

# **The Federation**

A novel machine learning technique applied on data from the Higgs Boson Machine Learning Challenge

Maximilian Mucha, Eckhard von Törne

October 25, 2022

ACAT 2022, Bari



### Data analysis in High Energy Physics

- Large datasets are typical in HEP
  - $\Rightarrow~$  Because of resource constraints, often only a subset of data is used
- Background dominated data  $\Rightarrow$  Imbalanced data
- Complex data
  - $\Rightarrow$  Undefined values
  - $\Rightarrow$  Categorical values

**Problem:** Training a model on a large dataset can take a lot of computing time and resources. How can this be mitigated?

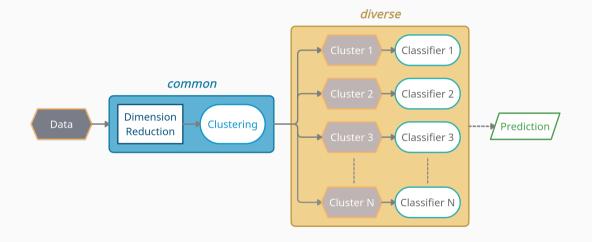
Idea: 1. Split data into smaller subsets and for each subset train a model.2. Predict by using the ensemble of models

Issue: But how to split the data wisely and how to predict?  $\Rightarrow$  Federation

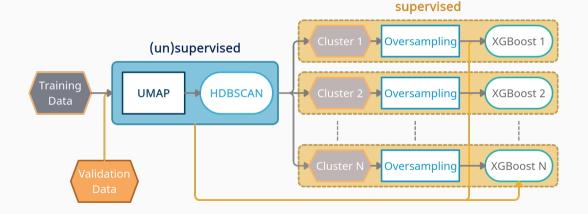
#### Definition

"federation, the government of a federal community. In such a model there are two levels of government, one dealing with the <u>common</u> and the other with the territorially <u>diverse</u>." https://www.britannica.com/topic/federation

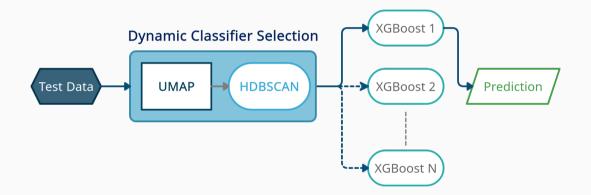
### **Federation – Concept**



### **Federation – Training**



### **Federation – Predicting**

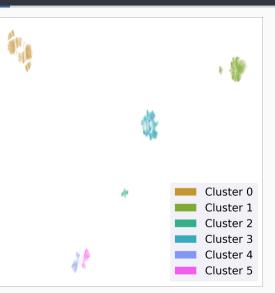


- Openly available dataset<sup>1</sup> from ATLAS
- Simulated H 
  ightarrow au au signal and background events at  $\sqrt{s} = 13 \, {
  m TeV}$
- Developed for the Kaggle Higgs Boson Challenge<sup>2</sup>
- Total of 30 features (some have undefined values)
  - $\rightarrow$  17 kinematic features (including categorical: *PRI\_jet\_num*)
  - ightarrow 13 derived features
- Imbalance Ratio of IR pprox 1.92 (IR  $= rac{N_{
  m sig}}{N_{
  m bkr}}$ )
- 4 Subsets: training (250 000), validation (100 000), testing (450 000), unused (18 238)

<sup>&</sup>lt;sup>1</sup>https://opendata.cern.ch/record/328
<sup>2</sup>https://www.kaggle.com/c/higgs-boson

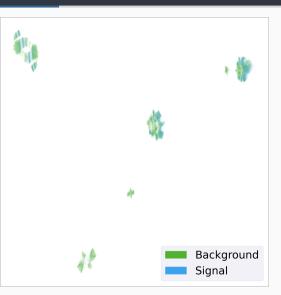
### Federation – Visualization

- UMAP [1] reduces dimensions of training data from 30D to 2D
- HDBSCAN [2] finds 6 cluster in the 2D UMAP embedding
  - $\Rightarrow$  6 independent classifiers (federation members) are constructed



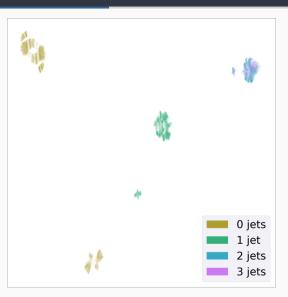
### Federation – Visualization

- In some clusters, the majority of data points are background events
  - $\Rightarrow$  Oversampling is needed
- Cluster 0 has "signal bands" in local structure



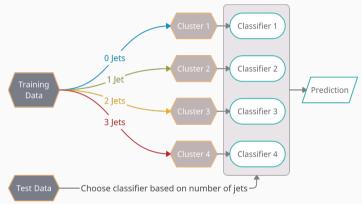
### Federation – Visualization

 Global topology of the 2D-embedding is highly influenced by the number of jets feature



# Baseline – Hand made clustering

- Clustering causes loss of statistics
  - ⇒ Performance of cluster based classifier degrades
- For a fair comparison, we chose as baseline a similar (feature driven) clustering
  - $\Rightarrow$  Clusters based on number of jets



## **Performance evaluation**

#### **Figure of merit**

- The evaluation metric from the Kaggle Higgs Bososn Challenge is used
  - $\Rightarrow$  Approximate Median Significance (AMS)
- Predictions are sorted after the highest probability
- Only the N top predictions are marked as signal predictions

#### Finding the right threshold

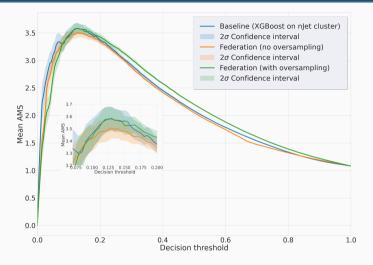
- Threshold scan on validation data
- Threshold with the highest AMS is used for the test data

### Performance comparison

| Method                          | Mean AMS $\pm$ Std | @Threshold |
|---------------------------------|--------------------|------------|
| Single classifier               | $3.628\pm0.036$    | 0.160      |
| Baseline (n-Jet clusters)       | $3.395\pm0.067$    | 0.090      |
| Federation (no oversampling)    | $3.480\pm0.037$    | 0.145      |
| Federation (with oversampling)  | $3.564\pm0.041$    | 0.145      |
| Kaggle Challenge Submissions    | AMS                |            |
| Winner (Gábor Melis)            | 3.80581            |            |
| Place 6 (Crowwork with XGBoost) | 3.71885            |            |

Bootstraped results (N = 1000) of test data

### **Federation – Performance plot**



Mean bootstrapped (N = 1000) AMS of test data against decision threshold

- UMAP and HDBSCAN are the core of the Federation
  - $\Rightarrow$  Creation of Federation members
  - $\Rightarrow$  Used for Dynamic Classification Selection
- Oversampling the training data of the Federation members improves performance
- The training and predicting of the Federation members can be parallelized
- The Federation surpasses a comparable n-Jet based clustering approach

# Thank you for listening!

- Tim Sainburg, Leland McInnes, and Timothy Q. Gentner. "Parametric UMAP: learning embeddings with deep neural networks for representation and semi-supervised learning". In: ArXiv e-prints (2020). arXiv: 2009.12981 [stat.ML].
- [2] Leland McInnes, John Healy, and Steve Astels. "hdbscan: Hierarchical density based clustering". In: The Journal of Open Source Software 2.11 (2017), p. 205.
- [3] Leland McInnes et al. "UMAP: Uniform Manifold Approximation and Projection". In: The Journal of Open Source Software 3.29 (2018), p. 861.
- [4] Haibo He and Edwardo A. Garcia. "Learning from Imbalanced Data". In: IEEE Transactions on Knowledge and Data Engineering 21.9 (2009), pp. 1263–1284. DOI: 10.1109/TKDE.2008.239.
- [5] György Kovács. "An empirical comparison and evaluation of minority oversampling techniques on a large number of imbalanced datasets". In: Applied Soft Computing 83 (2019). (IF-2019=4.873), p. 105662.
   DOI: 10.1016/j.asoc.2019.105662.
- [6] György Kovács. "smote-variants: a Python Implementation of 85 Minority Oversampling Techniques". In: Neurocomputing 366 (2019). (IF-2019=4.07), pp. 352–354. DOI: 10.1016/j.neucom.2019.06.100.

- Using XGBoost as baseline to compare with previous research
- Parameters based on XGBoost Paper<sup>3</sup>
  - $max_depth = 6$
  - learning rate = 0.1
  - $\mathsf{loss} = \mathsf{AUC}$  of Precision-Recall Curve
  - $\gamma = 0.1$ ,  $\lambda_{reg} = 0$
  - 30 early stopping rounds
- Using validation set for validation

<sup>&</sup>lt;sup>3</sup>PMLR 42:69-80, 2015

### Data Sample – Figure of merit

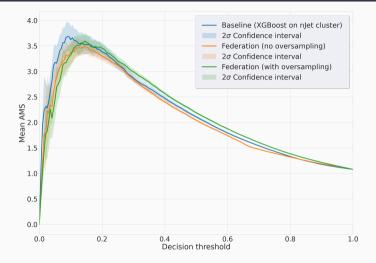
#### Approximate median significance (AMS)

$$\mathsf{AMS} = \sqrt{2\Big((s+b+b_r)\log\Big(1+rac{s}{b+b_r}\Big)-s\Big)}$$

 $b_r = 10$  is a constant regularization term

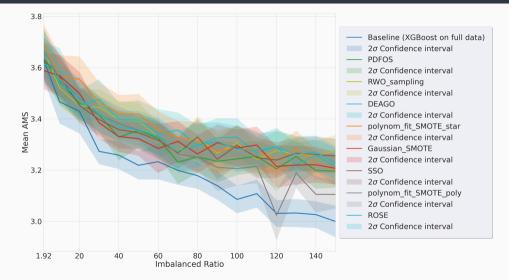
$$s = \sum_{i=1}^{n} w_{i} \mathbb{1}\{y_{i} = s\} \mathbb{1}\{\hat{y}_{i} = s\}$$
$$b = \sum_{i=1}^{n} w_{i} \mathbb{1}\{y_{i} = b\} \mathbb{1}\{\hat{y}_{i} = s\}$$

### **Federation – Performance plot**



Mean bootstrapped (N = 1000) AMS of validation data against decision threshold

### **Oversampler performance comparison**



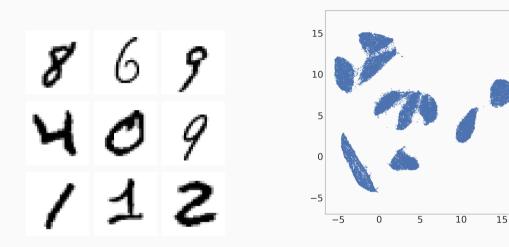
Mean bootstrapped (N = 1000) AMS against IR of training data for best performing oversamplers

### Federation – Oversampler performance comparison

| Method                       | Mean AMS $\pm$ Std | @Threshold |
|------------------------------|--------------------|------------|
| Federation (ROSE)            | $3.564\pm0.041$    | 0.145      |
| Federation (PDFOS)           | $3.554\pm0.040$    | 0.145      |
| Federation (polynom fit)     | $3.530\pm0.034$    | 0.160      |
| Federation (RWO sampling)    | $3.529\pm0.036$    | 0.145      |
| Federation (no oversampling) | $3.480\pm0.037$    | 0.145      |
| Federation (SMOTE)           | $3.451\pm0.038$    | 0.145      |

Bootstraped results (N = 1000) of test data

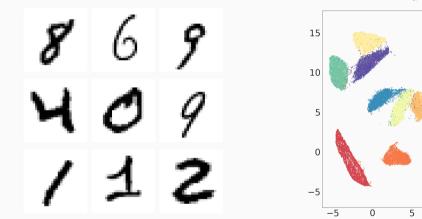
## **UMAP** applied on **MNIST**



Lower dimensional UMAP embedding

Lower dimensional UMAP embedding

### **UMAP** applied on **MNIST**



Lower dimensional UMAP embedding

Lower dimensional UMAP embedding

10

15

d

8

6 5

4