

The 10th Annual
Large Hadron Collider Physics Conference
May 16-21, 2022

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10th Edition of the Large Hadron Collider Physics Conference

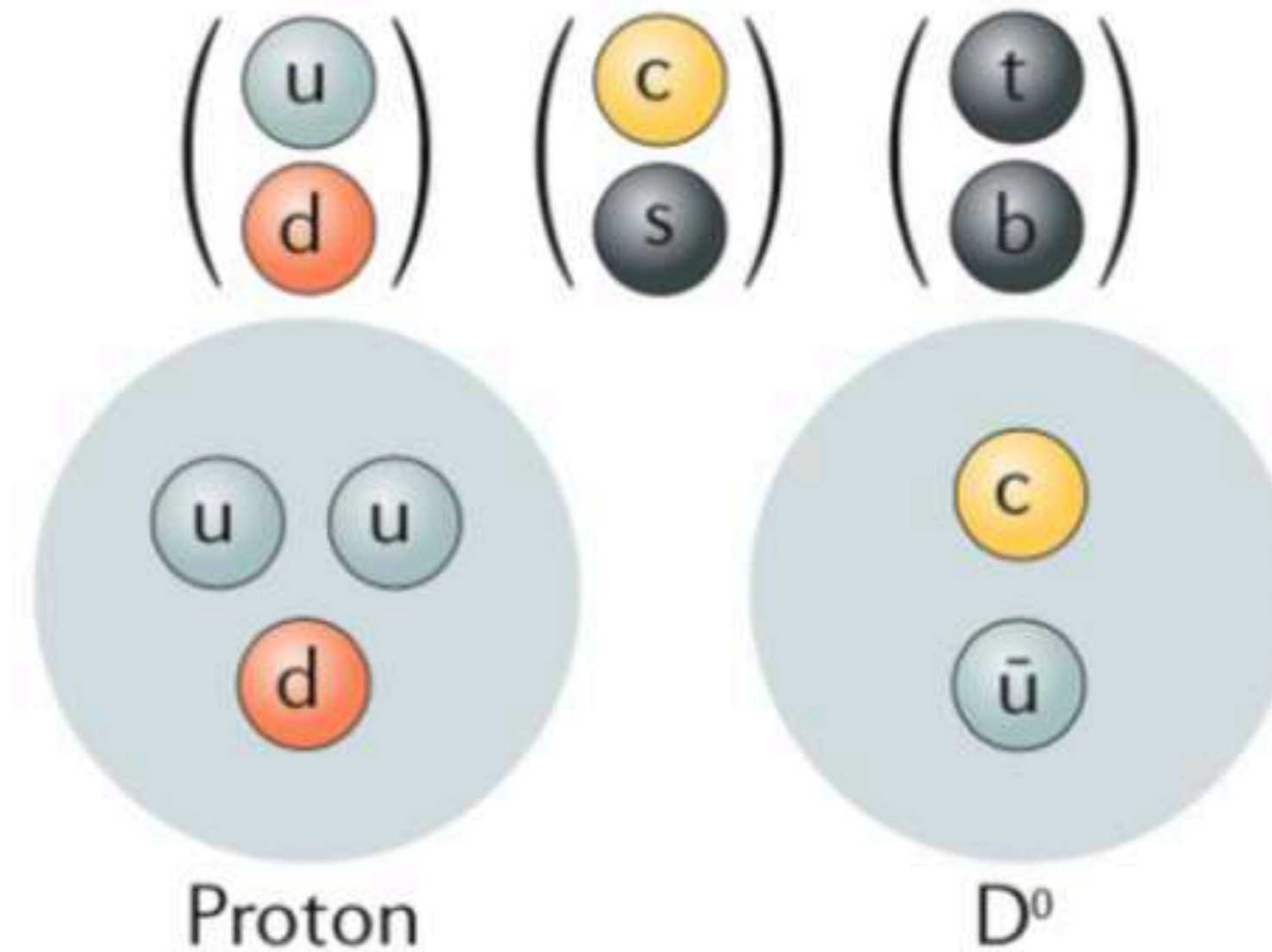
**CPV and Mixing in the Charm
Sector: Theory Overview**



16.5.2022

Alexander Lenz

Charm Physics



	$D^0 = (\bar{u}c)$	$D^+ = (\bar{d}c)$	$D_s^+ = (\bar{s}c)$	$\Lambda_c = (udc)$
Mass (GeV)	1.86486	1.86962	1.96850	2.28646
Lifetime (ps)	0.4101	1.040	0.500	0.200

Theoretical Peculiarities of Charm:

1. The strong coupling is strong

$$\alpha_s(m_c) = 0.33 \pm 0.01$$

2. The charm quark is not really heavy

$$m_c^{\text{Pole}} = (1.67 \pm 0.07) \text{ GeV}, \quad \bar{m}_c(\bar{m}_c) = (1.27 \pm 0.02) \text{ GeV},$$

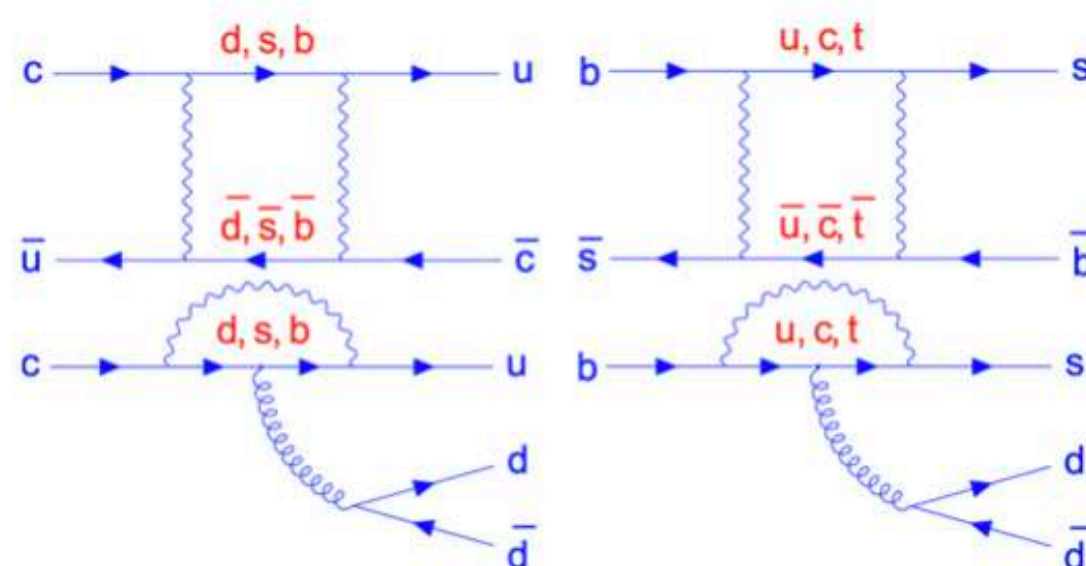
3. There is almost no CPV in charm

$$V_{cd} = -0.2247 - 1.4 \cdot 10^{-4}I, \quad V_{cs} = 0.97354 - 3.1 \cdot 10^{-5}I, \quad V_{cb} = 0.0416$$



Thanks [Tommaso](#) and [Patricia](#)!

4. There are extremely pronounced GIM cancellations in the charm sector



$$\begin{aligned} \left(\frac{m_d}{M_W}\right)^2 &\approx 0, & \left(\frac{m_u}{M_W}\right)^2 &\approx 0, \\ \left(\frac{m_s}{M_W}\right)^2 &\approx 1.3 \cdot 10^{-6}, & \left(\frac{m_c}{M_W}\right)^2 &\approx 2.5 \cdot 10^{-4}, \\ \left(\frac{m_b}{M_W}\right)^2 &\approx 2.8 \cdot 10^{-3}, & \left(\frac{m_t}{M_W}\right)^2 &\approx 4.5. \end{aligned}$$

See e.g.
AL, G. Wilkinson
2011.04443

Cancellations

The charm system is theoretically more difficult than the b system since

$$\alpha_s(m_c) \approx 0.33 \quad \text{and} \quad \frac{\Lambda_{QCD}}{m_c} \approx 3 \frac{\Lambda_{QCD}}{m_b}$$

Nevertheless the **Heavy Quark Expansion** might still converge

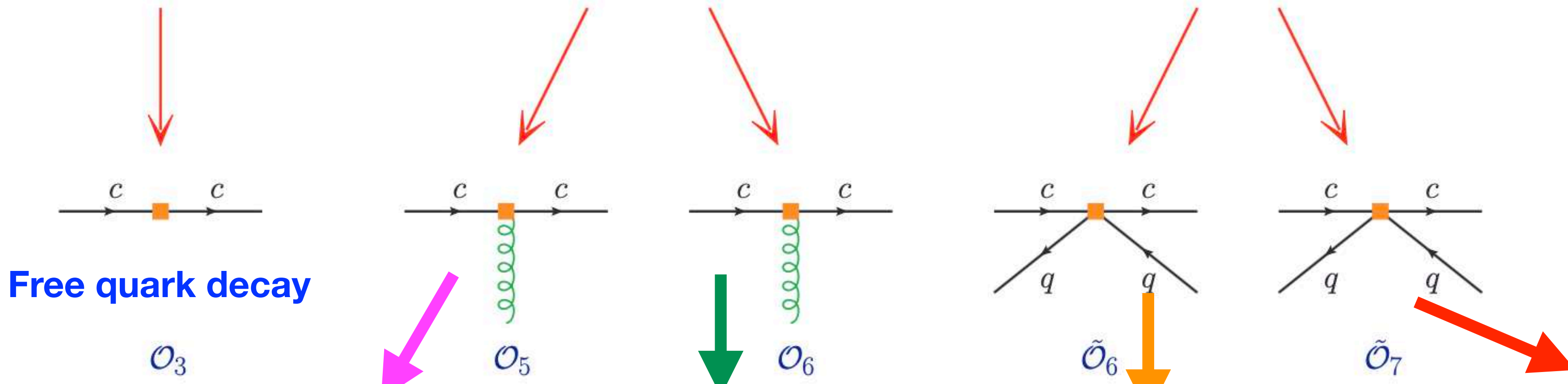
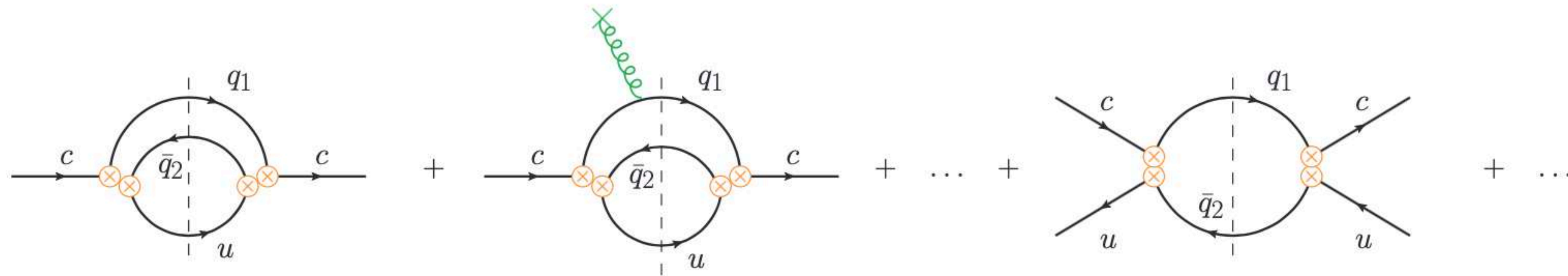
But things will become very ugly, if in addition cancellations arising

- A. No cancellations, e.g. $\Gamma(D^0)$
- B. Strong cancellations, e.g. $\Gamma(D^+)$
- C. Crazy cancellations, e.g. D -mixing



A. No Cancellations

$$\Gamma(D) = \Gamma_3 + \Gamma_5 \frac{\langle \mathcal{O}_5 \rangle}{m_c^2} + \Gamma_6 \frac{\langle \mathcal{O}_6 \rangle}{m_c^3} + \dots + 16\pi^2 \left(\tilde{\Gamma}_6 \frac{\langle \tilde{\mathcal{O}}_6 \rangle}{m_c^3} + \tilde{\Gamma}_7 \frac{\langle \tilde{\mathcal{O}}_7 \rangle}{m_c^4} + \dots \right), \quad \Gamma_i = \Gamma_i^{(0)} + \frac{\alpha_s(m_c)}{4\pi} \Gamma_i^{(1)} + \left[\frac{\alpha_s(m_c)}{4\pi} \right]^2 \Gamma_i^{(2)} + \dots$$



Free quark decay

\mathcal{O}_3

Kinetic operator μ_π^2

Chromomagnetic operator μ_G^2

Darwin operator μ_π^2

4-quark operator B_i, ϵ_i

Eye contractions r

Dimension 7 operators

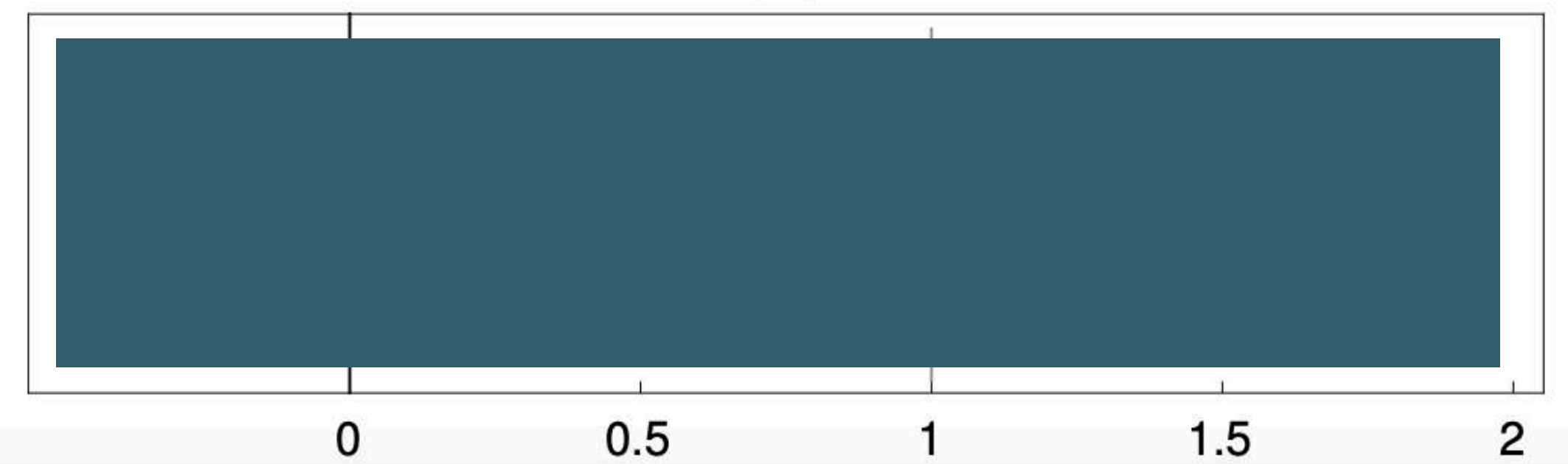
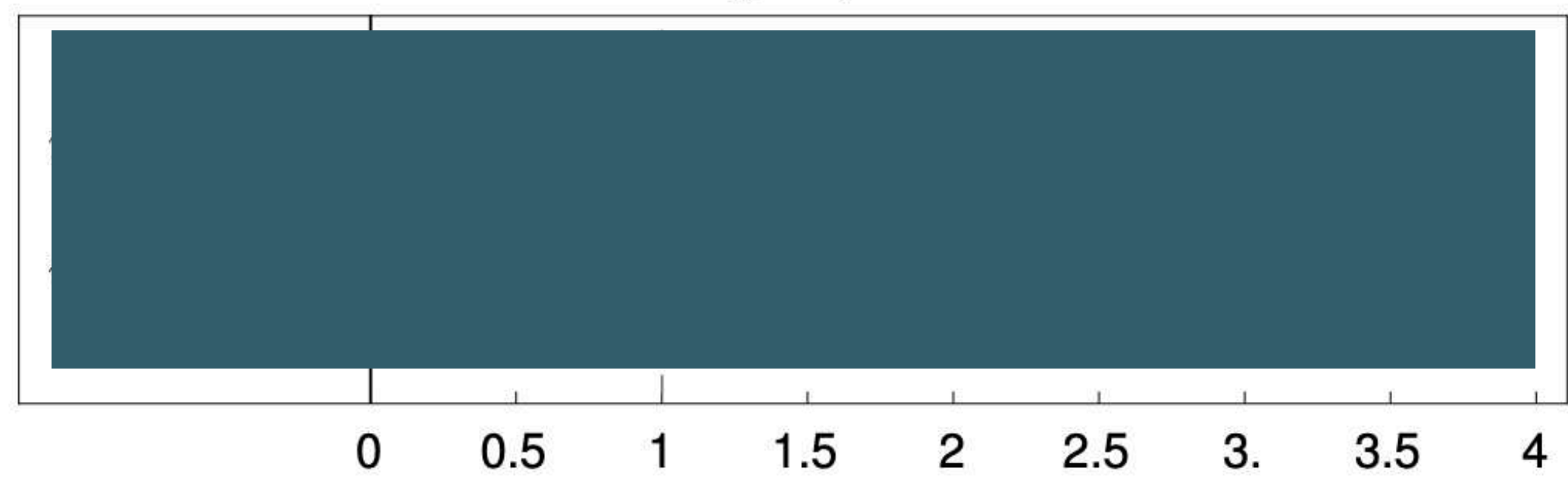
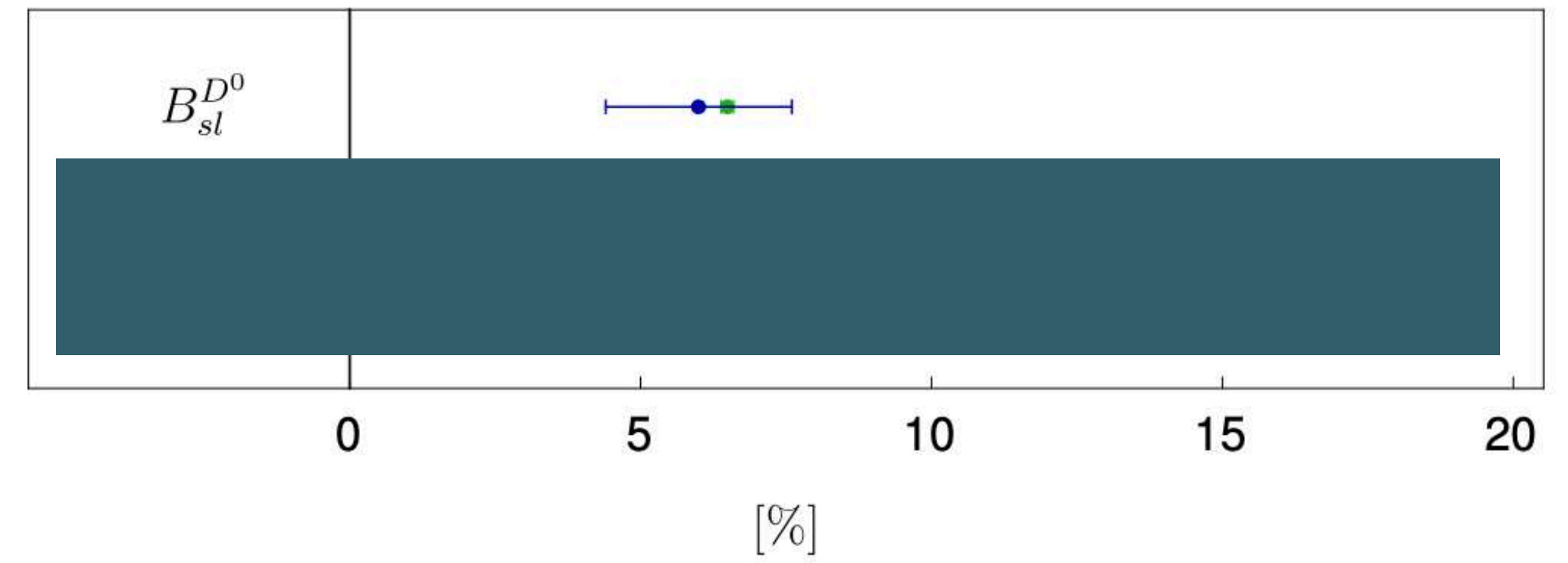
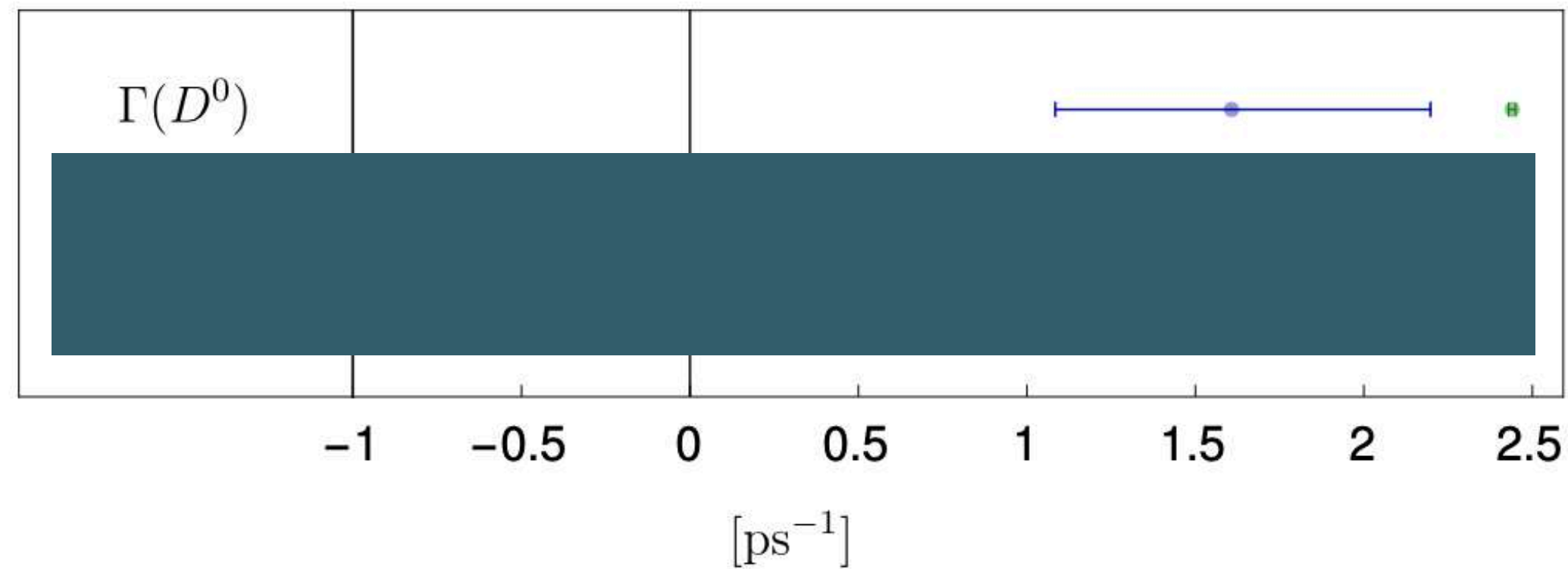
Vacuum insertion approximation

A. No Cancellations

$$\Gamma(D^0) = 6.15 \Gamma_0 \left[1 + 0.48 - 0.13 \frac{\mu_\pi^2(D)}{0.48 \text{ GeV}^2} + 0.01 \frac{\mu_G^2(D)}{0.34 \text{ GeV}^2} + 0.31 \frac{\rho_D^3(D)}{0.082 \text{ GeV}^3} \right.$$

$$\begin{aligned} & - \underbrace{0.01}_{\text{dim-6, VIA}} - 0.005 \frac{\delta \tilde{B}_1^q}{0.02} + 0.005 \frac{\delta \tilde{B}_2^q}{0.02} + 0.137 \frac{\tilde{\epsilon}_1^q}{-0.04} - 0.125 \frac{\tilde{\epsilon}_2^q}{-0.04} + \underbrace{0.00}_{\text{dim-7, VIA}} \\ & - 0.0045 r_1^{qq} - 0.0004 r_2^{qq} - 0.0035 r_3^{qq} + 0.0000 r_4^{qq} \\ & - 0.0109 r_1^{sq} - 0.0079 r_2^{sq} - 0.0000 r_3^{sq} + 0.0001 r_4^{sq} \left. \right]. \end{aligned}$$

A. No Cancellations



- Values of $\mu_\pi^2, \mu_G^2, \rho_D^3$ almost unknown
- NNLO-QCD corrections to free quark decay in progress
Fael, Steinhauser,...
- NNLO-QCD corrections to spectator effects in progress
Nierste, Steinhauser,...



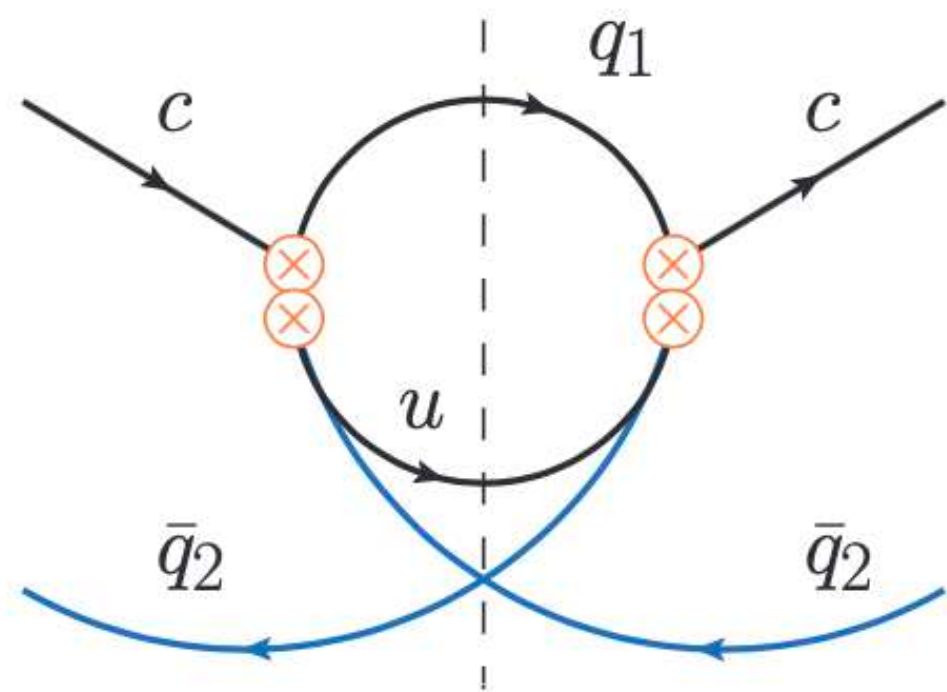
Revisiting Inclusive Decay Widths of Charmed Mesons #5

Daniel King (Durham U., IPPP and Durham U.), Alexander Lenz (Siegen U.), Maria Laura Piscopo (Siegen U.), Thomas Rauh (U. Bern, AEC), Aleksey V. Rusov (Siegen U.) et al. (Sep 27, 2021)

e-Print: 2109.13219 [hep-ph]

B. Strong Cancellations

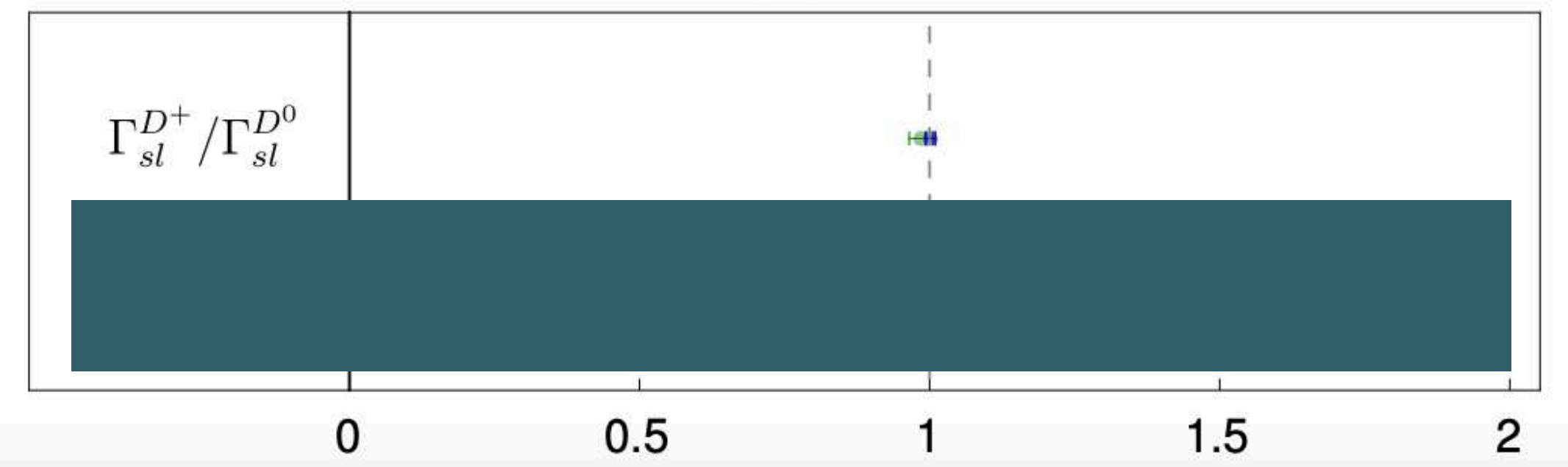
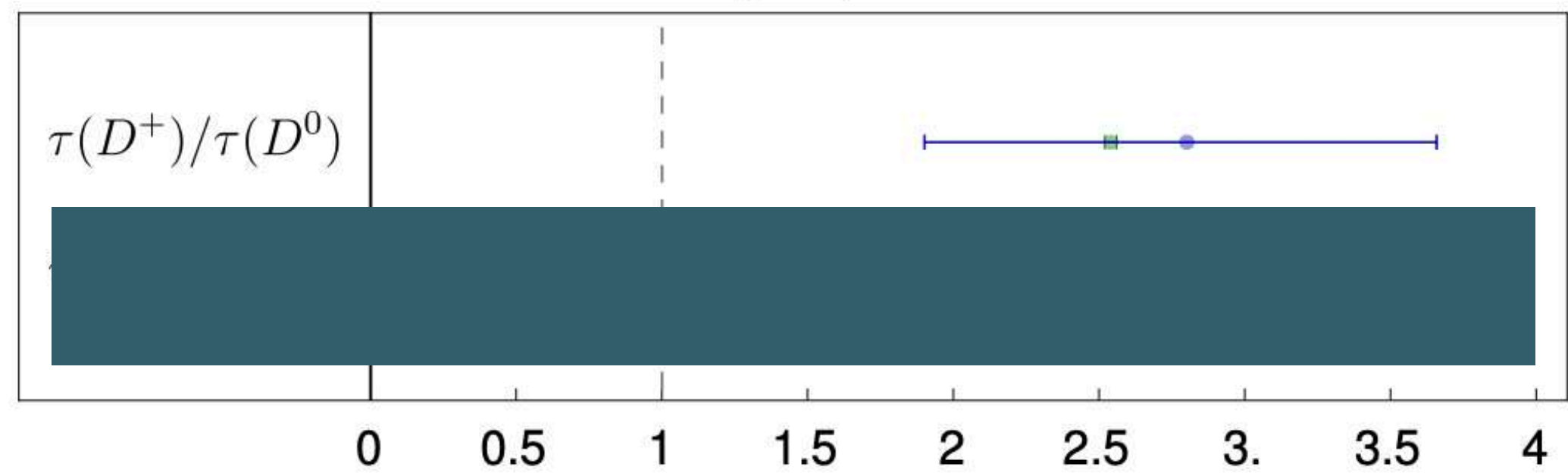
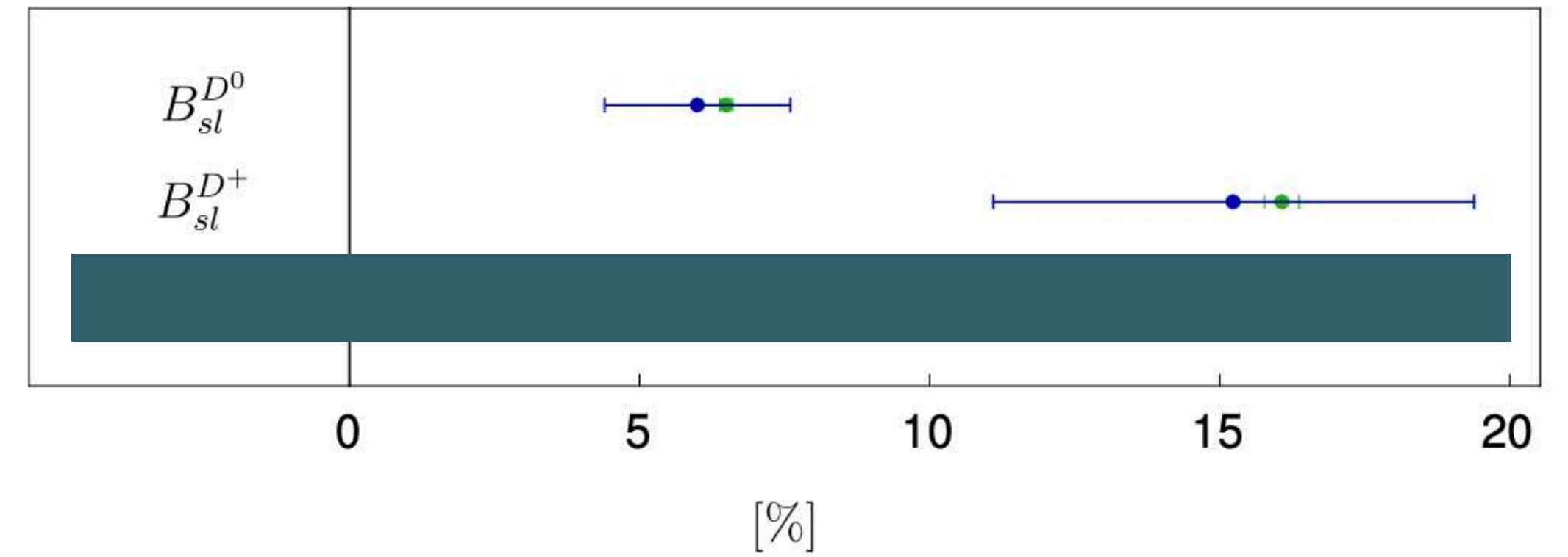
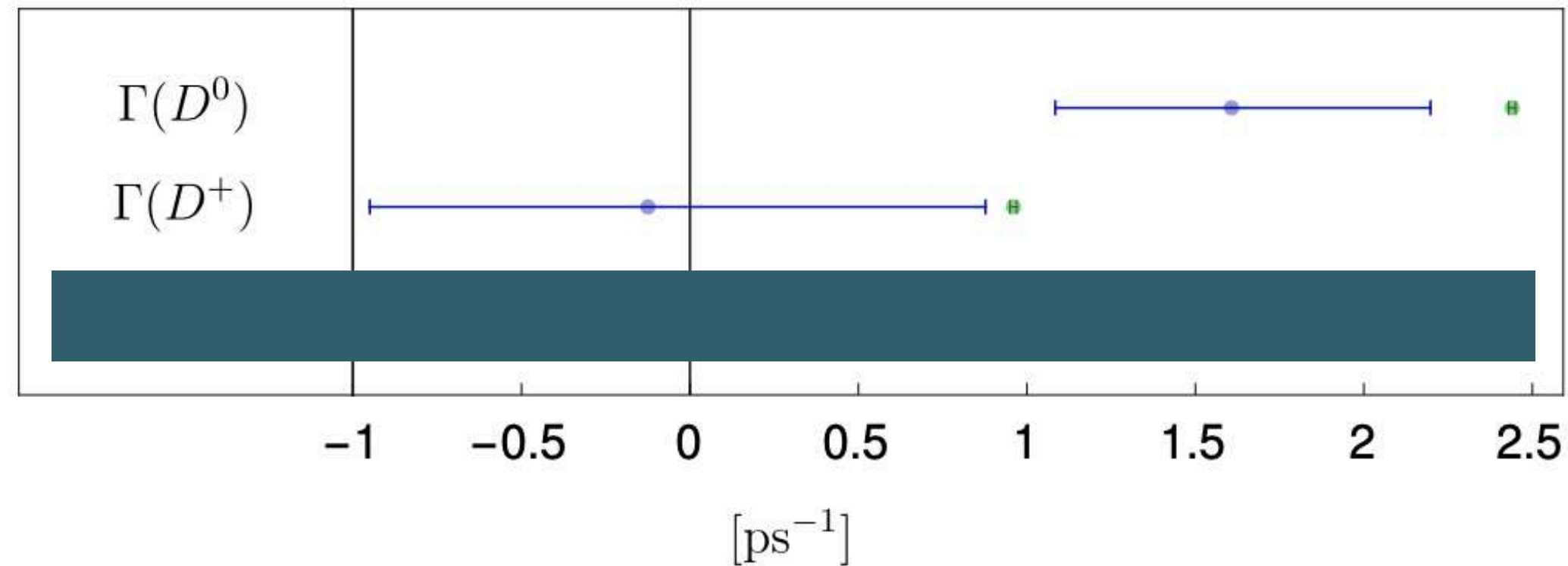
$$\Gamma(D^+) = 6.15 \Gamma_0 \left[1 + 0.48 - 0.13 \frac{\mu_\pi^2(D)}{0.48 \text{ GeV}^2} + 0.01 \frac{\mu_G^2(D)}{0.34 \text{ GeV}^2} + 0.31 \frac{\rho_D^3(D)}{0.082 \text{ GeV}^3} \right.$$



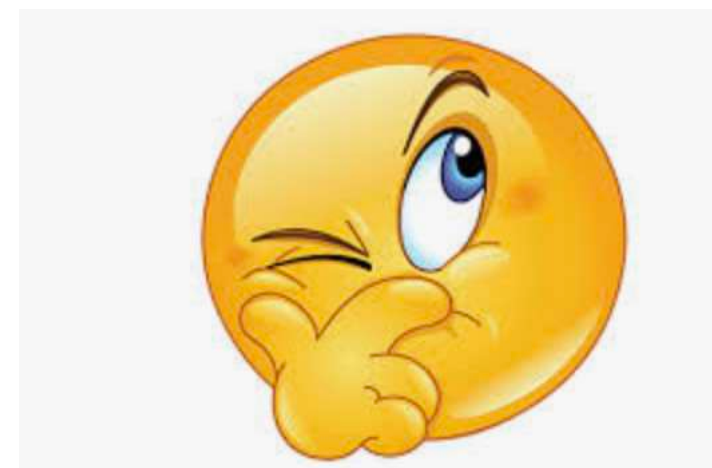
$$\begin{aligned} & - \underbrace{2.66}_{\text{dim-6, VIA}} - 0.055 \frac{\delta \tilde{B}_1^q}{0.02} + 0.002 \frac{\delta \tilde{B}_2^q}{0.02} - 0.546 \frac{\tilde{\epsilon}_1^q}{-0.04} + 0.009 \frac{\tilde{\epsilon}_2^q}{-0.04} + \underbrace{1.10}_{\text{dim-7, VIA}} \\ & - 0.0000 r_1^{qq} - 0.0000 r_2^{qq} + 0.0011 r_3^{qq} + 0.0008 r_4^{qq} \\ & - 0.0109 r_1^{sq} - 0.0080 r_2^{sq} - 0.0000 r_3^{sq} + 0.0001 r_4^{sq} \end{aligned} \left. \right],$$

Huge effects due to Pauli interference

B. Strong Cancellations



- Values of $\mu_\pi^2, \mu_G^2, \rho_D^3$ almost unknown
- NNLO-QCD corrections to free quark decay in progress
Fael, Steinhauser,...
- NNLO-QCD corrections to spectator effects in progress
Nierste, Steinhauser,...
- Check of HQET sum rule results with lattice
Black, Witzel, ...RBC-UK
- First non-perturbative determination of dimension 7



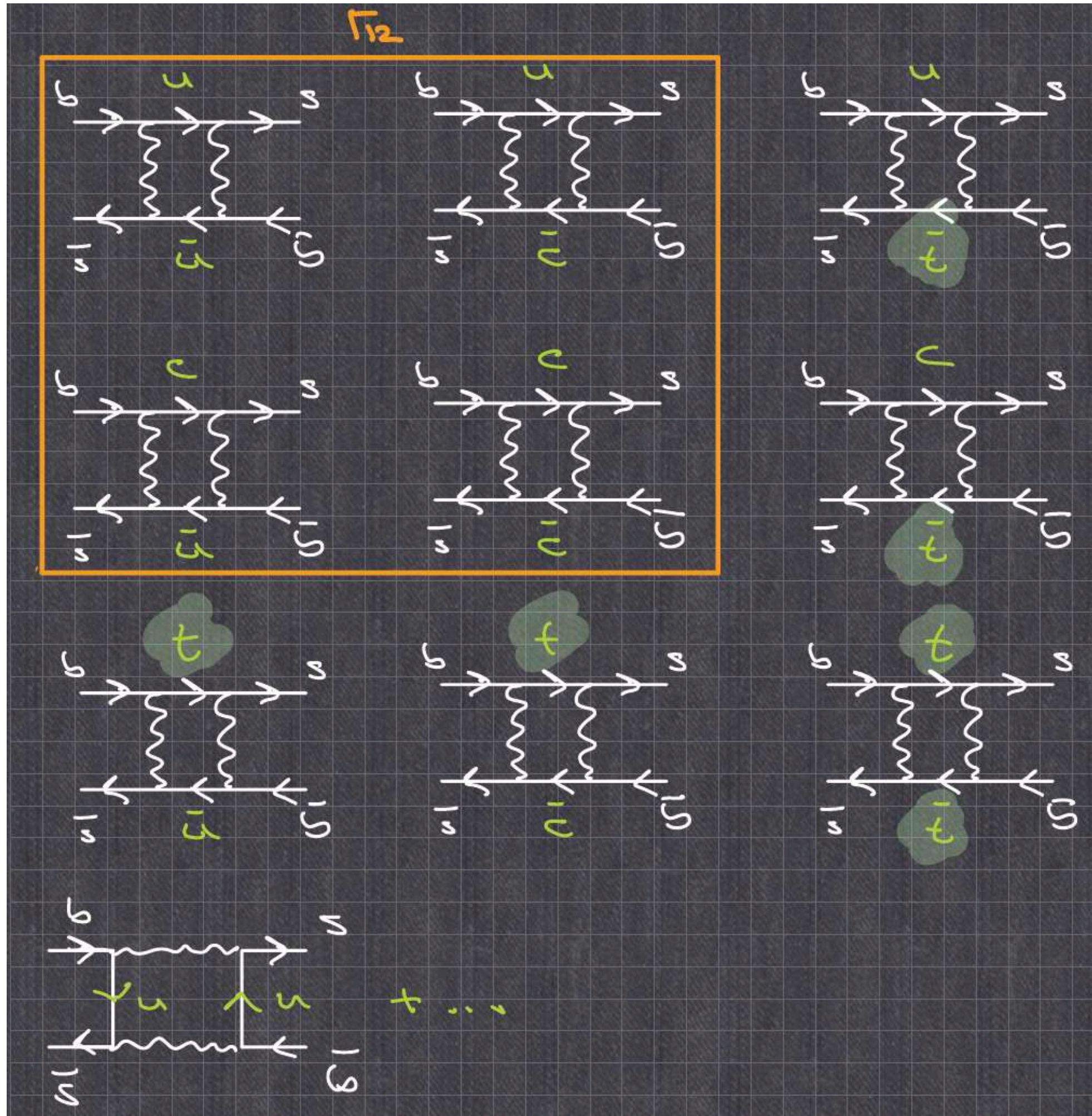
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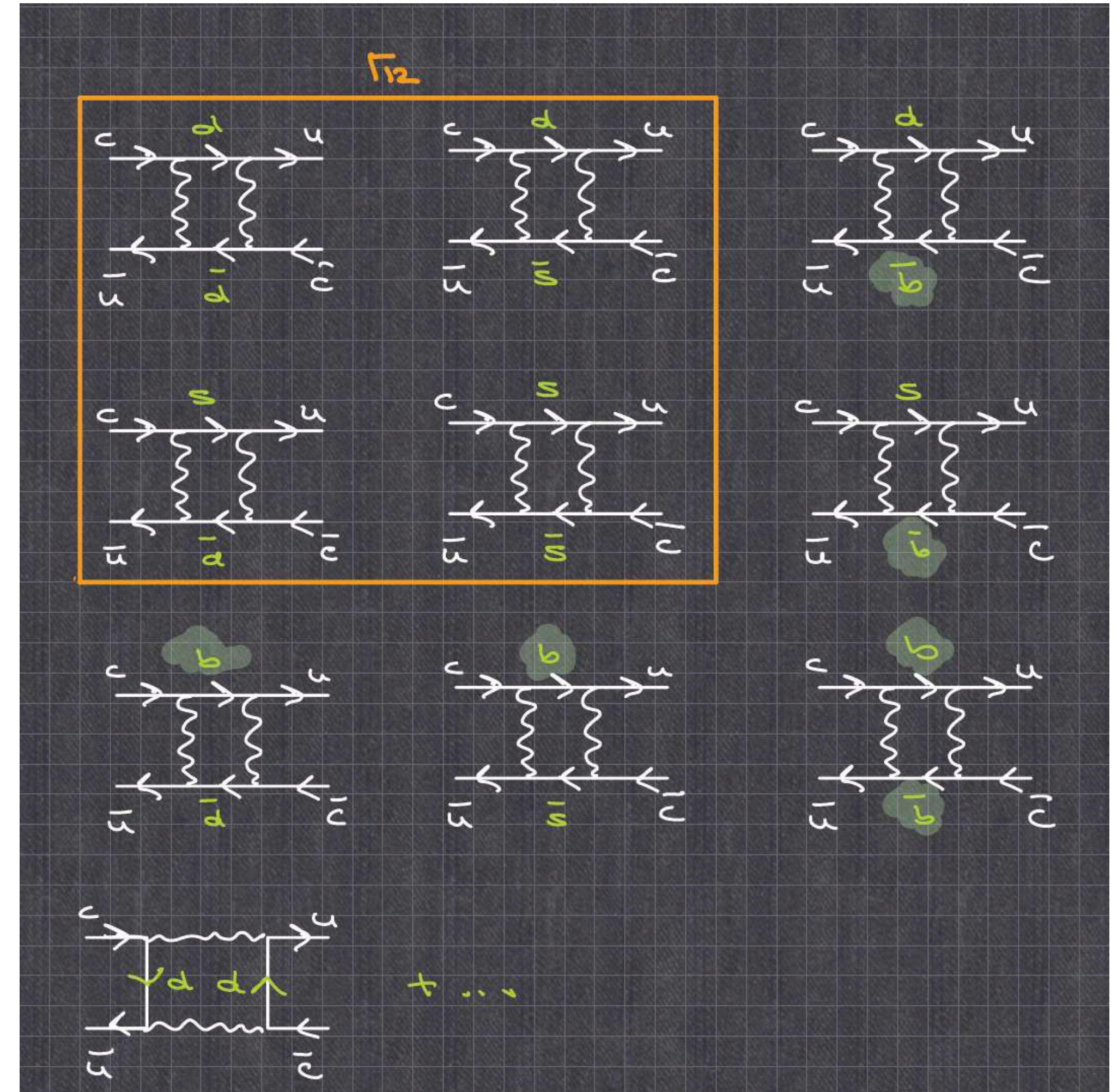
e-Print: 2109.13219 [hep-ph]

C: Crazy Cancellations

B-mixing



D-mixing



C: Crazy Cancellations

B-mixing



D-mixing



$$\begin{aligned}
 M_{12} &= \lambda_u^2 F(u,u) + \lambda_u \lambda_c F(u,c) + \lambda_u \lambda_t F(u,t) \\
 &+ \lambda_c \lambda_u F(c,u) + \lambda_c^2 F(c,c) + \lambda_c \lambda_t F(c,t) \\
 &+ \lambda_t \lambda_u F(t,u) + \lambda_t \lambda_c F(t,c) + \lambda_t^2 F(t,t) \\
 \lambda_u + \lambda_c + \lambda_t &= 0 \\
 &\downarrow \\
 &= \lambda_u^2 [F(c,c) - 2F(u,c) + F(u,u)] \\
 &+ 2\lambda_u \lambda_t [F(c,c) - F(u,c) + F(u,t) - F(c,t)] \\
 &+ \lambda_t^2 [F(c,c) - 2F(c,t) + F(t,t)]
 \end{aligned}$$

	Bd	Bs	
λ_u	$\lambda^{3.8}$	$\lambda^{4.8}$	$m_u^2/m_\tau^2 \approx 0$
λ_c	λ^3	λ^2	$m_c^2/m_\tau^2 \approx 2.5 \cdot 10^{-4}$
λ_t	λ^3	λ^2	$m_t^2/m_\tau^2 \approx 4.5$

$$\begin{aligned}
 M_{12} &= \lambda_d^2 F(d,d) + \lambda_d \lambda_s F(d,s) + \lambda_d \lambda_b F(d,b) \\
 &+ \lambda_s \lambda_d F(s,d) + \lambda_s^2 F(s,s) + \lambda_s \lambda_b F(s,b) \\
 &+ \lambda_b \lambda_d F(b,d) + \lambda_b \lambda_s F(b,s) + \lambda_b^2 F(b,b) \\
 \lambda_d + \lambda_s + \lambda_b &= 0 \\
 &\downarrow \\
 &= \lambda_d^2 [F(d,d) - 2F(d,s) + F(s,s)] \\
 &+ 2\lambda_s \lambda_b [F(s,s) - F(d,s) + F(d,b) - F(s,b)] \\
 &+ \lambda_b^2 [F(s,s) - 2F(s,b) + F(b,b)]
 \end{aligned}$$

	D	
λ_d	λ^1	$m_d^2/m_\tau^2 \approx 0$
λ_s	λ^1	$m_s^2/m_\tau^2 \approx 1.3 \cdot 10^{-6}$
λ_b	$\lambda^{5.8}$	$m_b^2/m_\tau^2 \approx 2.8 \cdot 10^{-3}$

CKM dominant \equiv GIM dominant

CKM suppressed \equiv GIM suppressed

CKM suppressed \equiv GIM dominant

CKM dominant \equiv GIM suppressed

C: Crazy Cancellations

The HQE is successful in the B system and for D meson lifetimes

=> apply it for D-mixing

$$y_D^{\text{HQE}} \approx \lambda_s^2 (\Gamma_{12}^{ss} - 2\Gamma_{12}^{sd} + \Gamma_{12}^{dd}) \approx 10^{-5} y_D^{\text{Exp.}}$$

How can this be?

Look only at a single diagram:

$$y_D^{\text{HQE}} \neq \lambda_s^2 \Gamma_{12}^{ss} \tau_D = 3.7 \cdot 10^{-2} \approx 5.6 y_D^{\text{Exp.}}$$

pert. calculation: **Bobrowski et al 1002.4794**

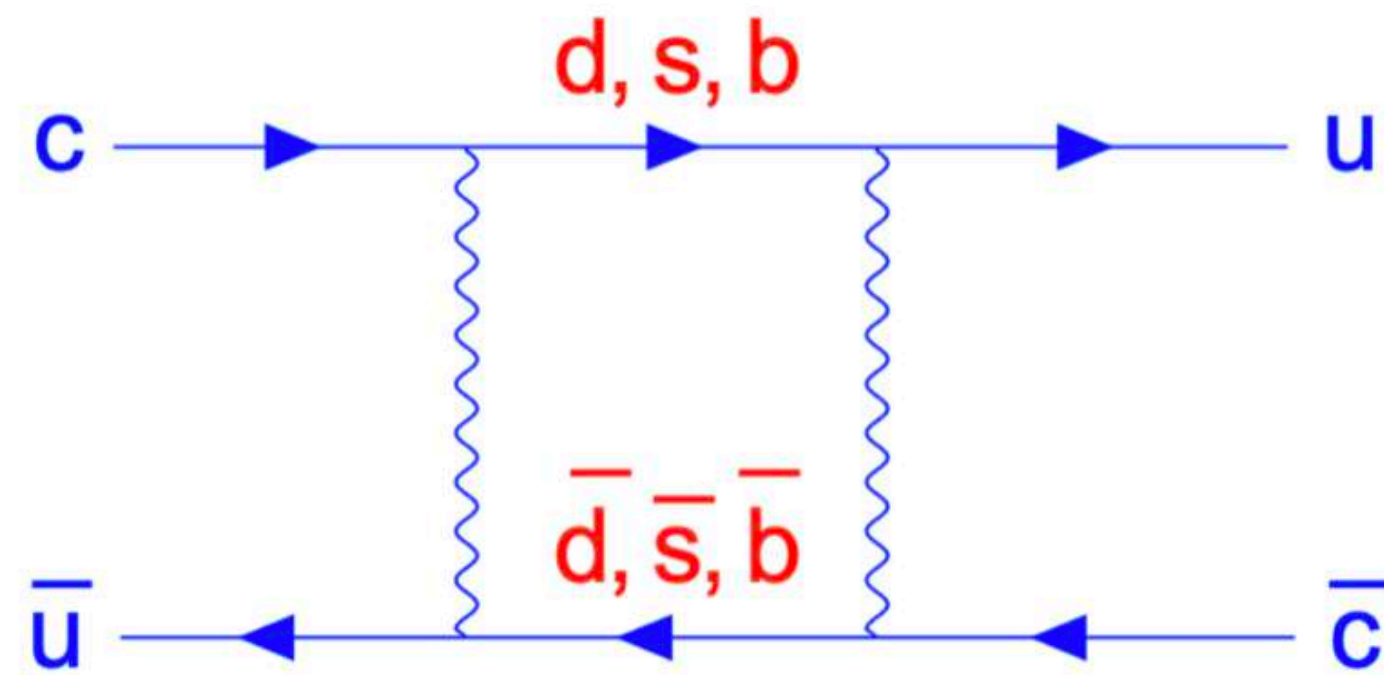
lattice input: **ETM 1403.7302; 1505.06639; FNAL/MILC 1706.04622**

HQET sum rules: **Kirk, AL, Rauh 1711.02100**

The problem seems to originate in the extreme GIM cancellations

C: Crazy Cancellations

GIM cancellation vs CKM hierarchy: $|\lambda_b| \ll |\lambda_s|$, but complex!!!



survives in
SU(3)F limit!

dominant for
B mixing

$$\Gamma_{12}^D = -\lambda_s^2 (\Gamma_{ss}^D - 2\Gamma_{sd}^D + \Gamma_{dd}^D) + 2\lambda_s\lambda_b (\Gamma_{sd}^D - \Gamma_{dd}^D) - \lambda_b^2 \Gamma_{dd}^D,$$

$$M_{12}^D = \lambda_s^2 [M_{ss}^D - 2M_{sd}^D + M_{dd}^D] + 2\lambda_s\lambda_b [M_{bs}^D - M_{bd}^D - M_{sd}^D + M_{dd}^D] + \lambda_b^2 [M_{bb}^D - 2M_{bd}^D + M_{dd}^D].$$

C: Crazy Cancellations

1. Duality violations - break down of HQE

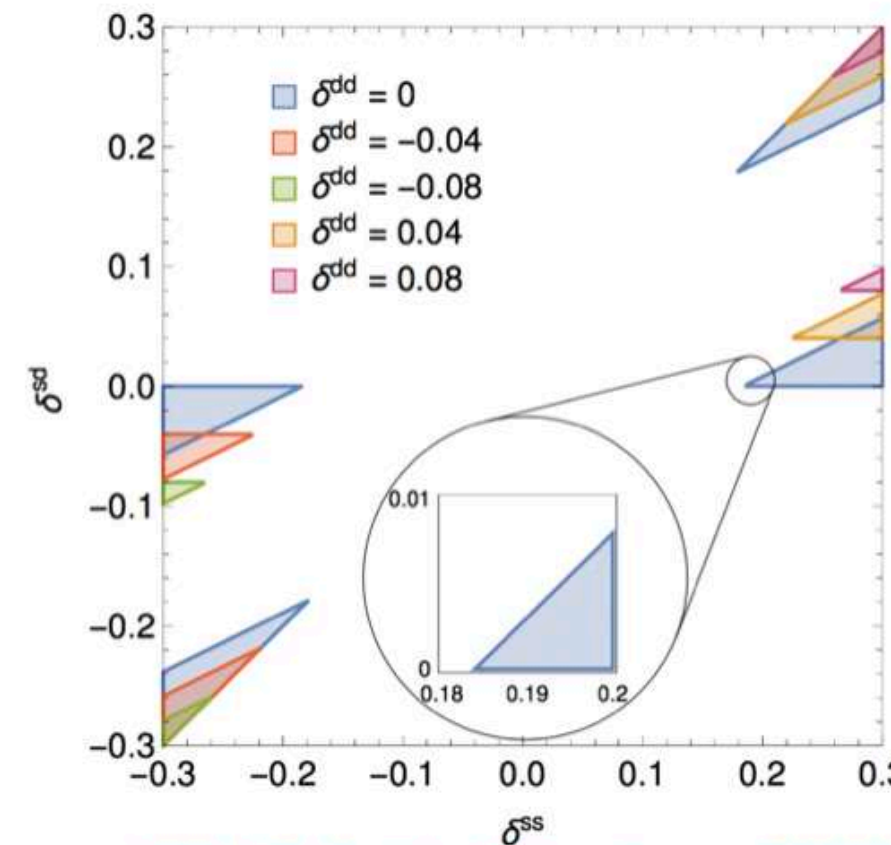
$$\Gamma_{12}^{ss} \rightarrow \Gamma_{12}^{ss}(1 + \delta^{ss}),$$

$$\Gamma_{12}^{sd} \rightarrow \Gamma_{12}^{sd}(1 + \delta^{sd}),$$

$$\Gamma_{12}^{dd} \rightarrow \Gamma_{12}^{dd}(1 + \delta^{dd}),$$

20% of duality violation is sufficient to explain experiment

Jubb, Kirk, AL, Tetlalmatzi-Xolocotzi 2016

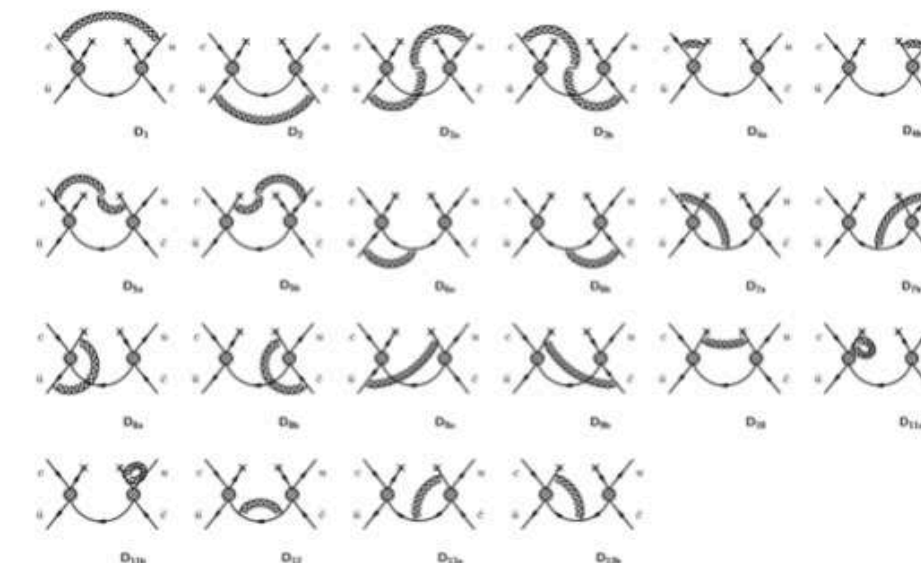
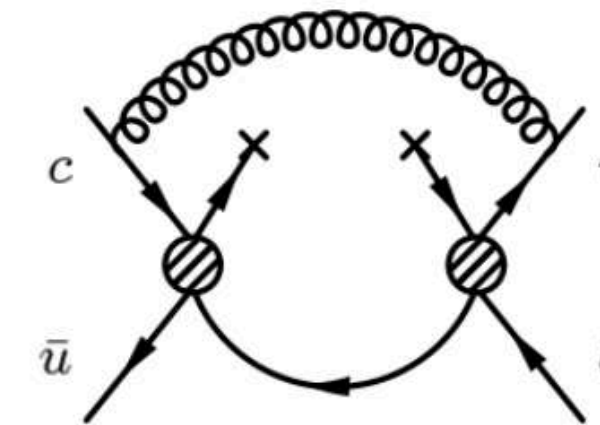


2. Higher dimensions

Georgi 9209291; Ohi, Ricciardi, Simmons 9301212; Bigi, Uraltsev 0005089

Idea: GIM cancellation is lifted by higher orders in the HQE - overcompensating the 1/mc suppression.

Partial calculation of D=9 yields an enhancement - but not to the experimental value Bobrowski, AL, Rauh 2012



3. Renormalisation scale setting:

AL, Piscopo, Vlahos 2020

$$\mu_x^{ss} = \mu_x^{sd} = \mu_x^{dd}$$

Implicitly assumes a precision of 10^-5!

4. New Physics is present and we cannot prove it yet:-)

- 1) Vary $\mu^{ss,dd}$ and μ^{ds} independently between 1 GeV and $2 m_c$
 \Rightarrow uncertainty increases and exp. value is covered
- 2) Choose scales somehow phase space inspired as

$$\begin{aligned} \mu^{ss} &= m_c - 2\epsilon \\ \mu^{sd} &= m_c - \epsilon \\ \mu^{dd} &= m_c \end{aligned}$$

\Rightarrow exp. value is covered

Exclusive and inclusive approaches can cover the experimental regions



No precision determination possible

Exclusive approach

$$\Gamma_{12}^D = \sum_n \rho_n \langle \bar{D}^0 | \mathcal{H}_{eff.}^{\Delta C=1} | n \rangle \langle n | \mathcal{H}_{eff.}^{\Delta C=1} | D^0 \rangle,$$

$$M_{12}^D = \sum_n \langle \bar{D}^0 | \mathcal{H}_{eff.}^{\Delta C=2} | D^0 \rangle + P \sum_n \frac{\langle \bar{D}^0 | \mathcal{H}_{eff.}^{\Delta C=1} | n \rangle \langle n | \mathcal{H}_{eff.}^{\Delta C=1} | D^0 \rangle}{m_D^2 - E_n^2},$$

Cannot be calculated yet

Estimate phase space effects for y : [Falk et al. 0110317](#)

- assume pert. SU(3)_F breaking $y \approx 1\%$
- neglect 3rd family
- neglect SU(3)_F breaking in matrix elements - no QCD calculation

Mass difference from a dispersion relation [Falk et al. 0402204](#) $x \approx y$
 Exp. data [Cheng, Chiang 1005.1106](#) $x \propto \mathcal{O}(0.1\%)$ $y \propto \mathcal{O}(\text{few } 0.1\%)$

U-Spin sum rule [Gronau, Rosner 2012](#)

Factorisation-assisted topological amplitude approach

[Jiang et al. 1705.07335](#) $y \approx 0.2\%$




Direct lattice determination

**Still a very long way!
But not completely crazy
anymore!**

Multiple-channel generalization of Lellouch-Lüscher formula

Maxwell T. Hansen (Washington U., Seattle), Stephen R. Sharpe (Washington U., Seattle) (Apr, 2012)

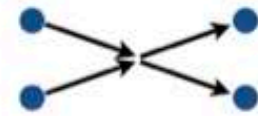

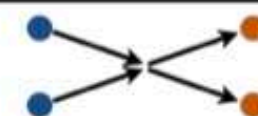
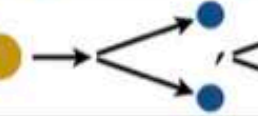
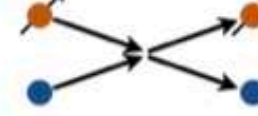

Published in: *Phys.Rev.D* 86 (2012) 016007 • e-Print: 1204.0826 [hep-lat]

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#

 259 citation:

Status of multi-hadron matrix elements in LQCD...

physical system	Method to get it from LQCD
$\pi\pi \rightarrow \pi\pi$, $\sqrt{s} < 4M_\pi$ ($\mathbf{P} \neq 0$ in finite-volume frame)*	 Lüscher (1986, 1991) Rummukainen and Gottlieb (1995)*
$K \rightarrow \pi\pi$ (relies on $M_K < 4M_\pi$) ($\mathbf{P} \neq 0$ in finite-volume frame)*	 Lellouch and Lüscher (2001) Kim, Sachrajda and Sharpe (2005)*, Christ, Kim and Yamazaki (2005)*
$\pi\pi \rightarrow K\bar{K}$, $\sqrt{s} < 4M_\pi$ (not possible for physical masses)	 Bernard et al. (2011), Fu (2012), Briceño and Davoudi (2012)
$D \rightarrow \pi\pi, K\bar{K}$ (ignores four-particle states)	 MTH and Sharpe (2012)
$NN \rightarrow NN, N\pi \rightarrow N\pi$ (energies below three-particle production)	 Detmold and Savage (2004) Göckeler et al. (2012) Briceño (2014)
$\gamma^* \rightarrow \pi\pi, \pi\gamma^* \rightarrow \pi\pi,$ $N\gamma^* \rightarrow N\pi$ $B \rightarrow K^*(\rightarrow K\pi)\ell\ell$ (energies below three-particle production)	 Meyer (2011), Bernard et al. (2012), A. Agadjanov et al. (2014), Briceño, MTH and Walker-Loud (2014) Briceño and MTH (2015)

slide by Max Hansen

1. **CP violation in Mixing**: Consider a **flavour specific** ($\mathcal{A}_{\bar{f}} = 0 = \bar{\mathcal{A}}_f$) decay $B \rightarrow f$

$$A_{\text{fs}}^q = \frac{\Gamma(\bar{B}_q(t) \rightarrow f) - \Gamma(B_q(t) \rightarrow \bar{f})}{\Gamma(\bar{B}_q(t) \rightarrow f) + \Gamma(B_q(t) \rightarrow \bar{f})} \quad \boxed{\bar{\mathcal{A}}_{\bar{f}} = \mathcal{A}_f}$$

=

No direct
CP violation

$$a_{\text{fs}}^q \approx \frac{|\Gamma_{12}^q|}{|M_{12}^q|} \sin \phi_{12}^q$$

e.g. $B \rightarrow Xl\nu$
or $\bar{B}_s \rightarrow D_s^+ \pi^-$
or $\bar{B}_d \rightarrow D^+ K^-$

2. **CP violation in interference of mixing and decay**

$$A_{\text{ind}}^q = \frac{\Gamma(\bar{B}_q(t) \rightarrow f) - \Gamma(B_q(t) \rightarrow f)}{\Gamma(\bar{B}_q(t) \rightarrow f) + \Gamma(B_q(t) \rightarrow f)}$$

e.g. $B_s \rightarrow J/\Psi \phi$
or $B_d \rightarrow J/\Psi K_s$

See also
1511.09466,
hep-ph/0201071

3. **CP violation in decay**

$$A_{\text{dir}}^q = \frac{\Gamma(\bar{B}_q(t) \rightarrow \bar{f}) - \Gamma(B_q(t) \rightarrow f)}{\Gamma(\bar{B}_q(t) \rightarrow \bar{f}) + \Gamma(B_q(t) \rightarrow f)} = \frac{|\bar{\mathcal{A}}_{\bar{f}}|^2 - |\mathcal{A}_f|^2}{|\bar{\mathcal{A}}_{\bar{f}}|^2 + |\mathcal{A}_f|^2}$$

e.g. ΔA_{CP}
or $D^0 \rightarrow \pi^- \pi^+, K^- K^+$

$$A_{CP,f}(t) = \frac{\Gamma(\bar{B}_s^0(t) \rightarrow f) - \Gamma(B_s^0(t) \rightarrow f)}{\Gamma(\bar{B}_s^0(t) \rightarrow f) + \Gamma(B_s^0(t) \rightarrow f)} = -\frac{\mathcal{A}_{CP}^{\text{dir}} \cos(\Delta M_s t) + \mathcal{A}_{CP}^{\text{mix}} \sin(\Delta M_s t)}{\cosh(\frac{\Delta \Gamma_s t}{2}) + \mathcal{A}_{\Delta \Gamma} \sinh(\frac{\Delta \Gamma_s t}{2})}$$

$$\mathcal{A}_{CP}^{\text{dir}} = \frac{1 - |\lambda_f|^2}{1 + |\lambda_f|^2},$$

$$\mathcal{A}_{CP}^{\text{mix}} = -\frac{2\Im(\lambda_f)}{1 + |\lambda_f|^2},$$

$$\mathcal{A}_{\Delta \Gamma} = -\frac{2\Re(\lambda_f)}{1 + |\lambda_f|^2}.$$

$$\lambda_f \approx -\frac{V_{ts} V_{tb}^*}{V_{ts}^* V_{tb}} \frac{\bar{A}_f}{A_f} \left[1 - \frac{a_{fs}^s}{2} \right]$$

$$\mathcal{A}_f = \langle f | \mathcal{H}_{eff} | B_s^0 \rangle$$

$$\bar{\mathcal{A}}_f = \langle f | \mathcal{H}_{eff} | \bar{B}_s^0 \rangle$$

CP violation in the B_s^0 system

[Marina Artuso \(Syracuse U.\)](#), [Guennadi Borissov \(Lancaster U.\)](#), [Alexander Lenz \(Durham U., IPPP\)](#) (Nov 30, 2015)

Published in: *Rev.Mod.Phys.* 88 (2016) 4, 045002, *Rev.Mod.Phys.* 91 (2019) 4, 049901 (addendum) • e-Print:

[1511.09466 \[hep-ph\]](#)

If there is **only one decay topology** contributing to the decay

$$\mathcal{A}_f = |\mathcal{A}_f^{\text{Tree}}| e^{i[\phi_{\text{Tree}}^{\text{QCD}} + \arg(\lambda_c)]}$$

$$\bar{\mathcal{A}}_{\bar{f}} = |\mathcal{A}_f^{\text{Tree}}| e^{i[\phi_{\text{Tree}}^{\text{QCD}} - \arg(\lambda_c)]}$$

$$\frac{\bar{\mathcal{A}}_{fCP}}{\mathcal{A}_{fCP}} = -\eta_{CP} e^{-2i\phi_j^{\text{CKM}}}$$

All hadronic uncertainties are cancelling exactly in the CP asymmetry!

Gold-plated modes

If there are **two decay topologies** contributing to the decay

$$\mathcal{A}_f = |\mathcal{A}_f^{\text{Tree}}| e^{i[\phi_{\text{Tree}}^{\text{QCD}} + \arg(\lambda_c)]} + |\mathcal{A}_f^{\text{Peng}}| e^{i[\phi_{\text{Peng}}^{\text{QCD}} + \arg(\lambda_u)]}$$

$$\bar{\mathcal{A}}_{\bar{f}} = |\mathcal{A}_f^{\text{Tree}}| e^{i[\phi_{\text{Tree}}^{\text{QCD}} - \arg(\lambda_c)]} + |\mathcal{A}_f^{\text{Peng}}| e^{i[\phi_{\text{Peng}}^{\text{QCD}} - \arg(\lambda_u)]}$$

Could also be BSM if there is only one SM amplitude

Then the CP asymmetry depends on

$$\frac{\bar{\mathcal{A}}_{\bar{f}}}{\mathcal{A}_f} = -e^{-2i \arg(\lambda_c)} \left[\frac{1 + r e^{-i \arg(\frac{\lambda_u}{\lambda_c})}}{1 + r e^{+i \arg(\frac{\lambda_u}{\lambda_c})}} \right]$$

with $r = \left| \frac{\mathcal{A}_f^{\text{Peng}}}{\mathcal{A}_f^{\text{Tree}}} \right|$

The Golden Modes $B_0 \rightarrow J/\psi K(S,L)$ in the Era of Precision Flavour Physics #7
 Sven Faller (CERN and Siegen U.), Martin Jung (Siegen U.), Robert Fleischer (CERN), Thomas Mannel (CERN and Siegen U.) (Sep, 2008)
 Published in: *Phys.Rev.D* 79 (2009) 014030 • e-Print: 0809.0842 [hep-ph]
 pdf DOI cite 97 citations

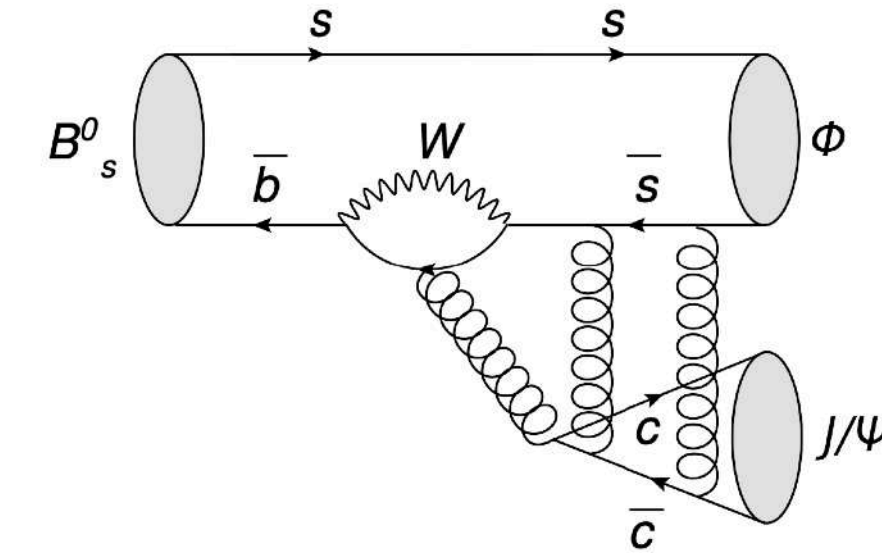
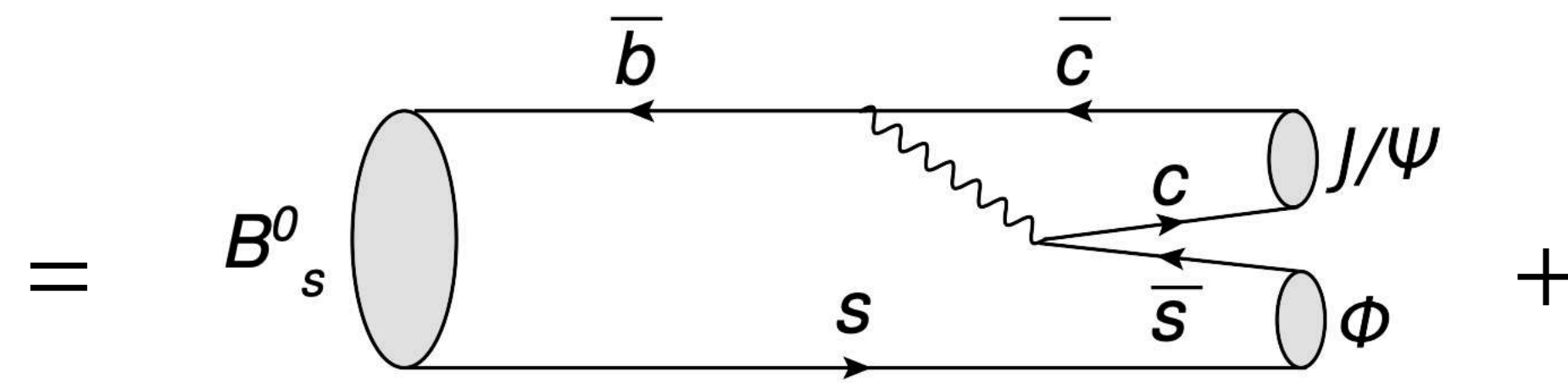
For a review see e.g.:

CP violation in the B_s^0 system
 Marina Artuso (Syracuse U.), Guennadi Borissov (Lancaster U.), Alexander Lenz (Durham U., IPPP) (Nov 30, 2015)
 Published in: *Rev.Mod.Phys.* 88 (2016) 4, 045002, *Rev.Mod.Phys.* 91 (2019) 4, 049901 (addendum) • e-Print: 1511.09466 [hep-ph]

If penguins are small compared to tree-level, the hadronic corrections are cancelling to leading order and there is a correction proportional to r
Penguin pollution

Golden plated modes: $B_s \rightarrow J/\Psi \phi$ and $B_d \rightarrow J/\Psi K_s$

$$A_f = \sum_j A_j e^{i(\phi_j^{\text{strong}} + \phi_j^{\text{CKM}})}$$



This is not
the SM
prediction
for ϕ_s !

Neglect penguins:

CP asymmetry in $B_s \rightarrow J/\Psi \phi$ is directly proportional to $\sin(2\beta_s)$ with $\phi_s = -2\beta_s^{\text{CKMFitter}} = -0.0370^{+0.0007}_{-0.0008}$

CP asymmetry in $B_d \rightarrow J/\Psi K_s$ is directly proportional to $\sin(2\beta)$

Bigi, Sanda 1981,...



Since there is only one amplitude, all hadronic effects cancel exactly!

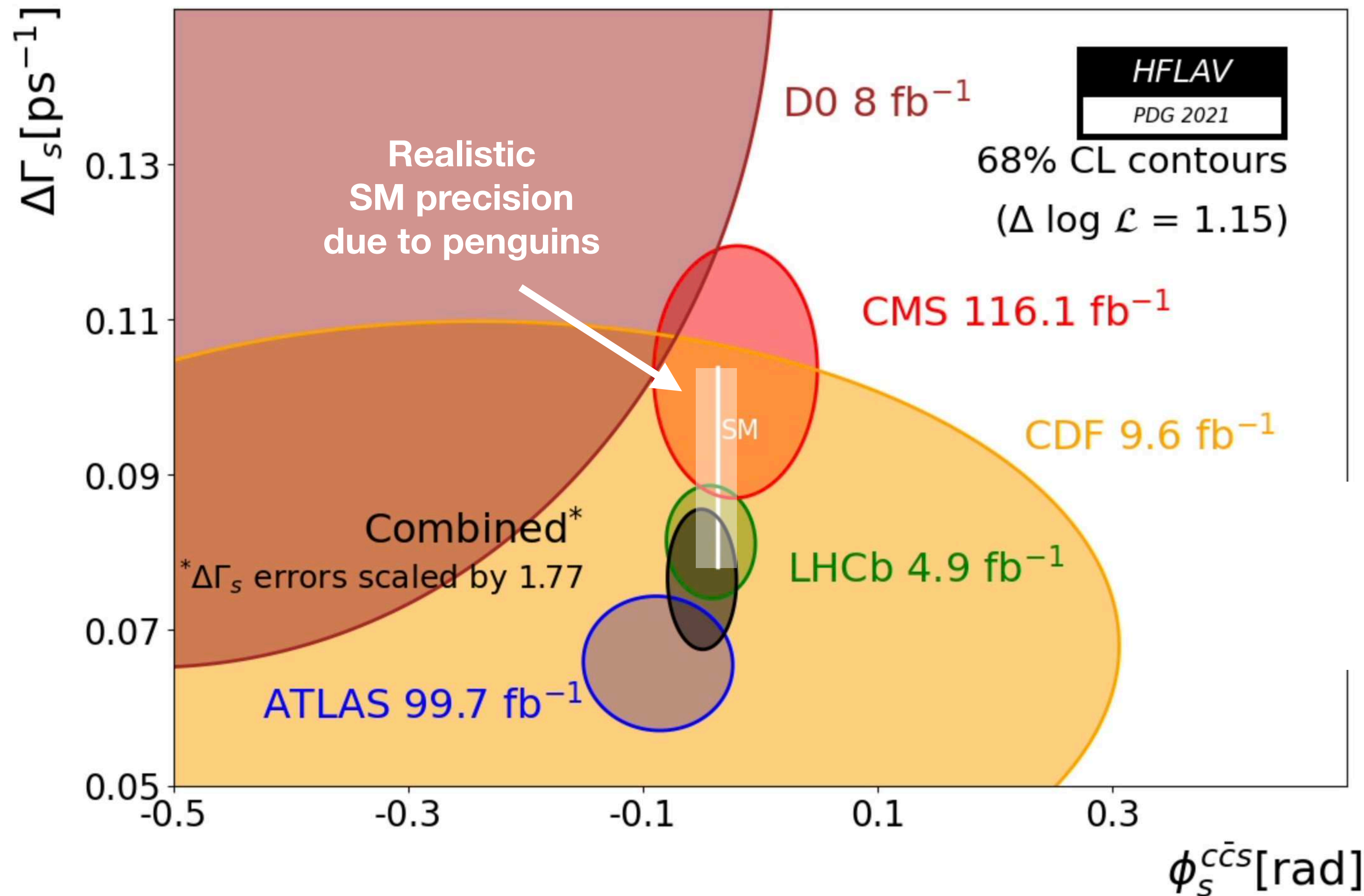
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Within the SM penguins are expected to give contributions of the order of $\pm 1^\circ \approx \pm 0.017$

Now the hadronic ratio of penguin/tree has to be known - extremely challenging 😞

Fleischer, ... (2010.14423), Ciuchini et al, Faller et al, Jung, Ligeti et al, Frings, Nierste and Wiebusch, ...

Golden plated modes: $B_s \rightarrow J/\Psi \phi$



Modification due to **New Physics**

$$M_{12}^s = M_{12}^{s,SM} |\Delta_s| e^{i\phi_s^\Delta}$$

$$\Gamma_{12}^s = \Gamma_{12}^{s,SM} |\tilde{\Delta}| e^{-i\phi_s^{\tilde{\Delta}}}$$

$B_s \rightarrow J/\Psi \phi$

$$-2\beta_s^{\text{Exp}} = -2\beta_{s,\text{Tree}}^{\text{SM}} + \phi_s^\Delta + \beta_{s,\text{Peng}}^{\text{SM}} + \beta_{s,\text{Peng}}^{\text{BSM}}$$

$$\phi_{12}^{s,\text{Exp}} = \phi_{12}^{s,\text{SM}} + \phi_s^\Delta + \tilde{\phi}_s^{\tilde{\Delta}}$$

a_{fs}^s

not really constrained by $\phi_s^{c\bar{c}s}$

$$A_{\text{dir.CP},f}(t) = \frac{\Gamma(\bar{B}_s^0(t) \rightarrow \bar{f}) - \Gamma(B_s^0(t) \rightarrow f)}{\Gamma(\bar{B}_s^0(t) \rightarrow \bar{f}) + \Gamma(B_s^0(t) \rightarrow f)} = \frac{|\bar{\mathcal{A}}_{\bar{f}}|^2 - |\mathcal{A}_f|^2}{|\bar{\mathcal{A}}_{\bar{f}}|^2 + |\mathcal{A}_f|^2} = \frac{2|r| \sin(\phi_{\text{Penguin}}^{\text{QCD}} - \phi_{\text{Tree}}^{\text{QCD}}) \sin[\arg(\lambda_u) - \arg(\lambda_c)]}{1 + |r|^2 + 2|r| \cos(\phi_{\text{Penguin}}^{\text{QCD}} - \phi_{\text{Tree}}^{\text{QCD}}) \cos[\arg(\lambda_u) - \arg(\lambda_c)]}$$

$$\mathcal{A}_f = |\mathcal{A}_f^{\text{Tree}}| e^{i[\phi_{\text{Tree}}^{\text{QCD}} + \arg(\lambda_c)]} + |\mathcal{A}_f^{\text{Penguin}}| e^{i[\phi_{\text{Penguin}}^{\text{QCD}} + \arg(\lambda_u)]}$$

$$\bar{\mathcal{A}}_{\bar{f}} = |\mathcal{A}_f^{\text{Tree}}| e^{i[\phi_{\text{Tree}}^{\text{QCD}} - \arg(\lambda_c)]} + |\mathcal{A}_f^{\text{Penguin}}| e^{i[\phi_{\text{Penguin}}^{\text{QCD}} - \arg(\lambda_u)]}$$

The **leading contribution to the CP asymmetry is proportional to** $r = |\mathcal{A}_f^{\text{Penguin}}| / |\mathcal{A}_f^{\text{Tree}}|$

Extremely hard to predict!

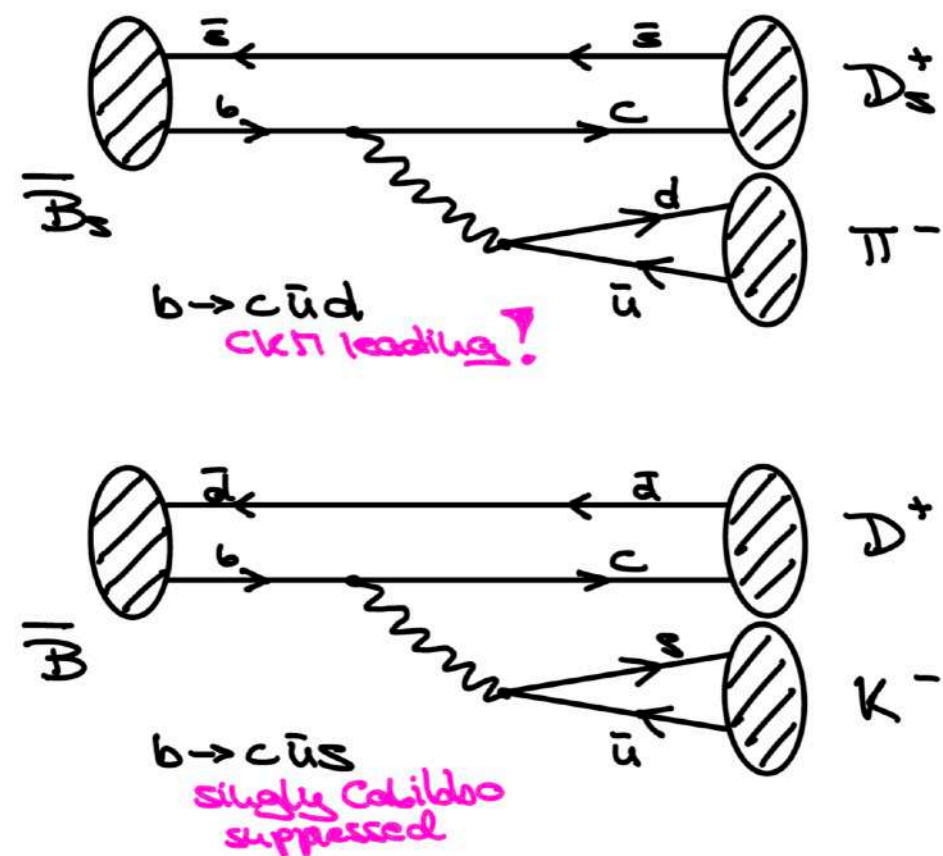
(In the case of CPV in interference the leading term was free of hadronic uncertainties and only the penguin corrections depended on r)



3 σ to 9 σ deviation of experiment from QCDf predictions with standard error estimates

N. Skidmore

Colour-allowed Tree-level Decays



- CKM leading decays
- There are no annihilation, penguins, ...
- QCDf should work at its best!

Beneke, Buchalla, Neubert, Sachrajda 1999...

$$\langle D_q^{(*)+} L^- | Q_i | \bar{B}_q^0 \rangle = \sum_j F_j^{\bar{B}_q^0 \rightarrow D_q^{(*)+}}(M_L^2) \times \int_0^1 du T_{ij}(u) \phi_L(u) + \mathcal{O}\left(\frac{\Lambda_{\text{QCD}}}{m_b}\right)$$

$$\mathcal{B}(\bar{B}^0 \rightarrow D^+ K^-)$$

$$\mathcal{B}(\bar{B}^0 \rightarrow D^+ K^-)$$

$$\mathcal{B}(\bar{B}^0 \rightarrow D^{*+} K^-)$$

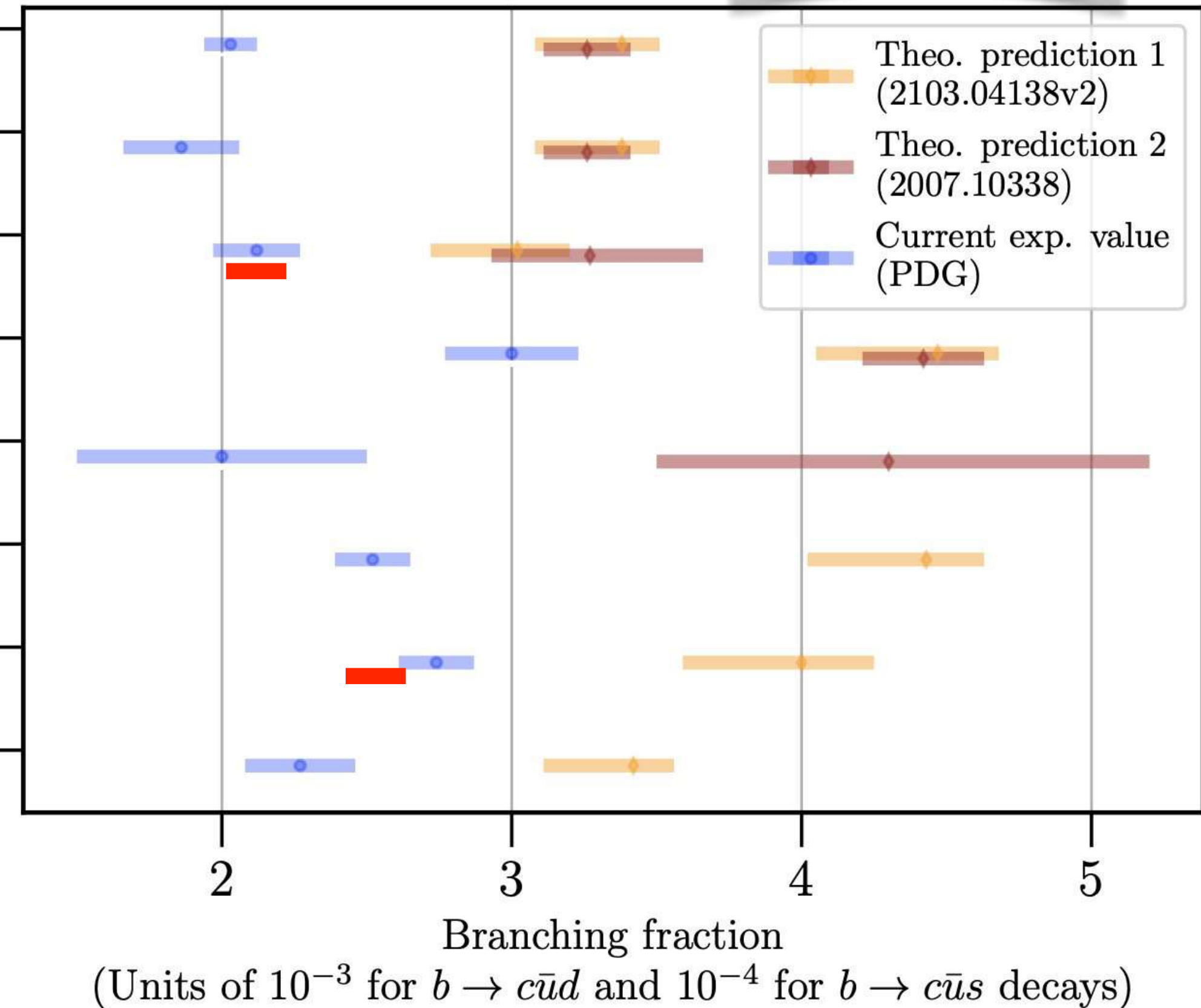
$$\mathcal{B}(\bar{B}_s^0 \rightarrow D_s^+ \pi^-)$$

$$\mathcal{B}(\bar{B}_s^0 \rightarrow D_s^{*+} \pi^-)$$

$$\mathcal{B}(\bar{B}^0 \rightarrow D^+ \pi^-)$$

$$\mathcal{B}(\bar{B}^0 \rightarrow D^{*+} \pi^-)$$

$$\mathcal{B}(\bar{B}_s^0 \rightarrow D_s^+ K^-)$$



— New Belle

Direct CP asymmetries

- $B \rightarrow K\pi$ puzzle still present, see. e.g. 1507.03700

Updates: 2002.03262 complete 2-loop penguins

2107.03819 QED corrections

2104.14871 $A_{CP}(B^0 \rightarrow \pi^0 \bar{K}^0)$ Belle II

SU(3) symmetry e.g. 1806.08783, 2111.06418, ...

comprehensive phenomenological study missing



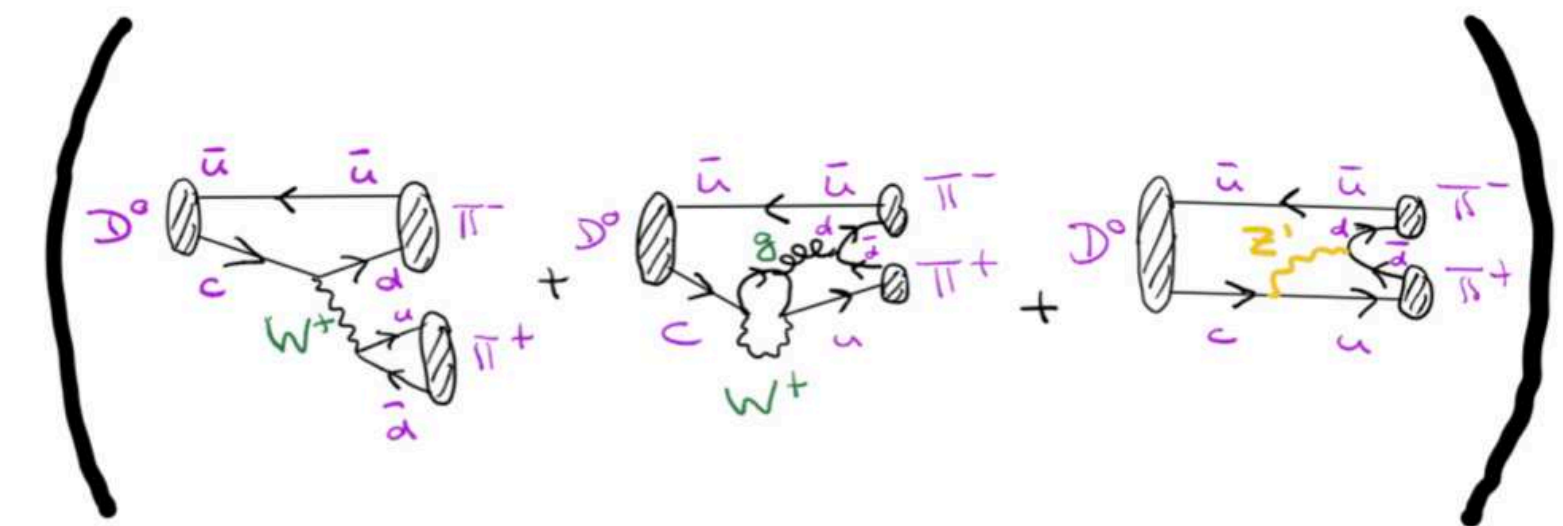
We need $r = | \mathcal{A}_f^{\text{Peng}} | / | \mathcal{A}_f^{\text{Tree}} |$

- ΔA_{CP} : direct CP violation in the charm system $D^0 \rightarrow K^+ K^-$ vs. $D^0 \rightarrow \pi^+ \pi^-$

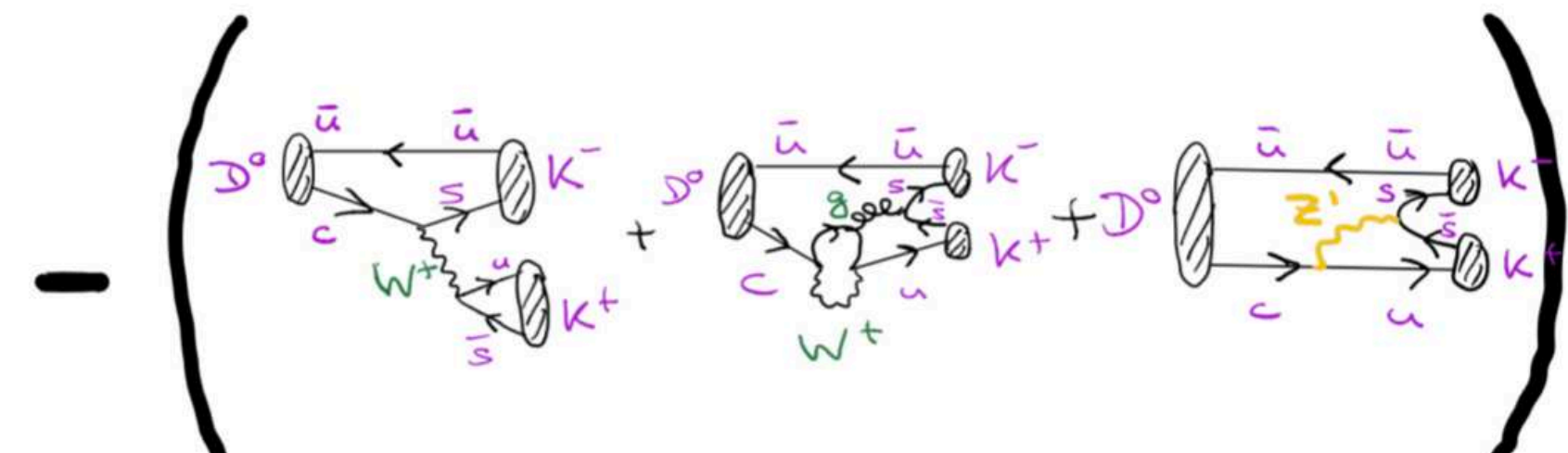
Experiment: LHCb 03/2019

Theory: SM or not SM?

E.g. 1903.10952, 1909.03063 vs. 1903.10490, 1909.11242



We need $r = | \mathcal{A}_f^{\text{Peng}} | / | \mathcal{A}_f^{\text{Tree}} |$



Theory for Charm



Theory for Charm Observable \neq Theory for Charm Observable

Theory for Charm Observable \neq Theory for Charm Observable

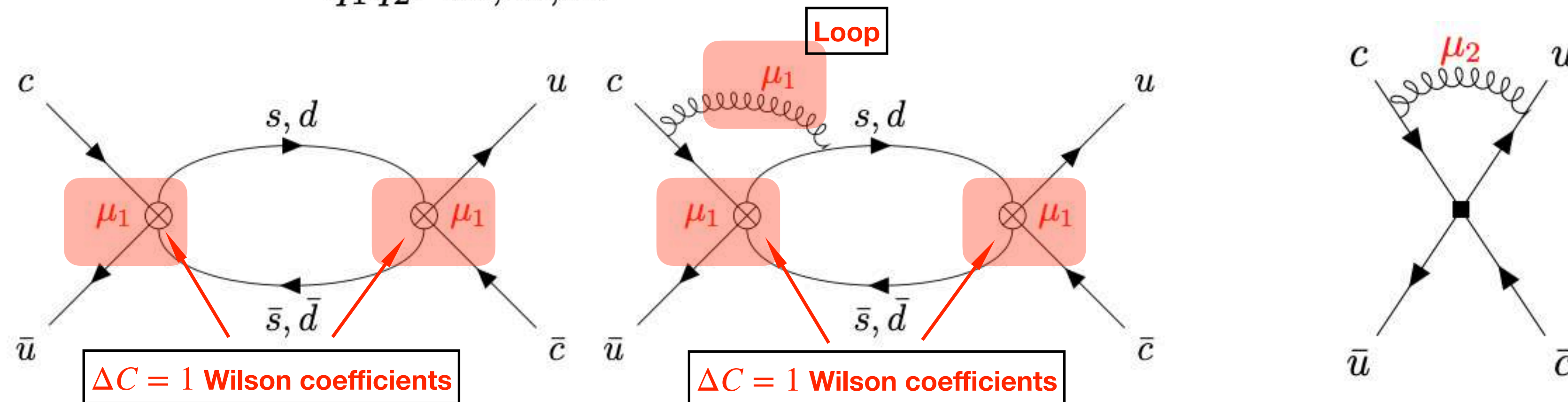
- No cancellations, e.g. Lifetime of D^0 can be predicted, **$1/m_c$ works**
- Cancellations, e.g. Lifetime of D^+ lies in the right ball park, **$1/m_c$ might work**
- Crazy cancellations, e.g. Mixing of D^0 HQE might overlap with exp., **$1/m_c$ not excluded**
- Hadronic decays: **we have to first understand the B-system!**

THANKS

Charm mixing - Theory

Renormalisation scale setting?

$$\Gamma_{12} = \sum_{q_1 q_2 = ss, sd, dd} \Gamma_3^{q_1 q_2} (\mu_1^{q_1 q_2}, \mu_2^{q_1 q_2}) \langle Q \rangle (\mu_2^{q_1 q_2}) \frac{1}{m_c^3} + \dots$$



μ_1 and μ_2 cancel within the ss , sd and dd contributions independently

Is there any requirement to set exactly $\mu_1^{ss} = \mu_1^{sd} = \mu_1^{dd}$ (also during scale variation)?

ss and dd might be related via re-scattering, but sd is physically different from ss !

Charm mixing - Theory

Renormalisation scale setting?

$$\Delta\Gamma_D > 0.028\text{ps}^{-1} \Rightarrow \Omega \equiv \frac{2|\Gamma_{12}|^{\text{SM}}}{0.028\text{ps}^{-1}} \Rightarrow \Omega \approx 1 \text{ means HQE can describe Experiment}$$

Two scenarios:

1. Vary μ^{ss} , μ^{sd} , μ^{dd} independently around m_c between 1 GeV and $2m_c$:

$$\Omega \in [4.6 \cdot 10^{-5}, 1.3]$$

2. Phase space inspired scale choice

$$\mu^{ss} = m_c - 2\epsilon$$

$$\mu^{sd} = m_c - \epsilon$$

$$\mu^{dd} = m_c$$

