

Soft particle production and collectivity in small systems



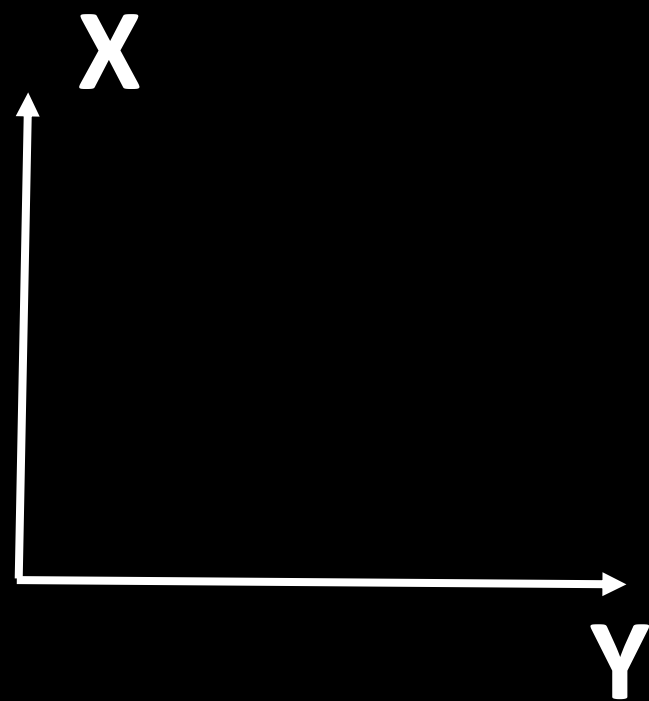
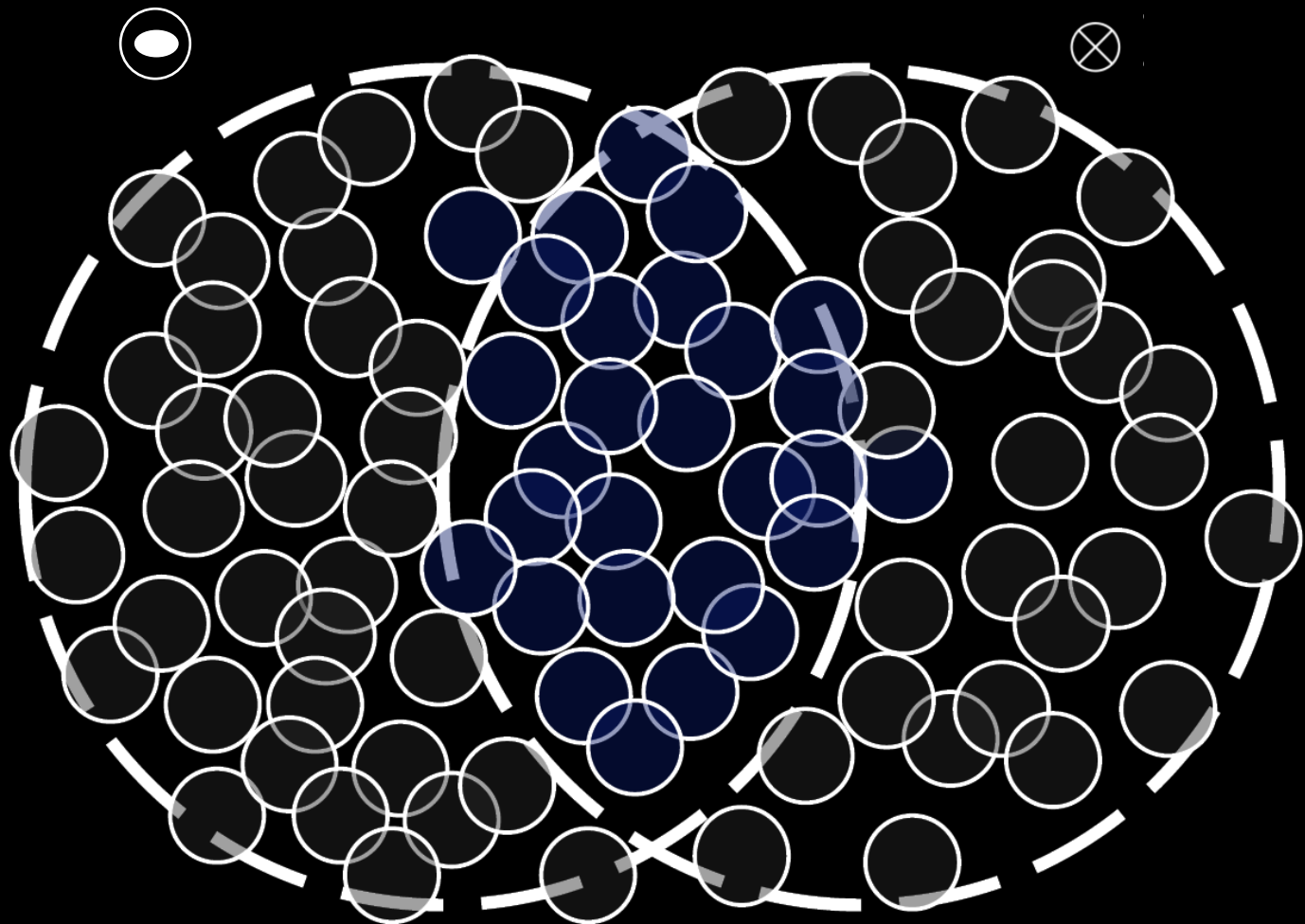
Blair Daniel Seidlitz
Columbia University

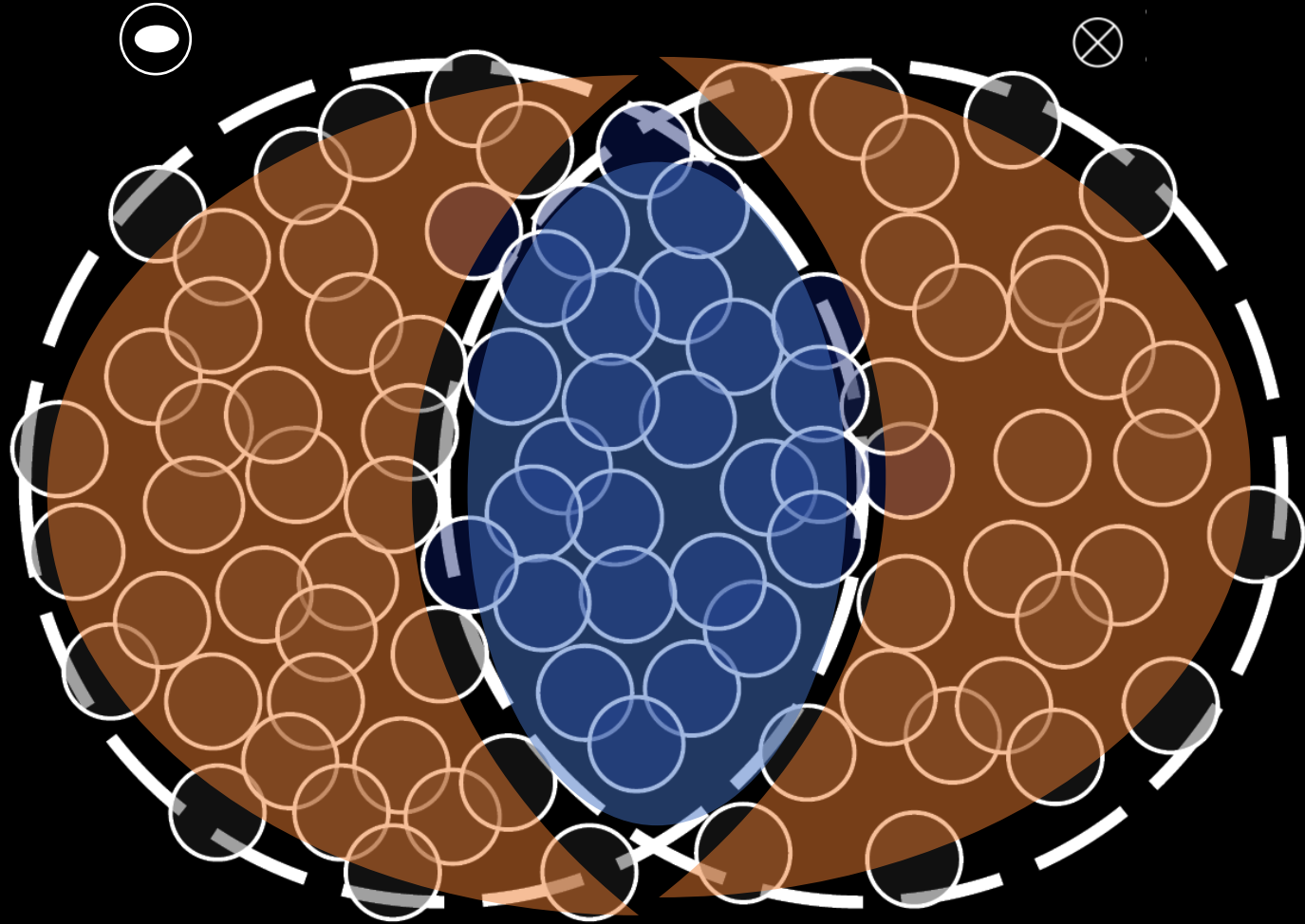
On behalf of:

ALICE, ATLAS, CMS, and LHCb



10th Edition of the Large Hadron Collider Physics Conference

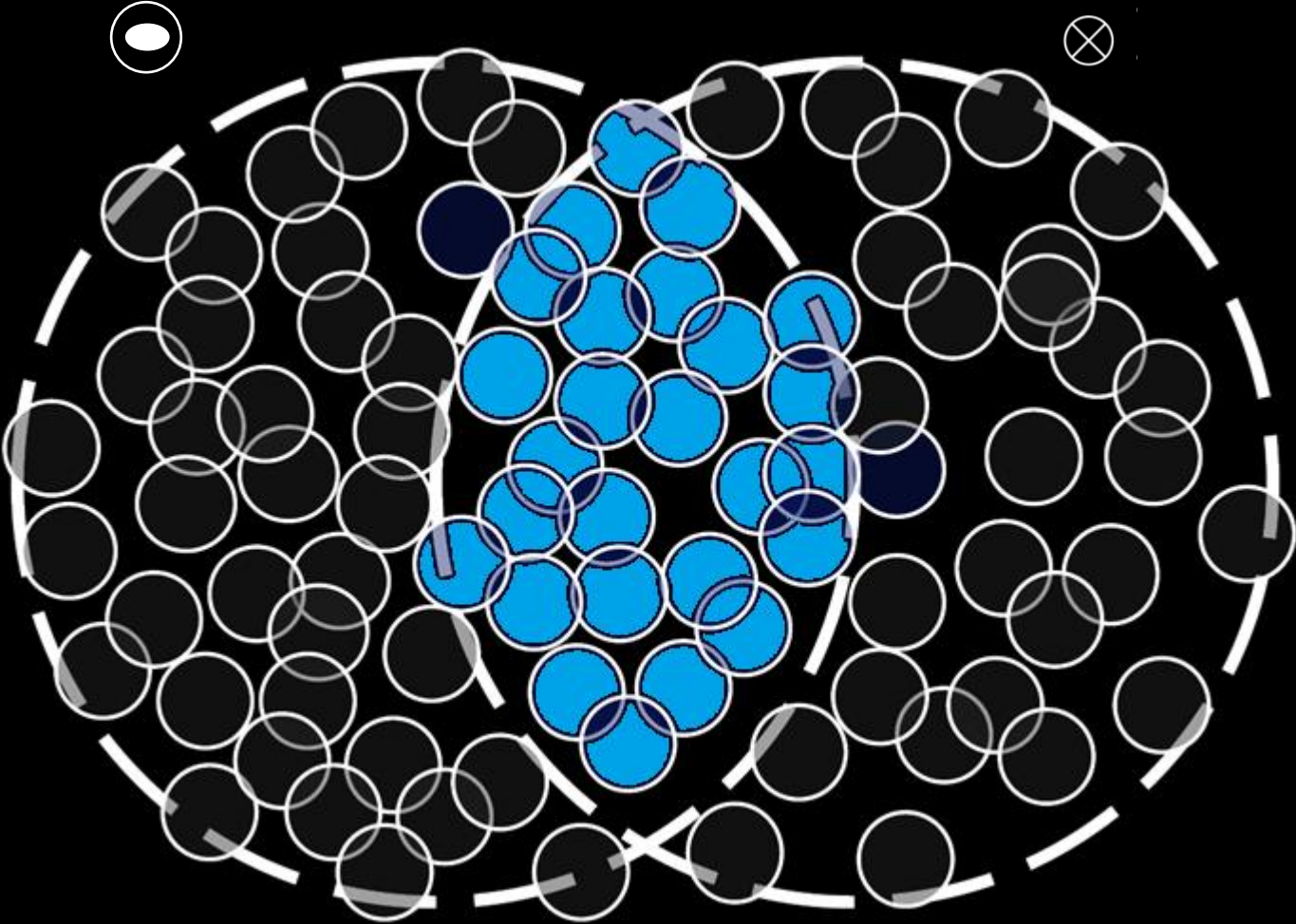


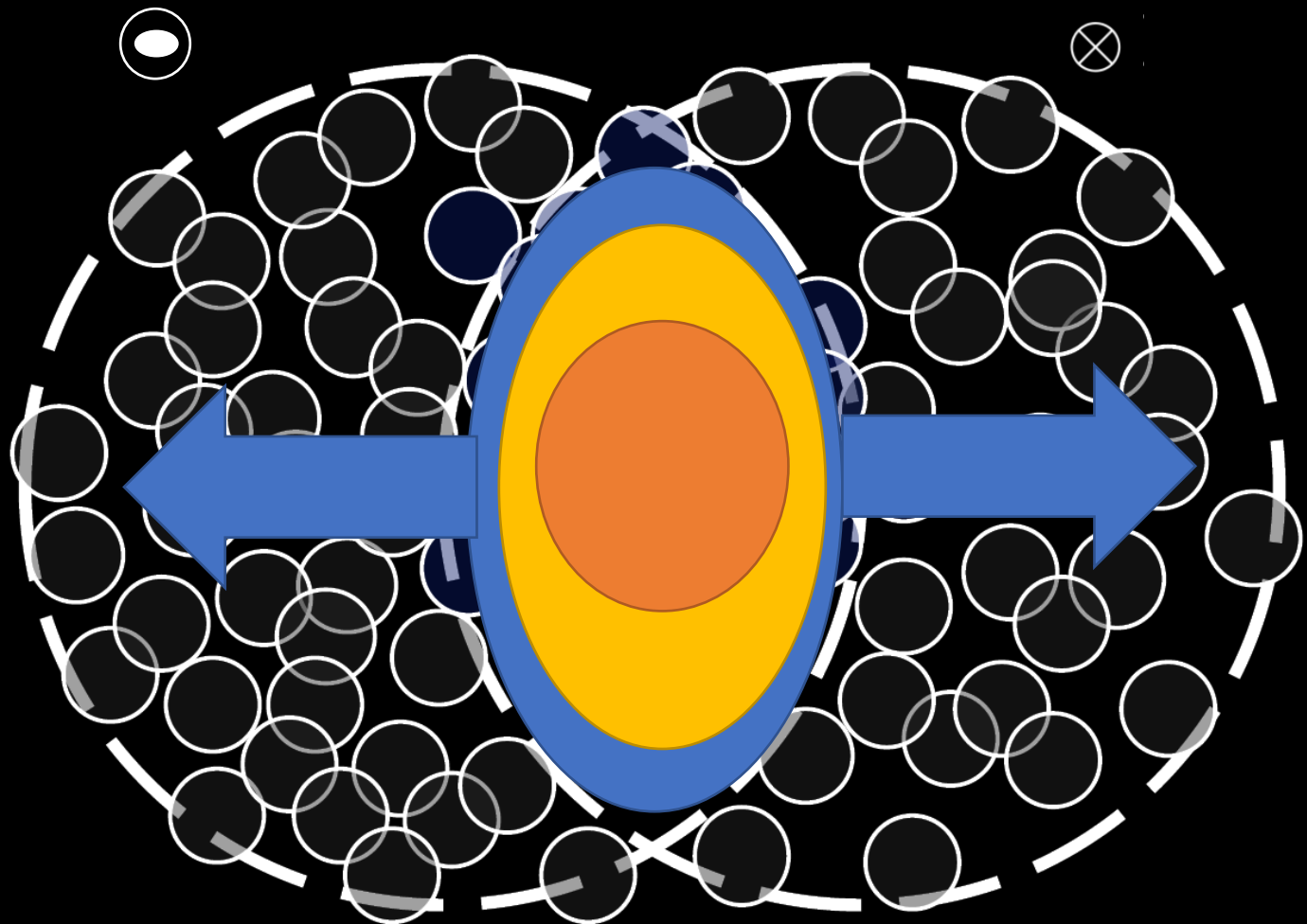


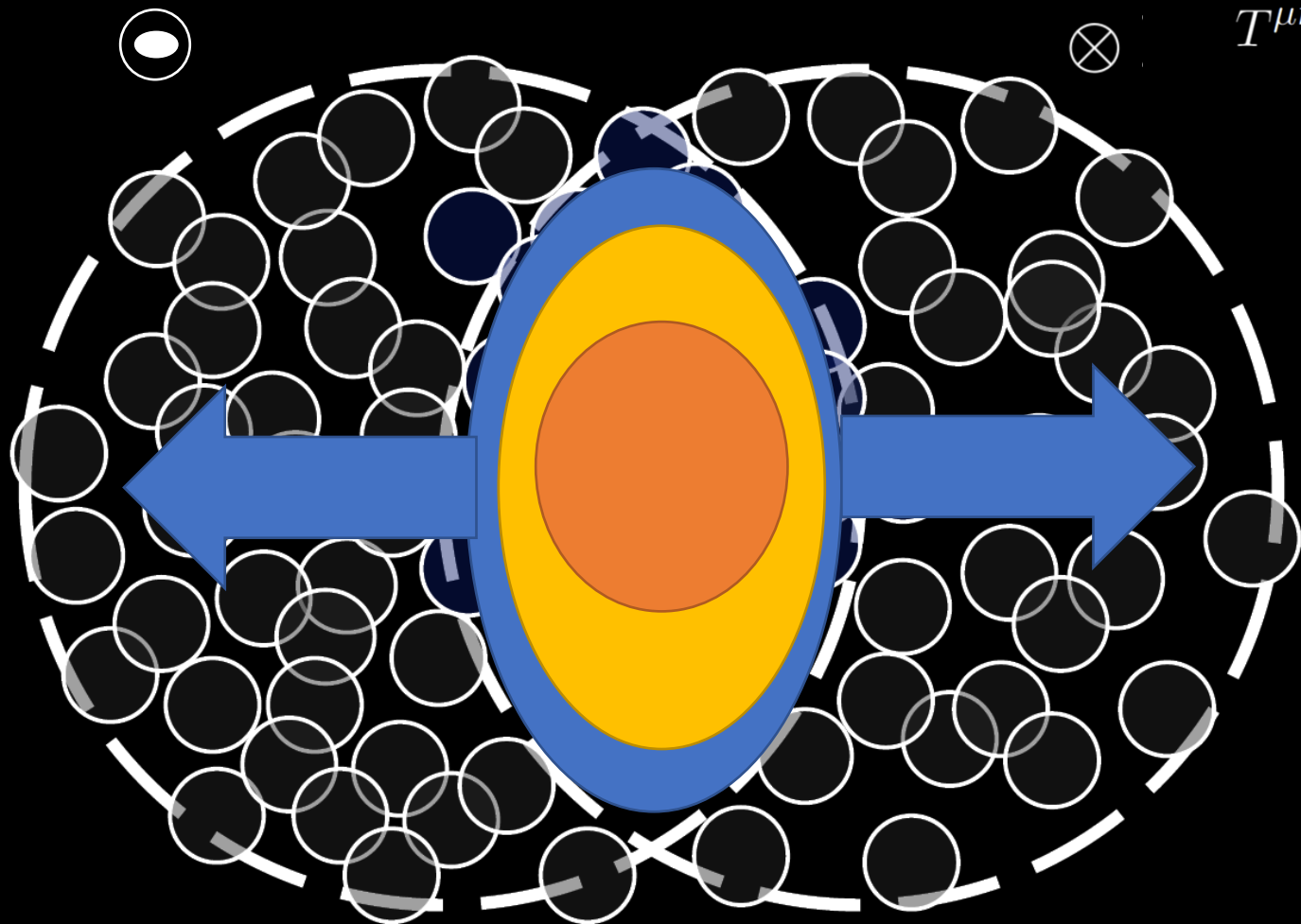
Spectators

Participants

Initial state







Viscous Hydrodynamics

$$T^{\mu\nu} = \underbrace{\epsilon u^\mu u^\nu + P[\epsilon] \Delta^{\mu\nu}}_{\text{Ideal Hydro}} - \underbrace{\eta[\epsilon] \sigma^{\mu\nu} - \zeta[\epsilon] \Delta^{\mu\nu} \nabla_\lambda^\perp u^\lambda}_{\text{Viscous Hydro}}$$

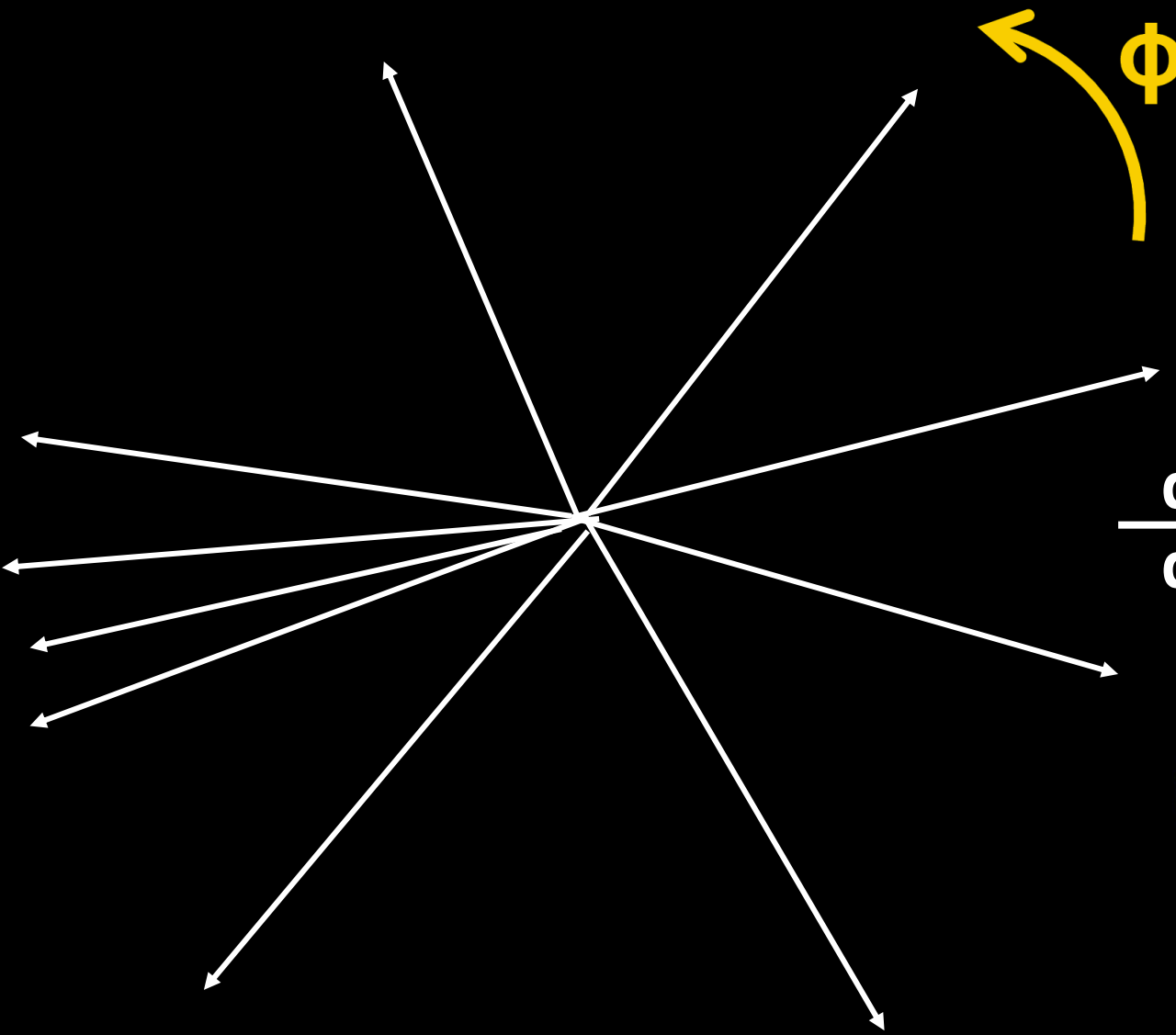
Ideal Hydro

Viscous Hydro

Initial state

Hydro

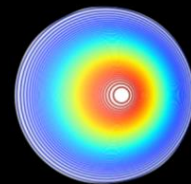
Momentum anisotropy



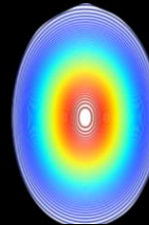
Azimuthal anisotropy

$$\frac{dN}{d\phi} \propto 1 + 2v_1\cos(\phi) + 2v_2\cos(2\phi) + 2v_3\cos(3\phi) + \dots$$

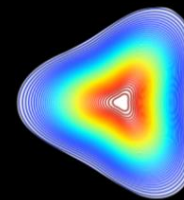
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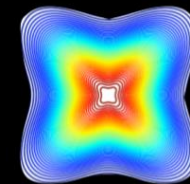
n=2



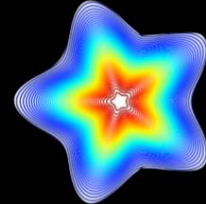
n=3

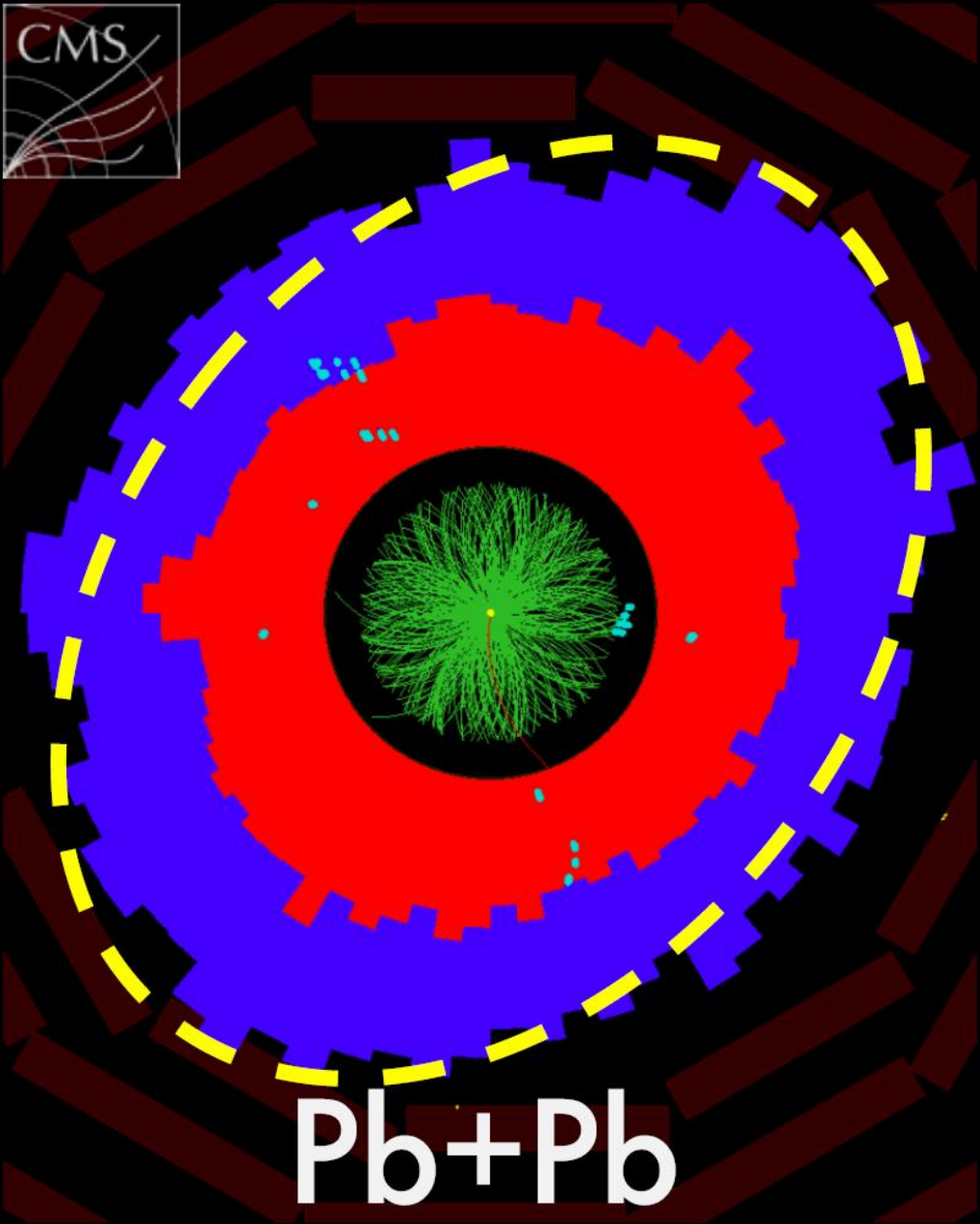


n=4



n=5

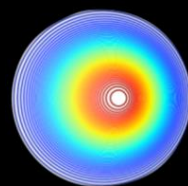




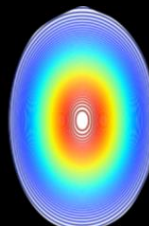
Single-particle azimuthal anisotropy

$$\frac{dN}{d\phi} \propto 1 + 2v_1\cos(\phi) + 2v_2\cos(2\phi) + 2v_3\cos(3\phi) + \dots$$

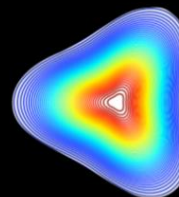
n=1



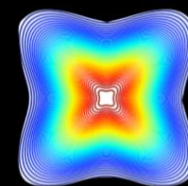
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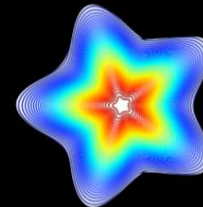
n=3



n=4

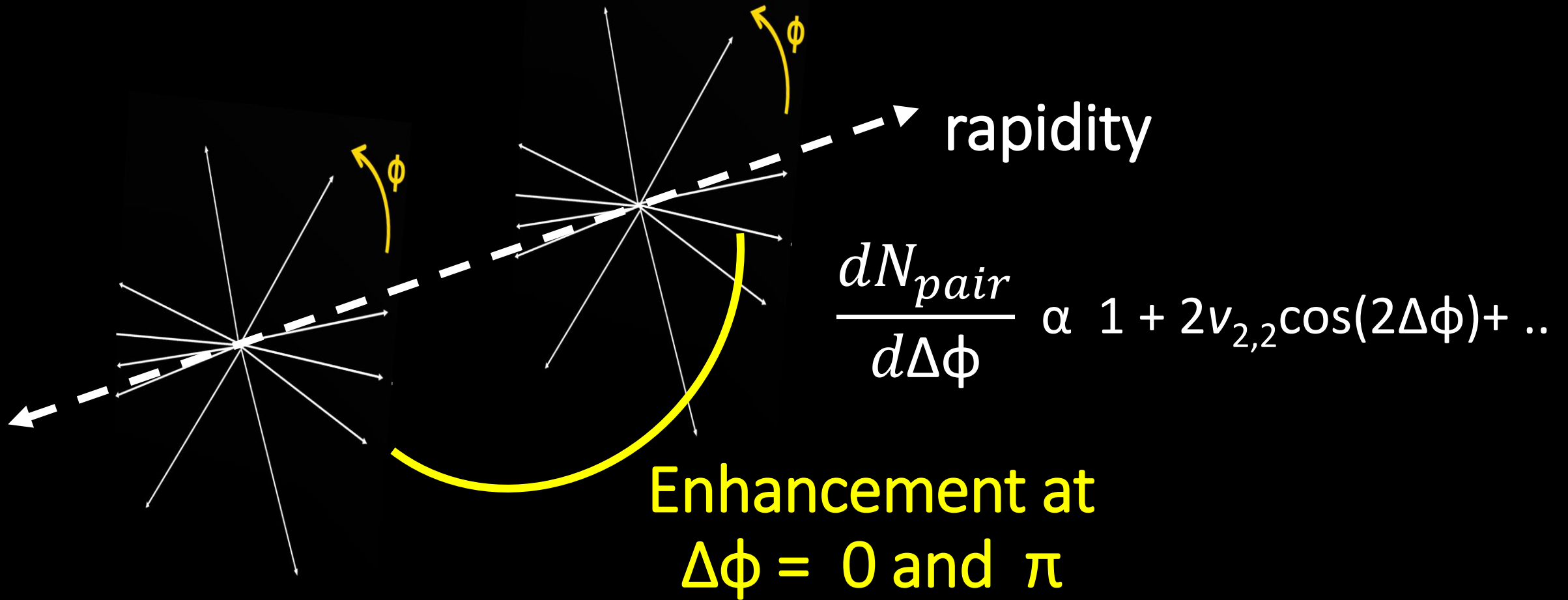


n=5



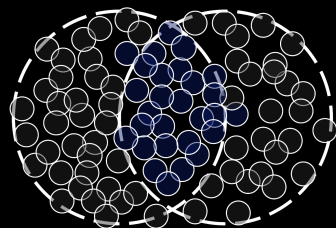
Pb+Pb

Two-particle correlation

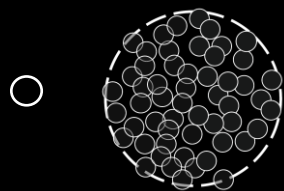


System size

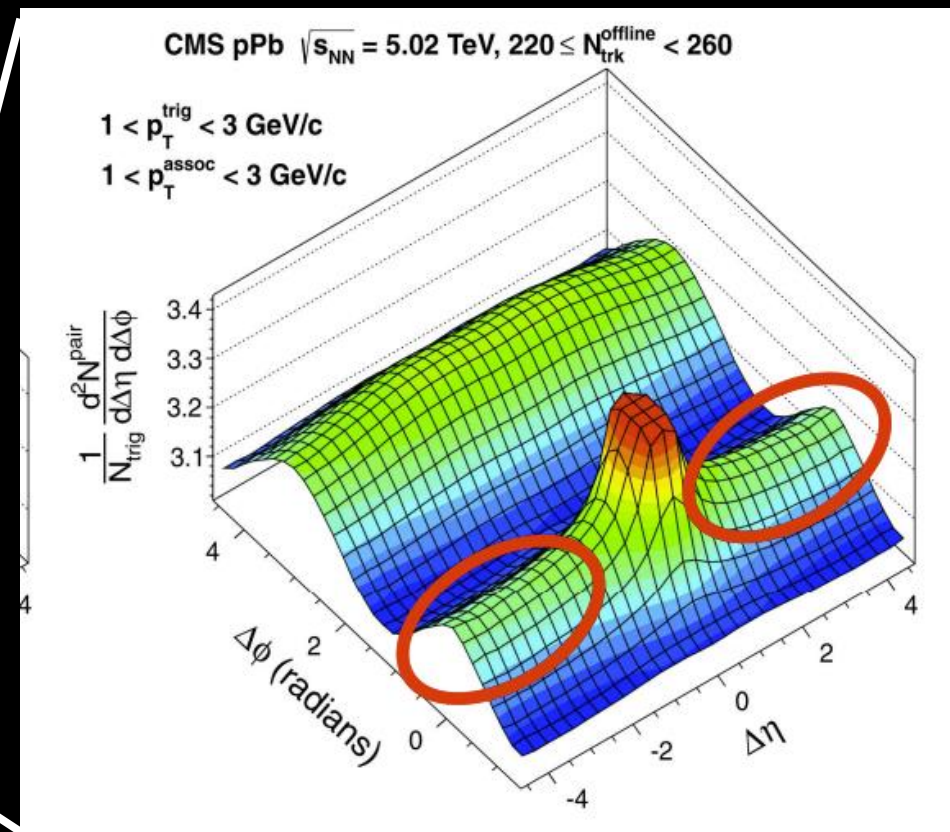
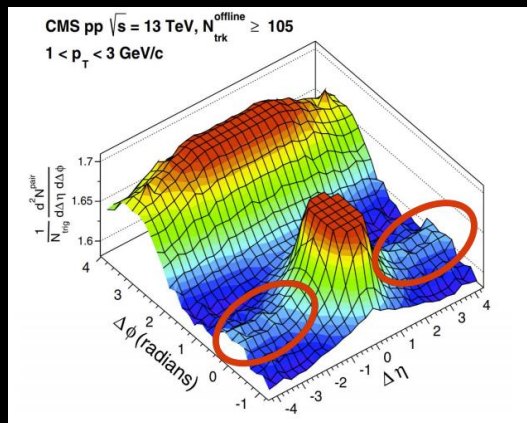
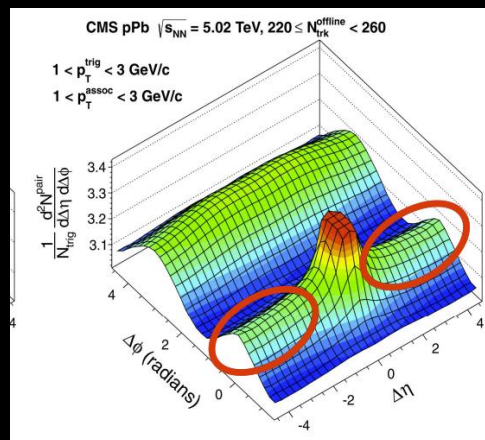
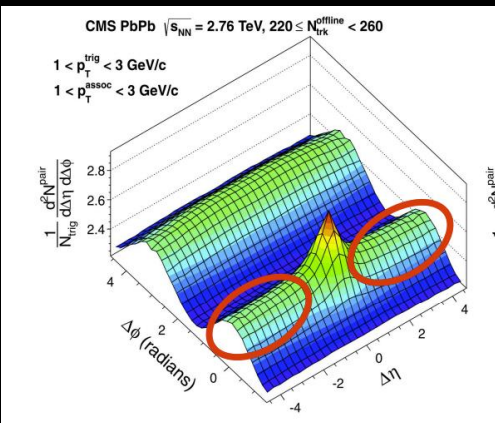
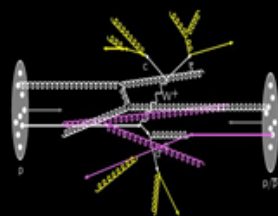
Pb+Pb



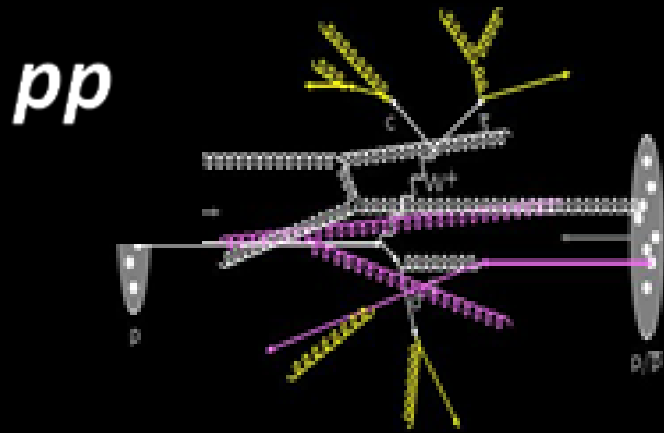
p+Pb



pp



I will be discussing



$v_n - [p_T]$ correlations in pp
CMS preliminary [HIN-21-012](#)



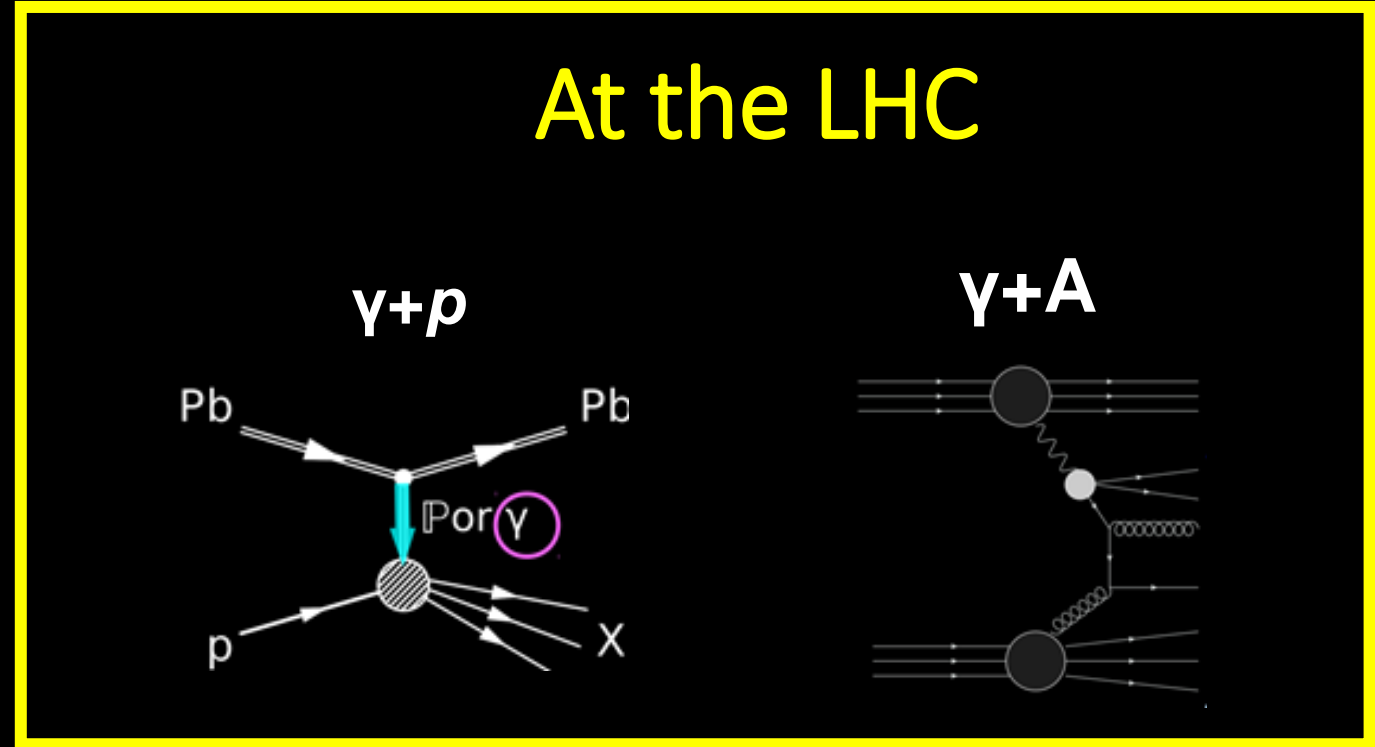
Longitudinal decorrelations
ATLAS preliminary [ATLAS-CONF-2022-020](#)



Identified hadron production with ALICE
-Identified hadron collectivity [QM22](#)
-Strangeness enhancement [QM22](#)



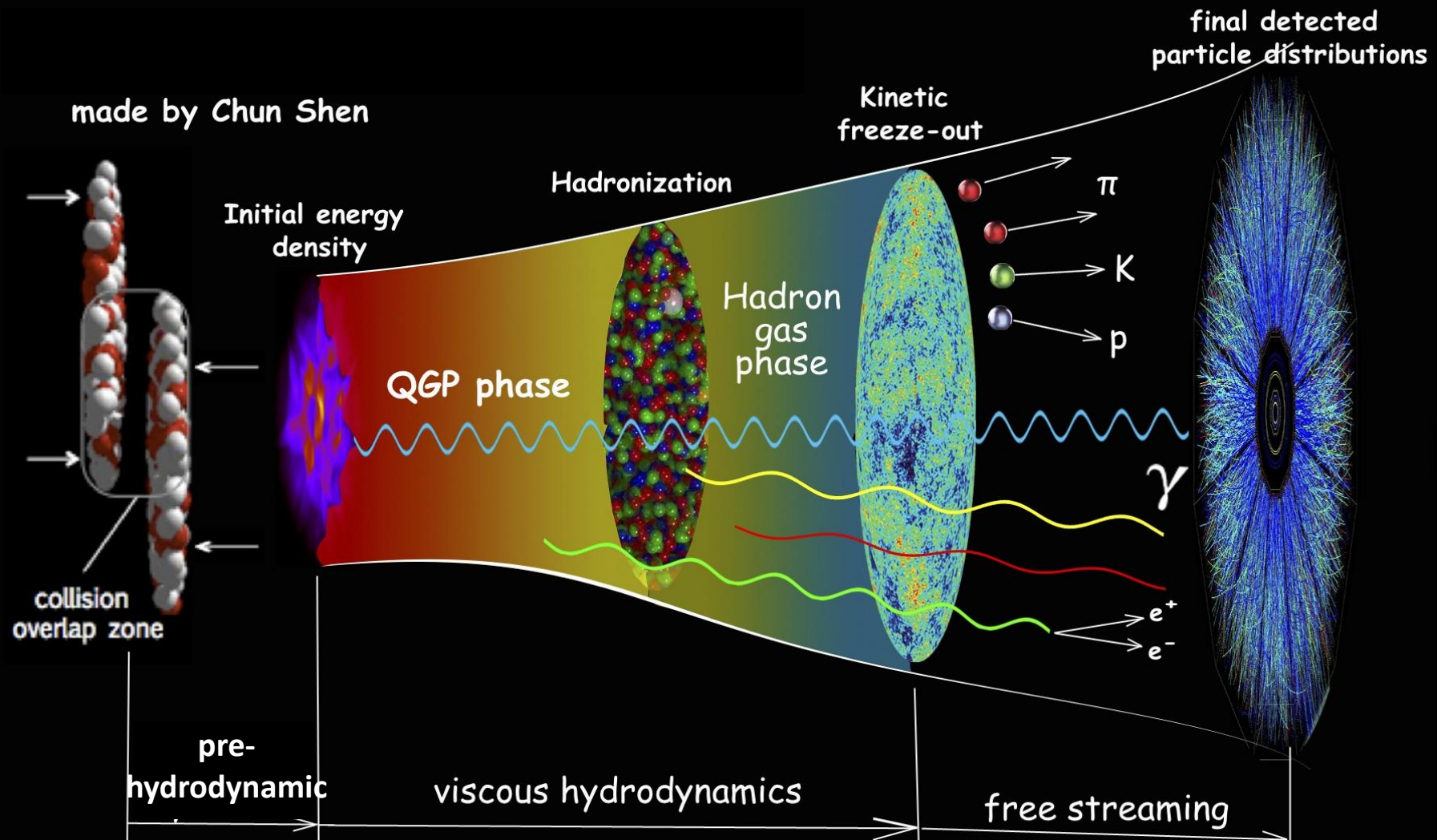
-Hadron resonance production [QM22](#)
-Forward strangeness [arXiv:2204.13042](#)

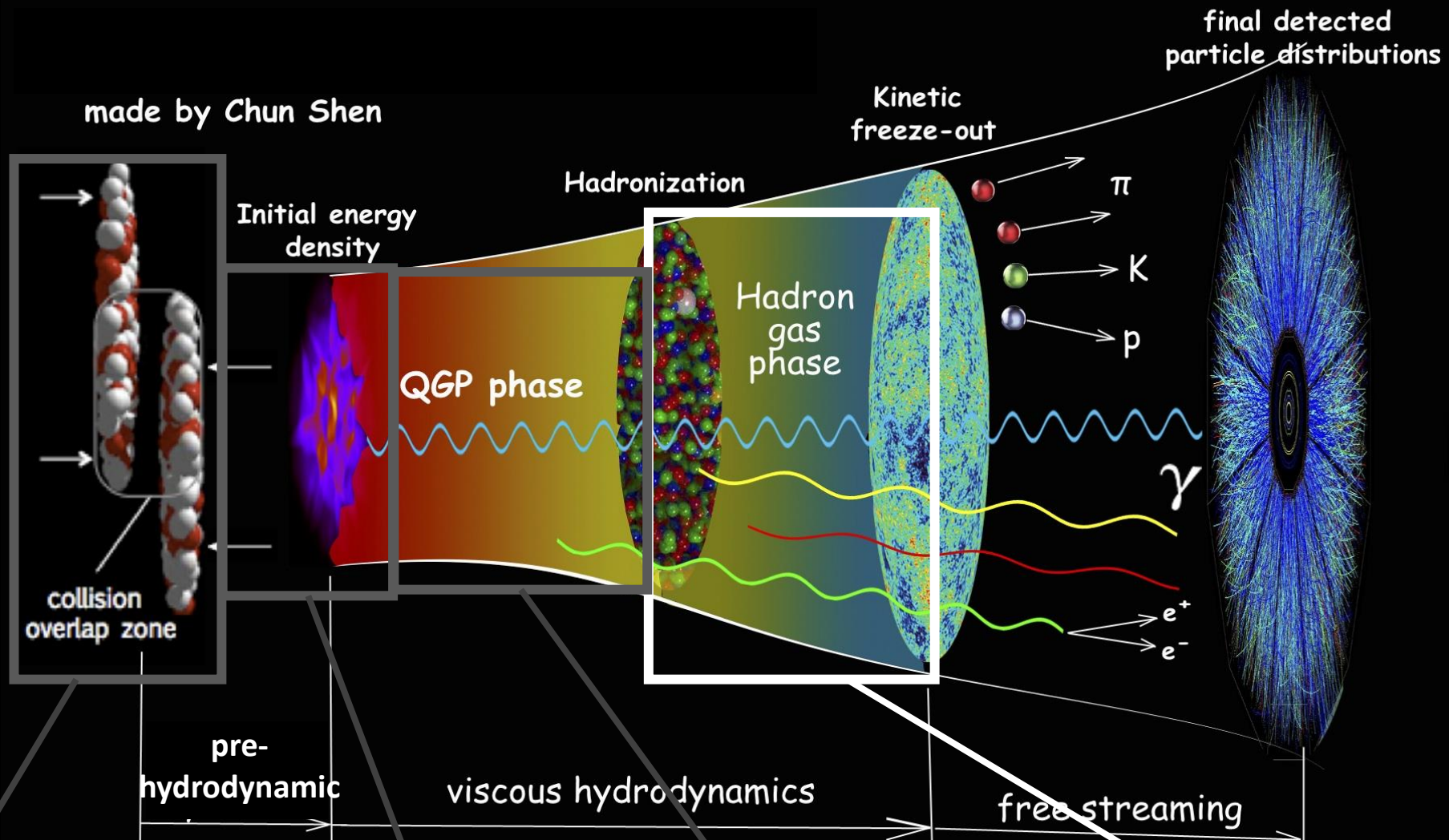


$\gamma+p$ collectivity
[arXiv:2204.13486](#)



$\gamma+A$ collectivity
[arXiv:2101.10771](#)





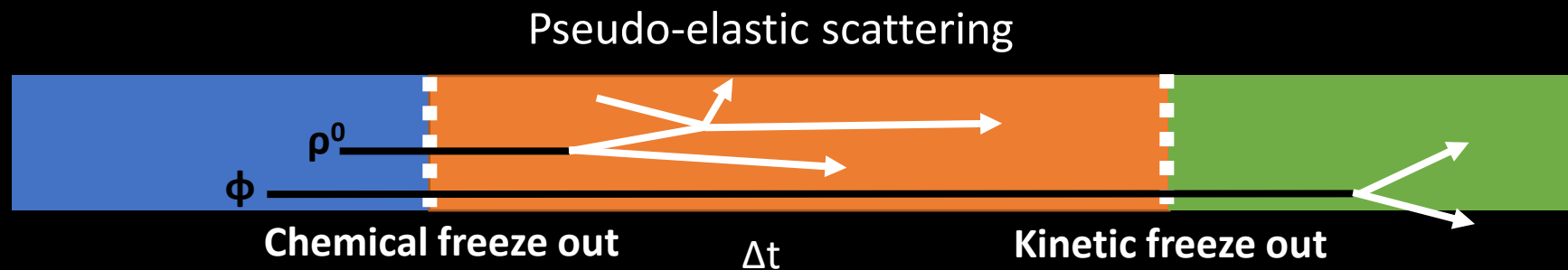
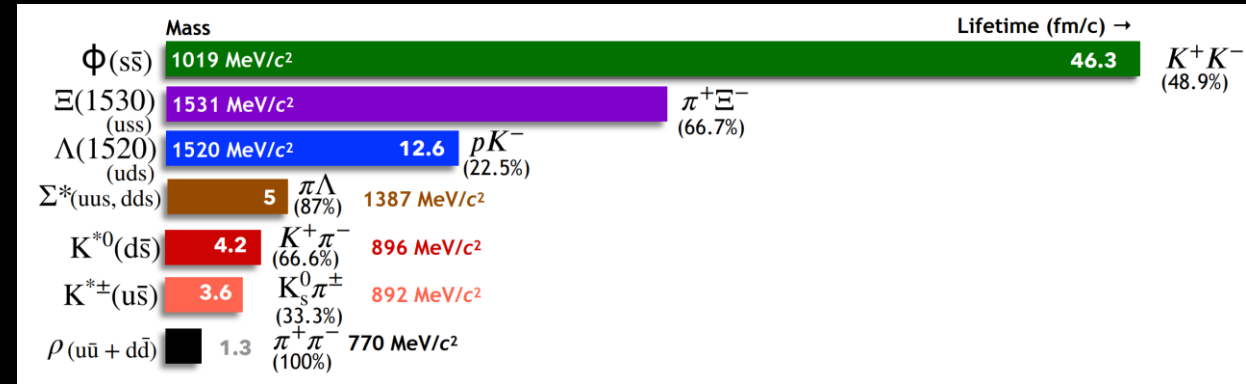
v_n - $[p_T]$ correlations
[HIN-21-012](#)
 Longitudinal decorrelations
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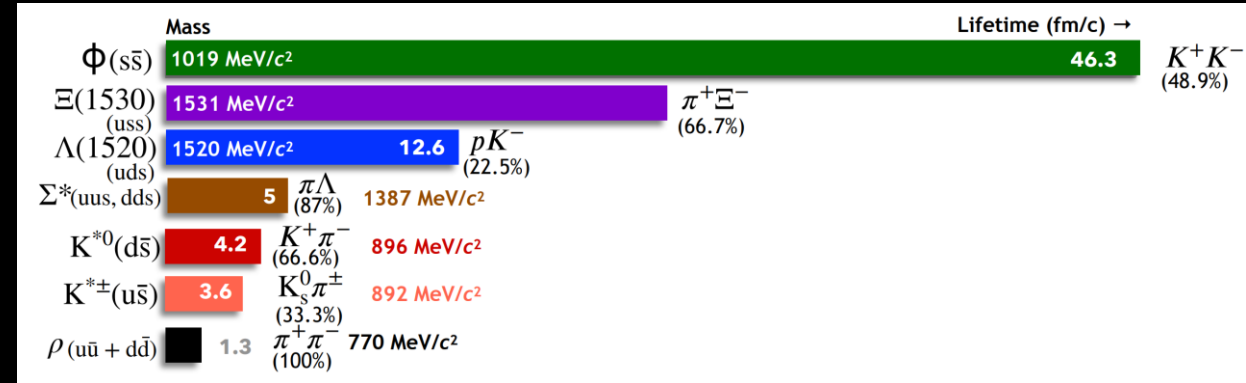
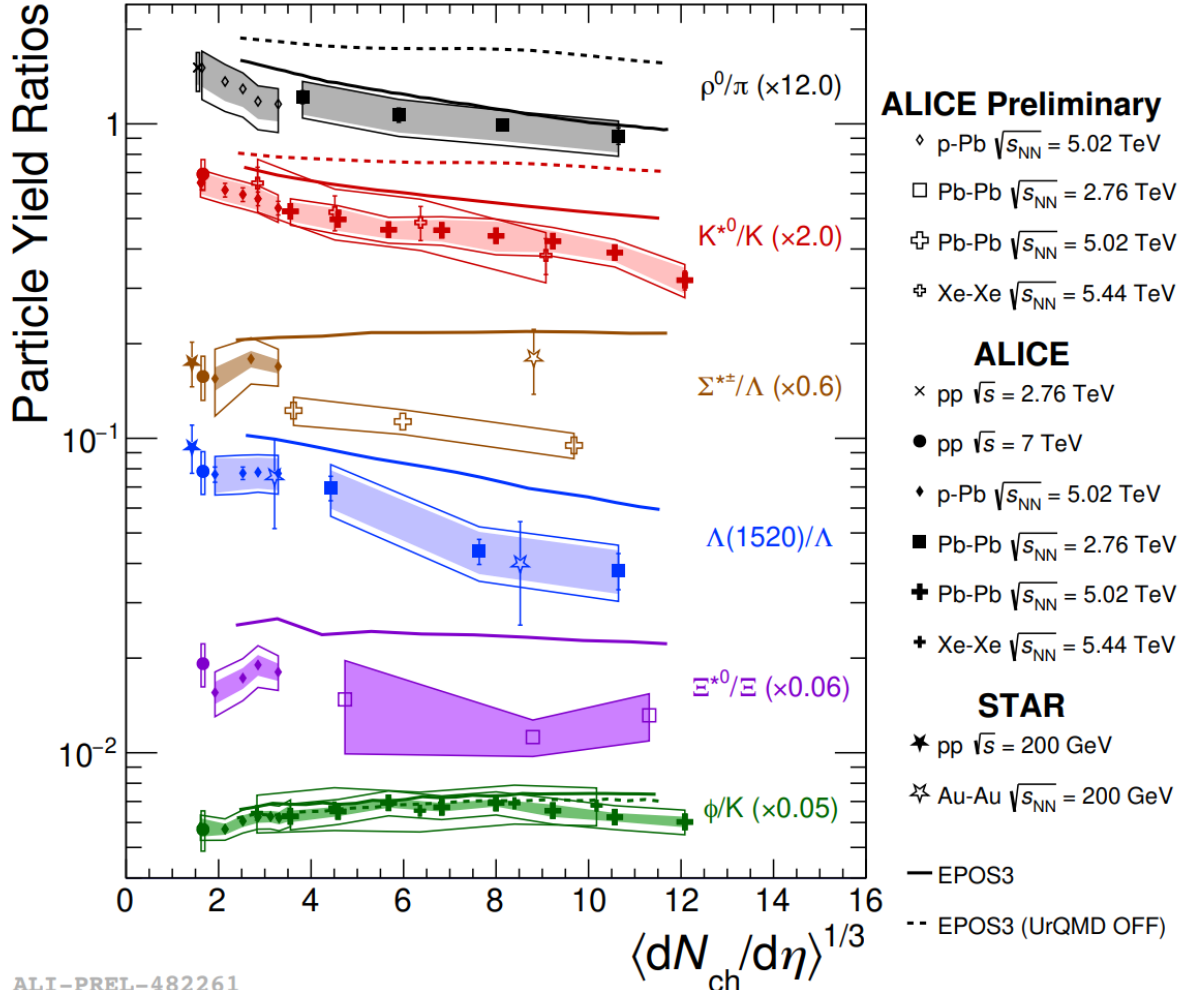
Identified hadron collectivity
[QM22](#)
 Strangeness enhancement
[QM22](#)

Hadron resonance production
[QM22](#)

Interactions in a cooling hadronic gas



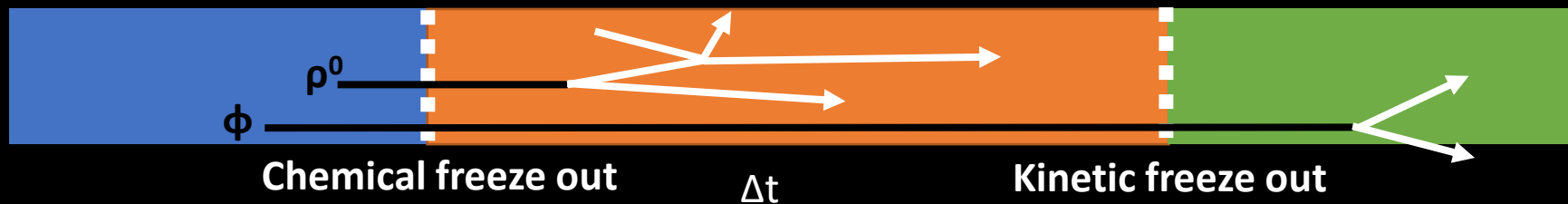
Interactions in a cooling hadronic gas



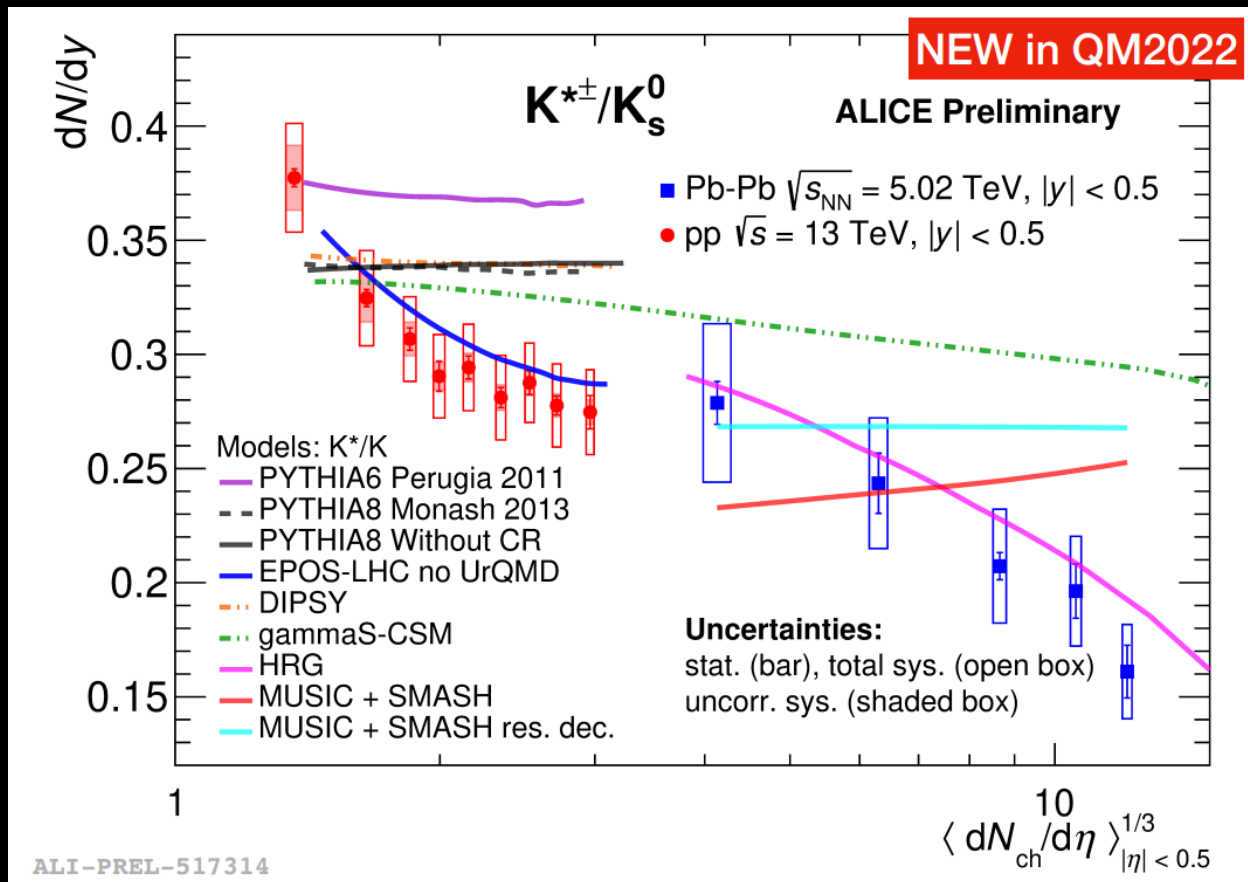
Measurements of hadron resonances probe the Δt between chemical and kinetic freeze out.

2 proposed effects in the hadronic phase

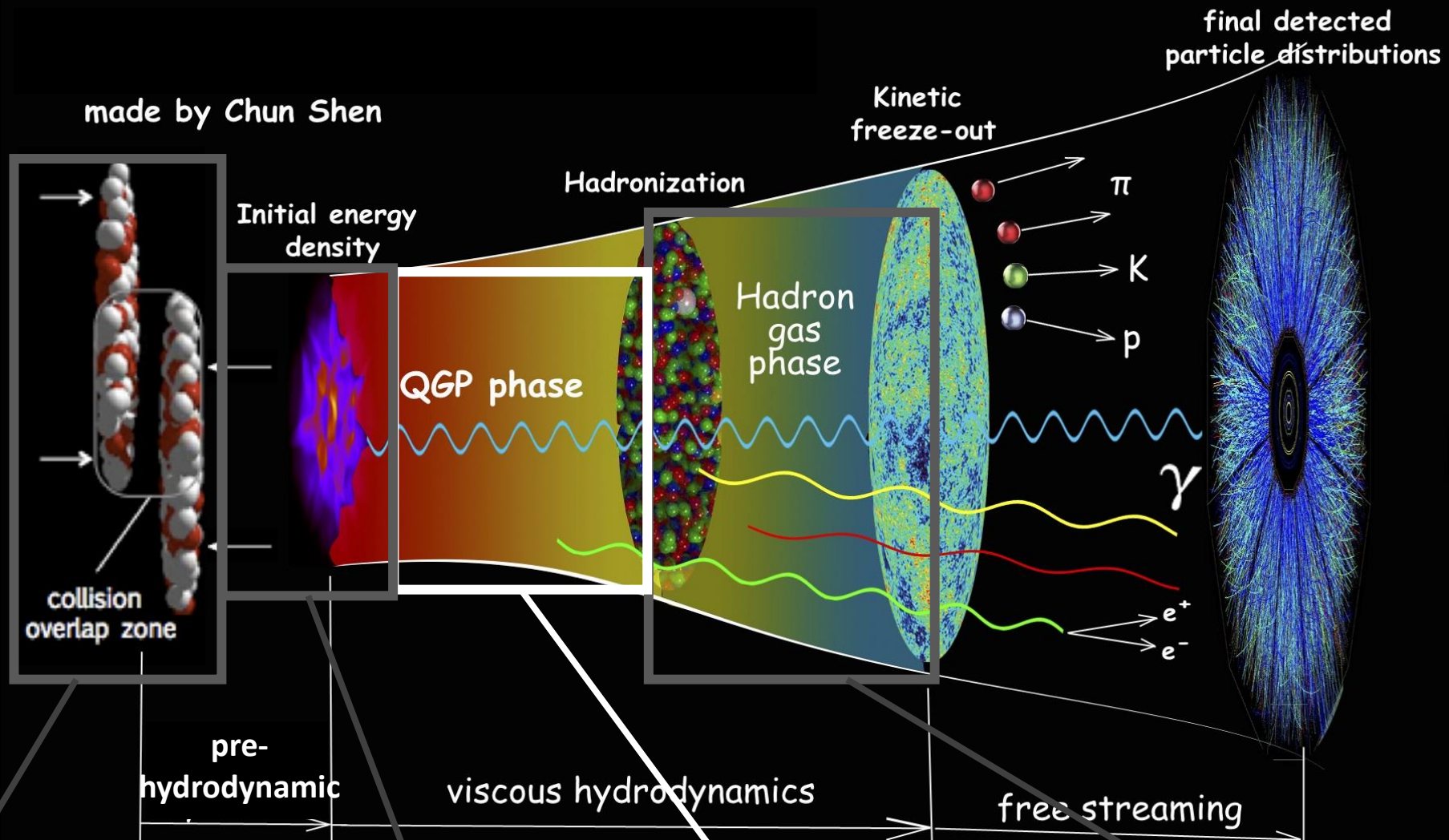
- **Regeneration** - pseudo-elastic scattering through resonance state
- **Rescattering** - elastic scattering smears out mass peak



A closer look at new $K^{*\pm}/K_S^0$



- Suppression of yield ratio in high multiplicity events
- Models need to include hadronic phase
- Best model descriptions are **EPOS-LHC (no UrQMD)** and **HRG**. Both include a fully simulated hadronic phase.



v_n - $[p_T]$ correlations
[HIN-21-012](#)
 Longitudinal decorrelations
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γ +p collectivity
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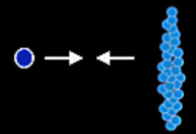
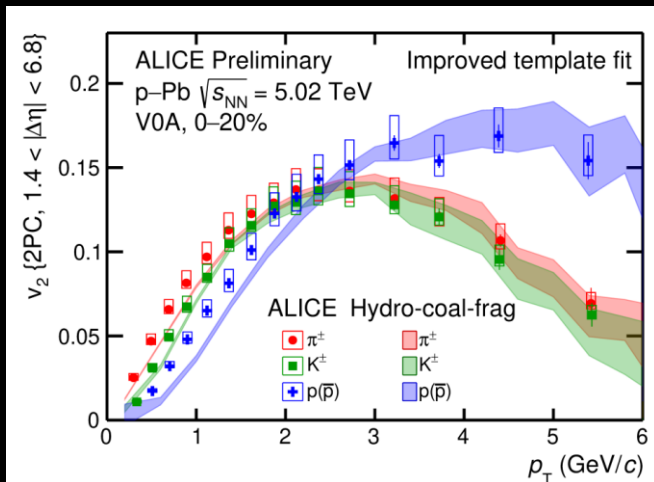
Flow of identified particles in pp

[QM22](#) reference

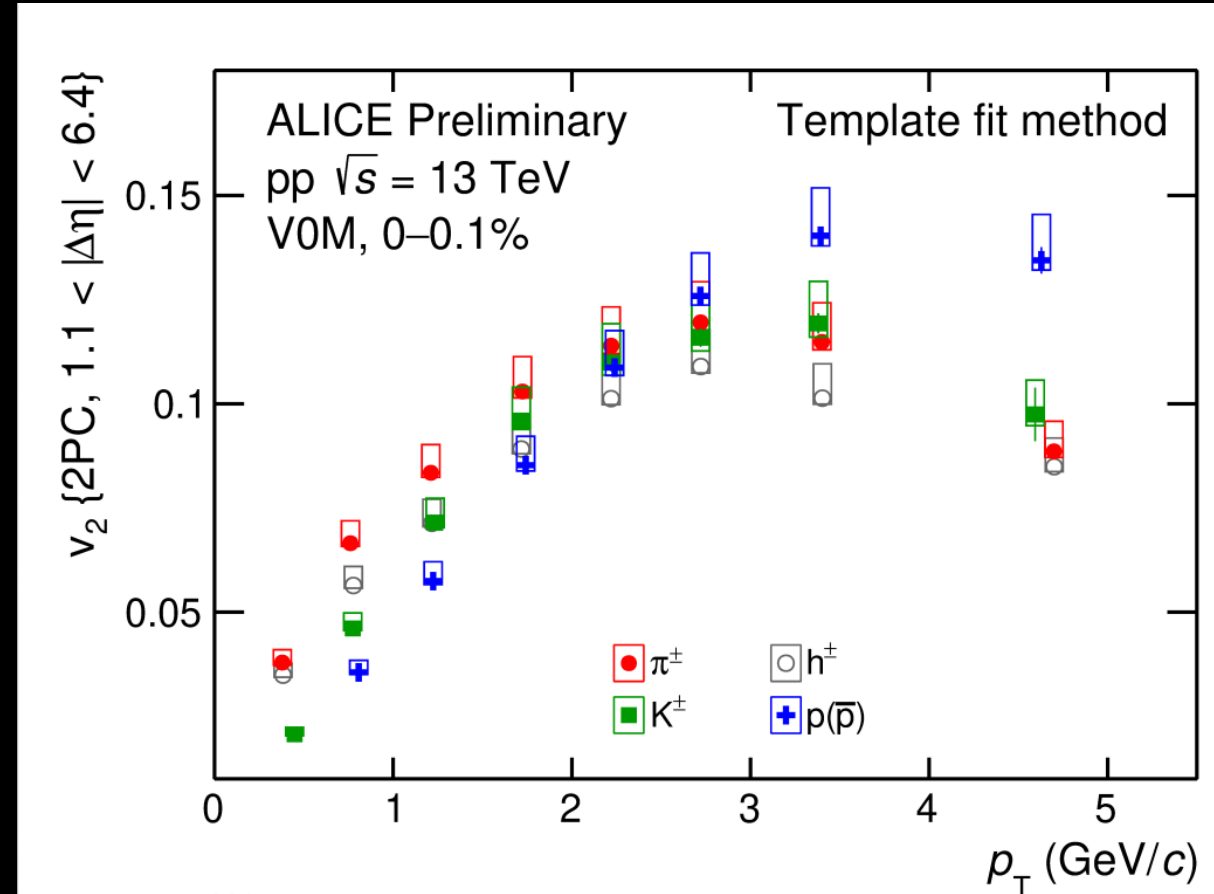
Newly observed phenomenon in pp

- Mass ordering at low p_T
- Baryon-meson splitting at intermediate p_T region

Nonflow removal (Template fit method) has led to clear baryon-meson grouping



To qualitatively reproduce data **above 3 GeV** models must include **quark coalescence and jet fragmentation**

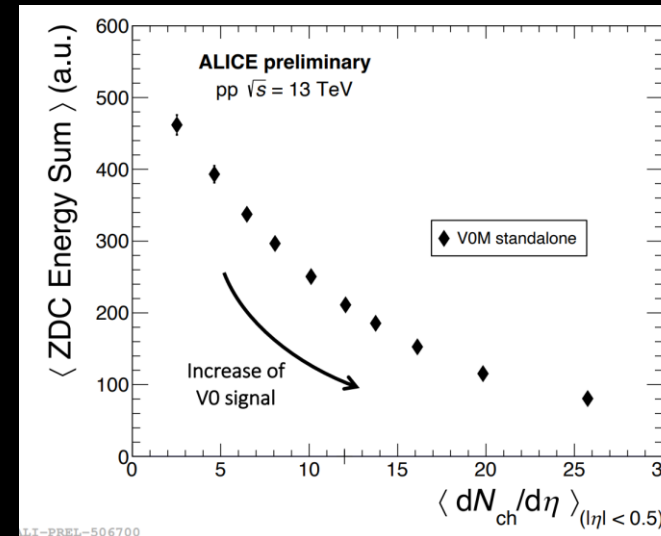
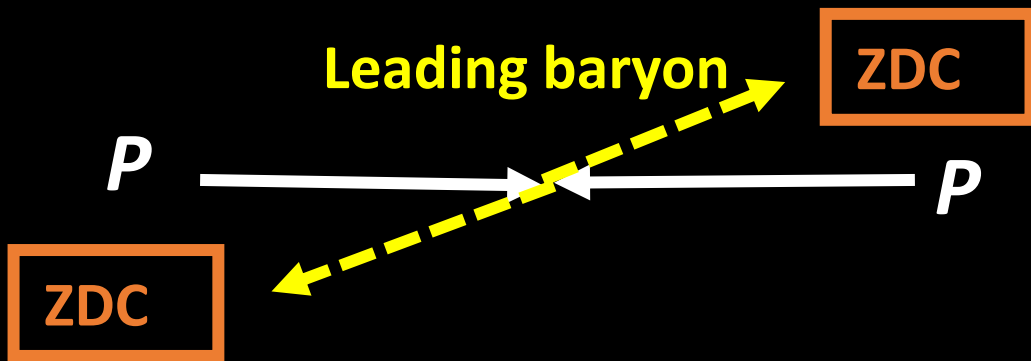


Coalescence: simplified model

$$V_2^{\text{hadron}}(p_T) = n \times v_2^{\text{partons}}(p_T/n)$$
 Where n is the number of valance quarks

Strangeness enhancement

- Thermal production of strange quarks in the QGP increase the $s\bar{s}$ content from initial content from initial collision.
- Signature of the presents and duration of QGP phase.
- Growing knowledge of the details of how the thermal productions is facilitated by temperature of the QGP and total energy deposited /system size as well as the experimental handles of such causes.

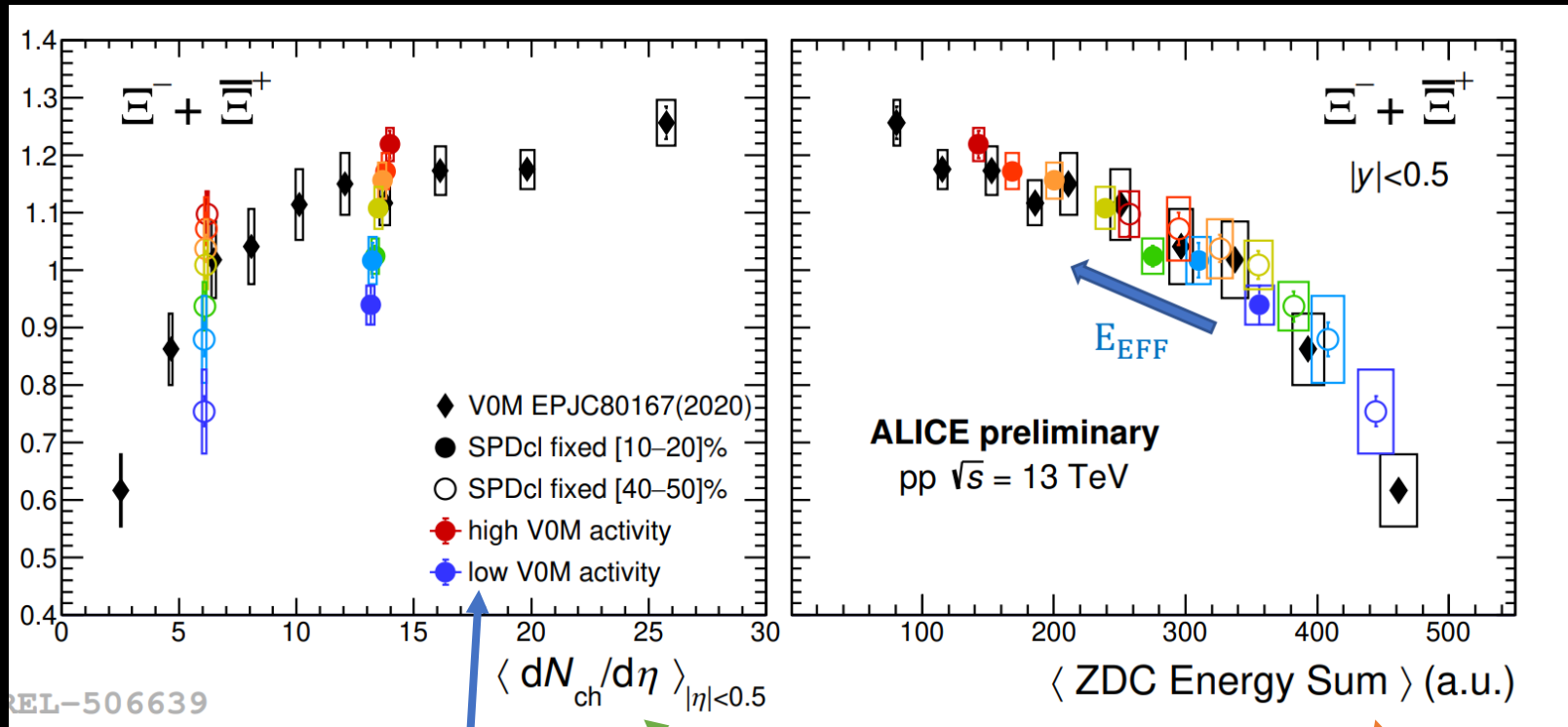


[QM22](#) reference

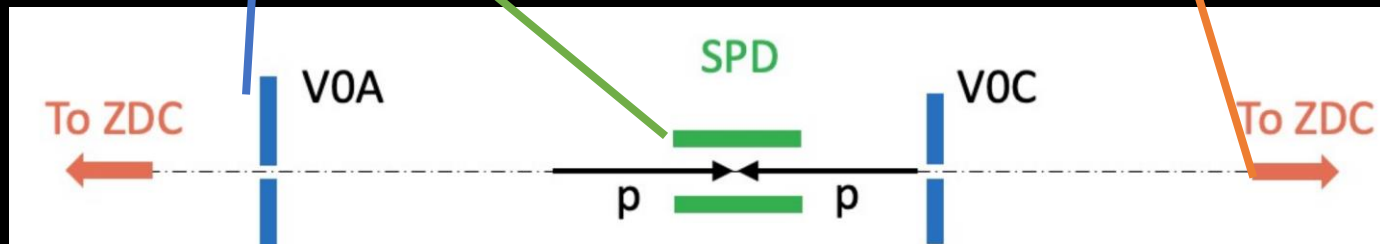
ZDC energy is anticorrelated with mid-rapidity multiplicity

Strangeness enhancement with $dN_{ch}/d\eta$ and ZDC

$$\frac{Y_{\Xi^- + \Xi^+} / \langle N_{ch} \rangle}{\langle Y_{\Xi^- + \Xi^+} / \langle N_{ch} \rangle \rangle}$$



[QM22](#) reference

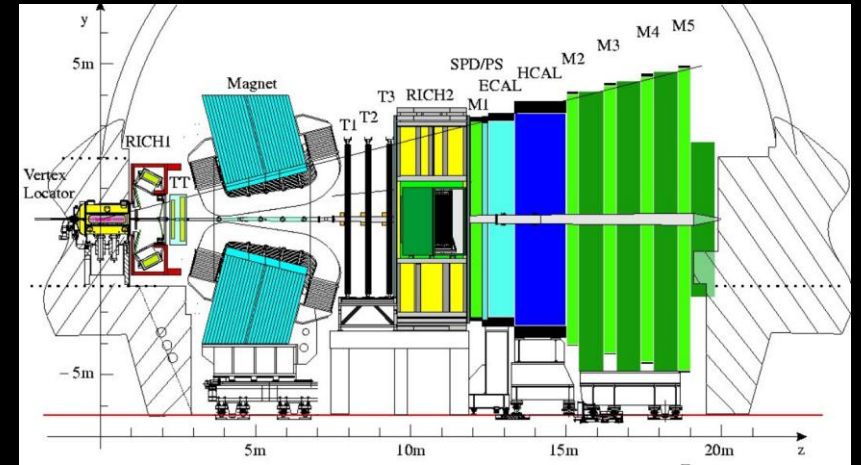


Increase in the average fraction of strange hadrons with increasing multiplicity and decreasing ZDC energy

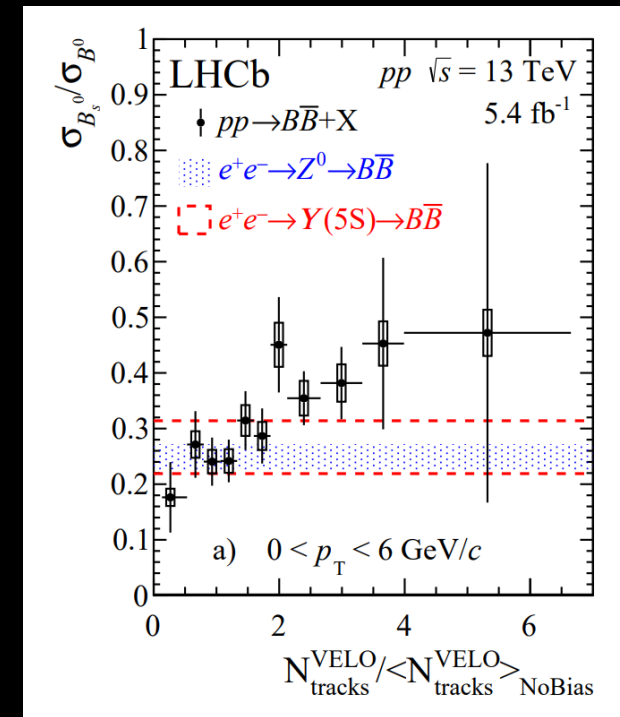
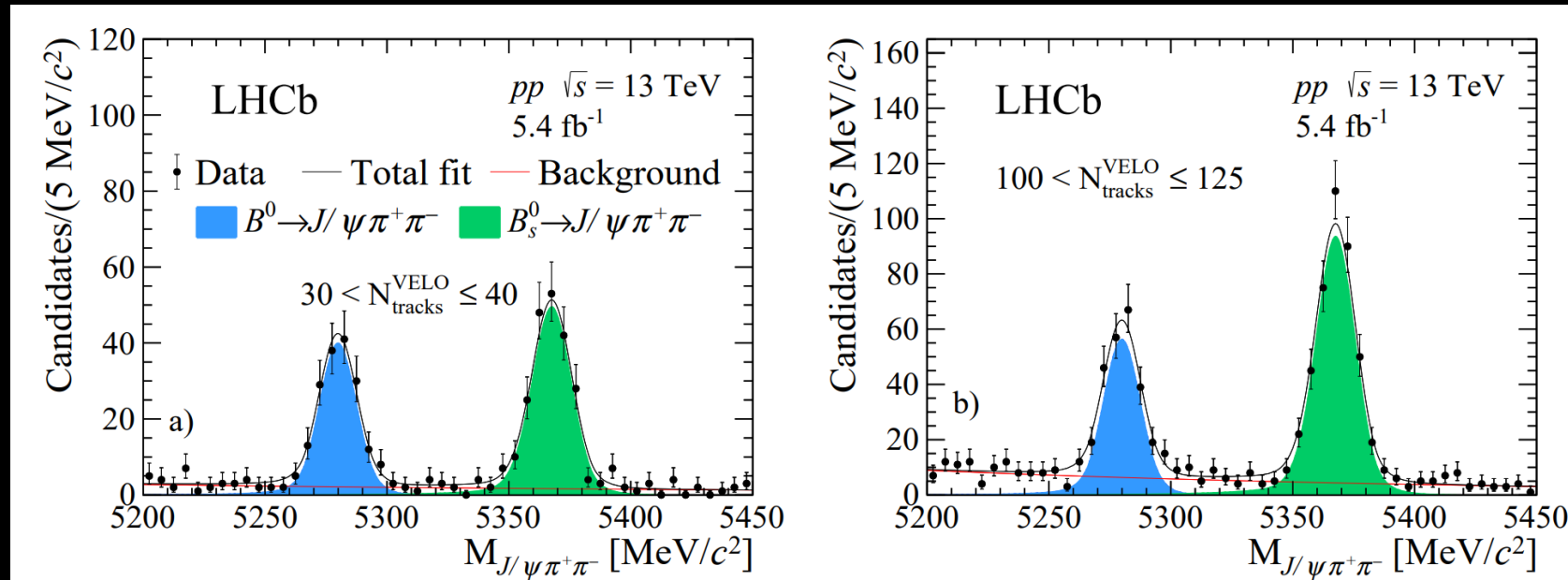
Multiplicity $\eta < 0.5$ is not the whole story for strange hadrons within $y < 0.5$

Strangeness enhancement: B_s^0/B^0 with LHCb

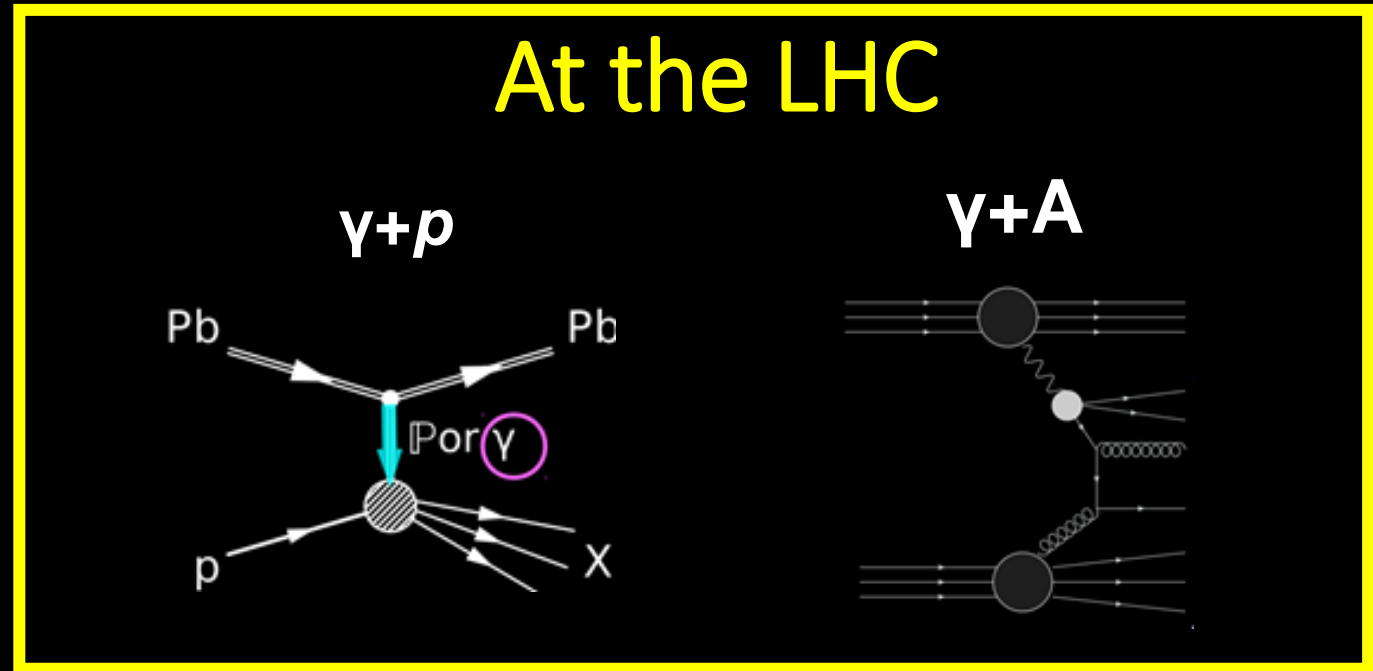
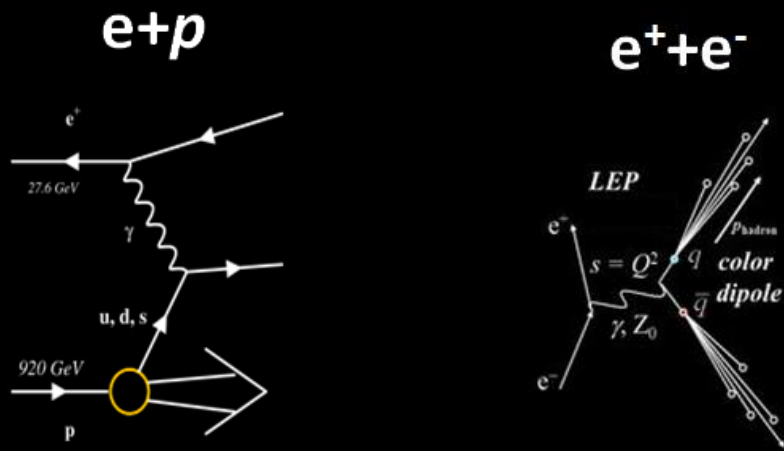
- Unique capabilities of LHCb to make complimentary heavy-ion-style measurements.
- Measurement of B_s^0 and B^0 at forward rapidity ($2 < y < 5$) in pp at 13 TeV
- 3.4 sigma increase in B_s^0/B^0 with multiplicity



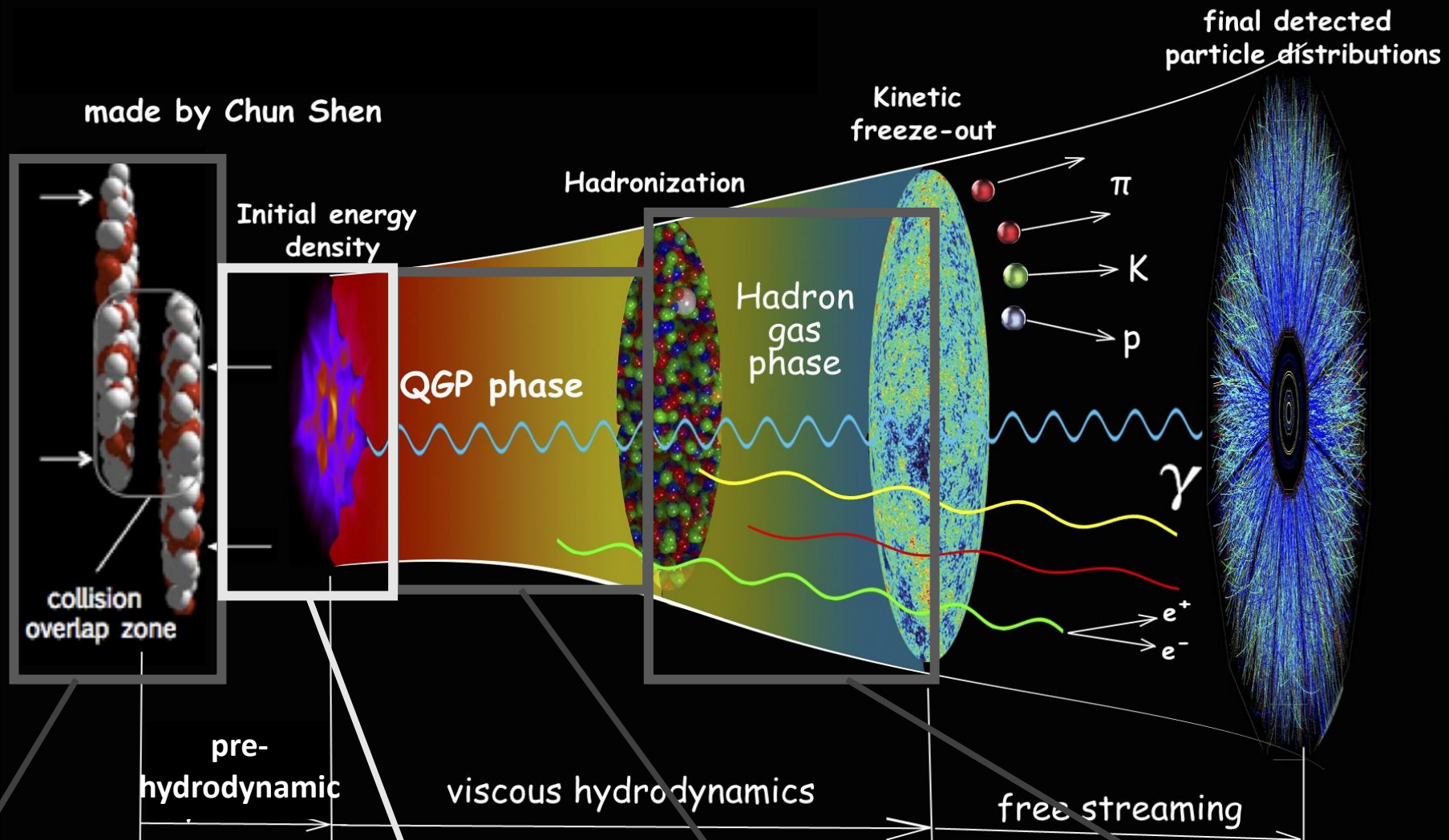
[arXiv:2204.13042](https://arxiv.org/abs/2204.13042)



What are the minimal condition for collectivity?



Many new searches in other small systems



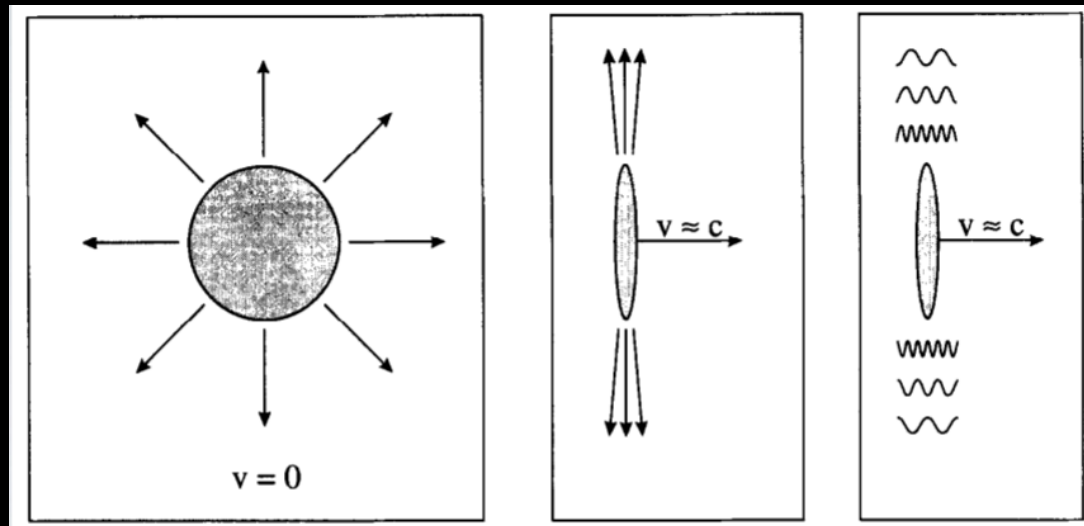
Hadron resonance production
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$\gamma+p$ collectivity
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Ultra-peripheral collisions at the LHC

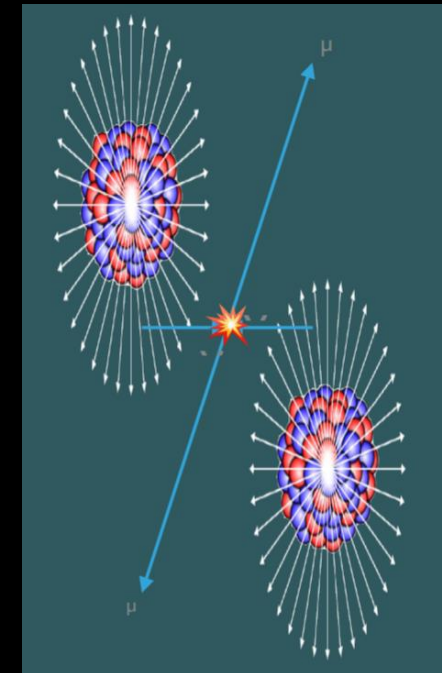
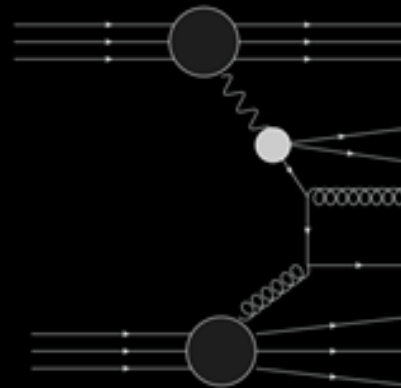


Coulomb fields of moving charges can be treated as an equivalent flux of photons which are boosted to high energies.

Photons reach energies of 10s of GeV with a 2.5 TeV Pb beam at the LHC

When $b > 2R_A$ two categories of interactions

- Pure EM processes
 - $\gamma\gamma \rightarrow \gamma\gamma$ [arXiv:1904.03536](#) & [arXiv:2008.05355](#)
 - $\gamma\gamma \rightarrow \mu\mu$ [arXiv:2011.12211](#)
- Photo-hadron interactions
 - $\gamma + A \rightarrow A^* + V$
 - $\gamma + A \rightarrow X$

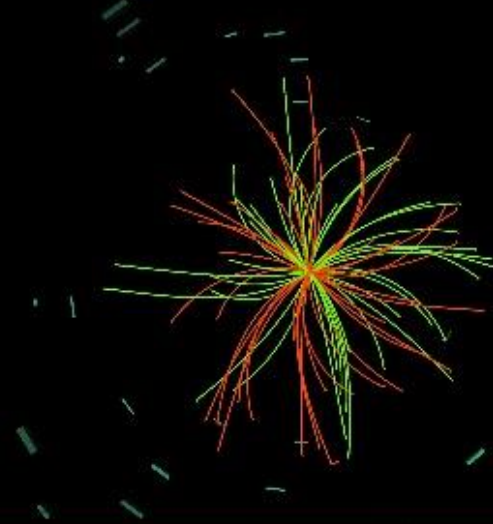


Pb+Pb, 5.02 TeV

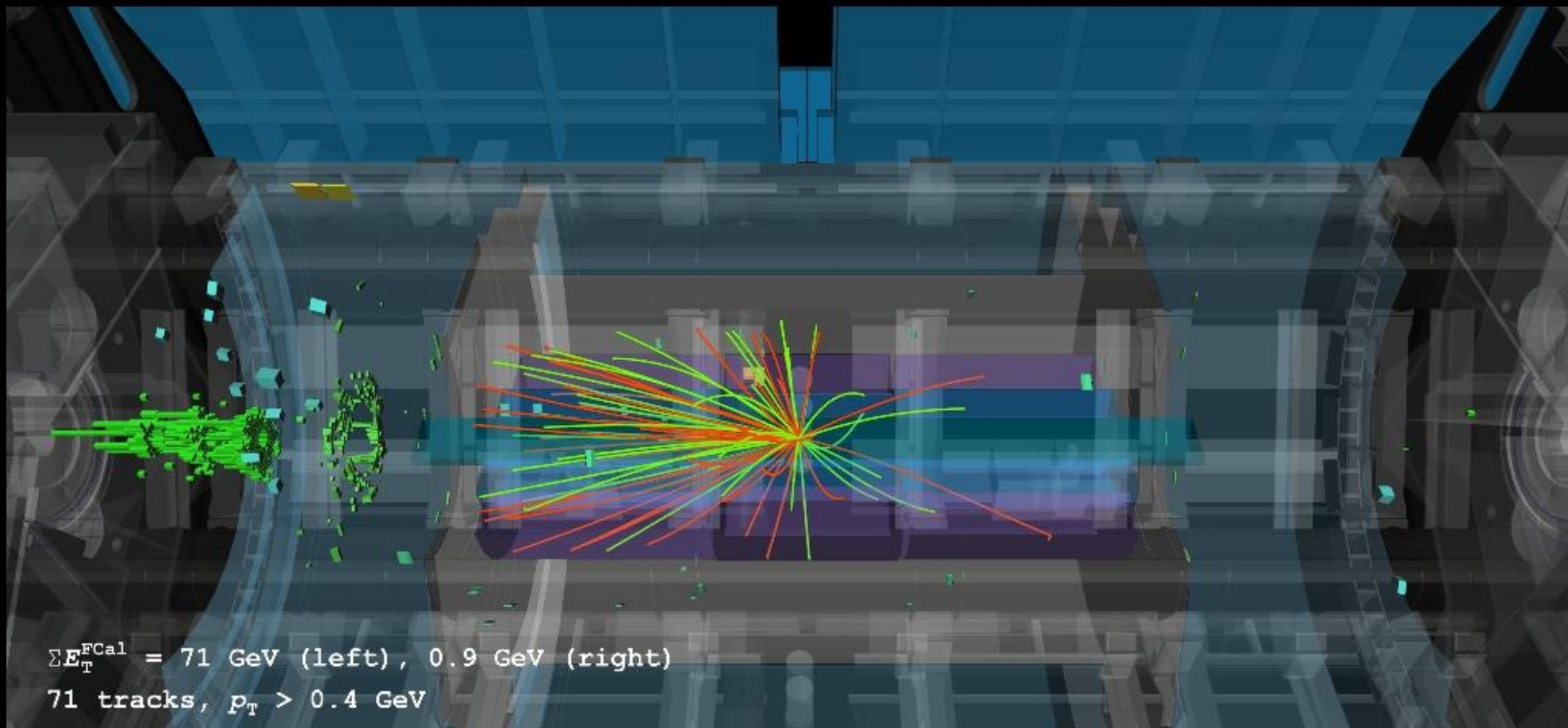
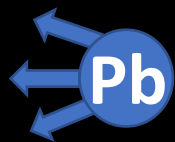
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Event: 1064766274

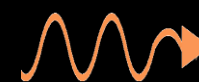
2018-11-11 22:00:07 CEST



Pb
going
direction



photon
going
direction



$\Sigma E_T^{\text{Cal}} = 71 \text{ GeV (left), } 0.9 \text{ GeV (right)}$

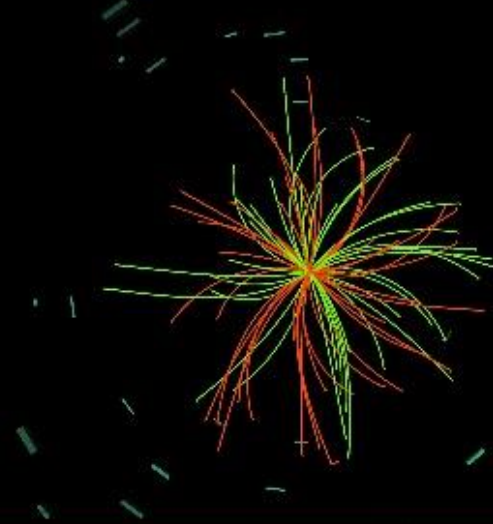
71 tracks, $p_T > 0.4 \text{ GeV}$

Pb+Pb, 5.02 TeV

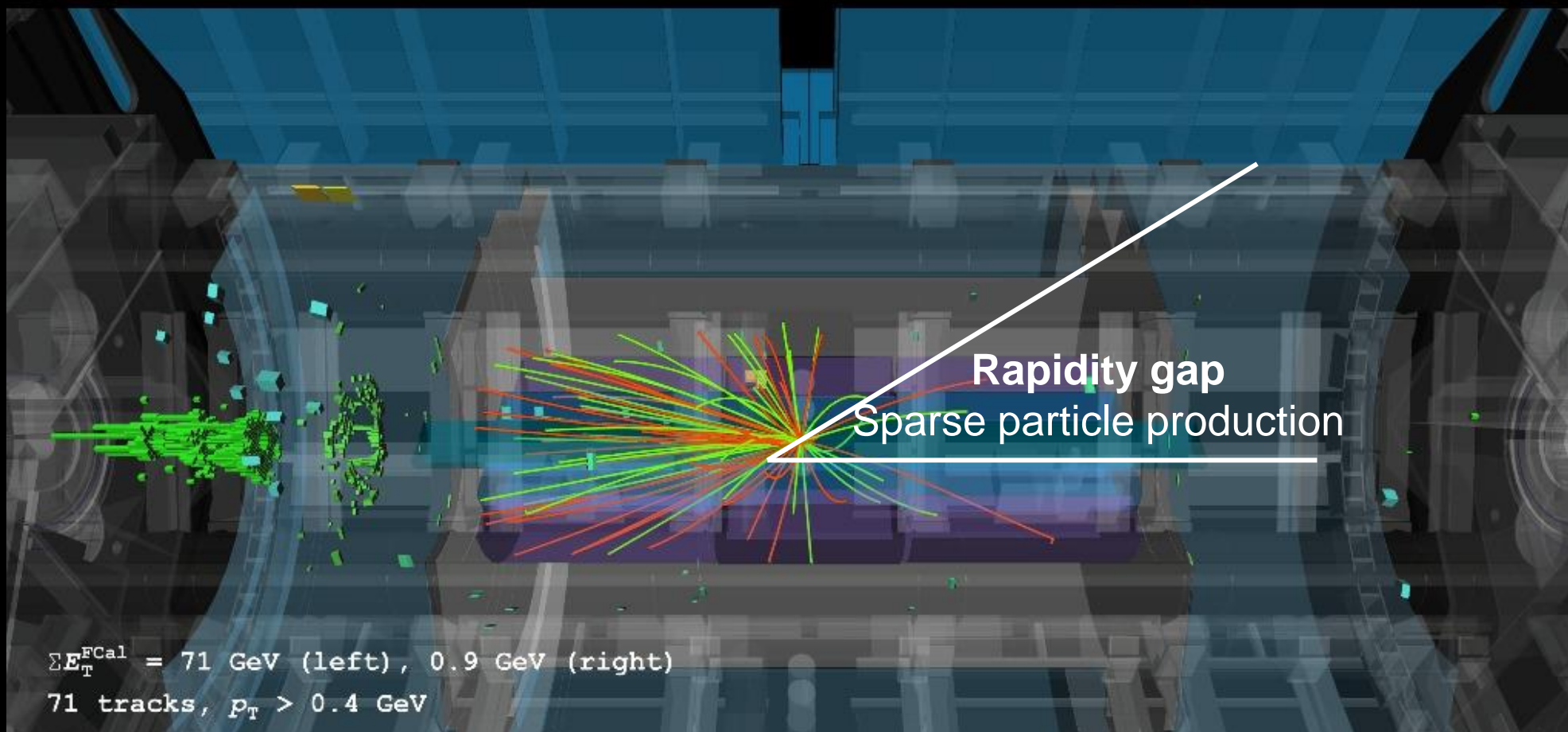
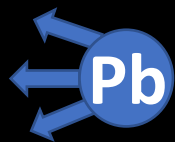
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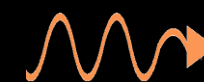
2018-11-11 22:00:07 CEST



Pb
going
direction



photon
going
direction



$\Sigma E_T^{\text{FCal}} = 71 \text{ GeV (left), } 0.9 \text{ GeV (right)}$

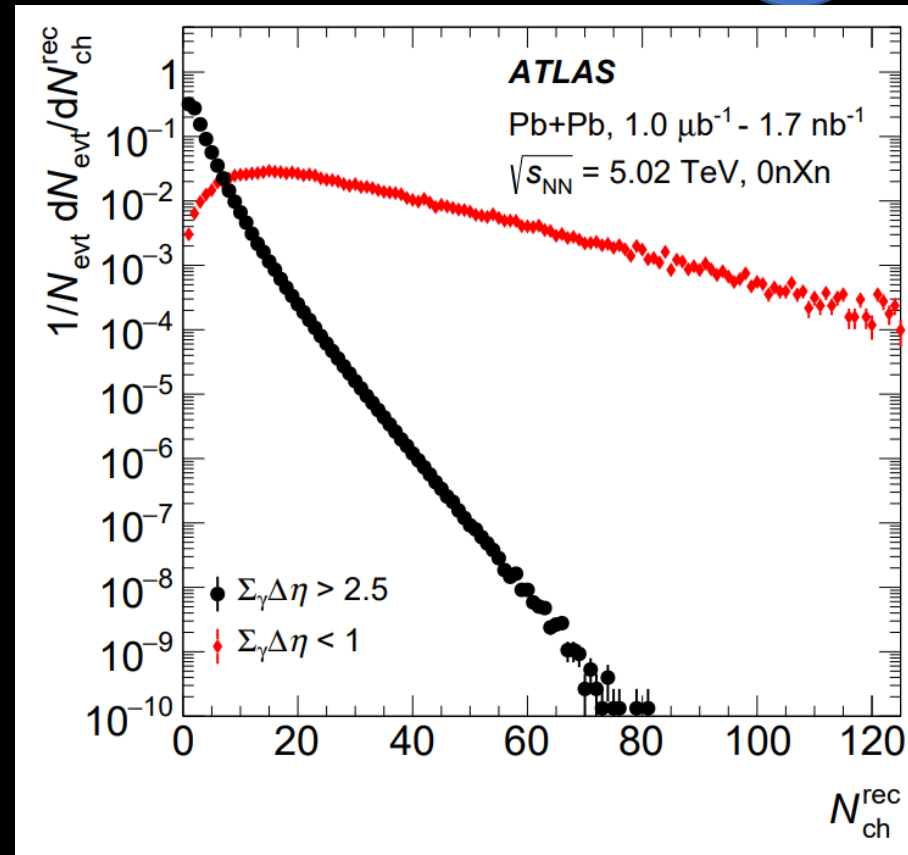
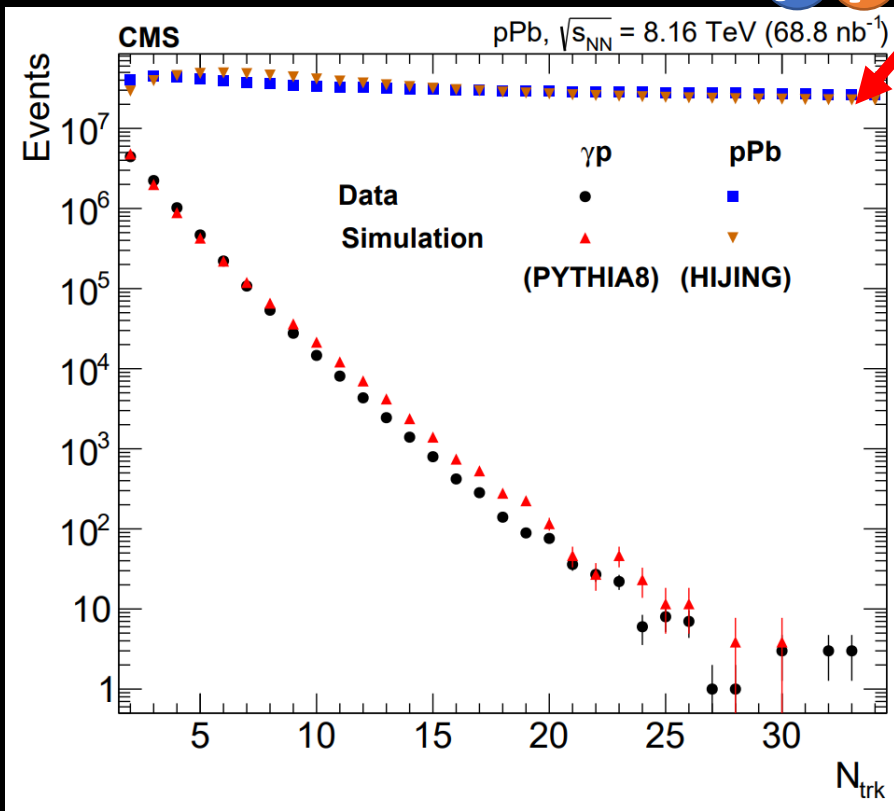
71 tracks, $p_T > 0.4 \text{ GeV}$

Charged-particle multiplicity

γ +A has a very steep multiplicity distribution and γ +p is even steeper compared to **minimum-bias p+Pb**.

Pb γ

p γ

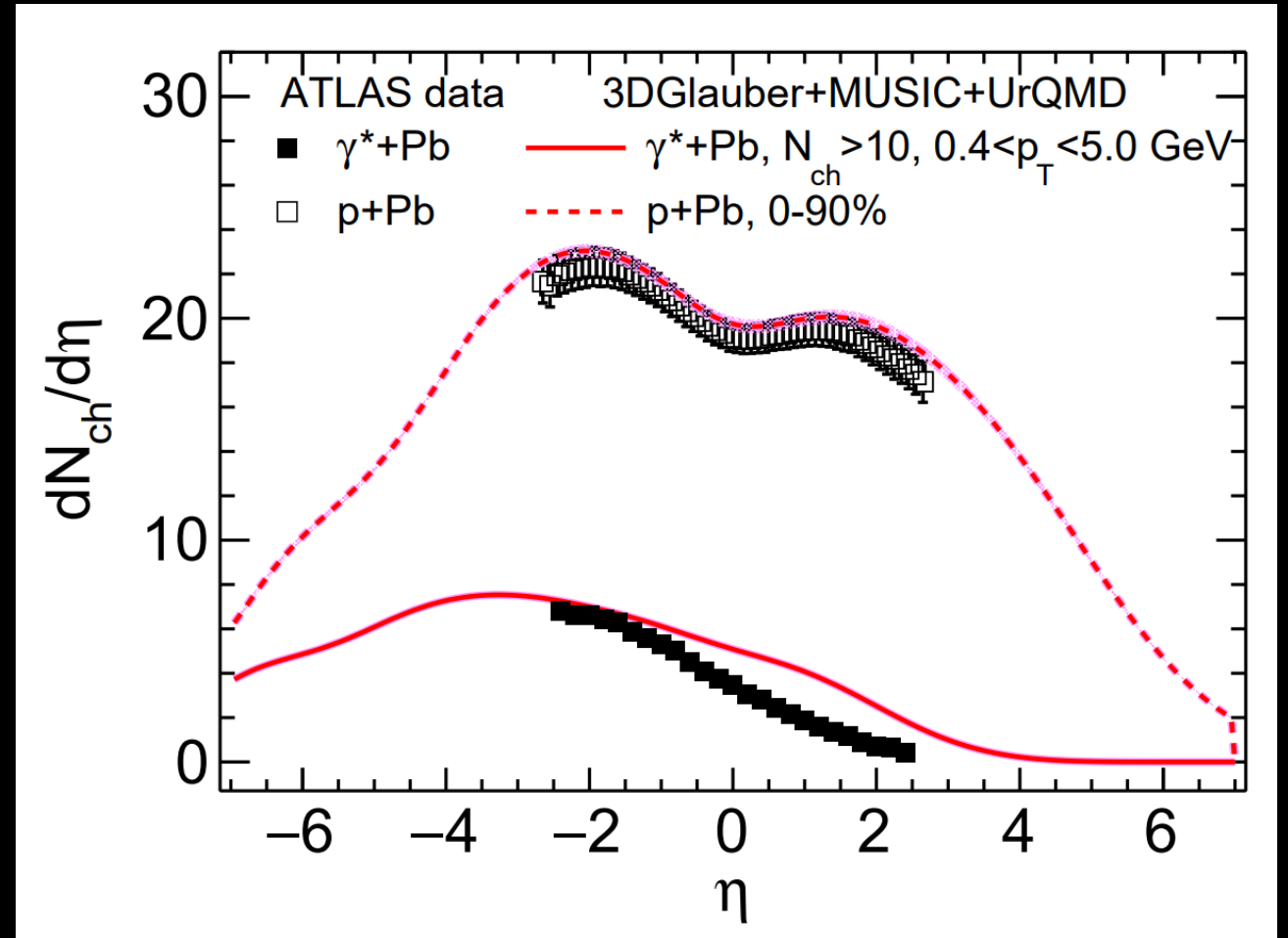


$dN_{ch}/d\eta$ in γA collisions

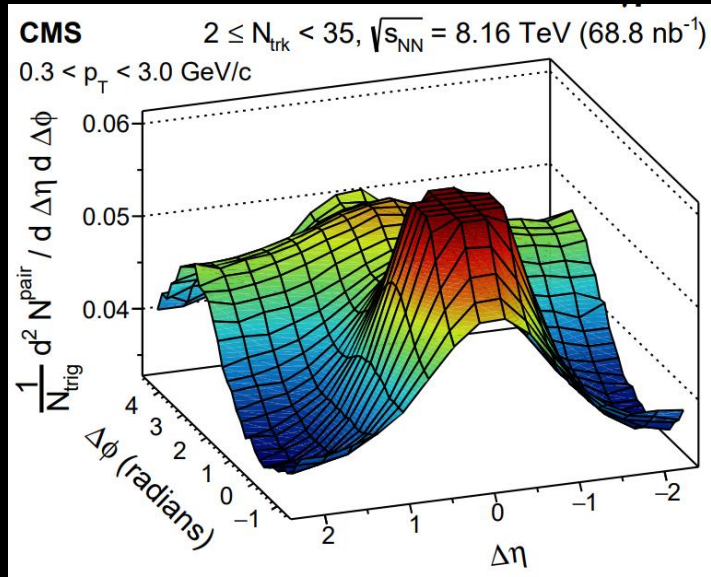
First comparisons with theory model which can describe de range of soft phenomenon in hadronic collisions

Many refinements need to be made to the theory and a proper data measurement are needed for a detailed quantitative comparison, such as...

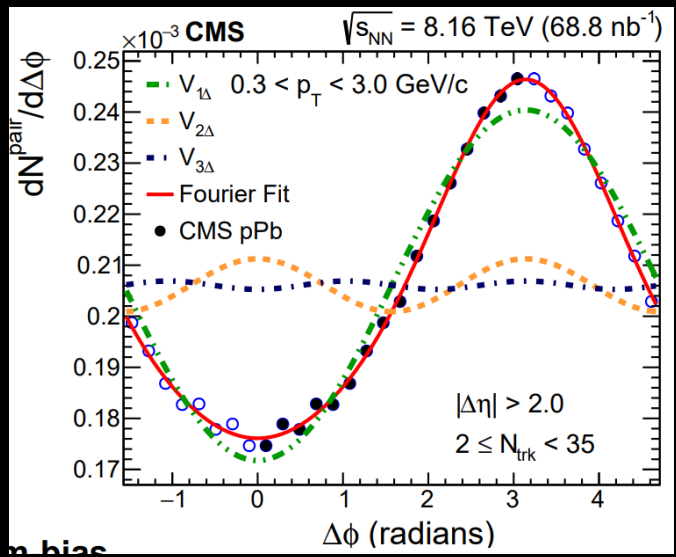
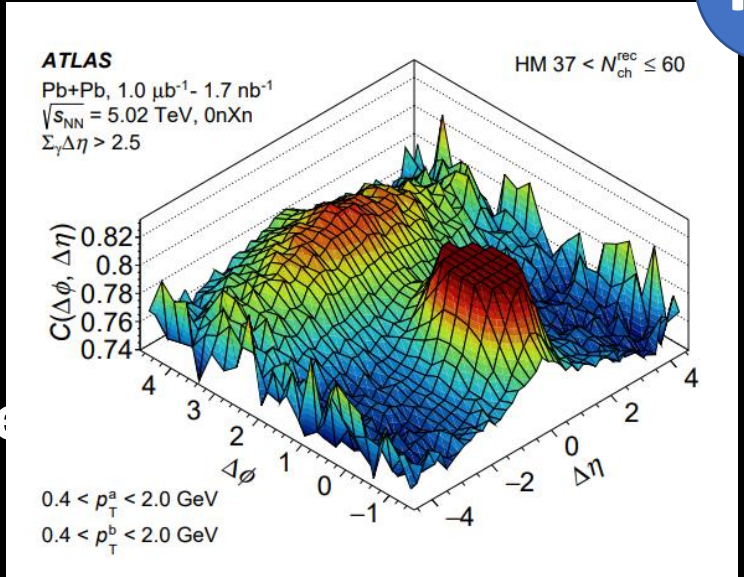
- realistic photon-Pb impact parameter
- inclusion of direct events
- experimental event selection of theory



Two-particle correlation of charged tracks

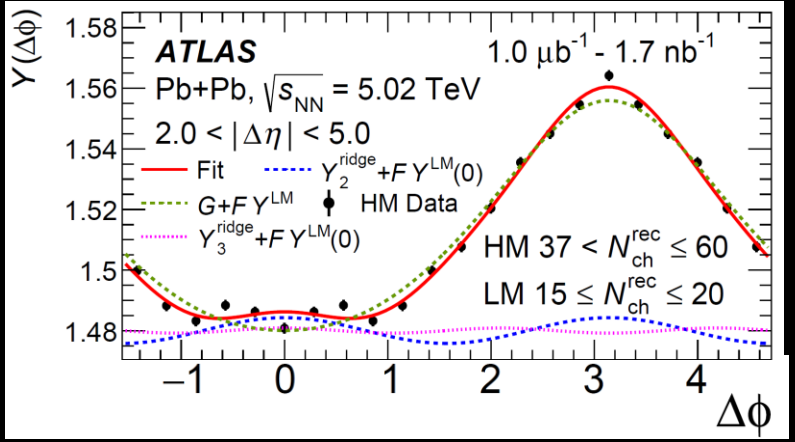


No clear
nearside ridge

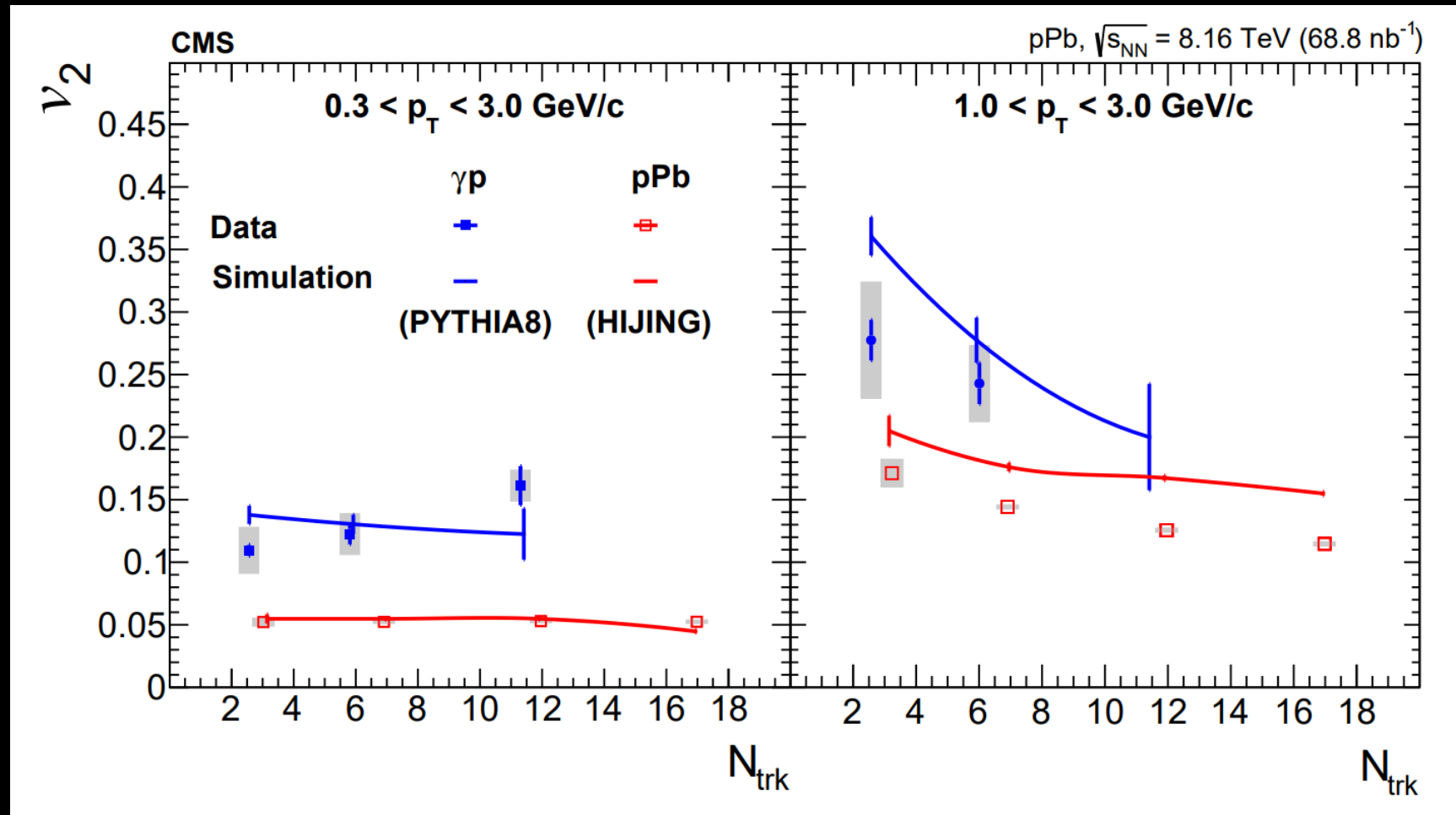


Away-side correlation

- Momentum conservation
- Jets
- Not collective phenomenon
- Termed "non-flow"



$\gamma+p$ final results: $v_2(N_{ch})$



[arXiv:2204.13486](https://arxiv.org/abs/2204.13486)

- V_2 is largely a result of non-flow correlations
- Non-flow subtraction should be performed to further understand the collective effects.
- MC modeling of soft correlations is generally not perfect, thus the general agreement of data with MC with no flow is relatively weak evidence of no flow in gamma+p

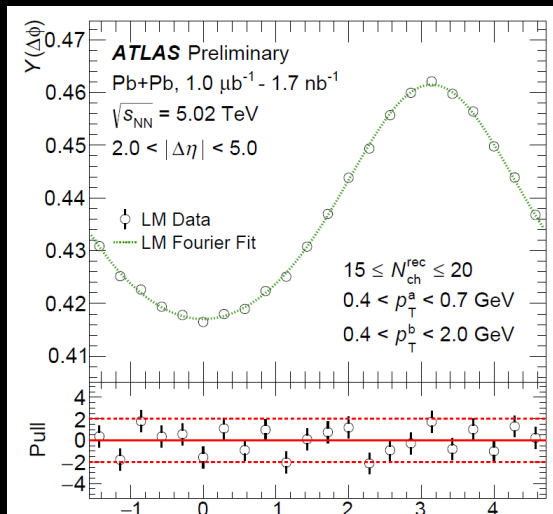
Non-flow removal in γA correlations



High-multiplicity (HM) correlation data



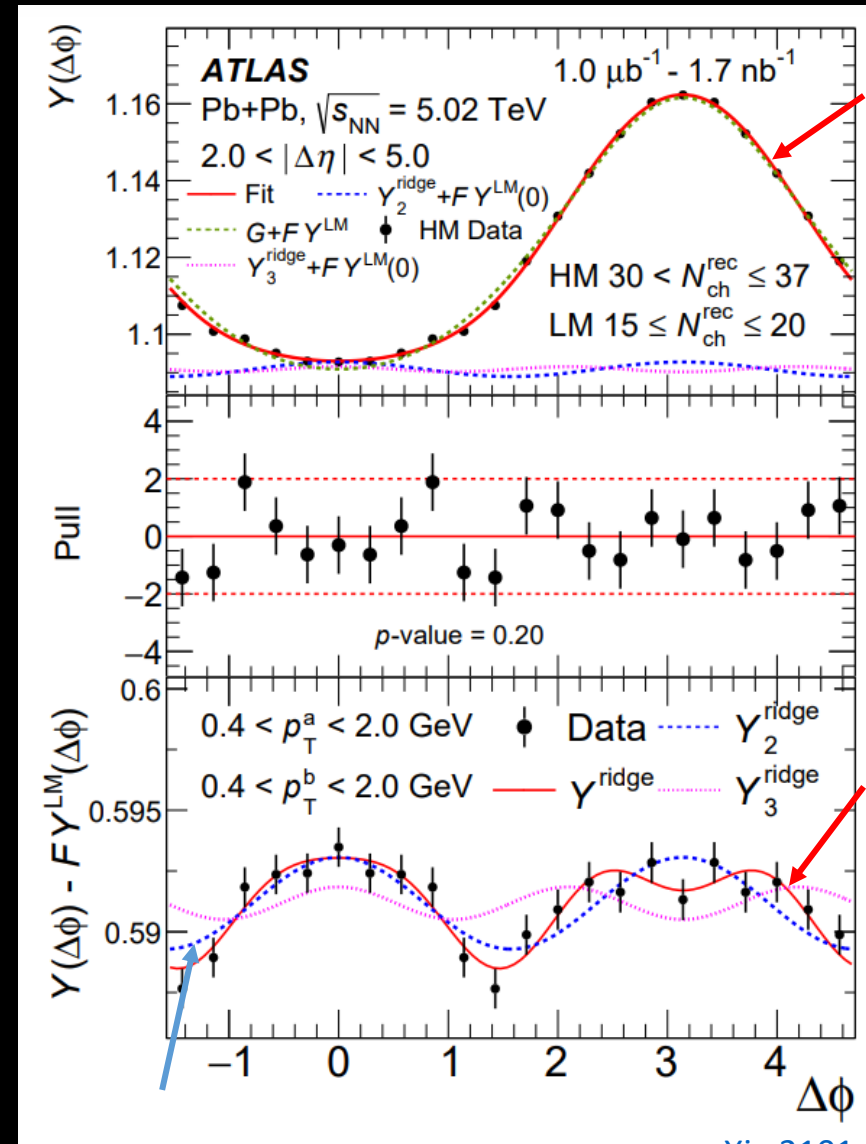
Low multiplicity (LM) template for jet/non-flow correlation



Nonflow subtraction

- HM fit with LM data and flow coef.
- HM and LM assumed to have same flow shape
- Different LM selection leads to similar results

$$Y^{\text{HM}}(\Delta\phi) = FY^{\text{LM}}(\Delta\phi) + G \left\{ 1 + 2 \sum_{n=2}^3 v_{n,n} \cos(n\Delta\phi) \right\}$$



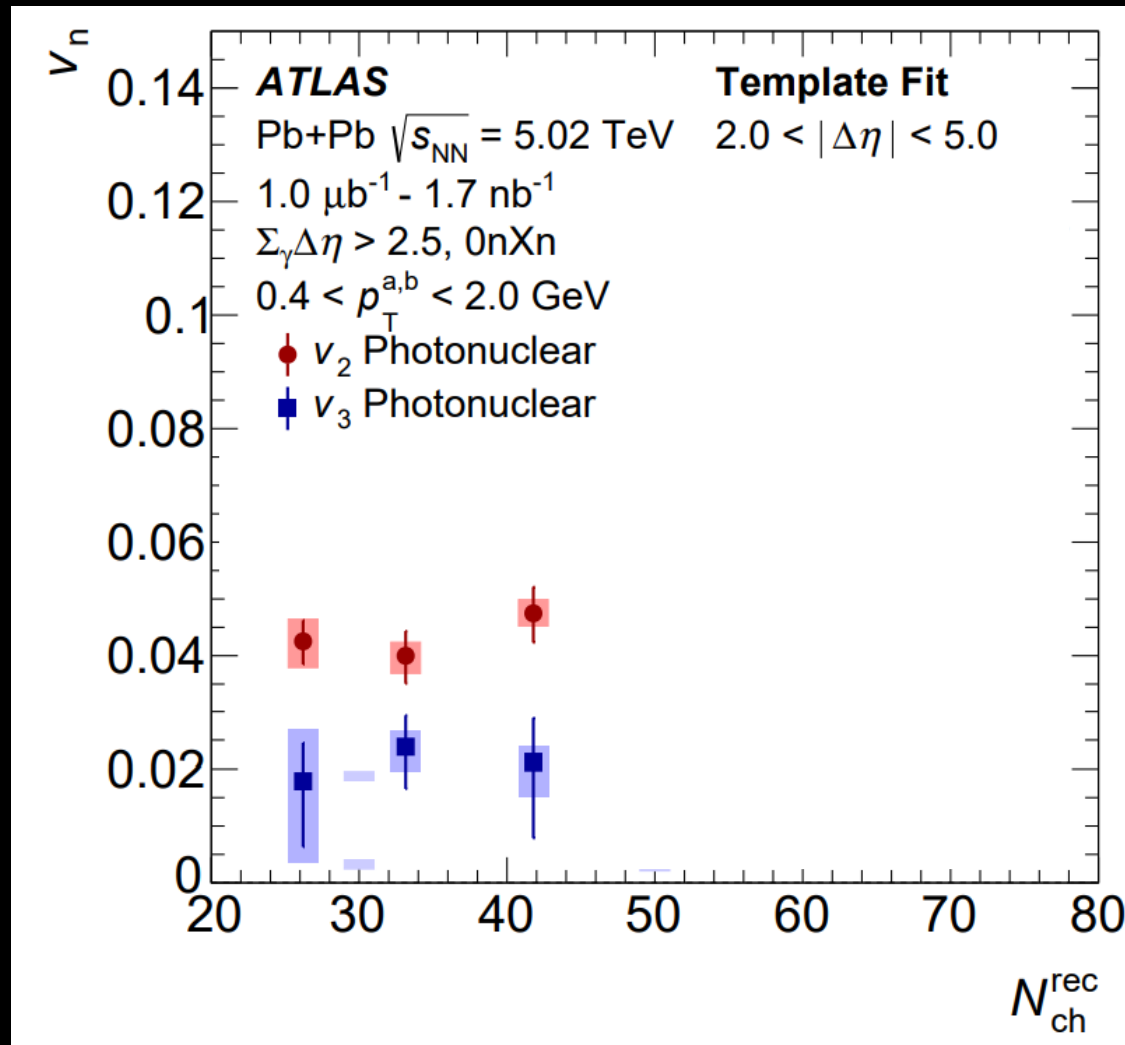
fit

fit

arXiv:2101.10771

After nonflow subtraction clear $\cos(2\Delta\phi)$ modulation

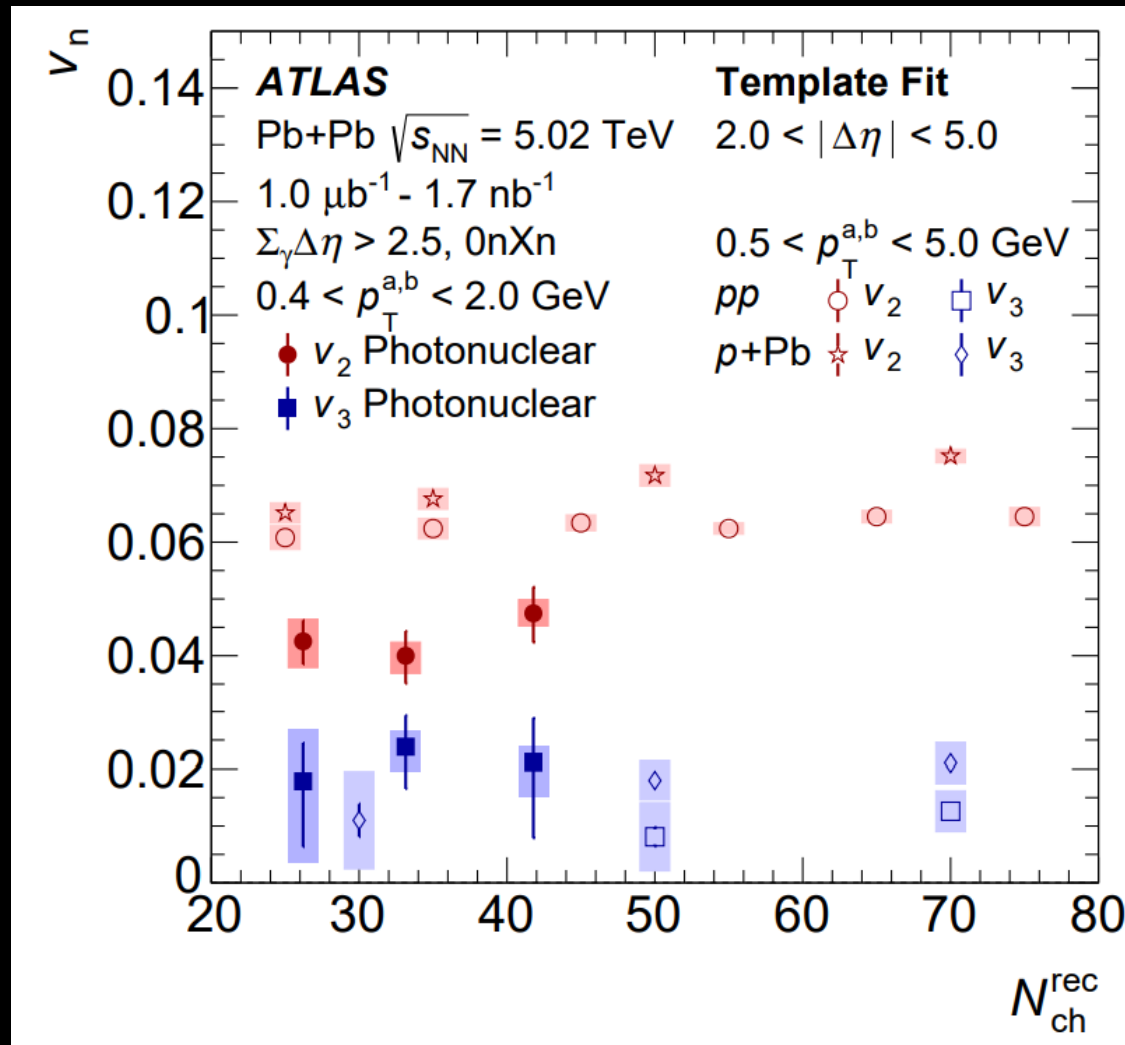
v_n in photonuclear collisions



Significant nonzero v_2 and v_3 in photonuclear collisions

Flat $v_2(N_{ch})$ within statistical precision

v_n in photonuclear collisions



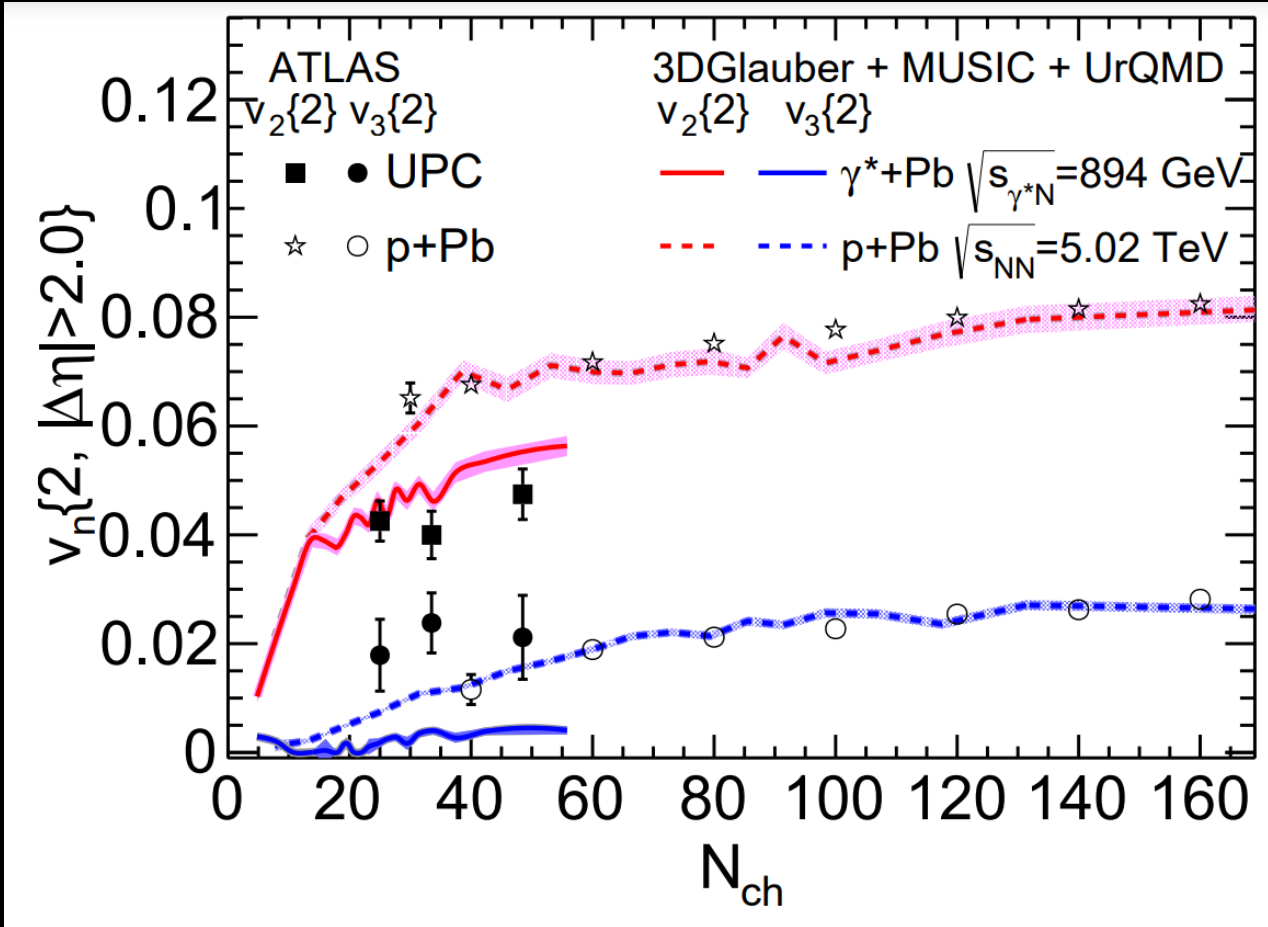
Significant nonzero v_2 and v_3 in photonuclear collisions

Flat $v_2(N_{ch})$ within statistical precision

Changing pp to $0.4 < p_T < 2.0$ is predicted to lower pp v_2 by $\sim 10\%$ which does not lead to agreement between pp and γA

Consistent v_3 between γA and pp given large uncertainties on both

New γ +Pb theory comparisons



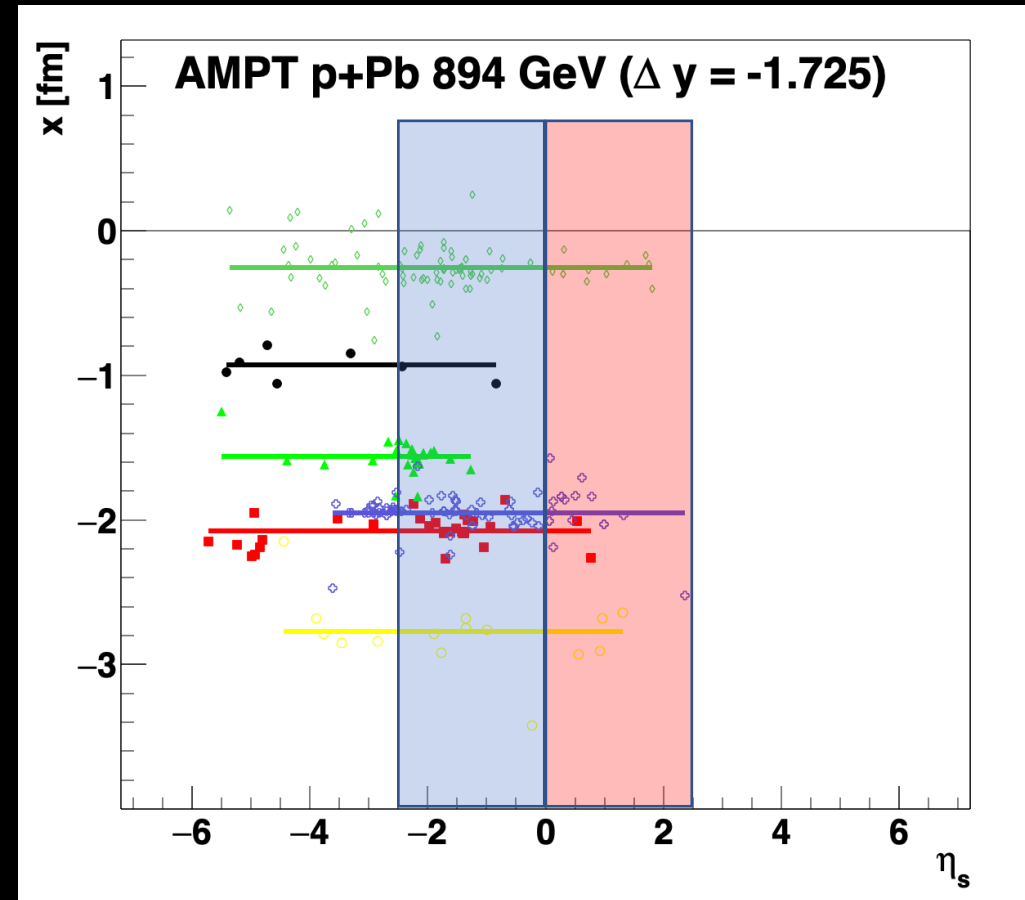
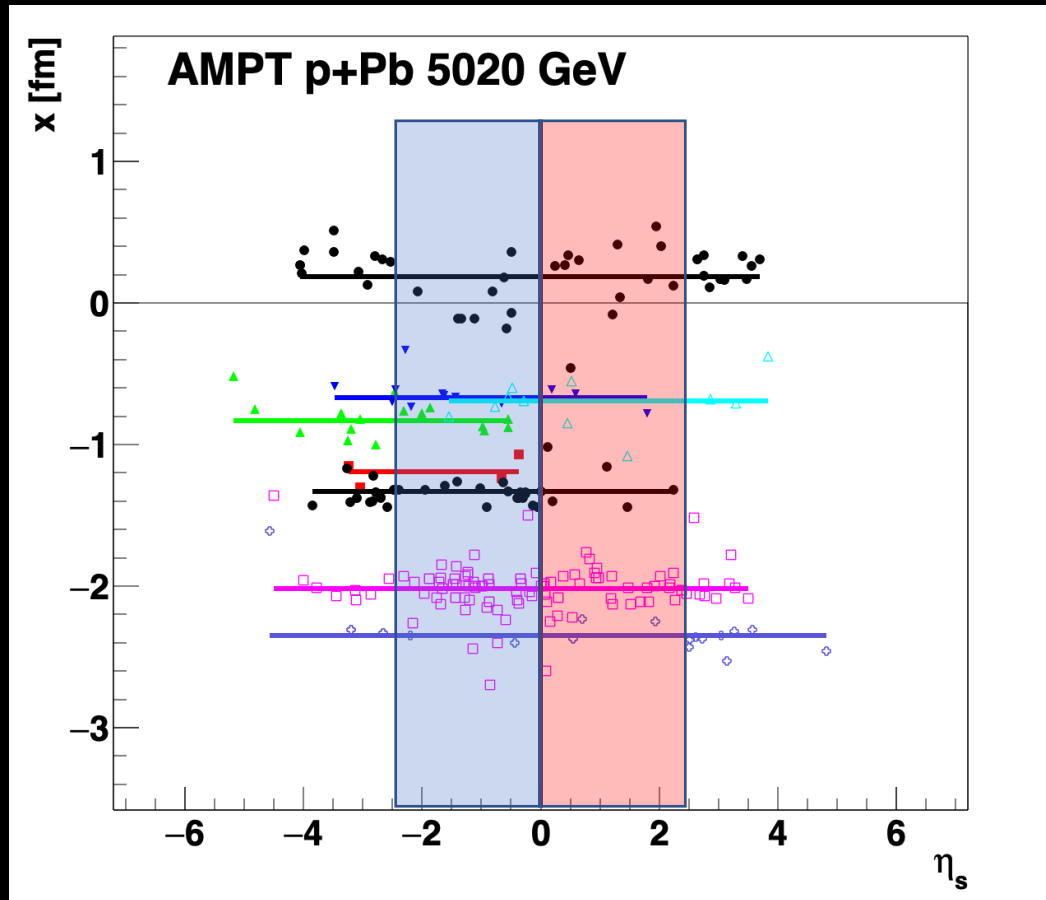
New comparison to
3DGlauber + MUSIC +UrQMD

Quantitatively reproduces both
 p +Pb and γ +Pb simultaneously

Why is
 $v_2(\gamma^*Pb) < v_2(pPb)$

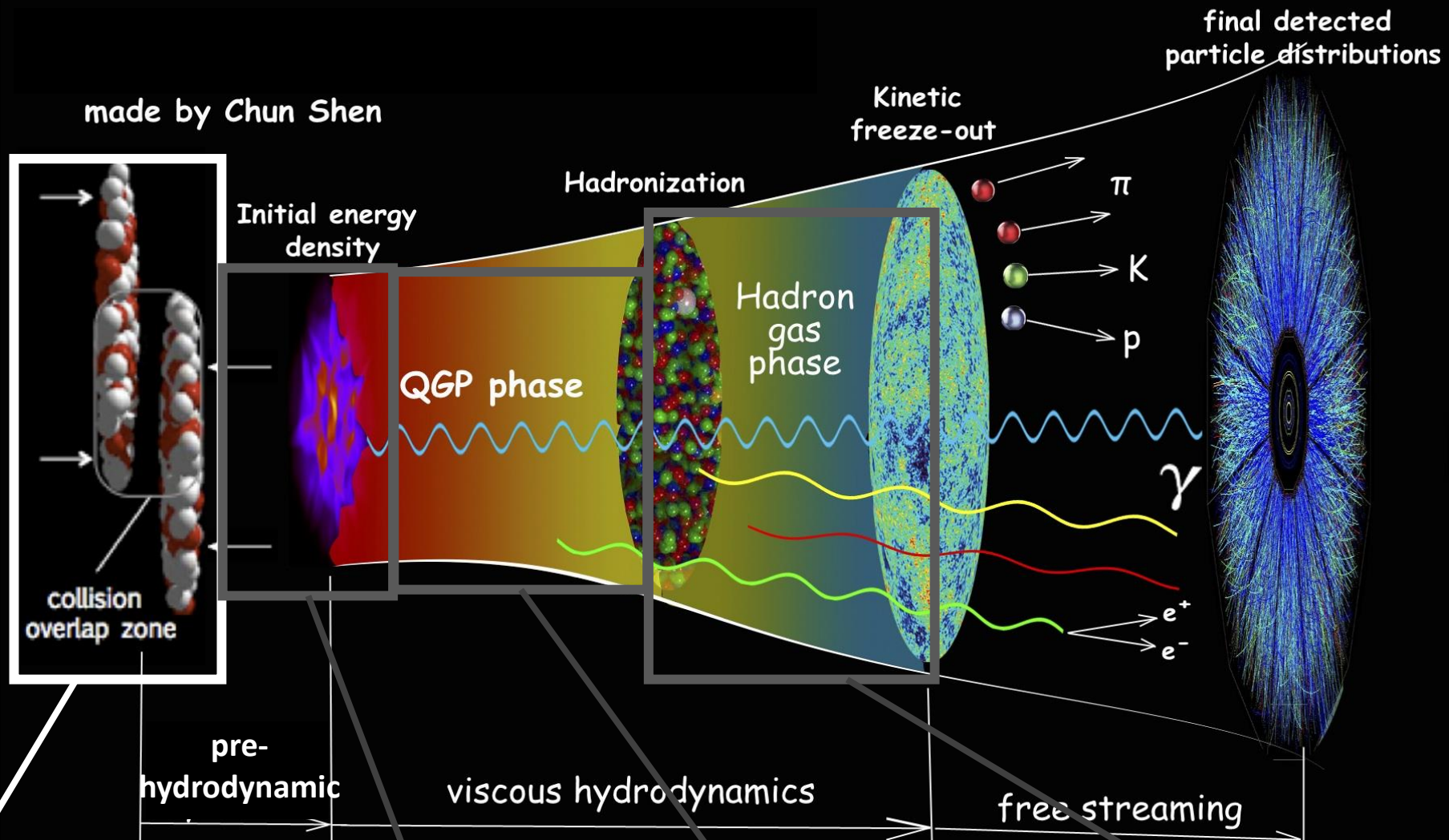


Why is $v_2(\gamma^* \text{Pb}) < v_2(\text{pPb}) \dots$ Boost matters!



String models can reproduce longitudinal geometry fluctuations

In a two-particle correlation, particles are selected from rapidities which can have different string geometries (decreasing the correlation)

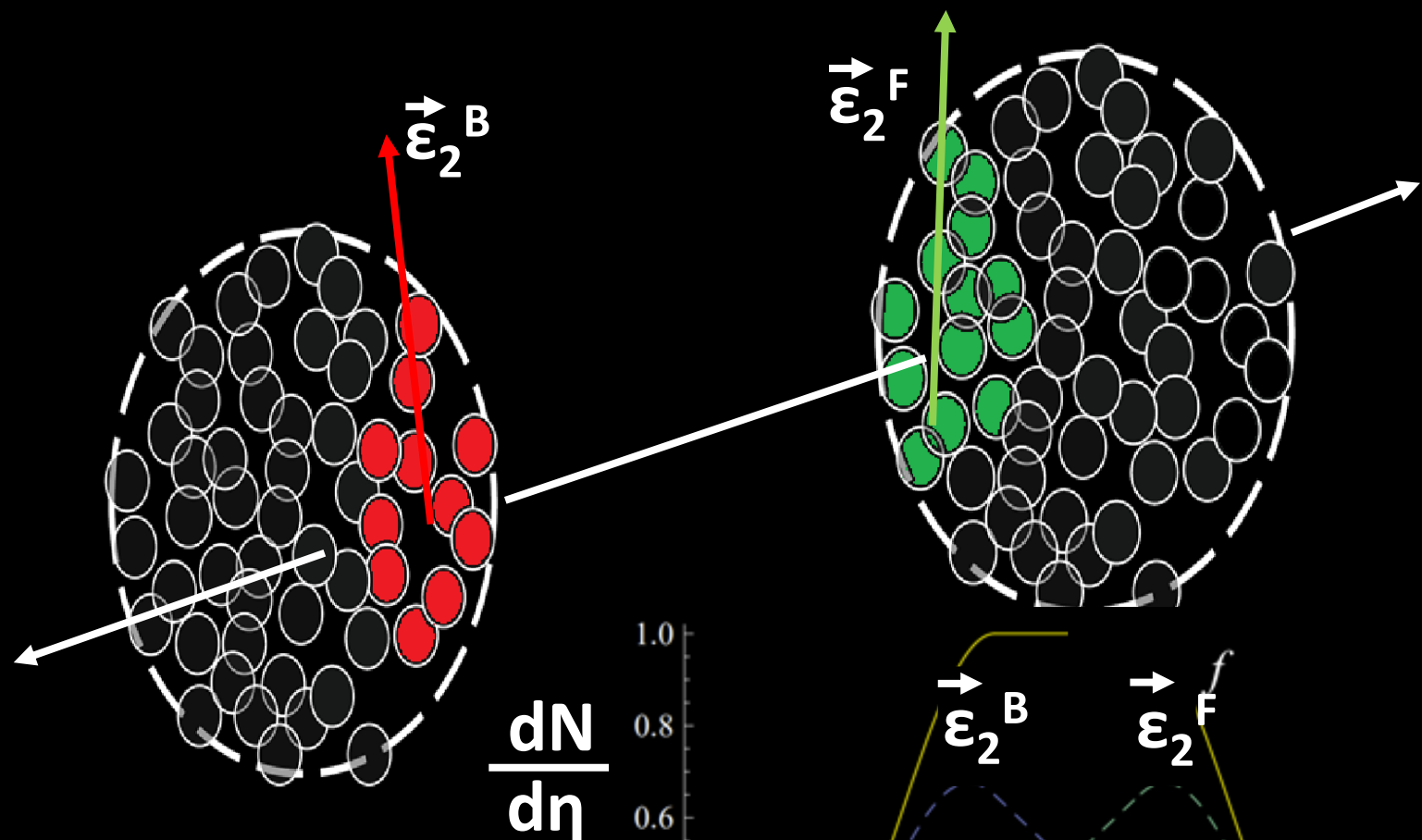


v_n - $[p_T]$ correlations
[HIN-21-012](#)
 Longitudinal decorrelations
[ATLAS-CONF-2022-020](#)

γ +p collectivity
[CMS-PAS-HIN-18-008](#)
 γ +A collectivity
[arXiv:2101.10771](#)

Identified hadron collectivity
[QM22](#)
 Strangeness enhancement
[QM22](#)

η -dependent geometry



First models of longitudinal decorrelation

Backwards-going participants dominates backwards going $dN/d\eta$ and backwards-going initial-state geometry

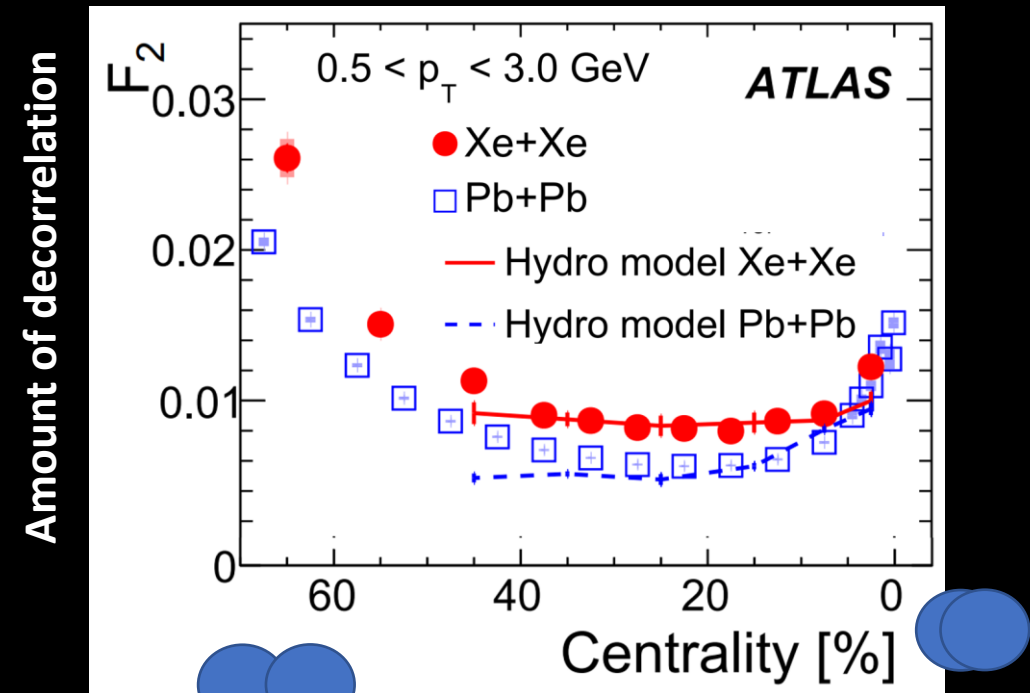
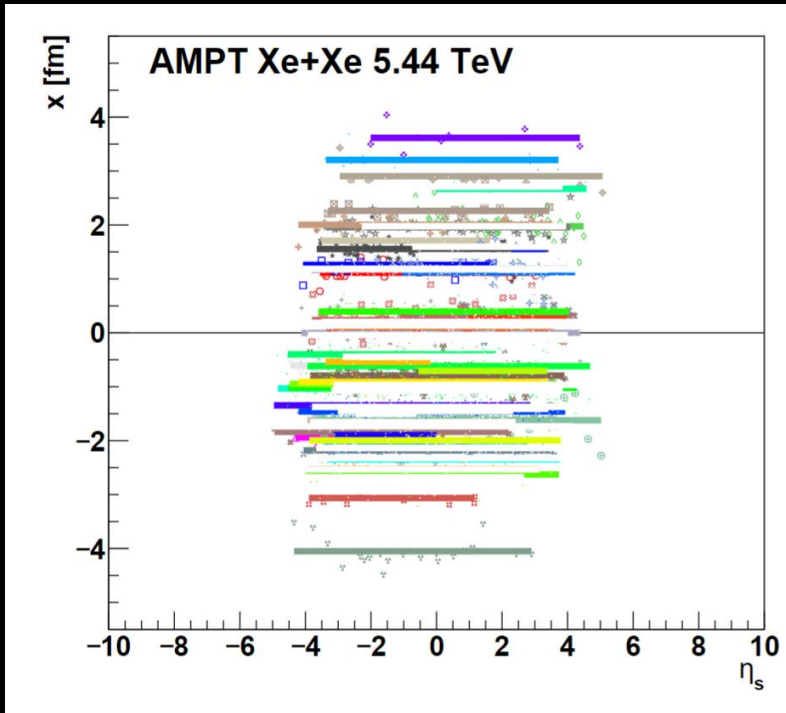
Interpolation between geometries at mid-rapidity

Hydrodynamic expansion gives rise to azimuthally anisotropic final-state momentum

String models of longitudinal decorrelation

- String-based MC Glauber models of the initial state simulate these effects out of the box
- Common models (HIJING/AMPT) produce one string per participant
- String-based initial state + hydro has shown good agreement with previous ATLAS results.

[arXiv:2001.04201](https://arxiv.org/abs/2001.04201)

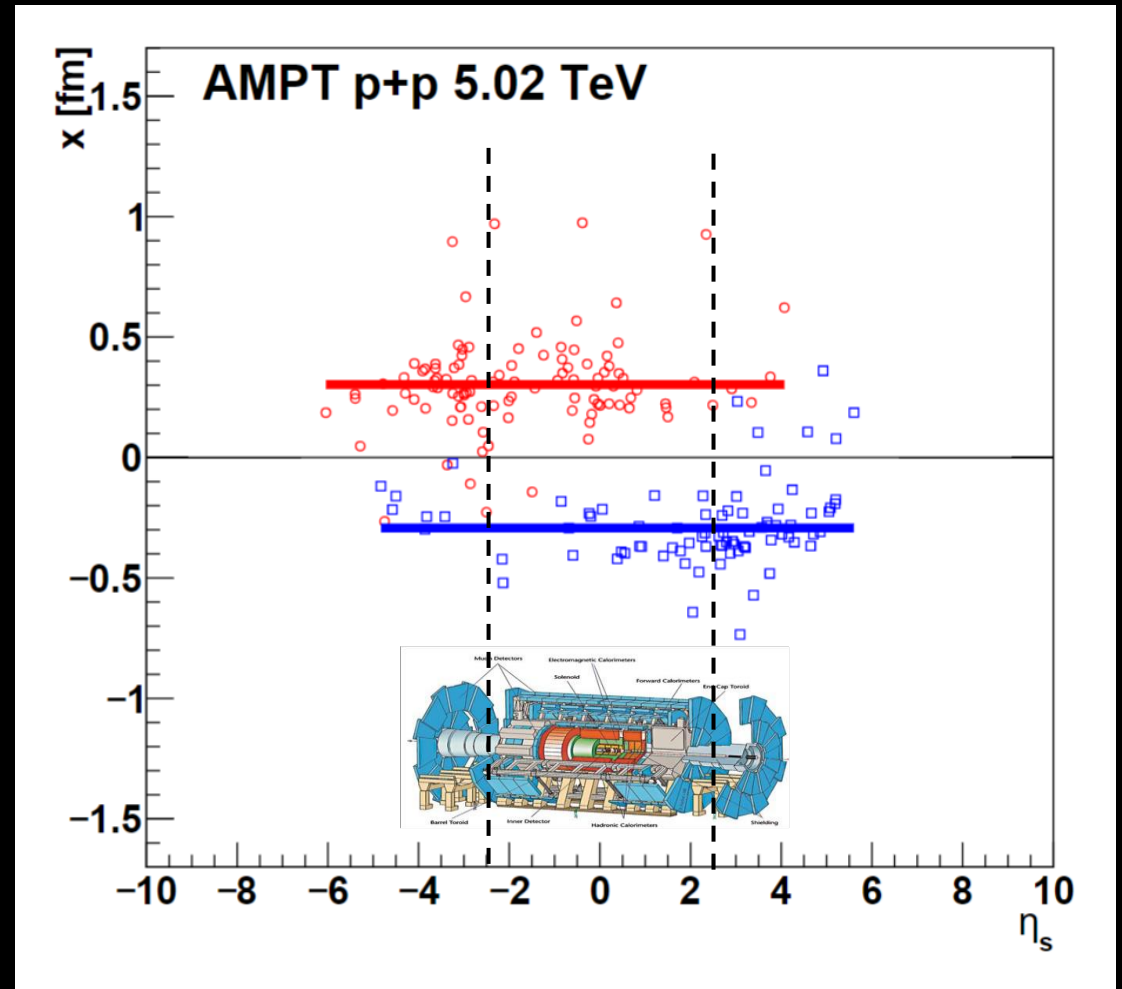


$$v_{2,2} \propto 1 + F_2 \eta$$

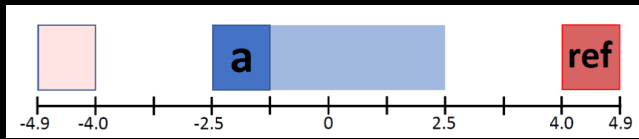
String models make straightforward prediction in pp

- A string per participant produces a simple model of proton-proton collisions
- Strings span the acceptance of the ATLAS inner detector.
- No variation in geometry
- **No longitudinal decorrelation**

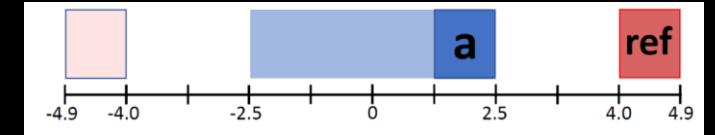
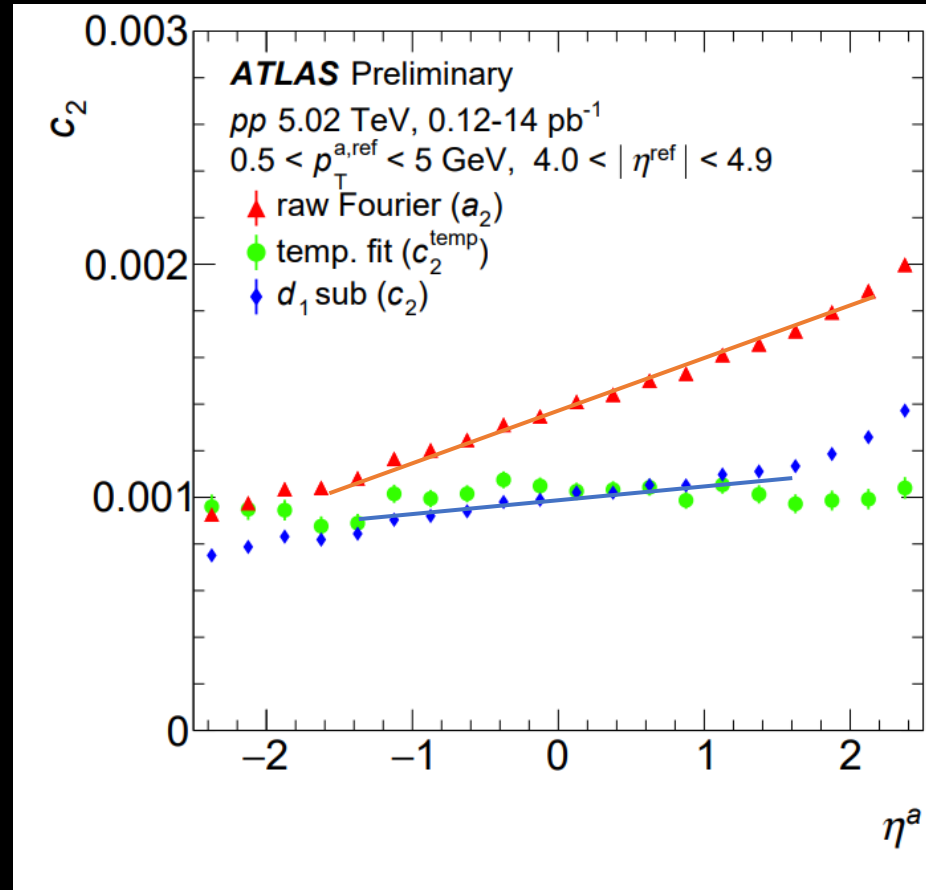
What does data say



$v_{2,2}(\eta^a)$ and non-flow subtraction

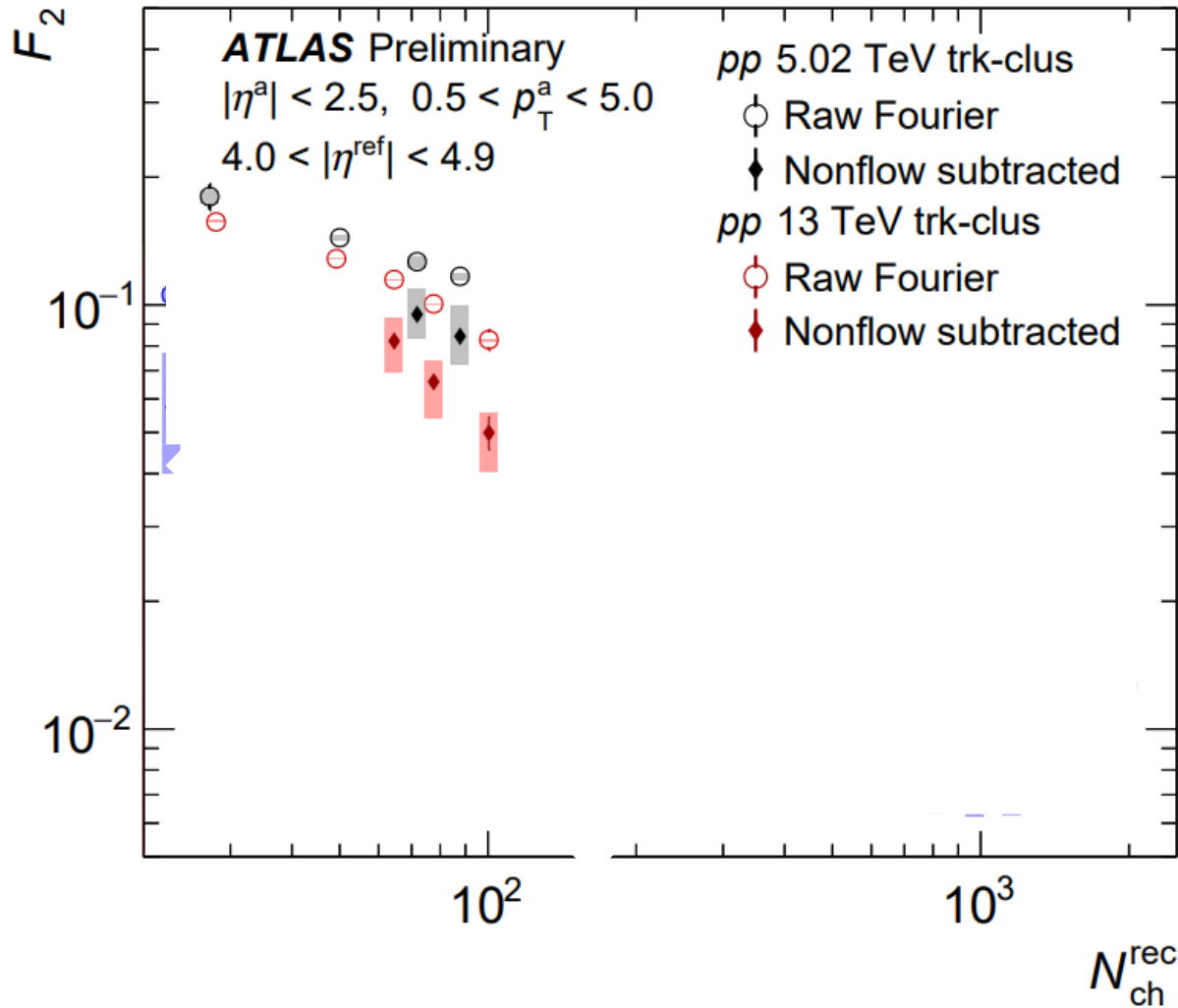


$$v_{2,2} \propto 1 + F_2 \eta$$



F_2 is the fractional change in correlation per a unit of rapidity

System comparison



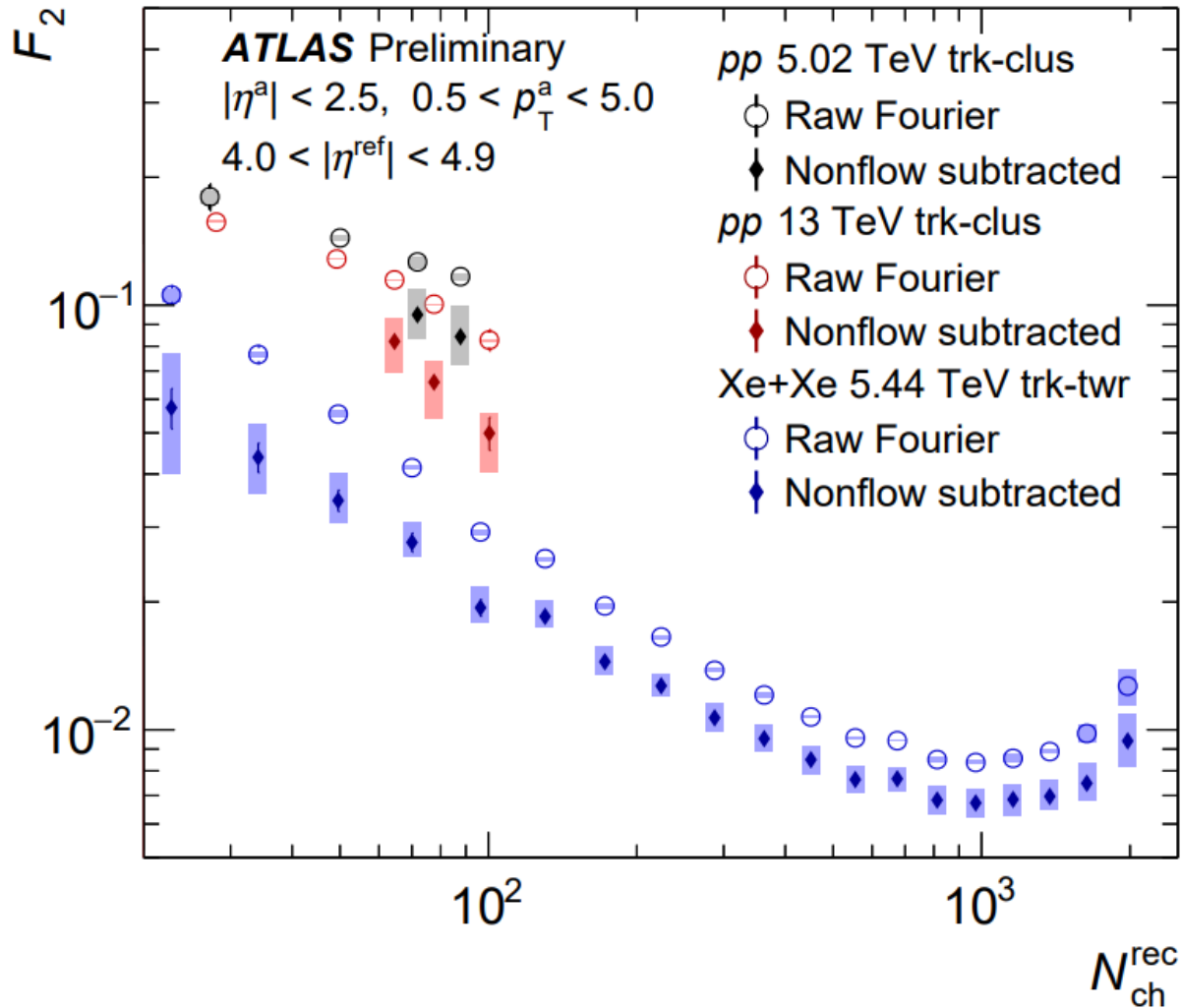
Raw results (open markers)

Non-flow subtracted results

Larger decorrelation in pp than Xe+Xe at similar multiplicities.

Peripheral XeXe and pp decorrelation follow a power-law decrease

System comparison



Raw results (open markers)

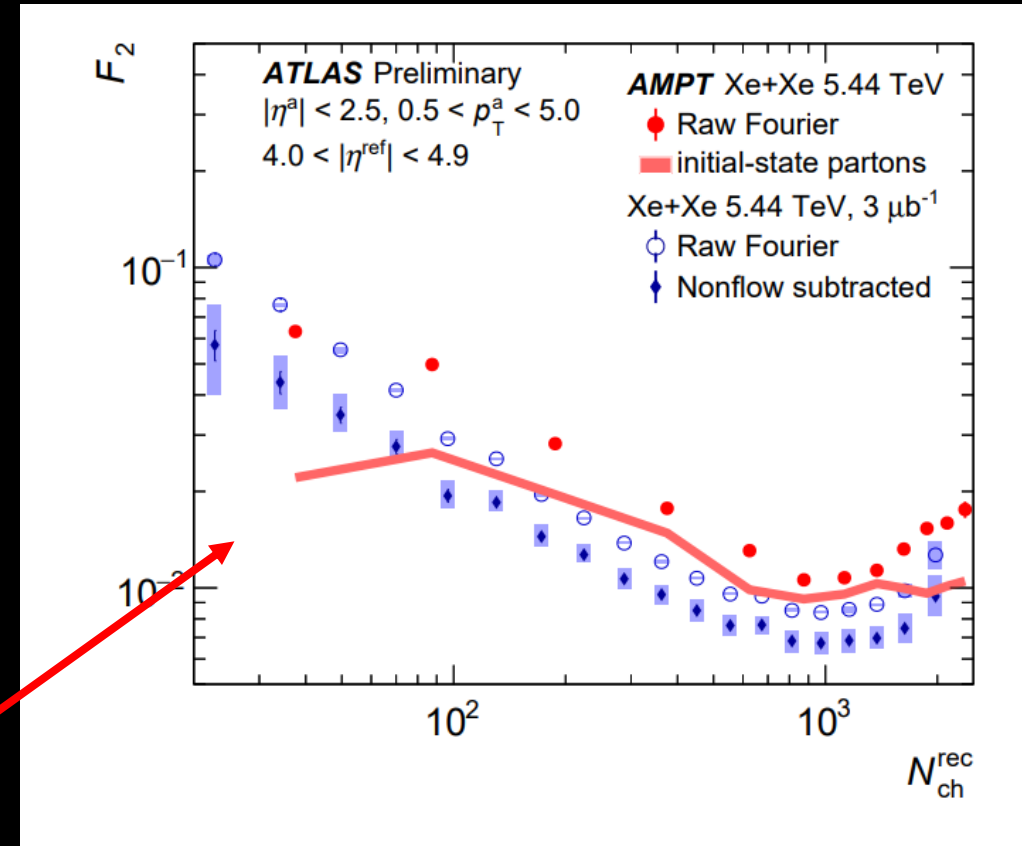
Non-flow subtracted results

Larger decorrelation in pp than
Xe+Xe at similar multiplicities.

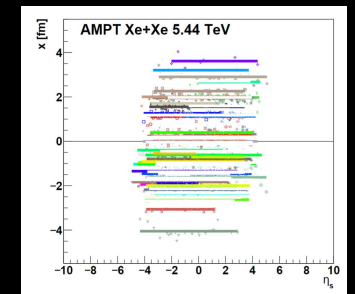
Peripheral XeXe and pp
decorrelation follow a power-law
decrease

Data to AMPT comparisons

ATLAS-CONF-2022-020

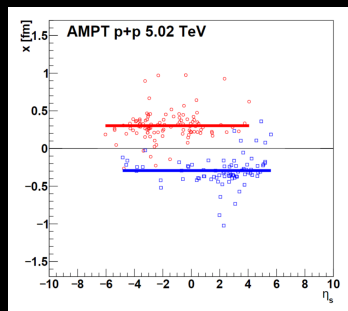
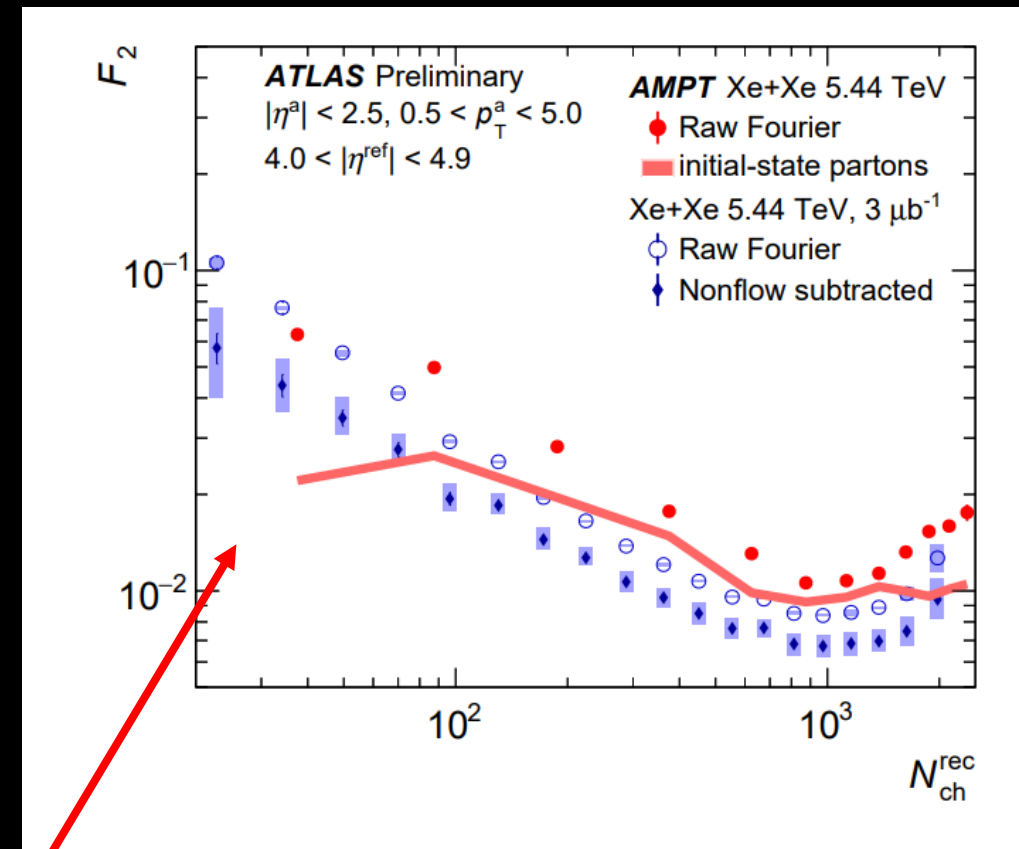
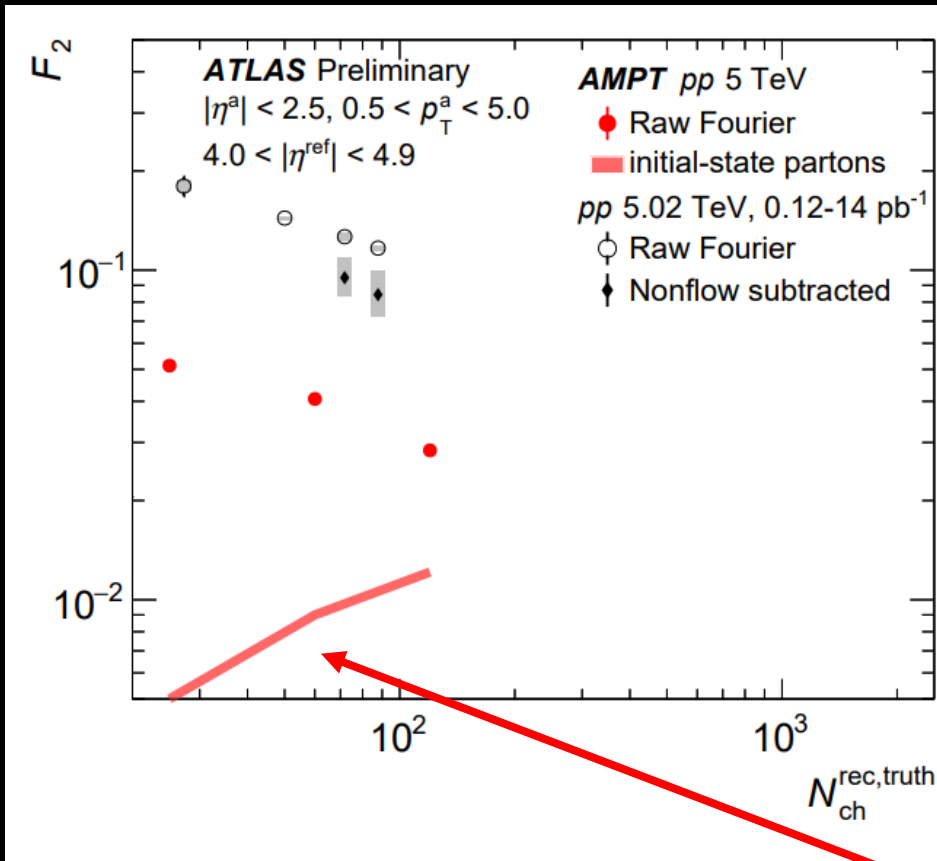


$$r_2(|\eta^a|) = \frac{\vec{\varepsilon}_2(-|\eta_s^a|) \cdot \vec{\varepsilon}_2(\eta_s^{ref})}{\vec{\varepsilon}_2(|\eta_s^a|) \cdot \vec{\varepsilon}_2(\eta_s^{ref})}$$



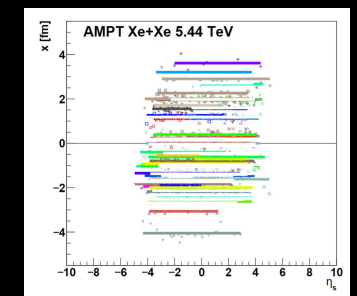
Data to AMPT comparisons

ATLAS-CONF-2022-020



$$r_2(|\eta^a|) = \frac{\vec{\varepsilon}_2(-|\eta_s^a|) \cdot \vec{\varepsilon}_2(\eta_s^{ref})}{\vec{\varepsilon}_2(|\eta_s^a|) \cdot \vec{\varepsilon}_2(\eta_s^{ref})}$$

Low number of strings leads to small geometric decorrelation



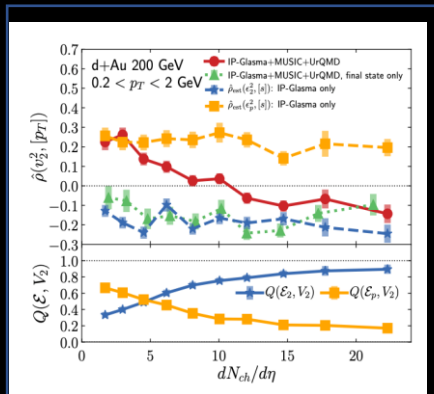
Disfavors a *pp* initial-state model with a low number of long strings

v_n -[p_T] correlation pp collisions

Probes the correlation between initial energy density size and shape.

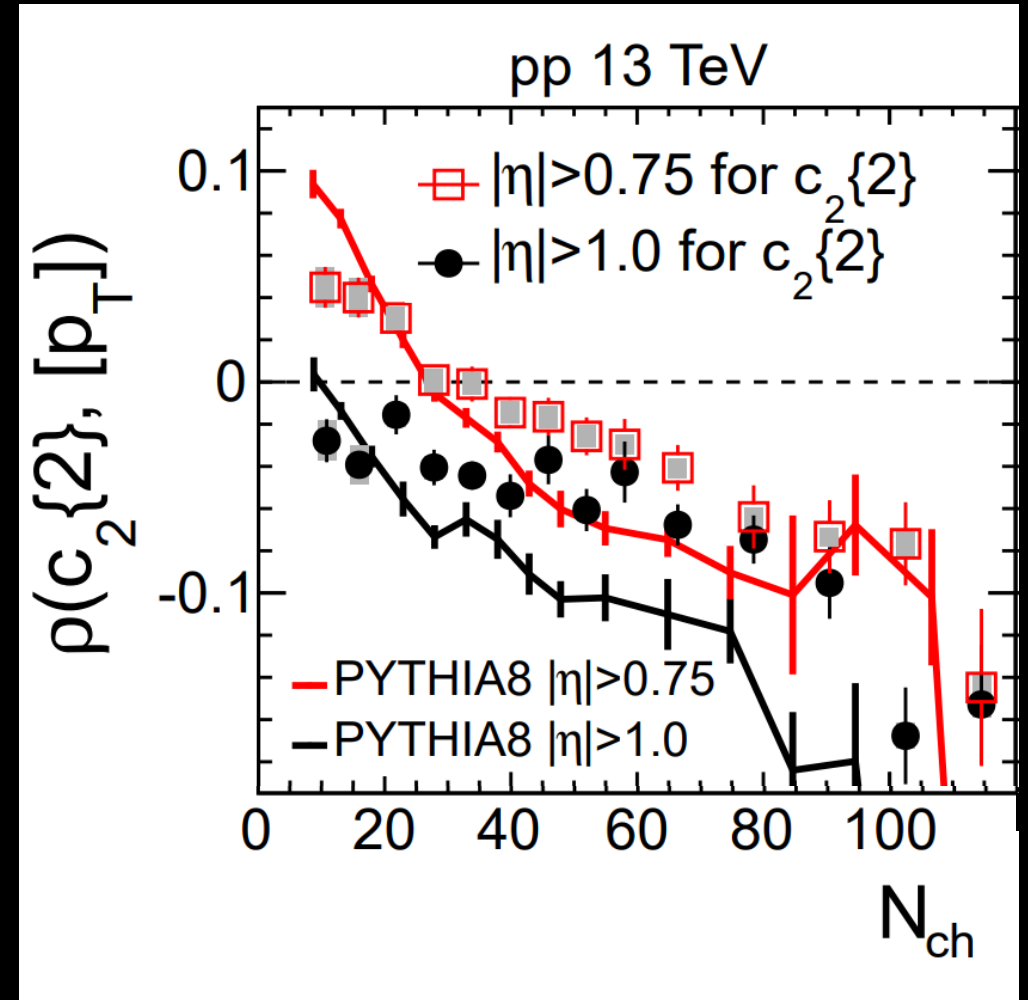
Results show a large impact from non-flow

Very challenging interpretation because similar trends are seen in PYTHIA8.



Sign change in v_n -[p_T] correlation was predicted to be a signature of initial-state correlations

<https://arxiv.org/abs/2006.15721>



[HIN-21-012](#)

Conclusion

Initial state

Precision measurements of pp initial-state geometry
Larger longitudinal decorrelation in pp than larger systems
Correlations between v_n -[p_T]

Novel/ultra small systems

Photonuclear v_n has a similar order of magnitude and trends as other previously measured hadronic systems

Intuitive property of hadronic-like photonuclear collisions (photon \rightarrow vector meson).

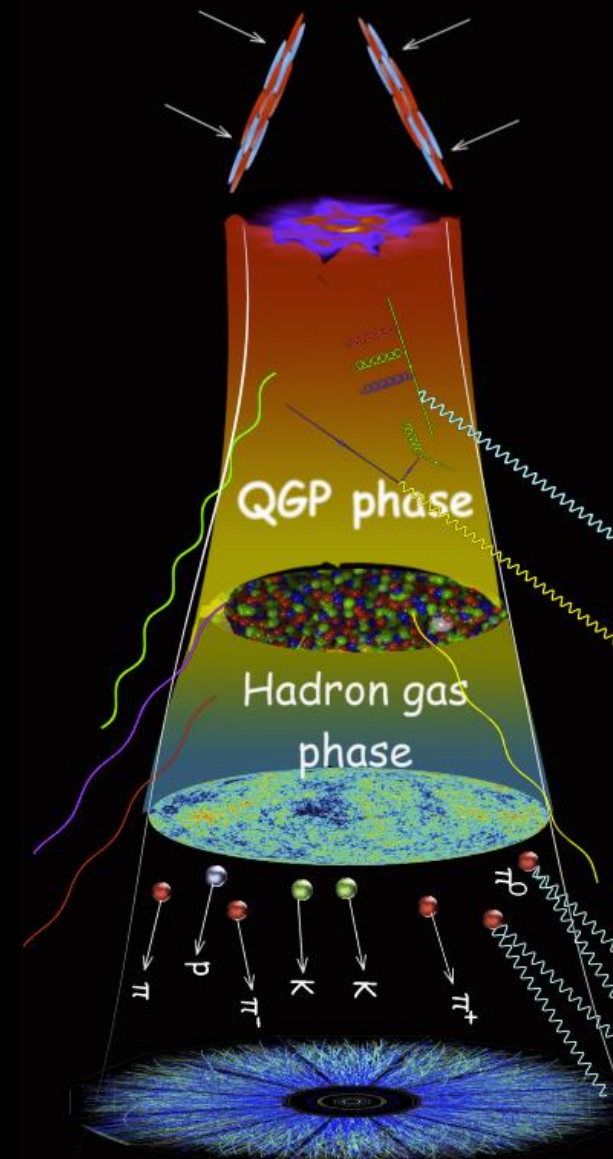
New model comparisons that reproduce results in γ +Pb and p +Pb simultaneously and qualitatively reproduces γ +Pb $dN_{ch}/d\eta$

QGP and hadron gas expansion in proton-proton

Precision measurements of identified hadron flow

More differential measurements of the initial state effects on strangeness

Clear signature of a hadronic phase with increasing rescattering with multiplicity



Thank you

Fundamental constraints on nucleon-nucleon collisions

- Constrains the correlation between initial state
 1. Transverse structure and
 2. Longitudinal energy deposition / initial state momentum structure
- Longitudinal dependence of correlations is of practical importance when
 - **Comparing experimental results with different acceptances**
 - **Comparing theory and data**

Analysis overview

Systems analyzed

pp 13 TeV

pp 5.02 TeV

Xe+Xe 5.44 TeV

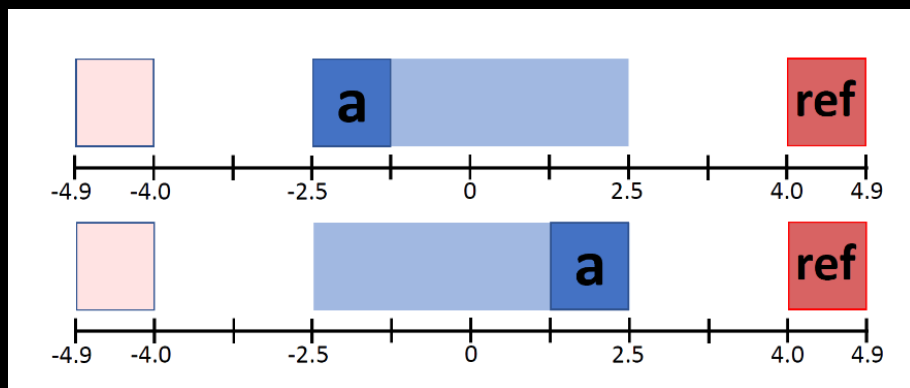
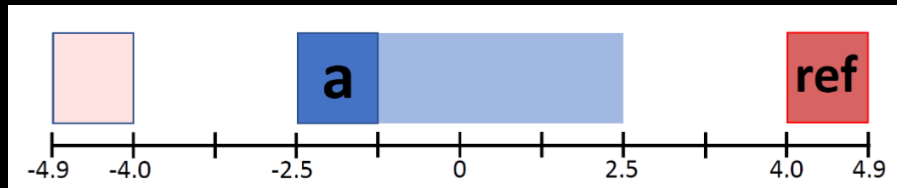
Analysis steps

Step 1: Two-particle correlations between Inner detector tracks and forward calorimeter

Step 2: measure Fourier moments and perform non-flow subtraction as a function of η^a

Step 3: construct ratio, $r_n(|\eta^a|)$

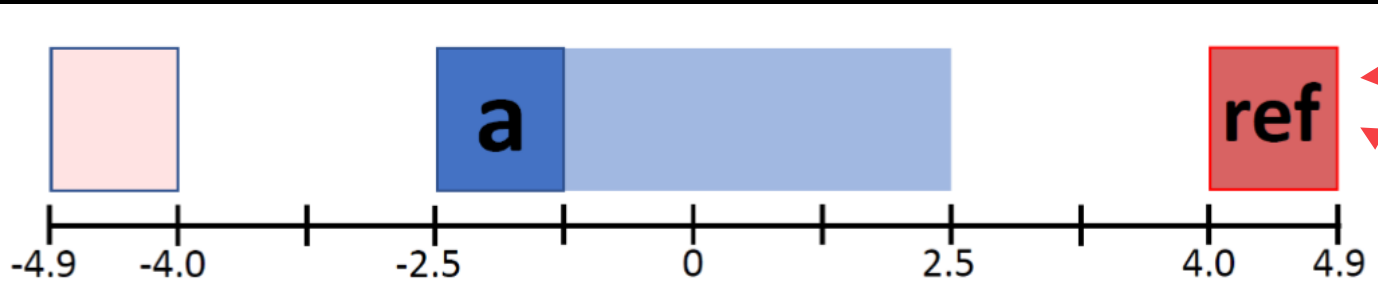
Step 4: Parametrize decorrelation via the slope of $r_n(|\eta^a|)$



Analysis overview

$$\Delta\phi = \underbrace{\phi^a}_{\eta^a = [-2.5, 2.5]} - \underbrace{\phi^{\text{ref}}}_{\eta^{\text{ref}} = [4.0, 4.9]}$$

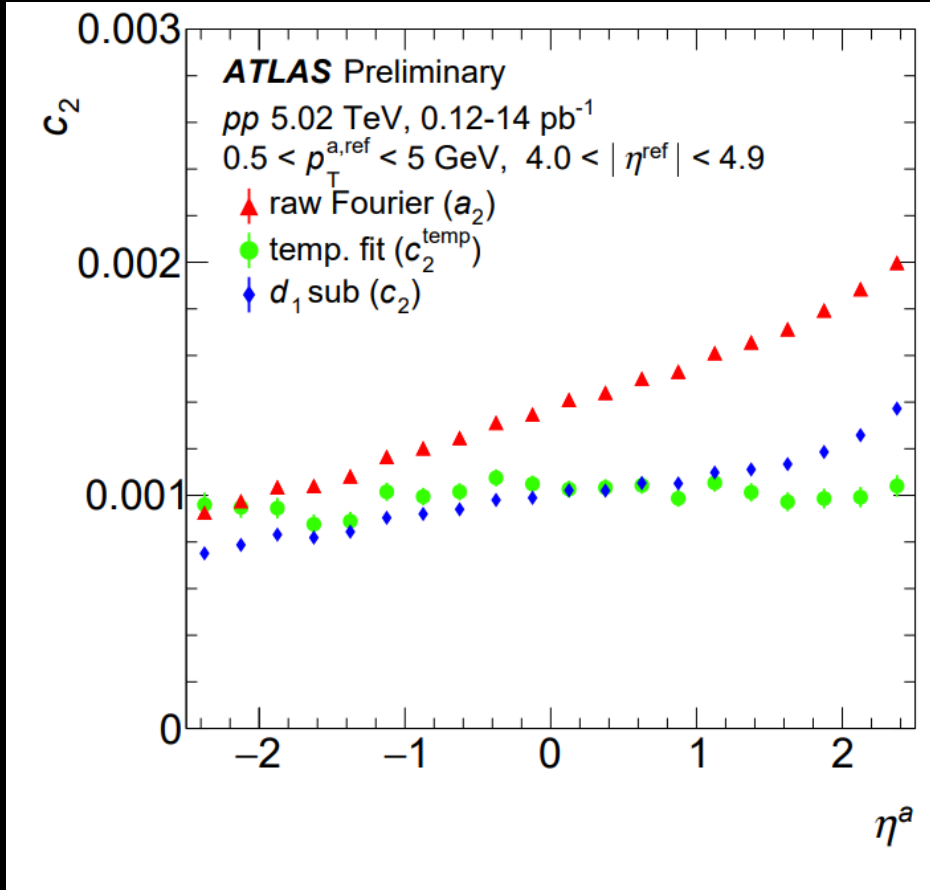
Step 1: Two-particle correlations between
Inner detector tracks and forward calorimeter



pp: calorimetric cluster

Xe+Xe: calorimetric tower

$v_{2,2}(\eta^a)$ and non-flow subtraction



Raw Fourier moments a_2

$$Y(\Delta\phi, \eta^a) = G \left\{ 1 + 2 \sum_{n=1}^4 a_n(\eta^a) \cos(n\Delta\phi) \right\}$$

flow non-flow

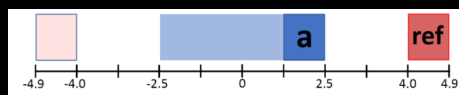
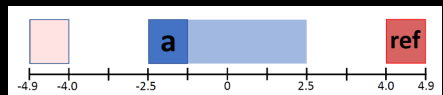
$$Y(\Delta\phi, \eta^a) = G \left\{ 1 + 2 \sum_{n=1}^4 (c_n(\eta^a) + d_n(\eta^a)) \cos(n\Delta\phi) \right\}$$

η -dependent template fit (temp. fit)

$$Y^{\text{HM}}(\Delta\phi, \eta^a) = F^{\text{temp}}(\eta^a) Y^{\text{LM}}(\Delta\phi, \eta^a) + G^{\text{temp}}(\eta^a) \left\{ 1 + 2 \sum_{n=2}^4 c_n^{\text{temp}}(\eta^a) \cos(n\Delta\phi) \right\}$$

Use low multiplicity 2PC in same η^a slice as a *template* for non-flow

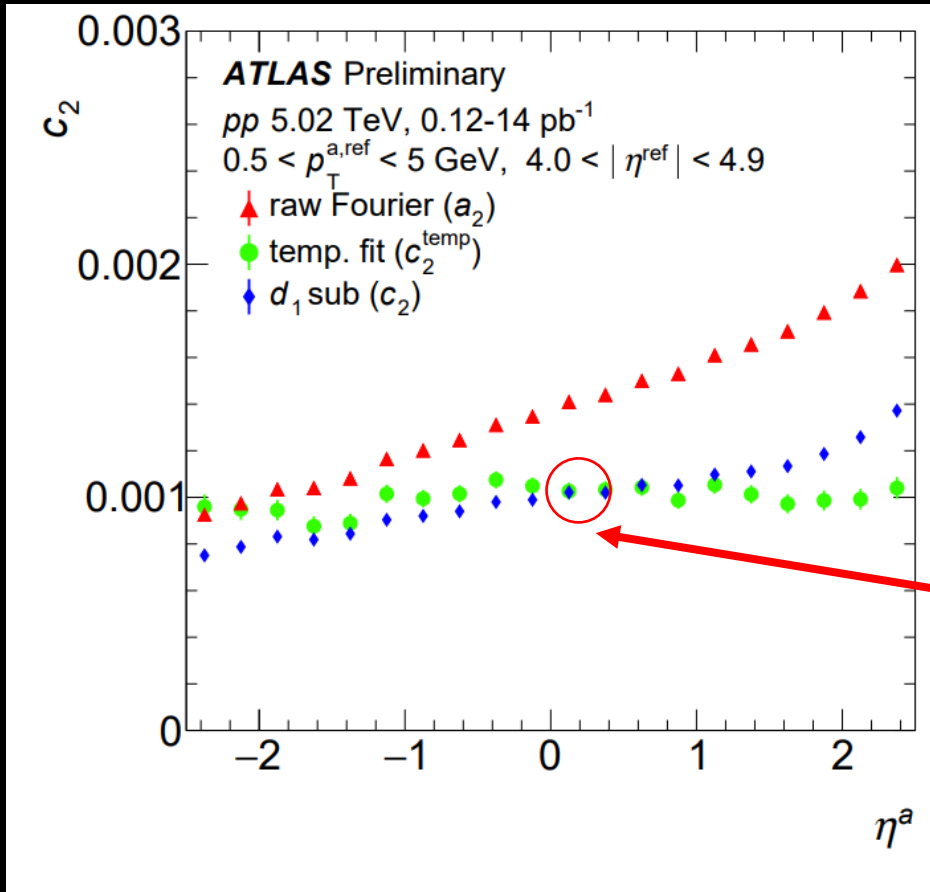
Low multiplicity reference $N_{\text{ch}} = 40-60$



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Many assumptions in the template fit – can we compare to another method **51**

$v_{2,2}(\eta^a)$ and non-flow subtraction

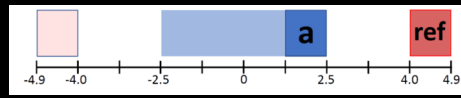
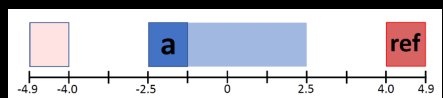


d_1 scaling subtraction (d_1 sub.)

$$c_2(\eta^a) = a_2(\eta^a) - a_1(\eta^a) \frac{d_2|_{\eta^a=0}}{d_1|_{\eta^a=0}} (1 + [F_2^d - F_1^d] \eta^a)$$

η^a independent non-flow shape
from mid-rapidity template fit results

η^a dependent correction
Build in η^a dependence
with non-flow model from
LM events

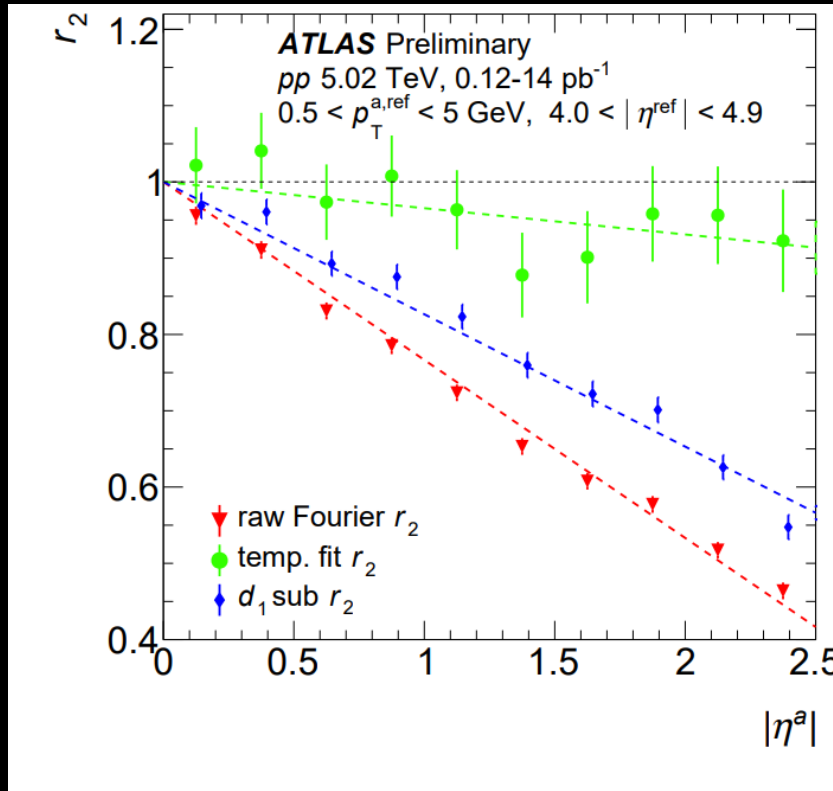


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Differences in the subtracted results – will discuss with the full final results

Construct $r_2(|\eta^a|)$ ratio

$$r_2(|\eta^a|) = \frac{v_{2,2}(-|\eta^a|)}{v_{2,2}(|\eta^a|)}$$



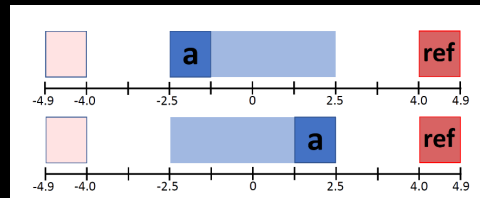
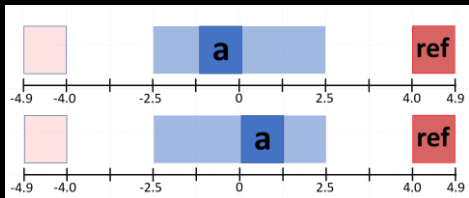
Extract the slope of r₂ with linear regression

$$F_n = \frac{\sum_i (1 - r_n(\eta_i)) \eta_i}{2 \sum_i \eta_i^2}$$

$$r_n(|\eta^a|) = 1 - 2F_2 |\eta^a|$$

This regression is nearly identical to fitting with the above function

F₂ shown as dashed lines

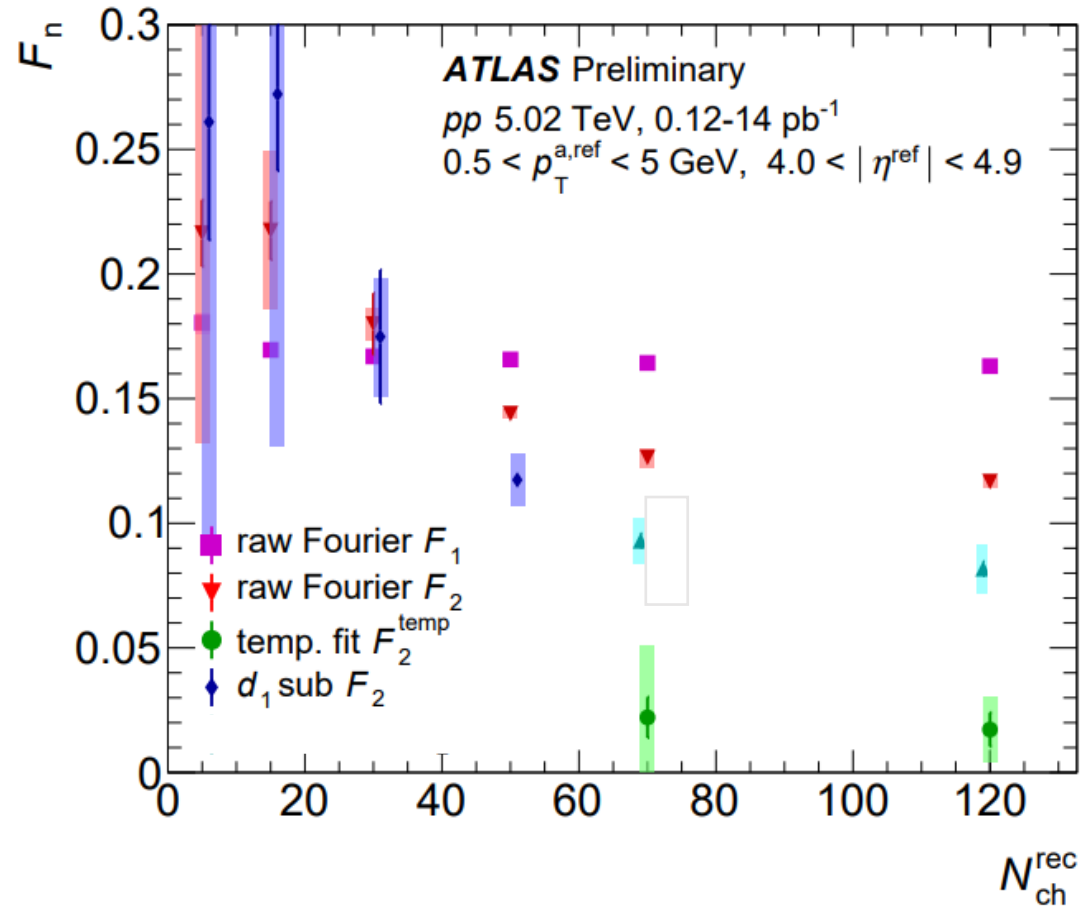


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The r_n ratio measures the relative decorrelation between 2 η^a selections

F₂ provides a good description of r₂

Result in 5.02 TeV pp collisions



- **Raw Fourier F_2** : a combination of flow and nonflow η^a dependence.
- **Raw Fourier F_1** : the η^a dependence of a_1 . Mostly multiplicity independent
- **Template fit F_2** : Subtracts off $\sim 85\%$ of the raw decorrelation.
 - Template $N_{ch}=40-60$
- **d_1 -scaling subtracted**: removes 1/4 of the raw decorrelation
 - Defined across the whole N_{ch} range

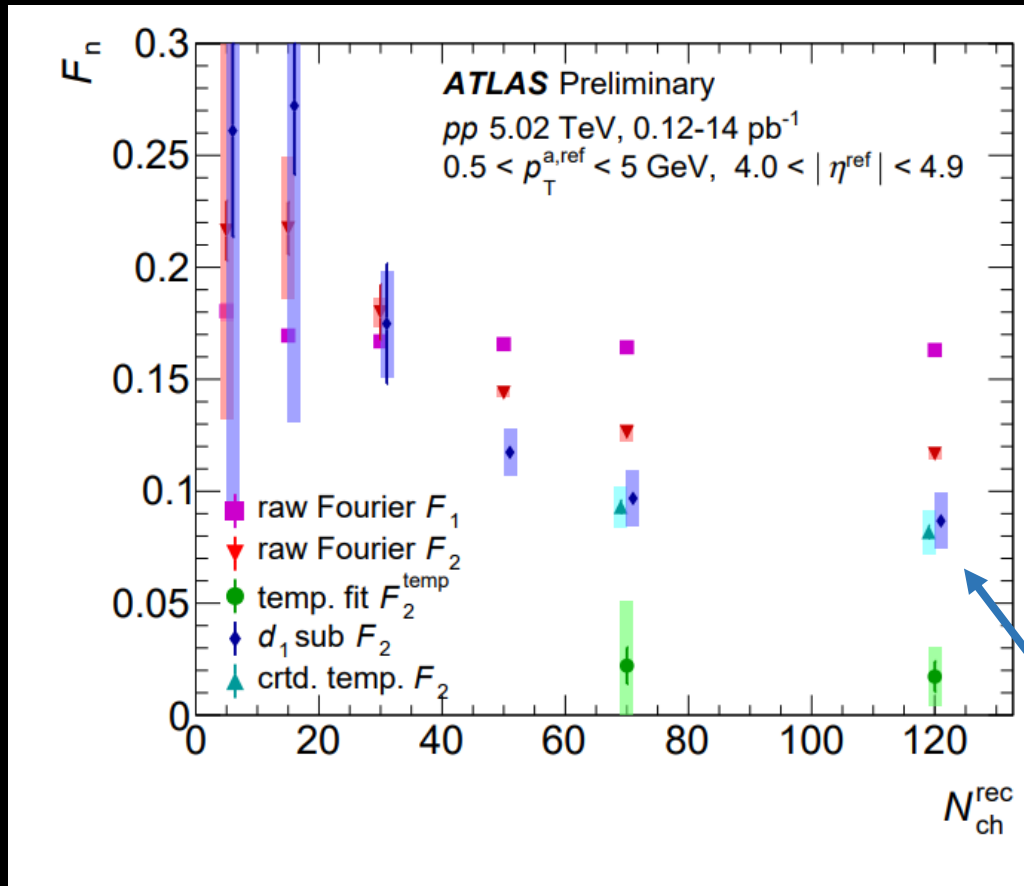
Template fit corrections

The template fit can be corrected for the violation of N_{ch} -independent flow decorrelation assumption

$$F_n^{HM} \approx F_n^{temp} + \rho \frac{c_n^{LM} |_{\eta^a=0}}{c_n^{HM} |_{\eta^a=0}} (F_n^{LM} - F_n^{temp})$$

	Template fit F_2	d_1 -scaling subtracted:
N_{ch} -independent non-flow shape	✓	✓
First moment is all non-flow	✓	✓
N_{ch} -independent mid-rapidity flow	✓	✓
F_n at $N_{ch}=0-20$ is all non-flow	✗	✓
N_{ch}-independent flow decorrelation	✓	✗

Result in 5.02 TeV pp collisions



Template fit F_2

d_1 -scaling
subtracted:

N_{ch} -independent
non-flow shape



First moment is all
non-flow



N_{ch} -independent
mid-rapidity flow



F_n at $N_{ch}=0-20$ is
all non-flow



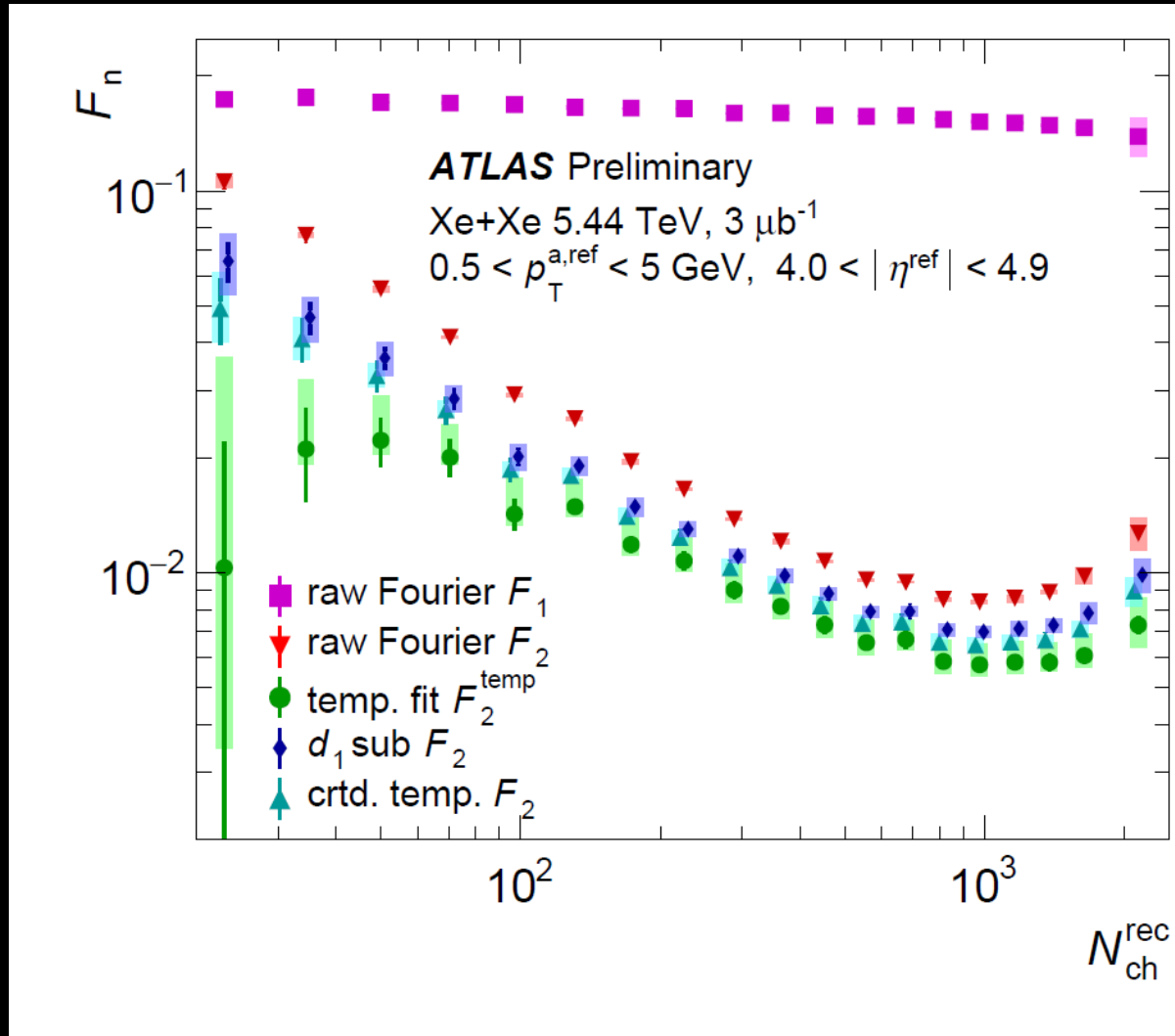
N_{ch} -independent
flow decorrelation



The template fit can be corrected for the violation of assumptions with input from the d_1 -scaling subtraction

$$F_n^{HM} \approx F_n^{temp} + \rho \frac{c_n^{LM} | \eta^a=0}{c_n^{HM} | \eta^a=0} (F_n^{LM} - F_n^{temp})$$

Results in Xe+Xe collisions



First measurement of
70~90% Xe+Xe decorrelation

Analysis differences

- Track-tower correlation
- pp reference for template fit and estimation of d_1 sub parameters.

Subtracted results suggest non-flow effects at all centralities This assumes

- No modification of nonflow shape
- Non-flow is the only source of first Fourier moment in correlation.

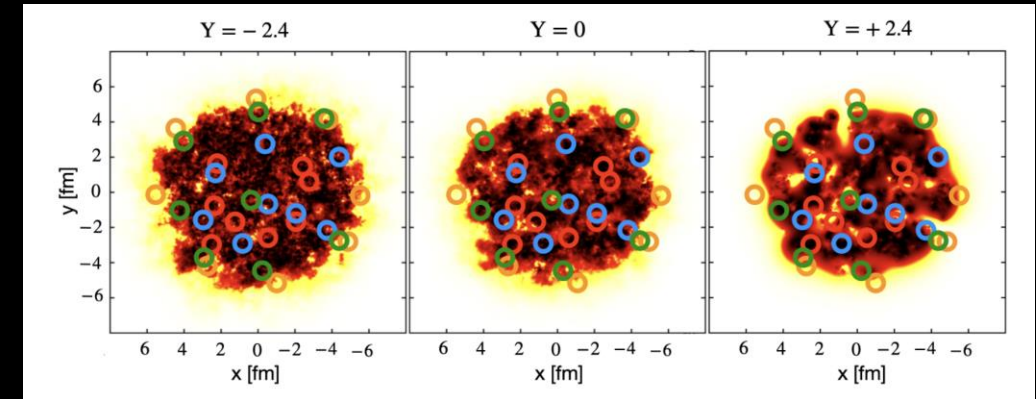
What's next: a new (precision) world

- Part of a push towards a full precision-oriented description of collective QCD physics
- Discriminate between final and initial state effects
 - Recent work show very large initial-state azimuthal anisotropic decorrelation
 - [arXiv:2201.08864](https://arxiv.org/abs/2201.08864)
 - [arXiv:2109.03512](https://arxiv.org/abs/2109.03512) (pure hydro)
- Future measurements of
 - multi-particle decorrelation – less sensitive to non-flow effects.
 - Photonuclear decorrelation

IP-Glasma+MUSIC+UrQMD

Schenke et al

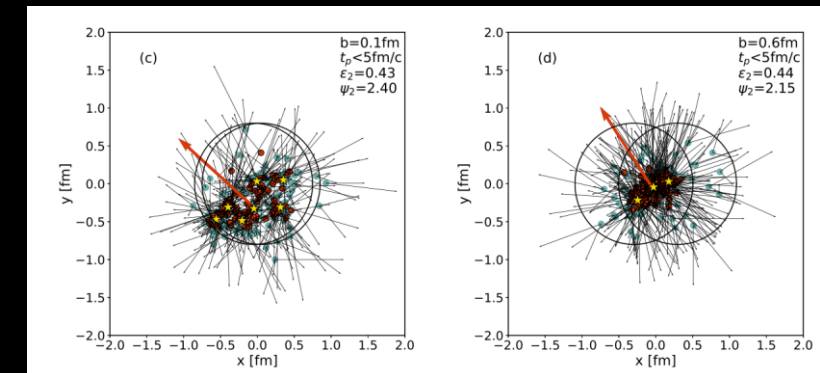
[arXiv:2201.08864](https://arxiv.org/abs/2201.08864)



AMPT+PYTHIA

Zhang et al.

[arXiv:2104.05998](https://arxiv.org/abs/2104.05998)



★ Constituent quark collision

↑ ψ_2

Parton: loc. ●

Vel. ↑ 58