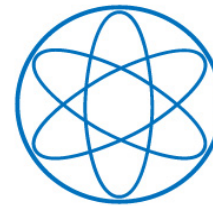


# Observational signals of compact dark stars

Alejandro Ibarra

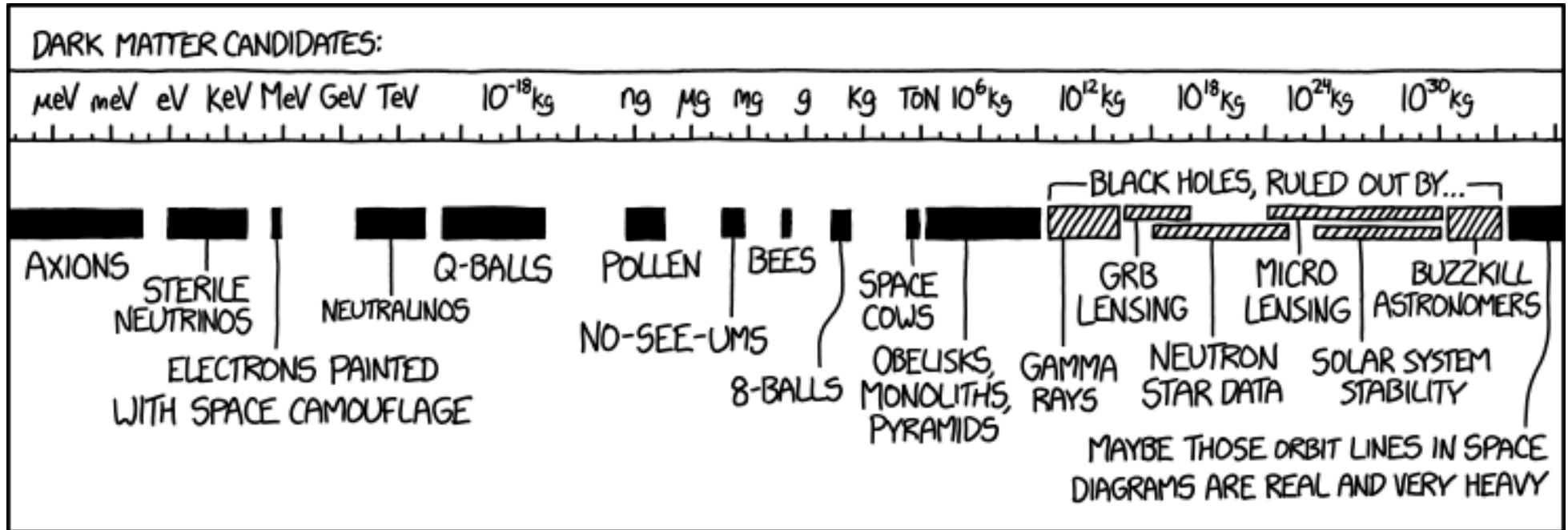


In collaboration with Boris Betancourt, Anja Brenner and Chris Kouvaris. [arXiv: 2211.05845](https://arxiv.org/abs/2211.05845)

DSU, Sydney  
December 2022

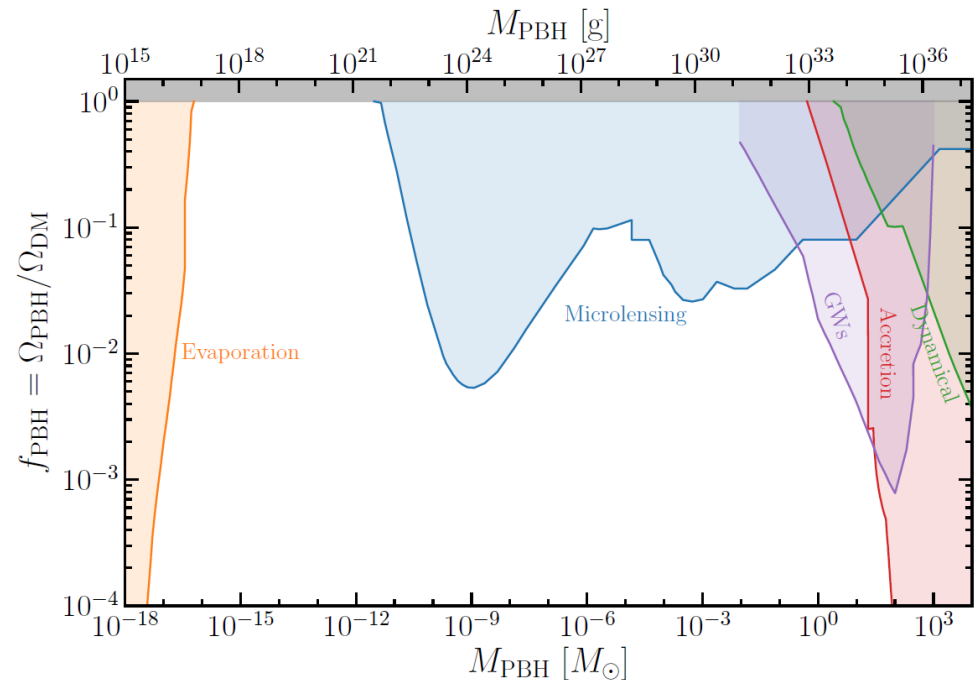
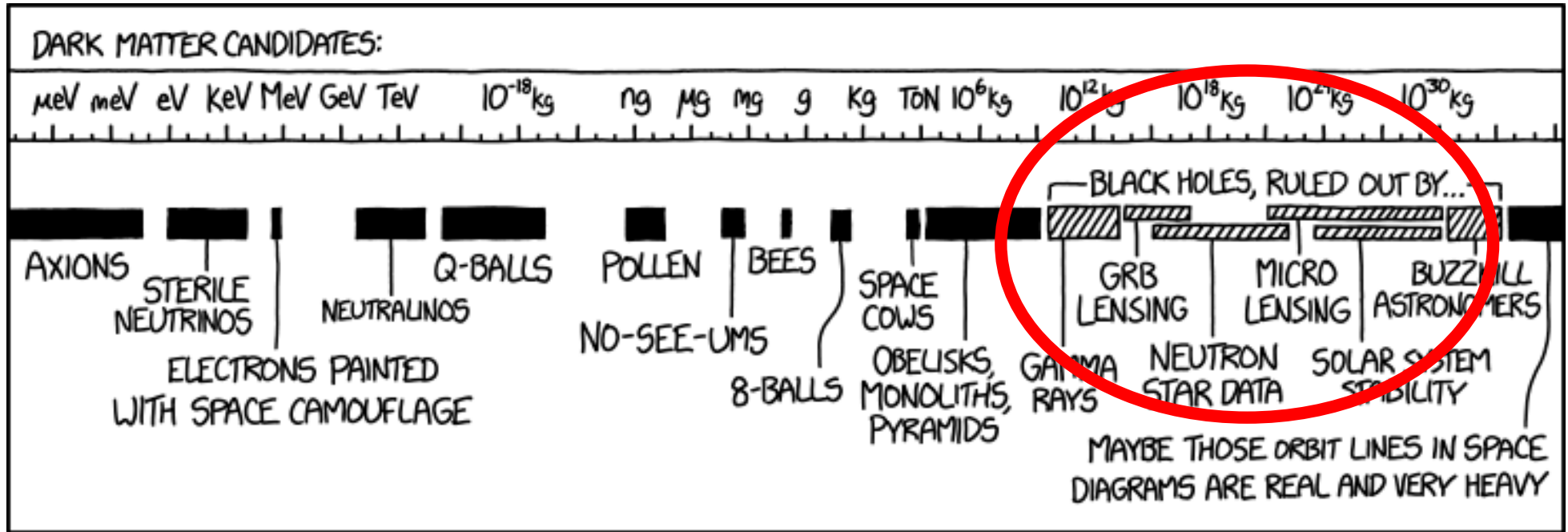
# The dark matter zoo

Explain xkcd



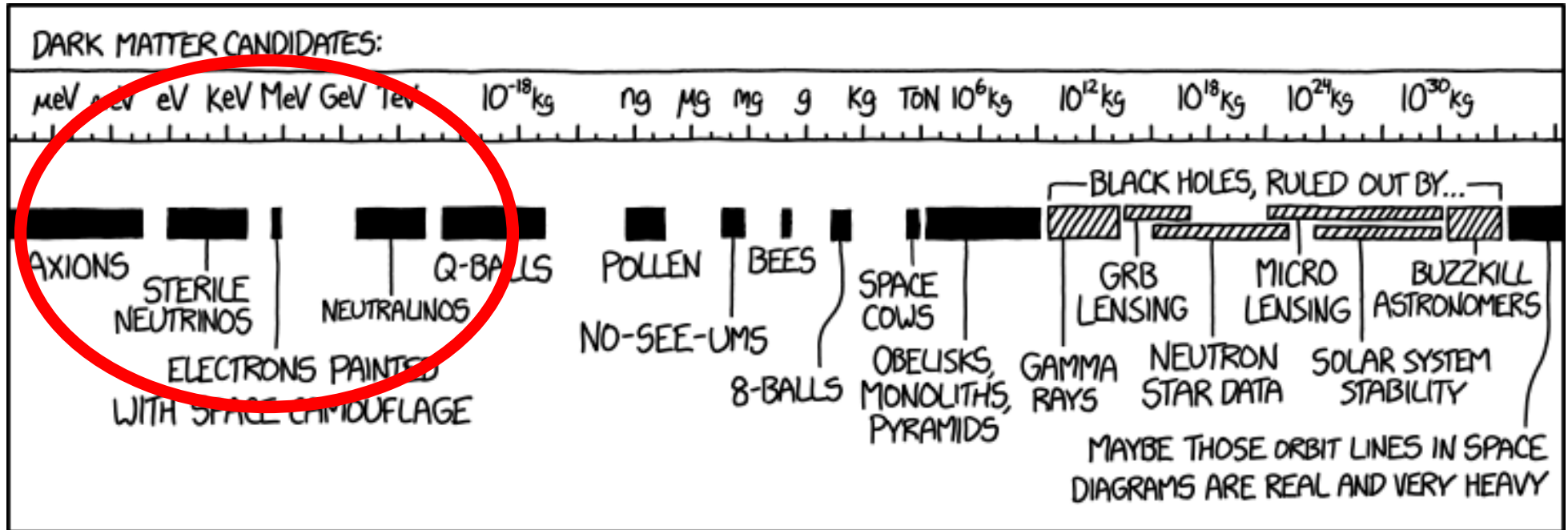
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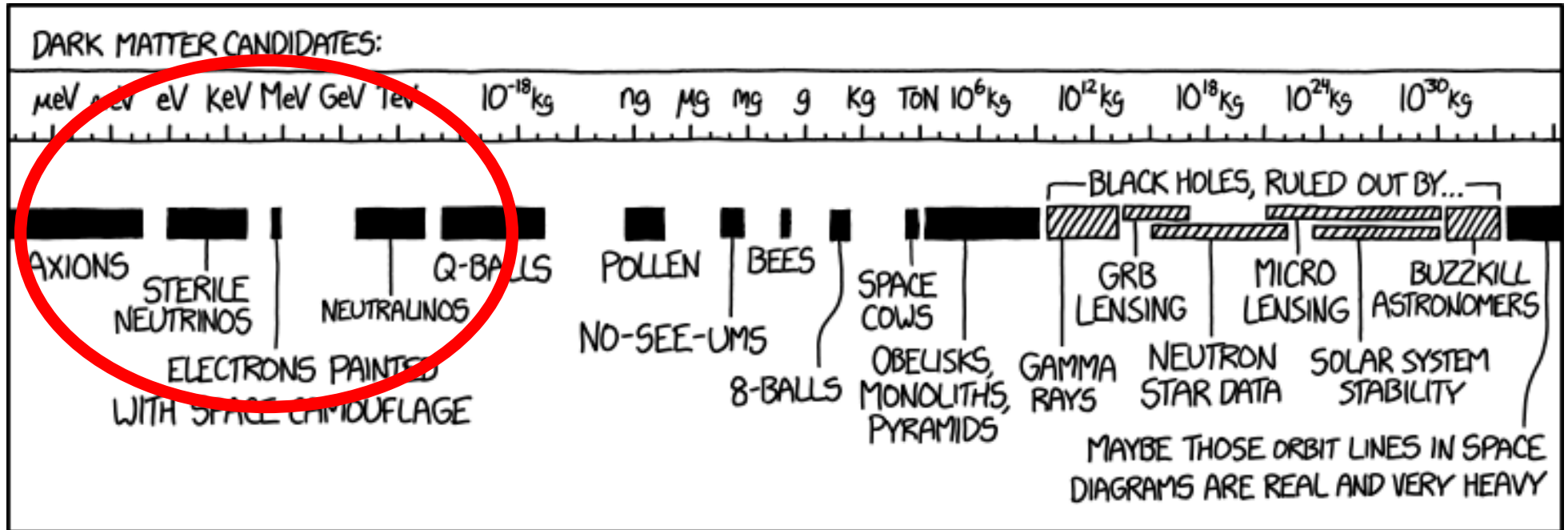
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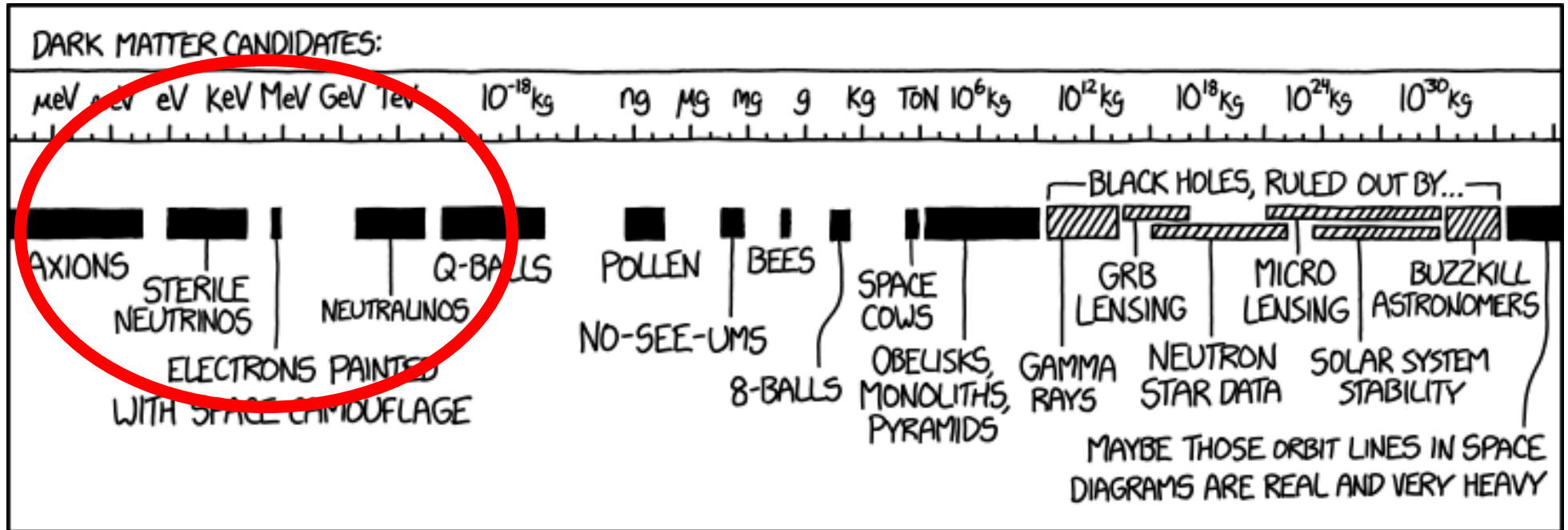
Explain xkcd



→ spin

# The dark matter zoo

Explain xkcd

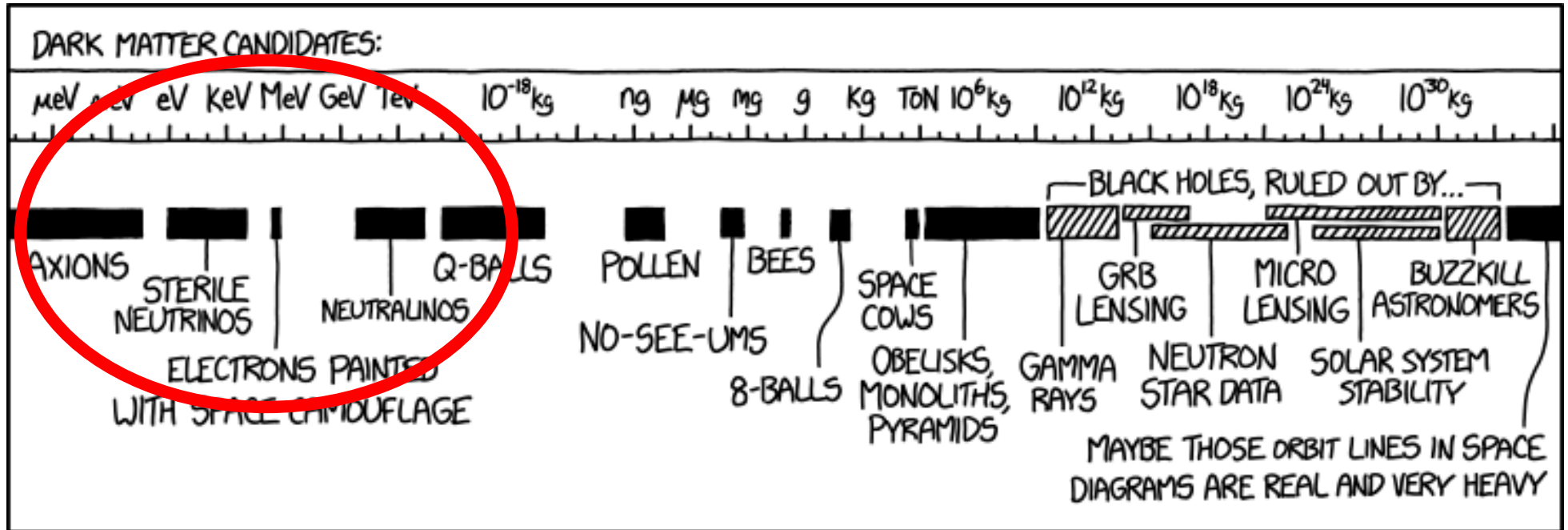


spin

Scattering cross-section to nucleons/electrons

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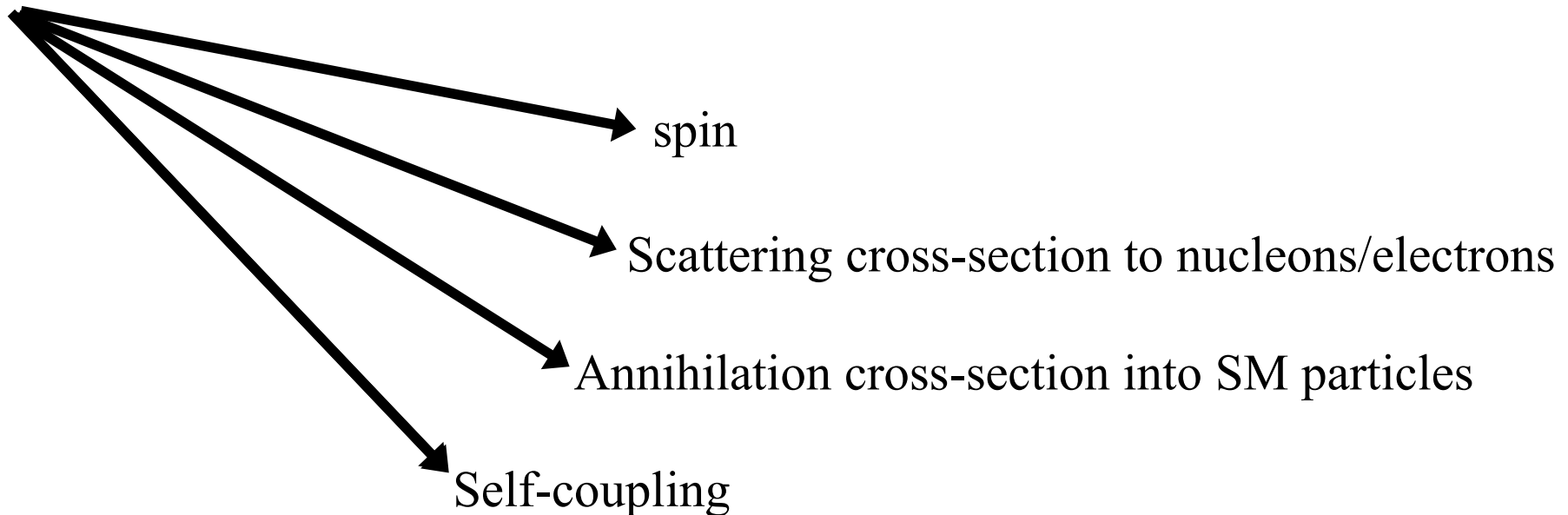
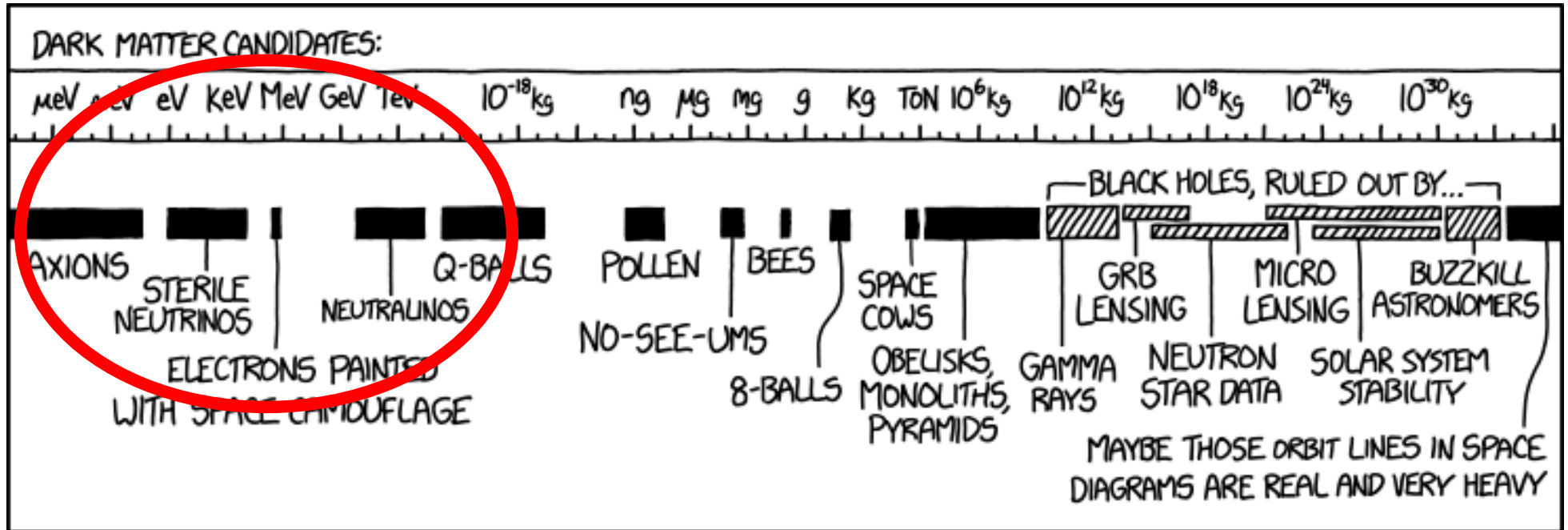
Explain xkcd



- spin
- Scattering cross-section to nucleons/electrons
- Annihilation cross-section into SM particles

# The dark matter zoo

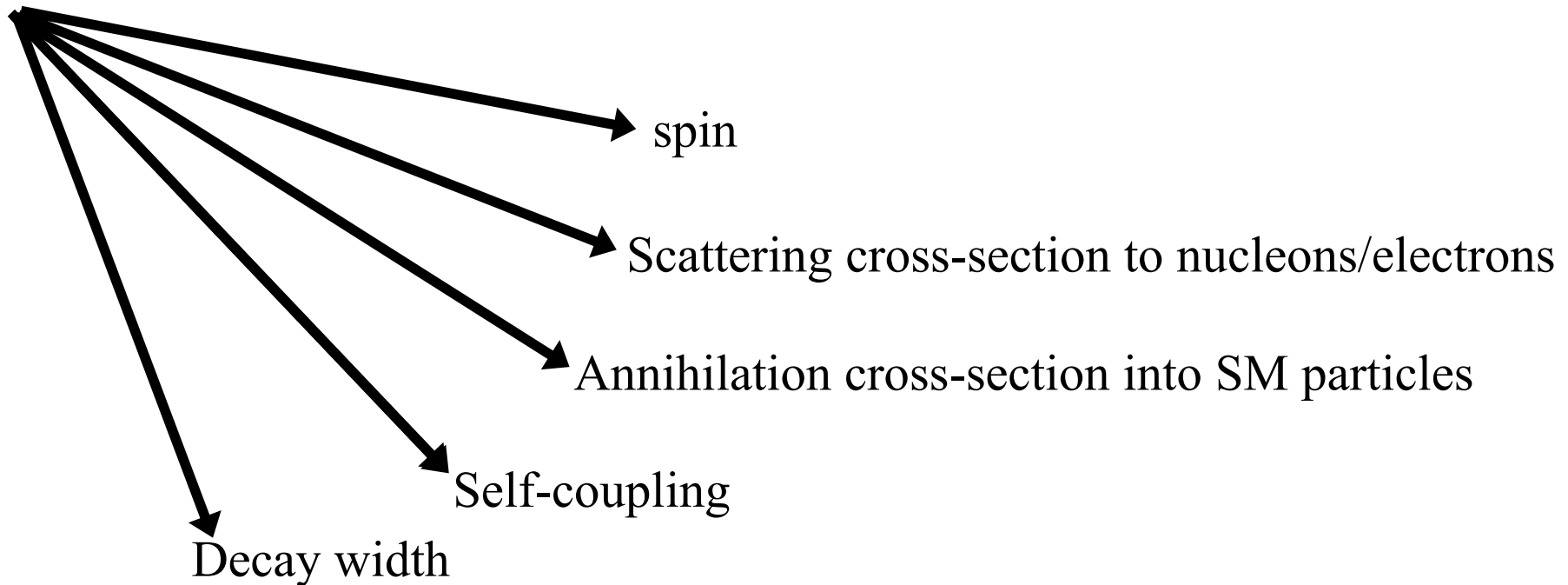
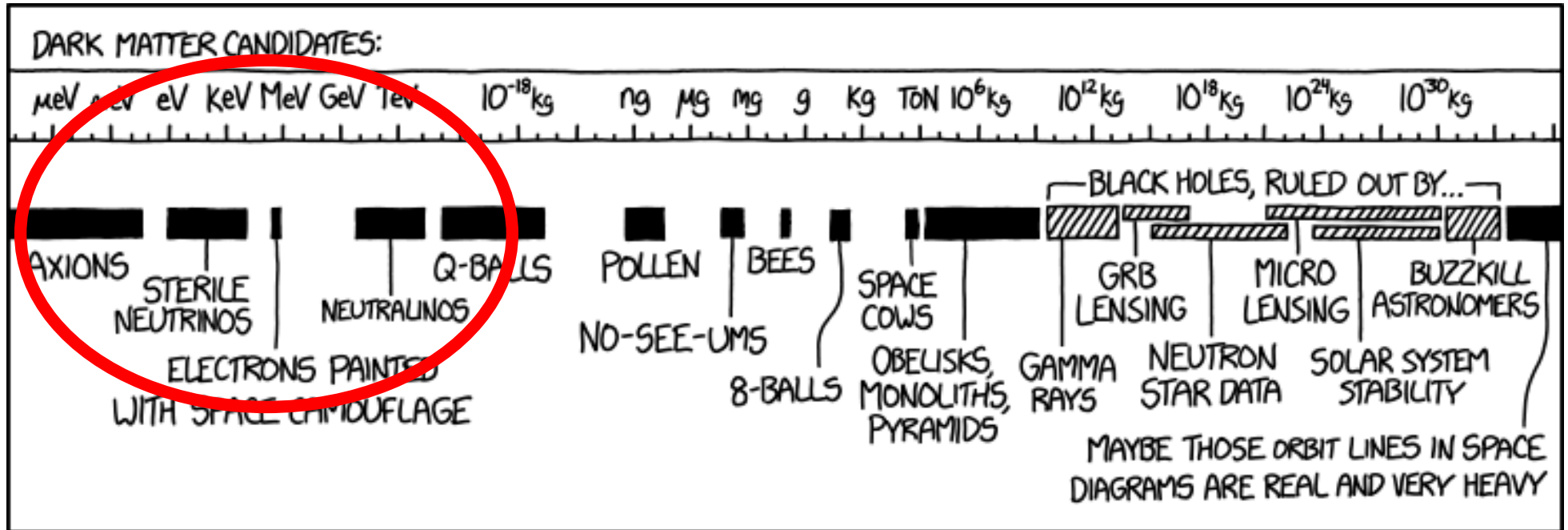
Explain xkcd





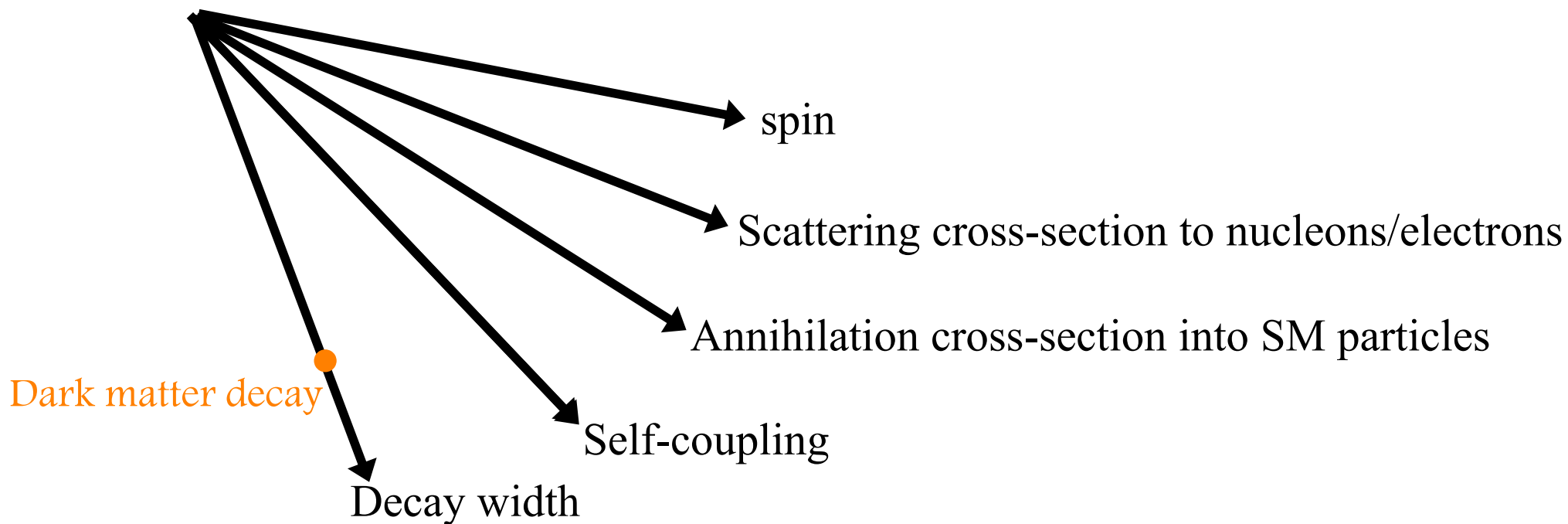
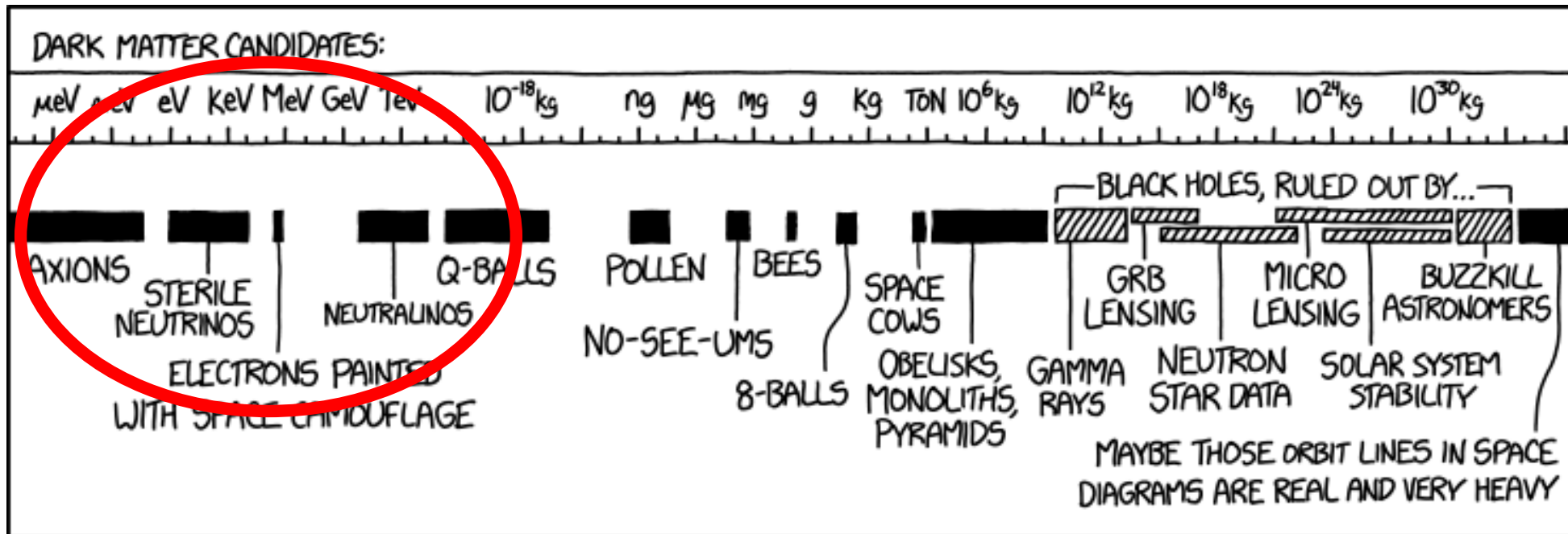
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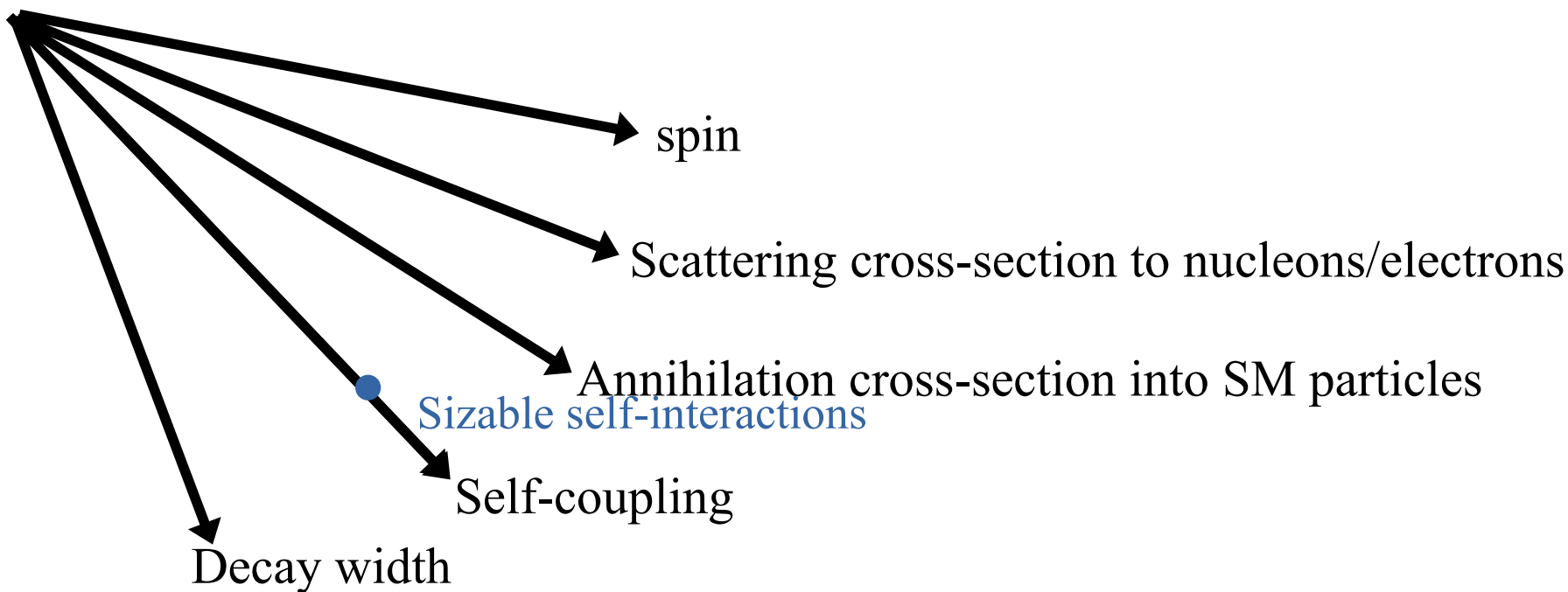
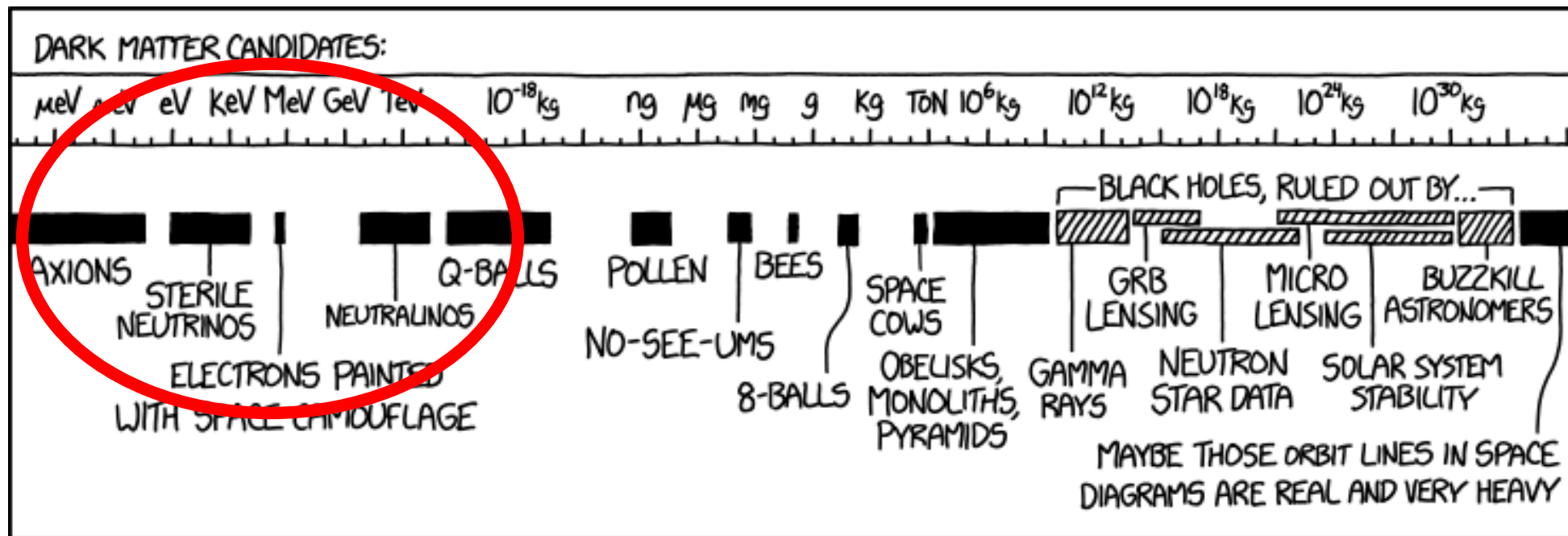
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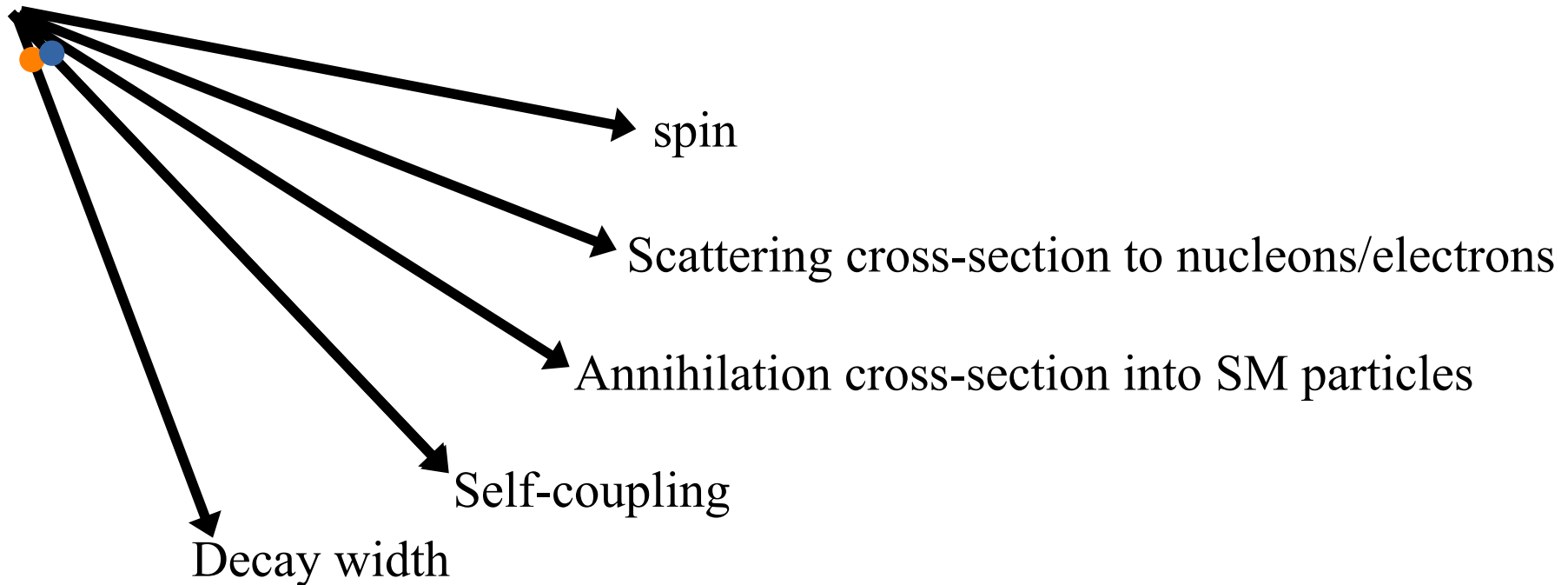
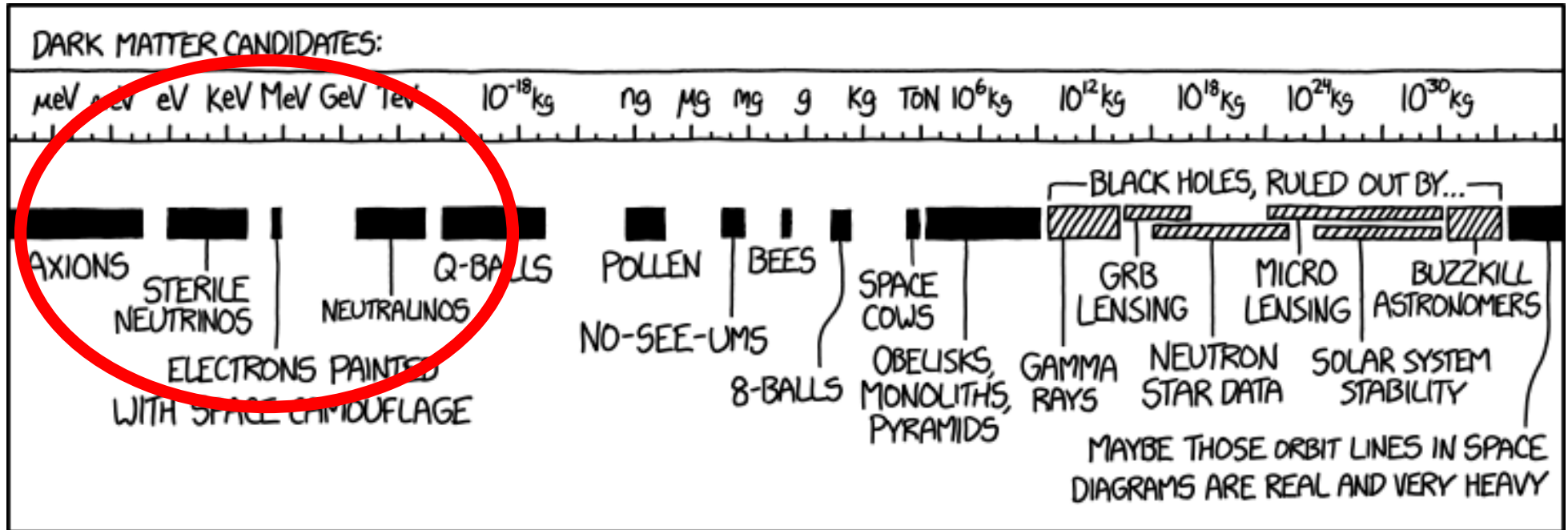
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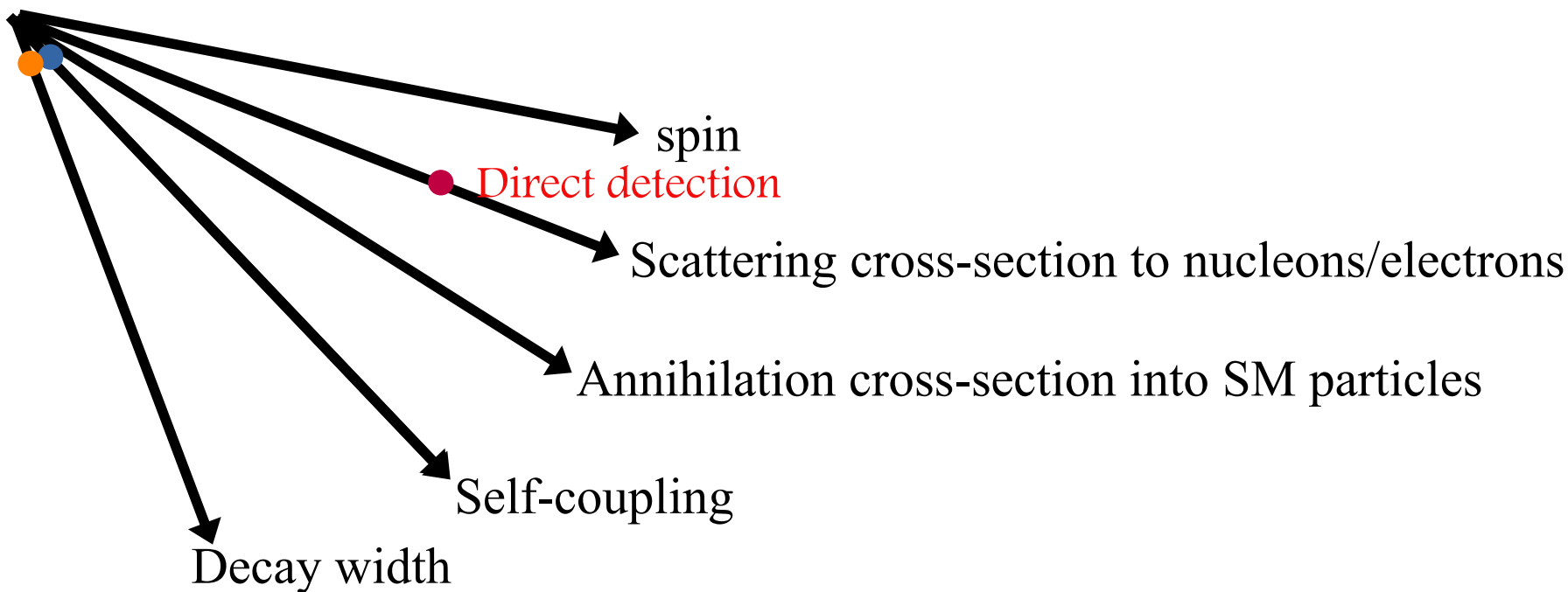
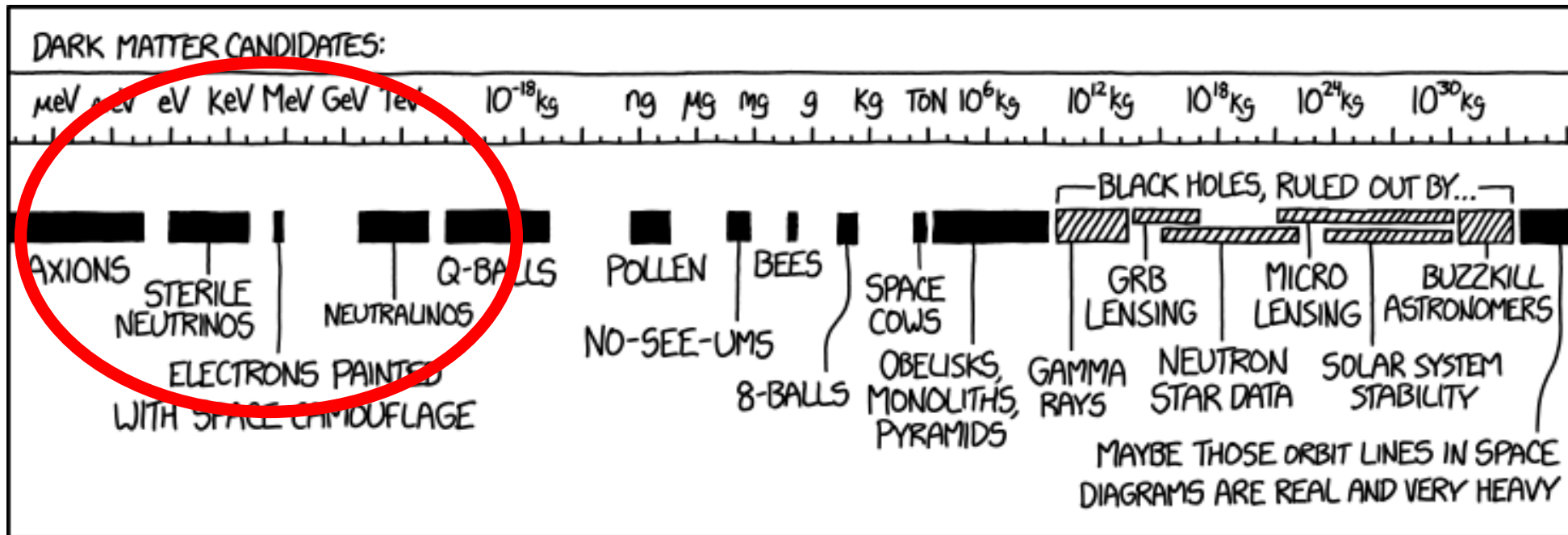
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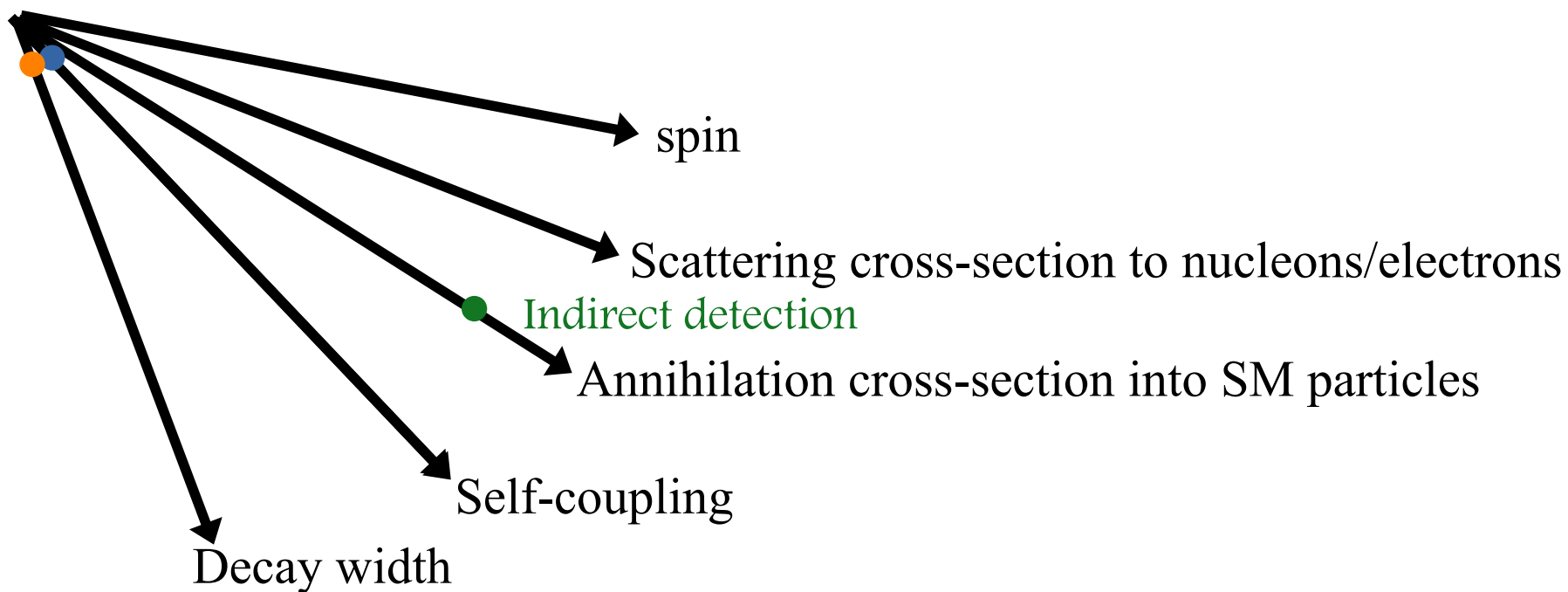
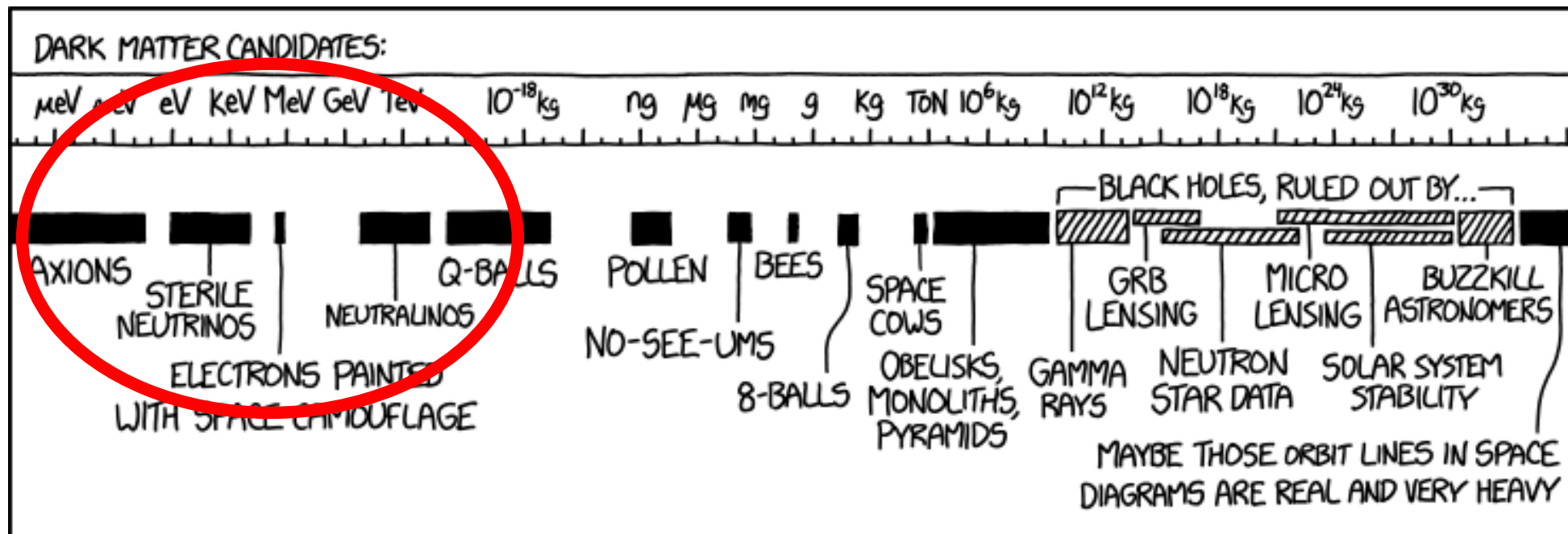
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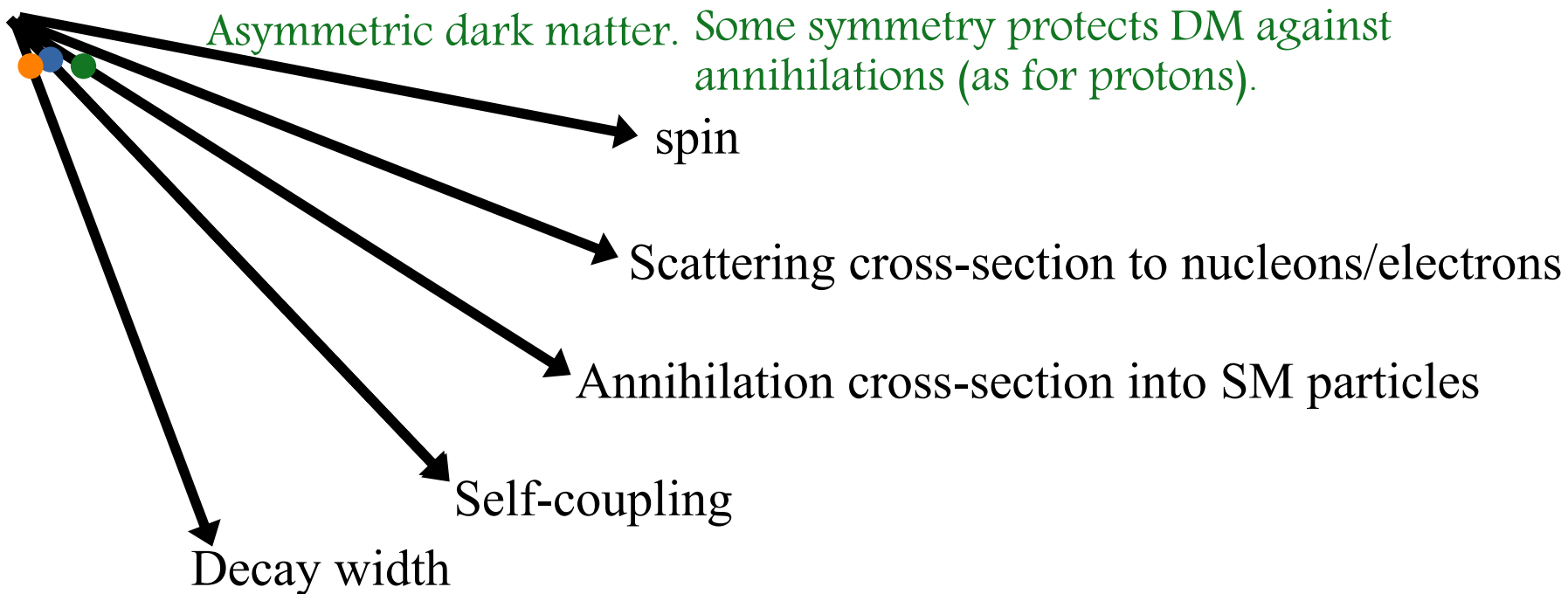
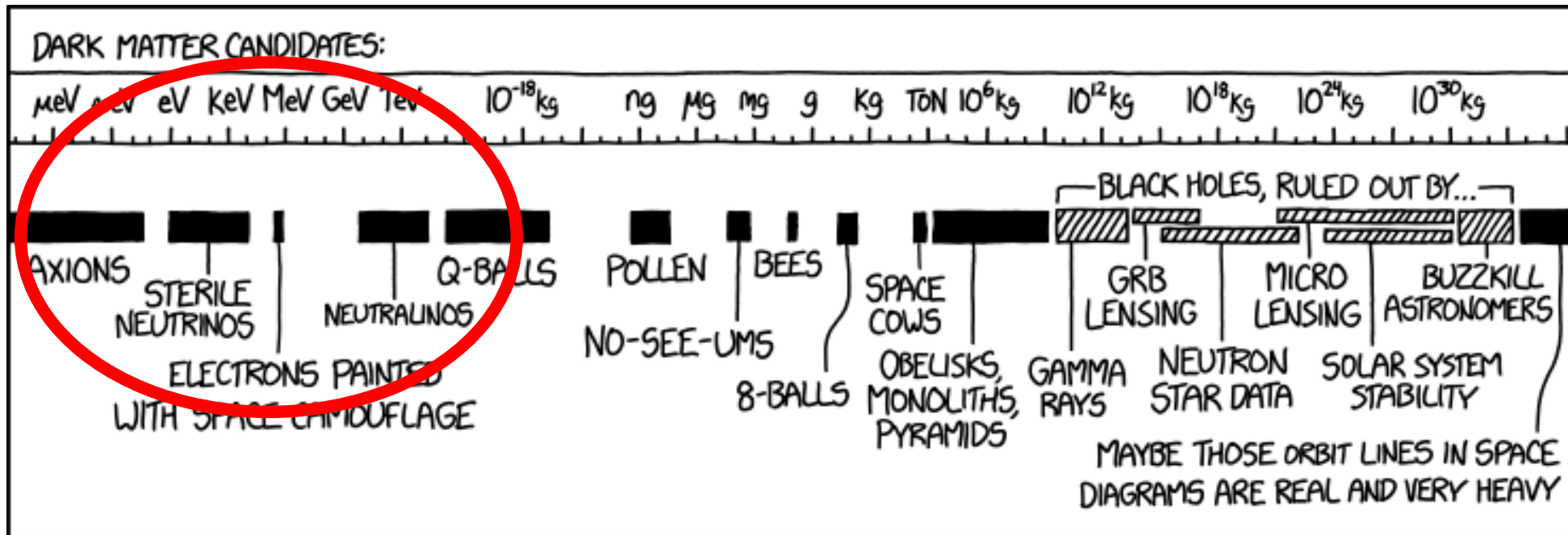
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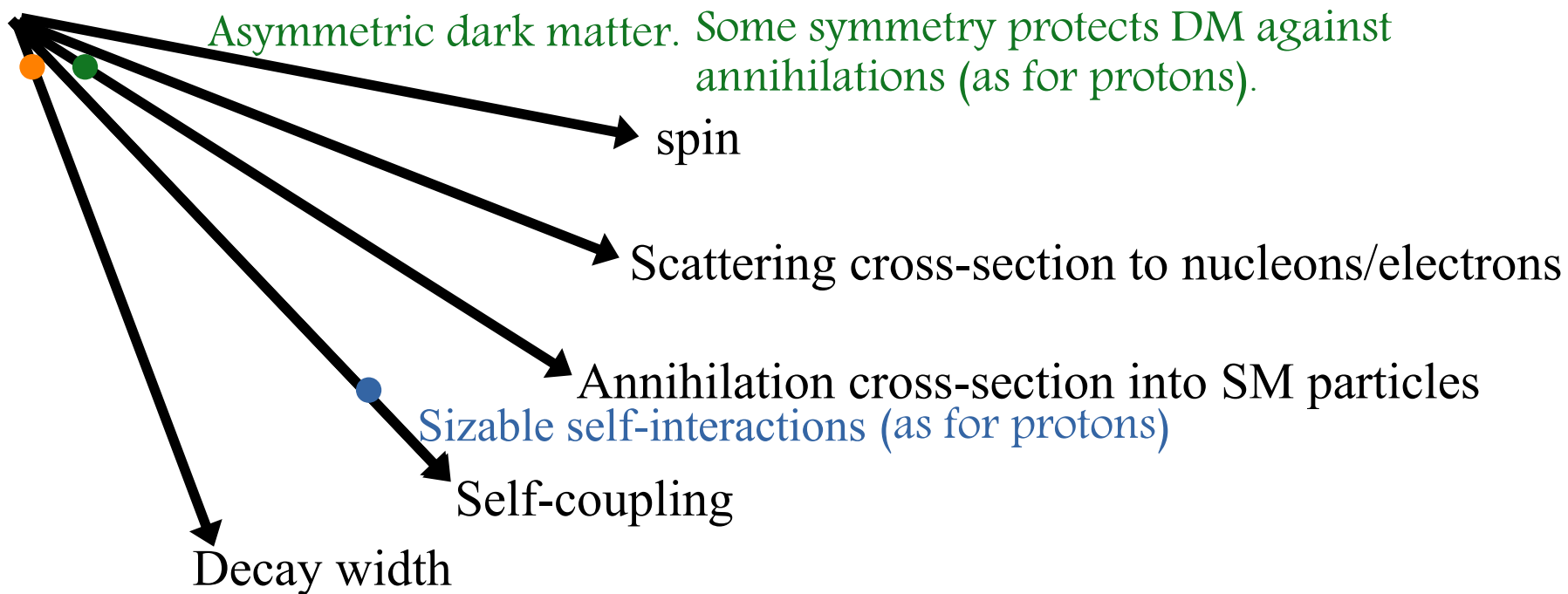
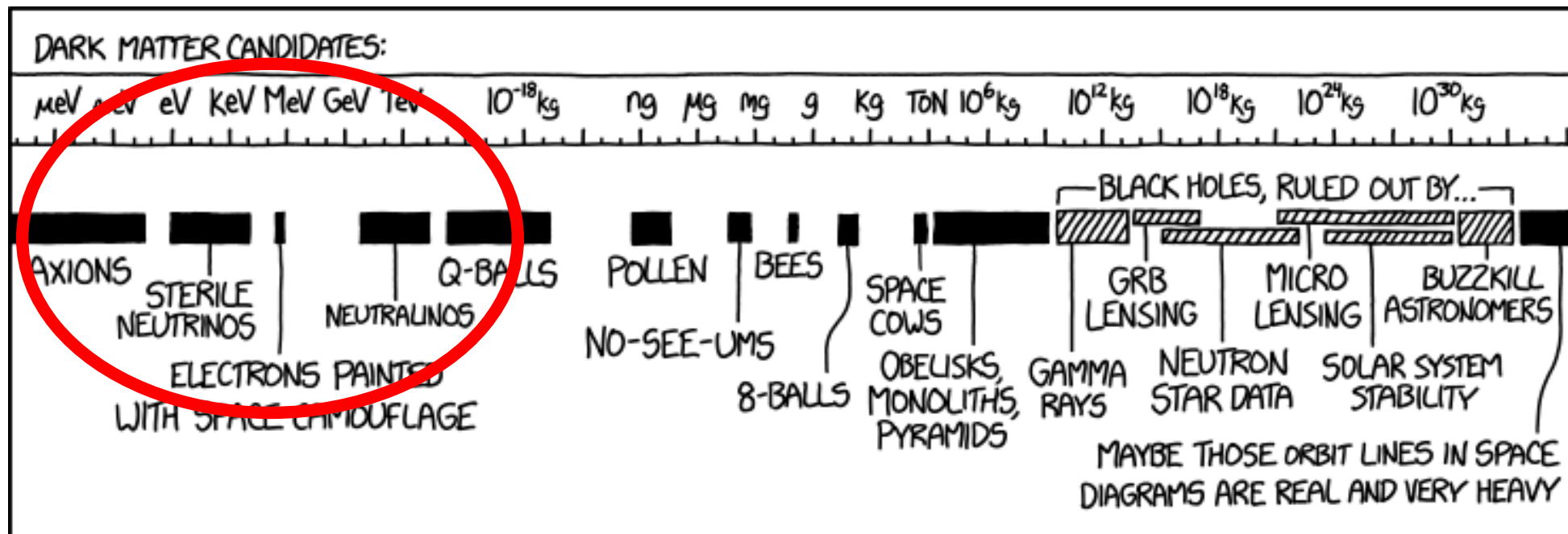
# The dark matter zoo

Explain xkcd



# The dark matter zoo

Explain xkcd





# The dark matter zoo

Protons do not annihilate.

Protons have strong self-interactions

Protons form stars



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Protons do not annihilate.

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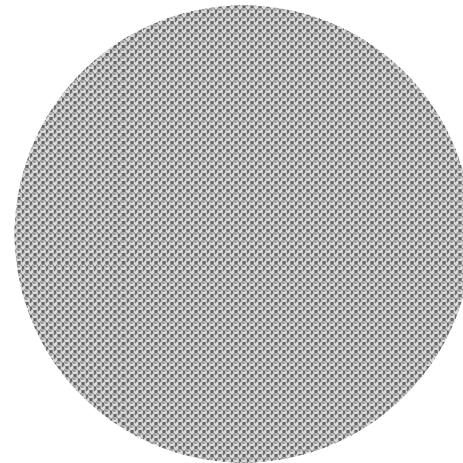


# The dark matter zoo

Protons do not annihilate.  
Protons have strong self-interactions  
Protons form stars



DM does not annihilate.  
DM has strong self-interactions  
DM form dark stars



# The dark matter zoo

Density profile of dark stars calculable from the Klein-Gordon equation in curved spacetime (for bosonic DM) and the Einstein equations:

Colpi et al'86

$$g^{\mu\nu} \nabla_{\mu} \nabla_{\nu} \phi - m^2 \phi - \lambda |\phi|^2 \phi = 0$$

$$R_{\mu\nu} - \frac{1}{2} g_{\mu\nu} R = 8\pi G T_{\mu\nu}$$

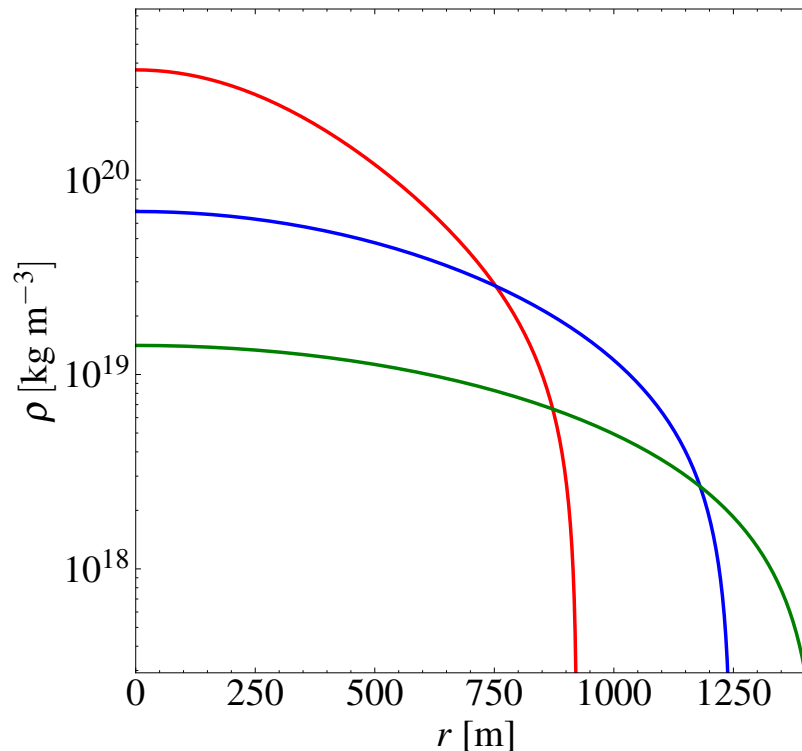
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(For  $m=1$  GeV,  $\lambda=1$ )

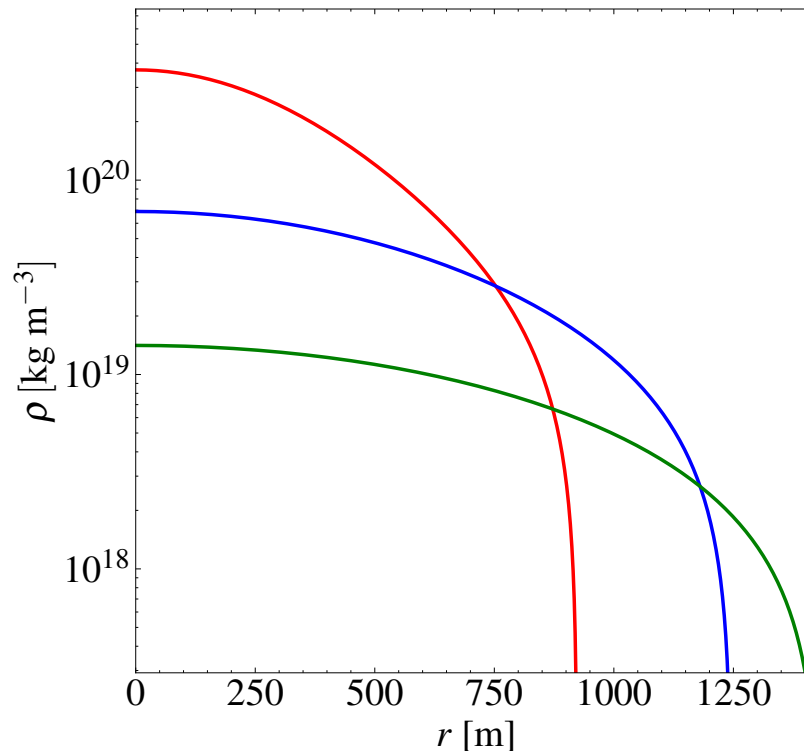
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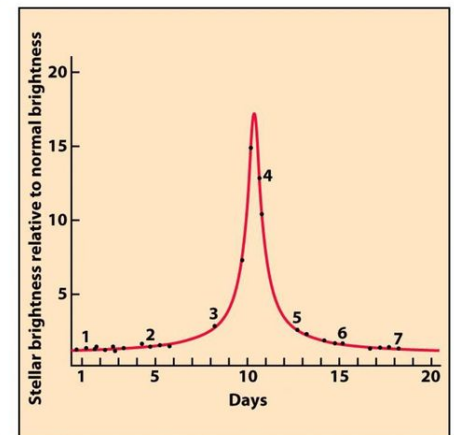
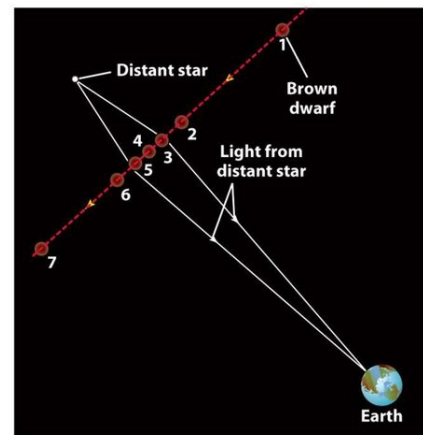
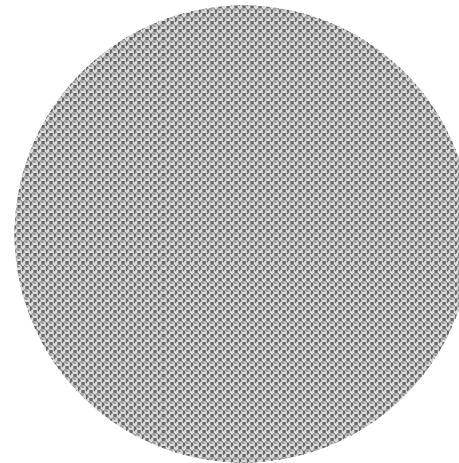
Dark stars are very compact objects

# The dark matter zoo

Protons do not annihilate.  
Protons have strong self-interactions  
Protons form stars



DM does not annihilate.  
DM has strong self-interactions  
DM form dark stars

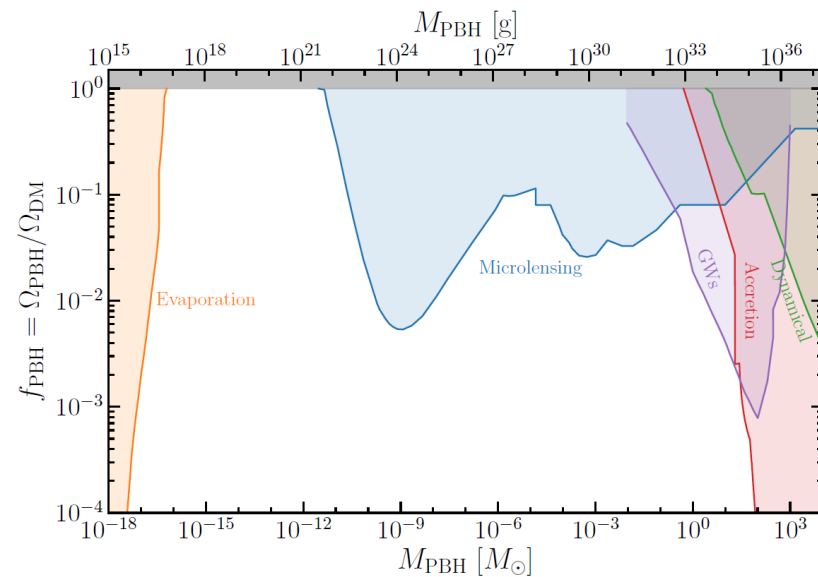
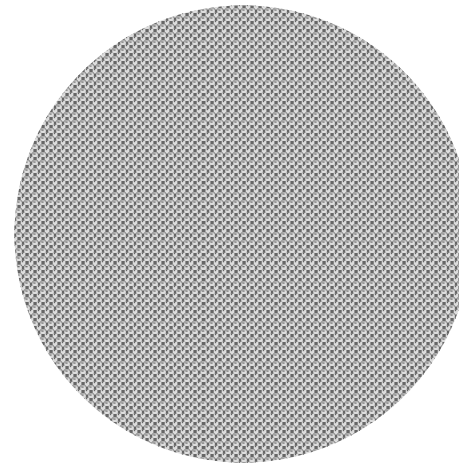


# The dark matter zoo

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DM does not annihilate.  
DM has strong self-interactions  
DM form dark stars

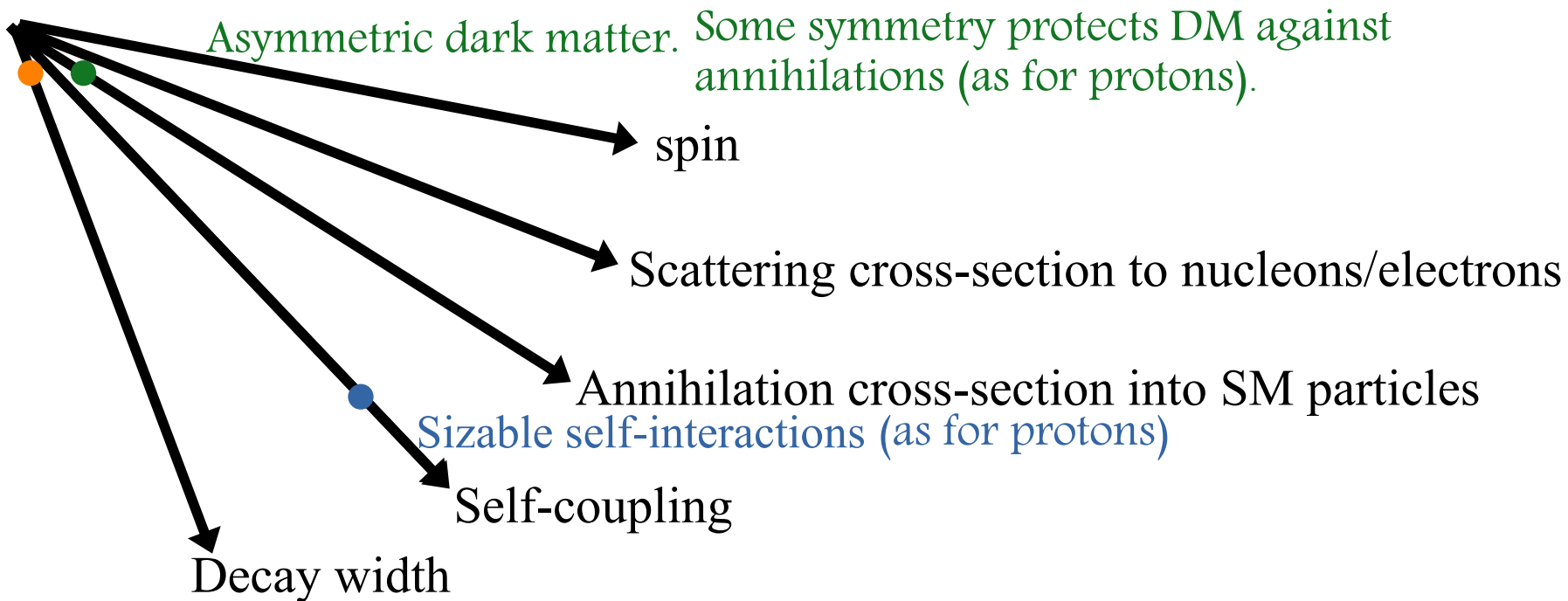
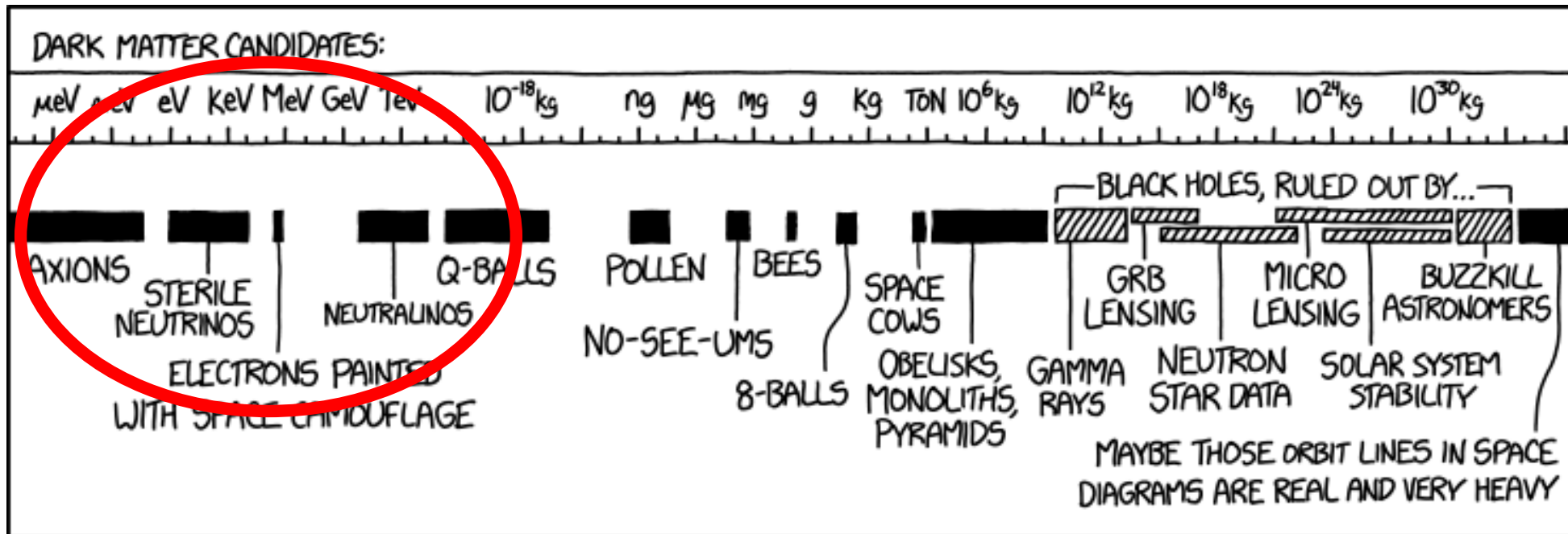




Are there other signals  
from dark stars?

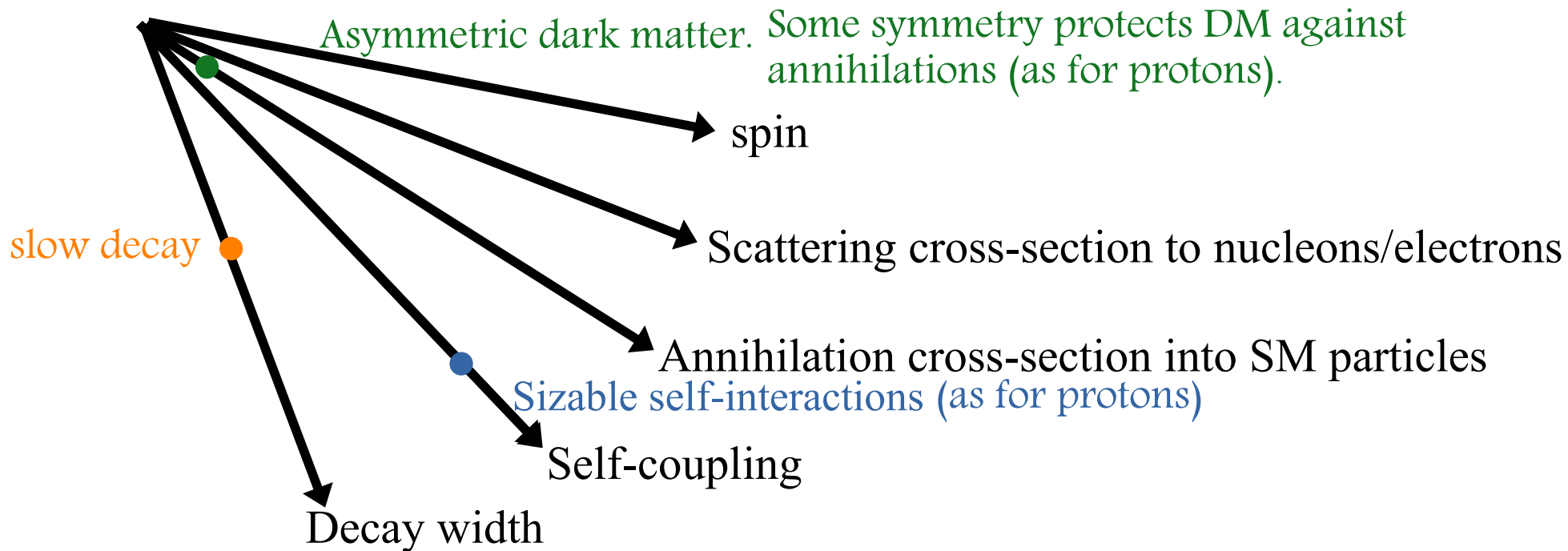
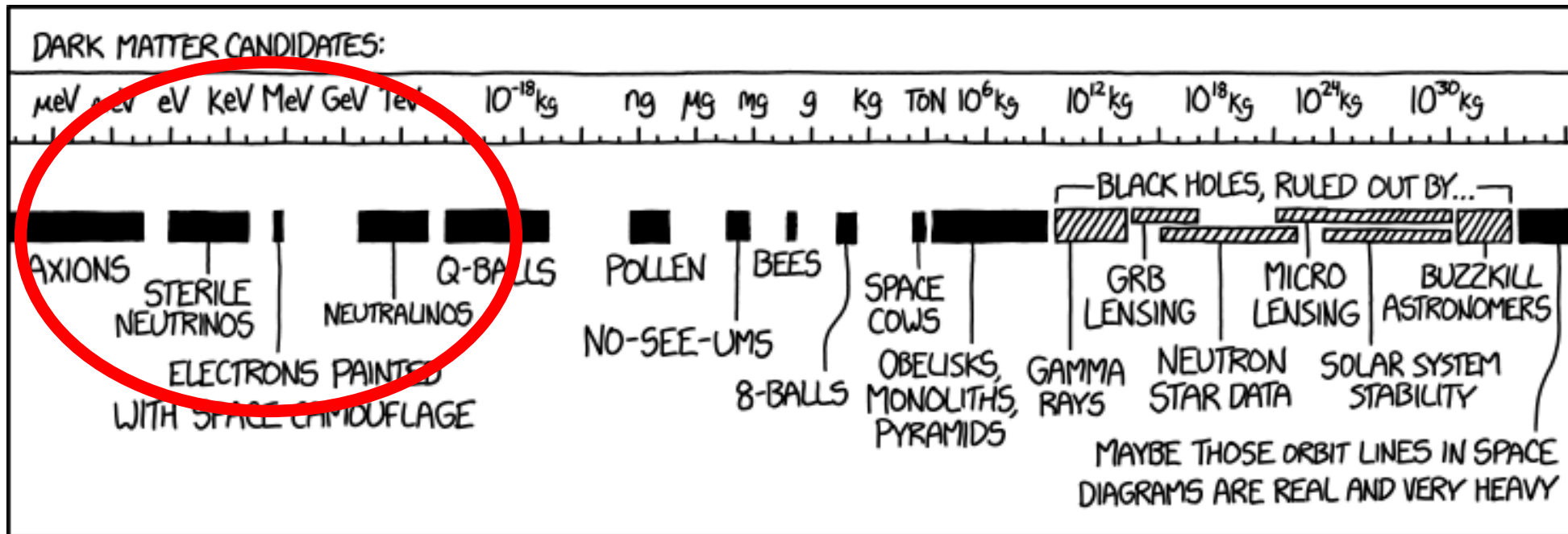
# The dark matter zoo

Explain xkcd



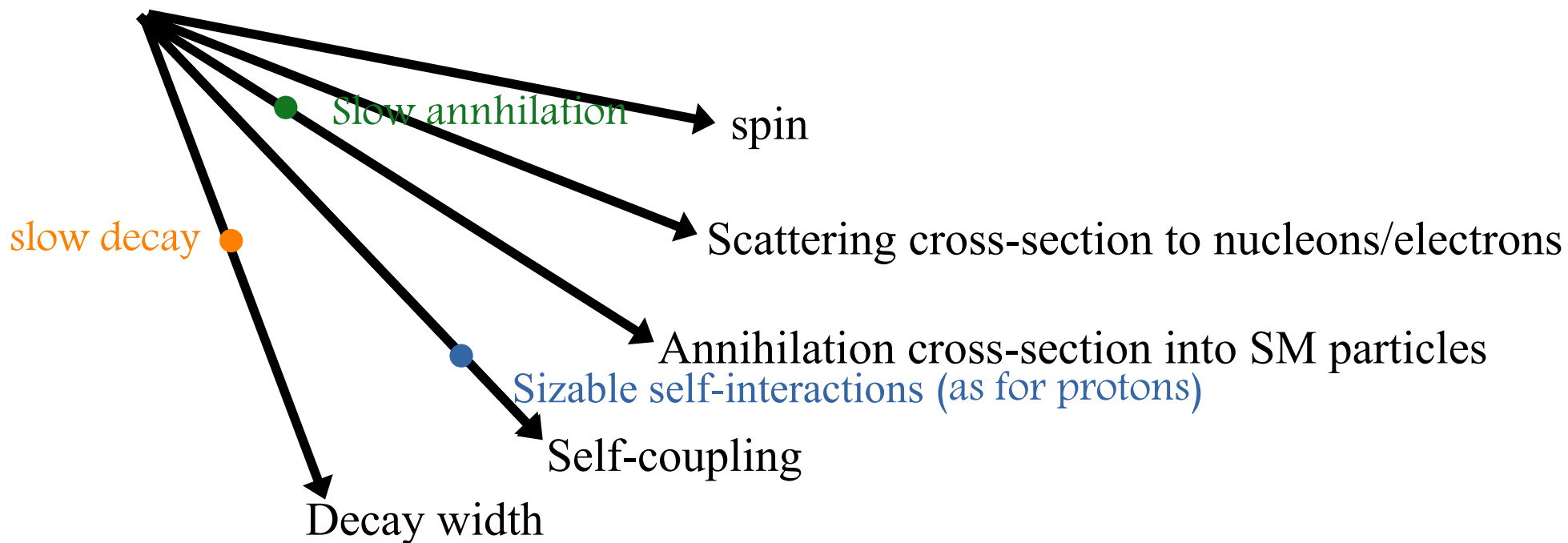
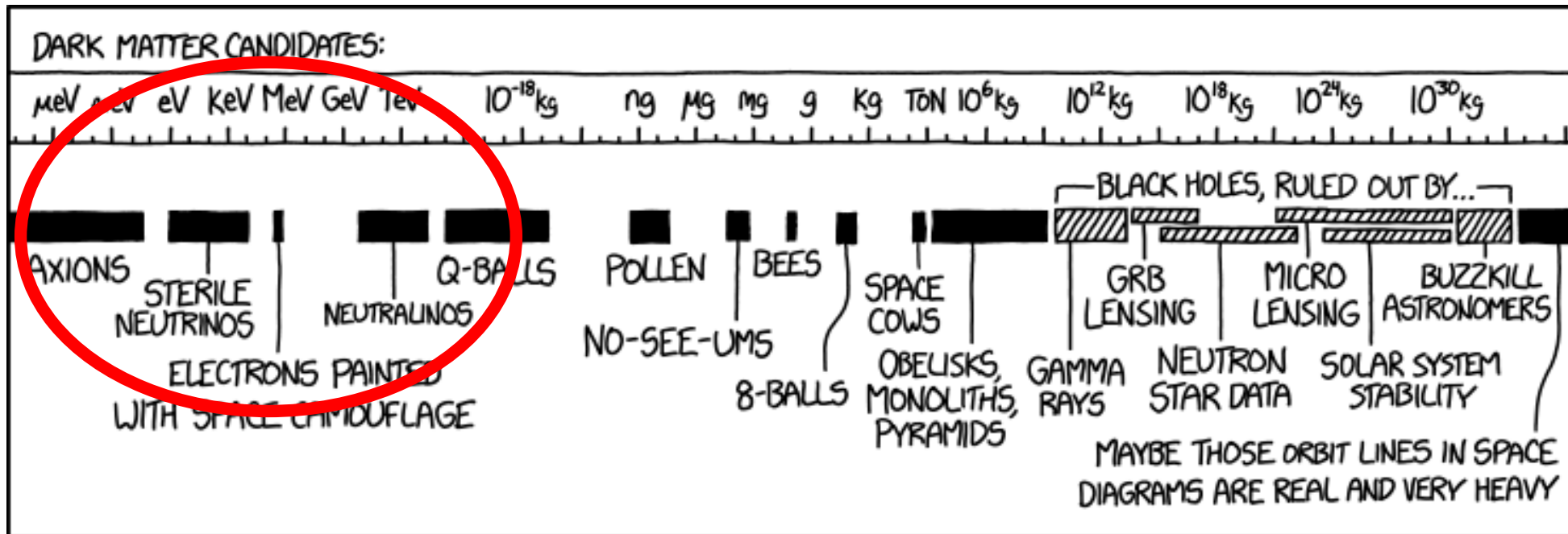
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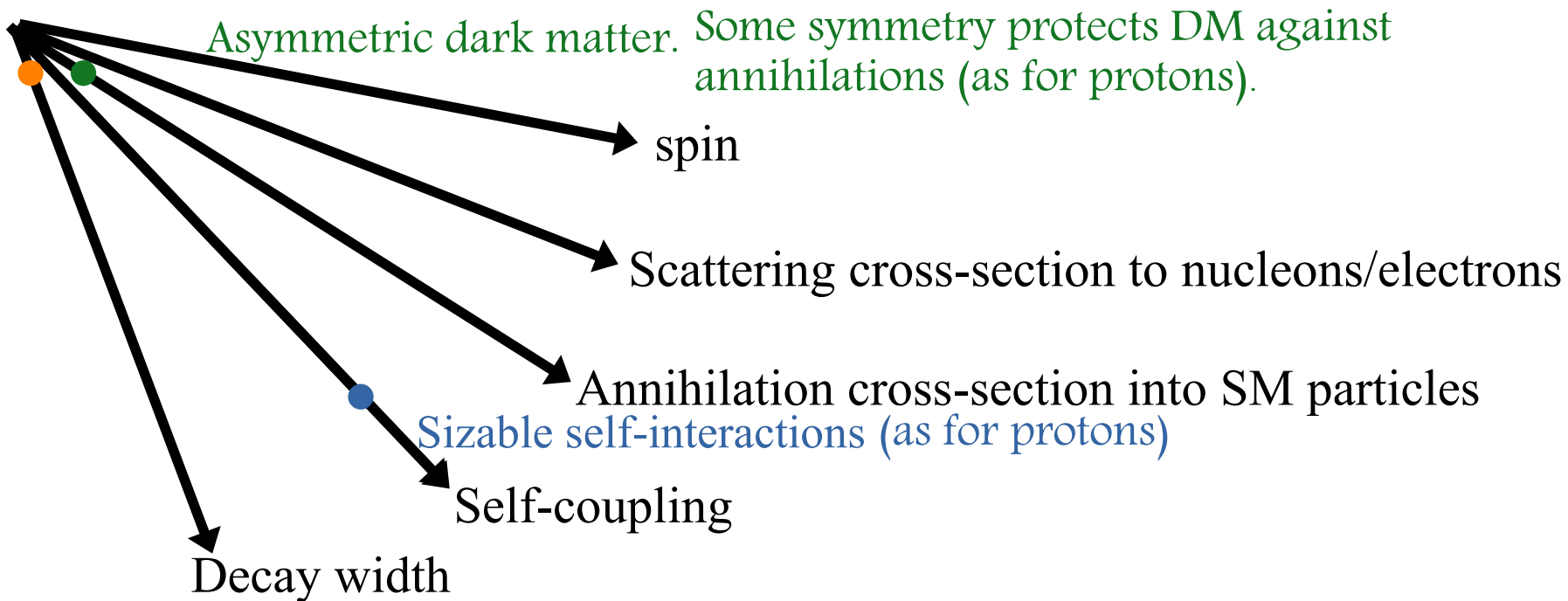
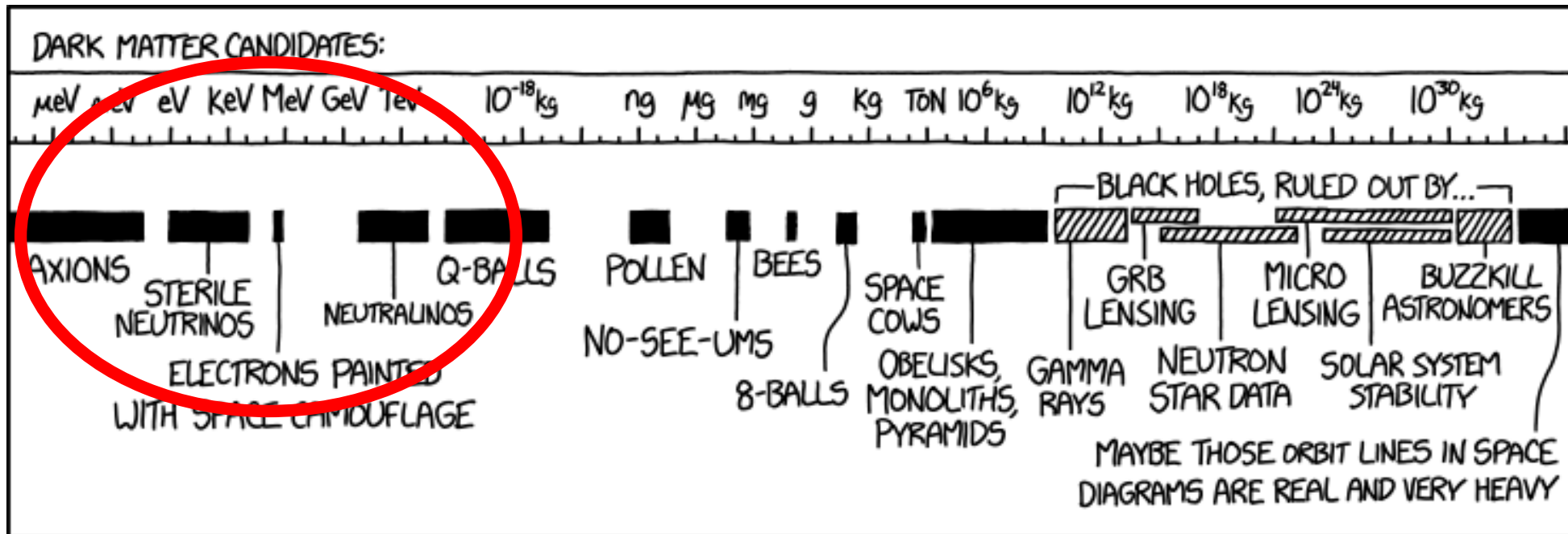
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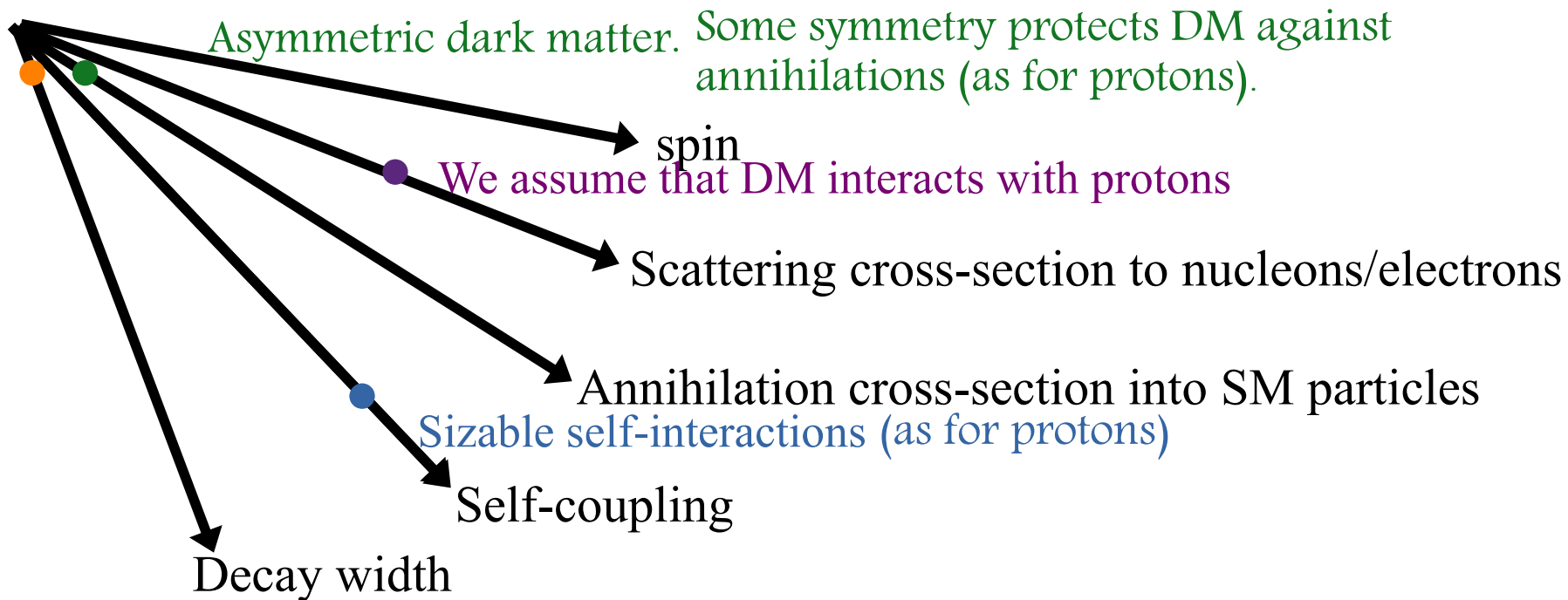
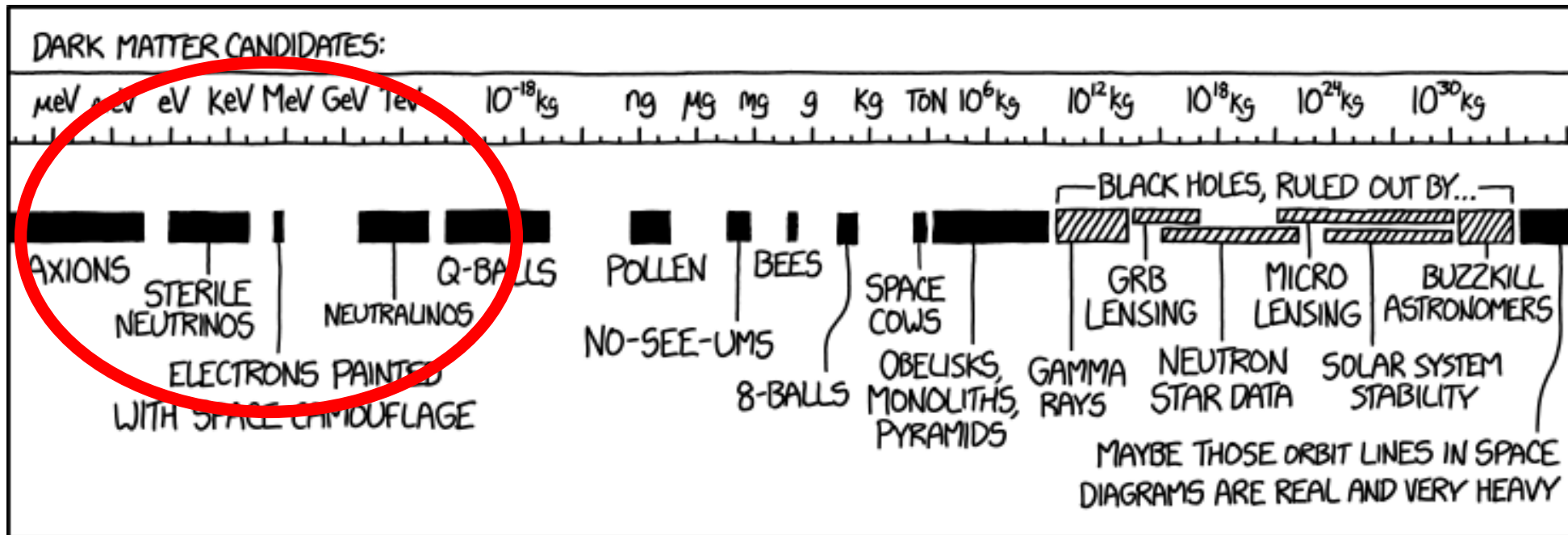
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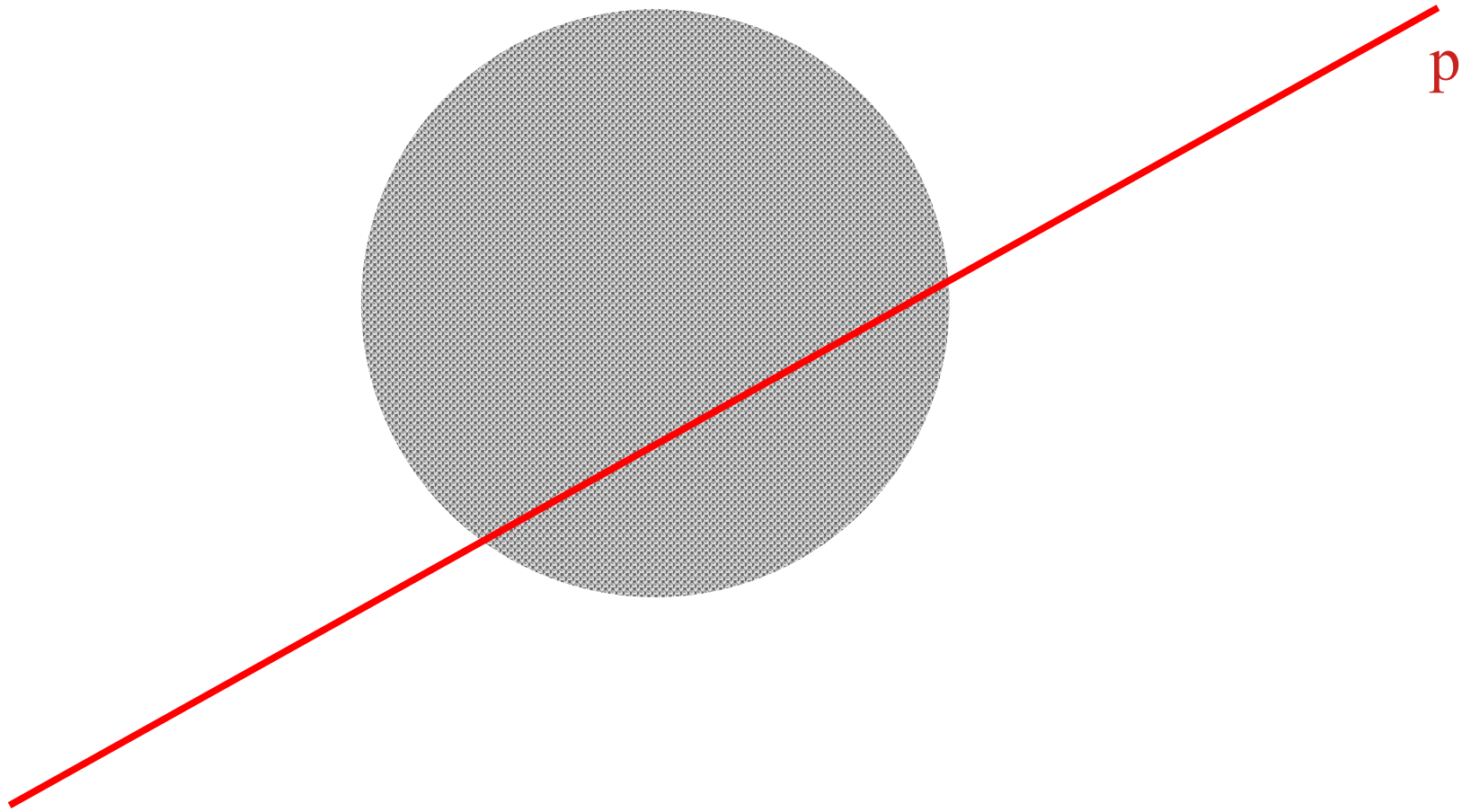


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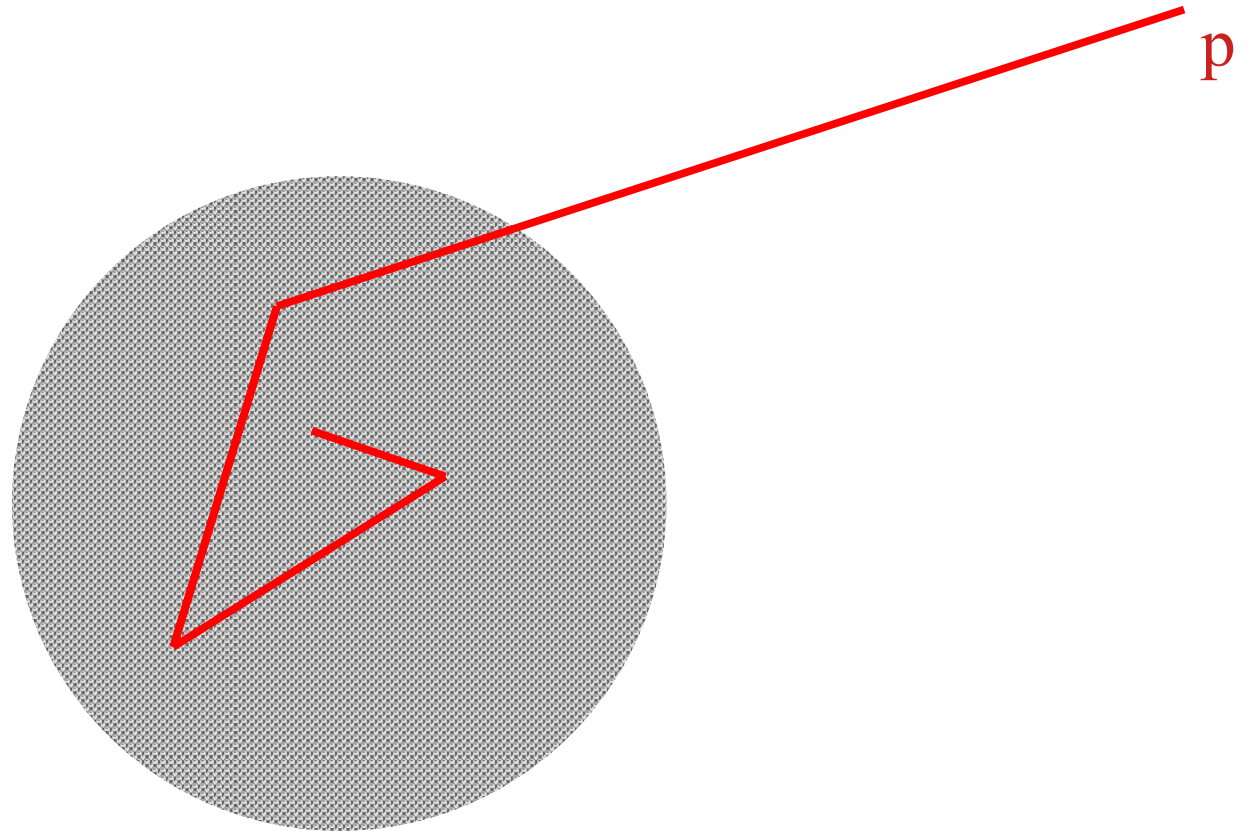
Explain xkcd



# Proton capture in compact dark stars

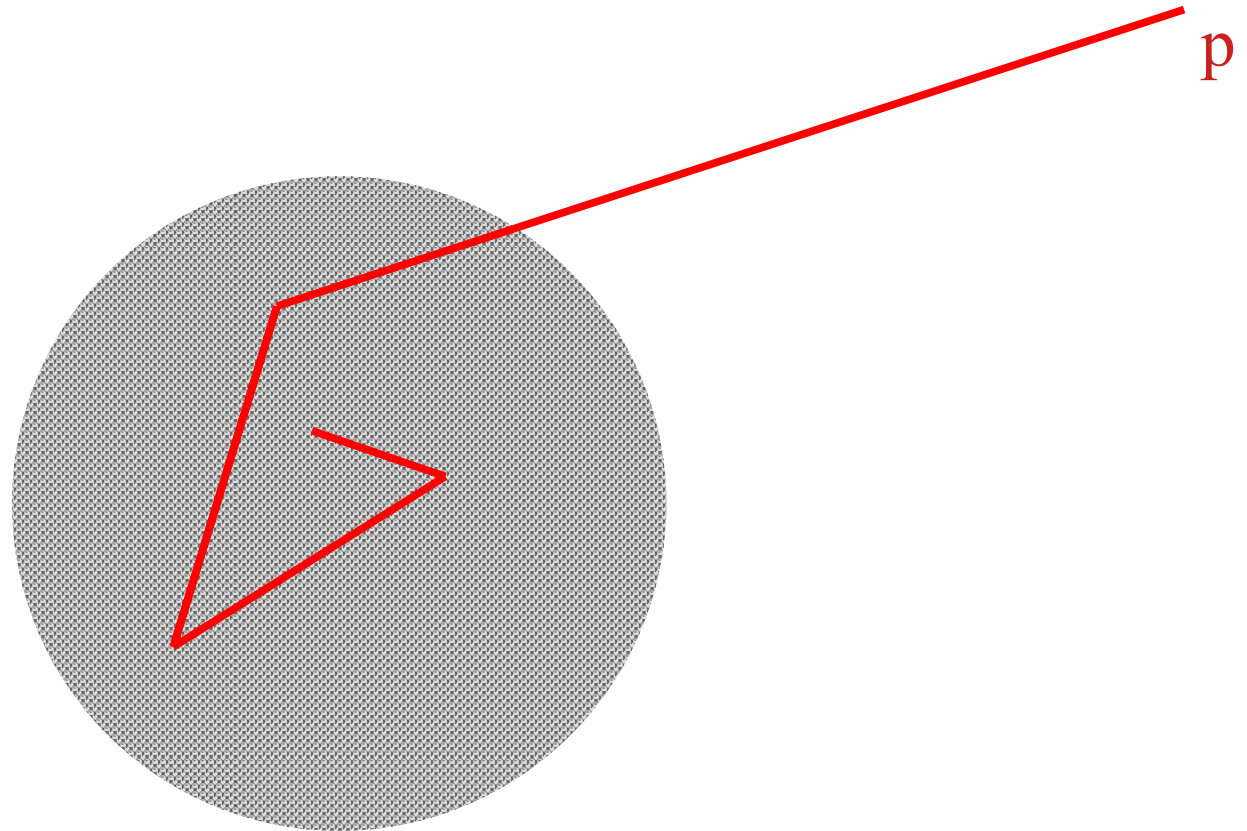


# Proton capture in compact dark stars



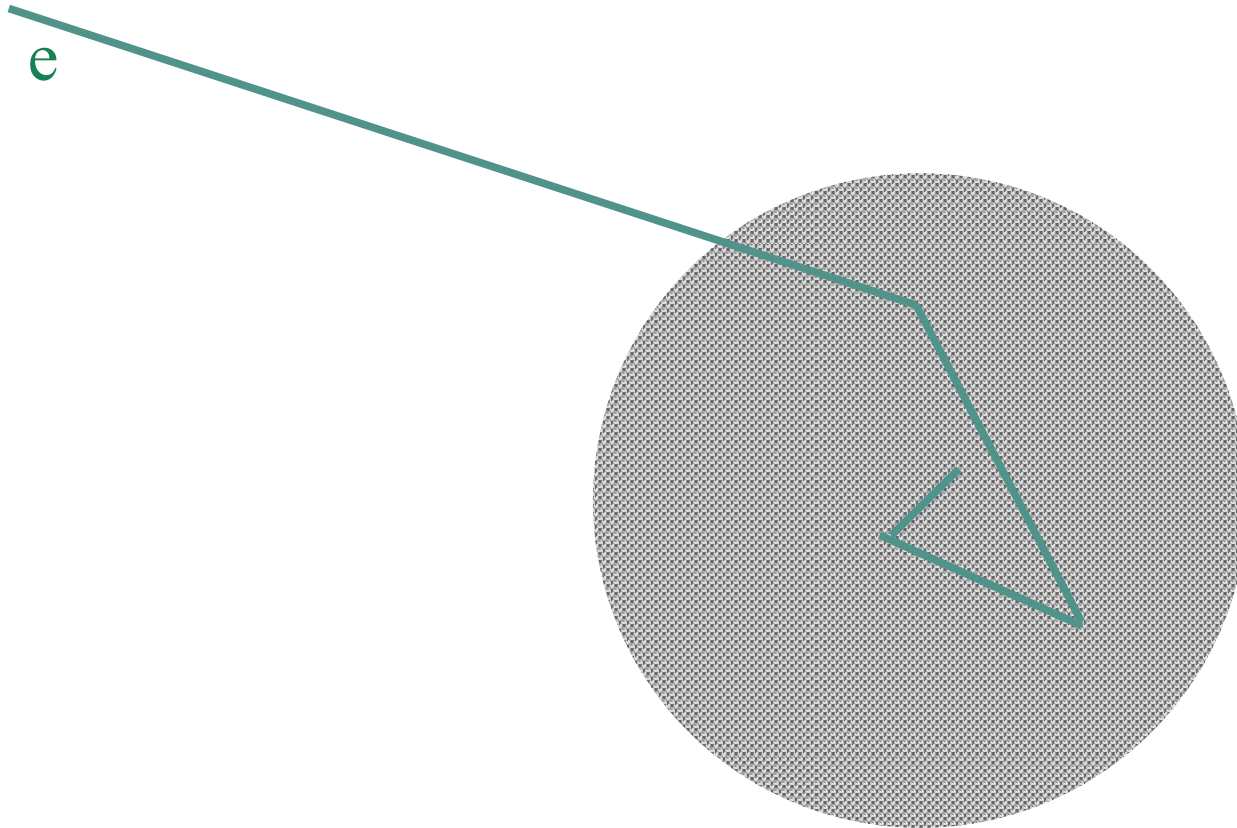


# Proton capture in compact dark stars

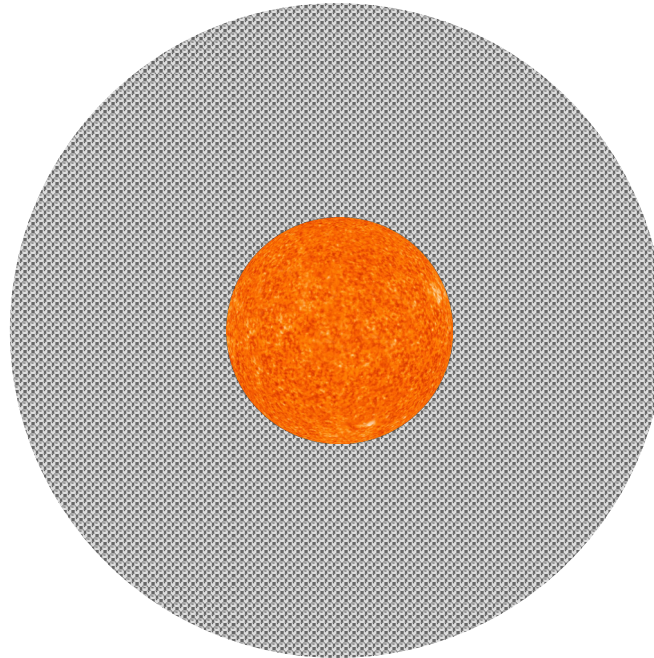


$$C_{v_s} = (1.3 \times 10^{15} \text{ s}^{-1}) \left( \frac{m}{1 \text{ GeV}} \right)^{-1} \left( \frac{R_{\text{DS}}}{1 \text{ km}} \right)^3 \left( \frac{\rho_{\text{core}}}{10^{18} \text{ gr/cm}^3} \right) \\ \times \left( \frac{\sigma}{10^{-50} \text{ cm}^2} \right) \left( \frac{n_p}{10^{-5} \text{ cm}^{-3}} \right) \left( \frac{v_s}{10^{-3}} \right)^{-1} \text{Erf} \left[ \sqrt{\frac{3}{2}} \left( \frac{v_s}{\bar{v}} \right) \right]$$

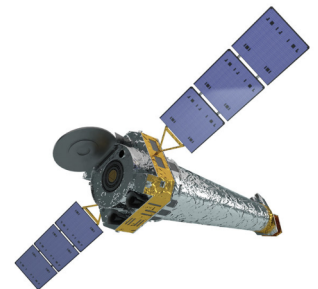
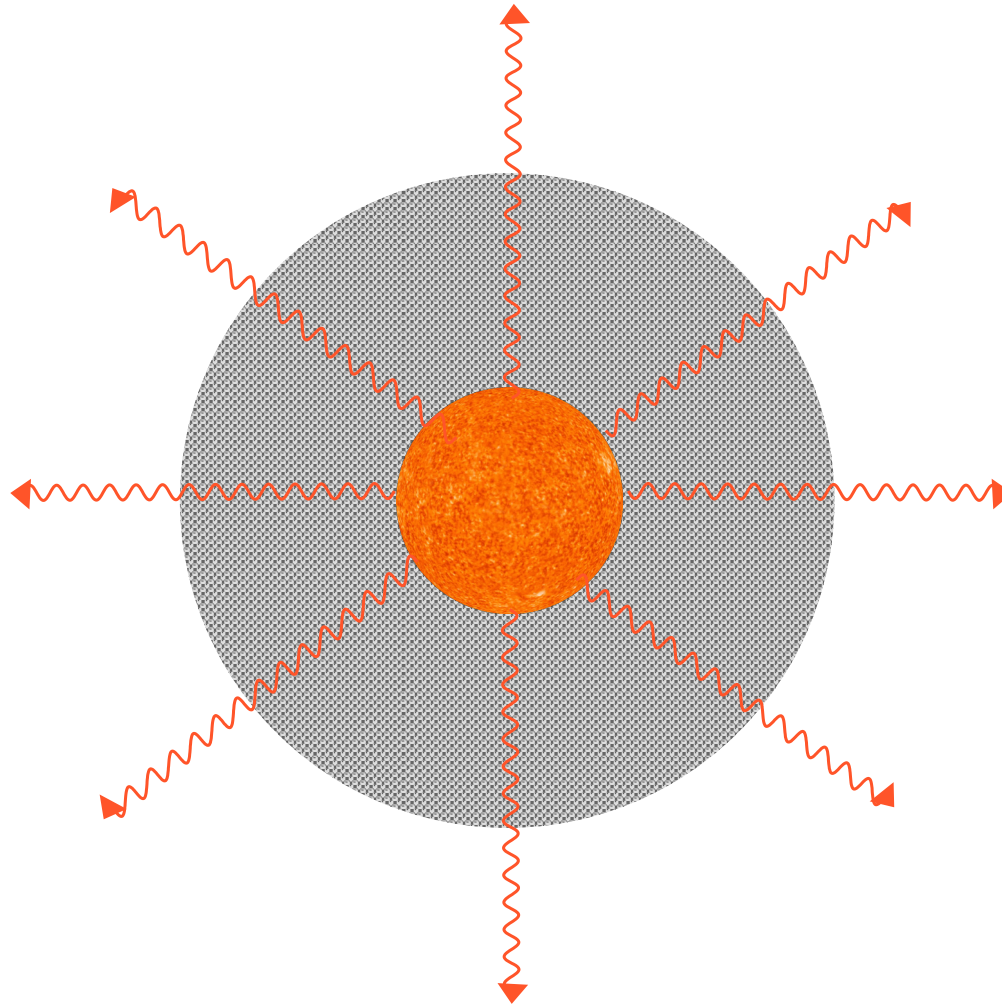
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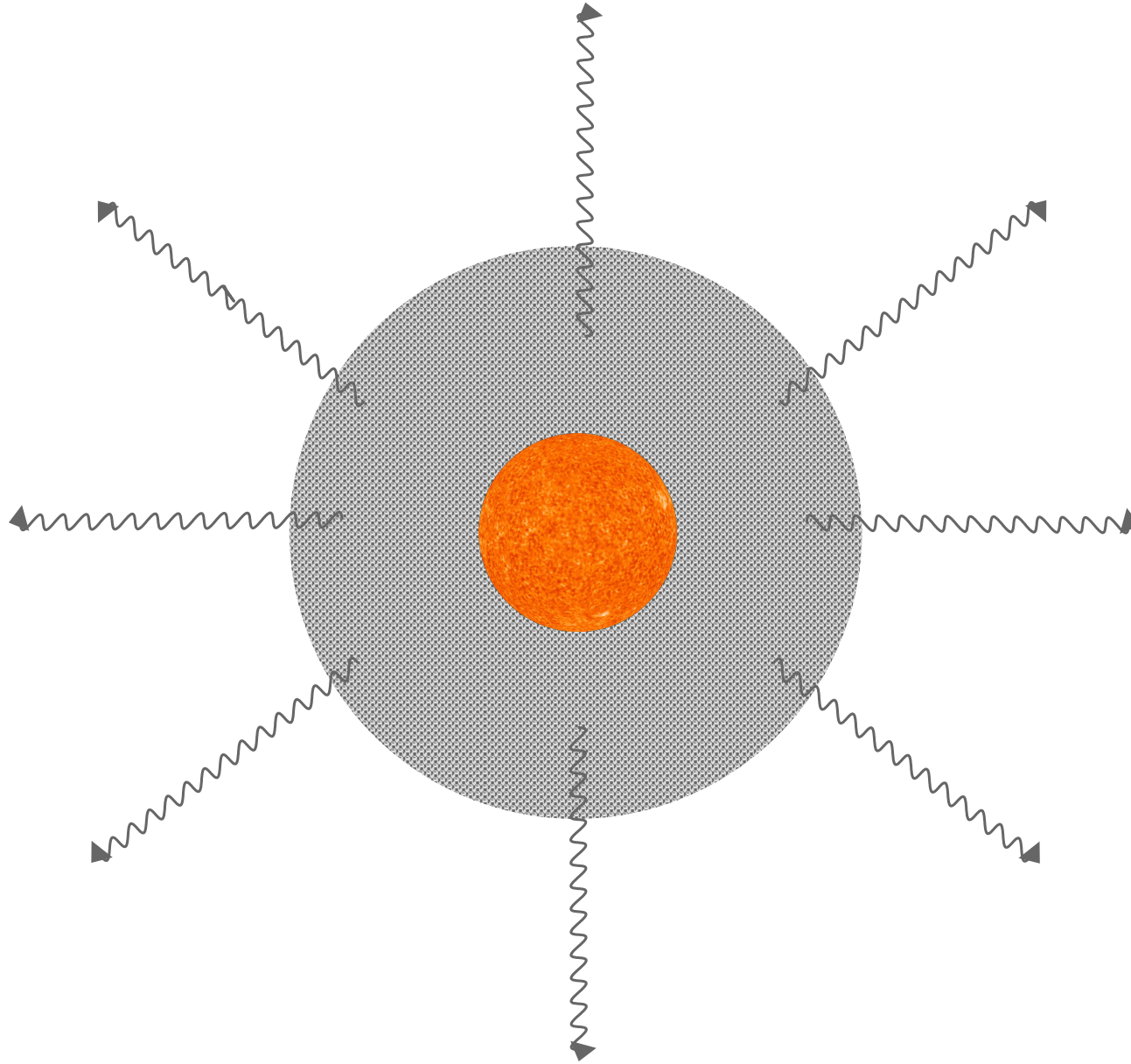
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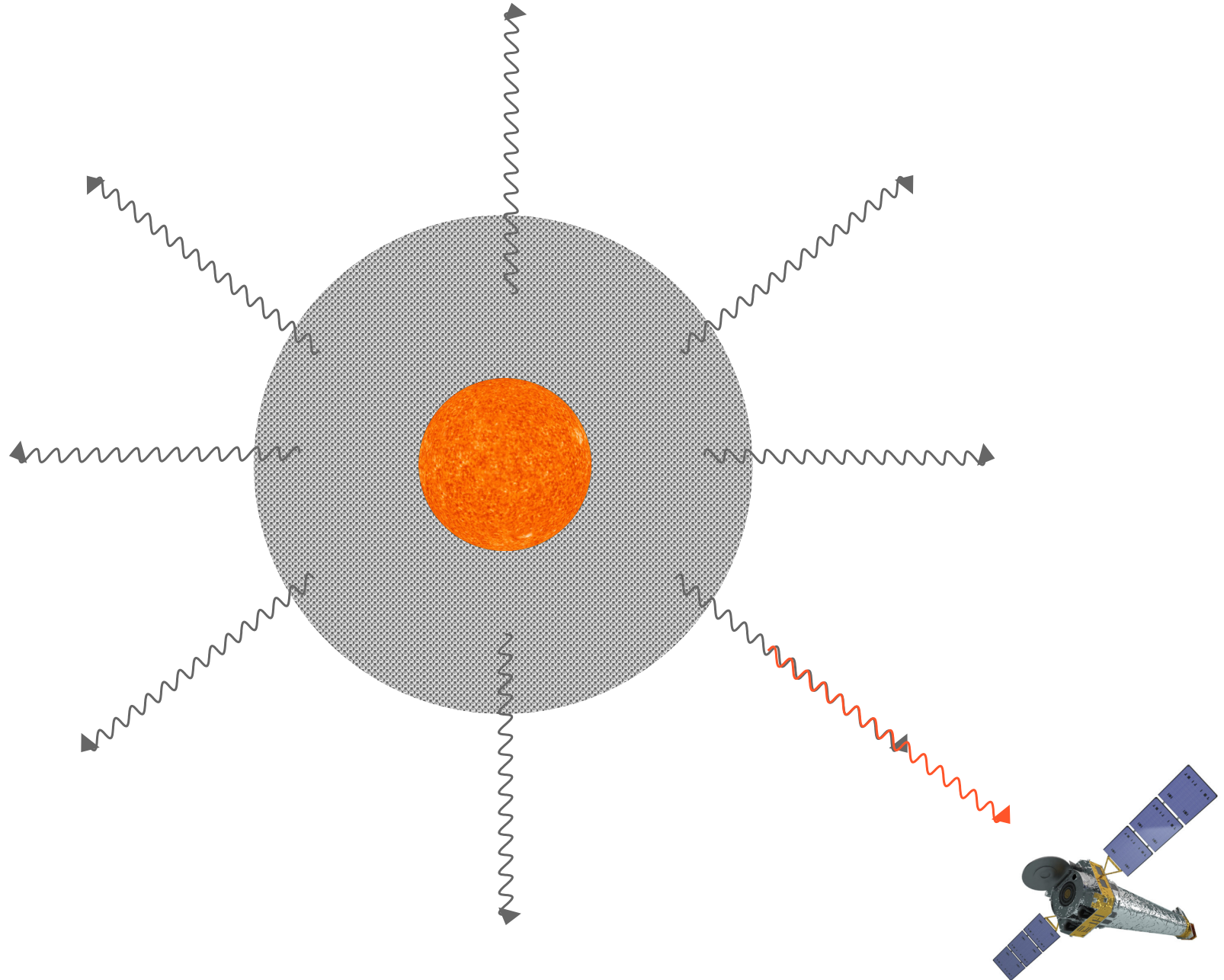
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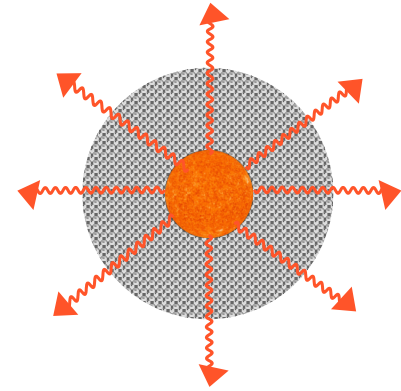
# Temperature evolution of the DS

$$\frac{dT}{dt} = -\frac{L_{\gamma} + L_{\gamma'}}{C_V}$$

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Photon luminosity:  $L_\gamma = (4\pi r_{\text{th}}^2) \int_0^\infty I(\nu) d\nu$





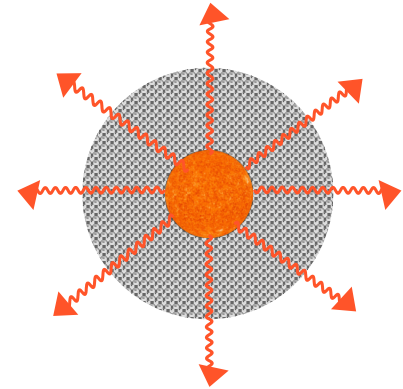
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$r_{\text{th}} \sim T^{1/2}$

$$I(\nu) = \frac{2h}{c^2} \frac{\nu^3}{e^{\frac{h\nu}{k_B T}} - 1} \left(1 - e^{-\tau(\nu)}\right)$$



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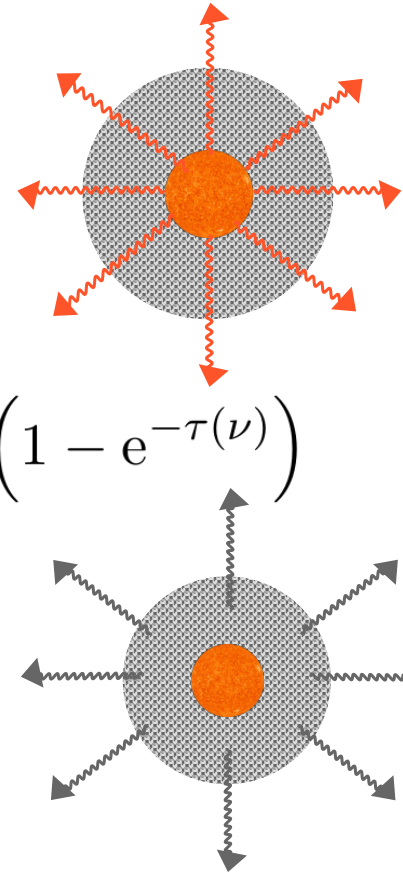
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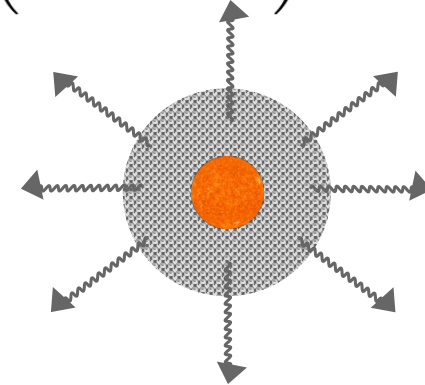
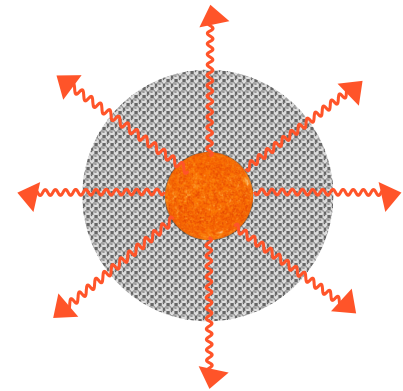
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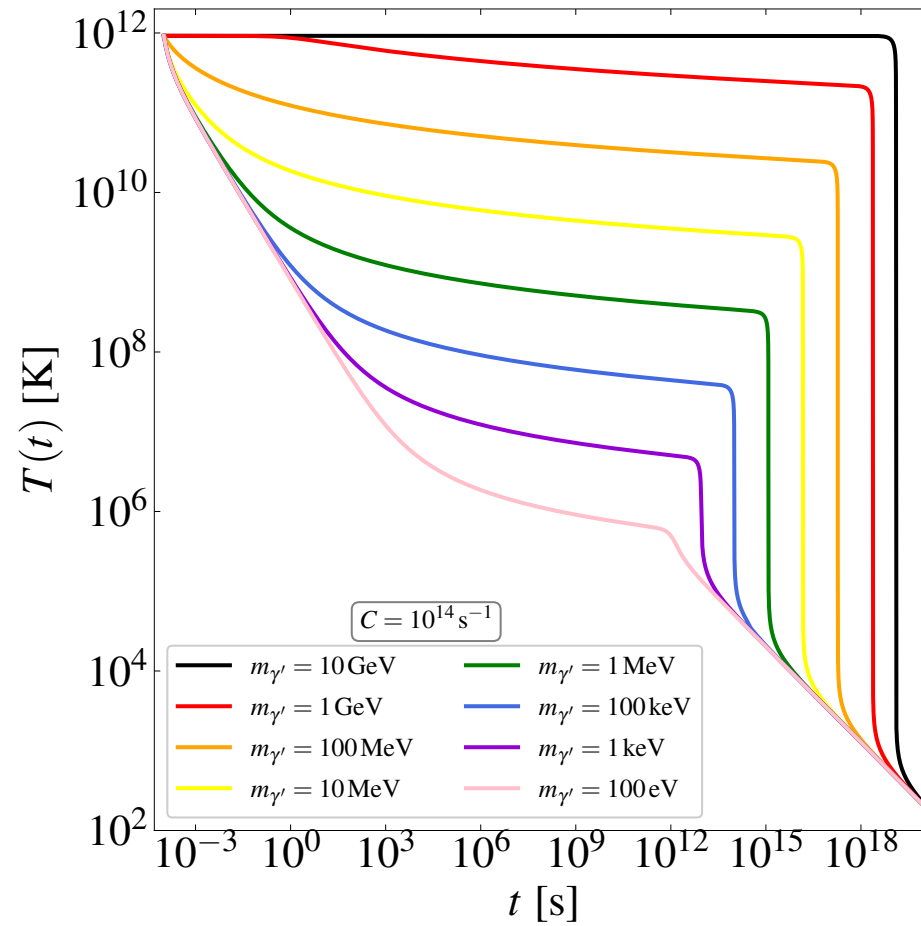
Dark photon luminosity:  $L_{\gamma'} = (4\pi R_{\text{DS}}^2) \sigma_{\text{SB}} T^4 e^{-\frac{m_{\gamma'}}{T}}$



Heat capacity: The DM plausibly forms a Bose-Einstein condensate

$$C_V \sim T^{3/2}$$

# Temperature evolution of the DS

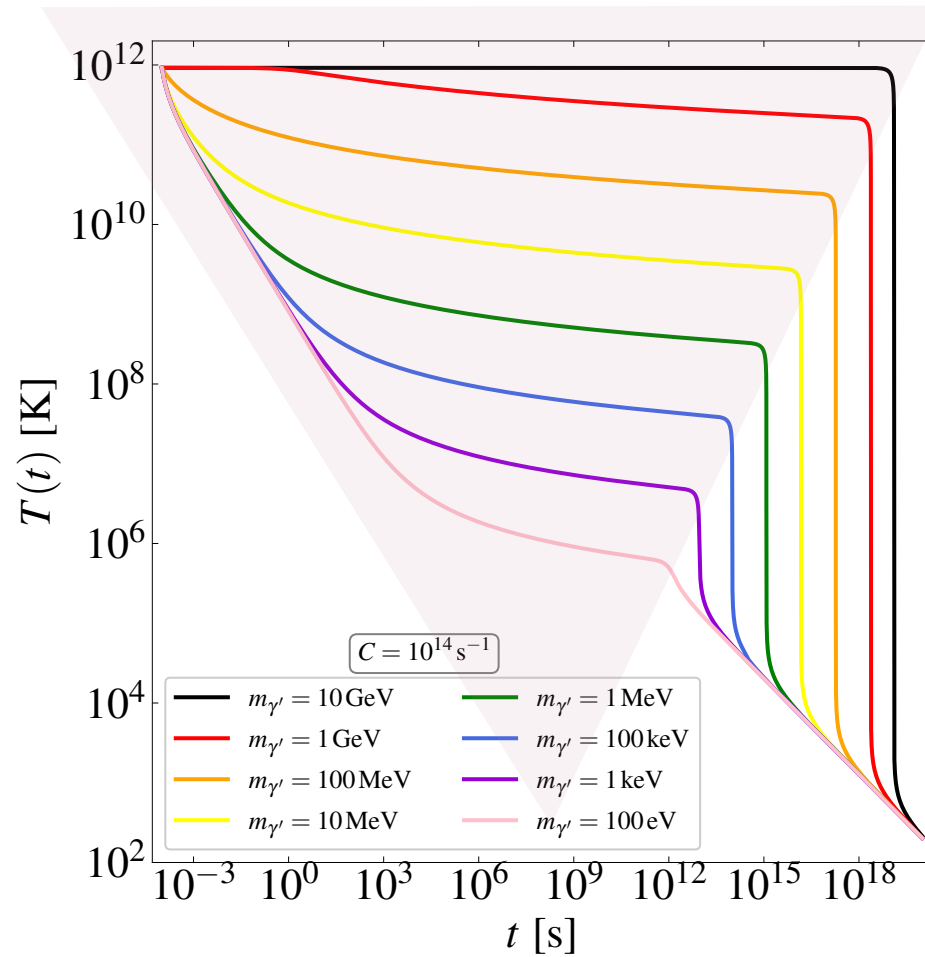


# Temperature evolution of the DS

Proton gas optically thin.

Cooling by dark photon emission

$$dT/dt \sim -T^{5/2} \exp(-m_{\gamma'}/T)$$

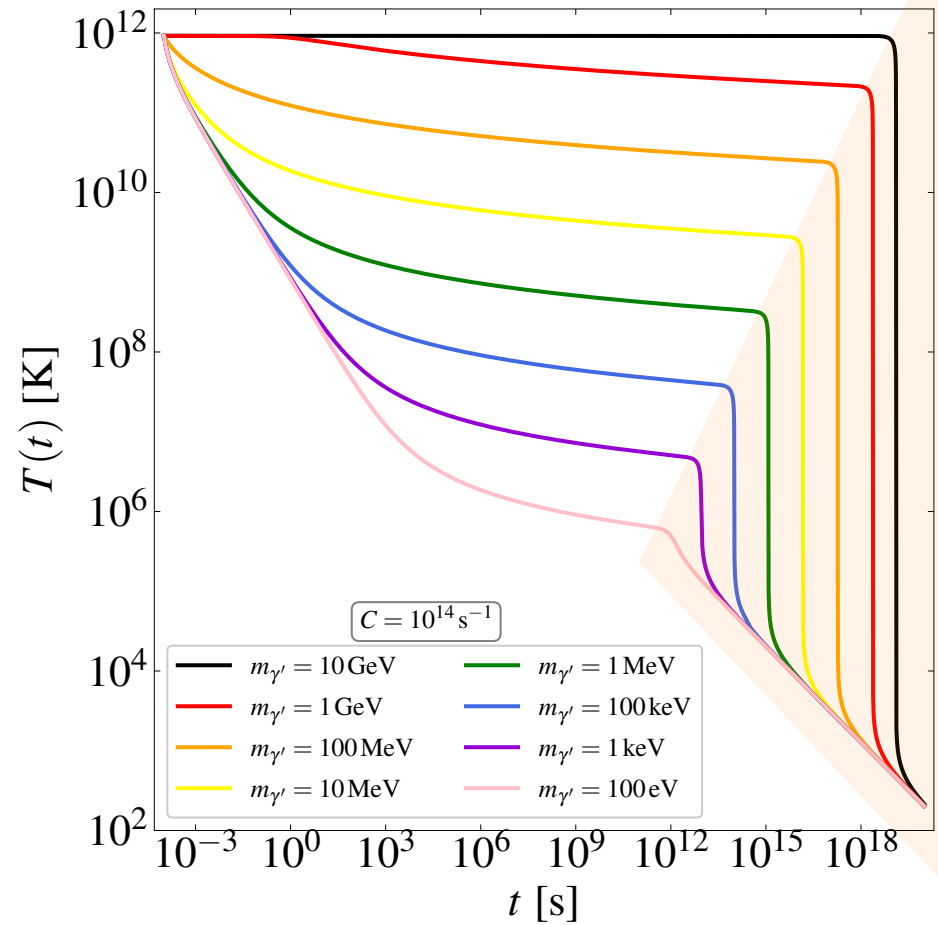


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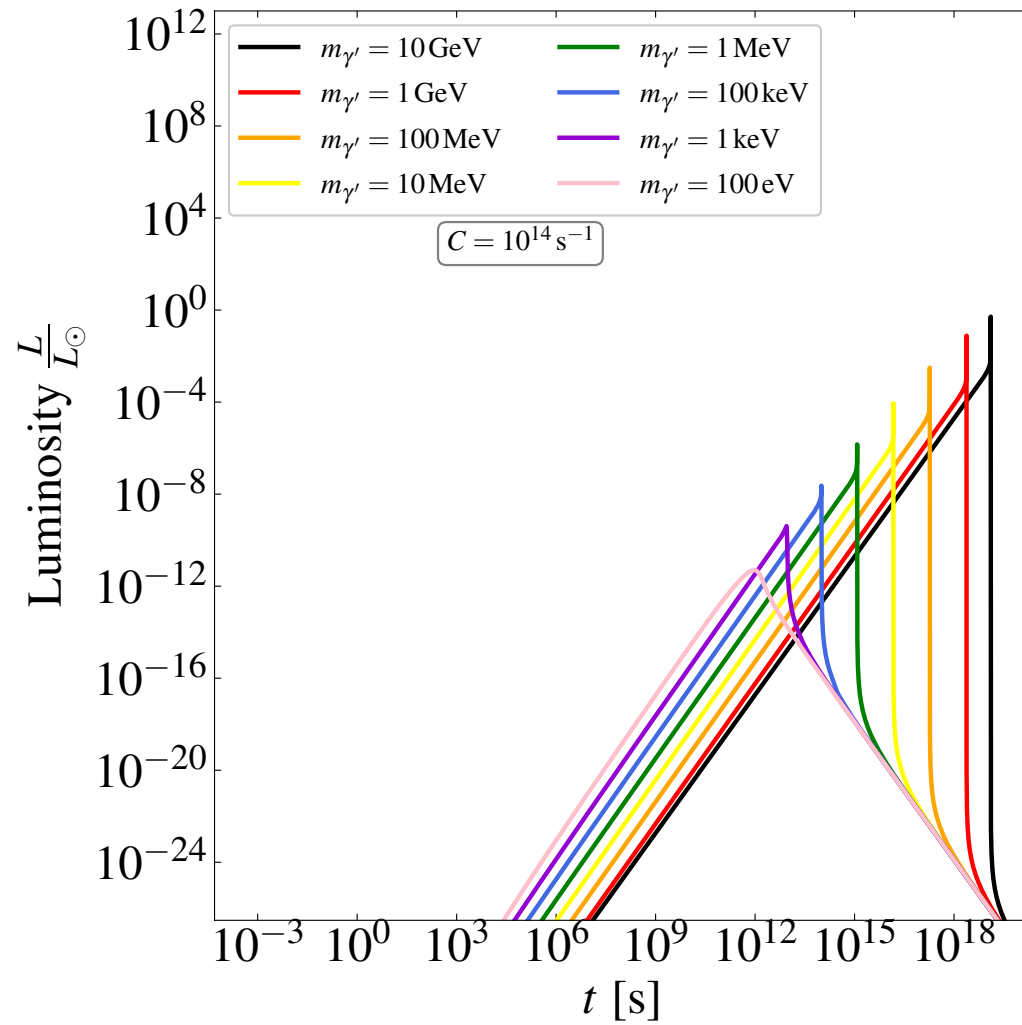


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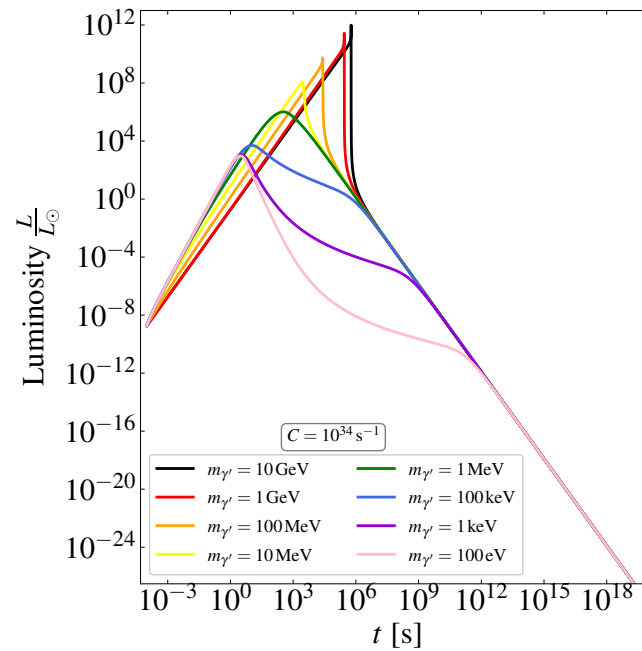
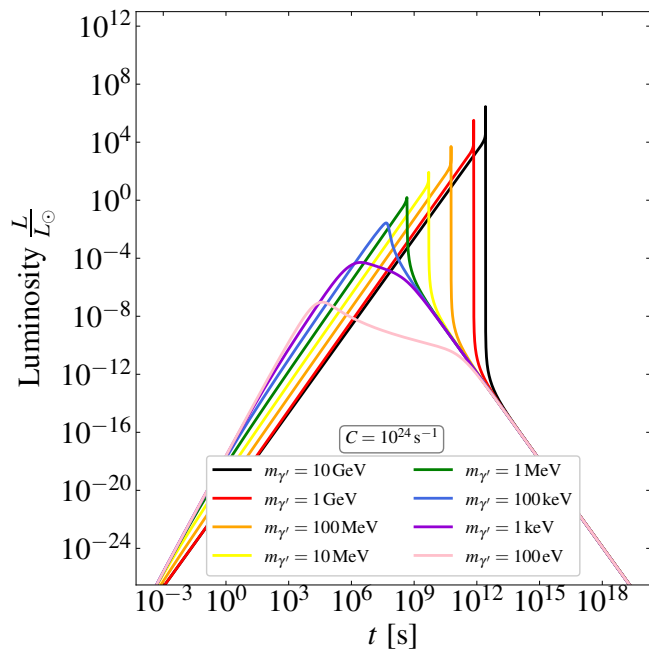
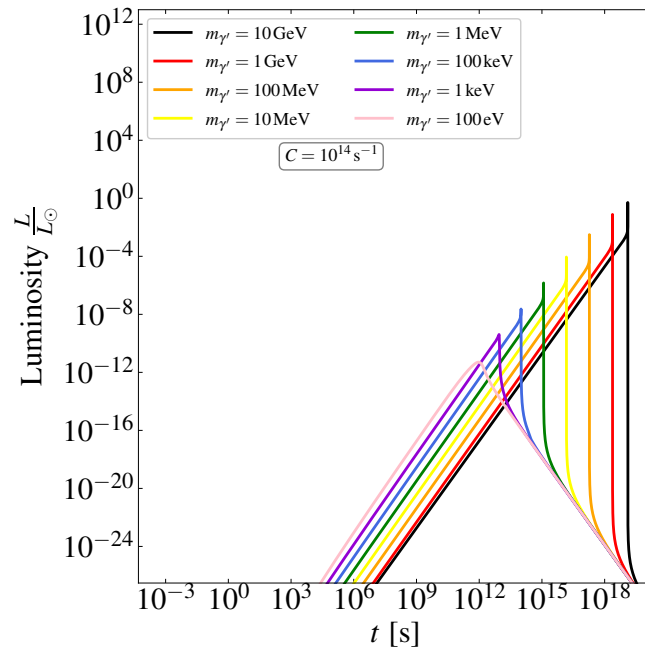
Cooling by photon emission

$$dT/dt \sim -T^{7/2}$$

# DS luminosity



# DS luminosity



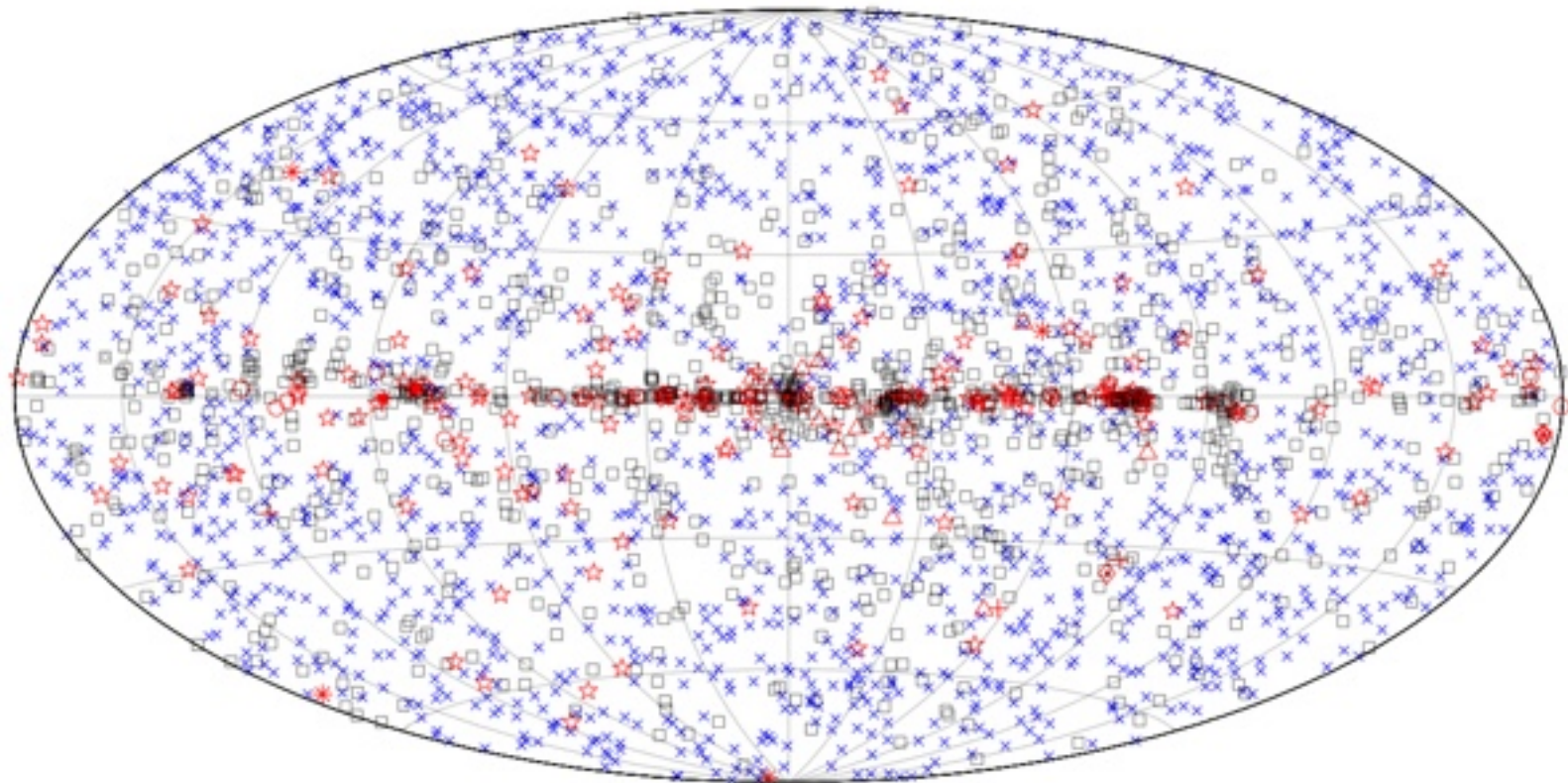


## Signals from dark stars

Dark stars could still be shining today. They could be detected as a point source in X-rays or  $\gamma$ -rays, with a black body spectrum (or bremsstrahlung), and with no optical counterpart.

# Signals from dark stars

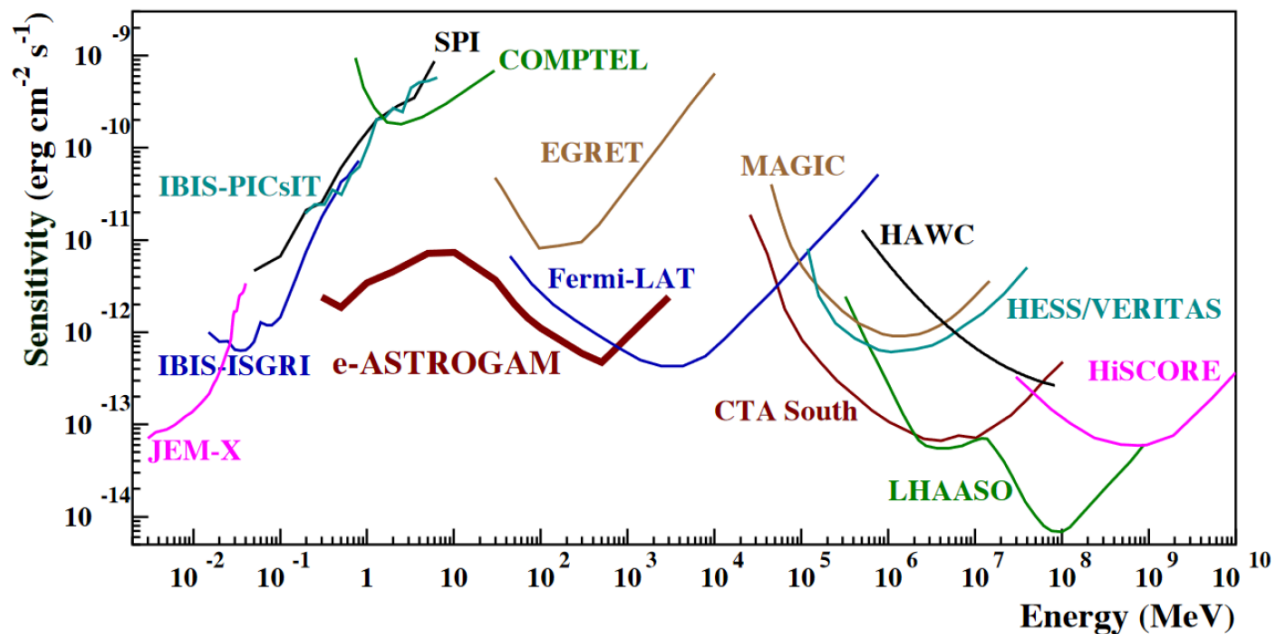
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□ No association	□ Possible association with SNR or PWN	× AGN
☆ Pulsar	△ Globular cluster	* Starburst Galaxy
⊠ Binary	+ Galaxy	○ SNR
★ Star-forming region		◇ PWN
		● Nova

# Signals from dark stars

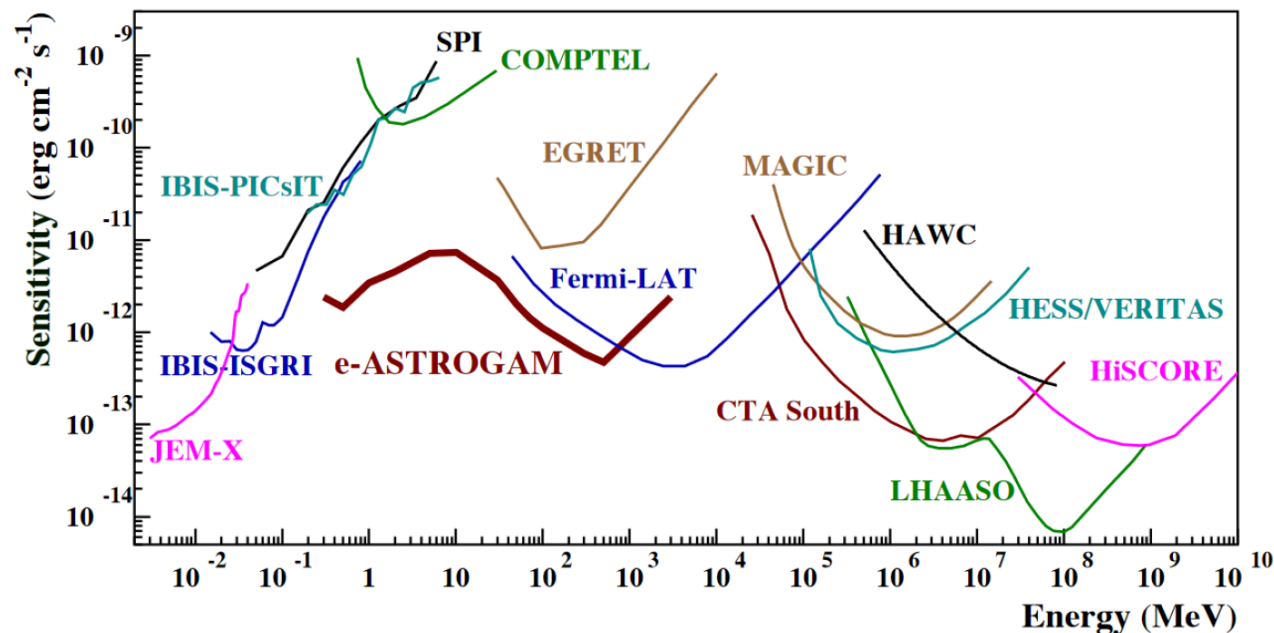
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De Angelis et al' 18

# Signals from dark stars

Dark stars could still be shining today. They could be detected as a point source in X-rays or  $\gamma$ -rays, with a black body spectrum (or bremsstrahlung), and with no optical counterpart.



For a luminosity  $L$ , a dark star within a distance  $d < (L/(4\pi S))^{1/2}$  is at the reach of experiments.

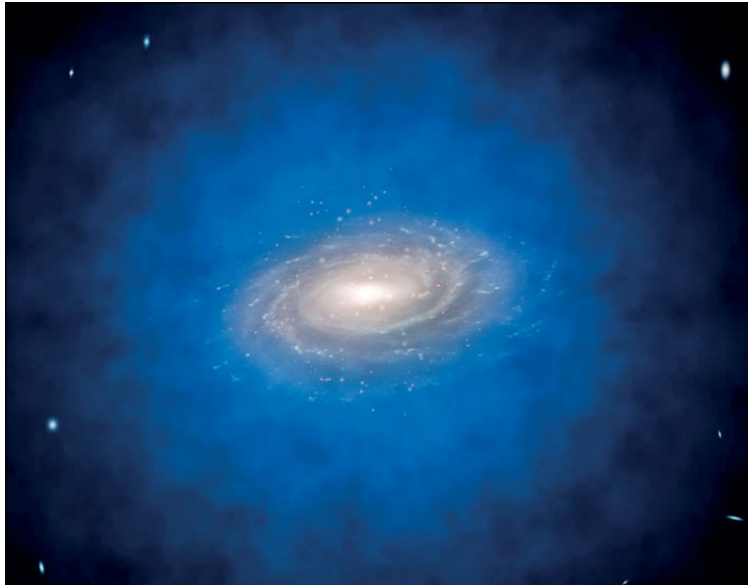
$$d < 1.8 \text{ kpc} \left( \frac{L}{L_{\odot}} \right)^{1/2} \left( \frac{S}{10^{-11} \text{ erg cm}^{-2} \text{ s}^{-1}} \right)^{-1/2}$$

# Signals from dark stars

How many dark stars within a distance  $d$  ?

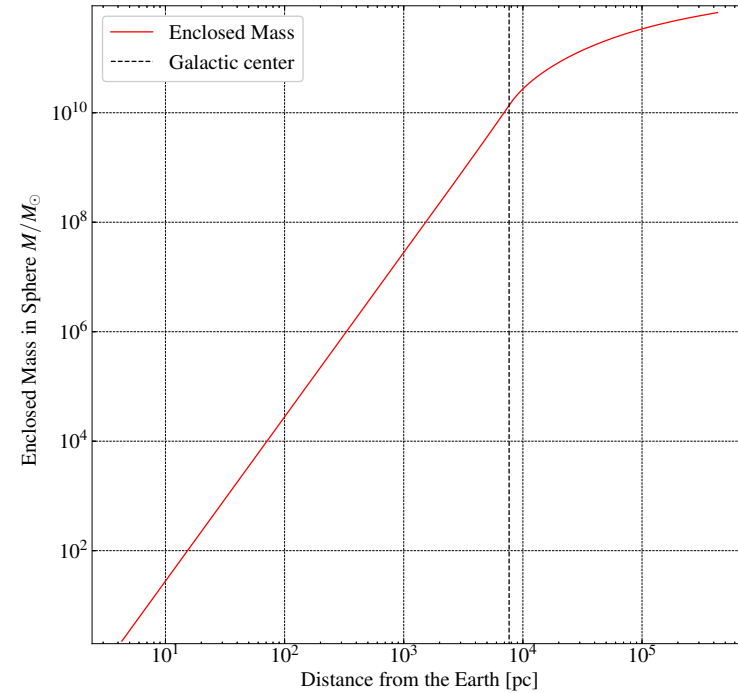
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How many dark stars within a distance  $d$  ?



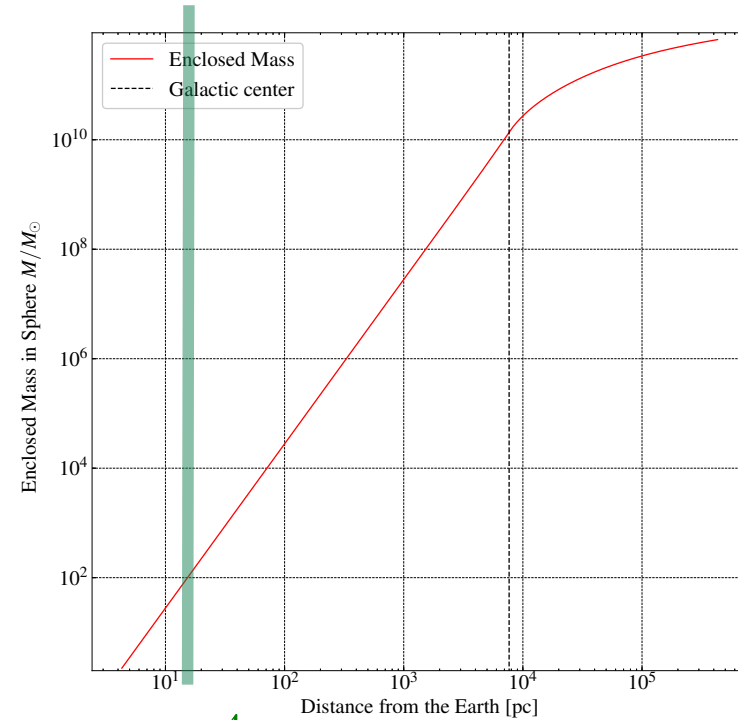
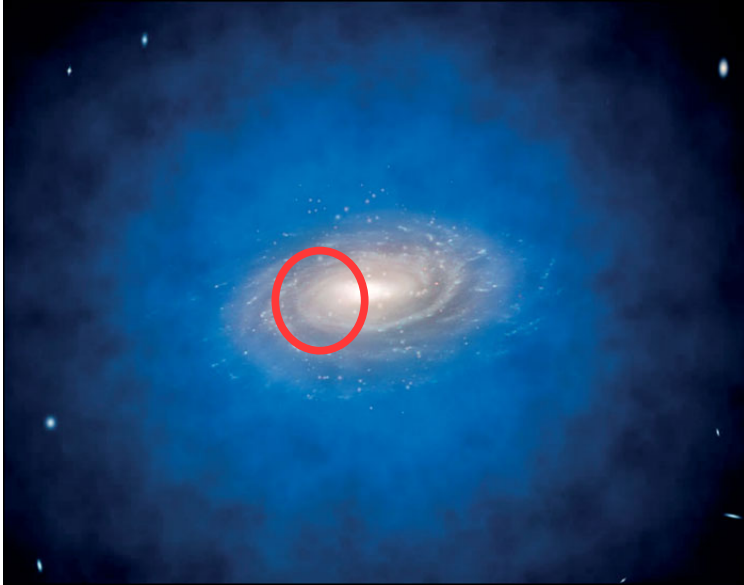
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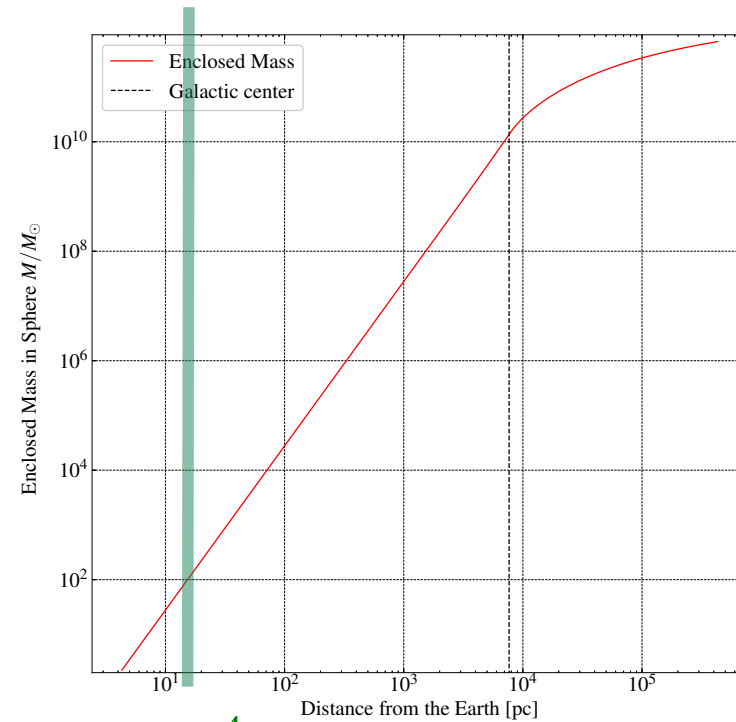
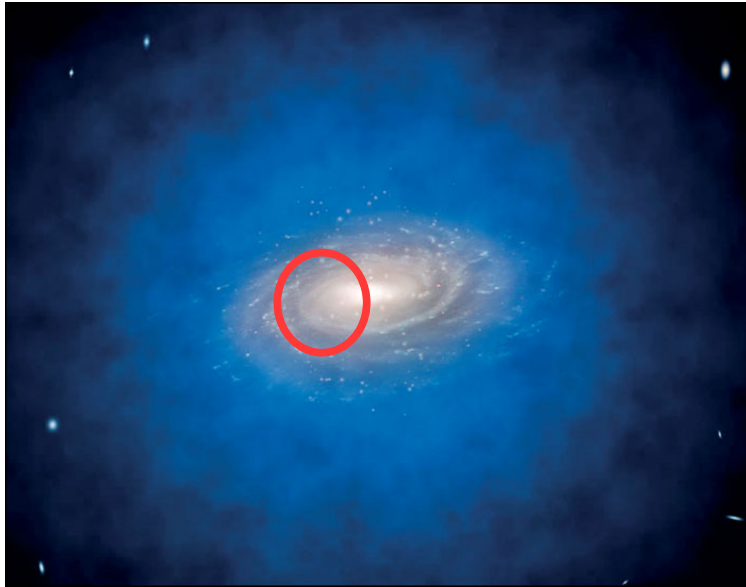


$$L = 10^{-4} L_{\odot}$$



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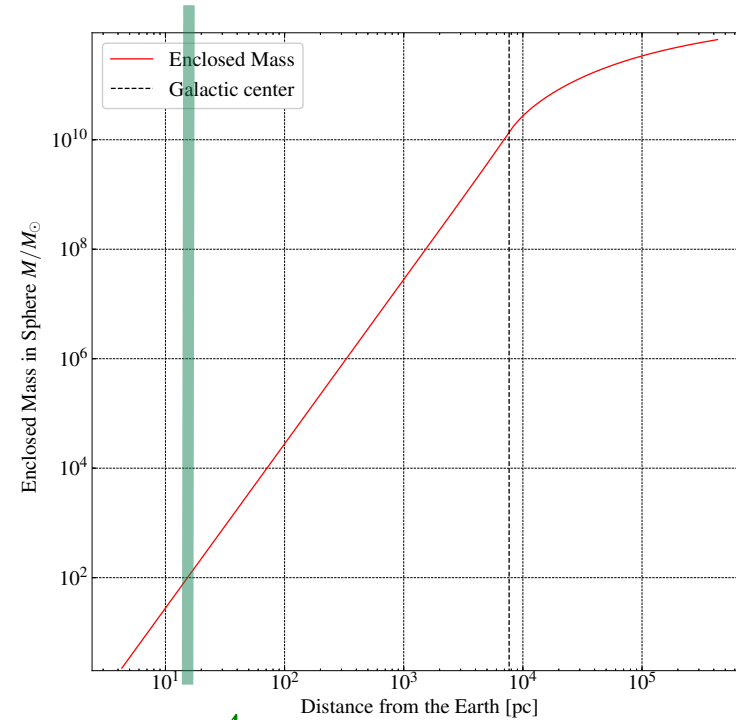
$$L = 10^{-4} L_{\odot}$$

$$N_{\text{DS}} = \mathcal{F}_{\text{DS}} \frac{M(d)}{M_{\text{DS}}}$$

Consider  $M_{\text{DS}} = M_{\odot}$ ,  $\mathcal{F}_{\text{DS}} = 10^{-2}$

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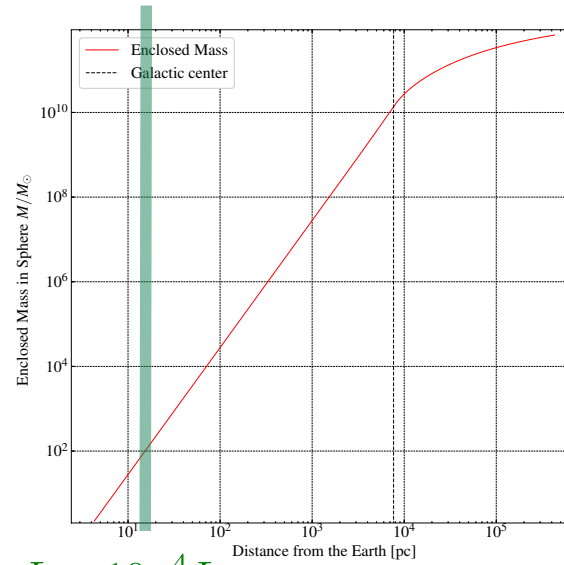
$$N_{\text{DS}} = \mathcal{F}_{\text{DS}} \frac{M(d)}{M_{\text{DS}}}$$

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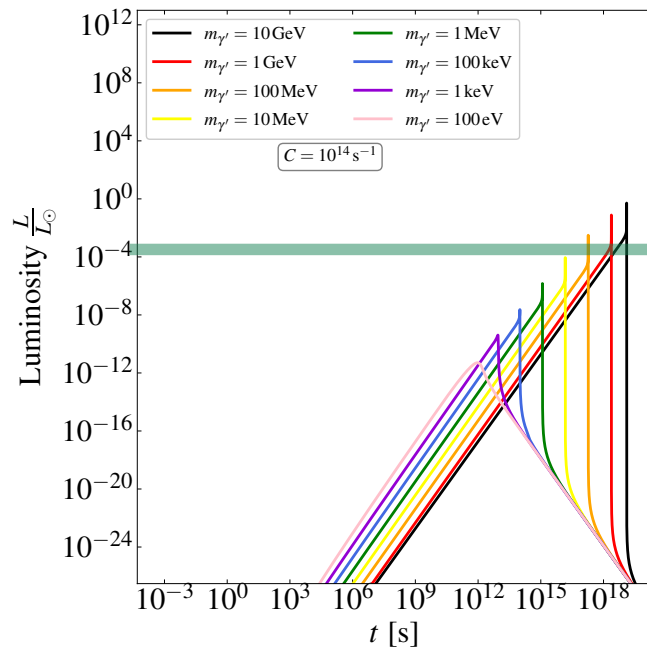
$$N_{\text{DS}} \sim 1$$

# Signals from dark stars



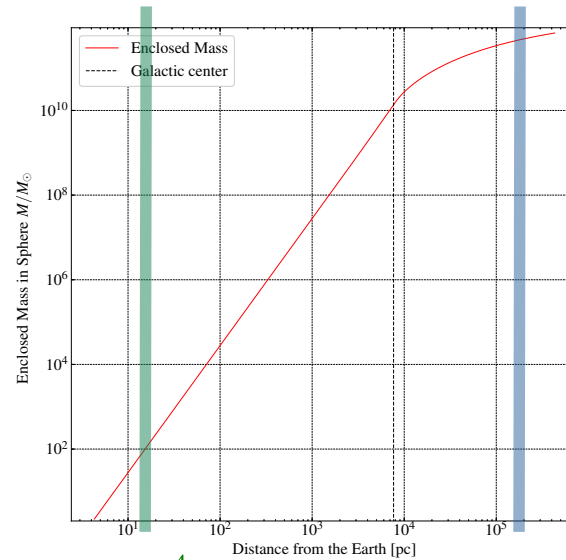
$$L = 10^{-4} L_{\odot}$$

$$N_{\text{DS}} \sim 1$$



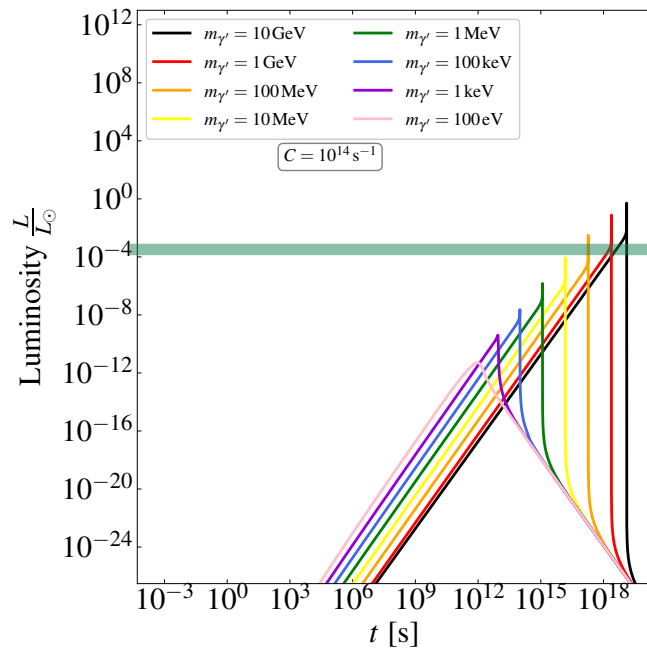
$\sim 1$  event if *all* DSs  
formed  $\sim 10^{17}$  s ago

# Signals from dark stars



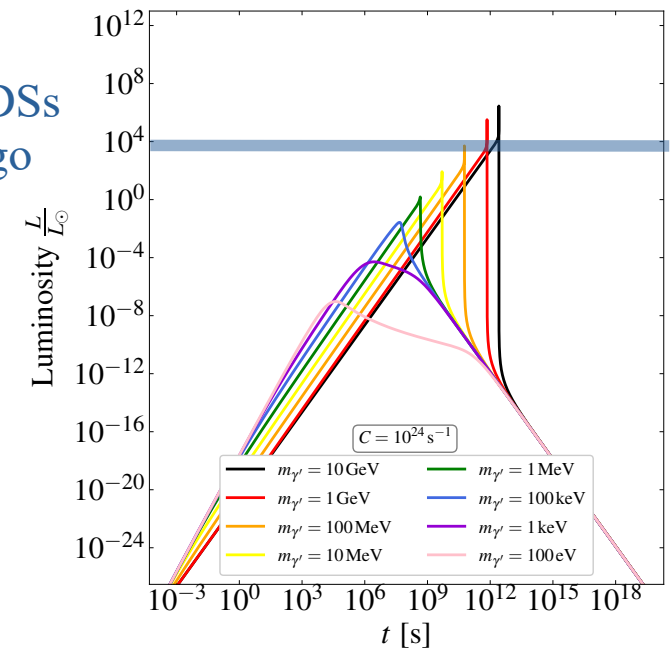
$L = 10^{-4} L_{\odot}$   
 $N_{DS} \sim 1$

$L = 10^4 L_{\odot}$   
 $N_{DS} \sim 10^9$

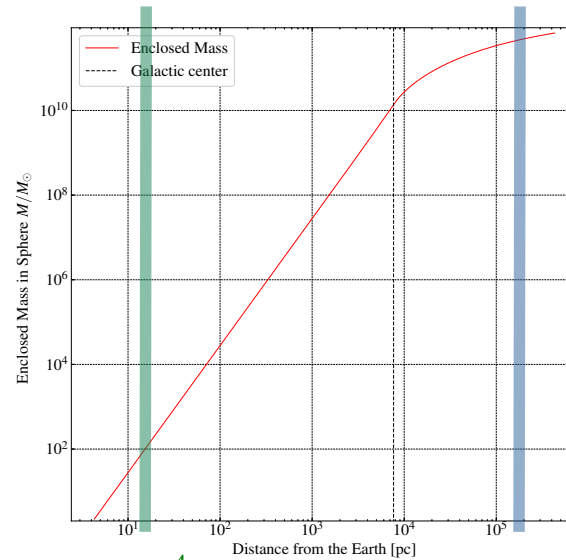


$\sim 1$  event if *all* DSs  
 formed  $\sim 10^{17}$  s ago

$10^9$  events if *all* DSs  
 formed  $\sim 10^{12}$  s ago

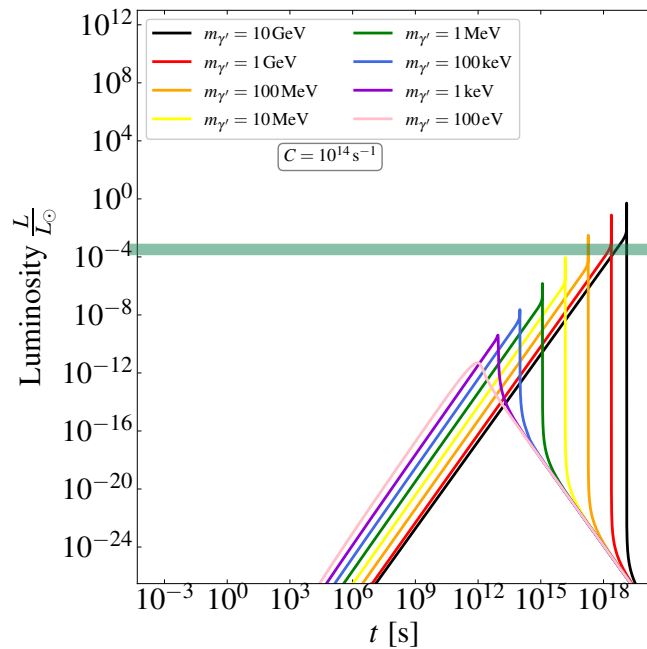


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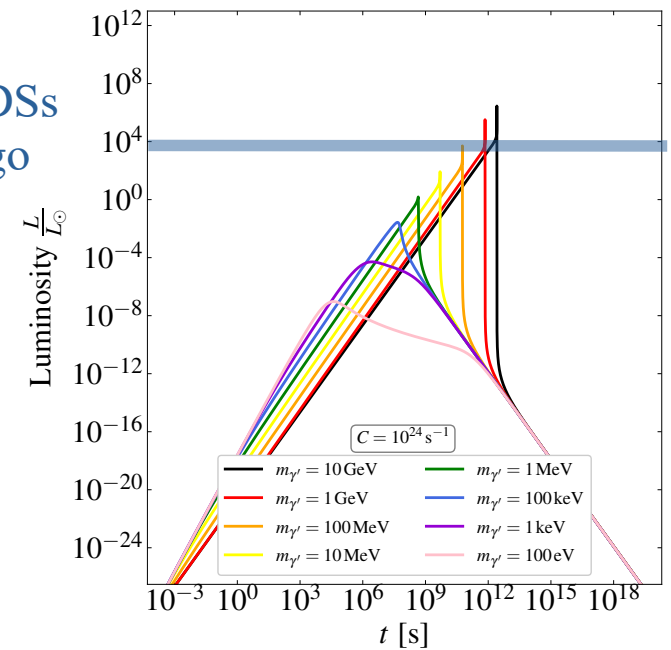
$L = 10^{-4} L_{\odot}$   
 $N_{DS} \sim 1$

$L = 10^4 L_{\odot}$   
 $N_{DS} \sim 10^9$



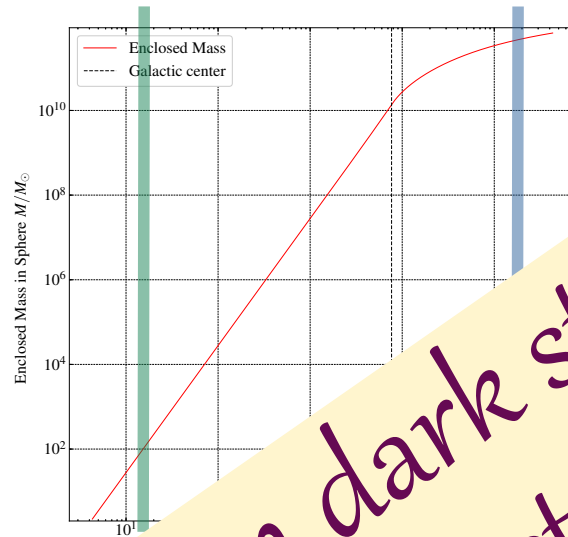
$\sim 1$  event if *all* DSs  
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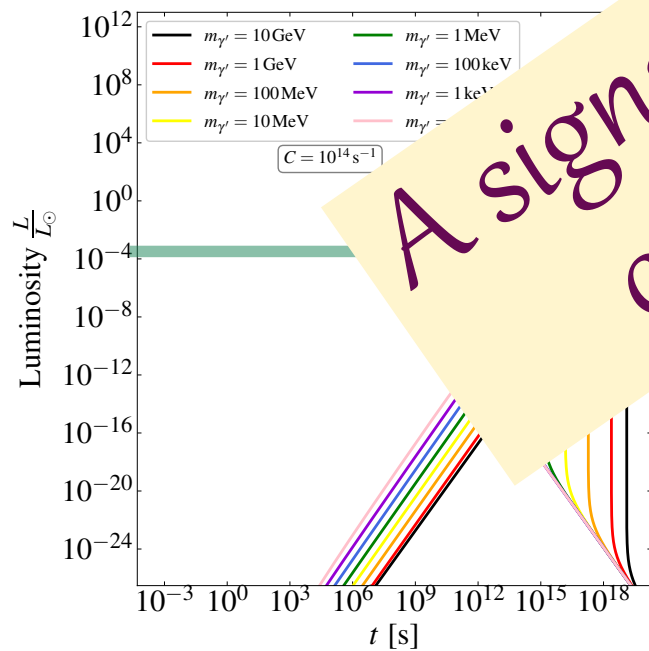


Dark stars could form continuously over time.

# Signals from dark stars



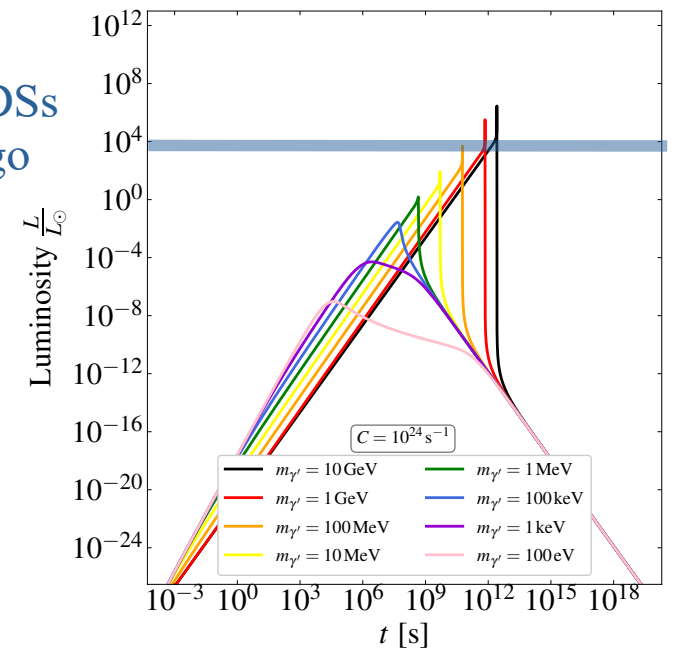
$L =$



A signal from dark stars could be detected

events if *all* DSs formed  $\sim 10^{12}$  s ago

event if *all* DSs formed  $\sim 10^{17}$  s ago



Dark stars could form continuously over time.

# Conclusions

- If the dark matter particle has strong self-interactions, it could form dark stars, that could be detected in MACHO searches.
- If the dark matter particle interacts with the proton, dark stars could capture protons from the interstellar medium. Electrons are also captured to keep the dark star electrically neutral. (Similar rationale if the dark matter interacts with the electron.)
- The captured electrons and protons form a hot gas that emits radiation with a characteristic spectrum.
- New target for indirect detection of asymmetric dark matter: point sources in X- or  $\gamma$ -rays (from scatterings with protons/electrons, from slow decays or from slow annihilations). These sources would be also detected as MACHOs.