

Imaging the gluons in a nucleus using high-energy photons

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Presented at the Workshop da Rede Nacional de Fisica de Altas Energias (RENAFAE), April 25-28, 2022

Quarks and gluons in nuclear matter

Photonic probes of nuclei

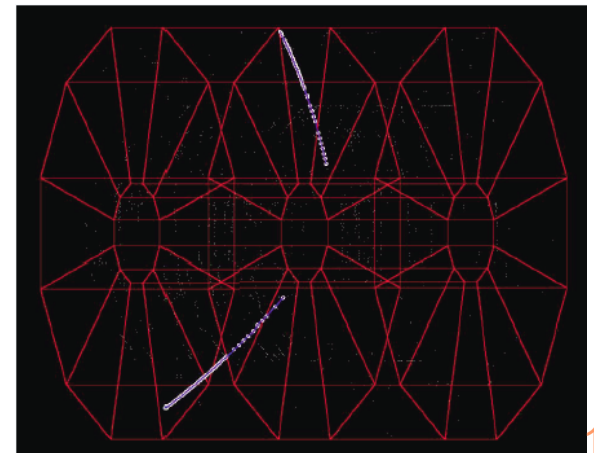
Ultra-peripheral collisions at RHIC and the LHC

Measuring gluon densities

Imaging and gluon spatial distributions

The Electron-Ion Collider

Conclusions



Quarks and gluons in protons

- Simple proton = 3 valence quarks

 - Surprisingly accurate – explains proton spin

- 3 valence quarks + gluons + sea quarks

- Parton distributions are quantified by

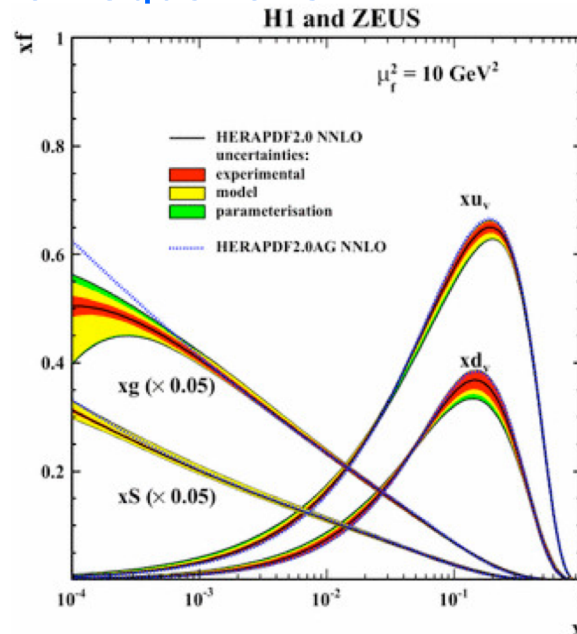
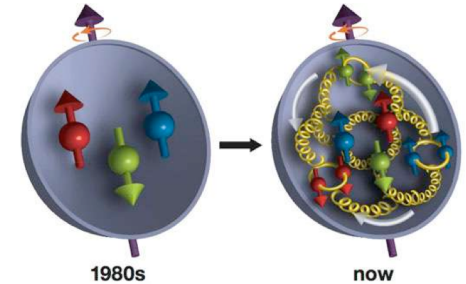
 - Bjorken-x: Fraction of proton energy carried by parton

 - In infinite energy frame

 - Q^2 : Characteristic of probe – a measure of microscope power

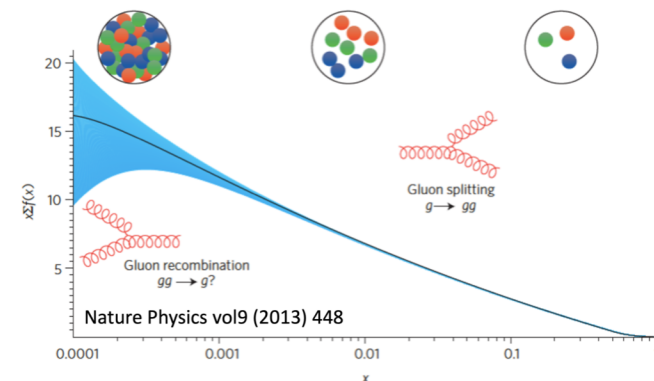
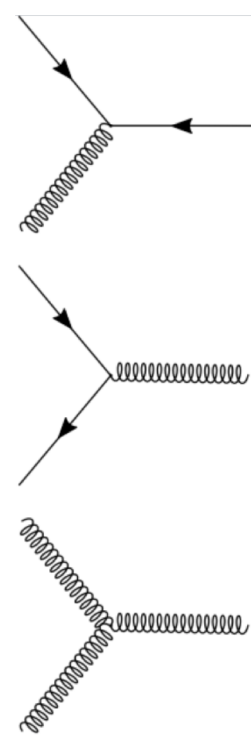
- At lower x or higher Q^2 , more partons are visible

 - Governed by evolution equations



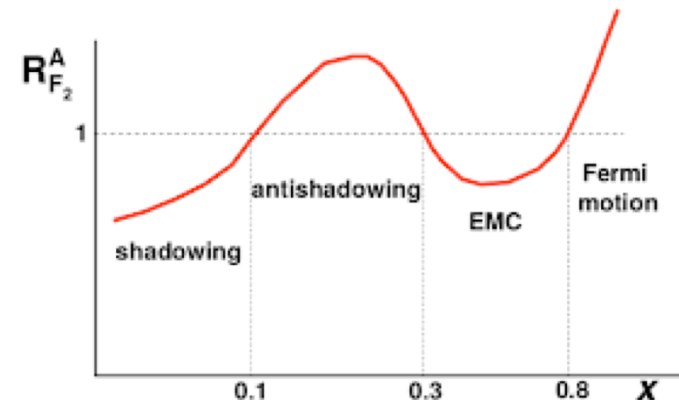
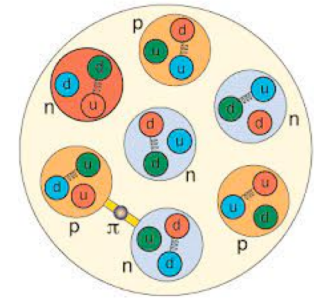
Quarks and gluons at high densities

- Parton densities rise due to splitting
- At high densities, parton recombination is also possible
- At high enough densities, the rates of splitting and recombination will be equal
 - ◆ Equilibrium, known as saturation
- Other phenomena may be possible
 - ◆ Colored glass condensate – a classical gluon field
 - ✦ Originally predicted new phenomena, such as monojets in heavy-ion collisions
 - ✦ Now is mostly considered a calculational tool
- Understanding high-density partonic matter is a key goal of nuclear physics
 - ◆ “Cold nuclear matter”
 - ◆ Background to understanding signatures of the quark gluon plasma



Quarks and gluons in nuclei

- Nucleons interact via π exchange
 - ◆ Nucleons may also interact via parton exchange
- Parton distributions are altered when an isolated nucleon is placed in a nucleus, adjacent to other nucleons
 - ◆ Quantified by changes in parton distributions
- Different phenomena in different Bjorken- x ranges
 - ◆ Fermi motion of nucleons in nuclei
 - ◆ “EMC effect,” likely due to nucleon-nucleon correlations
 - ◆ Shadowing gluon recombination
 - ◆ Antishadowing – pileup
- With the higher density, nuclei are more likely to exhibit high-density phenomena, like saturation
 - ◆ Phenomena emerge at larger Bjorken- x
 - ◆ Increase is by “Oomph factor” $\sim A^{1/3} \sim$
 - ◆ 6 for gold/lead



Measuring gluon distributions

- In Deep Inelastic Scattering, an electron emits a virtual photon which interacts with the nucleus

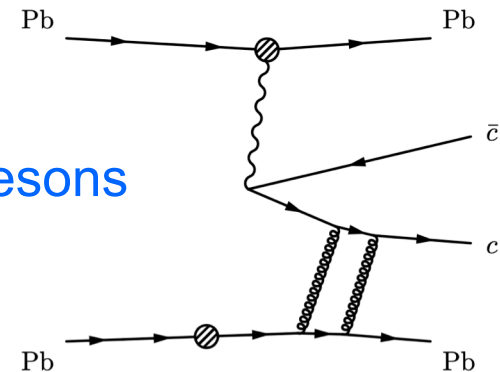
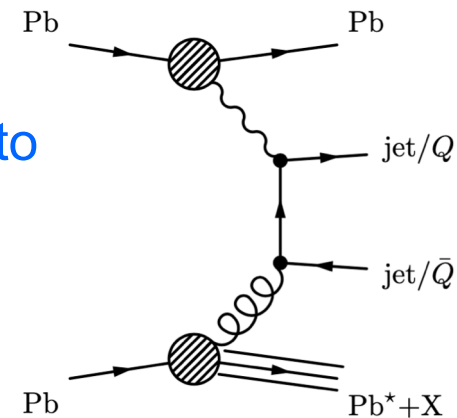
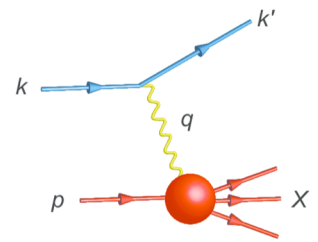
- ◆ Sensitive to quark distributions in nucleus
- ◆ x and Q^2 determined from scattered electron
- ◆ y = inelasticity = fraction of electron energy transferred to hadrons

- Gluons may be inferred from evolution of quark distributions

- ◆ How does the quark density change with x or Q^2 ?

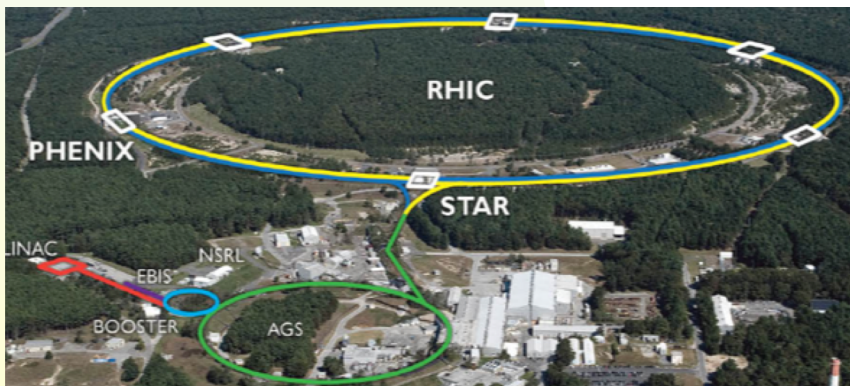
- Direct measurements are highly desirable

- ◆ Reactions that proceed via gluons
- ◆ Photoproduction of dijets, open charm, or vector mesons
 - ✦ Single gluon exchange, but experimentally harder
- ◆ Photoproduction of vector mesons
 - ✦ Experimentally simple, but theoretical complications



Photoproduction in ultra-peripheral collisions

- Ultra-peripheral collisions (UPCs) occur when $b > \sim 2R_A$, so there are no hadronic interactions
 - ◆ Must account for $b > 2R_A$ when computing photon-nucleus luminosity
- Photons are nearly real ($Q^2 \sim 0$)
 - ◆ Hard scale (Q^2) comes from final state
 - ✦ e. g. for J/ψ $Q^2 \sim (M_{J/\psi}/2)^2$
- Two-photon reactions are also studied (e. g. $\gamma\gamma \rightarrow e^+e^-$)
 - ◆ Physics + test of the photon flux calculations
- Electromagnetic interactions have also been seen accompanied by hadronic interactions



RHIC



The LHC

Photons from relativistic nuclei

- Perpendicular E and B fields -> just like a photon field
 - ◆ Fourier transform $E(x,b) \rightarrow E(k,b)$ and quantize
 - ◆ Equivalent photon approximation
- Pancaked E & M fields: opening angle $\theta = 1/\gamma$
- $k_{\max} = c/\lambda_{\max} = \gamma \hbar c/b$

$$N(k, b) = \frac{Z^2 \alpha k^2}{\pi^2 \gamma^2 \hbar^2 \beta^2} \left(K_1^2(x) + \frac{K_0^2(x)}{\gamma^2} \right)$$

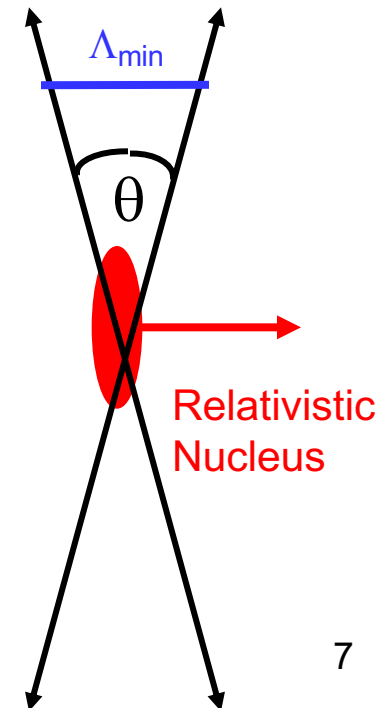
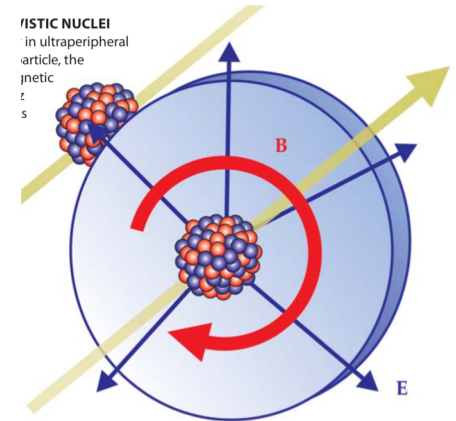
◆ $x = kb/\gamma \hbar c$

- ✦ $x < 1$: $N \sim K_1^2(x) \sim 1/x^2$
- ✦ $x > 1$: N is exponentially suppressed
- ✦ Note: $1/b^2$ dependence

- Integrate over d^2b : with $b > 2R_A$ (no nuclear collision)

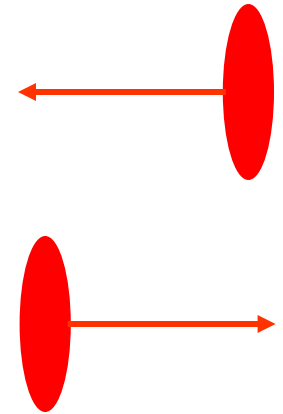
$$N(k) = \frac{Z^2 \alpha k^2}{\pi^2 \gamma^2 \hbar^2 \beta^2} \left(K_1^2(u) + \frac{K_0^2(u)}{\gamma^2} \right)$$

◆ $u = \gamma \hbar c / 2R_A$



UPC collision energies

- Maximum energies depend on species
 - ◆ Energy/nucleon scales with charge/mass ratio
 - ✦ Energy/nucleon for Pb $\sim 0.4 \cdot E_{\text{proton}}$
- Photon energy depends on \hbar/R_A
 - ◆ Much higher energy with proton beams
- UPC cross-sections can scale as Z^4 , Z^2A^2 to $Z^2A^{4/3}$
 - ◆ For lighter final states higher rates with heavy ions
- The LHC is the energy frontier for photons
 - ◆ Can reach down to Bjorken $x \sim 10^{-6}$

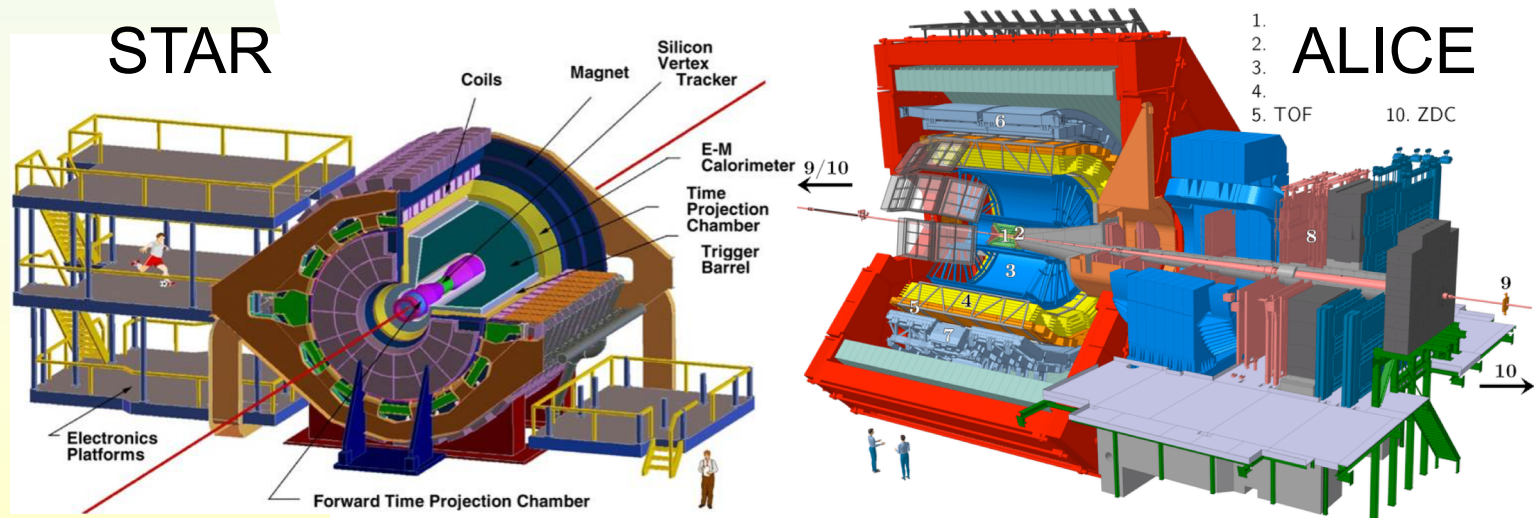


Energy	AuAu RHIC	pp RHIC	PbPb LHC	pp LHC
Photon energy (target frame)	0.6 TeV	~ 12 TeV	500 TeV	$\sim 5,000$ TeV
CM Energy $W_{\gamma p}$	24 GeV	~ 80 GeV	700 GeV	~ 3000 GeV
Max $\gamma\gamma$ Energy	6 GeV	~ 100 GeV	200 GeV	~ 1400 GeV

*LHC at full energy $\sqrt{s}=14$ TeV/5.6 TeV

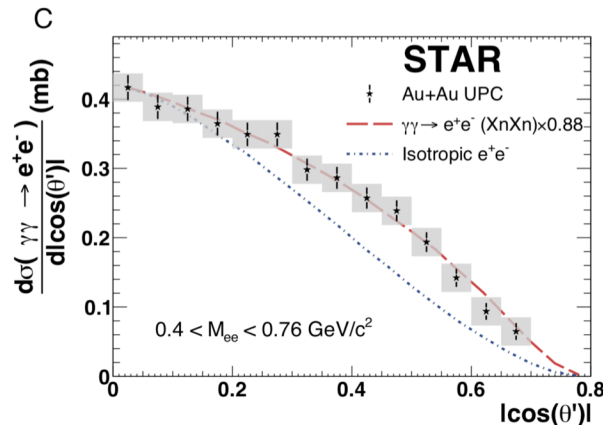
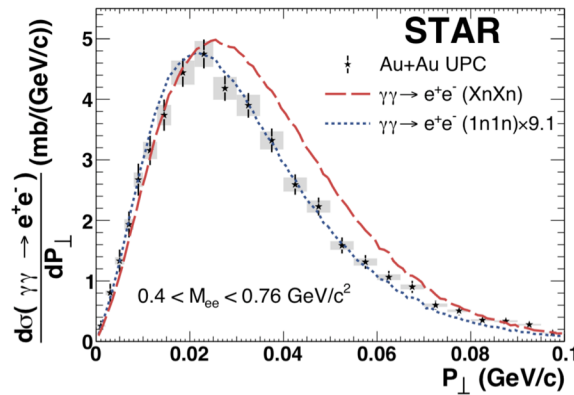
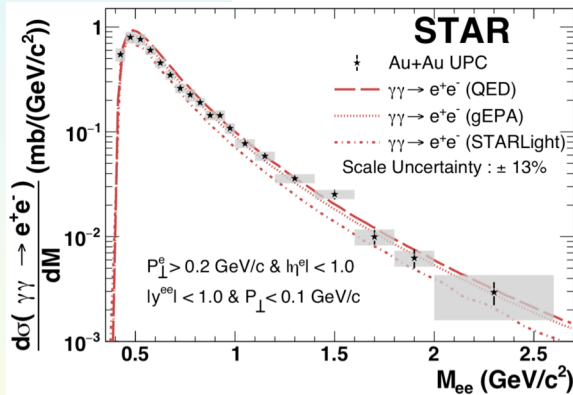
Observing UPCs

- Most studied UPC final states are simple: $J/\psi \rightarrow e^+e^-$, $\rho \rightarrow \pi^+\pi^-$, etc.
- Need to see these charged particles + "Nothing else"
 - ◆ "Nothing else" requires large angular acceptance, plus coverage down to small-ish (~ 100 MeV/c) transverse momentum (p_T)
 - ✦ Hermeticity, down to low p_T
 - ◆ Constraint: $\Sigma p_T < 100$ MeV/c reduces backgrounds
- Triggering is one of the main challenges in UPCs
- The nuclei may also dissociate, via additional photon exchange
 - ◆ Need zero degree calorimeters to detect neutrons from breakup
- All 4 LHC detectors, plus STAR and PHENIX at RHIC have studied UPCs



STAR $\gamma\gamma \rightarrow ee$

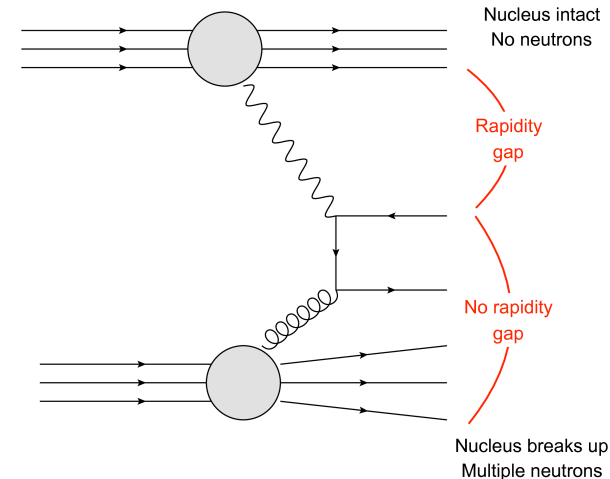
- Excellent test of equivalent photon paradigm
- Good agreement with STARlight Monte Carlo
 - ◆ STARlight == Monte Carlo w/ Equivalent Photon approx.
 - ✦ Photons are real, not virtual (no mass, but should not be important)
- Except pair $\langle p_T \rangle$ is larger, likely due to limits and biasing of b



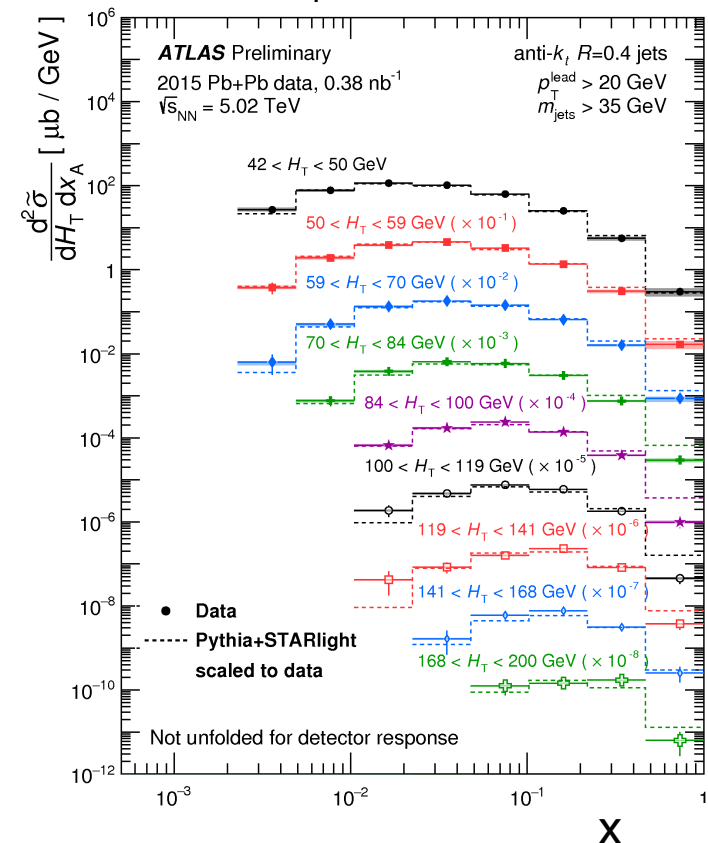
STAR,
 arXiv:1910.12400

Photoproduction of dijets

- Single gluon exchange
 - ◆ theoretically clean
 - ◆ One rapidity gap
- x depends on dijet mass & rapidity
 - ◆ $10^{-2} < x < 1$
- Jet masses give Q^2
 - ◆ $1600 \text{ GeV}^2 < Q^2 < 40,000 \text{ GeV}^2$
- Data vs. STARlight/PYTHIA hybrid
 - ◆ Some differences
 - ✦ Detector?
 - ✦ Nuclear modifications to pdfs?
- Unfolding in progress, to probe gluon dist.
- Room to expand kinematic reach

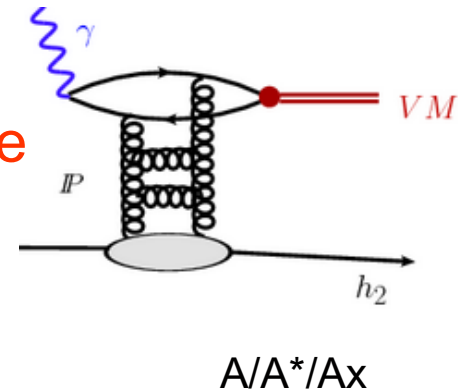


$$H_T \sim 2Q$$



Exclusive vector meson photoproduction

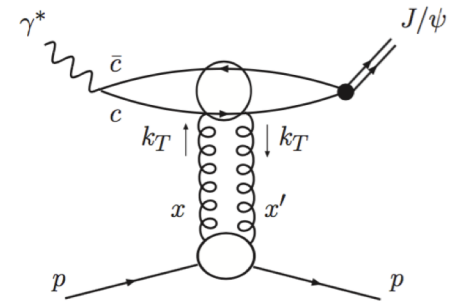
- Occurs via colorless ‘Pomeron exchange’
 - ◆ Require ≥ 2 gluon exchange for color neutrality
 - ✦ Gluon ladder
- Light meson production via vector meson dominance
 - ◆ ρ , direct $\pi^+\pi^-$, ω , ρ'
- Heavy meson production treated with pQCD
 - ◆ J/ψ , ψ' , $Y(1S)$, $Y(2S)$, and $Y(3S)$
- 3 targets, 3 coherence lengths and 3 p_T scales
 - ◆ Coherent: nucleus remains intact. $p_T < \sim \hbar/R_A$ & $\sigma \sim A^2$
 - ◆ Incoherent: nucleus breaks up; protons remain intact. $p_T < \sim \hbar/R_p$
 - ◆ Proton dissociation: struck proton breaks up. $p_T \sim \Lambda_{\text{QCD}} \sim 300 \text{ MeV}$
- Rapidity maps into photon energy
 - ◆ $k = M_V/2\exp(\pm y)$
 - ✦ For coherent: twofold ambiguity – which nucleus emitted the photon?
 - ◆ Cross-section is sum of 2 directional cross-sections
 - ◆ $\gamma + \text{Odderon}$ (3-gluon state) could lead to tensor mesons



VM photoproduction in LO pQCD

- In 2-gluon model, leading order pQCD

$$\left. \frac{d\sigma}{dt} (\gamma^* p \rightarrow J/\psi p) \right|_{t=0} = \frac{\Gamma_{ee} M_{J/\psi}^3 \pi^3}{48\alpha} \left[\frac{\alpha_s(\bar{Q}^2)}{\bar{Q}^4} xg(x, \bar{Q}^2) \right]^2 \left(1 + \frac{Q^2}{M_{J/\psi}^2} \right).$$



- With $\bar{Q}^2 = (Q^2 + M_{J/\psi}^2)/4$, $x = (Q^2 + M_{J/\psi}^2)/(W^2 + Q^2)$

- Vector meson mass provides hard scale

- Some caveats

- pQCD factorization does not strictly hold

- Two gluons have different x values (with $x' \ll x \ll 1$)

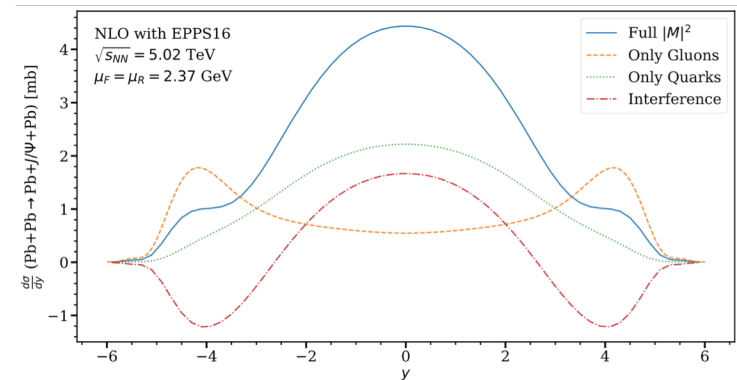
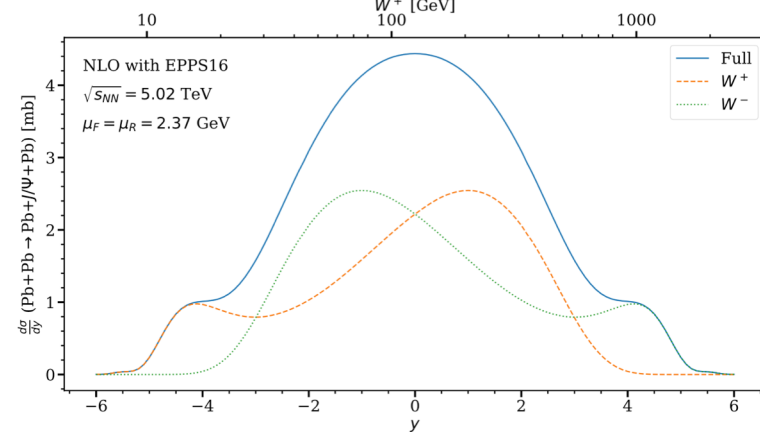
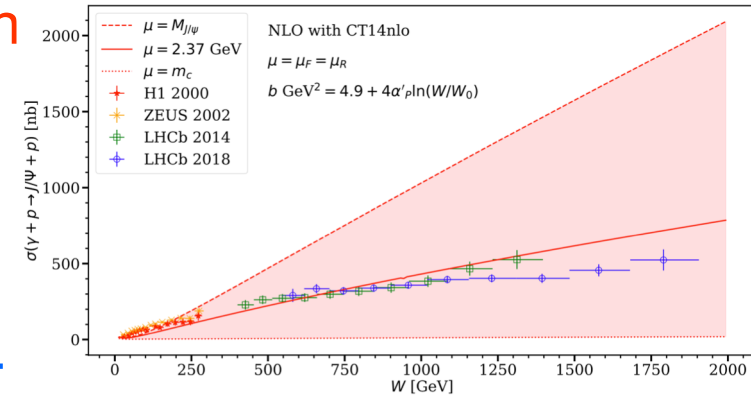
- Use generalized (skewed) gluon distributions – smallish correction.
 - Can do exactly with Shuvaev transform

- Photon is not pure $q\bar{q}$ dipole

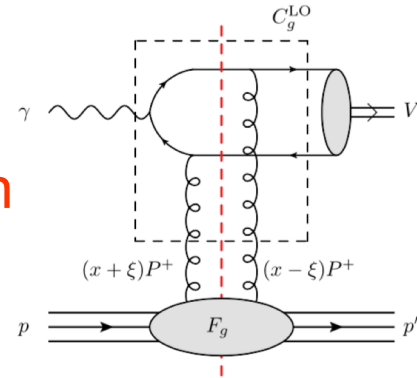
- Choice of scale μ

J/ψ photoproduction in NLO

- Some surprises in a new NLO calculation
- Very large scale uncertainty
 - ◆ Hope for reduction using some tricks
- $\sigma_{\text{NLO}} \sim 55\text{-}70\%$ below σ_{LO}
 - ◆ Previous LO calculations matched data...
- Multiple peaks in $d\sigma/dy$ for UPCs
 - ◆ Note photon directional ambiguity
- NLO gluon contribution partly cancels LO gluon contribution
 - ◆ Quark contribution is important
- Different parton distribution fits give different results
 - ◆ Real part of gluon amplitude
- How well do uncertainties cancel when comparing proton and ion data?



The dipole approach



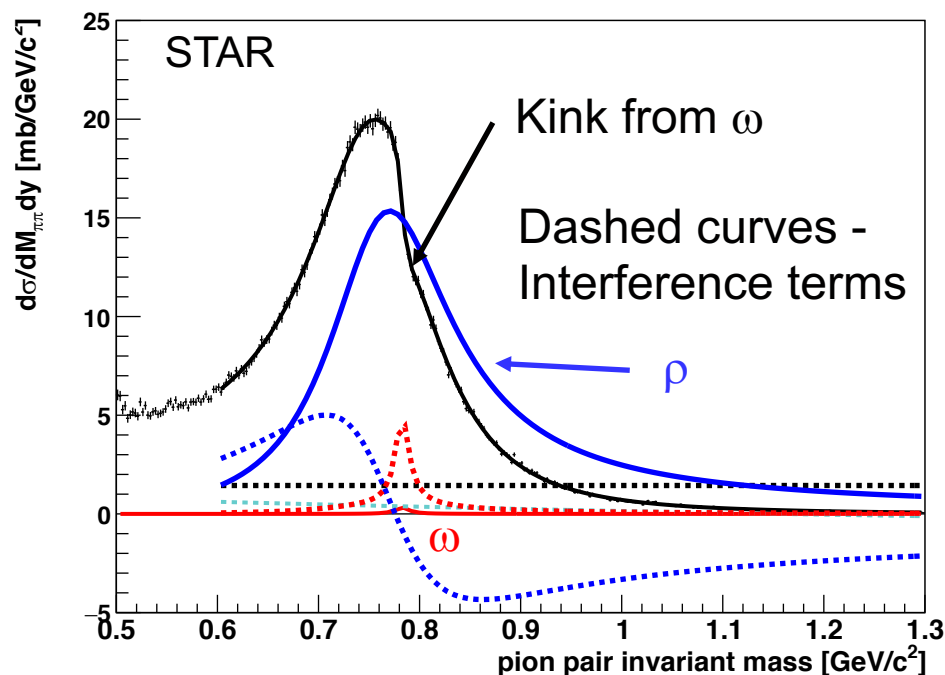
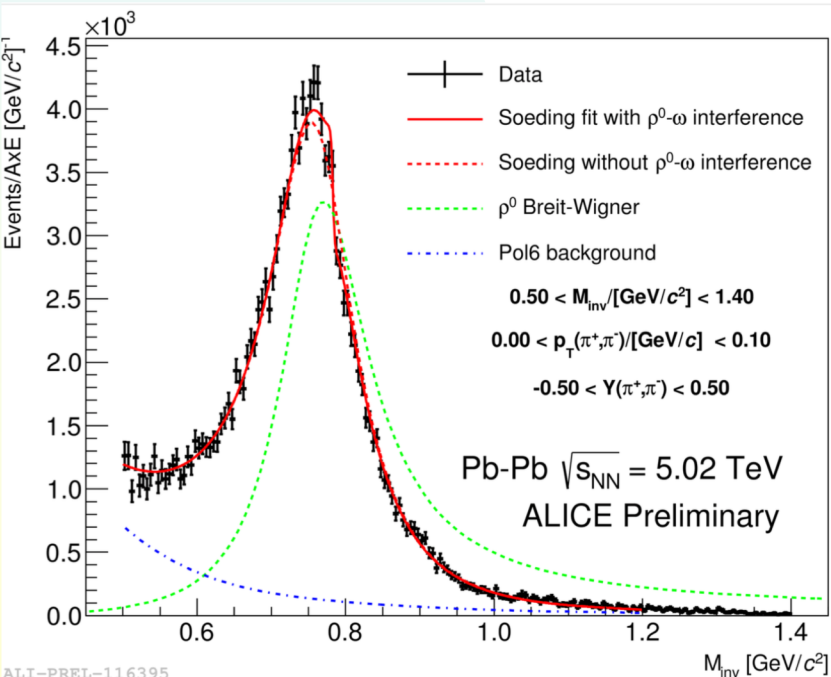
- Needed to incorporate transverse size into calculation
 - ◆ Important for nuclei
- Start with basics: $\sigma = |\langle \Psi_\gamma | M | \Psi_V \rangle|^2$
- Treat the $\bar{q}q$ pair as a dipole with size r
 - ◆ Need VM and photon wave functions, matrix element as $f(r)$
 - ◆ $\sigma \sim r^2$; r scales with $1/Q$, but relationship is not simple
 - ◆ Different matrix elements for different nuclear models
 - ✦ pQCD, shadowing, colored glass condensate, etc.

$$A(K, \Omega) = 2i \int d^2 \mathbf{r}_T \frac{dz}{4\pi} d^2 \mathbf{b}_T e^{-i \mathbf{b}_T \cdot \mathbf{k}_T / \hbar} \\ \times \Psi^*(\mathbf{r}_T, z, Q^2) \Psi_V(\mathbf{r}_T, z, Q^2) N_\Omega(\mathbf{r}_T, \mathbf{b}_T)$$

- Dipole approach allows impact-parameter dependent calculations
 - ◆ Can calculate $d\sigma/dt$ for different nuclear conditions
 - ✦ Different effective target shapes at different x, Q^2

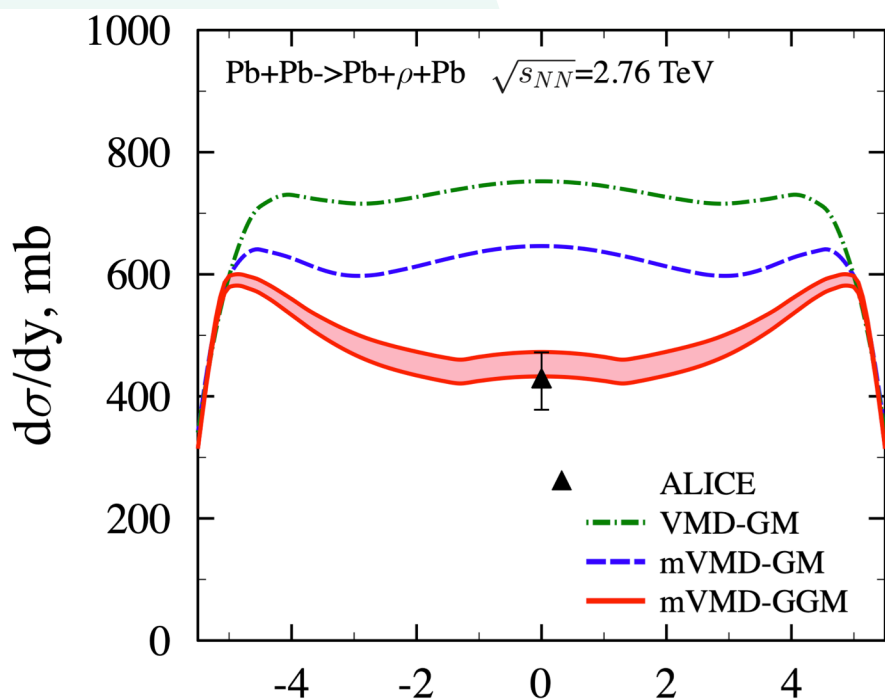
ρ^0 photoproduction

- 294,000 exclusive $\pi^+\pi^-$ with $p_T < 100$ MeV/c seen by STAR
- Mass spectra fit by ρ^0 + direct $\pi\pi$ + $\omega \rightarrow \pi\pi$
 - ω required for acceptable fit
 - Ratios & phase angle consistent with low-energy fixed-target studies
 - Pomeron exchange @ high energies; meson exchange at lower



Coherent ρ^0 photoproduction & the Glauber model

- In the Glauber model, dipoles in a heavy nucleus may multiple scatter (interact many times), but the dipole does not change as it travels through the nucleus. Can also allow other on-mass-shell vector mesons.
- In the Glauber Gribov model, the dipole may take on excited virtual intermediate states as it travels through the nucleus.
 - ◆ Needed to explain the data



Glauber VMD

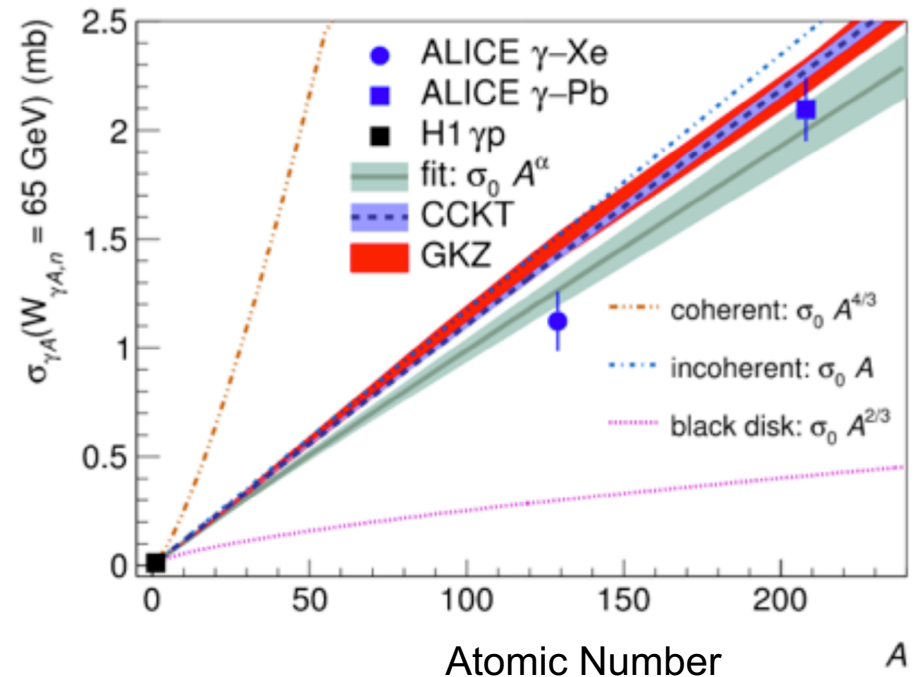
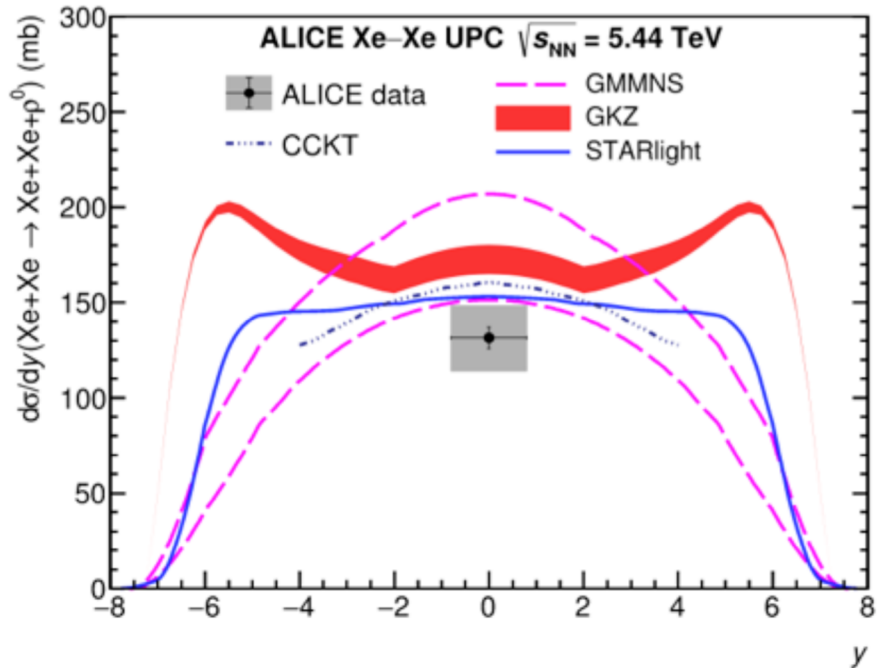
Glauber w/ Generalized VMD

Glauber-Gribov

L. Frankfurt, V. Guzey and M. Strikman,
Phys. Lett. B752, 51 (2016)

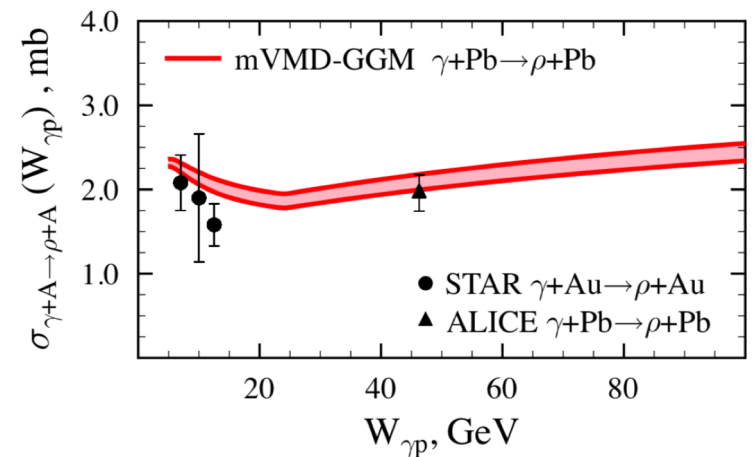
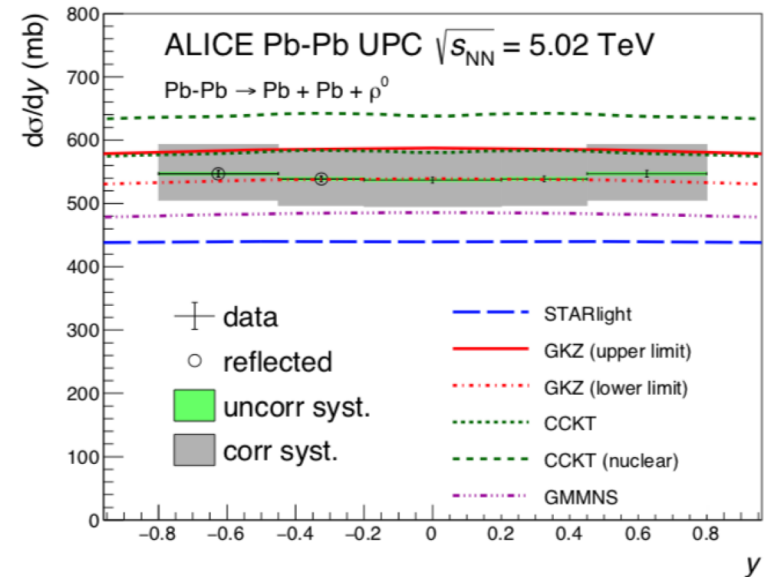
ρ^0 photoproduction as a function of target

- From a 6-hour XeXe run in 2017
- Trigger, analysis similar to PbPb
- Cross-section consistent with Glauber-Gribov calculations
- From p, Xe, Pb, $\sigma \sim A^{0.96 \pm 0.02}$
 - ◆ Significant shadowing; $\sigma \sim A^{4/3}$ in absence of shadowing



ρ^0 cross-section

- M_ρ too low for pQCD
 - ◆ Use dipole or Glauber calculation, implicitly or explicitly tuned to HERA data instead
- $d\sigma/dy$ found for coherent photoproduction
 - ◆ Direct $\pi\pi$ removed
- σ above 'STARlight' prediction
 - ◆ i. e. below Glauber calculation
- σ in agreement with quantum Glauber model that includes a correction for high mass dipole fluctuations (inelastic diffraction)
 - ◆ Fluctuations matter

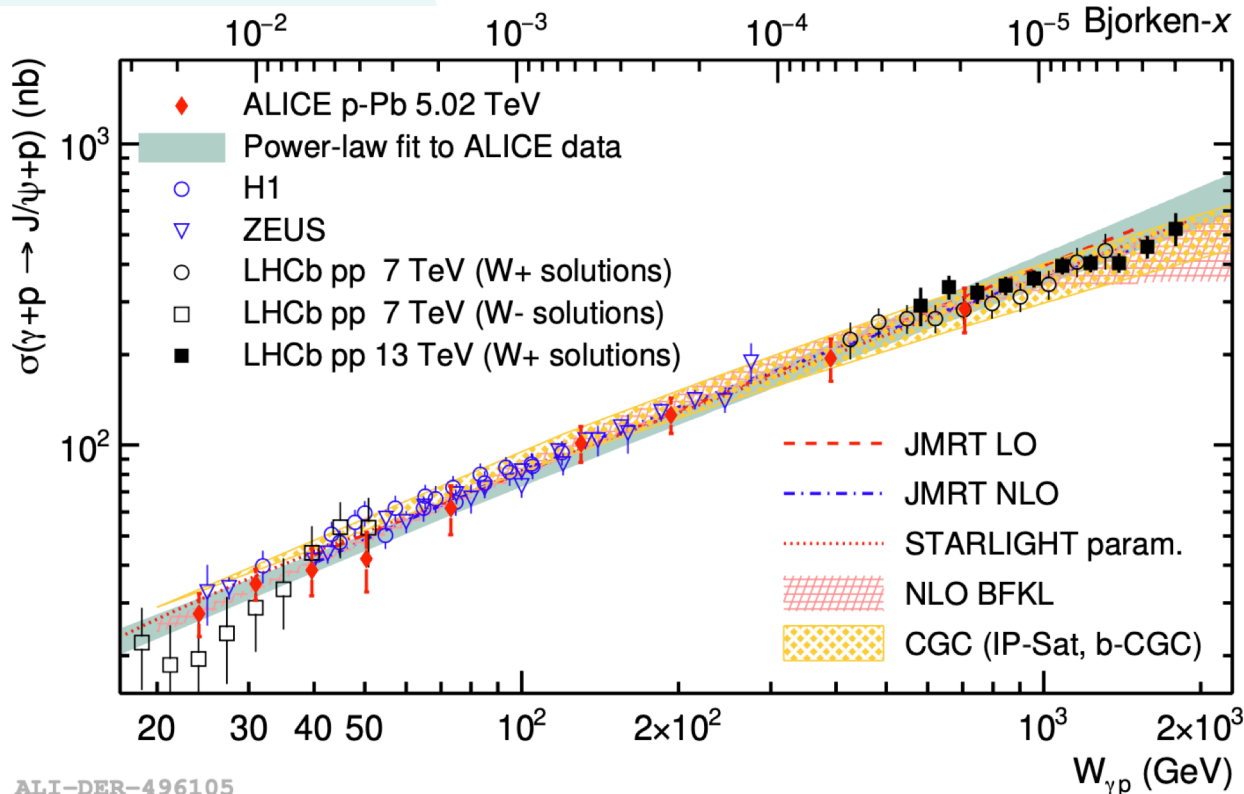


Heavy quarkonium photoproduction on ion targets

- There is no HERA data with ion targets, so we know little about parton distributions for $x < 10^{-3}$
 - ◆ Some data from LHC pA/AA interactions
- Probe for nuclear gluon distributions for $x < 10^{-3}$ at $Q^2 = (M_{V_M}/2)^2$
- Usually measure/calculate suppression relative to proton targets
 - ◆ Many theoretical uncertainties cancel
- Impulse approximation calculation sometimes used as reference
 - ◆ Treats target as a collection of independent nucleons
 - ◆ Replaces missing proton data at correct \sqrt{s}
- Shadowing is expected, because a single $q\bar{q}$ dipole may interact with multiple nucleons in a heavy target
 - ◆ “Leading twist” shadowing - multiple scattering
 - ✦ Nuclear shadowing
 - ◆ Gluon shadowing would appear as an additional suppression

$\sigma(\gamma p \rightarrow J/\psi p)$

- Map rapidity to photon energy, with a 2-fold ambiguity $k = M_V/2 \exp(\pm y)$
- Data up to $W_{\gamma p} = 1.5 \text{ TeV}$ - 5 times the HERA maximum
 - ◆ Fairly close to a power law, with possible slight downturn
 - ✦ Expected in lowest order as long as $g(x) \sim x^{-4\Lambda}$
- ALICE: In pA collisions, proton is usually target
- LHCb: 2-fold photon direction ambiguity; use HERA data to unfold



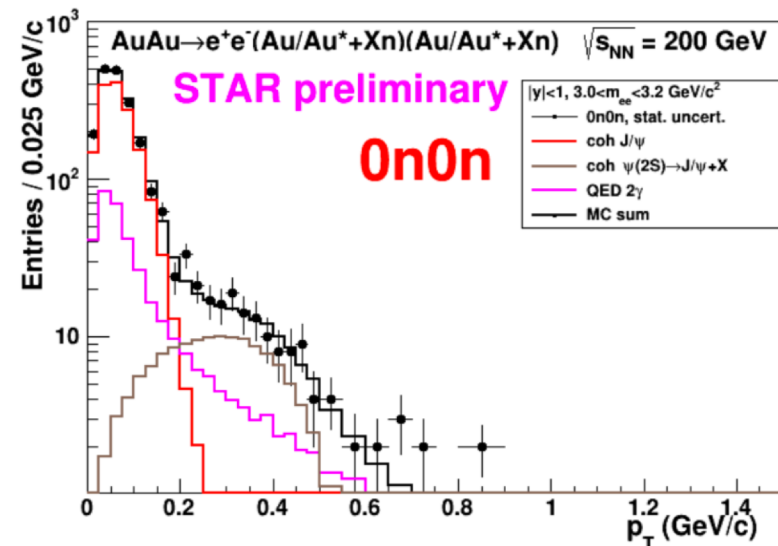
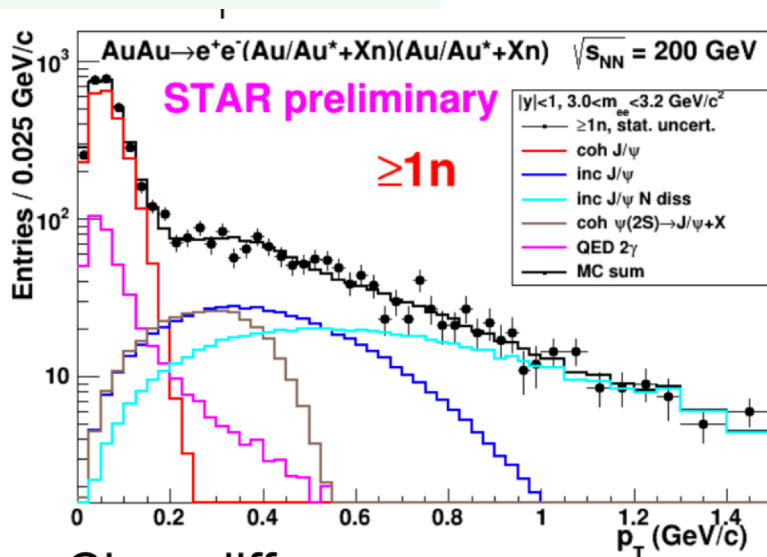
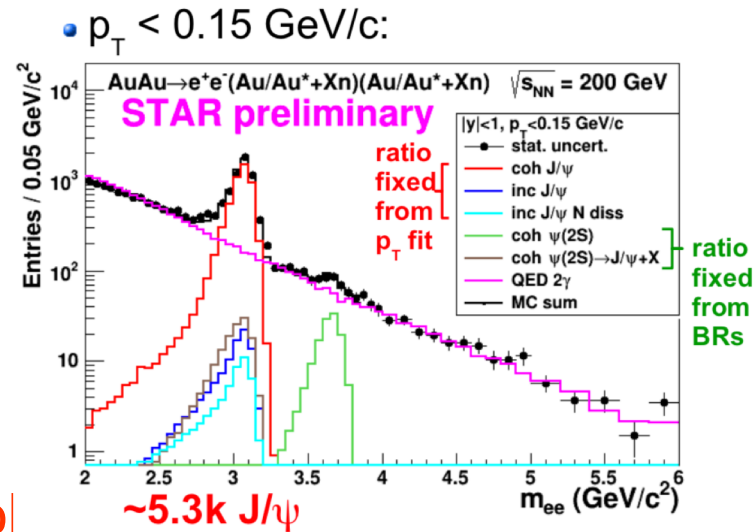
NLO calculation is older, only partial NLO

S. Ragoni for ALICE and LHCb, arXiv:2109.03066

$W_{\gamma p}$ (GeV)

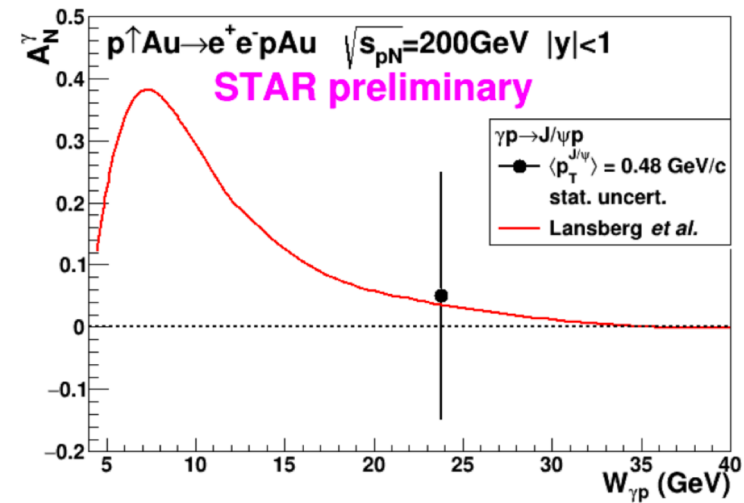
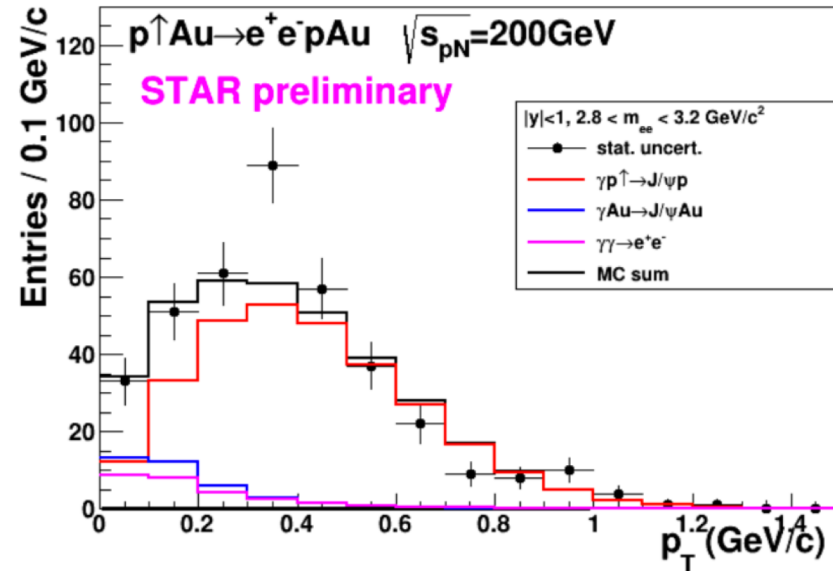
J/ψ photoproduction on gold at RHIC; $x \sim 10^{-2}$

- AuAu and polarized p-Au collisions
- Data with a calorimeter trigger
- J/ψ, ψ' → e⁺e⁻ and γγ → e⁺e⁻
 - ◆ γγ → e⁺e⁻ fraction larger than in pp/pA
 - ◆ Coherent & incoherent photoproduction
 - ◆ M_{ee}, p_{Tee} fit to mixture
- Events with neutrons are more likely incoherent

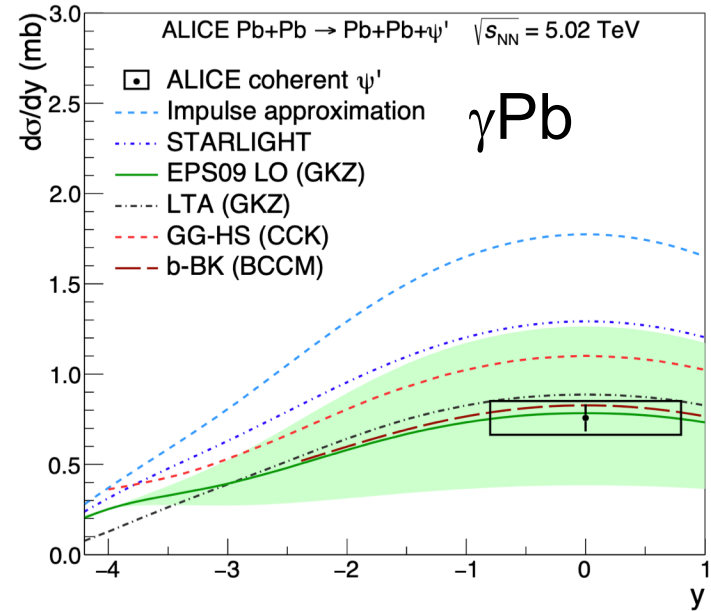
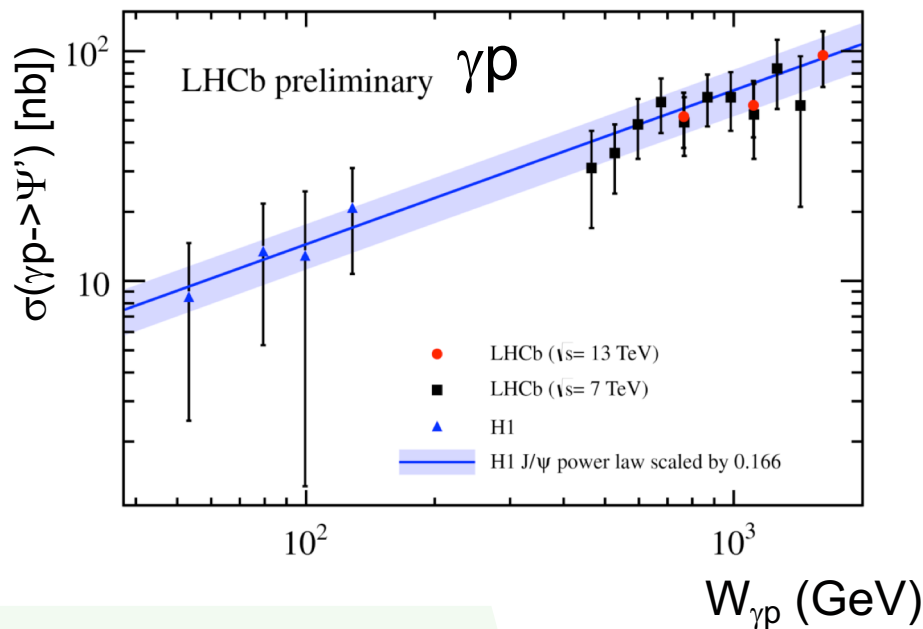


Polarized J/ ψ photoproduction at STAR

- Sensitive to polarized GPDs (generalized parton distributions), which probe the transverse position of partons with the nucleus
 - ◆ Is gluon polarization dependent on position within nucleus?
- From polarized p on Au collisions
 - ◆ Dominated by photon-from-gold
 - ✦ p_T cut improves separation
 - ◆ Polarized proton target
- Look at scattering asymmetries, which depends on $W_{\gamma p}$ and p_T
- 1st measurement; proof of principle



ψ' photoproduction on proton & lead targets



γp is a good fit to power law

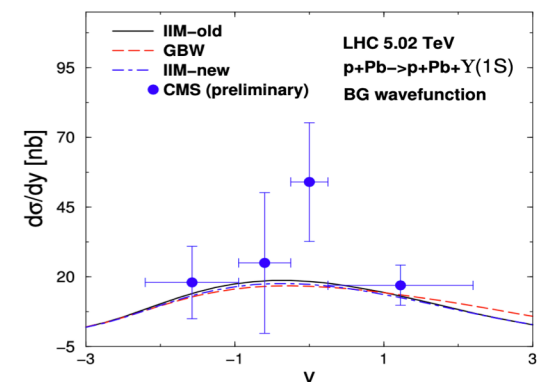
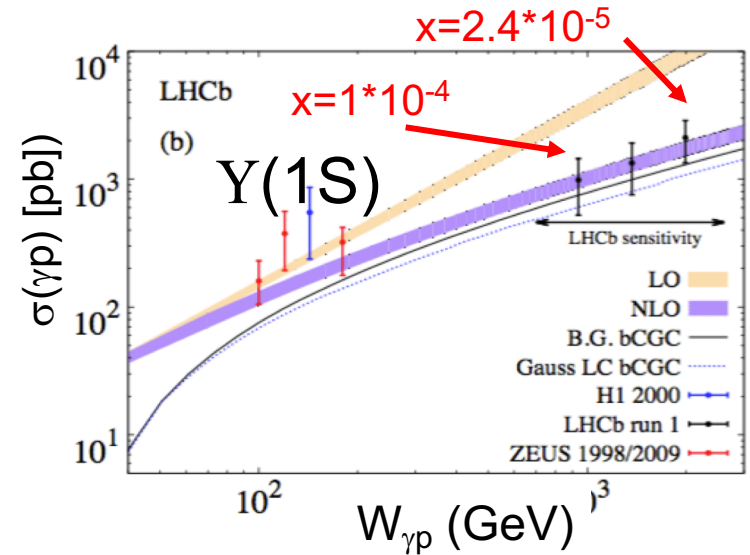
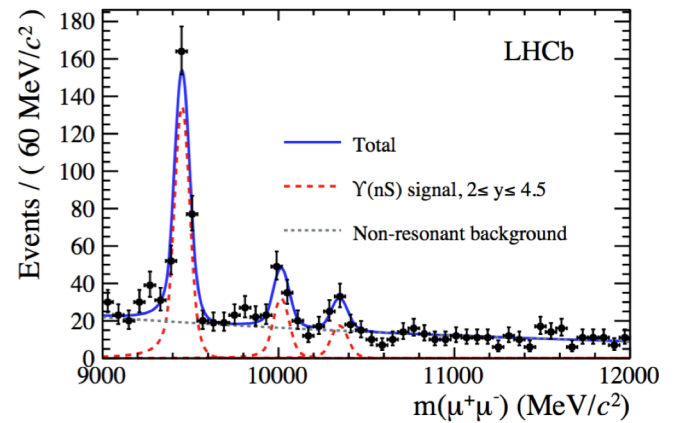
Data is a bit below the partial NLO calculation

LHCb data quality is more precise than HERA & extends to higher energy

γA data shows moderate suppression, as the J/ψ

$\gamma p \rightarrow Y p$

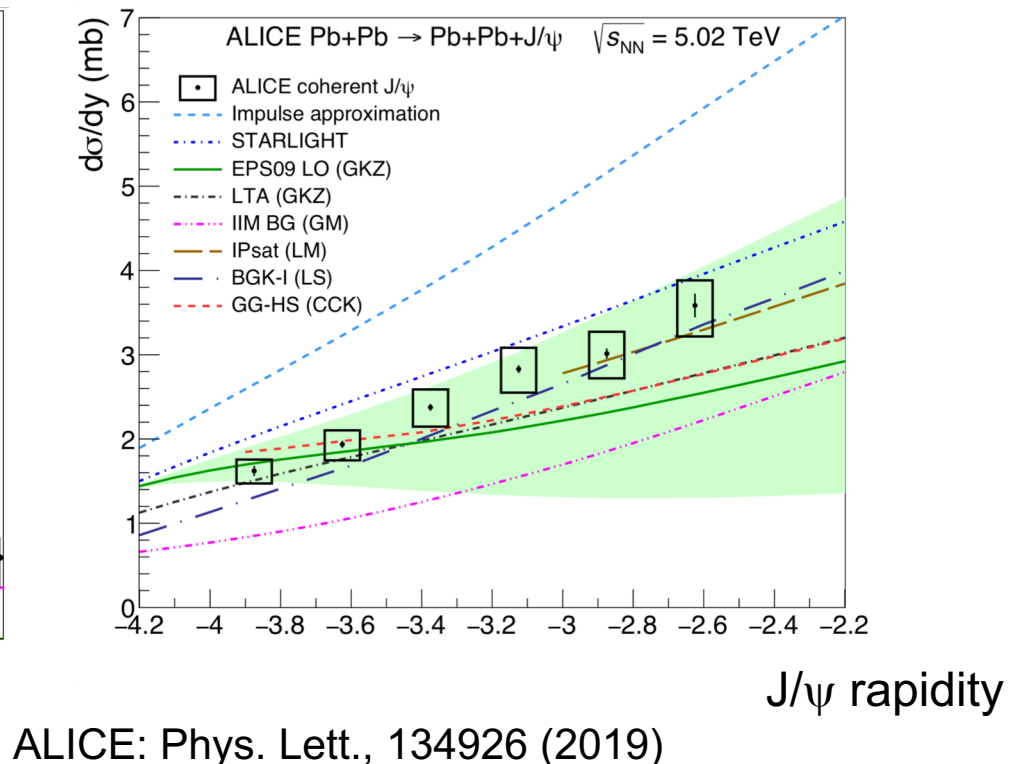
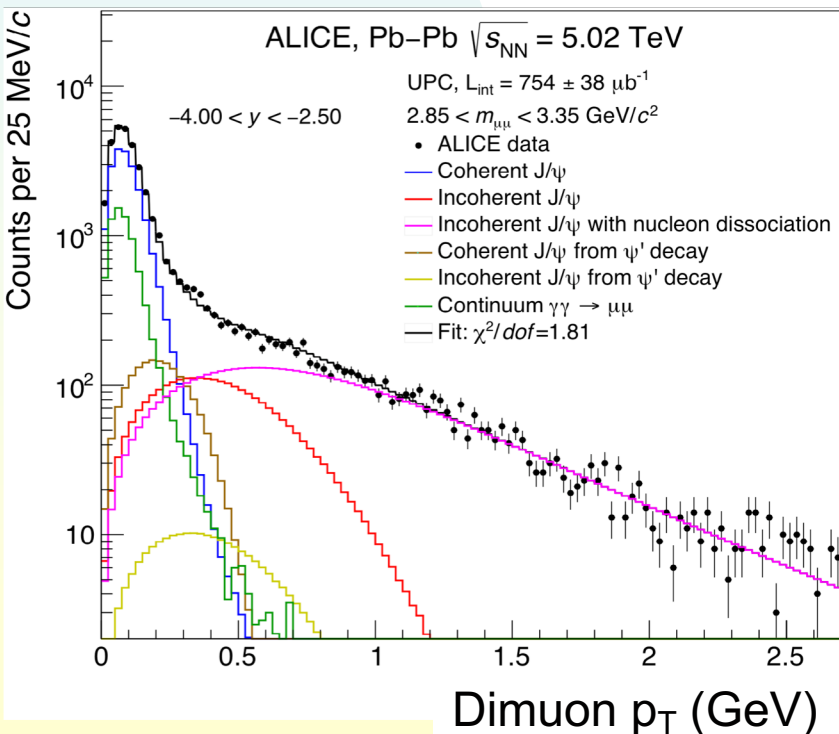
- Central (CMS) & forward (LHCb)
- $Y(1S)$, $Y(2S)$ & $Y(3S)$ resolved
- Agreement with partial NLO calculation ($Q^2 \sim 25 \text{ GeV}^2$)
 - ◆ Same calculations match J/Ψ & Y data, at different Q^2
 - ◆ Higher $Q^2 \rightarrow$ less sensitivity to some theoretical uncertainties
- Larger difference between LO and partial NLO calcs. than J/ψ
- No evidence for saturation at low Q^2



R. McNulty [LHCb] ICHEP 2016;
M. Machado & CMS, in ISMD2017

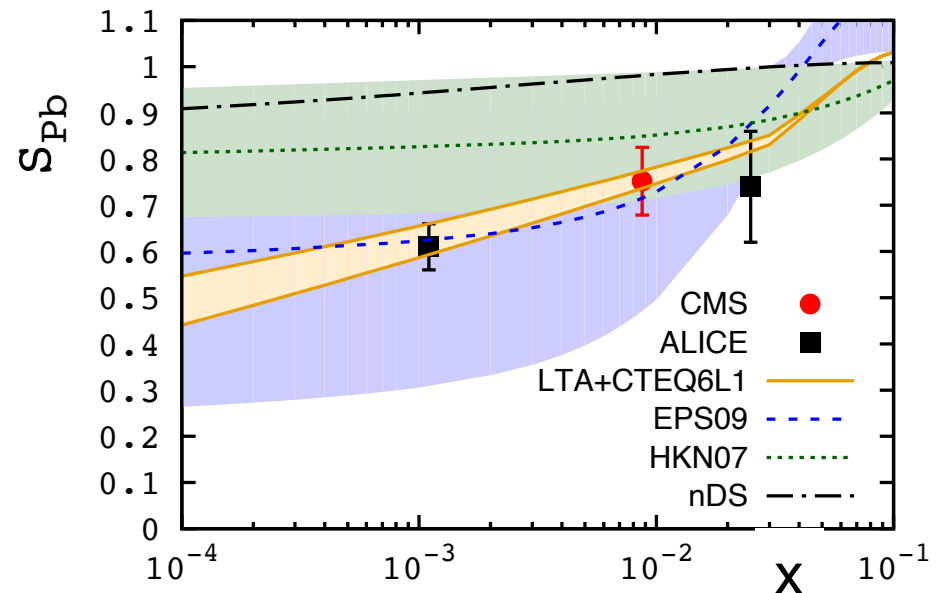
ALICE PbPb- \rightarrow J/ ψ at $\sqrt{s_{NN}}=5.02$ GeV

- p_T spectrum measured out to 2.5 GeV/c
 - ◆ Coherent (Pb), incoherent (single N) & nucleon dissociation seen
- σ_{coherent} indicates shadowing ~ 0.8
 - ◆ Consistent with/slightly above EPS09 (&EPPS16) fits to worlds data
 - ✦ Smaller errors
- Consistent with leading twist approximation (LTA) & other models



Nuclear Shadowing

- Compare ALICE & CMS data with PDF shadowing models
 - ◆ Use impulse approximation for proton reference
 - ✦ Normalize to HERA data to correct for higher order terms
 - ✦ 6 different parton distributions
- Consistent w/ 2012 leading twist approximation calculation
 - ◆ Except for MNRT07 parameterization
- More shadowing than HKN07 parameterization
- EPS09 parameterization fits data well
 - ◆ Error bars should shrink
 - ✦ Also true w/ EPPS'16
- No need for exotica e. g.
 - ◆ Colored glass condensate
 - ◆ Hard saturation cutoff



V. Guzey & M. Zhalov, JHEP 1310, 207 (2013)
Frankfurt Guzey & Strikman, Phys. Rept. 512,
255 (2012) updated by V. Guzey & M. Strikman.

Beyond gluon densities: to spatial distribution and fluctuations

- The Good-Walker formalism links coherent and incoherent production to the average nuclear configuration and event-by-event fluctuations respectively
 - ◆ Configuration = position of nucleons, gluonic hot spots etc.
- Coherent: Sum the amplitudes, then square -> average over different configurations
- Incoherent = Total – coherent; total: square, then sum cross-sections for different configurations

$$\frac{d\sigma_{\text{tot}}}{dt} = \frac{1}{16\pi} \left\langle |A(K, \Omega)|^2 \right\rangle \quad \text{Average cross-sections } (\Omega)$$

$$\frac{d\sigma_{\text{coh}}}{dt} = \frac{1}{16\pi} |\langle A(K, \Omega) \rangle|^2 \quad \text{Average amplitudes } (\Omega)$$

$$\frac{d\sigma_{\text{inc}}}{dt} = \frac{1}{16\pi} \left(\left\langle |A(K, \Omega)|^2 \right\rangle - |\langle A(K, \Omega) \rangle|^2 \right) \quad \text{Incoherent is difference}$$

Good-Walker and transverse interaction profiles

- The coherent cross-section gives us access to the transverse spatial distribution of individual targets within the nucleus

$$\frac{d\sigma_{\text{coh}}}{dt} = \frac{1}{16\pi} |\langle A(K, \Omega) \rangle|^2 \quad \text{Average amplitudes } (\Omega)$$

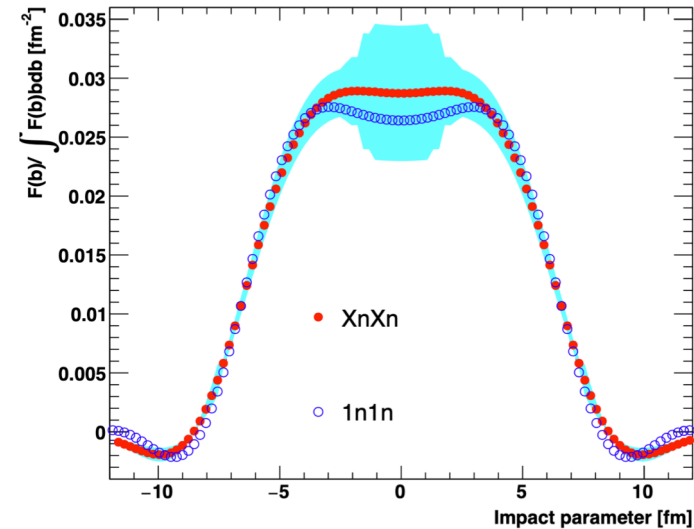
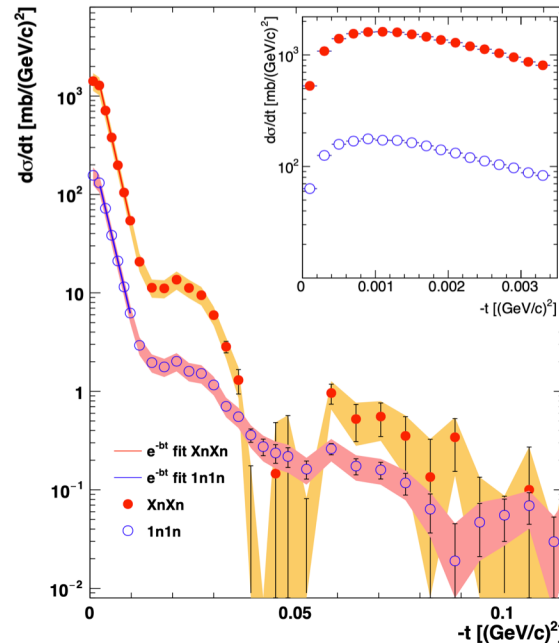
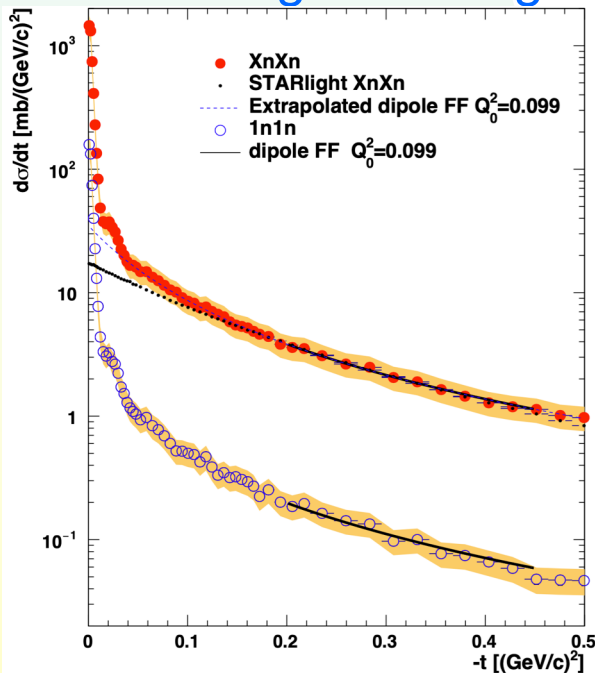
- We can also write $\sigma_{\text{coherent}} = |\sum_i A_i k \exp(ikb)|^2$
 - ◆ Usually work with $t = p_T^2 + p_z^2 \sim p_T^2$
- Because of exponential $d\sigma/dp_T$ encodes information about the transverse locations of the interactions
 - ◆ without shadowing, this is the shape of the nucleus
- The two-dimensional Fourier transform of $d\sigma/dt$ gives $F(b)$, the transverse distribution of targets

$$F(b) \propto \frac{1}{2\pi} \int_0^\infty dp_T p_T J_0(bp_T) \sqrt{\frac{d\sigma}{dt}} \quad \text{*flips sign after each diffractive minimum}$$

- Multiple serious caveats – range of integration/ windowing finding diffractive minima, subtracting out photon p_T etc.

The STAR ρ^0 analysis

- 384,000 dipion events
- Fit $d\sigma_{\text{incoherent}}/dt$ in region of large $|t|$ with a dipole form factor, extrapolate and subtract, leaving $d\sigma_{\text{coherent}}/dt$
 - ◆ Diffractive minima are visible
- 2-d Fourier transform
- Blue band shows effect of varying $|t|_{\text{max}}$ from 0.05 - 0.09 GeV^2
 - ◆ Variation at small $|b|$ may be due to windowing (finite t range)
 - ◆ Negative wings at large $|b|$ are likely from interference



STAR fit to ρ^0 data

- Model includes photon p_T , ρ^0 scattering on target, and interference between the two γ directions

- Cross-section $\sigma \sim |A_1 - A_2 e^{ip \cdot b}|^2$

- The vector meson is linearly polarized along b

- π^+ and π^- p_T preferentially follow b

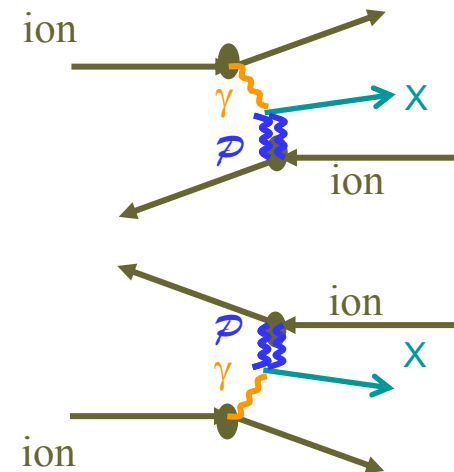
- $e^{ip \cdot b}$ gives a correlation between the ρ^0 p_T & pion p_T

- \rightarrow an angular modulation in p_T

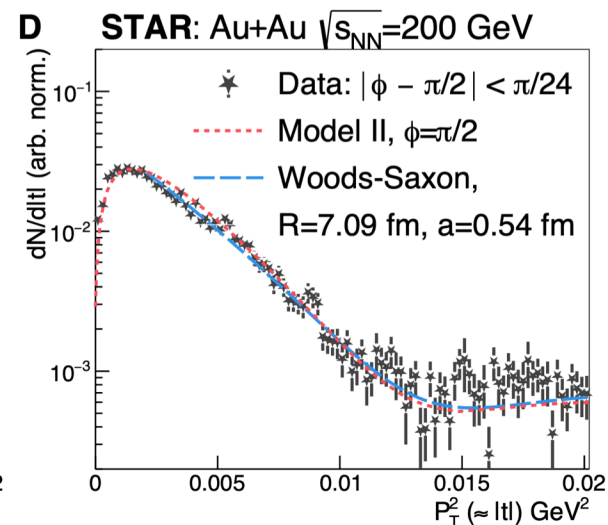
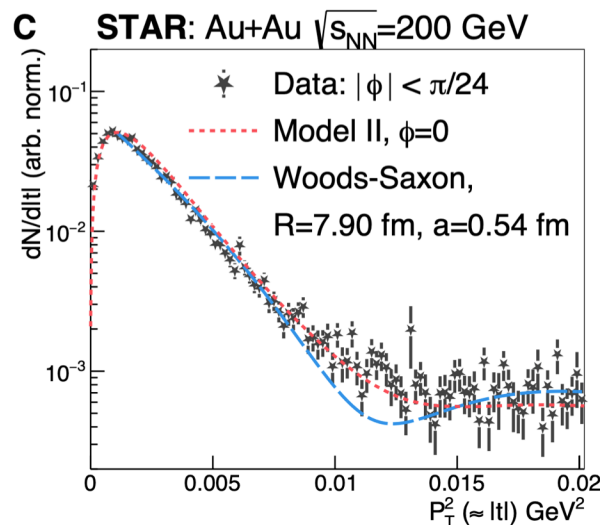
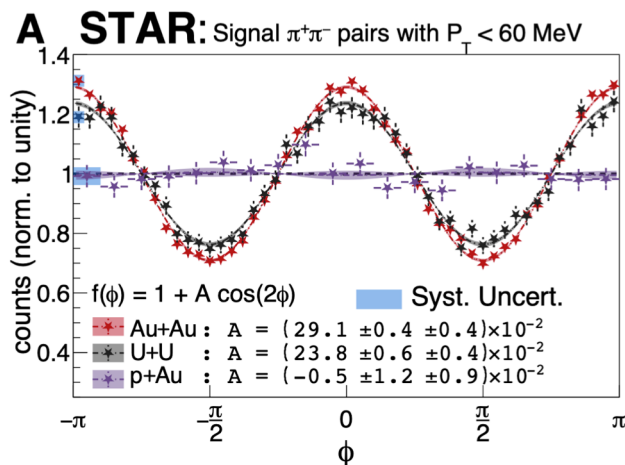
- Model fits data well

- Hadronic radii (w/ neutron skin) $R_{Au} = 6.62 \pm 0.03$ fm & $R_U = 7.29 \pm 0.08$ fm

Precision UPC physics!

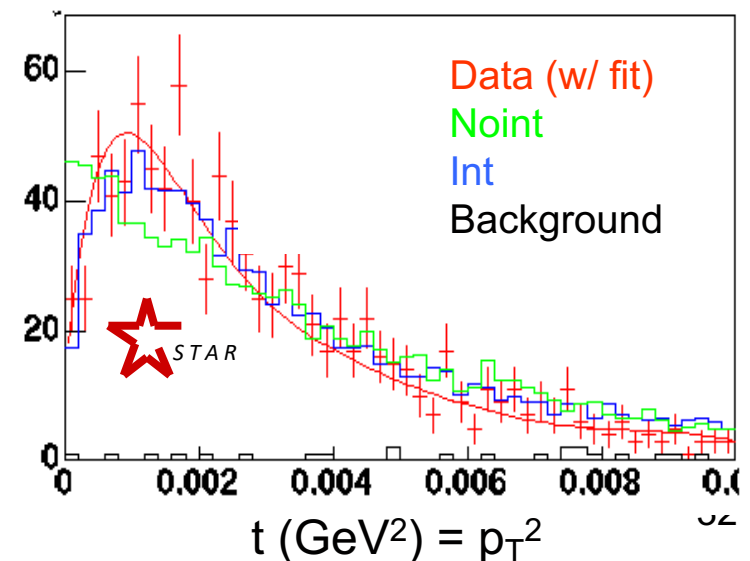
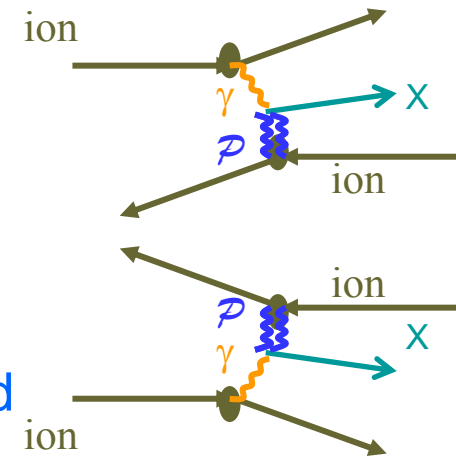


STAR, arXiv:2204.01625



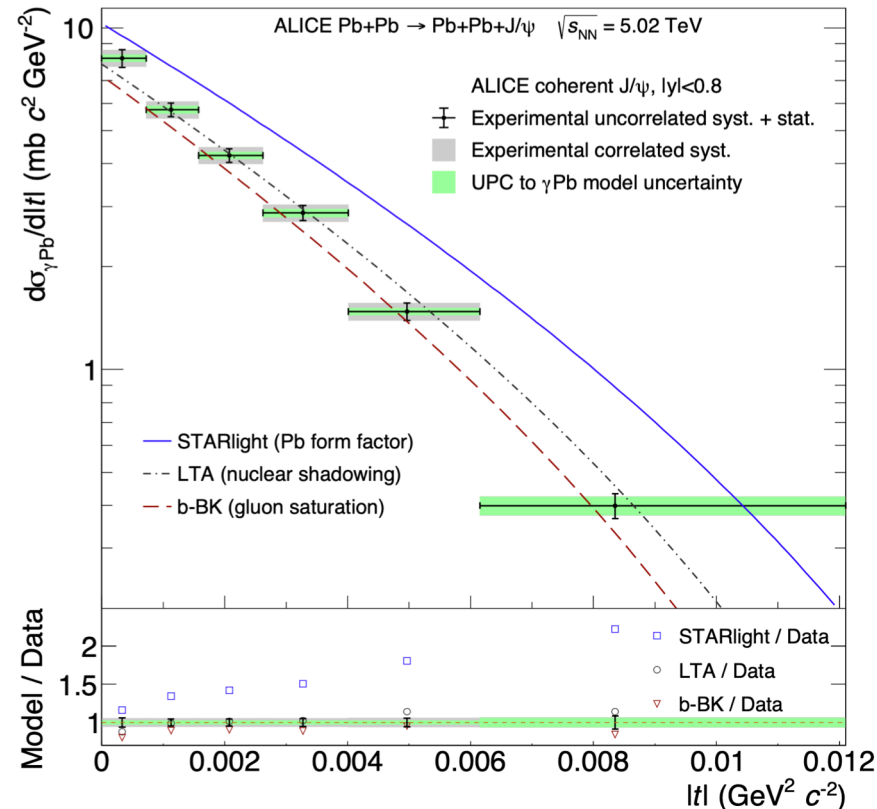
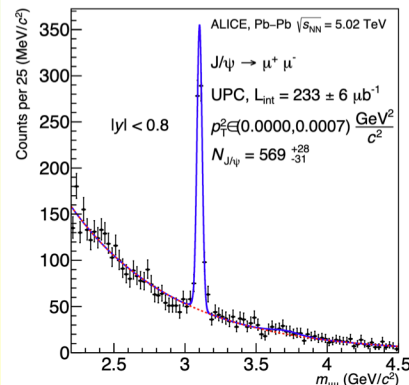
Photoproduction & the directional ambiguity

- Photoproduction can occur two ways
 - ◆ Either nucleus can emit a photon
- For coherent production (with no nuclear breakup) the two cases are indistinguishable
 - ◆ Except the photon & 'Pomeron' energies are swapped
- Add amplitudes for two directions: $\sigma \sim |A_1 - A_2 e^{i\rho \cdot b}|^2$
 - ◆ minus since $\rho, \omega, \phi, J/\psi$ are $J^{PC} = 1^{--}$
 - ◆ Plus sign in $p\bar{p}$ collisions
- σ suppressed for $p_T < h/\langle b \rangle$
 - ◆ $p_T < \sim 30 \text{ MeV}/c$
- Measured by STAR – consistent with calculations



ALICE: J/ψ on lead targets

- ALICE has measured the p_T spectrum for J/ψ photoproduction
- Resolution and photon pT removed via deconvolution
 - ◆ Photon p_T spectrum for $0 < b < \infty$
 - ✦ When b is restricted (e. g. $b > 2R_A$), $\langle p_T \rangle$ should increase
- p_T falls faster than expected from the Pb form factor
 - ◆ Effective nucleus is larger
- Consistent with leading twist approximation or a dipole model with gluon saturation



Incoherent production and event-by-event fluctuations

- The incoherent cross-section lets us measure the event-by-event fluctuations in the nuclear configuration, including the positions of individual nucleons, gluonic hot spots, etc.

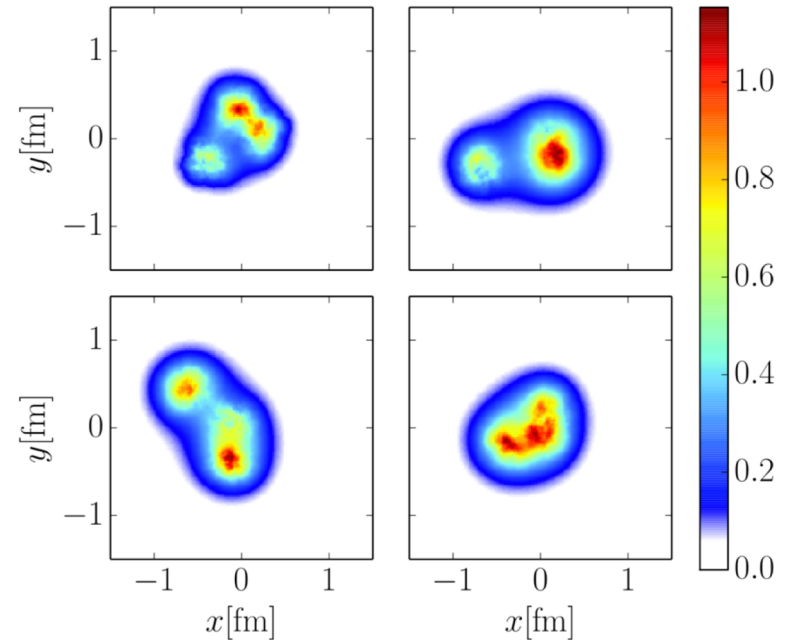
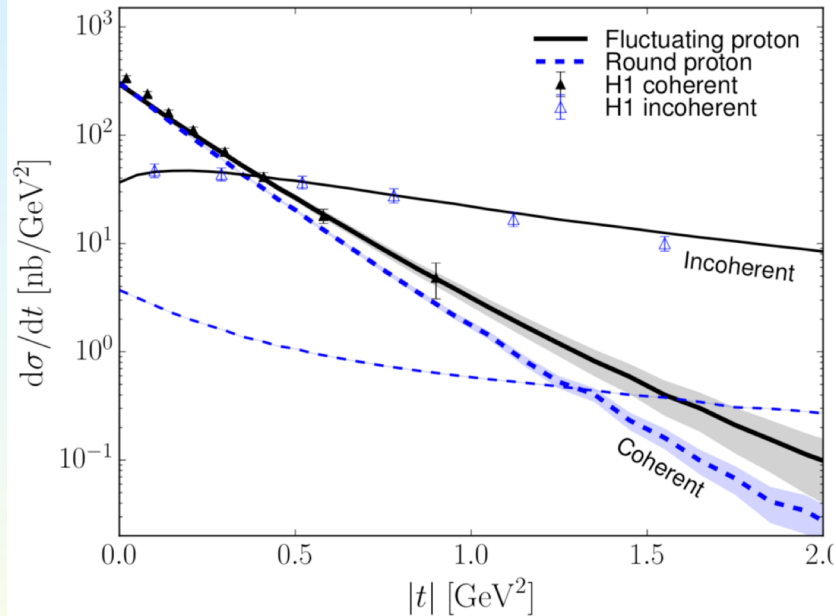
$$\frac{d\sigma_{\text{inc}}}{dt} = \frac{1}{16\pi} \left(\langle |A(K, \Omega)|^2 \rangle - |\langle A(K, \Omega) \rangle|^2 \right)$$

- Probes the deviations from the mean.
- The connection between t and impact parameter is weaker than with coherent production, but this can be used to test models.

$\gamma^*p \rightarrow J/\psi$ at HERA and gluonic hot spots

- HERA data provides an application of the Good-Walker formalism

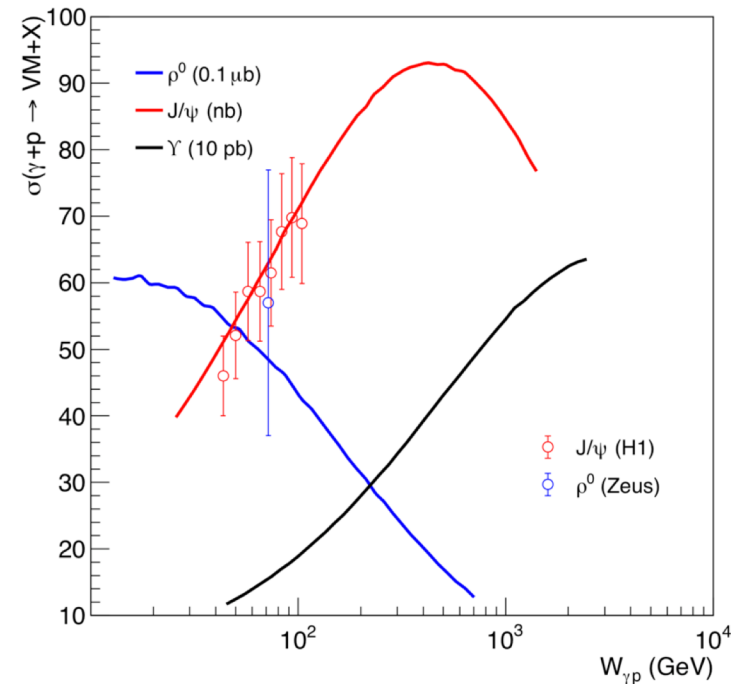
$$\gamma + p \rightarrow J/\psi + p, W = 75 \text{ GeV}, Q^2 = 0 \text{ GeV}^2$$



- The proton is far from smooth. It contains gluonic hot spots (or other fluctuations)
- The EIC will map this behavior in x, Q^2 , and should apply it to nuclei

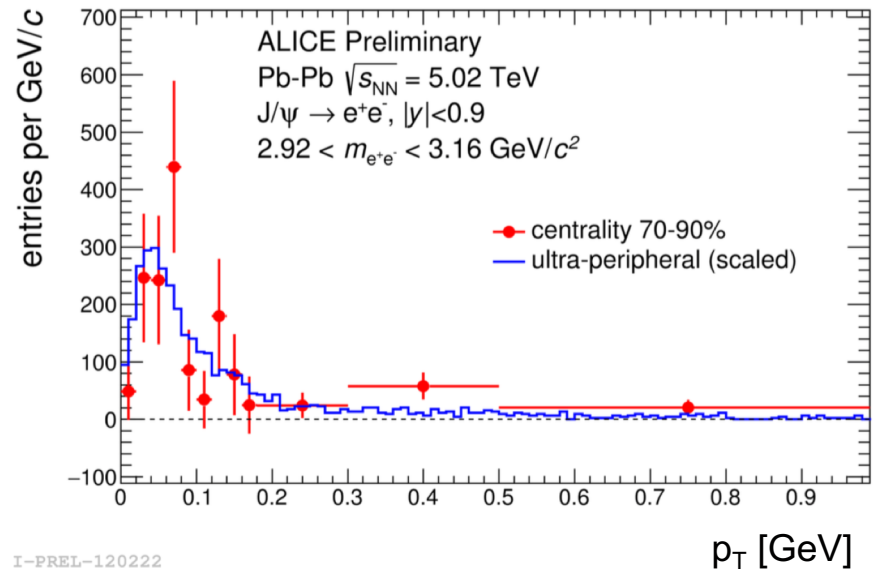
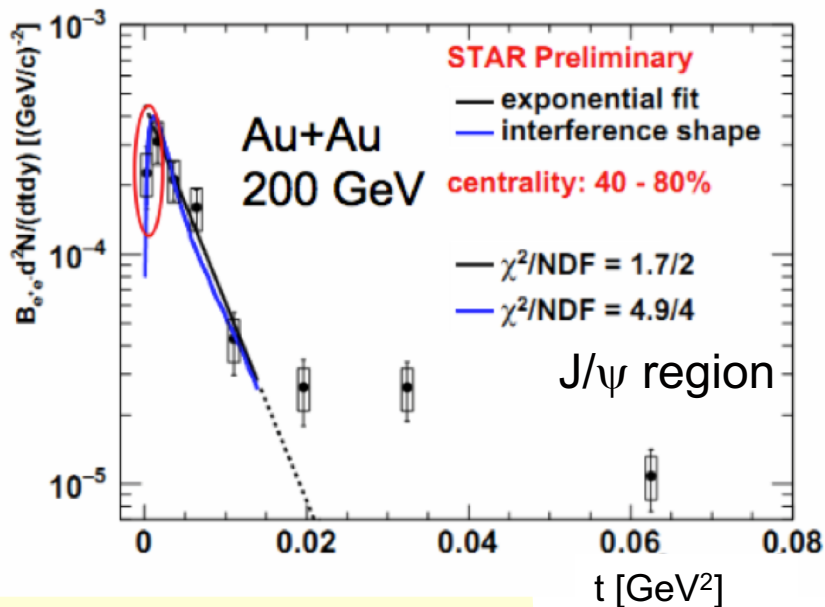
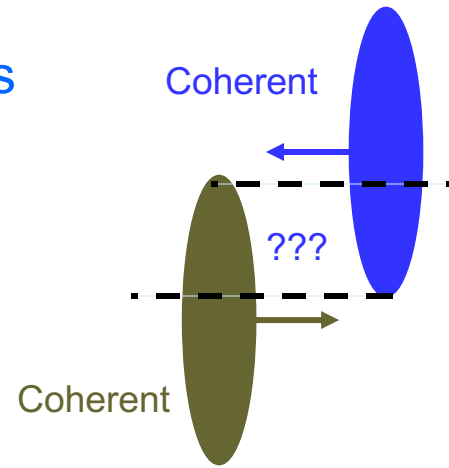
Strong saturation and the black disk limit

- Higher photon energies probe lower Bjorken- x values
 - Lower x values \rightarrow more gluons, more hotspots
 - The fraction of the proton or ion surface covered with hot spots rises
- Eventually, the whole surface is covered. This is the 'black disk limit,' when the nucleus acts like a totally absorptive disk
- Black disks don't fluctuate, so incoherent photoproduction should disappear.
- High-mass final states require more energetic (larger x) gluons, so they will be slower to disappear
- Extension to nuclei model dependent



UPCs in peripheral collisions

- Photon reactions do not disappear when $b < 2R_A$
 - Rates are lower due to lower photon flux inside nucleus
 - Coherence is reduced/eliminated
 - Hadronic interactions reduce target energy
- Data shows excess I^+I^- pairs with $p_T < 100$ MeV/c
 - Photoproduced J/ψ + continuum I^+I^-

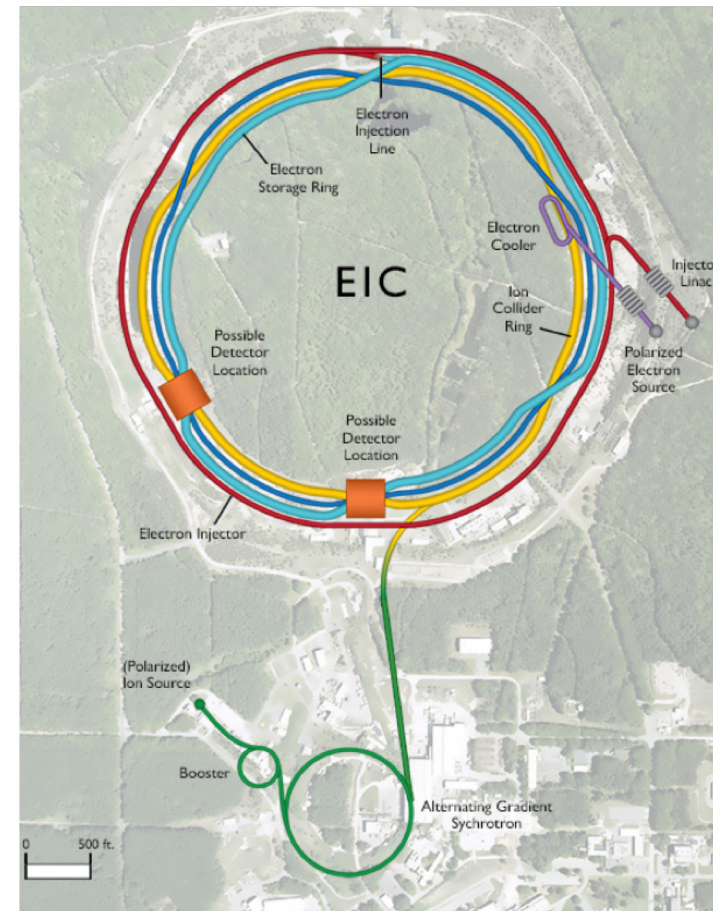


Looking ahead with UPCs

- LHC Runs 3 (starting now) and 4 will feature higher luminosity and improved detectors
 - ◆ ALICE will add a much-improved vertex detector (for open charm) and a streaming DAQ, eliminating the need for a trigger
 - ✦ Trigger is a huge bottleneck for UPCs
- A short oxygen-oxygen run is planned
 - ◆ Good species to measure incoherent photoproduction
- Precision vector meson photoproduction data
- More open dijets and charm
- J/ψ transverse distribution studies
- UPCs at a future CERN or Chinese 100 TeV hadron collider could reach down to Bjorken- $x \sim 10^{-7}$

The proposed U. S. electron-ion collider

- Add an 18 GeV electron ring to the RHIC complex
- Augmented ion ring
 - ◆ 275 GeV p, 110 GeV/n ions
 - ◆ Improve polarized source
- Coherent electron cooling to reduce emittance
- Very high luminosity $\sim 10^{34}/\text{cm}^2/\text{s}$
 - ◆ Precision physics
- At least one detector
 - ◆ Full acceptance, with excellent forward and backward coverage
 - ◆ Collaboration forming now
- Completion in early 2030s

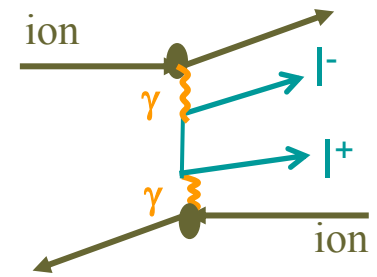


Conclusions

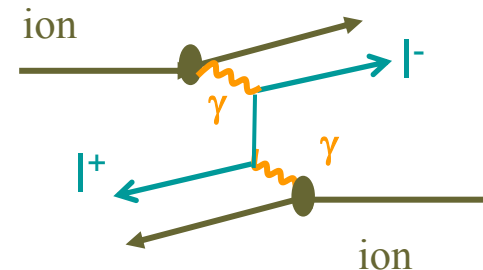
- Photoproduction is a key tool to study partons in dense nuclear environments
 - ◆ The LHC is the energy frontier, probing gluons down to Bjorken- x of 10^{-6}
- Photoproduction of open charm and dijets are theoretically fairly clean, but messy experimentally.
- Photoproduction of quarkonium is experimentally straightforward, with results on many mesons, including the ρ , ρ' , J/ψ , ψ' and Y
- $\sigma(\gamma p \rightarrow J/\psi p)$ is reasonably well described by a simple power law, as predicted if gluon distributions also follow a power law
- Light meson production on nuclei is well-described by the Glauber-Gribov paradigm that accounts for multiple dipole interactions.
- J/ψ photoproduction on lead shows a moderate suppression of the cross-section, consistent with the leading-twist model of shadowing, and with the favored regions of nuclear PDFs.
- Looking ahead, we expect much photoproduction data from LHC Run 3 and 4, and the future U. S. electron-ion collider.

Backup

$\gamma\gamma \rightarrow$ dileptons



- Well described by LO QED
- Overlap of photon fluxes+ the Breit-Wheeler formula for $\gamma\gamma \rightarrow l^+l^-$
- σ is huge – 200,000 barns for PbPb at the LHC
 - ◆ Multiple pairs possible at smaller impact parameters
 - ◆ Production out to μm impact parameters for forward production
- Strong forward/backward topology
 - ◆ Most leptons go ‘down beampipe’
 - ✦ Low detection efficiency (but cross-section is large)
- Lepton pair $p_T < \sim M_{ll}/\gamma$
 - ◆ Leptons are nearly back-to-back
- Studies from STAR, ATLAS, CMS, plus incidental measurements (background $J/\psi \rightarrow ll$) from CMS, ALICE



ATLAS $\gamma\gamma \rightarrow \mu^+\mu^-$

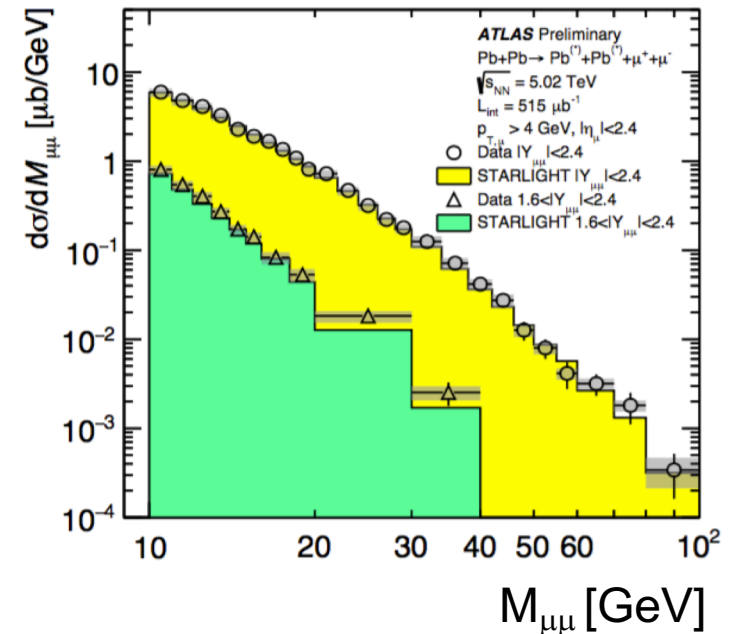
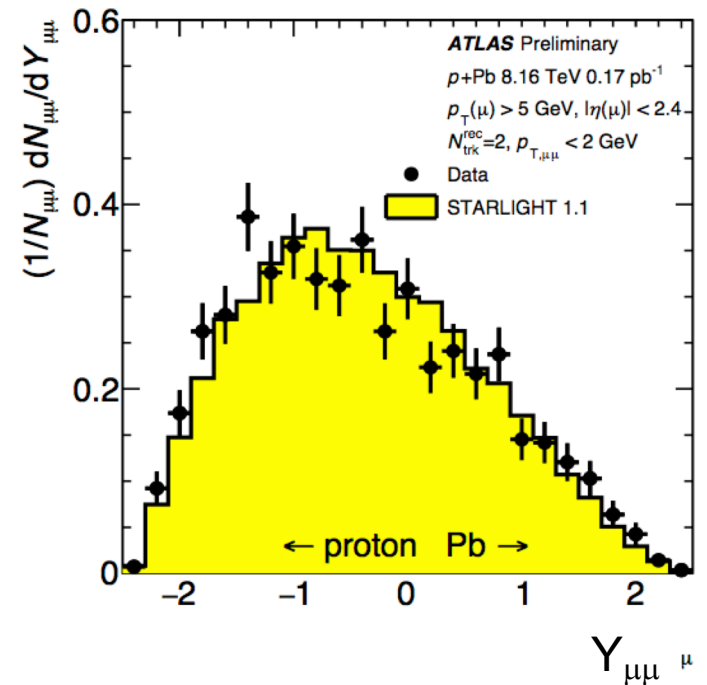
■ Data is in excellent agreement with STARlight Monte Carlo

◆ The STARlight Monte Carlo is a common benchmark

✦ It uses real photons (Equiv. Photon approx.), but difference with full quantum electrodynamics calculation is very small

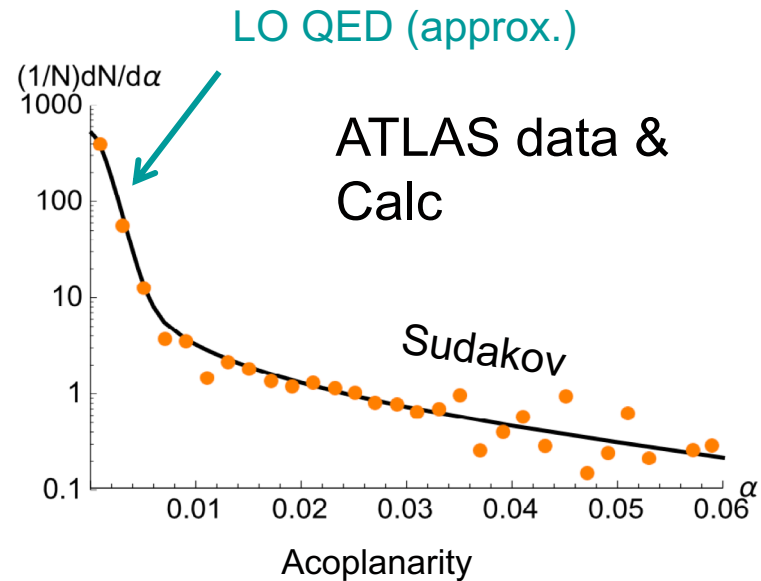
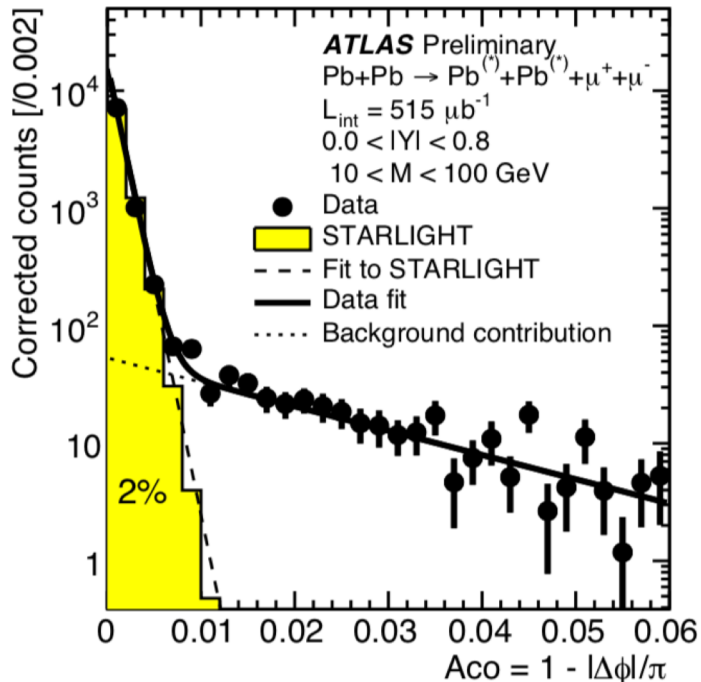
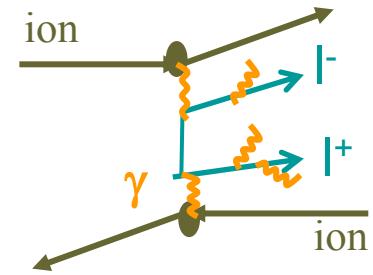
■ Small differences at large rapidity and large pair mass

◆ Possibly because STARlight does not include pair production inside nuclei



Large p_T pairs

- Low pair p_T region well described by LO QED
- A tail at large acoplanarity/ p_T is not well described by LO QED
- Compatible with higher order terms per a Sudakov resummation
 - Emission of many soft photons



ATLAS: Nucl.Phys. **A967**, 281 (2017); SK, A. Muller, B. W. Xiao and F. Yuan, Phys. Rev. D102, 094013 (2020)

Photon transverse momenta

- Normally, photons are plane waves
- Here, there is a transverse component. From the Poynting vector, we can write

$$n(\omega; \mathbf{b}) = \frac{1}{\pi\omega} |\mathbf{E}_\perp(\mathbf{b}, \omega)|^2$$

$$= \frac{4Z^2\alpha}{\omega} \left| \int \frac{d^2k_\perp}{(2\pi)^2} \mathbf{k}_\perp \frac{F(\mathbf{k}_\perp^2 + \omega^2/\gamma^2)}{\mathbf{k}_\perp^2 + \omega^2/\gamma^2} e^{-i\mathbf{b}\cdot\mathbf{k}_\perp} \right|^2$$

- $F(q)$ is the emitter form factor; q is the momentum transfer

- $F(q) \sim 1$ for $q < \hbar/R_A$
 - $F(q) \sim 0$ for $q > \hbar/R_A$
- } Photon wavelength > nucleus?

- Can extract p_T spectrum for integral over all \mathbf{b}

$$\frac{d^2 N}{d^2 k_T} = \frac{\alpha Z^2 F(k_T^2 + k_z^2/\gamma^2) k_T^2}{\pi^2 (k_T^2 + k_z^2)^2}$$

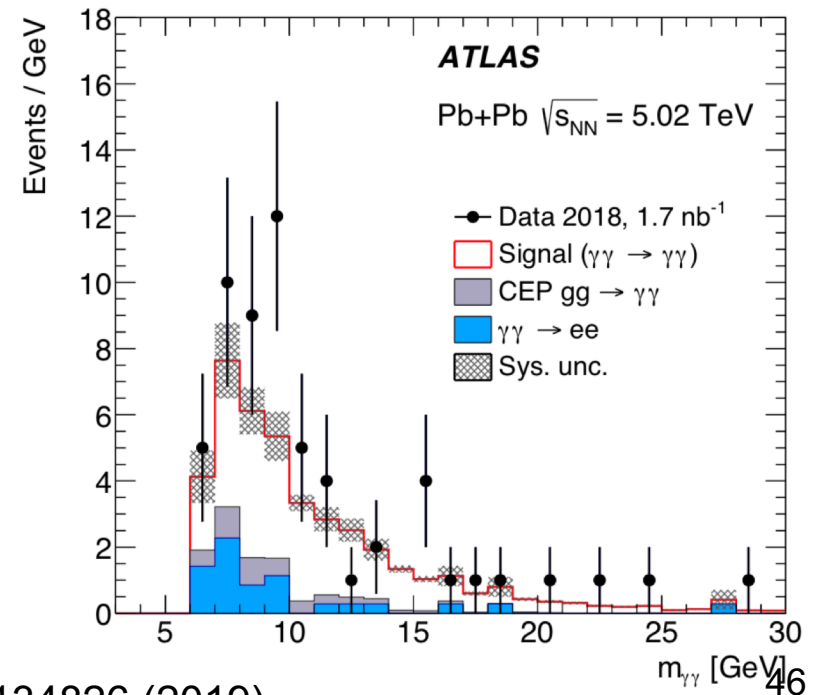
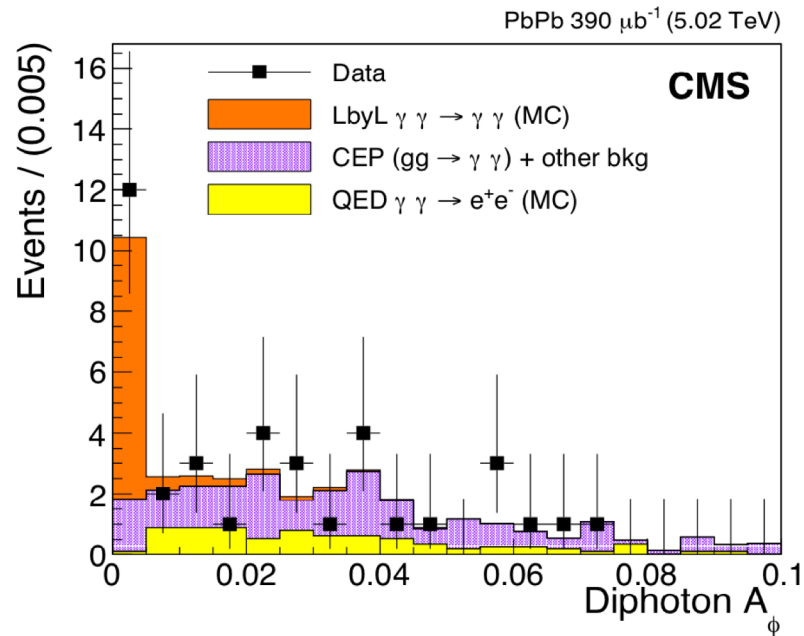
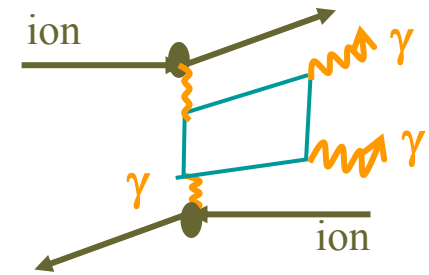
- Photon p_T is small, $\sim k/\gamma$

For $b > 2R_A$, etc., b and k_T are conjugate variables \rightarrow pair

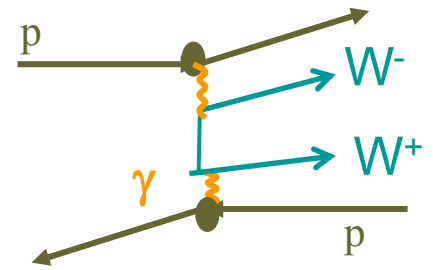
- no direct answer, but $\langle p_T^2 \rangle \sim 1/b^2$

Light-by-light scattering

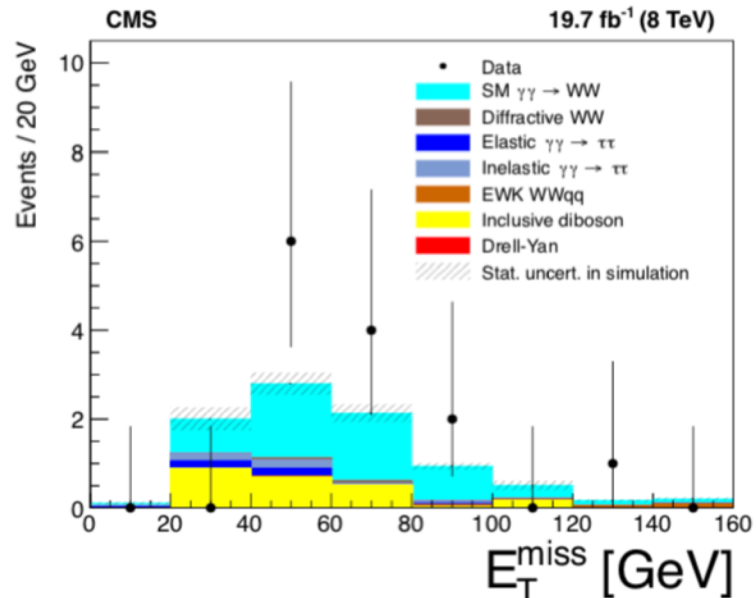
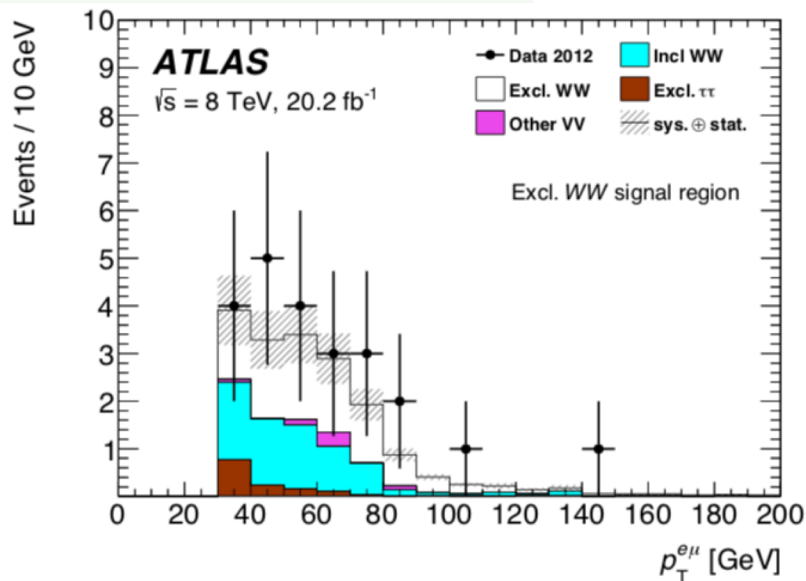
- Seen by ATLAS and CMS
- “Box diagram” is sensitive to new (beyond-standard-model) charged particles.
- Limits on axion-like particles



$\gamma\gamma \rightarrow W^+W^-$



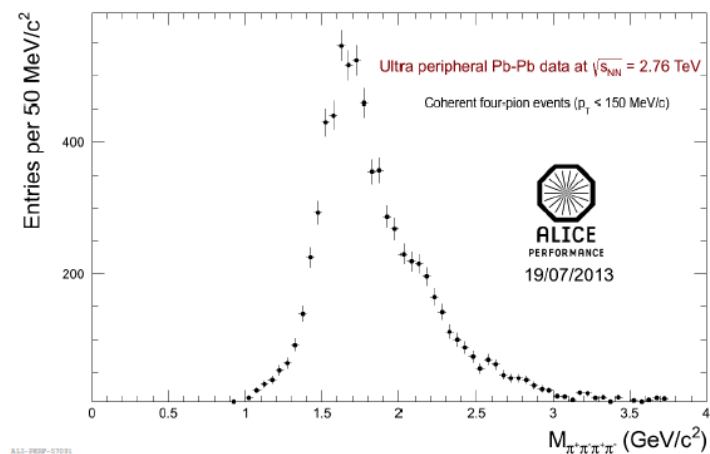
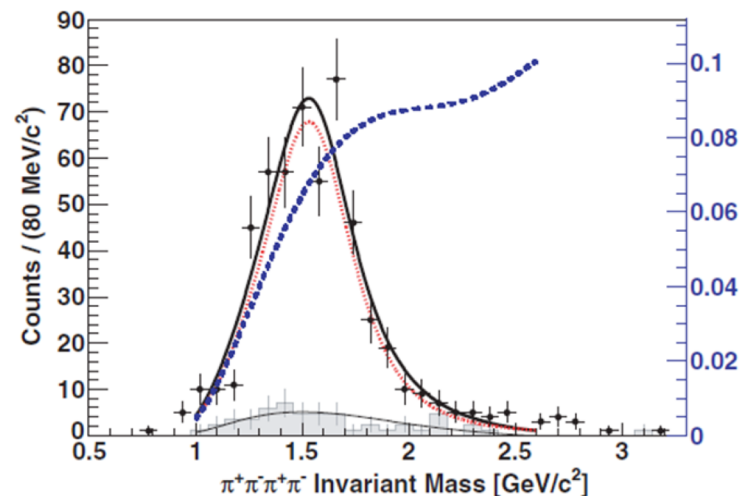
- Studied by ATLAS and CMS in pp collisions
 - ◆ pp allows higher final state masses
 - ◆ Some photon emission accompanied by proton dissociation
- $W \rightarrow l\nu \rightarrow$ missing energy & acoplanar leptons
 - ◆ Background rejection is tough
 - ◆ CMS saw 13 events; 5.3 ± 0.7 signal plus 3.9 ± 0.6 background expected
- 3.4σ evidence; compatible with Standard Model
 - ◆ Limits on non-standard quartic couplings set



CMS: JHEP
1608, 119 (2016)
 ATLAS: PRD94,
 032011 (2016).

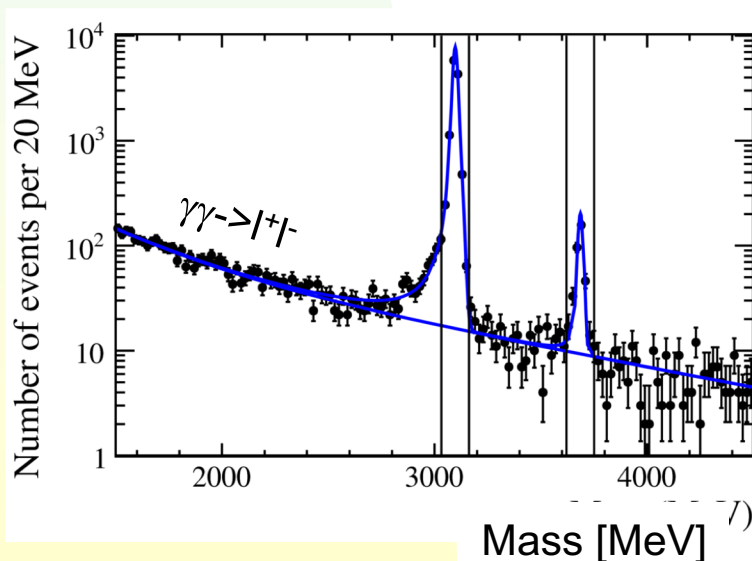
Excited ρ and $\pi\pi\pi\pi$ final states

- Seen by STAR and ALICE
- Expected to be mixture of $\rho'(1450)$ & $\rho'(1700)$
 - ◆ These two states can interfere, and predominantly decay to $\pi\pi\pi\pi$
- $M_{\pi\pi\pi\pi} \sim 1540 \text{ MeV}$
- $\Gamma \sim 670 \text{ MeV}$
- Significant decays to $\rho^0\pi\pi$
- Consistent with expected mixture of $\rho'(1450)$ & $\rho'(1700)$



$\gamma p \rightarrow Q\bar{Q}$ in pp and pA

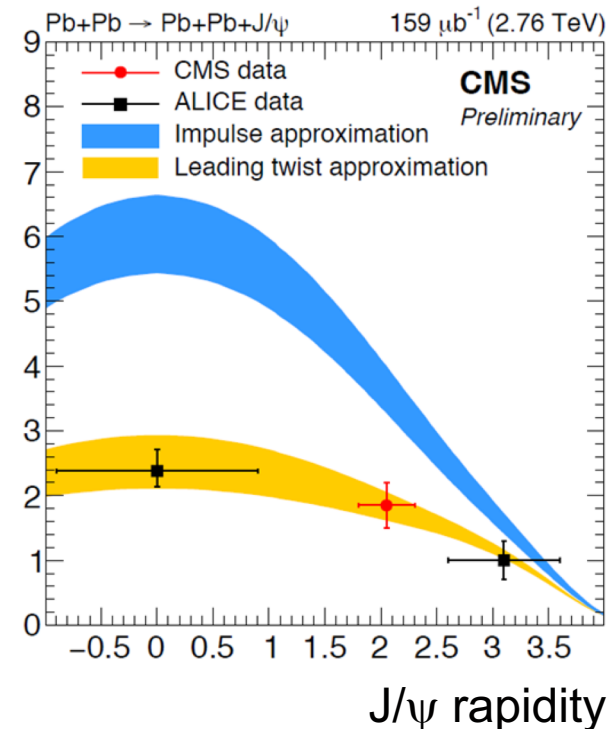
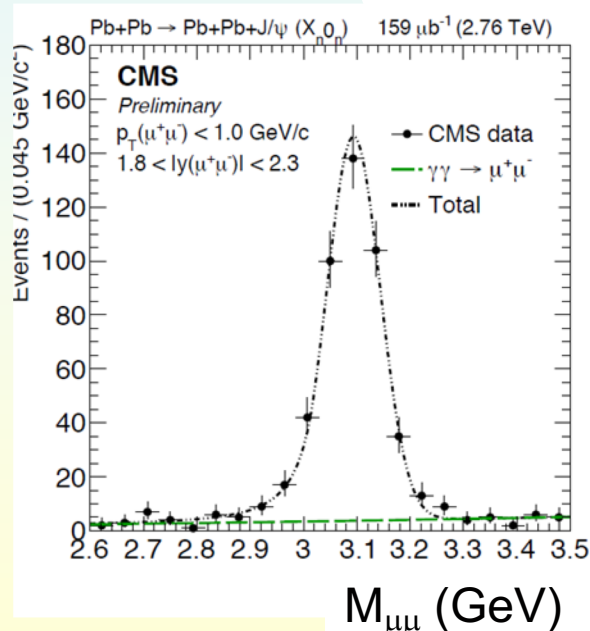
- High statistics data extends HERA $\sigma(\gamma p \rightarrow J/\psi)$ to higher energies
 - ◆ Access gluon distributions down to 10^{-6} at $Q^2 \sim m_{\text{quark}}^2$
- In pp & AA there is the two-fold ambiguity: $k = M_V/2 \exp(\pm y)$
 - ◆ Ambiguity disappears at $y=0$ (solutions are degenerate) or large $|y|$, where the low- k solution dominates.
 - ◆ Estimate lower- k solution and correct
- In pA, most of the photons come from the heavy nucleus
 - ◆ P_T spectrum differences between γp & γA give further discrimination



R. McNulty [LHCb] ICHEP 2016

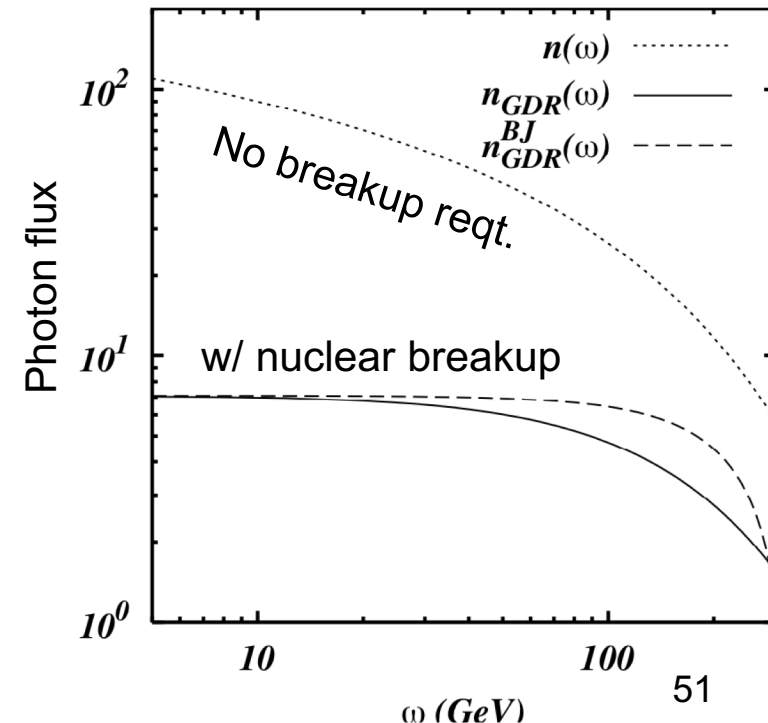
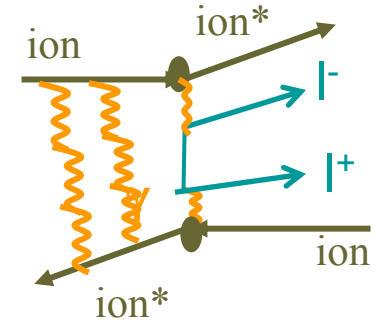
PbPb \rightarrow J/ ψ in CMS at $\sqrt{s_{NN}} = 2.76$ GeV

- $\mu^+\mu^-$ at $|y| = 2.05$
- Cross-section is $\sim 40\%$ of impulse approximation
 - ◆ Moderate nuclear shadowing
 - ◆ Again, consistent with leading twist calculation



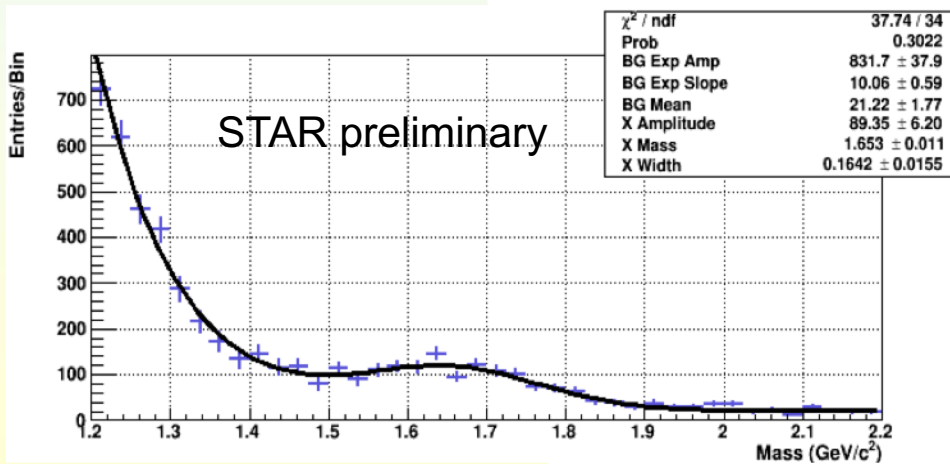
Multi-photon exchange & impact-parameter 'engineering'

- Photon distributions scale as $1/b^2$
 - ◆ In multi-photon exchange $\langle b \rangle$ is smaller
 - ✦ For 2 photons, $\sigma \sim 1/b^4$, for 3 photons $1/b^6$
 - ◆ $\langle b \rangle$ drops and $\langle p_T \rangle$ rises with more photons
 - ◆ Due to kinematics '1 photon does one thing'
- Photons spectrum is harder with smaller b
 - ◆ Can tune photon spectrum
- STAR requires neutrons in their zero degree calorimeters to trigger
 - ◆ From nuclear breakup
- Can tune photon spectrum
 - ◆ Bidirectional ambiguity...
- Photon polarizations are also parallel

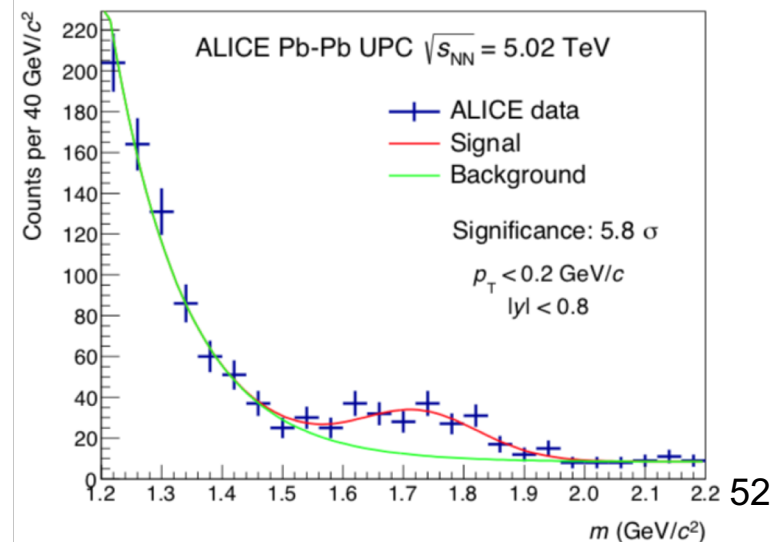


$\rho' \rightarrow \pi\pi?$

- STAR and ALICE see a heavy $\pi\pi$ state
 - ◆ STAR: $M_X = 1653 \pm 10$ MeV, $\Gamma(X) = 164 \pm 15$ MeV (stat. only)
 - ◆ ALICE: $M_X = 1725 \pm 17$ MeV, $\Gamma(X) = 143 \pm 21$ MeV
- Width inconsistent with ρ' (1700) [$M = 1720$ MeV, $\Gamma = 250$ MeV]
- ρ' branching ratio to pp is small
- Mass, width and abundance may be consistent with ρ_3 (1690)
 - ◆ consistent w/ $\text{Br}(\rho_3 \rightarrow \pi^+\pi^-)$ & previous $\gamma p \rightarrow \rho_3 \rightarrow \eta\pi^+\pi^-$ data
 - ✦ Spin 3 allowed through in-medium wave function modifications?

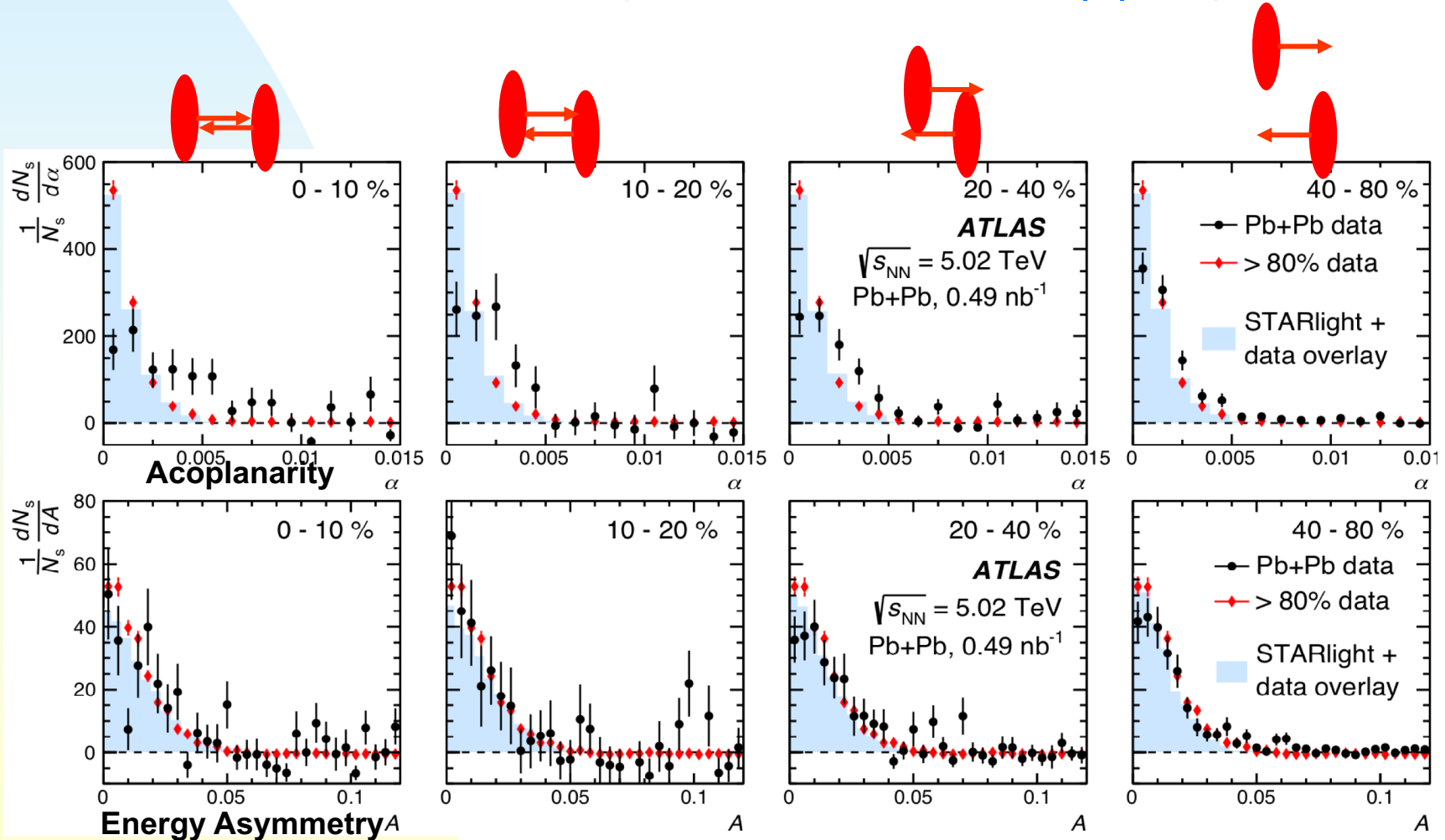


STAR: DIS2016, ALICE: arXiv:2002.10879



p_T spectra from UPCs to peripheral

- ATLAS has studied $\gamma\gamma \rightarrow \mu^+\mu^-$ in hadronic collisions
- Acoplanarity (p_T) increases in more central collisions
 - ◆ Medium interactions? Magnetic field? Restricted $|b|$ range

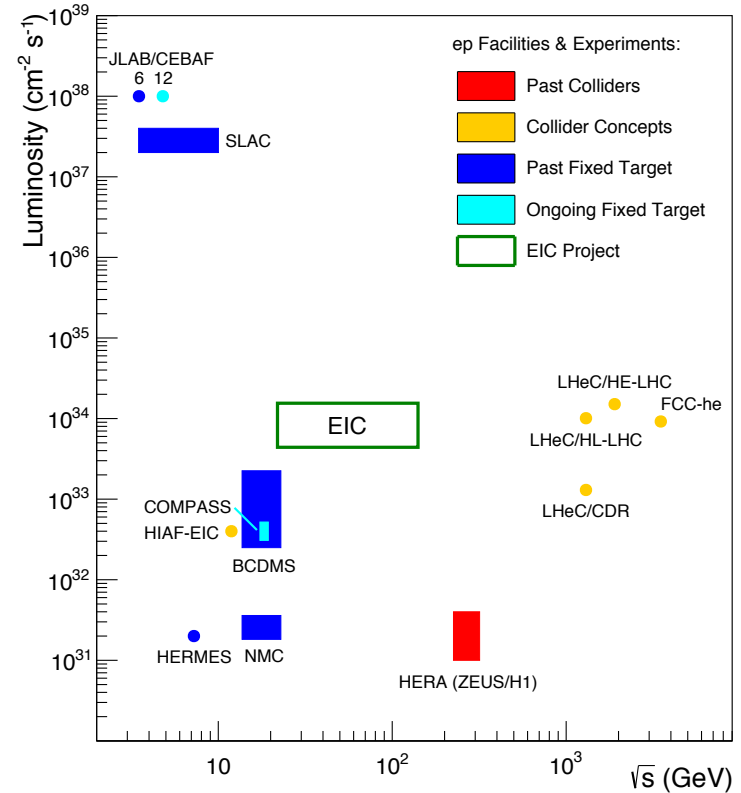
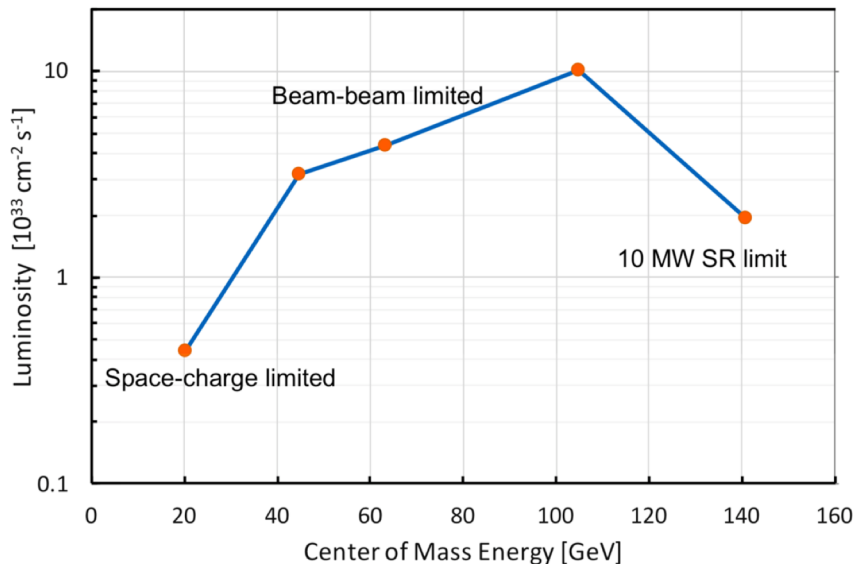


EIC luminosity

Luminosity 1000 times HERA

- ◆ High currents required
- ◆ $I_{\text{electron}} = 2.5 \text{ A}$
 - ✦ Max. 9 (or 10) MW synchrotron radiation limits I_{electron} at high energies
 - Cost of cooling
- ◆ $I_{\text{hadron}} = 1.0 \text{ A}$

For ion beams, luminosity/nucleon is roughly constant



Trade energy for luminosity?

Different physics topics may have different optimal energies