

Constraints on decaying dark matter

from lensing and magnification of cosmic voids

Earl S. Lester

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UNIVERSITY *of*
TASMANIA

Talk covers recent work with K. Bolejko

- 1 Lester, E., Bolejko, K. (2021). Imprints of decaying dark matter on cosmic voids. *Physical Review D*, 104(12), 123540.
- 2 Lester, E., Bolejko, K. (2022). Constraining decaying dark matter models with gravitational lensing and cosmic voids. In preparation.



Figure: The myriad models and candidates for dark matter. Image original by Bertone and Tait.

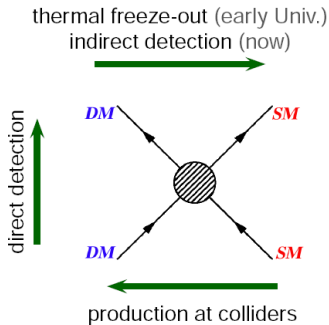


Figure: Simplify the picture by considering interactions (and detection methods).

$$T_{(i);b}^{ab} = I_{(i)}^a. \quad (1)$$

Take a semi-tetrad approach:

$$g_{ab} = \mathbf{e}_a \cdot \mathbf{e}_b = \eta_{ab} , \quad (2)$$

with fluid 4-velocity:

$$u_a = \mathbf{e}_0 , \quad (3)$$

and spatial axis of symmetry

$$z_a = \mathbf{e}_1 . \quad (4)$$

Decompose covariant derivative of 4-velocity:

$$u_{a;b} = \omega_{ab} + \sigma_{ab} + \frac{1}{3}\Theta h_{ab} - A_a u_b, \quad (5)$$

where

$$h_{ab} = g_{ab} + u_a u_b, \quad (6)$$

is a projection tensor.

Multi-fluid total energy momentum tensor:

$$T^{ab} = T_{ddm}^{ab} + T_{dm}^{ab} + T_r^{ab} + \dots \quad (7)$$

Simply eg.

$$T^{ab} = \rho u^a u^b + \eta v^a v^b, \quad (8)$$

with

$$v^a = \gamma(u^a + V^a). \quad (9)$$

Giving

$$T^{ab} = \mu u^a u^b + p h^{ab} + 2q^{(a} u^{b)} + \pi^{ab}. \quad (10)$$

with

$$\mu = \rho + \gamma^2 \eta \quad (11)$$

etc.

Furthermore

$$Q \sim \gamma^2 \eta V, \quad p \sim \Pi \sim \gamma^2 \eta V^2 \quad (12)$$

where

$$V^a = Vz^a \quad (13)$$

etc.

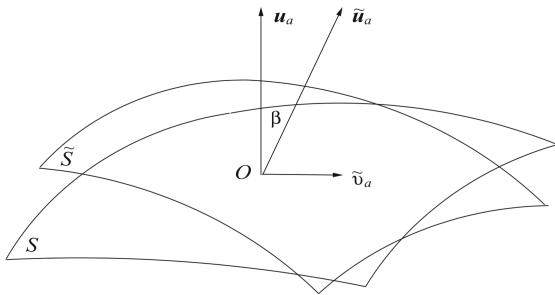


Fig. 1 Observer (O) moving with peculiar velocity \tilde{v}_a (where $\tilde{v}^2 \ll 1$ in our case), relative to the Hubble flow. The 4-velocities u_a and \tilde{u}_a , with a hyperbolic (tilt) angle β between them, respectively define the reference frame of the smooth universal expansion and that of the peculiar motion (see Eq. (1)). The 3-D hypersurfaces S and \tilde{S} are normal to u_a and \tilde{u}_a and they respectively define the rest-spaces of the idealised observers and of their real counterparts

Figure: Figure 1 from [4] schematically representing the tilted multi-fluid model.

Introduce fluid interactions as:

$$T_{(i);b}^{ab} = I_{(i)}^a. \quad (14)$$

A model of decay is

$$I_{(1)}^a = -\Gamma \rho (u^a + w^a), \quad (15)$$

where

$$w^a = \frac{4}{\pi^2} v_i \delta z^a \quad (16)$$

with δ is the fluid density perturbation, v_i the initial velocity after decay, Γ is the decay-rate.

The formalism leads to the governing equations (among many others)

$$\dot{\mu} = -\Theta\mu - Q' - Q\alpha - 2AQ, \quad (17)$$

$$\dot{\rho} = -\Theta\rho - \Gamma\rho, \quad (18)$$

$$\dot{Q} = -\left(\Sigma + \frac{4}{3}\Theta\right)Q - \mu A, \quad (19)$$

where $\dot{X} = u^a X_{;a}$, $X' = z^a X_{;a}$, $\alpha = h_{ab}z_{;b}^a$ and $A \neq 0$.

Zoomed out:

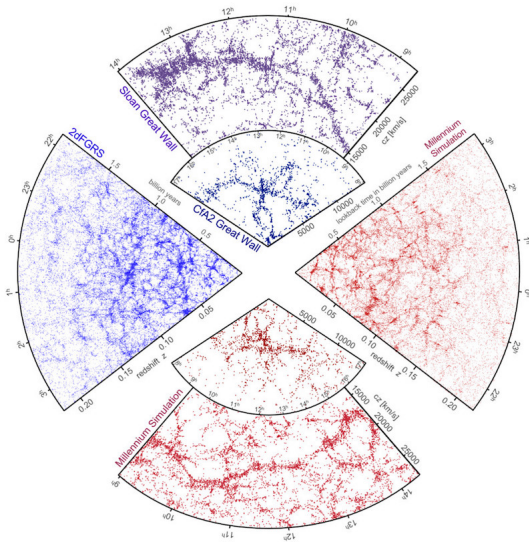


Figure: Credit to C. Burke

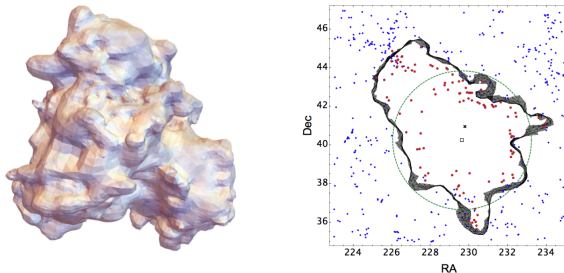


Figure 3. *Left:* A 3-dimensional representation of the bounding surface of an example void from the CMASS catalogue, obtained using the surface information described in Sec. 3.3.4. This void has effective radius $R_v = 86.7 h^{-1} \text{Mpc}$, effective ellipticity $e = 0.05$, $\delta_{g,\text{min}} = -0.93$ and $\bar{\delta}_g = -0.18$. *Right:* A thin slice through the void at redshift $z = 0.528$ is shown by the black 'ribbon'. Points show the projected positions of galaxies lying within a slice of thickness $30 h^{-1} \text{Mpc}$ centred at this redshift, with void member galaxies shown with the larger (red) points. The void minimum density centre and the volume-weighted barycentre of its member galaxies are shown by the black square and cross respectively. The green dashed line is the circle projected on the sky by an equivalent sphere of radius R_v .

Figure: Borrowed from [3].

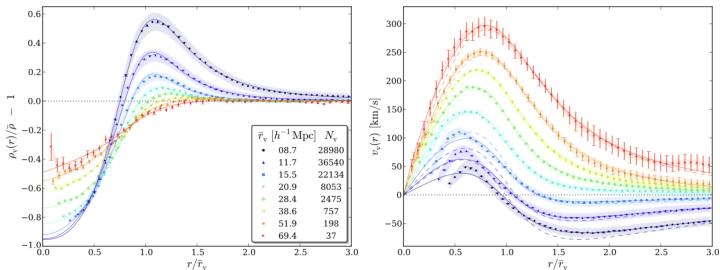


FIG. 1 (color online). Stacked density (left) and velocity (right) profiles of voids at redshift zero in eight contiguous bins in void radius with mean values and void counts indicated in the inset. Shaded regions depict the standard deviation σ within each of the stacks (scaled down by 20 for visibility), while error bars show standard errors on the mean profile $\sigma/\sqrt{N_v}$. Solid lines represent our best-fit solutions from Eq. (2) for density and from Eqs. (4) and (6) for velocity profiles. Dashed lines show the linear theory predictions obtained from evaluating the velocity profile equation at the best-fit parameters obtained from the density stacks.

Figure: Borrowed from [1].

A simplistic void:

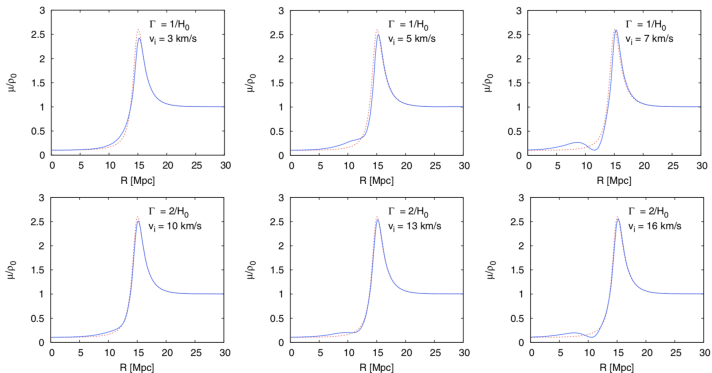


FIG. 1. Density profile at $z = 0$ of the evolved S-type void with (blue solid lines) and without (red dashed lines) decay, for various combinations of the parameters Γ and v_i . This panel clearly illustrates the injection-velocity-dependent growth of novel secondary structure at the edge of the underdense region.

Figure: Taken from [2].

Weak-lensing magnification:

$$\mu = 1 + 2\kappa, \quad (20)$$

Convergence:

$$\kappa = \frac{\Sigma}{\Sigma_C}, \quad (21)$$

Surface mass density:

$$\Sigma = \int \bar{\rho} \delta(r(\theta, z)) dl. \quad (22)$$

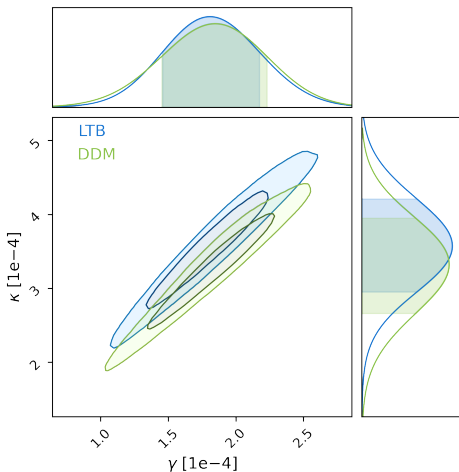


Figure: Small (~ 20 Mpc) voids with (DDM, $v_i \sim 100 \text{ km s}^{-1}$) and without (LTB) decay.

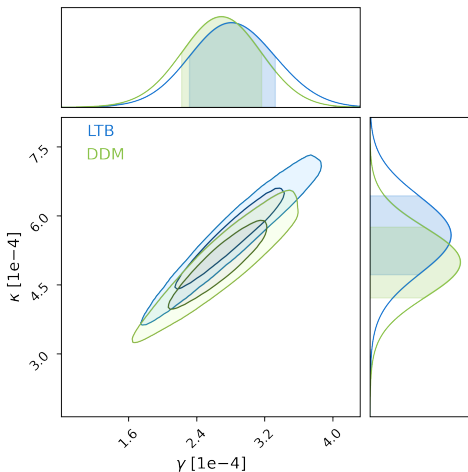


Figure: Large (~ 30 Mpc) voids with (DDM $v_i \sim 100 \text{ km s}^{-1}$) and without (LTB) decay.

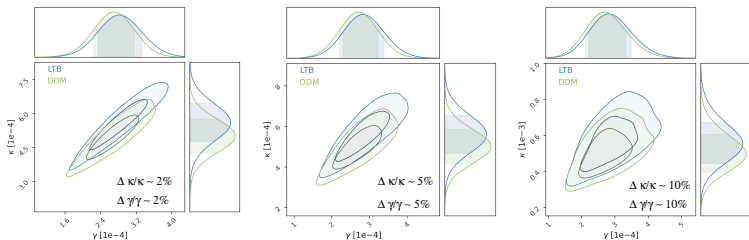


Figure: Demonstrating the effect of increasing uncertainties upon the weak-lensing signals.

More realistically

$$\kappa = \kappa_{WL} + \kappa_{DM} + \dots$$

where $\kappa_{DM} \sim v_{pec}$.

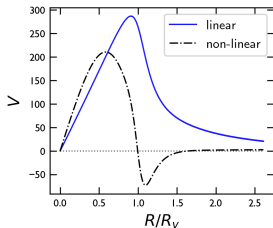



Figure: An example of the peculiar velocities fields around cosmological voids.

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Questions?