

# Jet $R_{AA}$ and $v_n$ for PbPb 5.02 TeV with JEWEL+v-USPhydro

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# Model and Methodology

**JEWEL**: BDMPS-Z Monte-carlo generator for parton showers with **medium interaction**.

**PYTHIA**: hard scattering + hadronization.

Apply a **state-of-the-art description** of the medium:

## Default Medium

- Simplistic Glauber
- Bjorken expansion
- No event-by-event fluctuations



## 2+1 Hydrodynamics

- T<sub>R</sub>ENTo
- v-USPhydro
- Shear viscosity
- **Local flow dependence**

- **Recoils on** (4MomSub).
- Free parameters tuning: ATLAS PbPb 5.02 TeV 0-10%.
- Rivet+FastJet analyses.
- Statistical uncertainties only.

# Event Generators

**PYTHIA**: initial hard scattering  $\rightarrow$  start of **parton shower**.

**JEWEL**: MC event generator that solves parton showers ( $t = Q^2$ )  
with **medium interaction**.

QGP  $\rightarrow$  temperature-dependent **scattering centers**.

$$\frac{d\hat{\sigma}}{d\hat{t}}(\hat{s}, \hat{t}) = \frac{C_R \pi \alpha_s (|\hat{t}| + \mu_D^2)}{\hat{s}^2} \frac{\hat{s}^2 + (\hat{s} - |\hat{t}|)^2}{(|\hat{t}| + \mu_D^2)^2}$$

Gluon emissions are treated in a coherent manner (LPM effect)

$$\tau_f \sim \frac{E}{t} = \frac{2\omega}{k_T^2}, \quad \begin{cases} \Delta L > \tau_f \Rightarrow \text{incoherence: gluon is formed.} \\ \Delta L < \tau_f \Rightarrow \text{coherence: } k_T \rightarrow k_T + s_T, \text{ repeat.} \end{cases}$$

End of parton shower  $\rightarrow$  hadronization is handled by **PYTHIA** (Lund Model).

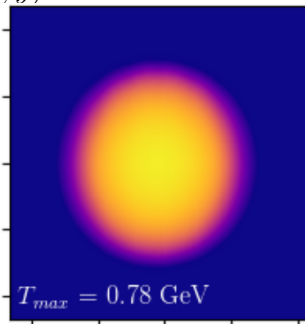
Main hypothesis: entropy deposition via overlap of participants' **thickness functions**  $T_{A/B}(x, y)$ .

- Woods-Saxon distribution of nucleons.
- Density of participants:

$$n_{AB}(b; x, y) = T_A(\vec{s}) \left[ 1 - \exp(-\sigma_{NN} T_B(|\vec{b} - \vec{s}|)) \right] + T_B(|\vec{b} - \vec{s}|) \left[ 1 - \exp(-\sigma_{NN} T_A(\vec{s})) \right]$$

- (JEWEL) Relation between energy and participant densities defines temperature:

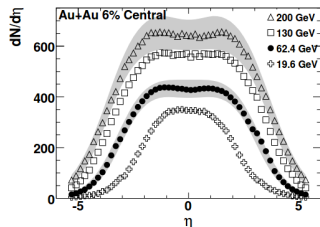
$$\frac{\epsilon_{AA}(b; x, y)}{\epsilon_i} = \frac{n_{AA}(b; x, y)}{\langle n_{AA}(b=0) \rangle} \Rightarrow T(b; x, y) \approx T_i \left( n_{AA}(b; x, y) \frac{\pi R_A^2}{2A} \right)^{\frac{1}{4}}.$$



# Bjorken Longitudinal Expansion

- Assume a fluid velocity without azimuthal and radial components  
 $u^\mu \doteq (u_t, 0, 0, u_z)$ .
- *Central plateau* in particle production  $\Rightarrow$  system **scales with rapidity**  $\Rightarrow$   
 $u^\mu = (\cosh y, 0, 0, \sinh y)$ .
- Entropy current conservation:

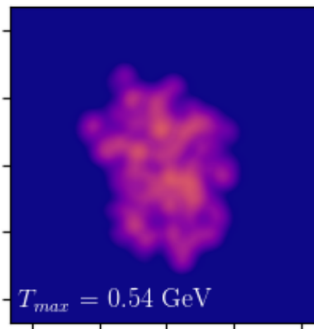
$$\partial_\mu(u^\mu s) = 0 \Rightarrow T(\tau) = T(\tau_0) \left( \frac{\tau}{\tau_0} \right)^{-c_s^2}$$



Main hypothesis: entropy deposition via a generalized **reduced thickness function**  $T_R(p; T_A, T_B)$ .

- Woods-Saxon distribution of nucleons (one or multiple gaussians).
- Monte-Carlo sampling of participants  $\Rightarrow$  **Fluctuations**.
- Parametrization of entropy ( $p$  as free parameter)

$$\frac{dS}{dy} \propto T_R(p; T_A, T_B) = \left( \frac{T_A^p + T_B^p}{2} \right)^{\frac{1}{p}}$$



# State-of-the-art (2+1) hydrodynamic expansion with shear and bulk viscosity.

- Solution of equations of motion of a fluid via **Smoothed Particle Hydrodynamics** (SPH).

$$\begin{aligned} \frac{1}{\sigma} \partial^\mu (p + \Pi) &= \gamma \frac{\partial}{\partial \tau} \left[ \frac{\epsilon + p + \Pi}{\sigma} u^\mu \right] \\ 0 &= \gamma \frac{\partial}{\partial \tau} \left( \frac{s}{\sigma} \right) + \left( \frac{\Pi}{\sigma} \right) \frac{\theta}{T} \\ 0 &= \tau_\Pi \left( \frac{\Pi}{\sigma} \right) + \frac{\Pi}{\sigma} + \frac{\zeta}{\sigma} \theta \end{aligned}$$

- Transformation between SPH particles and space-fixed frames

$$\begin{aligned} \tau \gamma \sigma \rightarrow \sigma^*(\vec{r}, \tau) &= \sum_{i=1}^{N_{SPH}} \nu_i \cdot \\ &W[\vec{r} - \vec{r}_i(\tau); h] \\ \Rightarrow a^*(\vec{r}, \tau) &= \sum_{i=1}^{N_{SPH}} \nu_i \left( \frac{a}{\sigma} \right)_i \cdot \\ &W[\vec{r} - \vec{r}_i(\tau); h] \end{aligned}$$

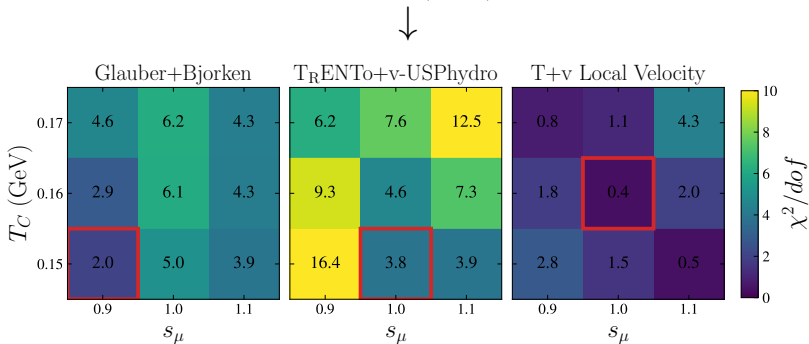
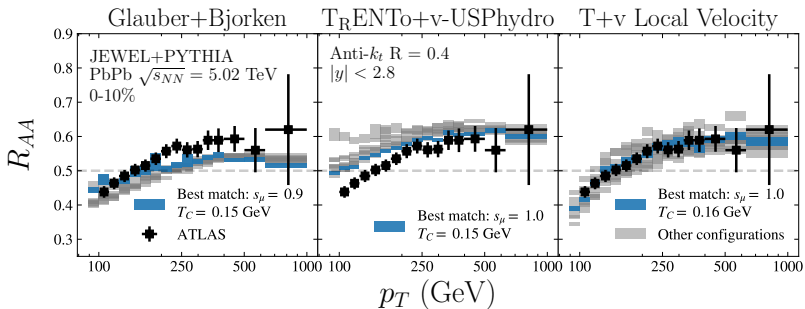
- Bjorken scaling in longitudinal direction.

# Free Parameter Tuning

ATLAS central  $R_{AA}$  data for tuning free parameters via **minimum  $\chi^2$  estimation**.

- Free parameters: temperature regulator  $s_\mu$  ( $\mu_D = 3s_\mu T$ ) and critical temperature  $T_C$ .
- Original JEWEL tuned to RHIC data w/o recoils, only  $s_\mu$  considered and  $T_C$  fixed at 0.17 GeV.
- Lower freeze-out temperature in v-USPhydro  $\Rightarrow T_C$  as free parameter.
- "Best" ( $s_\mu, T_C$ ) configuration vs. experimental  $R_{AA} \Rightarrow$  choice for each model.
- Consistent relative behavior when varying free parameters.

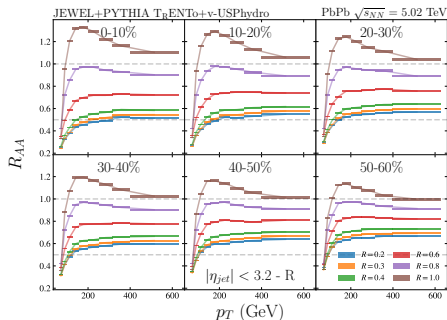
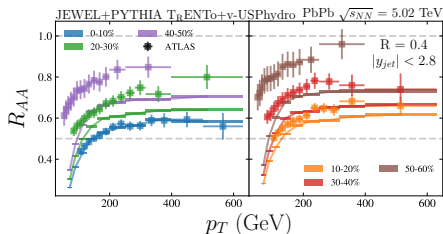




# Nuclear Modification Factor $R_{AA}$ for Jets

$$R_{AA}(p_T) \doteq \frac{1}{\langle N_{coll} \rangle} \frac{\frac{1}{N_{evt}} \frac{dN}{dp_T} \Big|_{AA}}{\frac{1}{N_{evt}} \frac{dN}{dp_T} \Big|_{pp}}$$

- Comparison to ATLAS data (arxiv:1805.05635).



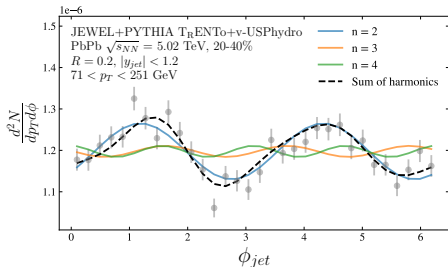
- Anti- $k_T$  jets with  $|\eta_{jet}| < 3.2 - R$ ,  $p_T = 63$  GeV to 630 GeV for all  $R$ .
- Good description of central collisions only.
- Higher modification in peripheral systems.
- Large  $R$  enhancement.

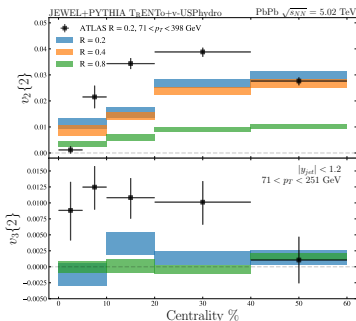
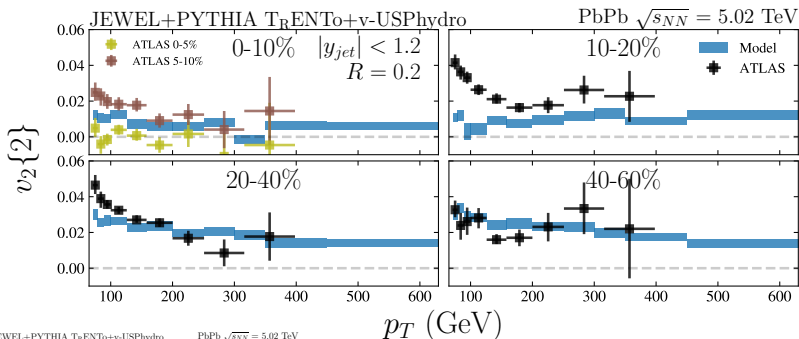
# Anisotropic Flow Coefficients $v_{n=2,3}$ for Jets

Calculated coefficients given by **Jet-Soft** correlations:

$$v_n\{2\}(p_T) = \frac{\langle v_n^{\text{soft}} v_n^{\text{jet}}(p_T) \cos(n(\Psi_n^{\text{soft}} - \Psi_n^{\text{jet}}(p_T))) \rangle}{\sqrt{\langle (v_n^{\text{soft}})^2 \rangle}}$$

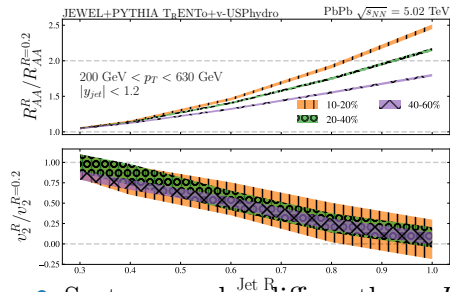
- **Event-by-event** study of anisotropies.
- Not possible in JEWEL Default (no soft sector).
- Media are not modified by the parton shower evolution.
- Comparison to ATLAS data (arxiv:2111.06606),  $71 < p_T < 398$  GeV,  $|y_{\text{jet}}| < 1.2$  and  $R = 0.2$ .





- Only most peripheral centrality class matches experimental  $v_{n=2,3}$ .
- Positive  $v_2$  even for larger jets.
- $v_3 > 0$  for  $R = 0.2$  except 0-10% (one order of magnitude smaller than  $v_2$ ).

# R-dependence Ratios



- Systems evolve differently as  $R$  increases.  $R_{AA}$  and  $v_2$  anti-correlation is maintained.

# Conclusions

- Implementation of a 2+1 hydrodynamic medium description in JEWEL.
- Wide  $p_T$  range analyses of jet  $R_{AA}$  and  $v_{n=2,3}$ .
- Event-by-event correlation study between jet and soft sectors.
- Jet radius dependence: insights into medium response.
- Next steps: jet substructure, smaller systems, HF effects.

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