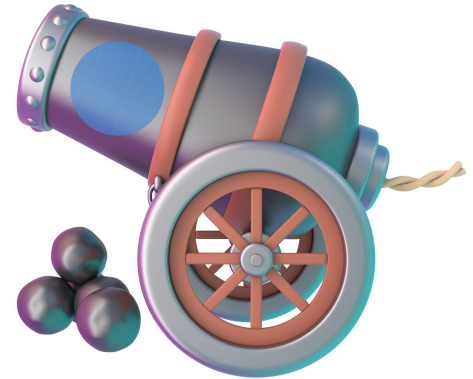
Why reinforcement learning?

Isn't that like "shooting at sparrows with cannons"?

Including more control parameters might "turn the sparrow into a dragon":

- detector concepts with many thermally coupled components,
- additional optimization of magnetic field,
- cryostat parameters,
- ...

⇒ *Simple approaches would need individual adaptations!*



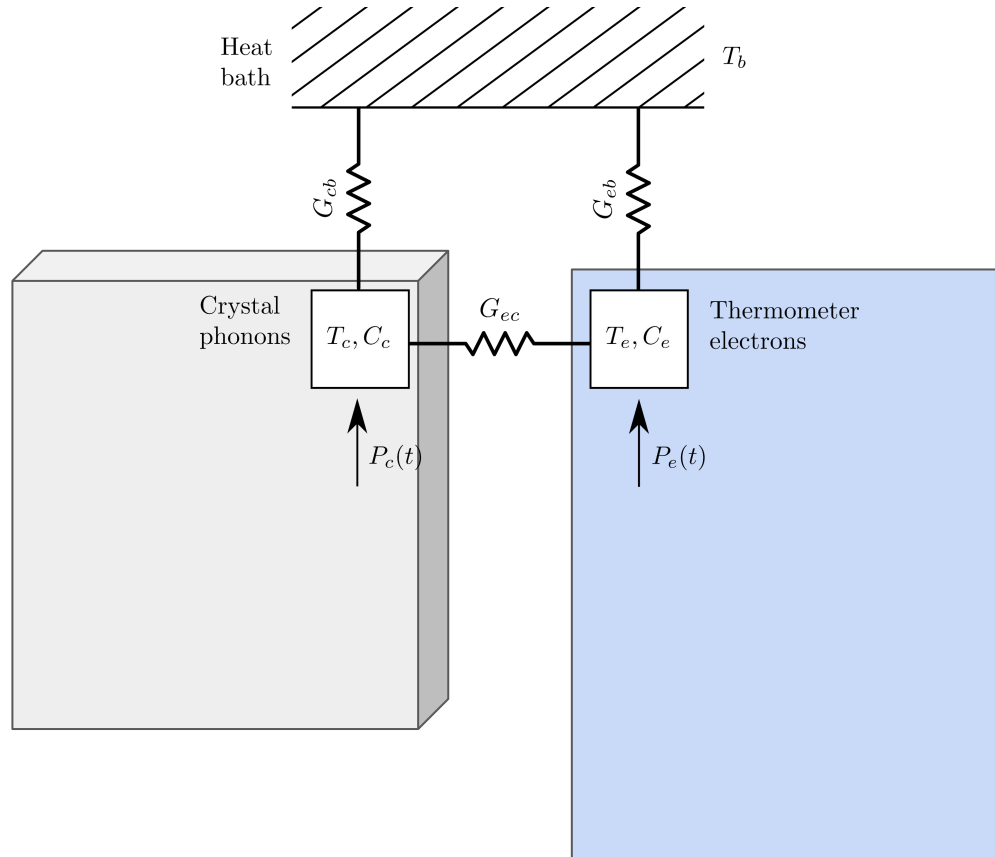
CryoEnv - An OpenAI Gym environment for cryogenic detector optimization

CryoEnv

Code: <https://github.com/fewagner/CryoEnv>

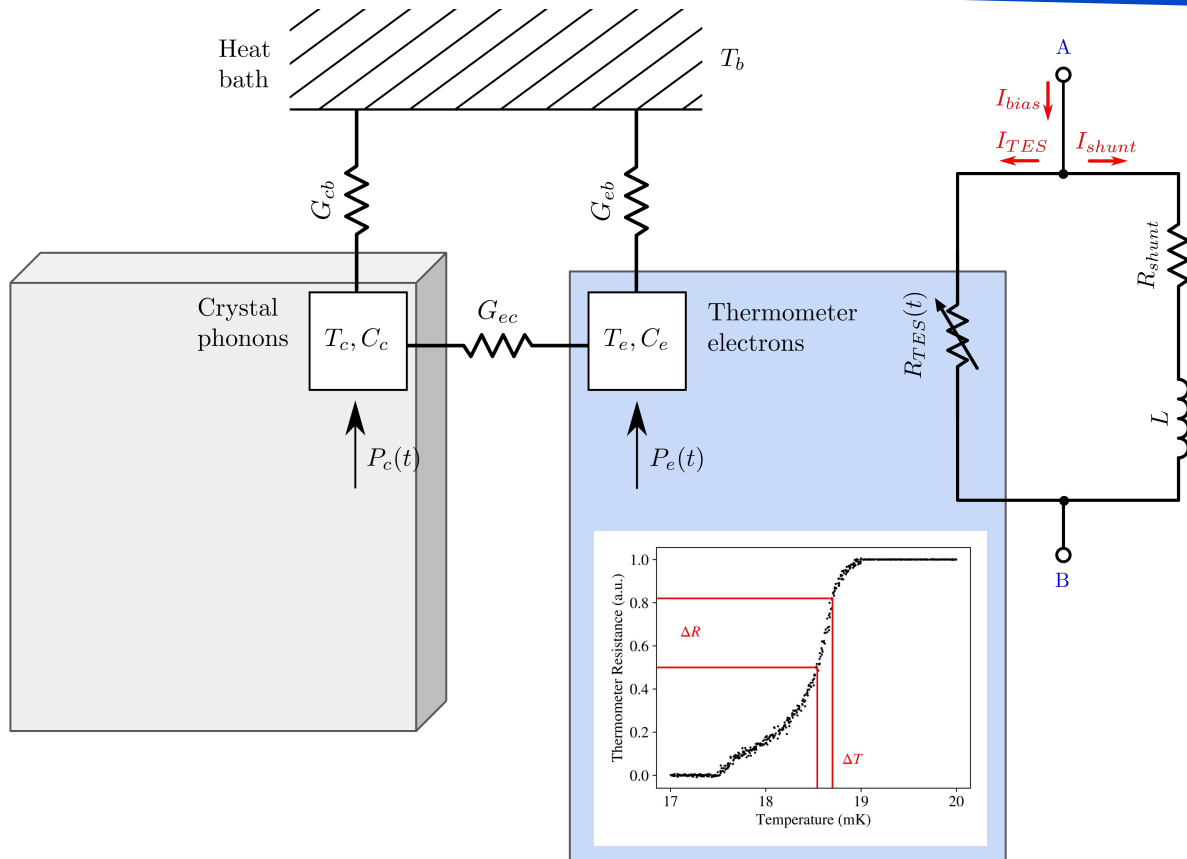
Components of a cryogenic detector

Temperature evolution (T_c, T_e) is dominated by heat capacities (C_c, C_e) of crystal phonons and thermometer electrons and thermal coupling G_{ec} in between and to heat bath (G_{cb}, G_{eb}).



Components of a cryogenic detector

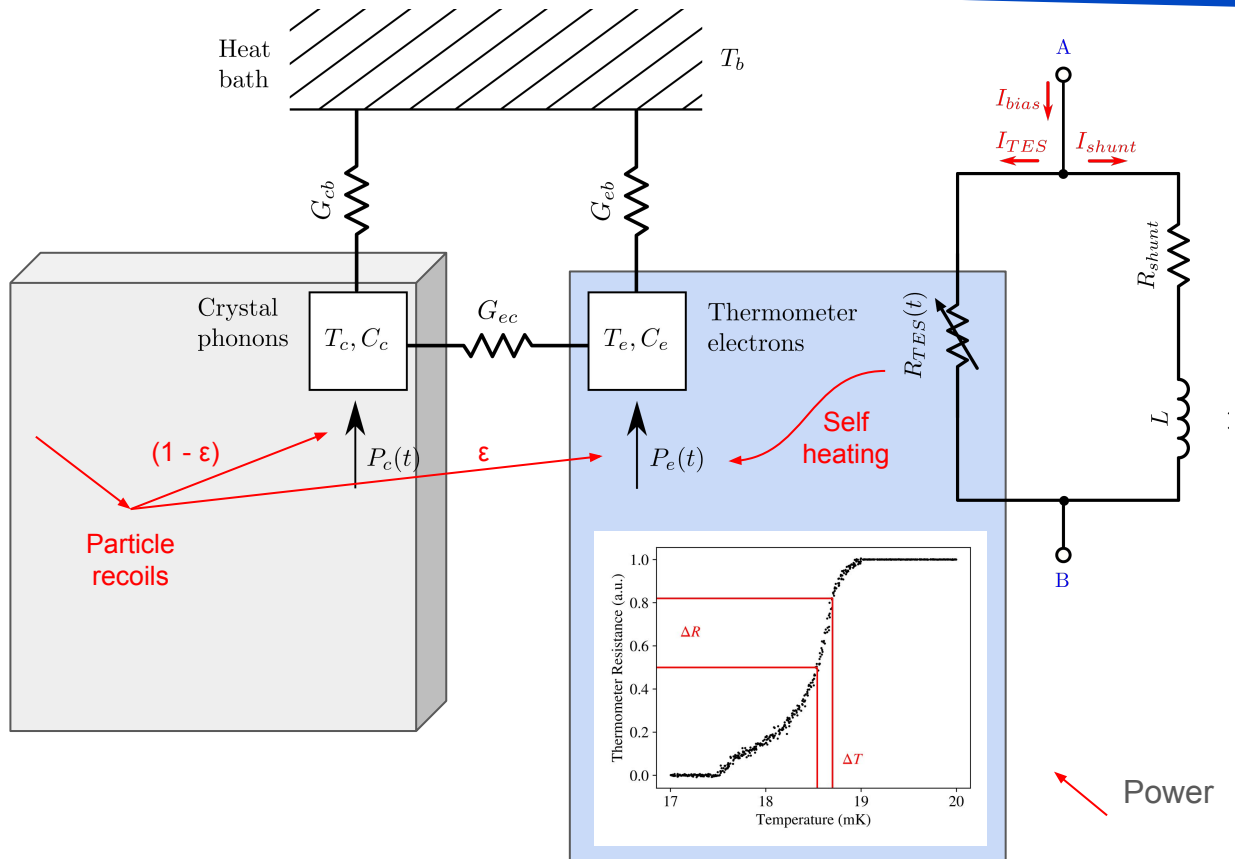
Currents (I_{TES} , I_{shunt}) in read out circuit are coupled to temperatures through the resistance of the superconducting thermometer R_{TES} .



Components of a cryogenic detector

Particle recoils produce power inputs in the crystal ($\propto 1 - \epsilon$) and thermometer ($\propto \epsilon$).

Self heating of the thermometer introduces time-dependency.

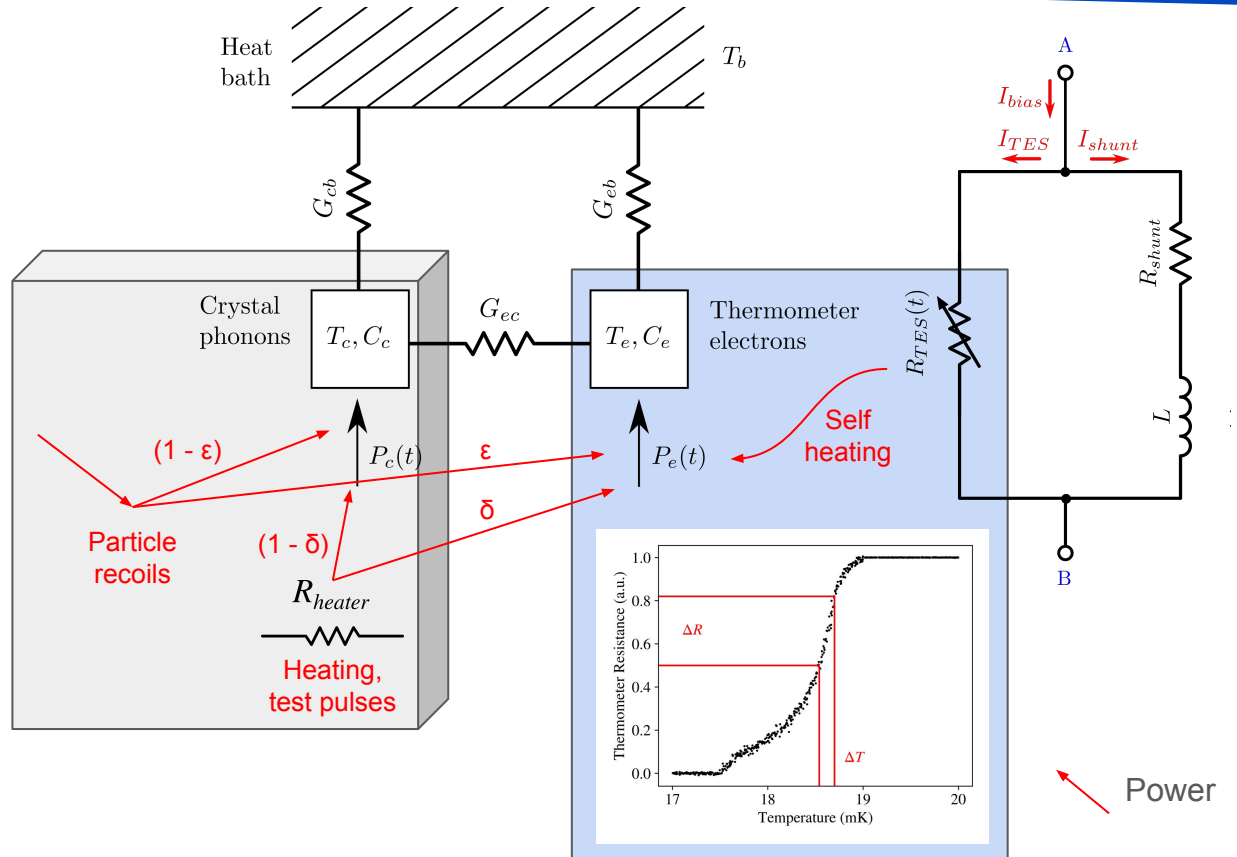


Components of a cryogenic detector

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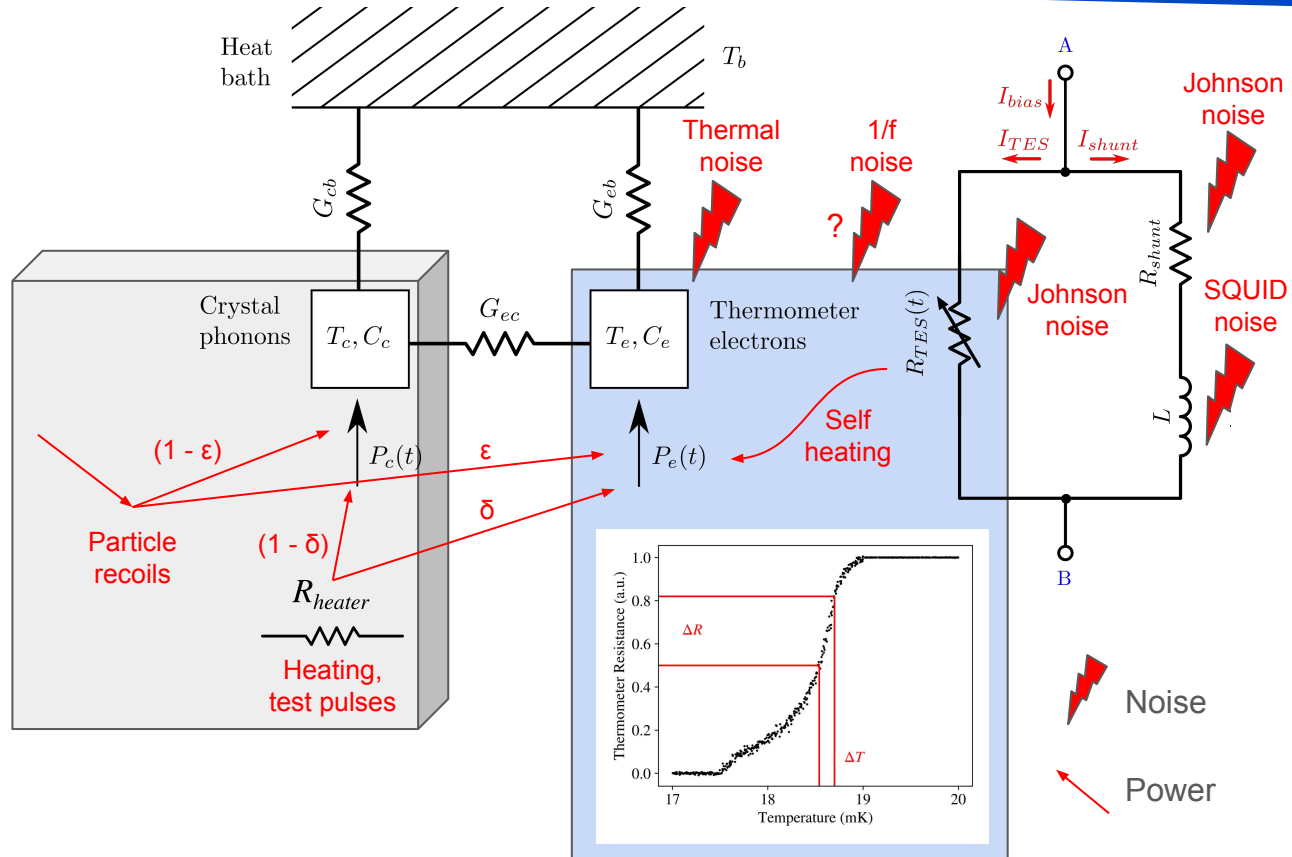
Self heating of the thermometer introduces time-dependency.

A heating resistor in the crystal controls heating and test signals (test pulses).

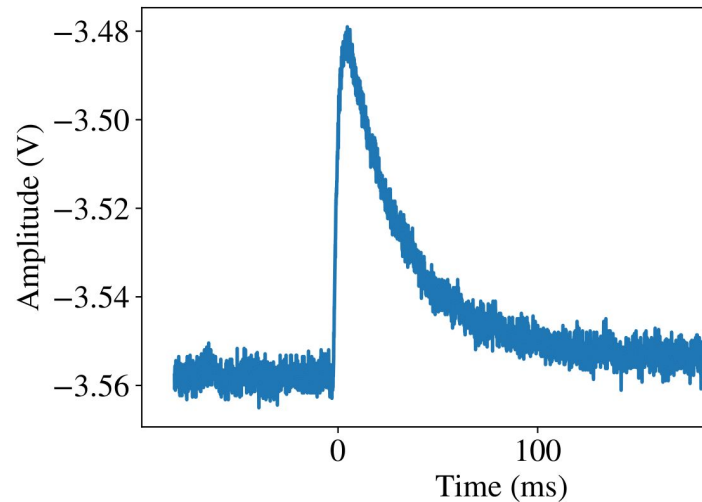
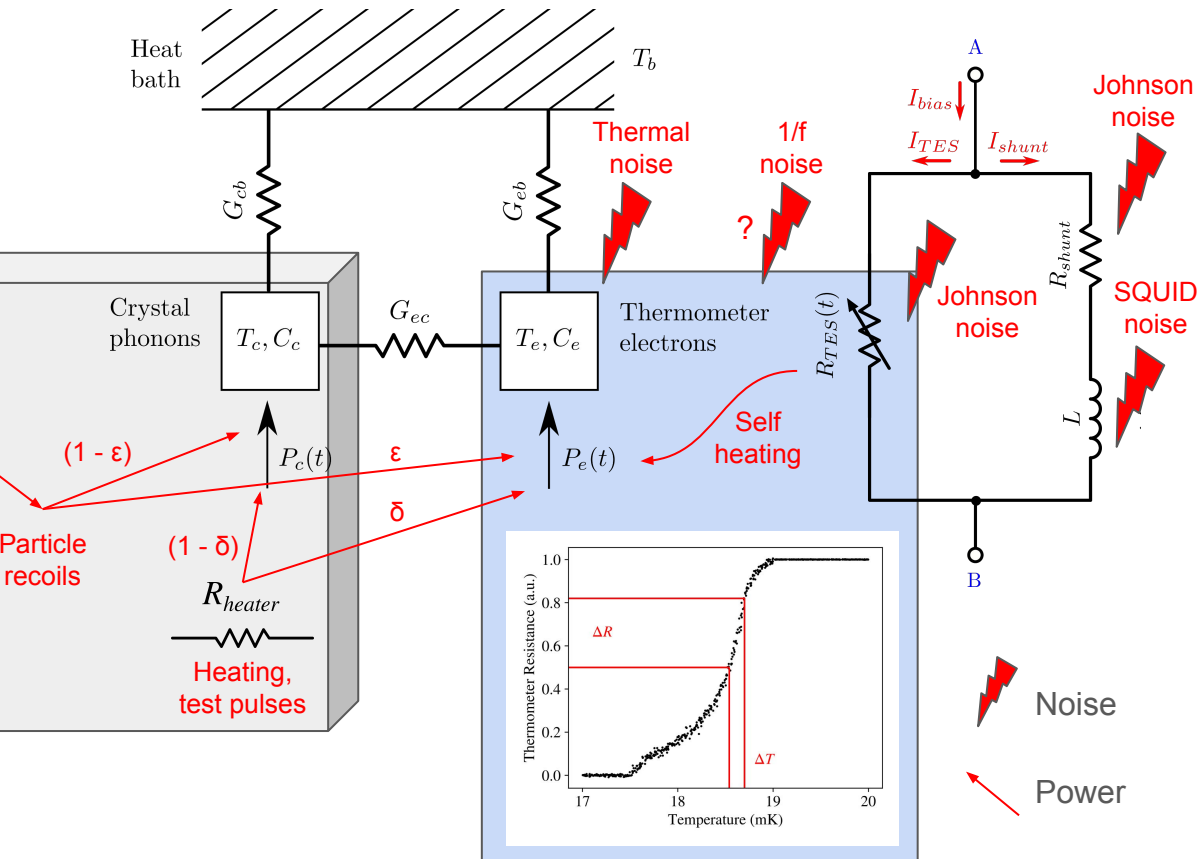


Components of a cryogenic detector

Various **noise contributions** limit the sensitivity of the detector to low energy recoils.



Components of a cryogenic detector



The digitized signal of a particle recoil is a **pulse-shaped voltage trace**.

Internal parameters are **not observable!**

The cryo ODEs

Cryogenics $\dot{\underline{T}}(t) = \text{diag}(\underline{C})^{-1} \left(\underline{P}(t, \underline{T}(t), \underline{I}_t(t)) + \text{diag}(\underline{G}_b) (\underline{T}_b - \underline{T}(t)) + (\underline{G} - \text{diag}(\underline{G}_1)) \underline{T}(t) \right)$

Electronics $\dot{\underline{I}}_t(t) = \text{diag}(\underline{L})^{-1} \left(\text{diag}(\underline{R}_s) \underline{I}_b - \text{diag}(\underline{I}_t(t)) (\underline{R}_t(\underline{T}(t)) + \underline{R}_s) \right)$

System of coupled Ordinary Differential Equations (ODEs) for arbitrary number of thermal components and Transitions Edge Sensors (TESs).

Solve numerically, with interpolation of arbitrary numerical function for TES resistance.

The noise contributions (good summary in E. Pantic, 2008)



Defs.

$$\Delta I_s(\omega) = \frac{1}{G_{eb} + G_{ETF}} \underbrace{\frac{1}{1 + \omega\tau_{eff}} \frac{I_f}{R_f + R_s} \frac{dR_f}{dT_e}}_{S(\omega)} P_e(\omega)$$

$$\tau_{in} \approx C_e / G_{eb}$$

$$\tau_{eff} = \frac{\tau_{in}}{1 + \frac{I_f^2}{G_{eb}} \frac{dR_f}{dT_e} \frac{R_f - R_s}{R_f + R_s}}$$

$$I_f^2 \frac{dR_f}{dT_e} \frac{R_f - R_s}{R_f + R_s} \equiv G_{ETF}$$

Johnson
TES

$$P_{th}^2 = 4k_B T_e^2 G_{eb} \frac{2}{5} \frac{1 - \left(\frac{T_{bath}}{T_e}\right)^5}{1 - \left(\frac{T_{bath}}{T_e}\right)^2} \left[\frac{W^2}{Hz} \right] \quad (T_e > T_{bath})$$

$$\langle |\Delta I_{th}(\omega)|^2 \rangle = \langle |S(\omega) P_{th}(\omega)|^2 \rangle$$

Thermal

SQUID

$$\langle |\Delta I_{sq}(\omega)|^2 \rangle = i_{sq}^2$$

$$\langle |\Delta I_{J-f}(\omega)|^2 \rangle = \frac{4k_B T_e R_f}{(R_f + R_s)^2} \left(\frac{\tau_{eff}}{\tau_{in}} \right)^2 \frac{1 + \omega^2 \tau_{in}^2}{1 + \omega^2 \tau_{eff}^2}$$

$$\langle |\Delta I_{J-s}(\omega)|^2 \rangle = \frac{4k_B T_s R_s}{(R_f + R_s)^2} \left(\frac{\tau_{eff}}{\tau_{in}} \right)^2 \frac{\left(1 - \frac{I_f^2}{G_{eb}} \frac{dR_f}{dT_e}\right)^2 + \omega^2 \tau_{in}^2}{1 + \omega^2 \tau_{eff}^2}$$

Johnson
Shunt

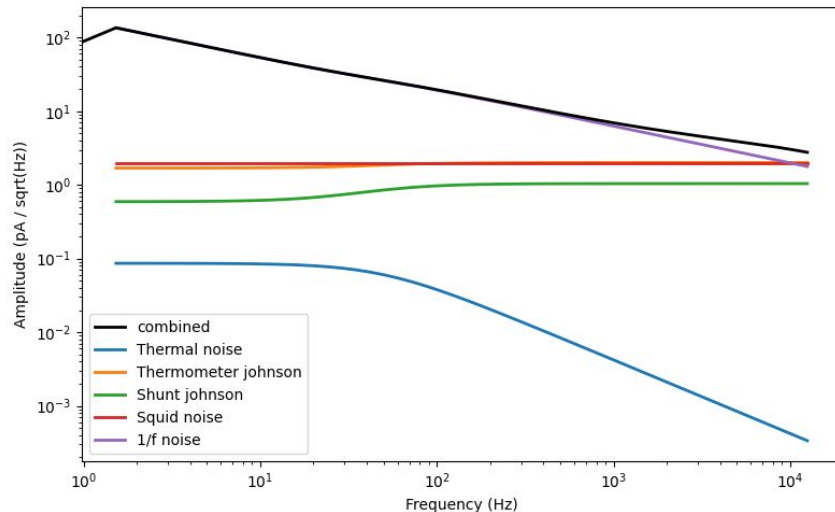
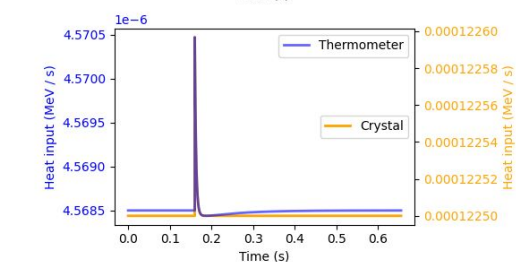
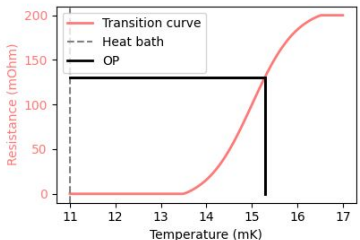
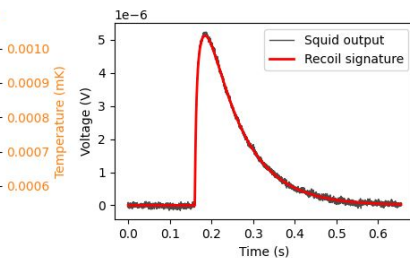
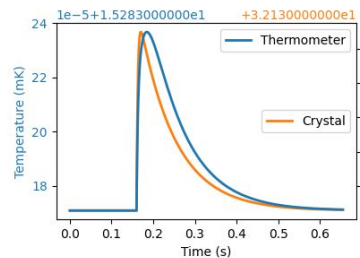
$$\left(\frac{\Delta R_f}{R_f} \right)_{1/f} \propto \frac{1}{\sqrt{\omega}} \left[\frac{1}{\sqrt{Hz}} \right]$$

$$1/f \langle |\Delta I_{1/f}(\omega)|^2 \rangle = \frac{I_f^2 R_f^2 \left(\frac{\Delta R_f}{R_f} \right)_{1/f}^2}{(R_f + R_s)^2} \left(\frac{\tau_{eff}}{\tau_{in}} \right)^2 \frac{1 + \omega^2 \tau_{in}^2}{1 + \omega^2 \tau_{eff}^2} \quad 20$$

Let's see it in action!

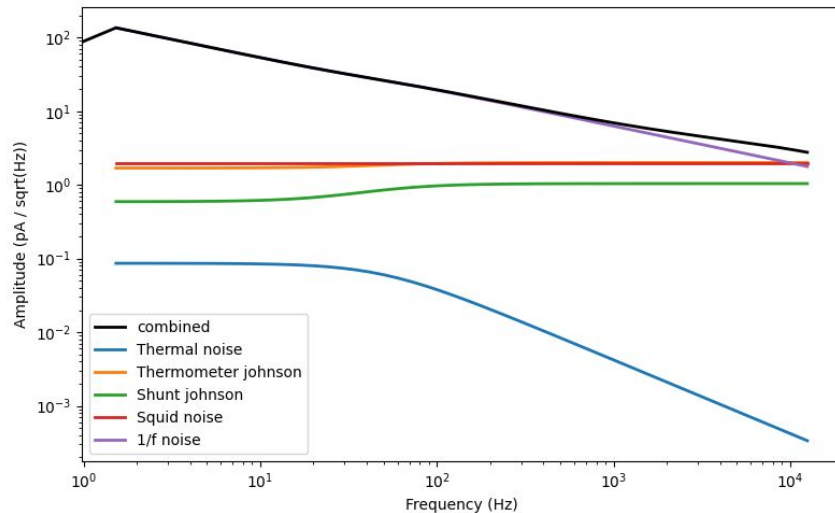
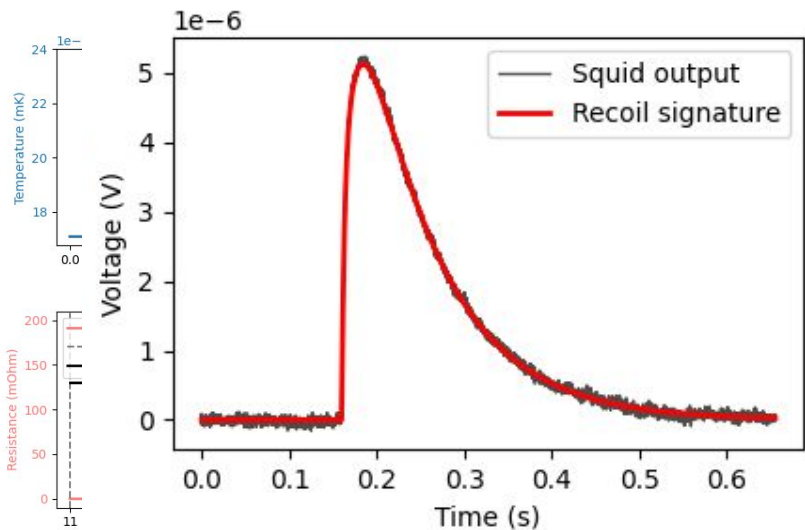
Triggered events can be rendered, ...

```
17 det = cs.DetectorModule()
18 det.set_control(dac=[-.5], Ib=[-.9], norm=True)
19 det.wait(5)
20 det.trigger(er=0., tpa=0.001, verb=True)
21 det.plot_event()
22 det.plot_nps()
```



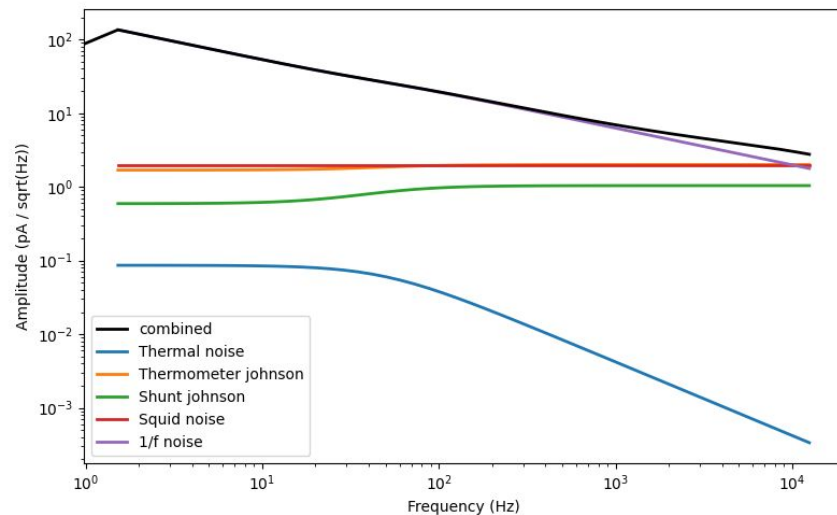
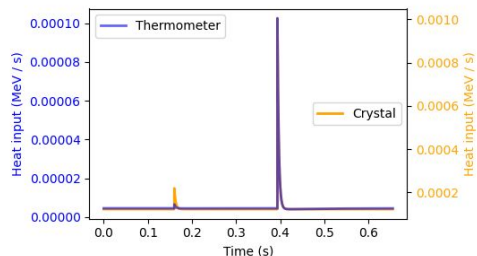
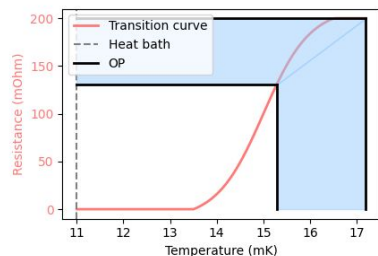
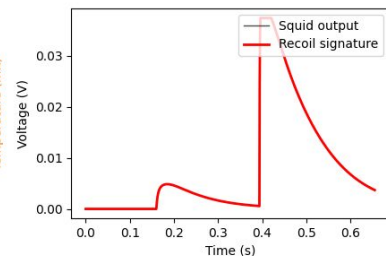
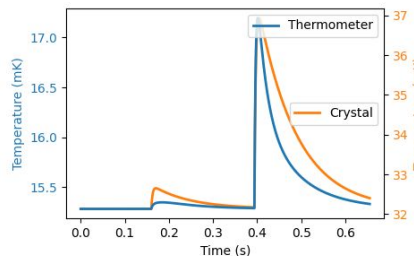
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20 det.trigger(er=0., tpa=0.001, verb=True)
21 det.plot_event()
22 det.plot_nps()
```



... whoops, pile-up, ...

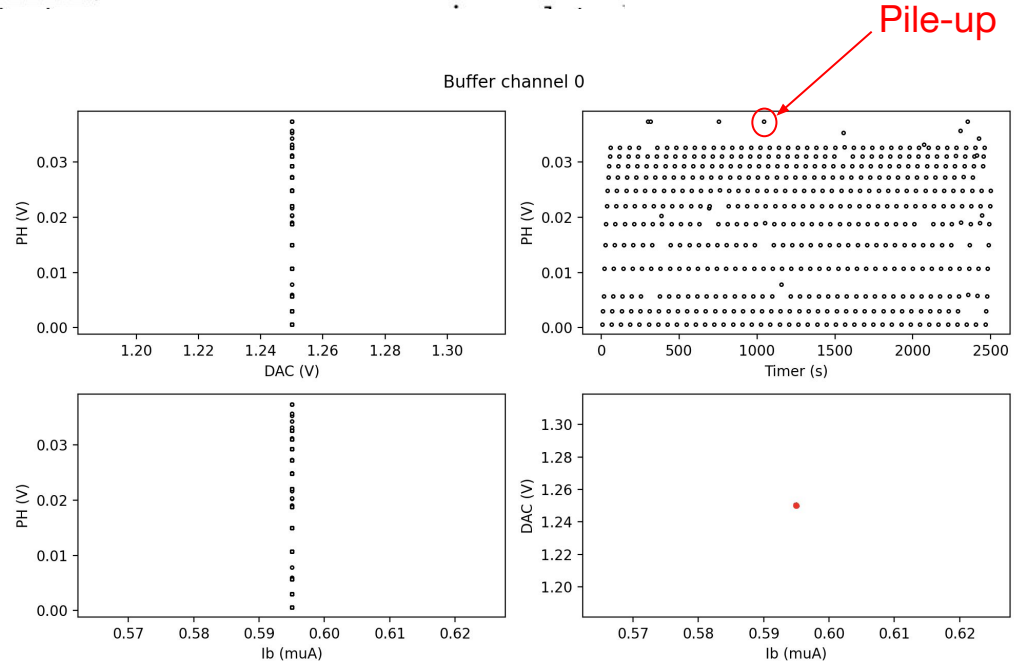
```
17 det = cs.DetectorModule(pileup_prob=.99)
18 det.set_control(dac=[-.5], Ib=[-.9], norm=True)
19 det.wait(5)
20 det.trigger(er=0., tpa=1, verb=True)
21 det.plot_event()
22 det.plot_nps()
```



... and the pulse height (PH) over time is monitored.

```
[felix@Felixs-MacBook-Pro tests % python test_cryosweep.py stable_cryosig --plot  
--pileup_prob 0.05 --Ib -0.9 --dac -0.5 --which stable  
100%|██████████████████████████████████████████████████████████████████████| 500/500 [01:51<00:00, 4.49it/s]
```

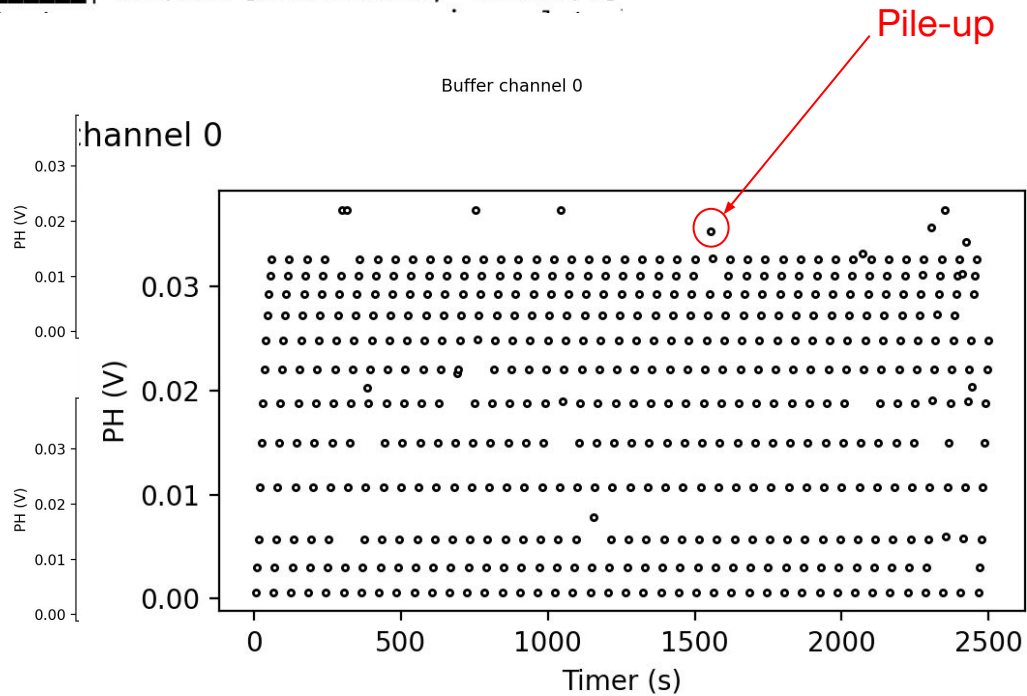
42 min continuous measurement
time simulated in 1:51 runtime



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100% | ████████████████████████████████████████████████████████████████████████████ | 500/500 [01:51<00:00, 4.49it/s]
```

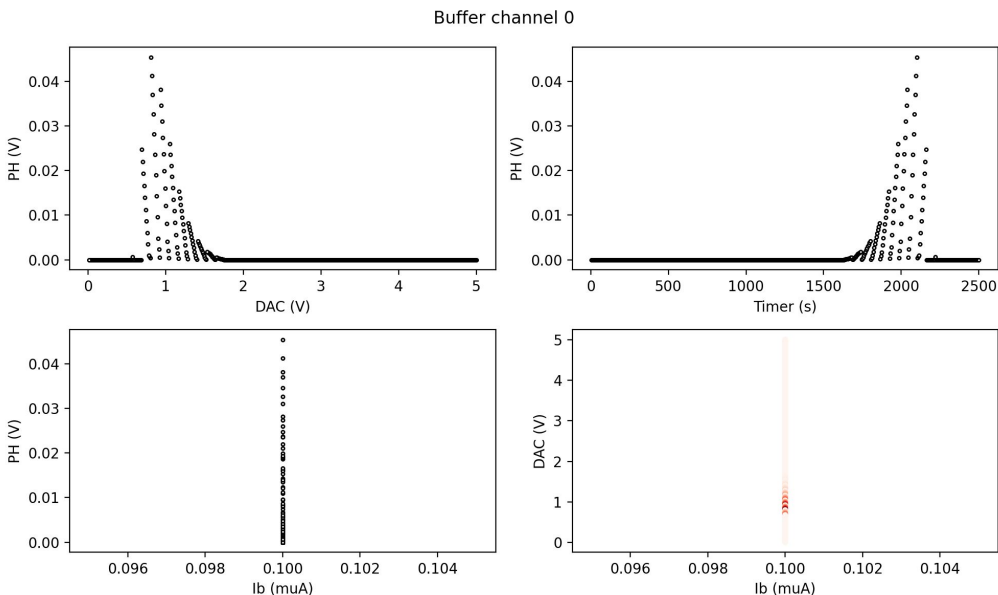
42 min continuous measurement
time simulated in 1:51 runtime



Standard approach: find a good OP by sweeping DAC.

```
[felix@Felixs-MacBook-Pro tests % python test_cryosweep.py sweep_cryosig --plot -]  
-from 1 --to -1 --dac_ramping_speed 2e-3 --pileup_prob 0. --Ib -1
```

SWEEP



42 min continuous measurement
time simulated in 0:37 runtime
(empty records are faster integrated
than saturated pulses)

Standard approach: find a good OP by sweeping DAC.

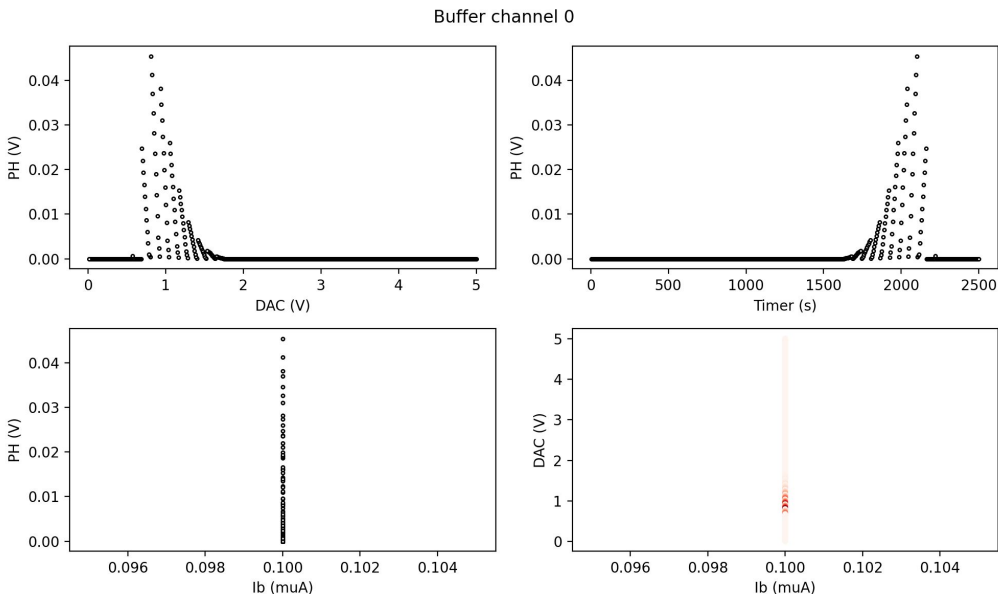
```
[felix@Felixs-MacBook-Pro tests % python test_cryosweep.py sweep_cryosig --plot -]  
-from 1 --to -1 --dac_ramping_speed 2e-3 --pileup_prob 0. --Ib -1
```

SWEEP

this is the minimum time required
for the standard approach
(typically it's 3-4 times this
amount!)



42 min continuous measurement
time simulated in 0:37 runtime
(empty records are faster integrated
than saturated pulses)



Can we do better than the standard approach?

Reward function: how do we tell which OP is good?



advanced

First, we need to quantify our objective.

The goal is a Low energy Threshold (LT):

$$\min_{\text{DAC, Ib}} \left(E_{th}(\text{DAC, Ib}) \right)$$

For low E linear: $E = \text{PCE} \cdot U$

$$\min_{\text{DAC, Ib}} \left(\text{PCE} \cdot U_{th}(\text{DAC, Ib}) \right)$$

Threshold is a multiple of the resolution

$$\min \left(6.5 \text{ PCE} \cdot \text{RMS} \right)$$

PCE = E/U

$$\min \left(6.5 \frac{E}{U} \cdot \text{RMS} \right)$$

Estimate the things with test pulses

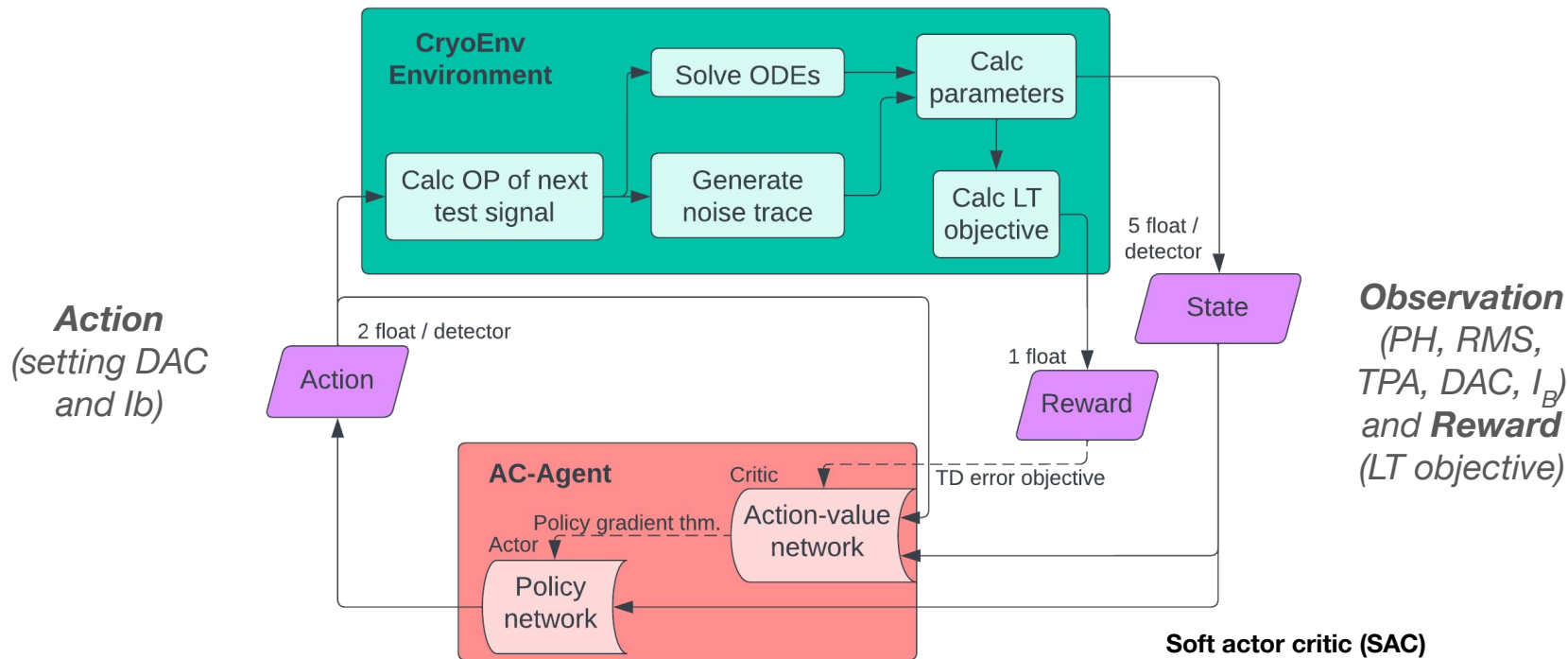
$$\min \left(6.5 \frac{\text{CPE} \cdot \text{TPA}}{\text{PH}} \cdot \text{RMS} \right)$$

Neglect all constants, leads to ...

$$\text{Loss} \quad \min \left(\frac{\text{TPA}}{\text{PH}} \cdot \text{RMS} \right)$$

$$\text{Reward} \quad \max \left(- \frac{\text{TPA}}{\text{PH}} \cdot \text{RMS} \right)$$

Training a SAC agent on CryoEnv



Soft actor critic (SAC)

<https://arxiv.org/abs/1801.01290v2>

Stable baselines 3 implementation

<https://jmlr.org/papers/volume22/20-1364/20-1364.pdf>

Conclusion, outlook and thanks a lot!

- Our approach requires **less measurement time** than the standard approach, **no manual interventions**, optimizes directly the **sensitivity**, and is **scalable** to multi-detector setups.
- First **runs in a live measurement environment** are planned for later this year - stay tuned!

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No sparrows or dragons were harmed during the making of these slides.