# Studies on Reliability

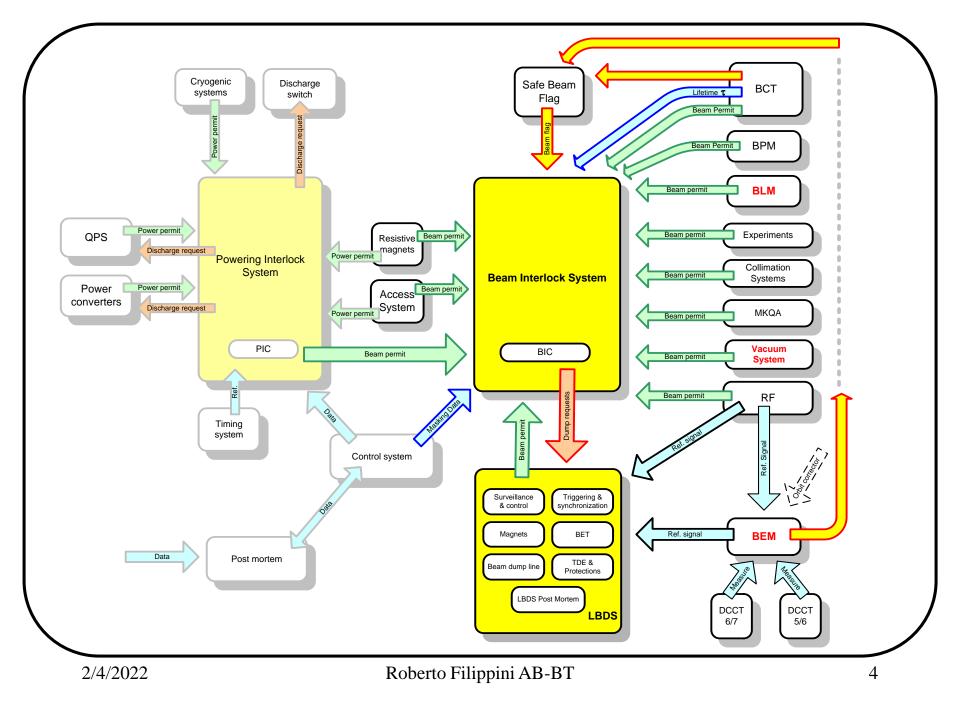
#### A General Approach

# Topics of the Presentation

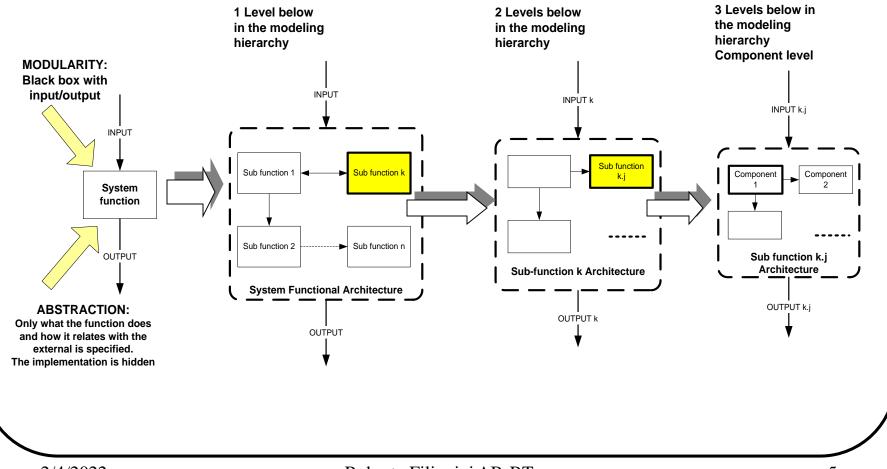
- Some guidelines to the **modeling of complex systems**.
- Addressing dependability problems of complex systems.
- Application to the LHC Machine Protection System and examples.

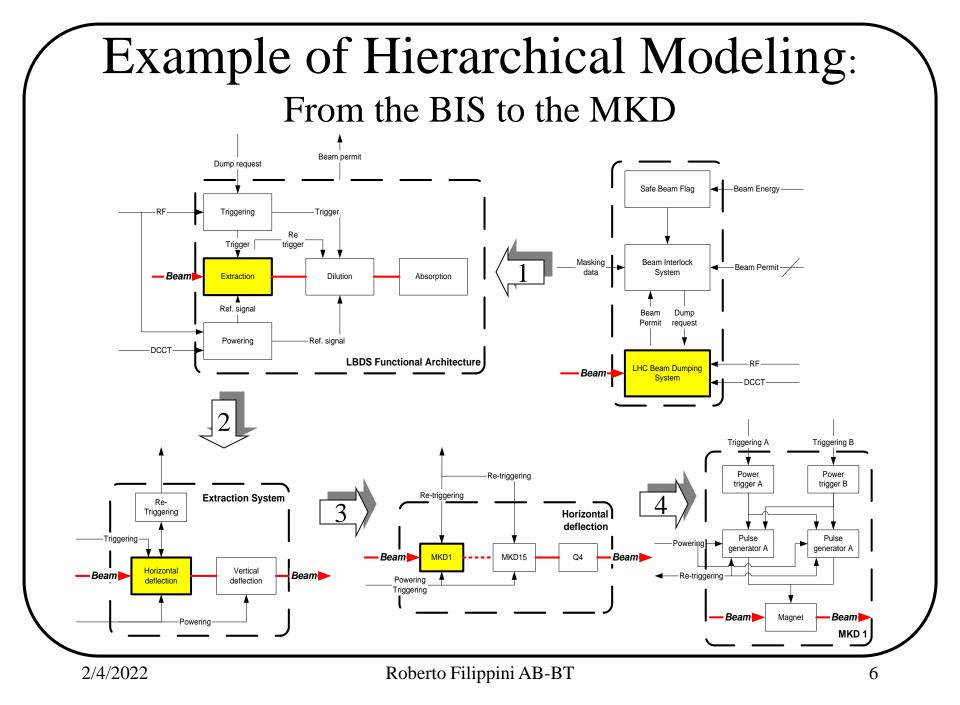
## Introduction

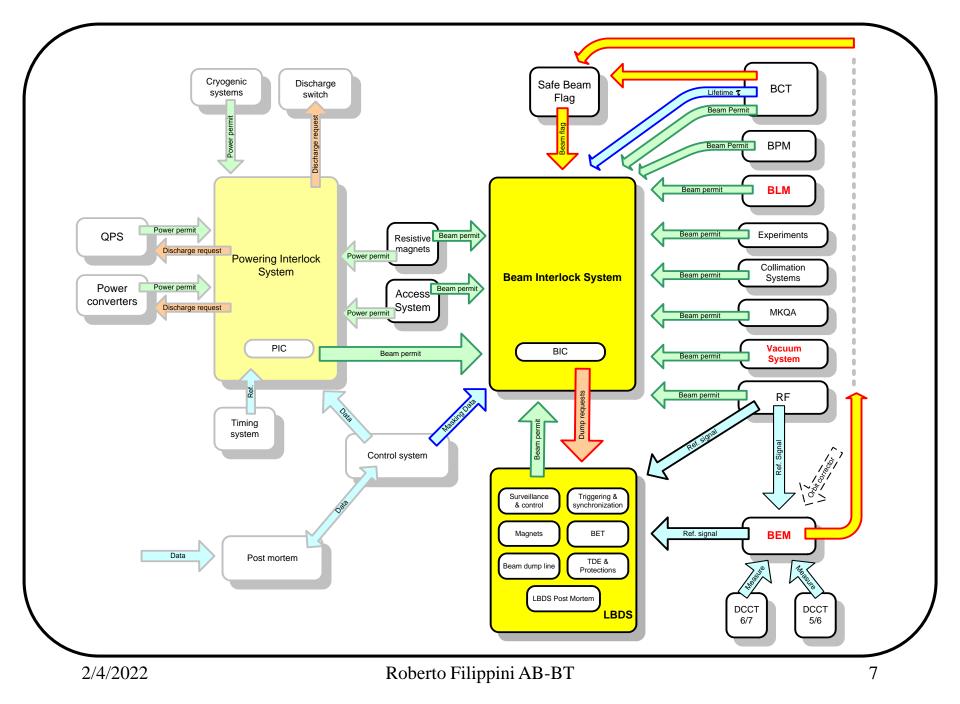
- <u>The aim</u> is to manage complexity when addressing dependability issues for very large critical systems.
- <u>The proposal</u> is based on a hierarchical functional modeling approach.
  - Abstraction and modularity principles hold.
  - A top-down iterative procedure permits to build the hierarchy starting from the system functional specification. It can be detailed up to the desired level.
  - Dependability problems find a powerful support in the hierarchical functional structure.



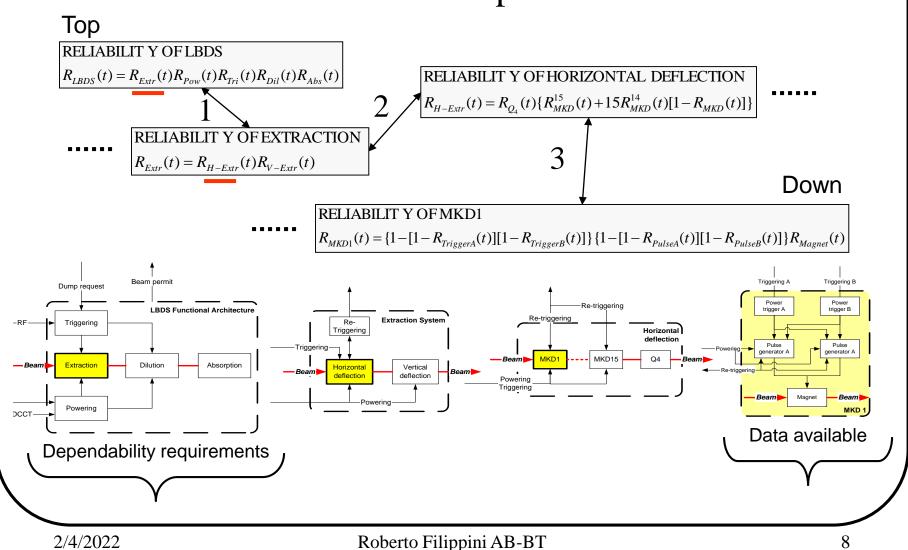
### Hierarchical Modeling: Managing complexity

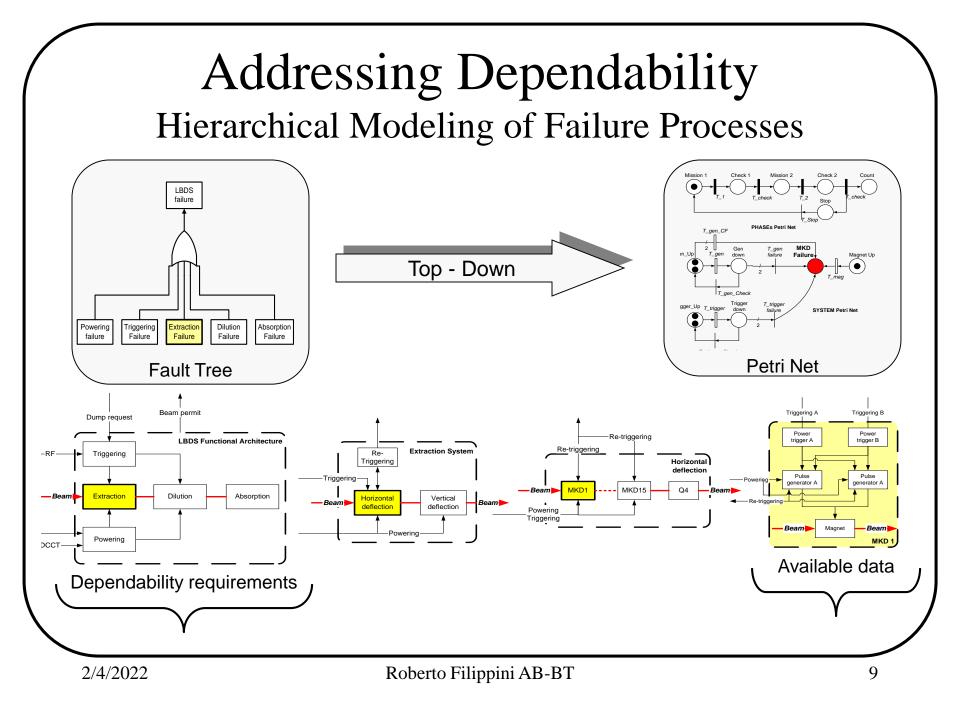






### Addressing Dependability Formula Composition





### Comments on Hierarchical Modeling

- 1. When **addressing reliability/availability issues**:
  - **Statistical independency** of failure processes must be checked.
  - <?>  $R(\text{component } j \mid \text{component } k \text{ is failed}) = R(\text{component } j)$
- 2. When <u>addressing safety issues</u>:
  - Linearity of hazards consequences must be checked.
  - <?>Risk {H1 U H2} = Risk {H1} + Risk {H2}.
- Whenever 1) or 2) are not true, the **modularity principle is violated** from a statistical point of view.
  - Reliability and availability will be overestimated.
  - Risk will be underestimated.
- Two **examples** following.

### Example 1: Overestimating Reliability

- <u>The function</u>: MKD pulse generator in the LBDS extraction function (horizontal deflection).
  - It consists of a parallel structure of two identical units.

#### <u>Reliability overestimate</u>:

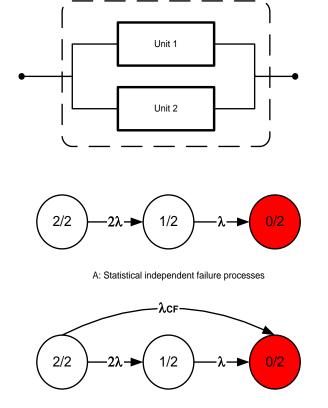
- We ignore the common mode failure.

 $R_{PG}(t) = 1 - [1 - R(t)]^2$ ;  $R(t) = e^{-\lambda t}$ 

#### <u>Reliability (true value):</u>

- We consider the common mode failure.

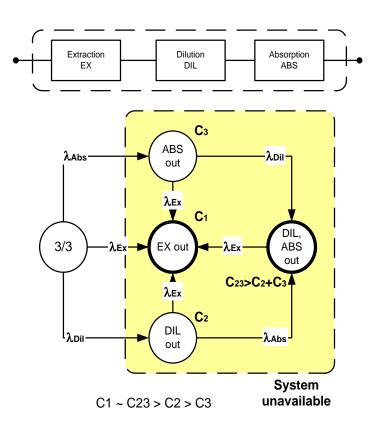
 $\underline{R}_{PG}(t) = \{1 - [1 - R(t)]^2\}R_{CF}(t) < R_{PG}(t)$ 

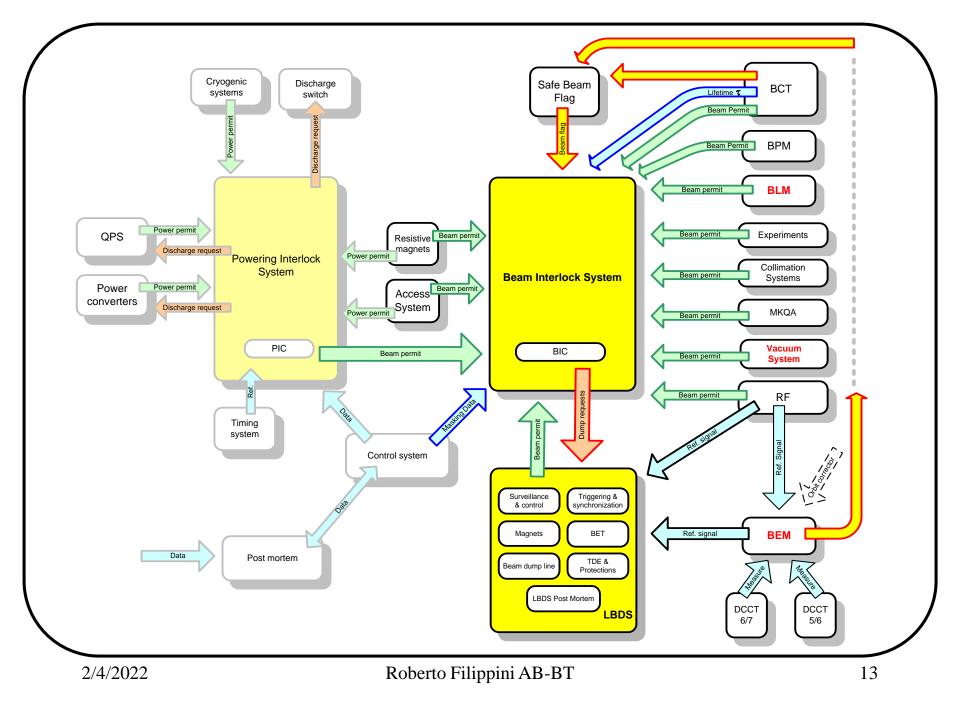


B: Statistically dependent failure processes

### Example 2: Underestimating risk

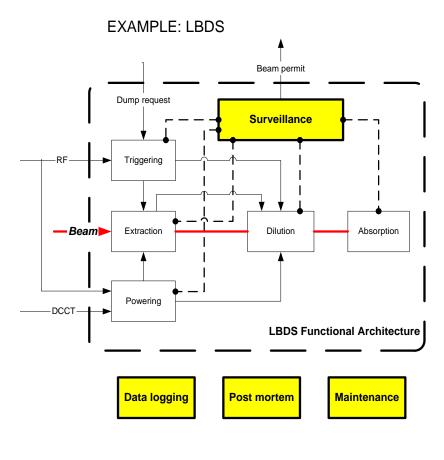
- The function: LBDS (simplified).
  - Three sub-functions in series: Extraction, Dilution and Absorption.
- The hazards:
  - $H_1$  {extraction failure} [ $\lambda_{H1}(t), C_1$ ]
  - $H_2$  {dilution failure} [ $\lambda_{H2}(t), C_2$ ]
  - $H_3$  {absorption failure} [ $\lambda_{H3}(t), C_3$ ]
- **<u>Risk (underestimated)</u>**: we ignore hazards combinations.
  - Risk(t) =  $\lambda_{H1}(t)C_1 + \lambda_{H2}(t)C_2 + \lambda_{H3}(t)C_3$
- **<u>Risk (true value):</u>** we consider hazards combinations
  - $\underline{\text{Risk}}(t) = \lambda_{\text{H1}}(t)C_1 + \underline{\lambda}_{\text{H2}}(t)C_2 + \underline{\lambda}_{\text{H3}}(t)C_3 + \lambda_{\text{H2},3}(t)C_{23} > \text{Risk}(t)$ 
    - $\underline{\lambda}_{\text{H2}}(t) < \lambda_{\text{H2}}(t); \underline{\lambda}_{\text{H3}}(t) < \lambda_{\text{H3}}(t);$





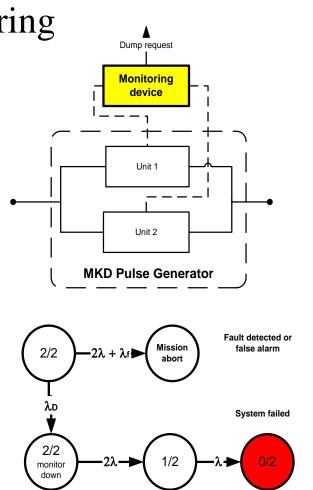
# Auxiliary functions

- <u>Auxiliary functions</u> are functions that do not play a relevant role for the functional ability of the system but they **play a relevant role for the system dependability**.
- <u>Monitoring</u> prevents hazards (in mission).
- <u>Maintenance</u> prevents wearing and aging.
- Diagnostics (Post mortem)
  - checks for the healthy state of the system (out of mission).
  - gives the green light (beam permit).
- Two **examples** following.



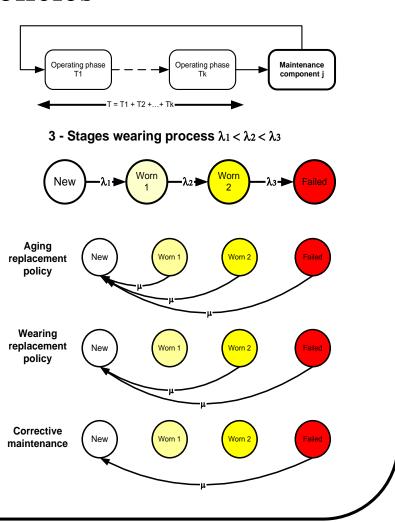
### Example 3: System Monitoring

- <u>Monitoring function</u> for the MKD pulse generators generates a mission abort (before the mission time T) if at least one unit has failed.
- <u>Monitoring parameters</u>:
  - Failure rate:  $\lambda_D$
  - Detection coverage = 1 (by simplicity).
  - False alarm  $\lambda_f$
- <u>Expected improvement</u> (not for common mode failures).
  - $\underline{\mathbf{R}}(t) = 1 [1 \mathbf{R}_{\mathrm{D}}(t)][1 \mathbf{R}(t)]^{2} > 1 [1 \mathbf{R}(t)]^{2}$
  - $R(t) = e^{-\lambda t}$
- What we pay:
  - Mission abort rate:  $2\lambda + \lambda_f$
  - Mission length =  $Min(T, T_{mission abort}) < T$



### Example 4: Maintenance Policies

- <u>Maintenance policies</u> prevent components from aging and wearing. Wearing and aging affect the failure rate.
- <u>Three policies</u>:
  - Aging replacement: the component is replaced after k operating phases (t = T).
  - Wearing replacement: the component is checked after k operating phases and is replaced only if it is worn above a threshold.
  - **Corrective maintenance**: the component is replaced only if it has failed.
- Expected improvement:
  - $R_A(t) = R(t-nT)R(T)^n > R_W(t) > R_C(t) = R(t)$
- <u>What we pay</u>:
  - Cost of replacement/maintenance.
  - $C_{A}(t) > C_{W}(t) > C_{C}(t)$



# Some Questions to Be Asked by MPWG

- <u>BCT.</u>
  - Will lifetime generate a beam abort? Noise?

#### • <u>BLMs.</u>

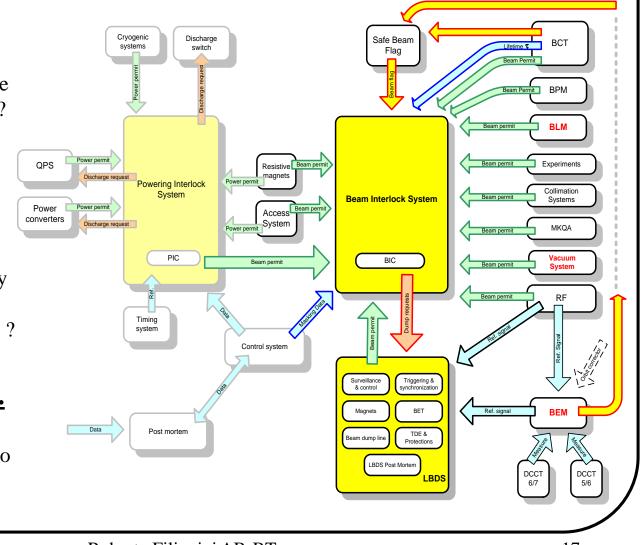
- Different families?
- Redundancy.

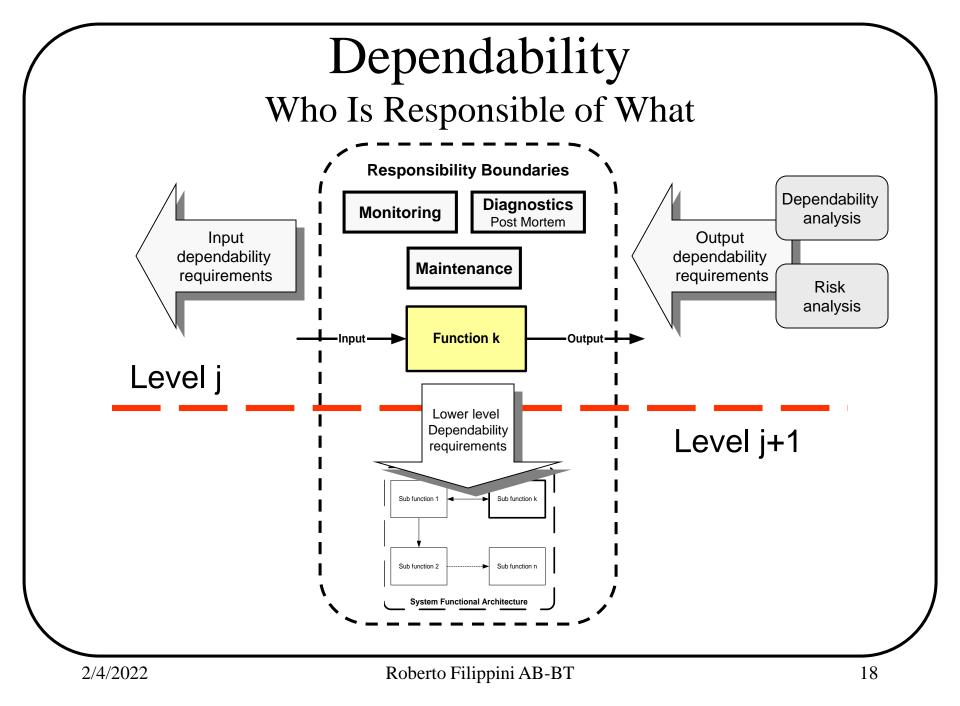
#### • <u>BEM.</u>

- RF frequency: energy changes allowed to
  0.1% maybe to 0.3% ?
- Orbit correctors.

#### • <u>Collimation system.</u>

 Is the opening of collimators going into the BIC?





# Conclusions

- **<u>Hierarchical modeling</u>** permits to manage complexity by:
  - Understanding interactions among different systems.
  - Defining relevant and not relevant modules/systems with respect to the analyzed function.
  - Addressing very complex dependability/performability problems in a hierarchical fashion.
  - Clarifying role and responsibility with respect to the global task.
  - Driving decisions top-down and vice versa.
- **Responsibility of the MPWG** is:
  - To built the structure of such a framework, similar to the one proposed in this presentation.
  - To fill each box with the information relevant for the dependability issues (including monitoring and maintenance).