The Dark Side of the Universe DSU 2022 8 December 2022

Probing interacting Dark Energy models and scattering of baryons with Dark Matter in the light of 21cm signal

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Plan of Talk

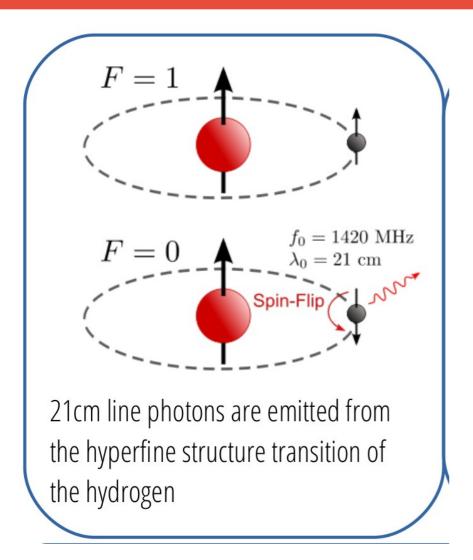
Objective or Motivation

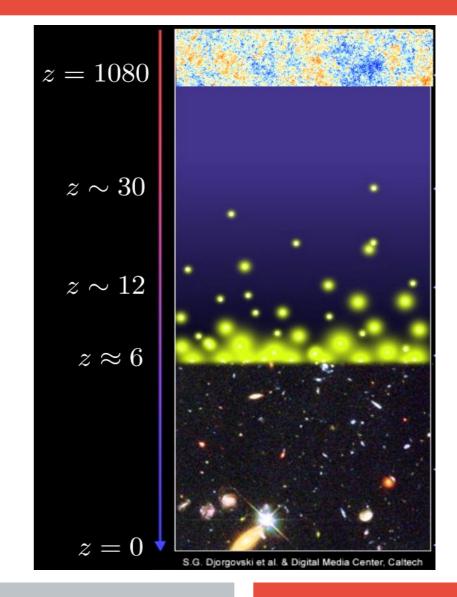
Formalism

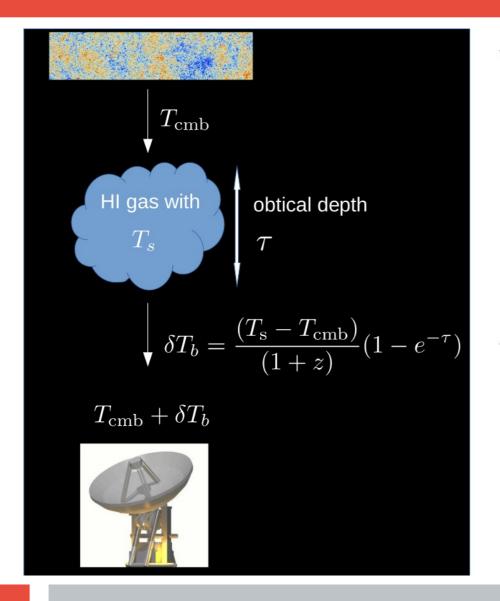
Results

Conclusion and take home messages

21cm Line and Cosmic Dawn







we observe 21cm line with CMB as background light

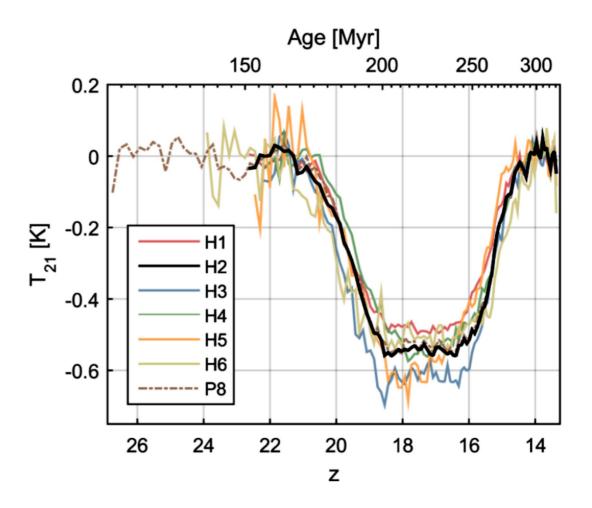
$${
m if} \; T_s > T_{
m cmb} \;\;\;\;\; {
m emission}$$
 ${
m if} \; T_s < T_{
m cmb} \;\;\;\;\; {
m absorption}$

Because it is a line, we can observe the universe at each redshift

redshift	λ	ν
0	21cm	1420MHz
9	2.1 m	142MHz
19	4.2 m	71MHz

Problems in EDGES Results

Large absorption feature than expected from Λ CDM



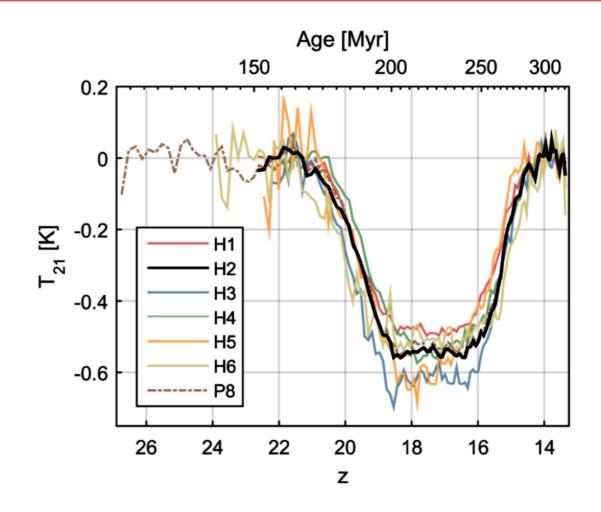
Doi:10.1038/nature25792

Problems in EDGES Results

Large absorption feature than expected from Λ CDM

OIII ACDM

Smaller spin temperature, larger background temperature, larger optical depth



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Problems in EDGES Results

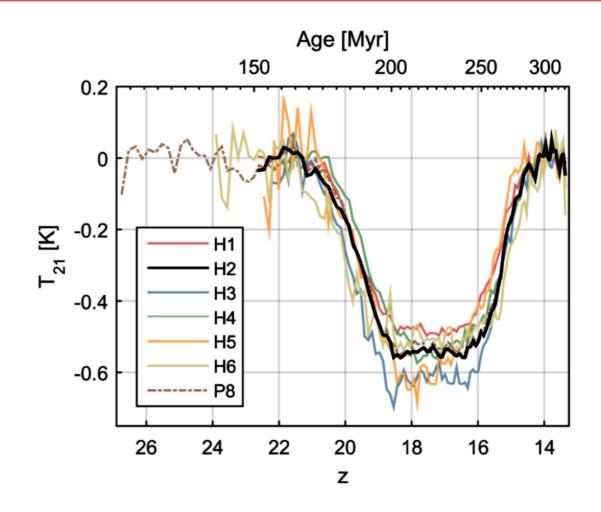
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Dark Energy-Dark Matter Interaction

Dark Matter-Baryon Interaction

Constraints on model parameters



Doi:10.1038/nature25792

Effects of the Interactions Between DM and Baryon Fluid

- There is a temperature difference as well as velocity difference between the DM and baryon fluid.
- The interactions between two fluids of different temperature will heat up the colder fluid and cool down the warmer one. Also for the different velocities, a heating term can arise.

$$\frac{dQ_b}{dt} = \frac{2m_b \rho_{\chi} \sigma_0 e^{-r^2/2} (T_{\chi} - T_b)}{(m_{\chi} + m_b)^2 \sqrt{2\pi} u_{\text{th}}^3} + \frac{\rho_{\chi}}{\rho_m} \frac{m_{\chi} m_b}{m_{\chi} + m_b} V_{\chi b} D(V_{\chi b})$$

The dragging term to damp the relative velocity

$$D(V_{\chi b}) \equiv -\frac{dV_{\chi b}}{dt} = \frac{\rho_m \sigma_0}{m_b + m_\chi} \frac{1}{V_{\chi b}^2} F(r)$$

$$F(r) \equiv \operatorname{erf}(\frac{r}{\sqrt{2}}) - \sqrt{\frac{2}{\pi}} e^{-r^2/2} r$$

$$r \propto V_{\chi b}$$

J. B. Munoz, et.al, Phys. Rev. D 92, 083528 (2015).

Effects of Interactions Between DM and DE on 21cm Absorption Line

 Considering the interactions between DM and DE, the continuity equations are given as

$$(1+z)H(z)\frac{d\rho_{\chi}}{dz} - 3H(z)\rho_{\chi} = -Q ,$$

$$(1+z)H(z)\frac{d\rho_{de}}{dz} - 3H(z)(1+\omega)\rho_{de} = Q$$

Modification of the evolution of the Universe due to this interaction

$$H(z) \neq H_0 \sqrt{\Omega_{m0}(1+z)^3 + \Omega_{de0}(1+z)^{3(1+\omega)}}$$

It will modify the optical depth

$$\tau = \frac{3}{32\pi} \frac{T_*}{T_s} n_{\rm HI} \lambda_{21}^3 \frac{A_{10}}{H(z)}$$

DM-DE interaction (contd.)

Three phenomenological models of this interaction are

$$M-I$$
 Q=3 $\lambda H(z)\rho_{\rm de}$,
 $M-II$ Q=3 $\lambda H(z)\rho_{\chi}$,
 $M-III$ Q=3 $\lambda H(z)(\rho_{\rm de}+\rho_{\chi})$

Experimental constraints on these models

Model	ω	λ	H_0
$3\lambda H \rho_{ m de}$	$-0.9191^{+0.0222}_{-0.0839}$	$-0.1107^{+0.085}_{-0.0506}$	$68.18^{+1.43}_{-1.44}$
$3\lambda H \rho_{ m de}$	$-1.088^{+0.0651}_{-0.0448}$	$0.05219^{+0.0349}_{-0.0355}$	$68.35^{+1.47}_{-1.46}$
$3\lambda H \rho_{\chi}$	$-1.1041^{+0.0467}_{-0.0292}$	$0.0007127^{+0.000256}_{-0.000633}$	$68.91^{+0.875}_{-0.997}$
$3\lambda H(ho_{ m de}+ ho_\chi)$	$-1.105^{+0.0468}_{-0.0288}$	$0.000735^{+0.000254}_{-0.000679}$	$68.88^{+0.854}_{-0.97}$

C. Li, et.al, Phys. Lett. B801 (2020) 135141.

 We will investigate that whether a IDE model, which is well in agreement with the constraints given from other experiments, could also be consistent in explaining the EDGES results.

Equations to Solve

Temperature evolution of DM

$$\frac{dT_{\chi}}{dz} = \frac{2T_{\chi}}{1+z} - \frac{2\dot{Q}_{\chi}}{3H(1+z)} - \frac{1}{n_{\chi}} \frac{2Q}{3H(1+z)}$$

Temperature evolution of baryon

$$\frac{dT_b}{dz} = \frac{2T_b}{1+z} + \frac{\Gamma_c}{H(1+z)}(T_b - T_\gamma) - \frac{2\dot{Q}_b}{3H(1+z)}$$

Evolution of free electron fraction

$$\frac{dx_e}{dz} = \frac{C_P}{H(1+z)} \left(n_H A_B x_e^2 - 4(1-x_e) B_B e^{\frac{-3E_0}{4T_\gamma}} \right)$$

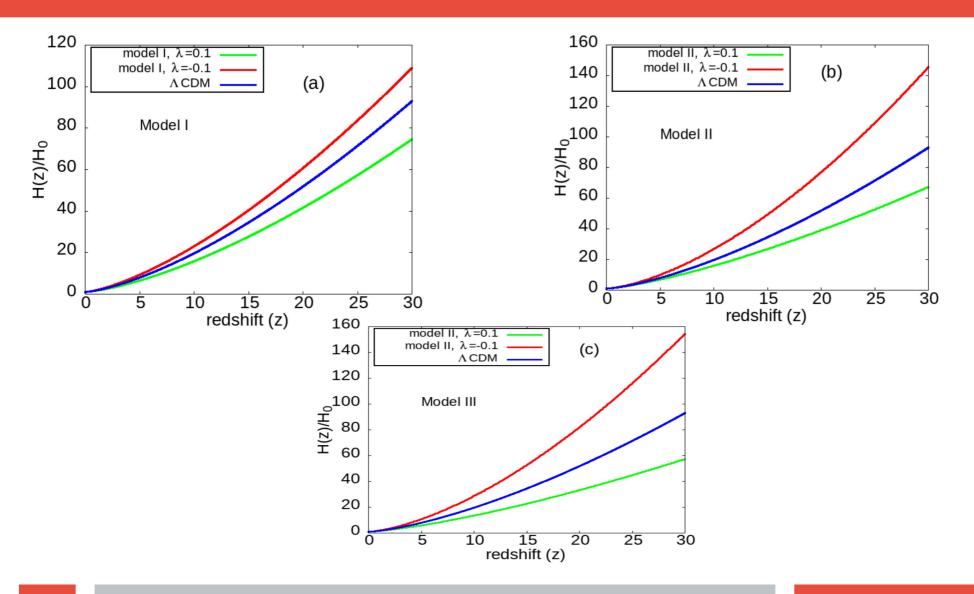
Variation of relative velocity

$$\frac{dV_{\chi b}}{dz} = \frac{V_{\chi b}}{1+z} + \frac{D(V_{\chi b})}{H(1+z)}$$

Brightness temperature of 21 cm line

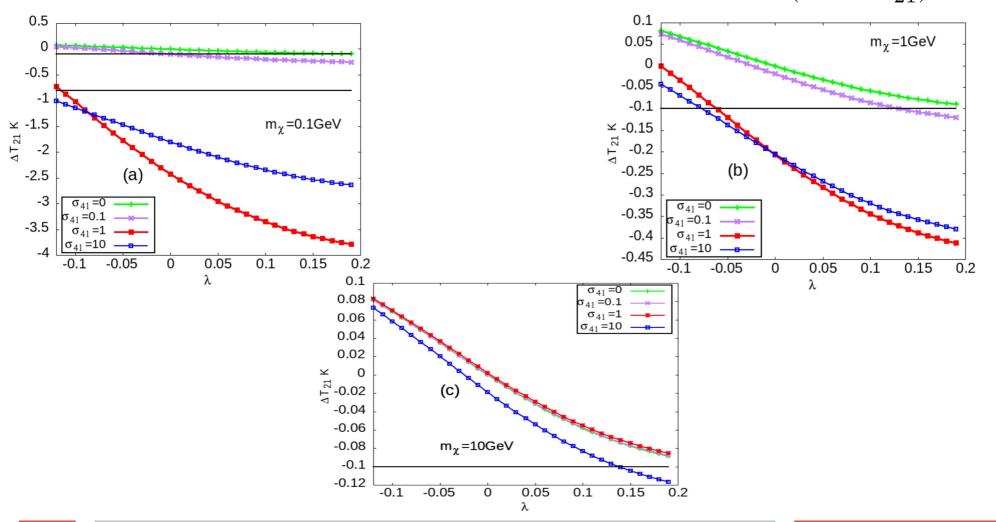
$$T_{21} = \frac{T_s - T_{\gamma}}{1+z} (1 - \exp^{-\tau}) \approx \frac{T_s - T_{\gamma}}{1+z} \tau$$
 $T_b = T_s$

Hubble Parameter



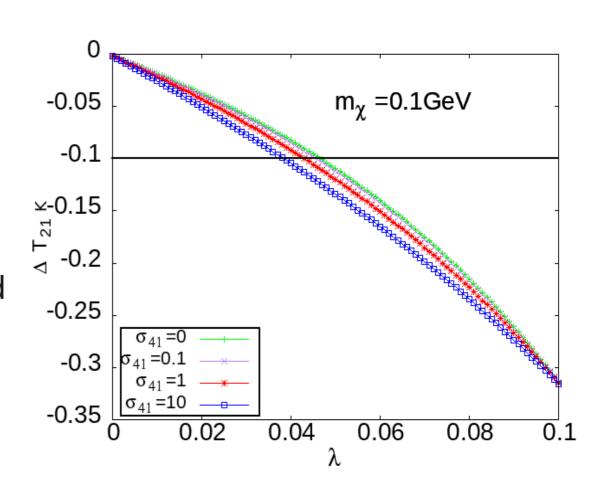
21 cm Brightness Temperature for Model-I for Different Cases

• EDGES limit $-0.1 \text{K} \ge \Delta T_{21} \ge -0.8 \text{K}$, where $\Delta T_{21} = (T_{21} - T_{21}^0)$.

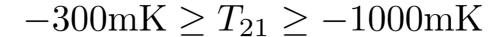


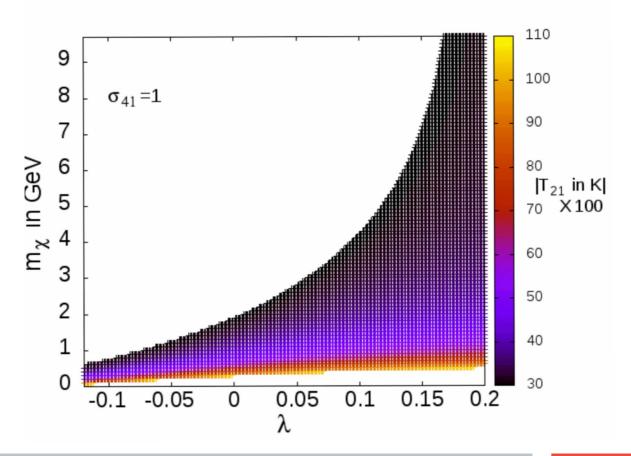
21 cm Brightness Temperature for Model-III for Different Cases

- EDGES observations are satisfied for interaction strength greater or equal to 0.04.
- It is shown from other experiments that λ should not be greater than 0.000989.
- Same conclusions can be obtained for Model-II.



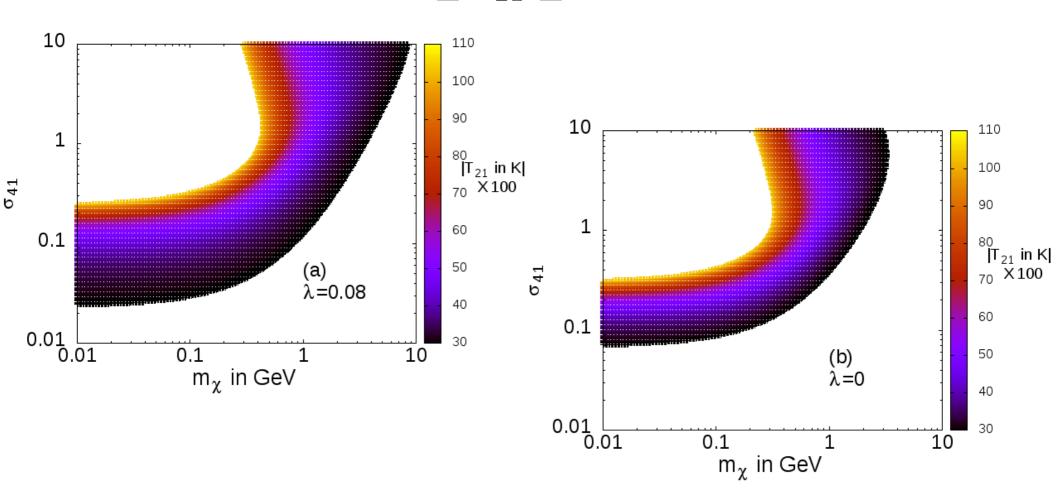
Allowed Parameter Space





Allowed Parameter Space

$$-300 \text{mK} \ge T_{21} \ge -1000 \text{mK}$$



Take Home Comments

 The EDGES experiment has observed an excess trough in the brightness temperature of the 21cm absorption line

Baryons-DM interaction

DM-DE interaction

- Larger DM-baryon interaction cross section, larger DM-DE interaction parameter and smaller DM mass are more favourable to achieve the excess absorption feature.
- When Model-I is considered for DM-DE interaction, EDGES results and other experiment results are well respected but it is not so for other two IDE models.
- DM-DE interaction raises the possibility of probing larger mass ranges of DM that could have influenced the cooling effects.

THANK YOU

Variations of DM Temperature, Baryon Temperature and Ionization Fraction

